

Cluster and hyper-cluster production in HICs with PHQMD

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Motivation

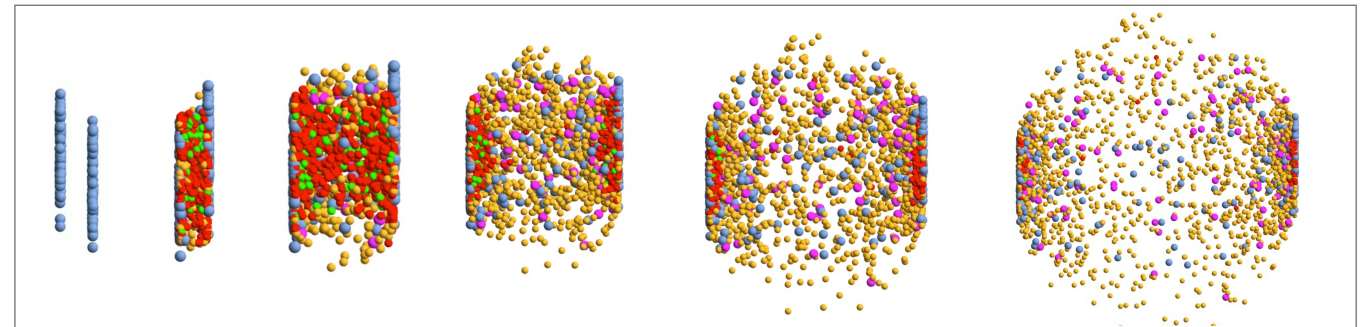
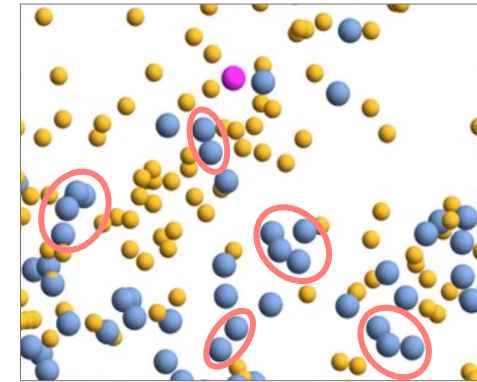
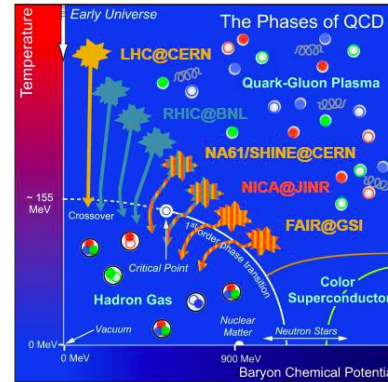
Exploring the QCD-phase-diagram with clusters as **experimental observables**.

Understanding the **production of clusters** in relativistic heavy-ion collisions:

How can **weakly bound clusters** survive in the **hot and dense environment** of a HICs?


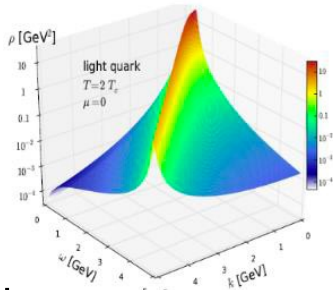
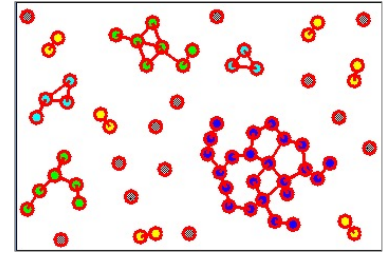
Challenge

Modeling the **time evolution of cluster formation** and the origin of their production.



