

14th International Conference on Hypernuclear and Strange Particle Physics

June 27 – July 1, 2022 Prague, Czech Republic

# Feasibility study for measurement of beta-decay rates of $\Lambda$ hypernuclei

Kento Kamada<sup>A</sup>, Manami Fujita<sup>B</sup>, Hirokazu Tamura<sup>A,B</sup> Tohoku Univ<sup>A</sup>, JAEA<sup>B</sup>





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- Experimental idea of the beta decay rate measurement of  $^{5}_{\Lambda}$ He
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### **Introduction -- baryon modification**

#### Possible change of $\Lambda$ 's structure in nuclear matter



## **Modification of** $\Lambda$ 's beta decay rate

 $\Lambda$ 's beta decay



 $\rightarrow$  reduce beta decay rate  $\Gamma_{\beta}$ 

According to QMC model's calculation [1],  $\Gamma_{\beta}$  of  $\Lambda$  decreases by 20% (Max).

But in a nucleus

- nuclear many-body effects
- hadronic effects

cause reduction of the beta decay rate  $\Delta\Gamma_{\beta}$ . In heavy nuclei  $\rightarrow \Delta\Gamma_{\beta} \sim 20 - 50\%$ 

By using light nuclei  ${}^{4}$ He,  $\Delta\Gamma_{\beta}$  ~ 5% (small) < 20% (baryon modification)



[1] P. A. M. Guichon, A.W. Thomas, Phys. Lett. B773 (2017) 332.

#### **Measurement of N's beta decay rate in a nucleus**

**Goal:** Measure the beta decay rate  $\Gamma_{\beta}$  ( $^{5}_{\Lambda}$ He) within 4.5 % accuracy (statistical)

 $\Gamma_{\beta} = \frac{BR_{beta}}{\tau} \rightarrow Measure the lifetime \tau$  (2%) and the branching ratio  $BR_{\beta}(4\%)$ 

**Difficulties:** Huge background from A's main decay modes

Branching ratio of  $\Lambda$ 's decay mode in  $^{5}_{\Lambda}$ He

Decay mode of $\Lambda$	$\Lambda \to p\pi^-$	$\Lambda  ightarrow n\pi^0$	$\Lambda p \rightarrow np$	$\Lambda n \rightarrow nn$
BR	0.4	0.2	0.28	0.12

Background

## $\frac{\Lambda \to \text{pe}^- \bar{\nu}_e}{0.00048}$

 $\times$  0.0008 (Free  $\Lambda$ )

#### Signal (Beta decay)

#### **BR(Background)** >> **BR(Signal)**

<u>\* Calculation of Pauli effect on  $\Lambda$ 's</u> beta decay in  ${}_{\Lambda}^{5}$ He has not been carried out.

0.6\* (Estimate of Pauli effect)

#### **Requirement:**

Background contamination < Statistical error of beta decay yield 4%



Design detectors and develop background reduction methods

## **Experimental idea of beta decay rate measurement of** ${}_{\Lambda}^{5}$ **He**

## **Production of** $^{5}_{\Lambda}$ **He**



#### **Apparatus around the target**

- Plastic counter: Identify  $e^{\pm} / \gamma$ , n
- Lucite Cerenkov counter: Identify  $e^{\pm}~(\beta\sim1)~/~\pi^-(\beta\sim0.6)$  , p ( $\beta<0.4)$
- BGO scintillator calorimeter:
  - Measure electron energy (0 163 MeV)
  - Analyze the number of clusters

#### **Overview of detectors**



## **Simulation study for background reduction**

## **GEANT4 geometry**





#### **BGO and Lucite Cerenkov analysis**



#### BGO

By selecting **one cluster** events as the beta decay electron



97% of  $\pi^0$ , 92.8% of  $\pi^-$  events are rejected.

#### Lucite Cerenkov

By selecting **a hit** as the beta decay electron



90% of  $\pi^-$  and 95.5% of  $\pi^0$  are rejected.

