

How to **GAN** away **Detector Effects**

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Janik Andrejkovic

Outline:

- What is a **GAN**?
- Why do we need to correct for **detector effects**?
- Set up the scene: What is studied?
- Naive GAN setup
- Fully conditional GAN (FCGAN) setup

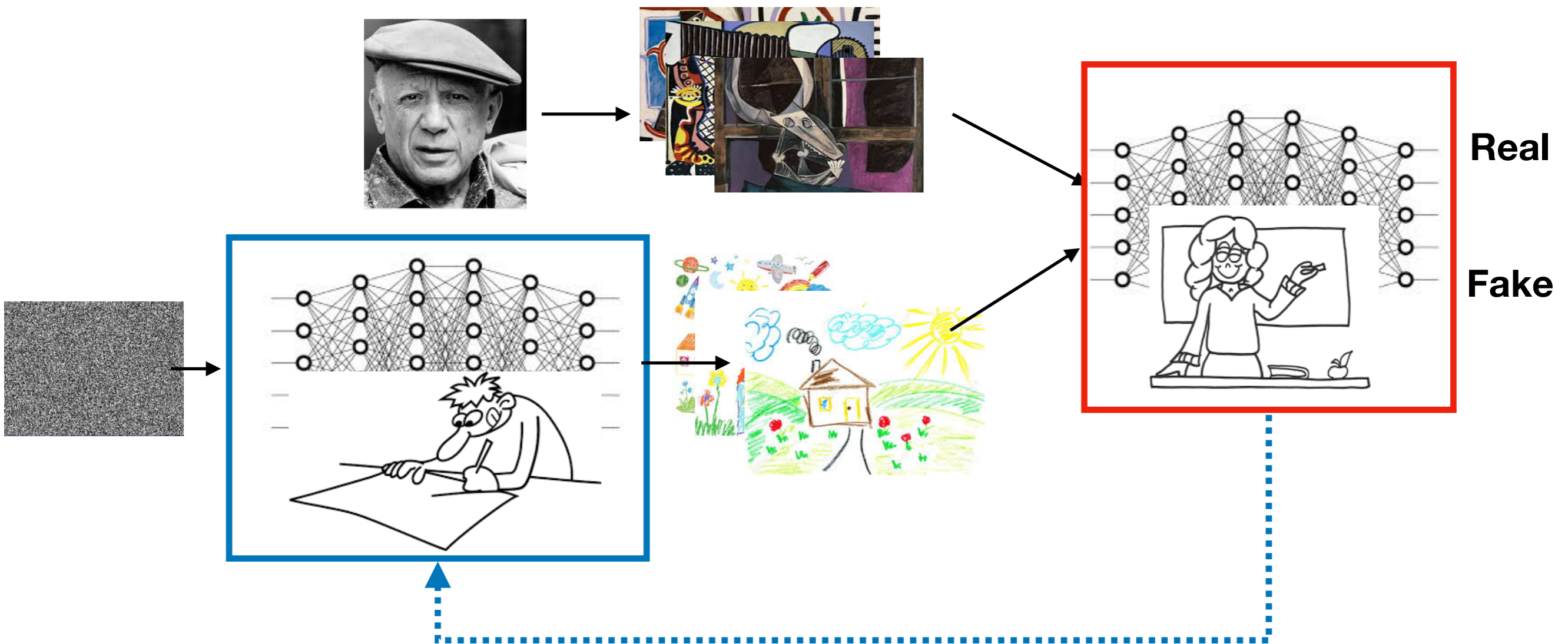


What is a GAN?

GAN : **G**enerative **A**dversarial **N**eural network

2 competing neural networks

- a **generator G**
- a **discriminator D**

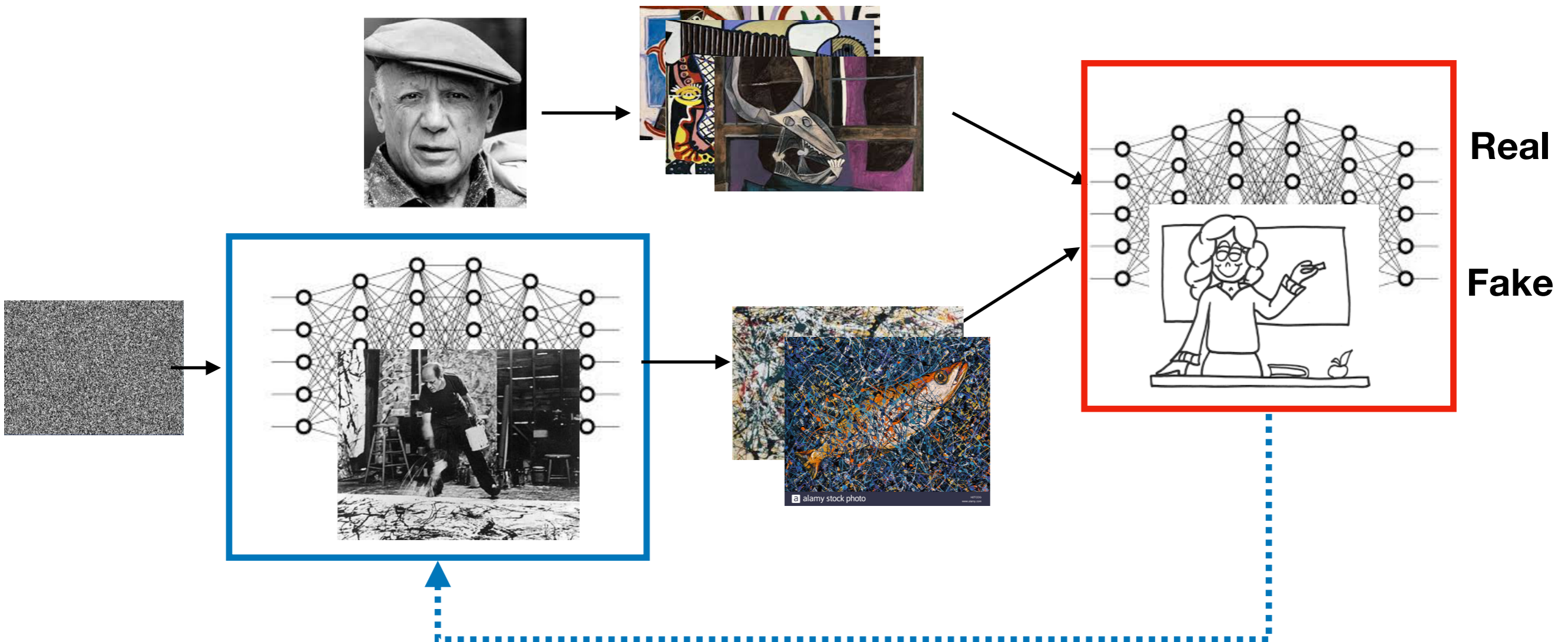


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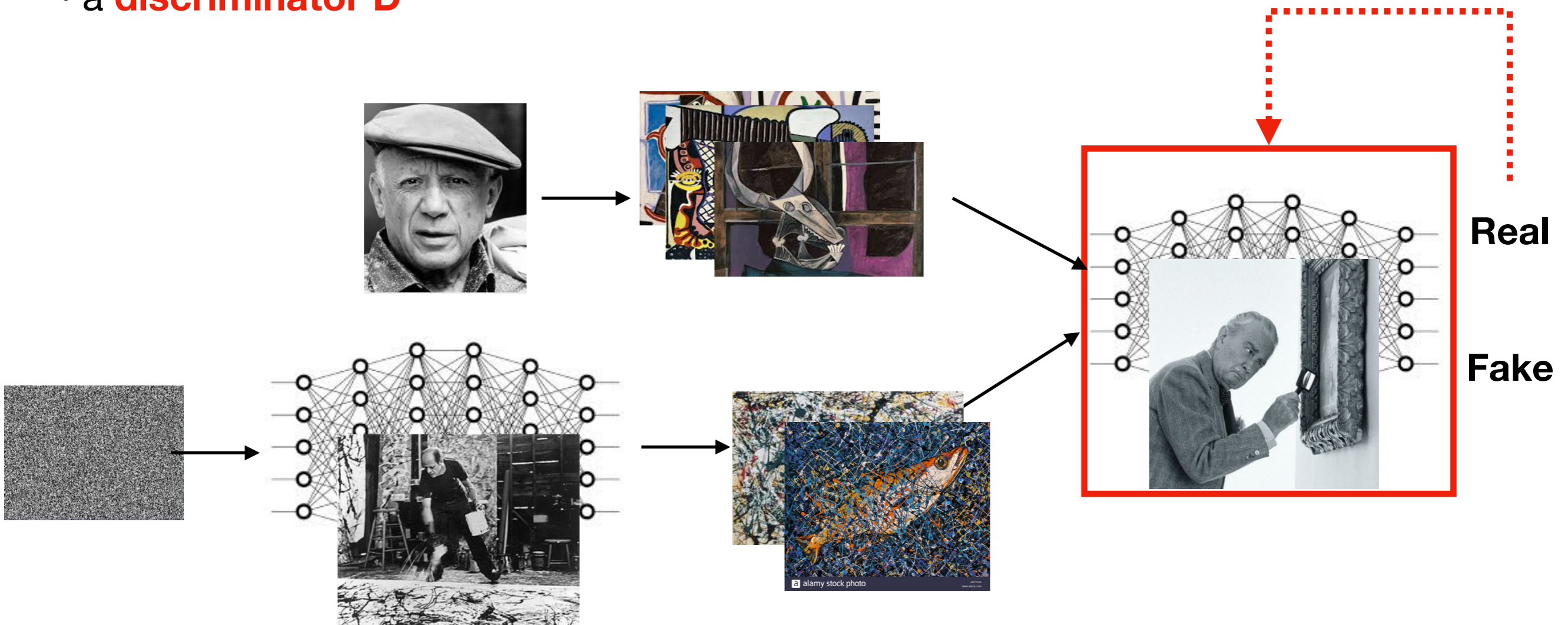


