

# Top-quark EW coupling after LHC Run 2

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# Introduction

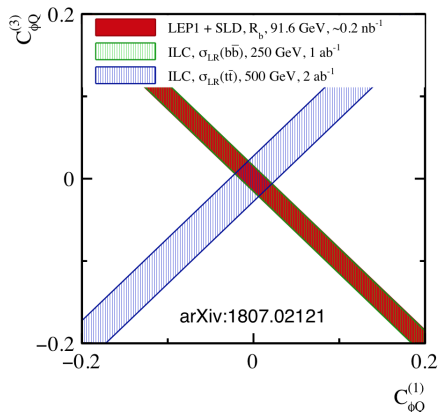
## What do we want to do in this work?

- Present results of a global fit to top EW couplings
- Use current available data (ATLAS, CMS, LEP)
- Consider dimension-six operators
- Include QCD corrections at NLO
- Study the impact of differential  $t\bar{t}Z$  and  $t\bar{t}\gamma$  measurements

→ fits performed with HEPfit [1910.14012]

# Theoretical framework

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda^2} \sum_i C_i O_i + \mathcal{O}(\Lambda^{-4}).$$



Complementarity between  $b\bar{b}$  (LEP) and  $t\bar{t}$  (future  $e^+e^-$  collider)

$$\delta g_L^t = - (C_{\phi Q}^1 - C_{\phi Q}^3) m_t^2 / \Lambda^2$$

$$\delta g_L^b = - (C_{\phi Q}^1 + C_{\phi Q}^3) m_t^2 / \Lambda^2$$

## Theoretical framework

Left and right couplings of the top/bottom to the  $Z$

$$O_{\varphi Q}^3 \equiv \frac{1}{2} (\bar{q} \tau^I \gamma^\mu q) \left( \varphi^\dagger i \overleftrightarrow{D}_\mu^I \varphi \right)$$

$$O_{\varphi Q}^1 \equiv \frac{1}{2} (\bar{q} \gamma^\mu q) \left( \varphi^\dagger i \overleftrightarrow{D}_\mu \varphi \right)$$

$$O_{\varphi u} \equiv \frac{1}{2} (\bar{u} \gamma^\mu u) \left( \varphi^\dagger i \overleftrightarrow{D}_\mu \varphi \right)$$

$$O_{\varphi d} \equiv \frac{1}{2} (\bar{d} \gamma^\mu d) \left( \varphi^\dagger i \overleftrightarrow{D}_\mu \varphi \right)$$

EW dipole operators

$$O_{uW} \equiv (\bar{q} \tau^I \sigma^{\mu\nu} u) (\epsilon \varphi^* W_{\mu\nu}^I)$$

$$O_{dW} \equiv (\bar{q} \tau^I \sigma^{\mu\nu} d) (\varphi W_{\mu\nu}^I)$$

$$O_{uB} \equiv (\bar{q} \sigma^{\mu\nu} u) (\epsilon \varphi^* B_{\mu\nu})$$

$$O_{dB} \equiv (\bar{q} \sigma^{\mu\nu} d) (\varphi B_{\mu\nu})$$

Top/Bottom yukawa

$$O_{u\varphi} \equiv (\bar{q} u) (\epsilon \varphi^* \varphi^\dagger \varphi)$$

$$O_{d\varphi} \equiv (\bar{q} d) (\varphi \varphi^\dagger \varphi)$$

Charged current interaction

$$O_{\varphi ud} \equiv \frac{1}{2} (\bar{u} \gamma^\mu d) (\varphi^T \epsilon i D_\mu \varphi)$$

## Theoretical framework

- $\Lambda^{-4}$  from  $D6 \times D6$  included but  $D8$  omitted (be carefull!)
- Imaginary parts omitted
- Four-fermions operators ignored
- Following LHC Working group [[arXiv:1802.07237](#)]:

## Theoretical framework

- $\Lambda^{-4}$  from D6  $\times$  D6 included but D8 omitted (be carefull!)

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda^2} \sum_i C_i O_i + \mathcal{O}(\Lambda^{-4})$$

$$\sigma = \sigma_{\text{SM}} + \underbrace{\frac{1}{\Lambda^2} \sum C_i O_i}_{\text{SM} \times \text{D6}} + \underbrace{\left( \frac{1}{\Lambda^2} \sum C_i O_i \right) \left( \frac{1}{\Lambda^2} \sum C_i O_i \right)}_{\text{D6} \times \text{D6}} + \underbrace{O(1/\Lambda^4)}_{\text{SM} \times \text{D8}}$$

