

Motivation

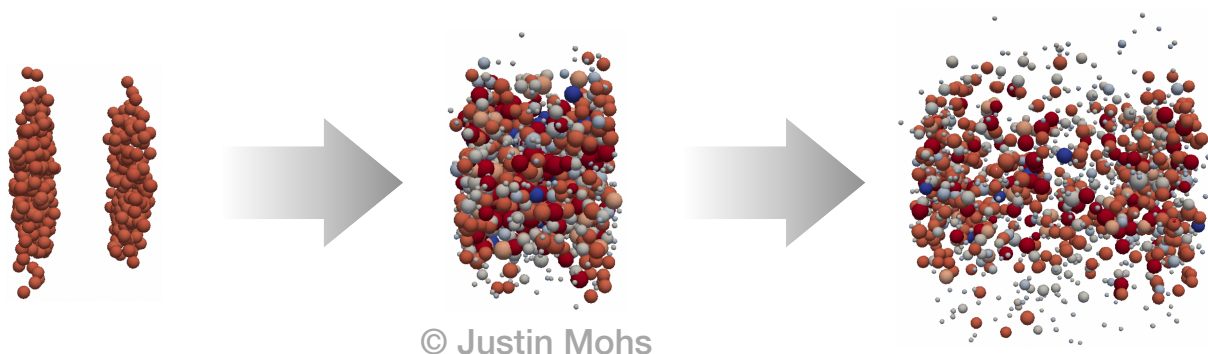
- Large orbital angular momentum $L \sim \mathcal{O}(10^6 \hbar)$ in non-central HICs create global polarization of Λ hyperons at mid-rapidity
- Angular momentum of the fireball directly related to vorticity (spin-orbit coupling) as fundamental property of the QGP
- Dynamical description of L within a transport approach yields predictions where the biggest transfer of OAM to the QGP is expected

Our Approach

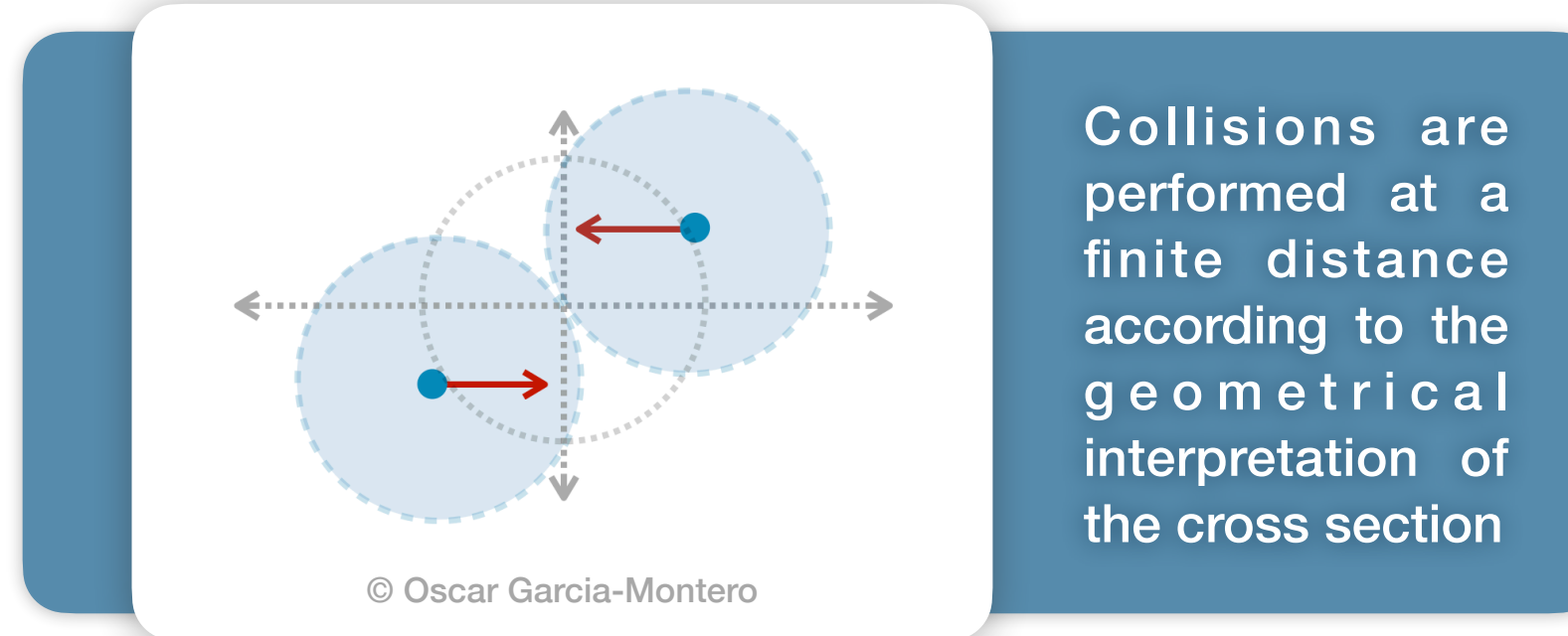


- Hadronic transport approach for a dynamical non-equilibrium description of HICs at low beam energies
- Including all hadrons up to $m \sim 2.35 \text{ GeV}$
- Effective solution of the relativistic Boltzmann equation

$$p^\mu \partial_\mu f_i(x, p) + m_i F^\alpha \partial_\alpha^p f_i(x, p) = C_{coll}^i$$



