

Diffraction: the Tevatron experience

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 - Hard Single Diffraction
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- Double Diffraction
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- Exclusive Central Production

Introduction

Diffractive reactions at hadron colliders are defined as reactions in *which no quantum numbers are exchanged between colliding particles*

Identified by presence of:

intact **leading particle**
large **rapidity gap**

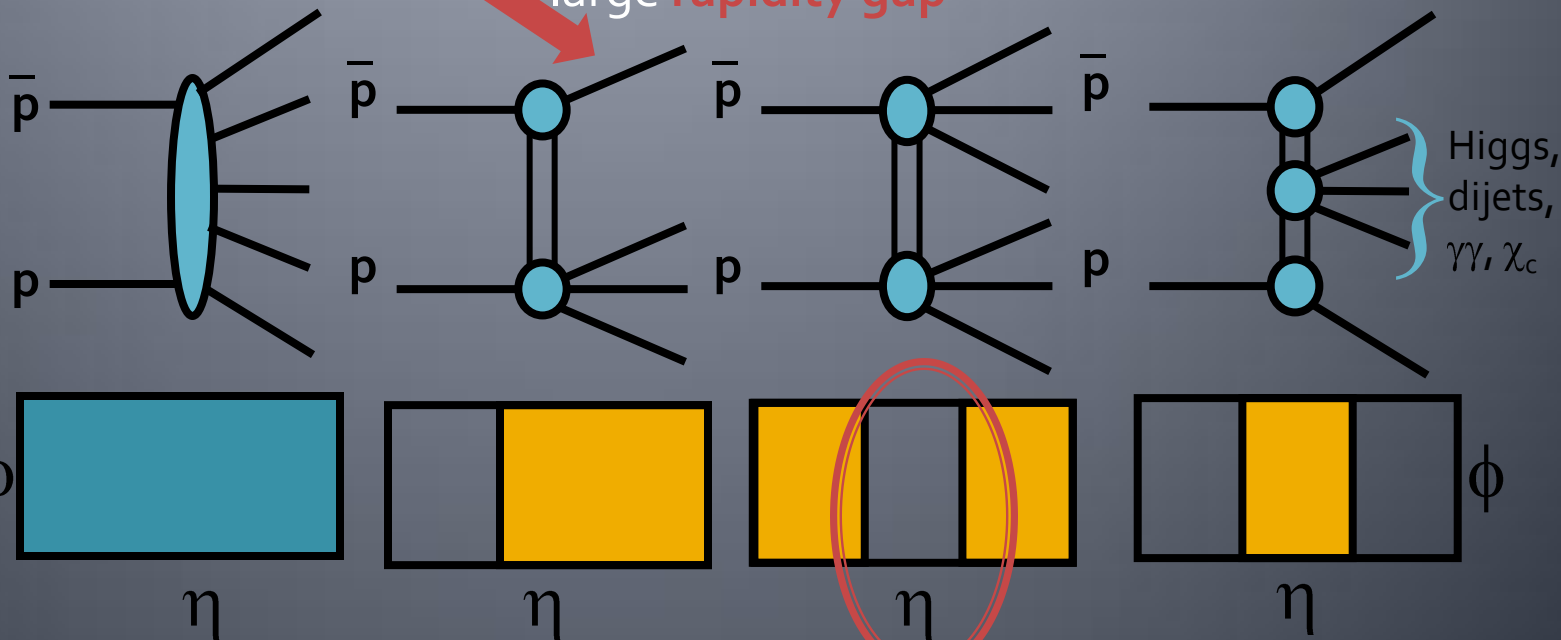
or

Non-Diffractive (ND)

Single Diffraction (SD)

Double Diffraction (DD)

Double Pomeron Exchange (DPE)



May 07, 2010

Tevatron $p\bar{p}$ Collider

Christina Mesropian "Diffraction@LHC"

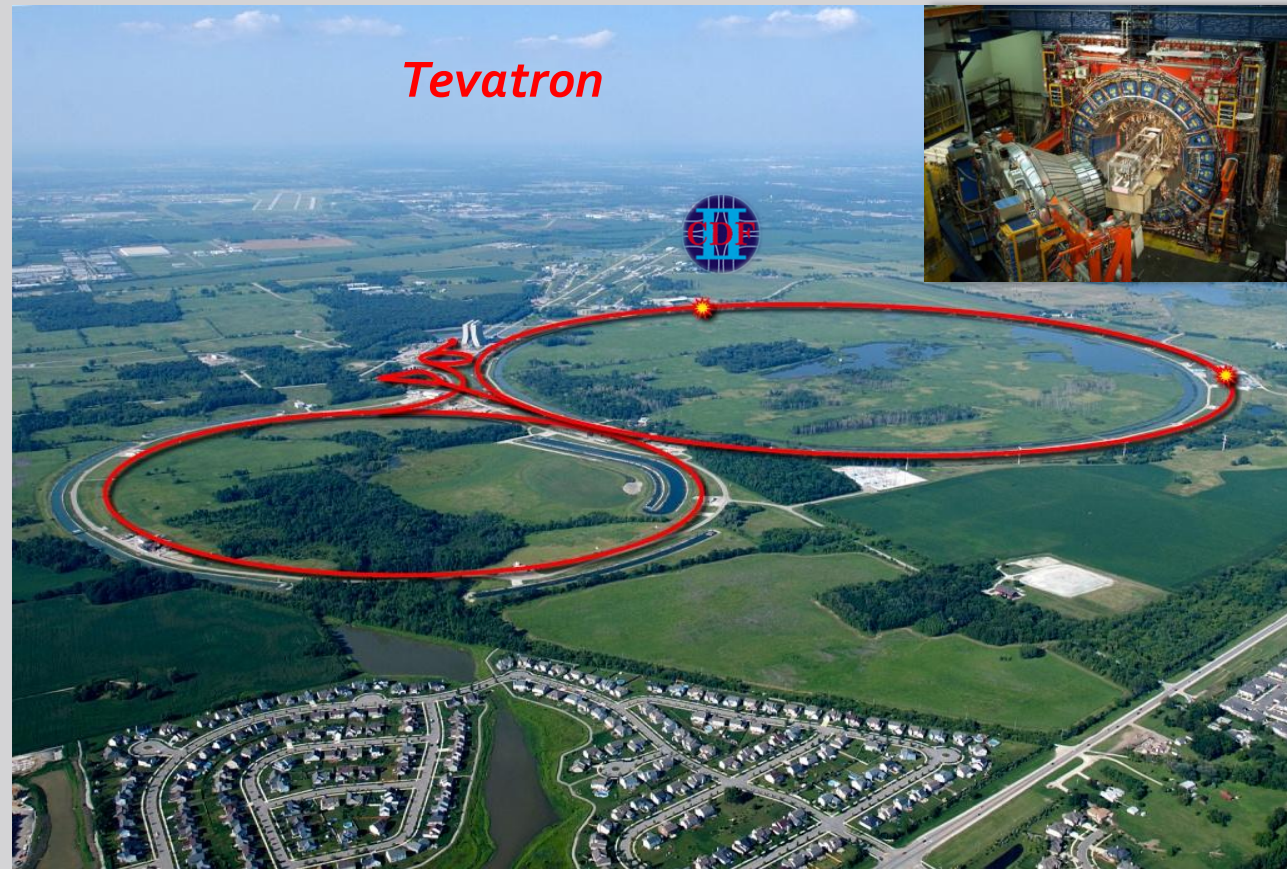
4

3 center-of-mass energies

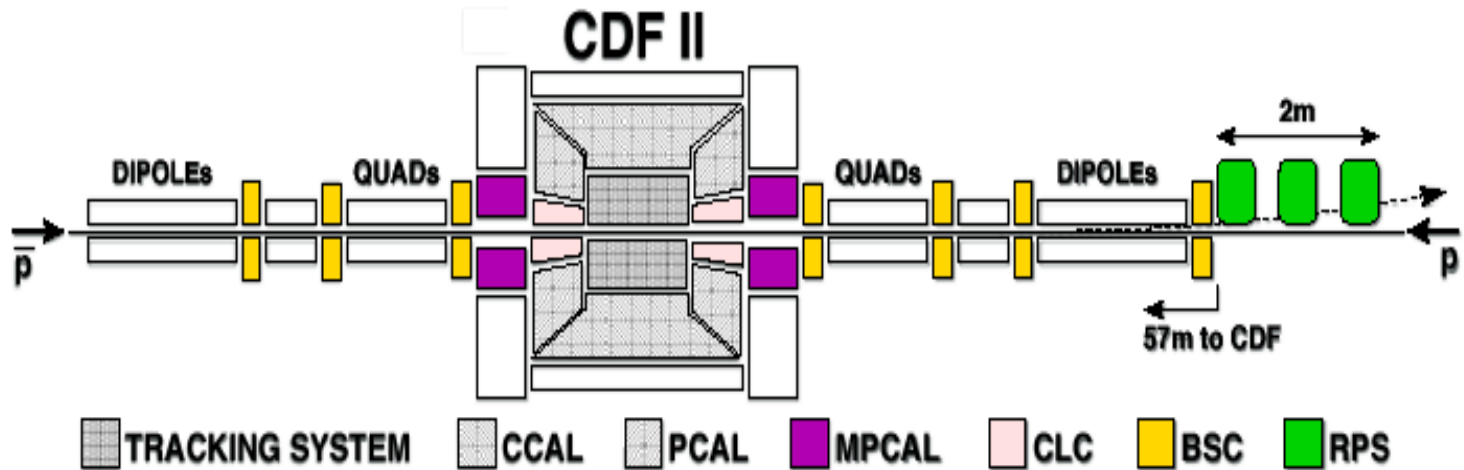
Run I (1992-1996)
 $\sqrt{s}=1.8 \text{ TeV}$ ($\sim 120 \text{ pb}^{-1}$)

Run IC (1994 -1995)
 $\sqrt{s}=630 \text{ GeV}$

Run II (2001- current)
 $\sqrt{s}= 1.96 \text{ TeV}$



CDF II Detectors

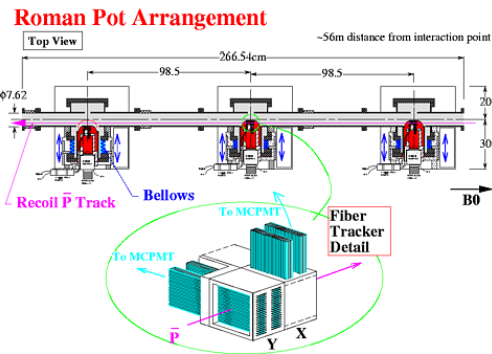


- Tracking – Tracking Detectors $|\eta| < 2.0$
- CCAL, PCAL – Calorimeters $|\eta| < 3.6$
- RPS – Roman Pot Spectrometers $0.02 < \xi < 0.1$
 $0 < |t| < 2 \text{ GeV}^2$
- BSC – Beam Shower Counters $5.4 < |\eta| < 7.4$
- MPCAL – MiniPlug Calorimeters $3.5 < |\eta| < 5.1$

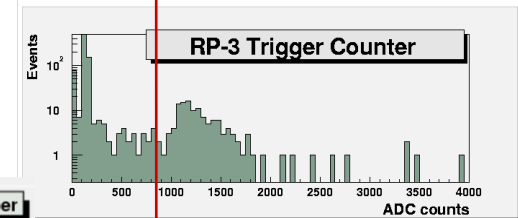
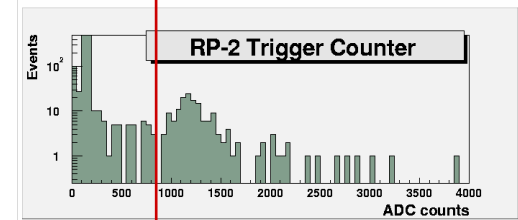
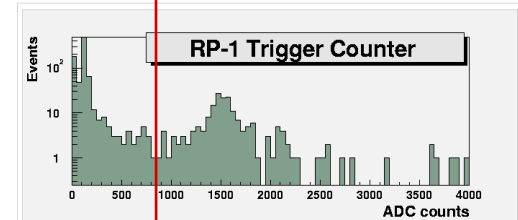
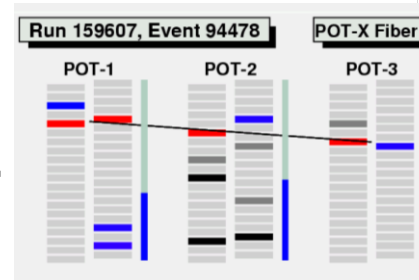
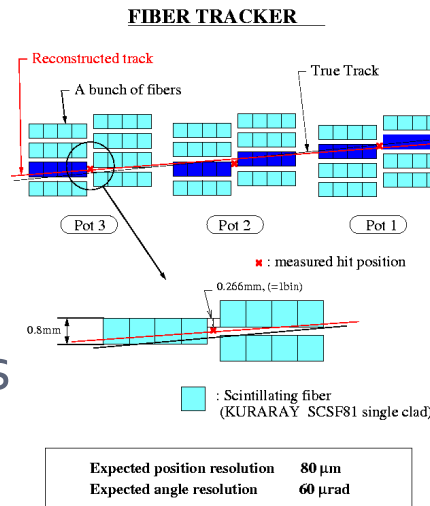
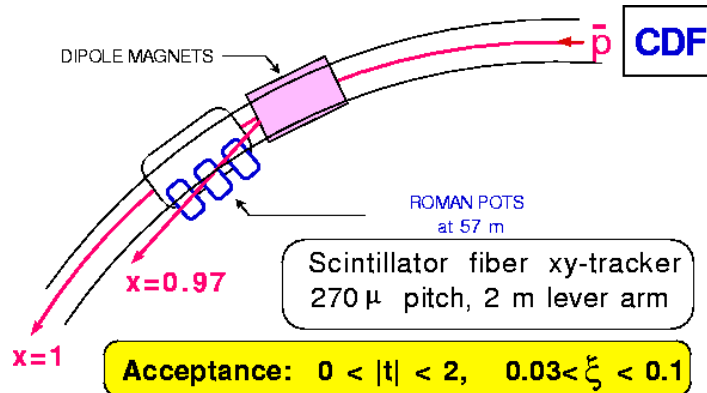
Forward Detectors: Roman Pot Spectrometers (RPS)

Fiber Tracker

- 3 stations
- 57 meters from IP



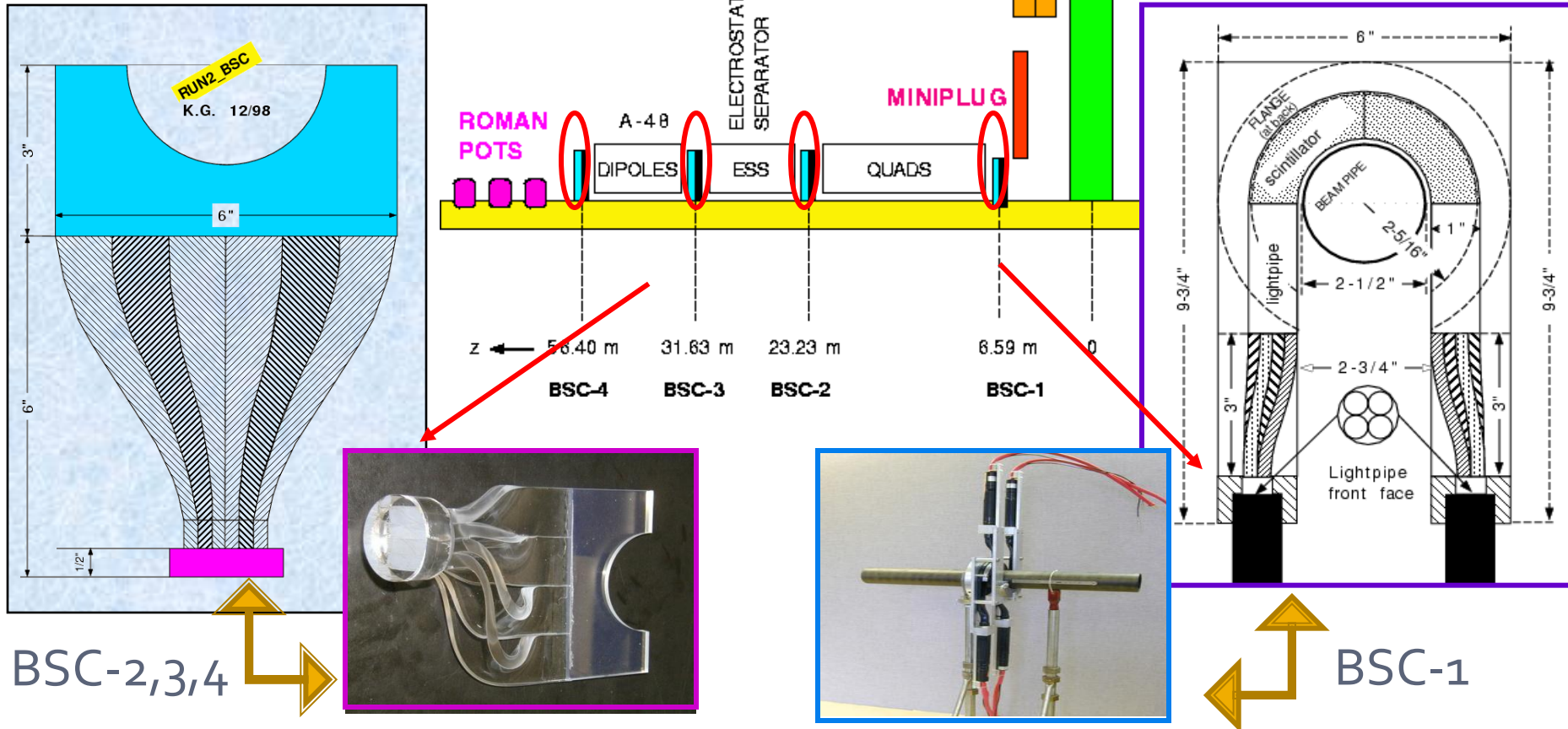
- 3 trigger counters
- 240 channels



MIPs (>1000 counts)