## Theoretical framework

- $\Lambda^{-4}$  from  $D6 \times D6$  included but  $D8$  omitted (be carefull!)
- Imaginary parts omitted
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- Following LHC Working group [[arXiv:1802.07237](#)]:

$$O_{\varphi Q}^1 \rightarrow O_{\varphi Q}^- = O_{\varphi Q}^1 - O_{\varphi Q}^3;$$

$$O_{xB} \rightarrow O_{xZ} = -\sin \theta_W O_{xB} + \cos \theta_W O_{xW}, \quad x = u, d$$

## Observables of the fit

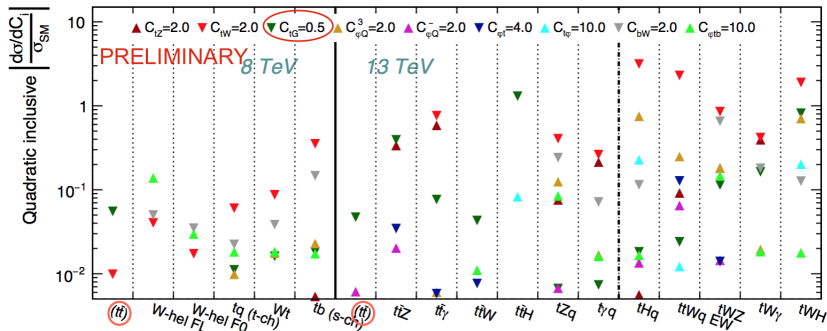
Process	Observable	$\sqrt{s}$	Experiment
$pp \rightarrow t\bar{t}H$ NLO	cross section	13 TeV	ATLAS
$pp \rightarrow t\bar{t}W$ NLO	cross section	13 TeV	CMS
$pp \rightarrow t\bar{t}Z$ NLO	(differential) x-sec.	13 TeV	ATLAS
$pp \rightarrow t\bar{t}\gamma$ NLO	(differential) x-sec.	13 TeV	ATLAS
$pp \rightarrow tZq$ NLO	cross section	13 TeV	CMS
$pp \rightarrow t\gamma q$ NLO	cross section	13 TeV	CMS
$pp \rightarrow tb$ (s-ch) NLO	cross section	8 TeV	ATLAS+CMS
$pp \rightarrow tW$ LO	cross section	8 TeV	ATLAS+CMS
$pp \rightarrow tq$ (t-ch) NLO	cross section	8 TeV	ATLAS+CMS
$t \rightarrow W^+ b$ LO	$F_0, F_L$	8 TeV	ATLAS+CMS
$e^-e^+ \rightarrow b\bar{b}$ LO	$R_b, A_{FBLR}^{bb}$	$\sim 91$ GeV	LEP



## Observables of the fit

- Dependence of the observables calculated at NLO in QCD with the Monte Carlo generator MG5\_aMC@NLO [ [JHEP 07 \(2014\) 079](#) ]
- SMEFT@NLO used [ [arXiv:2008.11743](#) ] except for  $C_{bW}$ ,  $C_{\varphi tb}$ ,  $C_{bZ}$  and  $C_{\varphi b}$  calculated with TEFT\_EW UFO [ [JHEP 05 \(2016\) 052](#) ]
- Fits performed as a Bayesian statistical analysis of the model using HEPfit

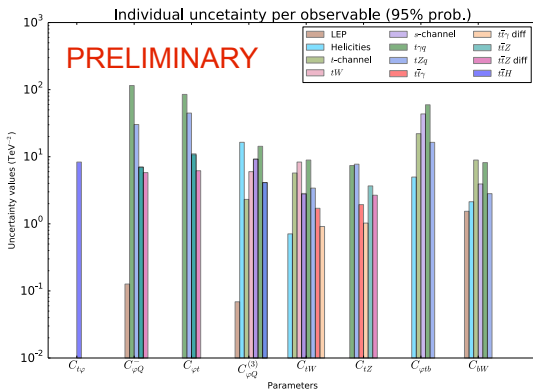
## Observables of the fit - Sensitivity



not included in the fits

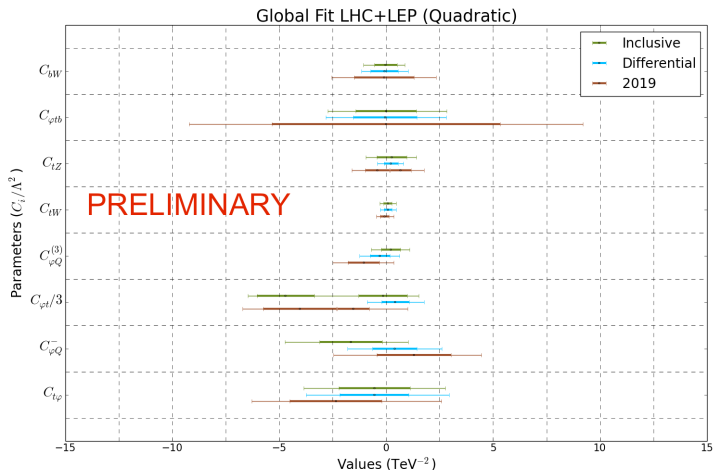
## Results - LHC and LEP/SLC data

95% probability for each Wilson coefficient



- Good interplay between the parameters and chosen observables
- LHC: good observables for a LHC EW top fit