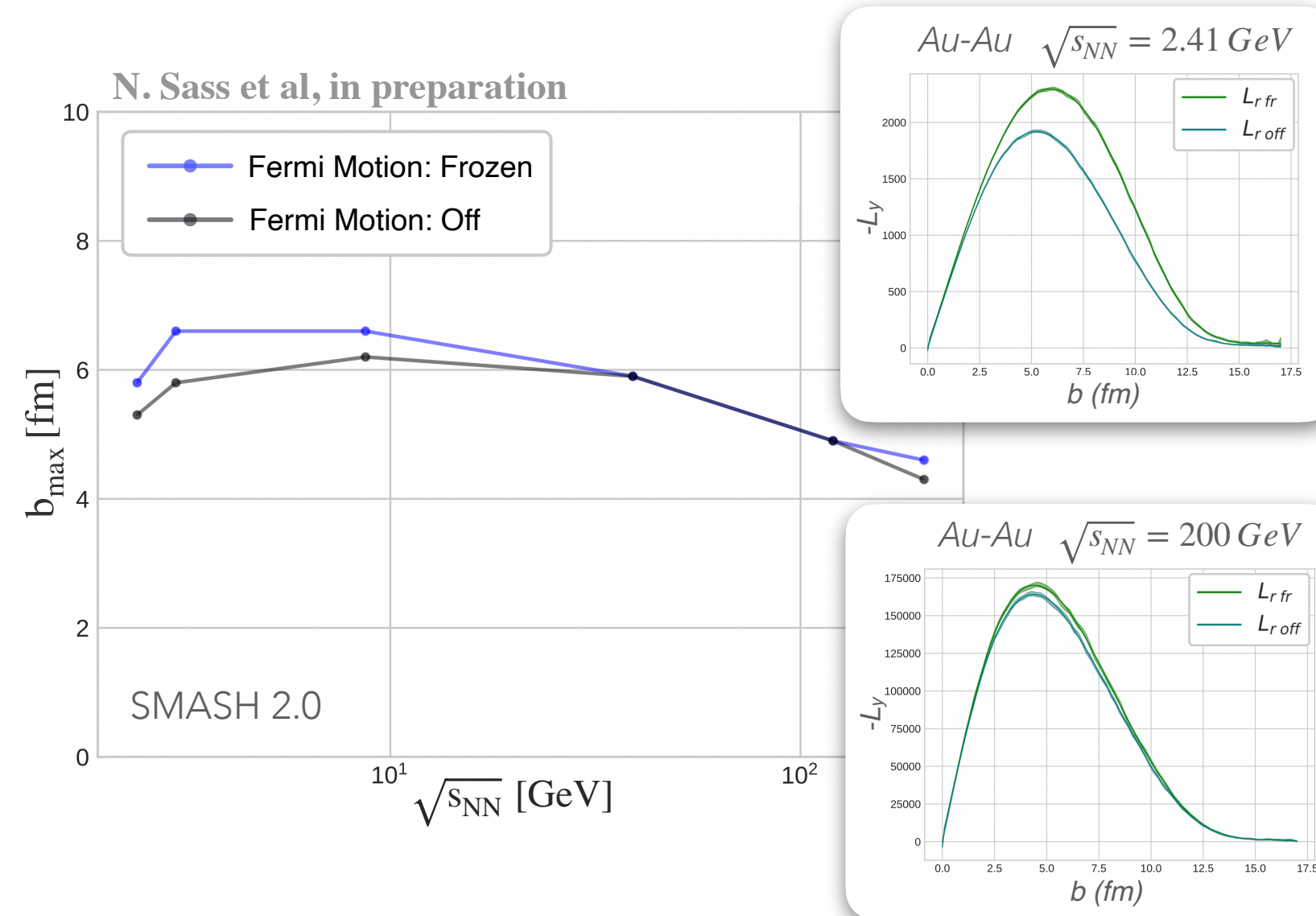
Collisions



Collisions are performed at a finite distance according to the geometrical interpretation of the cross section

Maximal L Transfer

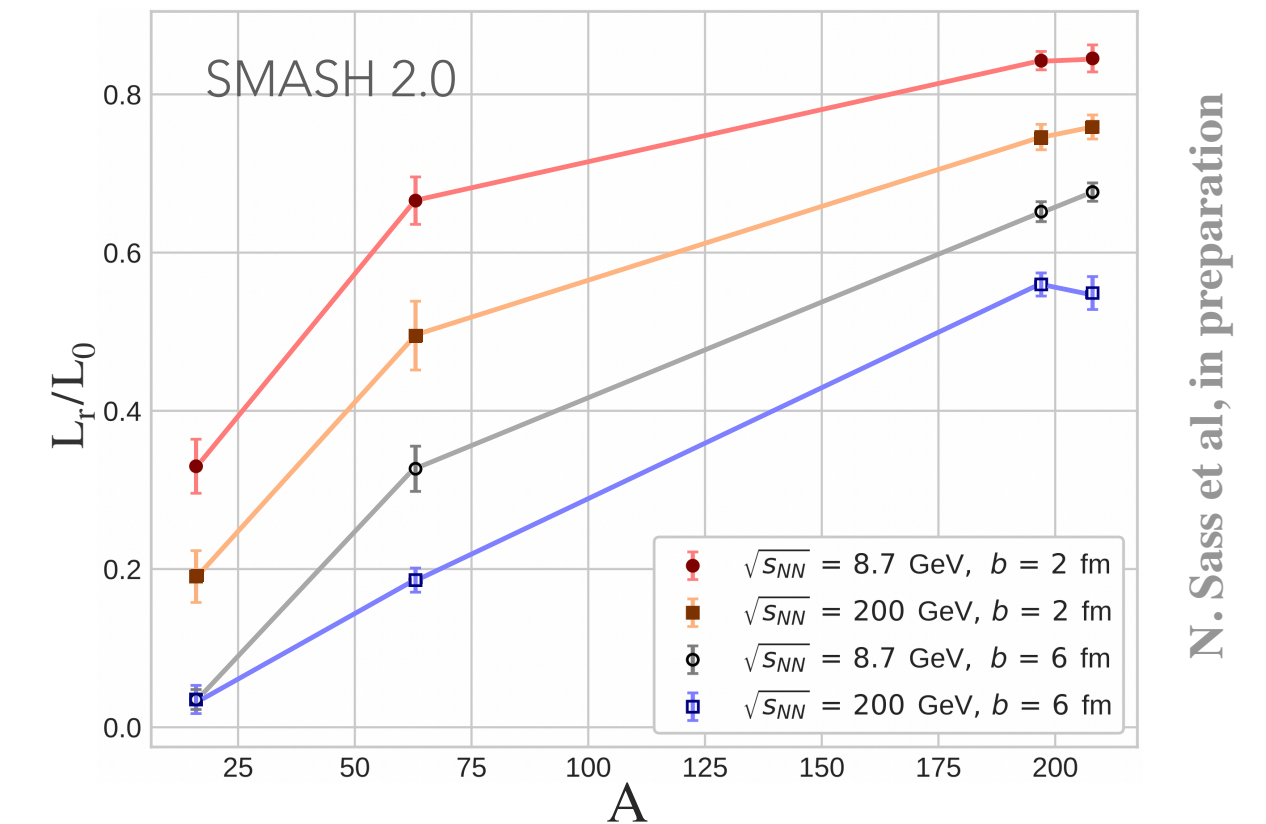
- **Energy dependence** of impact parameter b_{\max} for which the remaining angular momentum L_r becomes maximal



