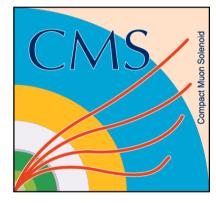




CMS results on diffraction and low-x





Grzegorz Brona (CERN) on behalf of CMS Collaboration

2.12.2010

MPI@LHC 2010: 2nd International Workshop on Multiple Partonic Interactions at the LHC



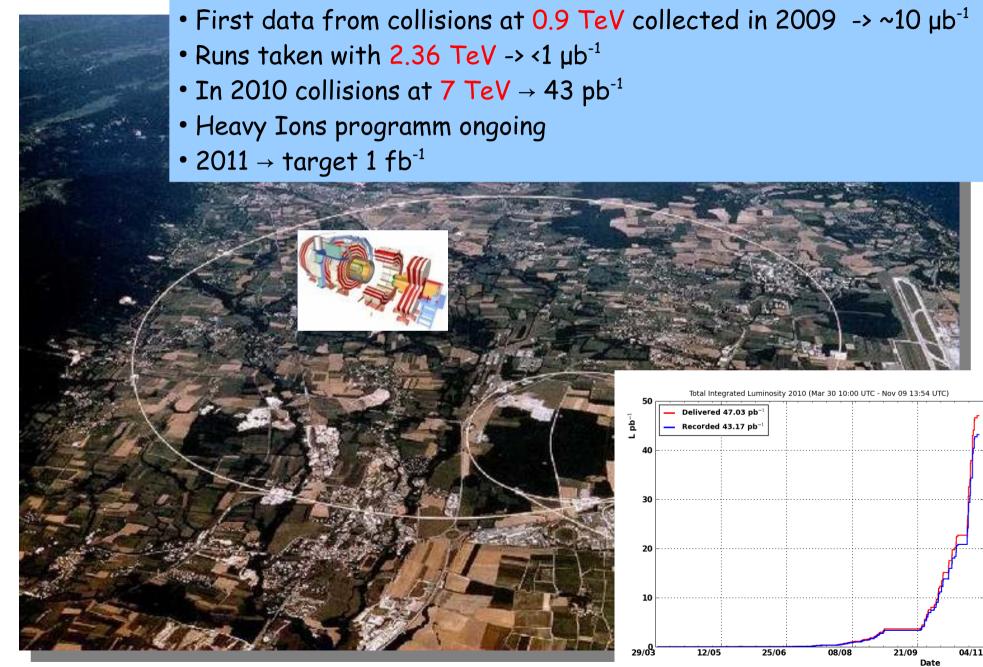


The Outline

- Apparatus
- Observation of inclusive diffraction
- Observation of hard diffraction
- Energy flow in the forward region
- Forward jets spectrum
- Outlook and Summary

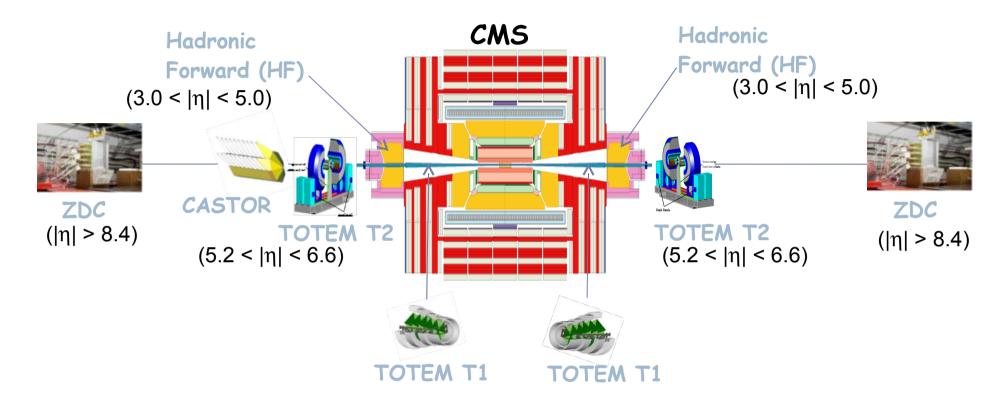


CMS and LHC





The CMS detector



- Hadronic Forward calorimeters (HF)
- Zero Degree Calorimeter (ZDC)
- Centauro And STrange Objects Research (CASTOR) - calorimeter

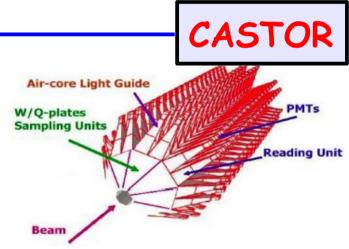
- TOTEM separate experiment:
 - T1 in front of the HF, 7.5 m from IP
 - T2 in front of CASTOR, 13.6 m from IP
 - RP 147 & 149 and 216 & 220 m from IP

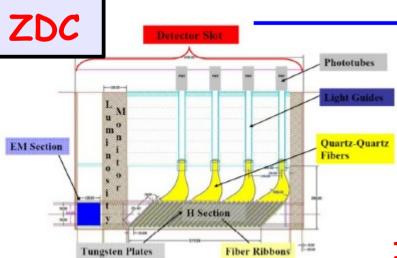
The CMS forward detectors



- Located at 11.2 m from IP
- Rapidity coverage: $3 < |\eta| < 5$
- + 0.175x0.175 segmentation in η and φ
- Steel absorbers and embedded radiation-hard quartz fibers for fast collection of Cherenkov light
- Located at 14.3 m from IP
- Rapidity coverage: $-6.6 < \eta < -5.2$
- Segmentation in φ (16 sectors)
- 14 modules (2EM+12HAD)

• Alternate tungsten absorbers and quartz plates





- Located at 140 m from IP
- Rapidity coverage: |n| > 8.1
- Tungsten/quartz Cherenkov calorimeter with separated EM and HAD sections
- Detection of neutrals (γ , π^0 , n)

In the presented analyses CASTOR and ZDC not used

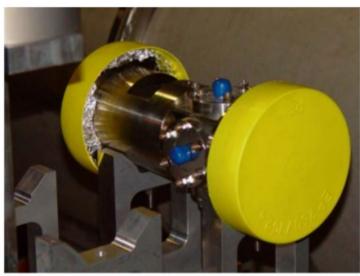


Minimum Bias Triggers

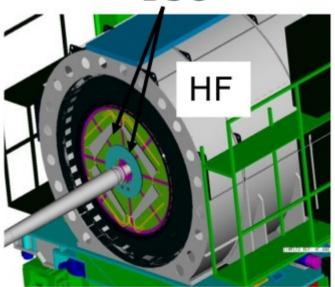
- Beam Pick-up Timing for eXperiments BPTX
- 175 m from interaction point (both sides)
- Designed to provide precise info on the bunch structure and timing of the incoming beam
- Trigger formed if one (two bunches) present

- Beam Scintillator Counters BSC
- 10.86 m from interaction point (both sides)
- Each BSC is a set of 16 tiles
- Designed to provide hits and coincidence rates

BPTX



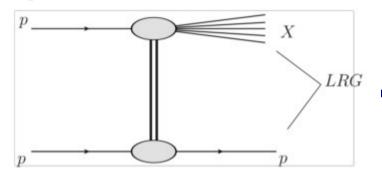
BSC



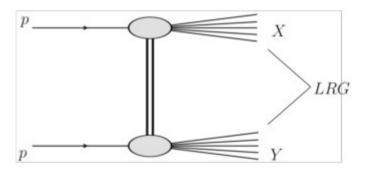


Diffraction at CMS

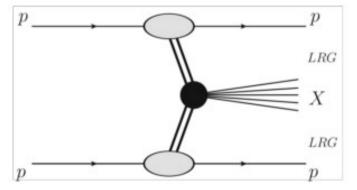
Single-diffractive dissociation SD

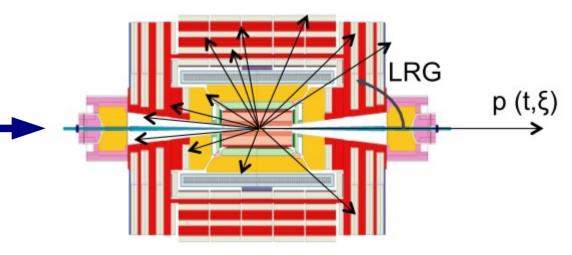


Double-diffractive dissociation DD



Central-diffractive dissociation CD





- Diffractive events are an important fraction of MB events
- Without hard scale set soft diffraction
- Large differences between the models implemented in Monte Carlo generators
- Observation and measurement of soft diffraction characteristic an important ingredient of models testing and tuning



