

LHCP2021

The Ninth Annual Conference on Large Hadron Collider Physics

Online

7-12 June 2021 ~~Paris (France), Sorbonne Université~~ (IN2P3/CNRS,IRFU/CEA)

Unsupervised ML & Bayesian Inference @ four-tops

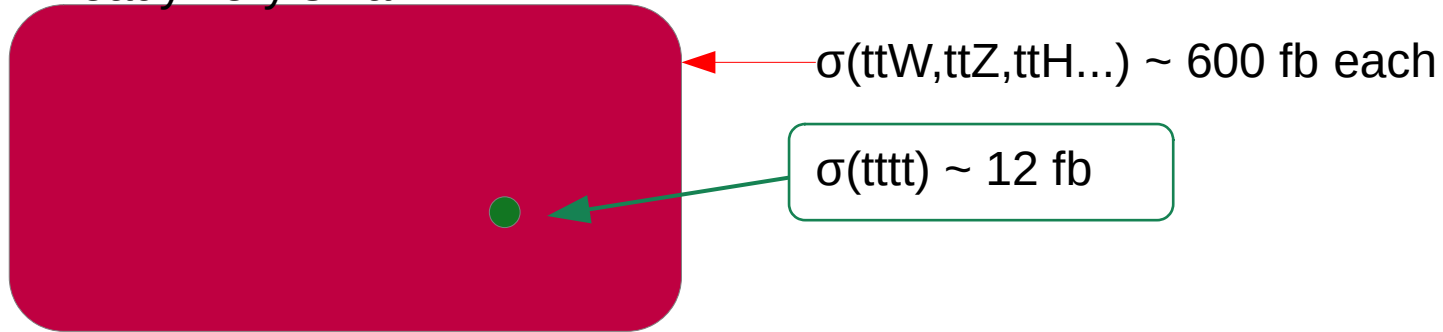
Ezequiel Álvarez¹
sequi@unsam.edu.ar

In collaboration with
B.Dillon², D.Faroughy³, J.Kamenik⁴, F.Lamagna¹ & M.Szewc¹

1) ICAS & IB (Argentina); 2) Heidelberg U. (Germany); 3) Zurich U. (Switzerland); 4) Jozef Stefan I. & Ljubljana U. (Slovenia)

Four-tops @ LHC

Already very small...



Measured cross-sections

$$\text{ATLAS: } 25^{+7}_{-6} \text{ fb}$$

$$\text{CMS: } 12.6^{+5.8}_{-5.2} \text{ fb}$$

(Details in previous talk by Kong)

Four-tops @ LHC

Already very small...



$\sigma(ttW, ttZ, ttH\dots) \sim 600$ fb each

$\sigma(tttt) \sim 12$ fb

Very sensitive window for top-philic NP

Measured cross-sections

ATLAS: 25^{+7}_{-6} fb

CMS: $12.6^{+5.8}_{-5.2}$ fb

(Details in previous talk by Kong)

Four-tops @ LHC

Already very small...



$\sigma(\text{ttW}, \text{ttZ}, \text{ttH} \dots) \sim 600 \text{ fb}$ each

$\sigma(\text{tttt}) \sim 12 \text{ fb}$

Very sensitive window for top-philic NP

Measured cross-sections

ATLAS: 25^{+7}_{-6} fb

CMS: $12.6^{+5.8}_{-5.2} \text{ fb}$

(Details in previous talk by Kong)

General NP

2105.03372, 1910.09581,
1906.09703, 1805.10835
1804.05598, 1611.05032,
1206.3064, 1203.5862,
1112.3778, 1107.4616
1101.1294, 1008.3562,
hep-ph/9507411

EFT

2104.09512, 2011.15060,
2010.05915, 1708.05928,
1010.6304

Machine Learning

J. Phys.Conf.Ser.**1380** 012069
1911.09699

Four-tops @ LHC

Already very small...



$\sigma(ttW,ttZ,ttH\dots) \sim 600$ fb each

$\sigma(tttt) \sim 12$ fb

Very sensitive window for top-philic NP

Measured cross-sections

ATLAS: 25^{+7}_{-6} fb

CMS: $12.6^{+5.8}_{-5.2}$ fb

(Details in previous talk by Kong)

General NP

2105.03372, 1910.09581,
1906.09703, 1805.10835
1804.05598, 1611.05032,
1206.3064, 1203.5862,
1112.3778, 1107.4616
1101.1294, 1008.3562,
hep-ph/9507411

EFT

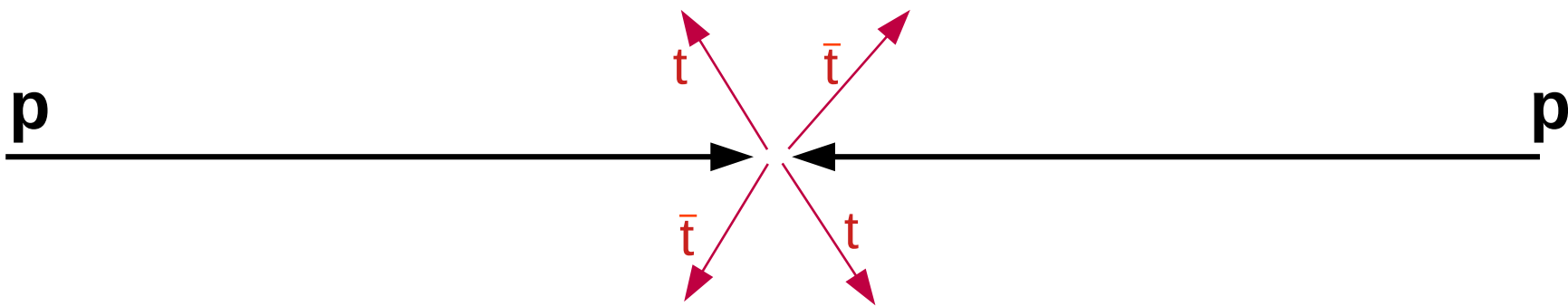
2104.09512, 2011.15060,
2010.05915, 1708.05928,
1010.6304

Machine Learning

J. Phys.Conf.Ser.**1380** 012069
1911.09699

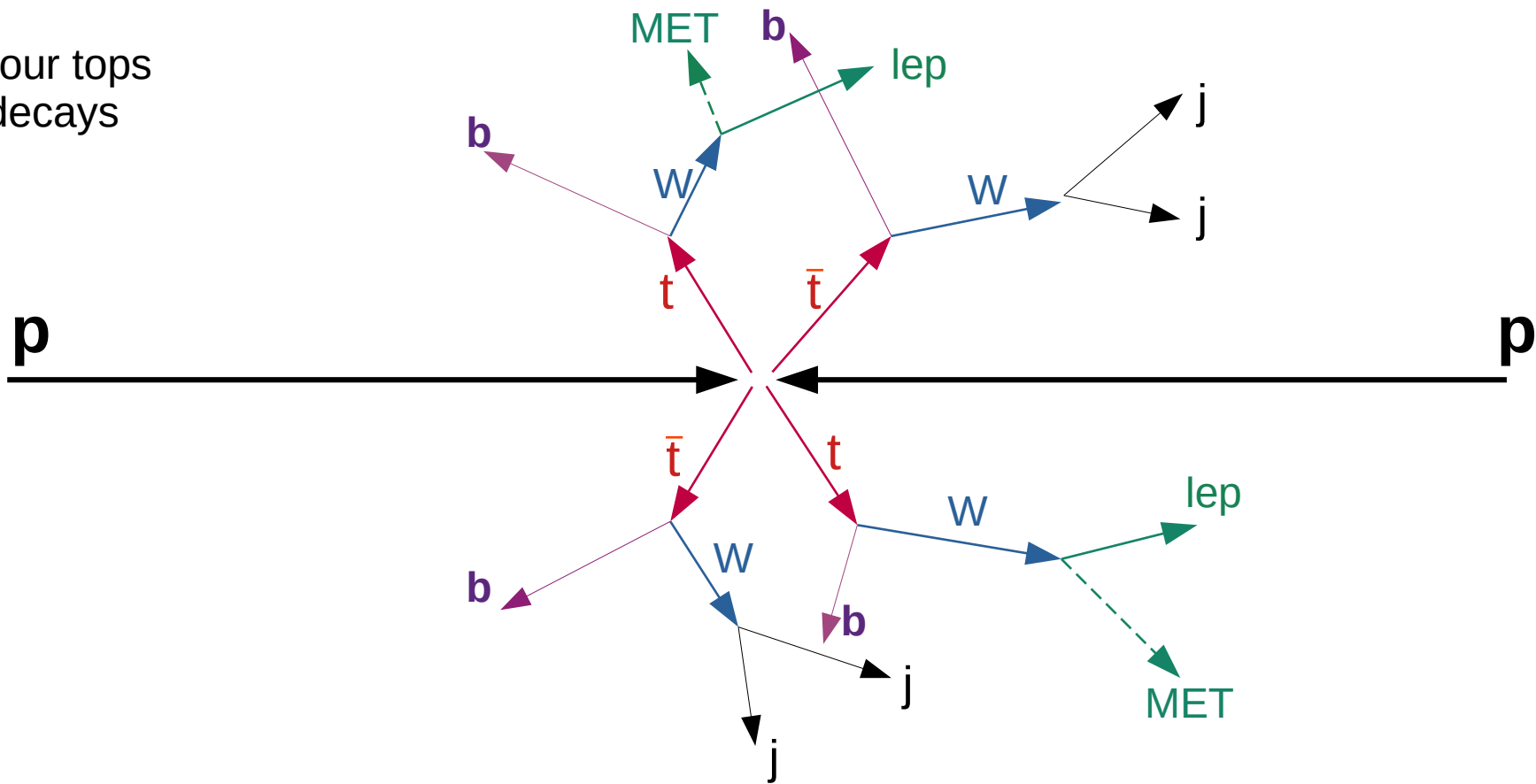
Four-top production

Four tops



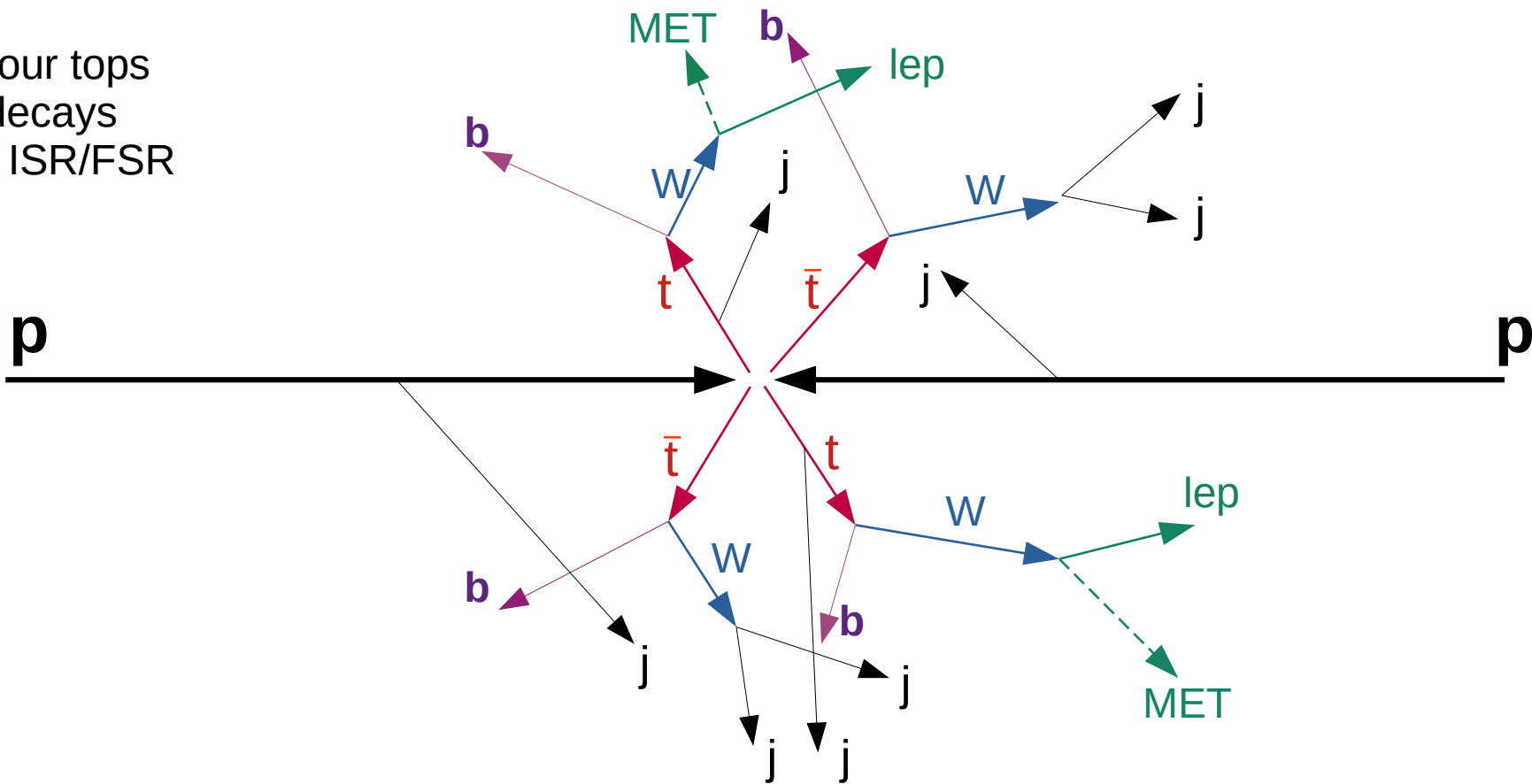
Four-top production

Four tops
decays



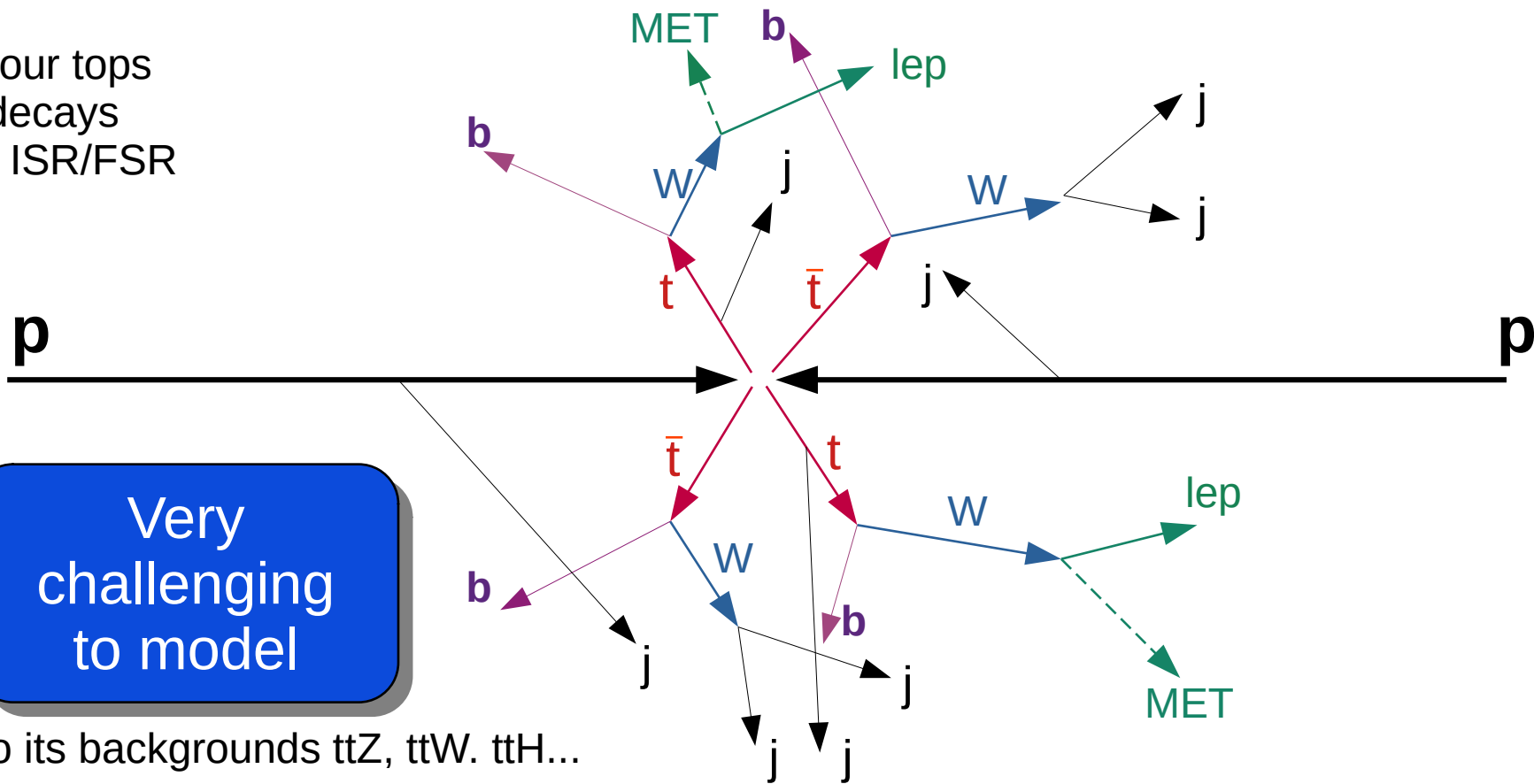
Four-top production

Four tops
decays
+ ISR/FSR



Four-top production

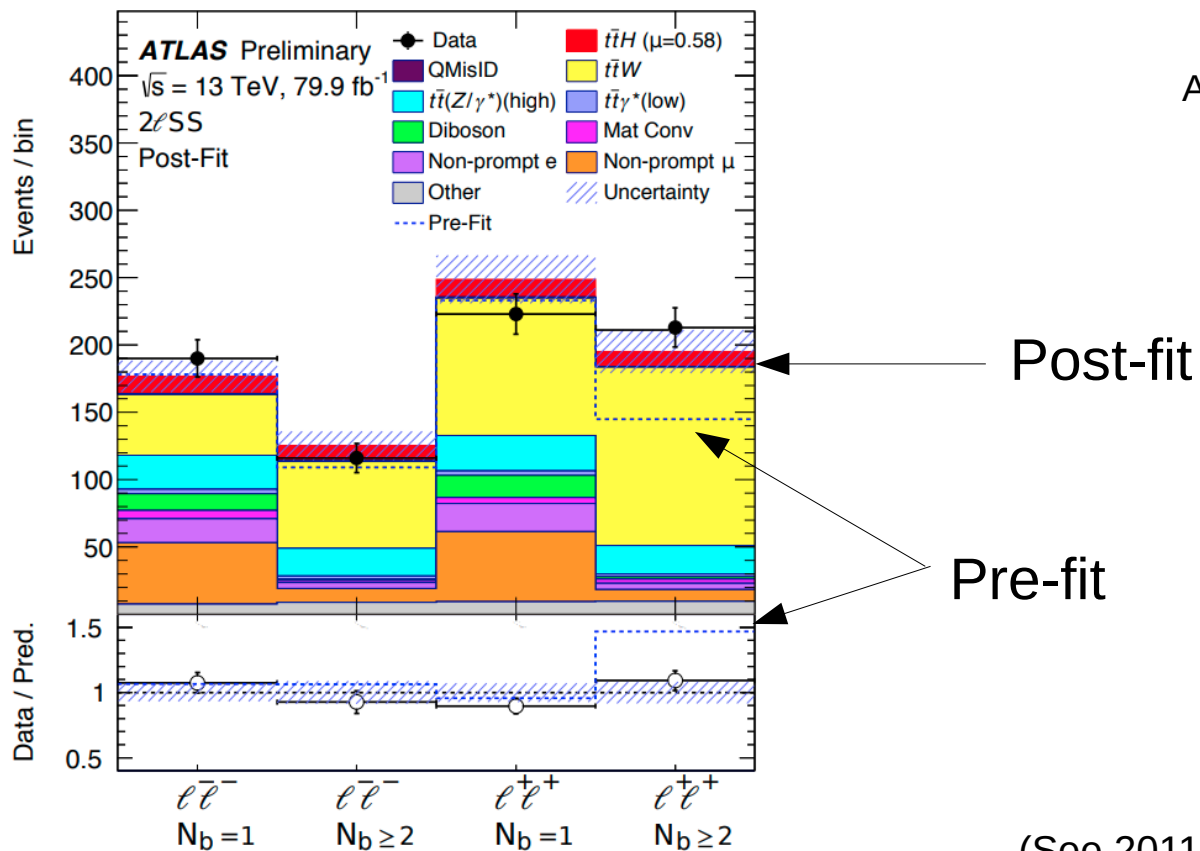
Four tops
decays
+ ISR/FSR



Very
challenging
to model

Also its backgrounds ttZ , ttW , ttH ...

