

# Heavy quark energy loss in pp @ LHC

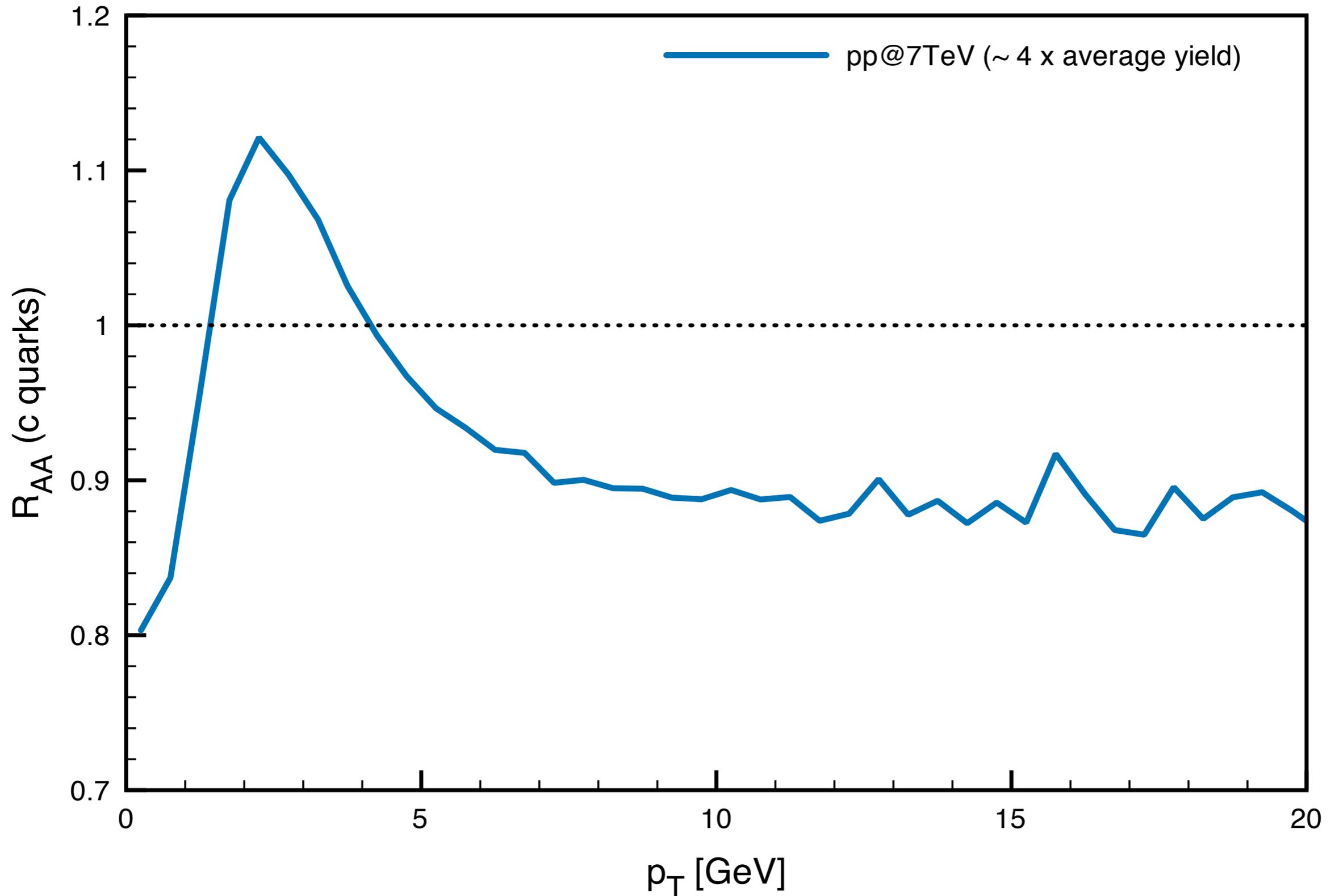


Sascha Vogel

in collaboration with  
Pol-Bernard Gossiaux, Jörg Aichelin and Klaus Werner

26.10.2010, ReteQuarkonii Workshop 2010, Nantes

# HQ energy loss in pp roughly 10%!



# The next 30 minutes...

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- **Why care?**
- **Why pp?**
- **The tools: EPOS and MC@sHQ**
- **Does it work?**
- **Conclusions + Outlook**

# Why Heavy Quarks?

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Heavy quarks are heavy..



# Why Heavy Quarks?

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Heavy quarks are heavy...

- produced in the initial collisions
- number is roughly conserved
- late time evolution has little effect on HQ spectra
- allows for some pQCD calculations
- interesting decay topologies (dileptons, hadrons...)

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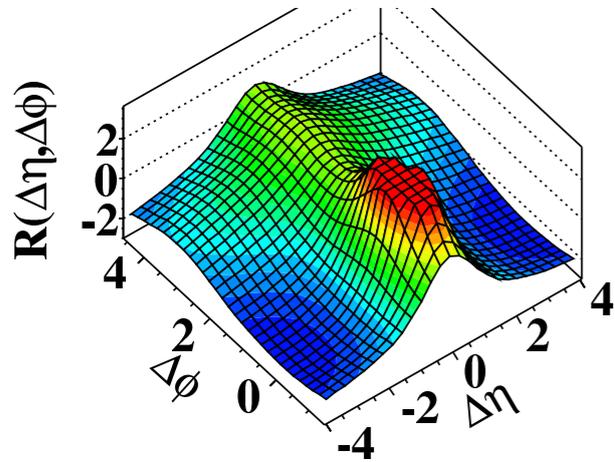
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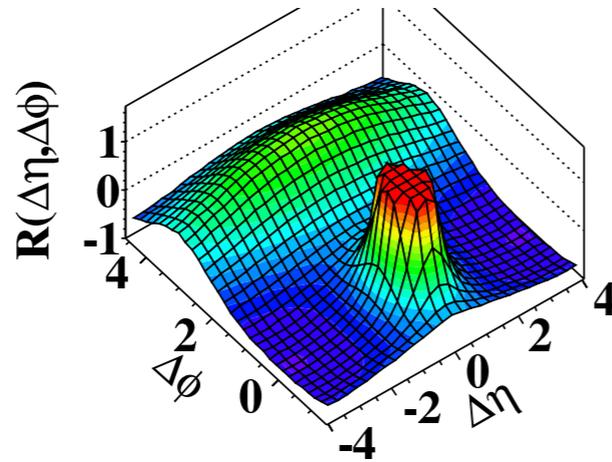
- produced in the initial collisions
  - number is roughly conserved
  - late time evolution has little effect on HQ spectra
  - allows for some pQCD calculations
  - interesting decay topologies (dileptons, hadrons...)
- It seems we found ourselves a nice probe!

# Why pp?

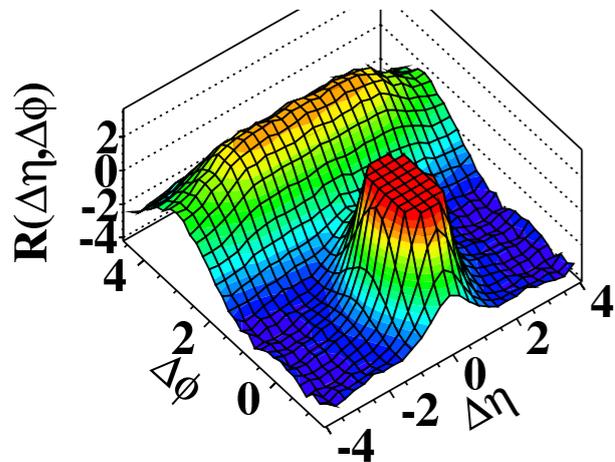
(a) CMS MinBias,  $p_T > 0.1 \text{ GeV}/c$



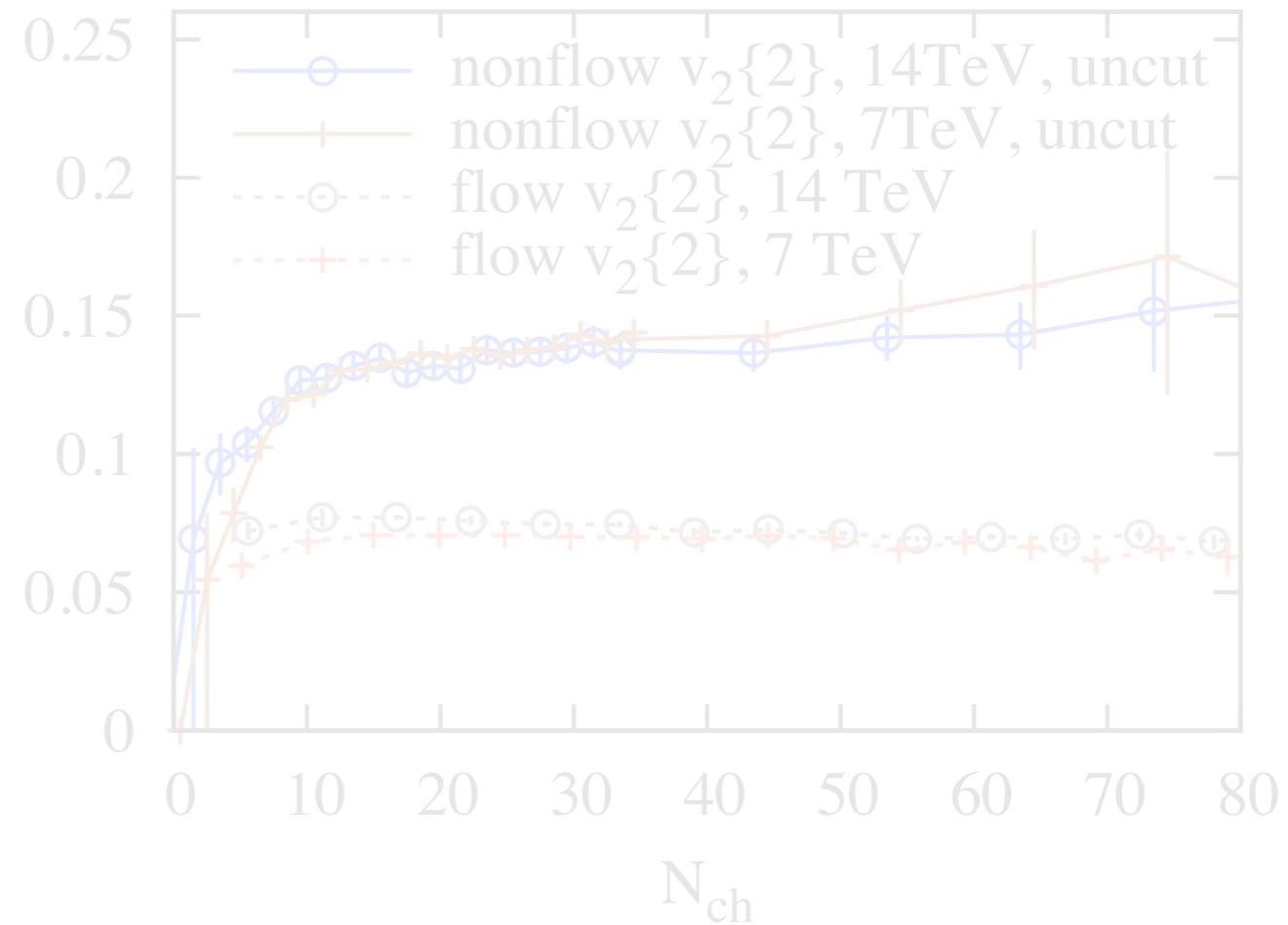
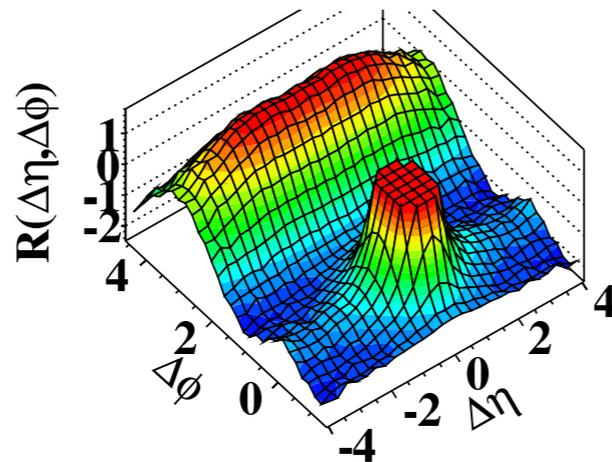
(b) CMS MinBias,  $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$



(c) CMS  $N \geq 110$ ,  $p_T > 0.1 \text{ GeV}/c$

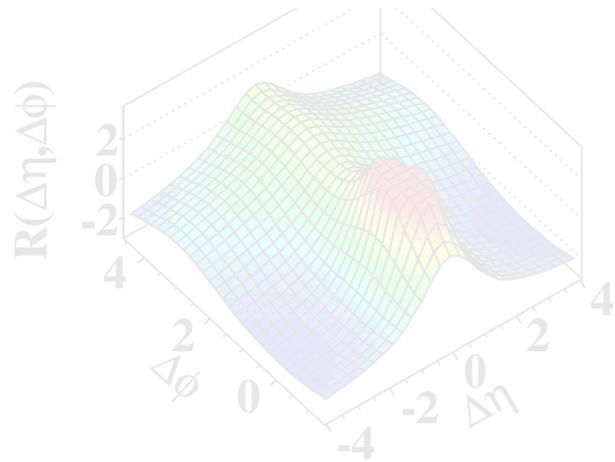


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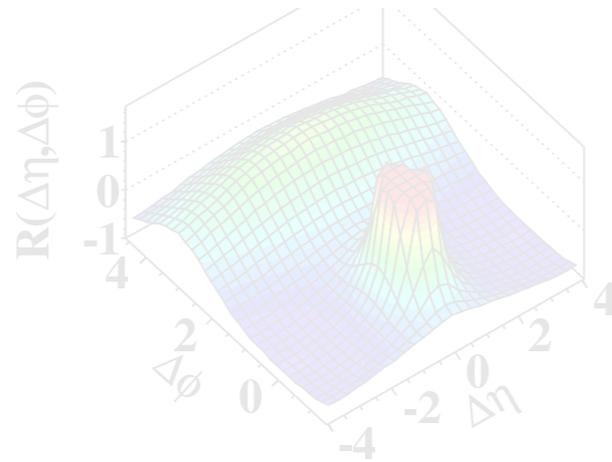