Event selection

Selection on trigger

- Coincidence of signals in BPTX (presence of two proton bunches)
- Activity at least in one BSC (at one side of CMS)

General selection

- \bullet Vertex with at least 3 tracks and with |z| < 15 cm
- Rejection of beam halo events
- Rejection of beam background events
- Rejection of events with large signals consistent with noise in HCAL

At 0.9 TeV : 207 000 events selected

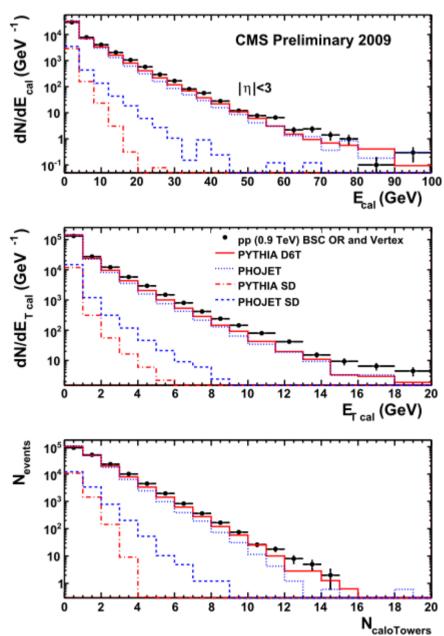
At 2.36 TeV : 11 800 events selected

with residual contamination of beam-gas < 1% (estimated from non-colliding bunches)



Control plots

0.9 TeV



Energy distribution in calotowers in central CMS calorimeters (excl. HF)

Transverse energy distribution in calotowers in central CMS calorimeters (excl. HF)

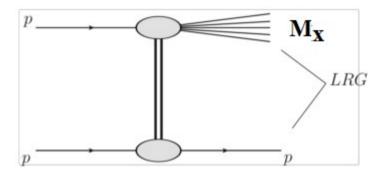
Multiplicity of calotowers in central CMS calorimeters (excl. HF) , treshold of 3 GeV

All distributions – uncorrected MC normalised to data



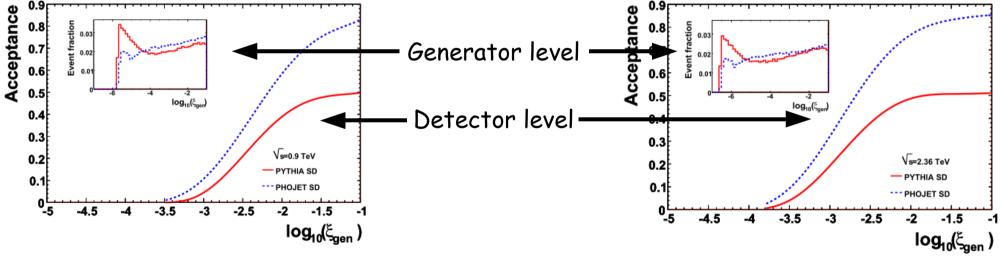
Acceptance for SD

Acceptance as a function of ξ (fractional momentum loss of the scattered p):



$$\xi = (M_x)^2 / S$$

PYTHIA and PHOJET different modeling of diffraction \rightarrow different selection efficiency



Inefficiencies for:

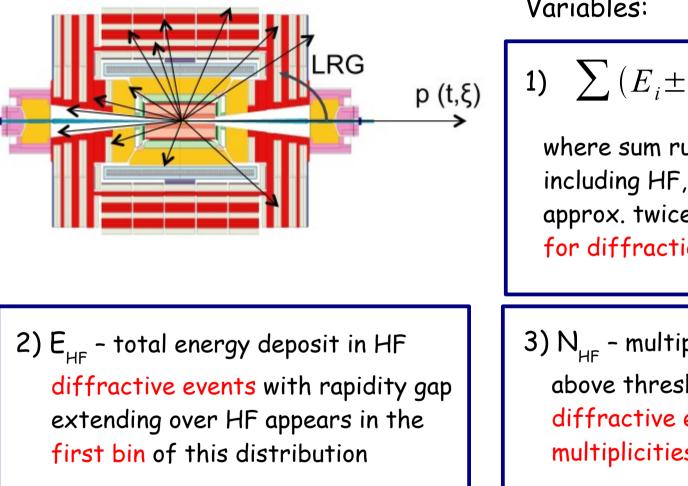
low $\boldsymbol{\xi} \rightarrow escape$ undetected low charge activity

SD efficiency:

 $\begin{array}{rcl} 0.9 \ \text{TeV} & \rightarrow & 18\% \ (\text{PYTHIA}), \ 32\% \ (\text{PHOJET}) \\ 2.36 \ \text{TeV} & \rightarrow & 20\% \ (\text{PYTHIA}), \ 37\% \ (\text{PHOJET}) \end{array}$



Observation of diffraction



Variables:

1)
$$\sum (E_i \pm p_{z,i})$$

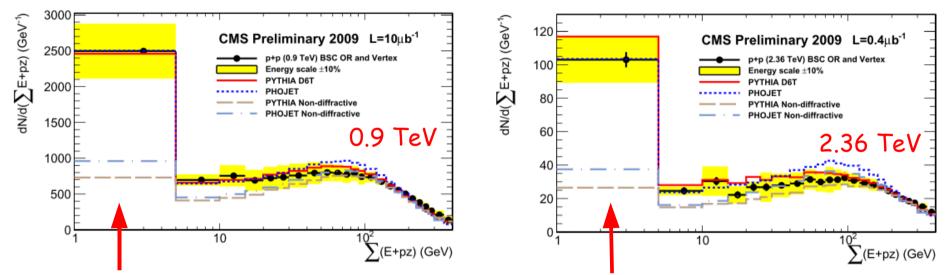
where sum runs over all calotowers including HF, $p_{z,i} = E_i \cos \theta_i$ approx. twice the pomeron energy for diffraction peaks at small values

3) $N_{\mu F}$ - multiplicity of the towers above threshold of 4 GeV diffractive events cluster at zero multiplicities

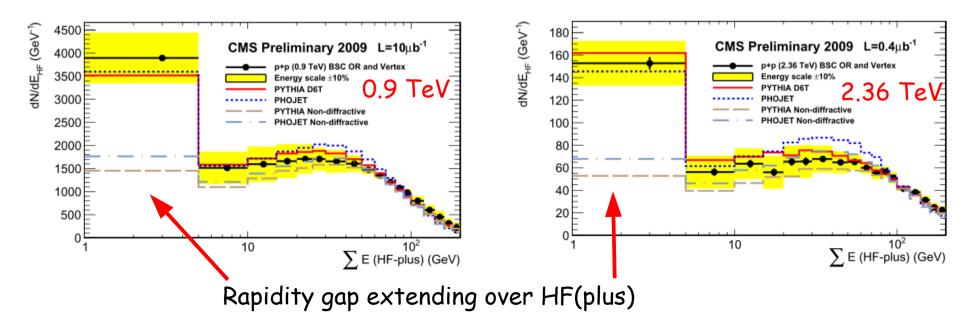
All variables are sensitive to the calorimeter energy scale uncertainty $\rightarrow 10\%$



