

Vector resonances spin alignment as a probe of spin hydrodynamics and freeze-out

Presented by:

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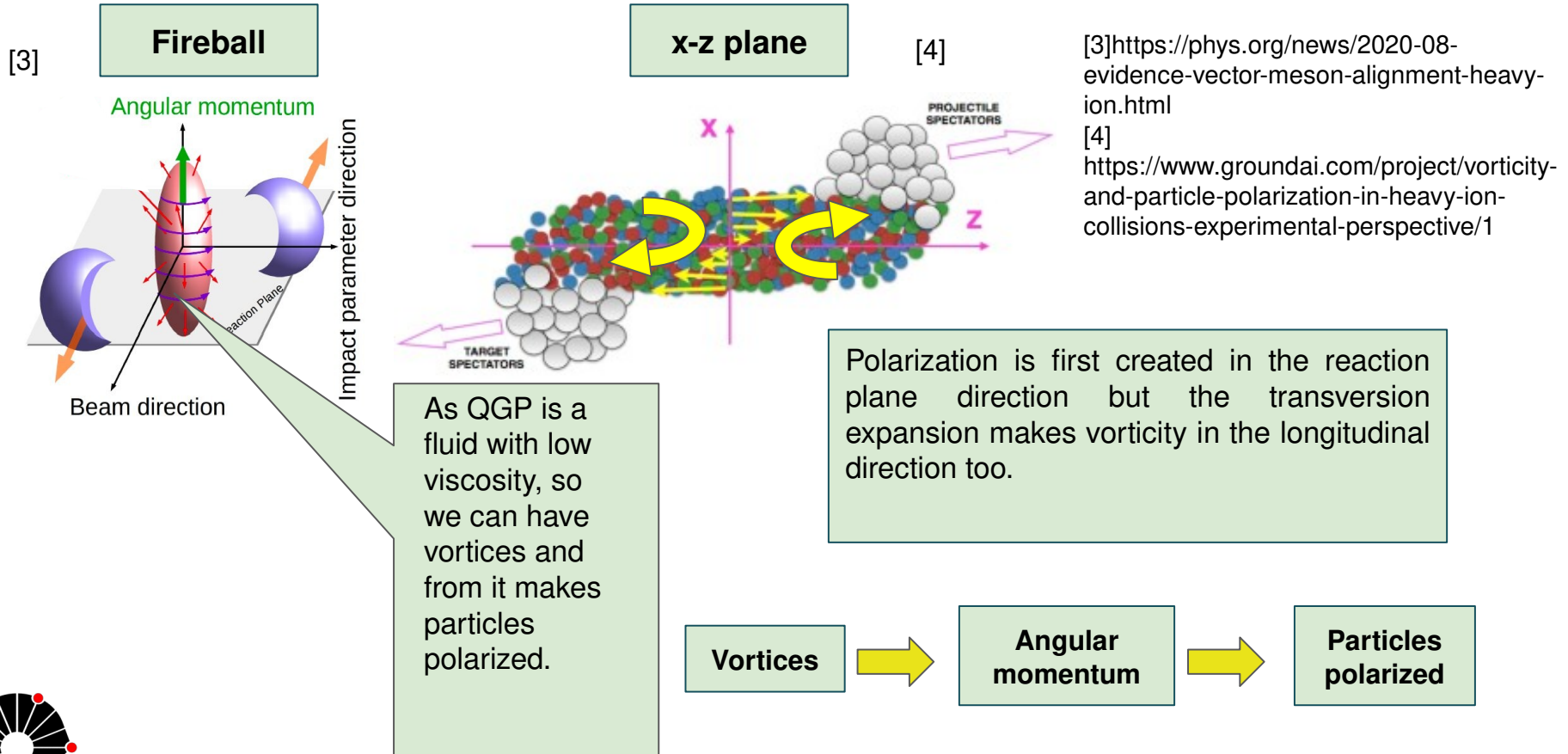
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Based on:

<https://arxiv.org/abs/2104.12941>



Polarization in QGP



Vector resonances spin alignment as a probe of spin hydrodynamics and freeze-out

Theoretical Uncertainty

What we can learn about particle production models using the alignment in quark-gluon plasma (QGP) :

1. Cooper-Frye Model

1.1 If spin and vorticity are in equilibrium, one expects that Cooper-Frye is a good estimate.

1.2 This means that the density matrix is not a coherent state.

2. Coalescence Model

2.1 If spin and vorticity are not in equilibrium, so coalescence model is a good estimation.

2.2 This means that the density matrix is a coherent state.

The connection between theory and experiment

Making the transformation to the lab frame

$$\rho(n_3, n_8, \theta_r, \phi_r) = U(\theta_r, \phi_r) \rho_8(n_3, n_8) U^{-1}(\theta_r, \phi_r)$$

From this density matrix, we can obtain the following system equation:

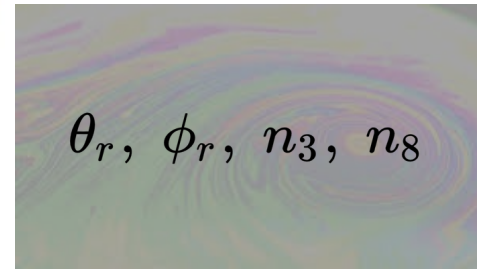
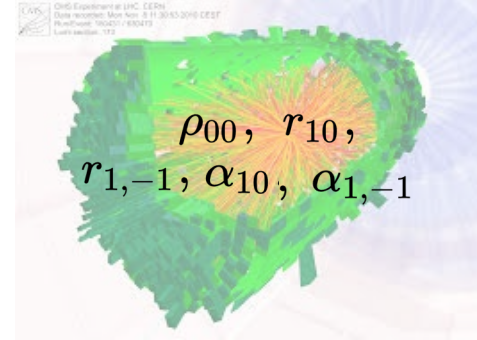
$$\frac{1}{12} \left(3 \left(n_8 - \sqrt{3} n_3 \right) \cos(2\theta_r) - \sqrt{3} n_3 + n_8 + 4 \right) = \rho_{00}$$

