

# VH STXS migration uncertainties

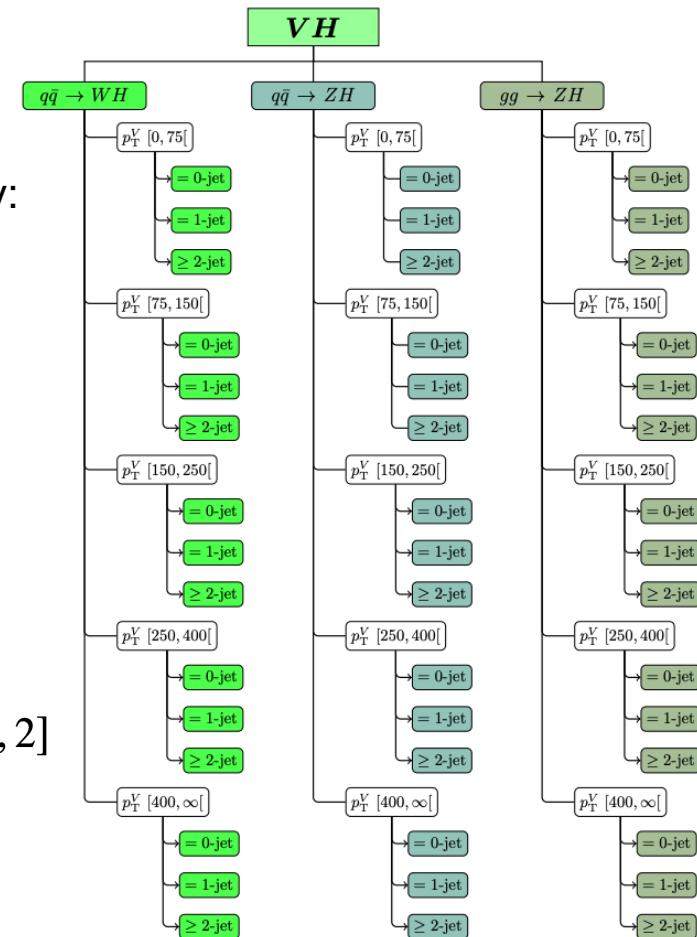
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25.06.2020, WG2: Higgs Properties subgroup meeting

# Introduction

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- Maximum split scheme is used for flexibility
- POWHEG MINLO qqZH, GENEVA NNLO + NNLL' qqZH
- Assign an uncertainty source for each STXS bin boundary:
  - N-jet bin boundaries:  $\Delta_{1,2}$  correspond to jet-bins boundaries
  - $p_T(V)$  bin boundaries:  $\Delta_X$ ,  $X=75, 150, 250, 400$  GeV
- Each  $\Delta_X$  is calculated as the maximal deviation from the nominal case under scale variations at the corresponding boundary
  - $\mu_{R(F)}$  renormalization (factorization) scales in case of POWHEG MINLO samples:  
 $[\mu_R/\mu_R^{nom}, \mu_F/\mu_F^{nom}] : [1/2, 1][1, 1/2][2, 1][1, 2][1/2, 1/2][2, 2]$
  - for the GENEVA NNLO + NNLL the resummation and fixed order scales are used, described in slide 13



# Uncertainty correlation scheme

- Migration unc. should drop out for the total cross-section
- $p_T(V)$  and jet-bins related migrations are calculated independently

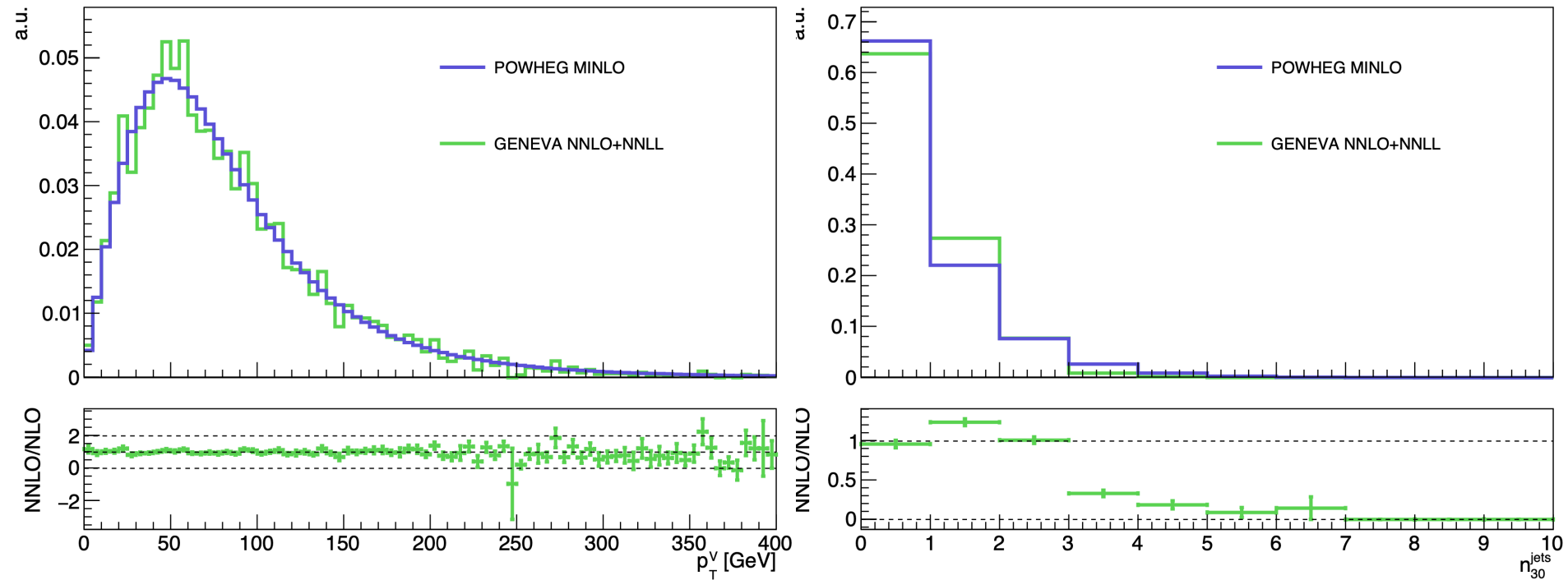
$p_T^V$ bin [GeV]	$\Delta_{75}$	$\Delta_{150}$	$\Delta_{250}$	$\Delta_{400}$
[0, 75[	$-\Delta_{75}/\sigma_{[0,75[}$	0	0	0
[75, 150[	$+\Delta_{75}/\sigma_{[75,\infty[}$	$-\Delta_{150}/\sigma_{[75,150[}$	0	0
[150, 250[	$+\Delta_{75}/\sigma_{[75,\infty[}$	$+\Delta_{150}/\sigma_{[150,\infty[}$	$-\Delta_{250}/\sigma_{[150,250[}$	0
[250, 400[	$+\Delta_{75}/\sigma_{[75,\infty[}$	$+\Delta_{150}/\sigma_{[150,\infty[}$	$+\Delta_{250}/\sigma_{[250,\infty[}$	$-\Delta_{400}/\sigma_{[250,400[}$
[400, $\infty$ [	$+\Delta_{75}/\sigma_{[75,\infty[}$	$+\Delta_{150}/\sigma_{[150,\infty[}$	$+\Delta_{250}/\sigma_{[250,\infty[}$	$+\Delta_{400}/\sigma_{[400,\infty[}$