Comparison with PYTHIA-6 (D6T tune) and PHOJET

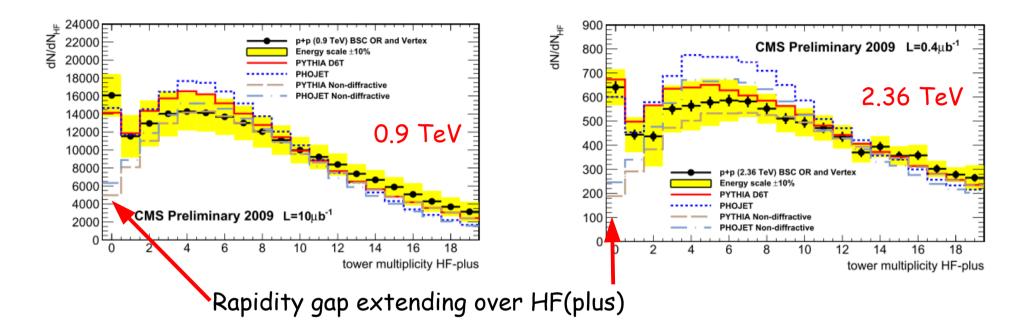


Clear sign of diffraction at both energies, in agreement with PYTHIA and PHOJET



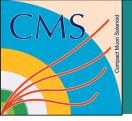


Observation of diffraction



Both - PYTHIA and PHOJET describes well inclusive spectra

PYTHIA describes better higher-energy (non-diffractive) part of spectrum

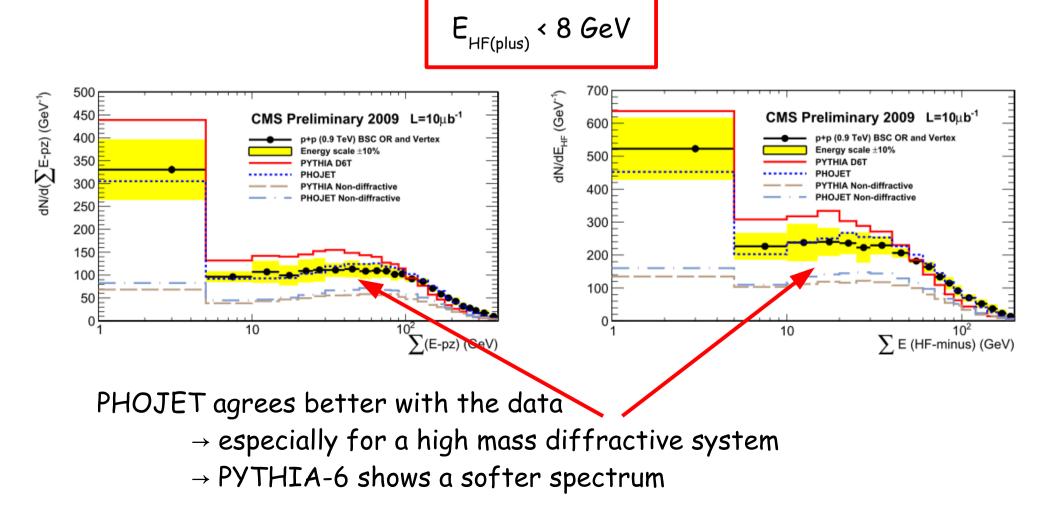


Enhancing diffractive component

Requirement: low activity at one side of HF calorimeter

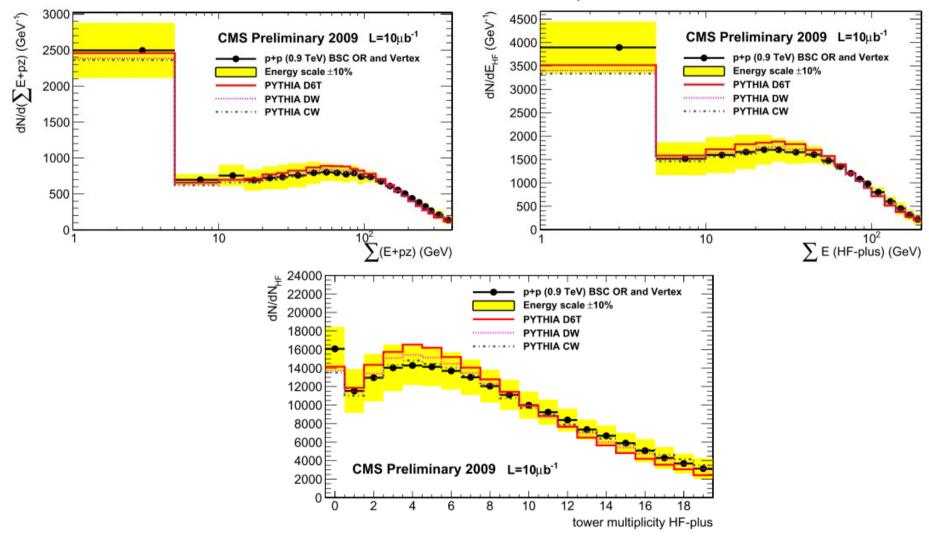
 \rightarrow SD component is enhanced in the Minimum Bias data

Test the SD diffractive component in Monte Carlo



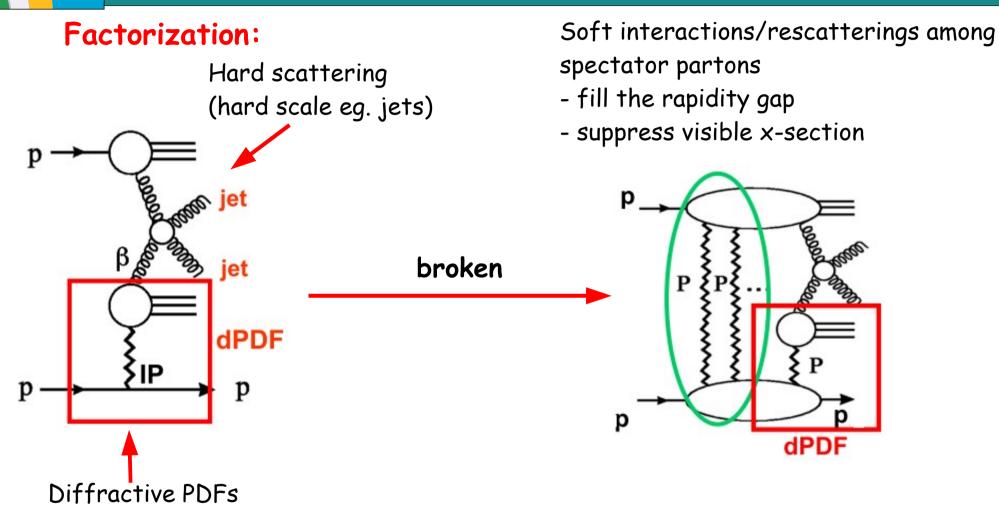
Different UE tunes

Different PYTHIA tunes: DW and CW (comparison to D6T)



Given the present systematic uncertainties, the data cannot discriminate between tunes

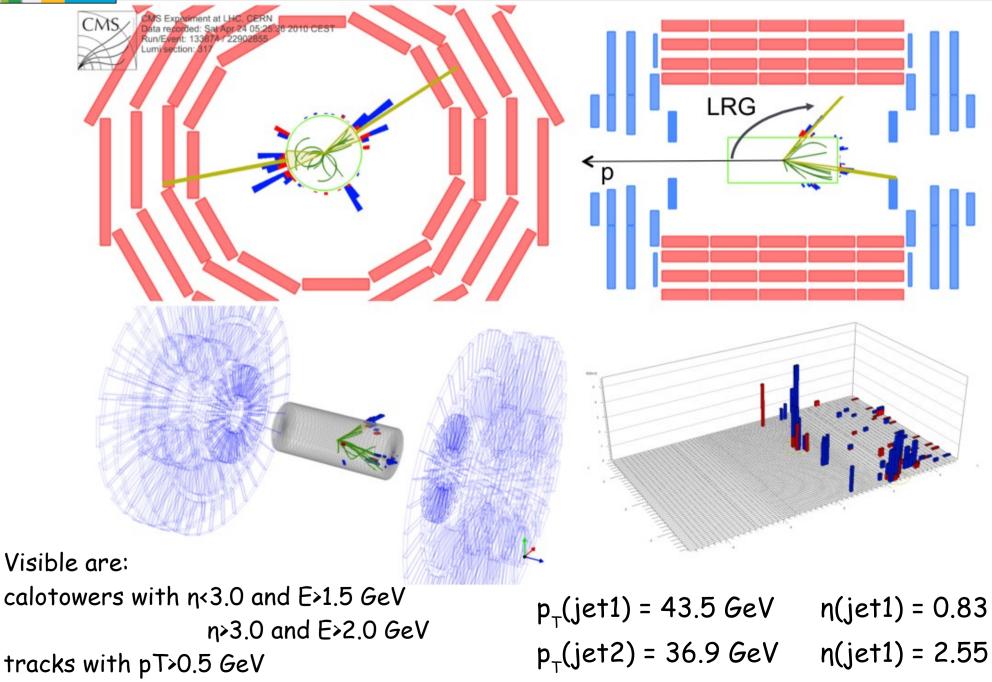
Hard diffraction



- At Tevatron suppresion of O(10%) with respect to HERA
- At LHC predictions between vary by order of magnitude
- An important measurement at early LHC

CCMS pound Service

Hard diffraction





Energy flow in the forward region

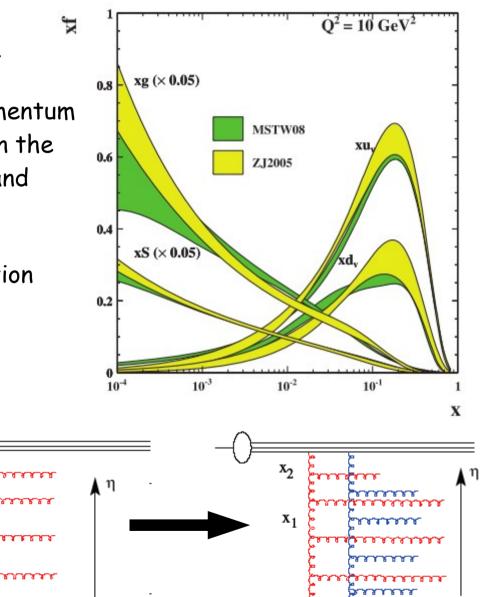
Xo

 \mathbf{X}_1

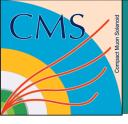
- A logical step before going to jets studies
 - but also a meaningful, new physics result
- At very large centre of mass energies, the momentum fraction of the proton carried by the partons in the hard scattering (x_1, x_2) can become very small and the parton densities become very large.
- Probability for more than one partonic interaction per event increases.