$$\frac{(n_8 - \sqrt{3} n_3) \sin(\theta_r) \cos(\theta_r) \cos(\phi_r)}{\sqrt{2}} = r_{10}$$

$$-\frac{(\sqrt{3} n_3 + 3n_8) \sin(\theta_r) \sin(\phi_r)}{3\sqrt{2}} = \alpha_{10}$$

$$\phi_r = -\frac{1}{2} \tan^{-1} \left(\frac{\alpha_{1,-1}}{r_{1,-1}} \right)$$

Variable	Element
r_{10}	$Re[\rho_{-10} - \rho_{10}]$
α_{10}	$Im[-\rho_{-10} + \rho_{10}]$
$r_{1,-1}$	$Re[\rho_{1,-1}]$
$\alpha_{1,-1}$	$Im[\rho_{1,-1}]$

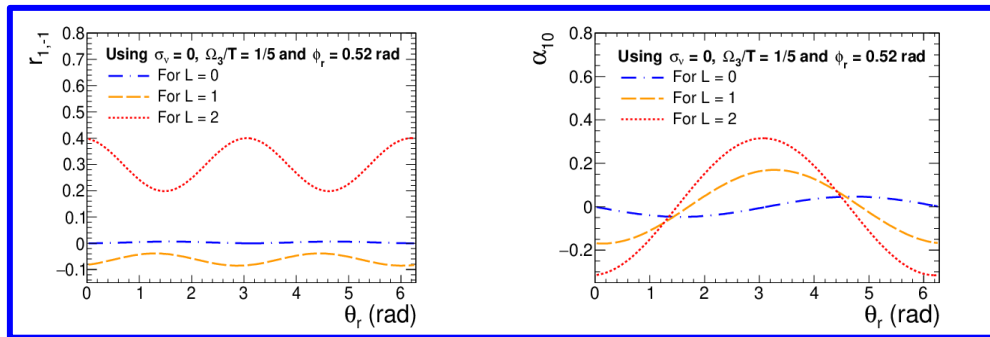
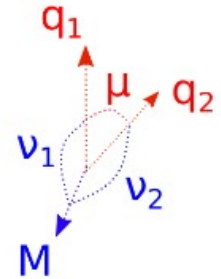
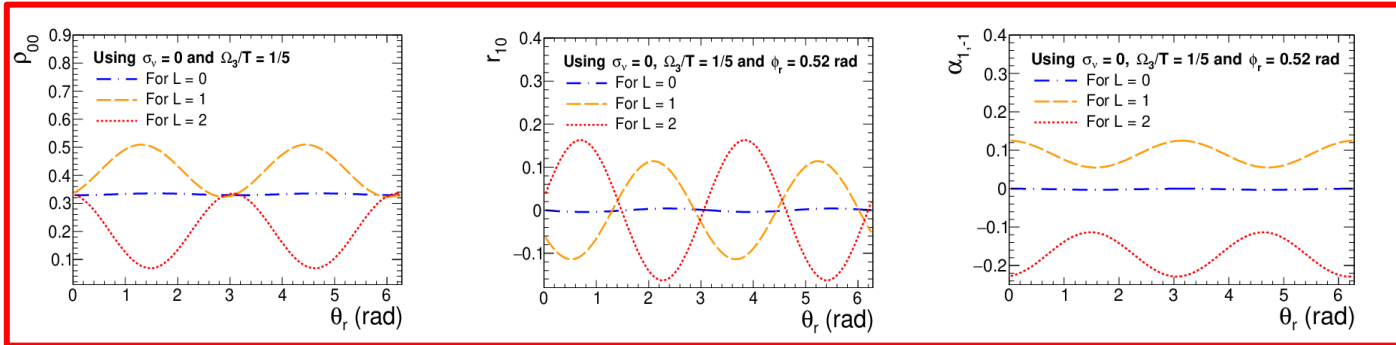


Coalescence model

Matrix density for meson with vortice is given by:

$$(\hat{\rho}^M)_{mn} = \sum_{ijkl} (P_{12}^L)_{ijklmn} U_S(\phi_r, \theta_r) (U_\omega(\mu_1, \nu_1) \rho^1(\Omega) U_\omega^{-1}(\mu_1, \nu_1))_{ij} \times (U_\omega(\mu_2, \nu_2) \rho^2(\Omega) U_\omega^{-1}(\mu_2, \nu_2))_{kl} U_S^{-1}(\phi_r, \theta_r)$$

The density matrix coefficients are given by:



Variable	Element
r_{10}	$Re[\rho_{-10} - \rho_{10}]$
α_{10}	$Im[-\rho_{-10} + \rho_{10}]$
$r_{1,-1}$	$Re[\rho_{1,-1}]$
$\alpha_{1,-1}$	$Im[\rho_{1,-1}]$

Conclusions and Perspectives

- If spin and vorticity are in equilibrium, one expects that Cooper-Frye is a good estimate. This means that SU(3) element is not a coherent state, but rather a superposition of Eigenstates of ω an type Hamiltonian where ω_J is the total angular momentum.
- If spin and vorticity are not in equilibrium, so coalescence model is a good estimation. This means that the density matrix is a coherent state for some choice n_3, n_8, θ_r and ϕ_r .
- The next step is to use a numerical code that to solve a diffusion equation coupled to the hydro output:

