

# New physics contributions to

$$\bar{B}_{(s)} \rightarrow D_{(s)}^{(*)} K / \pi$$

Syuhei Iguro



2016.4~2021.3



2021.4 ~ 2021.9



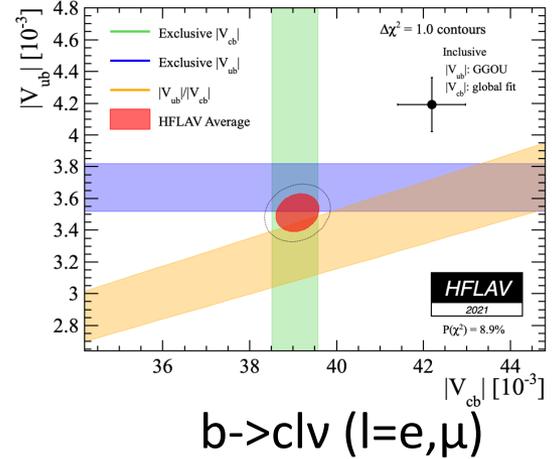
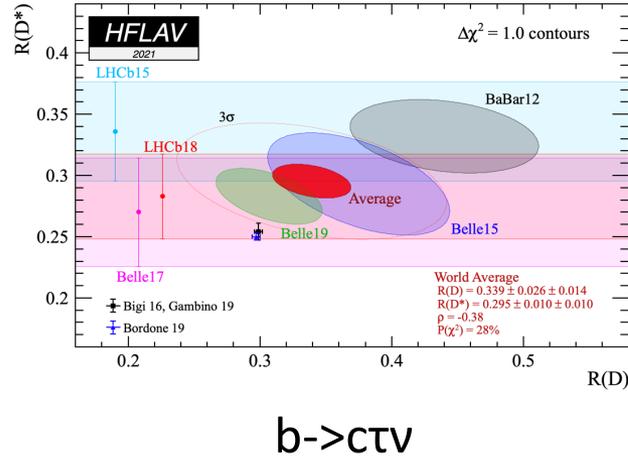
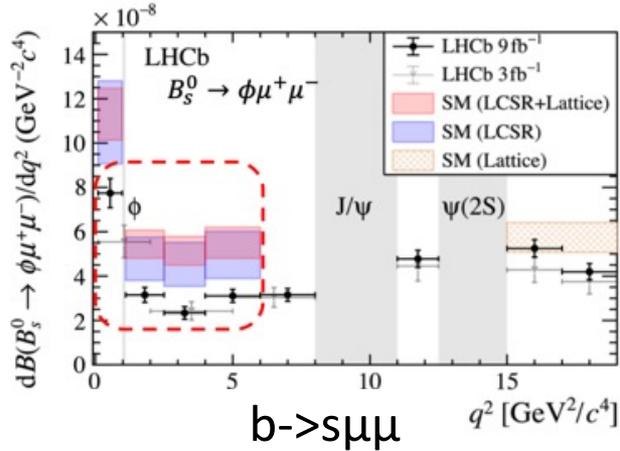
2021.10 ~

11th International Workshop on the CKM Unitarity Triangle 2021

arXiv:2008.01086 PRD *Rapid Communication* 102, 071701 (2020) with T. Kitahara

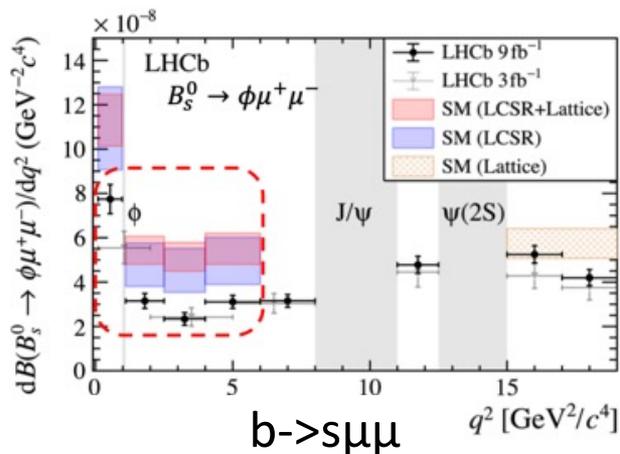
arXiv:2109.10811 with M. Endo and S. Mishima