- Models implemented in Monte Carlo event generators need parameters to be adjusted to describe the measurement.
- Parameters tuned to data from Tevatron (|n|<3).



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Energy flow in the forward region

- Measurement done with Hadronic Forward calorimeter: 3.152 < |n| < 4.903
- Plans: extend it to CASTOR and to ZDC
- Three different cms energies included: 900 GeV, 2360 GeV, 7000 GeV
- The measurement done at the detector level no factors correcting it to the hadron level applied
- A comparison with the Monte Carlo generators predictions at the detector level
 - Distributions studied: $E_{FLOW}(dijet) = \frac{1}{N_{dijet}} \frac{\Delta E}{\Delta \eta}(dijet)$

$$E_{FLOW}(minbias) = \frac{1}{N_{minbias}} \frac{\Delta E}{\Delta \eta}(minbias)$$

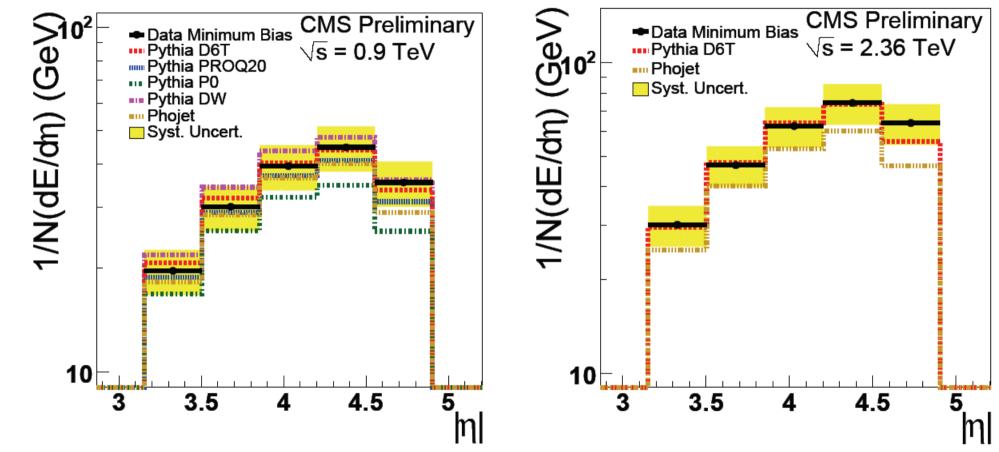
- Definition of Minimum Bias sample: all events trigger with MB trigger: activity at both sides of IP (coincidence between BSC) + vertex reconstructed
- Definition of Dijet sample: for 900/2360 GeV p₁>8 GeV, for 7000 GeV p₁>20 GeV, |n|<2.5

√s	900 GeV	2.36 TeV	7 TeV
MB sample	177475	10245	3713294
Dijet sample	433	86	4292

COMPARENT

Energy flow in the forward region

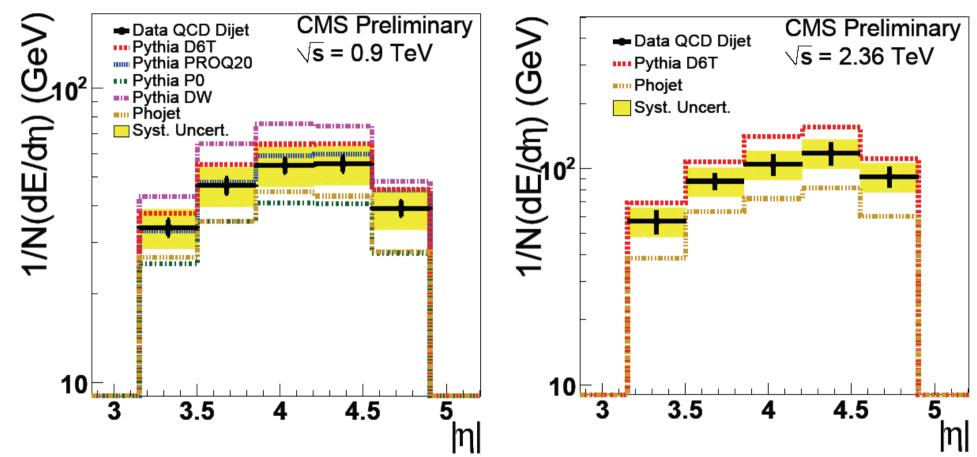
Energy flow in the Minimum Bias sample at 900/2360 GeV:



At 900 GeV the energy flow in minimum bias events is best described by the D6T tune, whereas the PROQ20, P0 tune and PHOJET is lower than the measurement.

Energy flow in the forward region

Energy flow in the Dijet sample at 900/2360 GeV:

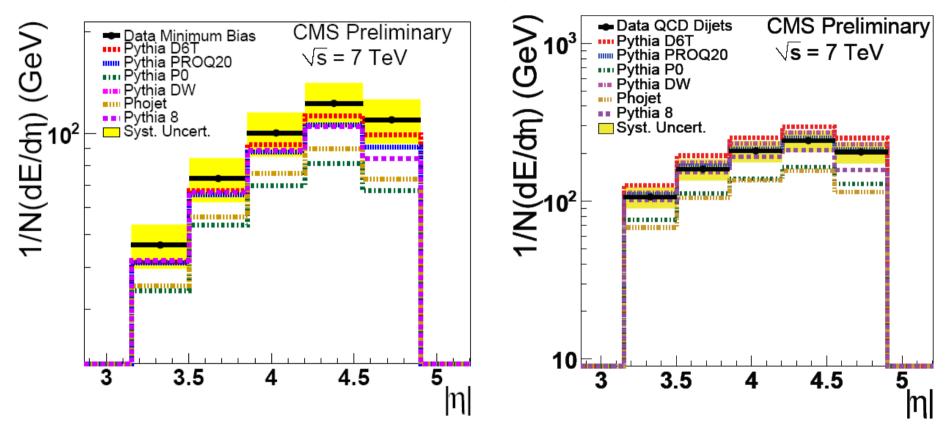


In dijet events the increase of energy flow with increasing centre-of-mass energy is reproduced by the simulations. Here, the D6T tune predicts too high energy flow, whereas the PROQ20 tune is best and the P0 tune and PHOJET is too low.



Energy flow in the forward region

Energy flow in the MB and Dijet samples at 7000 GeV:

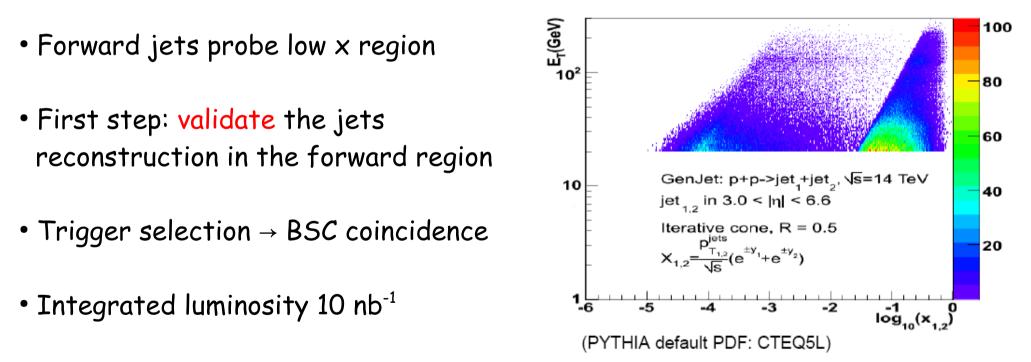


• At 7000 GeV the predicted energy flow in minimum bias events is below the measurement for all tunes, the prediction of PYTHIA8 is similar to the tune PROQ20.