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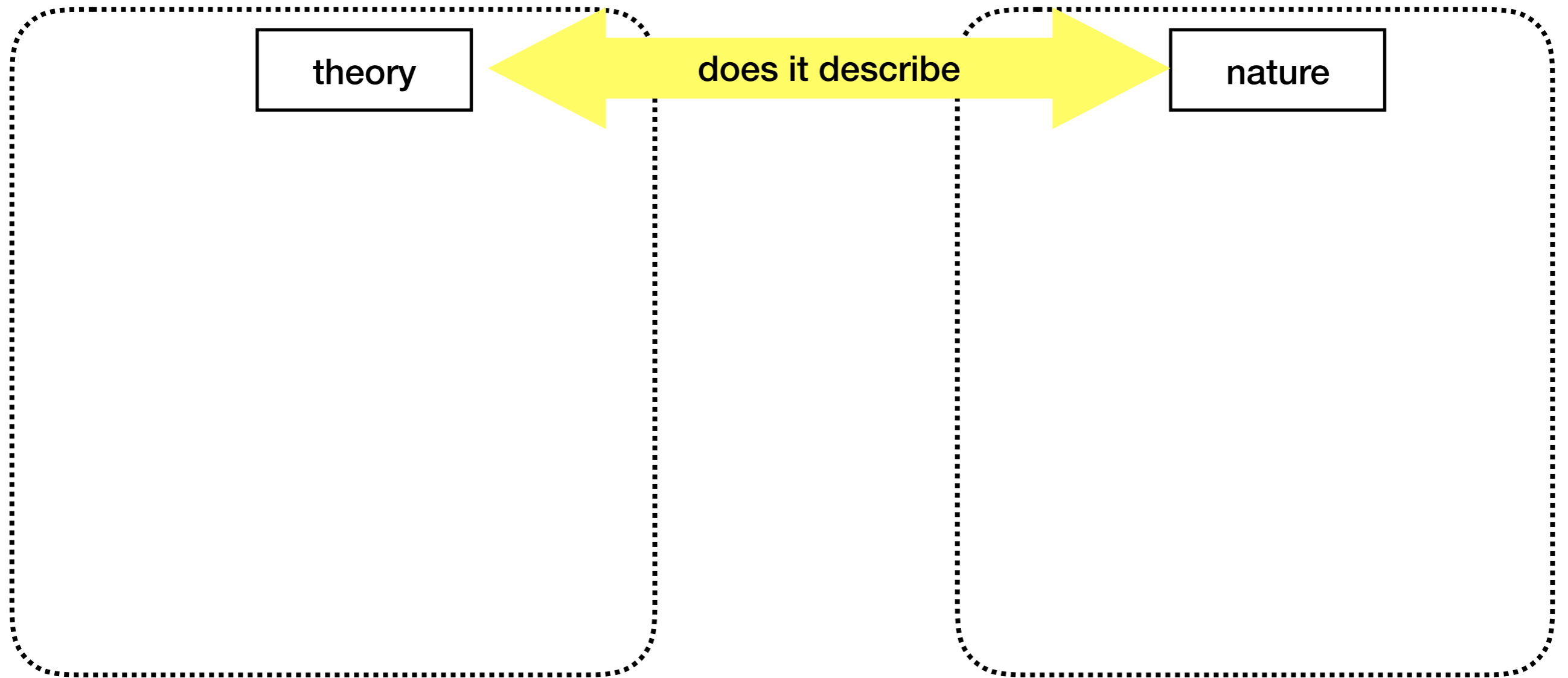
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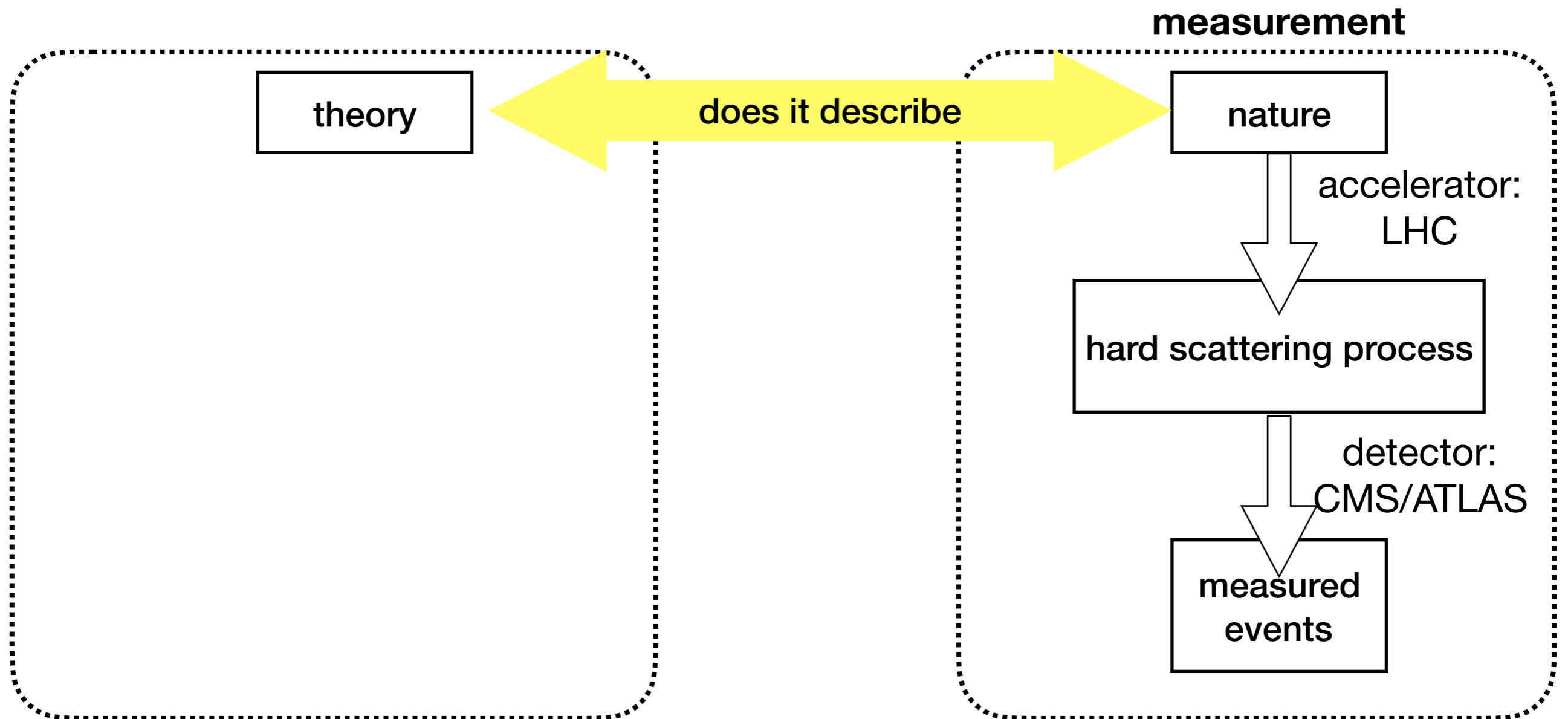


Visit <https://www.thispersondoesnotexist.com>
GAN creating fake images of people

Correcting detector effects



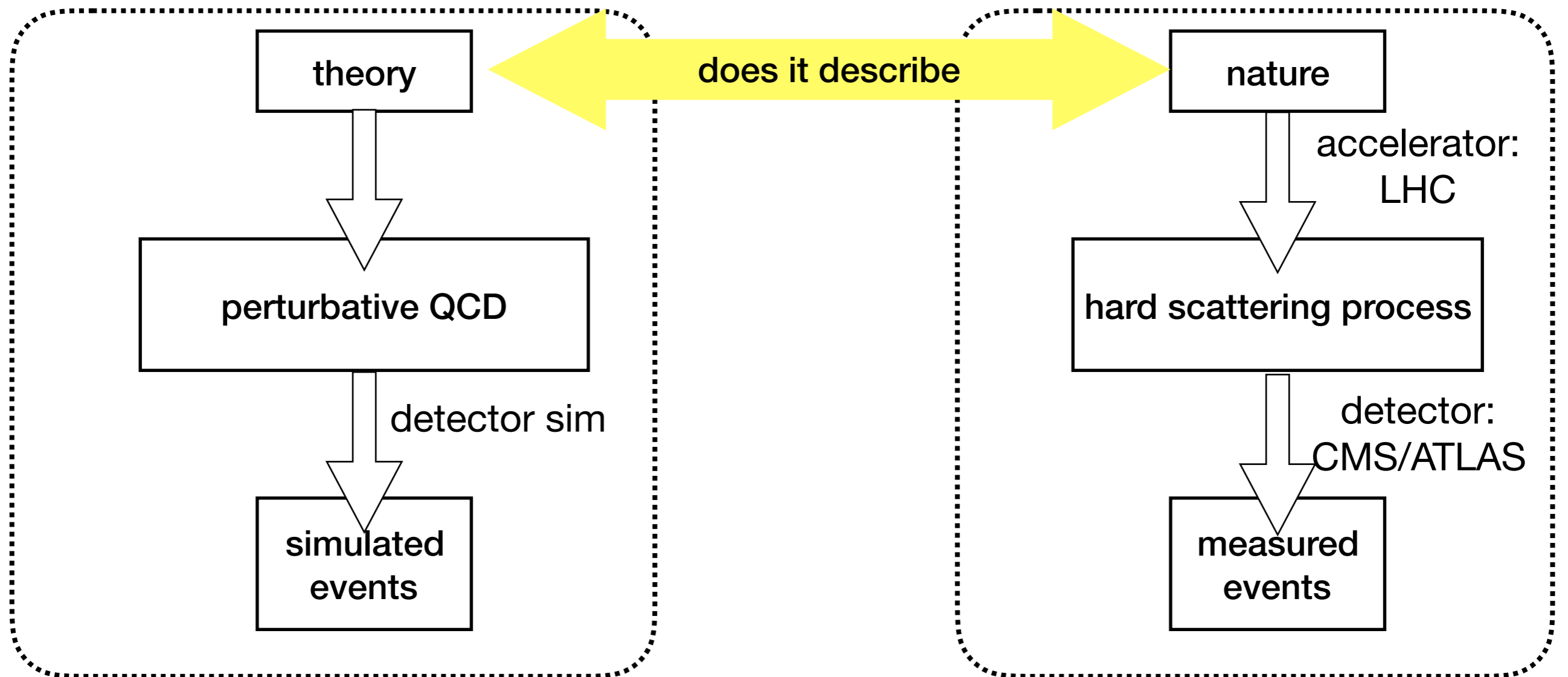
Correcting detector effects



Correcting detector effects

simulation/calculation

measurement



Correcting detector effects

simulation/calculation

measurement

theory

nature

does it describe

accelerator:
LHC

perturbative QCD

parton level

hard scattering process

detector sim

detector:
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Problem(s):

First-principle predictions enter event simulation as a black-box

The MC simulation chain can at best be inverted approximatively

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Goal:

Wish to achieve a direct comparison of first-principles QCD predictions with modern LHC measurements at parton level

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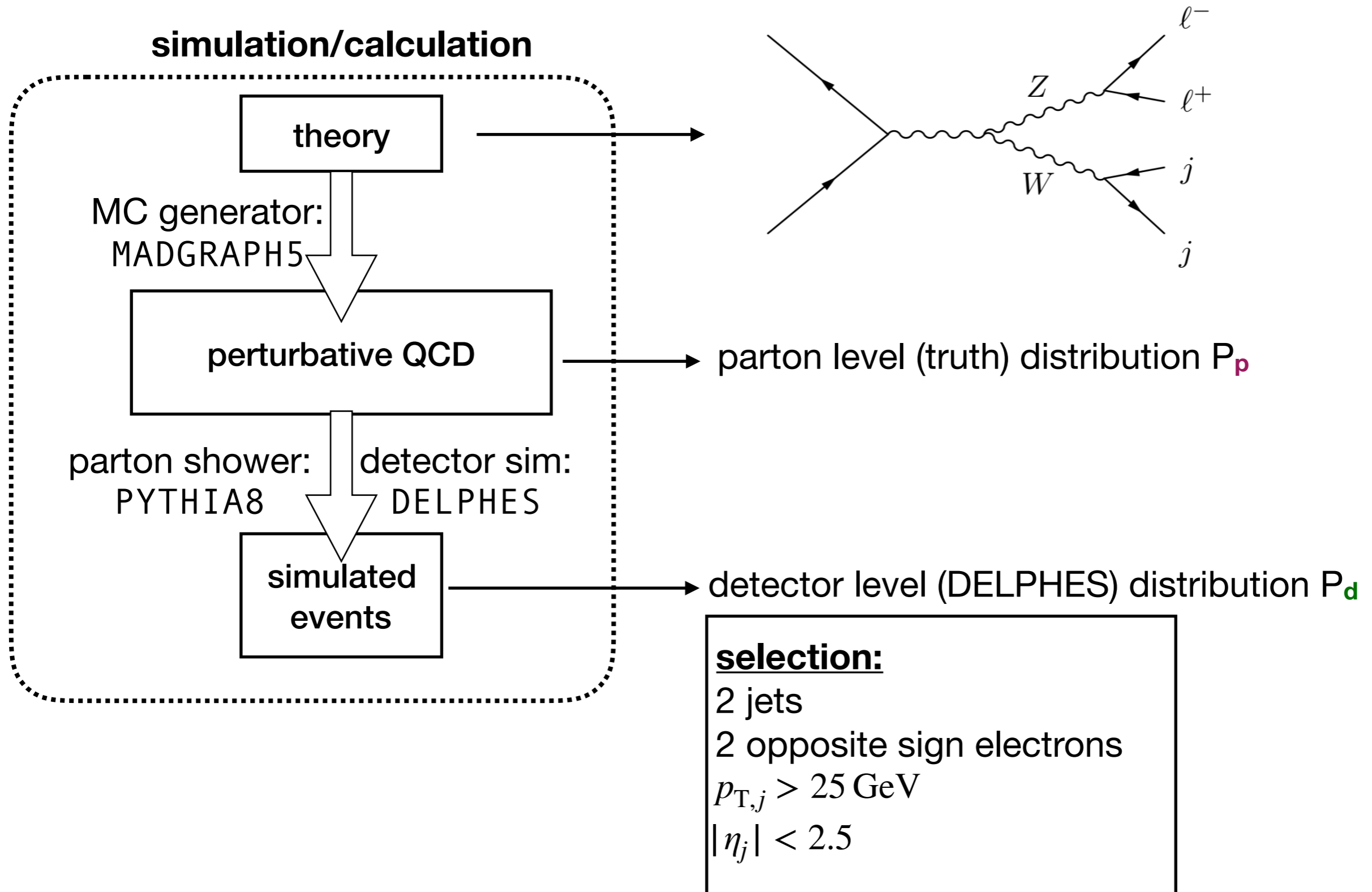
Approach:

Use a GAN, where the **generator G** takes **detector level** inputs and produces fake **parton level** distributions.

