

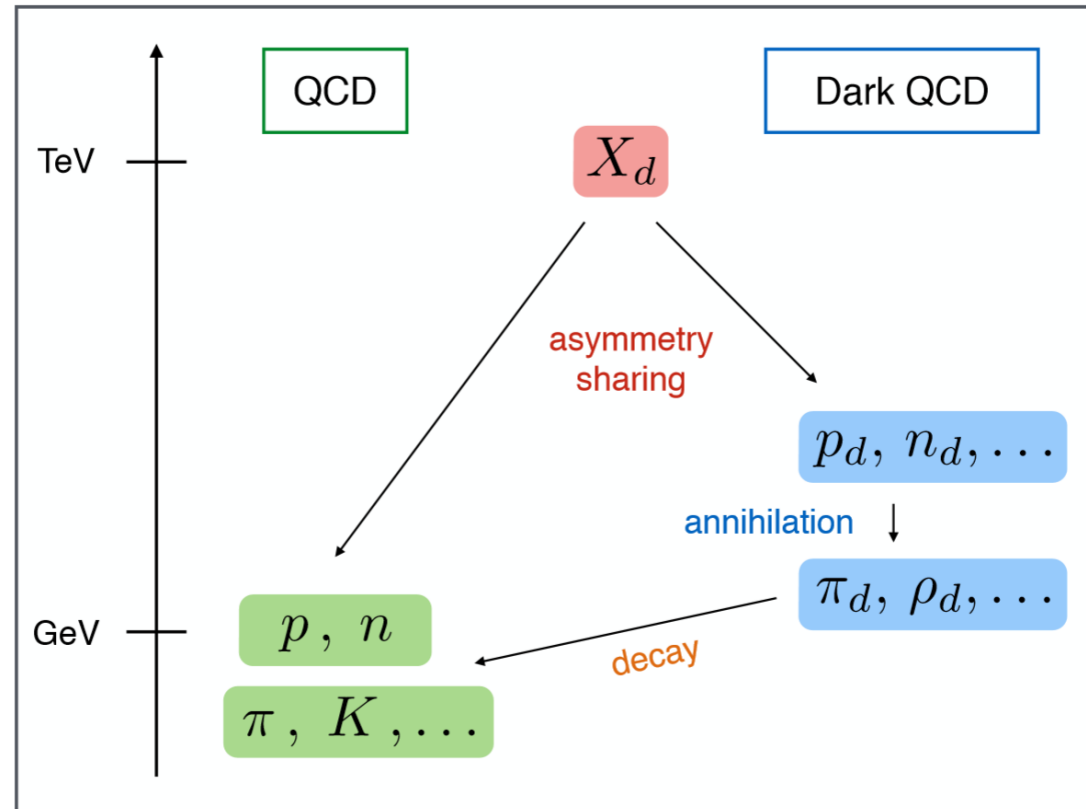
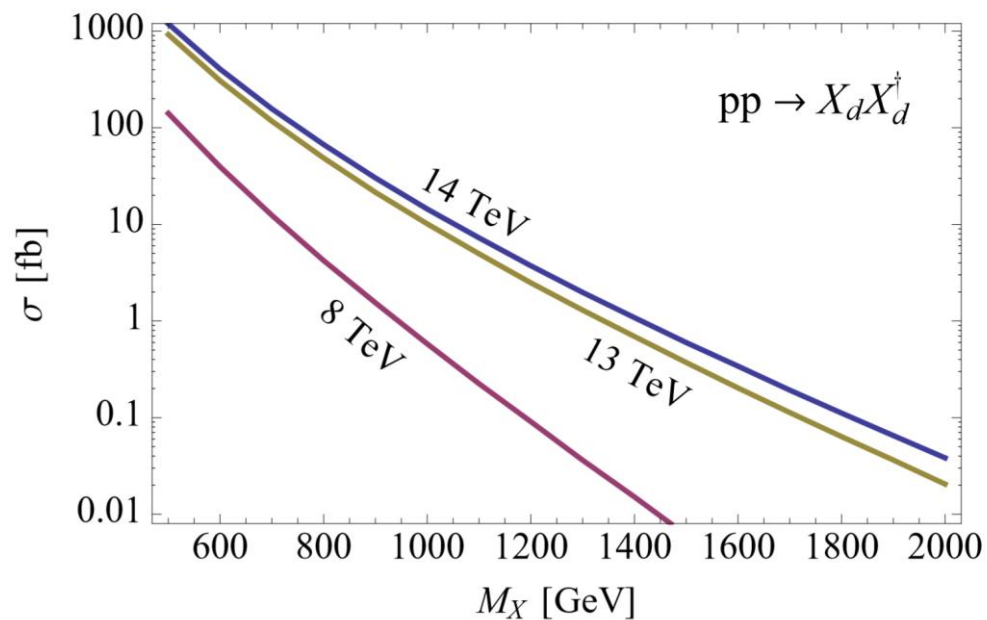
Emerging Jets Run 2 Analysis

