

# $H \rightarrow \gamma\gamma$ with the IDEA calorimeter

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50k simulated  $e^+e^- \rightarrow HZ \rightarrow \gamma\gamma\nu\bar{\nu}$  collision events with the full idea geometry

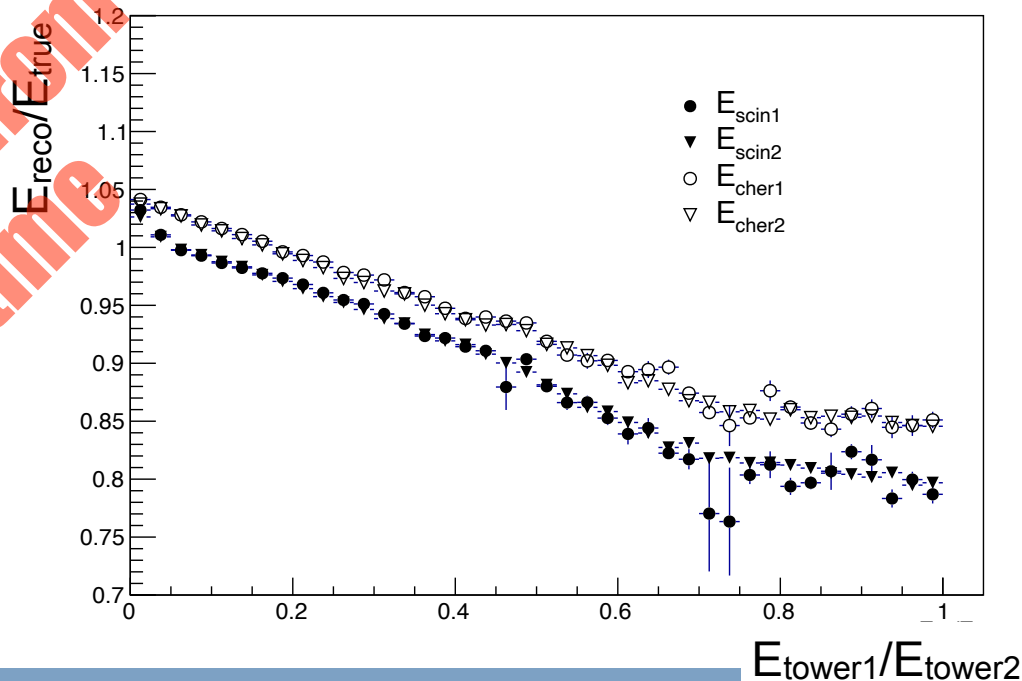
- With magnetic field, with and without the solenoid material
  - but now focusing on the events with no solenoid
- Not using the full calorimeter granularity, rather the “coarse” one.
- Calibration constants from single electrons applied to all towers.
  - Update using the calibration constants for G4 10.5p1
- The idea is to study the calorimeter response to photons using the Higgs boson as a candle.

- Understanding the mass resolution:
  - **Response fine scan:**  $5 \text{ M } H \rightarrow \gamma\gamma$  events at Sussex (can make the events available for everyone if needed).
    - Three days to get to 95% of jobs done
    - Events used to a fine analysis of the detector response to photons
  - Comparison with single particle simulation:
    - A full energy scan of photons in one random tower

# Step 2 - calibration based on tower energy share

It is known that EM energy scale depends on impact point of the photon on the calorimeter

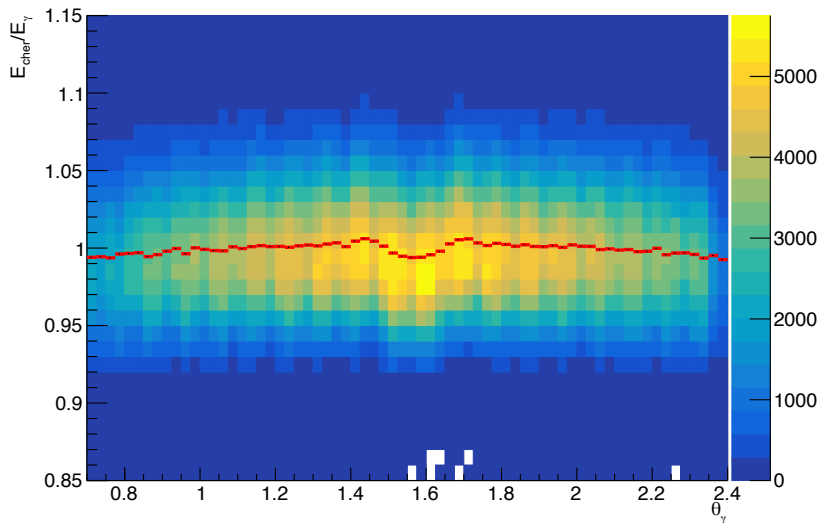
- tower constants derived by looking at single particle response shoot in the tower centre
- > Plot the energy the photon response as a function of energy share between the photon.
- Apply this as an additional calibration (by reading the calibration constant directly from this histogram)



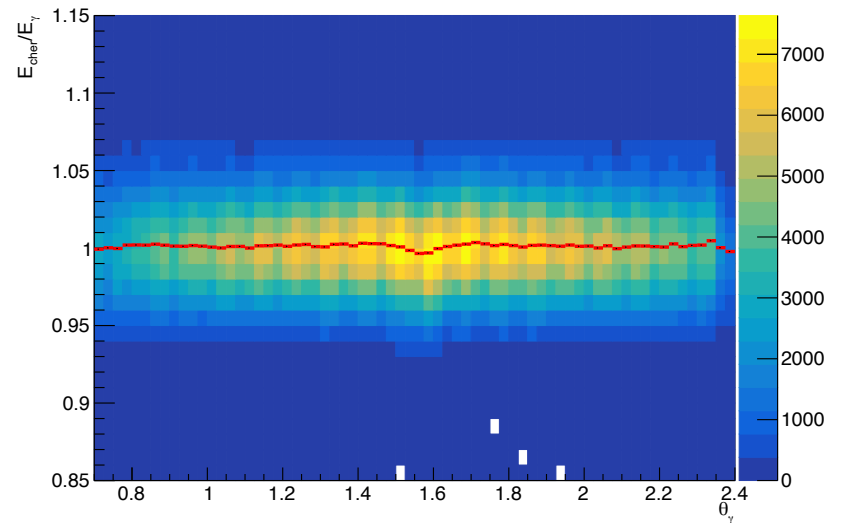
# Fine eta calibration scan

- All plots include the correction for the energy share between the two leading towers.
- Look at the photon response Vs theta. Is the response uniform?
- Derive a second correction:  
Flatten the response at 1 as a function of theta