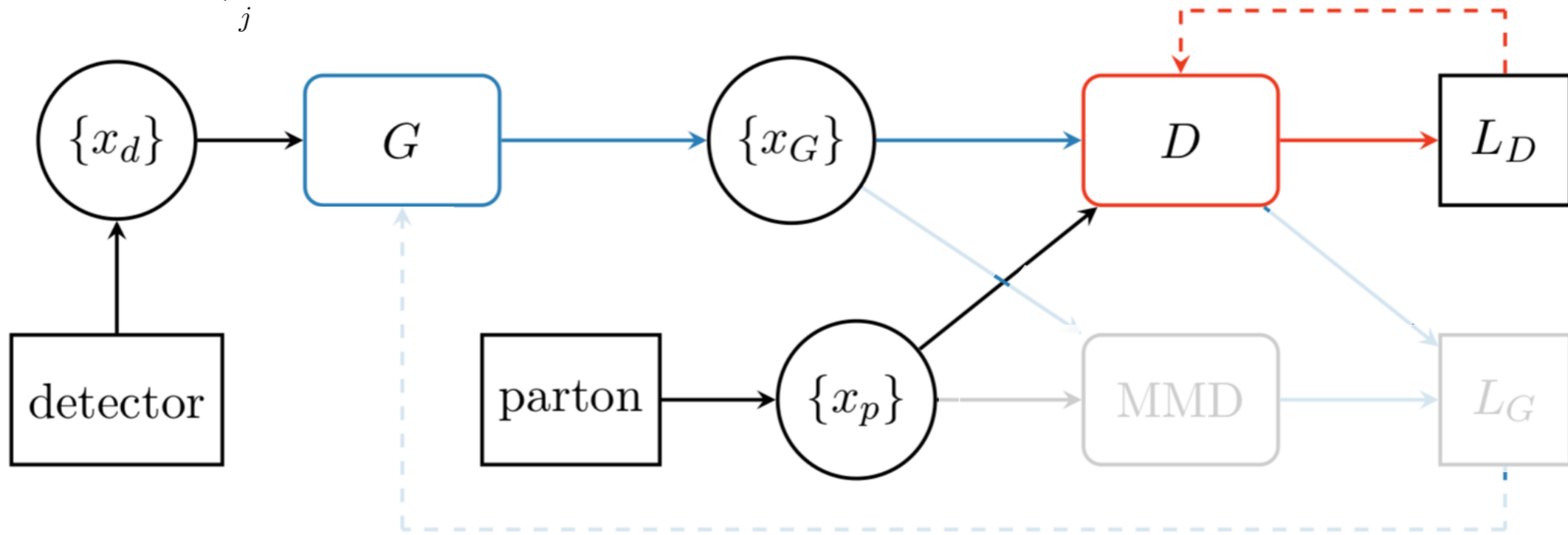
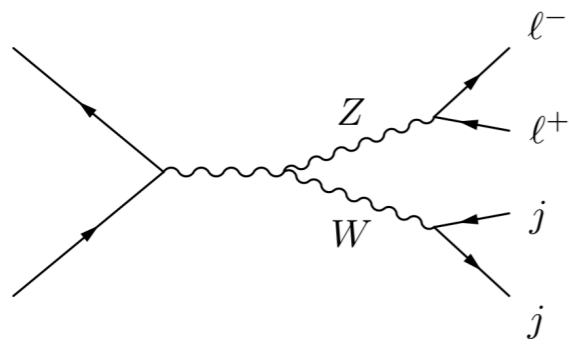
The **discriminator D** judges whether a **parton level** event is real or fake.

After training, use the **generator G** for detector unfolding

Set up the scene



Naive GAN setup



Input x are 4-momenta of final state particles.

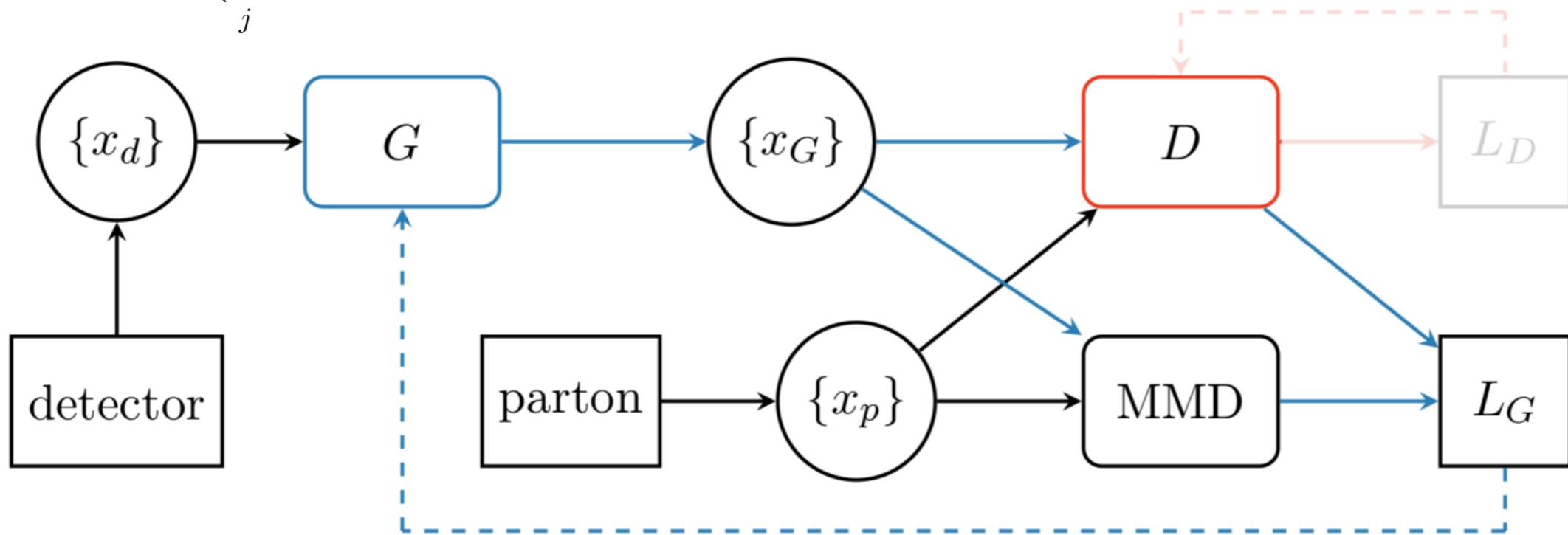
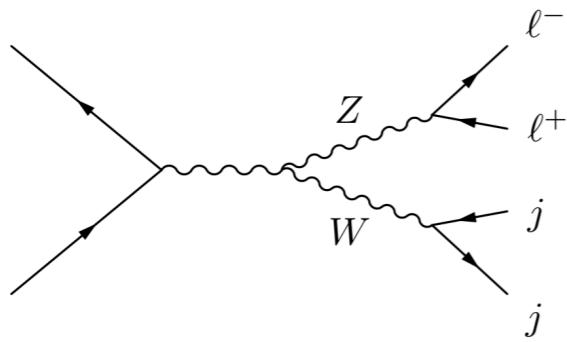
Training of the **discriminator D** follows black and red lines. **D** tries to minimise the loss function L_D

Training of the **generator G** follows black and blue lines. **G** tries to minimise the loss function L_G

Technical detail on MMD = Maximum Mean Discrepancy

MMD is a kernel-based method to compare two samples drawn from different distributions. It is used to help the GAN reproduce the invariant mass distribution of intermediate on-shell particles: [arXiv: 1907.03764 \[hep-ph\]](https://arxiv.org/abs/1907.03764)

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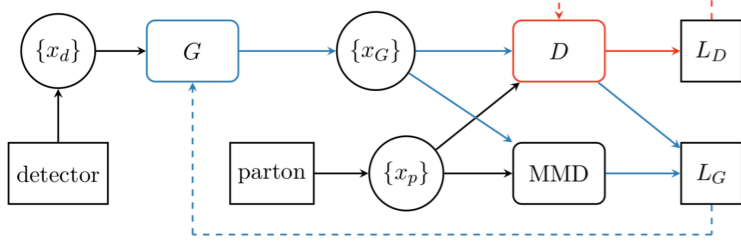
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Naive GAN result

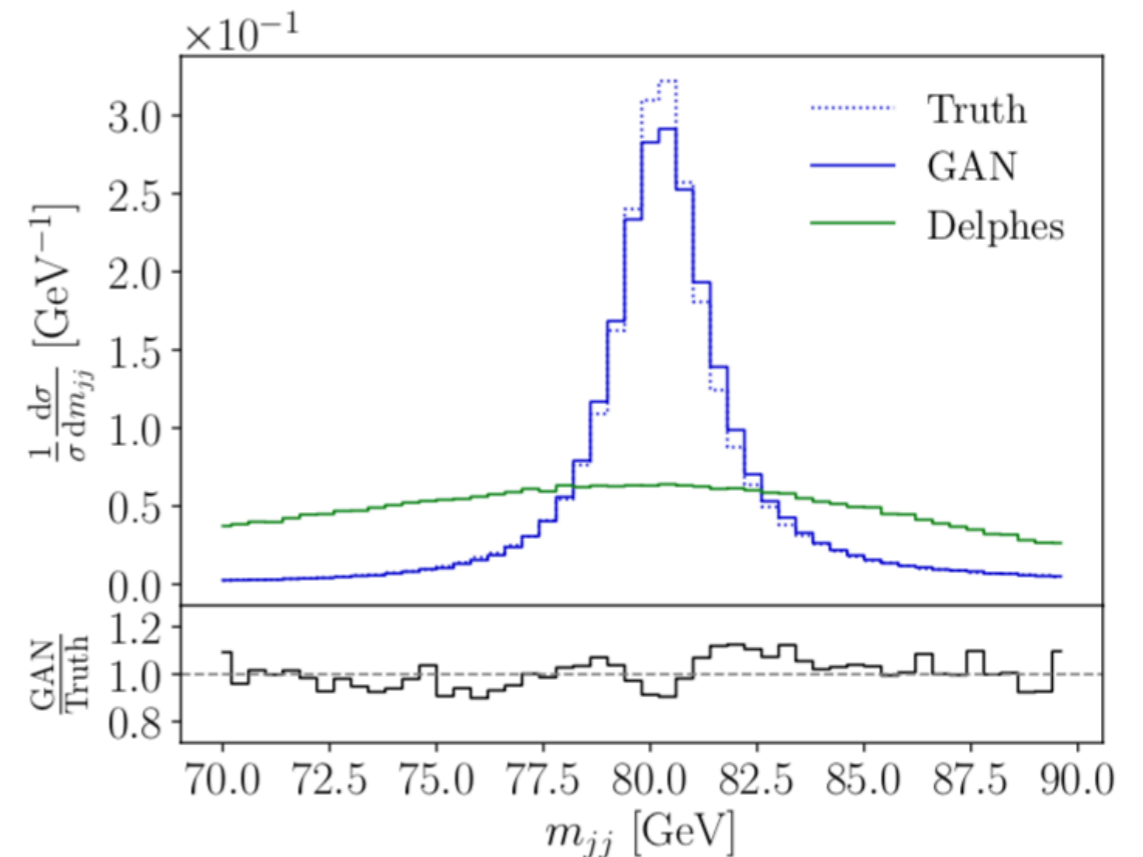
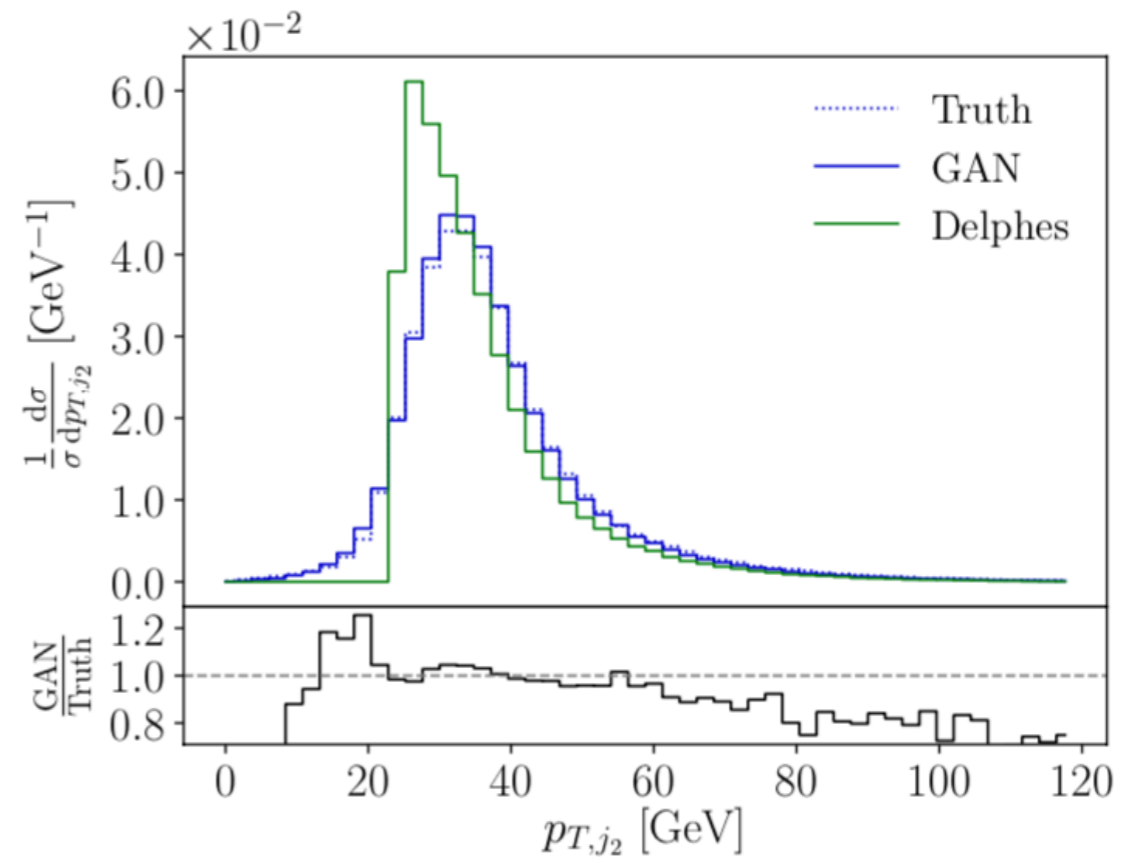
- GAN unfolding runs on statistical independent events but simulation-wise identical
- Statistical inversion of detector effect works well