- **Fermi motion** induces additional L into the system

System Size

- **System size dependence** of the ratio of the fireball's angular momentum over the initial angular momentum L_r / L_0



- More angular momentum is deposited at mid-rapidity in more central collisions and at lower beam energies

Conclusion

- We find a maximum L_r impact parameter b_{\max} which is nearly energy independent for a broad energy range, $b_{\max} \in [4.5 \text{ fm}, 6.6 \text{ fm}]$
- We observe a higher transfer of initial angular momentum to the fireball at lower beam energies and in more central collisions.
- Future: Implementation of **spin** DoF to describe polarization in nuclear collisions

General Setup

- Geometric collision criterion

$$d_{trans} < d_{int} = \sqrt{\frac{\sigma_{tot}}{\pi}} \quad d_{trans}^2 = (\vec{r}_a - \vec{r}_b)^2 - \frac{((\vec{r}_a - \vec{r}_b) \cdot (\vec{p}_a - \vec{p}_b))^2}{(\vec{p}_a - \vec{p}_b)^2}$$

- Test particle method: $\sigma \rightarrow \sigma \cdot N_{test}^{-1}$, $N \rightarrow N \cdot N_{test}$

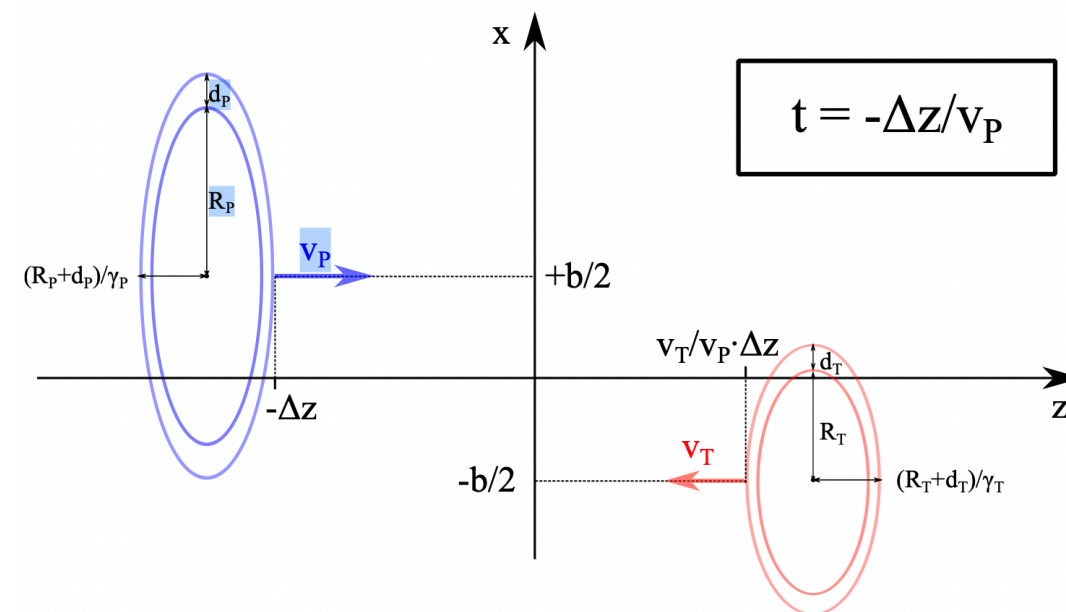
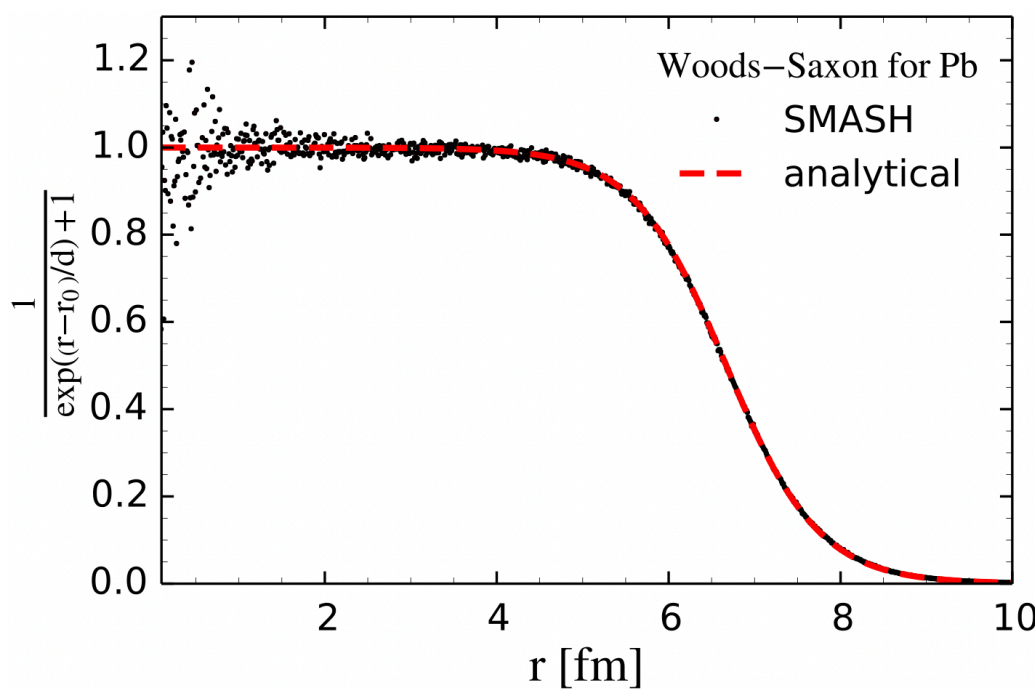
Initial Conditions

