

# SMEFT bookkeeping

**Global fits are needed, but...**

How many BSM options do you know that have  $SU(3) \times SU(2) \times U(1)$  as their exact low scale limit?

**How many BSM options do you know that have exactly one scalar doublet?**

**What happens if we only do global SMEFT fits to data from a Nature with more scalars?**

# How can we make sure to not miss BSM physics when performing SMEFT fits?

# Proposal for a WG goal and concrete target

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Given the myriad of viable BSM options with extended scalar sectors, the WG will foster a programme of activities that leads to the widespread use of SMEFT not just as a global fitting tool (that could miss out on deviations from extended scalar sectors) but also as a bookkeeping framework in which the results from SMEFT fits to individual observables are provided, reported, and archived in a consistent way. The compatibility of such individual results can then be assessed in the light of BSM models with extended scalar sectors.

# Proposal for a WG goal and concrete target

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2HDMs, singlets, triplets...

None has SM scalar structure of single doublet.

What happens when “projecting” such scalar sectors onto SMEFT?

We may be pushing Nature’s “square peg” through SMEFT’s “round hole”.

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I.e.,  $c_i=0$  even in the presence of BSM Nature.

In fits to individual observables,  $c_i$  values may be sensitive to the differences between the Nature “peg” and the SMEFT “hole” for that observable.

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With multiple  $c_i$  results from multiple observables,  $c_i^j$ , one can then assess if the SMEFT assumptions are consistent with the data.

# Proposal for a WG goal and concrete target

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With multiple  $c_i$  results from multiple observables,  $c_i^j$  one can then assess if the SMEFT assumptions are consistent with the data.

Given the statistical issues, studies of extended scalar sectors can guide how to combine  $c_i^j$  results in the comparisons.

can then be assessed **in the light of BSM models with extended scalar sectors.**

**Finally, “extended scalar sectors” are just the most obvious type of heavy-light mixing**

# Proposal for a WG goal and concrete target

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Given the proposal for a WG goal and concrete target, the following text is a summary of the key points that should be included in the proposal. The text is written in a clear and concise manner, using simple language and avoiding technical jargon. The text is organized into paragraphs, with the most important information highlighted in bold. The text is written in a professional and authoritative tone, and is suitable for use in a formal report or presentation.

Crucial in order to perform any compatibility assessment: same SMEFT order, covariance matrices, etc.

Does not preclude identical effort for perennial observables (cross-sections, asymmetries, etc).

observables are **provided, reported, and archived in a consistent way**. The compatibility of such individual results can then be assessed in the light of BSM models with extended scalar sectors.

# Additional clarifications added after the meeting

# SMEFT bookkeeping - formal logic reasoning

## 1. Null SMEFT results do not invalidate BSM

If  
 $SM \Rightarrow c_i(\text{any data}) \approx 0$ ,  
then  
 $SM \Rightarrow c_i(\text{all data}) \approx 0$   
and  
 $c_i(\text{all data}) \neq 0 \Rightarrow \neg SM$ .

**But, critically,**

$c_i(\text{all data}) \approx 0 \not\Rightarrow SM$ .

## 2. BSM outside SMEFT assumptions (BSMOSA) may be missed in fit to all data

If  
BSMOSA  $\Rightarrow$   
 $c_i(\text{some data}) \not\approx 0$   
 $\wedge c_i(\text{all data} \setminus \text{some data}) \approx 0$ ,

then  
**it is possible that**  
**BSMOSA  $\Rightarrow c_i(\text{all data}) \approx 0$ .**

## 3. BSMOSA may be tested (and disproved) by grouping observables

If  
BSMOSA<sub>j</sub>  $\Rightarrow$   
 $c_i(\{\text{some data}\}_j) \neq 0$ ,  
then  
 **$c_i(\{\text{some data}\}_j) \approx 0$**   
 **$\Rightarrow \neg \text{BSMOSA}_j$ .**

# SMEFT bookkeeping - a parsimonious solution

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Experiments cannot generate, process, and reconstruct simulated event samples in every single framework.

SMEFT d.o.f.,  $c_i$ , are being tested by experiments, are being expanded and improved upon, and are rather comprehensive as to the types of BSM deformations they can encode.

Use SMEFT d.o.f. as a bookkeeping tool and explore the likelihood function,  $L$ , for sets of observables,  $data_j$ .

SMEFT bookkeeping can be reused to test other frameworks by exploiting  $L(c_i | data_j)$ ,  $L(c_i | data_k)$ , etc, instead of reasoning in terms of  $L(fwk1_i | all\ data)$ ,  $L(fwk2_i | all\ data)$ , etc.



# SMEFT bookkeeping - rethinking the meaning of “global”

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“**Global fit**” usually means the fit of a model **to all data** that is available and diverse.

Global data provide **all information** that is used in order to arrive at the most precise result.

This *would* be correct, except that **fits to all data may miss certain BSM scenarios**, depending on the model used to fit.

“**Global fit**” can also mean the fit of a **comprehensive model** of broad generality.

Global models usually have **many d.o.f.**, something naively seen as an unattractive feature.

This *would* be correct, except that **general d.o.f. are ideal to perform the bookkeeping** and can be correlated a posteriori.

**Likelihood functions**