Sensitivity of jet observables to the presence of quasiparticles in the QGP

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Why Moliere?

- QGP, at length scales of $O(T^{-1})$ is best described as a strongly coupled liquid.
- At shorter length scales, and thus high exchangedmomentum, asymptotic freedom → quasi-particle behavior.
- High energy partons have the potential to probe the particulate nature of QGP.

Moliere Scattering in QGP



Results and Allowed Phase Space



- Analytical results \rightarrow fast with inverse CDF sampling.
- Accounts for full kinematics (no small angle approximation)

Results and Included Phase Space



Incoming gluon, $p_{in} = 10T$, $\Delta t = 15/T$ Incoming gluon, $p_{in} = 100T$, $\Delta t = 15/T$ Restrict to high momentum transfer $\longrightarrow \tilde{u}$, $\tilde{t} > c \cdot m_D^2$

- Excludes low energy, non perturbative scatterings.
- Justifies massless assumption in amplitudes.

Now we need a jet Monte Carlo that includes soft interactions with the medium to put this into...

The Hybrid Model

 High Q² parton shower up until hadronization described by DGLAP evolution (PYTHIA).



A Perturbative Event ... Living in a Holographic World

- High Q² parton shower up until hadronization described by DGLAP evolution (PYTHIA).
- For QGP with $T \sim \Lambda_{QCD}$, the medium interacts strongly with the shower.
 - Energy loss from holography:





... That's Also Approximately a Hot Plasma

- High Q² parton shower up until hadronization described by DGLAP evolution (PYTHIA).
- For QGP with $T \sim \Lambda_{QCD}$, the medium interacts strongly with the shower.
 - Energy loss from holography:

$$\frac{1}{E_{in}}\frac{dE}{dx} = -\frac{4}{\pi}\frac{x^2}{x_{stop}^2}\frac{1}{\sqrt{x_{stop}^2 - x^2}}$$
O(1) fit const.
$$x_{stop} = \frac{1}{2\kappa_{sc}}\frac{E_{in}^{\frac{1}{3}}}{T^{\frac{4}{3}}} \qquad \tau = \frac{2E}{Q^2}$$

Energy and momentum conservation — activate hydrodynamic modes of plasma.

$$\frac{d\Delta N}{p_T dp_T d\phi dy} = \frac{1}{(2\pi)^3} \int \tau dx dy d\eta_s m_T \cosh(y - \eta_s) \left[f\left(\frac{u^\mu p_\mu}{T_f + \delta T}\right) - f\left(\frac{\mu_0^\mu p_\mu}{T_f}\right) \right]$$

Moliere in Hybrid Model

- High Q^2 parton shower up until hadronization described by DGLA evolution (PYTHIA).
- For QGP with $T \sim \Lambda_{QCD}$, the mediu interacts strongly with the shower
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Gaussian Broadening vs Large Angle Scattering

- Elastic scatterings of exchanged momentum $\sim m_D$
 - Gaussian broadening due to multiple subscattering
- At strong coupling, holography predicts Gaussian broadening without quasiparticles (ex: N=4 SYM)

$$P(k_{\perp}) \sim \exp\left(-\frac{\sqrt{2}k_{\perp}^2}{\hat{q}L^-}\right) \qquad \hat{q} = \frac{\pi^{\frac{3}{2}}\Gamma\left(\frac{3}{4}\right)}{\Gamma\left(\frac{5}{4}\right)}\sqrt{\lambda}T^3$$

 Restricting momentum exchanges >> m_D
 perturbative regime separate from Gaussian broadening, with a power law distribution



Jet R_{AA}

- κ_{sc} previously fit with jet+hadron
 suppression data from ATLAS+CMS at 2.76+5.02 TeV
- Elastic scatterings lead to additional suppression.
- Adding the hadrons from the wake allows the recovery of part of the energy within the jet cone.
- Very small change to value of κ_{sc} with addition of elastic scatterings.





Elastic scattering effects only visible after accounting for wakes.