Forward Detectors: Beam Shower Counters (BSCs)

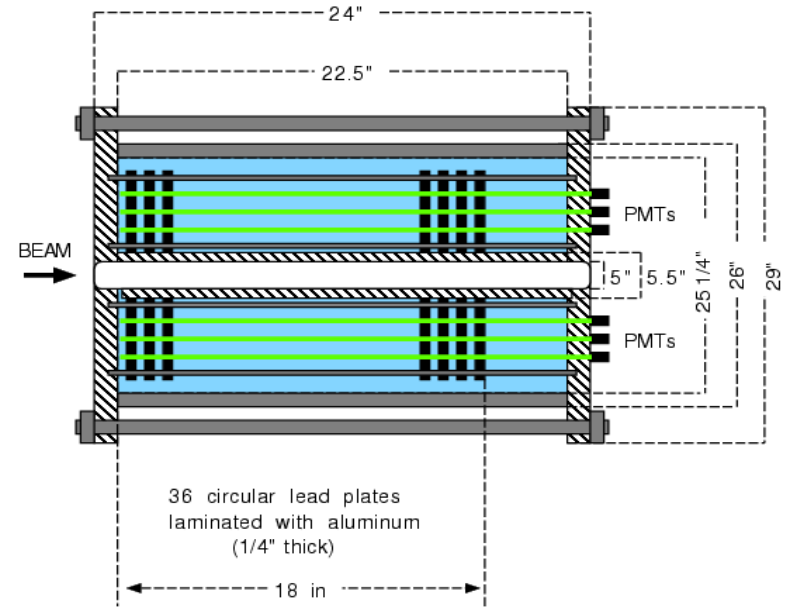
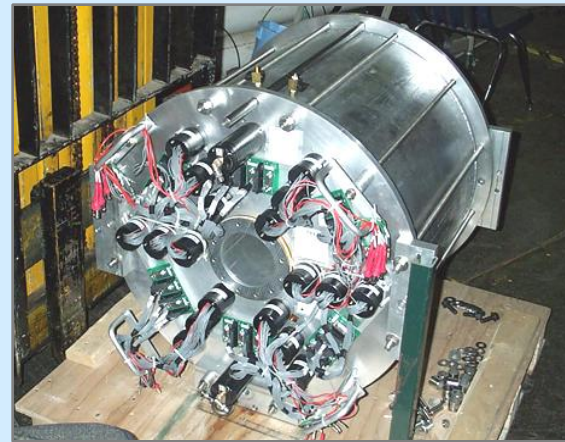
BSCs are located along beam pipe used for triggering events with forward rapidity gaps







Forward Detectors: MiniPlug Calorimeters (MPs)

Nucl. Instrum. Meth. A518 (2004) 42.

Nucl. Instrum. Meth. A496 (2003) 333.



-  PLATES: 25 " dia, 1/4"thick (3/16 " Pb + 2x0.5 mm Al + epoxy)
-  ALUMINUM
-  STAINLESS STEEL
-  LIQUID SCINTILLATOR

designed to measure the energy and lateral position of both electromagnetic and hadronic showers
"towerless" geometry – no dead regions

Single Diffraction

Diffractive signature:

recoil pbar or
large rapidity gap

Soft Diffraction

Single Diffraction

PRD 50, 5355 (1994)

Hard Diffraction

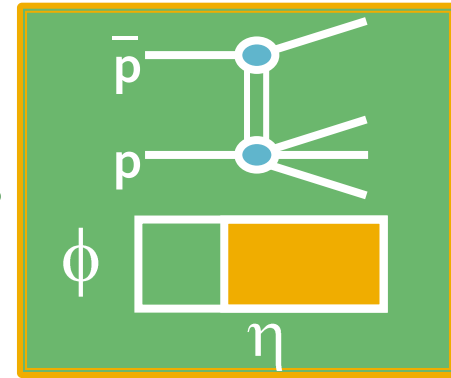
Rapidity Gap Tag

- W PRL 78, 2698 (1997)
- Dijets PRL 79, 2636 (1997)
- b-quark PRL 84, 232 (2000)
- J/Ψ PRL 87, 241802 (2001)

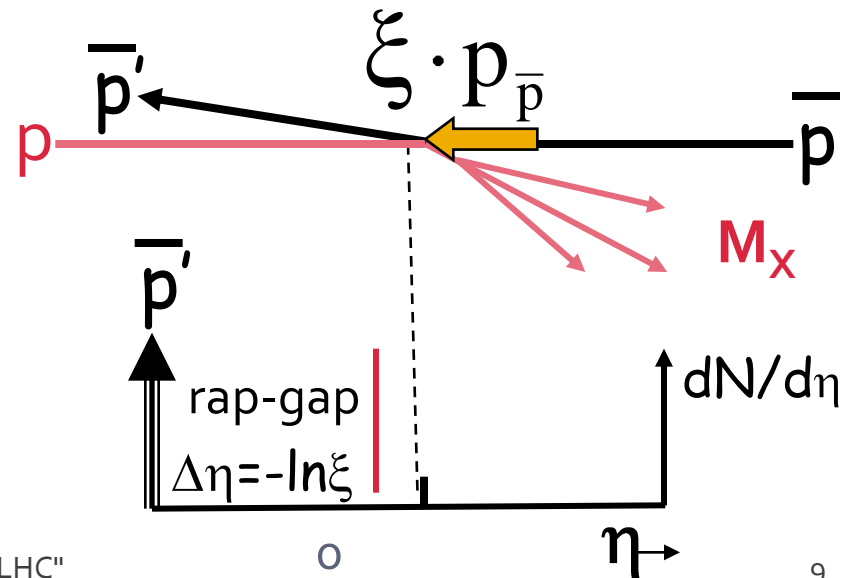
Roman Pot Tag

- Dijets:
- 1.8 TeV PRL 84, 5043 (2000)
- 630 GeV PRL 88, 151802 (2002)

- t - four-momentum transfer squared
- ξ - fractional momentum loss of pbar
- M_X - mass of system X



$$\xi = M_X^2/s$$

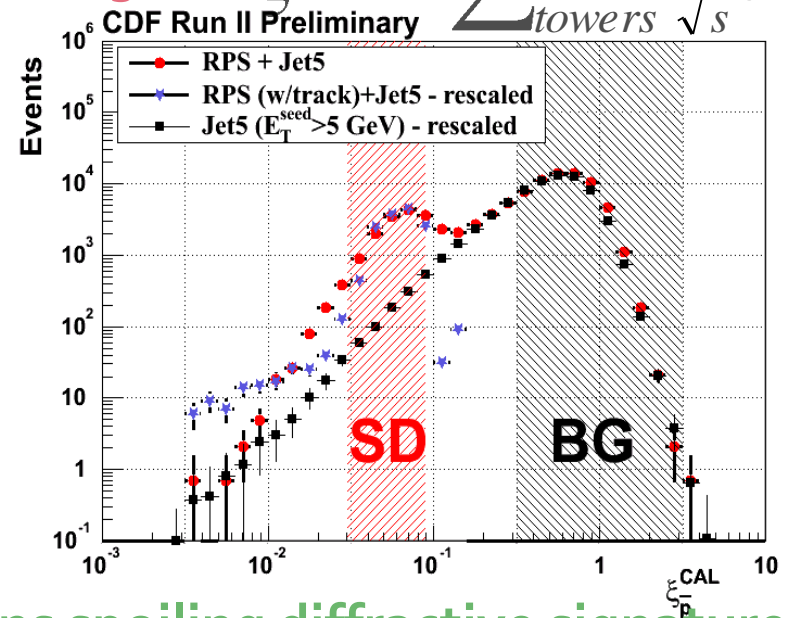
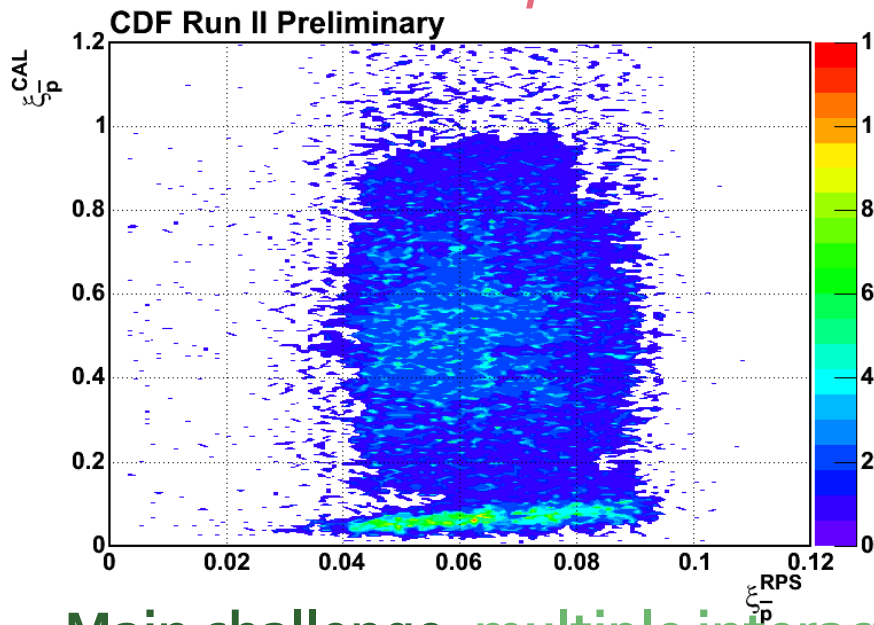


Methods and Challenges

Results are mostly MC free

- Determine ξ using Roman Pots tracking
- Also can determine ξ from E_T in calorimeters

important to have MiniPlugs $\rightarrow \xi^{cal} = \sum_{towers} \frac{E_T}{\sqrt{s}} e^{-\eta}$



Main challenge: multiple interactions spoiling diffractive signatures
 use $\xi^{cal} < 0.1$ to reject overlap events \rightarrow non-diffractive contributions

Diffraction Structure Function

Diffractive dijet cross section

$$\sigma(\bar{p}p \rightarrow \bar{p}X) \approx F_{jj} \otimes F_{jj}^D \otimes \hat{\sigma}(ab \rightarrow jj)$$

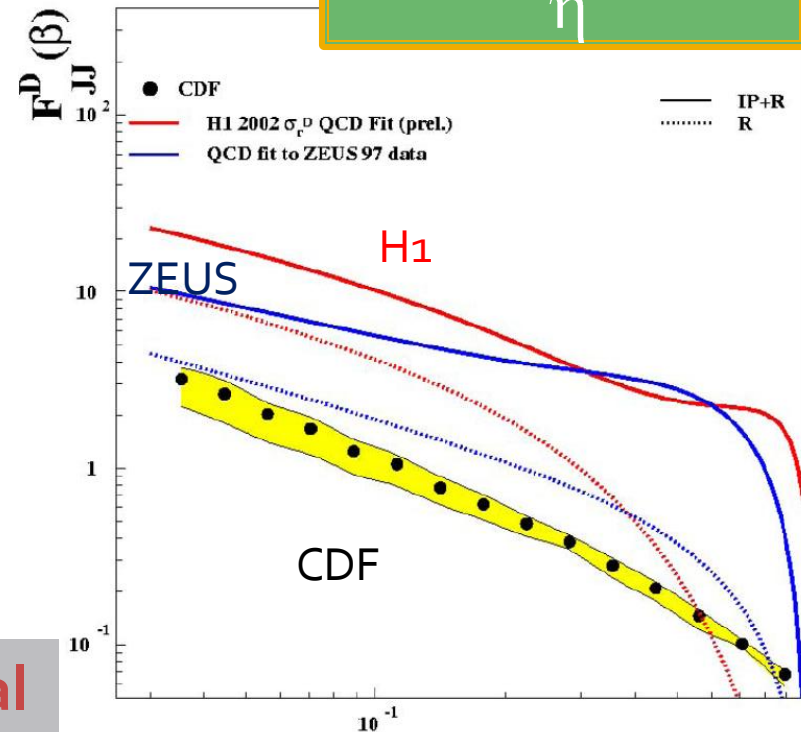
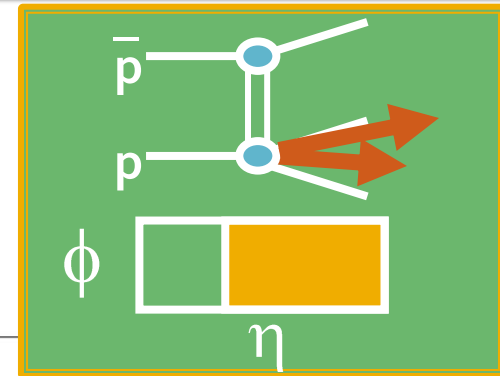
Study the diffractive structure function

$$F_{jj}^D = F_{jj}^D(x, Q^2, t, \xi)$$

Experimentally determine diffractive structure function F_{jj}^D

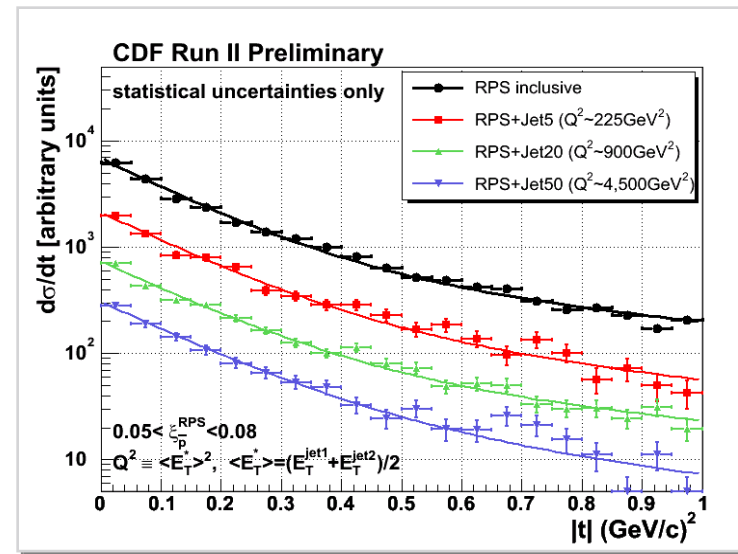
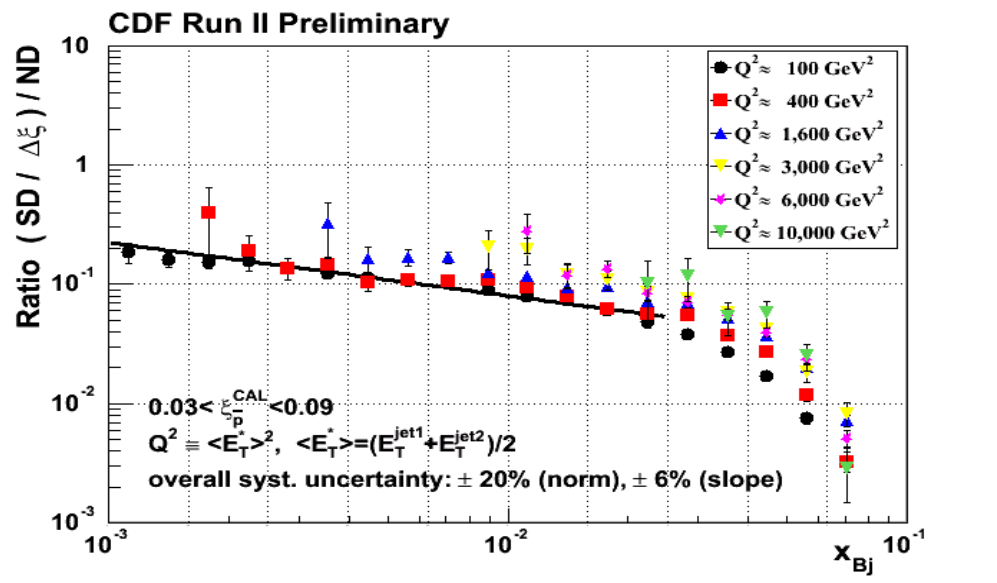
$$\text{at LO } R_{\frac{SD}{ND}}(x, \xi) = \frac{\sigma(SD_{jj})}{\sigma(ND_{jj})} = \frac{F_{jj}^D(x, Q^2, \xi)}{F_{jj}(x, Q^2)}$$

