Update on Powheg ew

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LHC EW Precision sub-group meeting 27 March 2020, CERN

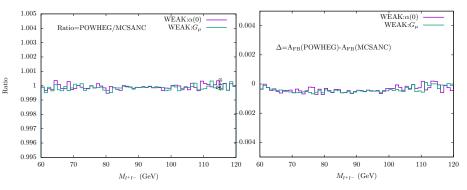
thanks to fruitful collaboration with Lida Kalinoswkaya and Serge Bondarenko

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update on Powheg ew

Status of comparisons with MCSANC as of 2018

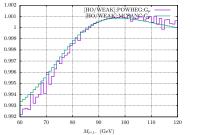
- G_{μ} , M_W , M_Z scheme
- no cuts on leptons except for $M_{\ell\ell} \ge 50 \text{ GeV}$

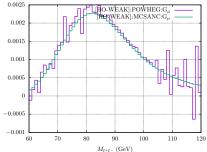


plots by S. Bondarenko

• large discrepancies in HO found in the last round of comparisons

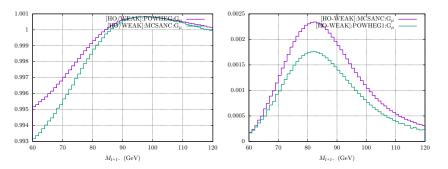
comparisons with 2018 data





plots by S. Bondarenko

latest comparisons



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NLO within POWHEG_ew

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• for QED corrections the real photon radiation requires that the correction factor is proportional to α

• in order to cancel IR divergences between real and virtual corrections, also the virtual corrections need the explicit factor $\alpha(0)$

• the up to $\mathcal{O}(\alpha)$ contribution is $\mathcal{O}(\alpha_{G_{\mu}}\alpha)$

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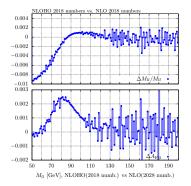
$$\Delta \rho = \frac{3\sqrt{2}}{16\pi^2} G_\mu m_t^2$$

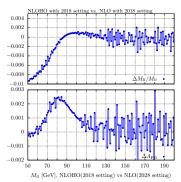
ullet realized with debugging last year \Longrightarrow for the one-loop subtraction

$$\Delta \rho = \frac{\alpha}{16\pi} \frac{3m_t^2}{\left(1 - M_W^2/M_Z^2\right)M_W^2}$$

higher orders with 2018 input setting

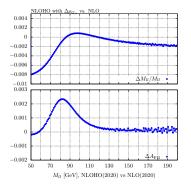
- Left: with numbers produced with the old code
- Right: numbers with the new code with 2018 setting and stat

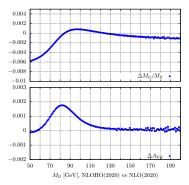




higher orders with present input setting

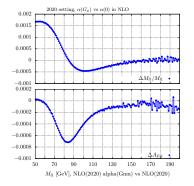
- Left: with subraction of $\Delta \rho_1$ expressed with G_μ
- Right: with subraction of $\Delta \rho_1$ expressed with α



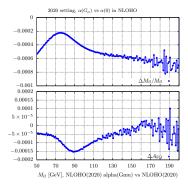


• with the split of QED and EW corrections, we can calculate the EW corrections with $\alpha_{G_{\mu}}$ ($\Delta \rho_1$ subtraction performed with G_{μ})

as in S. Dittmaier and M. Huber, JHEP01 (2010) 060



Left: NLO; Right: NLOHO



PRELIMINARY

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Summary

• we reproduce the "old" numbers setting the $\Delta \rho_1$ subtraction in NLO calculation as in the original version, i.e. $\Delta \rho_1$ calculated with G_{μ}

however this is not consistent

• the calculation of weak corrections based on $\alpha_{G_{\mu}}$ or α could be considered as a source of th. uncertainty, to be taken into account

• numbers with the full Complex Mass Scheme are being processed