- A given elastic scattering transfers jet energy to high angle and lower momentum fraction partons, which are the most easily suppressed.
- Their depositions in hydrodynamic modes live on.
- Moliere scattering followed by strongly coupled energy loss turns elastic scattering effects into wake effects. Moliere changes shape of wake.
- More energy at higher radius and lower mom. fractions, but only with wake.



Leading k_T

- 1. Reconstruct jet with anti- k_T
- 2. Recluster with Cambridge-Aachen
- Undo last step of 2, resulting in subjets
 1 and 2
- **4**. Note k_T of splitting
- 5. Follow primary branch until the end.
- 6. Record largest k_T

 $k_T = \min(p_{T1}, p_{T2}) \sin(R_g)$

Similar message: Elastic scattering effects show up as modified wake effects.

However, these effects can be reduced by some necessary cuts for background subtraction.



Inclusive Jets within Inclusive Jets: Inclusive Subjets



Refined message: Effect only visible when including the wake, but, clearly different from simply having a larger wake.

Adding the wake did not increase the number of subjets in the absence of elastic scatterings. Moliere gives the wake more prongs, and the jet more subjets. Moliere changes the shape of the wake.

Inclusive Subjets



Z-Jet Acoplanarity



• Study acoplanarity in boson-jet system: Z-jet.

- Small effect due to elastic scatterings. Same message: small effect is due to modification of the wake.
- Desirable to look into acoplanarities at even lower p_T , perhaps via single hadron correlations (Gamma-D, $D\overline{D}$ correlations...).

Conclusions

- Studied the effect of power-law-rare large-angle scattering on jet observables in the perturbative regime.
- Moliere scattering followed by strongly coupled energy loss turns elastic scattering effects into wake effects. Moliere changes shape of wake.
- Effects of Moliere scattering on observables are predominantly wake effects.
- Inclusive subjet observables are especially sensitive to the presence of elastic scatterings. They are unaffected by the wake in the absence of Moliere scattering.
- Future: studying charm observables (gamma-D, $D\overline{D}$, D within jets ...)

ATLAS Jet Shapes With elastic Without elastic scattering.. scattering $1.0 < p_T < 1.6 \text{ GeV}$ $6.3 < p_T < 10 \text{ GeV}$ $6.3 < p_T < 10 \text{ GeV}$ $< p_T < 1.6 \text{ GeV} \mapsto$ $1.6 < p_T < 2.5 \text{ GeV} \mapsto$ $10 < p_T < 25.1 \text{ GeV}$ $1.6 < p_T < 2.5 \text{ GeV} \mapsto$ $10 < p_T < 25.1 \text{ GeV}$ $2.5 < p_T < 4.0 \text{ GeV}$ $25.1 < p_T < 63.1 \text{ GeV}$ $2.5 < p_T < 4.0 \text{ GeV}$ $25.1 < p_T < 63.1 \text{ GeV}$ 4 4 $4.0 < p_T < 6.3 \text{ GeV}$ $4.0 < p_T < 6.3 \text{ GeV}$ $R = 0.4, 126 < p_T^{\text{jet}} > 158 \text{ GeV}$ $\overset{R_{D(p_{T},r)}}{\overset{5}{}}$ $R = 0.4, 126 < p_T^{\text{jet}} > 158 \text{ GeV}$ $R_{D(p_T,r)}$ Preliminary Preliminary 1 1 0 0.1 0.20.30.50.70.1 0.20.3 0.40.50.6 0.70.8 0 0.40.6 0.8 0 r

- Elastic scattering leads to more low p_T particles
- Increased separation of p_T with elastic scattering, as higher p_T partons more likely to interact, losing more energy, and separating the previously stacked higher p_T points.

C-*C***Acoplanarity**



Broadened distribution even in the absence of Gaussian broadening or elastic scattering

Biases



- Creation point moved to periphery of QGP
 - Surface bias
- Preferred orientation of surviving c c
 pairs after quenching. Tendency to
 point outwards with less angular
 separation





Gamma-c



Inclusive D Jets



Effect of Gaussian Broadening



- Multiple soft scattering can only significantly broaden a particle when it has lost most of its energy to the QGP.
- Effect of broadening with wake isolatable from large angle scattering with wake