Browsing the data



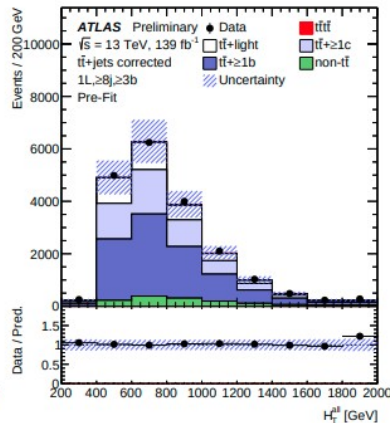
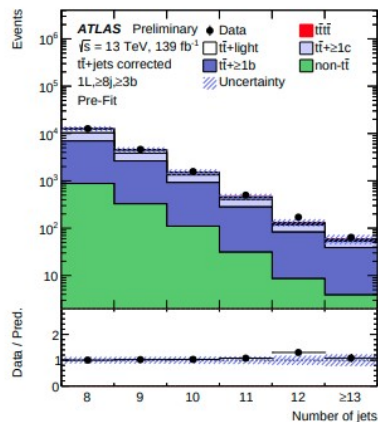
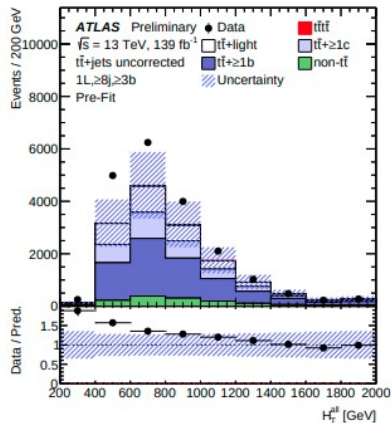
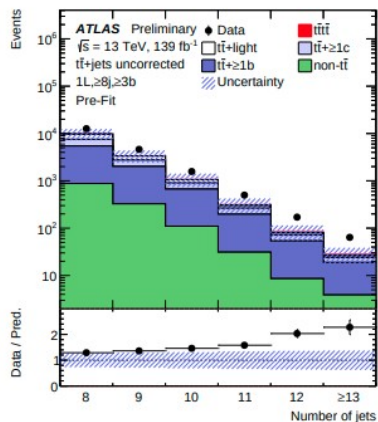
ttH
ATLAS-CONF-2019-045

(See 2011.06514 for NP on this mismatch)

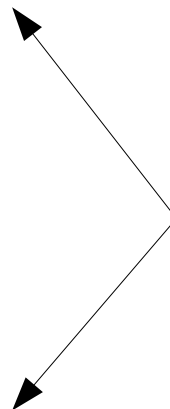
Browsing the data

- Flavour rescaling
- Sequential kinematic reweighting

Before



N_j



Four-tops
 ATLAS-CONF-2021-013

After

H_T

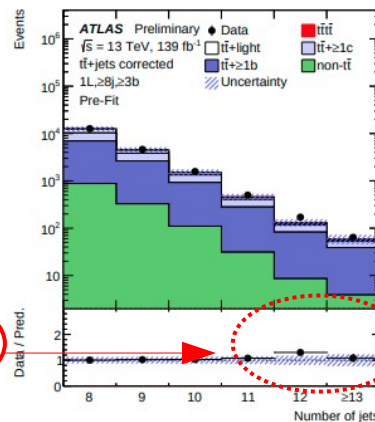
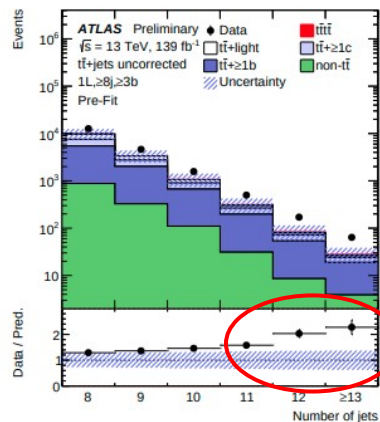
See talk by
 Albert Kong

Browsing the data

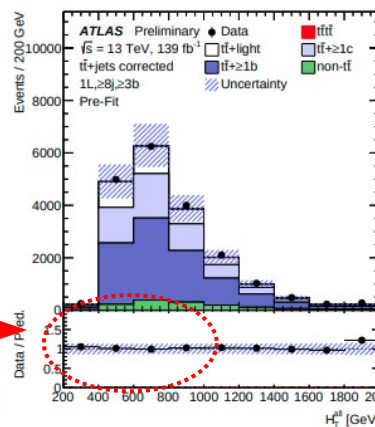
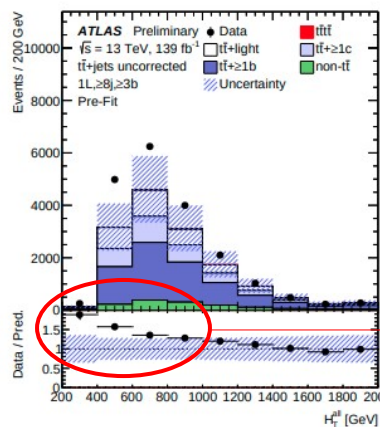
- Flavour rescaling
- Sequential kinematic reweighting

Four-tops
ATLAS-CONF-2021-013

Before



N_j



H_T

After

See talk by
Albert Kong

Browsing the data

In multilepton and/or multijets/b, some results have tuning

- Quite clever techniques
- In principle do not modify results
- Some times after having seen the data

Browsing the data

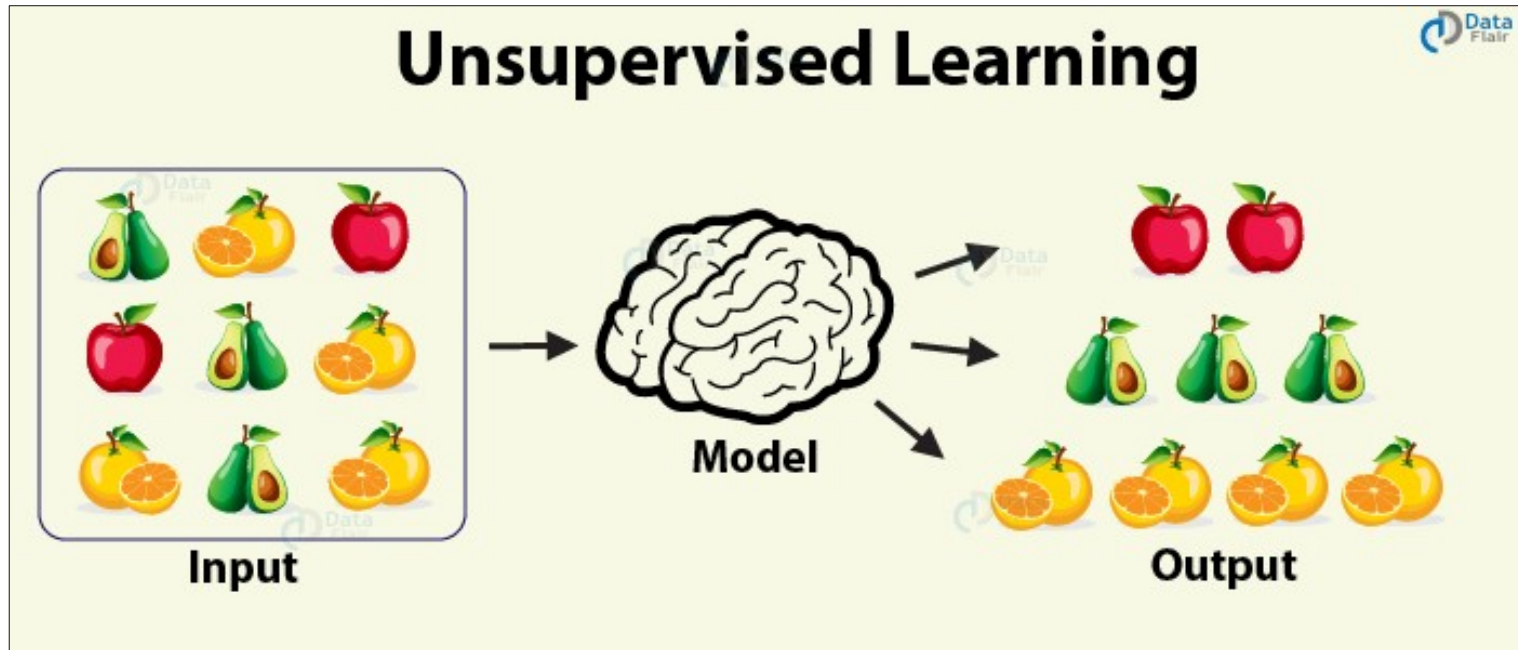
In multilepton and/or multijets/b, some results have tuning

- Quite clever techniques
- In principle do not modify results
- Some times after having seen the data

But....

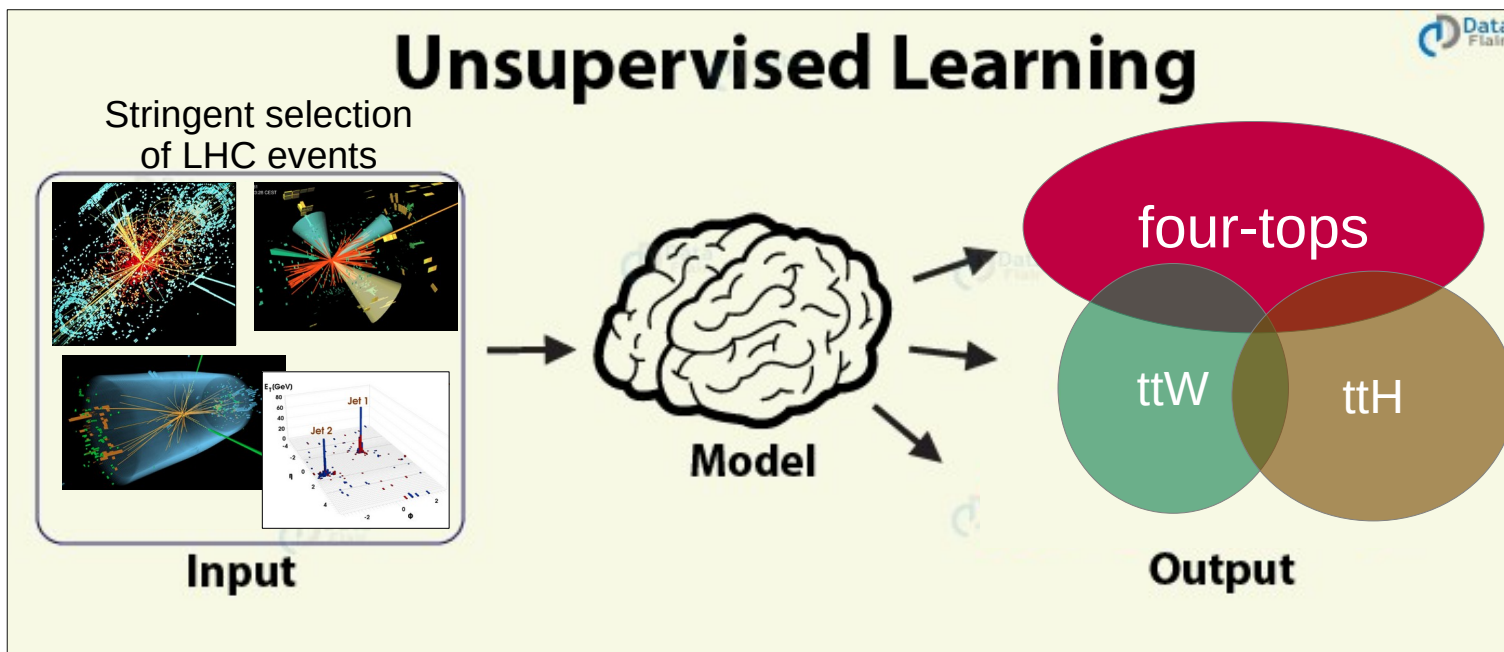
What if we are
missing something ?

