

# V+heavy flavor jets and constraints to PDFs in CMS

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LHC-EW WG: Jets and EW bosons  
30<sup>th</sup> March 2020

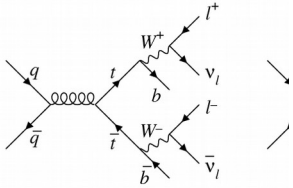
# Introduction

- Measurements of  $\sigma(pp \rightarrow Z/W + c/b)$  provide tests QCD predictions. **Results sensitive to hard scattering process & associated soft QCD radiation** (input to theory refinement & validation of MC techniques)
- Allows better understanding of proton structure.  
Z/W+c/b jets tests PDF for s,c,b.
- Background to some SM processes and in searches

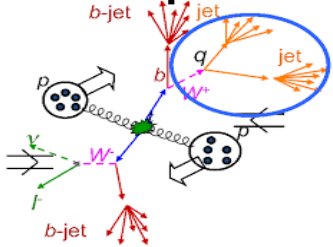


# SAMPLES

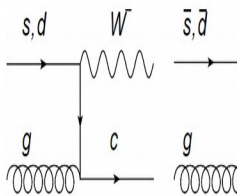
ttbar dileptonic



ttbar semileptonic



W+charm



## WAYS to IDENTIFY HF

- **SV channel**  
SV-in-jet
- **HF-tagging**
- **SL channel**  
 $\mu$ -in-jet

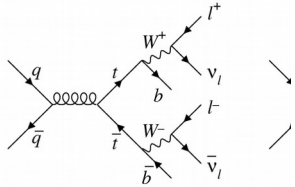
## VARIABLES

- **SV mass**
- $\Delta R(\text{c-jet}, \text{jet})$
- **Closest jet flavor**
- **Discriminants**
- **Deep Neural Nets**

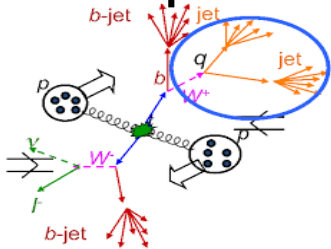
What can we do with all this?

# SAMPLES

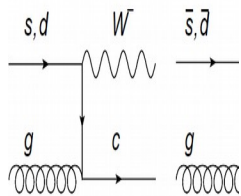
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# WAYS to IDENTIFY HF

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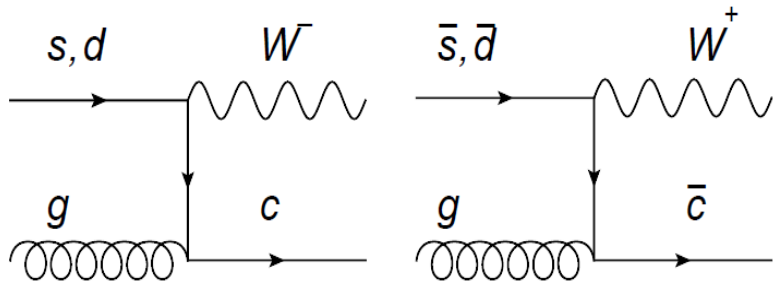
SCENARIO (SUBTRACTION)

- **OS-SS**
- ~~OS-SS~~

Given a certain technique we are looking at properties of heavy flavor (HF) jets on ttbar (dileptonic and semileptonic) & W+charm for calibration purposes and then performing the particular analysis

# A technique : Opposite sign (OS) - same sign (SS) bkg. subtraction

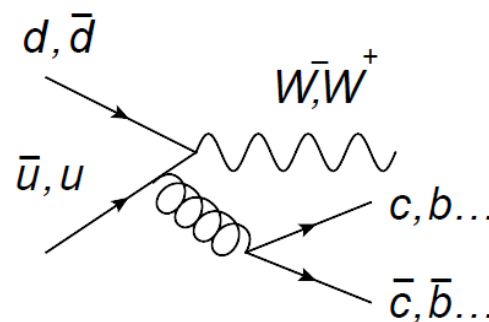
- Used for background suppression



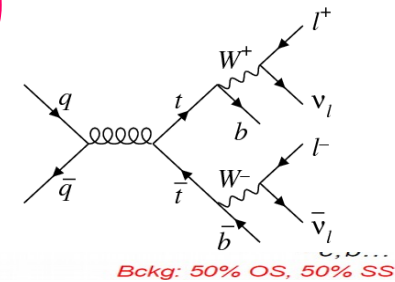
OS event

**W+c**

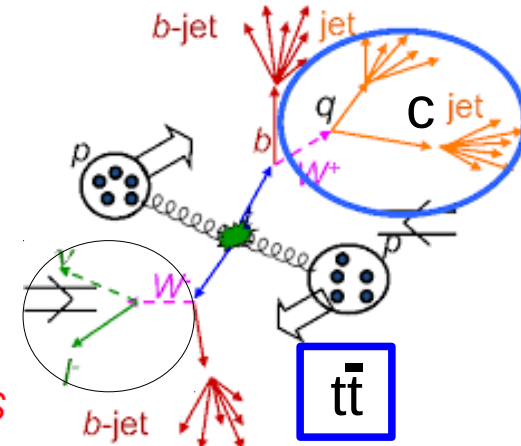
OS event



Bckg: 50% OS, 50% SS



Bckg: 50% OS, 50% SS



**t-tbar**

- Signal is always OS (sign of electric charges of W and c are opposite)
- Background is 50% OS, 50% SS
- OS – SS to get rid of symmetric background
  - SS distributions are subtracted from OS distributions

**OS-SS turns HF-jets → c-jets enriched**

**OS-SS turns b-jets in t-tbar → performance of b vs b-bar**

Mentioning ways  
(tools/experimental techniques)  
to not only **identify the HF** but  
also **determine its charge**

Ask for tagger with charge to be used for OS-SS

Samples and Strategy (exp. introduction):

How are the measurements done from the experimental point of view ?



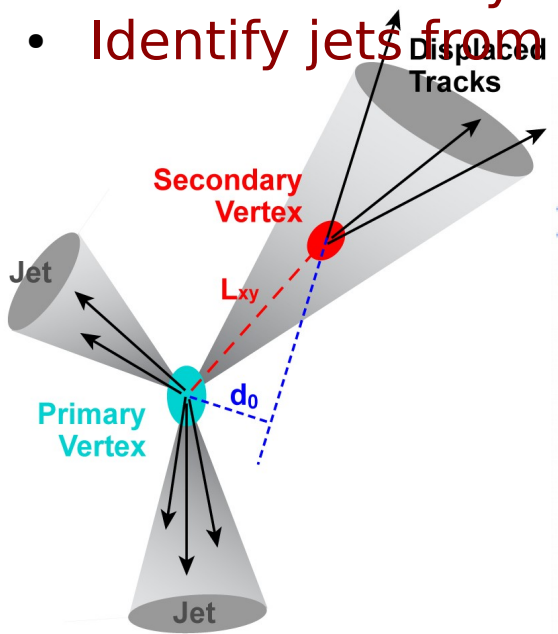
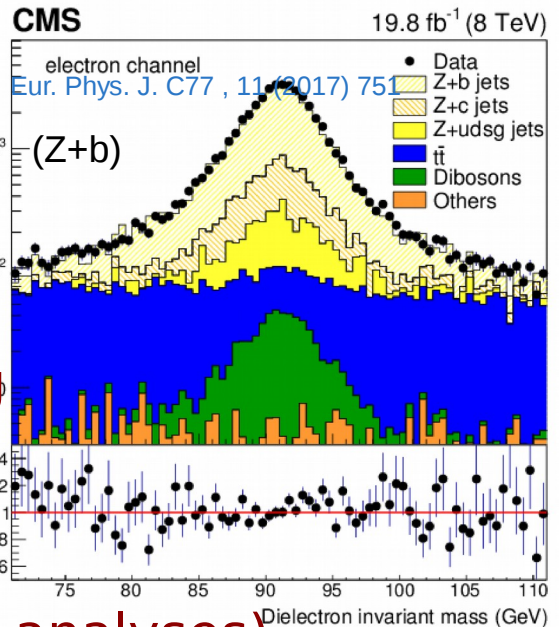
# Analysis strategy (our final state):

$$Z \rightarrow l^+l^-, W^+ \rightarrow l^+\nu \text{ with } p_T(l) > 20 \text{ GeV} \ \& \ |\eta(l)| < 2.1$$

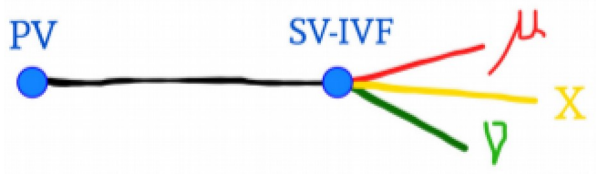
Dilepton invariant mass: [70,110] GeV

Identify heavy hadrons in final states by taking advantage of long life of heavy hadrons:

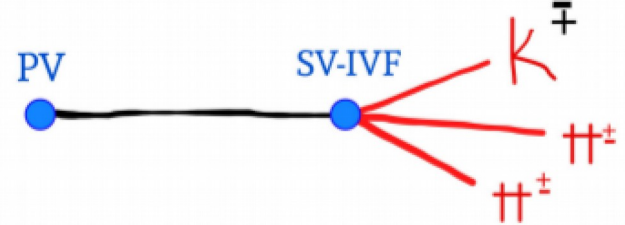
- Displaced tracks or tracks forming a SV
- Lepton in jet (charm and bottom analyses)
- Exclusive decays in jet ( $D^{*+/-}$  and  $D^{+/-}$  in charm analyses)
- Identify jets from HF using std CMS c/b tagging algorithms



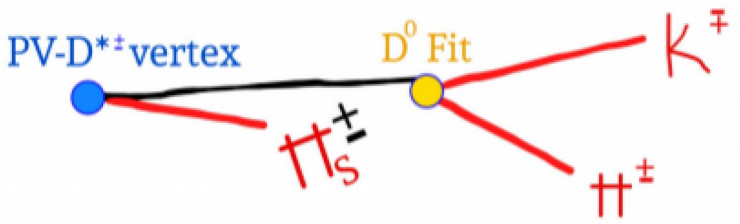
Semileptonic channel



$D^\pm$  channel



$D^{*+}(2010)$  channel



$$p_T^{\text{jet}} > 25 \text{ GeV} \ \& \ |\eta^{\text{jet}}| < 2.5$$



# Samples

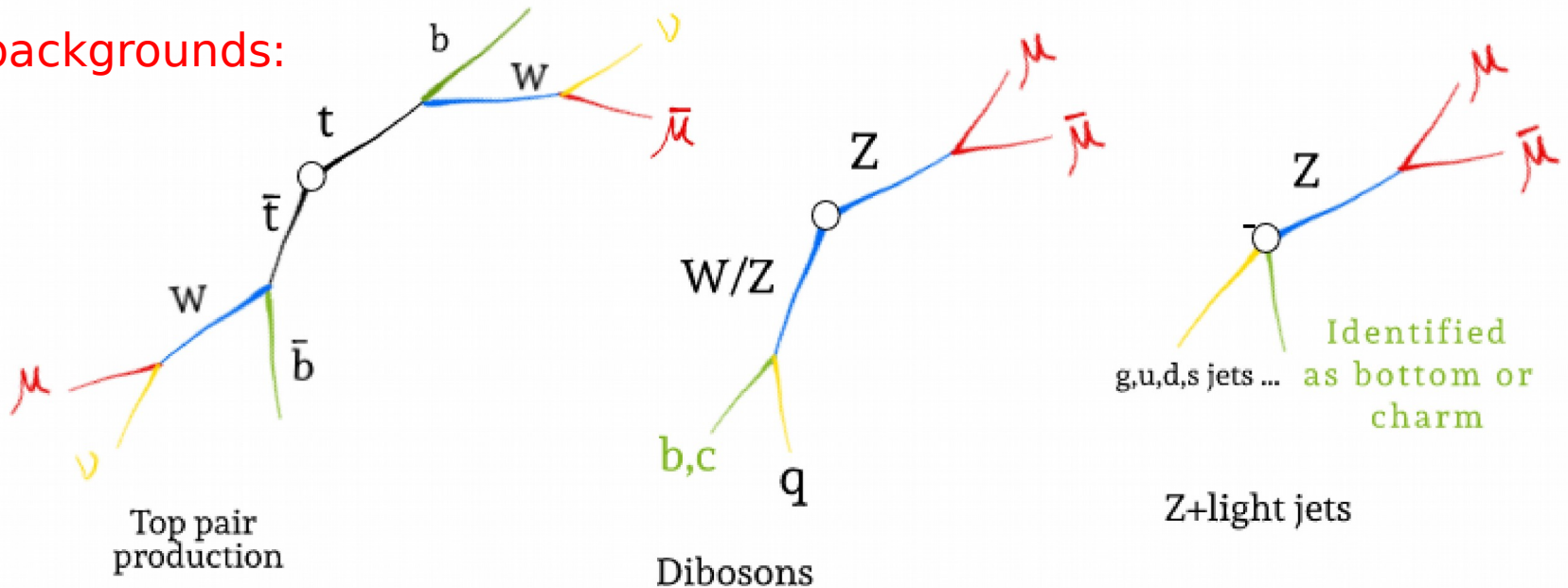
DATA: 2016 13 TeV ( 36 fb<sup>-1</sup> ) or 2012 8 TeV ( 20 fb<sup>-1</sup> )

MC: W/DY+jets generated w. MADGRAPH + PYTHIA

Cross section normalized to  $\sigma(pp \rightarrow Z/W + X)$  at NNLO calculated with FEWZ

Primary signal contribution: g-g & q-q processes (<5% from MPI)

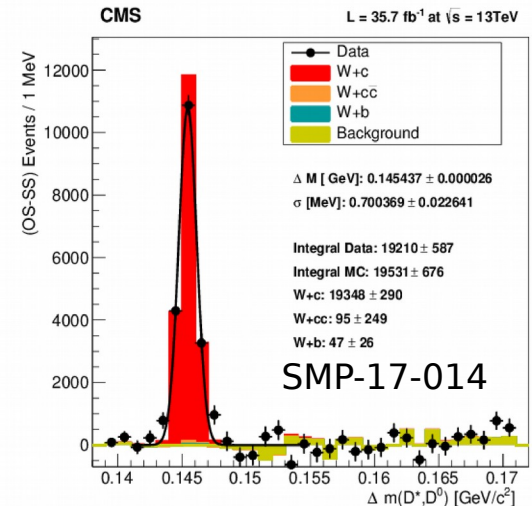
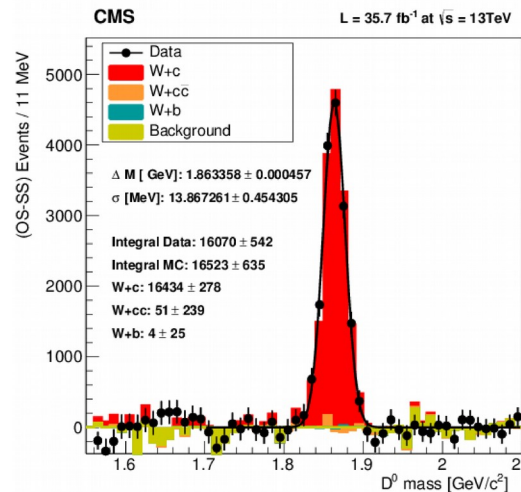
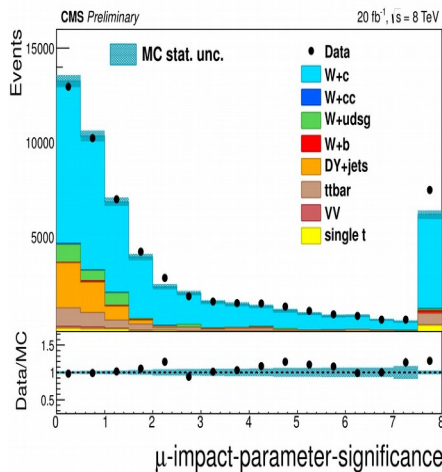
Main backgrounds:



# Selection of W+c samples

- $W \rightarrow e\nu, \mu\nu$  plus jets with similar selection to Z+HF
- Identification of heavy flavor jet:  $\mu$  or SV in jet from D-hadron inclusive decays or  $D^{*\pm}$
- OS-SS subtraction to remove symmetric backgrounds

After OS-SS subtraction the purity in W+c of the resulting sample is  $> 80\%$  (SL and SV channels) and  $>98\%$  ( $D^\pm$  and  $D^{*\pm}$  channels)



For OS-SS subtraction in the  $c \rightarrow \mu$  in jet case we use the electric charges of  $W \rightarrow e(\mu)$  &  $\mu$  in jet

• OS :  $Q_{W \rightarrow e(\mu)} \neq Q_{\mu \text{ in jet}}$

SS :  $Q_{W \rightarrow e(\mu)} = Q_{\mu \text{ in jet}}$

Results :

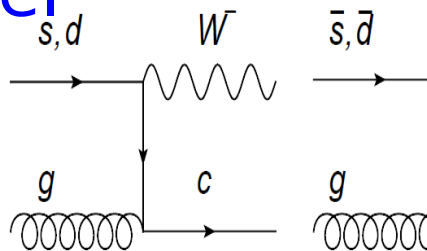
Comparison with predictions

# Results: $\sigma(W+c)$ @ 13 TeV

## Charm from $D^*$ channel

$$\sigma = N_{(W+D^*)\text{data}} / L B A_c \varepsilon_c$$

$$A_c \varepsilon_c = N_{W+D^*(\text{reco})} / N_{W+c(\text{gen})}$$



$$\sigma(W+c) = 1026 \pm 31(\text{stat})^{+76}_{-72}(\text{syst}) \text{ pb}$$

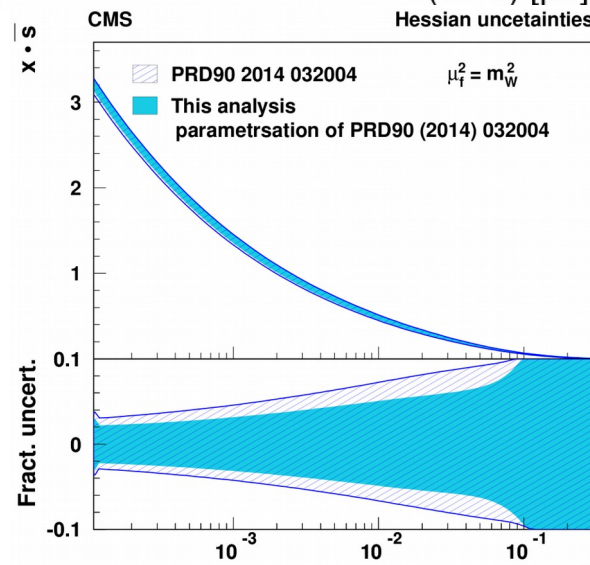
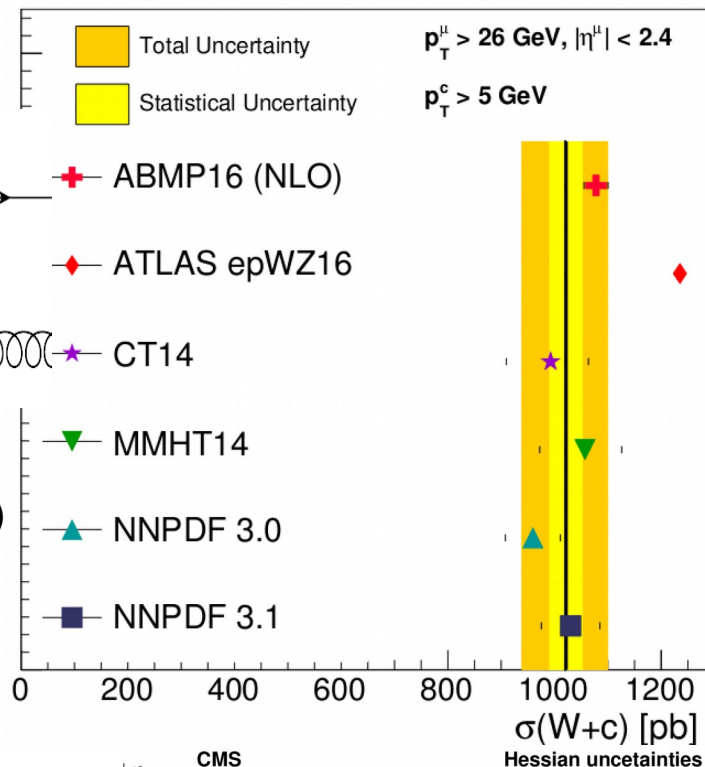
$$\sigma(W^++c)/\sigma(W^-+c) = 0.968 \pm 0.055(\text{stat})^{+0.015}_{-0.028}(\text{syst})$$

In good agreement with the theoretical predictions at NLO using different PDF sets (except for ATLASepWZ16nnlo PDF)

From a QCD analysis at NLO together with inclusive DIS measurements and earlier results from CMS on  $W+c$  production and the lepton charge asymmetry in  $W$ -production : The strange quark distribution and strangeness suppression factor agree with results from neutrino-scattering experiments.

CMS

$L = 35.7 \text{ fb}^{-1}$  at  $\sqrt{s} = 13 \text{ TeV}$



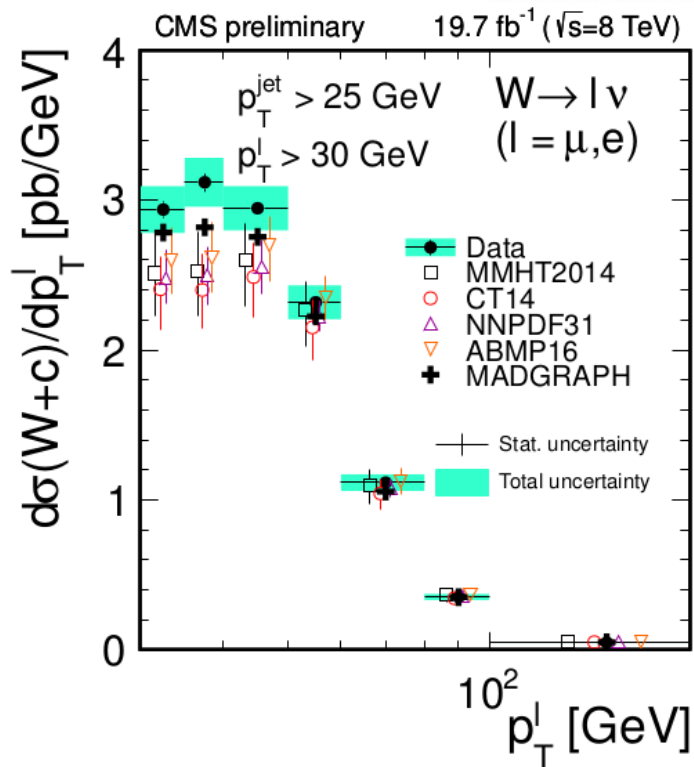
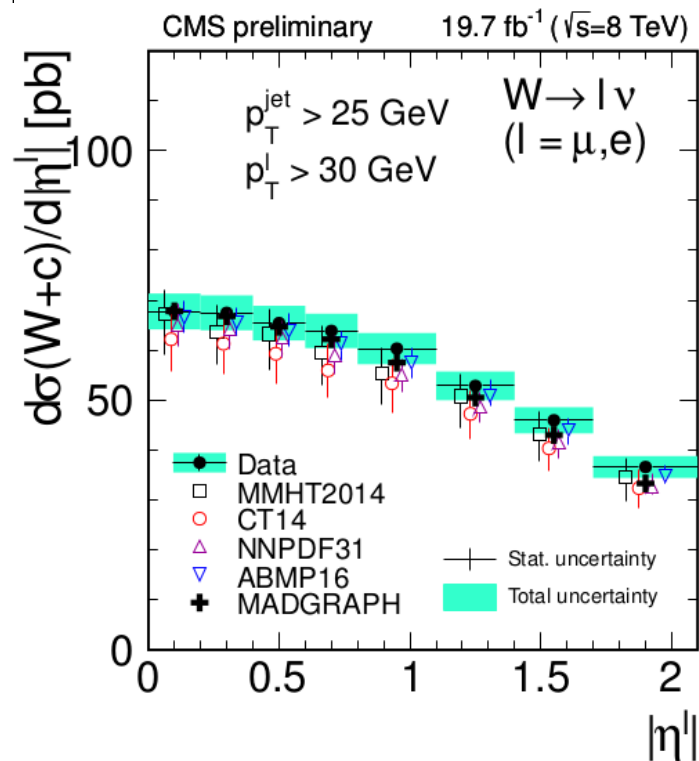
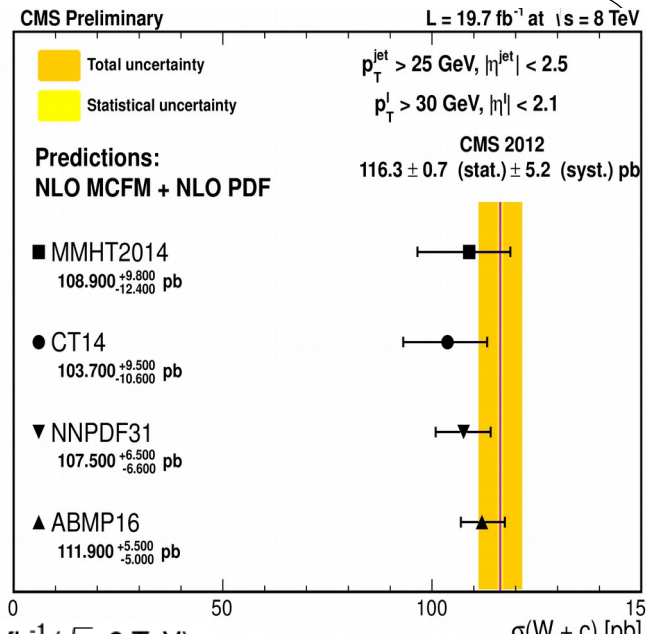
# Results: $\sigma(W+c)$ @ 8 TeV

$$\sigma = N_{(W+c)\text{data}} / L B A_c \epsilon_c$$

$$A_c \epsilon_c = N_{W+c(\text{reco})} / N_{W+c(\text{gen})}$$

$\sigma(W+c) = 116.3 \pm 0.7(\text{stat}) \pm 5.2(\text{syst}) \text{ pb}$   
 $\sigma(W^++c)/\sigma(W^-+c) = 0.986 \pm 0.011(\text{stat}) \pm 0.013(\text{syst})$

In good agreement with the theoretical predictions at NLO using different PDF sets



Charm  
from SL  
and SV  
channels

# Another technique :

$\sigma(Z+HF)$ : Different contributions (from  $Z+c$  and  $Z+b$  ,production) present

Modeling strategy needed :

(I) choose the variables to separate the different contributions

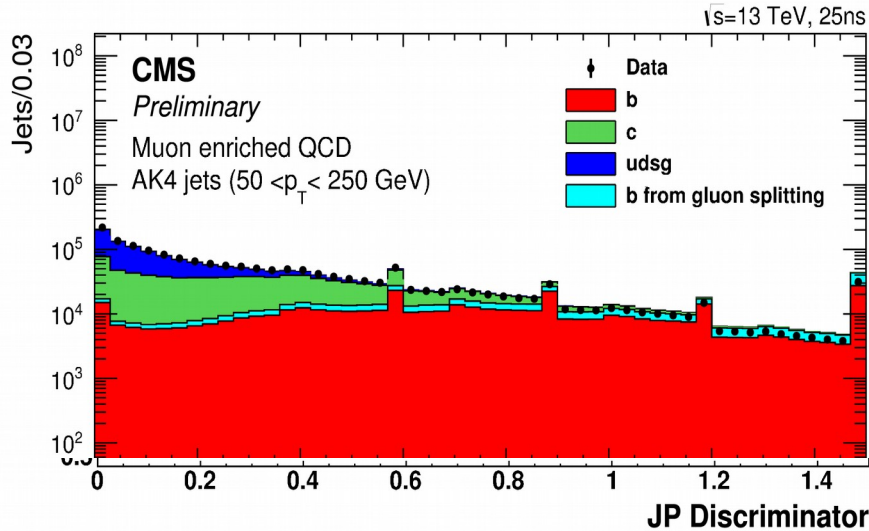
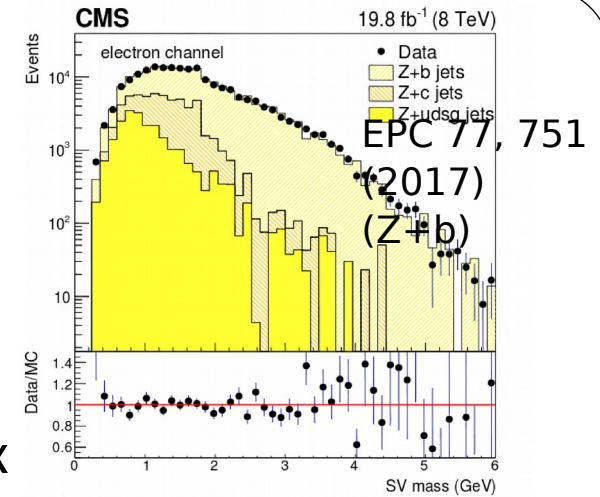
(II) make sure we model properly each of them

This is called template modeling and has two parts:

- Modeling properly the shape
- Accurate determination of tagging efficiency

# b/c/l separation (discriminants)

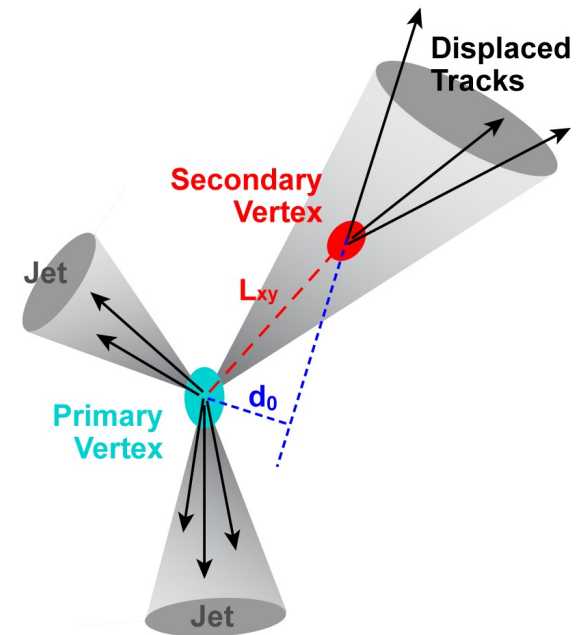
- Invariant mass of all charged particles attached to the reconstructed secondary vertex
- JP : likelihood estimate of prob. of jet constituents to come from primary vertex



Template modeling:

- sometimes is data driven
- or from MC

The larger the IP of a track the more incompatible w.r.t. PV





# Signal extraction (Z+c)

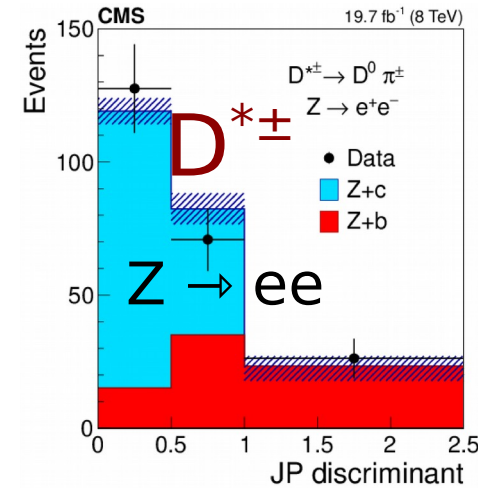
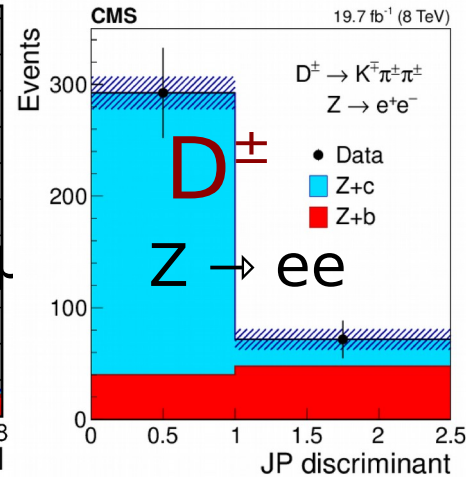
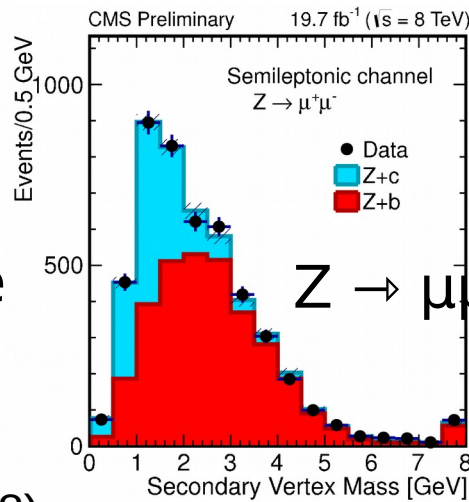
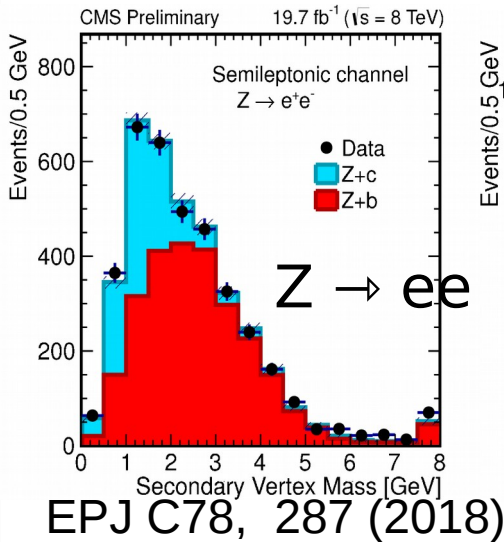
Z: Total # of observed Z+c/Z+b extracted from a  $\chi^2$  minimization fit of the Z+c/Z+b templates to the experimental distributions of vertex mass and JP discriminants

$$\chi^2 = \sum_i \frac{(n_i^{data} - \mu_{Z+c} N_i^{Z+c} - \mu_{Z+b} N_i^{Z+b})^2}{(\sigma_i^d)^2 + (\sigma_i^{MC})^2}$$

$n_i$  = Number of events in data (after subtraction of remaining background from Z+light,  $t\bar{t}$  and VV)

$N_i^{Z+c}, N_i^{Z+b}$  = Number of Z+c, Z+b

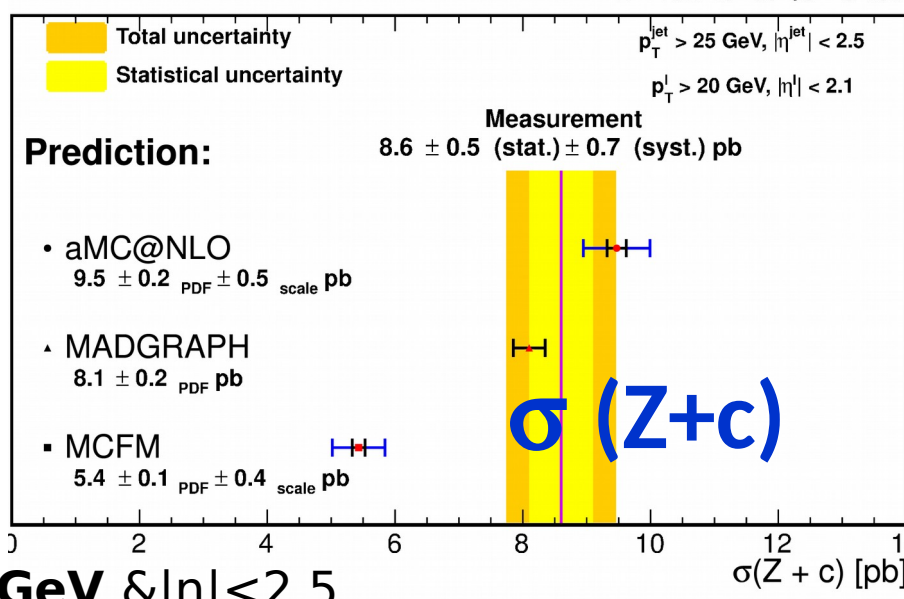
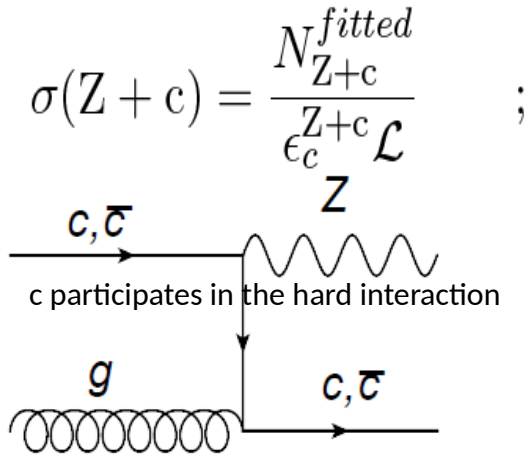
Parameters to fit:  $\mu_{Z+c}$  &  $\mu_{Z+b}$



c/b separation clearer in the D\* mode ( the soft pion comes from the PV for c  $\rightarrow$  D\* and not for b  $\rightarrow$  B  $\rightarrow$  D\* )

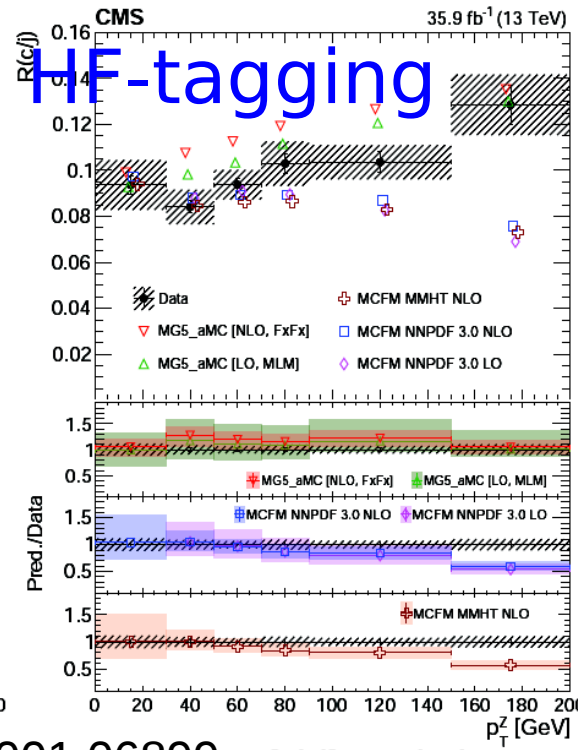
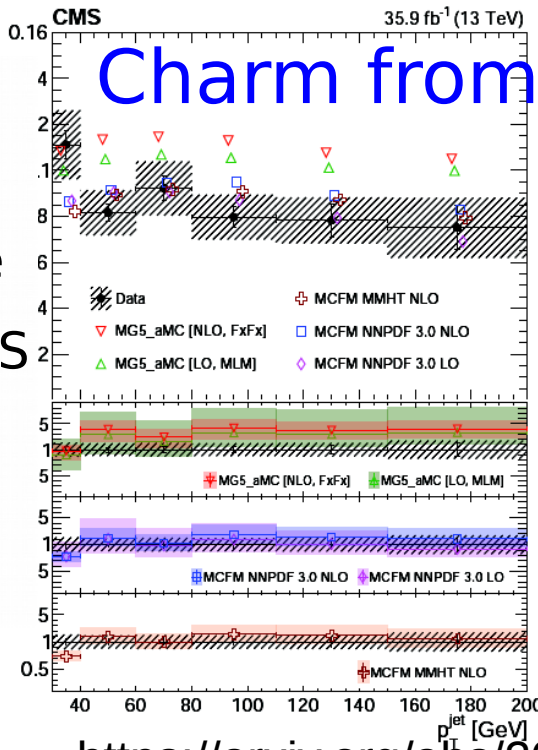
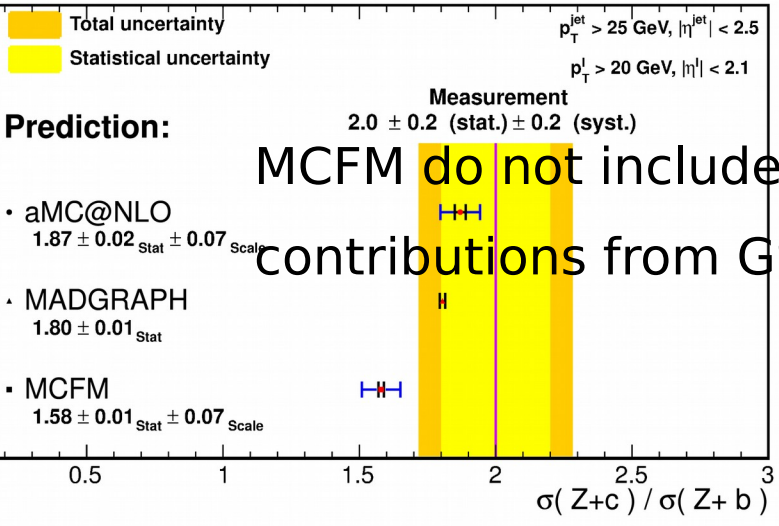
$\mu_{Z+c}$  &  $\mu_{Z+b}$  in the 0.9-1.1 range

# Results: $\sigma(Z+c)$ @ 8 TeV



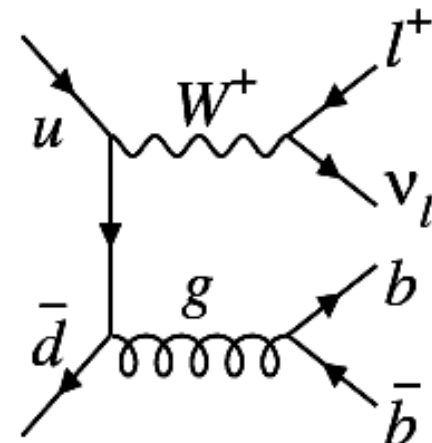
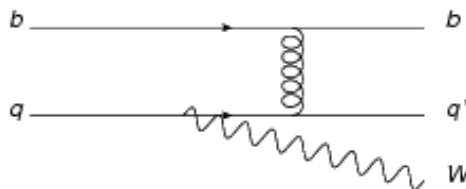
$\mu, e(p_T) > 25 \text{ GeV} \ \& \ |\eta| < 2.1, \text{jet}(p_T) > 25 \text{ GeV} \ \& \ |\eta| < 2.5$