# There are interesting anomalies in B physics

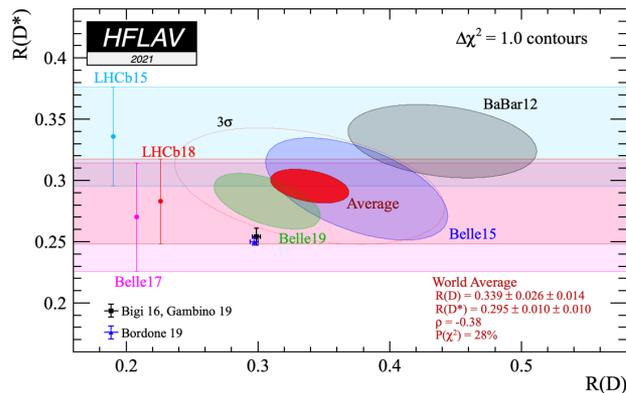


Semileptonic decay

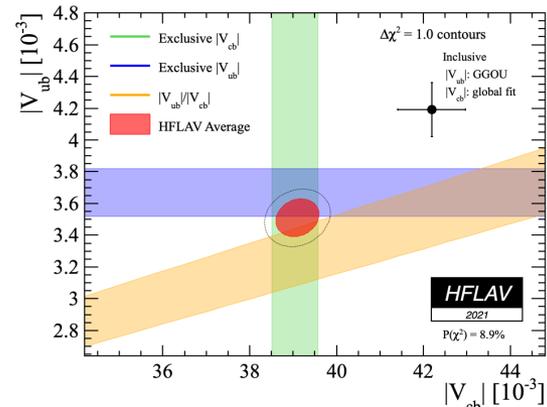
# There are interesting anomalies in B physics



See also 2110.09501



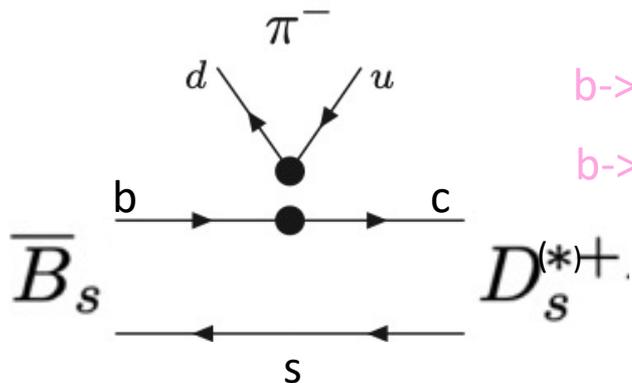
$b \rightarrow c \tau \nu$



$b \rightarrow c l \nu$  ( $l = e, \mu$ )

We also have coherent deviations in hadronic 2-body B meson decays

$b \rightarrow c u q$  ( $q = \text{both } d, s$ )



$b \rightarrow c u d$

$b \rightarrow c u s$

$b \rightarrow c u q$  puzzle

	$BR^{exp} \times 10^3$	$BR^{SM, QCDF} \times 10^3$	
$\bar{B}_s \rightarrow D_s^+ \pi^-$	$3.00 \pm 0.23$	$4.09 \pm 0.21$	<b><u>3.5<math>\sigma</math></u></b>
$\bar{B}^0 \rightarrow D^+ K^-$	$0.186 \pm 0.020$	$0.303 \pm 0.015$	<b><u>4.7<math>\sigma</math></u></b>
$\bar{B}_s \rightarrow D_s^{*+} \pi^-$	$2.0 \pm 0.5$	$4.46 \pm 0.22$	<b><u>4.5<math>\sigma</math></u></b>
$\bar{B}^0 \rightarrow D^{*+} K^-$	$0.212 \pm 0.015$	$0.327 \pm 0.016$	<b><u>5.3<math>\sigma</math></u></b>

PDG

2109.10811

Tree level W exchange

See also [Bordone et al 2007.10338](#), [Cai et al 2103.04138](#), [Fleischer et al 2109.04950](#) for SM predictions. [BaBar](#), [Belle](#), [LHCb](#) are consistent.