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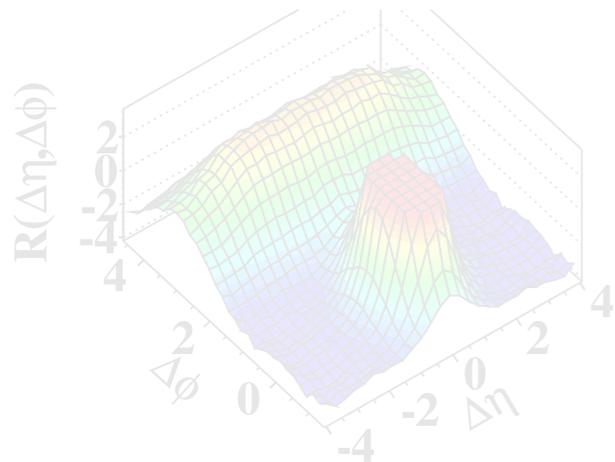
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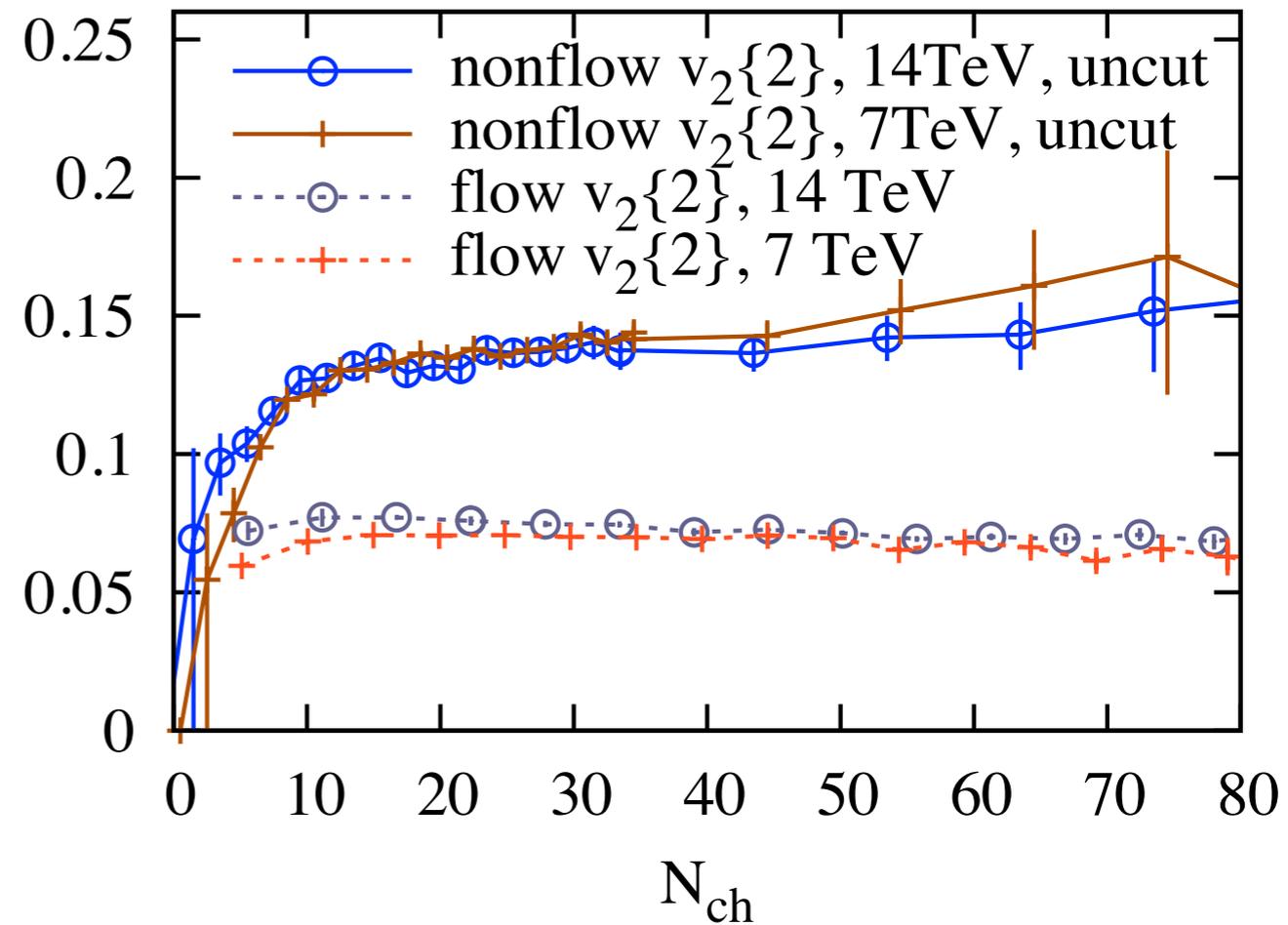
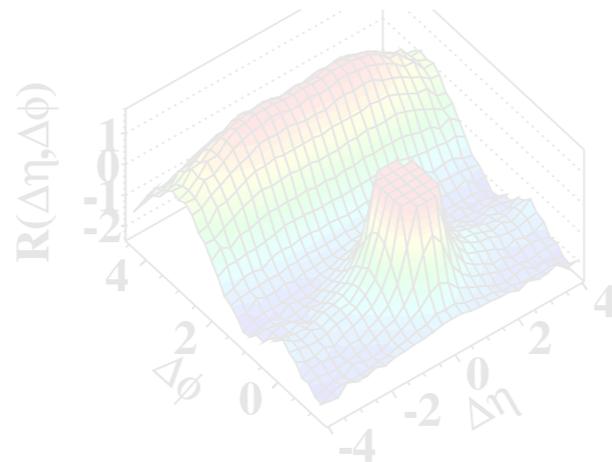
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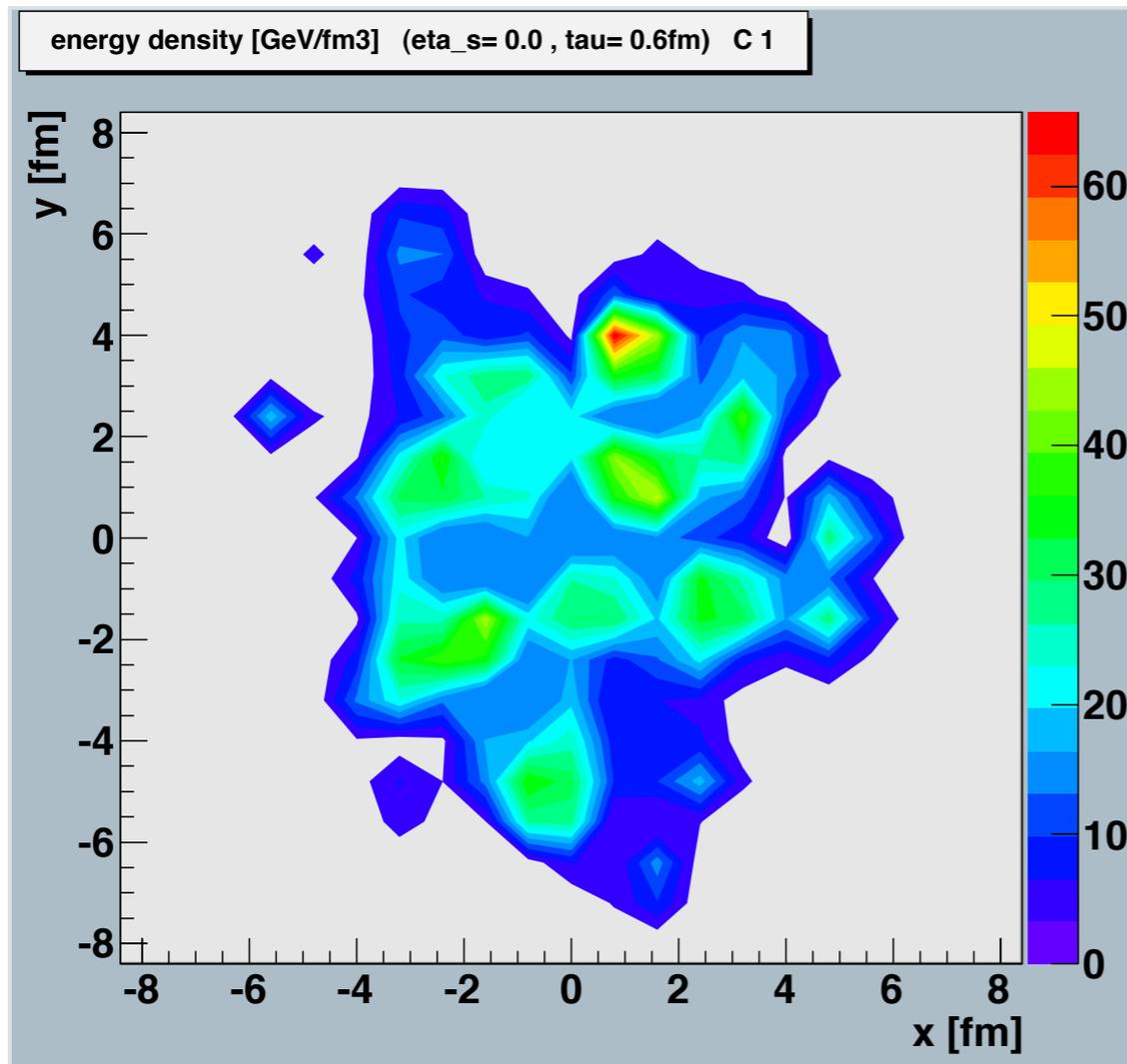
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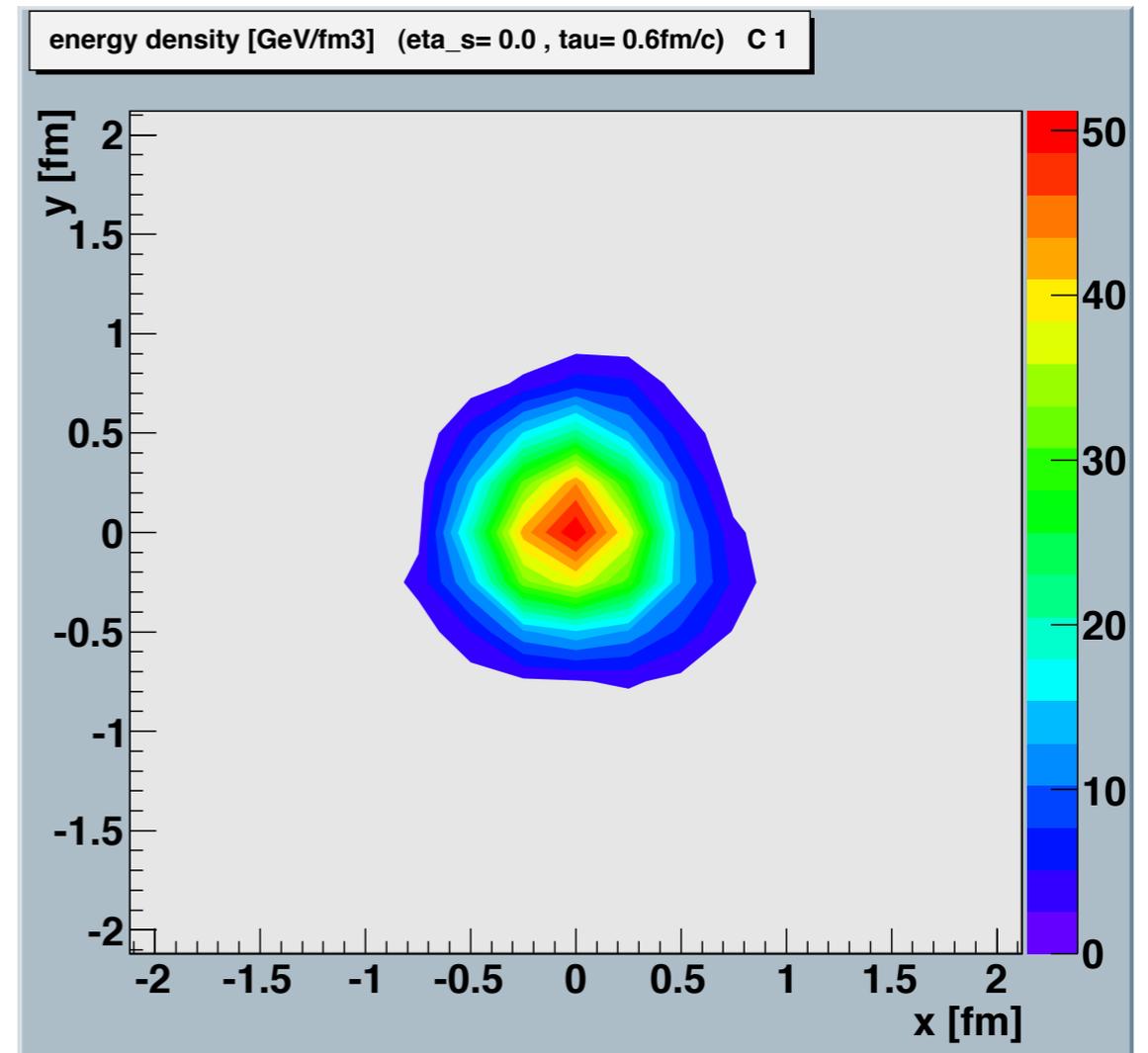
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# Energy densities comparable!



**AuAu @ RHIC**



**pp @ LHC**

# Ingredients for HQ spectra

---

**Production**  
(fixed by FONLL)

**Medium**  
(EPOS)

**Interaction**  
(MC@sHQ)

**Fragmentation**  
(fixed by CNV\*)

\* Cacchiari, Nason, Vogt, Phys.Rev.Lett. 95 (2005) 122001

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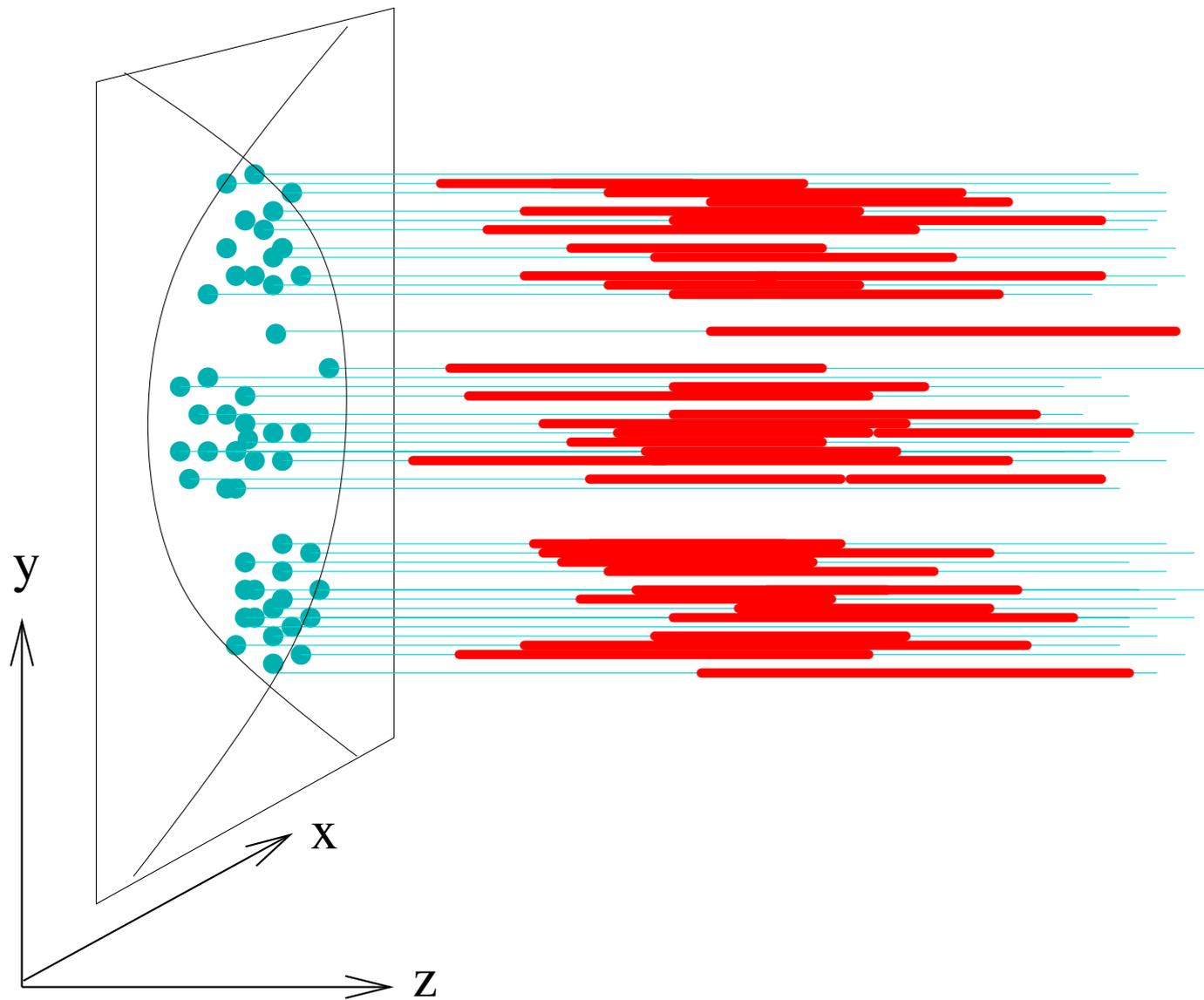
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# EPOS

---



- **E**nergy conserving quantum mechanical multiple scattering approach, based on
- **P**artons (parton ladders)
- **O**ff-shell remnants, and
- **S**plitting of parton ladders.

# EPOS

---

**Fluxtube initial conditions**

Event by event calculations

Core/Corona separation

Corona: EPOS (tuned to elementary reactions)

**EPOS+ hydro**

3+1D ideal hydro

complete set of hadronic resonances

Hadronic cascade after mixed phase

Lattice EOS with crossover

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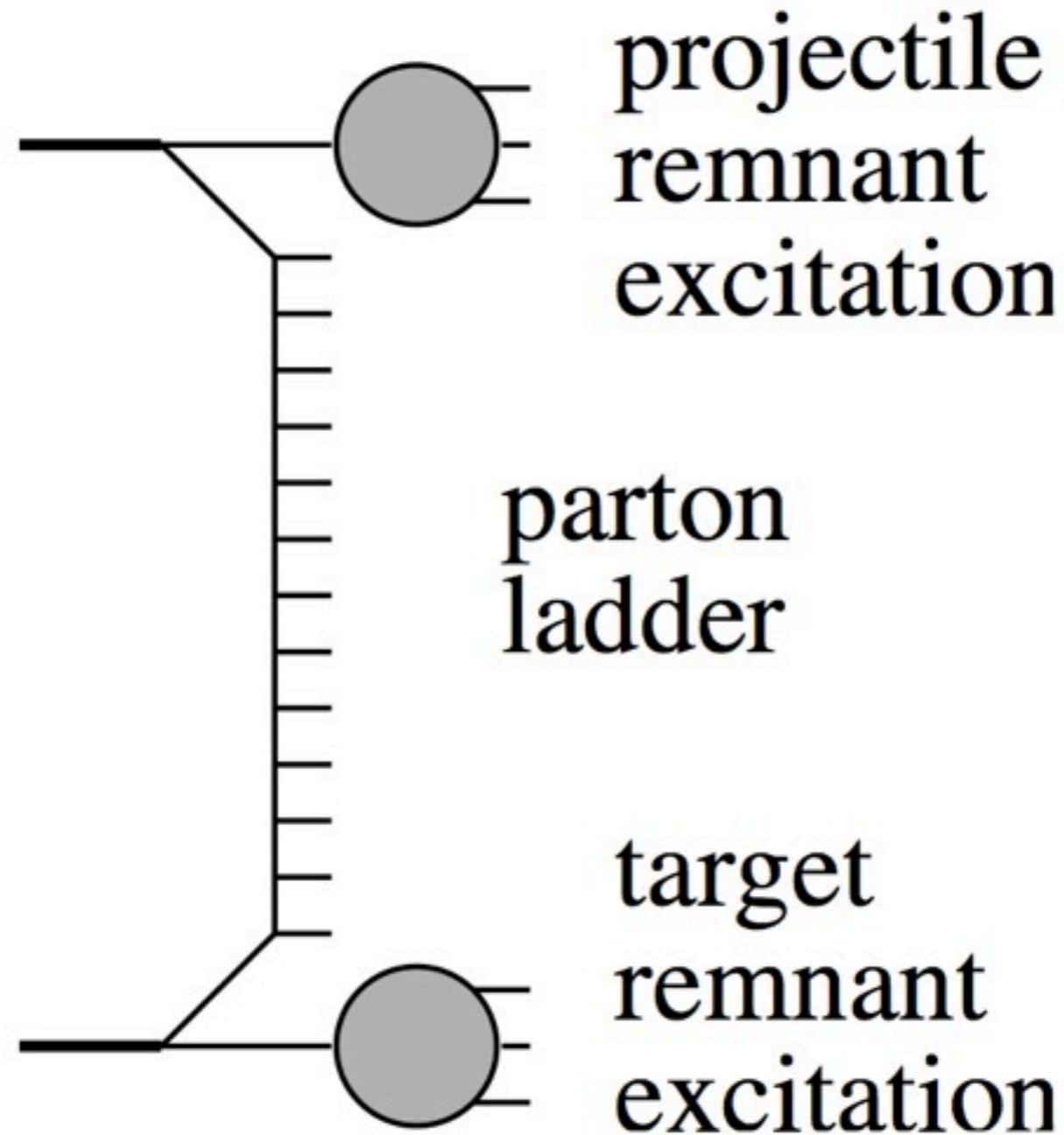
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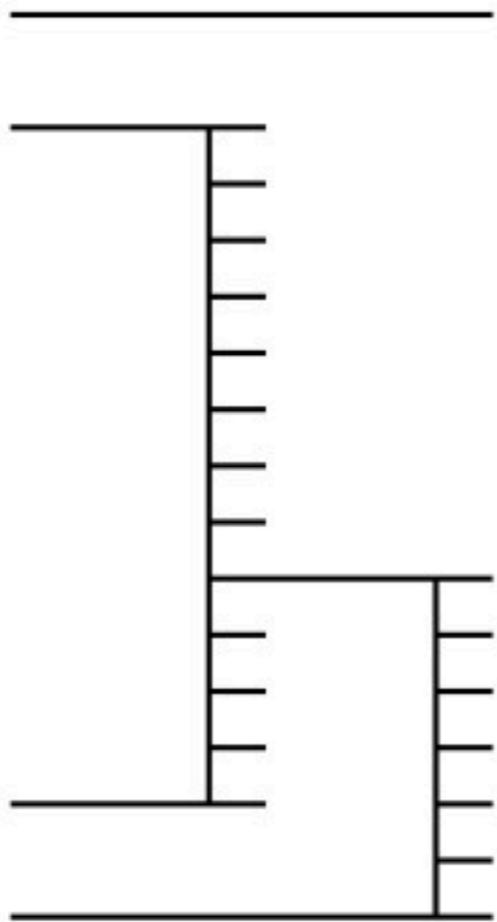
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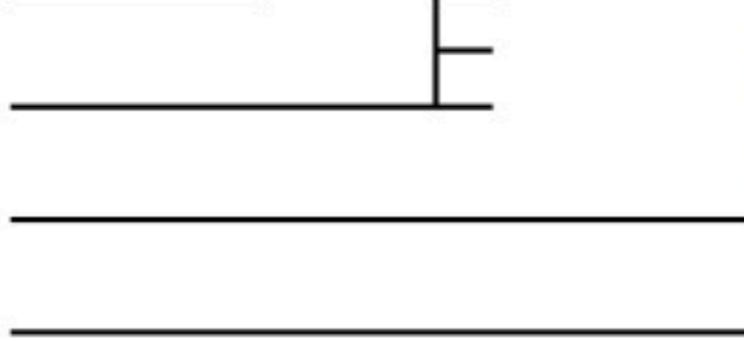