## Charm from $SL, D^{*\pm}$



# W+bb

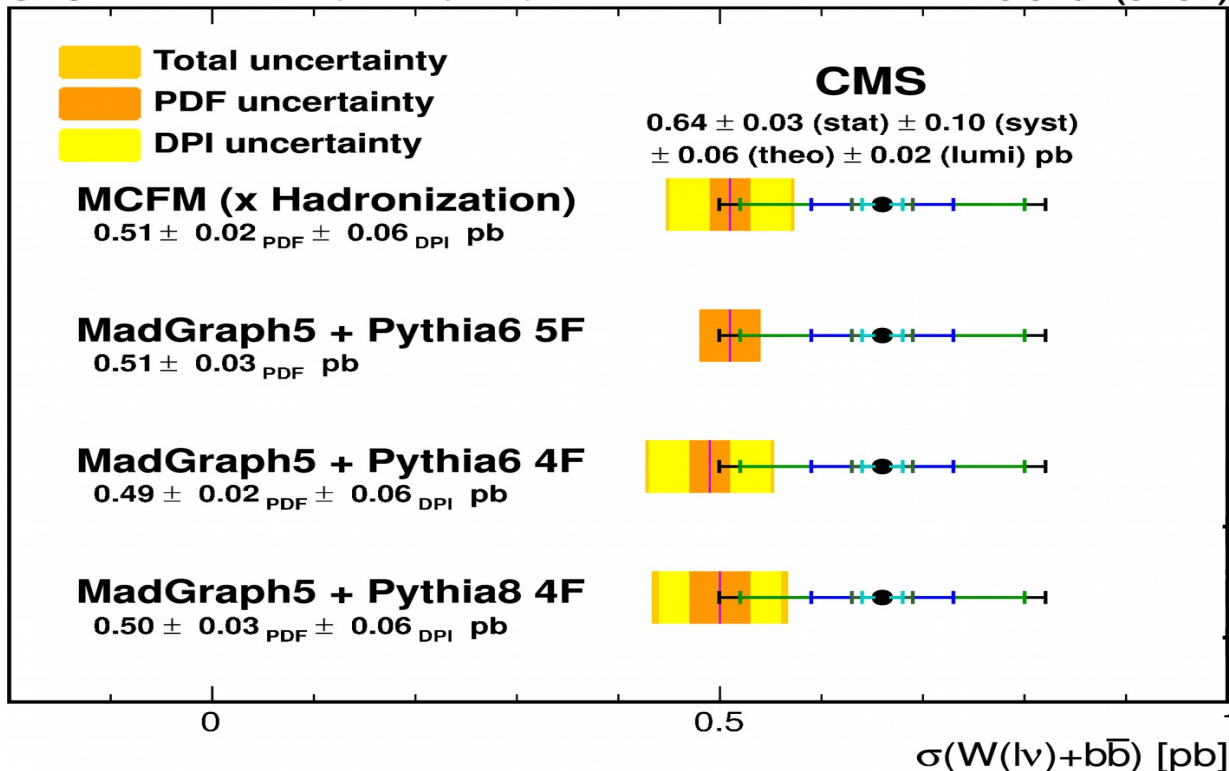
Physics Letters B 735: 204-225 (2014) at  $\sqrt{s} = 7$  TeV



Primary contribution is g splitting

W+bb production is a background in H+Z/W ( $H \rightarrow b\bar{b}$ )

CMS The European Physical Journal C 77:92 (2017) 19.8 fb<sup>-1</sup> (8 TeV)



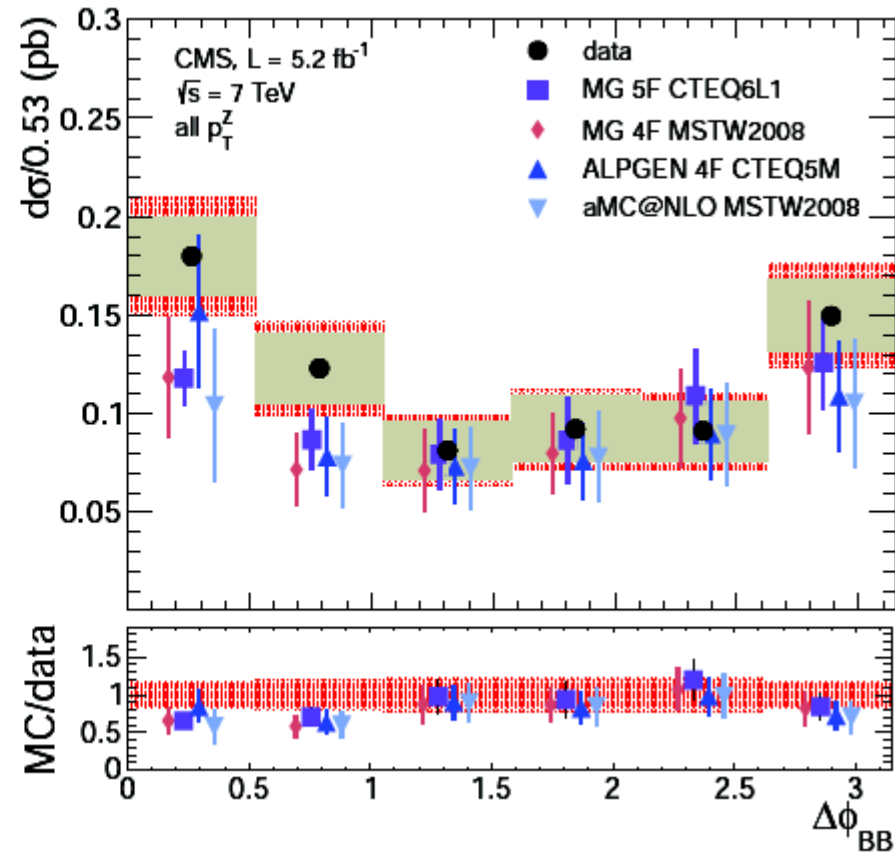
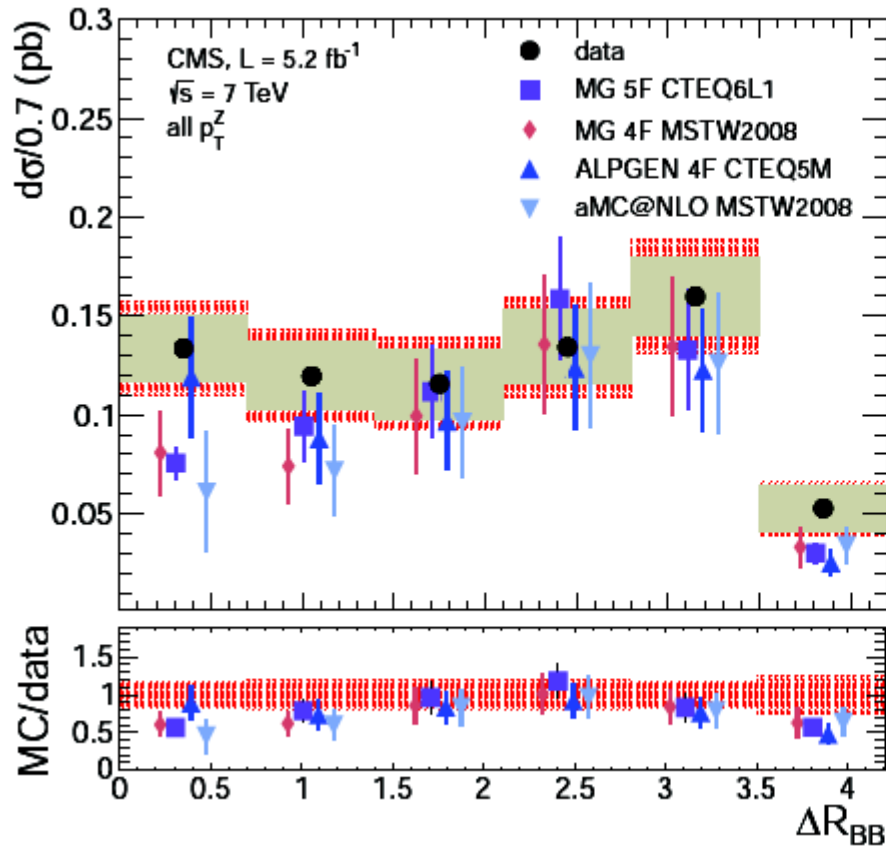
Use  $W \rightarrow \mu\nu$   
 and **2 b-tagged jets**  
 (jets originated from **b** quarks)

Data is in agreement with MC and theory. Large errors though (large SFs in VH(bb) analysis from this background source).

ATLAS W+b differs from predictions (difference larger in the production of events with a collinear  $b\bar{b}$  pair reconstructed as 1 jet JHEP 06 (2013) 084 )

# JHEP 06 (2014), 120 ( Z+bb @ 7TeV)

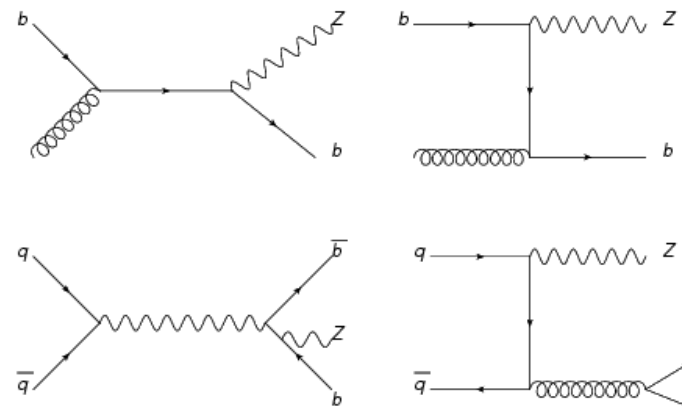
The b-hadrons are identified by means of displaced secondary vertices, without the use of reconstructed jets



5FS-based theoretical calculations may not be well suited to describe the collinear production of b-hadrons

# Z+bb

Primary contribution:

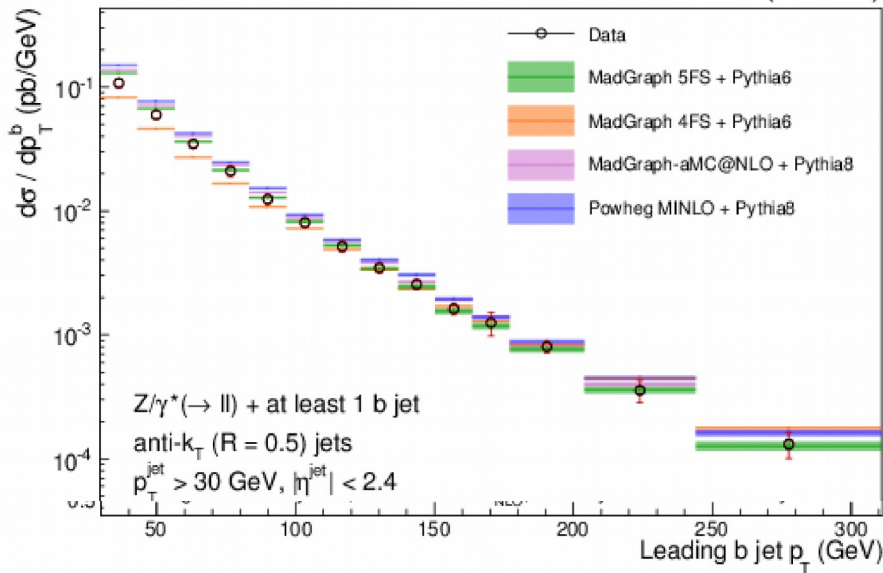


Use  $Z \rightarrow ll$  ( $ee$  or  $\mu\mu$ )

and **1 or 2 b-tagged** jets &  $\Delta R(l, j) > 0.5$

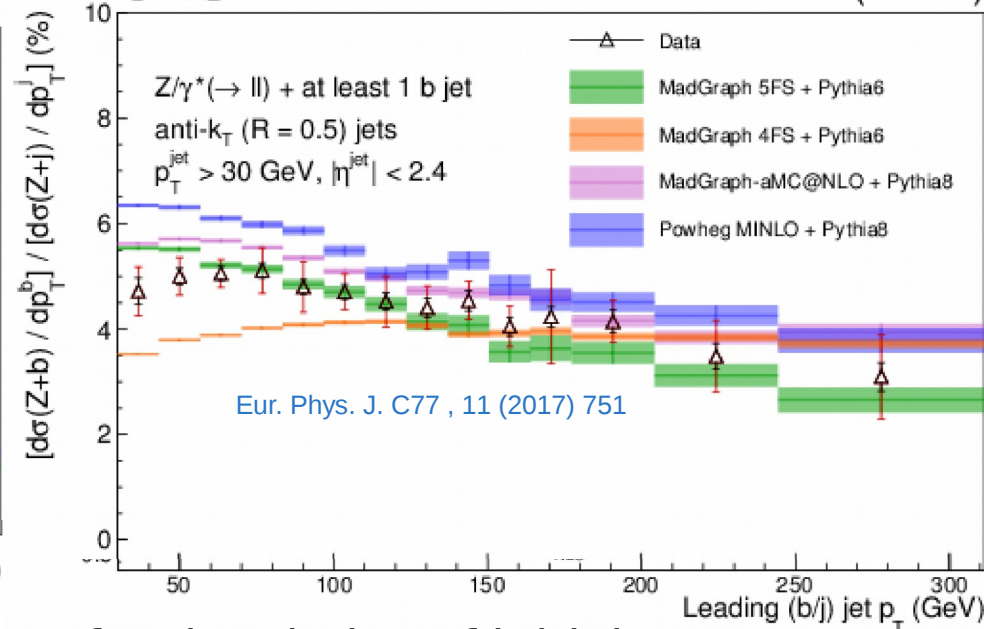
**CMS**

19.8 fb<sup>-1</sup> (8 TeV)



**CMS**

19.8 fb<sup>-1</sup> (8 TeV)



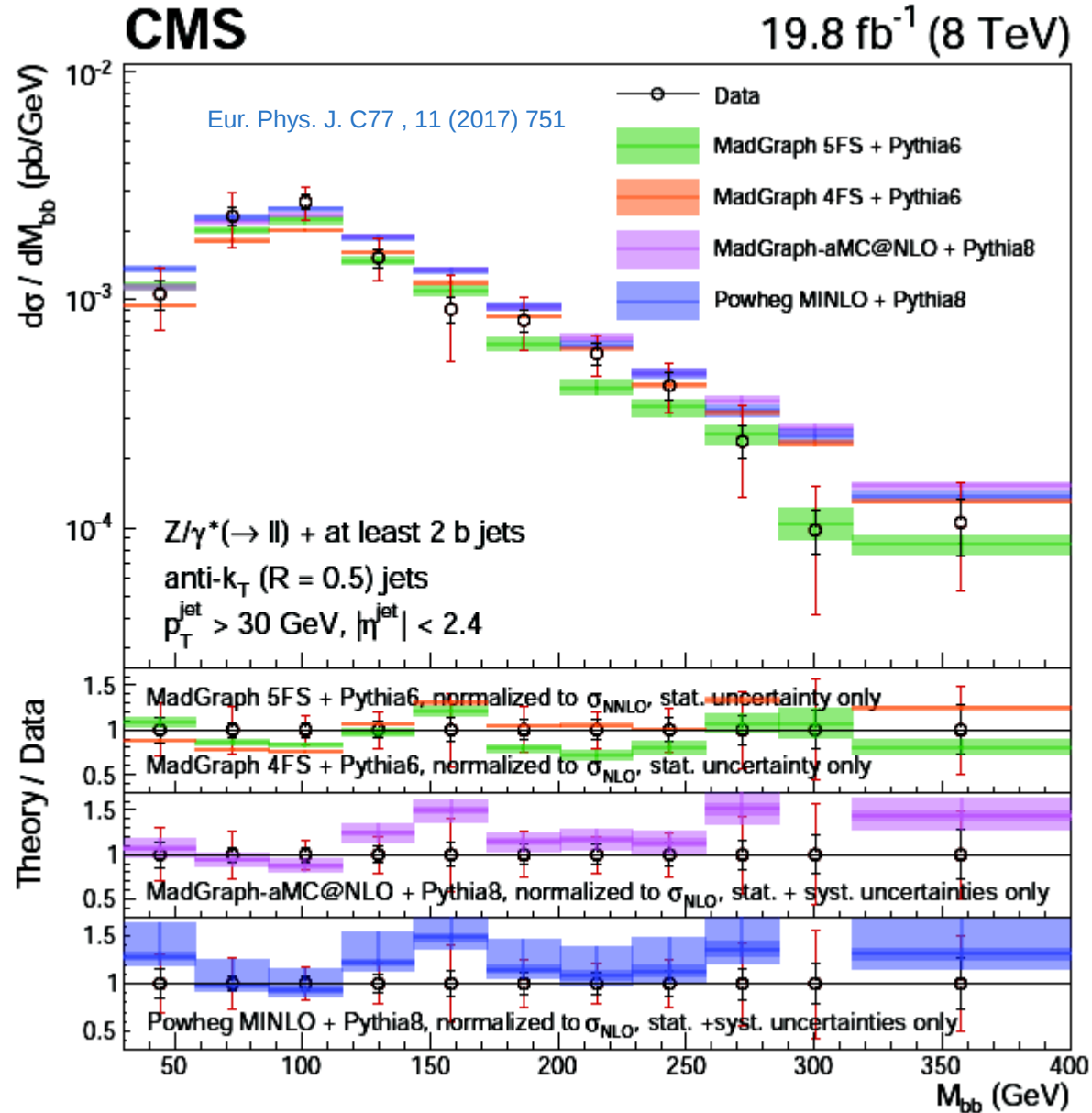
Testing two different flavour schemes for the choice of initial-state partons.