PHQMD: dynamical evolution of HIC & cluster formation



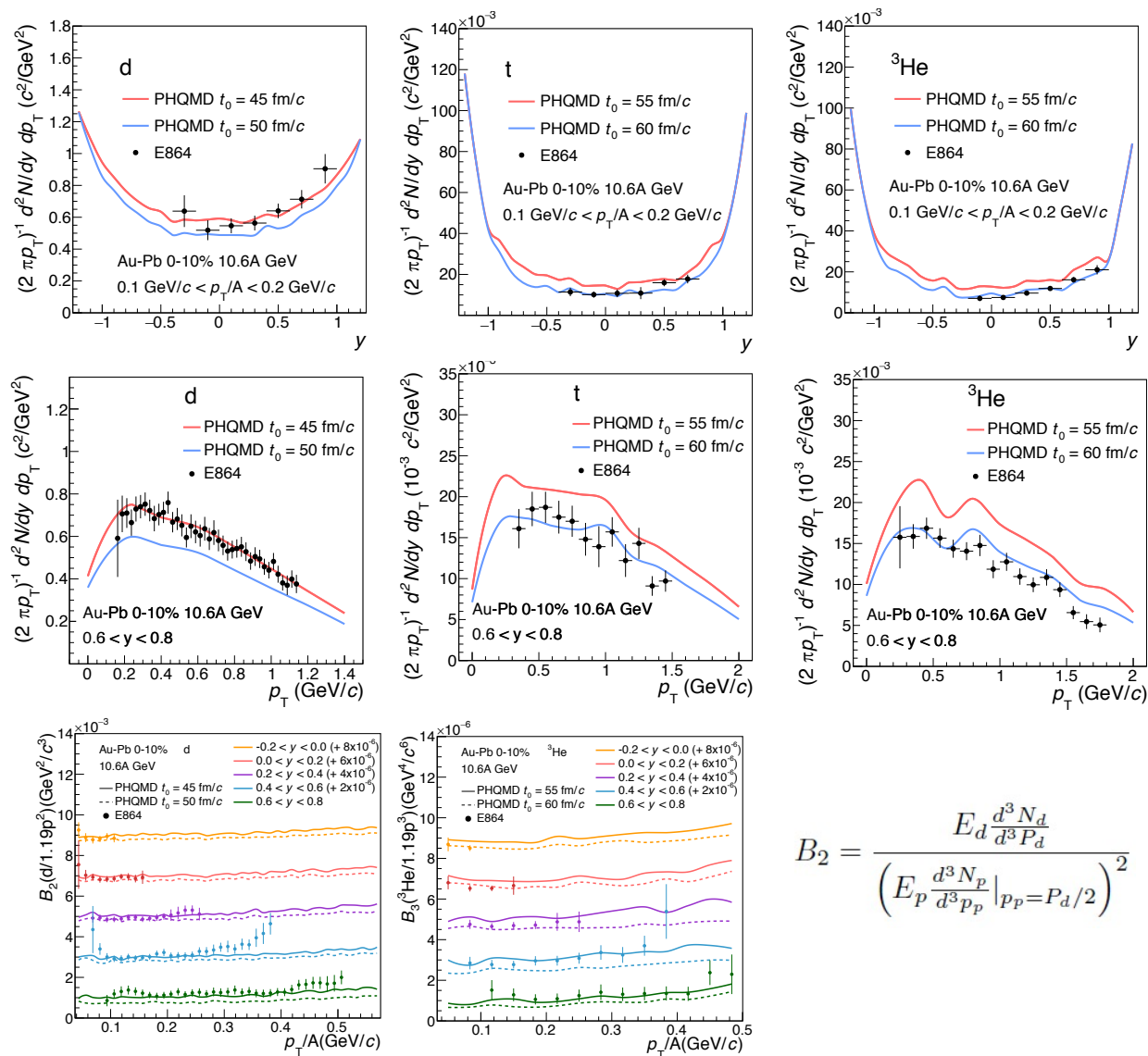
PHSD 	+ QMD	+ MST
Interactions of hadrons Propagation of mesons QGP-phase	Propagation of baryons	Cluster identification
Relativistic considerations off-shell generalized transport equations based on Kadanoff-Baym equations Dynamical Quasi Particle Model quark / gluon spectral function $\rho_q(p, \omega)$:  mean-field potentials	Correlations between baryons n-body transport approach propagation of Gaussian wave functions ψ_i QMD wave function for N particles $\psi_N = \prod_{i=1}^N \psi_i$ Skyrme potential $\langle V_{Skyrme}(\mathbf{r}_{i0}, t) \rangle = \alpha \left(\frac{\rho_{int}(\mathbf{r}_{i0}, t)}{\rho_0} \right) + \beta \left(\frac{\rho_{int}(\mathbf{r}_{i0}, t)}{\rho_0} \right)^\gamma$ interaction density $\rho_{int}(\mathbf{r}_{i0}, t)$ => formation of clusters due to potential interactions	Minimum Spanning Tree 1. Two baryons are bound if $ r_i - r_j < 4.0$ fm 2. baryon is bound to cluster if bound with at least one baryon of cluster 

