Adversarial training for density estimation: a case study in collider physics

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# Formulation

- Fast MC simulation with ML
  - GAN: CaloGAN, Z→µµ, di-jets, jets, MEM
  - Variational inference
- MC simulation as condition probability density  $p(x \mid \theta)$ 
  - ·  $\theta$  as generator-level quantities, x as reco-level quantities
  - Given any  $\theta$ , we would like to have a good approximation  $q(x \mid \theta)$  to  $p(x \mid \theta)$
- Common density estimation technique usually involves likelihood model
- Density estimation with adversarial training
- A case study with a simple example of muon reconstruction in with Delphes simulation

### Adversarial training for density estimation: a case in collider physics



- Generator as  $g(z \mid \theta) : z \to x$ 
  - Sometimes the latent variable z is of little interest
- Density estimation: approximate  $p(x | \theta)$  with  $q_{\phi}(x | \theta)$ , then do sampling in x
- Commonly-used  $q_{\phi}(x \mid \theta)$ : mixture density network
- Need to enable back-propagation by "reparametisation trick" or other techniques

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# A case study in collider physics



- Muon reconstruction with  $pp \to Z \to \mu \mu$  in Delphes simulation in CMS detector setup
- · A sample of 5 million events
  - $\theta$ :  $p_T$ , η, φ, charge
  - $x: p_T$ ,  $\eta$ ,  $\phi$ ,  $t_{flight}$ ,  $D_0$ ,  $D_z$ , positions of hits in outer tracker
- $q_{\phi}(x \mid \theta) : \theta \to x$  as a "samplable" forward feeding neural network

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## **Comparison of results**



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# Summary

- Density estimation more akin to standard Monte Carlo simulation used in collider physics
- Possible to perform density estimation with adversarial training
- Demonstrated a test case of muon reconstruction in a simple setup with Delphes simulation
  - Observed reasonably good performance
  - Possibility to re-use the discriminator information when generating synthetic samples
- Complicated  $p(x | \theta)$ , such as actual ATLAS/CMS reconstruction software, will require advanced  $q_{\phi}(x | \theta)$ , back-propagation and sampling techniques