Agreement with 5FS-based theoretical calculations. 4FS **better@lowjet** pt



● Z + two b-jets : agreement in the dijet mass distribution

Z+bb



# Current and future analyses using full Run I

- $W+c$
- $W+c\bar{c}$
- $W+W^-$  ( $W^- \rightarrow CS$ )
- $W+b$
- $Z+HF$  inclusive or exclusive channels
- $\gamma+HF$



# Conclusions

Evaluated  $W/Z$  + heavy hadron associated production, inclusive and differential (more in back-up)

Agreement with predictions from MadGraph5 `amc@nlo` and Madgraph renormalized to a FEWZ calculation.

There has been a lot of improvement in the last decades and there is more to come from both , theoretical and experimental results

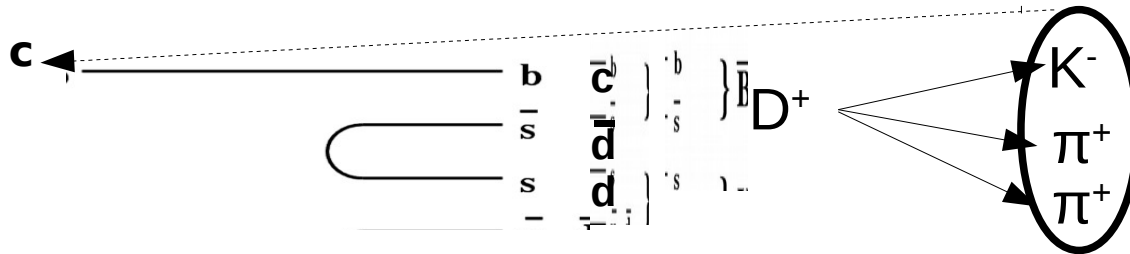
Back up

# Charm charge determination of W+c samples

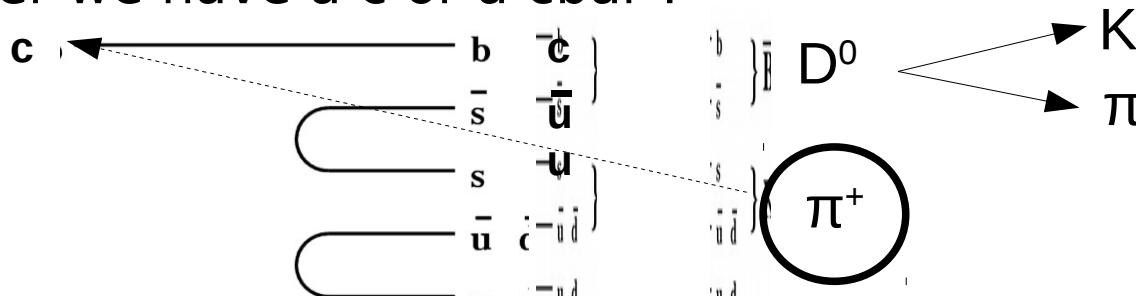
- In the SL(D\*) channel the charm charge is that of the  $\mu(D^*)$

Vertex-tracks

- In the SV channel, the charge of the SV vertex :  $\sum q_{\text{tracks}}$



- If vertex-charge == 0 use charge of closest PV-track (  $p_T > 0.3$  &&  $\Delta R(\text{track}, \text{IVF-vertex}) < 0.1$ ). The sign of that track, the closest track to the  $\text{Charm}_{\text{hadron}}$  in the process of fragmentation, tells you whether we have a  $c$  or a  $\bar{c}$  :



- Charge definition: OS if charges of the SV and the lepton from the W decay are opposite.

• OS :  $Q_{W \rightarrow e(\mu)} \neq Q_{SV}$

SS :  $Q_{W \rightarrow e(\mu)} = Q_{SV}$

# Semileptonic selection for Z and W analysis (SL channel)

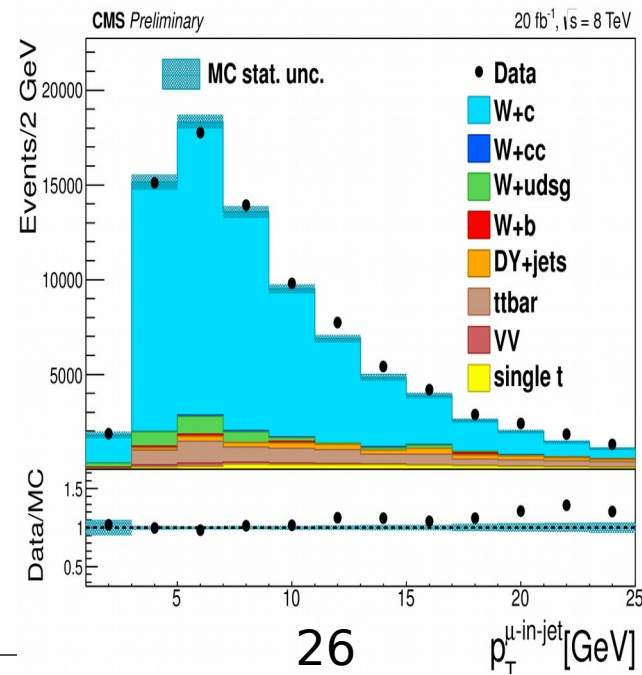
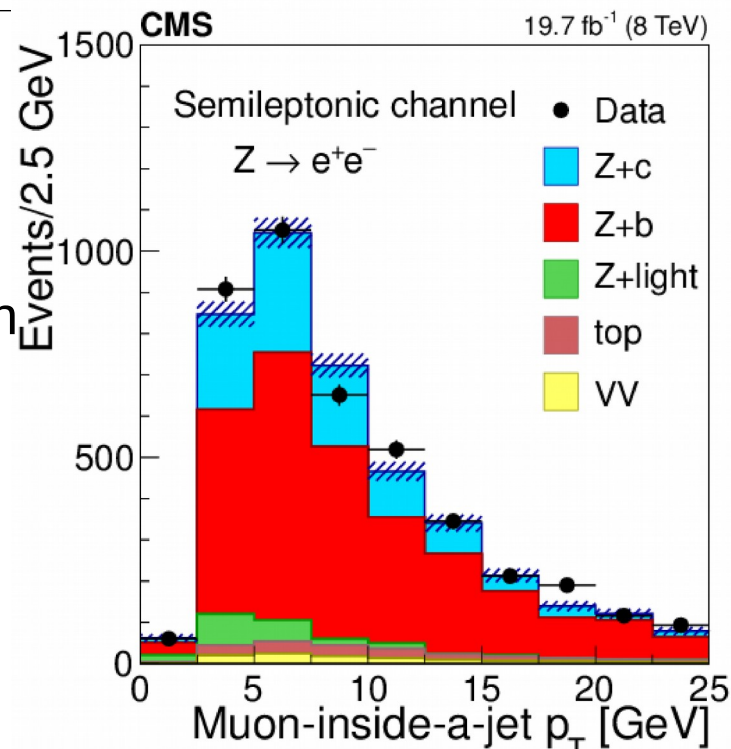
- $\mu$  inside a jet (taking part of a secondary vertex for Z). This reduces the light contribution more than standard b-tagging algorithms.
- $p_T^\mu < 25$  GeV, with  $p_T^\mu / p_T^{\text{jet}} < 0.6$ ,  $|\eta^\mu| < 2.5$
- non-isolated,  $I_{\text{comb}} / p_T^\mu > 0.2$

## Semileptonic candidates:

4145  $Z \rightarrow e^+e^-$       5258  $Z \rightarrow \mu^+\mu^-$   
 52K  $W \rightarrow eu$       32K  $W \rightarrow \mu\nu$

## Relative contributions:

Z+c:25% Z+b:65% Z+light:5% Others:5%  
 W+c:80% W+b:0.5% W+light:4% top:10%  
 Others:6%

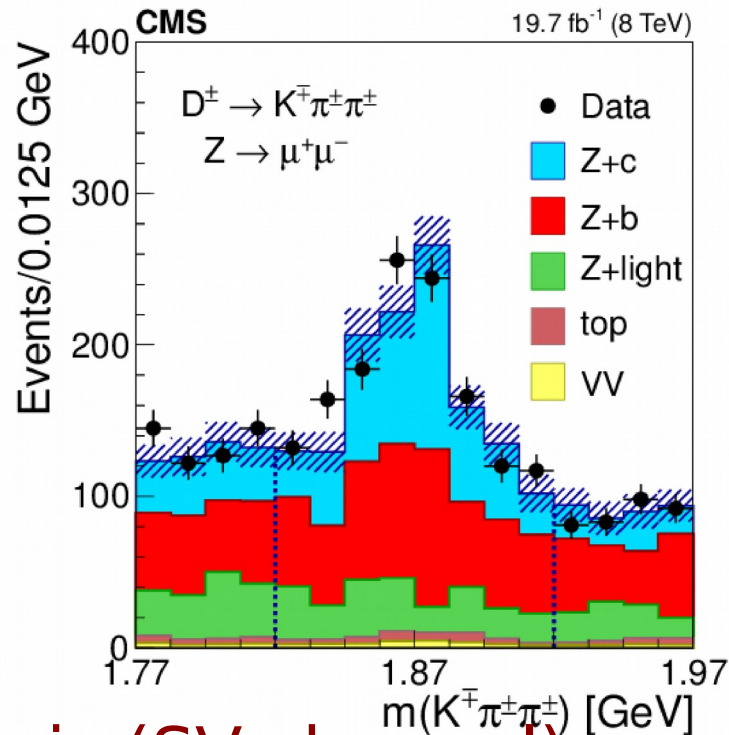


# D<sup>±</sup> Selection for Z analysis (D<sup>±</sup>)

Use jets with a 3 tracks secondary vertex & search for D<sup>±</sup> → K<sup>∓</sup>π<sup>±</sup>π<sup>±</sup> resonant peak.

Non resonant bkg. in the signal region subtracted from the neighboring sidebands

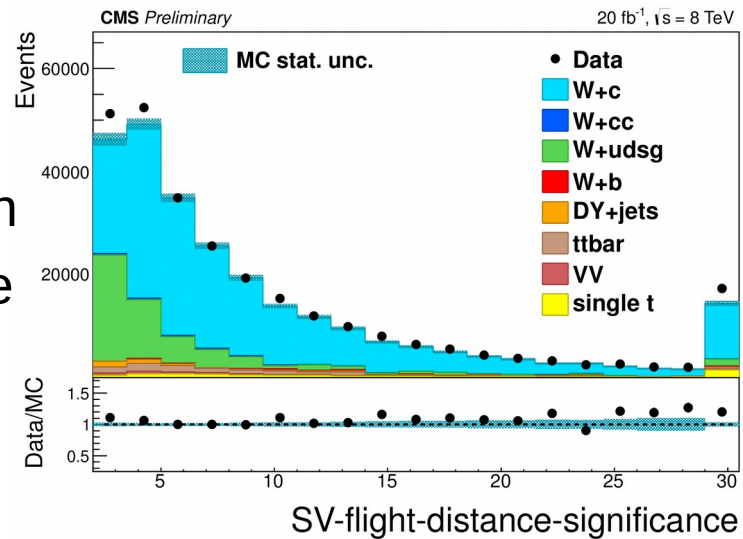
490±48 D<sup>±</sup> (Z → μ<sup>+</sup>μ<sup>-</sup>)      375±44 D<sup>±</sup> (Z → e<sup>+</sup>e<sup>-</sup>)  
 Z+c: ~60% Z+b: ~35% Others:<5%



# Exclusive D selection for W analysis (SV channel)

- Reconstructed secondary vertex in jet
- Vertex\_mass > 0.55 GeV and SV flight distance significance > 3.5 to reduce light jet contamination
- In case of several jets with SV in the event, take the **highest p<sub>T</sub> jet**

117K W → eu      131K W → μν  
 W+c: 75% W+b: 0.5% W+light: 15% top: 6%  
 Others: 3.5%



# D(2010)<sup>\*±</sup> Selection for Z (W) analysis (D<sup>\*±</sup> channel)

- D<sup>\*±</sup> → D<sup>0</sup> π<sub>s</sub><sup>±</sup> [D<sup>0</sup> → K<sup>-</sup>π<sup>+</sup>(+c.c.)] decay chain.
- Kaon: track with sign opposite to π<sub>s</sub>
- D<sup>0</sup> vertex with L<sub>xy</sub>/σ(L<sub>xy</sub>)>3(0), D<sup>0</sup> vertex prob.>0.05
- p<sub>T</sub>(D<sup>\*</sup>)>0(4) && p<sub>T</sub>(D<sup>\*</sup>)/Σp<sub>T(cone 0.4)</sub> > 0(0.2)
- p<sub>T</sub>(K)>1.75(1), p<sub>T</sub>(π)>0.75(1), p<sub>T</sub>(π<sub>s</sub>)>0.5(0.35) GeV
- |ΔR(D<sup>\*</sup>, jet)| < 0.5, |ΔR(D<sup>0</sup>, π<sub>s</sub>)| < 0.1(0.15).
- |m(D<sup>0</sup>)-1.865|<100(35) MeV, |Δm-145|< 5 (1) MeV
- Signal region : 1.97 < m(D<sup>\*</sup>) < 2.05 GeV
- Sidebands : 0.06 < |m(D<sup>\*±</sup>)-2.01| < 0.12 GeV