# Color allowed $B \rightarrow D^{(*)}M$ within the SM

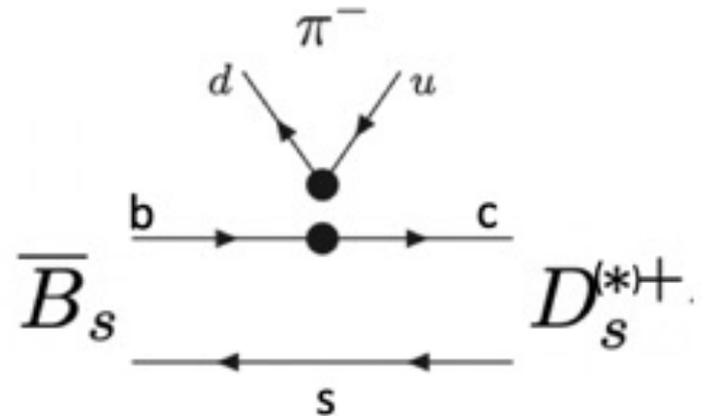
The decays are described by

$$\mathcal{H}_W = \frac{4G_F}{\sqrt{2}} \sum_{q=d,s} V_{cb}V_{uq}^* (C_1\mathcal{O}_1^q + C_2\mathcal{O}_2^q) + \text{h.c.},$$

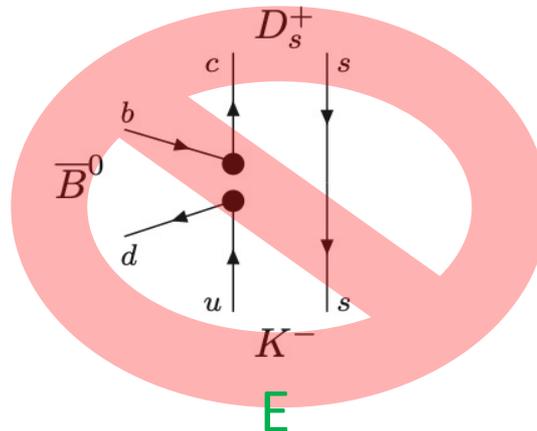
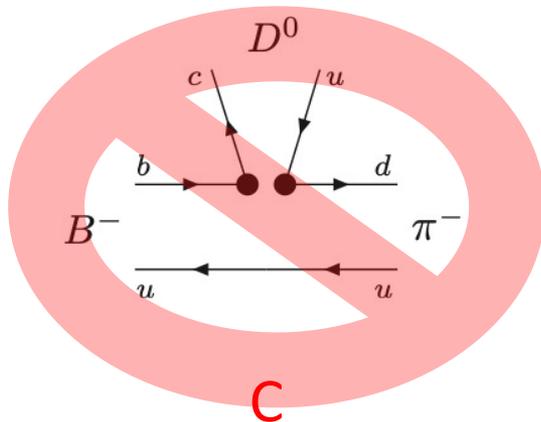
$$\mathcal{O}_1^q = (\bar{c}\gamma^\mu T^a P_L b)(\bar{q}\gamma_\mu T^a P_L u),$$

$$\mathcal{O}_2^q = (\bar{c}\gamma^\mu P_L b)(\bar{q}\gamma_\mu P_L u),$$

with  $C_1(m_b) \sim -0.3, C_2(m_b) \sim 1$

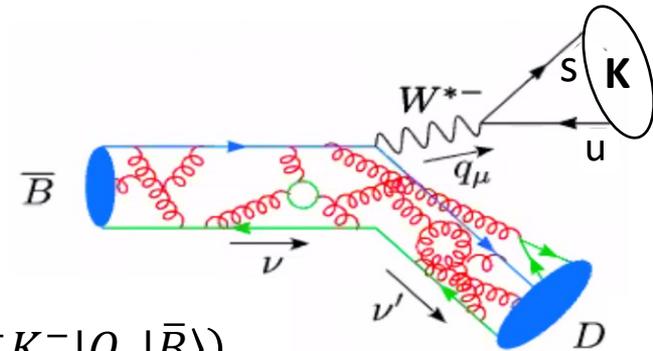


Penguin, Color- suppressed and Exchange diagrams does not contribute since the involving quarks are all different.