## Results - LHC and LEP/SLC data

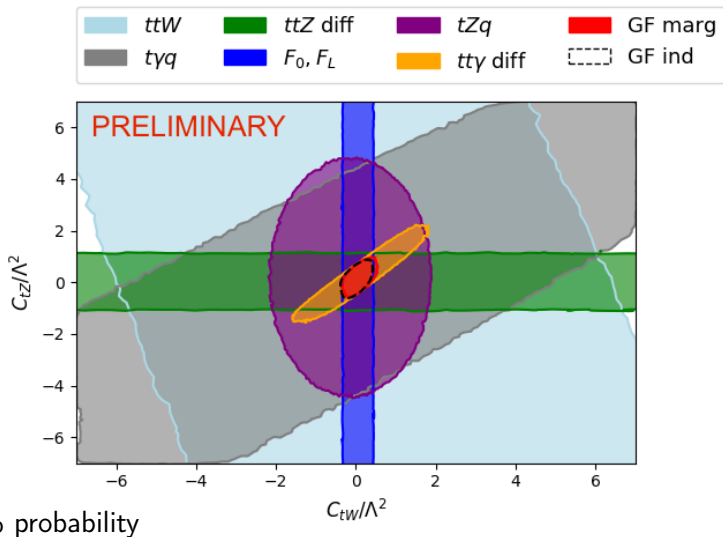


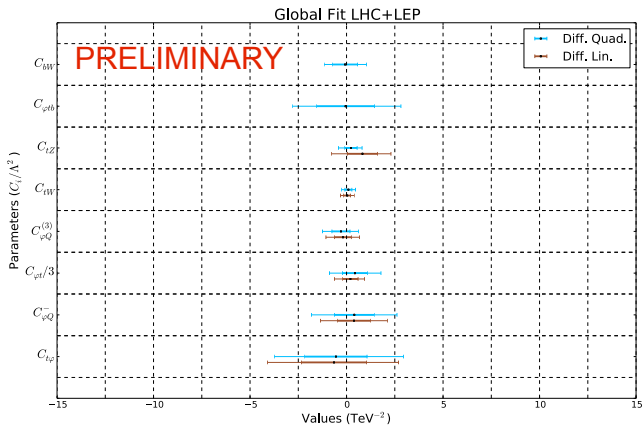
2019 fit: [[JHEP12\(2019\)098](#)]

wide (narrow) bar: 68% (95%) probability

- Improvement of several Wilson coefficients ( $C_{bW}$ ,  $C_{tZ}$ ,  $C_{\varphi t}$ ...)

## Results - Complementarity between observables



Results -  $\Lambda^{-4}$  impact [2020]

wide (narrow) bar: 68% (95%) probability

## Conclusions

- All results compatible with  $C_i = 0$  at 68% probability
- Important improvement for  $C_{tZ}$ ,  $C_{\varphi t}$  from  $t\bar{t}Z$  and  $t\bar{t}\gamma$  differential
- LEP measurements provide tight bounds on several operators  
→ left-handed coupling  $C_{\varphi Q}^-$  improved by a factor of two
- Most stringent bound on top EW couplings from an EFT including all relevant 2-fermions degrees of freedom [JHEP 04 \(2019\) 100](#), [JHEP 02 \(2020\) 131](#), [CMS-PAS-TOP-19-001](#)

Thank you!



## Bayesian framework

Bayes theorem (model parameters  $\mathbf{x}$ , data  $D$ ):

$$P(\mathbf{x}|D) = \frac{P(D|\mathbf{x})P_0(\mathbf{x})}{\int P(D|\mathbf{x})P_0(\mathbf{x})d\mathbf{x}}$$

$P_0(\mathbf{x}) \rightarrow$  prior distribution of the parameters. Prior knowledge of the parameters (can come from experiments or theory)

$\int P(D|\mathbf{x})P_0(\mathbf{x})d\mathbf{x} \rightarrow$  normalization or evidence

