Model-independent tests of the standard cosmological model

Carlos Bengaly





Model-independent tests of the standard cosmological model

Carlos Bengaly





Outline

- The standard model of Cosmology (SCM)
- We have a SCM, but do we *really* understand the cosmos?
- Model-independent tests of the SCM:

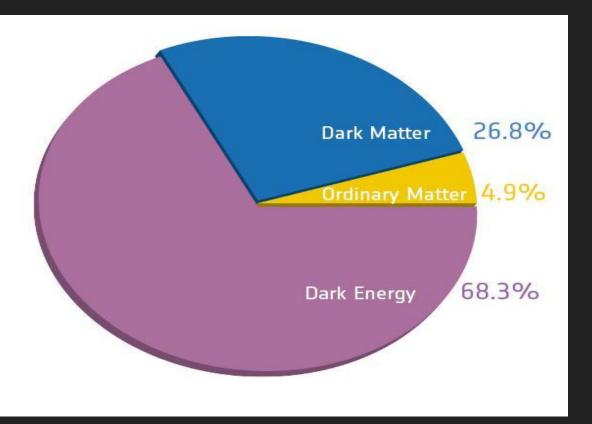
 A null test of Cosmological Principle with BAO measurements
 A cosmological measurement of the speed of light in a

model-independent way

- Delta diagnostic: a null test of cosmic acceleration
- Concluding remarks and perspectives

The standard model of Cosmology

The standard model of Cosmology

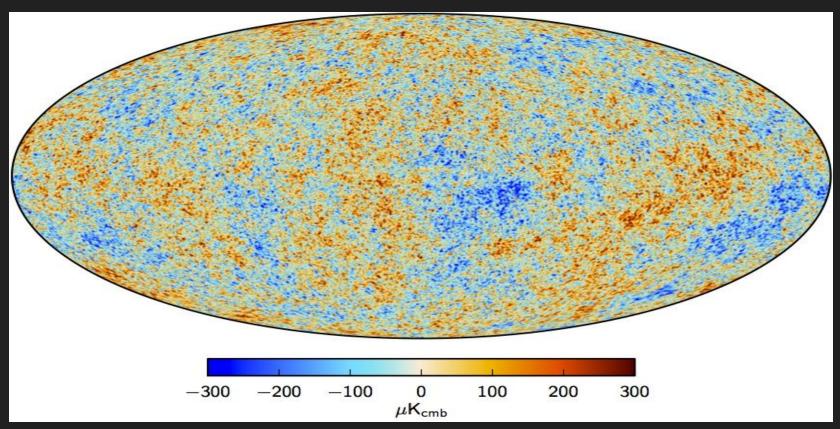


Credits: Planck Collaboration

What is dark matter?

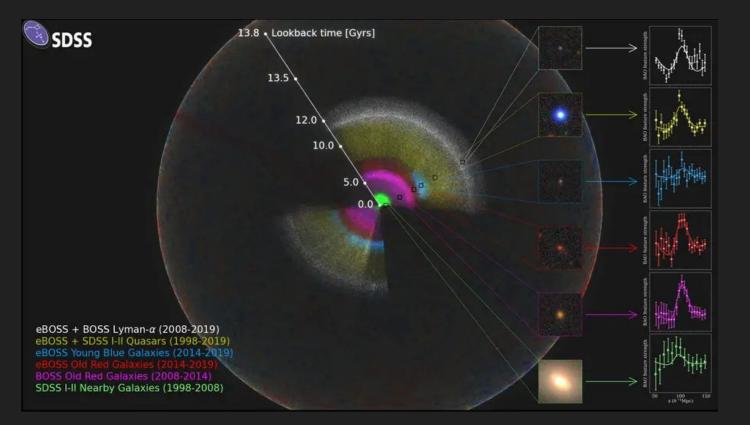
What is dark energy?