**Theoretically clean**

# Factorization amplitude



$$A(\bar{B} \rightarrow D^+ K^-) = \frac{G_F V_{us}^* V_{cb}}{\sqrt{2}} (C_1 \langle D^+ K^- | O_1 | \bar{B} \rangle + C_2 \langle D^+ K^- | O_2 | \bar{B} \rangle)$$

The non factorizable soft gluon exchange contribution between BD system and K is suppressed. [Bjorken \(89\)](#)

Soft collinear effective theory shows the contribution is absent at leading order

[Bauer et al. 0107002](#)

$$= \frac{i G_F V_{us}^* V_{cb}}{\sqrt{2}} (m_B^2 - m_D^2) a_1(D^+ K^-) f_K F_0^{B \rightarrow D}(m_K^2)$$

$a_1(D^+ K^-)$  is calculated in pQCD at NNLO. See also [Beneke et al 2107.03819](#) for QED correction

$$a_1(D^+ K^-) = (1.069_{-0.012}^{+0.009}) + (0.046_{-0.015}^{+0.023})i \quad \text{Huber et al, 1606.02888}$$

$V_{cb} \times F_0^{B \rightarrow D}(m_K^2)$ : LCSR, Belle data, QCDSR, Lattice [Iguro Watanabe 2004.10208](#).

Uncertainty in  $f_K$  and  $V_{us}$  is negligible

LCSR dominance at  $q^2 = m_K^2$

# Current situation

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	PDG	2109.10811	

Theoretical uncertainty mainly comes from  $V_{cb} \times FF$

10 - 30% smaller amplitude can explain the data.

# Missing piece?

- $V_{cb}$ ,  $B \rightarrow D, D^*$  form factor?

We use the result from [Iguo Watanabe 2004. 10208](#):  $V_{cb}^{exc} = 0.397(6), \dots$

Adopting  $V_{cb}^{inc} > V_{cb}^{exc}$  makes the situation worse!



- $O(\Lambda_{QCD}/m_b)$  sub-leading power corrections ?

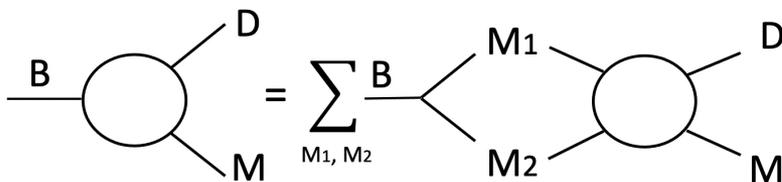
Expected to be small:  $O(0.1)\%$  [Bordone et al 2007.10338](#)

- $O(\Lambda_{QCD}/m_b)$  chirality enhanced contribution is absent
- correction to LCDA is  $O(\alpha_s \Lambda^2/m_b^2)$
- Contribution from soft gluon exchange between BD system and light meson is small

- *Other power suppressed correction to QCDF?*

In reality, bottom mass is finite.

**meson-meson** rescattering contribution is tested [Iguo, Endo Mishima 2109.10811](#)



**We found the rescattering does not solve the discrepancy**

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- ***New Physics?***

# NP possibilities?

In order to explain the discrepancy,  
O(10)% downward shift from the SM amplitude is necessary.

Interestingly such a large shift is still allowed by flavor observables.

