EPS nPDFs & heavy boson production at the LHC

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nPDFs: Testing the factorization



- Nuclear modifications in experimental cross-sections:

 σ^{bound} nucleon ≠ σ^{free} nucleon
- Various analyses indicate that such effects can be factorized to the universal nuclear PDFs: EPS09, HKN07, nDS, nCTEQ...

$$\sigma_{AB \to h+X} = \sum_{ij} f_i^A(x_1, Q^2) \otimes f_j^B(x_2, Q^2) \otimes \sigma^{i+j \to h+X}$$

Nuclear PDFs, obeying
DGLAP equations Standard pQCD
cross-sections

12 years of EPS-studies

•	1998: EKS98 (Eskola, Kolhinen, Ruuskanen, Salgado) <i>The pioneering work – demonstrated that the</i> <i>factorization works for</i> $e+A \rightarrow e + X$ (DIS) $p+A \rightarrow \mu^+ + \mu^- + X$ (Drell-Yan) <i>The "fit" was done by eye.</i>	LO
•	2007 : EKPS (Eskola, Kolhinen, Paukkunen, Salgado) <i>Reanalysis of EKS98 – automated minimization (MINUIT)</i> <i>and a first try to estimate the uncertainties.</i>	LO
•	2008 : EPS08 (Eskola, Paukkunen, Salgado) <i>Motivated by small-pT suppression of BRAHMS</i> <i>pion data, the purpose was to study how strong</i> <i>gluon suppression at small-x would be possible.</i>	LO
0	2009 : EPS09 (Eskola, Paukkunen, Salgado) <i>The analysis extended to NLO and an error</i> <i>analysis "a la CTEQ" was carried out.</i>	LO & NLO

Experimental constraints in EPS09

- Three types of data:
 - Deeply inelastic scattering: Drell-Yan dilepton production: Inclusive pion production:
- Mutual consistency between the data sets is necessary. For example:
 - HERMES DIS data display a Q²-dependence not in agreement with other data. Not used.
 - The forward rapidity pions from BRAHMS display tension with other data. Not used.
 - Combatibility of the neutrino-nucleus DIS data with the rest is still under discussion. See e.g. JHEP 1007 (2010) 032, and aXiv:1012.0286.

$$e + A \rightarrow e + X$$

 $p + A \rightarrow \mu^+ + \mu^- + X$
 $d + Au \rightarrow \pi + X$



The Framework of EPS09

The bound proton PDFs $f_i(x,Q)$ in a nucleus A are defined as $f_i^A(x,Q^2) \equiv R_i^A(x,Q^2) f_i^{CTEQ6.1M}(x,Q^2)$

MS, Zero-mass variable flavour number scheme

Our studies utilizing the SACOT-prescription (with e.g. CTEQ6.6) for the heavy quarks do <u>not</u> display large deviations from the zero-mass results in the regions constrained by the data.



The flavor-separation not well constrained by the utilized data!

The Framework of EPS09

• The optimal parameters are found by minimizing χ^2

$$\chi^{2} \equiv \sum_{N} w_{N} \sum_{i \in N} \left(\frac{D_{i} - T_{i}}{\sigma_{i}} \right)^{2}$$
Some data sets are

Some data sets are assigned an extra weight to improve the convergence of the fit. → Somewhat too optimistic nPDF errors?

• We apply the Hessian error analysis approximating the χ^2 close to the minumum by

$$\chi^2(\{a_i\}) pprox \chi_0^2 + \sum_{ij} \delta a_i H_{ij} \delta a_j = \chi_0^2 + \sum_i z_i^2$$

- The uncertainty sets of nPDFs are constructed in z-space by requiring each data set to remain roughly within its "90% confidence limits".
- Uncertainty in any nPDF-dependend quantity X can be estimated by (S₀ is the central set and S_i[±] the error sets)

$$\Delta X^{+\setminus -} = \sqrt{\sum_i \max \setminus \min \left[X(S_i^+) - X(S_0), X(S_i^-) - X(S_0), 0
ight]^2}$$



Application of EPS09 to the heavy boson production at the LHC.

arXiv:1010.5392 [hep-ph] (submitted to JHEP)

Framework: Z Production

• We look at the leptonic channel:

$$d^2\sigma \left(\sqrt{s}, \mathrm{H}_1 + \mathrm{H}_2 \to \ell^+ + \ell^- + \mathrm{X}\right)$$