Unsupervised ML @ four-tops



The algorithm recognizes similarities and differences and clusters the data

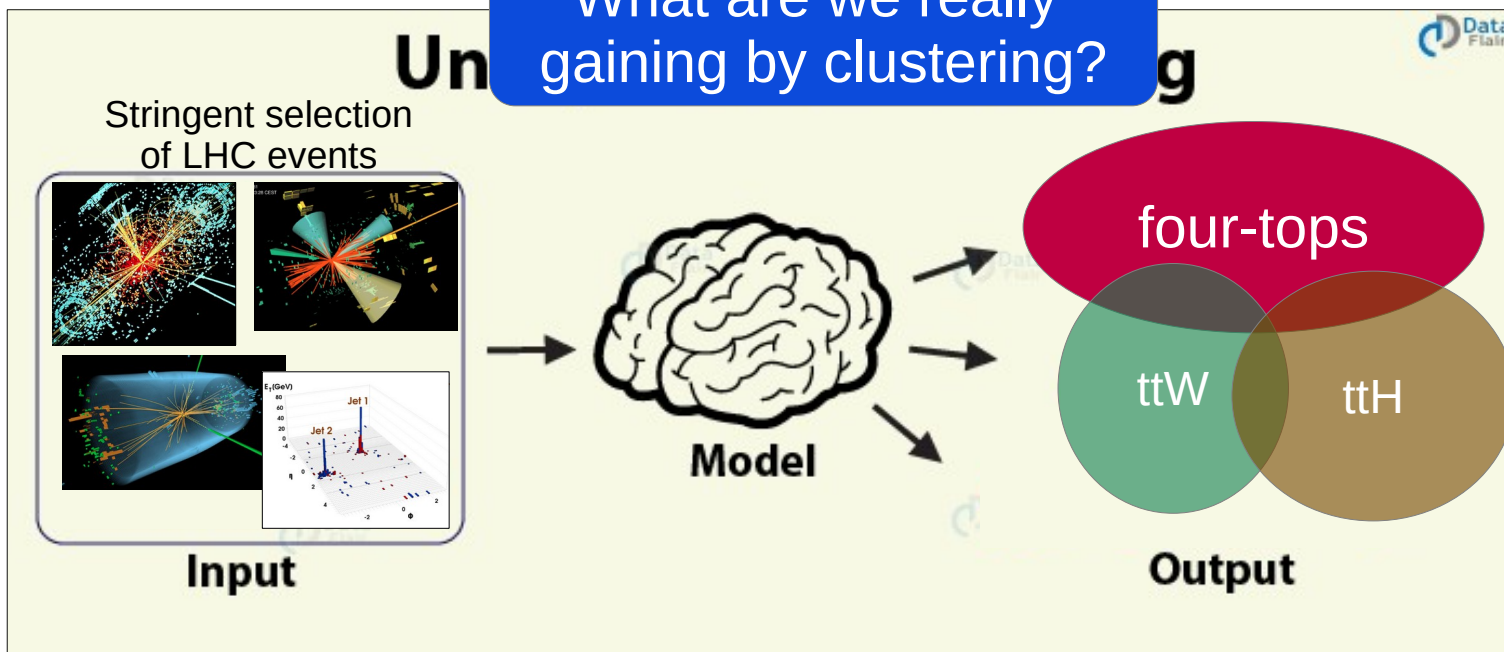
Unsupervised ML @ four-tops



The algorithm recognizes similarities and differences and clusters the data

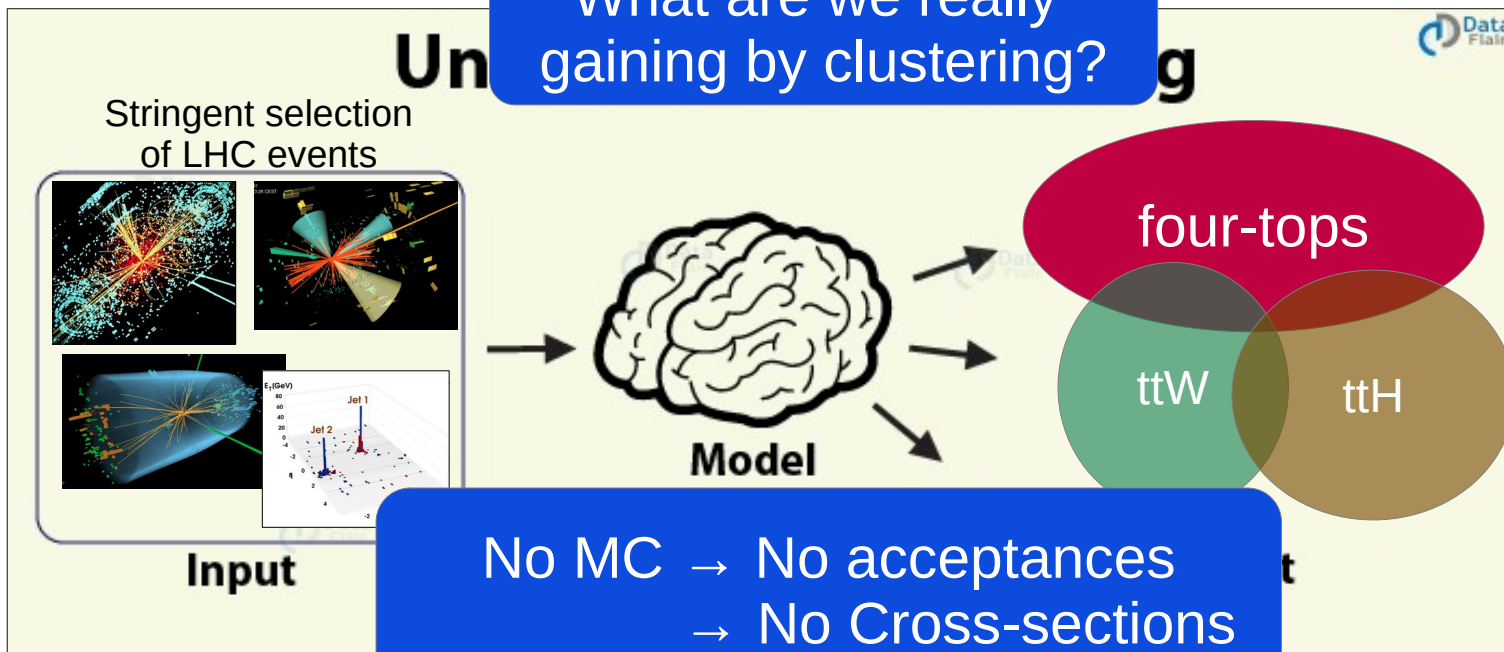
Unsupervised ML @ four-tops

What are we really gaining by clustering?



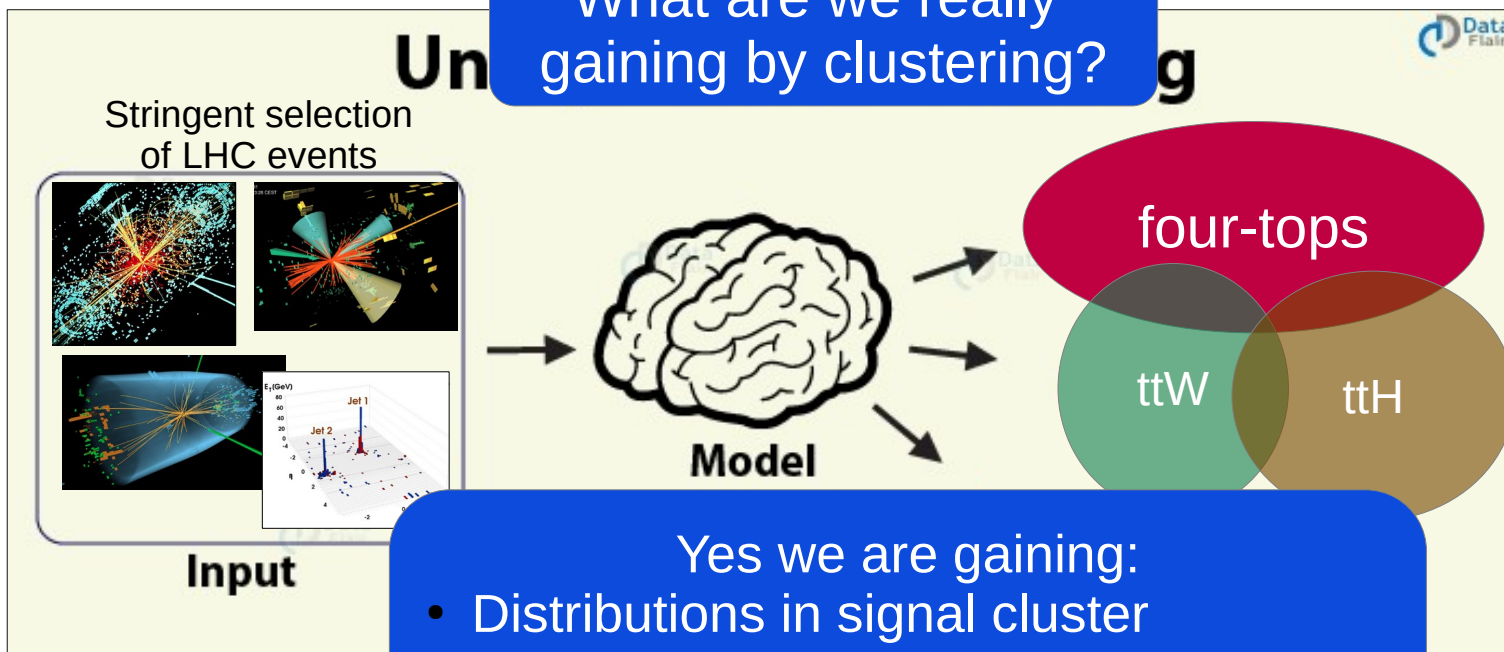
Unsupervised ML @ four-tops

What are we really gaining by clustering?