[Lenz et al 1912.07621.](#)

We need a charged mediator (for instance  $W'$ , **not** LQ)

The naïve NP scale for this puzzle is estimated as

$$\left| \frac{C_2^{NP}(\Lambda_{NP})}{C_2^{SM}} \right| \sim 10\% = \frac{g_{11} \times g_{33}}{M_V^2} \frac{1}{4\sqrt{2}G_F} = \frac{g_{11} \times g_{33}}{1} \frac{(400\text{GeV})^2}{M_V^2}$$

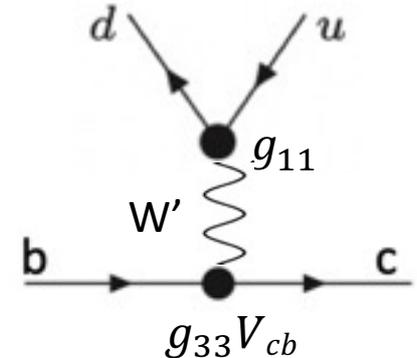
## Our model

We will focus on the  $SU(2)_1 \times SU(2)_2 \times U(1)_Y$  model

See also for other NP analyses, [Bordone et al 2103.10332](#), [Cai et al 2103.04138..](#)

The model contains heavy vector-like quarks and heavy  $SU(2)$  gauge multiplet.

After integrating out the heavy fermion,  
the following effective Lagrangian is generated **next page**



Our model has an additional  $SU(2)_L$   
 $\rightarrow W'$  and  $Z'$

$$\mathcal{L} = + \frac{g_{ij}}{2} Z'_\mu \bar{d}_L^i \gamma^\mu d_L^j - \frac{(VgV^\dagger)_{ij}}{2} Z'_\mu \bar{u}_L^i \gamma^\mu u_L^j$$

$$- \frac{(Vg)_{ij}}{\sqrt{2}} W'_\mu \bar{u}_L^i \gamma^\mu d_L^j + \text{H.c.},$$

**Model**

Free parameters  
 $\rightarrow g_{ij}, m_{W'}$

$$\mathcal{L} = - \frac{4G_F}{\sqrt{2}} \sum_q V_{cb} V_{uq}^* \sum_{i=1,2} C_i^q(\mu) \mathcal{Q}_i^q(\mu)$$

$$\mathcal{Q}_1^q = (\bar{c}_L \gamma^\mu T^a b_L)(\bar{q}_L \gamma_\mu T^a u_L),$$

$$\mathcal{Q}_2^q = (\bar{c}_L \gamma^\mu b_L)(\bar{q}_L \gamma_\mu u_L),$$

**We want to change  $C_2$  by 20%**

M. Bordone, et al 2007.10338

$\rightarrow$  O(10) % of tree level W contribution!

**Contribution**

$$C_2^{q,W'}(M_V) = \frac{1}{4\sqrt{2}G_F M_V^2} \frac{(Vg)_{23}(Vg)_{1q}^*}{V_{cb} V_{uq}^*} \quad \text{v:CKM}$$

Phenomenological assumption

$$(Vg)_{1q}^* \sim V_{ud} g_{11} \quad \text{for } q=d$$

$$\sim V_{us} g_{11} \quad \text{for } q=s$$

$$(Vg)_{23} \sim V_{cs} g_{23} + V_{ts} g_{33}$$

$$g_{ij} = \begin{pmatrix} g_{11} & 0 & 0 \\ 0 & g_{11} & g_{23} \\ 0 & g_{23} & g_{33} \end{pmatrix}$$

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**Model**

Free parameters  
 $\rightarrow g_{ij}, m_{W'}$

$\mathcal{L} = -$

Scenario 1:  $g_{11} \times g_{33} \neq 0, g_{23} = 0$   
 Scenario 2:  $g_{11} \times g_{23} \neq 0, g_{33} = 0$   
 Scenario 3:  $g_{11} \times g_{33} \times g_{23} \neq 0$

$(\bar{q}_L \gamma_\mu T^a u_L),$   
 $(\bar{q}_L \gamma_\mu u_L),$   
**ge  $C_2$  by 20%**  
 / contribution!