The Cosmic Microwave Background (CMB)



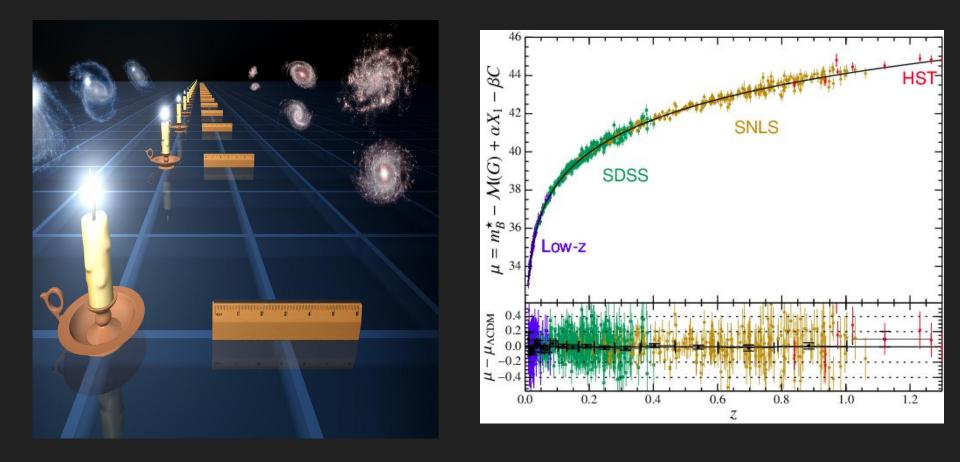
Credits: Planck Collaboration

The galaxy distribution in the large-scale structure of the Universe



Credits: Anand Raichoor/EPFL, Ashley Ross/Ohio State University, and the SDSS Collaboration

The distance to Type la Supernovae (SNe)



Ok, we have a model which explains very well cosmological observations... but do we really understand the cosmos?

Ok, we have a model which explains very well cosmological observations... but do we really understand the cosmos?

Moreover, there are some possible "cracks" on the CM, like the ~4.4 σ H0 tension and ~2.5 σ σ 8 tension

Ok, we have a model which explains very well cosmological observations... but do we really understand the cosmos?

Moreover, there are some possible "cracks" on the CM, like the ~4.4 σ H0 tension and ~2.5 σ σ 8 tension

We shall revisit the fundamental assumptions which the SCM is based upon

A null test of the Cosmological Principle with BAO measurements CB

e-print: 2111.06869 [gr-qc] Phys.Dark Univ. 35 (2022) 100966

Data and method

- We use angular diameter distance measurements from the transverse BAO mode (DAz) (Carvalho+15,20; Alcaniz+17; de Carvalho+18; Avila+19), along with cosmic chronometers from radial BAO mode (Hz)
- These modes should be consistent along the redshift, so that (Maartens11)

$$\zeta(z)=1-rac{L_{\parallel}}{L_{\perp}}=1-rac{(1+z)D_{
m A}(z)}{D_{
m C}(z)}$$

 $\zeta(z) \neq 0$ implies FLRW ruled out.

Data and method

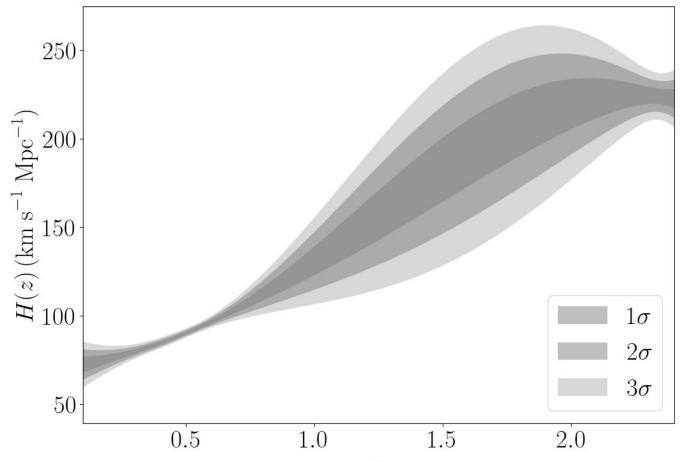
- We reconstruct both distance measurement samples with GaPP (<u>https://github.com/astrobengaly/GaPP</u>), which performs non-parametric reconstructions using Gaussian Processes
- We assume the sound horizon scale measured by Carvalho+ 20 (C20) and Verde+ 17 (VBHJ17) and two H0 priors