Data
known PDF



Factorization breakdown – gap survival

Diffraction Structure Function and t Distribution

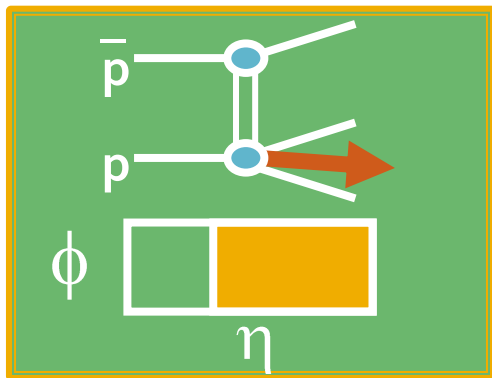


Good agreement with Run I results

Fit to double exponential function:
 $d\sigma/dt \propto 0.9 e^{b_1 t} + 0.1 e^{b_2 t}$

- no diffractive dips
- no Q^2 dependence in slope from inclusive to $Q^2 \sim 10^4 \text{ GeV}^2$

Hard Single Diffraction



Diffraction signature:

large rapidity gap –
slightly different
gap definitions

method used as a model for LHC analyses

Fraction:
 $R \equiv SD/ND$ ratio
@ 1800 GeV

Hard component	Fraction (R) %
Dijet	0.75 ± 0.10
W	1.15 ± 0.55
b	0.62 ± 0.25
J/ ψ	1.45 ± 0.25

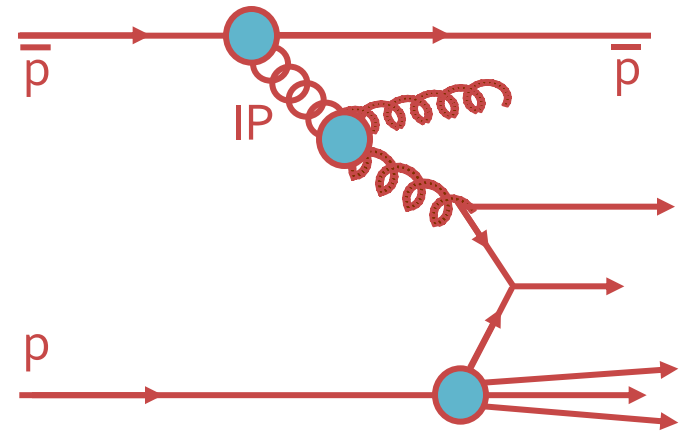
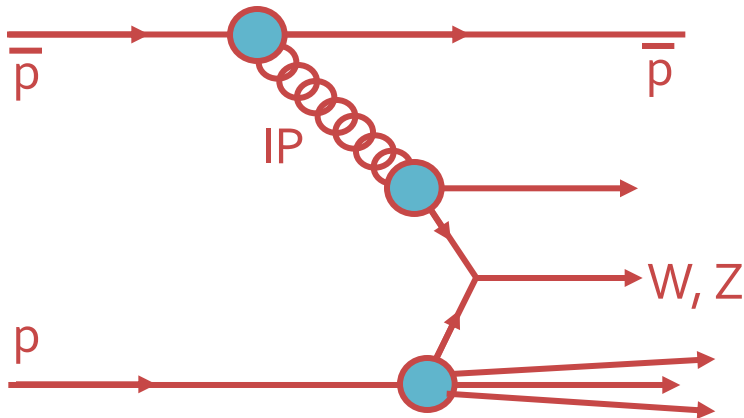
All fractions ~ 1%
(differences due to kinematics)

➤ ~ uniform suppression

Example: Diffractive W/Z Production

Diffractive W/Z production probes the quark content of the Pomeron

- to Leading Order the W/Z are produced by a **quark** in the Pomeron
- production by gluons is suppressed by a factor of α_s and can be distinguished by an associated jet





Example:

Diffraction W production – Run I

Rapidity gaps method

- CDF Phys Rev Lett **78**, 2698 (1997)

- Fraction of W events due to SD

- [$1.15 \pm 0.51(\text{stat}) \pm 0.20(\text{syst})$]%

- DØ Phys Lett B **574**, 169 (2003)

- Fraction of events with rapidity gap
(uncorrected for gap survival)

- W : [$0.89 + 0.19 - 0.17$]%

- Z : [$1.44 + 0.61 - 0.52$]%



Diffraction W Production – Run II

Identify diffractive events using Roman Pots:

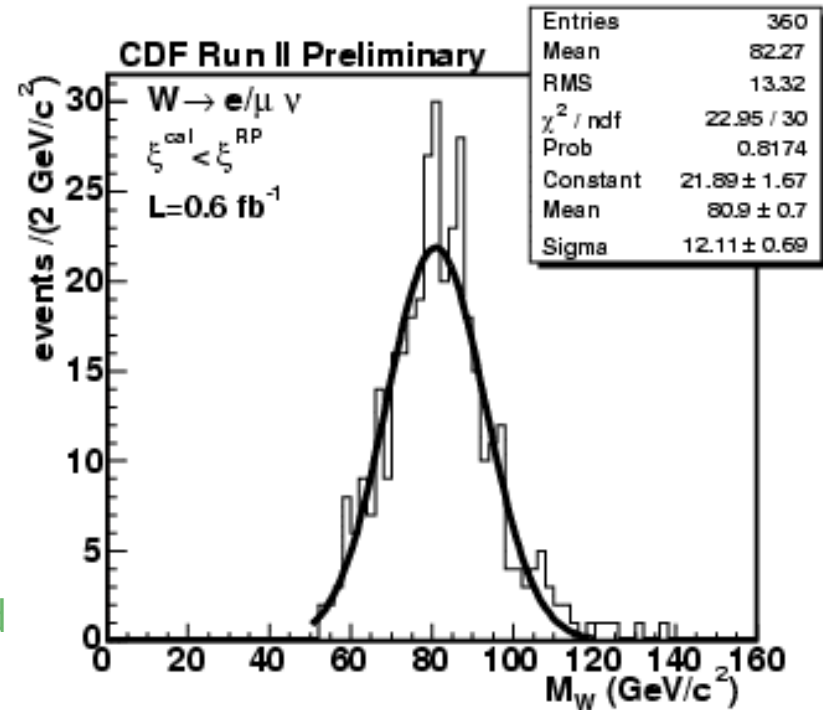
- accurate event-by-event ξ measurement
- no gap acceptance correction needed

$$\xi^{cal} = \sum_{towers} \frac{E_T}{\sqrt{s}} e^{-\eta}$$

In W production, the difference between ξ^{cal} and ξ^{RP} is related to missing E_T and η_ν

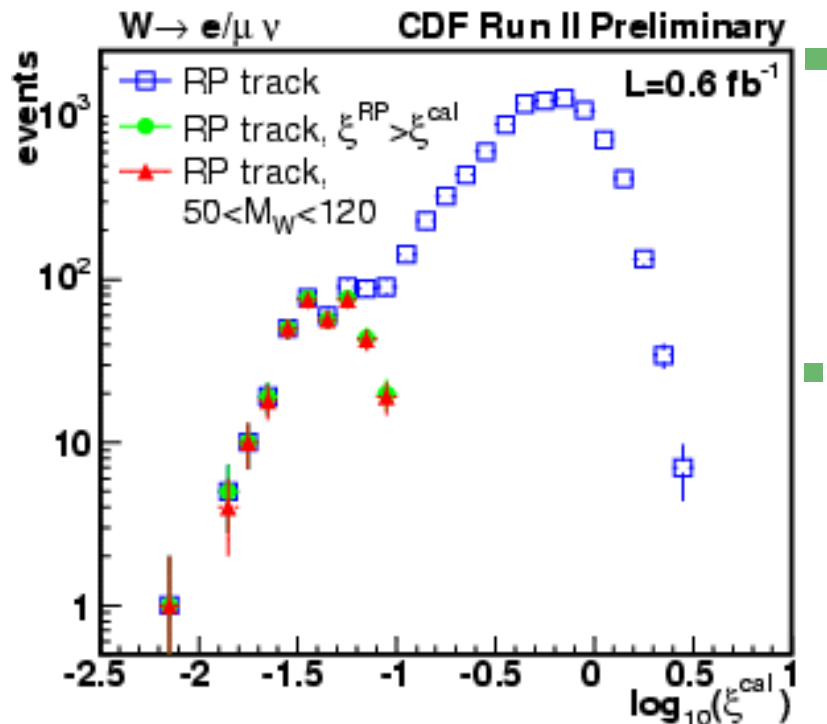
$$\xi^{RP} - \xi^{cal} = \frac{E_T}{\sqrt{s}} e^{-\eta_\nu}$$

- allows to determine:
 - neutrino and W kinematics



reconstructed
diffractive W mass

Diffraction W Production: measurement



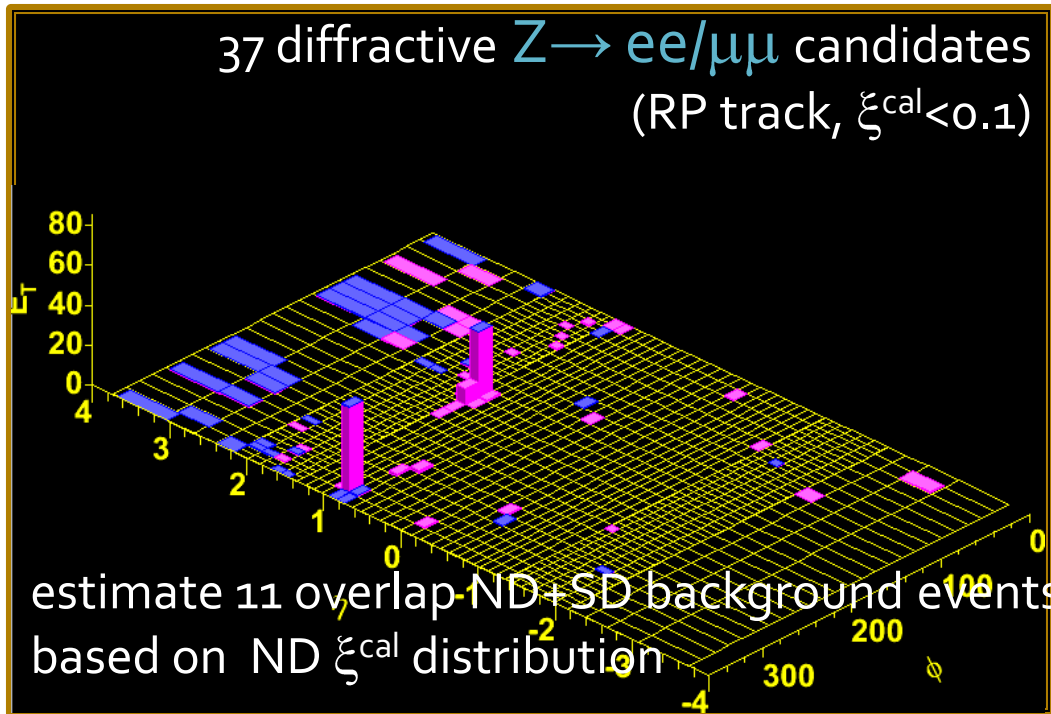
■ $\xi^{cal} < \xi^{RP}$ requirement
 removes most events with
 multiple pbar-p interactions

■ $50 < M_W < 120$ GeV/c²
 requirement on the reconstructed
 W mass cleans up possible
 mis-reconstructed events

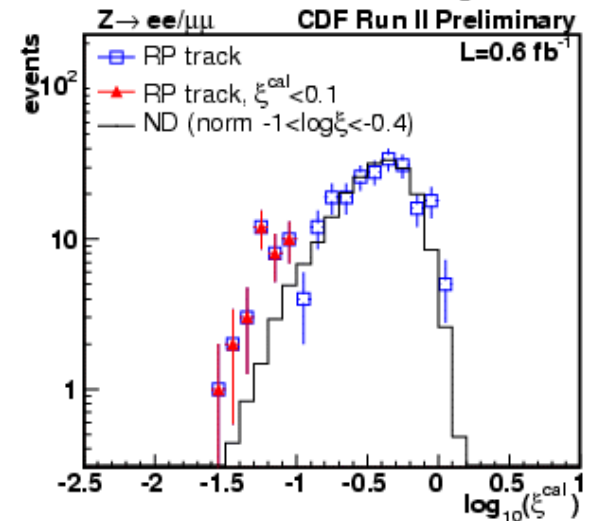
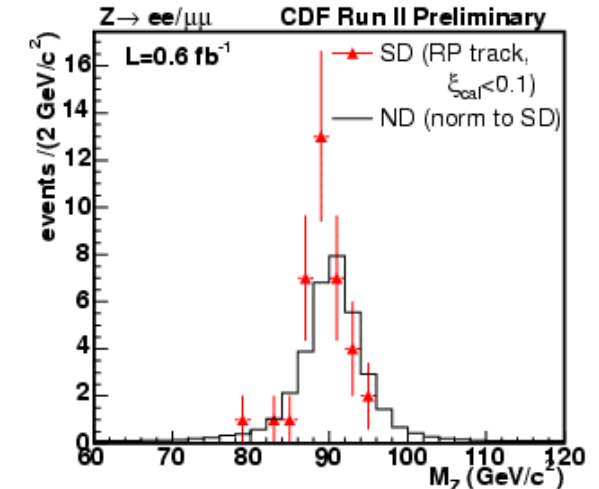
Fraction of diffractive W

**$R_W(0.03 < \xi < 0.10, |t| < 1) = [0.97 \pm 0.05(\text{stat}) \pm 0.10(\text{syst})]\%$
 consistent with Run I result, extrapolated to all ξ**

Diffraction Z Production



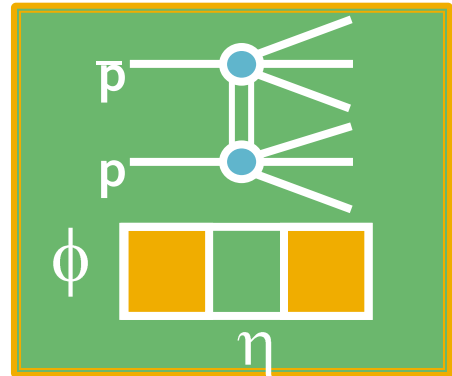
Fraction of diffractive Z
 $R_Z(0.03 < \xi < 0.10, |t| < 1) =$
 $[0.85 \pm 0.20(\text{stat}) \pm 0.08(\text{syst})]\%$



Double Diffraction

Diffraction signature:

large central rapidity gap –
slightly different
gap definitions

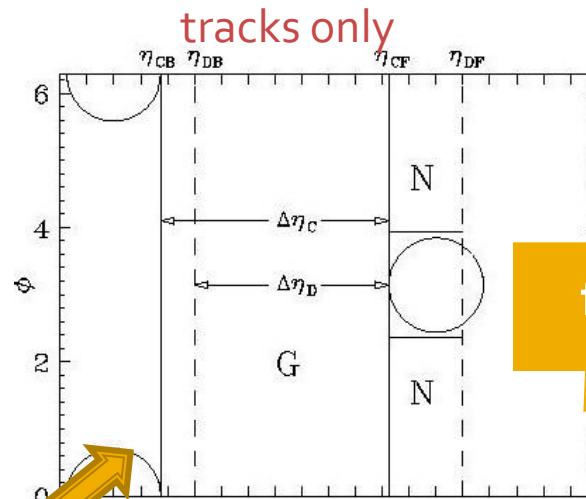


Soft Diffraction

Double Diffraction
PRL 87, 141802 (2001)