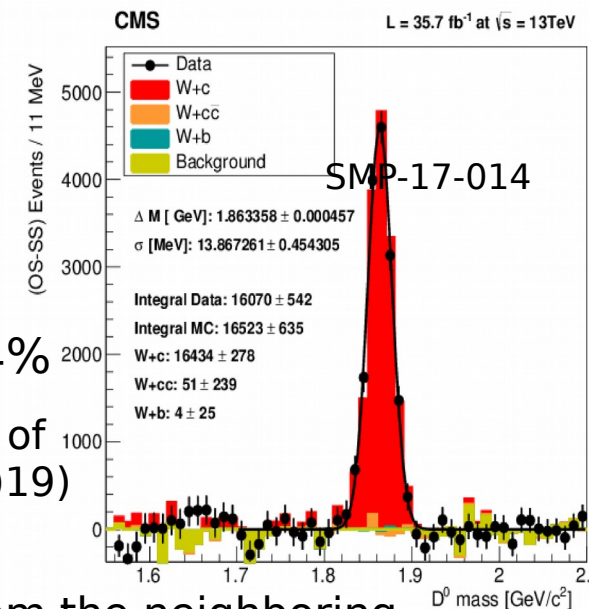
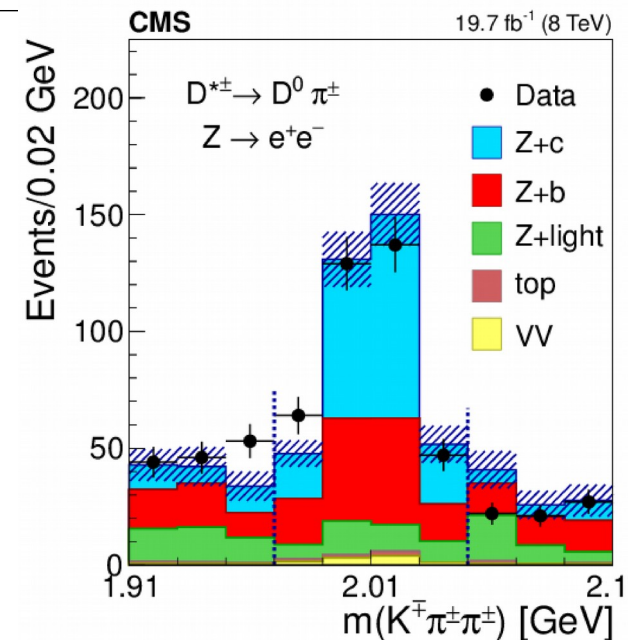
After sideband subtraction: 309 ± 22 D<sup>\*±</sup>(Z → μ<sup>+</sup>μ<sup>-</sup>)  
 234 ± 22 D<sup>\*±</sup>(Z → e<sup>+</sup>e<sup>-</sup>)

Z+c: ~65% Z+b: ~30% Z+light: <1% Others(tt+VV): <4%

• The simulation is reweighted to match the experimental values of c → D<sup>\*±</sup> → D<sup>0</sup> π<sub>s</sub><sup>±</sup> [D<sup>0</sup> → K<sup>-</sup>π<sup>+</sup>] (PDG+L.Gladilin, Eur.Phys.J.C75(2015)19)

Non resonant background in the signal region subtracted from the neighboring sidebands ( wrong charge D<sup>0</sup> → K<sup>-</sup>π<sup>-</sup>(+c.c.) in W+c analysis)

19.2 ± 0.6 × 10<sup>3</sup> D<sup>\*±</sup> (W → μν)



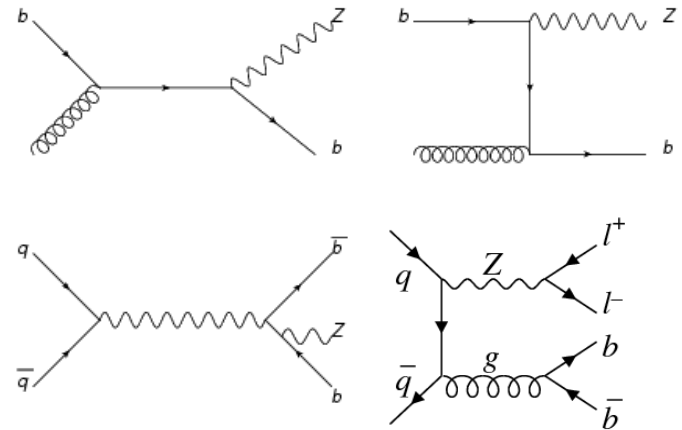
# Z+bb

JHEP 06 (2014) 120 at  $\sqrt{s} = 7$  TeV

Primary contribution:

Use  $Z \rightarrow ll$  (ee or  $\mu\mu$ )

and **1 or 2 b-tagged** jets &  $\Delta R(l, j) > 0.5$



Testing two different flavour schemes for the choice of initial-state partons.

cross sec.	Measured (pb)	MADGRAPH (5F)	aMC@NLO (5F)	MCFM (parton level)	MADGRAPH (4F)	aMC@NLO (4F)
sZ+1b	$3.52 \pm 0.28$	$3.66 \pm 0.22$	$3.70^{+0.23}_{-0.26}$	$3.03^{+0.30}_{-0.36}$	$3.11^{+0.47}_{-0.81}$	$2.36^{+0.47}_{-0.37}$
sZ+2b	$0.36 \pm 0.07$	$0.37 \pm 0.07$	$0.29 \pm 0.04$	$0.29 \pm 0.04$	$0.38^{+0.06}_{-0.10}$	$0.35^{+0.08}_{-0.06}$
sZ+b	$3.88 \pm 0.22$	$4.03 \pm 0.24$	$3.99^{+0.25}_{-0.29}$	$3.23^{+0.34}_{-0.40}$	$3.49^{+0.52}_{-0.91}$	$2.71^{+0.52}_{-0.41}$
sZb/Zj(%)	$5.15 \pm 0.25$	$5.35 \pm 0.11$	$5.38^{+0.34}_{-0.39}$	$4.75^{+0.24}_{-0.27}$	$4.63^{+0.69}_{-1.21}$	$3.65^{+0.70}_{-0.55}$

Z+1b data favors five-flavour scheme ( $b$  massless). Z+2b favors 4FS.

$\sim 2\sigma$  data vs MCFM (parton-level) cross section difference specific to the modeling of the Z+b-jets final state.



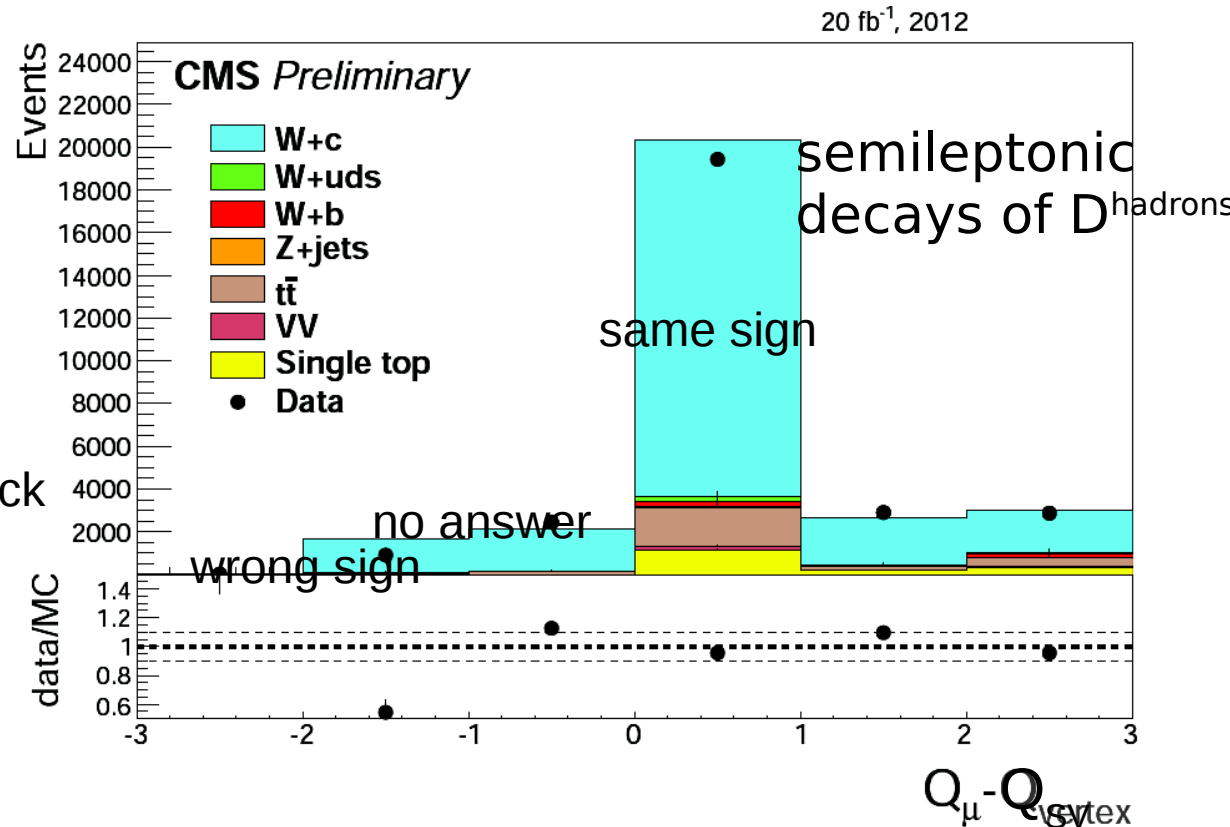
# Test of $Q_{SV}$ algorithm

- Using semileptonic sample for test ( sample with a muon in a jet & IVF-vertex) :

test of  $Q_{\mu\text{-in-jet}} - Q_{SV}$

- 70%: 0  $\rightarrow$  same sign
- 10%: 2 or -2  $\rightarrow$  wrong sign
- 20%: 1 or -1  $\rightarrow$  no answer

( no answer  $\rightarrow$  no nearby PVtrack with  $p_T > 0.3$  &&  $\Delta R(\text{track}, \text{IVF-vertex}) < 0.1$  )



- When the algorithm gives an answer: right 87% of the times, wrong 13% (after OS(87%)-SS(13%) subtraction we are left with 74% of the answers).

# Z+c Selection: b/c separation (discriminants)

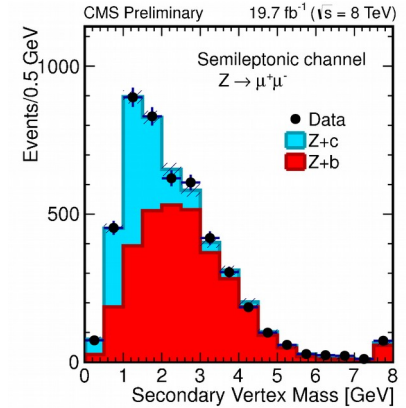
- Vertex mass (for semileptonic mode)

$$M_{\text{vertex}}^{\text{corr}} = \sqrt{M_{\text{vertex}}^2 + p_{\text{vertex}}^2 \sin^2 \theta + p_{\text{vertex}} \sin \theta},$$

Correction included to account for unidentified neutral decay products

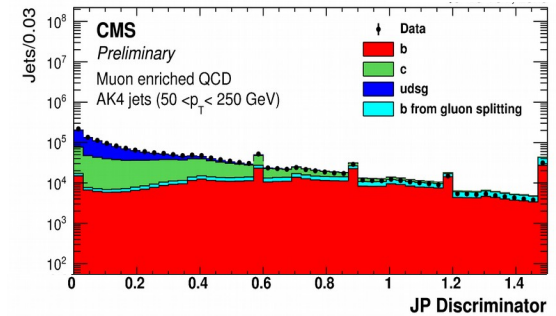
- JP (for D hadron modes): likelihood estimate of prob. of jet tracks to come from primary vertex

The larger the IP of a track the more inconsistent w.r.t. PV



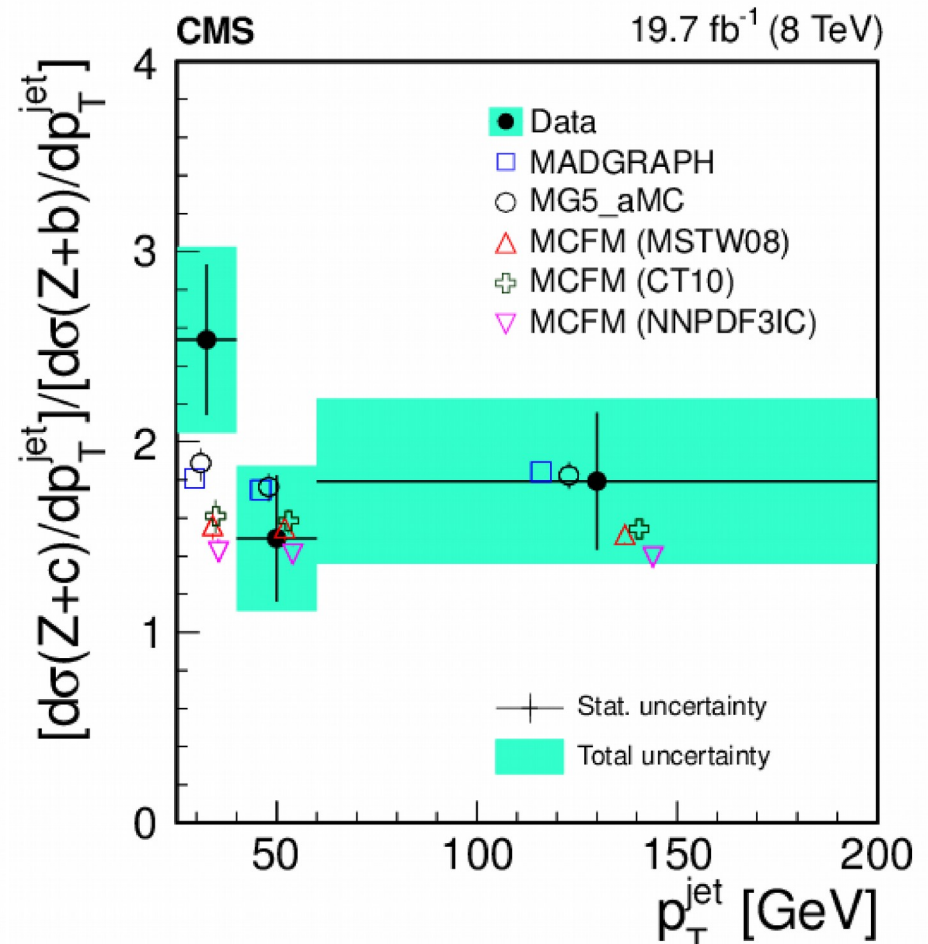
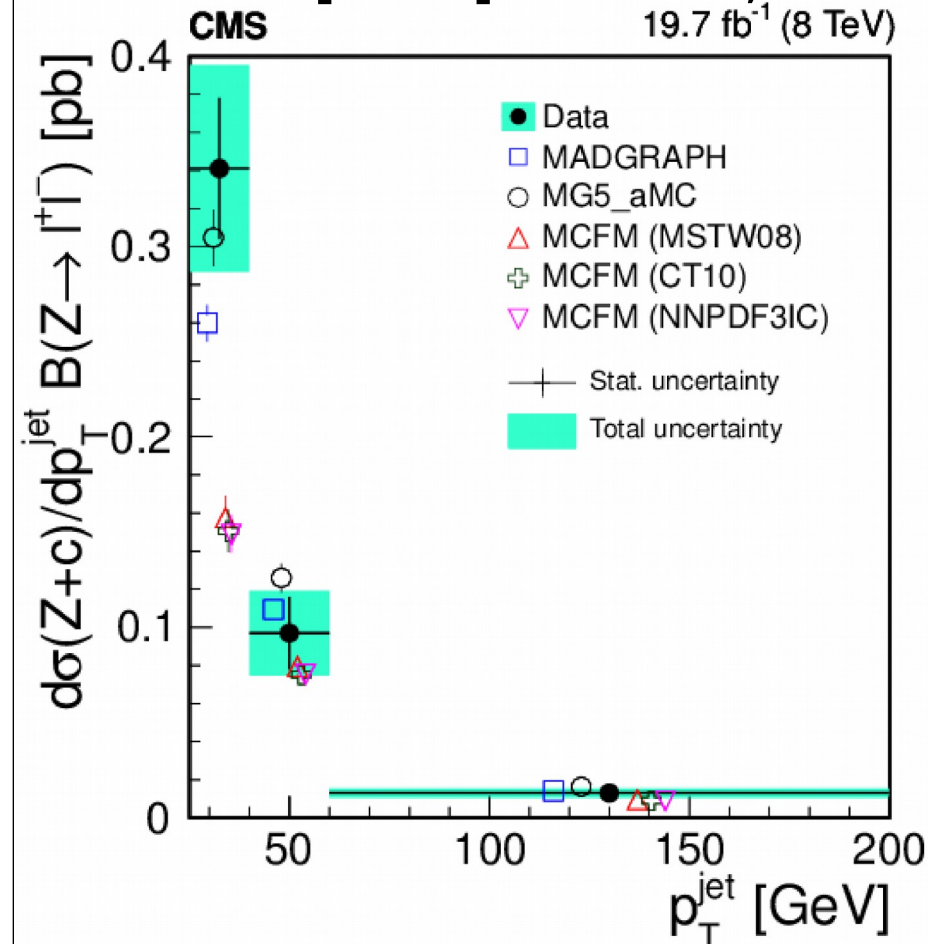
## Modeling strategy

