

Bayesian inference on quark matter from observations of neutron stars

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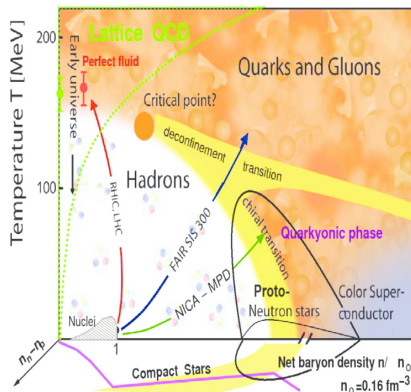


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Motivation: QCD and neutron stars

- ▶ We can not solve QCD at large densities from first principles due to the sign problem
- ▶ There are no experimental results in this region so far
- ▶ We may use effective models to try to describe strongly interacting matter
- ▶ Neutron stars may provide constraints for these models



Ingredients for hybrid stars 1

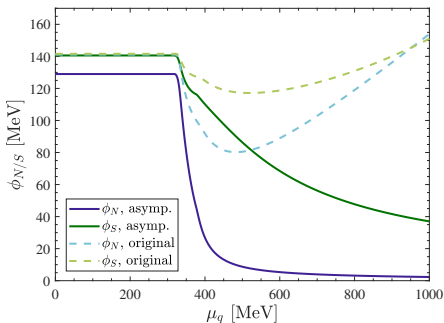
We use the (axial)**vector meson** extended **linear sigma model**
For **hybrid stars** we need the EoS at high density and $T = 0$:

- ▶ we need to introduce non-zero **vector condensates**
- ▶ β -equilibrium + charge neutrality
- ▶ 5 field equations (no Polyakov-loop contribution)

↪ a naive parametrization →
chiral symmetry would be broken at high densities

↪ investigating the **asymptotic behavior** we get an additional constraint for the parameters

↪ we get $m_\sigma = 290$ MeV from parametrization



Ingredients for hybrid stars 2

Hybrid stars also have a **hadronic crust and outer core**:

- ▶ at low densities we use hadronic EoS's (**SFHo** and **DD2**)
- ▶ we apply a smooth crossover between the two phases:
 1. $\varepsilon(n)$ interpolation

$$\varepsilon(n) = \varepsilon_H(n)f_-(n) + \varepsilon_Q(n)f_+(n),$$

$$f_{\pm}(n) = \frac{1}{2} \left(1 \pm \tanh \left(\frac{n - \bar{n}}{\Gamma} \right) \right)$$

2. $p(\mu)$ interpolation with polynomial

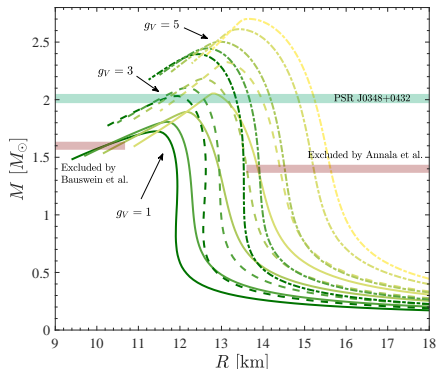
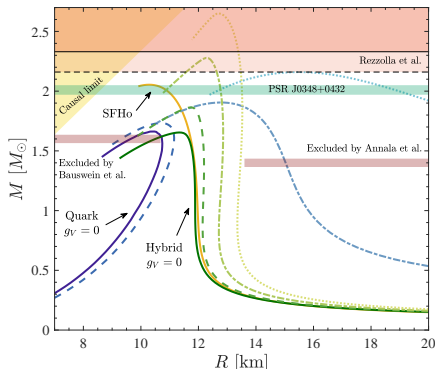
$$p(\mu_B) = \sum_{m=0}^N C_m \mu_B^m, \quad \mu_{BL} < \mu_B < \mu_{BU},$$

the C_m coefficients are obtained by matching the pressure and its derivatives at the boundary points