Unsupervised ML @ four-tops

What are we really gaining by clustering?

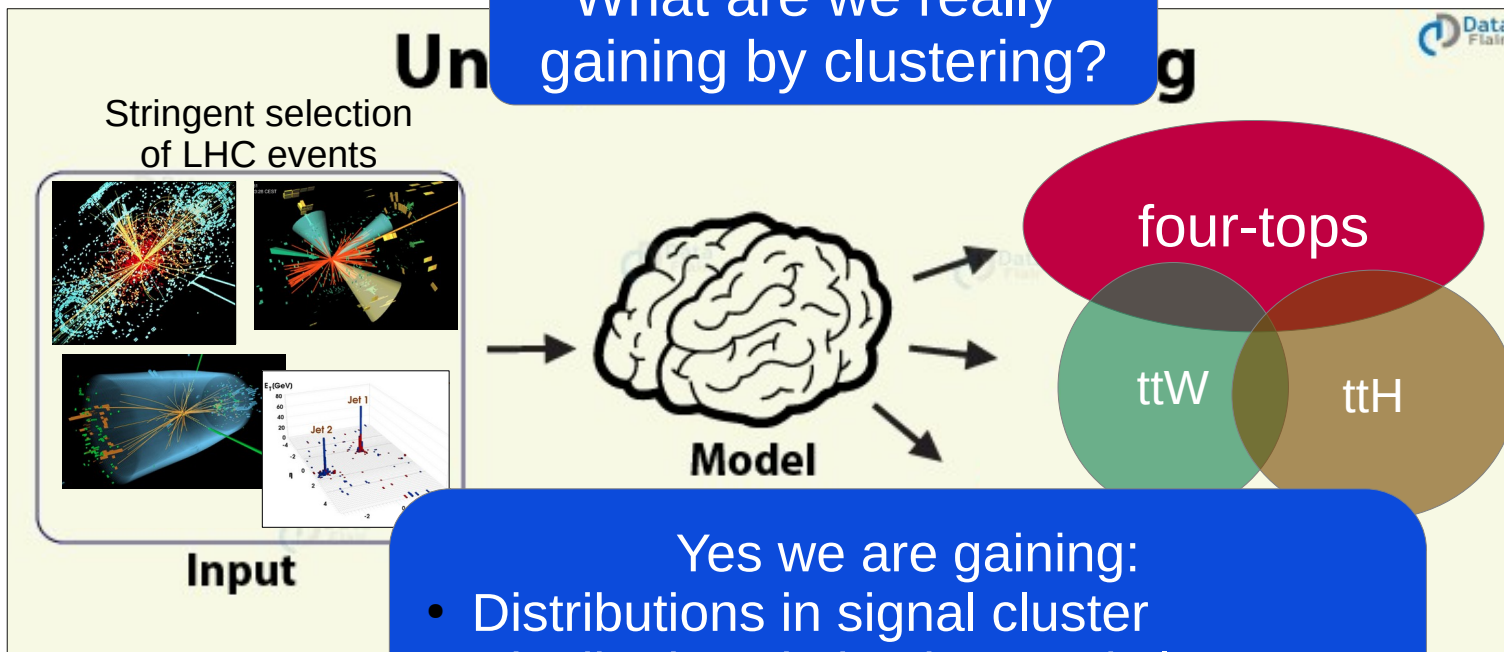


- Yes we are gaining:
- Distributions in signal cluster
 - Distributions in background cluster
 - Tuning MC with background cluster in signal region

Many subtleties!

Unsupervised ML @ four-tops

What are we really gaining by clustering?



- Yes we are gaining:
- Distributions in signal cluster
 - Distributions in background cluster
 - Tuning MC with background cluster in signal region

Many subtleties!

Unsupervised ML @ four-tops

We've started studying

- Latent Dirichlet Allocation (LDA)
- Autoencoders (AE)
- Variational Autoencoders (VAE)

Unsupervised ML @ four-tops

We've started studying

- Latent Dirichlet Allocation (LDA)
- Autoencoders (AE)
- Variational Autoencoders (VAE)

Dataset 2LSS++

Signal = tttt

Background = ttW+

$10 \text{ fb}^{-1} / 600 \text{ fb}^{-1} \rightarrow \sim 1/1$ events

Unsupervised ML @ four-tops

We've started studying

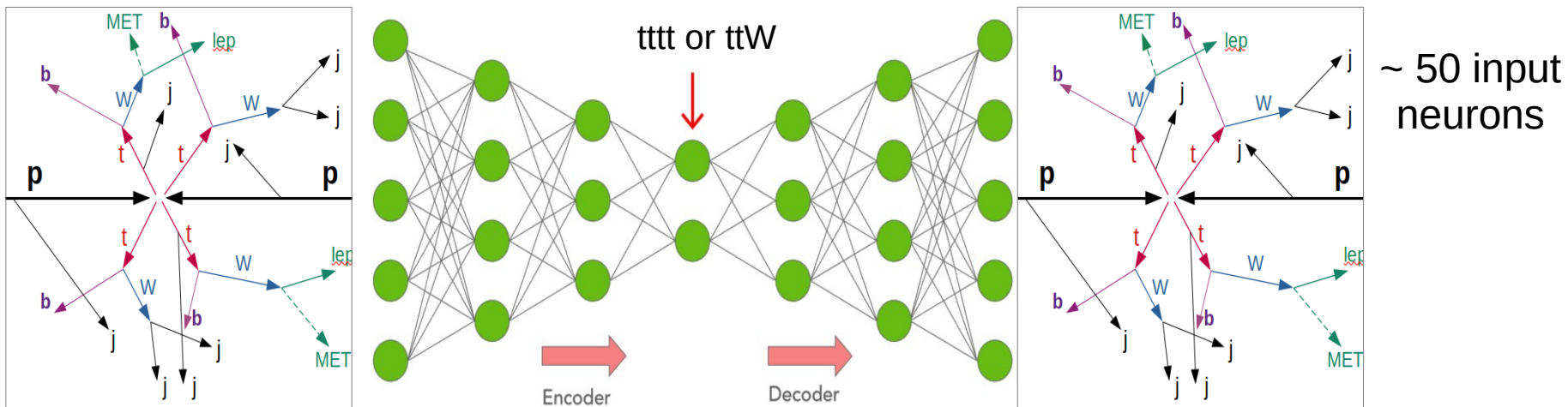
- Latent Dirichlet Allocation (LDA)
- Autoencoders (AE)
- Variational Autoencoders (VAE)

Dataset 2LSS++

Signal = $t\bar{t}\bar{t}\bar{t}$

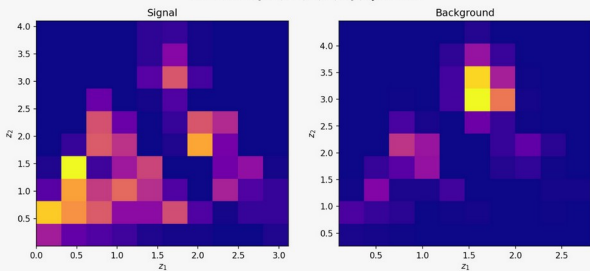
Background = $t\bar{t}W$

$10 \text{ fb}^{-1} / 600 \text{ fb}^{-1} \rightarrow \sim 1/1$ events

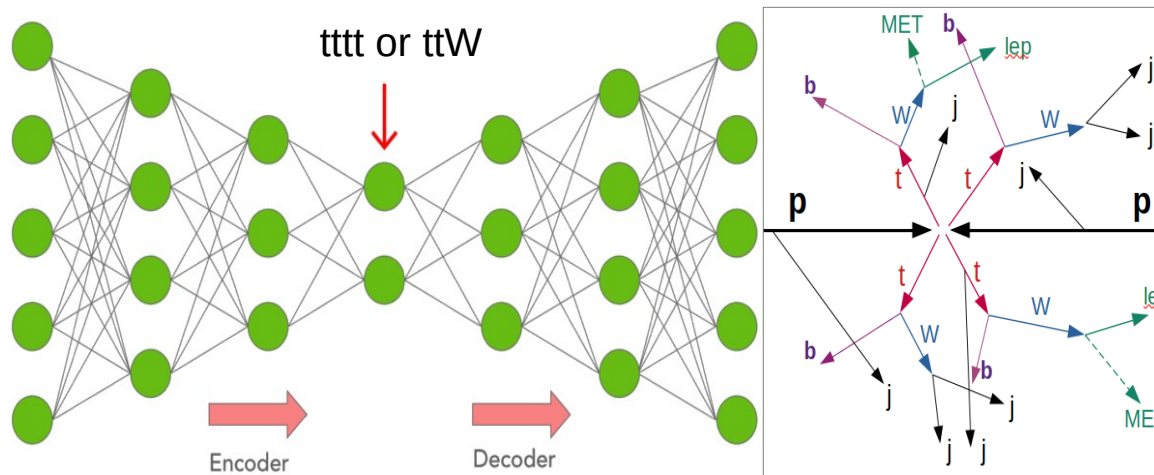
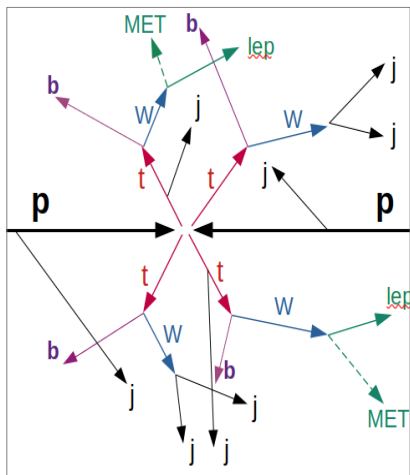
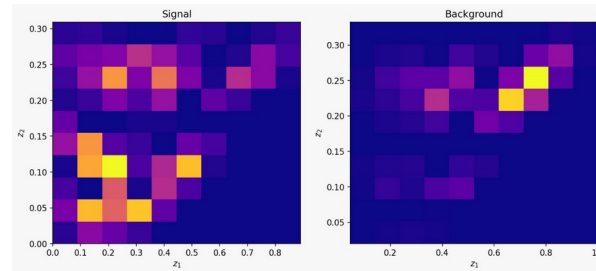