$P(D|\mathbf{x}) \rightarrow$  likelihood

Marginalized distributions (1D)

$$P(x_i|D) = \int P(\mathbf{x}|D) \prod_{j \neq i} dx_j$$

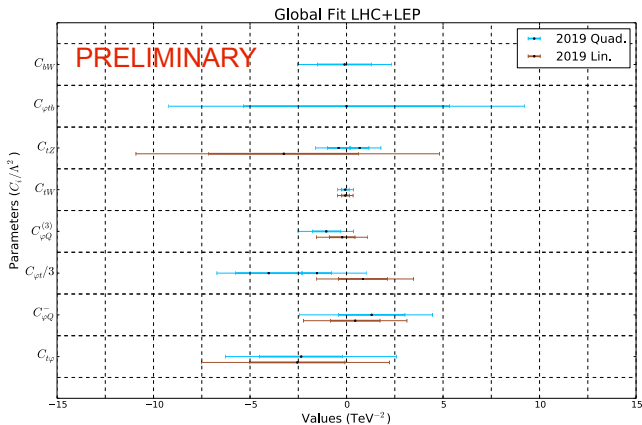
# Markov Chain Monte Carlo

- Posterior distribution difficult to calculate when there is a proliferation in model parameters
- Using naive Monte Carlo sampling algorithm can lead to unacceptable execution
- MCMC in BAT
  1. Start at a random point in the parameter space  $\mathbf{x}$
  2. Generate a proposal point  $\mathbf{y}$  according to a symmetric probability distribution  $g(\mathbf{x}, \mathbf{y})$
  3. Compare the value of the function  $f$  at proposal point  $\mathbf{y}$  with the value at the current point  $\mathbf{x}$ . The proposal point is accepted if:
    - $f(\mathbf{y}) \geq f(\mathbf{x})$
    - otherwise, generate a random number  $r$  from a uniform distribution in the range  $[0, 1]$  and accept the proposal if  $f(\mathbf{y})/f(\mathbf{x}) > r$ . If neither conditions are satisfied the proposal is rejected.
  4. Continue from step 1

# MPI implementation

Physics Problem	Hardware	Run Configuration	Time
Unitarity Triangle Fit	3 nodes, 120 CPUs	120 chains, 1.4M iterations	00:02:10
	1 nodes, 40 CPUs	40 chains, 600K iterations	00:00:21
$b \rightarrow s$ decays in SMEFT <sup>†</sup> [?]	6 nodes, 240 CPUs	240 chains, 12.5K iterations	02:05:00
	6 nodes, 240 CPUs	240 chains, 39K iterations	05:20:00
combination of Higgs signal strengths and EWPO[?]	1 node, 16 CPUs	16 chains, 5M iterations	00:14:15
	1 node, 16 CPUs	16 chains, 24M iterations	02:08:00
$D \rightarrow PP$ decays and CP asymmetry[?]	3 nodes, 240 CPUs	240 chains, 4M iterations	00:18:30
	1 node, 8 CPUs	8 chains, 200K iterations	00:00:10

**Table:** Some representative runs with HEPfit to show the advantages of the MPI implementation. Times are given in DD:HH:MM. The number of iterations refer to the sum total of pre-run and main-run iterations. The number of chains are equal to the number of CPUs by choice. <sup>†</sup>The  $b \rightarrow s$  analysis is done with factorized priors, hence the number of iterations should be multiplied by the number of parameters ( $\sim 50$ ) to get a comparative estimate with the other cases. All runs performed in the BIRD or Maxwell clusters at DESY, Hamburg.

Results -  $\Lambda^{-4}$  impact [2019]

wide (narrow) bar: 68% (95%) probability

# Observables in the fit

## 2019 fit

- $pp \rightarrow t\bar{t}Z$  inclusive
- $pp \rightarrow t\bar{t}\gamma$  inclusive
- $pp \rightarrow t\bar{t}H$
- $pp \rightarrow t\bar{t}W$
- $pp \rightarrow tq$  (t-channel)
- $pp \rightarrow tW$
- $pp \rightarrow tZq$
- $F_0, F_L$
- $R_b, A_{FBLR}^{bb}$

## 2020 fit

- $pp \rightarrow t\bar{t}Z$  differential
- $pp \rightarrow t\bar{t}\gamma$  differential
- $pp \rightarrow t\bar{t}H$
- $pp \rightarrow t\bar{t}W$
- $pp \rightarrow tq$  (t-channel)
- $pp \rightarrow tW$
- $pp \rightarrow tZq$
- $F_0, F_L$
- $R_b, A_{FBLR}^{bb}$
- $pp \rightarrow t\gamma q$
- $pp \rightarrow tb$  (s-channel)

## Suppression of linear terms

- $\sigma^{\mu\nu} q_\nu$  **structure**: resent in associated production  $pp \rightarrow ttX$  with top-quark dipole operators involves the momentum of a photon or a Z boson that tends to be soft and therefore is suppressed [JHEP 05 (2016) 052]
- **Operators suppressed by the bottom mass**: The operators  $O_{bW}, O_{\varphi tb}$  induce a  $tbW$  vertex involving a right-handed bottom quark. In the  $m_b = 0$  approximation adopted here, the dependence on the  $\Lambda^{-2}$  terms vanishes. ( $O_{bB}$  chirality flipping)