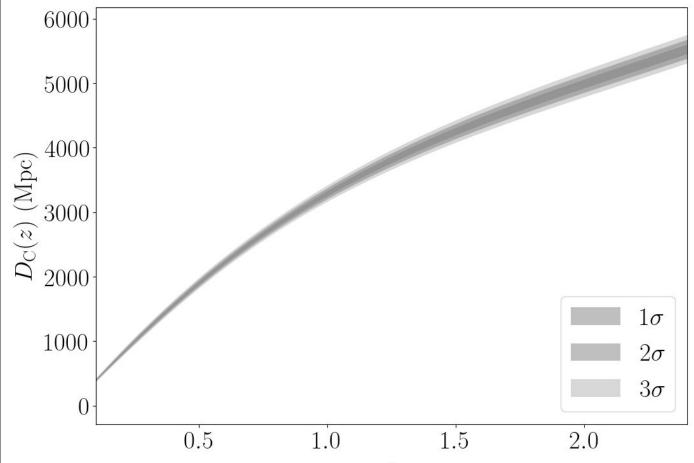
 $r_{
m s}^{
m C20} = 107.4 \pm 1.7 \, {
m Mpc} \, {
m h}^{-1} \qquad H_0^{
m P18} = 67.50 \pm 0.50 \; {
m km} \; {
m s}^{-1} \; {
m Mpc}^{-1} \ r_{
m s}^{
m VBHJ17} = 101.0 \pm 2.3 \, {
m Mpc} \; {
m h}^{-1} \qquad H_0^{
m R21} = 73.04 \pm 1.04 \; {
m km} \; {
m s}^{-1} \; {
m Mpc}^{-1} \, .$

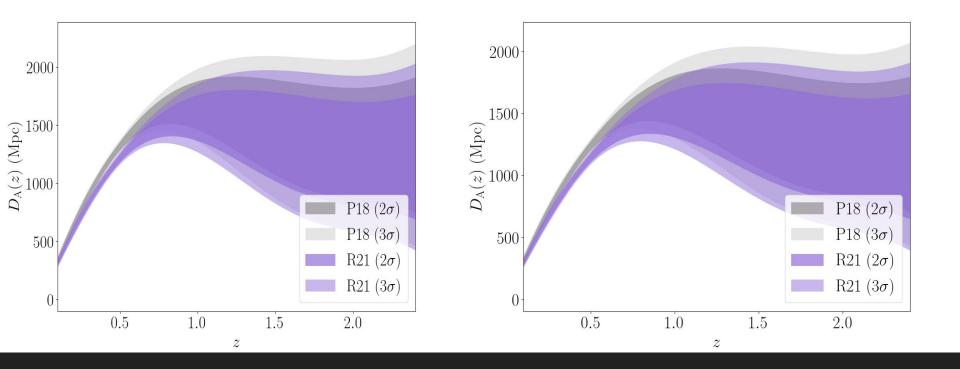
• The radial comoving distance is obtained by integrating the reconstructed H(z)

$$D_{ ext{C}}(z) = \int_{0}^{z} rac{cdz'}{H(z')} pprox rac{c}{2} \sum_{i=1}^{N} (z_{i+1} - z_{i}) \left[rac{1}{H(z_{i+1})} + rac{1}{H(z_{i})}
ight]$$

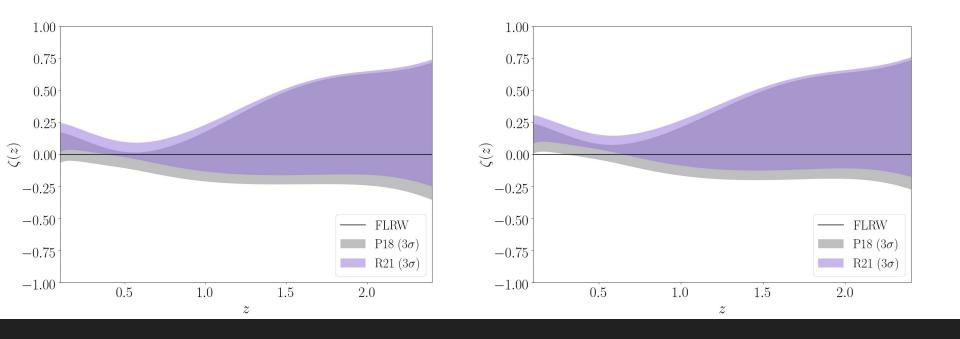








C20 (left panel) vs VBHJ17 (right panel)