The number of clusters in BGO

#### **Energy loss in plastic counter**

Energy deposit in the plastic counter  $\Delta E/\Delta x$  (MeV) (normalized for the path length)



By selecting  $\Delta E / \Delta x = 0.12 - 0.27$  MeV as the beta decay electron,

**88% of \pi^0, 99.9% of \pi^- are rejected.** 

#### Feasibility of $\Lambda$ 's beta decay experiment

Background suppression of  $\pi^0$  and  $\pi^-$ 

SIG = 0.00048BR BGO Other analysis BG BG/SIG Lucite Plastic  $\pi^0$ ×0.03 ×0.10 ×0.10 ×0.24 0.036 0.2 = 0.000014 $\pi^{-}$ 0.4 ×0.07 ×0.045 ×0.001 ×1.0 = 0.0000130.0026

Simulated energy spectrum of the beta decay electron



**Contamination of** Background/Beta decay ~ 4% Systematic error from background < statistical error of 4%

3.6%+0.26% ~ 4%

→ Beta decay measurement is found to be feasible!

#### **Summary & Prospects**

- We want to study the modification of baryon properties in a nucleus by measuring Λ's beta decay rate.
- We studied background from  $\Lambda's$  decay modes.

Via analysis of BGO cluster, plastic counter energy loss and lucite Cerenkov counter hit,

BR(background)/BR(beta decay) rate is reduced down to 4%.

Systematic error of BR(background) < statistical error (4%)

We found that the experiment is feasible.

- We will make more realistic simulation considering the energy resolution of BGO, plastic counter.
- We will prepare a proposal to J-PARC PAC.

#### **Request to theorists**

- We want to measure  $\Gamma_{\Lambda beta}$  (medium) reduction (20% at max) by baryon modification
- Other effects are as follows.
- 1. Pauli blocking of a proton in the beta decay
- 2. Meson exchange current and nuclear many body effects

To clearly detect the baryon modification effects, we need

#### **Precise calculations of 1 + 2 effects within 3%.**

Thank you for paying attention to this presentation !

### Back up

#### Other analysis

### **Correlation of hit positions**



$$\Delta z = z(A) - z(C) \sim 0$$



$$\Delta z = z(A) - z(C) > 0$$

simulation accept -500 -400 -300 -200 -100 0 100 200 300 400 500 The difference of A and C z position (mm)



Remaining  $\pi^0$ 

- One photon escapes from BGO holes
- The other photon enters BGO

Escaping  $e^{\pm}$  from BGO hits plastic counter

Leak event:  $\Delta z$  widely distributes.

Beta decay event:  $\Delta z \sim 0$ 

By accepting  $-90 \text{ mm} < \Delta z < 90 \text{ mm}$ 

**20% of \pi^0 are rejected.** 

#### Leak photon event in $\pi^0$ decay



and energy loss in plastic counter.

Can not be

rejected by BGO

cluster, Lucite

Cerenkov hit

By installing photon veto counter at the exit of BGO downstream hole

## **70% of remaining** $\pi^0$ events are rejected.

• Actually, photon veto counter will be installed around the SKS magnet.

#### Modification of baryon properties in a nucleus

 $g_V = 1$   $g_A = -1$   $g_A^{\Lambda} = -0.718$  (experiental) quark level hadron level ( $\Lambda$ )

In general, the beta decay rate,  $\Gamma_{\text{beta}}$ , is written in

 $\Gamma_{beta} \propto g_V^2 M_F^2 + g_A^2 M_{GT}^2$ ,  $\Gamma_{beta} \propto g_V^2 + 3g_A^2$ .

When  $\Lambda$ 's beta decay in a nucleus occurs only via Gamov-Teller transition as

$$\Gamma_{beta} \propto 3g_A^2$$
 ,

the beta decay rate decreases by about 20%. When  $\Lambda'$  s beta decay in a 0<sup>+</sup> nucleus occurs in combinations of Fermi and Gamov-Teller transition,

$$\Gamma_{beta} \propto g_V^2 + 3g_A^2$$
 ,

the beta decay rate decreases by about 12%.