$n_{\text{jets}}$ bin	$\Delta_1$	$\Delta_2$
0 jets	$-\Delta_1/\sigma_{n_{\text{jets}}=0}$	0
1 jet	$\Delta_1/\sigma_{n_{\text{jets}}\geq 1}$	$-\Delta_2/\sigma_{n_{\text{jets}}=1}$
$\geq 2$ jets	$\Delta_1/\sigma_{n_{\text{jets}}\geq 1}$	$\Delta_2/\sigma_{n_{\text{jets}}\geq 2}$

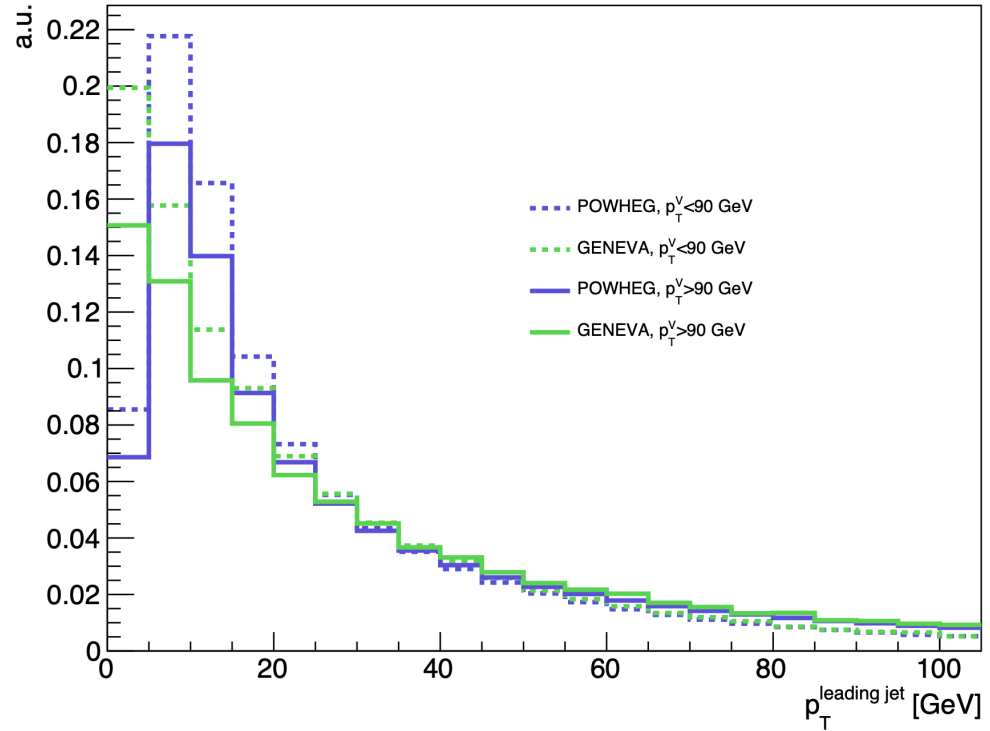
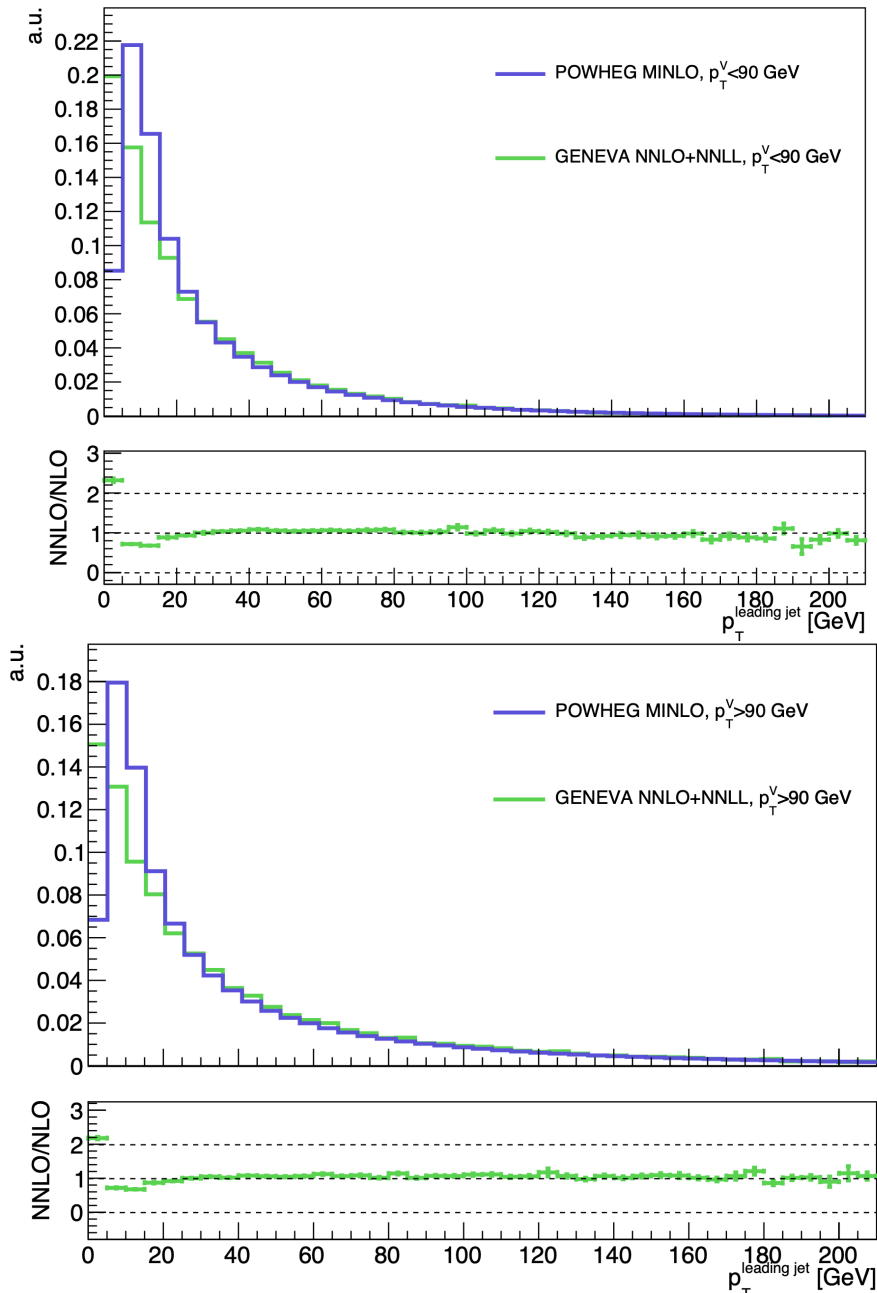
$\Delta_{1,2}$  calculated in each  $p_T(V)$  bin