↔ 4 tunable parameters altogether: m_{σ} , g_V , \bar{n} , Γ (or μ_{BL} , μ_{BU})

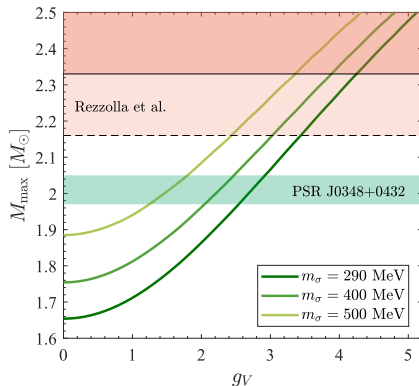
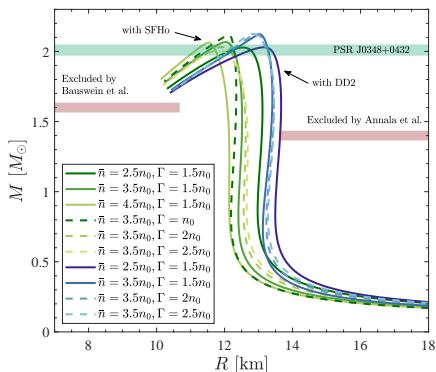
↔ we use the $\varepsilon(n)$ interpolation with $\bar{n} = 3.5n_0$ and $\Gamma = 1.5n_0$ as our standard choice

$M - R$ curves for different g_V 's



- ↔ larger vector couplings result in larger hybrid star masses
- ↔ maximum masses are increased due to the **intermediate density stiffening** of the hybrid EoS's
- ↔ large sigma masses (brighter tones) are excluded by upper radius constraints

Effect of sigma mass and phase transition

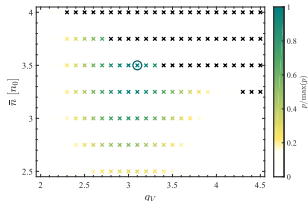
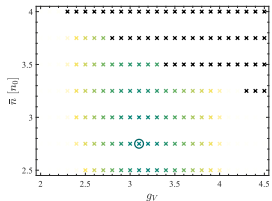
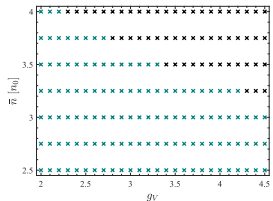
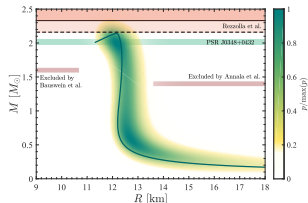
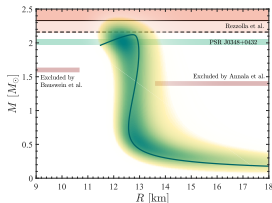
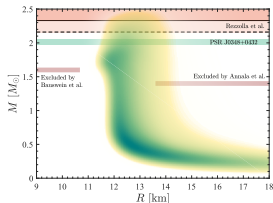


\Leftrightarrow maximum mass hybrid stars seem to reside in a small region, independent of the phase transition parameters¹

\Leftrightarrow with $m_{\sigma} = 290$ MeV g_V is constrained to $2.5 < g_V < 4.3$

¹similar results were found in Cierniak & Blaschke, EPJ ST 229, 3663 (2020)

Bayesian analysis results



↪ low sigma meson mass and a narrow phase transition are preferred

↪ the center of the phase transition is between $2.5n_0$ and $3.5n_0$

Summary

Conclusions

- ▶ we developed a model that describes **vacuum phenomenology** and **finite temperature behaviour** accurately
- ▶ we found that the **maximum neutron star mass** can be used to **constrain the parameters** of the model
- ▶ from our **Bayesian analysis** we found that $g_V \approx 3 - 3.5$, a low sigma meson mass and a narrow phase transition are preferred
- ▶ we still want to do a deeper analysis of all the astrophysical constraints