- Z+c :
  - Shape : data driven (W+charm) [1<sup>st</sup> time]
  - Normalization taken from MC after applying vertex-efficiency corrections
- Z+b :
  - Shape : from MC but corrected with data (ttbar)
  - Normalization from MC after vertex-efficiency corrections
- Z+light and Dibosons: shape and normalization from MC
- ttbar: Data driven



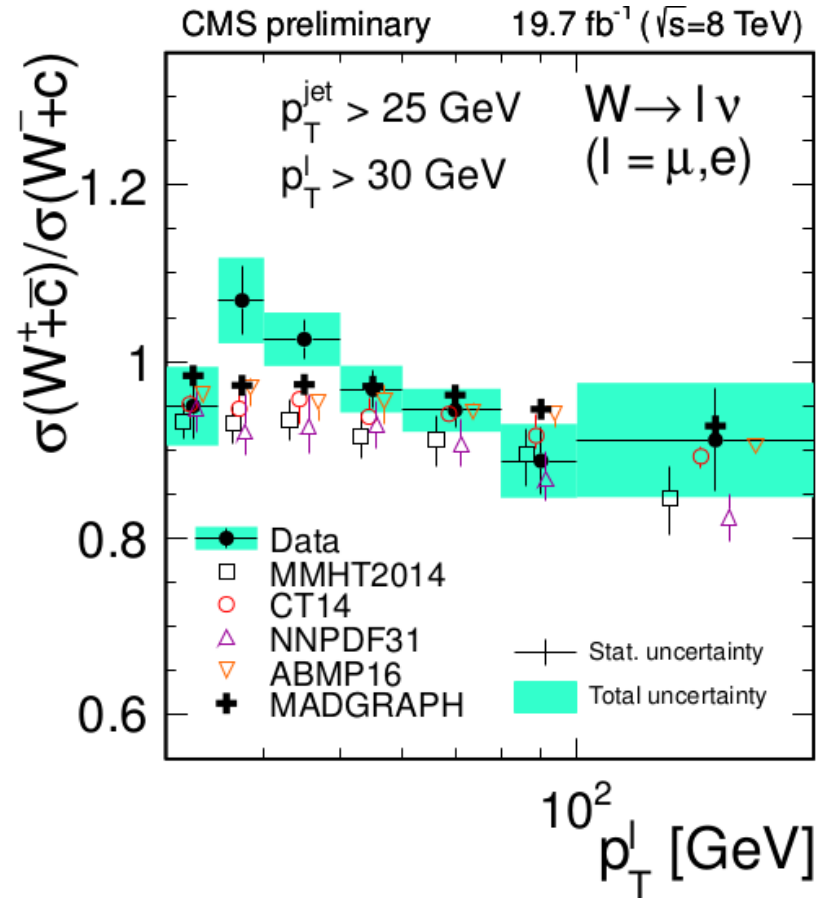
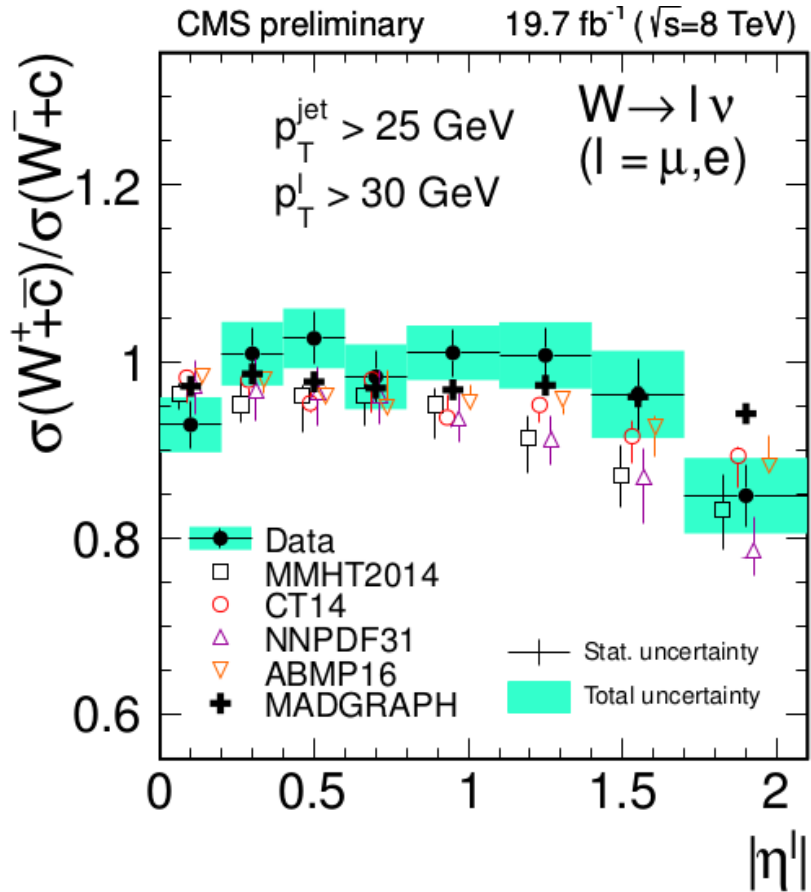
# Differential cross sections as a function of $p_T^{\text{jet}}$

Bins [GeV] : 25-40, 40-60 and 60-200



If the proton momentum fraction taken by the charm quark component (intrinsic + perturbative) is of  $\sim 2\%$ , an increase in the production of Z+c events with a  $p_T^Z \approx 100$  GeV of at least 20-25% would be expected. No increase in the production rate in the highest  $p_T^{\text{jet}}$  bin is observed (in agreement with current upper limits on IC component)

# • Comparison with MCFM (differential cross section ratio)



# Preselection

## Preselection of $Z \rightarrow ee$ and $Z \rightarrow \mu\mu$ plus jets

- $Z \rightarrow ee$ :
  - Dielectron trigger threshold of 17 and 8 GeV
  - Electron Id Medium WP
  - $p_T(e) > 20$  GeV,  $|\eta(e)| < 2.1$
  - Isolated:  $I_{\text{comb}}/p_T < 0.15$
  - Energy scale corrected
  - MC corrected for differences in Electron Id and Iso efficiencies
- $Z \rightarrow \mu\mu$  :
  - DiMuon trigger threshold of 17 and 8 GeV
  - Tight selection
  - $p_T(e) > 20$  GeV,  $|\eta(e)| < 2.1$
  - Isolated:  $I_{\text{comb}}/p_T < 0.2$
  - Momentum scale and resolution corrected (Rochester correction)
  - MC corrected for differences in Muon Trigger, Id and Iso
- Jets:
  - Jets anti-kT,  $R=0.5$
  - JEC corrected, both in data and MC
  - $p_T(\text{jet}) > 25$  GeV,  $|\eta(\text{jet})| < 2.5$

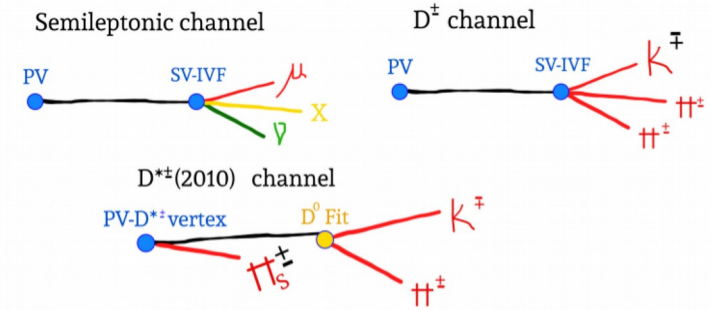
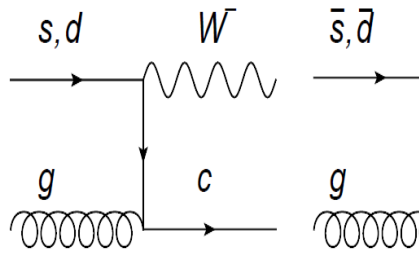
# Cross section determination

$$\sigma(Z+c) = \frac{N_{Z+c}^{\text{fitted}}}{\epsilon_c^{Z+c} \mathcal{L}} ;$$

Semileptonic mode			
Channel	$N_{Z+c}^{\text{signal}}$	$\mathcal{C}_{Z+c}$ (%)	$\sigma(Z+c)$ [ pb ]
$Z \rightarrow e^+e^-$	$1066 \pm 95$	$0.63 \pm 0.03$	$8.6 \pm 0.8 \pm 1.0$
$Z \rightarrow \mu^+\mu^-$	$1449 \pm 144$	$0.81 \pm 0.03$	$9.1 \pm 0.9 \pm 1.0$
$Z \rightarrow l^+l^-$	$\sigma(Z+c) = 8.8 \pm 0.6$ (stat) $\pm 1.0$ (syst) pb		
Channel	$N_{Z+cb}^{\text{signal}}$	$\mathcal{C}_{Z+cb}$ (%)	$\sigma(Z+c)/\sigma(Z+cb)$
$Z \rightarrow e^+e^-$	$2606 \pm 114$	$2.90 \pm 0.08$	$1.9 \pm 0.2 \pm 0.2$
$Z \rightarrow \mu^+\mu^-$	$3240 \pm 147$	$3.93 \pm 0.10$	$2.2 \pm 0.3 \pm 0.2$
$Z \rightarrow l^+l^-$	$\sigma(Z+c)/\sigma(Z+cb) = 2.0 \pm 0.2$ (stat) $\pm 0.2$ (syst)		
$D^\pm$ mode			
Channel	$N_{Z+c}^{\text{signal}}$	$\mathcal{C}_{Z+c}$ (%)	$\sigma(Z+c)$ [ pb ]
$Z \rightarrow e^+e^-$	$276 \pm 55$	$0.13 \pm 0.02$	$10.9 \pm 2.2 \pm 0.9$
$Z \rightarrow \mu^+\mu^-$	$316 \pm 75$	$0.18 \pm 0.02$	$8.8 \pm 2.0 \pm 0.8$
$Z \rightarrow l^+l^-$	$\sigma(Z+c) = 9.7 \pm 1.5$ (stat) $\pm 0.8$ (syst) pb		
$D^{*\pm}$ (2010) mode			
Channel	$N_{Z+c}^{\text{signal}}$	$\mathcal{C}_{Z+c}$ (%)	$\sigma(Z+c)$ [ pb ]
$Z \rightarrow e^+e^-$	$151 \pm 31$	$0.11 \pm 0.01$	$7.3 \pm 1.5 \pm 0.5$
$Z \rightarrow \mu^+\mu^-$	$247 \pm 28$	$0.14 \pm 0.01$	$9.3 \pm 1.1 \pm 0.7$
$Z \rightarrow l^+l^-$	$\sigma(Z+c) = 8.5 \pm 0.9$ (stat) $\pm 0.6$ (syst) pb		
Combination			
$Z \rightarrow l^+l^-$	$\sigma(Z+c) = 8.8 \pm 0.5$ (stat) $\pm 0.6$ (syst) pb		