# POWHEG vs Geneva: $p_T(V)$ , number of jets with $p_T > 30$ GeV



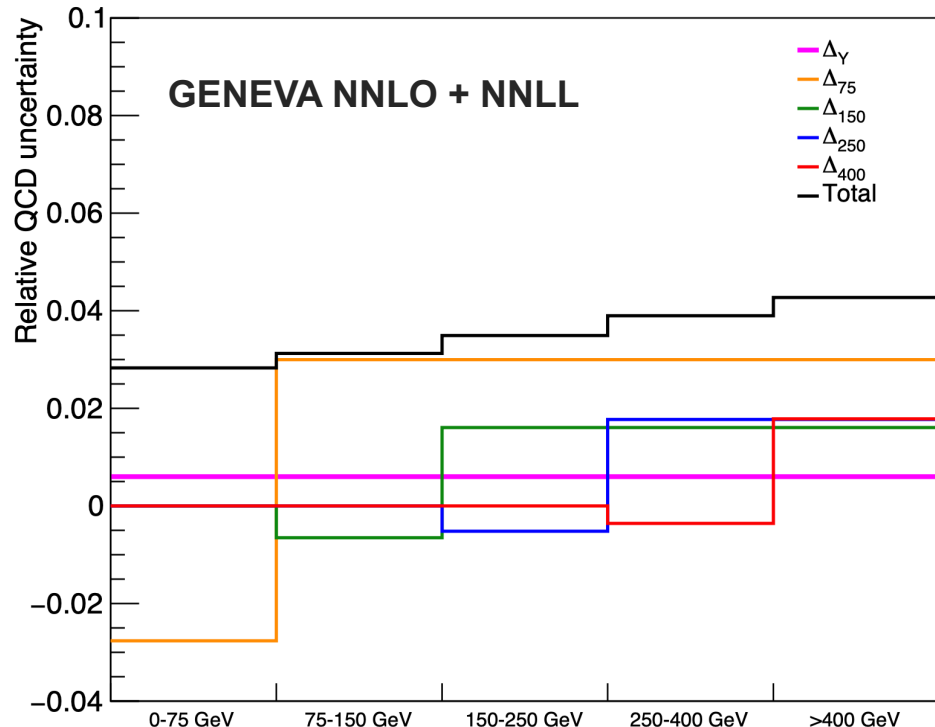
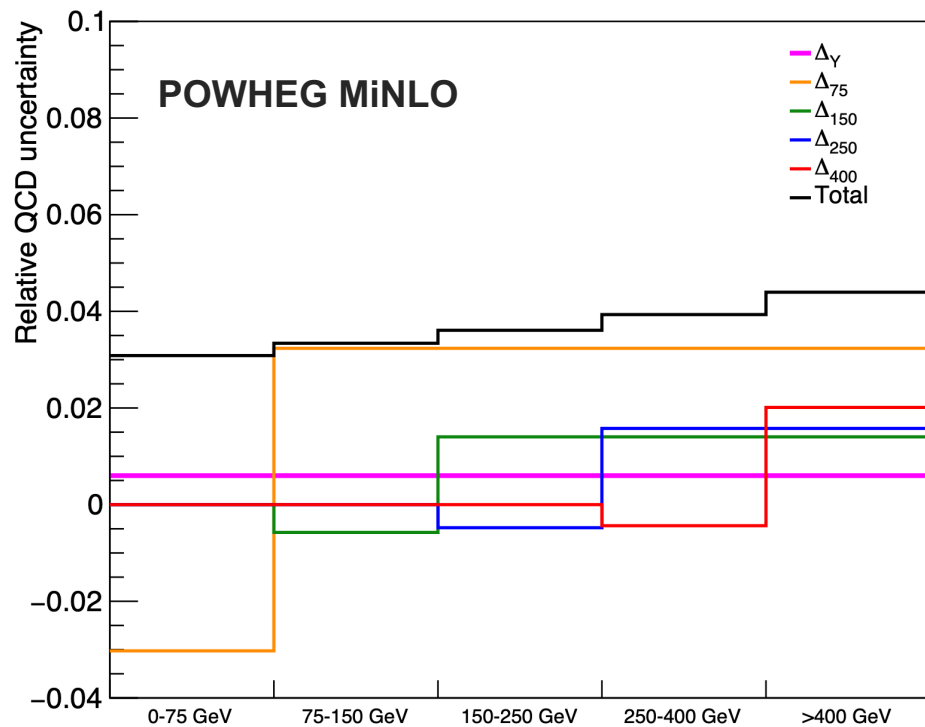
- $p_T(V)$  distributions are very similar.
- Some difference in  $n_{\text{jets}}^{30}$  distribution, possibly coming from jet kinematics differences.