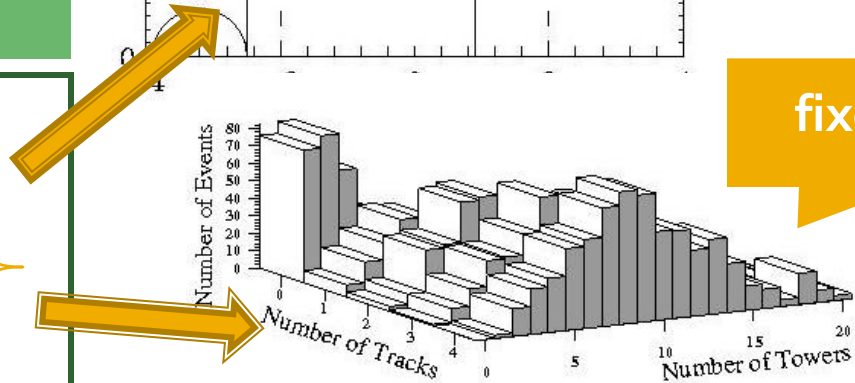
Hard Diffraction

Jet-Gap_Jet
1.8 TeV PRL 74, 855 (1995)
1.8 TeV PRL 80, 1156 (1998)
630 GeV PRL 81, 5278 (1998)



floating gap

fixed gap



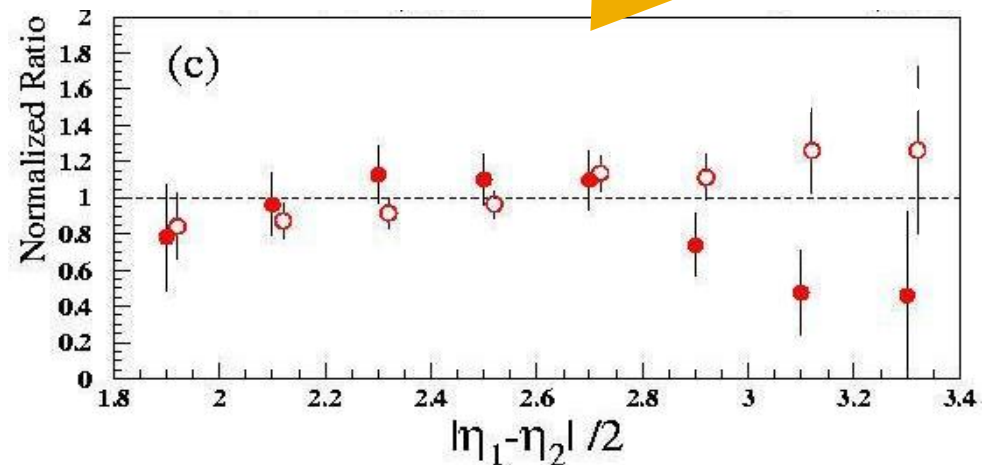
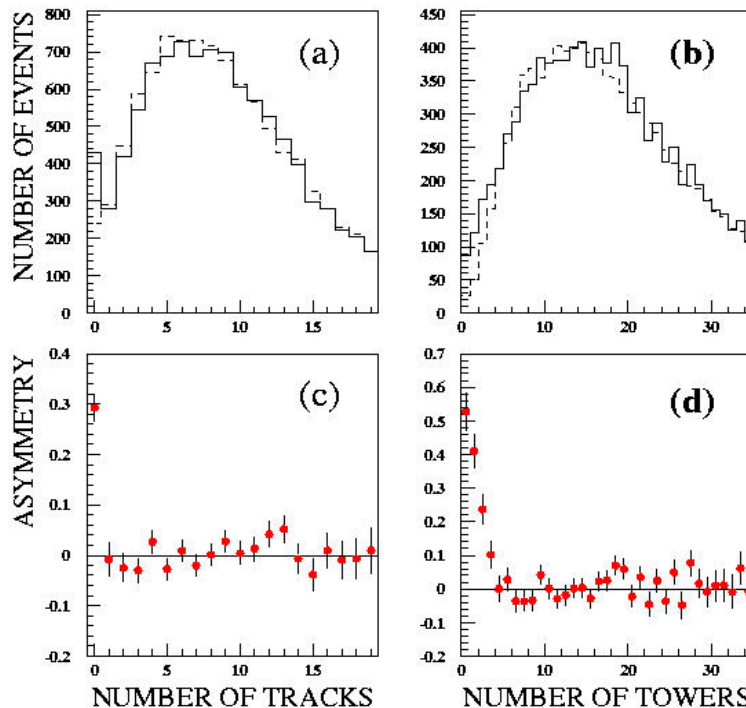
Central Gaps in Run I



$R = [1.13 \pm 0.12(\text{stat}) \pm 0.11(\text{syst})]\% @ 1800 \text{ GeV}$

$R = [2.7 \pm 0.7(\text{stat}) \pm 0.6(\text{syst})]\% @ 630 \text{ GeV}$

floating jets
fixed central gap



R is estimated using OS jets as signal and SS jets as a control sample

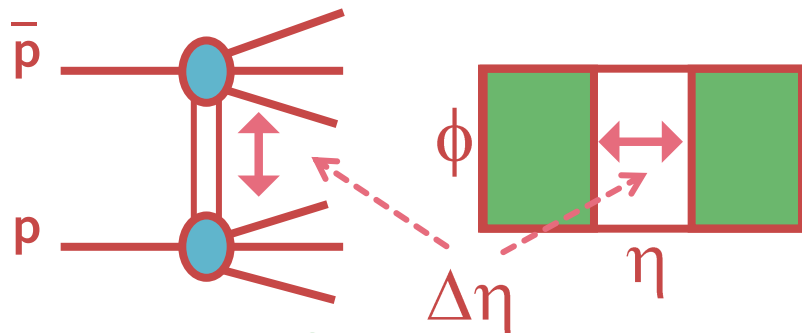
- look for events with rapidity gap in $|\eta| < 1$ when jets are at $1.8 < |\eta| < 3.5$

- both track and tower multiplicities produce similar results

Rapidity Gaps in Minbias Events



Soft Double-Diffraction (DD)



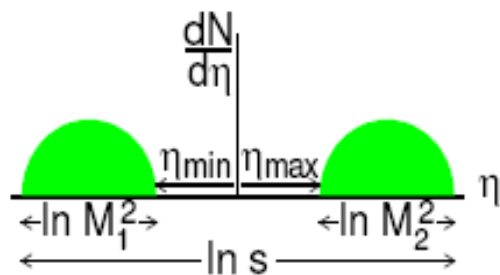
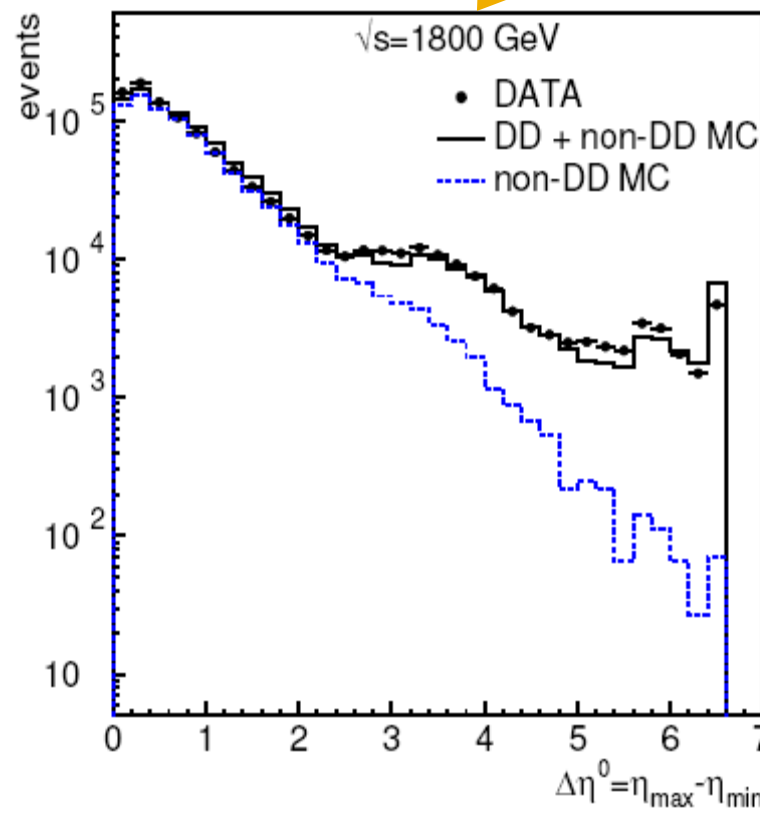
floating gap

Strategy of analysis:

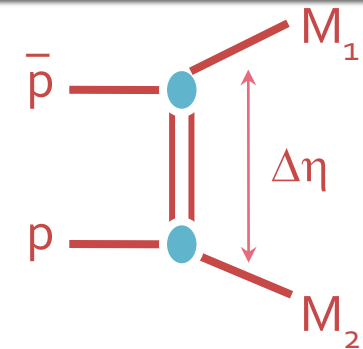
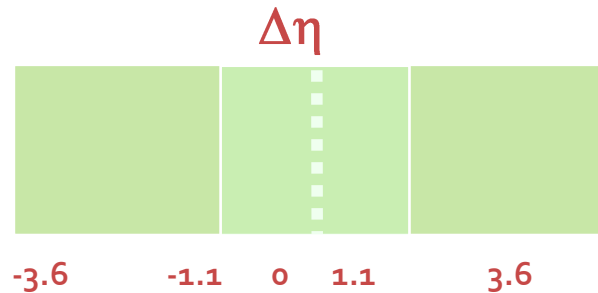
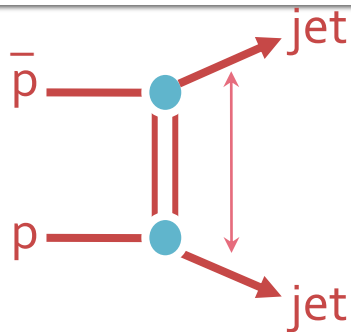
look for “experimental gaps” defined as

$$\Delta\eta \equiv \eta_{\max} - \eta_{\min}$$

$\eta_{\max}(\eta_{\min})$ - “particle” closest to $\eta=0$ in the p(p) direction



Central Gaps in Soft and Hard DD



To **compare gap probability** in soft and hard DD dissociation:
reconstruct $\Delta\eta$ in both cases
require events to have gap in CCAL
 $|\eta| < 1.1 \Rightarrow \Delta\eta > 2 \Rightarrow$
significant DD contribution

For this analysis we use "floating" – not-necessarily central gap

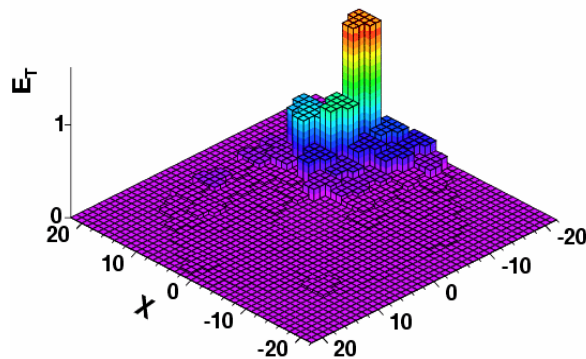
require opposite side MP jets for hard DD,
with $E_T > 2$ GeV

Direct comparison of the results is relatively free of systematic uncertainties.

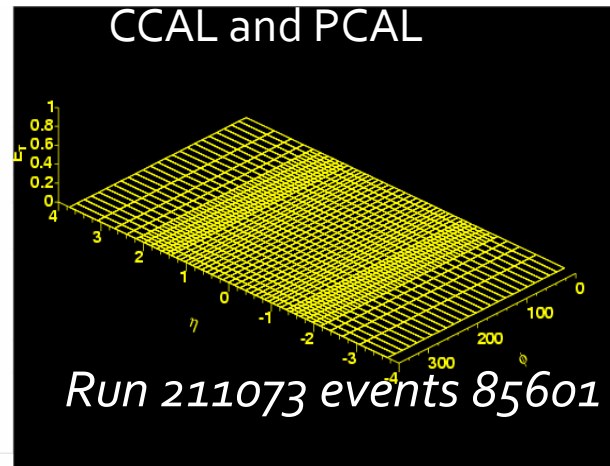
Forward Jets and Rapidity Gaps



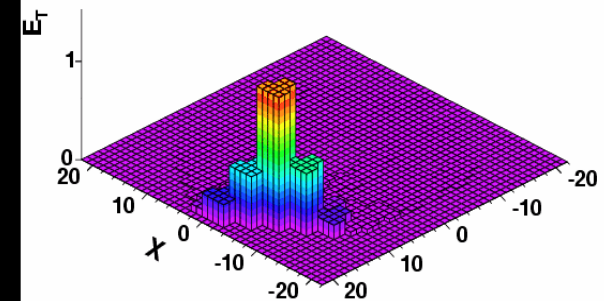
MP_p



CCAL and PCAL



MP_{pbar}



Gaps:

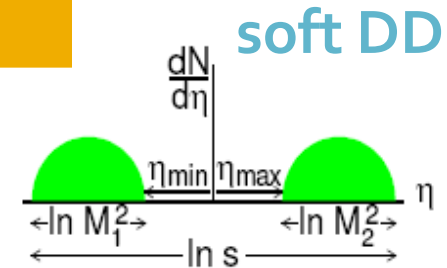
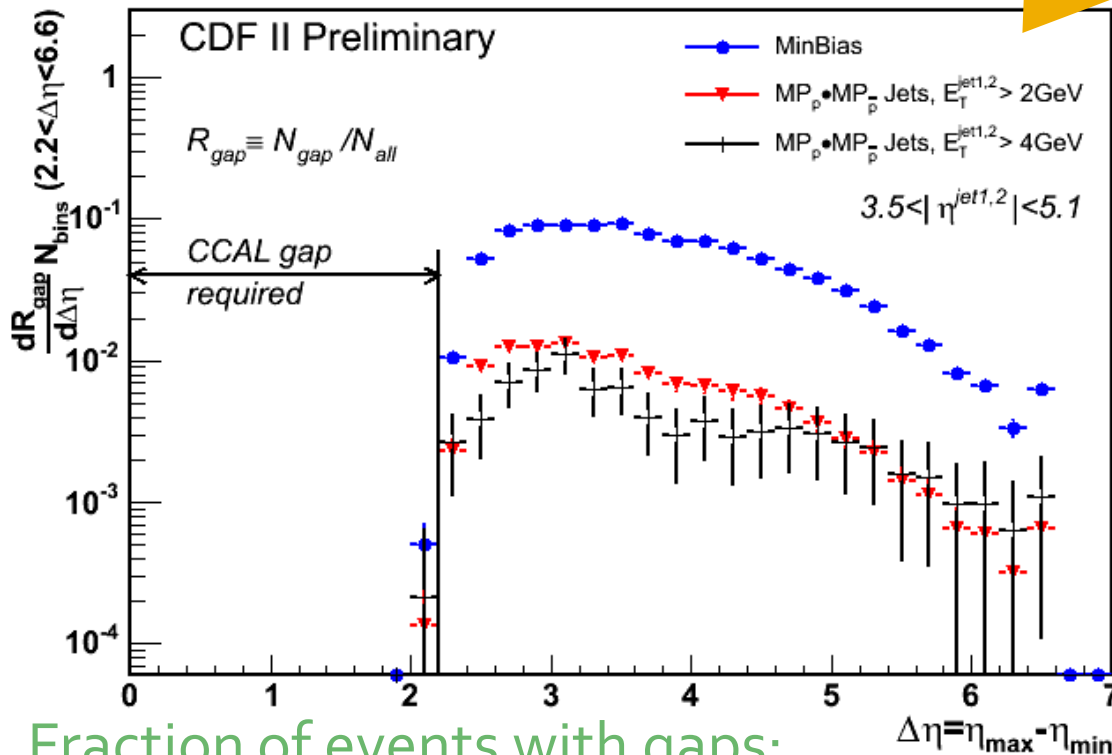
- what is under the "carpet"? - detector noise etc...

Central Gaps in Soft and Hard DD

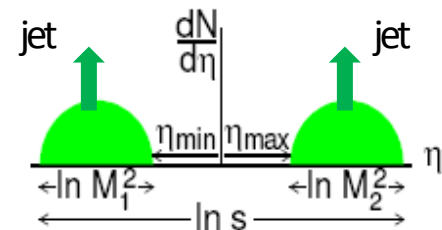


fixed jets
floating gap

Gap Fraction in events with a CCAL gap



compare with



hard DD

Fraction of events with gaps:

~10% in soft DD events and ~1% in jet events

The distributions are similar in shape within the uncertainties

Double Pomeron Exchange Exclusive Studies

Diffraction signature:

recoil pbar /large rapidity gap AND
large rapidity gap on proton side

Soft Diffraction

Double Pomeron Exc.