Unsupervised ML @ four-tops

Architecture: (150,100,50,25,10) , symmetric

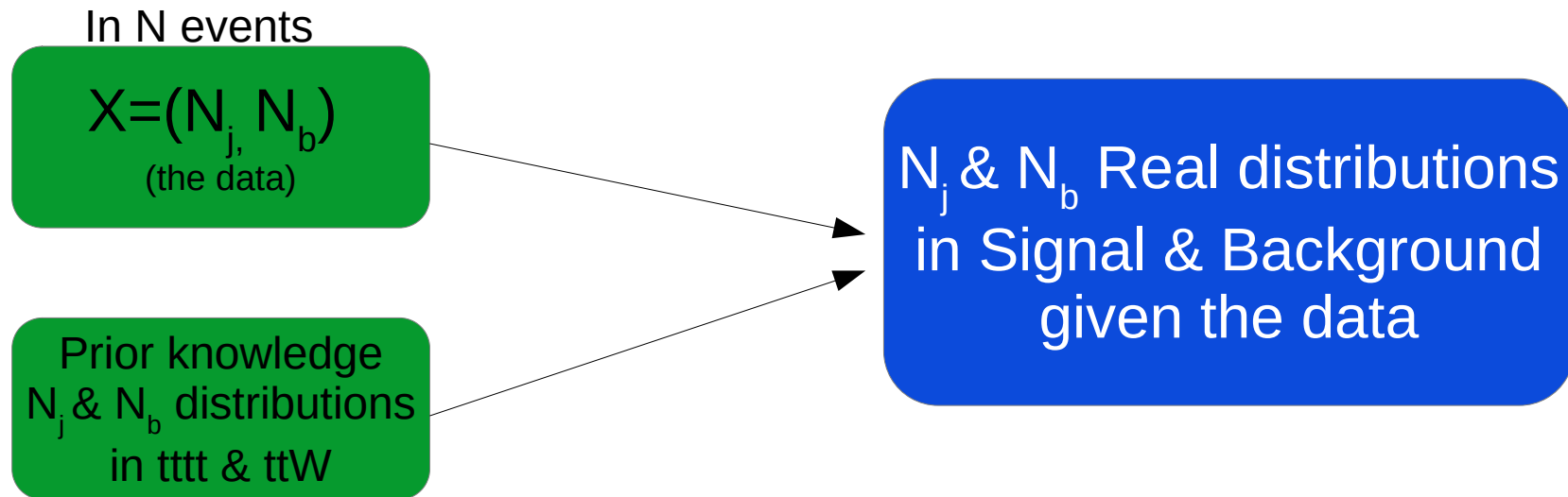


We find good S and B
unsupervised clustering



~ 50 input
neurons

Bayesian Inference @ four-tops



Bayesian Inference @ four-tops

In N events

$$X = (N_j, N_b)$$

(the data)

Prior knowledge
 N_j & N_b distributions
in tttt & ttW

$$P(\theta|X) = \frac{P(X|\theta) \times \text{Prior}(\theta)}{P(X)}$$

Bayes

Bayesian Inference @ four-tops

Bayes

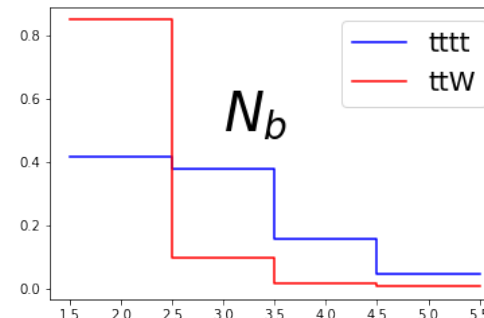
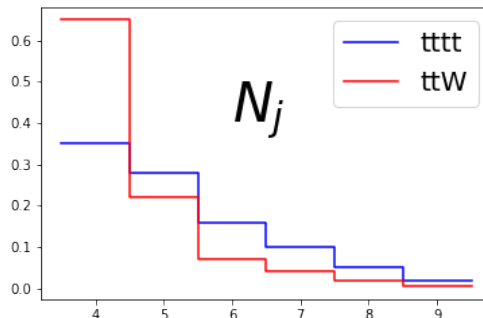
In N events

$X = (N_j, N_b)$
(the data)

Prior knowledge
 N_j & N_b distributions
in tttt & ttW

$$P(\theta|X) = \frac{P(X|\theta) \times \text{Prior}(\theta)}{P(X)}$$

Basic principles



Bayesian Inference @ four-tops

Bayes

In N events

$X = (N_j, N_b)$
(the data)

Unknown mixture!??

Prior knowledge
 N_j & N_b distributions
in tttt & ttW

$$P(\theta|X) = \frac{P(X|\theta) \times \text{Prior}(\theta)}{P(X)}$$

Bayesian Inference @ four-tops

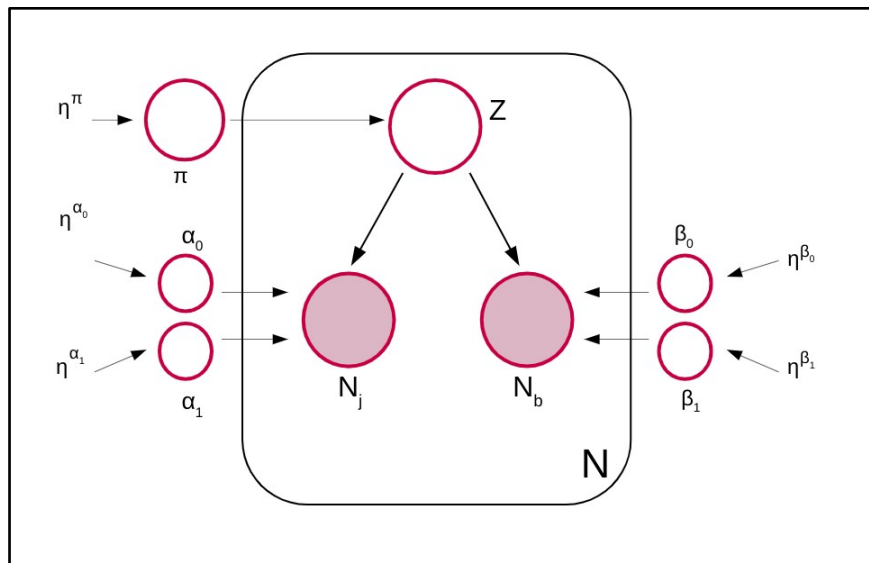
Bayes

In N events

$X = (N_j, N_b)$
(the data)

Unknown mixture!??

$$P(\theta|X) = \frac{P(X|\theta) \times \text{Prior}(\theta)}{P(X)}$$



Probabilistic *Graphical Model*
We only see (N_j, N_b) , but we can infer all the parameters!

Bayesian Inference @ four-tops

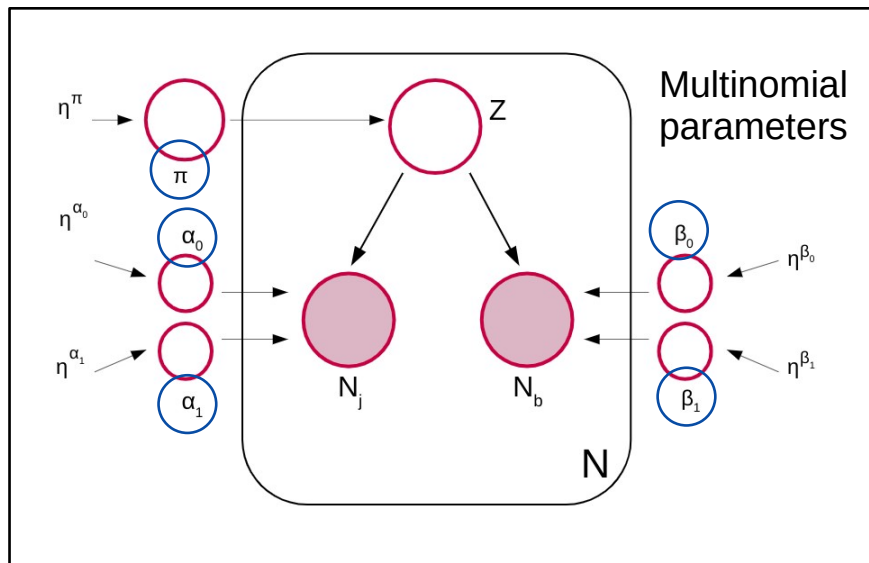
Bayes

In N events

$X = (N_j, N_b)$
(the data)

Unknown mixture!??

$$P(\theta|X) = \frac{P(X|\theta) \times \text{Prior}(\theta)}{P(X)}$$



Probabilistic *Graphical Model*

We only see (N_j, N_b) , but we can infer all the parameters!