• For dijet sample D6T tune predicts too high energy flow, whereas the PROQ20 tune and PYTHIA8 are best and the P0 tune and PHOJET is too low.



- Jets productions has never been investigated in such a forward region as the one covered by CMS HF calorimeter
- First measurement of forward jets in $3.2 < |\eta| < 4.7$



- Jets reconstructed with anti-kT (R=0.5) algorithm
- 35< E_{τ} <120 GeV (energy corrected for detector effects)

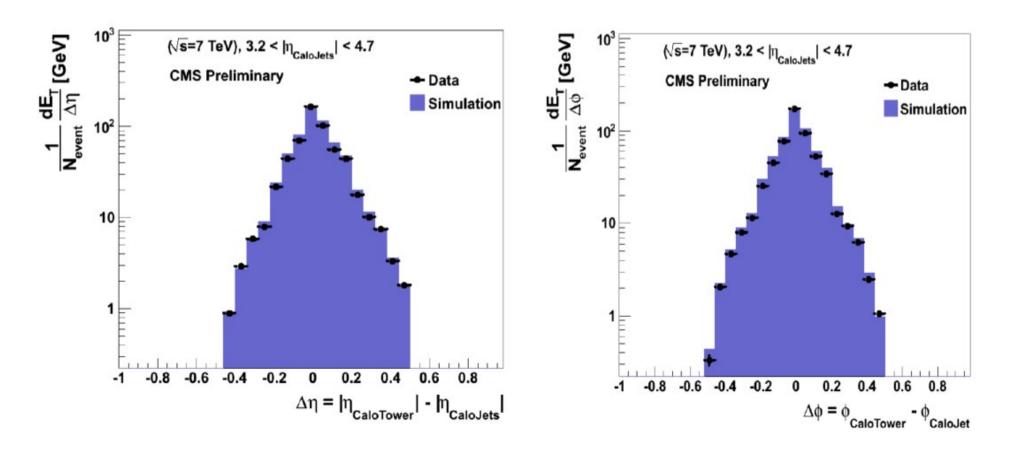


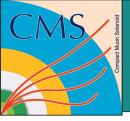
- Transverse energy ${\rm E}_{\rm T}$ flow inside jet cone – size and shape of calorimeter

jets in the forward region

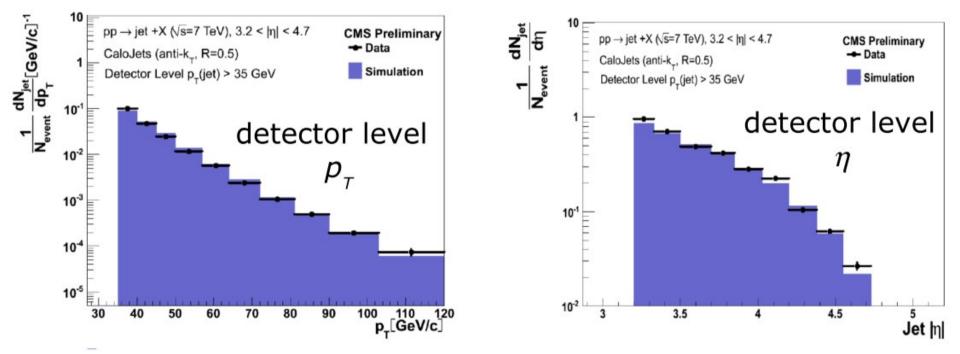
• Test of the description of data by MC - PYTHIA-6 D6T

 \rightarrow transverse energy flow well described by MC

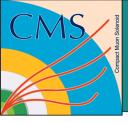




- $p_{\scriptscriptstyle T}$ and η distributions at the detector level
- No unfolding back to hadron level applied
- No systematic uncertainty taken into account
- Fair agreement between the the data and PYTHIA-6 D6T tune

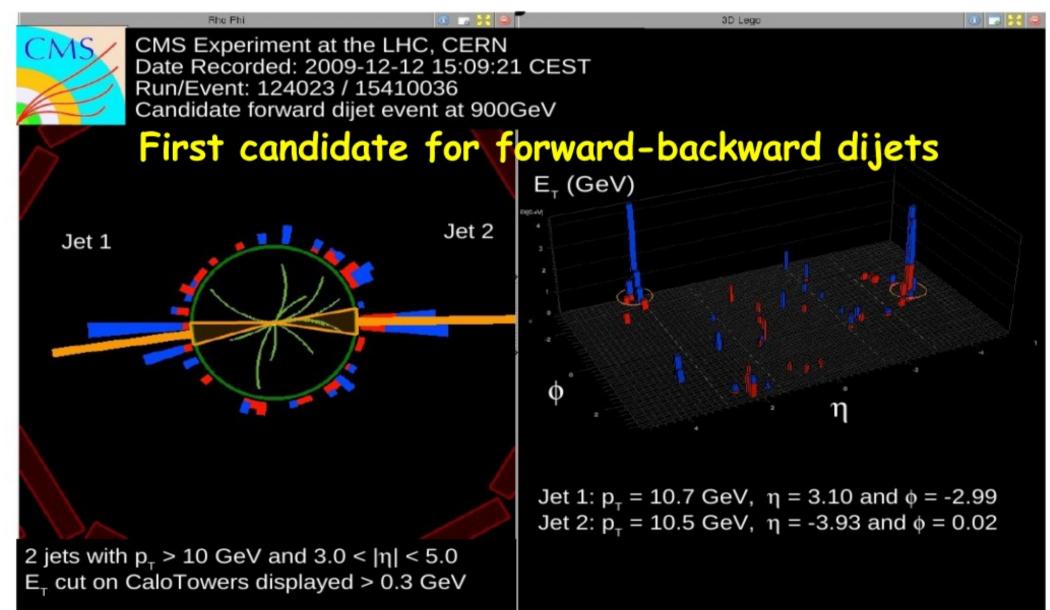


- Expected resolutions from MC:
 - $\sigma(p_{\tau})/p_{\tau} \sim 15$ % at 20 GeV, ~ 12 % at 100 GeV
 - $\sigma(\Delta\eta),\,\sigma(\Delta\phi)$ ~ 0.035 at 20 GeV, ~ 0.025 at 100 GeV



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First pairs of jets with large rapidity interval in-between observed (MN dijets)



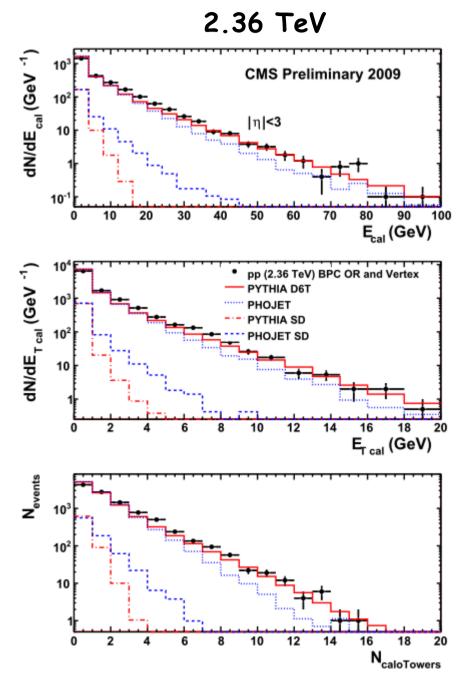


- Rediscovery of diffraction in the CMS minimum bias data: 0.9 and 2.36 TeV
- Fair agreement with the Monte Carlo models predictions
- First observation of diffractive events with a hard scale set by jets
- First measurement of the energy flow in 3.2< $|\eta|$ <4.9 for Minimum Bias sample and for events with a hard scale set by central jets
- None of the MC can describe the energy flow in all aspects, at 7 TeV the energy flow is larger than in any MC predictions
- First measurement of the jets in the 3.2< $|\eta|$ < 4.7 range \rightarrow validation of the forward jets reconstruction
- First measurement at 0.9, 2.36 and 7 TeV show very good performance of the CMS detector, especially its main forward calorimeter HF