J r mie LePage-Bourbonnais

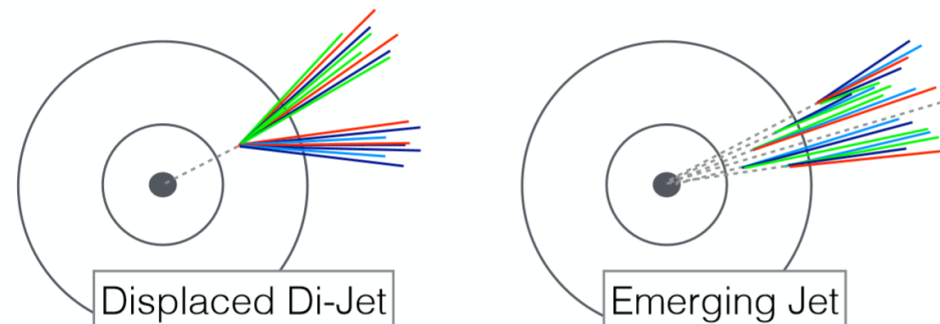
Outline

- Emerging Jets Overview
- Analysis Flow
- Sample Distributions
- ABCD Background Estimation Method
- MC Validation Tests
- Efficiency Studies
- TMVA Potential Applications
- Comparison with CMS Results

Dark QCD



Field	$SU(3) \times SU(2) \times U(1)$	$SU(3)_{\text{dark}}$	Mass	Spin
Q_d	$(1, 1, 0)$	(3)	$m_d \mathcal{O}(\text{GeV})$	Dirac Fermion
X_d	$(3, 1, \frac{1}{3})$	(3)	$M_{X_d} \mathcal{O}(\text{TeV})$	Complex Scalar
Z_d	$(1, 1, 0)$	(1)	$M_{Z_d} \mathcal{O}(\text{TeV})$	Vector Boson