PRL 93,141603 (2004)

Multi-Gap Diffraction

PRL 91, 011802 (2003)

Hard Diffraction

Dijets:

1.8 TeV PRL 85, 4217 (2000)

1.96 TeV PRD 77, 052004 (2008)

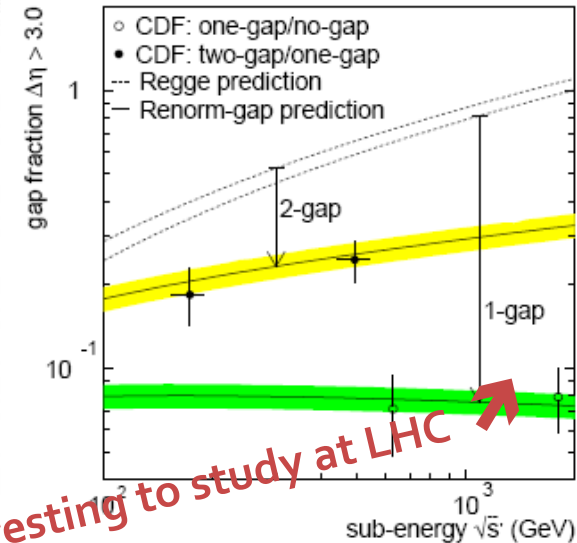
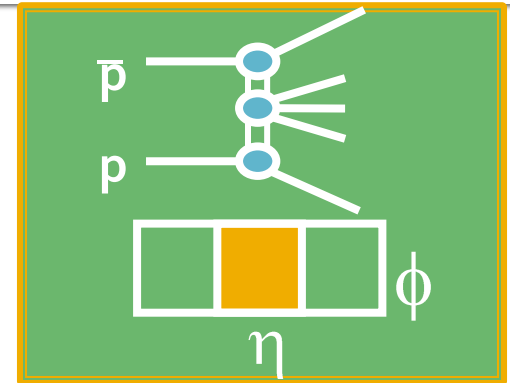
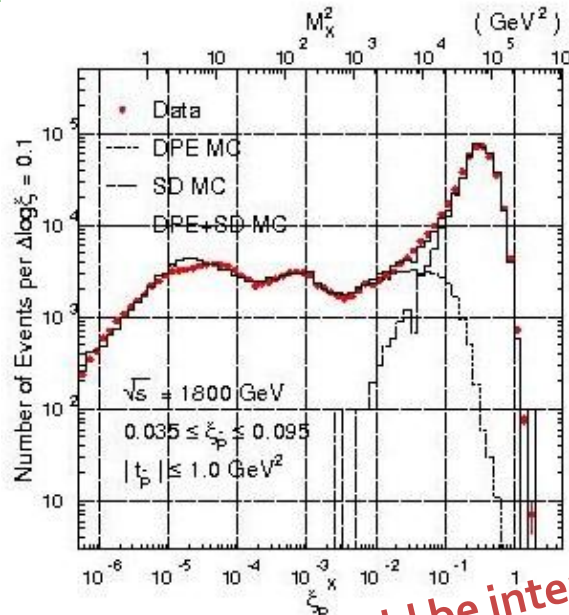
Di-photons

1.96 TeV PRL 99, 242002 (2007)

Charmonium

1.96 TeV PRL 102, 242001 (2009)

Inclusive DPE ξ distribution

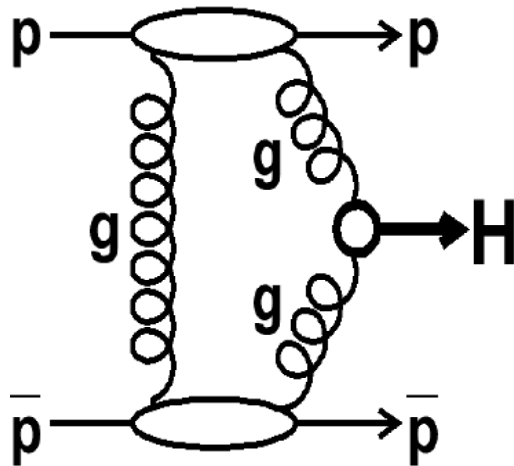


would be interesting to study at LHC

second gap production is not suppressed

Exclusive Production

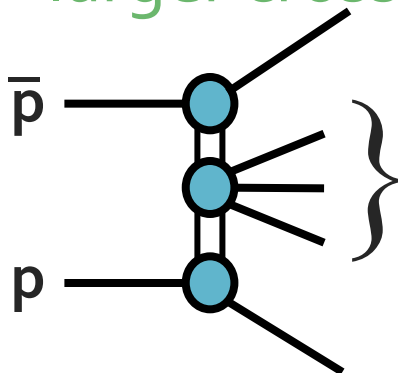
LHC



- suppression at LO of the background sub-processes ($J_z=0$ selection rule)
- "exclusive channel" → clean signal (no underlying event)

- At the Tevatron we use similar processes with larger cross sections to test and calibrate theor. predictions

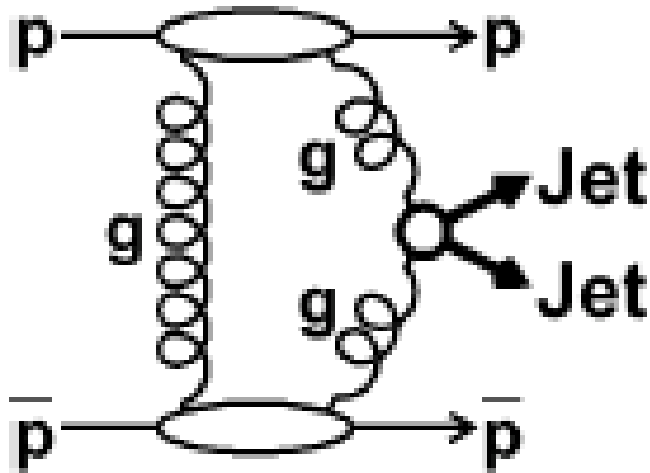
CDF



Dijets,
 $\gamma\gamma$,
 χ_c

Exclusive Dijet Production

RUN I

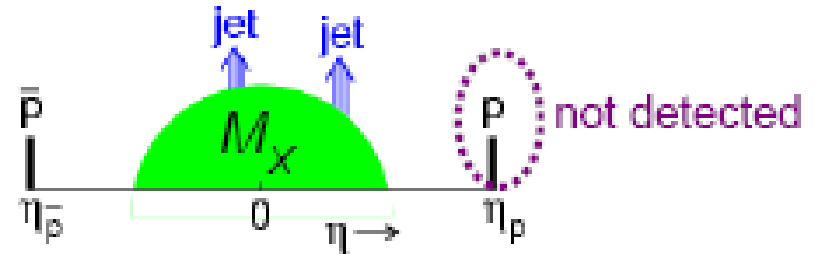


CDF limit of
 $\sigma_{\text{excl}} < 3.7 \text{ nb (95\% CL)}$

RUN II

Method:

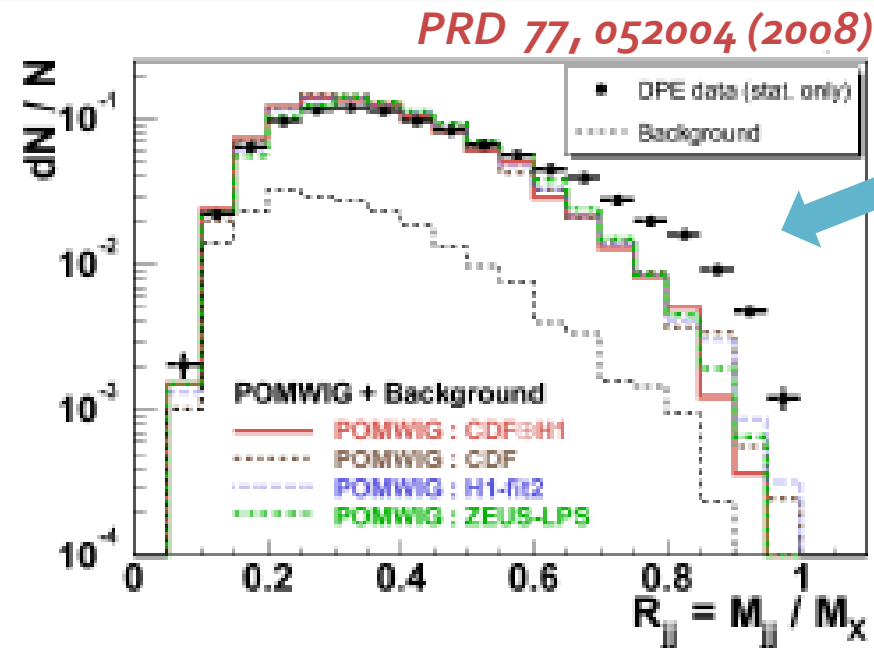
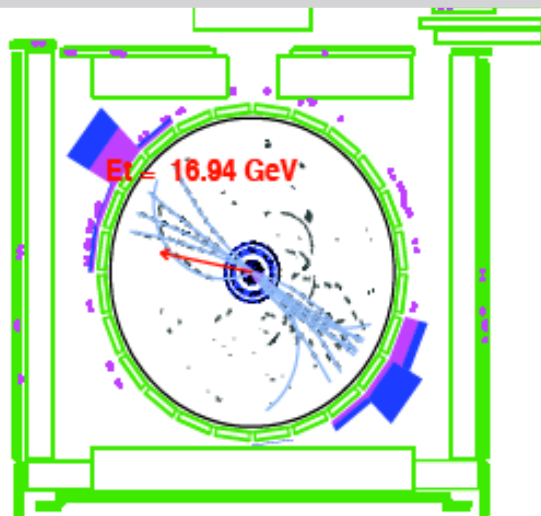
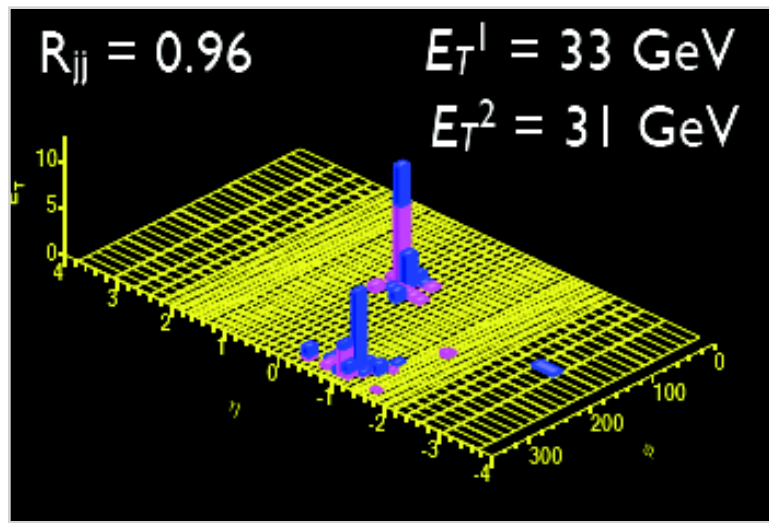
Select inclusive diffractive dijet events produced by DPE
 $p + \bar{p} \rightarrow \mathbf{IP} + \mathbf{IP} \rightarrow \bar{p} + X (\geq 2 \text{ jets}) + \text{gap}$



Reconstruct $R_{jj} = \frac{M_{jj}}{M_X}$, where

M_{jj} - dijet mass, M_X - mass of system X

Observation of Exclusive Dijet Production



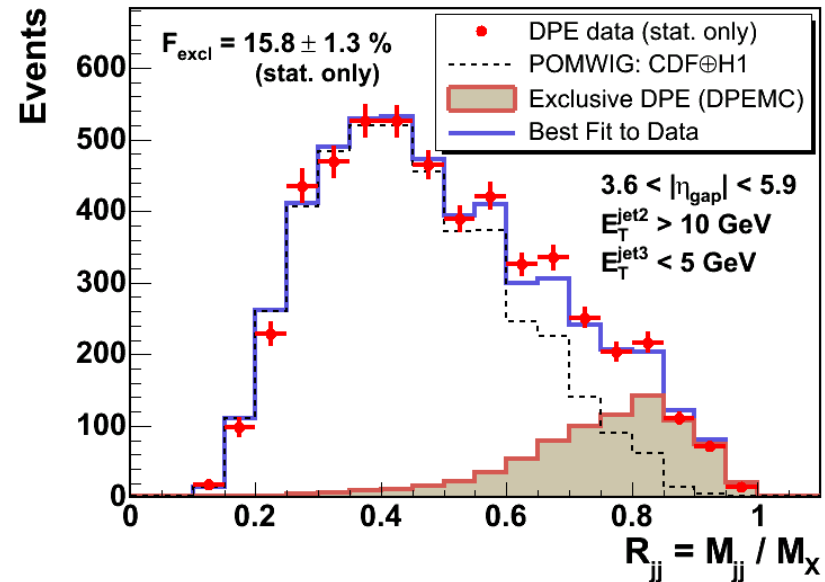
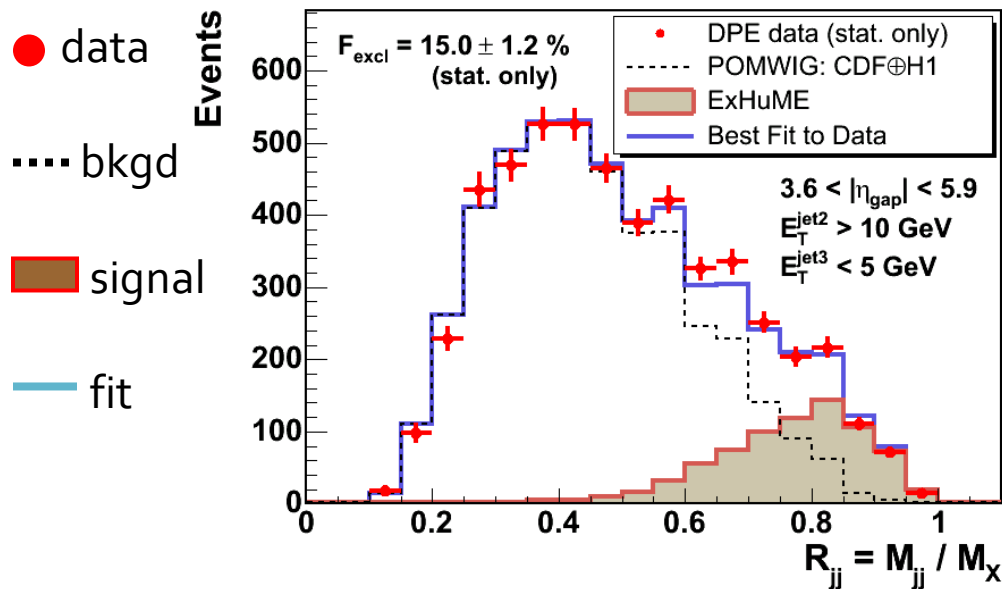
Observe **excess** over inclusive DPE dijet MC's at high dijet mass fraction

Signal at $R_{jj}=1$ is smeared due to shower/hadronization effects, NLO $gg \rightarrow ggg, q\bar{q}g$ contributions

Exclusive Dijets

Signal MC ExHuME *CPC 175,232 (2006)*

Exclusive DPE as input to
DPEMC *CPC 167,217 (2005)*

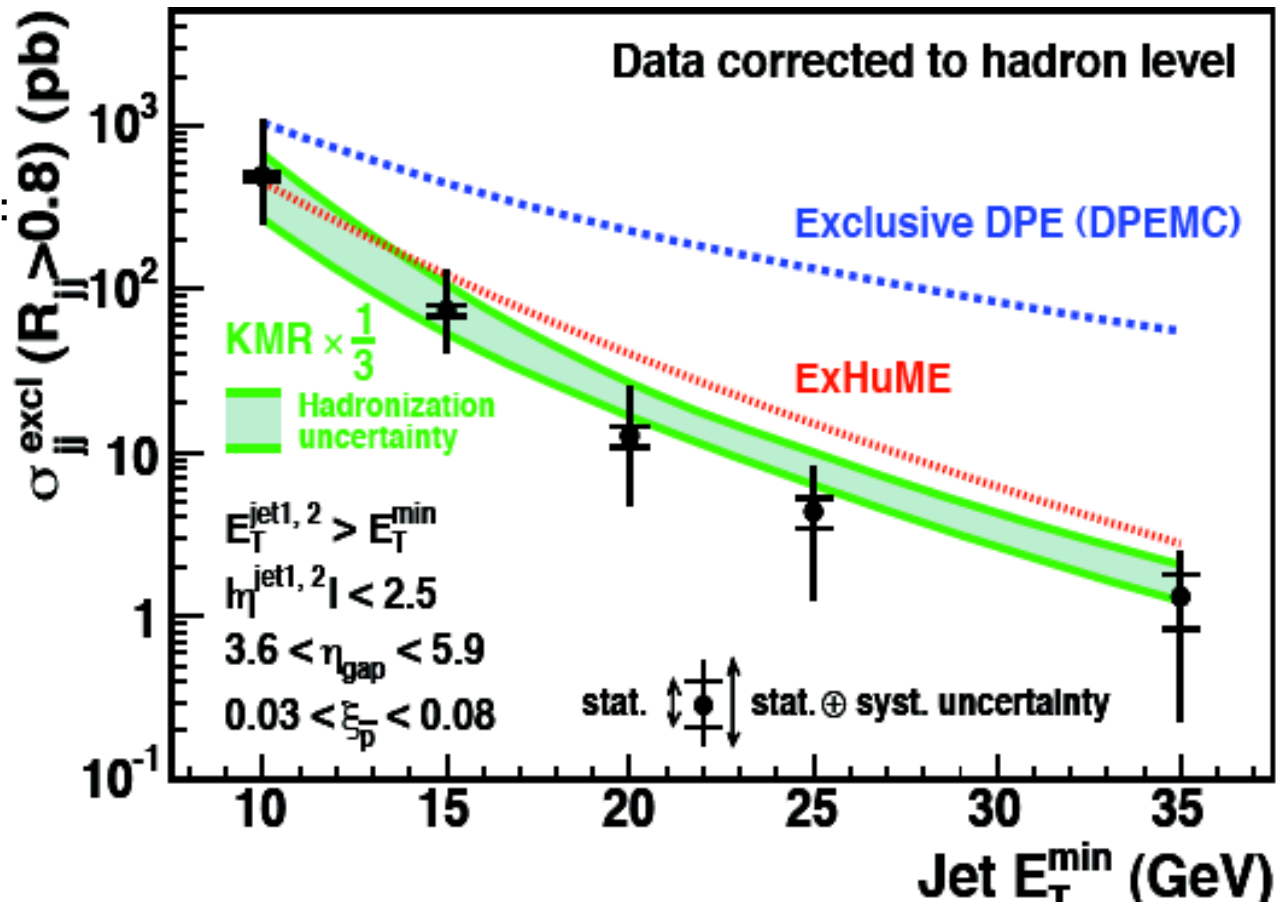


➔ Shape of excess described by exclusive dijet MC based on two models (ExHuME, DPEMC), shows good agreement

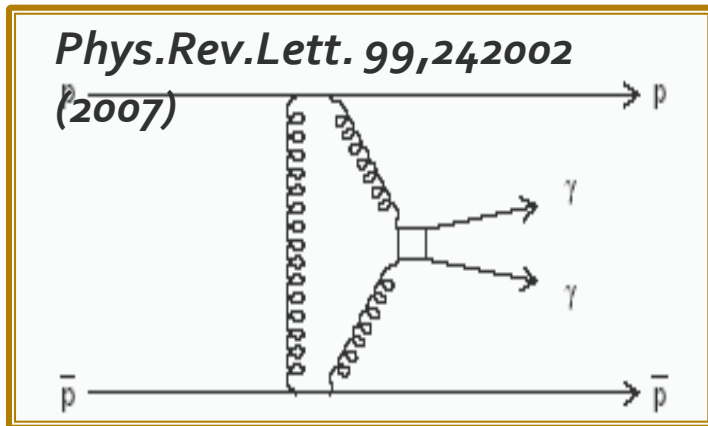
Exclusive Dijet Cross Section



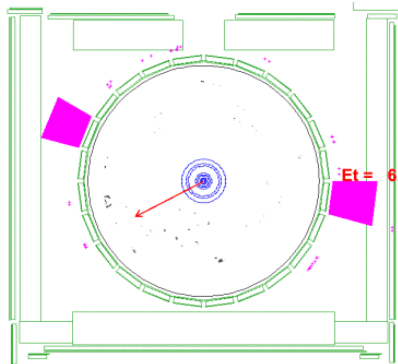
- ➔ Exclusive dijet cross section compared with MC based on two models: ExHuME, and excl. DPE DPEMC.
- ➔ Cross section disfavors exclusive DPE model.
- ➔ Calculation by Khoze, Martin, and Ryskin consistent within its factor of 3 uncertainty. *Eur. Phys J C* **14**, 525 (2000).