C20 (left panel) vs VBHJ17 (right panel)

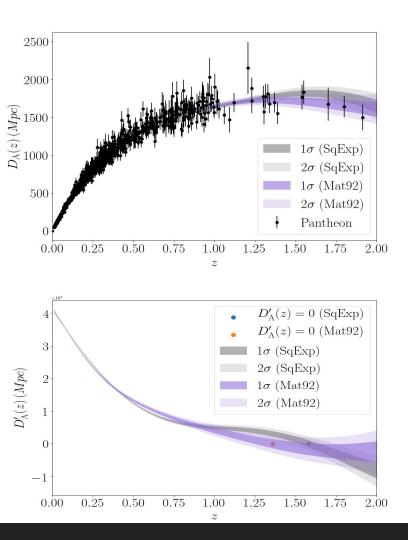
A model-independent test of speed of light variability with cosmological observations Gabriel Rodrigues, CB e-Print: 2112.01963 [astro-ph.CO] JCAP 07 (2022) 07, 029

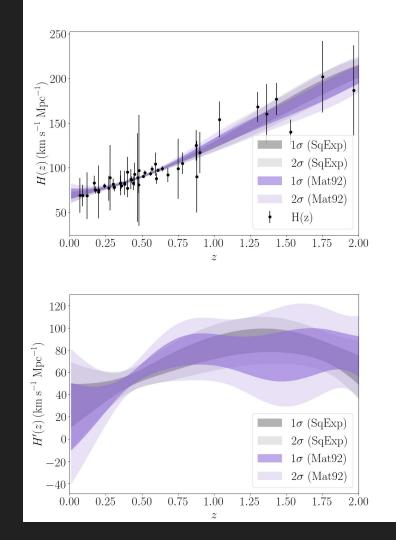
Data and method

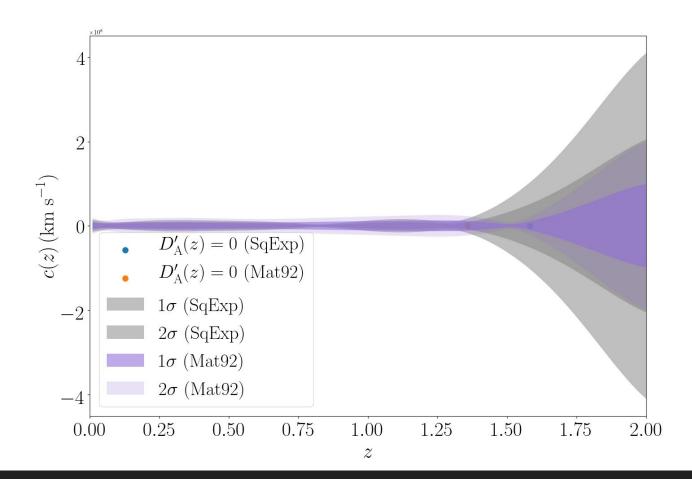
- The angular diameter distance is given by $D_A(z) = rac{1}{(1+z)} \int_0^z rac{cdz}{H(z)}$
- Differentiating the equation above w.r.t the redshift reads

$$c(z) = H(z)[(1+z)D_{
m A}'(z) + D_{
m A}(z)]$$

- We can obtain c(z) where the angular diameter distance reaches a maximum, so that $c(z_M) = D_A(z_M) H(z_M)$
- We will measure c(z) using Pantheon SNe (converting DL(z) into DA(z) via distance duality relation), and cosmic clocks H(z) measurements from galaxy age and radial bao measurements. Gaussian Processes will be deployed for numerical reconstruction again







c(zm) = (3.20 +-0.16) km/s (SqExp) At z=1.58

c(zm) = (2.67 +-0.14) km/s (Mat92) At z = 1.36

Delta diagnostic: a null test of cosmic acceleration CB, Rodrigo Von Marttens, Javier Gonzalez, Jailson Alcaniz (In prep)