Leading photon - scintillation signal



Leading photon - cherenkov signal



My photon energy is

$$E(\theta, E_{\text{share}}) = \alpha(E_{\text{share}})\beta(\theta) \sum_{i \in \text{jet}} c_i n_i$$

$n_i$  → number of photons in tower  $i$

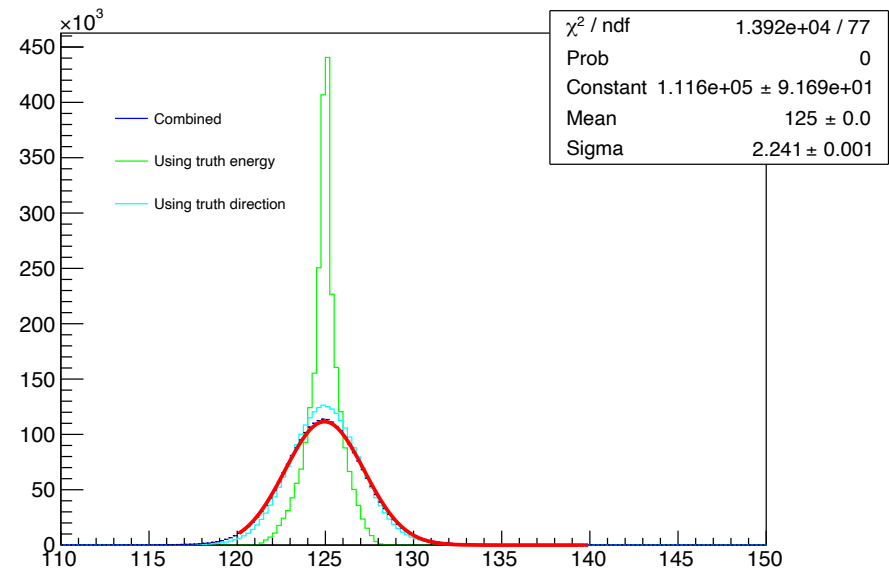
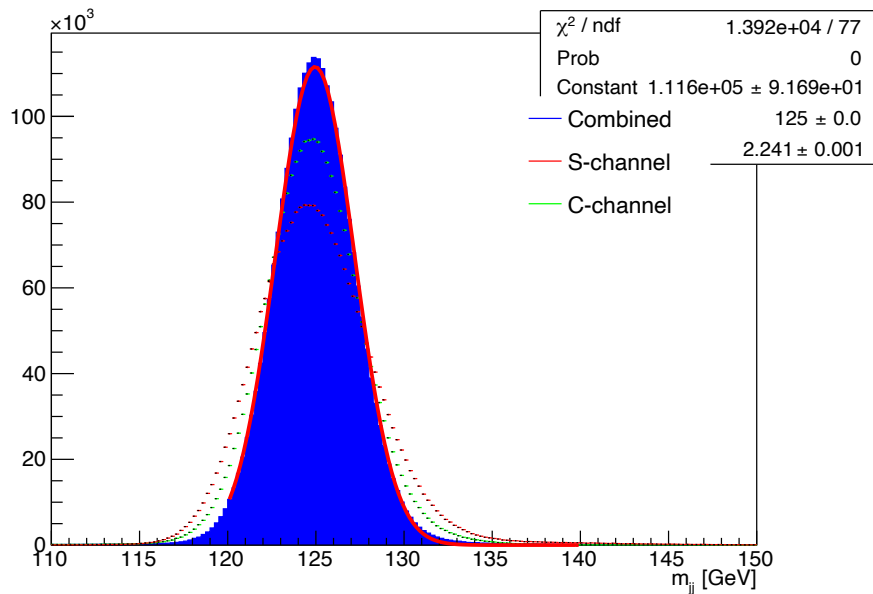
$E_{\text{share}} = \frac{E_1}{E_0}$  → energy ratio of the two most energetic towers

$c_i$  → GeV/number of photons (derived with single electrons)

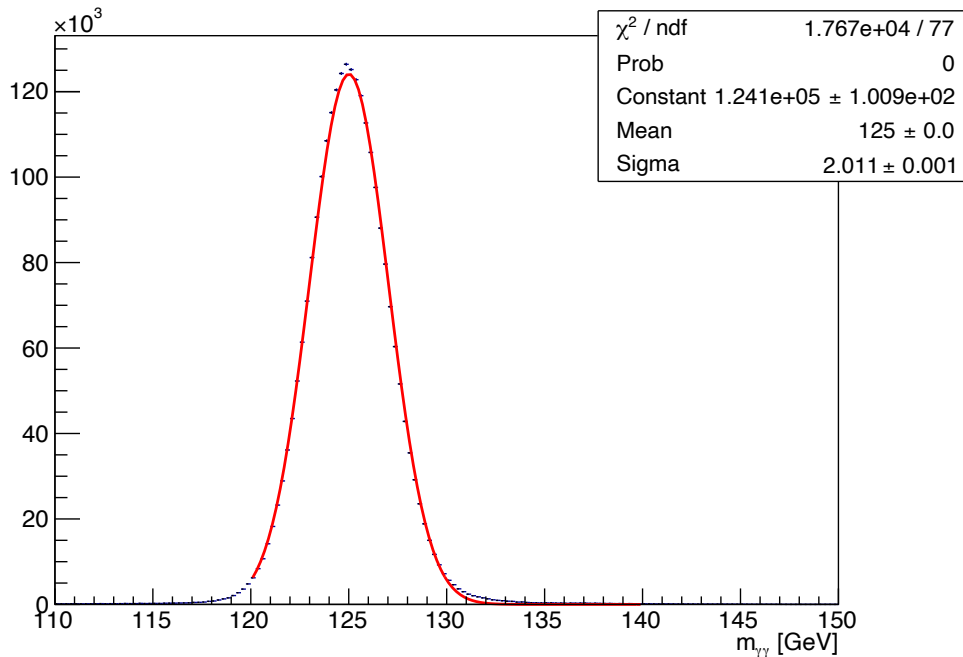
$\alpha(E_{\text{share}})$  → Correction for impact point in the tower - derived using truth, but in principle obtainable from  $Z \rightarrow e^+e^-$

$\beta(\theta)$  → residual theta correction

## Cherenkov and scintillation jet combined with a simple arithmetic average



# Neglecting angular resolution



Reminder: 2 GeV on mass mean  
 $2/\sqrt{2} = 1.4$  GeV on the energy.  
 Assuming 60 GeV photons this  
 means 2.3% in energy.