PHQMD: J. Aichelin et al., PRC 101 (2020) 044905 & S. Gläsel et al., PRC 105, (2022) 014908

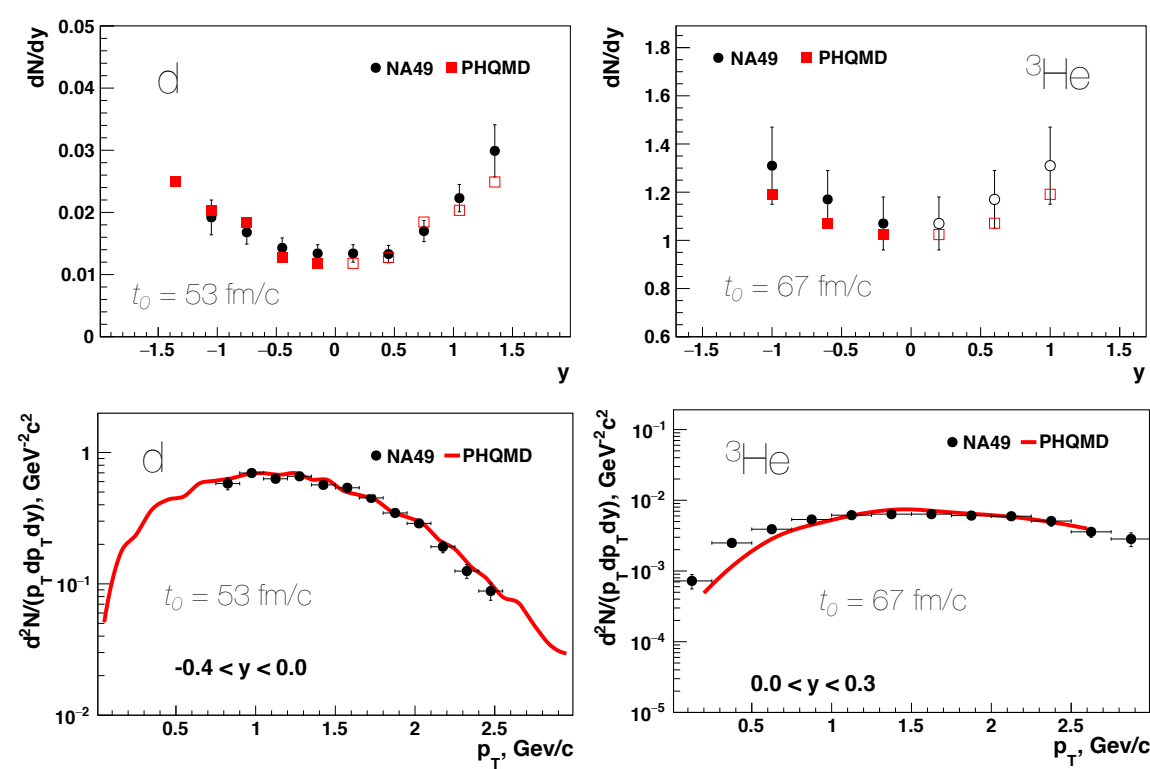
PHSD: W. Cassing, E.L. Bratkovskaya, Nucl. Phys. A 831, 215 (2009) MST: J. Aichelin, Phys. Rept. 202, 233 (1991)

