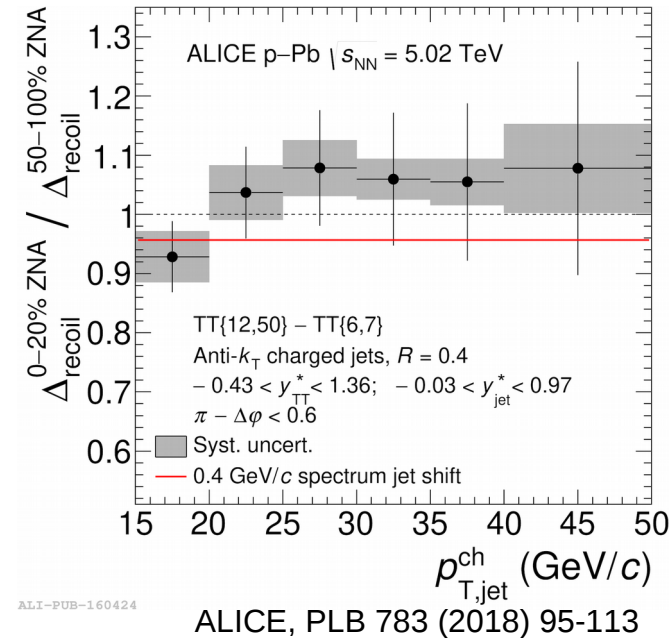
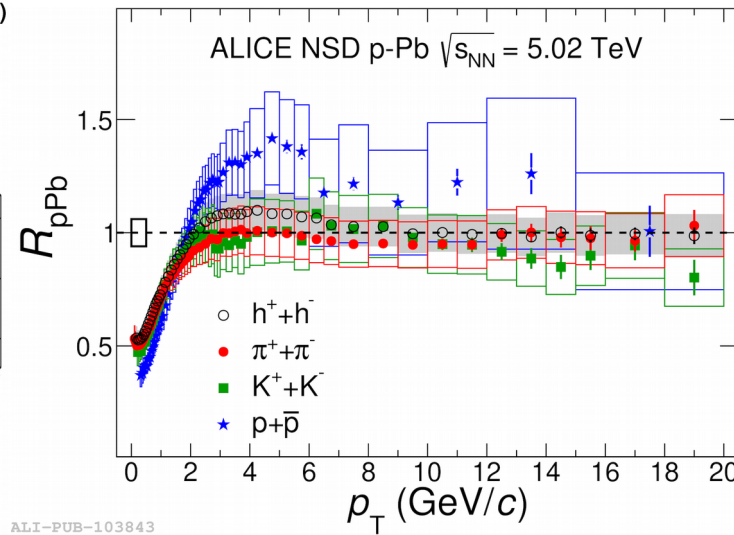
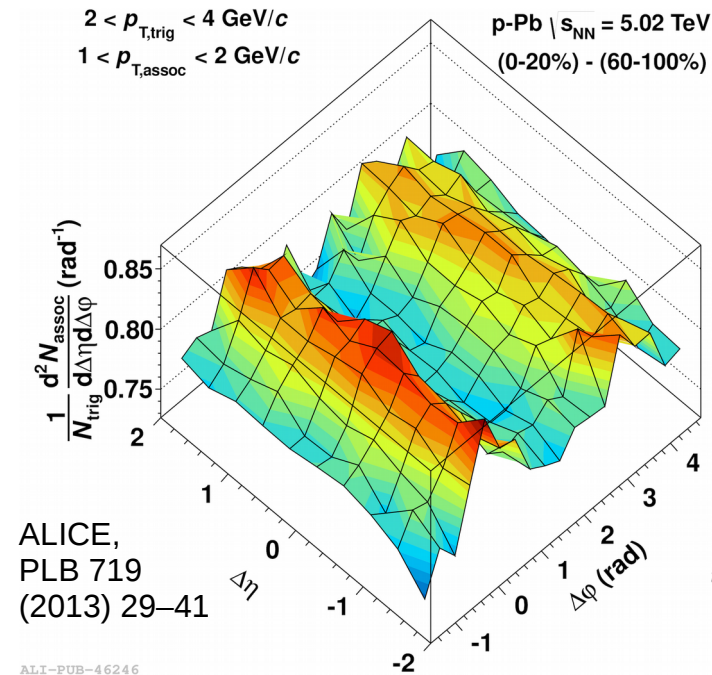