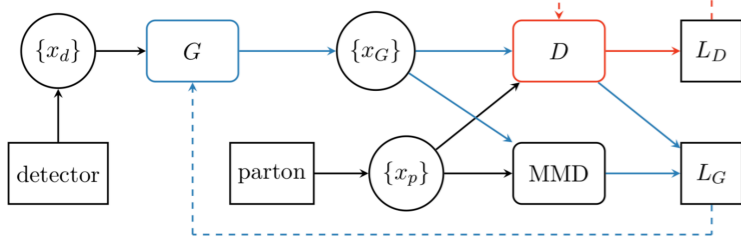
Advantages

- GAN training does not require a per event parton-detector level matching

Disadvantage

- GAN unfolding is deterministic





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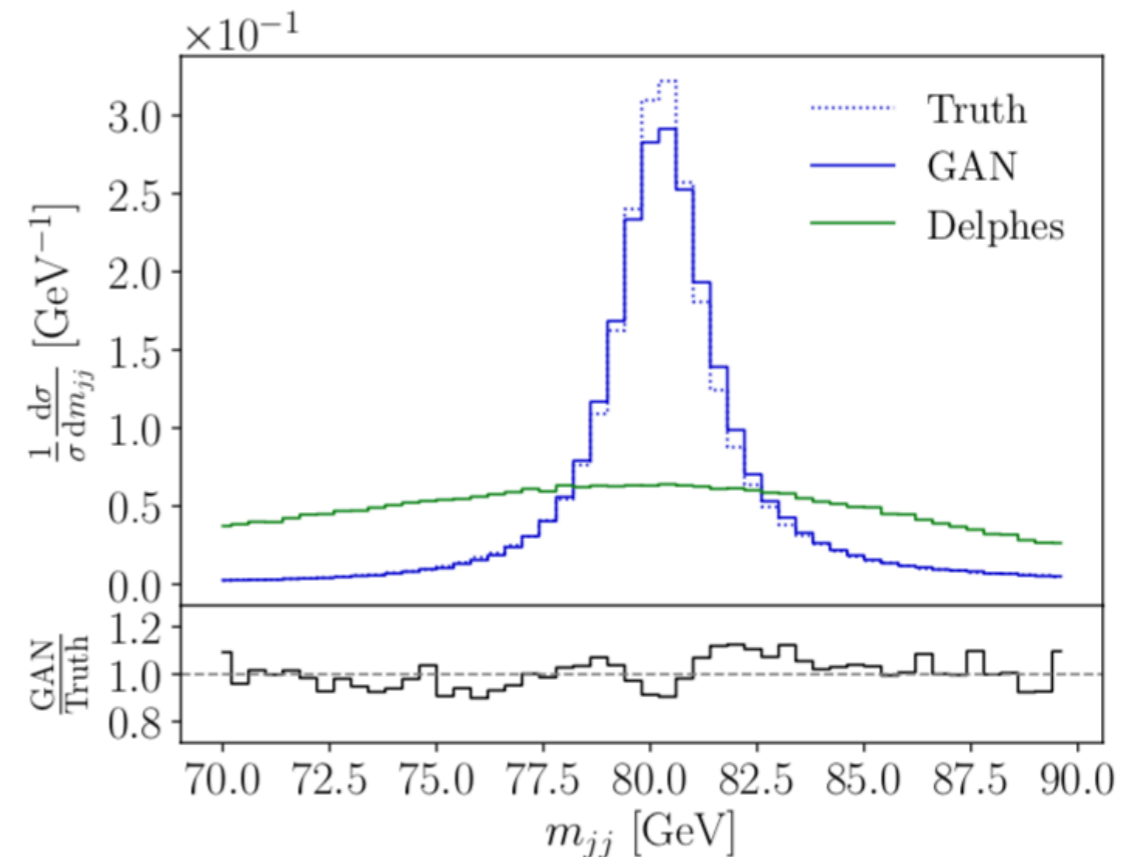
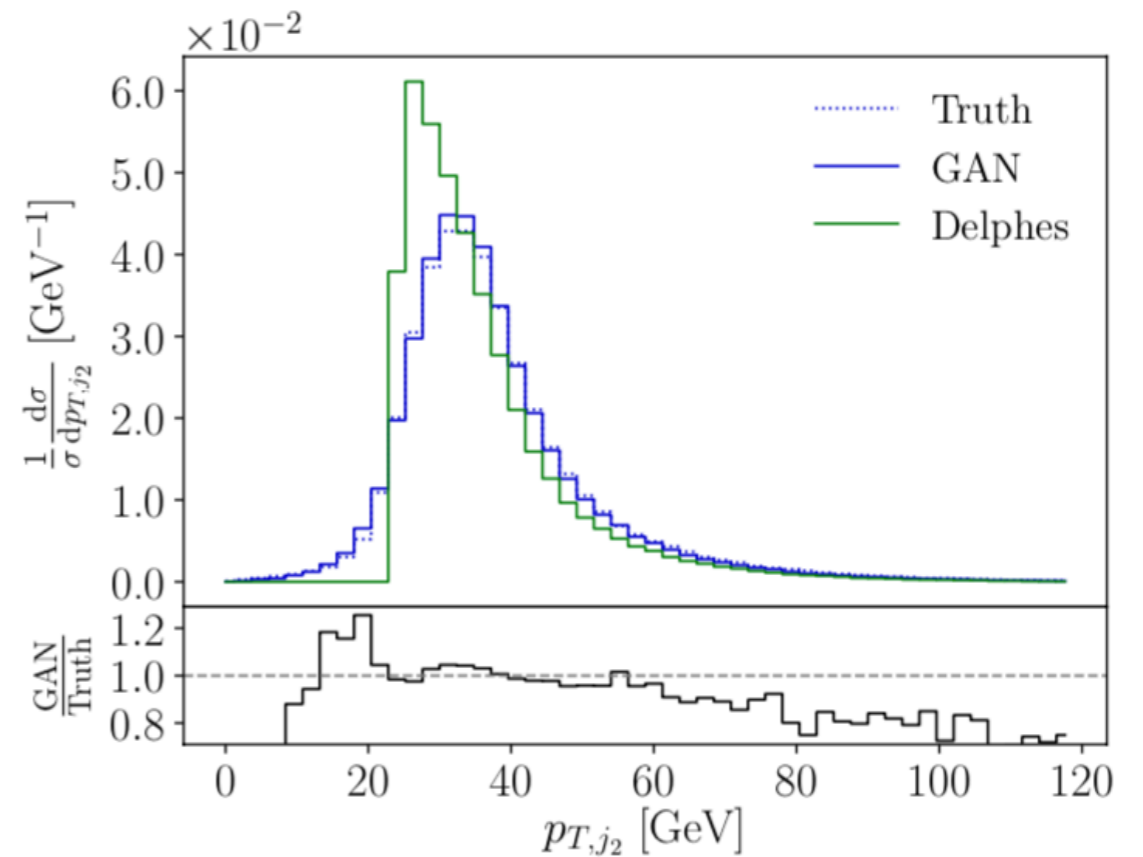
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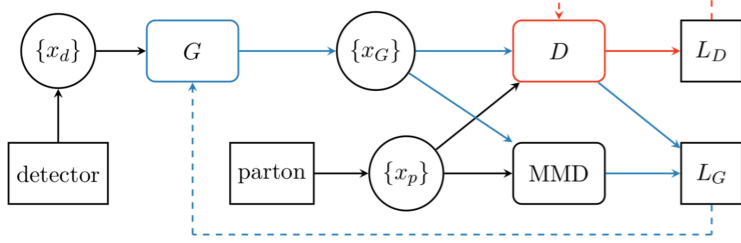
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Question:

- What happens when GAN is used to unfold sample that only covers part of the detector-level phase space used for training
- Will the unfolding work?





Naive GAN result

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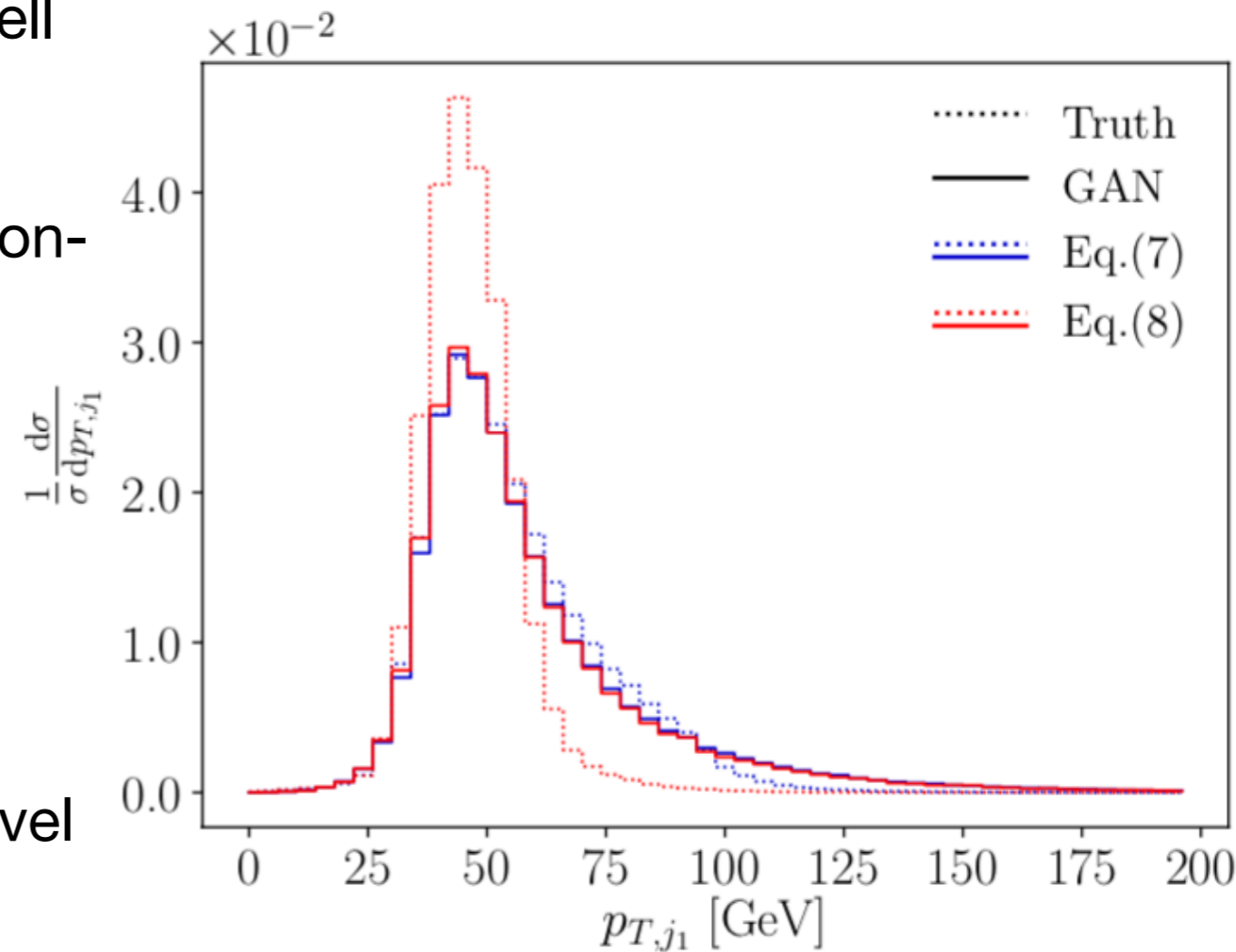
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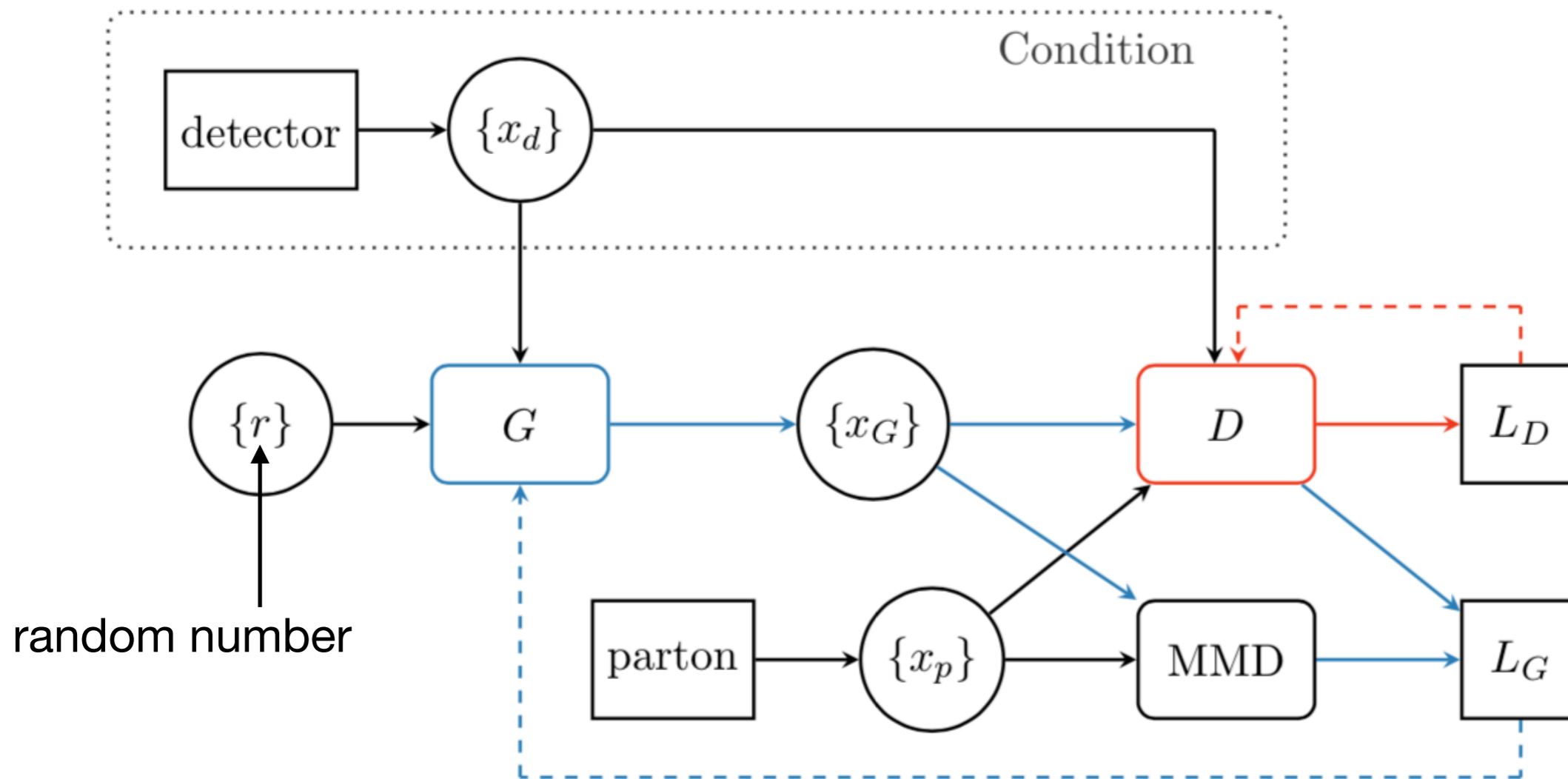
- What happens when GAN is used to unfold sample that only covers part of the detector-level phase space used for training
- Will the unfolding work?
 - **NO!**