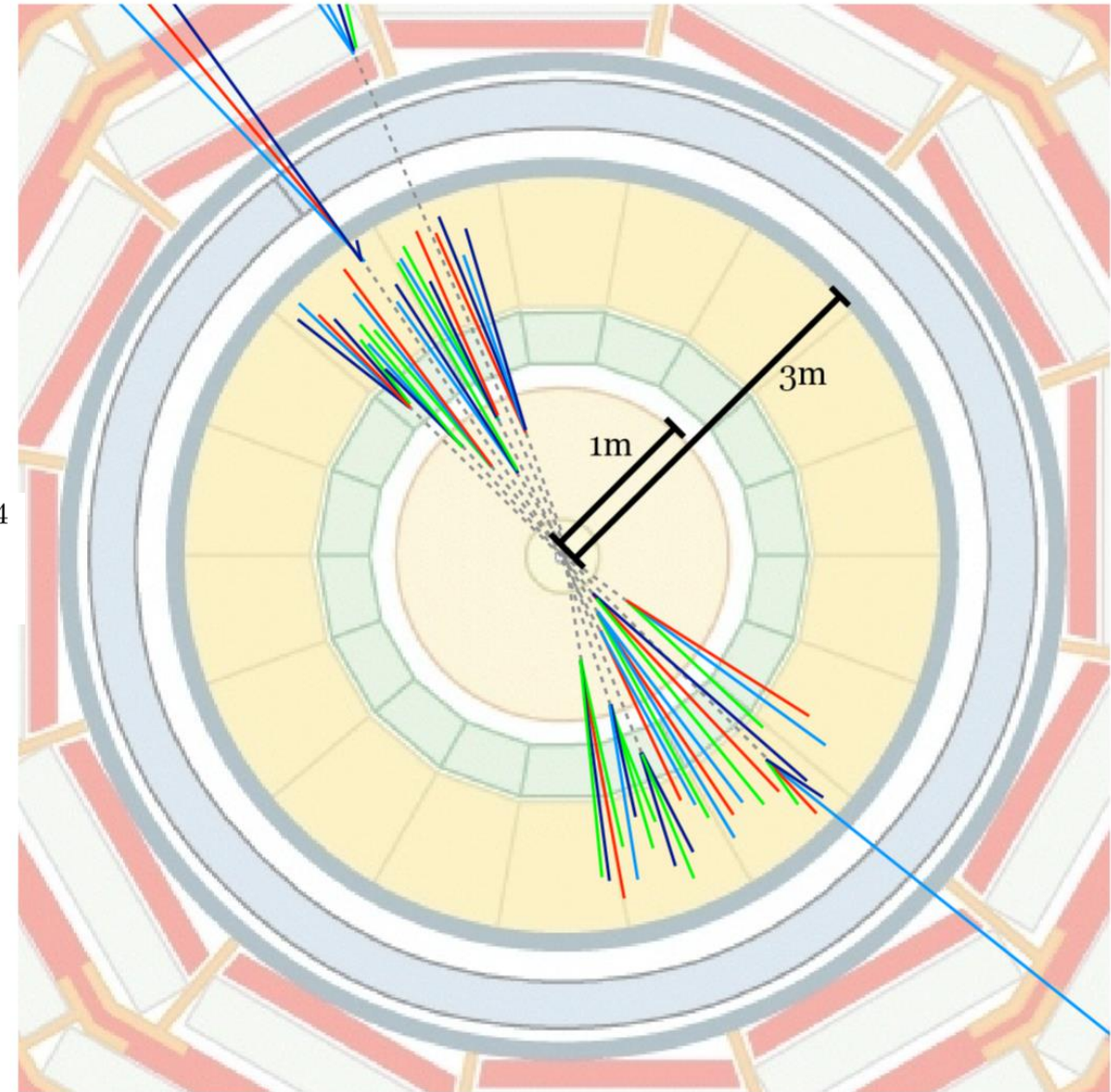
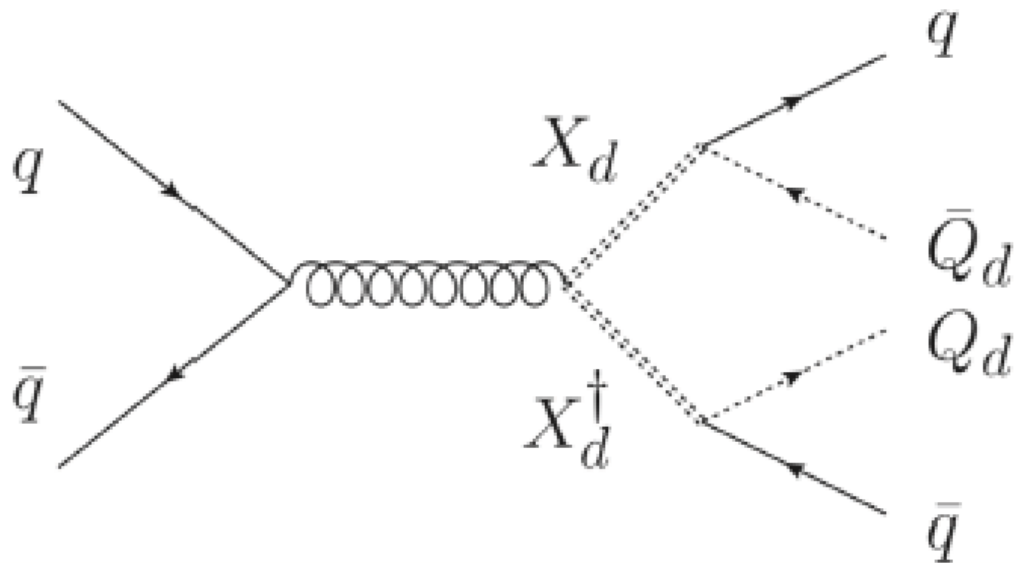