Projections for jet quenching measurements in OO collisions at $\sqrt{s_{NN}} = 6.37$ TeV during the LHC Run3



Filip Krizek for the ALICE Collaboration



- Small systems: evidence of collectivity but no evidence of jet quenching signal within current experimental resolution. Is the QGP produced?
- OO at $\sqrt{s_{NN}} = 6.37$ TeV, system size is between p-Pb a Pb-Pb
- $\mathcal{L} \approx 0.5 - 1 \text{ nb}^{-1}$ provides sufficient precision for jet quenching detection in minimum bias OO [Huss et al. arXiv hep-ph 2007.13754]
- ALICE has multiple, systematically independent approaches, which is essential for data driven discovery of a small effect

Projection for R_{AA} for inclusive hadrons in min. bias events



Nuclear modification factor for minimum bias cross sections

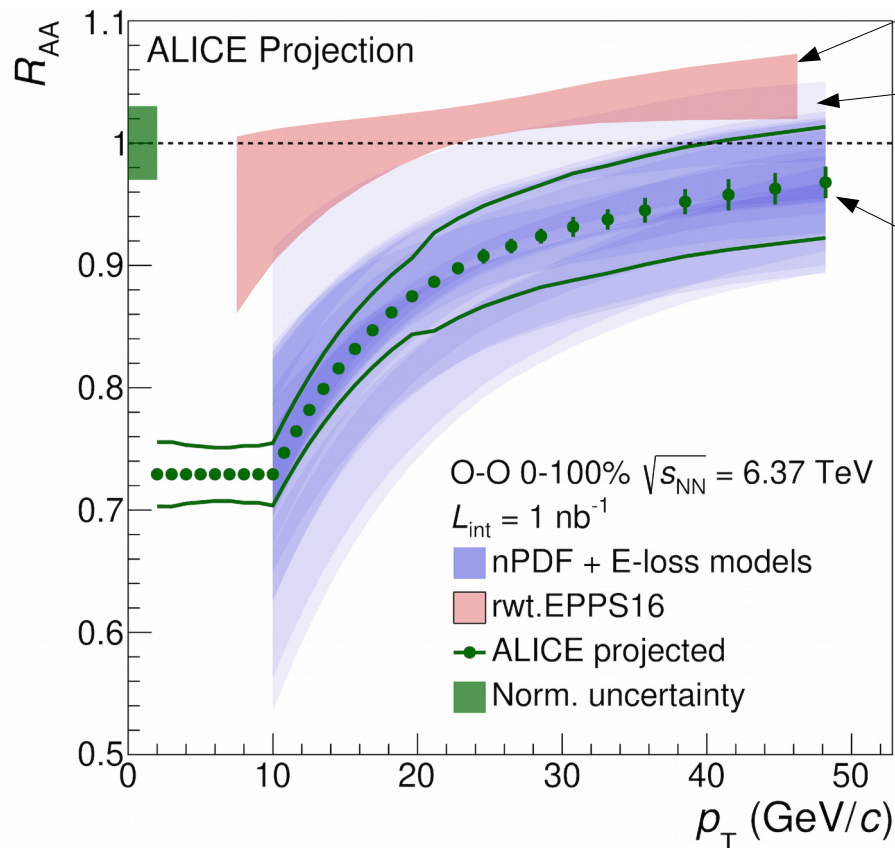
$$R_{AA} = \frac{1}{A^2} \frac{d\sigma_{OO}^h/dp_T}{d\sigma_{pp}^h/dp_T}$$

Scaling factor of pp reference from the Glauber theory is A^2

Luminosities used in the projection :

OO $\sqrt{s_{NN}} = 6.37$ TeV $L_{OO} = 1$ nb $^{-1}$

pp $\sqrt{s} = 5.02$ TeV $L_{pp} = 3$ pb $^{-1}$



Calculation which assumes no energy loss and which accounts just for nuclear PDFs