Control plots



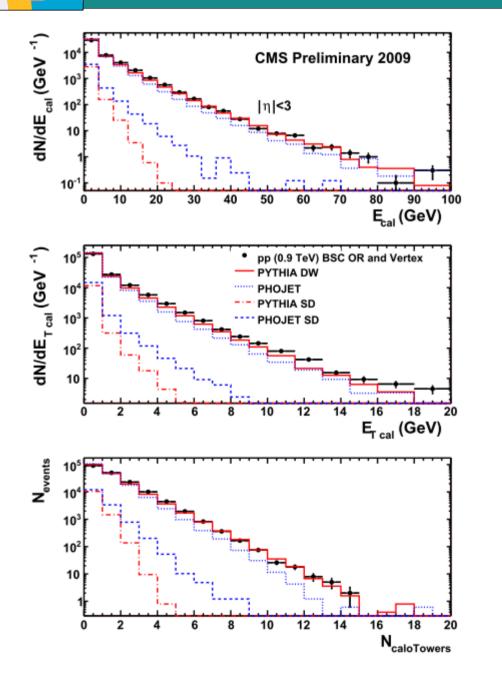
Energy distribution in calotowers in central CMS calorimeters (excl. HF)

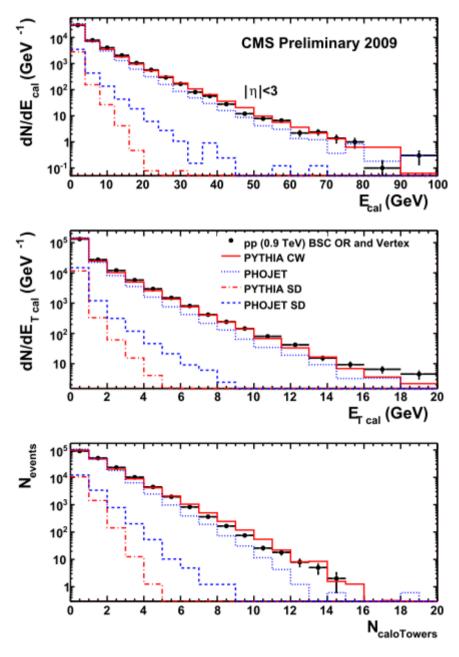
Transverse energy distribution in calotowers in central CMS calorimeters (excl. HF)

Multiplicity of calotowers in central CMS calorimeters (excl. HF) , treshold of 3 GeV

All distributions - uncorrected MC normalised to data

Control plots (tunes)







Tunes

- MPI model included in PYTHIA. The parameters of the model can be tuned different sets of parameter values define different tunes.
- Avoid differgences in hard scattering and MPI:
- Where p_{TO} is parametrized:

cattering and MPI:
$$p_T^4 \rightarrow (p_T^2 + p_{T0}^2)^2$$

 $p_{T0}(\sqrt{s}) = p_{T0}(\sqrt{s_0}) \left(\frac{\sqrt{s}}{\sqrt{s_0}}\right)^\epsilon$

• Different pdfs, cuts for ISR and FSR, fragmentation model

		D6T (108)	DW (103)	Pro-Q20 (129)	P0 (320)
pdfs		CTEQ6L	CTEQ5L	CTEQ5L	CTEQ5L
p _{t0}	PARP(82)	1.84 GeV	1.9 GeV	1.9 GeV	2.0 GeV
E	PARP(89)	1.96 TeV	1.8 TeV	1.8 TeV	1.8 TeV
ε	PARP(90)	0.16	0.25	0.22	0.26
fragmentation	standard	standard	standard	professor LEP tune	professor LEP tune
Q ² _{max} factor (ISR)	PARP(67)	2.5	2.5	2.65	1.0
Q ² _{max} factor (FSR)	PARP(71)	4.0	4.0	4.0	2.0



Tunes

 $1/\hat{p}_{T}^{4} \rightarrow 1/(\hat{p}_{T}^{2} + \hat{p}_{T_{0}})$ $\hat{p}_{T}(\sqrt{s}) = \hat{p}_{T}(\sqrt{s_{0}}) \cdot \hat{$

- Tunes of the PYTHIA generator (version 6.420): D6T, DW, Perugia-0 (P0), CW
- Pythia 8 (different model! only one tune along the lines of P0): version 8.135

PYTHIA **regularization** of the formal divergence of the leading order partonic scattering amplitude as the final state parton transverse momentum p_{τ} approaches 0: Regularization: can be interpreted as inverse of effective color screening length

S

energy dependence

Reference value: e.g. at CDF $\sqrt{s_0} = 1.8 \text{TeV}$, $\hat{p_{T_0}} = 2.0 \text{GeV}/c$

٠	Same
	parameter
	regularize
	both MPI and
	hard
	scattering:
	more MPI
	activity is
	predicted for
	smaller values
	of p _r ⁰

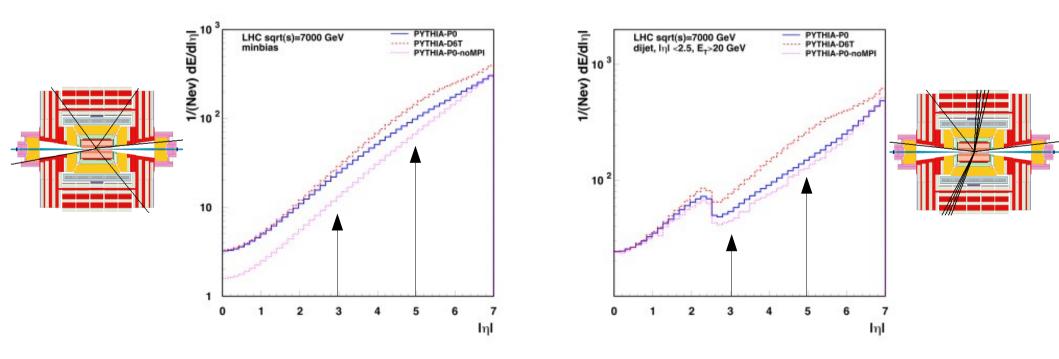
Tune	р _т º(1.8ТеV)	ε	details
D6T	1.8 GeV/c	0.16	Consider ATLAS and LHCb studies on multiplicity at SPS; CTEQ6LL Parton distributions
DW	1.9 GeV/c	0.25	Consider 630GeV & 1.8TeV CDF resultsCTEQ5L parton distributions
P0	2 GeV/c	0.26	As above + New PYTHIA MPI model; PT ordered showers;
CW	1.8 GeV/c	0.3	Ad hoc for 900GeV CMS data, maximizing MPI but still compatible with Tevatron; default PYTHIA color reconnection; Parton distributions CTEQ5L

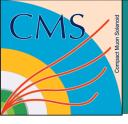


Energy flow in the forward region

- The extrapolation of models to larger |n| is very uncertain, differences up to factors 5.
- The extrapolation of models to larger energies is also uncertain.
- Provide input to the determination of the parameters for the multiparton interaction models.

Predictions at generator level for two samples and for two Pythia6 tunes with MPI and no-MPI scenario





Energy flow in the forward region

Systematic effects on the measurement:

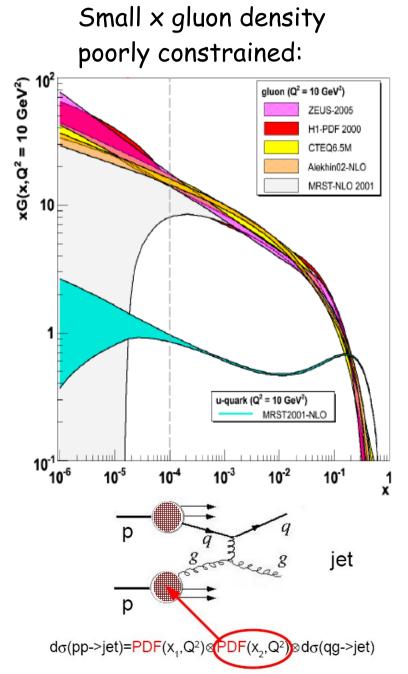
- Energy scale of HF (calibration \rightarrow 15% will improve in future)
- Position of interaction vertex
- Direct PMT hits \rightarrow 3%
- Remaining noises in HF CaloTowers
- Random channel-by-channel miscalibration
- No beam-beam interactions

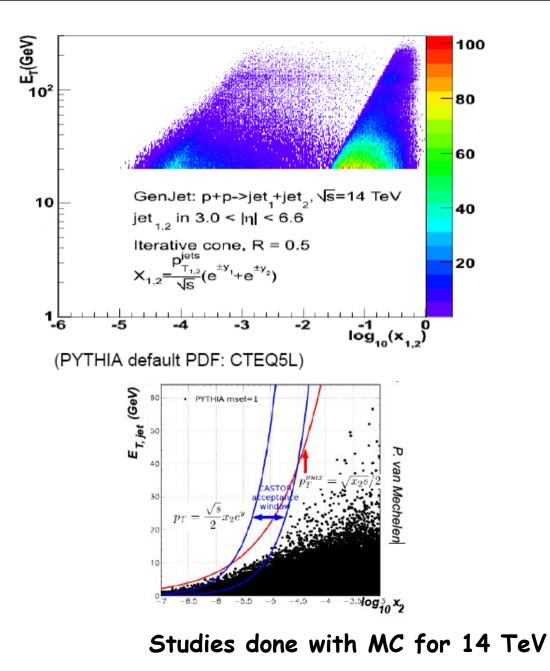
Negligible with comparison to HF energy scale