Exclusive $\gamma\gamma$ Production



Method for excl. $\gamma\gamma$ search is calibrated vs excl $e+e^-$ analysis:
3 candidates observed:
2 events are good $\gamma\gamma$ candidates
1 event is good $\pi^0\pi^0$ candidate



$$E_T(\gamma) > 5 \text{ GeV}$$

$$|\eta(\gamma)| < 1.0$$

Theoretical Prediction:

V.A.Khoze et al. Eur. Phys. J C38, 475 (2005)

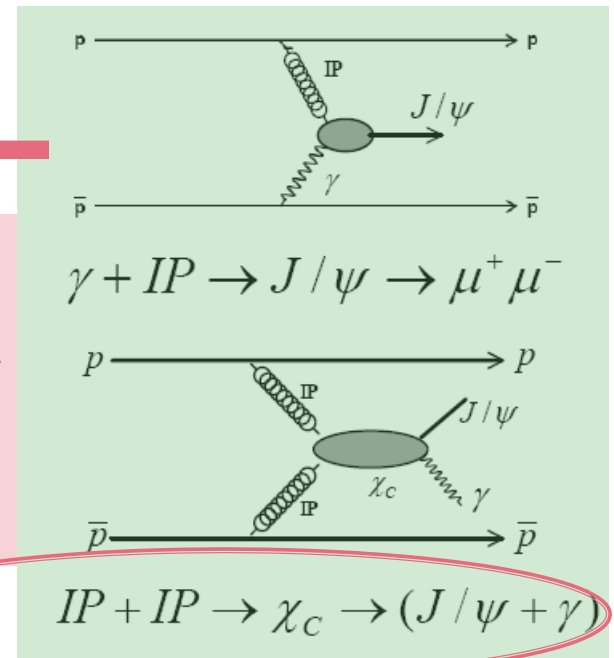
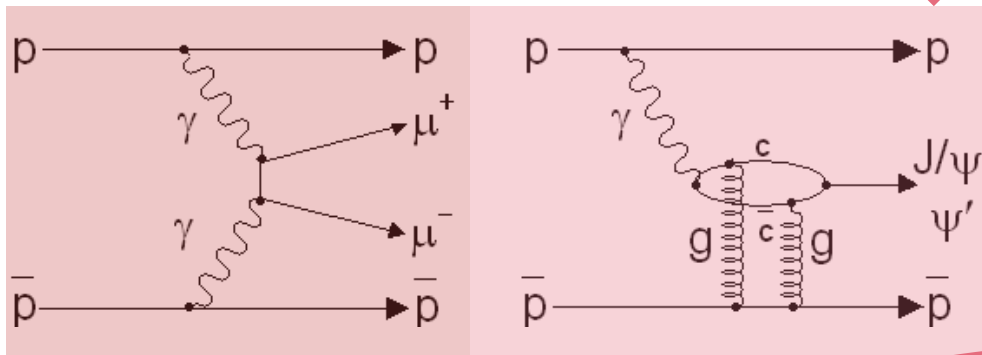
$$\sigma \text{ (with our cuts)} = (36 + 72 - 24) \text{ fb}$$

$$= 0.8 + 1.6 - 0.5 \text{ events.}$$

Cannot yet claim "discovery" as b/g study *a posteriori*,
 2 events correspond to $\sigma \sim 90 \text{ fb}$, agreeing with Khoze *et al.*

Exclusive Dimuon Production

Many Physics Processes in this data:



exclusive χ_c in DPE

- Observation of exclusive χ_c PRL 102 242001 (2009)

Exclusive J/ψ and $\psi(2s)$

J/ψ production

243 ± 21 events

$$d\sigma/dy|_{y=0} = 3.92 \pm 0.62 \text{ nb}$$

Theoretical Predictions

- 2.8 nb [Szczyrek07,],
- 2.7 nb [Klein&Nystrand04],
- 3.0 nb [Conclaves&Machado05], and
- 3.4 nb [Motkya&Watto8].

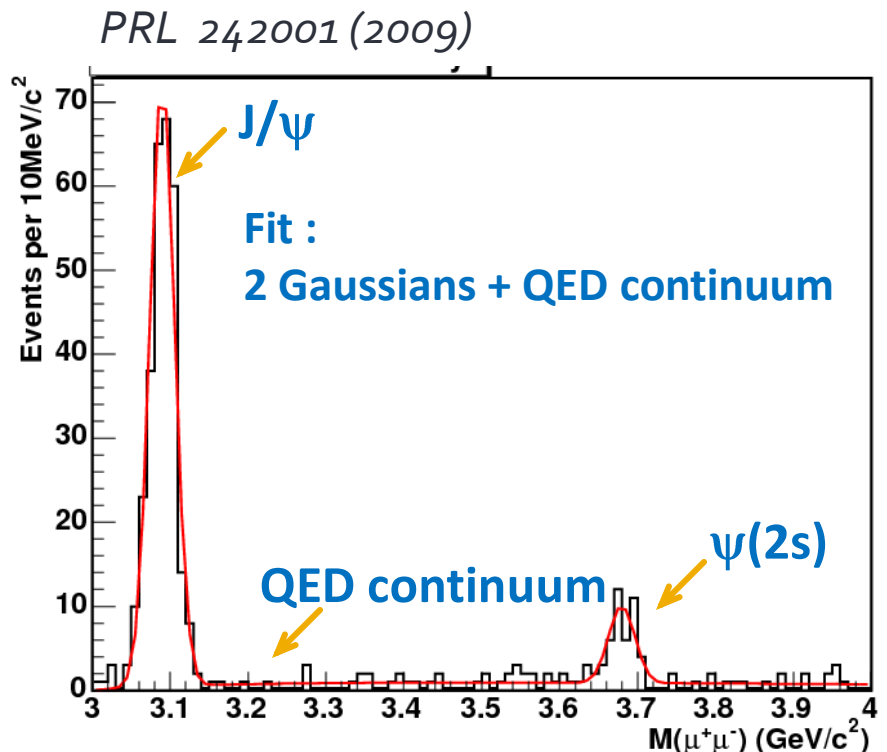
$\Psi(2s)$ production

34 ± 7 events

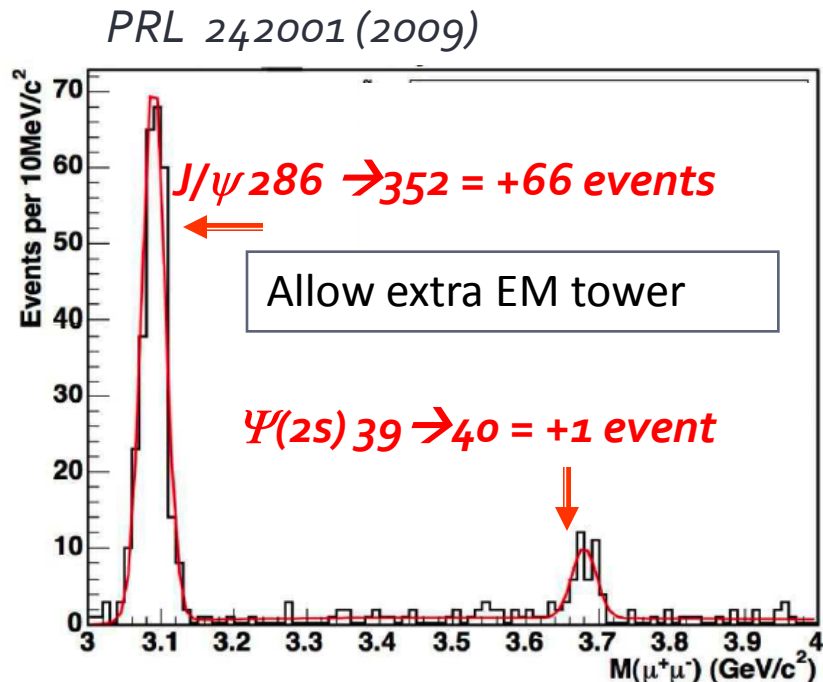
$$d\sigma/dy|_{y=0} = 0.54 \pm 0.15 \text{ nb}$$

$$R = \psi(2s)/J/\psi = 0.14 \pm 0.05$$

In agreement with HERA: $R = 0.166 \pm 0.012$ in a similar kinematic region



Exclusive $\chi_c \rightarrow J/\psi (\rightarrow \mu^+ \mu^-) + \gamma$



→ Allowing EM towers ($E_T > 80$ MeV)

large increase in the J/ψ peak
 minor change in the $\psi(2s)$ peak



Evidence for

$\chi_c \rightarrow J/\psi + \gamma$ production

$d\sigma/dy|_{y=0} = 75 \pm 14$ nb,
 compatible with theoretical predictions
 160 nb (Yuan 01)
 90 nb (KMR01)

Conclusions

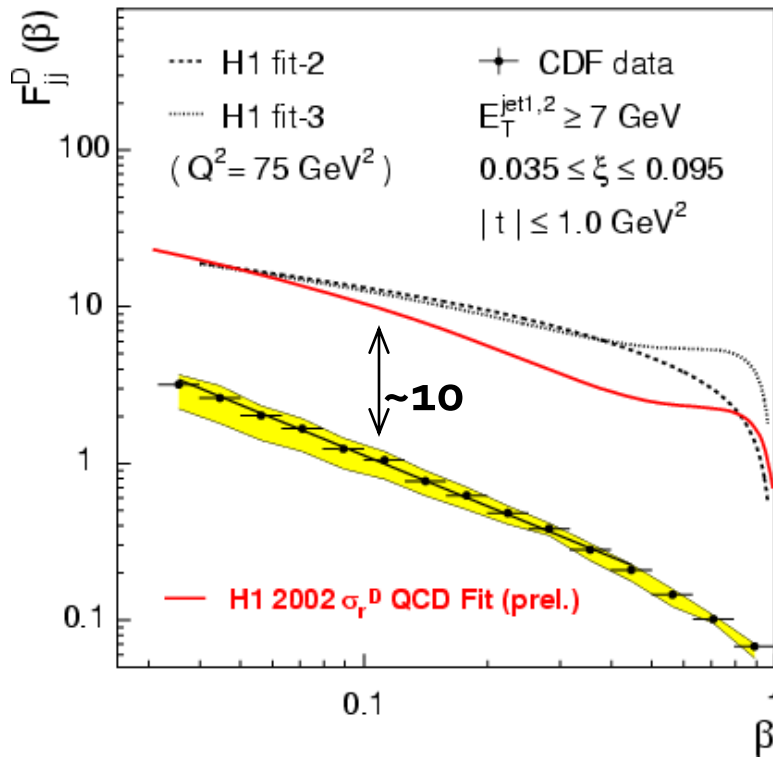


Very diverse diffractive program at CDF:

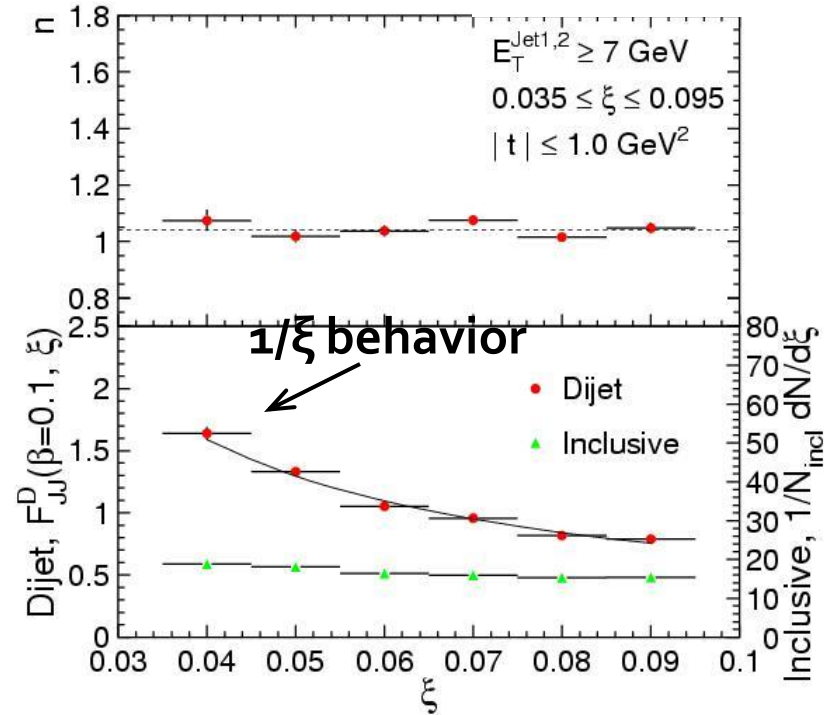
- measurements at 3 different c.o.m. energies
 - introduced new methods for diffractive studies at hadron-hadron colliders
 - designed and constructed new detectors for forward regions
- ✓ Majority of measurements are MC free
- ✓ Different identifications of diffractive event signatures:
Results between RPS and large rapidity gap are consistent.

Back up

The Diffractive Structure Function



discrepancy in normalization
 ↓
 QCD factorization breakdown



$F_{jj}^D = C \beta^{-n} \xi^{-m}$

Regge factorization holds
 pomeron exchange

for $\beta < 0.5$
 $n = 1.0 \pm 0.1$
 $m = 0.9 \pm 0.1$

W/Z Selection



$$E_T^e(p_T^\mu) > 25 \text{ GeV}$$

$$/_T > 25 \text{ GeV}$$

$$40 < M_T^W < 120 \text{ GeV}$$

$$|Z_{\text{vtx}}| < 60 \text{ cm}$$

$$E_T^{e1}(p_T^{\mu1}) > 25 \text{ GeV}$$

$$E_T^{e2}(p_T^{\mu2}) > 25 \text{ GeV}$$

$$66 < M^Z < 116 \text{ GeV}$$

$$|Z_{\text{vtx}}| < 60 \text{ cm}$$

- ❑ RPS trigger counters – require MIP
- ❑ RPS track - $0.03 < \xi < 0.10$, $|t| < 1 \text{ GeV}^2$
- ❑ $W \rightarrow \xi^{\text{cal}} < \xi^{\text{RP}}$, $50 < M_W(\xi^{\text{RPS}}, \xi^{\text{cal}}) < 120 \text{ GeV}^2$
- ❑ $Z \rightarrow \xi^{\text{cal}} < 0.1$

W/Z Results



$$R^W (0.03 < \xi < 0.10, |t| < 1) = [0.97 \pm 0.05(\text{stat}) \pm 0.11(\text{syst})]\%$$

Run I: $R^W (\xi < 0.1) = [1.15 \pm 0.55]\% \rightarrow 0.97 \pm 0.47\%$ in $0.03 < \xi < 0.10$ & $|t| < 1$

$$R^Z (0.03 < x < 0.10, |t| < 1) = [0.85 \pm 0.20(\text{stat}) \pm 0.11(\text{syst})]\%$$

CDF/DØ Comparison – Run I ($\xi < 0.1$)