- Sampling of the initial nuclei in coordinate space according to the Woods-Saxon distribution

$$\frac{dN}{d^3r} = \frac{\rho_0}{\exp\left(\frac{r-r_0}{d} + 1\right)}$$

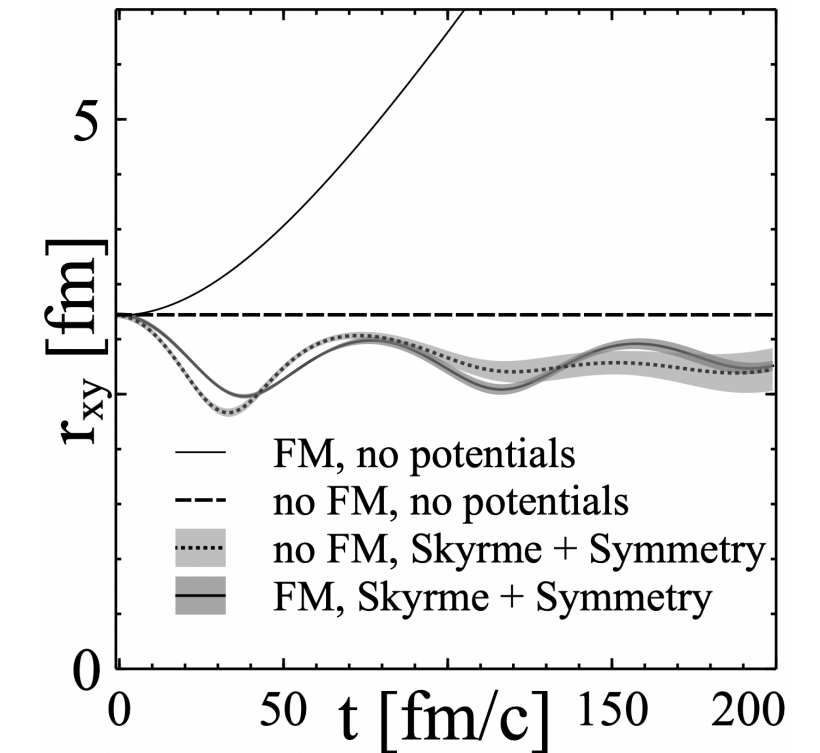
d : diffusiveness of the nucleus
 ρ_0 : nuclear ground state density
 $d \rightarrow 0$: Hard sphere limit

J. Weil *et al.*, Phys.Rev.C 94 (2016) 5, 054905



Fermi Motion

- Nuclei get additional momenta
- Nuclei are „stable“ if additional potentials are turned on
- “Frozen“ Fermi motion only considered for collision and turned off for propagation



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Resonances

- Particles with widths < 10 keV treated as stable
- Unstable particles assigned a relativistic Breit-Wigner spectral function

$$\mathcal{A}(m) = \frac{2\mathcal{N}}{\pi} \frac{m^2 \Gamma(m)}{(m^2 - M_0^2)^2 + m^2 \Gamma(m)^2}$$

m : resonance mass
 M_0 : pole mass
 $\Gamma(m)$: width function
 \mathcal{N} : normalization