Calibration applied	Higgs boson mass resolution (GeV)
$\sum_{i \in \text{jet}} c_i E_i$	2.89
$\beta(E_{\text{share}}) \sum_{i \in \text{jet}} c_i E_i$	2.29
$\alpha(\theta) \beta(E_{\text{share}}) \sum_{i \in \text{jet}} c_i E_i$	2.24
$\alpha(\theta) \beta(E_{\text{share}}) \sum_{i \in \text{jet}} c_i E_i$ and use truth direction	2.01

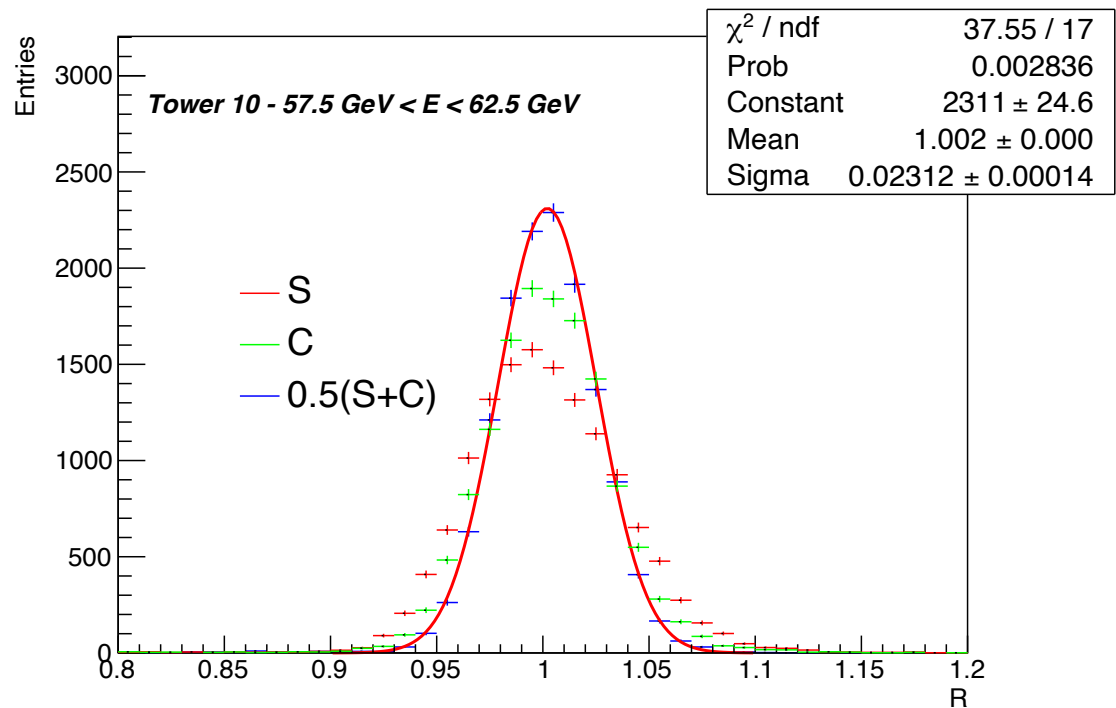


# Verifying response in one tower

$R = \frac{E_\gamma^{\text{reco}}}{E_\gamma^{\text{truth}}}$ , histogram filled with  $55 \text{ GeV} < E_\gamma^{\text{truth}} < 65 \text{ GeV}$ , truth level photon direction

$\theta_\gamma, \phi_\gamma$  such as to get all photons in a specific tower

Next step is to  
double check the  
resolution with  
single particles



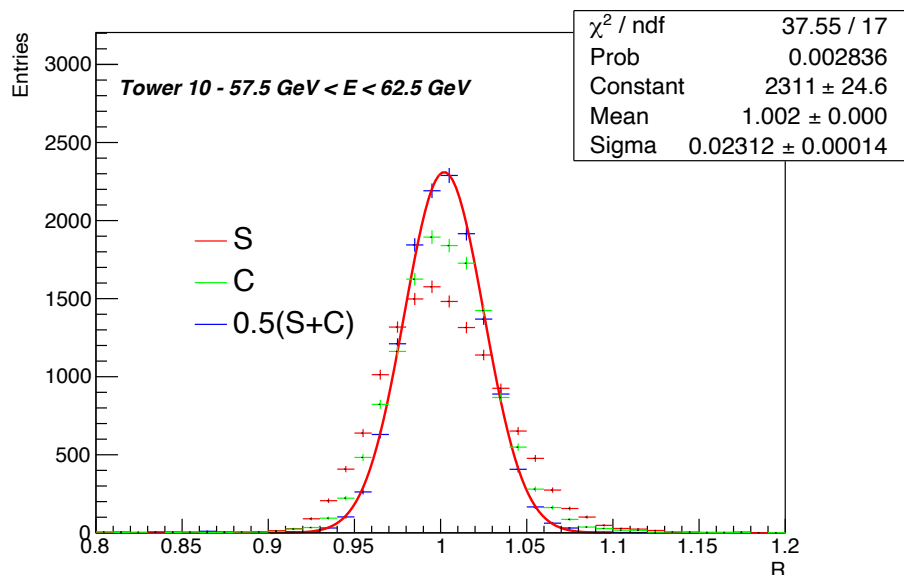
Generated **5000 E=60 GeV single photon events** in tower 10. The beam is **pencil-like**.

Despite applied calibration,  $H \rightarrow \gamma\gamma$  single photon energy resolution **about 20% worse** than in single particle configuration. Why?

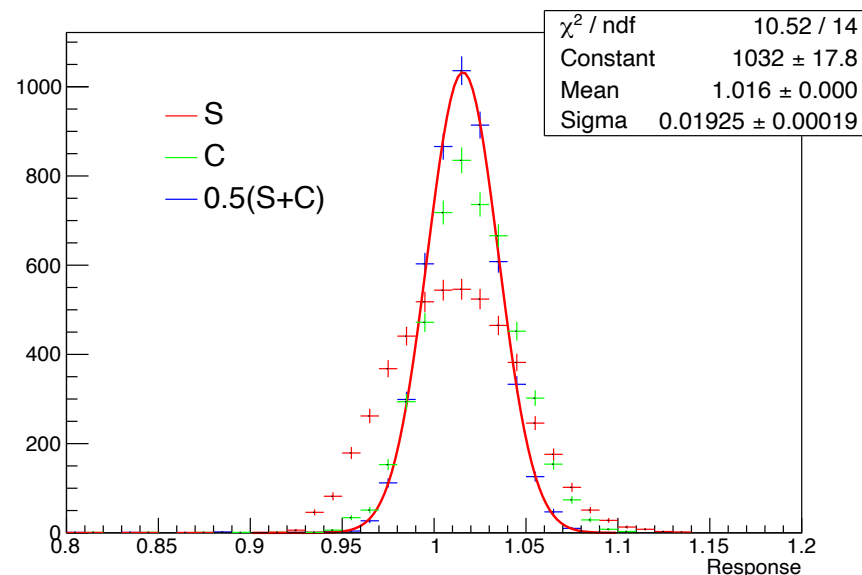
- Hp: degradation of the resolution with the impact point (the  $\beta(E_{\text{share}})$  correction).