CDF PRL 78, 2698 (1997)

$$R^W = [1.15 \pm 0.51(\text{stat}) \pm 0.20(\text{syst})]\%$$

gap acceptance $A^{\text{gap}} = 0.81$

Uncorrected for A^{gap}

$$R^W = (0.93 \pm 0.44)\%$$

DØ Phys Lett B **574**, 169 (2003)

$$R^W = [5.1 \pm 0.51(\text{stat}) \pm 0.20(\text{syst})]\%$$

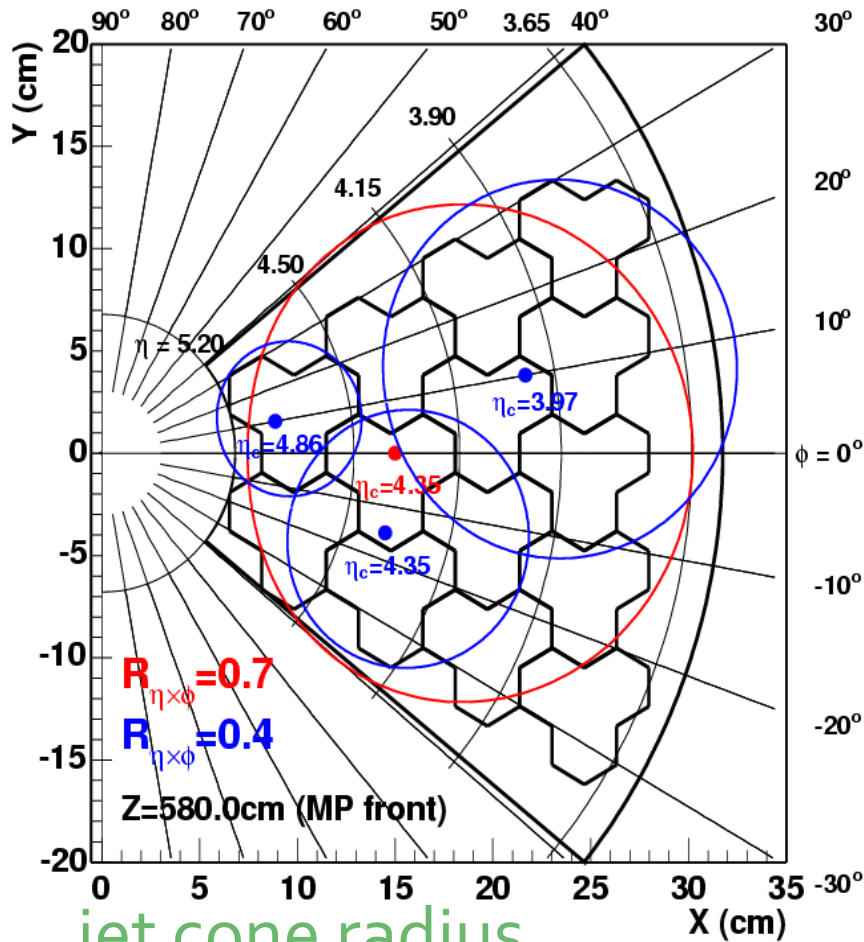
gap acceptance $A^{\text{gap}} = (0.21 \pm 4)\%$

Uncorrected for A^{gap}

$$R^W = [0.89 + 0.19 - 0.17]\%$$

$$R^Z = [1.44 + 0.61 - 0.52]\%$$

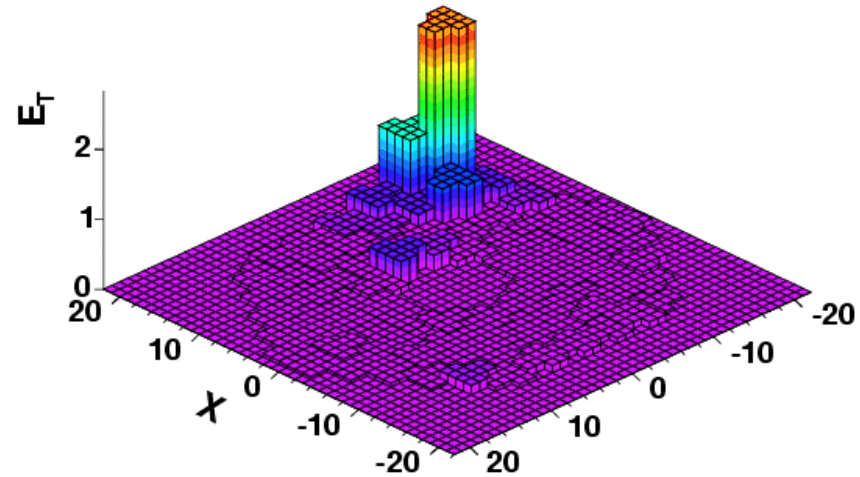
MiniPlug Jets



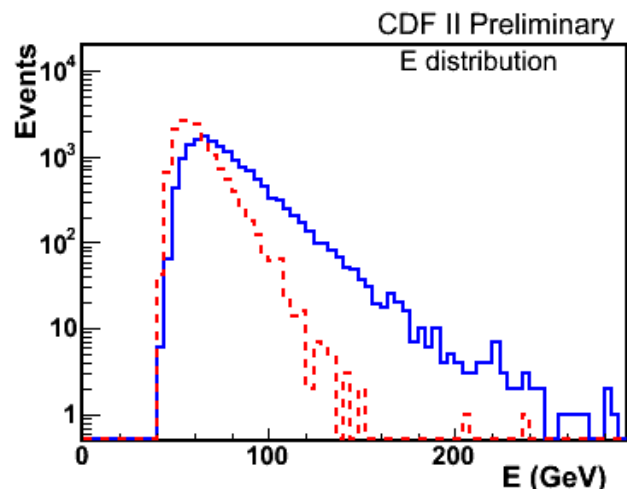
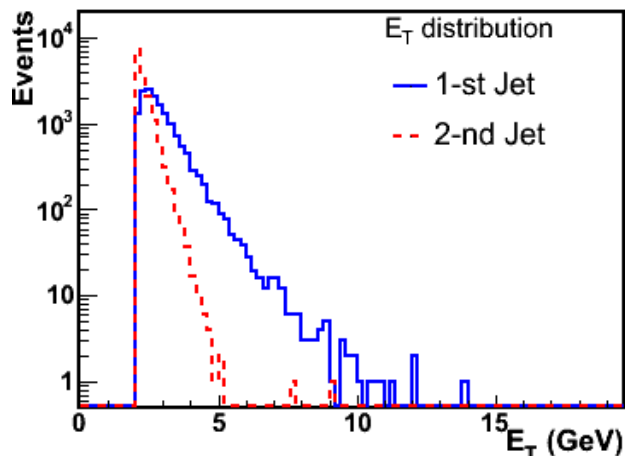
jet cone radius
 $R = 0.4$ (0.7)

MP jet is defined as a vector pointing to a cluster with seed tower ($E_T > 400$ MeV) and 1 layer of surrounding towers

MP Jet energy = energy of the seed tower + energy of the towers in the layer surrounding the seed



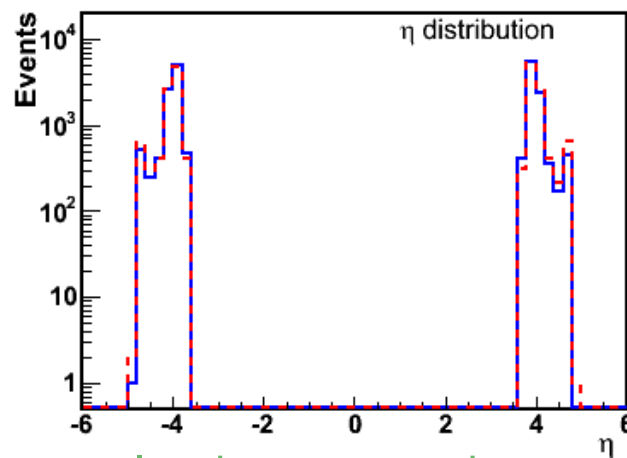
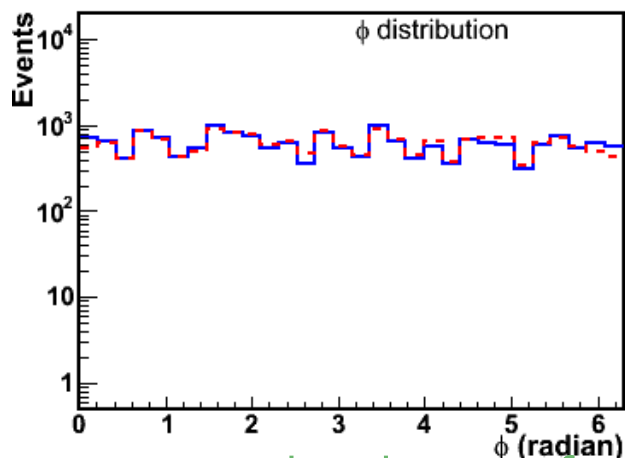
Kinematic Distributions for MP Jets



$$E_{T}^{\text{Jet1,2}} > 2 \text{ GeV}$$

$$3.5 < |\eta^{\text{Jet1,2}}| < 5.5$$

$$\eta^{\text{Jet1}} \cdot \eta^{\text{Jet2}} < 0$$

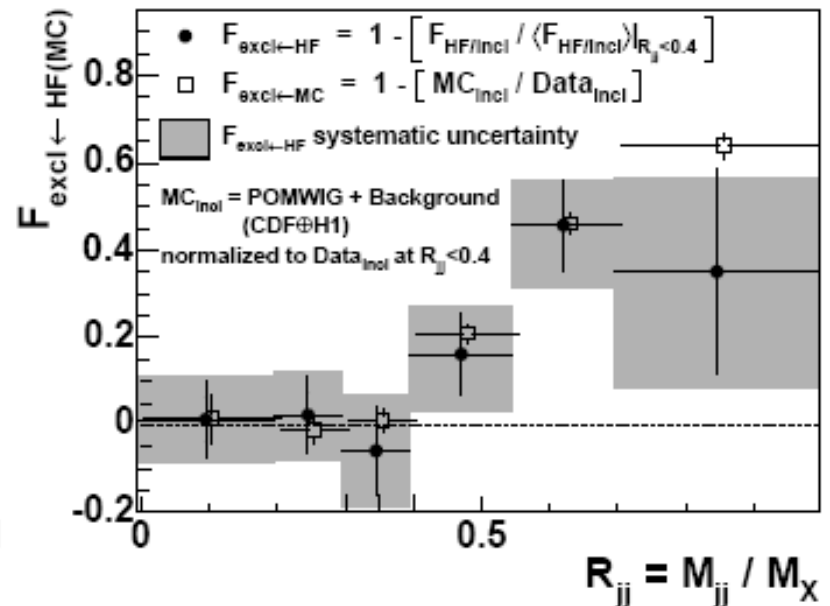
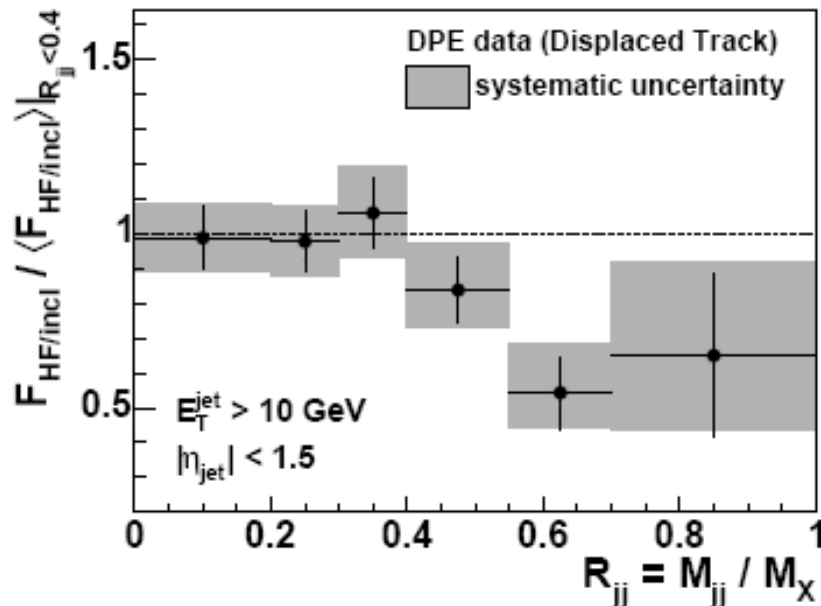


Kinematic distributions for the two leading jets in the $MP_p \cdot MP_{p\bar{p}}$ sample

Heavy Flavor Suppression



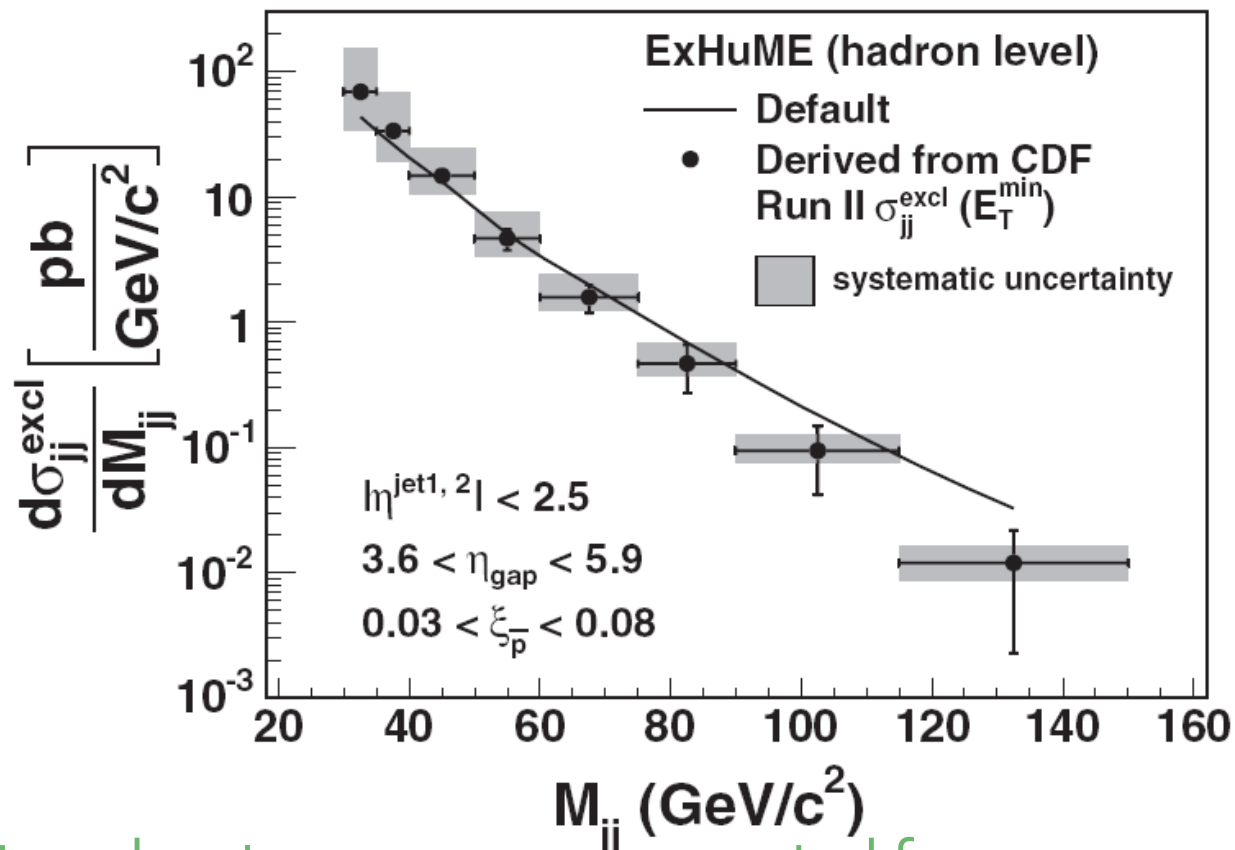
- LO exclusive $gg \rightarrow qq$ suppressed ($J_Z = 0$ rule)
- Look for heavy flavor jet suppression relative to inclusive dijets at high R_{jj}



Suppression of heavy flavor for $R_{jj} > 0.4$ is consistent in shape and magnitude with the results based on MC based extraction of exclusive dijet signal.

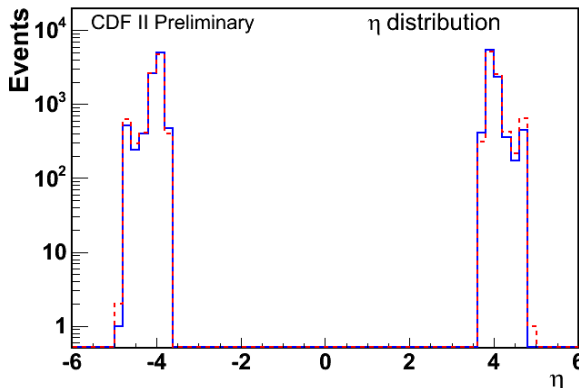
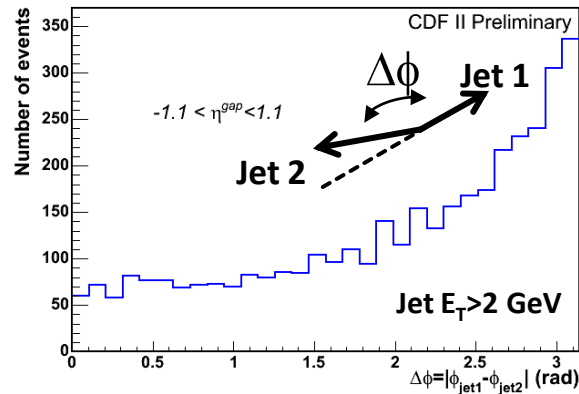
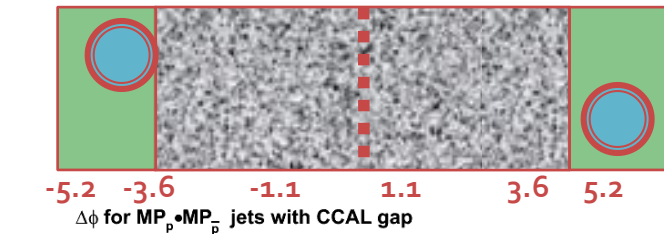
Excl. Cross Section vs Dijet Mass

derived
from
CDF excl.
dijet
x-
sections
using
ExHuME

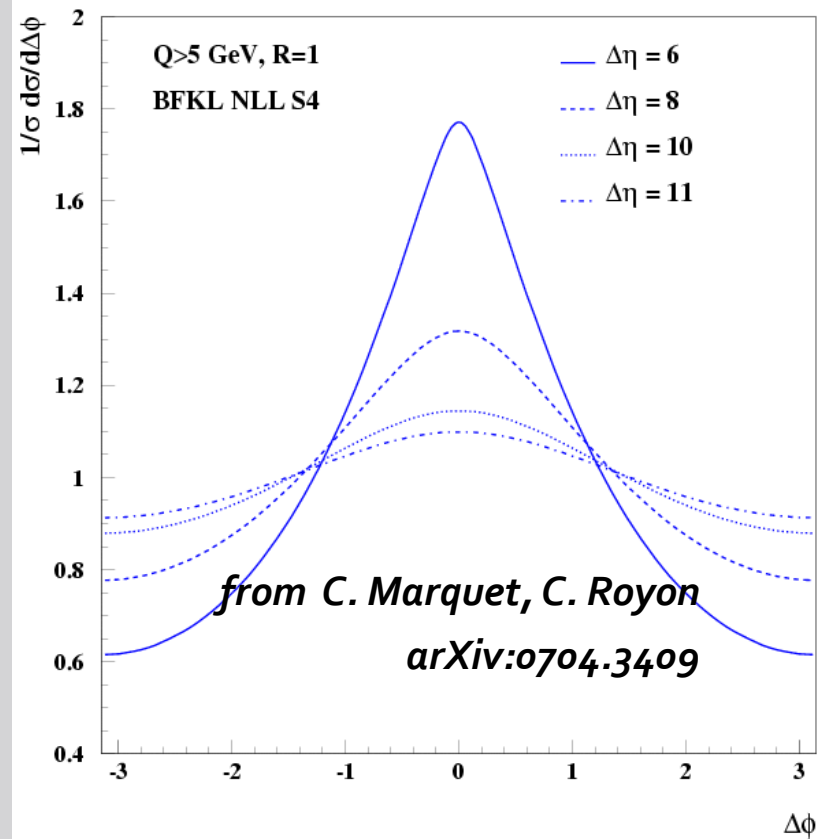


- Stat. and syst. errors are propagated from measured cross section uncertainties using M_{jj} distribution shapes of ExHuME generated data.