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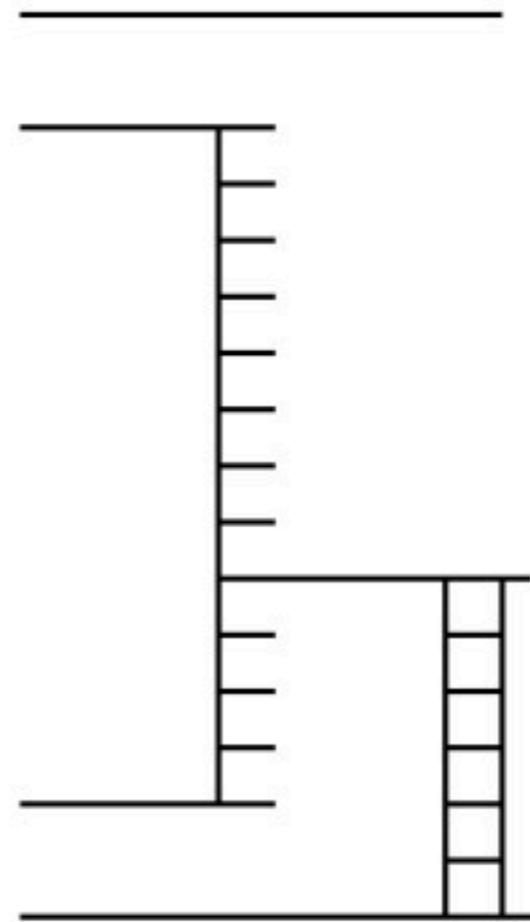
projectile  
partons



target  
partons



projectile  
partons

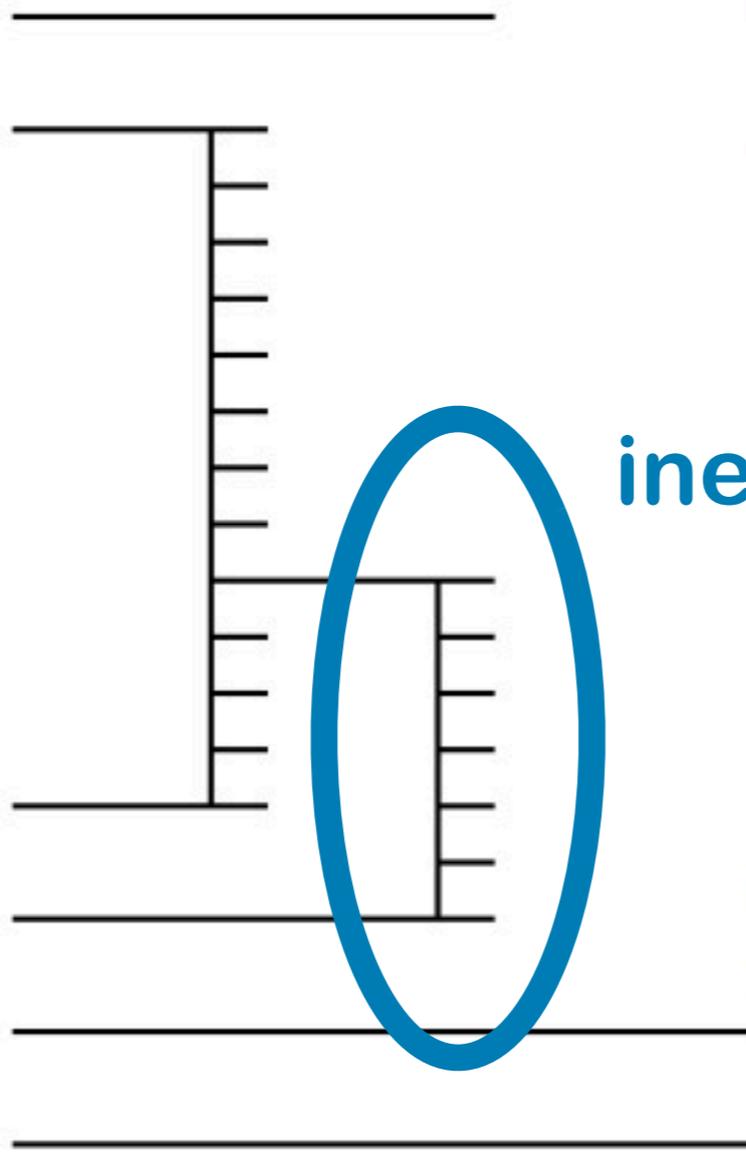


target  
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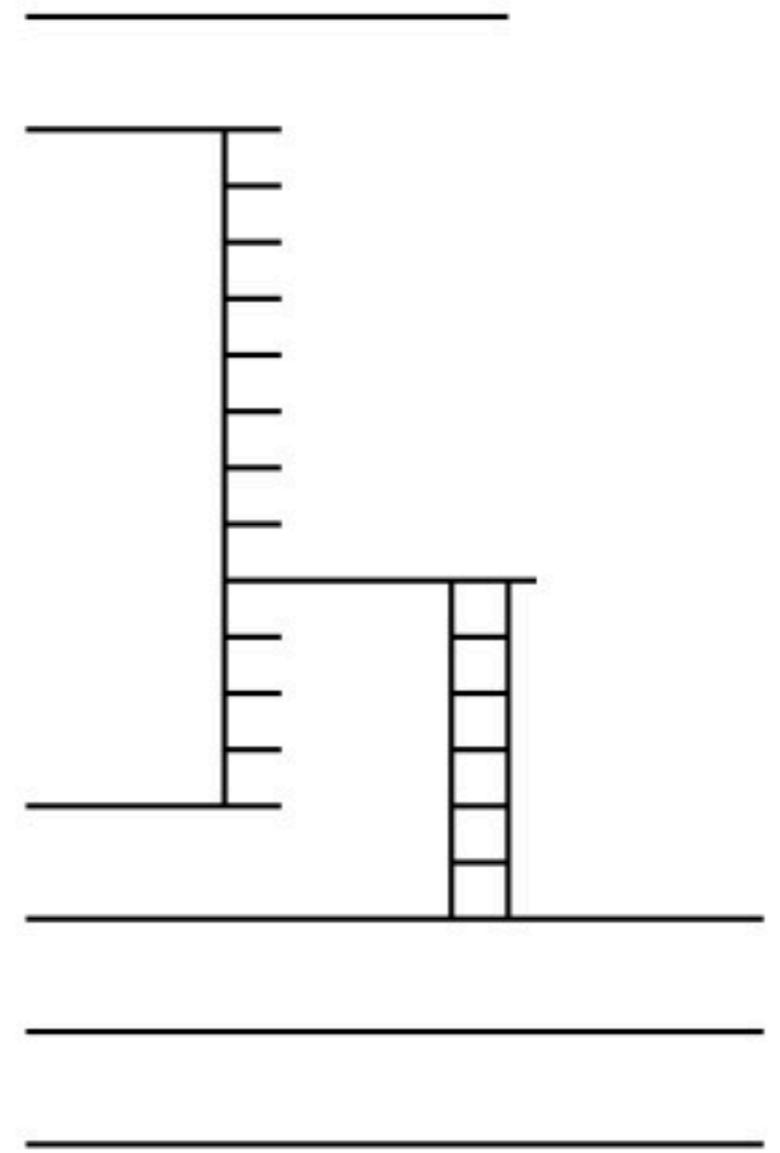
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projectile  
partons



inelastic

projectile  
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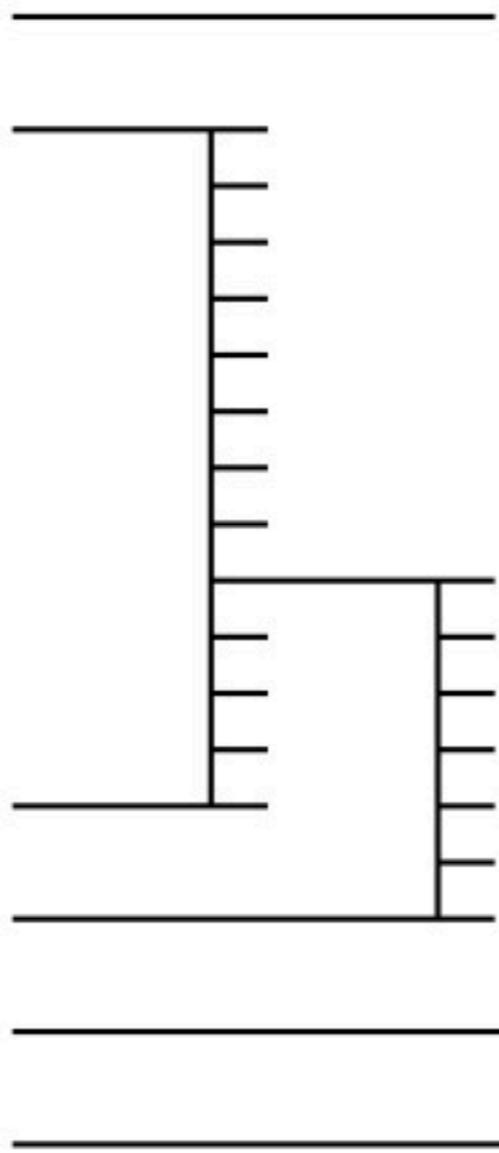


target  
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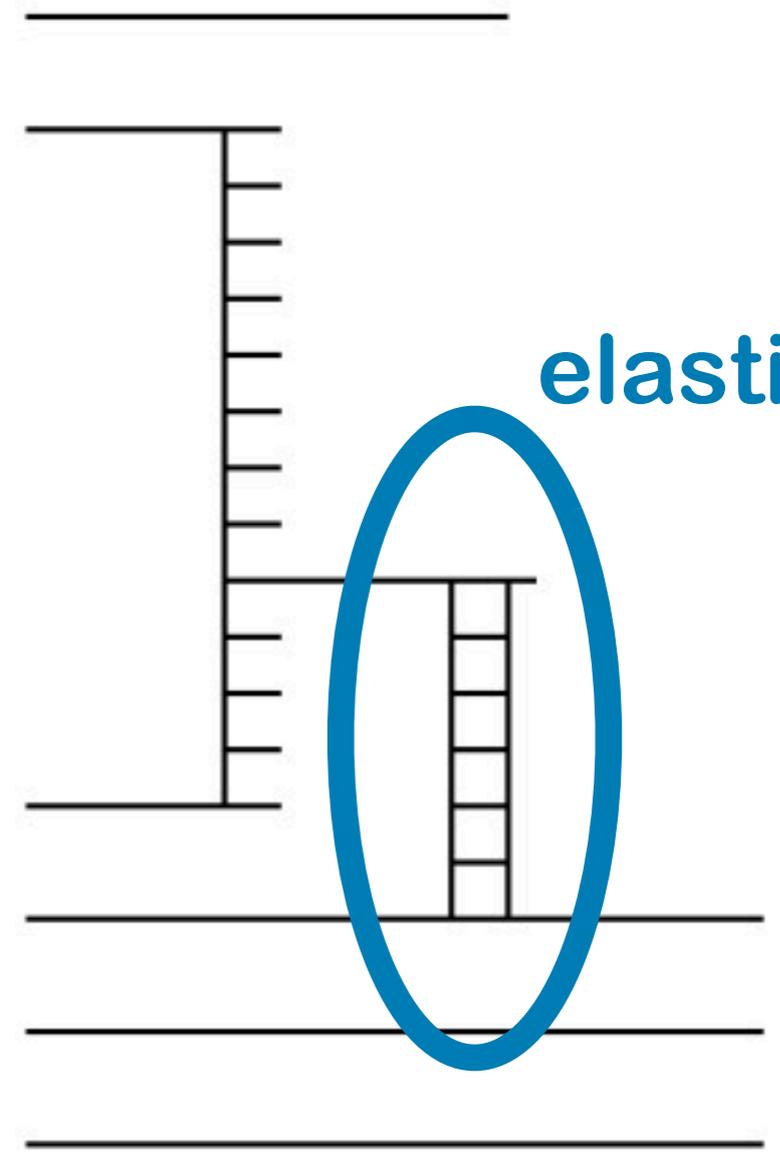
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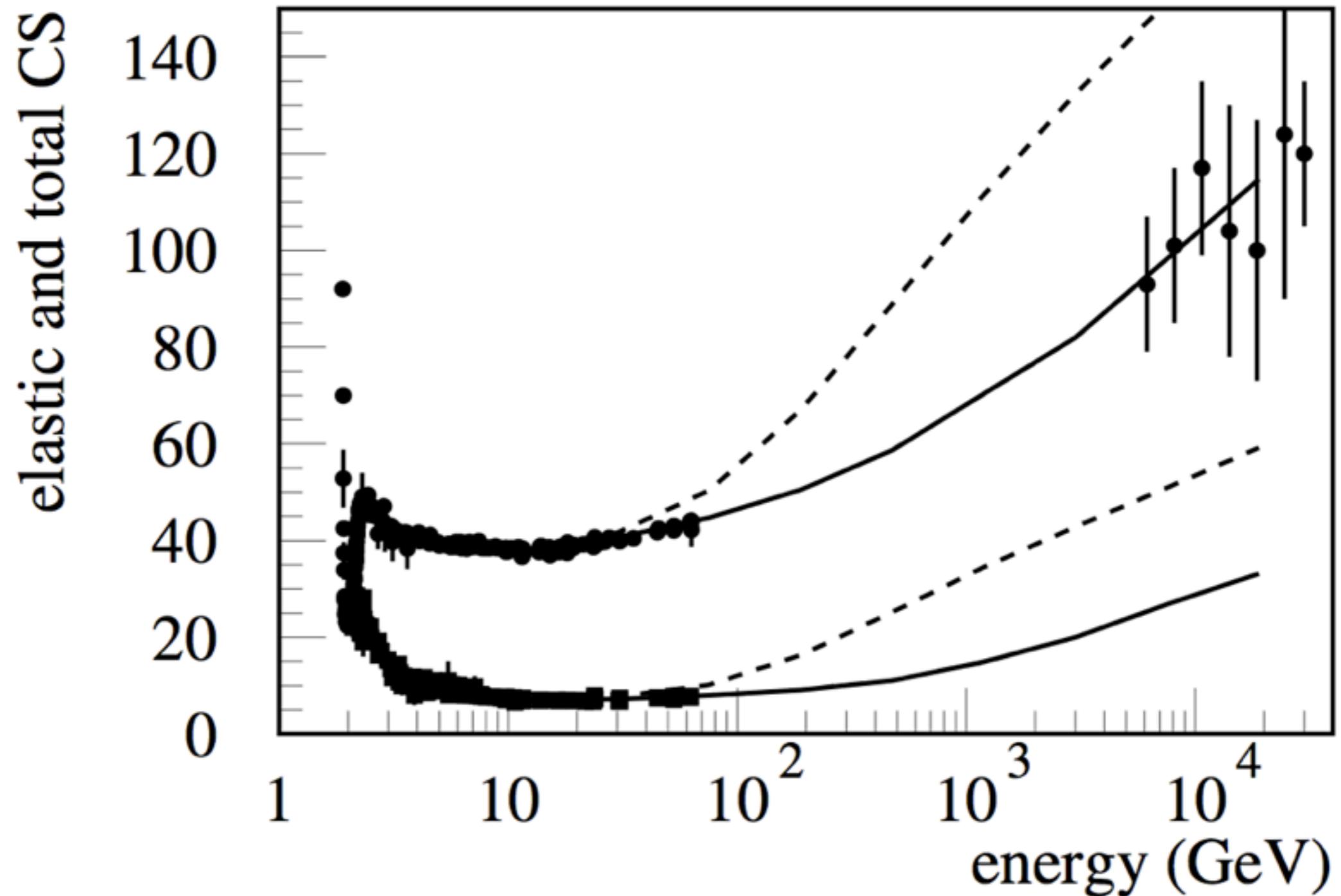
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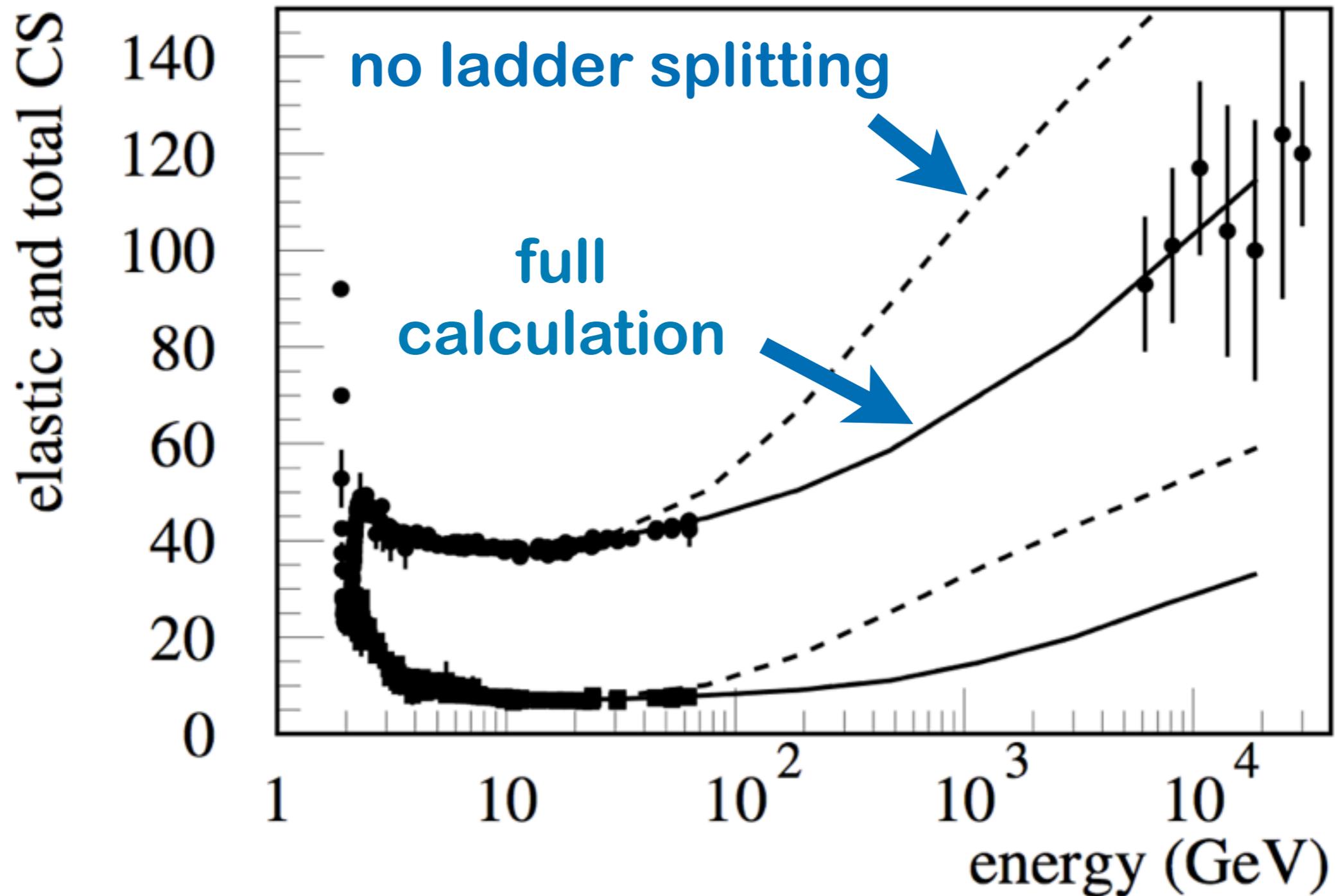
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elastic