Study the **single particle resolution** at 60 GeV as a function of the **beam opening angle**.

$H \rightarrow \gamma\gamma$

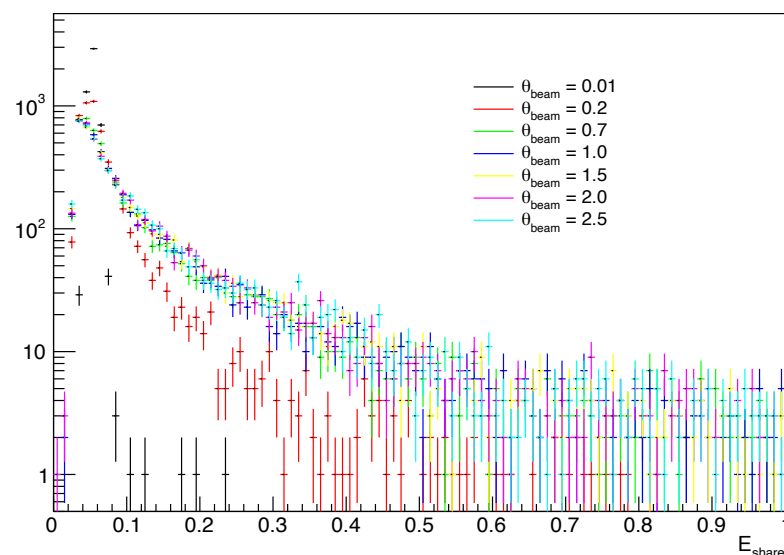
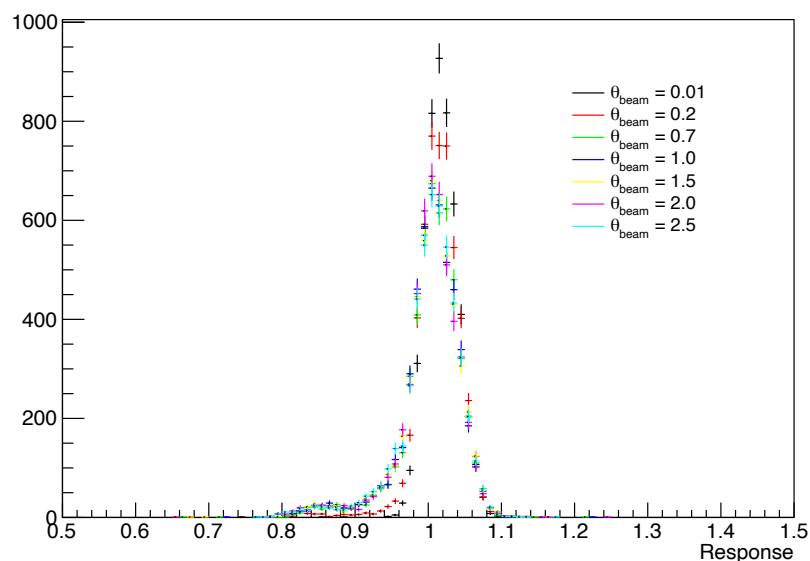


Single particle



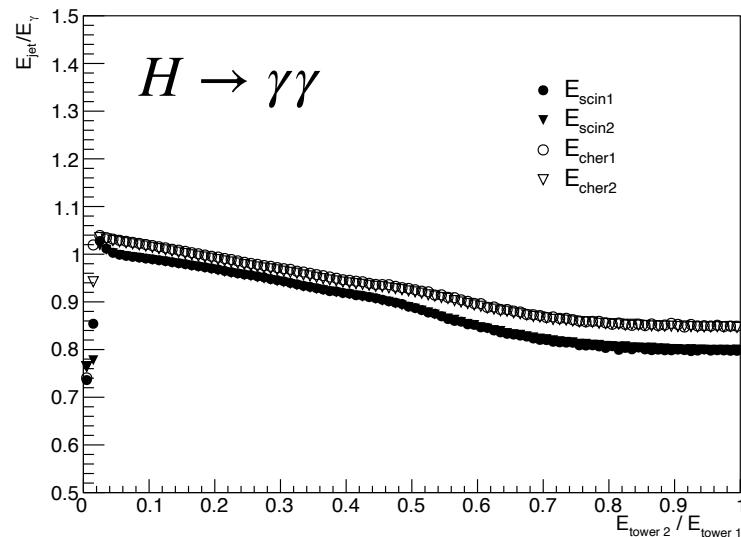
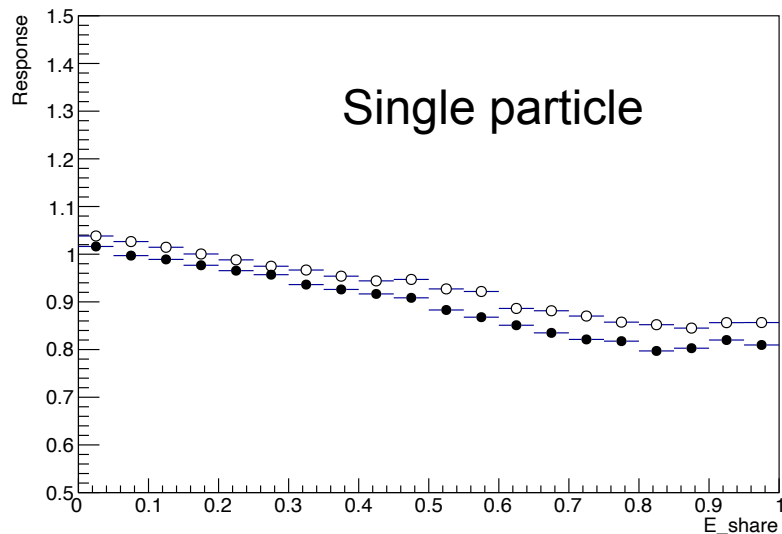
# Single particle response