Effect	Minimum bias sample	Dijet sample
Energy scale	15%	15%
Primary vertex z position	1%	1%
Photomultiplier hits	3%	3%
Energy deposit cut in calorimeter towers	2%	2%
Channel-by-channel miscalibration	1%	1%
Total	15%	15%

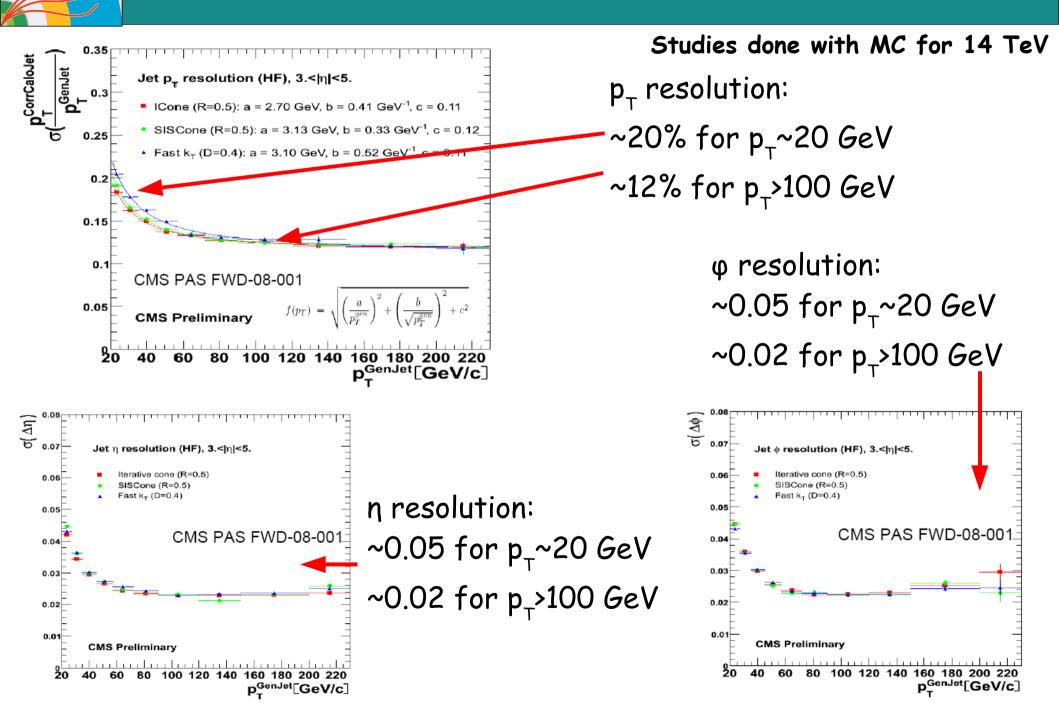


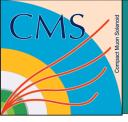
Forward Jets at CMS



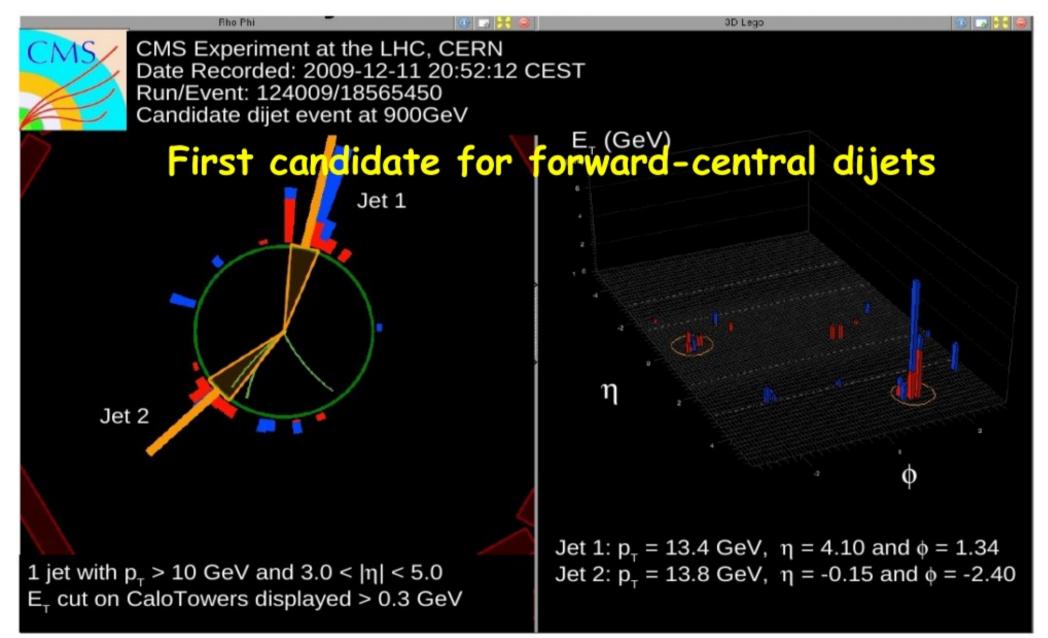


Forward Jets at CMS



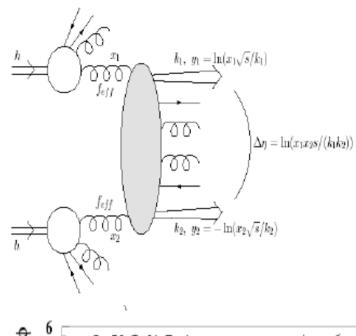


First Forward Jets from CMS

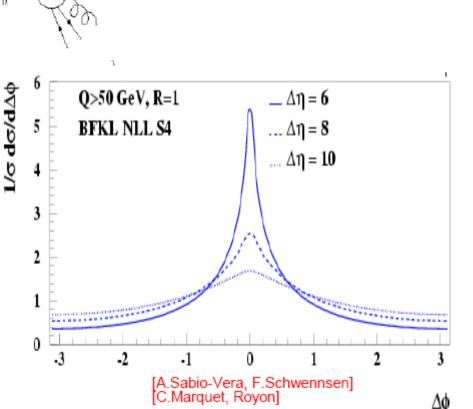


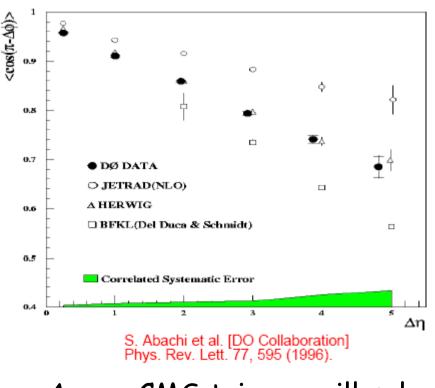


Jets correlations



- Mueller-Navelet dijets \rightarrow large Δn separation
- Testing BFKL evolution
- Extra radiation between two jets will smear back-to-back correlation
- 6-10 units in $\Delta\eta$ for HF





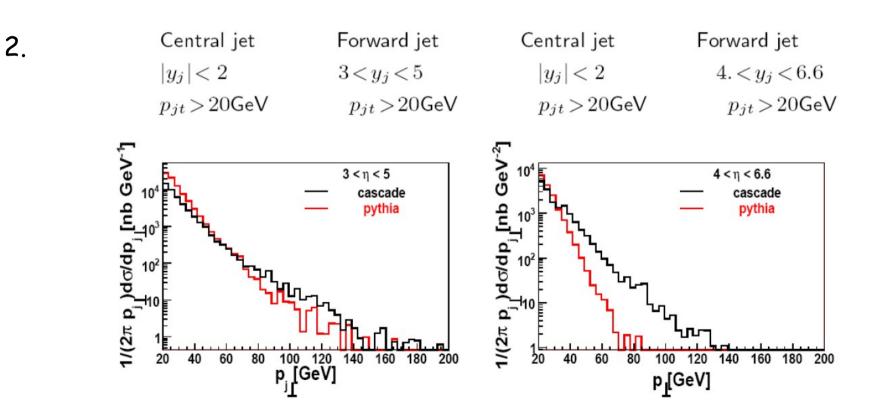
A new CMS trigger will select dijet events with large Δn