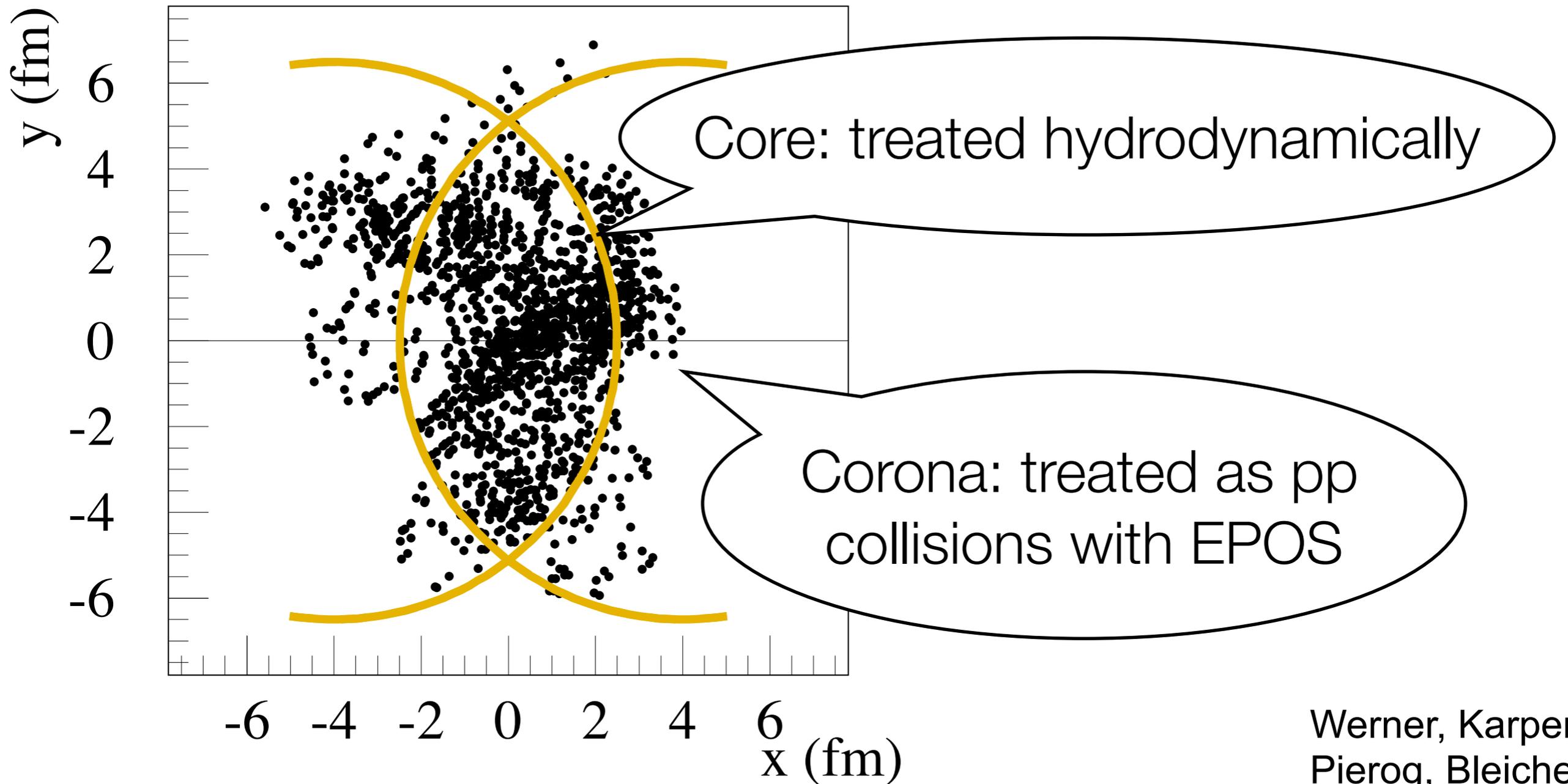
# EPOS - pp cross section



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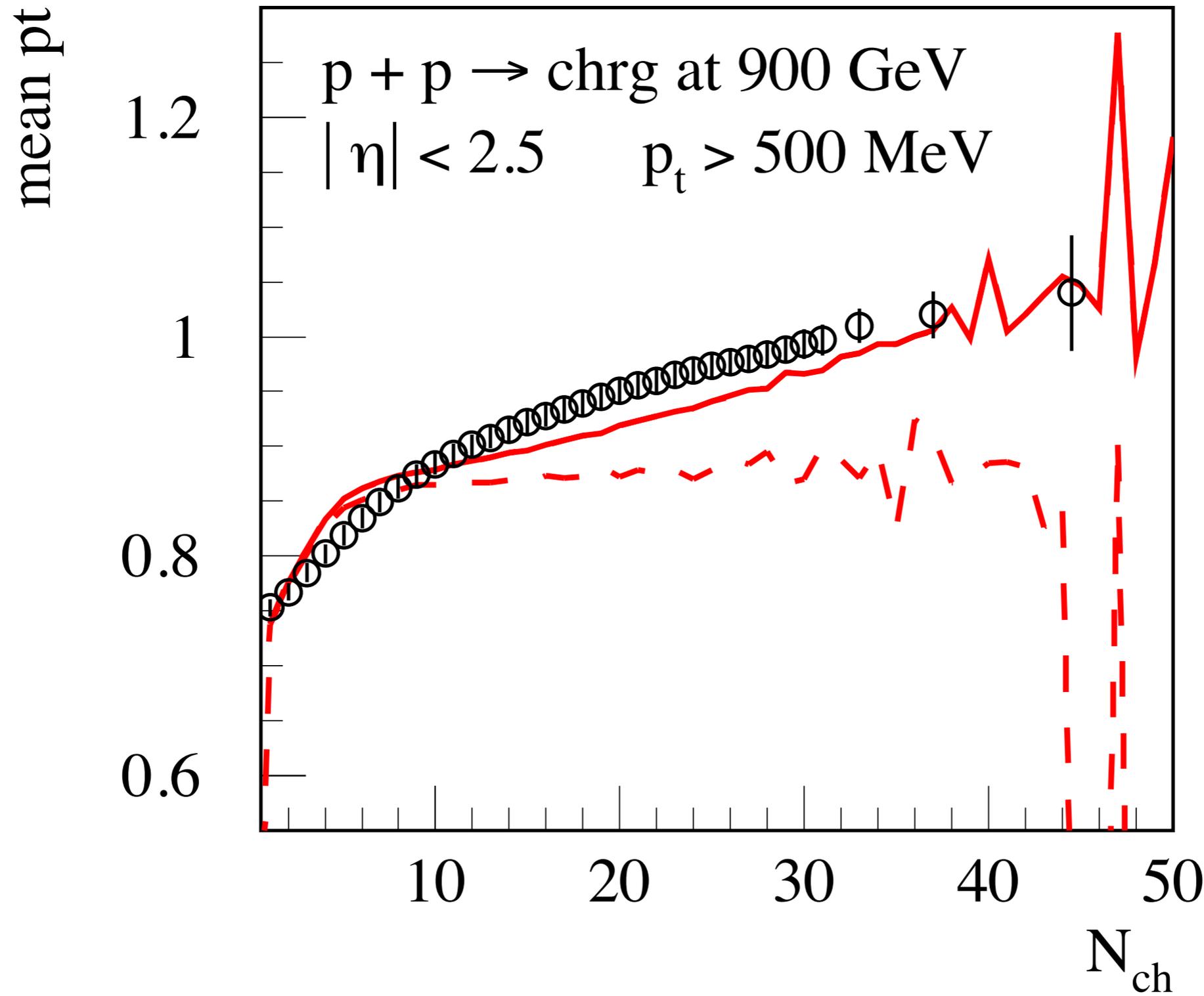


# Core / Corona

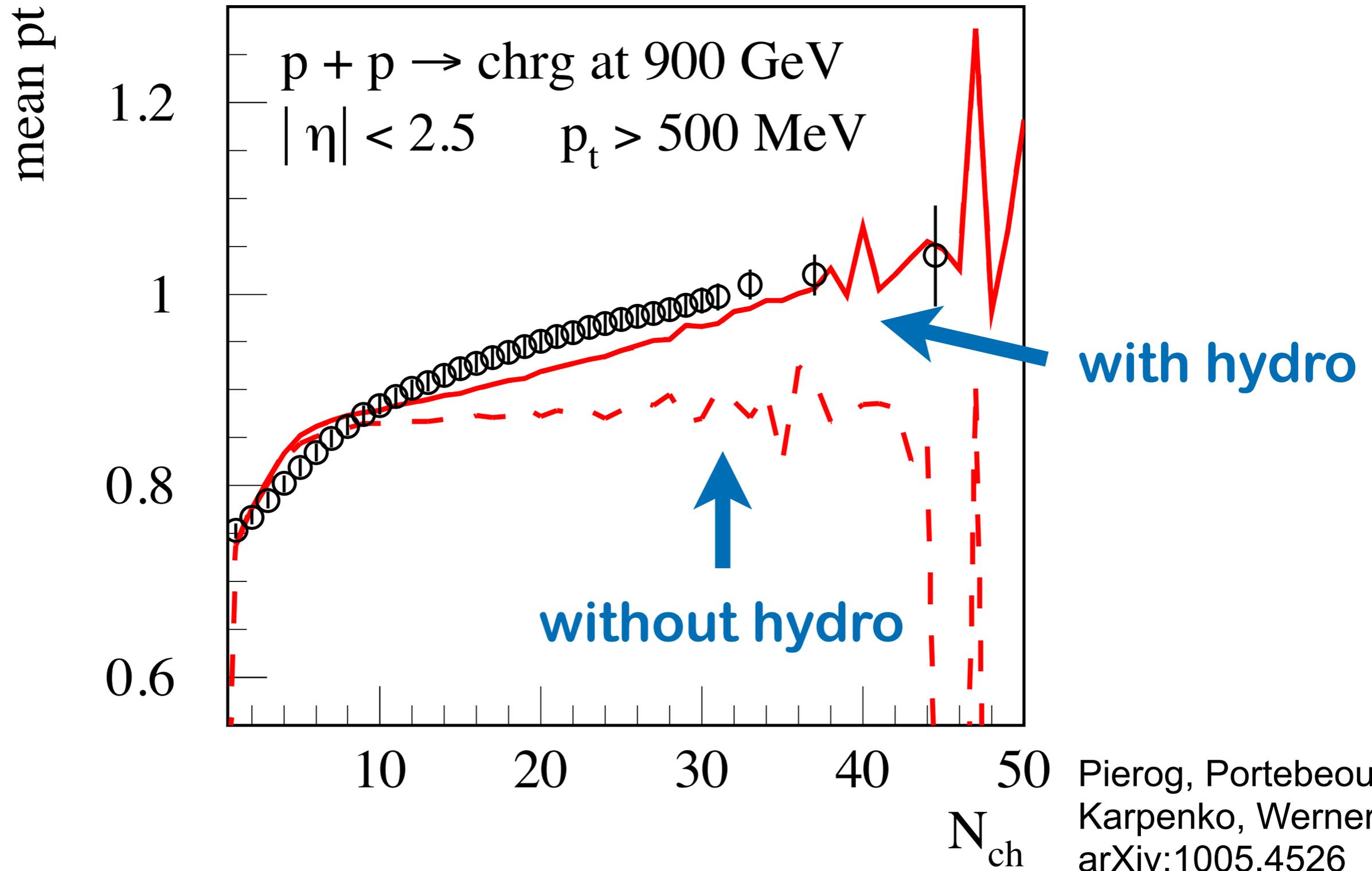


Werner, Karpenko,  
Pierog, Bleicher,  
Mikhailov  
arXiv:1004.0805

# EPOS



# EPOS



# EPOS - hydro

---

**Pressure:**

$$p = p_Q + \lambda(T) (p_H - p_Q)$$

Entropy density:

$$S = \frac{\partial p}{\partial T} = S_Q + \lambda (S_H - S_Q) + \frac{\partial \lambda}{\partial T} (p_H - p_Q)$$

Flavor densities:

$$n^i = \frac{\partial p}{\partial \mu^i} = n_Q^i + \lambda (n_H^i - n_Q^i) + \frac{\partial \lambda}{\partial \mu^i} (p_H - p_Q)$$

Energy density:

$$\varepsilon = TS + \sum_i \mu^i n^i - p$$

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# EPOS - hydro

---

one free parameter  
(in T dependence)