 $g^{\Lambda}_{A}$  as a function of nuclear density by QMC model [1]



### Quenching of G-T beta decay rate in nuclei

	GT beta	Matrix element			
Reaction	$\log f_A t$	$M({ m GT})$ (exp)	$M({ m GT})$ th(free)	M(GT) <sub>exp</sub> M(GT) <sub>th(free)</sub>	
$n(\beta^{-})^{1}$ H	3.024(1)	3.100(7)	3.096	1.00	Light nucle
$^{3}\mathrm{H}(\beta^{-})^{3}\mathrm{He}$	3.058(1)	2.929(5)	3.096	0.946	
$^{6}\text{He}(\beta^{-})^{6}\text{Li}$	2.910(1)	2.748(4)	3.031	0.907	(reduce by
<sup>7</sup> Be(EC) <sup>7</sup> Li	3.300(1)	2.882(4)	3.187	0.904	
${}^{11}C(\beta^+){}^{11}B$	3.598(2)	1.480(9)	2.084	0.710	
$^{13}N(\beta^+)^{13}C$	3.671(2)	0.788(8)	0.891	0.884	

- Nuclear many-body effects and hadronic effect also reduce  $M_{GT}$ . Except for light (A<4) nuclei,  $M_{GT}$  quenching effect is 10 — 30 % or more.
- $M_{GT}$  decreases  $\rightarrow$  beta decay rate  $\Gamma_{\beta} \propto g_A^{\Lambda^2} M_{GT}^2$  decreases.
- By using lighter nuclei such as  ${}^{3}$ He, M<sub>GT</sub> quenching effect is expected to be  $\sim$  5% and beta decay rate decreases by 10 % (< baryon modification effect 20% (max)).

We will measure the change of  ${}^{5}_{\Lambda}$ He beta decay rate, and clearly measure the effect from baryon modification.

<sup>5</sup><sub>A</sub>He is suitable for measuring baryon modification effect (Other effect -> small)

 $\sim 5\%$ 

#### Modification of $g_A^{\Lambda}$ due to baryon "swelling" in medium

 $\Lambda \rightarrow p e^{-} v^{bar}$  Sensitive to overlap of u and s quark w.f.



## Study of background from nonmesonic weak decay ( $\Lambda p \rightarrow np$ and $\Lambda n \rightarrow nn$ )

#### **Reduction of nonmesonic weak decay**

**Cluster analysis** 



The energy deposit per path length

 $\Delta E/\Delta x$  (MeV/mm)

The energy deposit per path length

 $\Delta E/\Delta x$  (MeV/mm)

Furthermore, **99.5% of**  $\Lambda p \rightarrow np$  **99.7% of**  $\Lambda n \rightarrow nn$  are rejected by lucite Cerenkov counter.

By all the analysis to reduce background





#### BR(NMWD)/BR(Beta decay) rate (%) ~ 6%

Systematic error of BR(background) can be reduced down to  $6\% \times 0.3 = 1.8\%$ by subtracting background within 30% accuracy.

## Simulation study for background from Quasi-free $\Lambda$

#### Quasi-free $\Lambda$





The momentum distribution of the neutron in  ${}^{12}C$  measured by  ${}^{12}C$  (*e*, *e*'*p*) reaction [1]



Since the energy of  ${}^{6}Li$  should be E(  ${}^{6}Li$ ) = M(  ${}^{6}Li$ ), we modified the mass of neutron as

$$M_n^* = \sqrt{M_C^2 + M_R^2 - 2M_C\sqrt{M_R^2 + p_R^2}} \le M_n$$



[1] J. Mougey et al., Nucl. Phys. A262, 461 (1976). 26

#### **Simulation study**