PHQMD-simulations and experimental data (AGS & SPS)

E864 data: Au-Pb 0-10 % 10.6 AGeV



NA49 data: Pb-Pb 0-10 % 40 AGeV

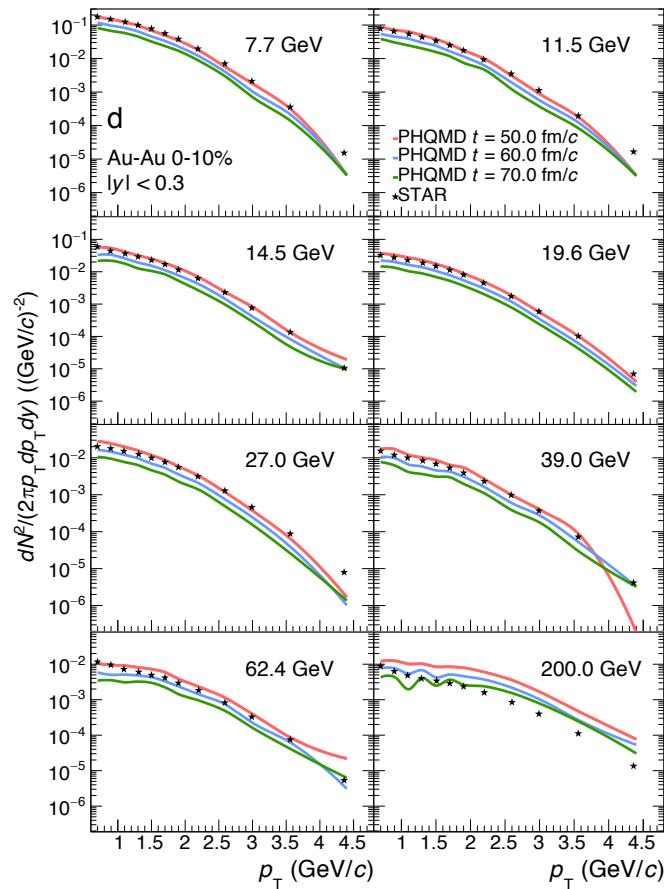


$$B_2 = \frac{E_d \frac{d^3 N_d}{d^3 P_d}}{\left(E_p \frac{d^3 N_p}{d^3 P_p} \Big|_{p_p = P_d/2} \right)^2}$$

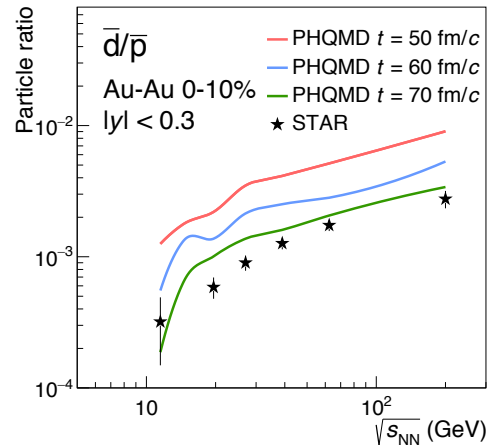
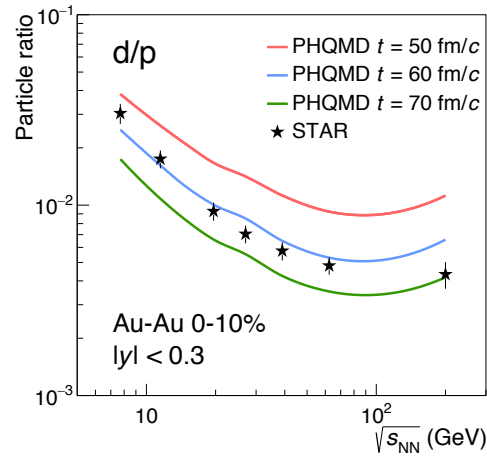
- => Experimental rapidity- & p_T -distributions for light nuclei are reproduced at $E_{\text{lab}} = 10.6$ AGeV & 40 AGeV.
- => Probability that baryons with p_T/A form a cluster with size A almost independent of p_T (only slight increase).