$$\mathcal{L} \supset \bar{Q}_{d_i} (\not{D} - m_{d_i}) Q_{d_i} + (D_\mu X_d)(D^\mu X_d)^\dagger - M_{X_d}^2 X_d X_d^\dagger - \frac{1}{4} G_d^{\mu\nu} G_{\mu\nu,d} + \mathcal{L}_\kappa + \mathcal{L}_{\text{SM}}$$

Emerging Jets Models

- Multiple emerging tracks from dark mesons decaying to SM particles
- The decays occur at slightly different radii from interaction point

$$c\tau_0 = \frac{c\hbar}{\Gamma} \approx 80 \text{ mm} \times \frac{1}{\kappa^4} \times \left(\frac{2 \text{ GeV}}{f_{\pi_d}}\right)^2 \left(\frac{100 \text{ MeV}}{m_{\text{down}}}\right)^2 \left(\frac{2 \text{ GeV}}{m_{\pi_d}}\right) \left(\frac{M_{X_d}}{1 \text{ TeV}}\right)^4$$

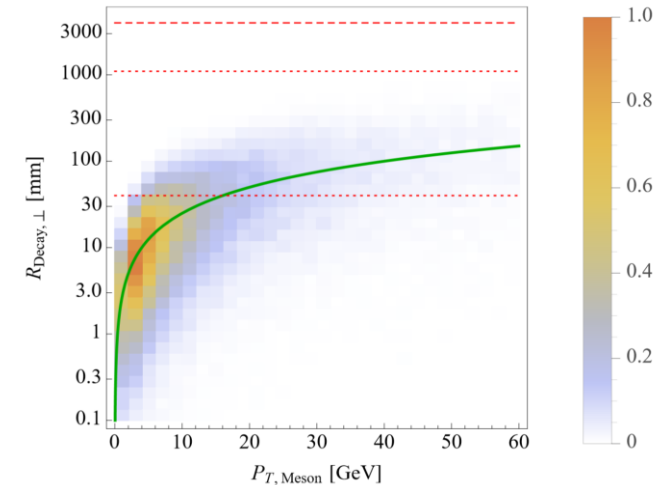
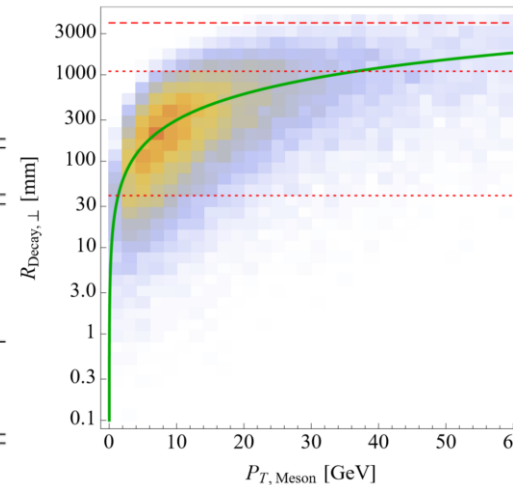


Signals/Backgrounds in ATLAS

	Model A	Model B
Λ_d	10 GeV	4 GeV
m_V	20 GeV	8 GeV
m_{π_d}	5 GeV	2 GeV
$c\tau_{\pi_d}$	150 mm	5 mm