Cut I : $p_{T,j_1} = 30 \dots 100 \text{ GeV}$ (Eq 7 - 88%)

Cut II : $p_{T,j_1} = 30 \dots 60 \text{ GeV}$ and $p_{T,j_2} = 30 \dots 50 \text{ GeV}$ (Eq 8 - 38%)

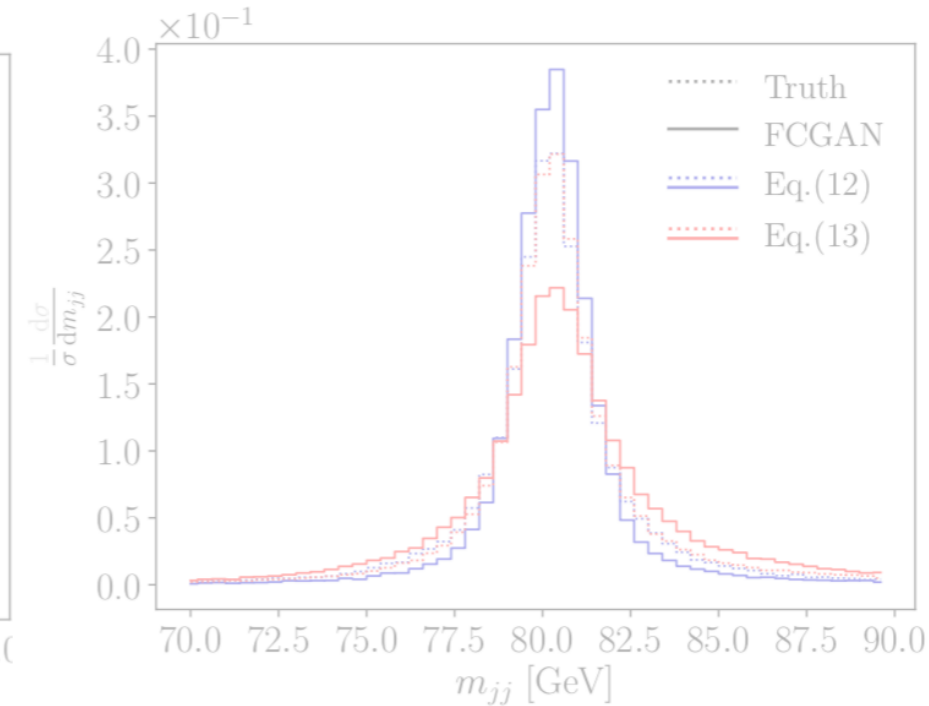
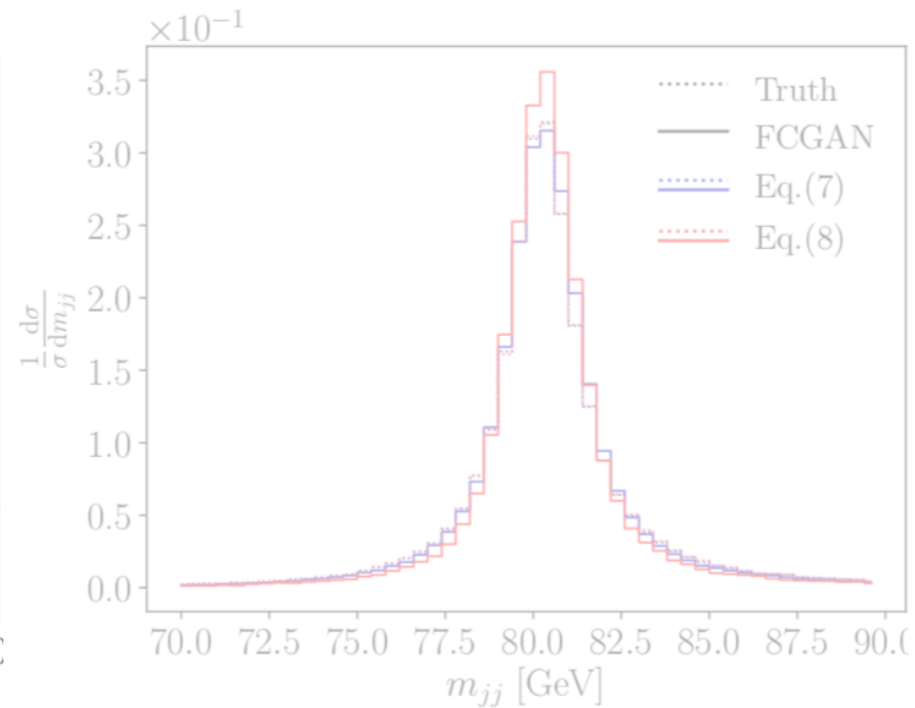
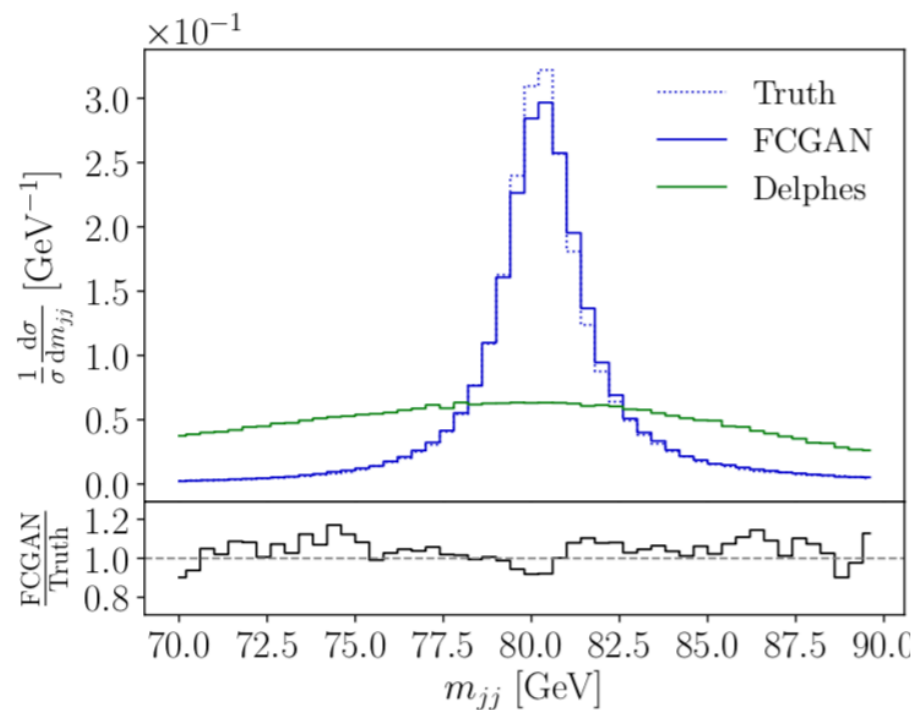
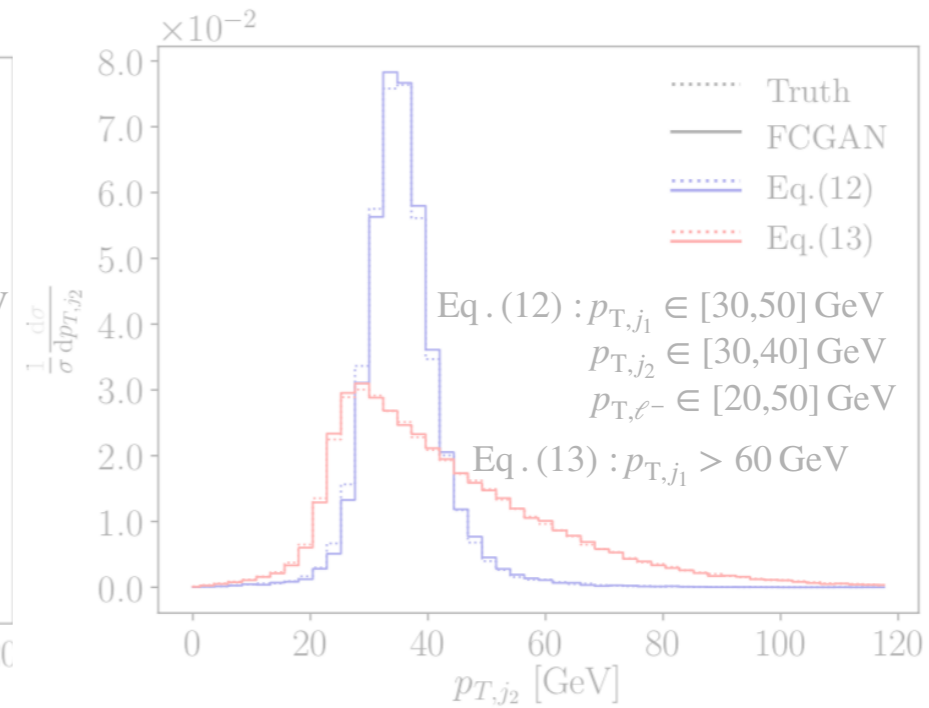
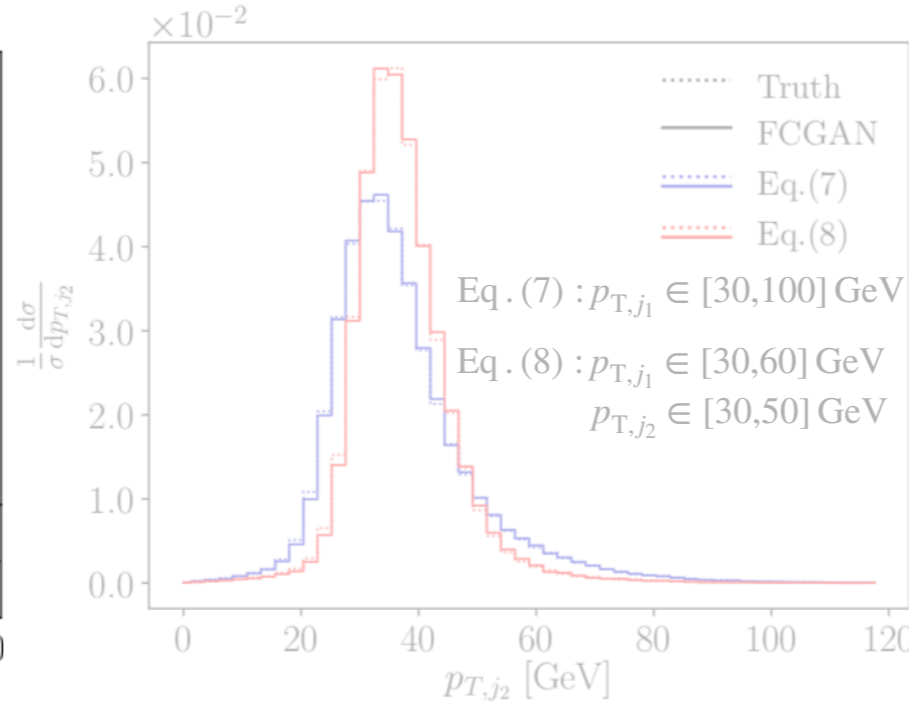
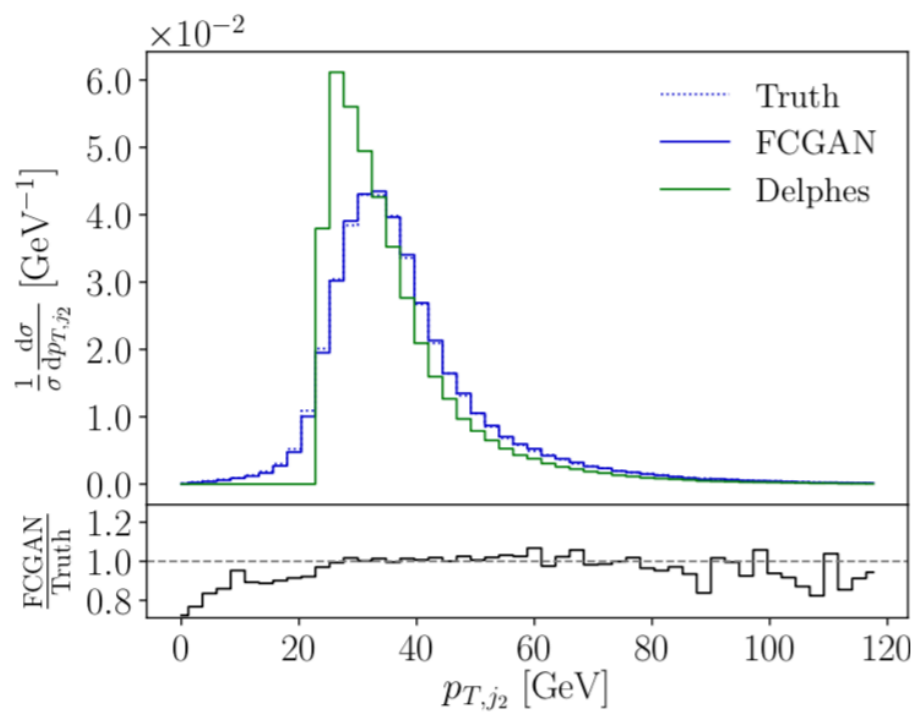