# POWHEG vs Geneva: additional leading jet $p_T$



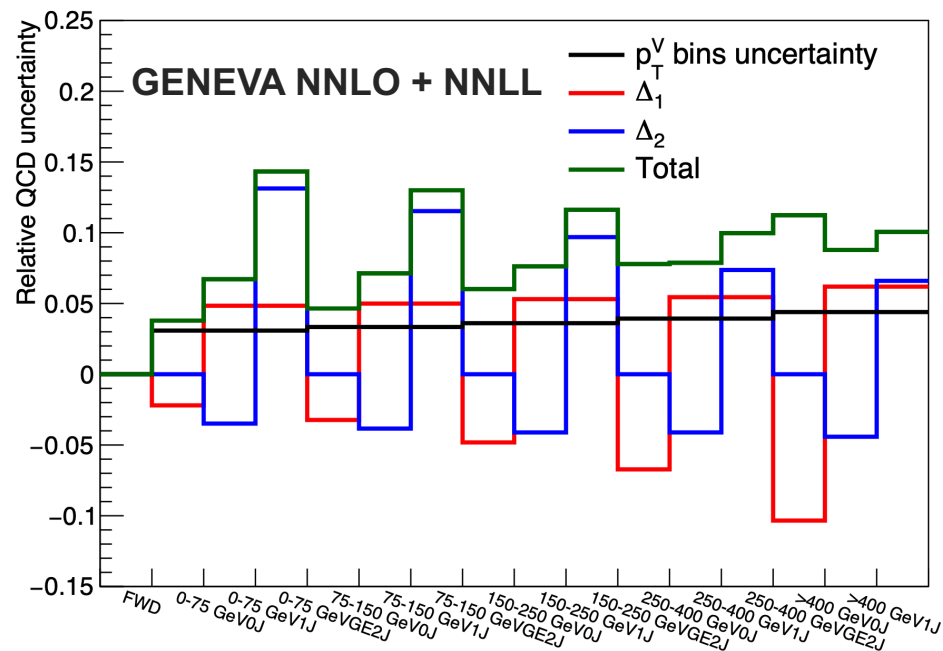
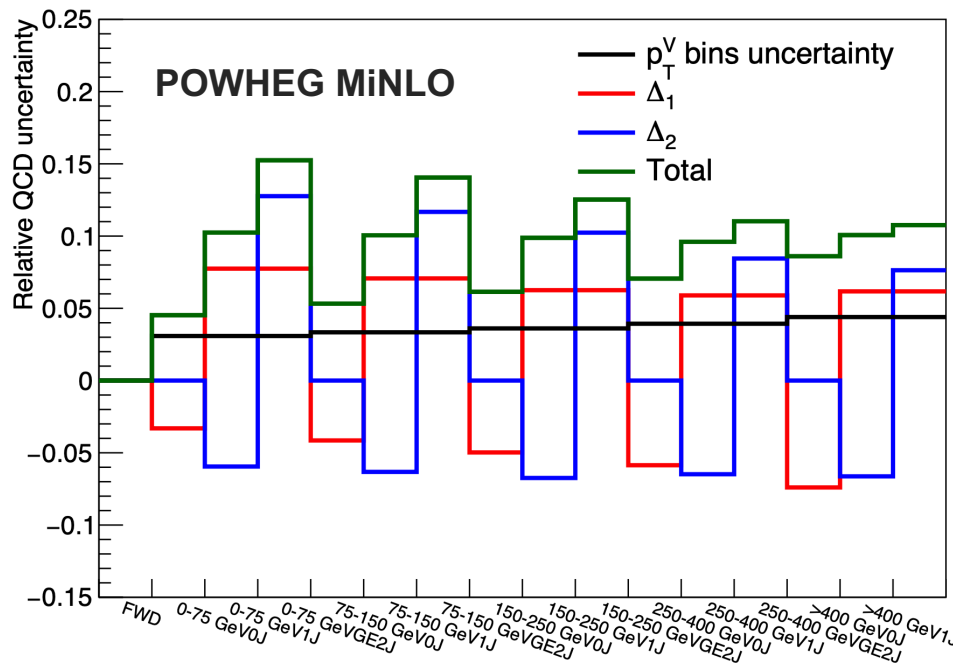
A significant GENEVA vs POWHEG difference below 50 GeV, expected due to a different resummation accuracy affecting low  $p_T$  region. Results in disagreement in the  $n_{\text{jets}}^{30}$  distribution (previous slide)