Calculations which assume energy loss models together with nuclear PDFs
 [Huss et al. arXiv hep-ph 2007.13754]

ALICE projection:

data points follow a mean energy loss model

In the range up to 50 GeV/c:

- statistical precision < 1.5%
- systematic precision 4–6%
 - interpolation error $\leq 3\%$
 - cross section normalization 3%
 - other systematics 2–4%

Planned OO run will have sufficient precision to measure jet quenching from this projection

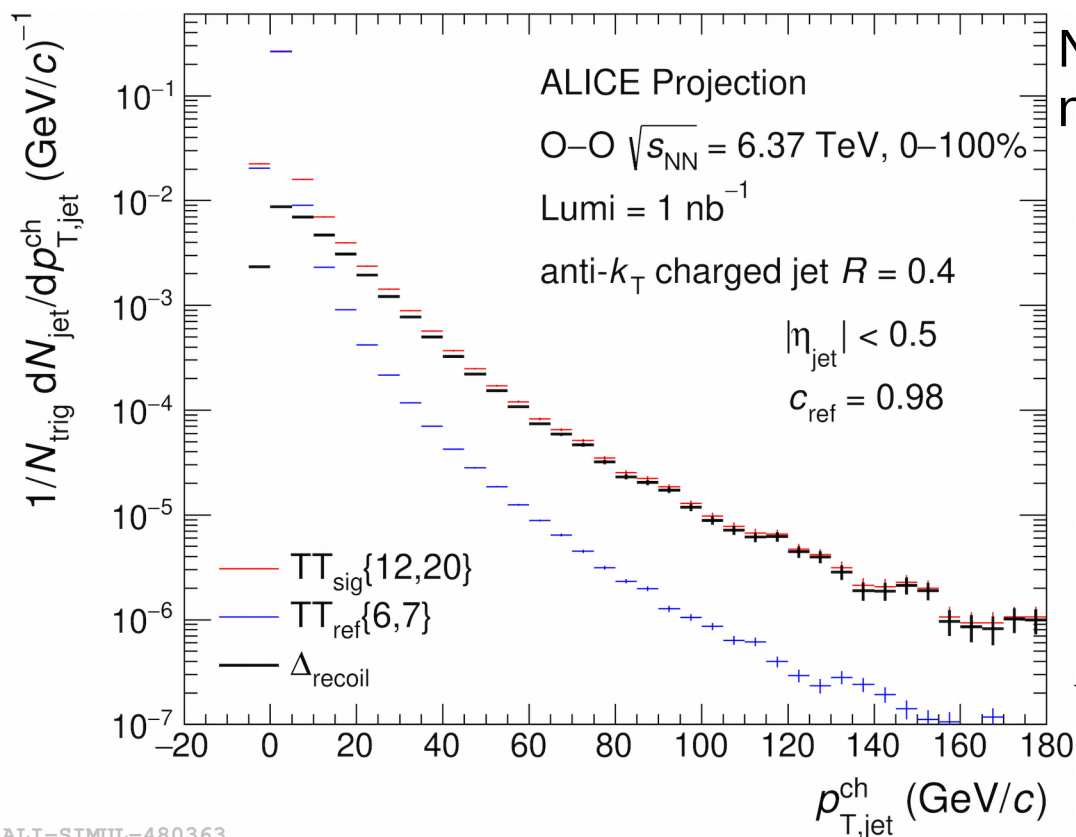
Jet quenching measurements with semi-inclusive hadron+jet observable

Observable: p_T spectrum of charged-particle jets which recoil in azimuth from a high- p_T hadron

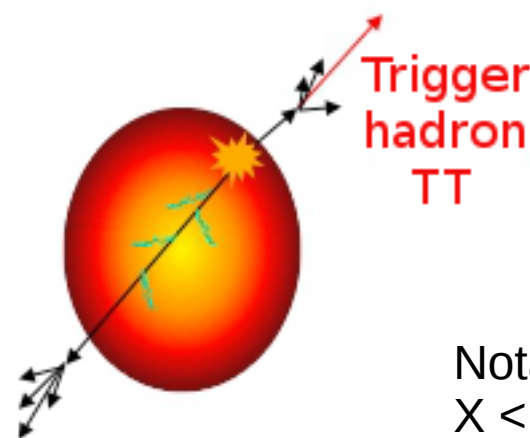
Jet p_T is corrected for the expected underlying event contribution