PHQMD-simulations and experimental data (RHIC)

STAR data: Au-Au 7.7– 200 GeV 0-10 % - light nuclei

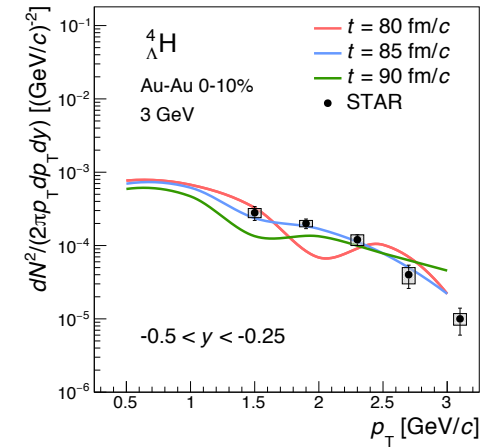
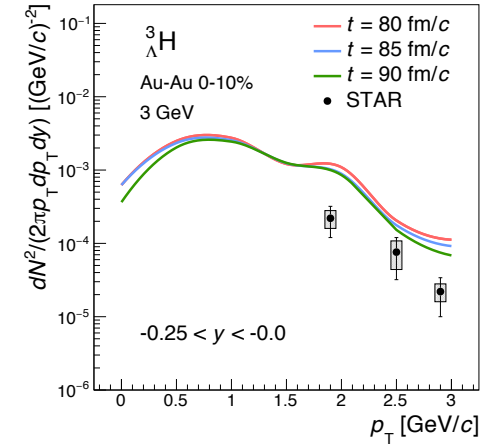


=> p_T -distributions for deuterons are reproduced for $\sqrt{s} = 7.7 - 200$ GeV.



=> d/p & \bar{d}/\bar{p} are reproduced for $\sqrt{s} = 4.85$ to 200 GeV.

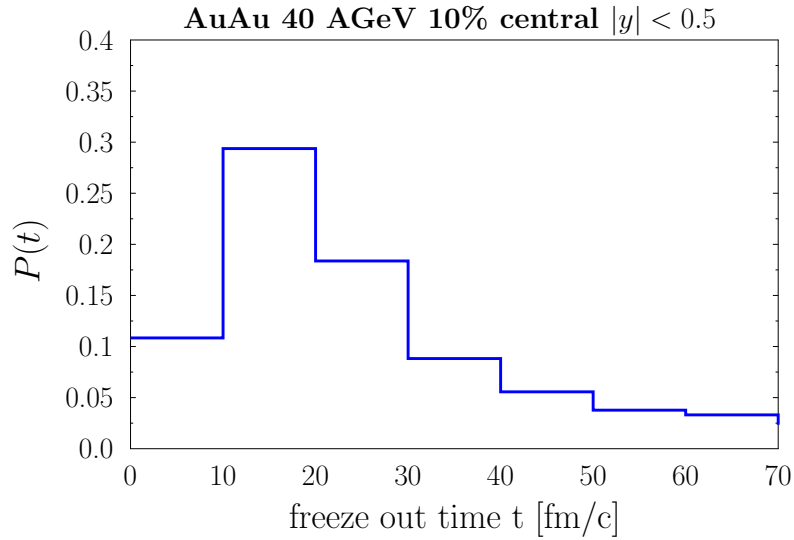
STAR data: Au-Au 3 GeV 0-10 % - hypernuclei