# Results: MiNLO vs NNLO + NNLL'



Compatible results, no effect on  $p_T(V)$  distributions

# Results: MiNLO vs NNLO + NNLL

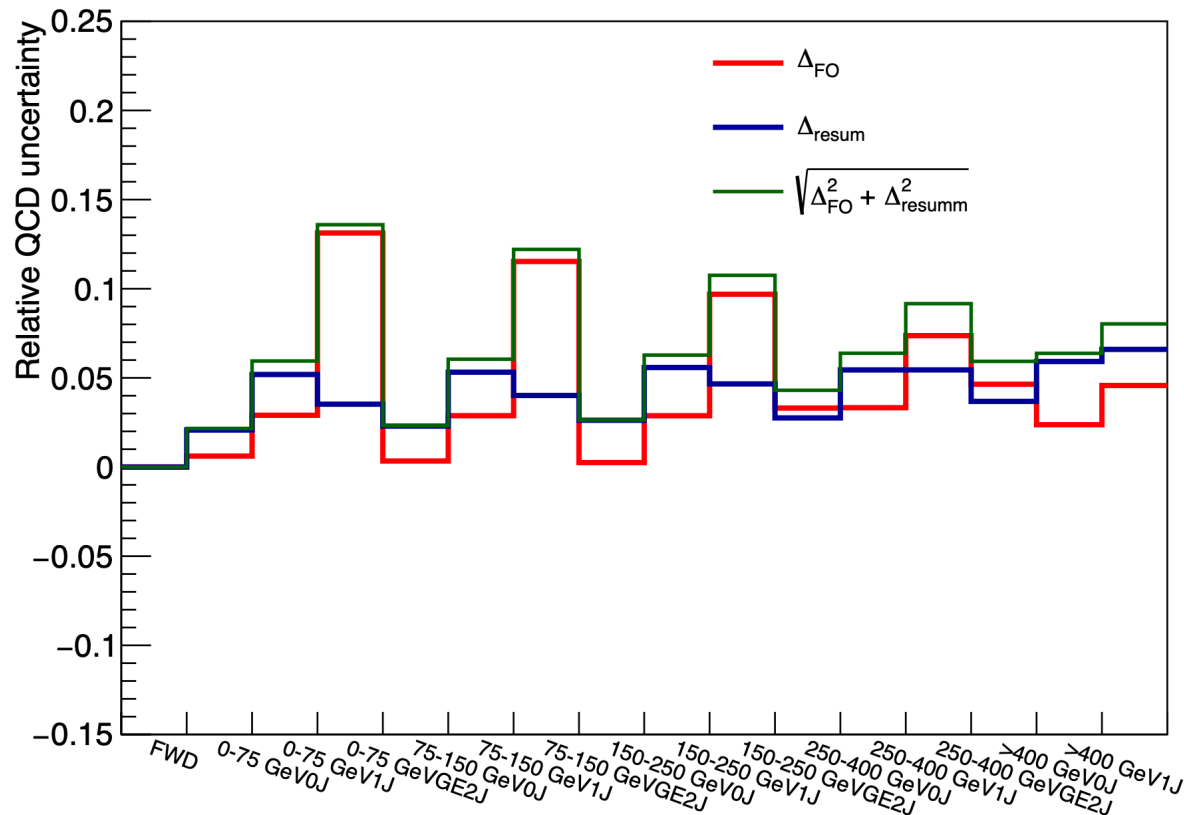


Lower uncertainties for 0 and 1-jet bins in case of **NNLO + NNLL**, due to better a resummation sensitivity at low  $p_T^{\text{jet}}$

# Cross-check: GENEVA resummation jet-bins uncertainties

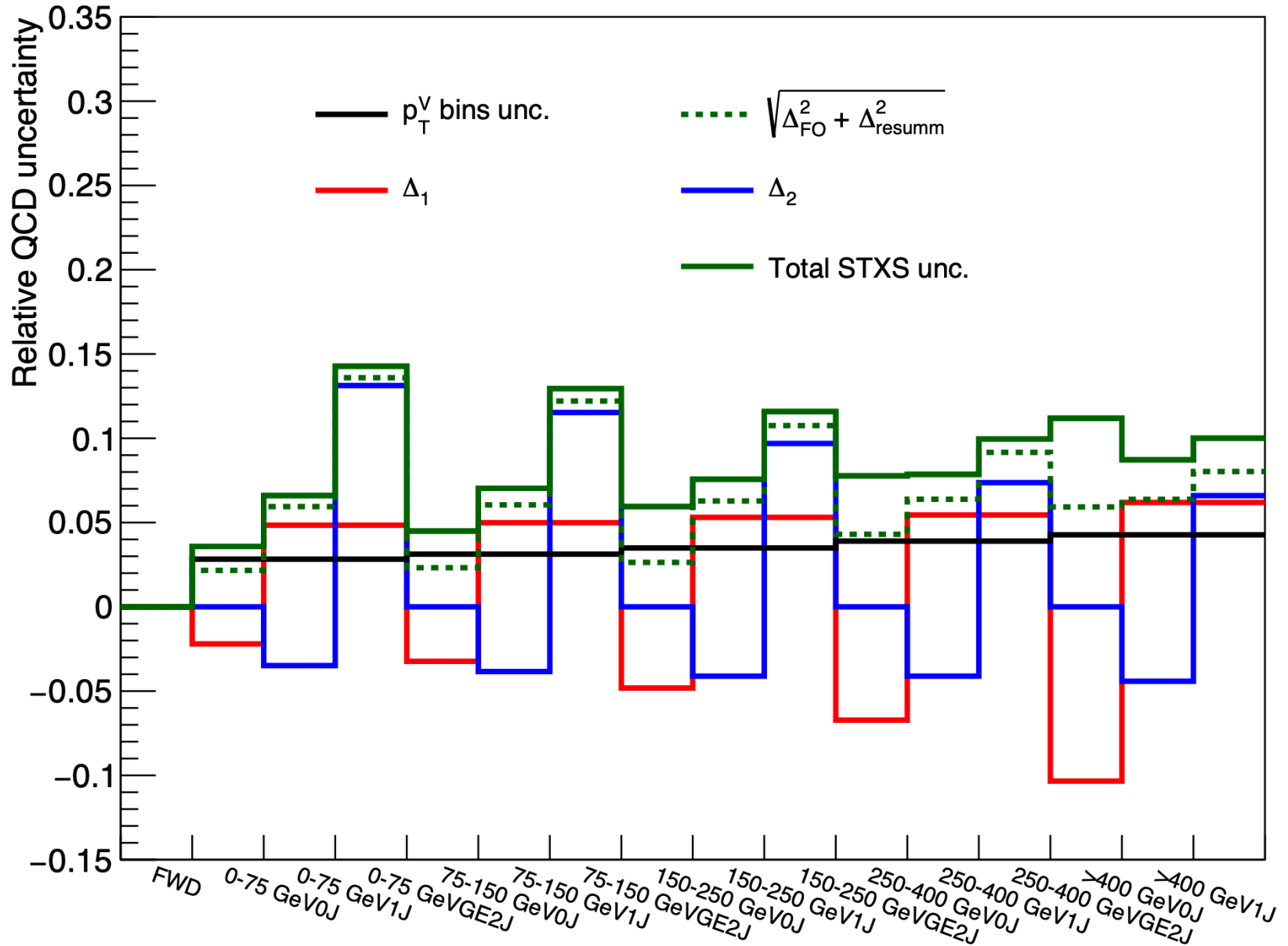
With the use of available fixed order and resummation weights in GENEVA samples it is possible to estimate the total jet-bins uncertainty:

$$\Delta_{tot} = \sqrt{\Delta_{FO}^2 + \Delta_{resum}^2}, \text{ where } \Delta_{FO} \text{ (weights described in a). from [slide 13](#)),}$$
$$\Delta_{resum} \text{ (weights described in b). from [slide 13](#))}$$

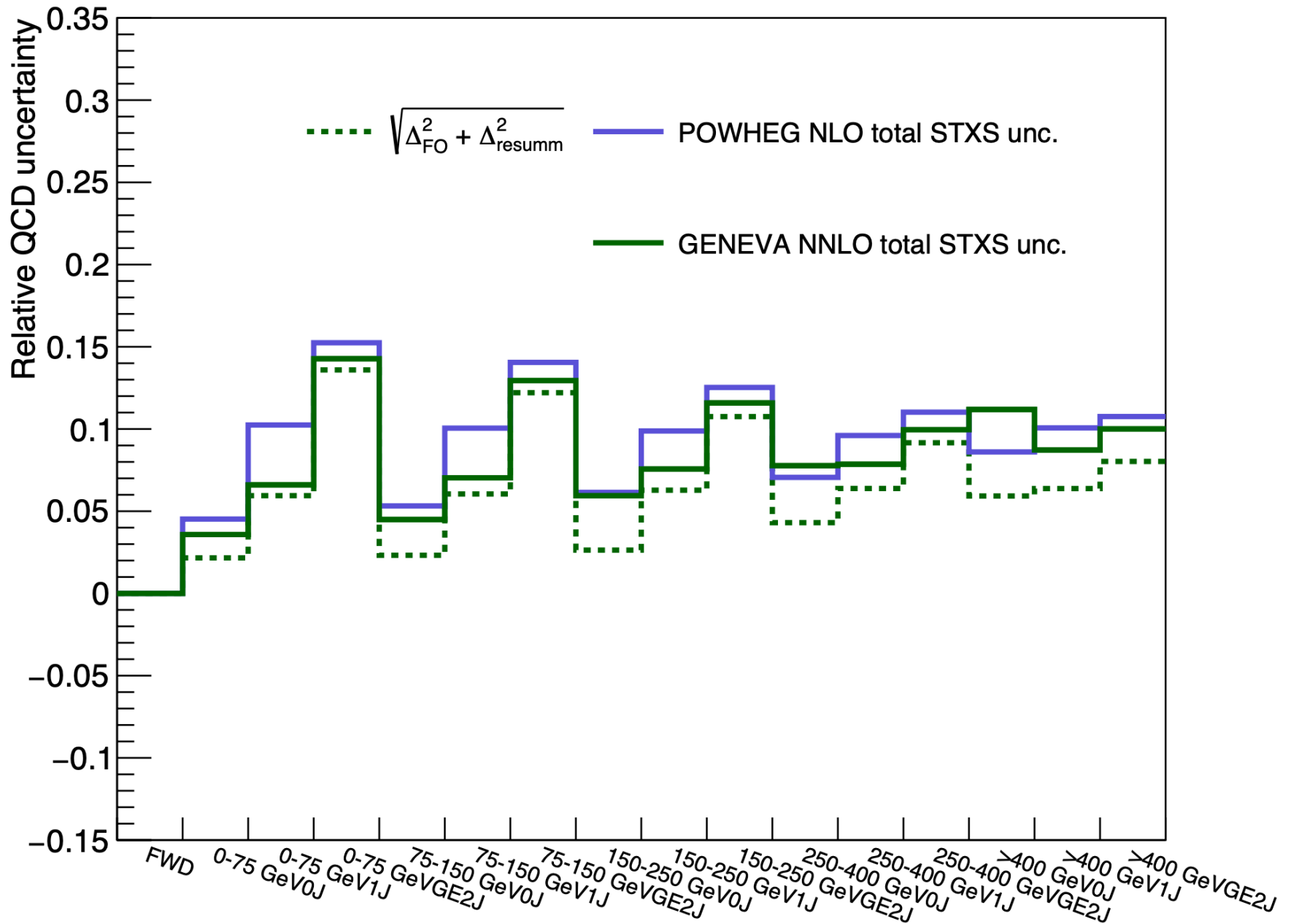




# Jet-bins resummation uncertainties vs STXS GENEVA unc.



# Total comparison



# Summary

- The STXS migration uncertainties for qqZH process were presented
- Estimated using POWHEG NLO sample and GENEVA NNLO + NNLL
  - The results are in agreement, the difference in jet-bins uncertainties can be explained by different orders of resummation
- The total jet-bins perturbative uncertainties were calculated using GENEVA samples as a cross-check to provide an estimate for comparison with the STXS uncertainties