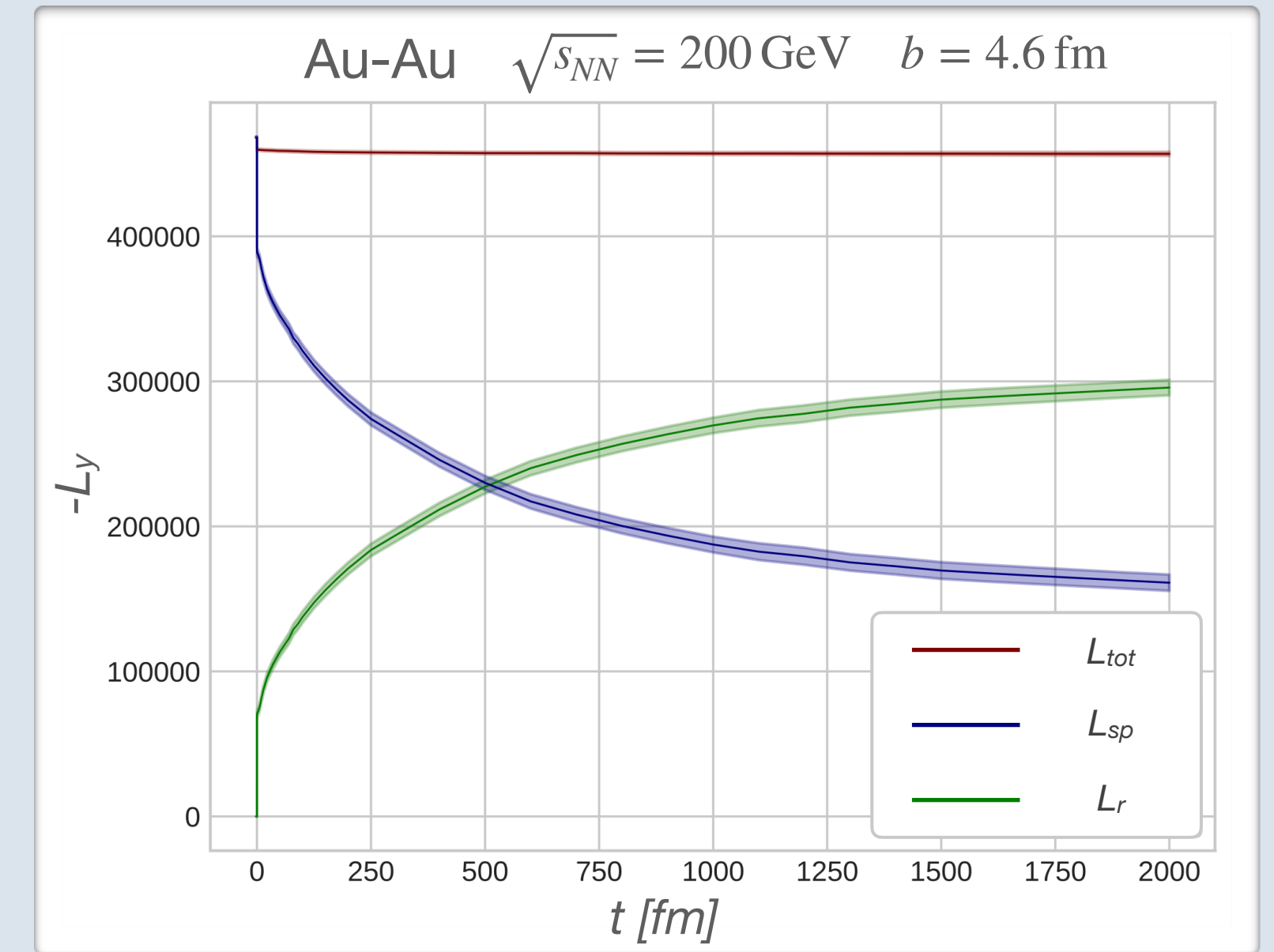
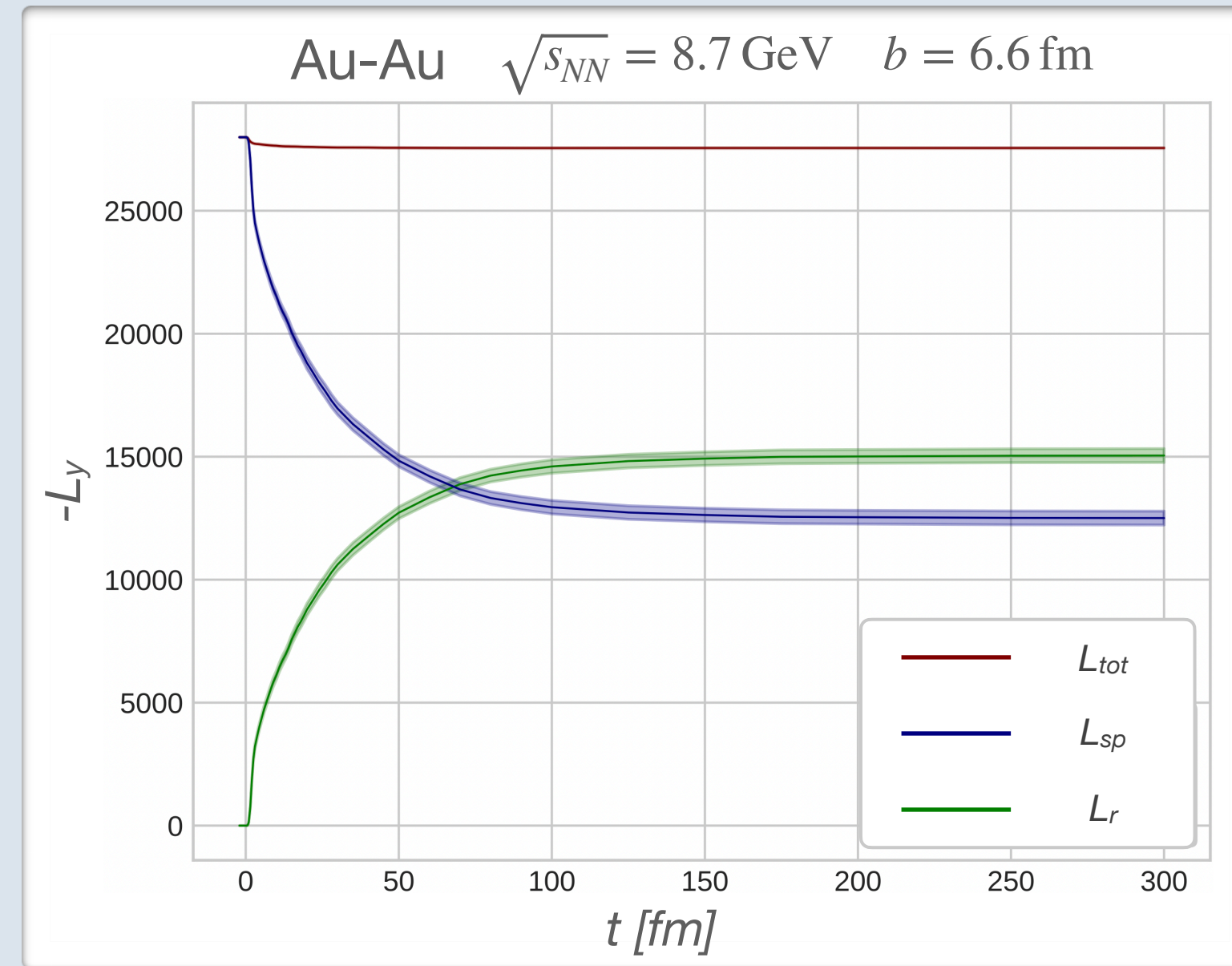
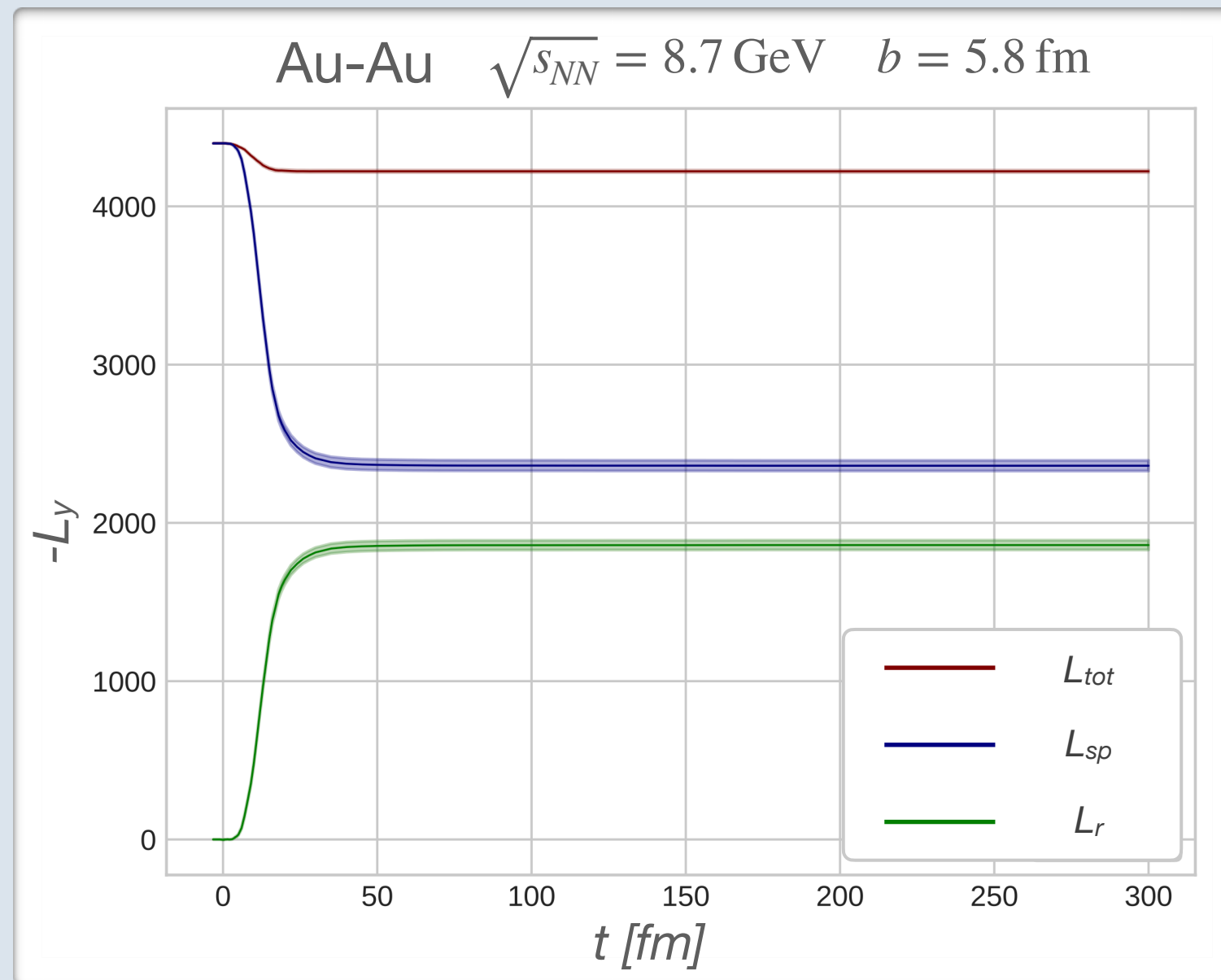
- Decay width of two body decay $R \rightarrow ab$ by treatment of Manley *et al.*