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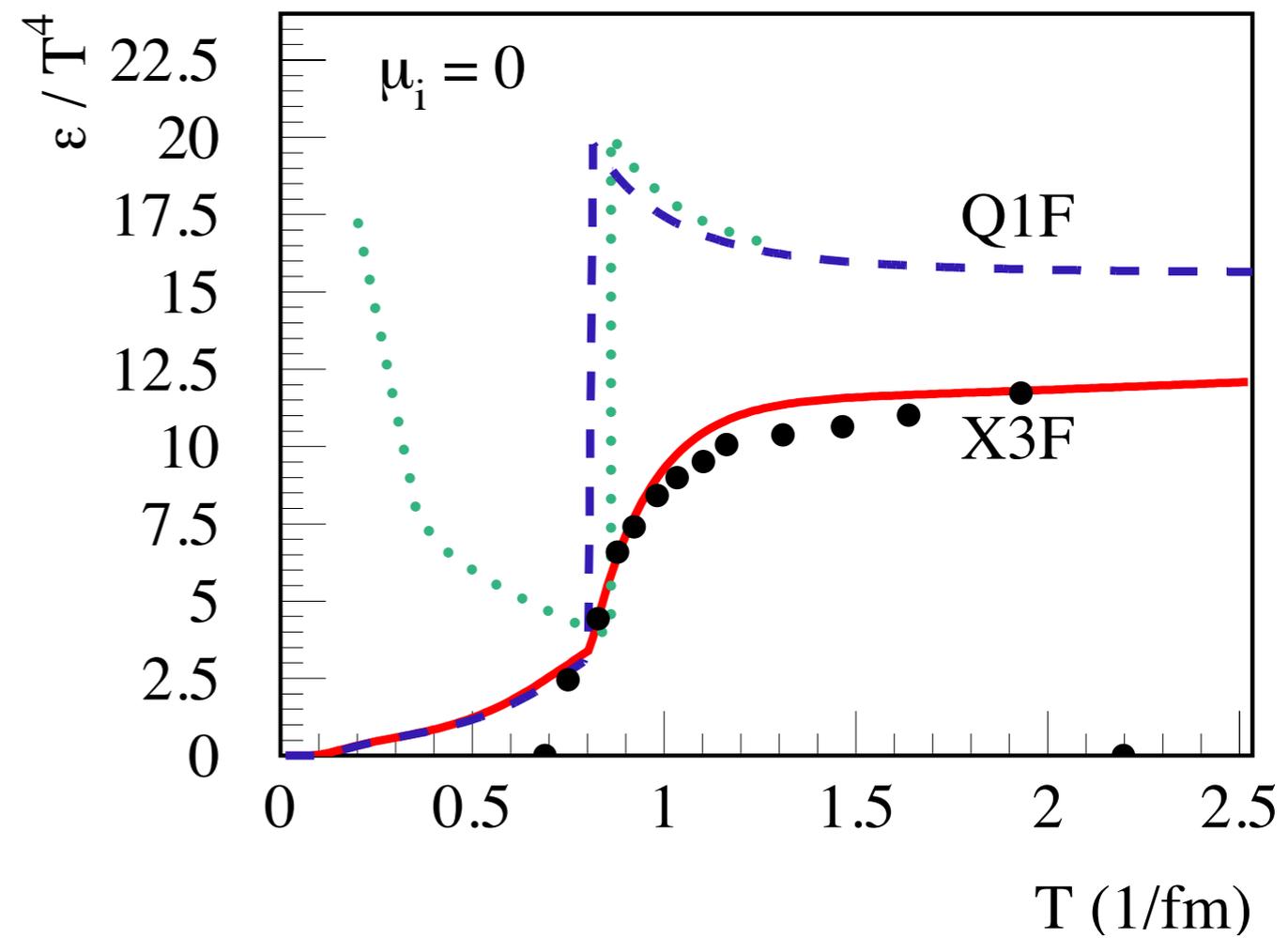
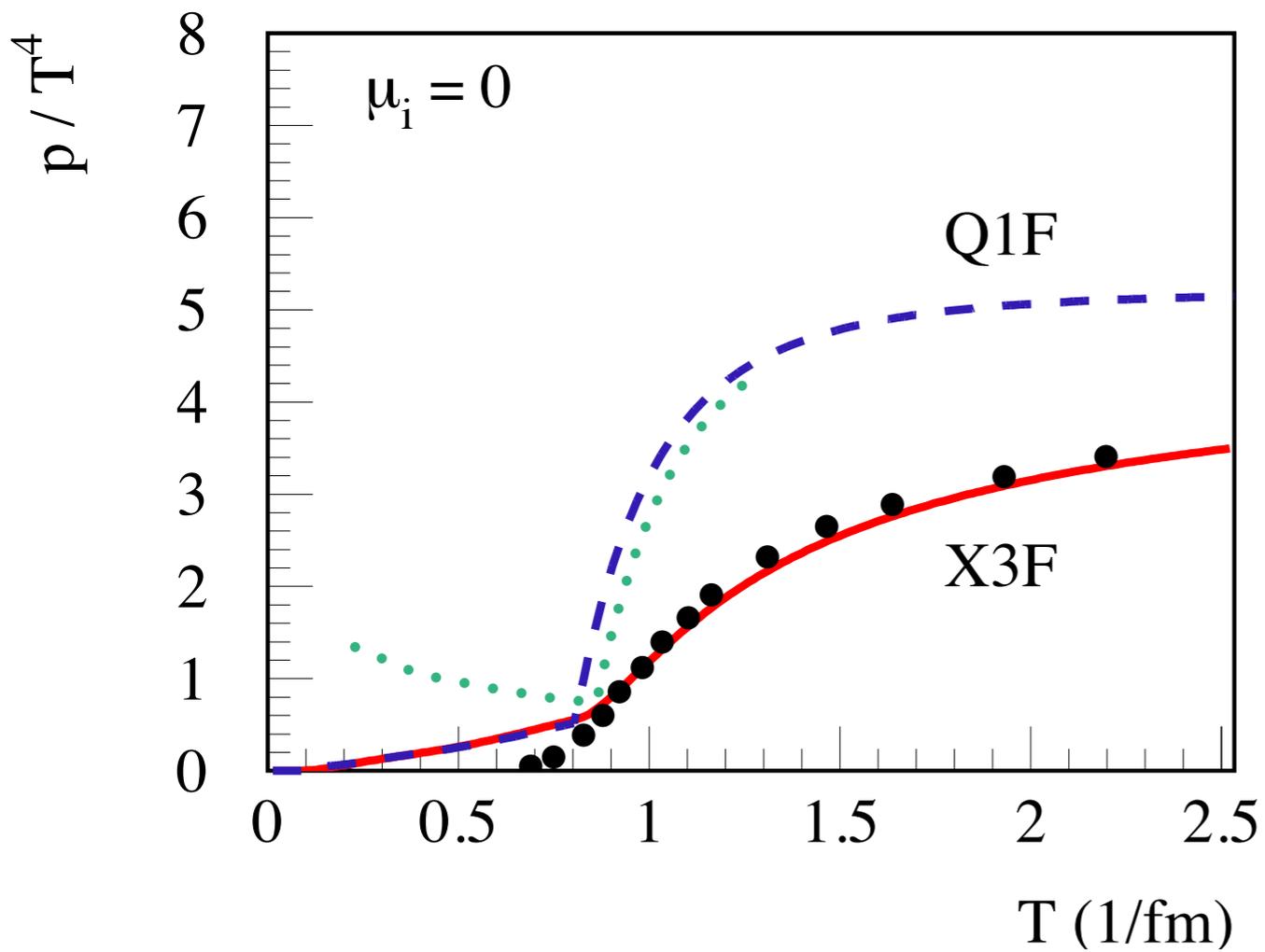
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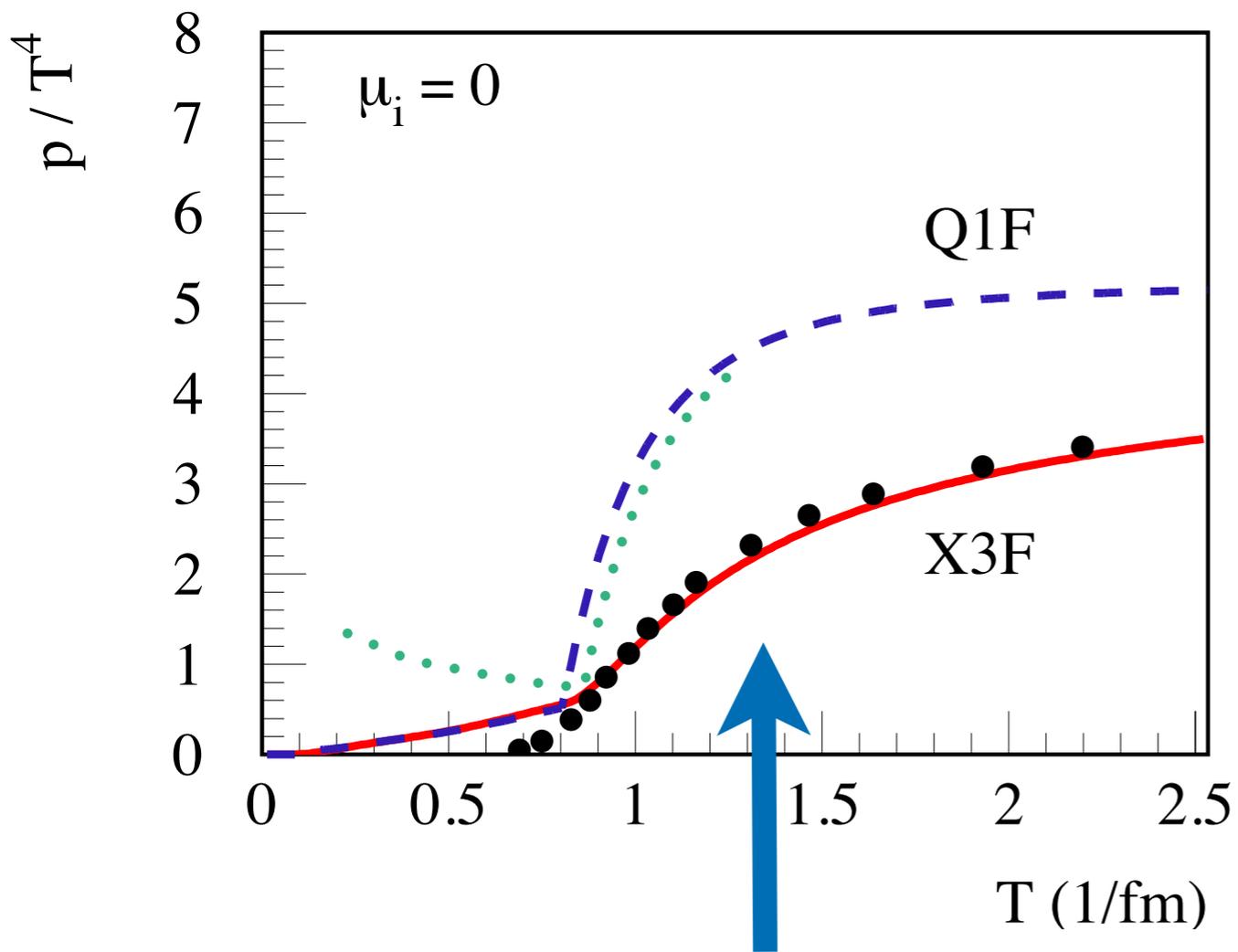
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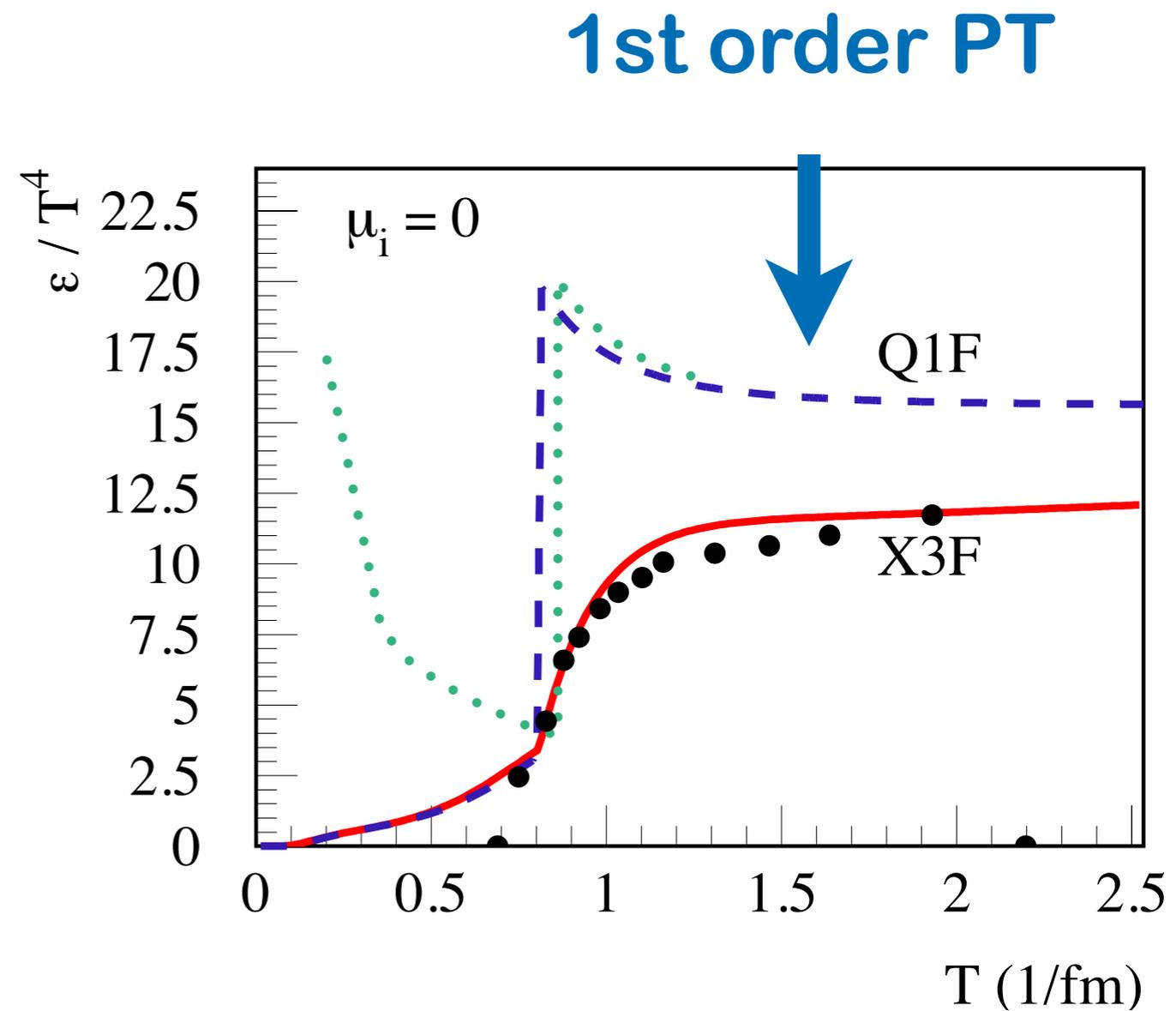
# EPOS - EOS



# EPOS - EOS



**cross-over, 3 flavor**



# MC@sHQ - as a cartoon

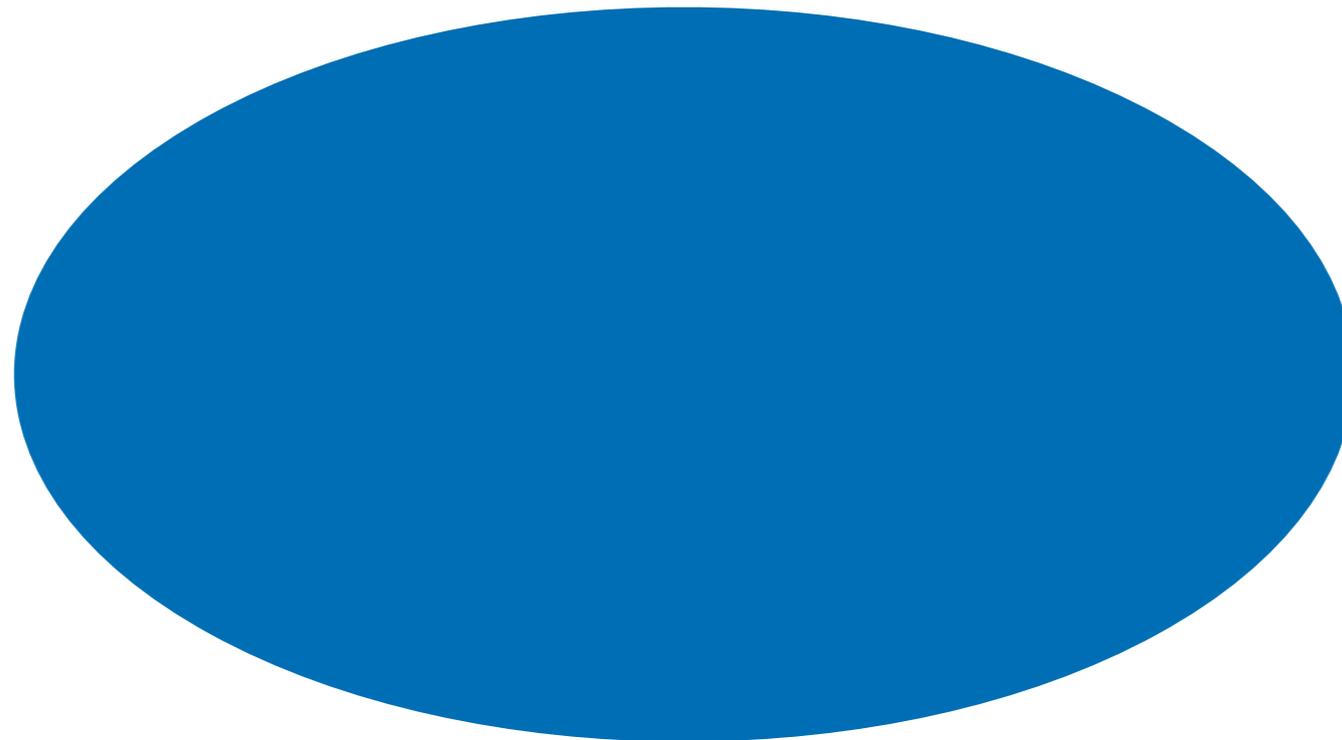
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Monte Carlo with running  $\alpha_s$  for Heavy Quarks

# MC@sHQ - as a cartoon

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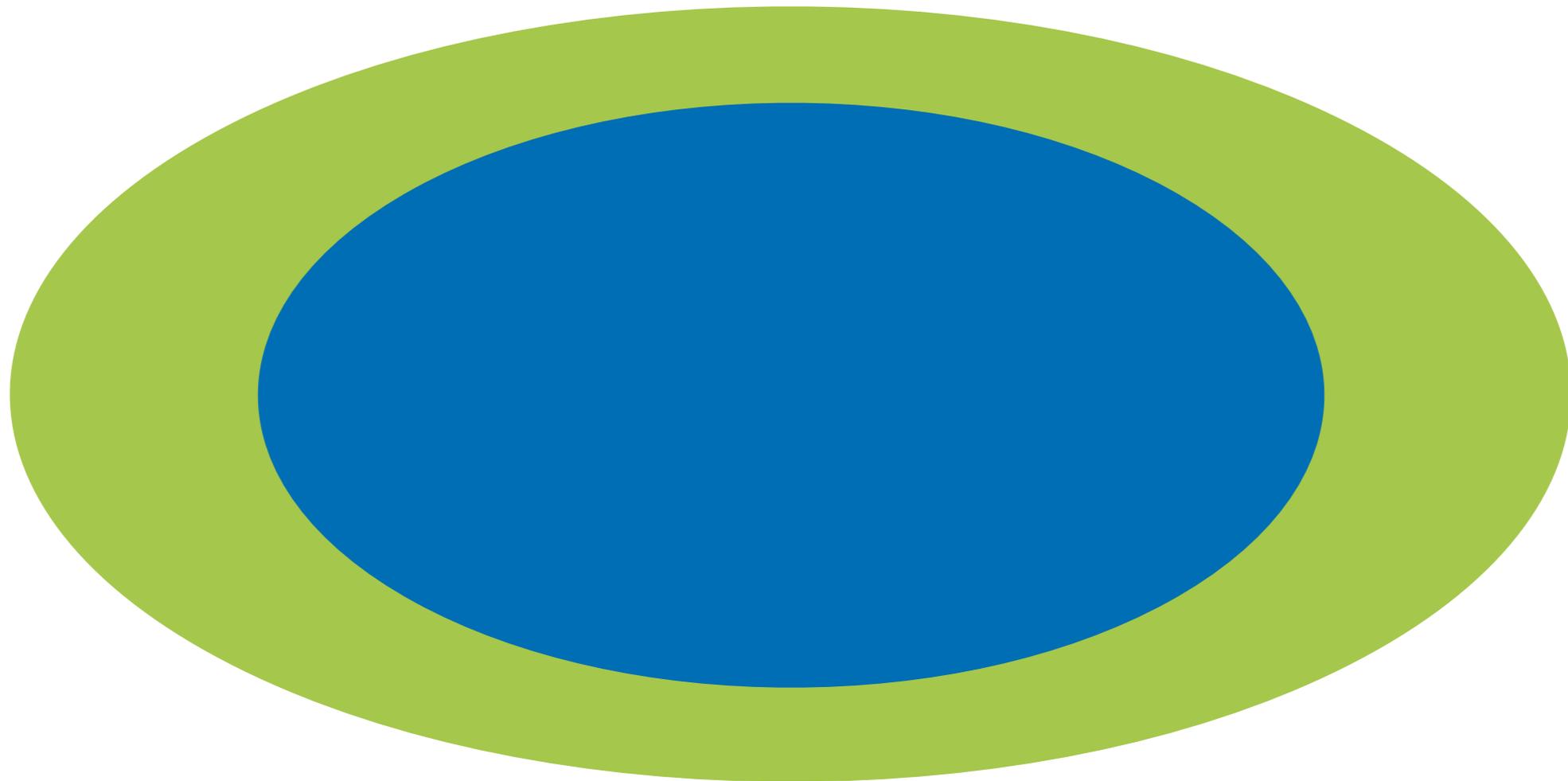
Monte Carlo with running  $\alpha_s$  for Heavy Quarks