Fully conditional GAN (FCGAN) setup



While the naive GAN only required event batches to be matched between parton level and detector level, the training of the FCGAN actually requires event-by-event matching.

Fully conditional GAN (FCGAN) results

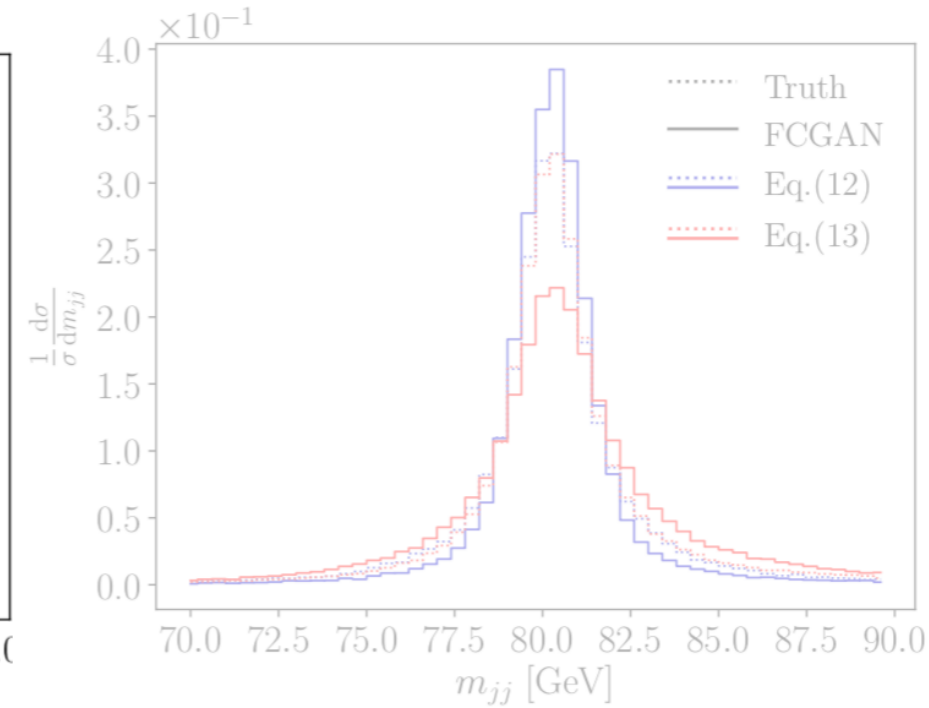
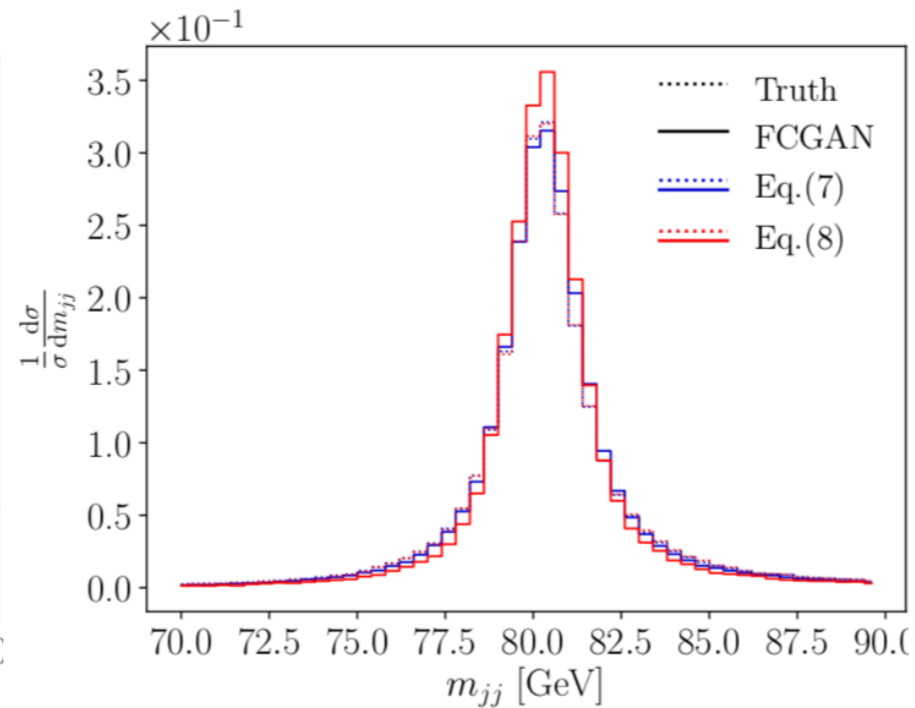
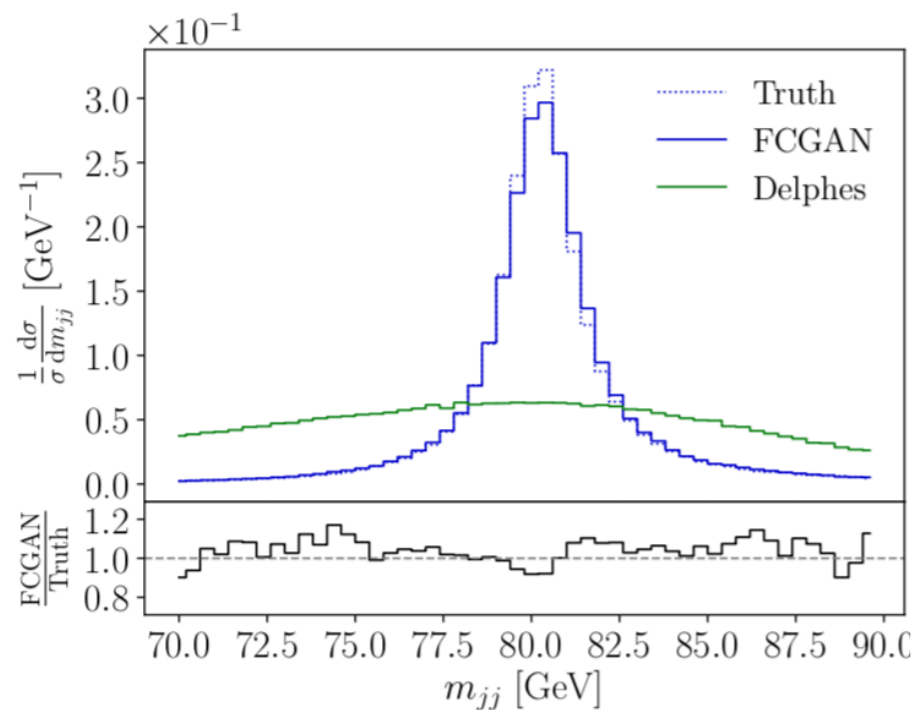
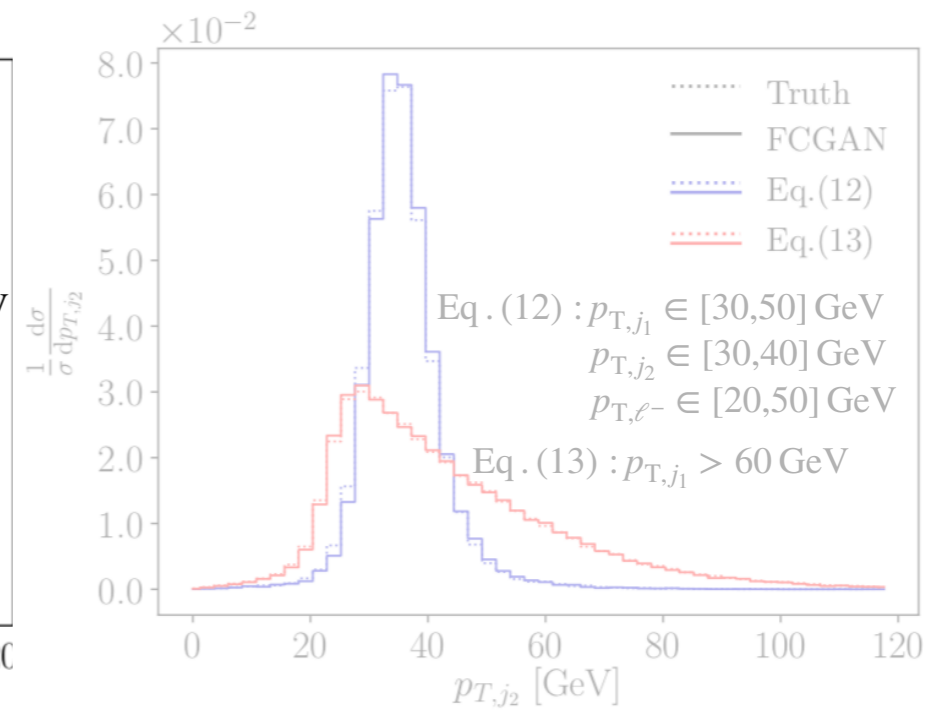
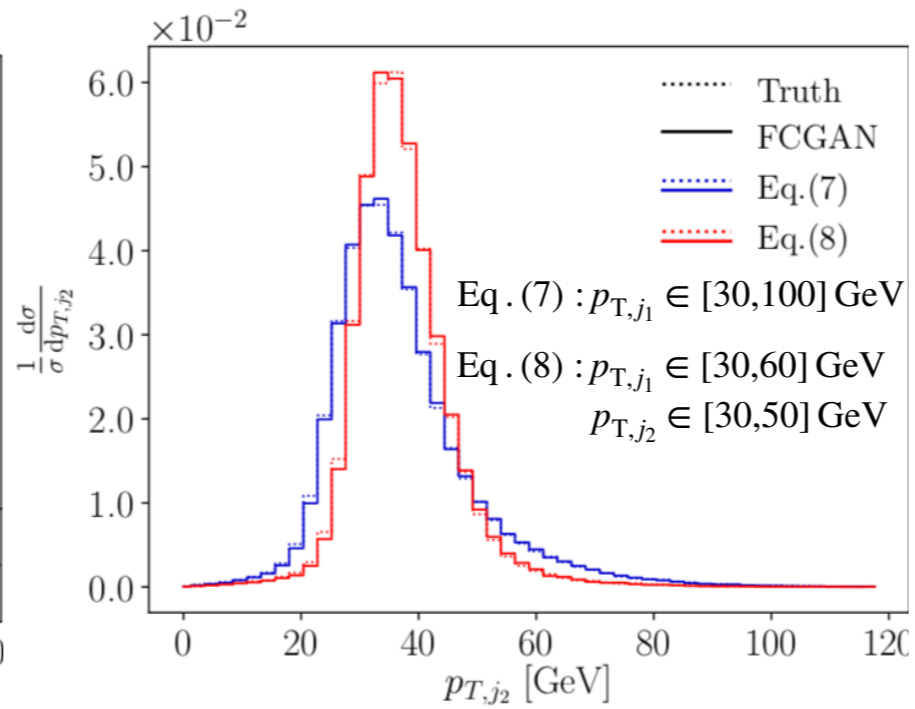
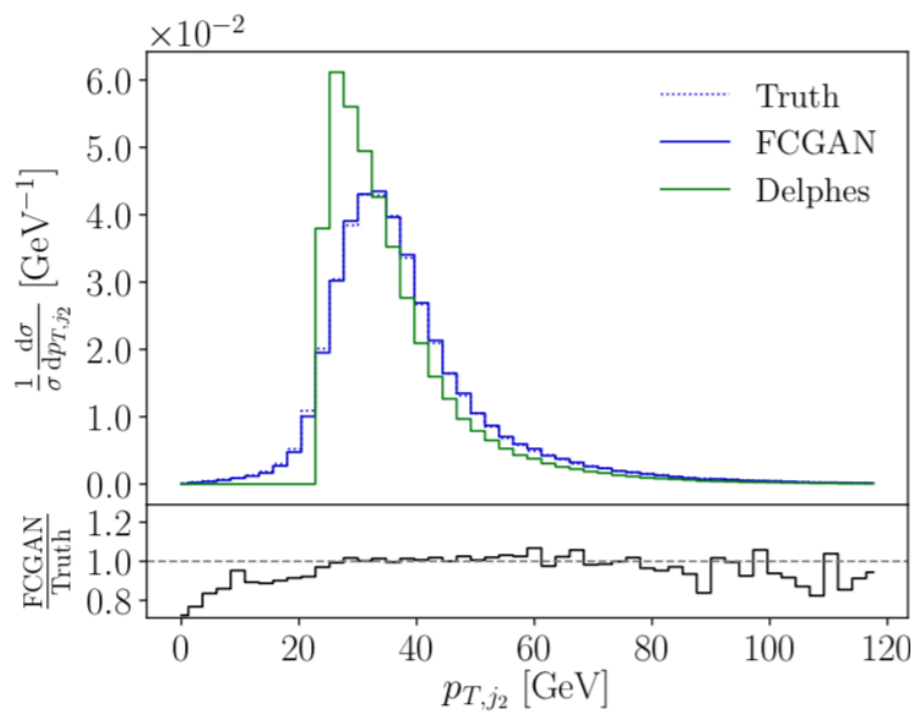