$$\Gamma_{R \rightarrow ab} = \Gamma_{R \rightarrow ab}^0 \frac{\rho_{ab}(m)}{\rho_{ab}(M_0)}$$

$\rho_{ab}(m)$: mass integrals over resonance spectral functions

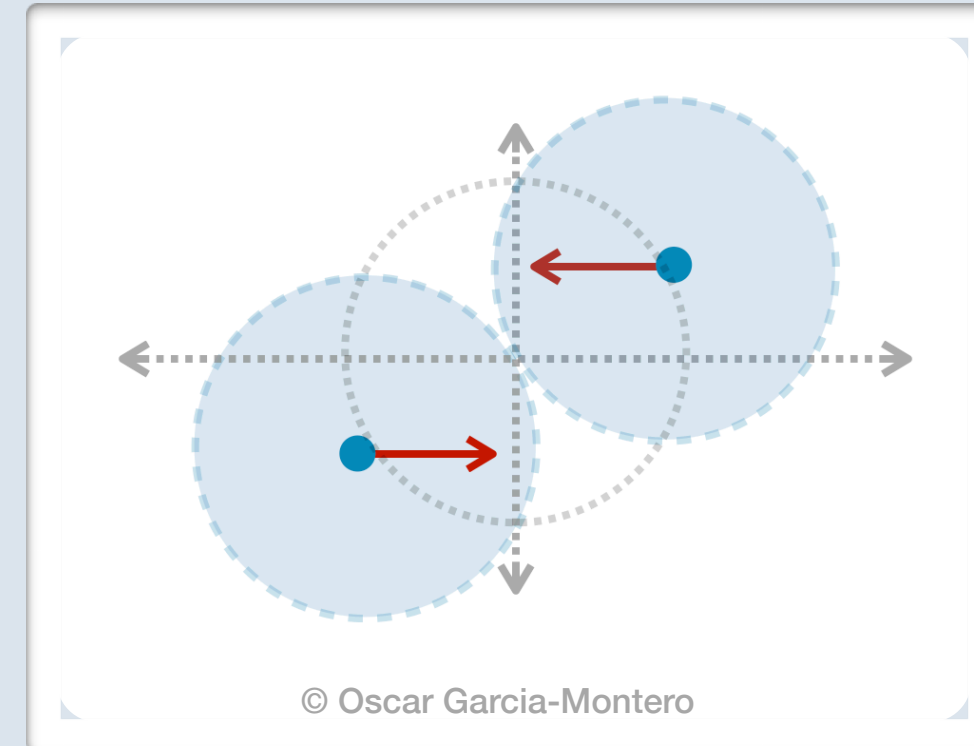
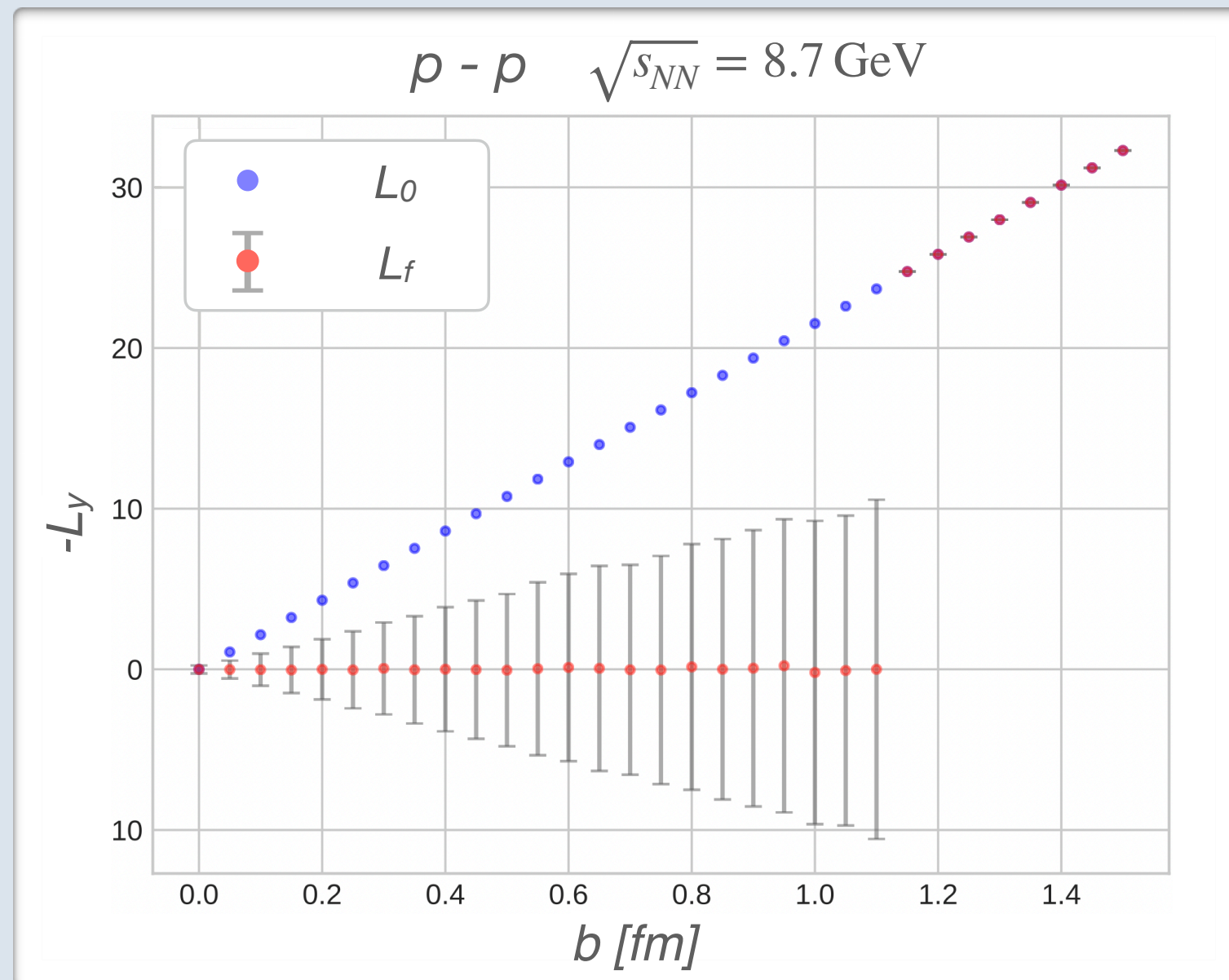
$$\Gamma_{R \rightarrow ab}^0 = \Gamma_{R \rightarrow ab}(M_0)$$