Work outline

Although LCDM provides a good fit for observations, **it is crucial to assess the evidence for cosmic acceleration in a model-independent way** - regardless assumptions on DE/MG

A null test for cosmic acceleration (Seikel & Schwarz 08) $\log E(z) = \int_0^z rac{(1+q(z'))}{(1+z')} \quad E(z) \ge (1+z) \; orall q(z) \ge 0$

If the Universe has never accelerated, we have the null condition

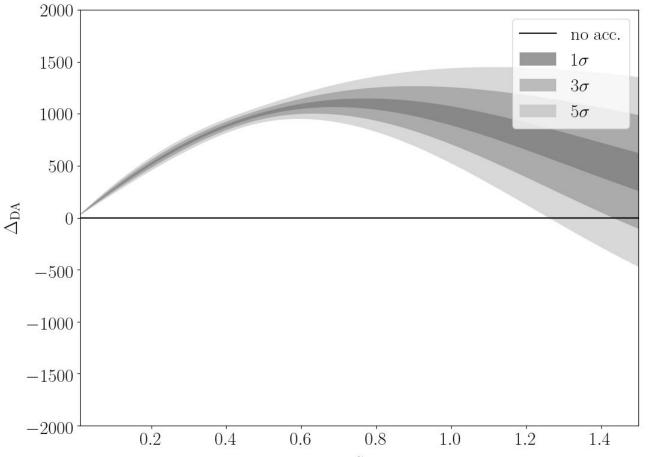
$$D_C(z) = \int_0^z rac{cdz}{H(z)} \leq (c/H_0)\log{(1+z)}$$

We can test this condition using the delta estimator

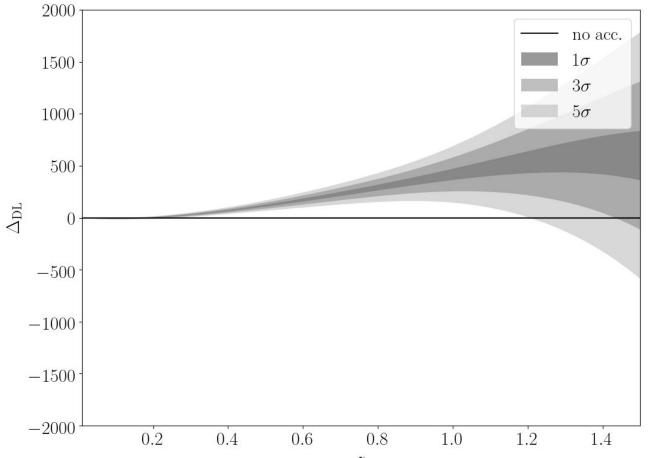
$$egin{aligned} \Delta &= D(z) - D(z; orall q(z) \geq 0) > 0 \ ext{if } q(z) < 0 \end{aligned}$$

Data and method

- We use Pantheon compilation of SN luminosity distance (DL) measurements (Scolnic+ 18), along with angular diameter distance data from the transverse BAO mode (DA) (Carvalho+15,20; Alcaniz+17; de Carvalho+18; Avila+19)
- Both observational samples do not depend on the assumption of a fiducial cosmological model
- We reconstruct both distance measurement samples with **GaPP** once more, so our analysis is **independent of any assumption on dark energy** a priori



z



z

Conclusions

- We perform **model-independent tests of the SCM** with SNe, BAO and cosmic clocks data. We find evidence for
 - cosmic acceleration (~5sigma at z<1.2)
 - FLRW assumption (~3sigma at 0.3<z<2.4),
 - null speed of light variability in 0<z<2, plus a ~5% measurement of c at z~1.60
- How can next-gen surveys like J-PAS, Euclid, SKA improve these figures?

Thank you! Obrigado!