Unfolding full phase space works even better than naive GAN

Unfolding a part of phase space works now

Eq. (12) 14% of phase space still works. Cutting off one side with eq (13) only spoils m_{jj} could maybe fixed with conditional MMD

Fully conditional GAN (FCGAN) results

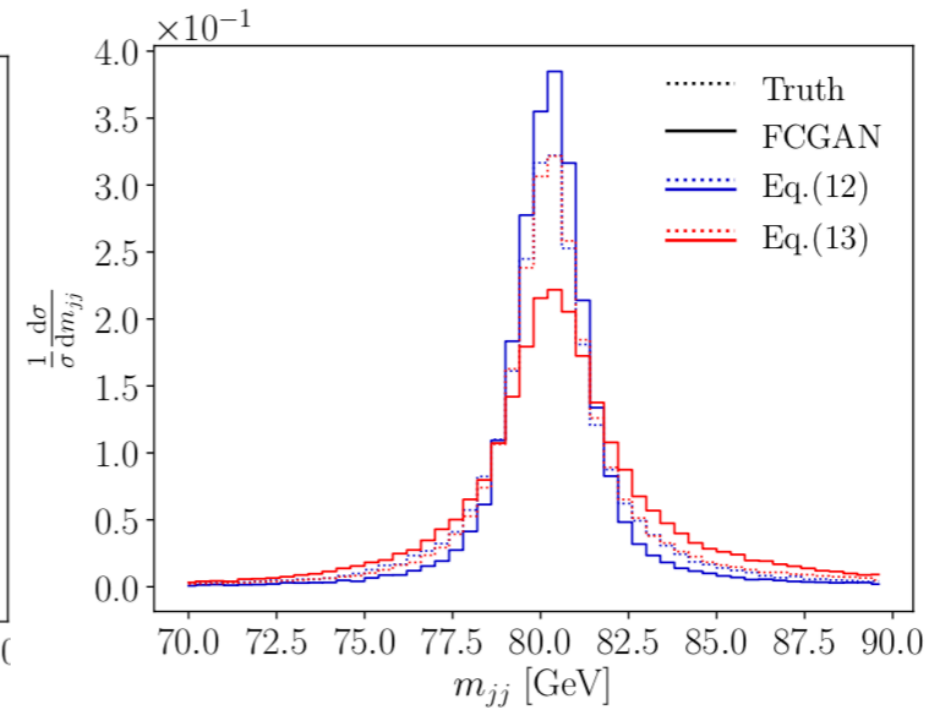
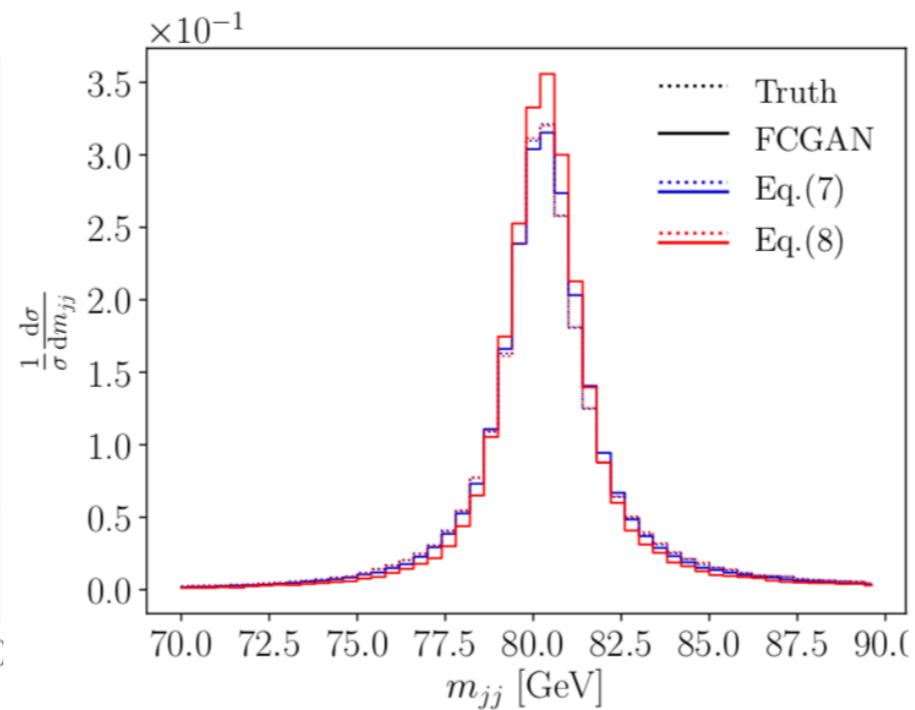
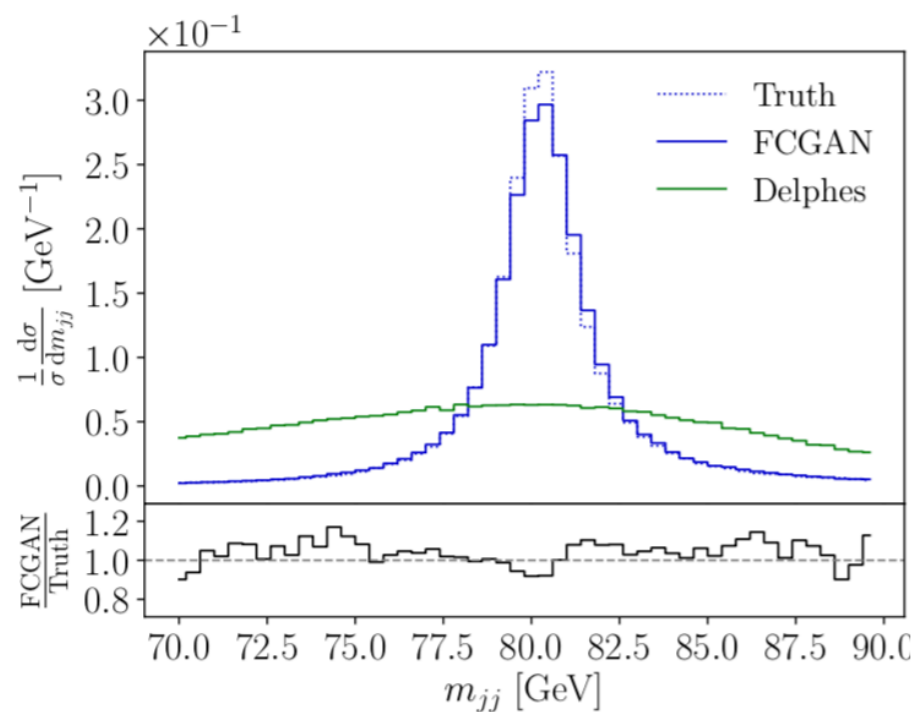
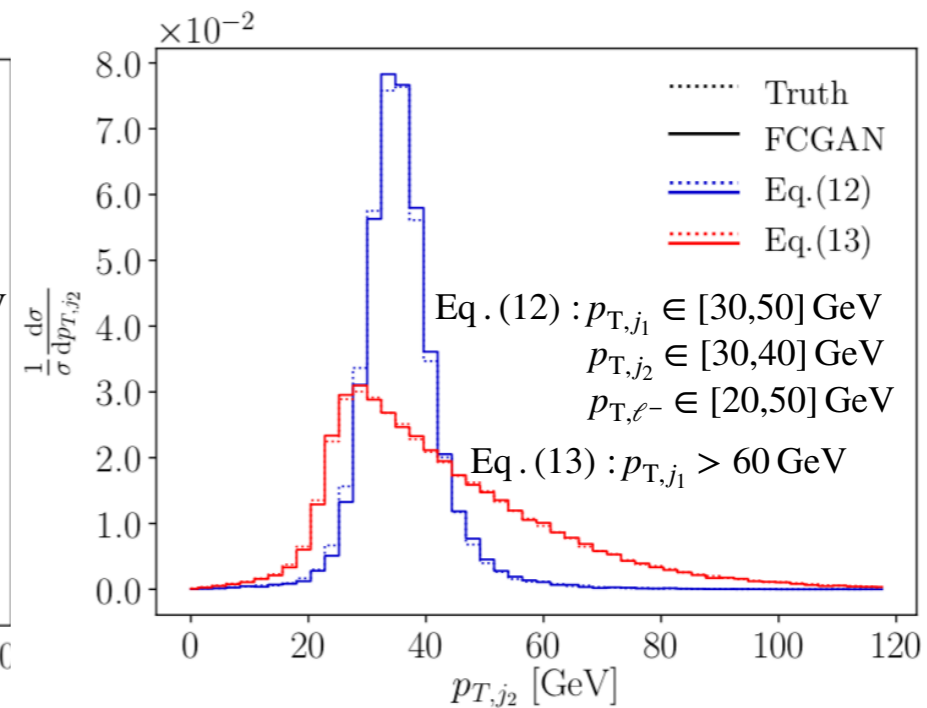
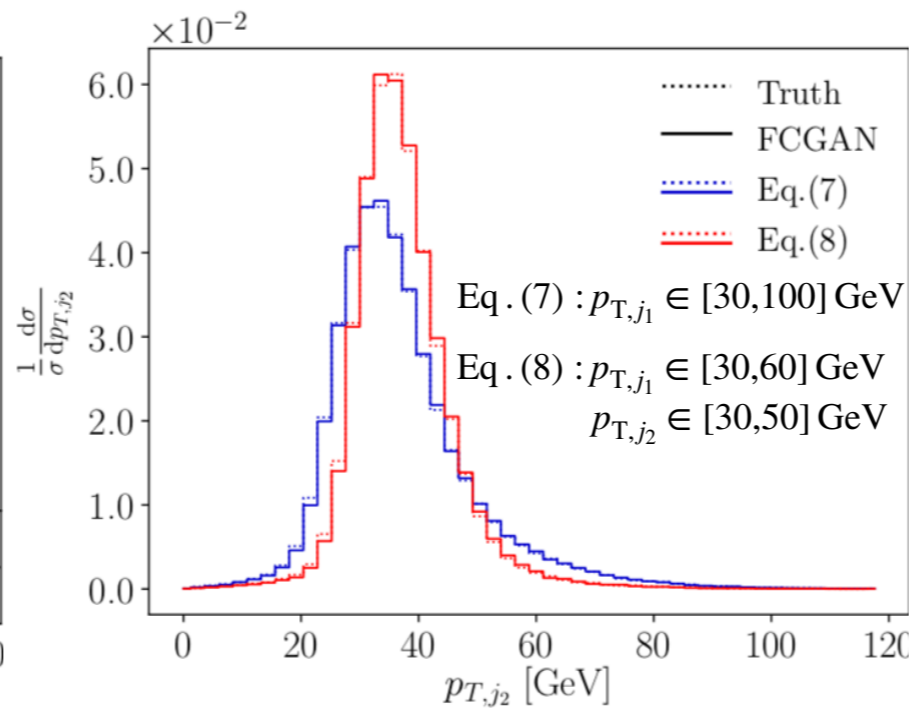
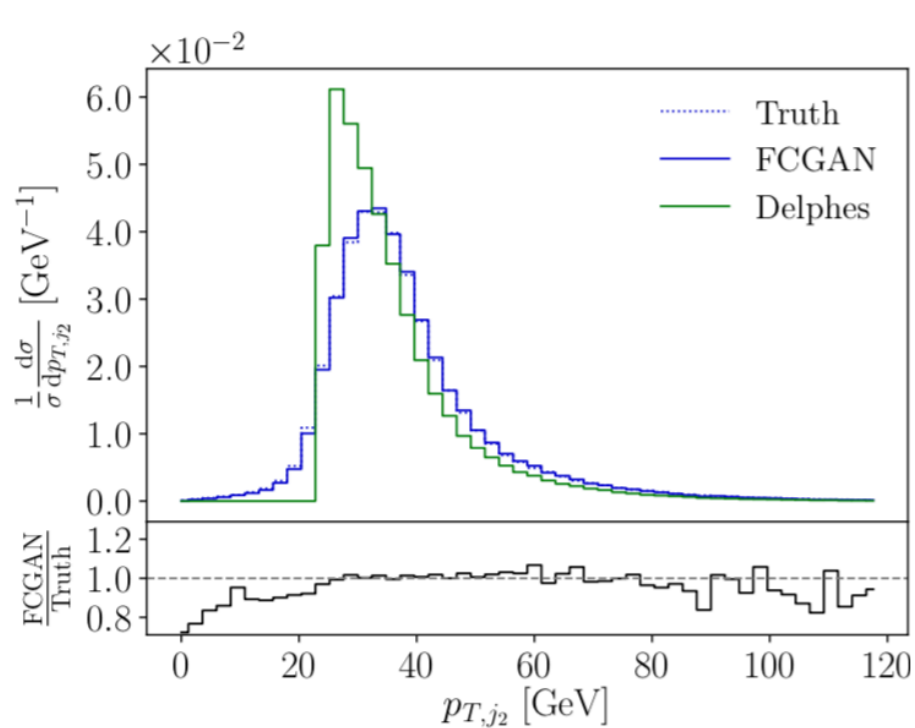