- => Trend of experimental STAR* ${}^3_{\Lambda}\text{H}$ & ${}^4_{\Lambda}\text{H}$ p_T spectra is well produced.
- => Yields are slightly overpredicted.
- => Simple hyperon-nucleon interaction in PHQMD (= 2/3 of the nucleon-nucleon interaction)

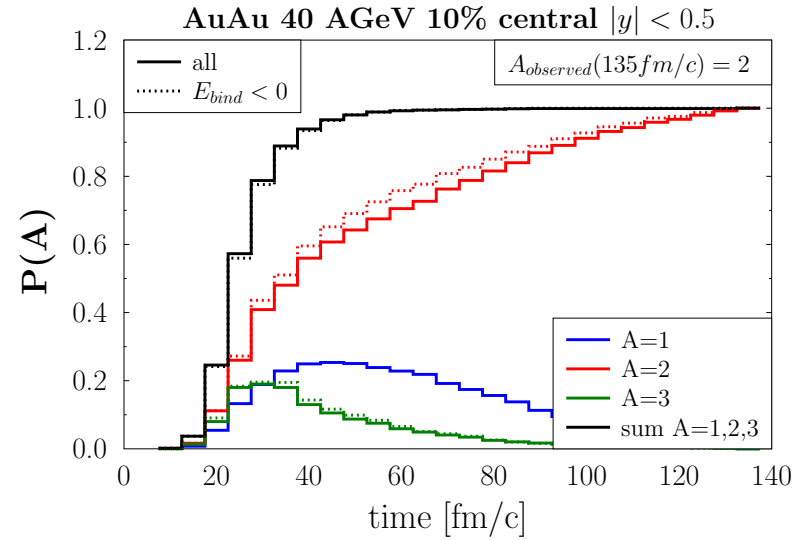
When & where are clusters formed?

freeze-out time of baryon (last collision)



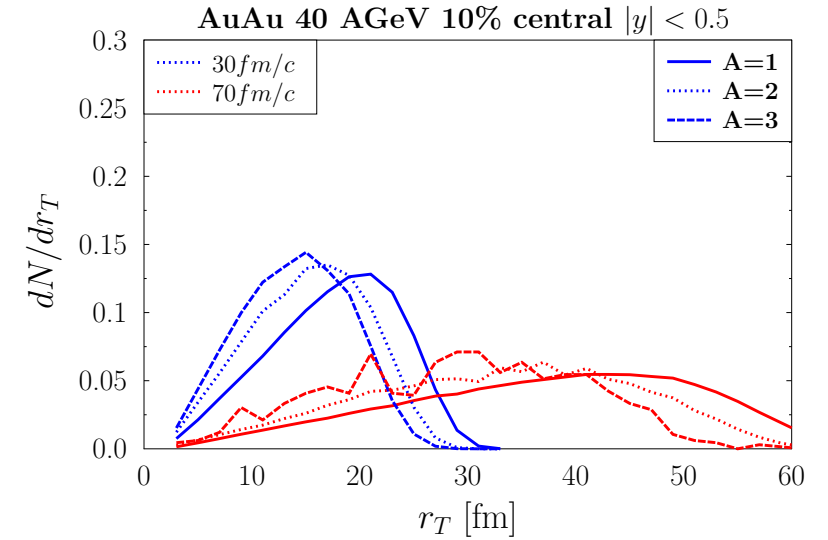
=> Collisions of baryons essentially over after $t = 40$ fm/c

formation time of stable clusters



=> Clusters formed shortly after collisions have ceased

transverse distance to fireball center



=> Clusters formed behind the front of expanding energetic hadrons



Since the 'fire' is not at the same place as the 'ice', clusters can survive.