**Contribution**

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$$g_{ij} = \begin{pmatrix} g_{11} & 0 & 0 \\ 0 & g_{11} & g_{23} \\ 0 & g_{23} & g_{33} \end{pmatrix}$$

$$(Vg)_{1q} \sim V_{ud}g_{11} \text{ for } q=d \\ \sim V_{us}g_{11} \text{ for } q=s$$

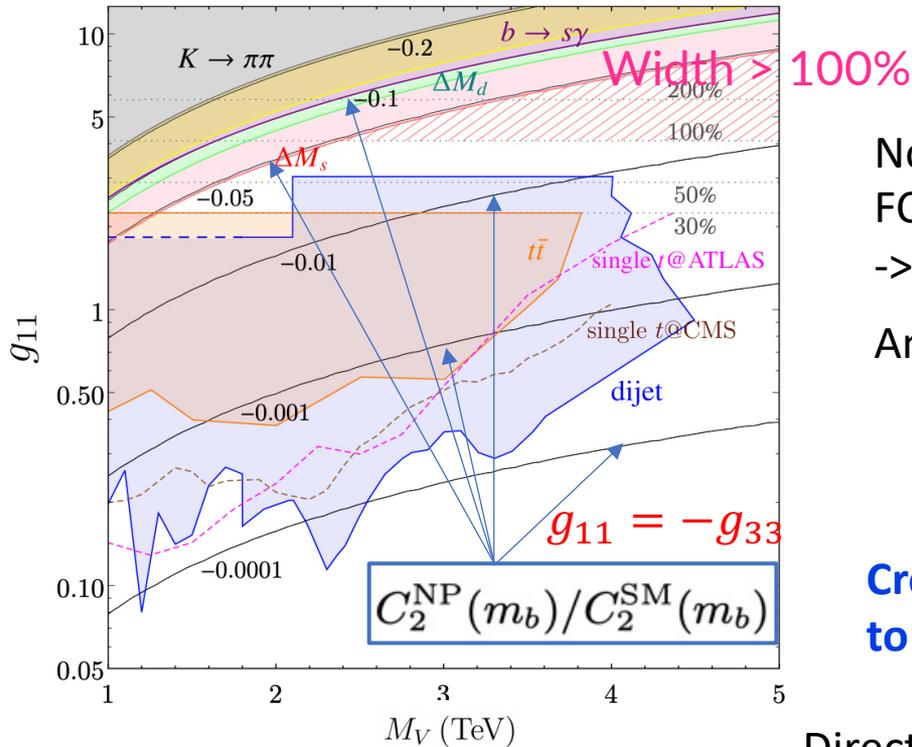
$$(Vg)_{23} \sim V_{cs}g_{23} + V_{ts}g_{33}$$

$g_{11} = g_{22}$  : U2 symmetry  $\rightarrow$  GIM

# Scenario 1: $g_{11} \times g_{33} \neq 0, g_{23} = 0$

$$\frac{C_2^{NP}(\Lambda_{NP})}{C_2^{SM}} \sim \frac{g_{11} \times g_{33}}{4\sqrt{2}G_F M_V^2}$$

$g_{11} \times g_{33} < 0$



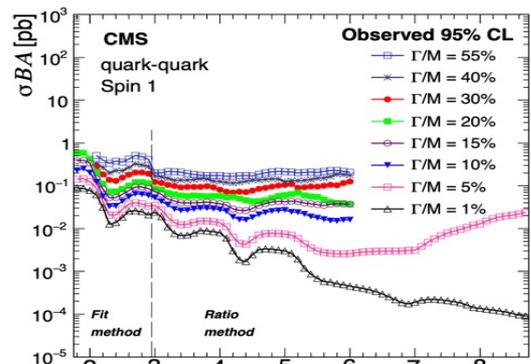
Flavor constraint

No tree level FCNC in this scenario.  
 FCNC appears at 1-loop level mediated by  $W'$   
 $\rightarrow$  constraint from  $\Delta M_d, \Delta M_s, b \rightarrow s\gamma \propto g_{11} \times g_{33}$   
 Another one is obtained from  $K \rightarrow \pi\pi \propto |g_{11}|^2$

Collider constraint

Cross section at LHC is large since  $W'$  and  $Z'$  talk to valence quark

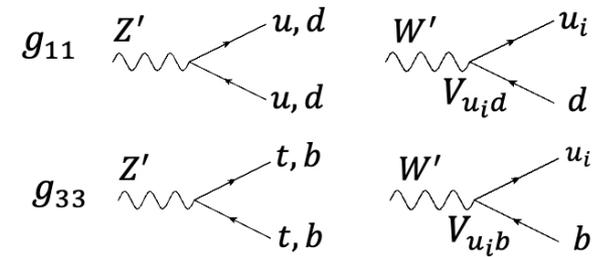
Direct searches  $t\bar{t}$ , dijet, single top for  $W', Z'$  are severe