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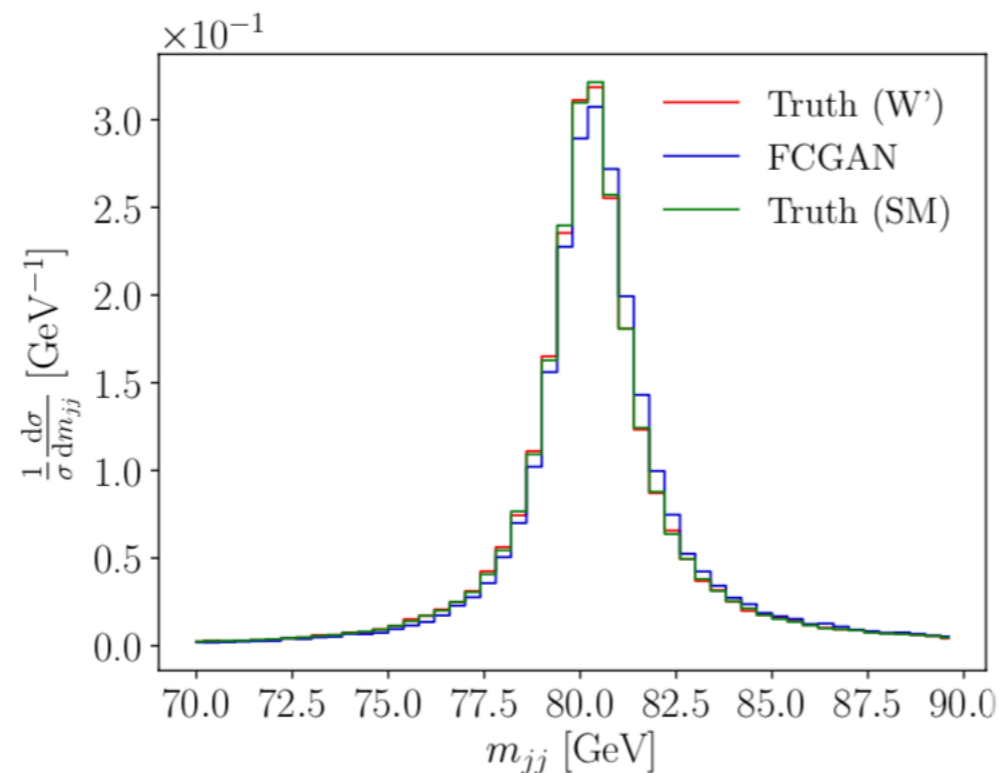
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Bonus: new physics injection

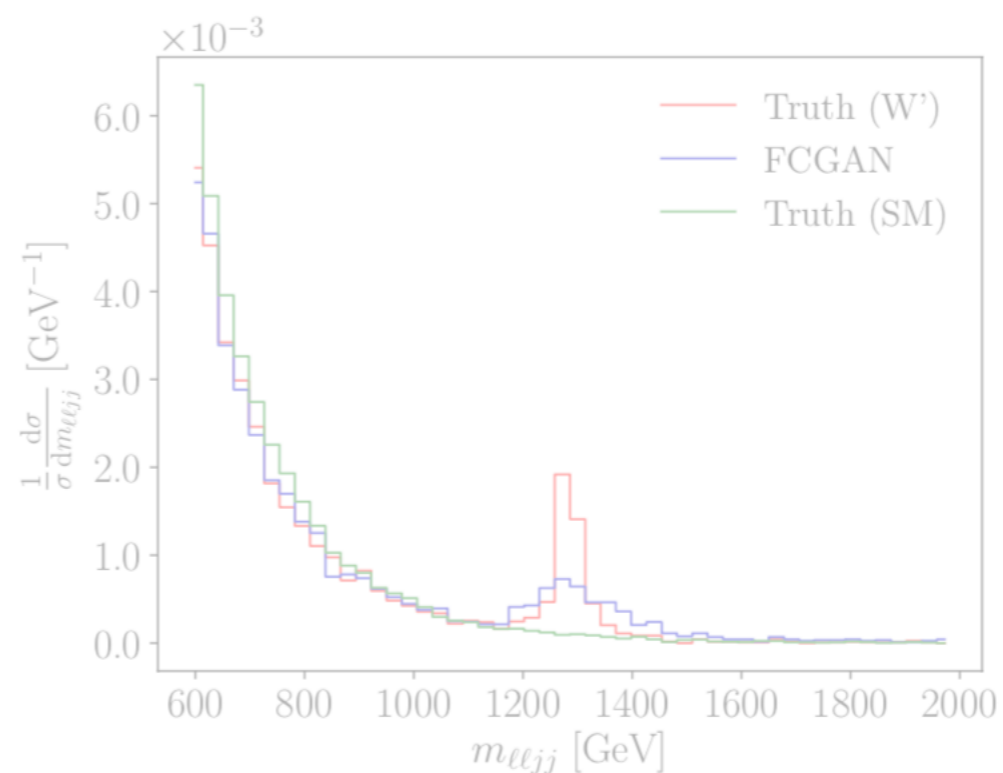
Test model dependence on FCGAN-unfolding:

What happens if we train our FCGAN on Standard Model data, but apply it to a different hypothesis?

- Use W' with mass of 1.3 TeV and width of 15 GeV $pp \rightarrow W'^* \rightarrow ZW^\pm \rightarrow (\ell^- \ell^+) (jj)$



Invariant mass of the hadronically decaying W-boson hardly changes



Reproduces the W' peak faithfully

W' -mass as the central peak position very well learned

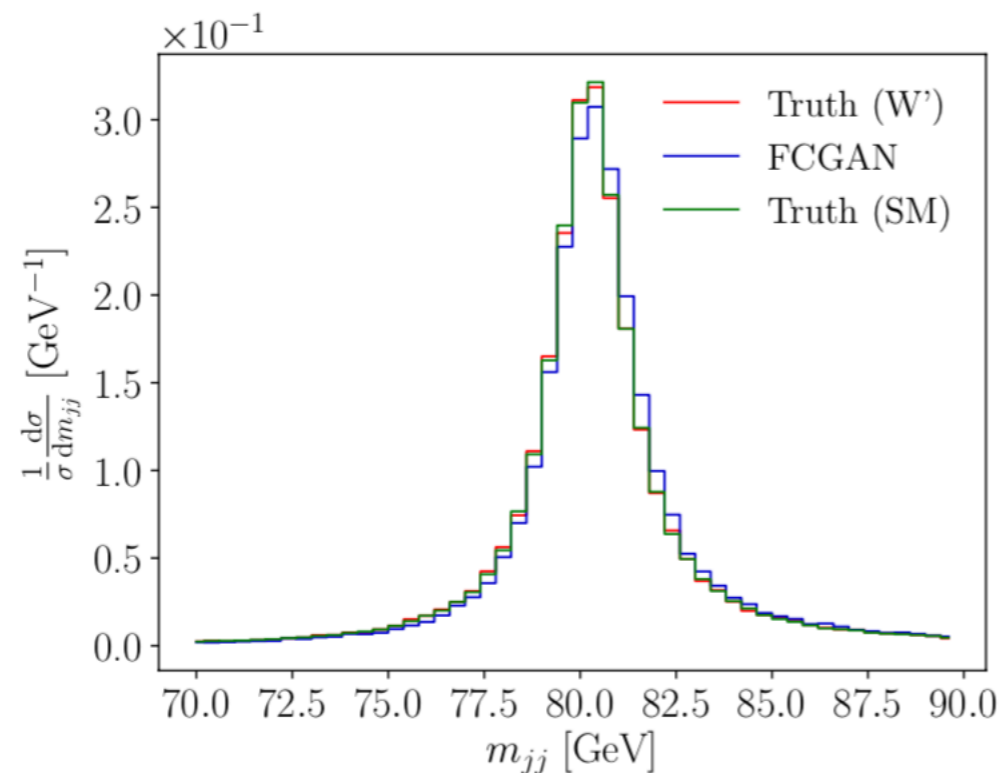
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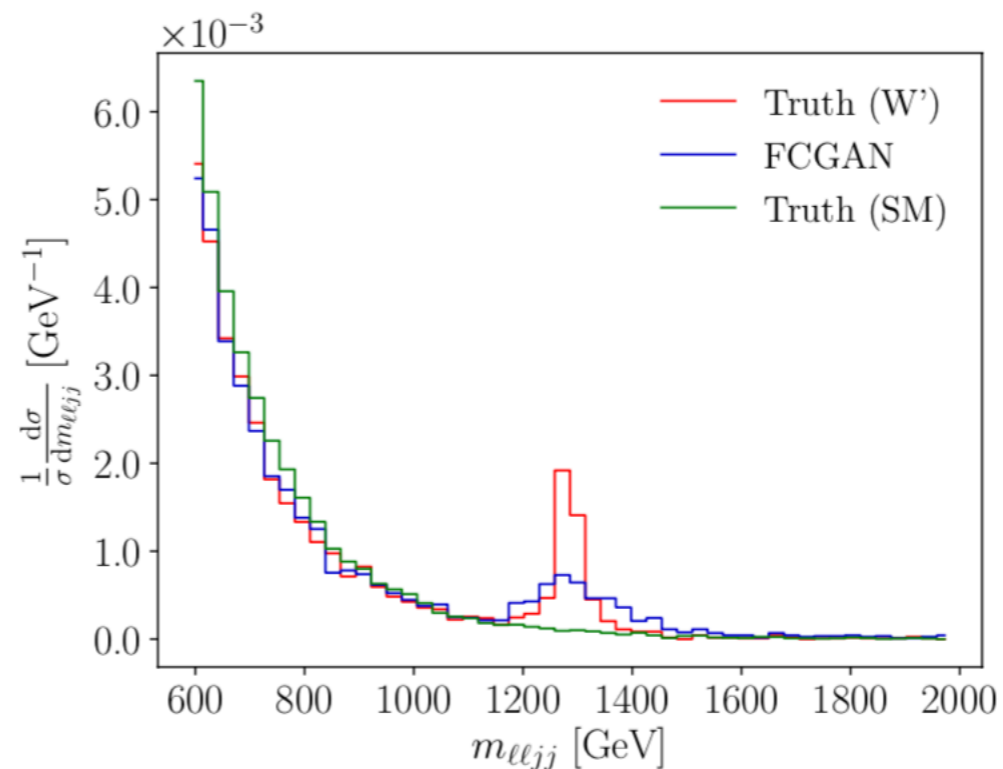
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Summary

- Short introduction to GANs
- Unfolding - GAN unfolding
- Results using a naive GAN
- Results using FCGAN
- Testing on model-independence of FCGAN

Backup

Parameter	Value	Parameter	Value
Layers	12	Batch size	512
Units per layer	512	Epochs	1200
Trainable weights G	3M	Iterations per epoch	500
Trainable weights D	3M	Number of training events	3×10^5
λ_G	1		
λ_D	10^{-3}		

Table 1: FCGAN setup.