# Backup

$$\begin{aligned} \mu_H &= \mu_{\text{NS}} , \\ \mu_S(\mathcal{T}_0) &= \mu_{\text{NS}} f_{\text{run}}(\mathcal{T}_0/Q) , \\ \mu_B(\mathcal{T}_0) &= \mu_{\text{NS}} \sqrt{f_{\text{run}}(\mathcal{T}_0/Q)} , \end{aligned}$$

$$f_{\text{run}}(x) = \begin{cases} x_0 [1 + (x/x_0)^2/4] & x \leq 2x_0 , \\ x & 2x_0 \leq x \leq x_1 , \\ x + \frac{(2-x_2-x_3)(x-x_1)^2}{2(x_2-x_1)(x_3-x_1)} & x_1 \leq x \leq x_2 , \\ 1 - \frac{(2-x_1-x_2)(x-x_3)^2}{2(x_3-x_1)(x_3-x_2)} & x_2 \leq x \leq x_3 , \\ 1 & x_3 \leq x . \end{cases}$$

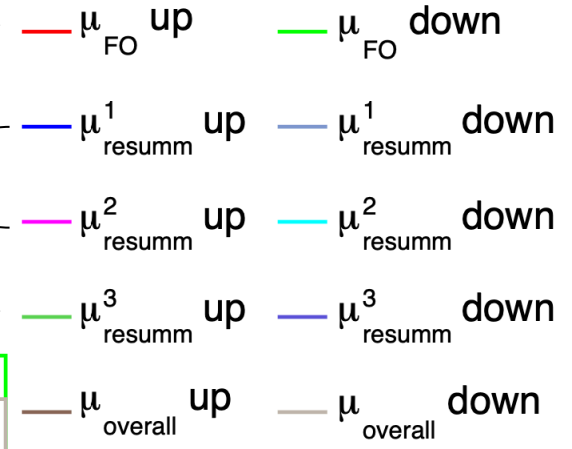
$$x_0 = 2.5 \text{ GeV}/Q , \quad \{x_1, x_2, x_3\} = \{0.2, 0.45, 0.7\}$$

GENEVA provides 11 weights in total:

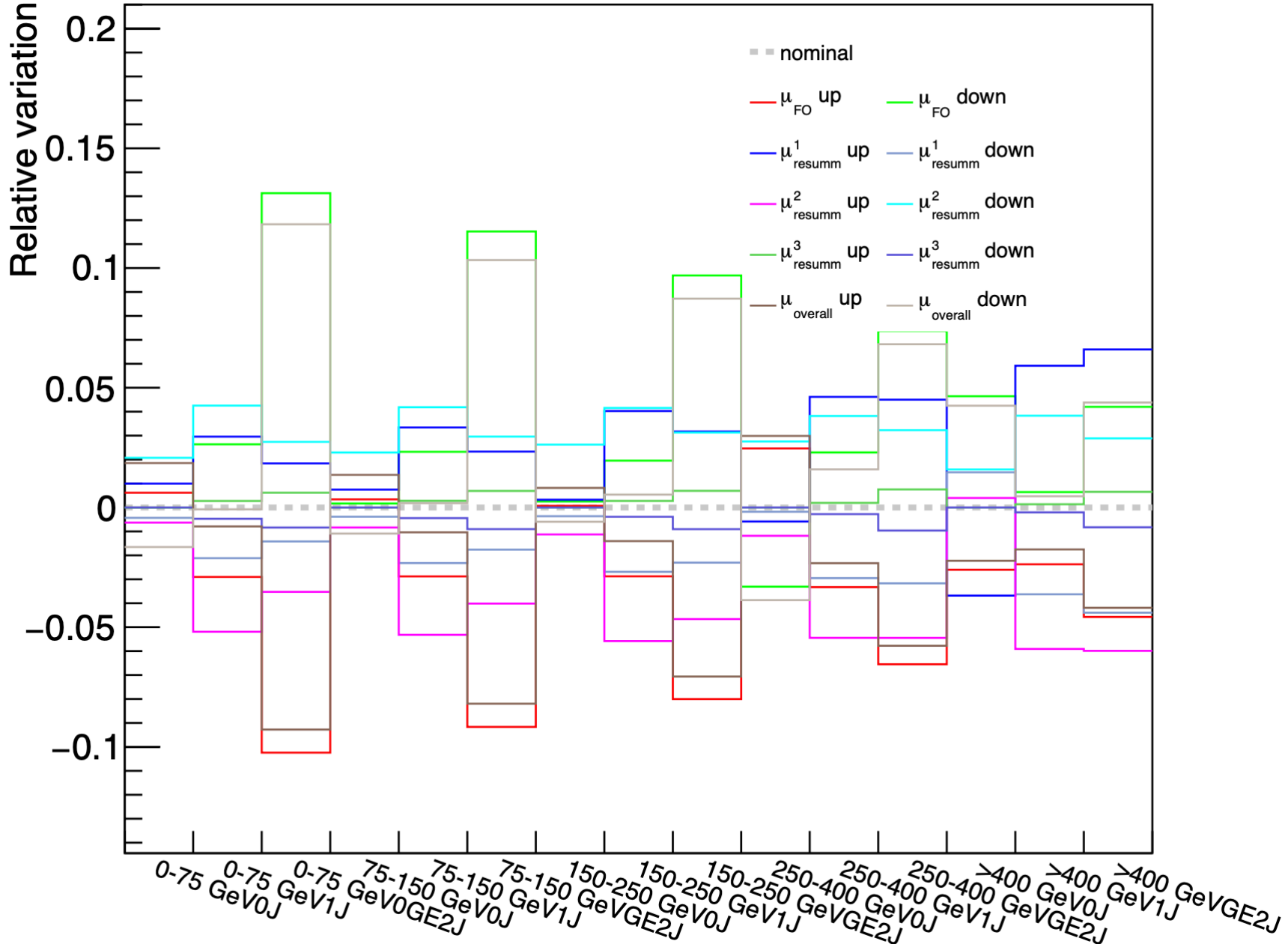
## Nominal (1)