Width dependent limit!

$$\frac{\Gamma_V}{M_V} = \frac{2|g_{11}|^2 + |g_{33}|^2}{16\pi}$$

Also, single top search assume NWA



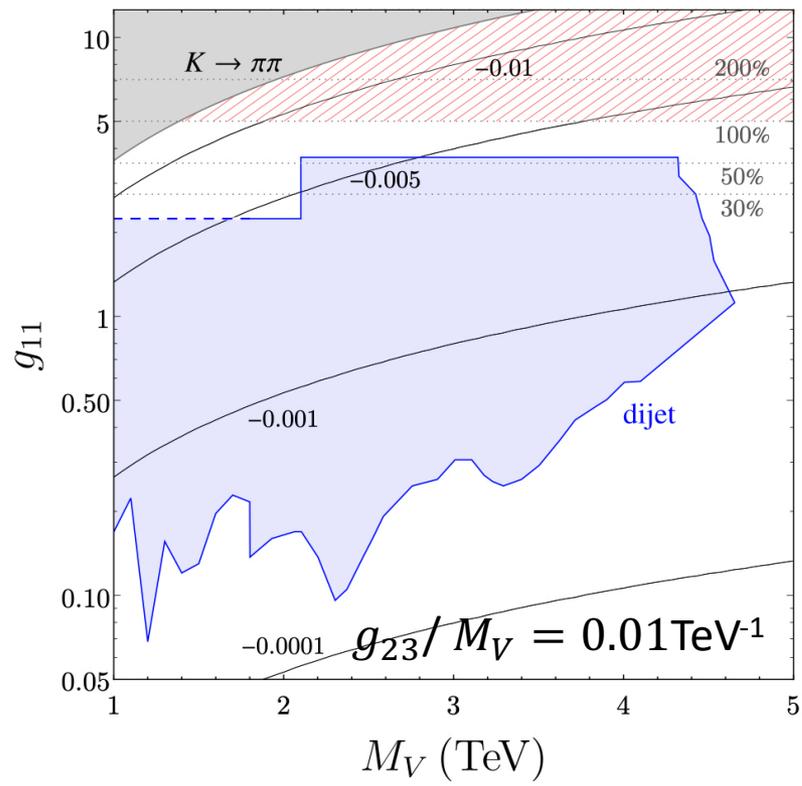
If we evade the collider constraint  $C_2^{NP}/C_2^{SM} \sim -0.05$  is possible

# Scenario 2: $g_{11} \times g_{23} \neq 0, g_{33} = 0$

$$\frac{C_2^{NP}(\Lambda_{NP})}{C_2^{SM}} \sim \frac{g_{11} \times g_{23}}{4\sqrt{2}G_F M_V^2 V_{cb}}$$

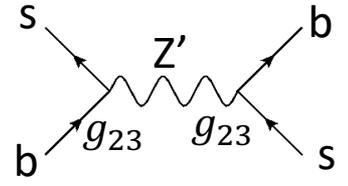
$$g_{ij} = \begin{pmatrix} g_{11} & 0 & 0 \\ 0 & g_{11} & g_{23} \\ 0 & g_{23} & g_{33} \end{pmatrix}$$

Enhancement by  $\frac{1}{V_{cb}} \sim 25$



Flavor constraint

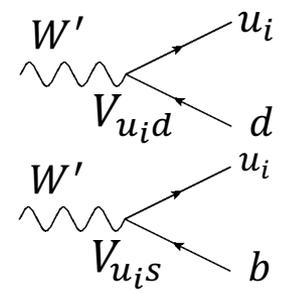
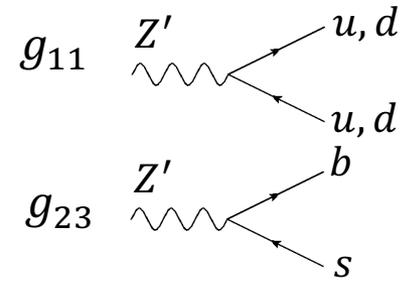
Tree level FCNC in  $Z' \rightarrow \Delta M_S$ :  
 $|g_{23}| / M_V \leq 0.01 \text{ TeV}^{-1}$



$$g_{23} \ll g_{11}$$

Collider constraint

$Z', W'$  decay into 2 jets  $\rightarrow$  dijet constraint!