<http://smash-transport.github.io>

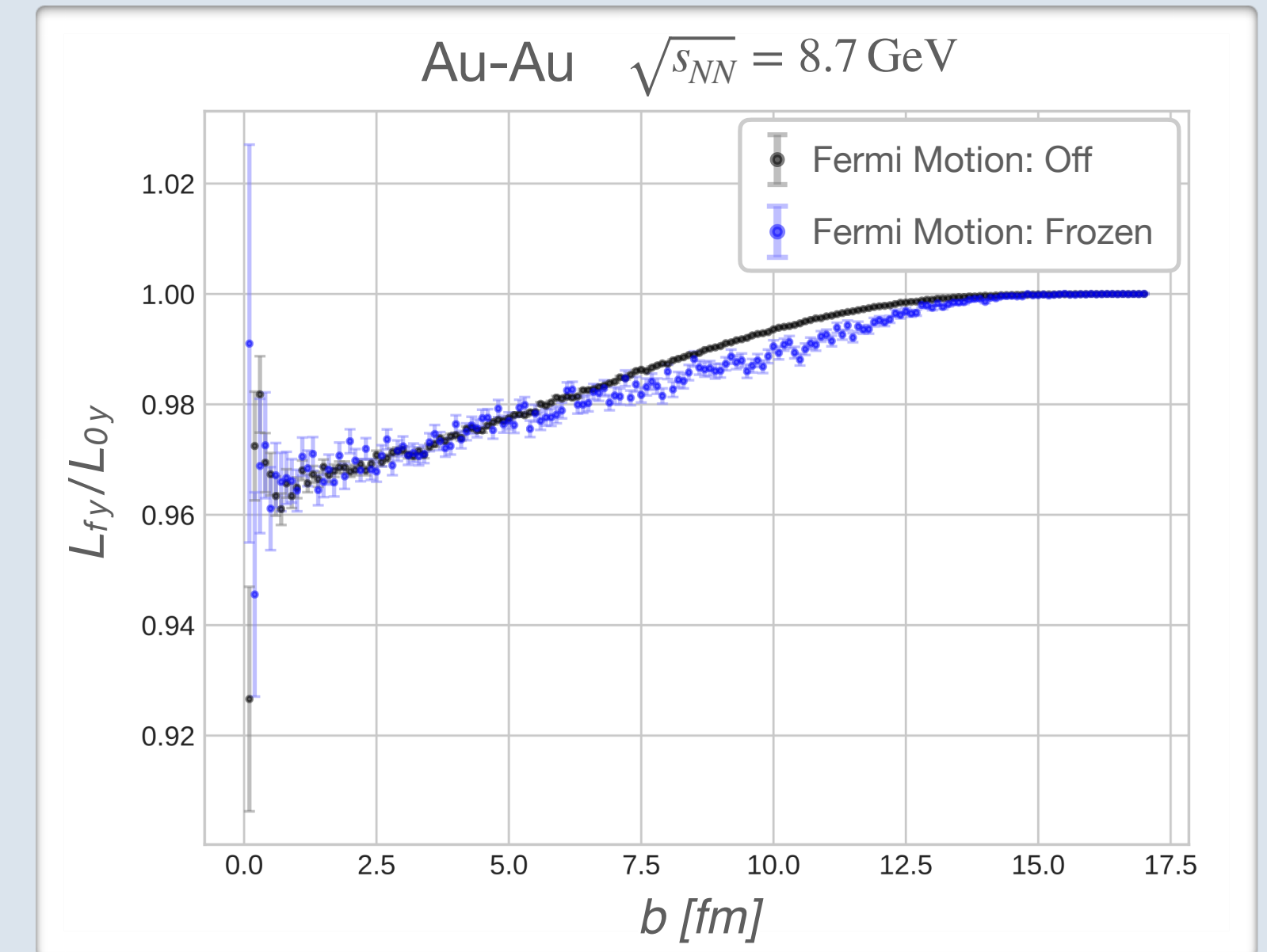


N. Sass et al, in preparation

- We observe a kink in the total angular momentum at the time when both nuclei collide
 - Broken angular momentum conservation
- For higher beam energies the kink occurs at smaller times due to higher nuclei rapidities
- Secondary collisions at higher beam energies shift the flattening of L_{sp} and L_r to later times