 $dM^2 dy_R$

 y_R = rapidity of the lepton pair $M = M_Z$ = invariant mass of the lepton pair

- Experimentally well measurable already seen in PbPb at the LHC!
- In the leading order the cross-section reads (we do of course NLO)

$$\frac{d^2\sigma}{dM^2dy_R} = \frac{4\pi\alpha_{\rm em}^2}{9sM^2} \sum_q c_q^2 \left[q^{(1)}(x_1, Q_f^2)\overline{q}^{(2)}(x_2, Q_f^2) + \overline{q}^{(1)}(x_1, Q_f^2)q^{(2)}(x_2, Q_f^2) \right]$$
$$x_{1,2} \equiv \left(M/\sqrt{s} \right) e^{y_R, -y_R}$$

Framework: Z Production



Framework: W Production

• We look at the leptonic channel: $\frac{d^2\sigma\left(\sqrt{s}, H_1 + H_2 \rightarrow \left\{\begin{array}{c}\ell^+ + \nu\\\ell^- + \overline{\nu}\end{array} + X\right)}{\ell^{-} + \overline{\nu}}\right)}{\ell^{-} + 2}$

$$dM^2dy_R$$

$$\frac{d^{2}\sigma^{W^{\pm}}}{dM^{2}dy_{R}} = \frac{\pi\alpha_{\rm em}^{2}}{36sM^{2}\sin^{4}\theta_{\rm W}} \frac{M^{4}}{(M^{2}-M_{W}^{2})^{2}+M_{W}^{2}\Gamma_{W}^{2}} \times \sum |V_{ij}|^{2} \left[q_{i}^{(1)}(x_{1},Q_{f}^{2})\overline{q}_{j}^{(2)}(x_{2},Q_{f}^{2})+\overline{q}_{j}^{(1)}(x_{1},Q_{f}^{2})q_{i}^{(2)}(x_{2},Q_{f}^{2})\right]$$

$$x_{1,2} \equiv (M/\sqrt{s})e^{y_R, -y_R}$$

The missing neutrino momentum cannot be fully reconstructed, so this is not directly observable. However, one can show that in leading order

$$E\frac{d^3\sigma^{h_1h_2\to\ell^{\pm}+X}}{d^3p}\Big|_{p_T=\frac{M_W}{2}} \propto \frac{d^2\sigma^{W^{\pm}}}{dM^2dy_R}\Big|_{M=M_W}$$

The results I present roughly apply also to charged lepton production.

Z Production in p+Pb Collisions



Z Production in p+Pb Collisions

Look at the ratio

$$\frac{d^2\sigma^{Z,y_R}}{dM^2dy_R} / \frac{d^2\sigma^{Z,-y_R}}{dM^2dy_R}$$

- Sizable effect from nuclear Modifications to the PDFs!
- The free proton uncertainties cancel to large extent!
- No normalization problems (e.g. luminosity)



W Production in p+Pb Collisions



W Production in p+Pb Collisions

The nuclear effect in rapidity asymmetry ratio is much smaller than in Z production.

$$\frac{d^2\sigma^{W^{\pm},y_R}}{dM^2dy_R} / \frac{d^2\sigma^{W^{\pm},-y_R}}{dM^2dy_R}$$



W Production in p+Pb Collisions

Large nuclear effect with a Iarge uncertainty already at the midrapidity.

Due to the "flavor-blind" parametrization of the nuclear \bigcirc modifications in EPS09, these uncertainties are, however, only lower limits.



Z Production in Pb+Pb Collisions



Unlike in p+Pb, in Pb+Pb the spectra are symmetric in rapidity.

Z Production in Pb+Pb Collisions



 Normalizing by the rapidity-integrated cross-section reduces especially the free proton uncertainties.

Z Production in Pb+Pb Collisions



Normalizing by a reference cross-section from p+p collisions brings up
 the nuclear effects. The free proton uncertainties estimated from a interpolation 7 Tev → 2.7 & 5.5 TeV.

W Production in Pb+Pb Collisions



Conclusions

The p+Pb collisions at the LHC would be <u>extremely</u> useful to study the nuclear effects in PDFs. Large effects expected in quantities:

 $\frac{d^2 \sigma_{\mathrm{pPb}}^{Z,y_R}}{dM^2 dy_R} / \frac{d^2 \sigma_{\mathrm{pPb}}^{Z,-y_R}}{dM^2 dy_R}$ $\left[\frac{d^2 \sigma^{W^+,y_R}}{dM^2 dy_R} - \frac{d^2 \sigma^{W^+,-y_R}}{dM^2 dy_R}\right] / \left[\frac{d^2 \sigma^{W^-,y_R}}{dM^2 dy_R} - \frac{d^2 \sigma^{W^-,-y_R}}{dM^2 dy_R}\right]$

Nuclear effects in Pb+Pb are more difficult to extract. A baseline from p+p
 collisions would be needed to better see the nuclear effects in PDFs. The Z production probably more useful than the W production.