Jets correlations

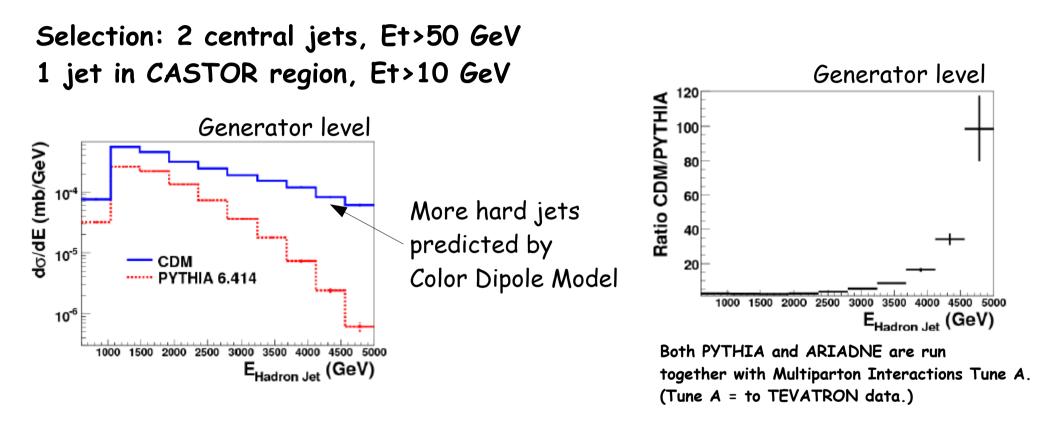
Other possible observables:

Dijet K-factor = inclusive dijet / "exclusive" dijet
 Inclusive dijet V.Kim & G. Pivovarov (96-98)
 Most forward/backward dijet A.Mueller & H.Navelet (87)





Jets with CASTOR

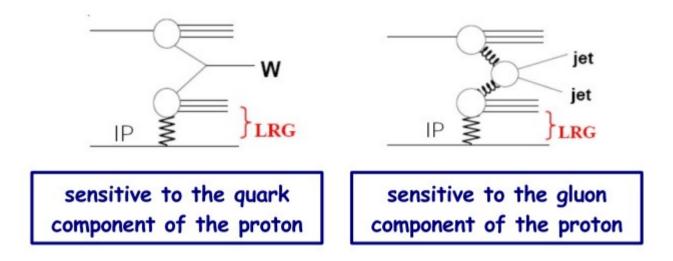


- A good tool to distinguish between DGLAP and non-DGLAP types of QCD evolution
- Also extend Mueller-Navelet studies into CASTOR acceptance

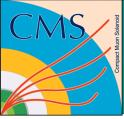


SD production of W and dijets

- Both are hard diffractive processes characterized by the presence of a hard scale and a Large Rapidity Gap in the final state.
- Sensitive to the diffractive structure function of the proton

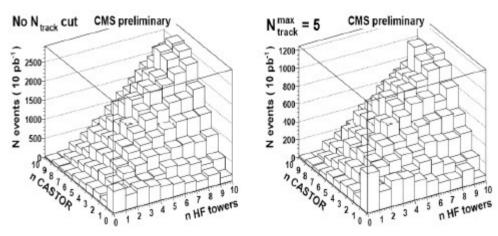


• selection of diffractive candidates using the multiplicity distributions in the central tracker and HF/CASTOR: diffractive events on average have lower multiplicity in the central region and in the "gap side"



SD production of W and dijets

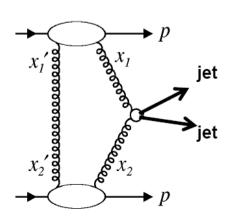
Dijets production: O(300) evts/10 pb⁻¹ in [n(Castor), n (HF)] = [0,0] bin



Diffractive events peak at zero

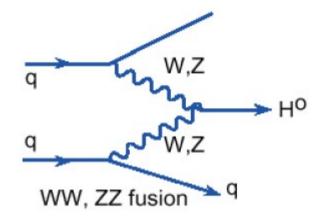
Next step: measurement of the ratio of SD to the total yields for W and dijet production giving an access to the estimation of:

- the rapidity gap survival probability
- the quark/gluon component in the diffractive PDFs of the proton



- Two jets produced exclusively
- R_{ii} = M_i/M_×variable (for CEP close to ~1)
- Observation at Tevatron (Phys. Rev. D77, 05, 2004)
- $\sigma \sim O(10)$ pb at LHC energies (large sample)
- Central two three jets production can be used to constrain Sudakov factor

Long term plans

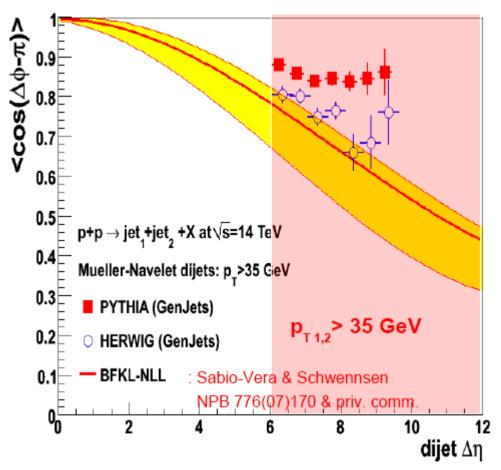


Leptonic H decay: $qqH \rightarrow jj WW \rightarrow jj IvIv$ Low activity in central region, forward jets

Graviton production in trans-Planckian regime G. Giudice, R. Ratazzi & J. Wells (99,02) t-channel gravition contribution

large mass dijet with large rapidity interval few hundred pb⁻¹

Jets correlations



Average $cos(\Delta \varphi - \pi)$ as a function of $\Delta \eta$

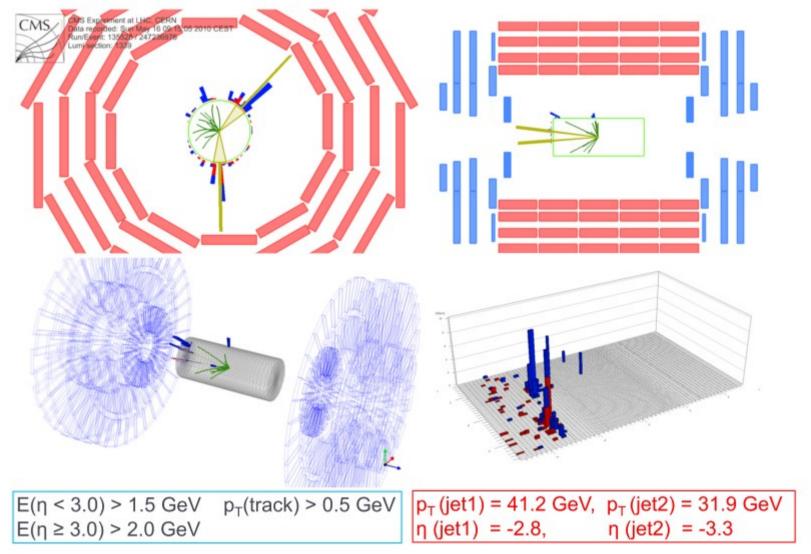
HERWIG shows ~15% more decorrelation than PYTHIA and ~20% less than BFKL analytical estimates

Parton showering & hadronization has to be taken into account



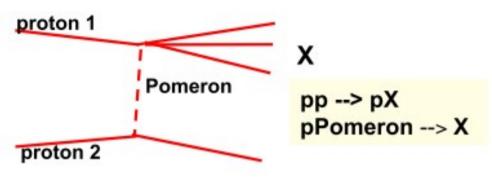
Yet another candidate...

Diffractive dijet candidate at 7 TeV



CCMS poundes month

Variable E+pz



Momentum and energy conservation: E(Pomeron) + E(proton 1) = E(X) $p_z(Pomeron) + p_z(proton 1) = p_z(X)$ • $\Sigma(E \pm p_z)$ runs over all calo towers

 Measure for the momentum of the Pomeron = momentum loss of the proton

Recall: in SD events proton loses almost none of its initial momentum.

If proton 1 moves in positive z direction: E(proton 1) - p_z (proton 1) \approx 0 (and proton 2, and Pomeron, move in the negative z direction)

Hence:

 $E(Pomeron) - p_z(Pomeron) \approx 2E(Pomeron) \approx E(X) + p_z(X)$

i.e. $\xi = 2E(Pomeron)/\sqrt{s} \approx (E(X) + p_z(X))/\sqrt{s}$