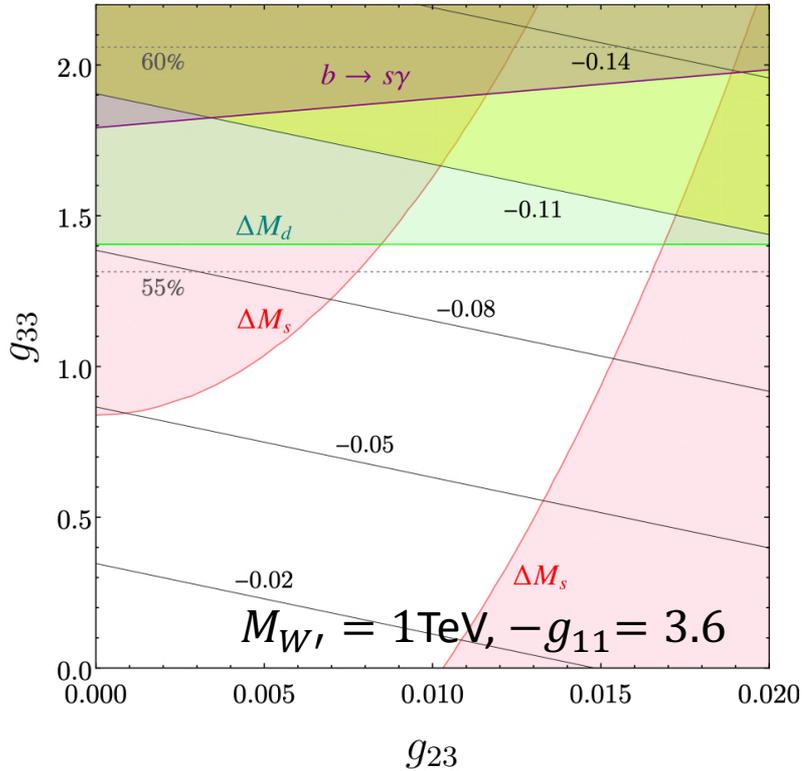


Again, width dependence of the constraint is important!

If we evade the collider constraint  $C_2^{NP} / C_2^{SM} \sim -0.01$  is possible

# Scenario 3: $g_{11} \times g_{23} \times g_{33} \neq 0$

$$\frac{C_2^{NP}(\Lambda_{NP})}{C_2^{SM}} \sim \frac{g_{11} \times g_{33}}{4\sqrt{2}G_F M_V^2} + \frac{g_{11} \times g_{23}}{4\sqrt{2}G_F M_V^2 V_{cb}}$$



If collider constraint can be avoided with the broad width, how much we can explain?

$$g_{11} \times g_{23} < 0, \quad g_{11} \times g_{33} < 0$$

$$K \rightarrow \pi\pi : |g_{11}| / M_V \leq 3.6 \text{ TeV}^{-1}$$

Contribution to  $\Delta M_S$  can be cancelled

$$\Delta M_S^{W'} < 0, \quad \Delta M_S^{Z'} > 0$$

W-W' box

Z' tree level

Then constraint from  $\Delta M_d$  is important!

If collider constraint can be avoided with the broad width

$C_2^{NP} / C_2^{SM} \sim -0.1$  is possible by canceling the dangerous  $\Delta M_S$  contribution.

**The mode dedicated collider analysis is very important**

# Conclusion

$W'$  from an additional  $SU(2)_L$  can partially cancel the large SM color allowed amplitude

$$C_2^{NP} / C_2^{SM} \sim -0.1$$

as long as the collider constraint is evaded.

The more dedicated collider analysis for low-dijet mass and the broad width regime is important to exclude such  $W'$ .