Bayesian Inference @ four-tops

In N events

$X = (N_j, N_b)$
(the data)

Prior knowledge
 N_j & N_b distributions
in tttt & ttW

$$P(\theta|X) = \frac{P(X|\theta) \times \text{Prior}(\theta)}{P(X)}$$

Bayes

Solve Bayesian inference numerically
using Gibbs Sampling
(also EMCEE and others)

Bayesian Inference Results

$N_j(\text{ttW})$

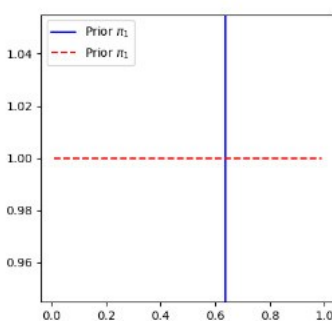
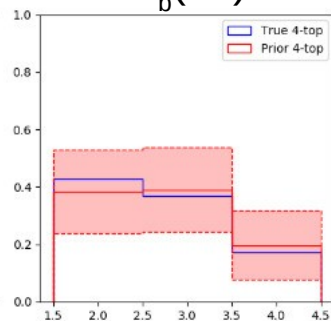
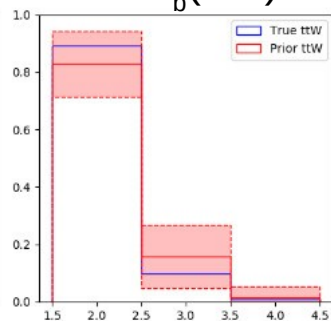
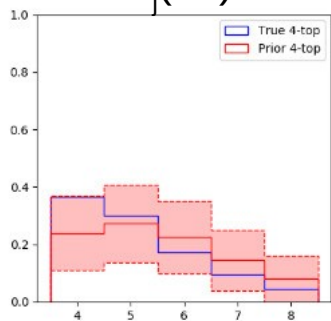
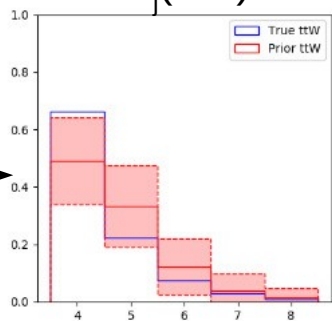
$N_j(\text{tttt})$

$N_b(\text{ttW})$

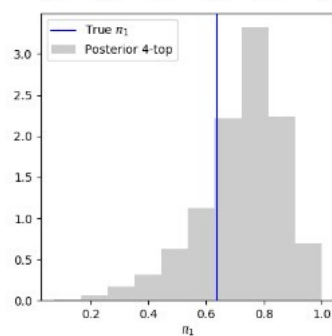
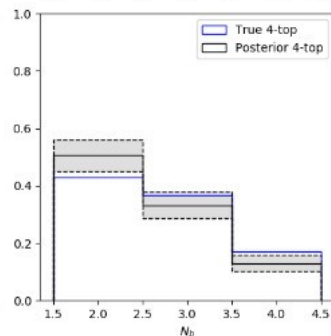
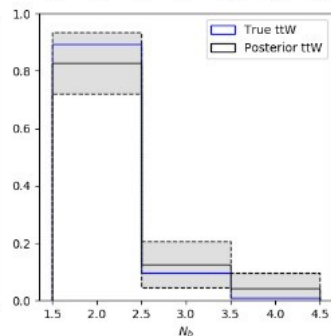
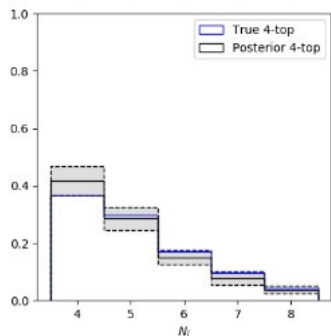
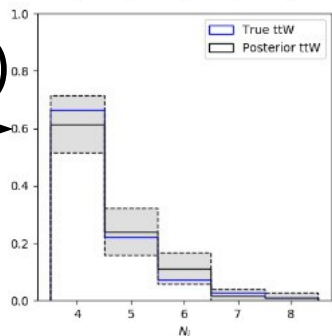
$N_b(\text{tttt})$

ttW fraction

Prior(θ)



Posterior($\theta|X$)

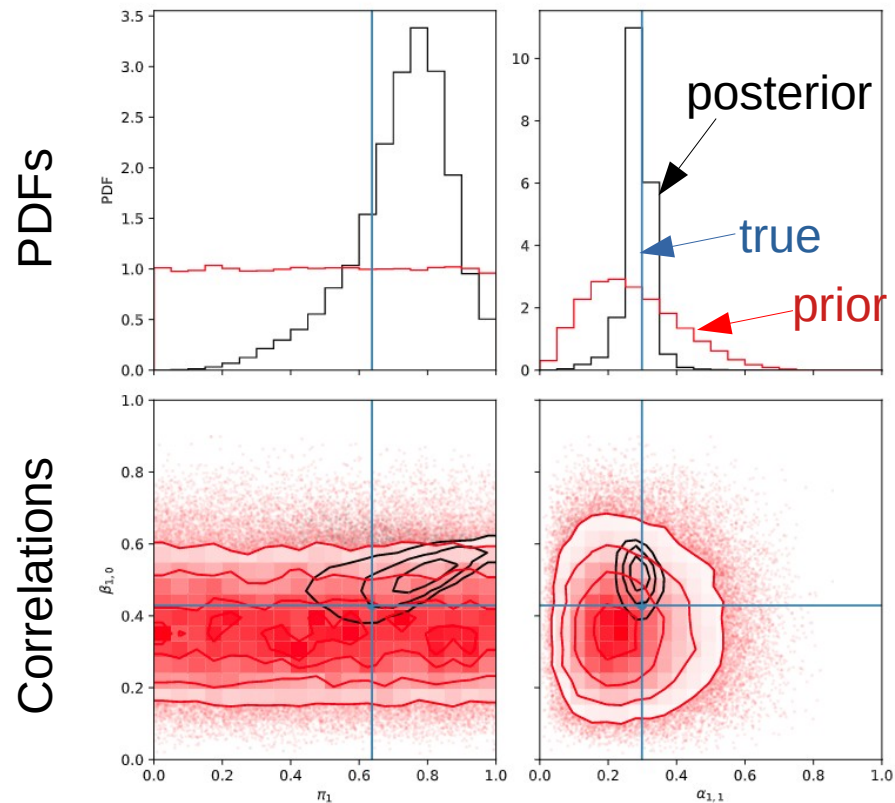


(500 fb⁻¹)

$$P(\theta|X) = \frac{P(X|\theta) \times \text{Prior}(\theta)}{P(X)}$$

Inference correctly approaches true Values!

Bayesian Inference Results



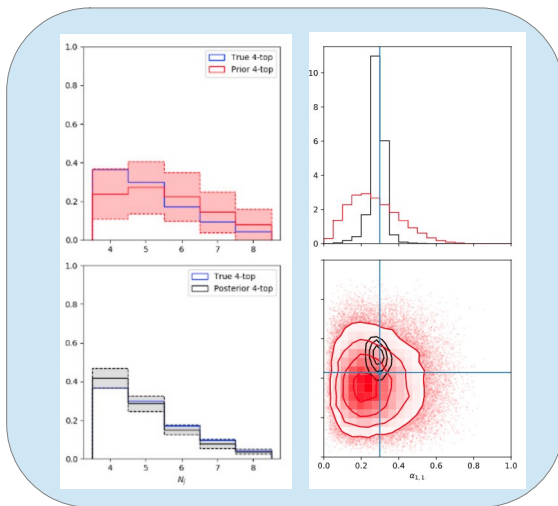
Each parameter approaches the true values with the posterior!

← Corner-plot panels

(500 fb⁻¹)

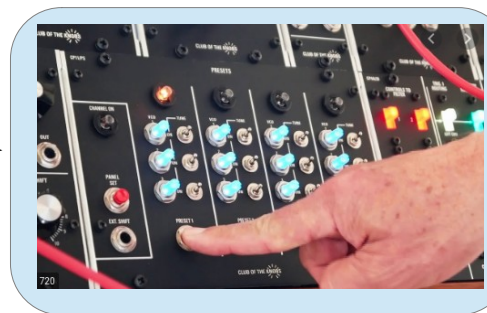
Bayesian Inference @ four-tops

2LSS++



Select a
signal
region
sample

Bayesian Inference to
get Signal and
Background features



Tune Montecarlo using
background features in signal region!

“Test” for NP!

- tttt xsection
- tttt distributions
- Sample fractions
- Etc....

Conclusions

- Unsupervised ML & Bayes provide a new way of using data
- Four-tops is a very suitable physics case
- Presented algorithm: As simple as providing all (N_j, N_b) pairs!
- Tune MC with Background in Signal region
- New ways to test for SM & NP @ four-tops
- Subtleties and details in upcoming arXiv:2106.XXXX. Also more to explore & understand.

Conclusions

- Unsupervised ML & Bayes provide a new way of using data
- Four-tops is a very suitable physics case
- Presented algorithm: As simple as providing all (N_j, N_b) pairs!
- Tune MC with Background in Signal region
- New ways to test for SM & NP @ four-tops
- Subtleties and details in upcoming arXiv:2106.XXXX. Also more to explore & understand.

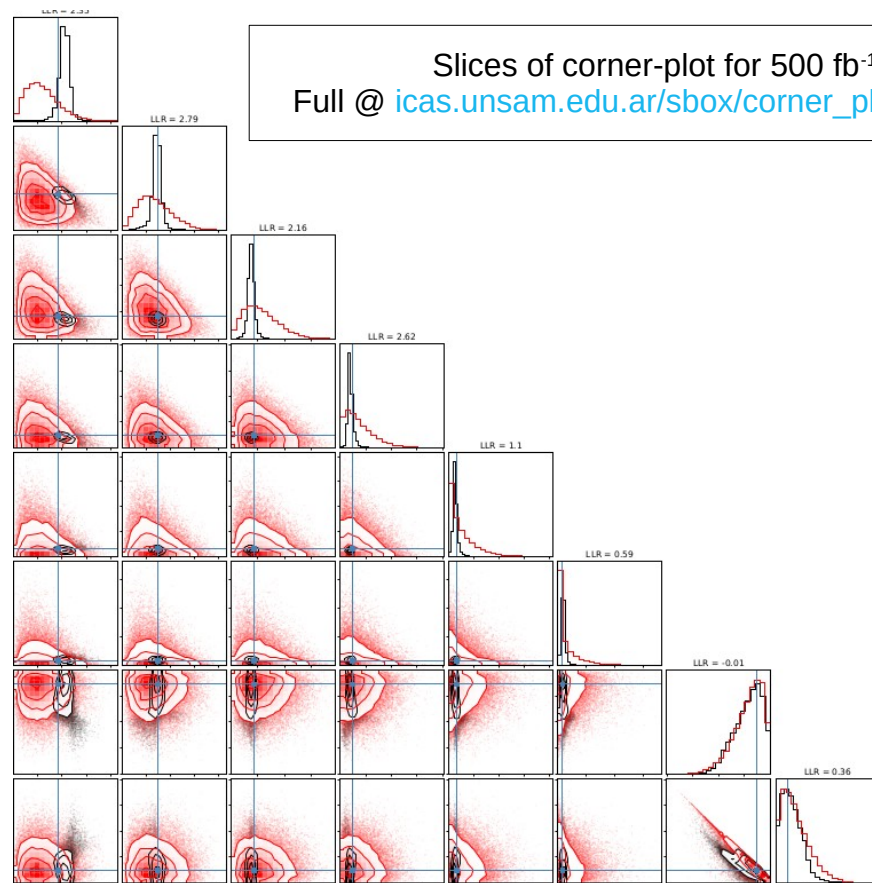
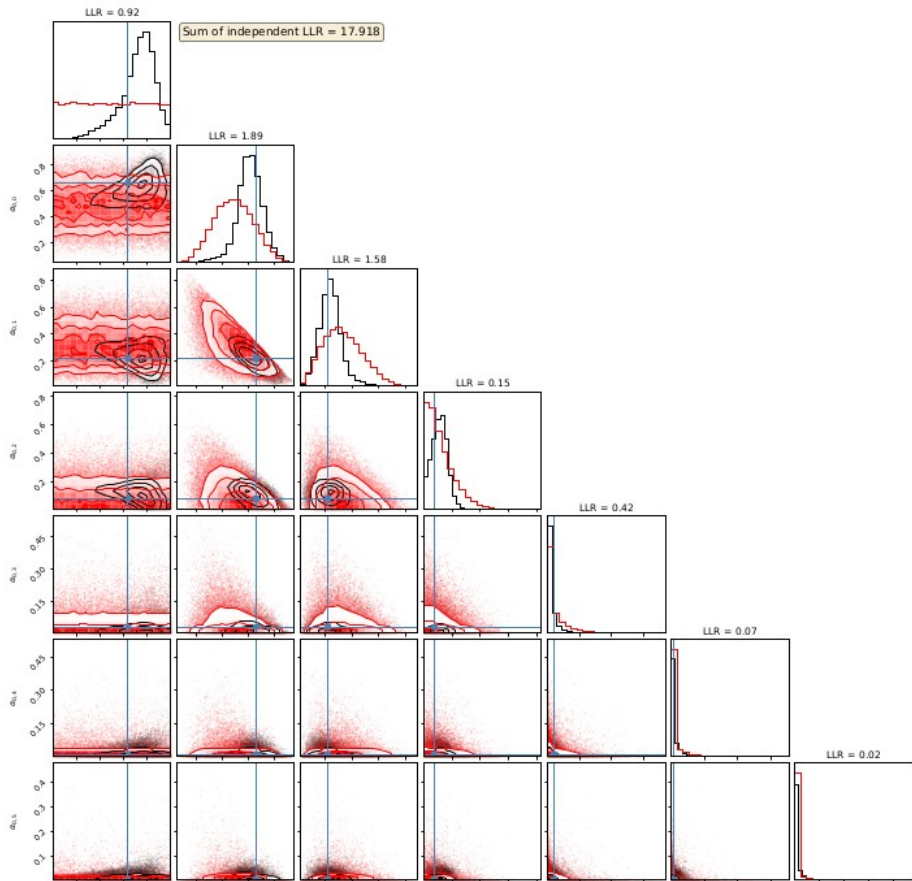
More discussion after this session:

zoom.us/j/95915707476?pwd=NEdsekM5d05KVS9VZWdKOHEwY3I5QT09

pass: 46941614

sequi@unsam.edu.ar

Backup slides



Slices of corner-plot for 500 fb⁻¹
Full @ icas.unsam.edu.ar/sbox/corner_plot_bis.pdf

Backup slides

Four-tops
ATLAS-CONF-2021-013

7.2 Sequential kinematic reweighting

Following the flavour rescaling, a sequential reweighting is used to mitigate the kinematic mismodelling observed in $t\bar{t}$ +jets MC. The reweighting corrects for the distributions of N_{jets} , the number of large- R jets ($N_{\text{LR-jets}}$), the scalar sum of all jet and lepton p_{T} in the event ($H_{\text{T}}^{\text{all}}$), and the average ΔR between any two jets ($\Delta R_{\text{avg}}^{\text{jj}}$). These variables are related to the overall jet activities in the events and are observed to be mismodelled, especially the N_{jets} and $H_{\text{T}}^{\text{all}}$ spectra. These variables capture the most representative global kinematics of the events, as well as kinematic properties of the individual jets such as p_{T} and their angular distributions.

The $t\bar{t}$ +jets events in $\geq 3b$ regions are reweighted according to the discrepancy between data and MC in the $2b$ regions. The reweighting factors are derived such that the overall MC prediction matches the data in the $2b$ regions. This is done based on the assumption that the deficiency of the radiation modelling in the parton shower is independent of the flavour of the radiated jets. Systematic variations on the $t\bar{t}$ +jets modelling cover possible deviations from such assumption.

Backup slides

Four-tops
ATLAS-CONF-2021-013

7.1 $t\bar{t}$ +jets flavour rescaling

The $t\bar{t}$ +jets flavour rescaling corrects for the overall yields of $t\bar{t}$ +light, $t\bar{t}+\geq 1c$ and $t\bar{t}+\geq 1b$ categories. The rescaling factors are derived from a dedicated profile likelihood fit to data using the event yields in the regions defined by various b -tagging requirements. Events with $\geq 8j$ in the 1L channel and $\geq 6j$ in the 2LOS channel are split into 2b, 3bL, 3bH and $\geq 4b$ regions, using the same criteria as defined in Table 1. The fit exploits the different $t\bar{t}$ +jets flavour fractions in the eight fitted regions. The largest signal to background ratio in these regions is 2.5%, estimated using MC prior to the fit. Systematic uncertainties due to the tagging efficiency of b -jets and the mis-tag rate of c - and light-jets are considered as nuisance parameters in the profile likelihood fit. The measured rescaling factors for $t\bar{t}$ +light, $t\bar{t}+\geq 1c$ and $t\bar{t}+\geq 1b$ are 1.0 ± 0.1 , 1.6 ± 0.2 and 1.3 ± 0.1 , respectively, where the quoted uncertainties are from the statistical uncertainty on data and from uncertainties on the b -tagging calibration.

Backup slides



ATLAS CONF Note

ATLAS-CONF-2019-045

16th October 2019

Minor revision: 24th August 2020



Four-tops
ATLAS-CONF-2019-045

Analysis of $t\bar{t}H$ and $t\bar{t}W$ production in multilepton final states with the ATLAS detector

A search for the associated production of a top-quark pair with the Higgs boson ($t\bar{t}H$) in multilepton final states is presented. The search is based on a dataset of proton–proton collisions at $\sqrt{s} = 13$ TeV recorded with the ATLAS detector at the CERN Large Hadron Collider and corresponding to an integrated luminosity of 80 fb^{-1} . Six final states, defined by the number and flavour of charged-lepton candidates, and 25 event categories are defined to simultaneously search for the $t\bar{t}H$ signal and constrain several leading backgrounds. **The $t\bar{t}W$ background normalisation is left unconstrained in the statistical analysis and the resulting $t\bar{t}W$ normalisation is found to be higher than the theoretical prediction.** An excess of events consistent with $t\bar{t}H$ production, over the expected background from Standard Model processes, is found with an observed significance of 1.8 standard deviations, compared to an expectation of 3.1 standard deviations. Assuming Standard Model branching fractions, the best-fit value of the $t\bar{t}H$ production cross section is $\sigma_{t\bar{t}H} = 294^{+182}_{-162} \text{ fb}$, which is consistent with the Standard Model prediction. The impact on the $t\bar{t}H$ cross section measurement of the assumptions made on the $t\bar{t}W$ background modelling is discussed.

Backup slides

Eur. Phys. J. C (2016) 76:11
DOI 10.1140/epjc/s10052-015-3852-4

THE EUROPEAN
PHYSICAL JOURNAL C



Regular Article - Experimental Physics

Measurements of fiducial cross-sections for $t\bar{t}$ production with one or two additional b -jets in pp collisions at $\sqrt{s} = 8$ TeV using the ATLAS detector

ATLAS Collaboration*

malised to the NNLO+NNLL result [32–37]. PYTHIA 8 offers several options for modelling $g \rightarrow b\bar{b}$ splittings in the final-state parton showers, which may be accessed by varying the `TIMESHOWER:WEIGHTGLUONTOQUARK` (`wgtq`) parameter [75]. Differences between the models arise by neglecting (`wgtq5`) or retaining (`wgtq3`, `wgtq6`) the mass-dependent terms in the $g \rightarrow b\bar{b}$ splitting kernels. Differences also arise with respect to the treatment of the high- $m_{b\bar{b}}$ region, with specific models giving an enhanced or suppressed $g \rightarrow b\bar{b}$ rate. The model corresponding to `wgtq3` was chosen to maximise this rate. Finally, some of the models (`wgtq5`, `wgtq6`) offer the possibility to choose `sgtq`· $m_{b\bar{b}}$ instead of the transverse momentum as the argument of α_S in the $g \rightarrow b\bar{b}$ vertices. Here `sgtq` refers to the `TIMESHOWER:SCALEGLUONTOQUARK` parameter, and is allowed to vary in the range $0.25 \leq \text{sgtq} \leq 1$, with larger values giving a smaller $g \rightarrow b\bar{b}$ rate and vice versa. For the model `wgtq5`, `sgtq` was set to 1, a combination that minimises the $g \rightarrow b\bar{b}$ rate, while for `wgtq6`, `sgtq` was set to 0.25.

(see discussion in 1701.04427)

Backup slides

Eur. Phys. J. C (2016) 76:379
DOI 10.1140/epjc/s10052-016-4105-x

THE EUROPEAN
PHYSICAL JOURNAL C



Regular Article - Experimental Physics

Measurement of $t\bar{t}$ production with additional jet activity, including b quark jets, in the dilepton decay channel using pp collisions at $\sqrt{s} = 8$ TeV

CMS Collaboration*

11. CMS Collaboration, Measurement of the cross section ratio $\sigma_{t\bar{t}b\bar{b}}/\sigma_{t\bar{t}jj}$ in pp collisions at $\sqrt{s} = 8$ TeV. Phys. Lett. B **746**, 132 (2015). doi:[10.1016/j.physletb.2015.04.060](https://doi.org/10.1016/j.physletb.2015.04.060). arXiv:[1411.5621](https://arxiv.org/abs/1411.5621)

(see discussion in 1701.04427)

PYTHIA6 and HERWIG6. The normalization factors applied to the MADGRAPH and POWHEG predictions are found to be about 1.3 for results related to the leading additional b jet. The predictions from both generators underestimate the $t\bar{t}b\bar{b}$ cross sections by a factor 1.8, in agreement with the results from Ref. [11]. The normalization factors applied to MC@NLO are approximately 2 and 4 for the leading and subleading additional b jet quantities, respectively, reflecting the observation that the generator does not simulate sufficiently large jet multiplicities. All the predictions have slightly harder p_T spectra for the leading additional b jet than the data, while they describe the behaviour of the $|\eta|$ and m_{bb} distributions within the current precision. The predictions favour smaller ΔR_{bb} values than the measurement, although the differences are in general within two standard deviations of the total uncertainty.