- Use a 60 GeV beam and single particle beam with increasing opening angle and look at the response (no  $\beta(E_{share})$  calibration applied).
- Resolution **worsening up to a plateau** (roughly corresponding to the cell theta)
- Clear evolution of the  $E_{share}$  tail with the angle



# Single particle $\beta(E_{\text{share}})$ correction

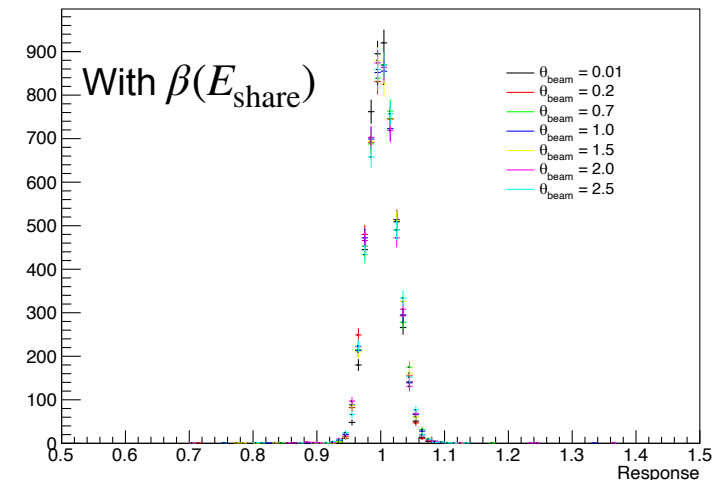
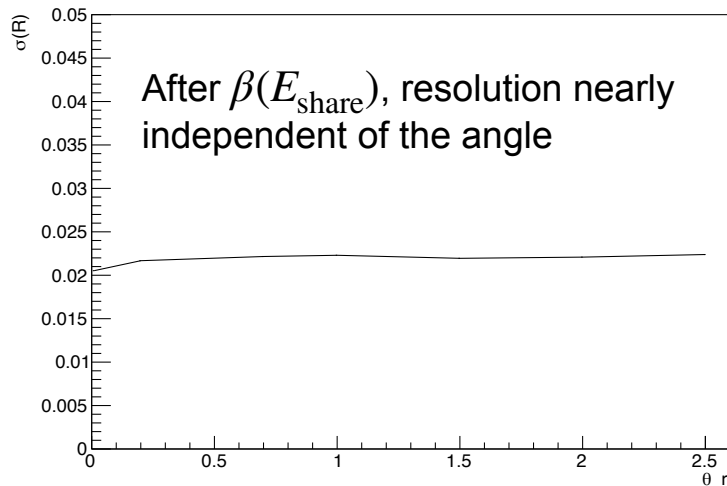
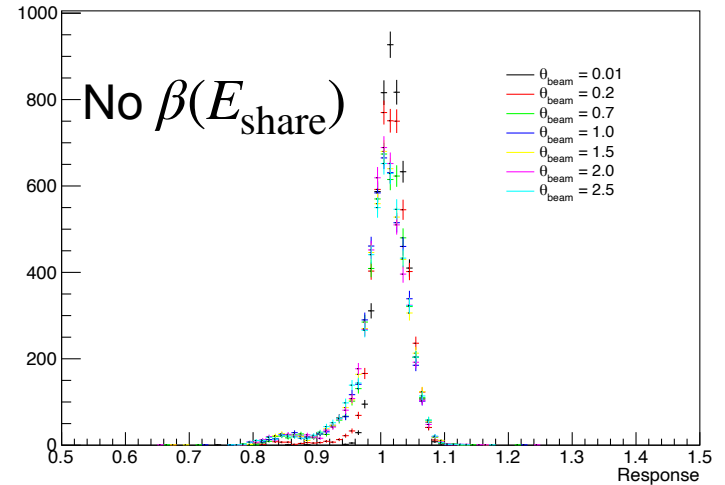
Re-deriving the  $\beta(E_{\text{share}})$  correction from single particle and comparing to  $H \rightarrow \gamma\gamma$ . Consistency between the two.



# Applying $\beta(E_{\text{share}})$ correction

Application of  $\beta(E_{\text{share}})$  brings **the resolution in full consistency with collision events** (it was 2.3%)

- Not fully recovering the ideal, pencil-like beam resolution, though..... but I will call it a day



## Few things I have learnt:

- Derived a **set of corrections** for photons that bring the Higgs boson mass resolution to  $\sigma_m = 2 \text{ GeV}$  (neglecting angular resolution), or relative resolution of 1.6%
  - The most important correction is  $\beta(E_{\text{share}})$
- Resolution about **20% worse than expected from single particle studies.**
- **However:** when angular smearing is introduced to single particles, resolution **fully consistent with collision events**

## Next Step:

- see effect of additional material (solenoid) upstream the calorimeter.

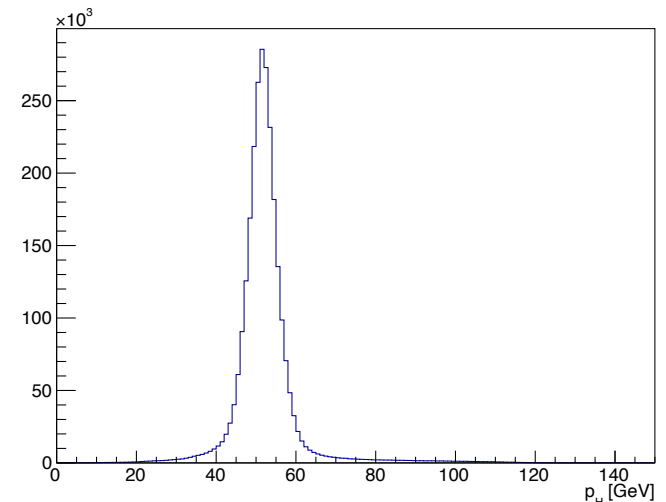
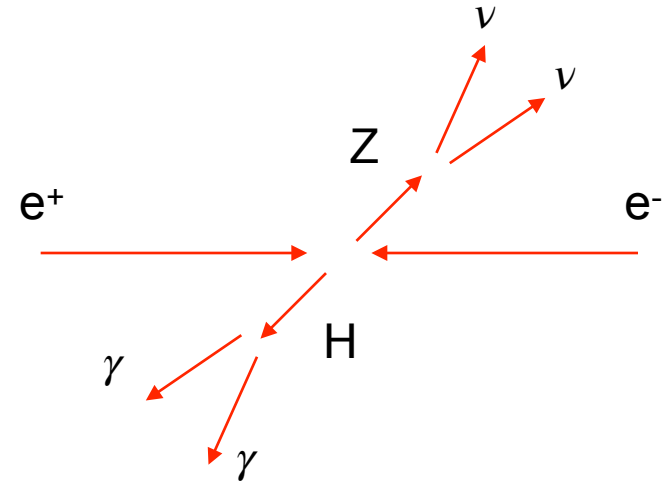
# Backup