N. Sass et al, in preparation

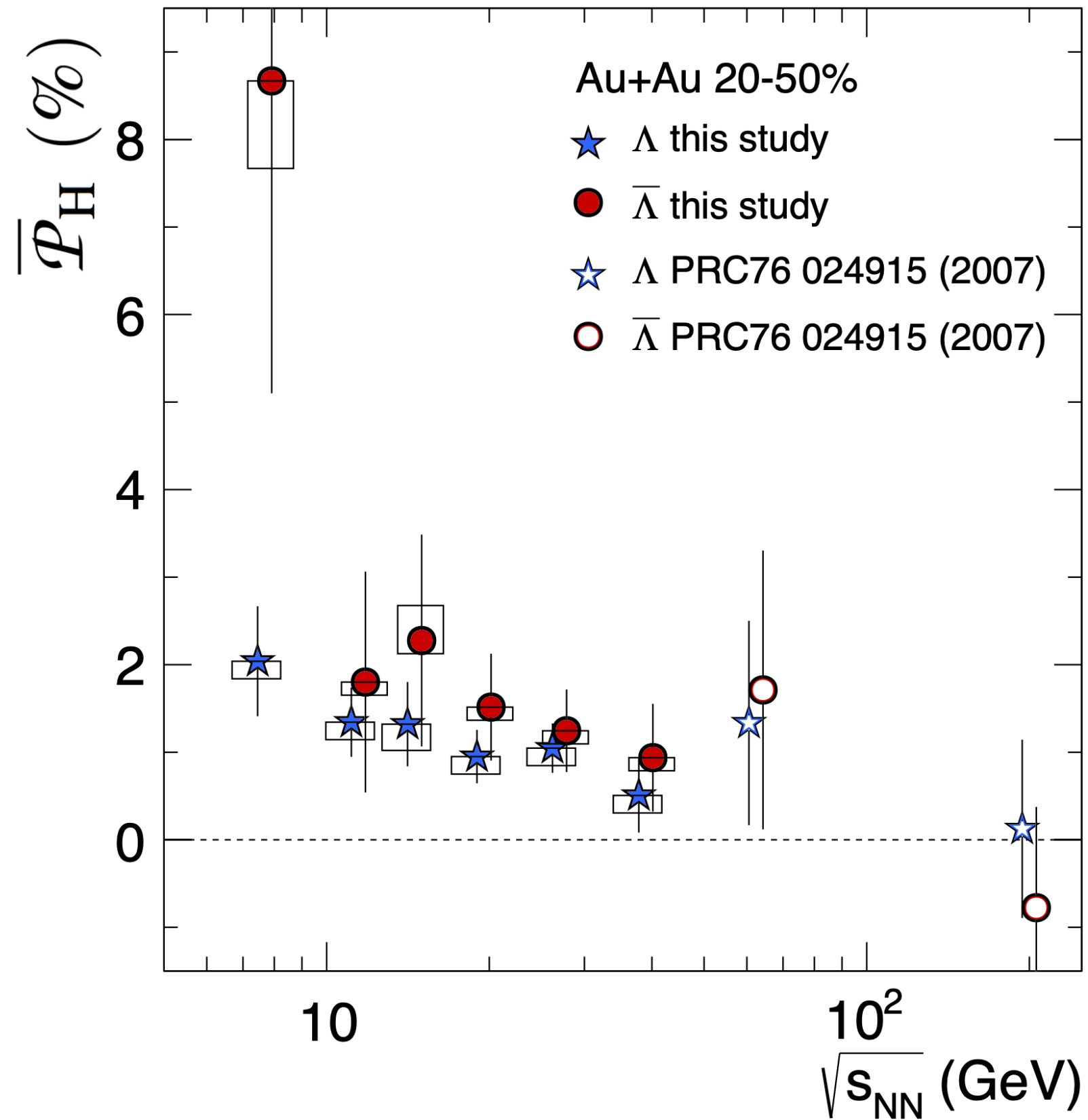


- At $\sqrt{s_{NN}} = 8.7 \text{ GeV}$ protons collide elastically ($\sim 1/3$) and inelastically ($\sim 2/3$)
- Geometrical Interpretation of the cross section breaks angular momentum conservation in binary in/elastic collisions

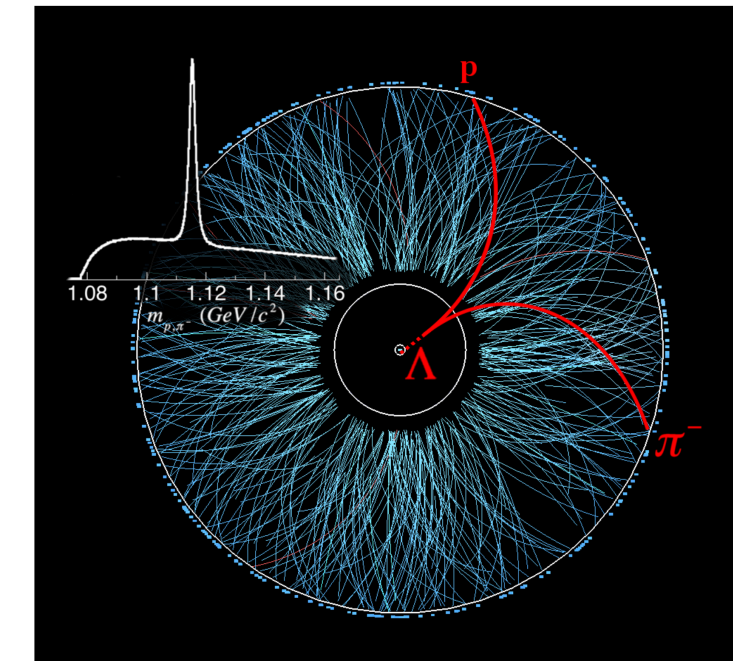
- Collective „loss“ of angular momentum in Au-Au collisions amounts to 3.5% for small impact parameters
- Additional momenta by Fermi motion potentially increase non-conservation of angular momentum

STAR Measurement

- Weak decay $\Lambda \rightarrow p + \pi^-$ emits proton predominantly in spin direction of Λ



- The (phase-space) **averaged polarization** is determined by the azimuthal angle distribution of the proton's momentum



- Λ is identified by extrapolation of the measured daughter particles (p, π^-)
- Summation over many events yields a distinct peak in the invariant-mass distribution at the Λ mass