- 90 Simulated points in total

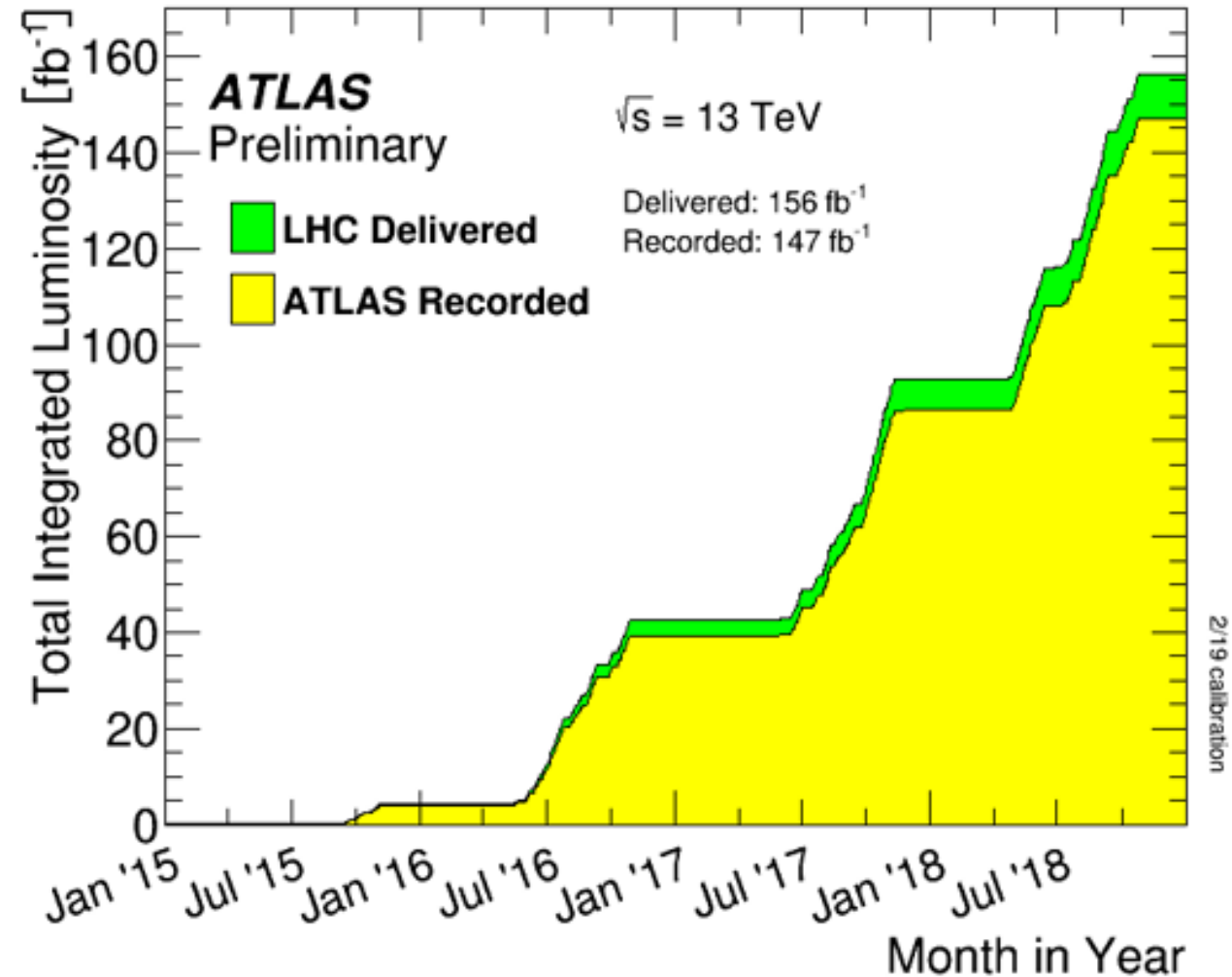
	Model A	Model B	Model C	Model D	Model E
Λ_d [GeV]	10	4	20	40	1.6
m_{ρ_d} [GeV]	20	8	40	80	3.2
m_{π_d} [GeV]	5	2	10	20	0.8
m_{X_d} [GeV]	1400 1000 600				
$c\tau_{\pi_d}$ [mm]	300, 150, 75, 20, 5, 2 300, 150, 75, 5, 2, 1 300, 150, 20, 2, 1, 0.5				