# H $\rightarrow$ $\gamma\gamma$ - the basics

Z and H produced in a reference frame where  $\sqrt{s} = 240$  GeV. For  $m_H = 125$  GeV and  $m_Z = 91.2$  GeV, the momentum of the Higgs boson is

$$p_H = \frac{\sqrt{s + m_H^2 - m_Z^2}}{2\sqrt{s}} = 51.6 \text{ GeV}$$

The spectrum of each photon is flat in energy (composition of monochromatic two-body decay in Higgs CM + Higgs boost)





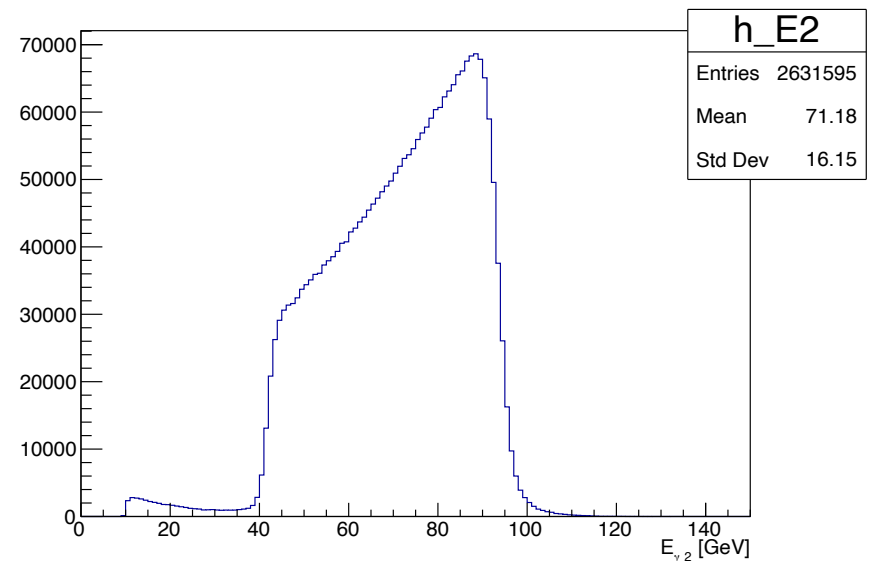
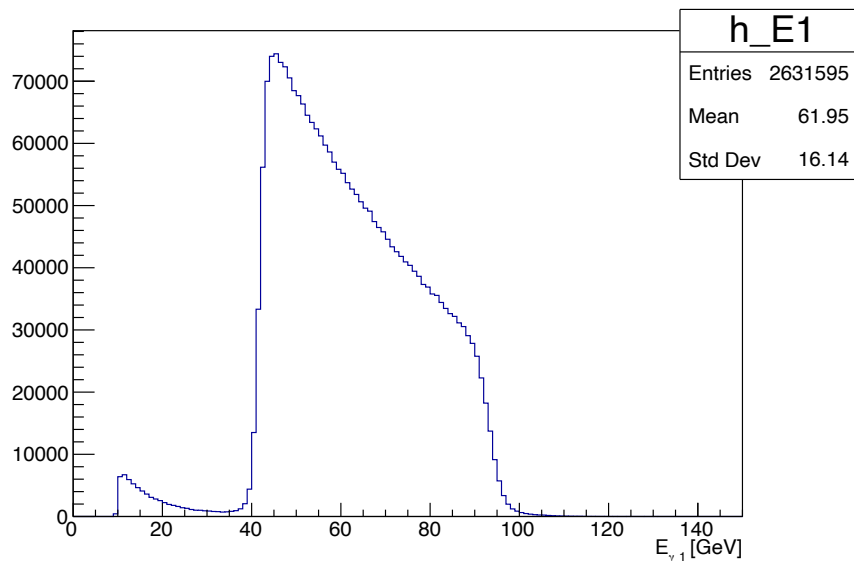
# H $\rightarrow$ $\gamma\gamma$ - the basics