 : QGP

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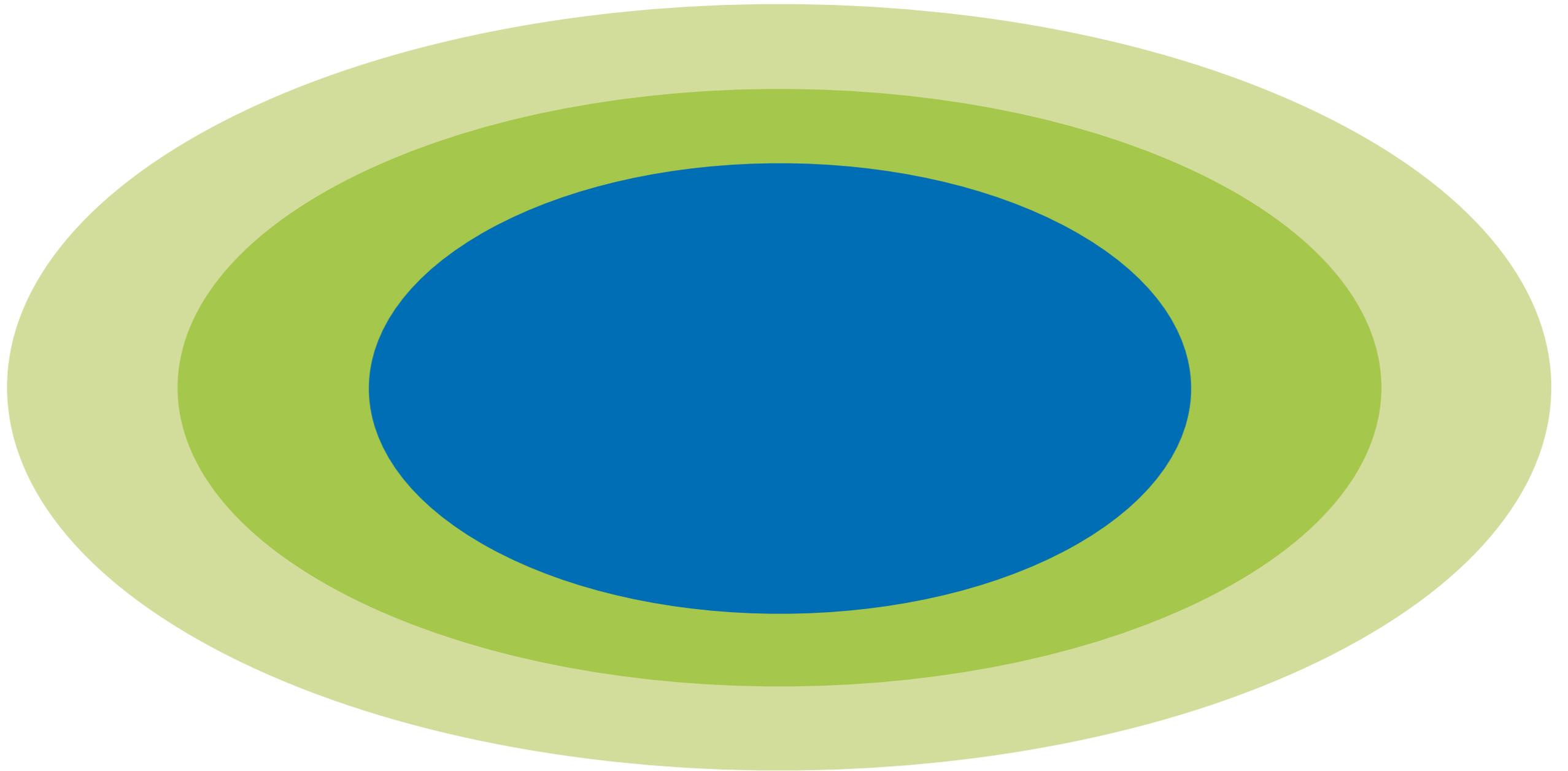
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 : mixed phase

# MC@sHQ - as a cartoon

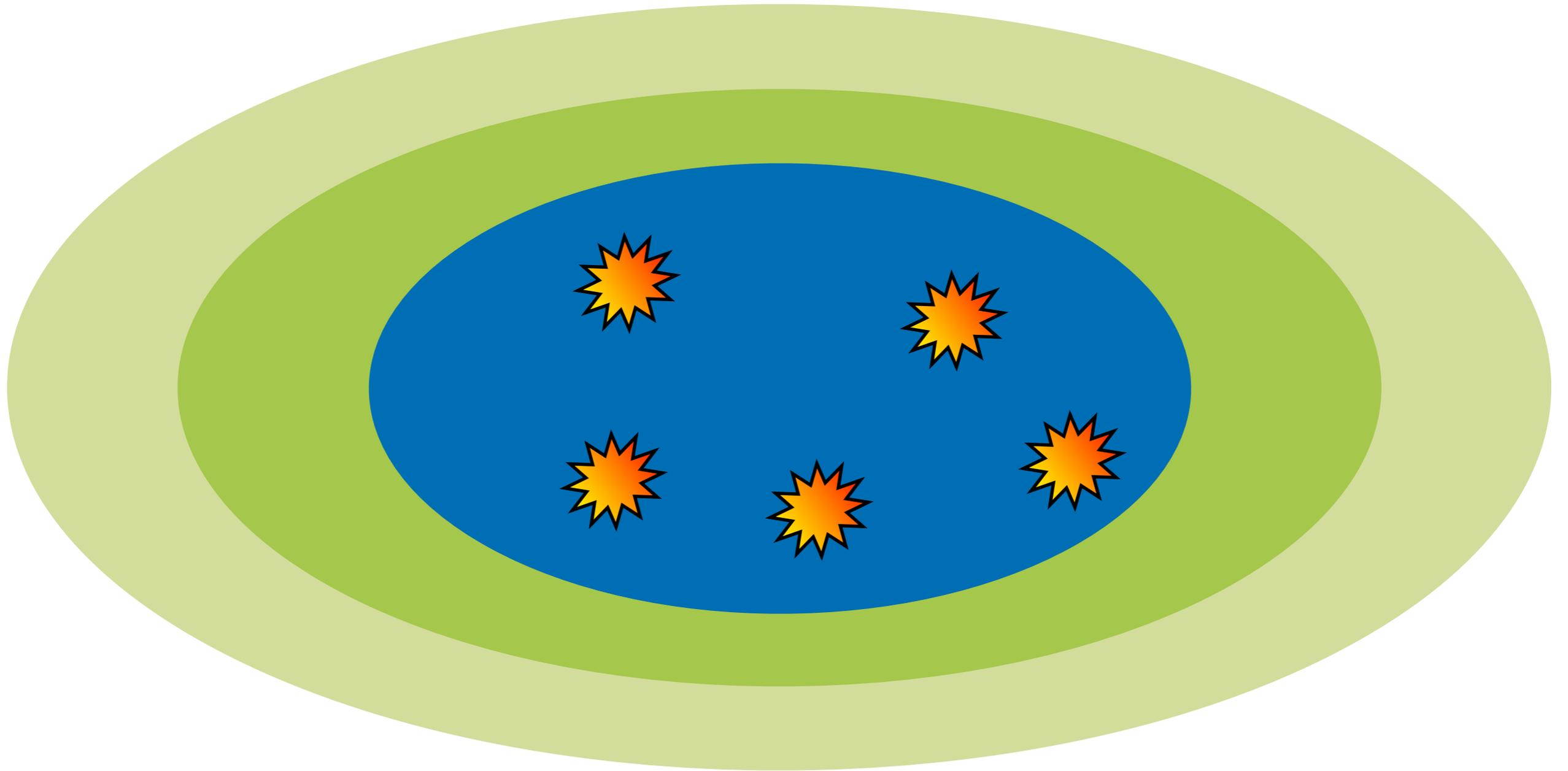
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 : hadronic phase (not taken into account)

# MC@sHQ - as a cartoon

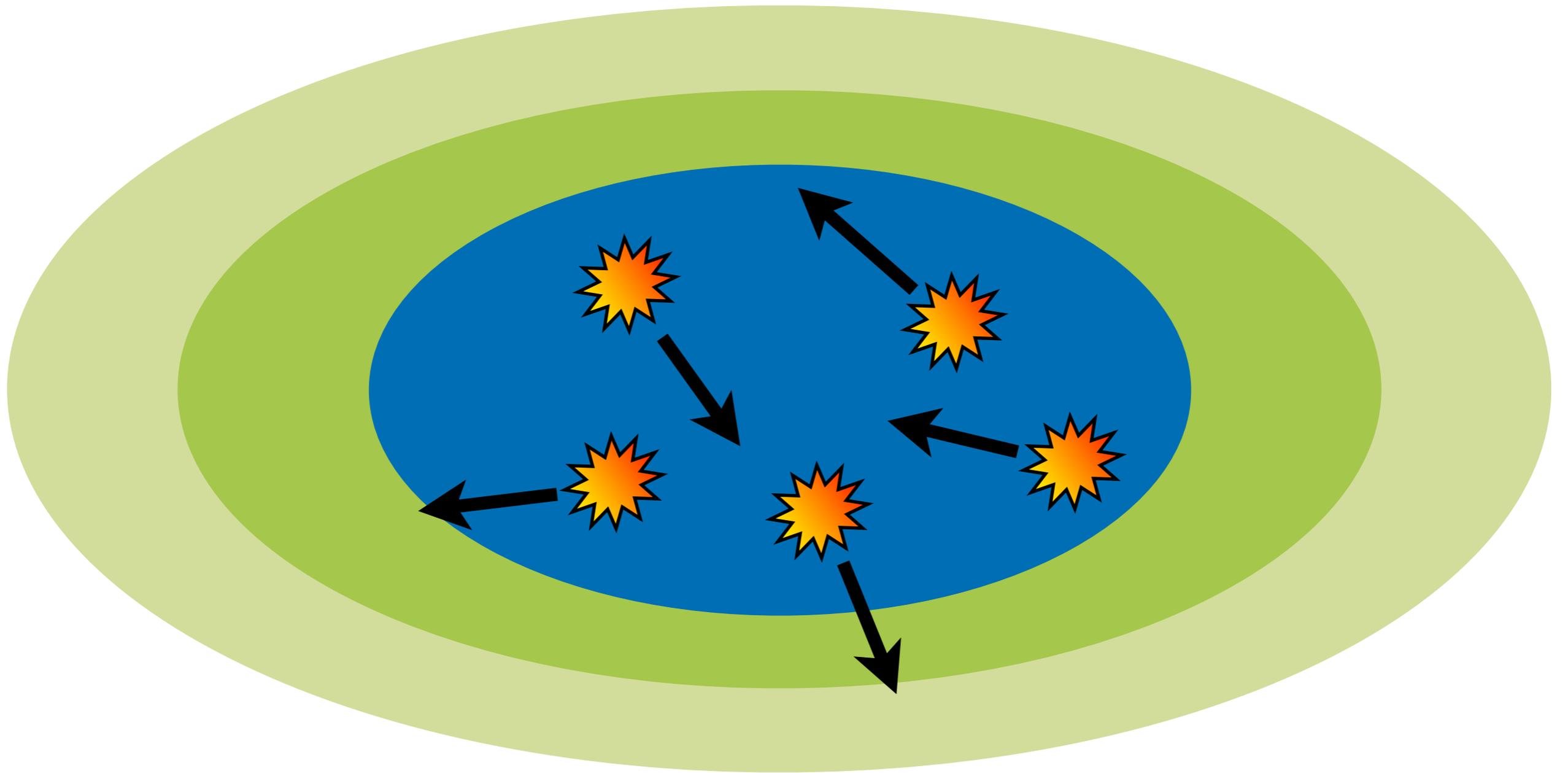
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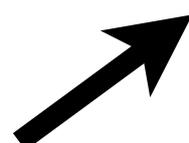


 : hard collisions in initial NN collisions

# MC@sHQ - as a cartoon

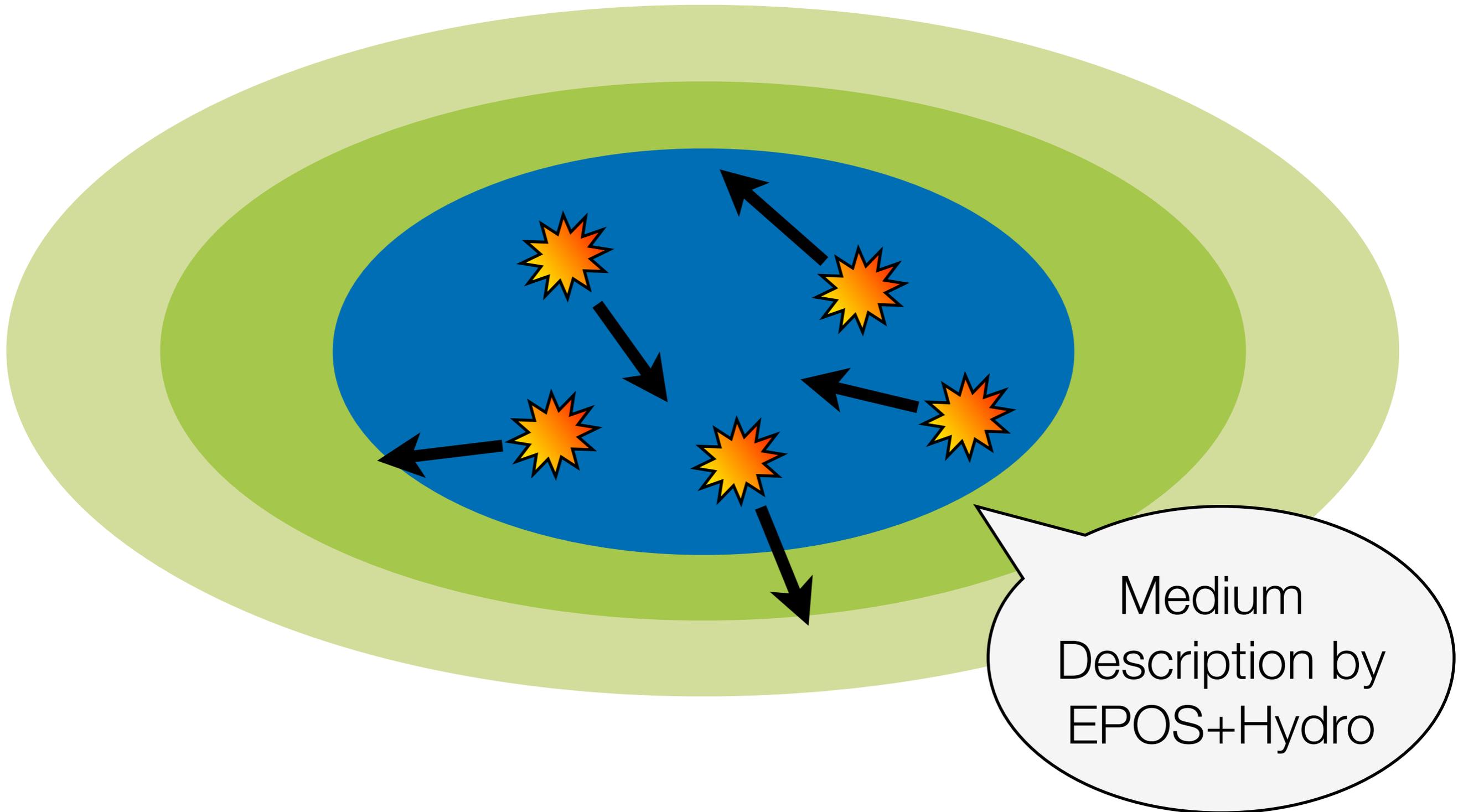
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 : HQ evolution according to Boltzmann equation