Data driven approach to suppress combinatorial jets including multi-parton interactions

$$\Delta_{\text{recoil}} = \frac{1}{N_{\text{trig}}} \frac{dN_{\text{jet}}}{dp_{T,\text{jet}}^{\text{ch}}} \Big|_{\text{TT}_{\text{Sig}}} - c_{\text{ref}} \cdot \frac{1}{N_{\text{trig}}} \frac{dN_{\text{jet}}}{dp_{T,\text{jet}}^{\text{ch}}} \Big|_{\text{TT}_{\text{Ref}}}$$



No assumption about collision geometry needed since we measure per trigger yields



Notation: $\text{TT}\{X,Y\}$
 $X < p_{T,\text{trig}} < Y$ GeV/c

Simulations for projected integrated lumi.

Limits on E transport out of $R=0.4$ cone



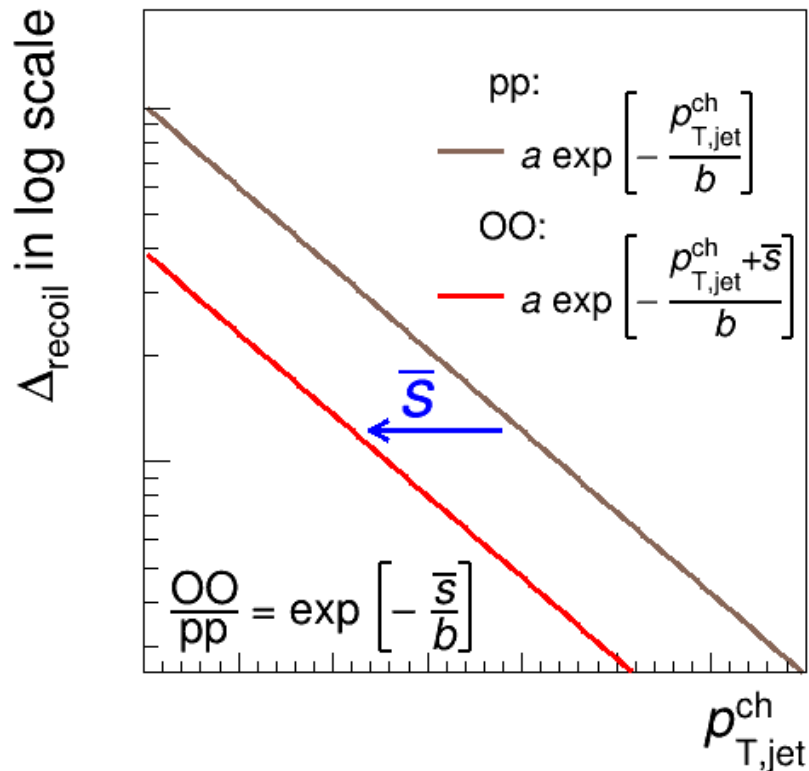
$\Delta_{\text{recoil}}^{\text{OO}} / \Delta_{\text{recoil}}^{\text{pp}}$ is a constant depending on pp spectrum slope b and shift \bar{s} **ALICE**

Projection for the spectrum shift measurement ($L_{\text{OO}} = 1 \text{ nb}^{-1}$, $L_{\text{pp}} = 3 \text{ pb}^{-1}$) :

OO/pp : $\bar{s} > 0.16 \text{ GeV}/c$ (90% CL)

OO_{0-20%}/OO_{50-100%} : $\bar{s} > 0.14 \text{ GeV}/c$ (90% CL)

The shifts correspond to $R_{\text{AA}} \sim 0.98 \rightarrow$ sensitive to smaller effects than inclusive hadrons



$\Delta_{\text{recoil}} \sim$ exponential in 15–55 GeV/c