The minimum and maximum photon energy in the lab frame are given by

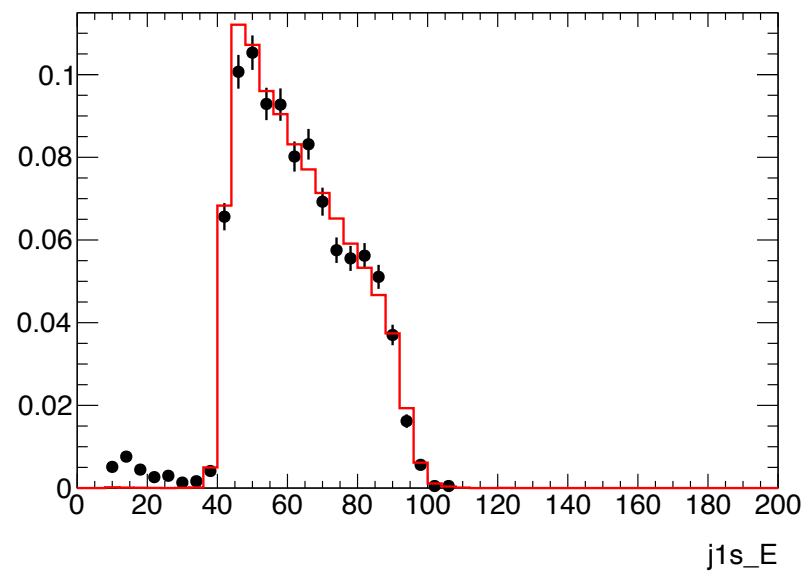
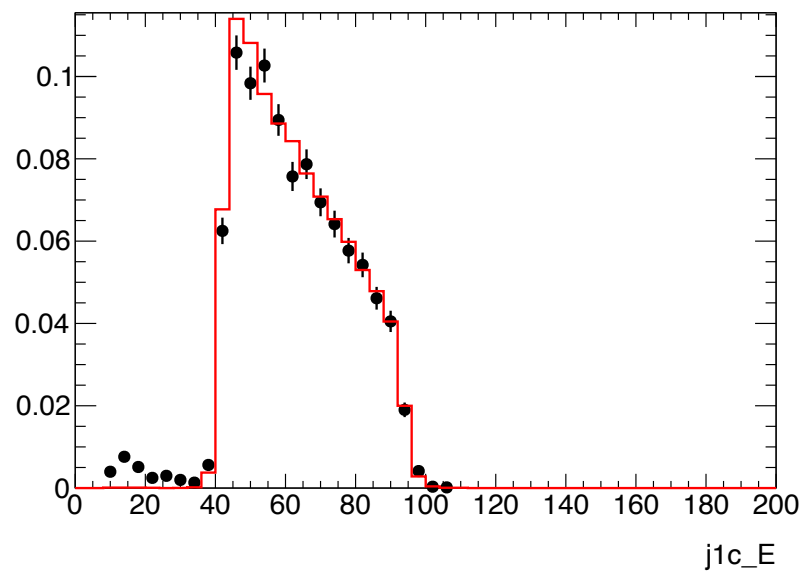
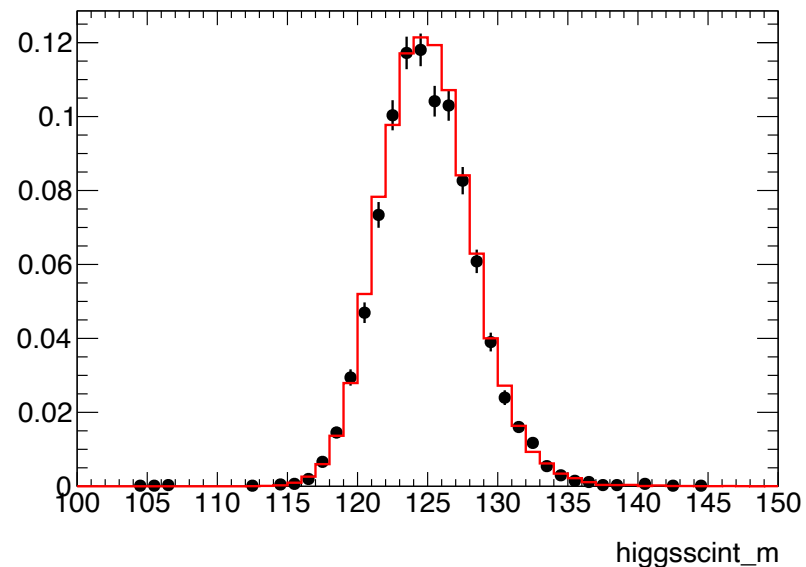
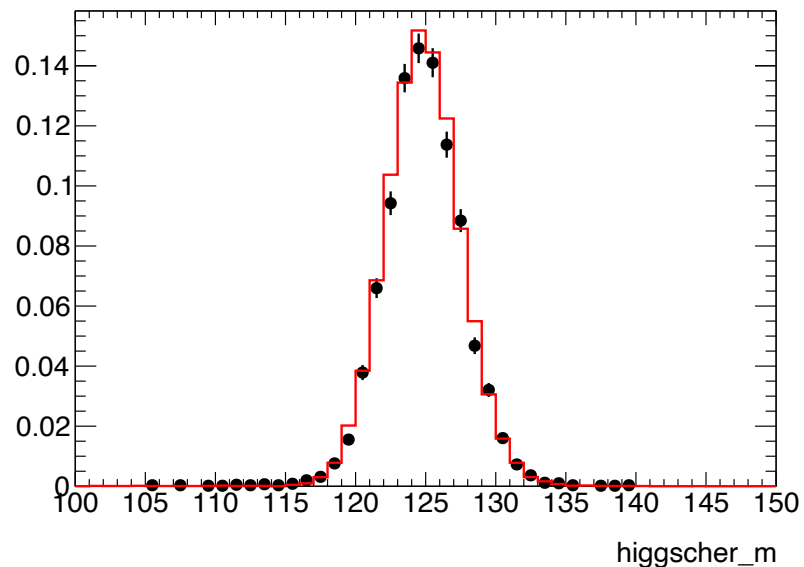
$$E_{\pm} = \gamma \frac{m_H}{2} (1 \pm \beta) \quad \gamma = \frac{E_H}{m_H} = 1.08 \quad \beta = \frac{p_H}{E_H} = 0.38$$

$$E_{\min} = 41.8 \text{ GeV} \quad E_{\max} = 93.4 \text{ GeV}$$

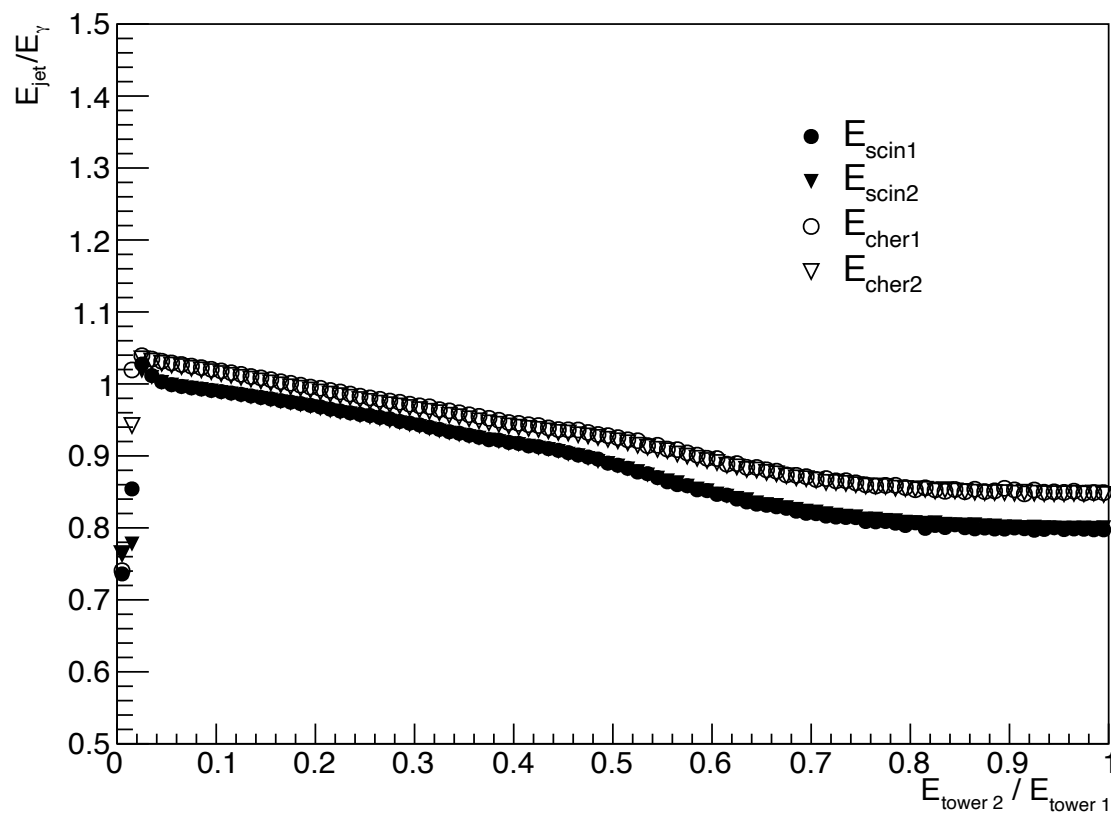
Distribution not flat, probably just some bias in the order used for reconstruction