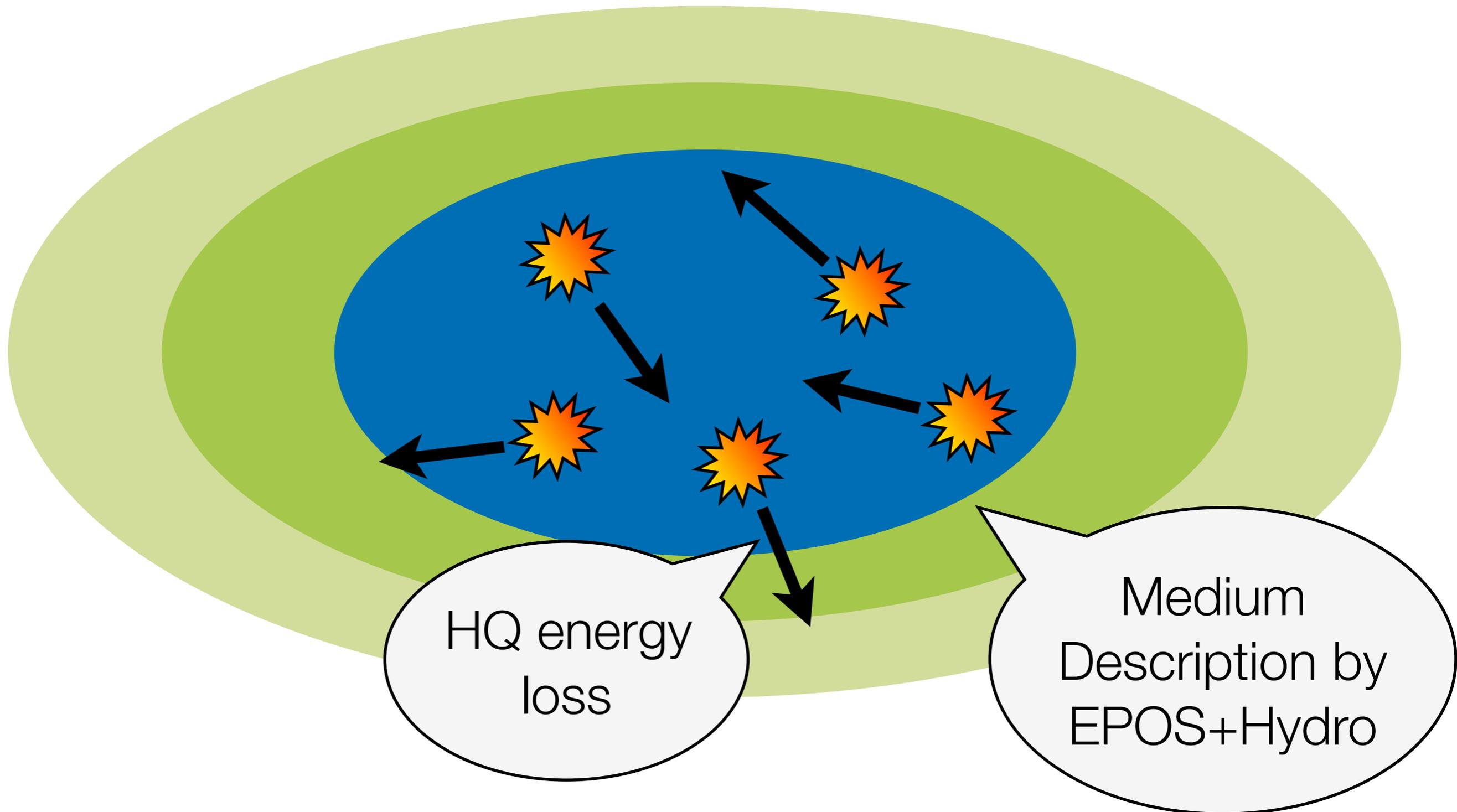
# MC@sHQ - as a cartoon

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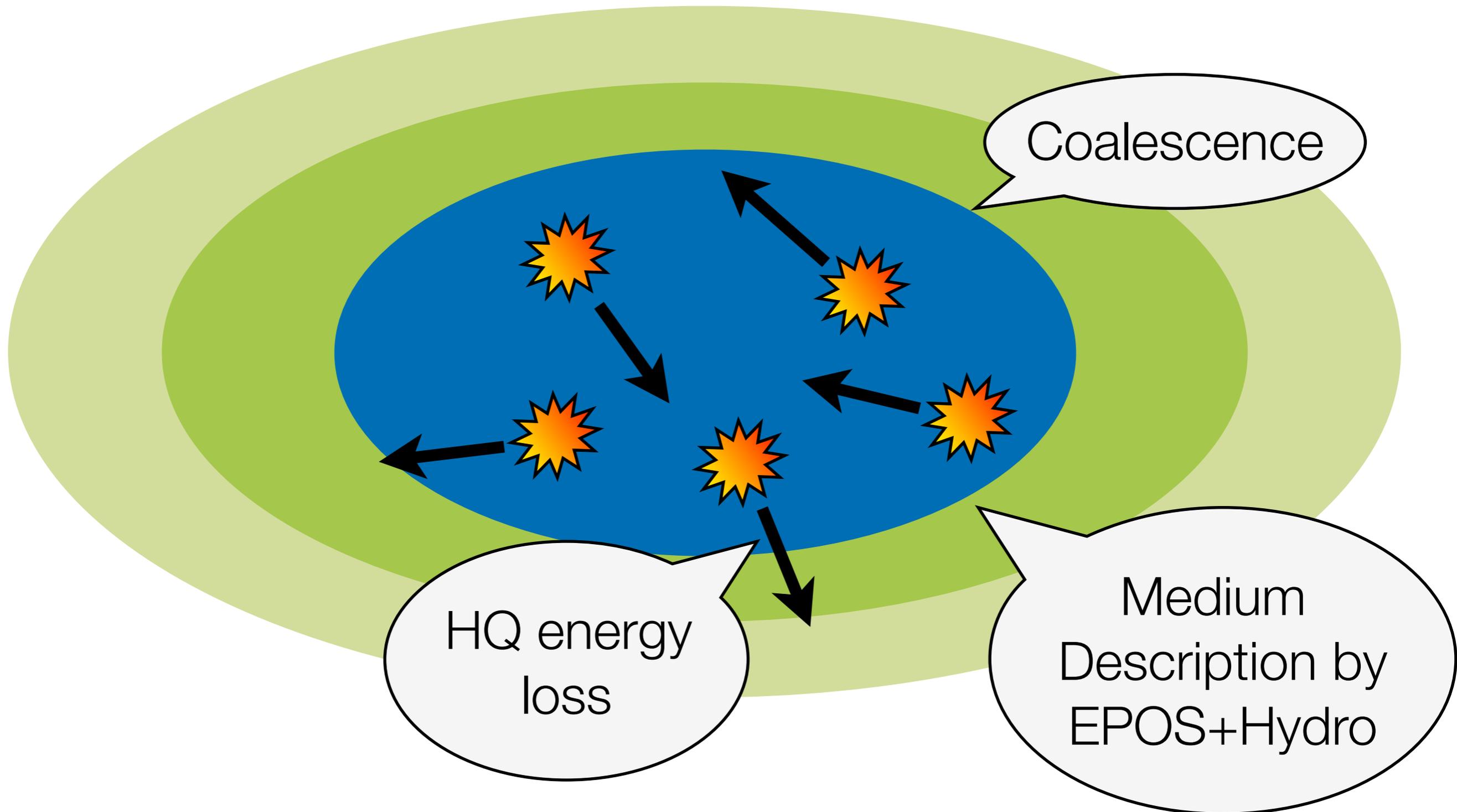
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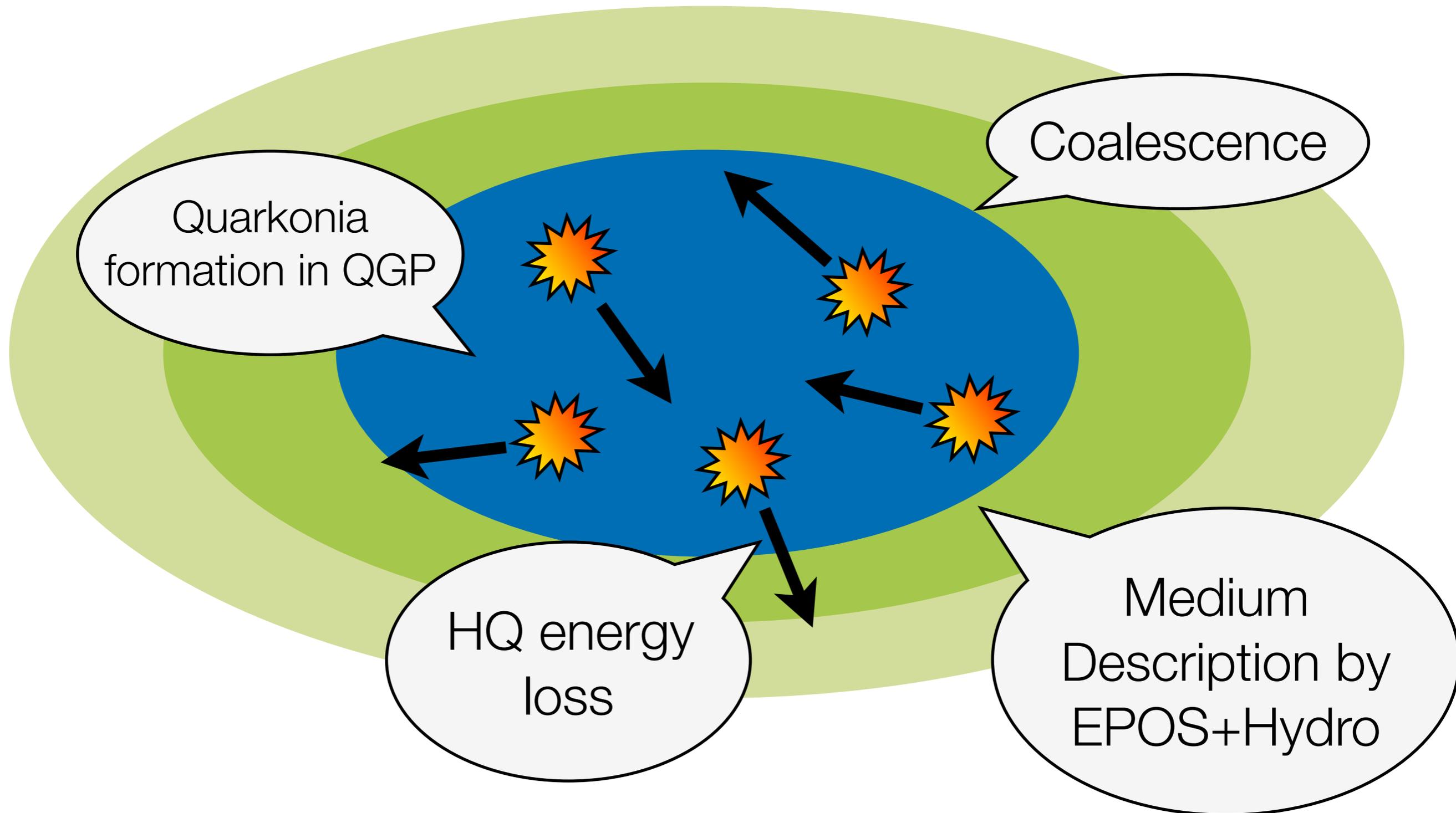
# MC@sHQ - as a cartoon

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# MC@sHQ - as a cartoon

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# MC@sHQ - energy loss

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collisional energy loss

**infrared  
regulator**

**running  
coupling**

# infrared regulator

---

gluon propagator

$$\frac{\alpha}{t} \rightarrow \frac{\alpha}{t - \mu^2}$$

usual choices:

thermal gluon mass

$$\mu^2 = \frac{m_D^2}{3} = \frac{N_c}{9} \left( 1 + \frac{1}{6} n_f \right) 4\pi\alpha_S T^2 \approx \frac{(g_S T)^2}{3}$$

# infrared regulator

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gluon propagator

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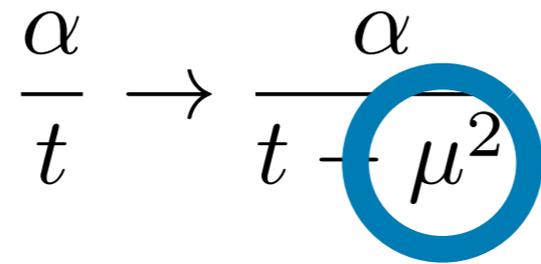
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# infrared regulator

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## gluon propagator

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# infrared regulator

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gluon propagator

$$\frac{\alpha}{t} \rightarrow \frac{\alpha}{t - \mu^2}$$

usual choices:

thermal gluon mass (not from first principles!)

$$\mu^2 = \frac{m_D^2}{3} = \frac{N_c}{9} \left( 1 + \frac{1}{6} n_f \right) 4\pi\alpha_S T^2 \approx \frac{4\pi\alpha_S T^2}{3}$$

# infrared regulator

---

assume:

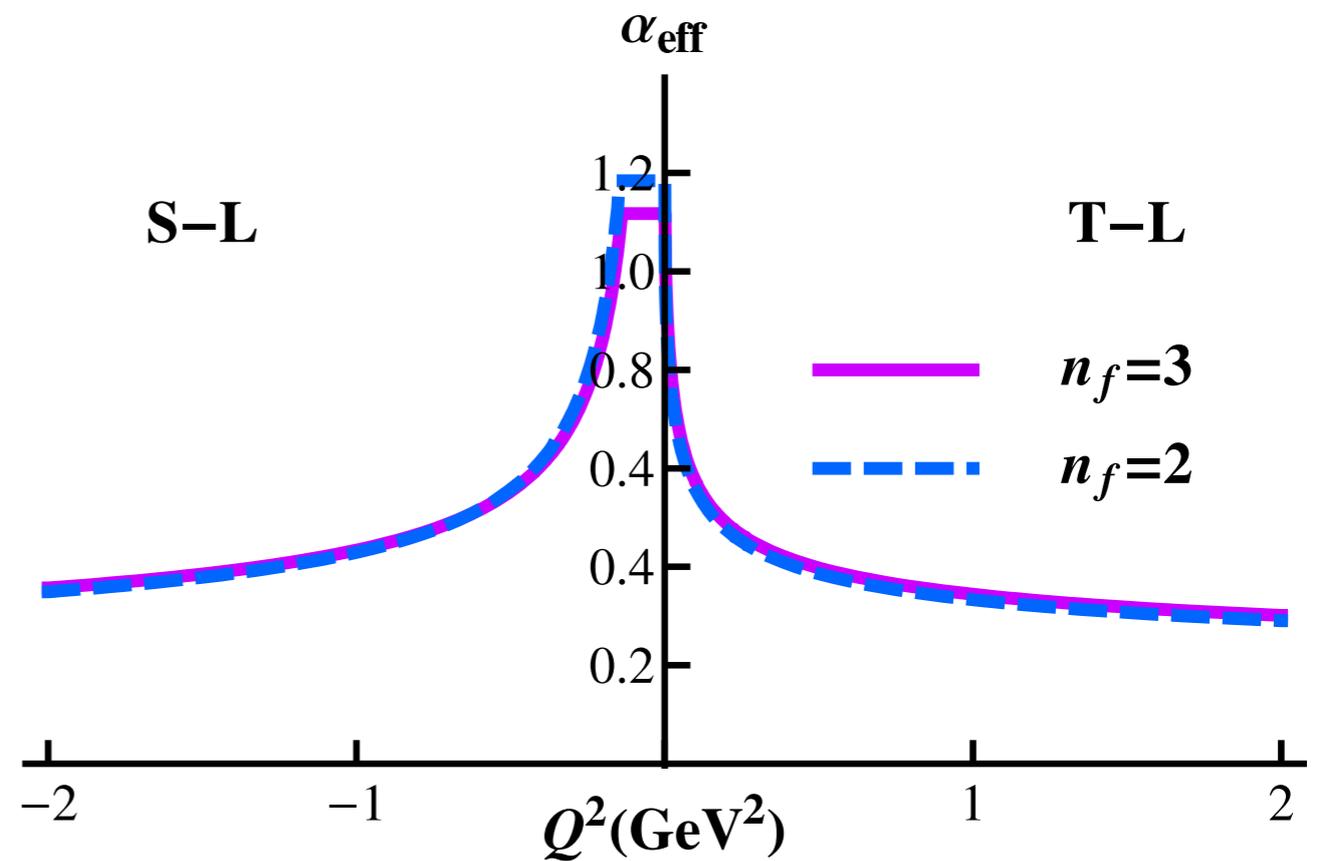
$$\frac{\alpha}{t - \kappa m_D^2(T)}$$

determine parameters in agreement with  
HTL+hard dE/dx calculations

$$\kappa \sim 0.2$$

# running coupling

possibility to define an  
infrared finite running  
coupling



# running coupling

---

$$\alpha \rightarrow \alpha_{\text{eff}}(Q^2)$$

$$\alpha_{\text{eff}} = \frac{4\pi}{\beta_0} \left[ \ln \left( \frac{-Q^2}{\Lambda^2} \right) \right]^{-1}$$

$$\alpha_{\text{eff}} = \frac{4\pi}{\beta_0} \left[ \frac{1}{2} - \pi^{-1} \text{atn} \left( \frac{\ln(Q^2/\Lambda^2)}{\pi} \right) \right]$$

# MC@sHQ - collisional energy loss

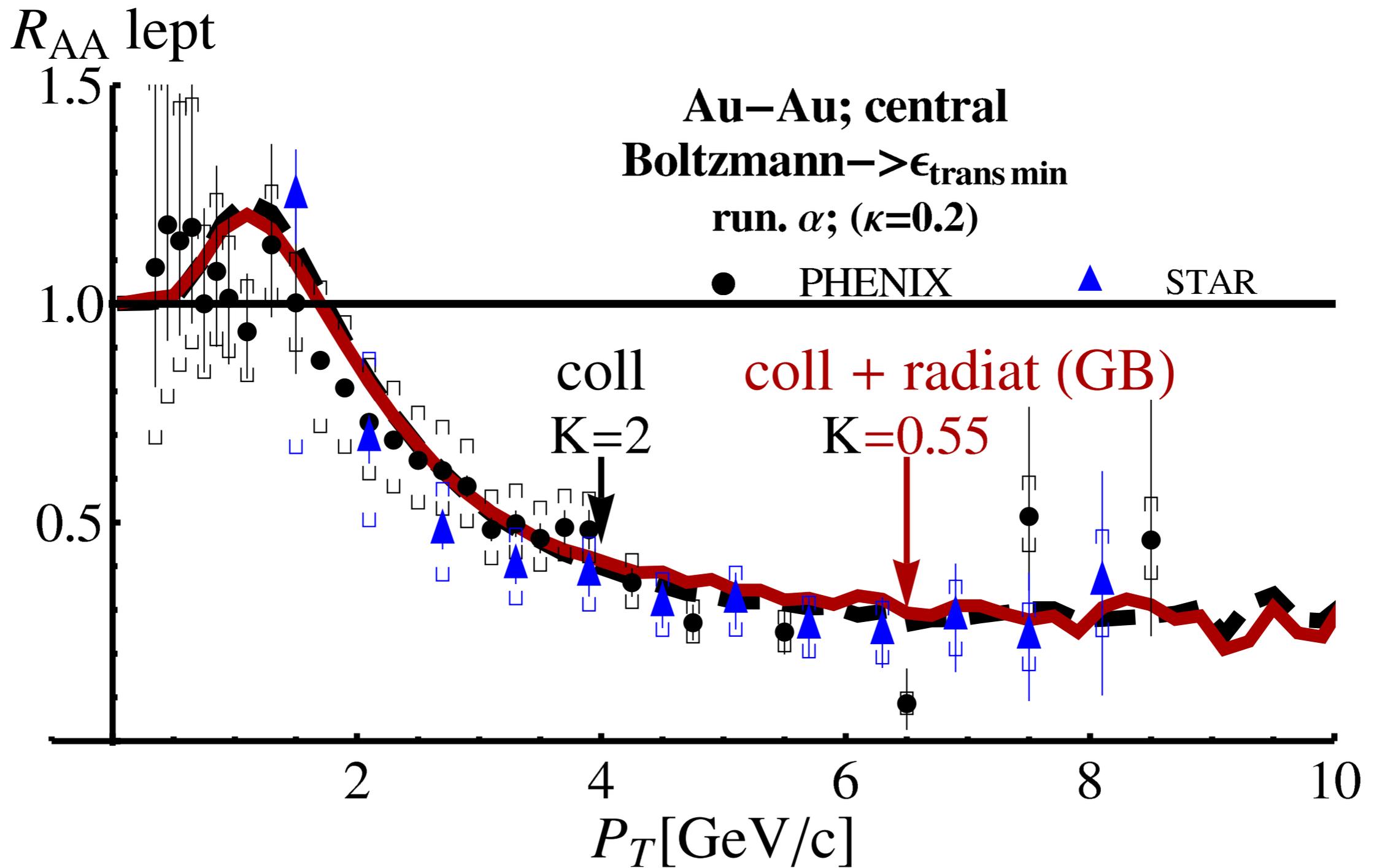
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$$\frac{\alpha_{\text{eff}}(t)}{t - \kappa \tilde{m}_D^2(T)}$$