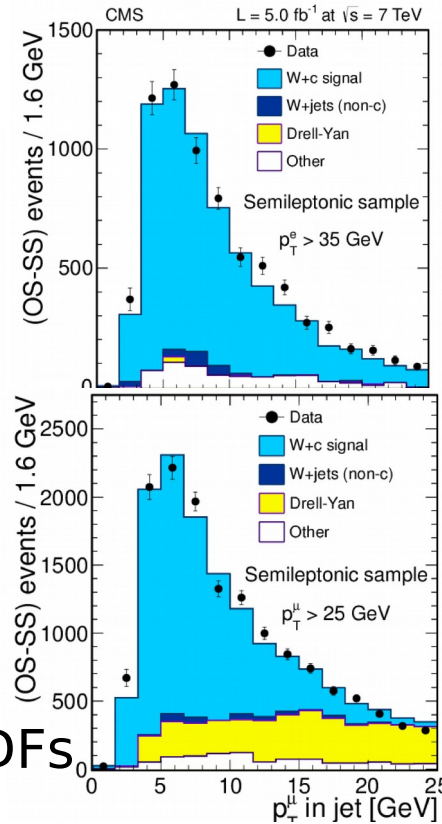
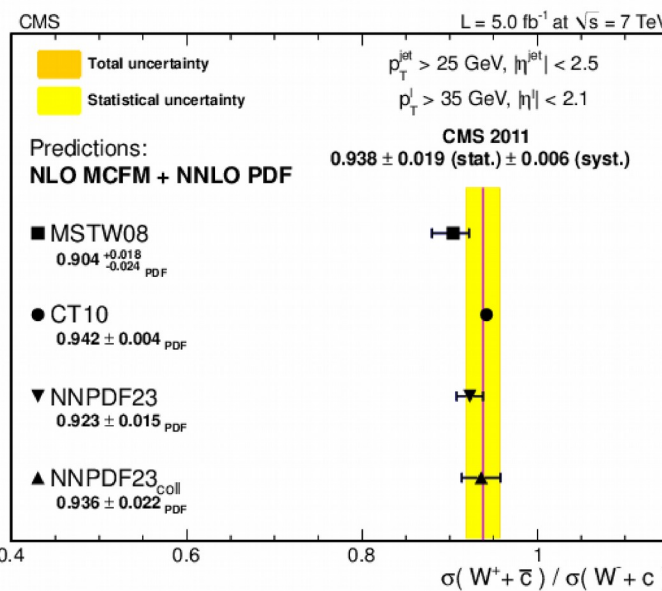
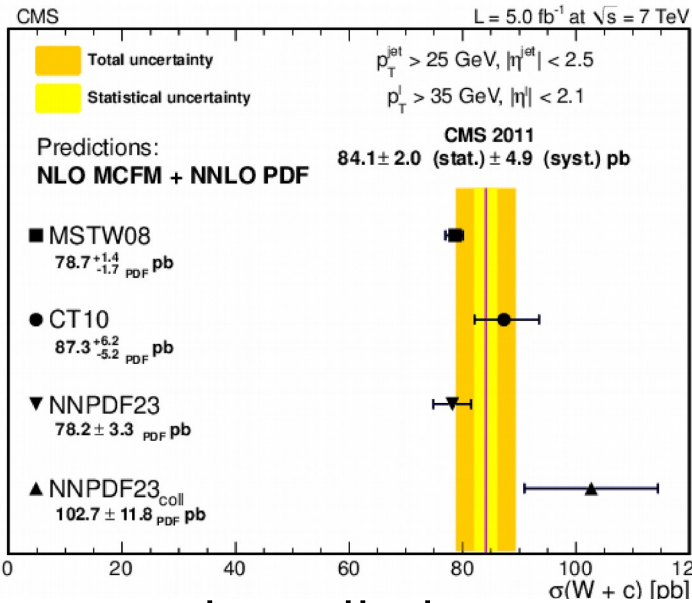
# W+c

- $W \rightarrow e\nu$  or  $\mu\nu$



Identification of heavy flavor:  $\mu$  in jet or D-hadron

The MCFM predictions for this process do not include contributions from gluon splitting into a cc pair



Data and predictions agree -> validation of strange PDFs

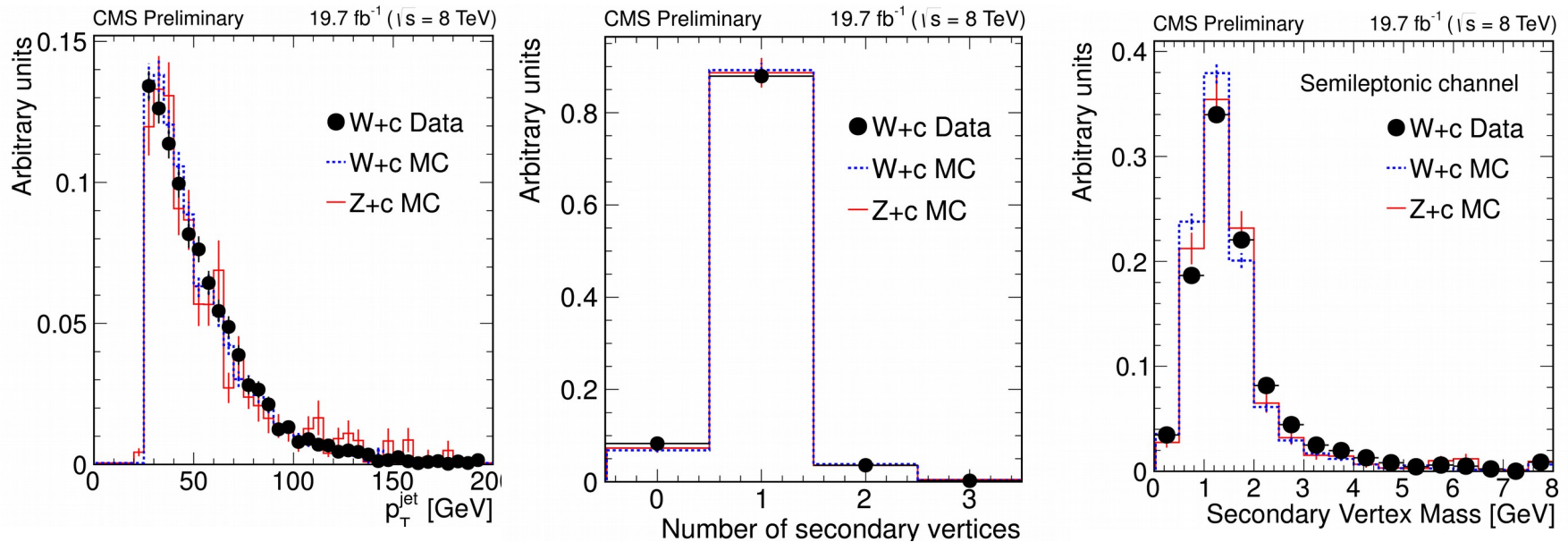
First evidence for an asymmetry in the  $W^+ + c$  and  $W^- + c$  production.



# Template (shape) modeling for Z+c

Comparison of c-jets from Z+c and W+c processes

(data from W+c : after subtraction of remaining (little) background )



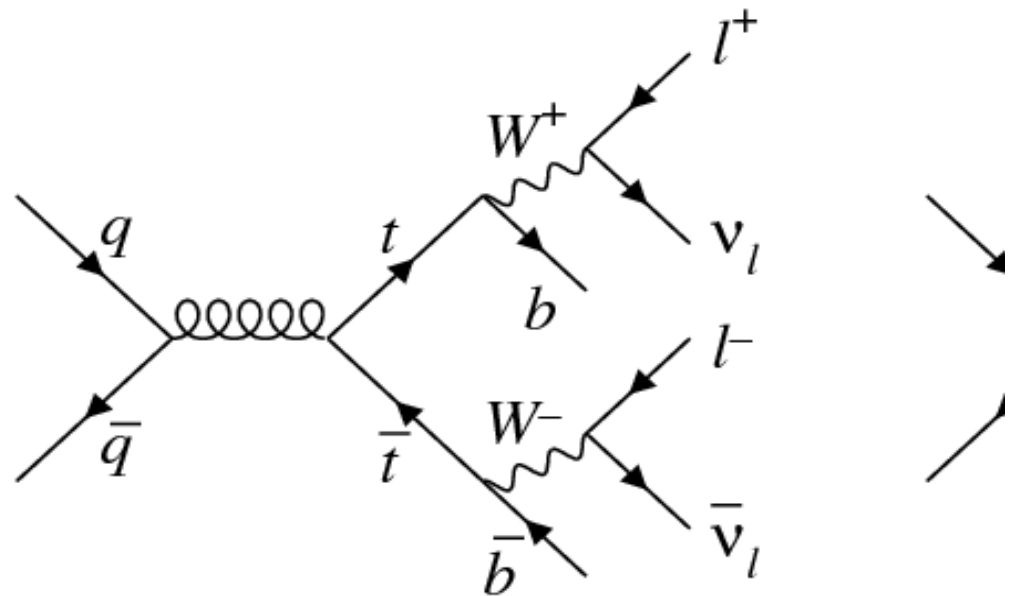
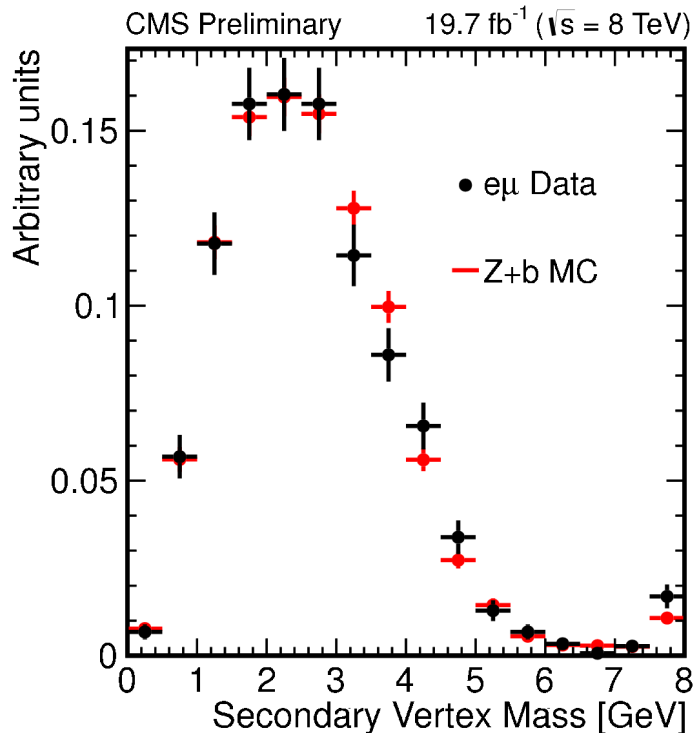
- *Agreement in general distributions ( $p_T^{\text{jet}}$ ,  $N_{SV}$ )*
- Discriminant distributions (SV-mass and JP) **W+c MC** and **Z+c MC** agree
- JP prob **W+c MC** and **W+c data** agree and validates the **Z+c MC** description
- SV-mass **W+c MC** and **W+c data** do not agree

The shape is not well modeled by the **W+c MC**. We take the shape of SV-mass from **W+c data** since there is agreement in the kinematic properties between **Z+c MC** and **W+c MC**

# More template modeling from data

For Z+c,Z+b,W+b,W+c templates from b-jets taken from  $t\bar{t}$  production.

Using  $a$  sample where the two W bosons from the top(antitop) quark decay leptonically into leptons of different flavour.



Identification of heavy flavor: **muon inside the jet**

# HF and charge identification

## Semileptonic $c, b \rightarrow \mu$ decay (**SL channel**):

- Tight  $\mu$  that satisfies:
    - Is one of the PF constituents of a jet with  $p_T(\text{jet}) \geq 25$  GeV,  $|\eta(\text{jet})| \leq 2.5$
    - **Non-isolated  $\mu$  (isolation  $\geq 0.2$ ) with  $p_T(\mu) \leq 25$  GeV,  $|\eta(\mu)| \leq 2.1$ .**
  - If several non-isolated  $\mu$  candidates take the one with **highest  $p_T$**
  - **Charge identification** of the charm quark through the charge of the  $\mu$ -in-jet
  - **Charge definition**: SS if the  $\mu$ -in-jet has the same charge than the lepton from the W decay
- $$\text{OS} \rightarrow Q_{W \rightarrow e, \mu} \neq Q_{\mu\text{-in-jet}} \quad \text{SS} \rightarrow Q_{W \rightarrow e, \mu} = Q_{\mu\text{-in-jet}}$$

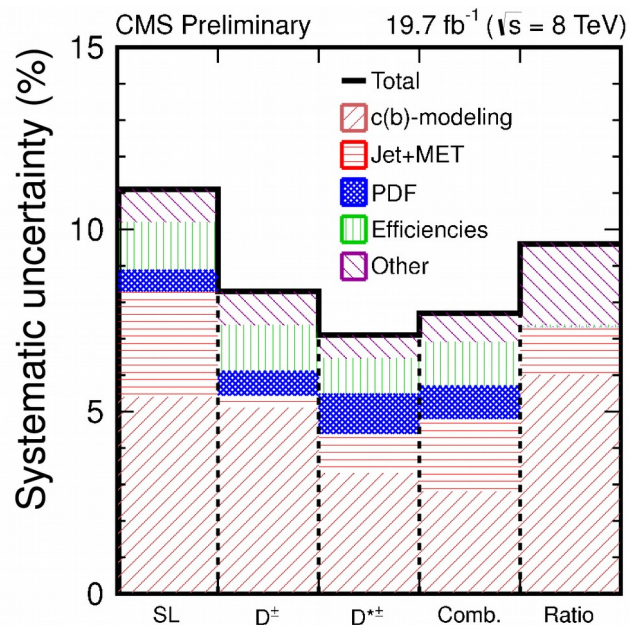
## HF identificacion

### Inclusive HF hadron decays (**SV channel**):

- Reconstructed secondary vertex (SSV or IVF) in jet
- In case of several jets with SV in the event, take the **highest  $p_T$  jet**

# Systematic uncertainties

- **PU** : uncertainties in the evaluation of the pileup profile (assuming a different inelastic cross section )
- **PDFs (PDFNNPDF & PDFCT10)** : reweighted DY MC according to the new PDF's : NNPDF23\_nnlo & PDFCT10
- **Jet Energy scale and Resolution (JES & JER)** :
  - Change scale and resolution correction factors by their uncertainties
- **Branching ratios of  $D \rightarrow X\mu$  hadrons and fragmentation  $c \rightarrow D$  (BRFRAG)**: We reweight the simulation to match the PDG on D-hadron channels. The syst comes from uncertainty on those reweighting factors For semileptonic channel the systematic comes from the difference between the BR from inclusive or exclusive individual contributions
- **Missing-et** : Misestimations on the Missing transverse energy: modify the missing  $E_t$  by 10% of the unclustered missing  $E_t$ .
- **Cgluon-splitting**, misestimation of the contribution to our background from gluon-splitting from charm : increase a factor 50 % the weight on events with 2c with  $\Delta R(\text{jet},c) < 0.5$
- **Bgluon-splitting**, increase 50% the weight on events with 2b w.  $\Delta R(\text{jet},b) < 0.5$
- **c-(b-) tagging efficiency**. Repeat analysis with efficiency increased by its error
- **Shape** (semileptonic mode) : change Z+b template correction factor by its error
- **Lepton efficiencies** : change efficiencies by their errors
- **Luminosity** : 2.6 %



Previous measurements at hadron colliders:

- 1) **D0@Tevatron**:  $\sigma(\text{ppbar} - Z+c+X)/\sigma(\text{ppbar}-Z+b+X)$  and  $\sigma(\text{ppbar}-Z+c+X)/\sigma(\text{ppbar}-Z+\text{jets}+X)$ ,  $p_T(\text{jet}) > 20 \text{ GeV}$
- 2) **CDF@Tevatron**:  $\sigma(\text{ppbar}-Z+D^*+X)/\sigma(\text{ppbar}-Z+X)$ ,  $p_T(D^*) > 3 \text{ GeV}$   
[ $\sigma(\text{ppbar}-W+D^*+X)/\sigma(\text{ppbar}-W+X)$  as well]
- 3) **LHCb@LHC**: Evidence and  $\sigma(\text{pp}-Z+D0+X)$  and  $\sigma(\text{pp}-Z+D+X)$  in the forward region