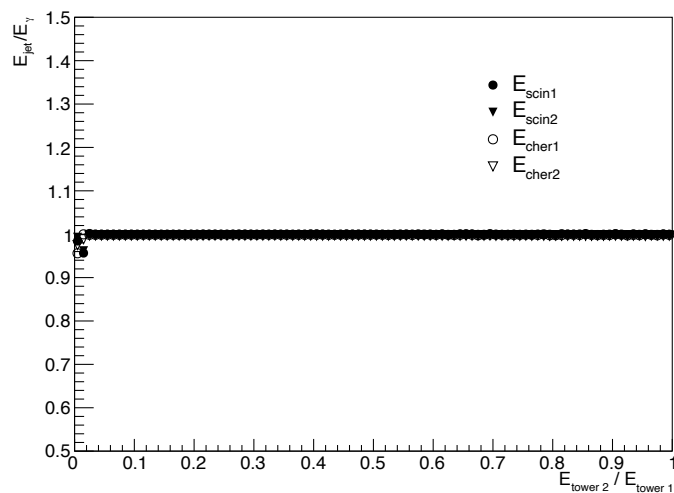
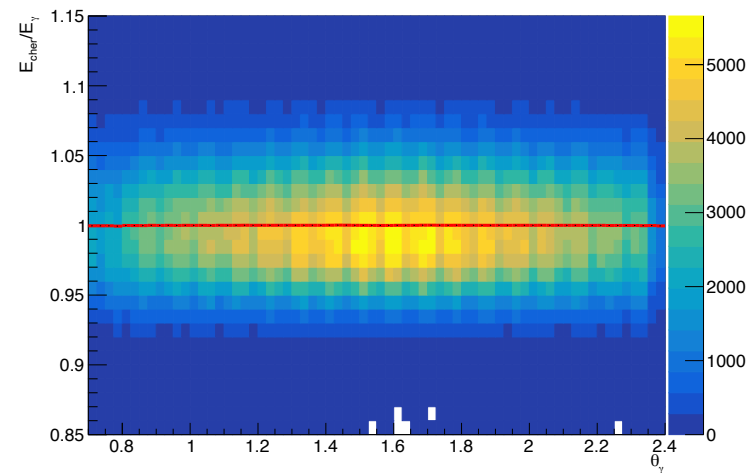
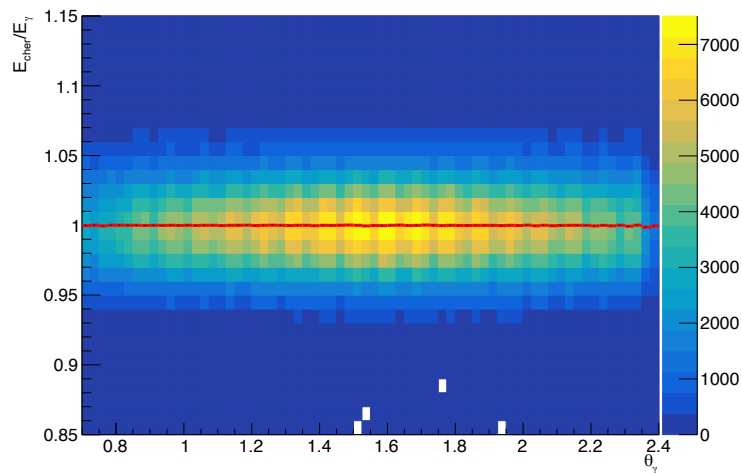
# Sussex simulation validation



# Energy share calibration

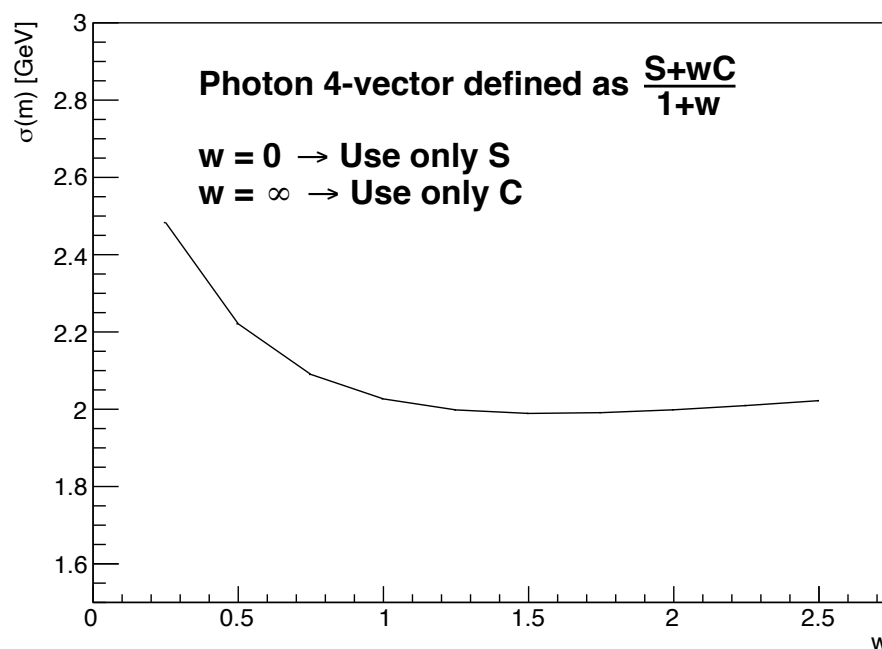


# Fully calibrated response



# S and C combination

Study of how much the mass resolution depend on the way S and C are combined



# Verify single particle configuration

