

# alpaka Parallel Programming – Online Tutorial

## Lecture 20 – Thread Parallelism in alpaka

### Lesson 26: Computing $\pi$ – Part IV



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# Lesson 26: Computing $\pi$ – Part IV

## Recap

- Introduced parameter passing
- Introduced mathematical functions
- Introduced memory management
- Now: compute  $\pi$

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## Approach

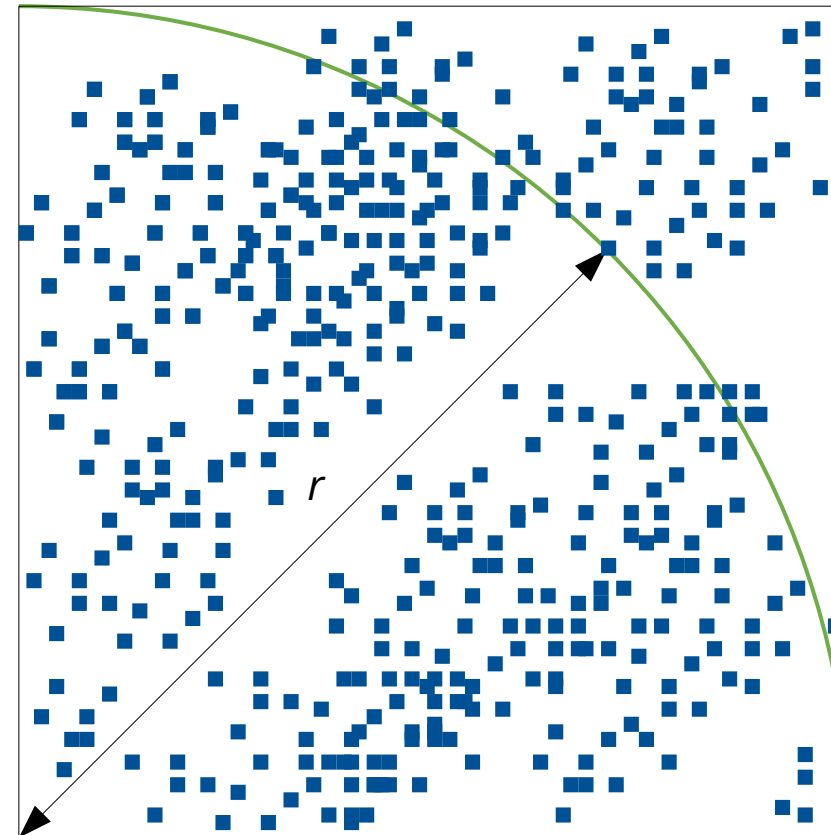
- We will use the formula for the area of a circle quarter:

$$A = \frac{\pi \cdot r^2}{4}$$

- The number of points inside the circle ( $P$ ) can be used to approximate  $A$ :

$$\frac{P}{n} \approx \frac{A}{r^2} = \frac{\pi}{4} \rightarrow \pi \approx \frac{4P}{n}$$

- The `PixelFinderKernel` does the counting on the Device, integration is done by the Host.



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## Kernel execution and memory transfer

- We will measure the execution time:

```
auto start = std::chrono::steady_clock::now();
```

- Execute the kernel using `alpaka::kernel::exec()`:

```
PixelFinderKernel pixelFinderKernel;  
auto taskRunKernel = kernel::createTaskKernel<Acc>(workDiv, pixelFinderKernel,  
                                                    pointsAcc, r);  
queue::enqueue(queue, taskRunKernel);
```

- Copy back the results and synchronize:

```
mem::view::copy(devQueue, insideBufferHost, insideBufferAcc, extents);  
alpaka::wait::wait(queue);
```

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## Integration

- First, determine  $P$ :

```
uint64_t P = 0;
for(std::size_t i = 0; i < n; ++i)
{
    if(pointsHost.inside[i])
        ++P;
}
```

- Then, divide by the radius to approximate  $\pi$ :

```
float pi = (4.f * P) / n;
```

- Measure the execution time:

```
auto end = std::chrono::steady_clock::now();
```

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## Aftermath

- Print out  $\pi$  and execution time:

```
std::chrono::duration<double, std::milli> duration = end - start;  
std::cout << "Computed pi is " << pi << "\n";  
std::cout << "Execution time: " << duration.count() << "ms" << std::endl;
```

- Homework #1: Play around with  $n$ . How does this affect the precision of  $\pi$  and the execution time?
- Homework #2: Implement the kernel in a more generic way, so that it works for any number of threads, blocks and grids.
  - The workload has to be distributed between all threads in the grid.
  - It requires to have a loop over points inside the kernel. A sample is given in a Q&A answer from Tuesday.



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