- a) Fixed order scale variation  $\mu_{\text{FO}} = 2Q, Q/2$  (+2)
- b) Resummation scale variations
  - $\mu_S, \mu_B$  up/down variations (+4)
  - transition points  $x_1, x_2, x_3$  are varied by  $\pm 0.05$  simultaneously (+2)
- c) Tuned FO scale variation (corrected for inclusive cross-section) (+2)

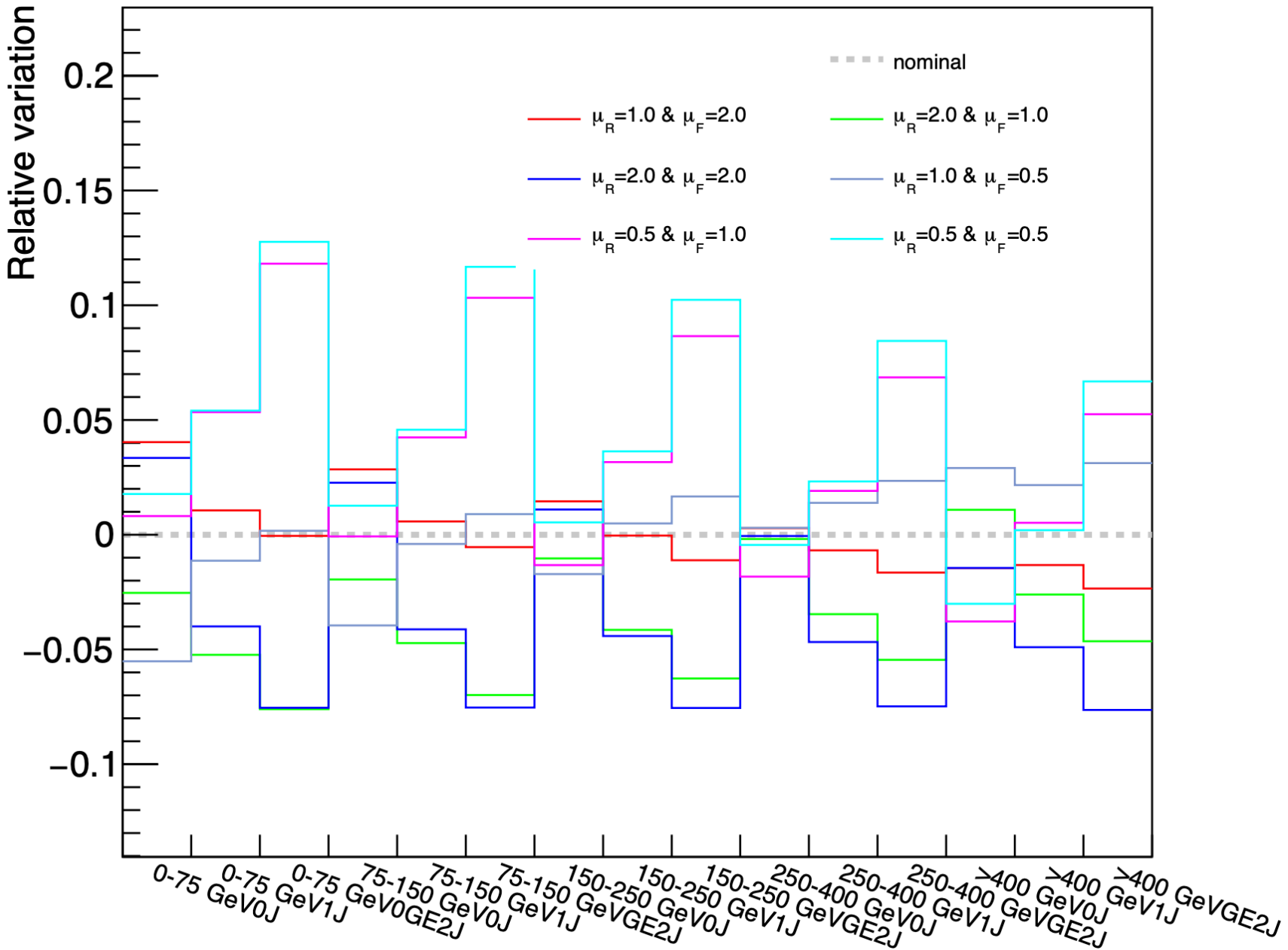
■ ■ nominal



# GENEVA scale variations



# POWHEG scale variations



# Total uncertainties

	GENEVA STXS	GENEVA resum.	POWHEG STXS
ZH_PTV_0_75_0J	0.036	0.021	0.045
ZH_PTV_0_75_1J	0.066	0.059	0.102
ZH_PTV_0_75_GE2J	0.143	0.136	0.152
ZH_PTV_75_150_0J	0.045	0.023	0.053
ZH_PTV_75_150_1J	0.07	0.06	0.10
ZH_PTV_75_150_GE2J	0.129	0.122	0.141
ZH_PTV_150_250_0J	0.059	0.026	0.061
ZH_PTV_150_250_1J	0.076	0.062	0.099
ZH_PTV_150_250_GE2J	0.012	0.011	0.125
ZH_PTV_250_400_0J	0.078	0.043	0.071
ZH_PTV_250_400_1J	0.079	0.064	0.096
ZH_PTV_250_400_GE2J	0.099	0.092	0.11
ZH_PTV_GT400_0J	0.112	0.059	0.086
ZH_PTV_GT400_1J	0.087	0.063	0.10
ZH_PTV_GT400_GE2J	0.10	0.08	0.11



# Uncertainty distribution among STXS bins

(c) option from [slide 13](#)