Jet Azimuthal Angle (De)correlation

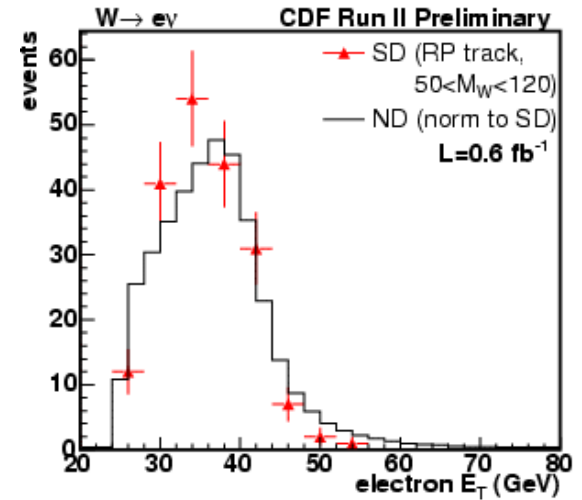
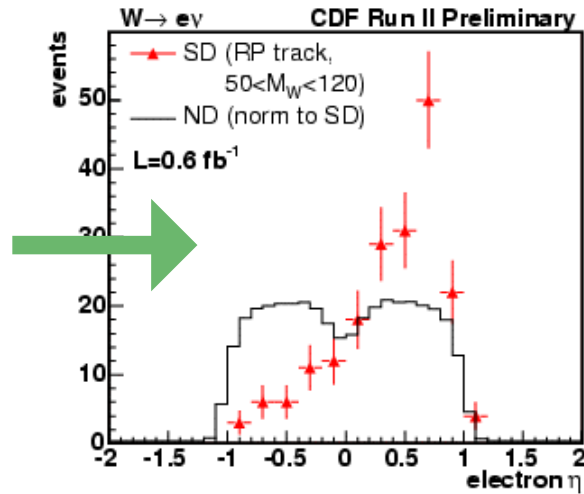
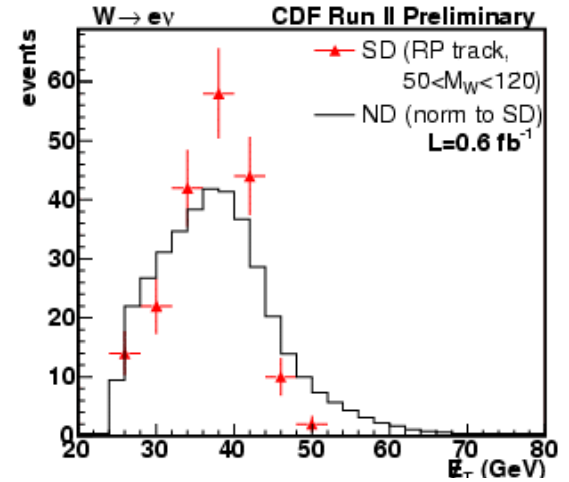
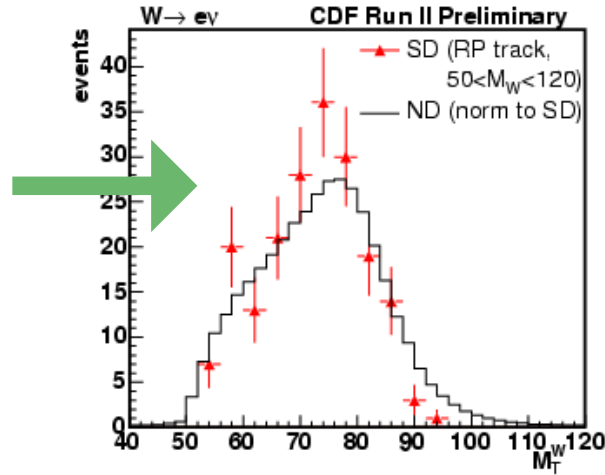


azimuthal decorrelation for CDF kinematics



work in progress...

$W \rightarrow e \nu$ Kinematics



Forward Jets and Central Gaps



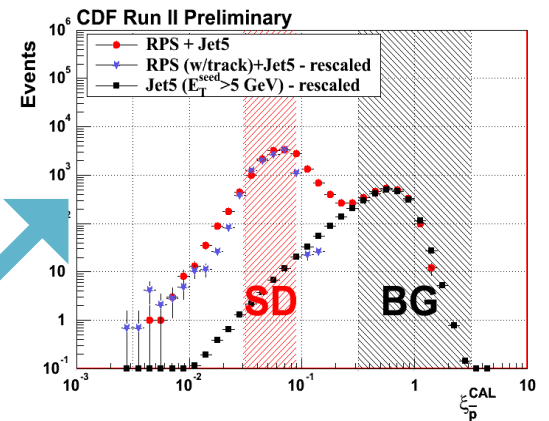
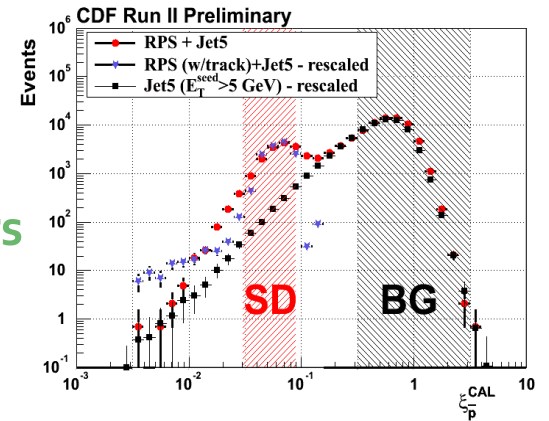
Nucl. Instrum. Meth. A518 (2004) 42.

Nucl. Instrum. Meth. A496 (2003) 333.

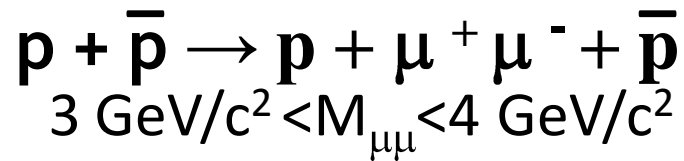
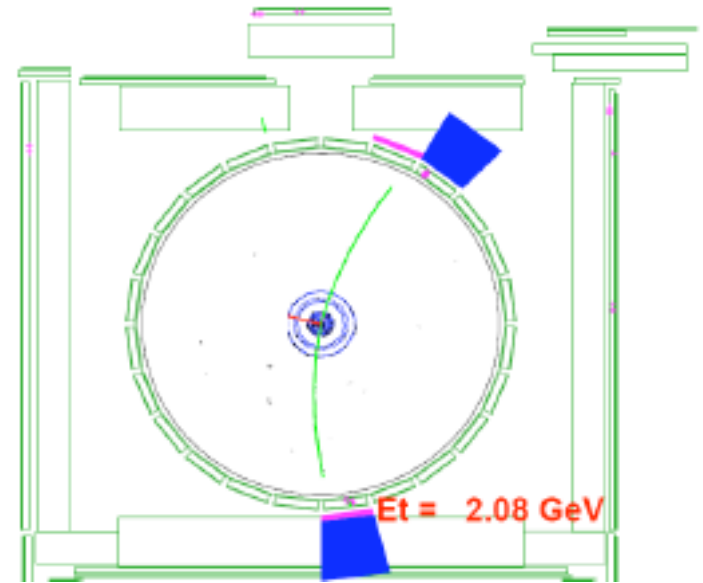
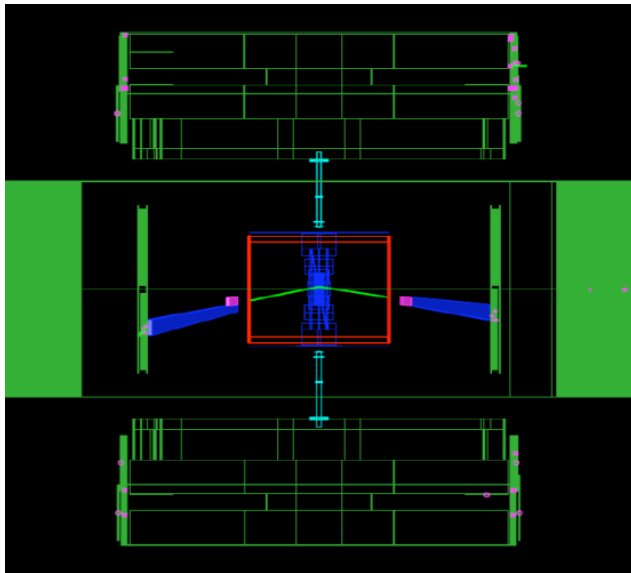


to detect forward jets
 $3.6 < |\eta| < 5.2$ we use
MiniPlug Calorimeters

for gap studies
 need
low luminosity run
 average luminosity
 $\mathcal{L} \sim 1 \times 10^{30} \text{ cm}^{-2} \text{ s}^{-1}$



Exclusive dimuon production



Trigger:

muon + track + forward rapidity gaps in BSCs

2 oppositely charged muon tracks with $p_T > 1.4 \text{ GeV}/c$, $|\eta| < 0.6$

$\varepsilon_{\text{excl}} \sim 0.093 \Rightarrow L = 1.48 \text{ fb}^{-1}$ but $L_{\text{eff}} \sim 140 \text{ pb}^{-1}$

Double Diffraction

Diffraction signature:
large central rapidity gap

Soft Diffraction

Double Diffraction

PRL 87, 141802 (2001)

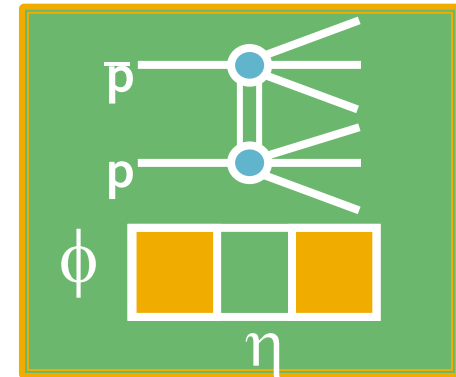
Hard Diffraction

Jet-Gap_Jet

1.8 TeV PRL 74, 855 (1995)

1.8 TeV PRL 80, 1156 (1998)

J630 GeV PRL 81, 5278 (1998)



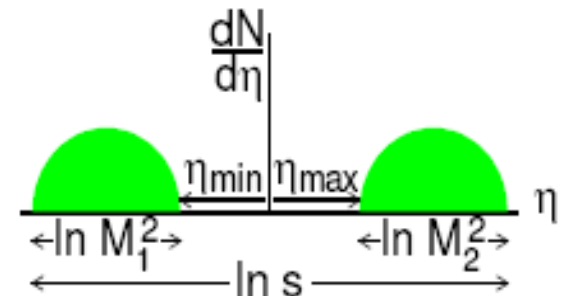
Strategy of analysis:

to look for “experimental gaps” defined as

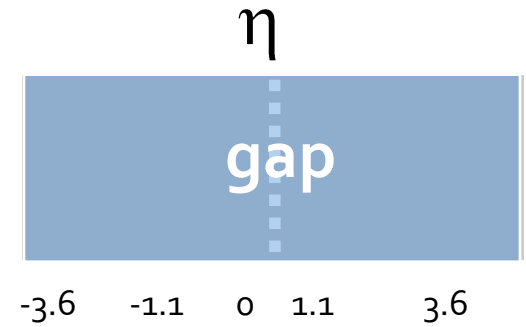
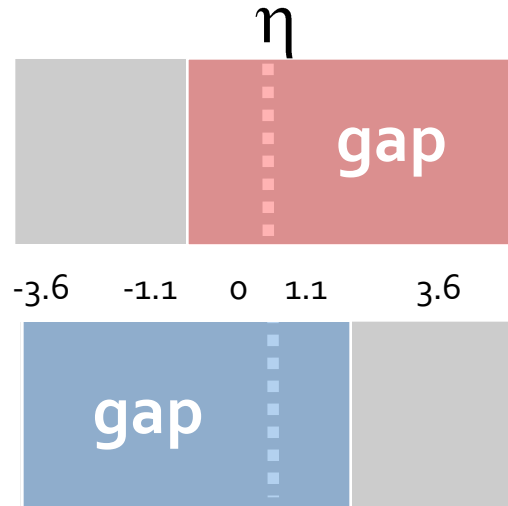
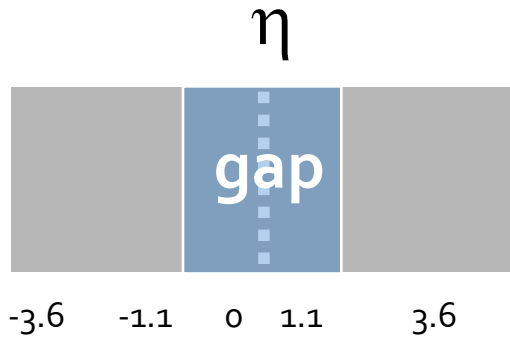
$$\Delta\eta \equiv \eta_{\max} - \eta_{\min}$$

$\eta_{\max}(\eta_{\min})$ - “particle” closest to $\eta=0$

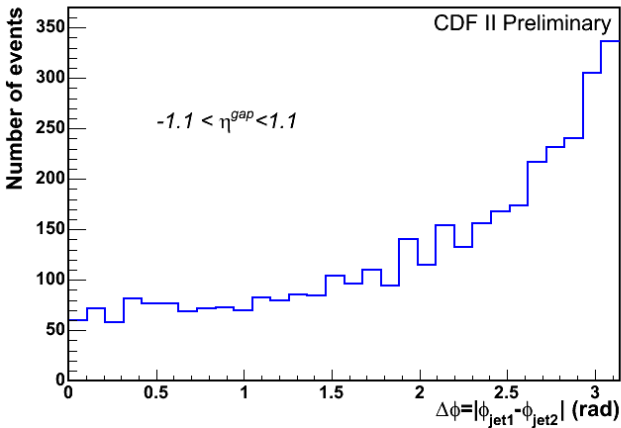
in the p(p) direction



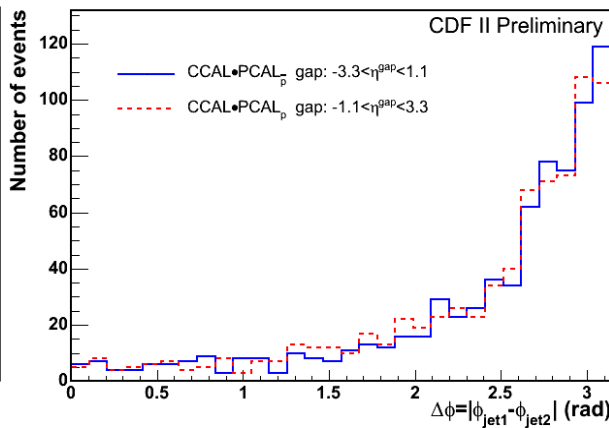
Double Diffraction



$\Delta\phi$ for $MP_p \bullet MP_{\bar{p}}$ jets with CCAL gap



$\Delta\phi$ for $MP_p \bullet MP_{\bar{p}}$ jets with CCAL+PCAL_p gap



$\Delta\phi$ for $MP_p \bullet MP_{\bar{p}}$ jets with CCAL+PCAL gap