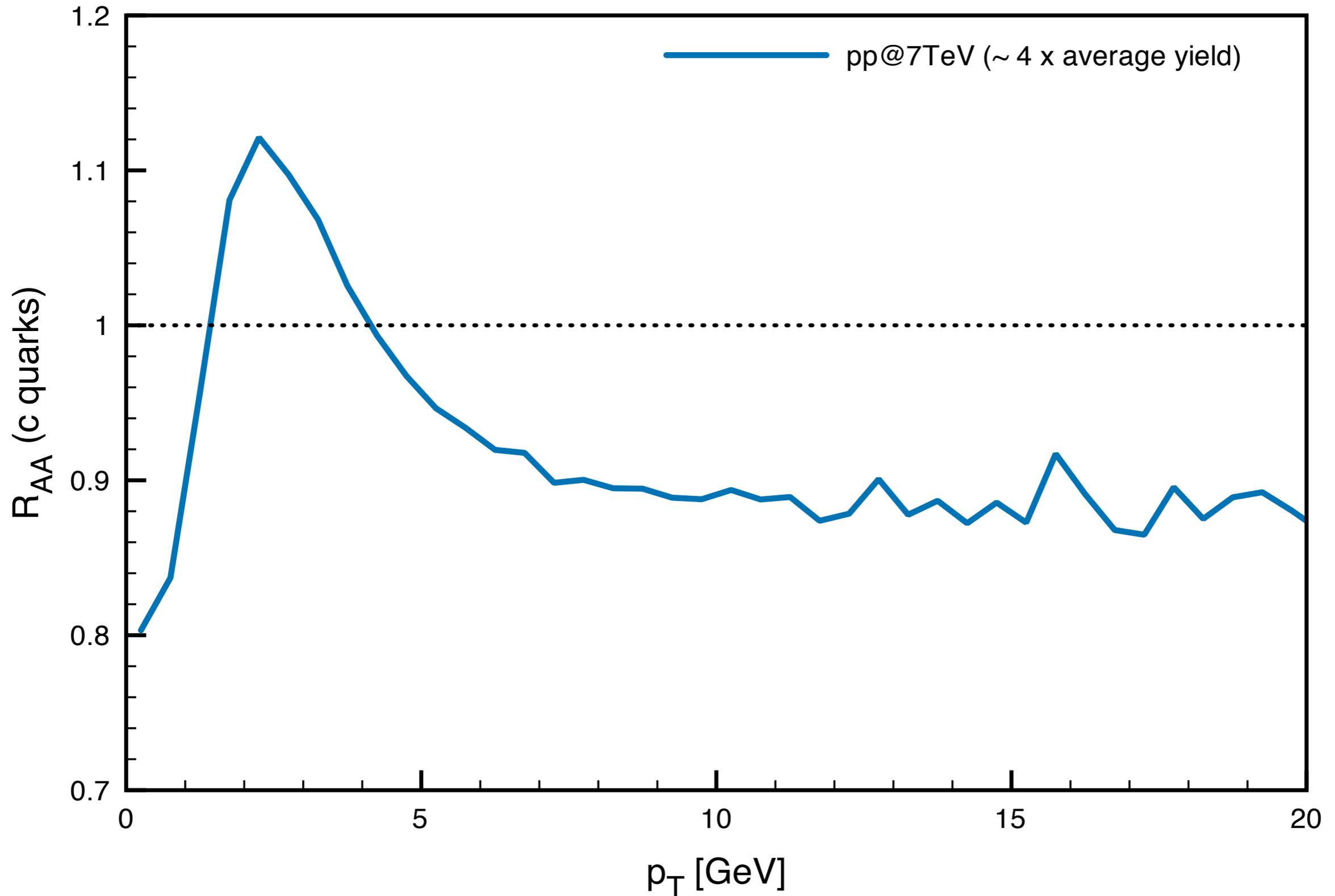
## ingredients:

- running coupling
- self-consistent Debye mass
- infrared regulator adjusted to HTL+hard
- radiative energy loss (not covered here)

# MC@sHQ in AuAu @ RHIC

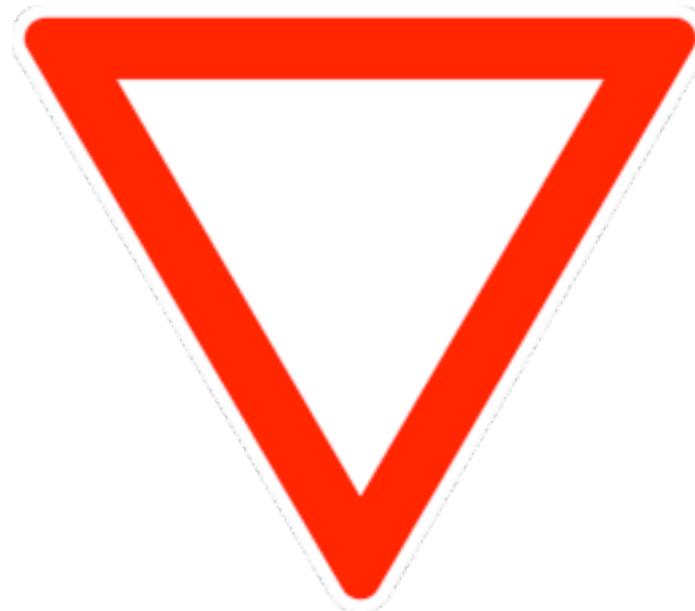


# HQ energy loss in pp roughly 10%!



# Link to experiment

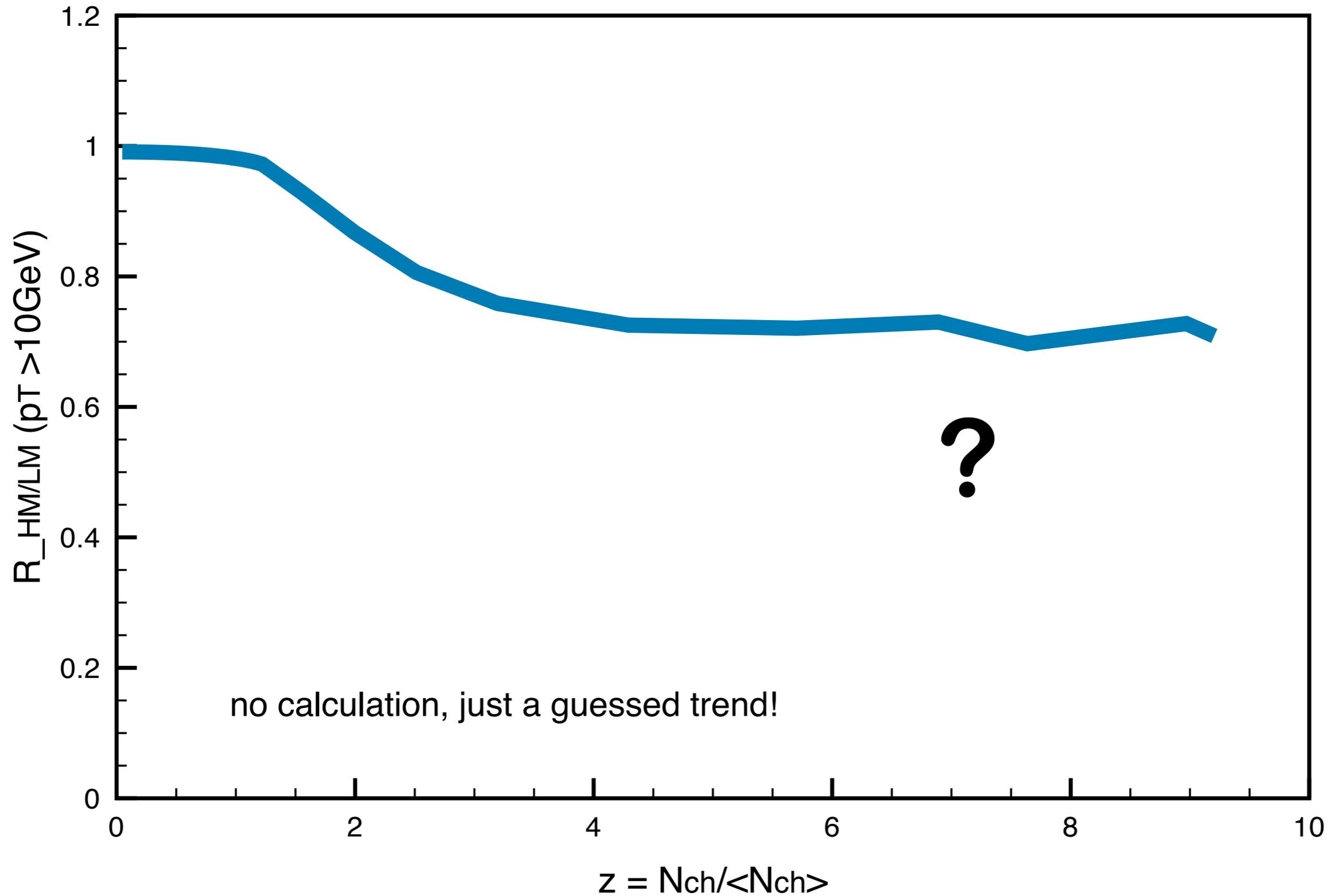
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**Problem: Experimental reference is not well defined!**

$$R_{HM/LM} = \frac{dN/dp_{T,HM}}{\langle N_{HM} \rangle \frac{dN/dp_{T,LM}}{\langle N_{LM} \rangle}}$$

# Link to experiment



# Take home messages

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- Heavy Quark energy loss in **pp @ LHC** is a measurable effect
- $R_{HM/LM}$  could be used as an experimental observable
- Multiplicity dependent studies are a valuable tool for pp@LHC

# Outlook



- **Dynamically generate the HQ in EPOS**
- **Further model adjustments (e.g. HQ production, coherence ...)**
- **Tune the medium description to light quark data**
  - ⇒ learn about HQ interaction**

# Outlook

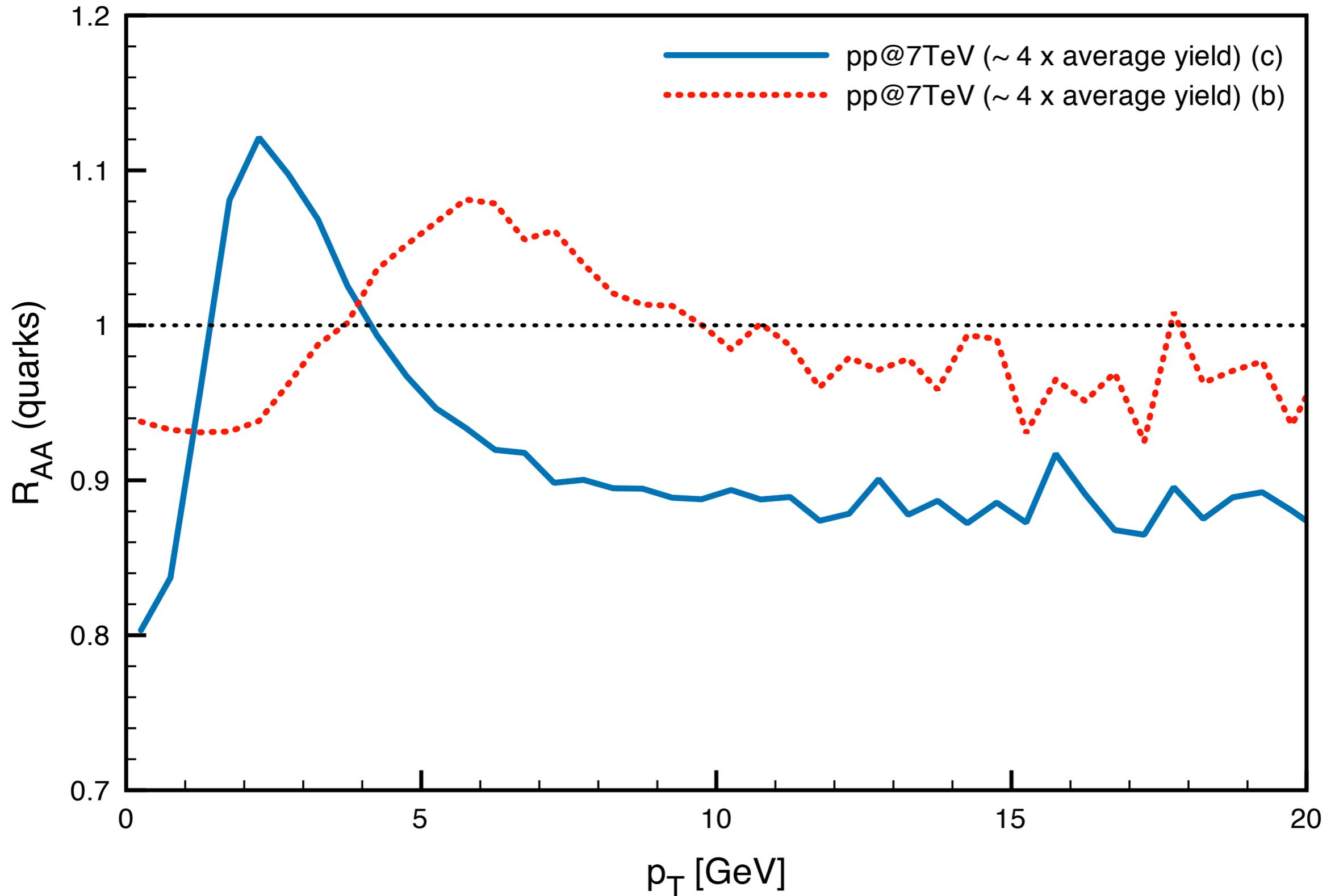


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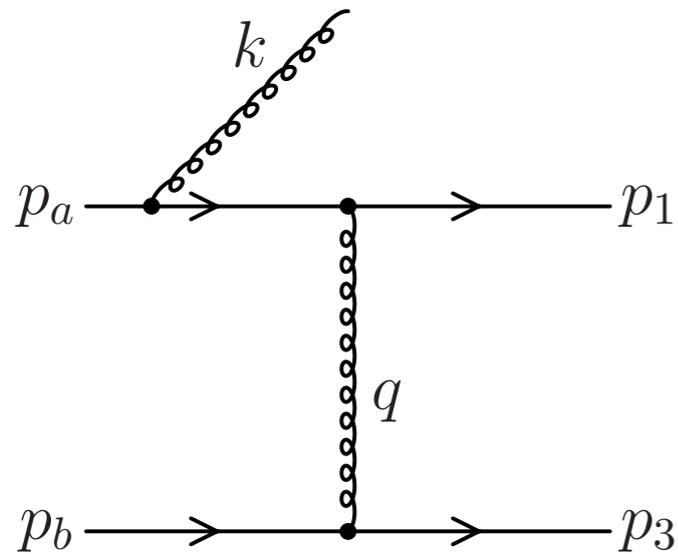
**Thanks!**

**BACKUP SLIDES**

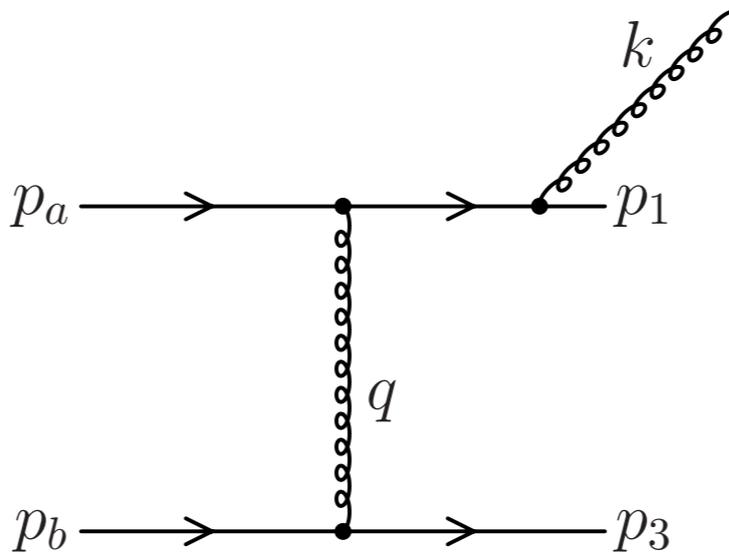
# energy loss of bottom



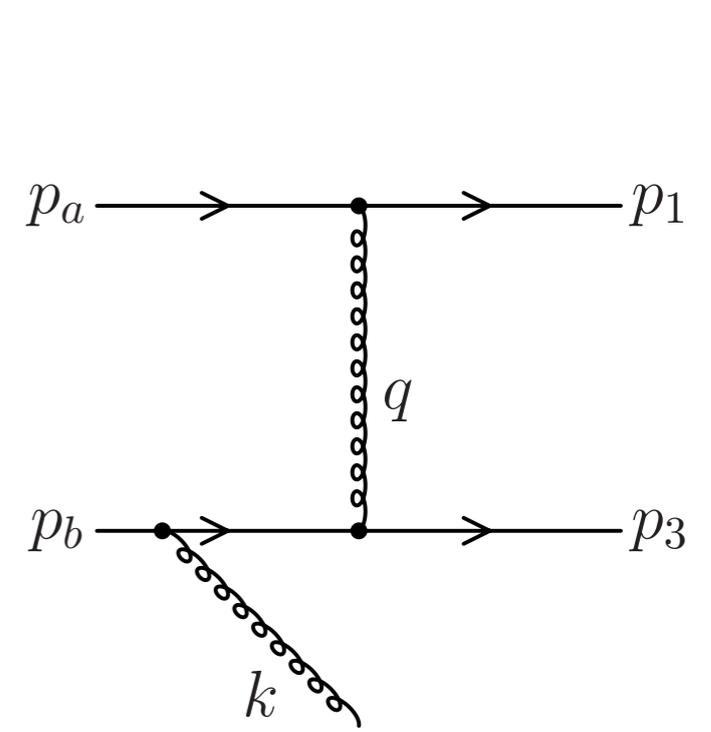
# Matrix elements - radiative



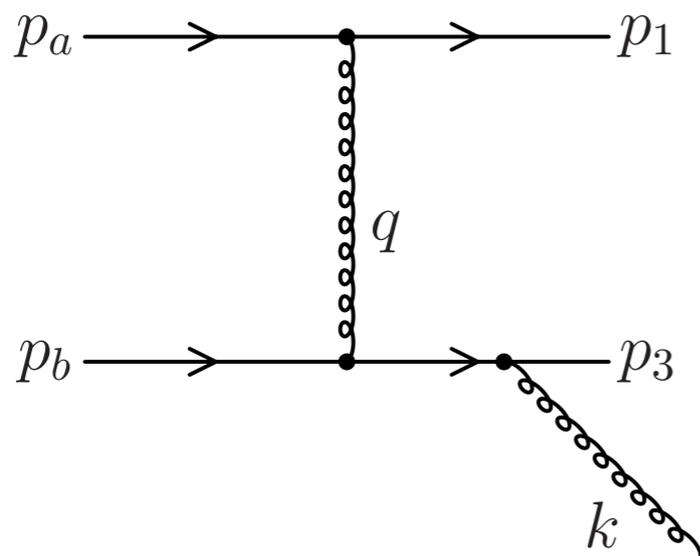
$M_1$



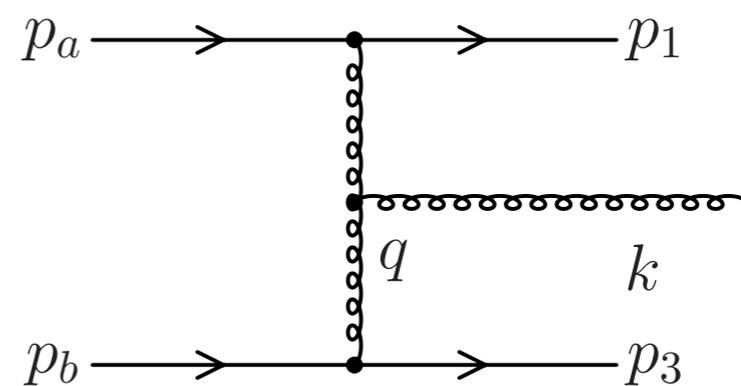
$M_2$



$M_3$



$M_4$



$M_5$