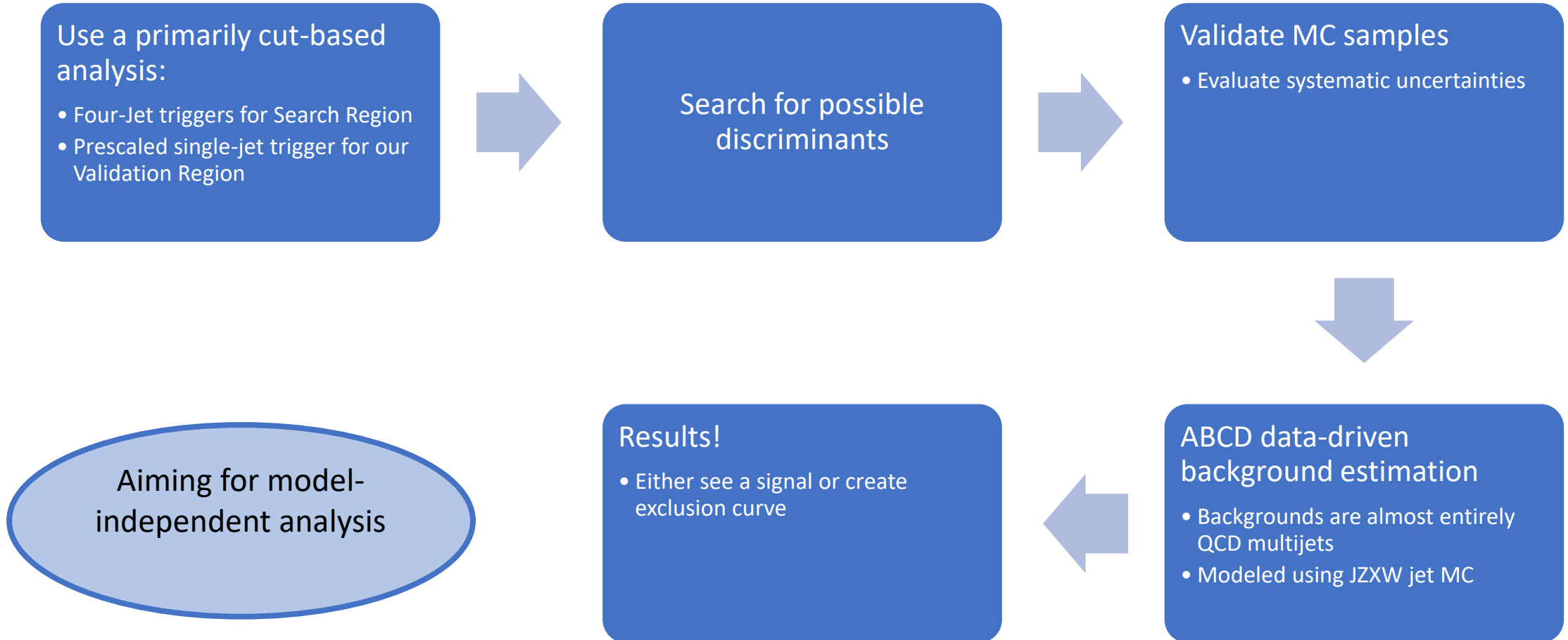
- Assume background completely dominated by 4-jet
- Events pass through GEANT4 ATLAS detector reconstruction
- Event generation uses modified Pythia 8.230 HiddenValley models to increase signal efficiency
 - Includes dark coupling and truth-level 4-jet generator filter

Run-2 Dataset

- Collision centre-of-mass energy: $\sqrt{s} = 13$ TeV
- Total integrated luminosity of 139 fb^{-1}



Analysis Flow



List of key variables

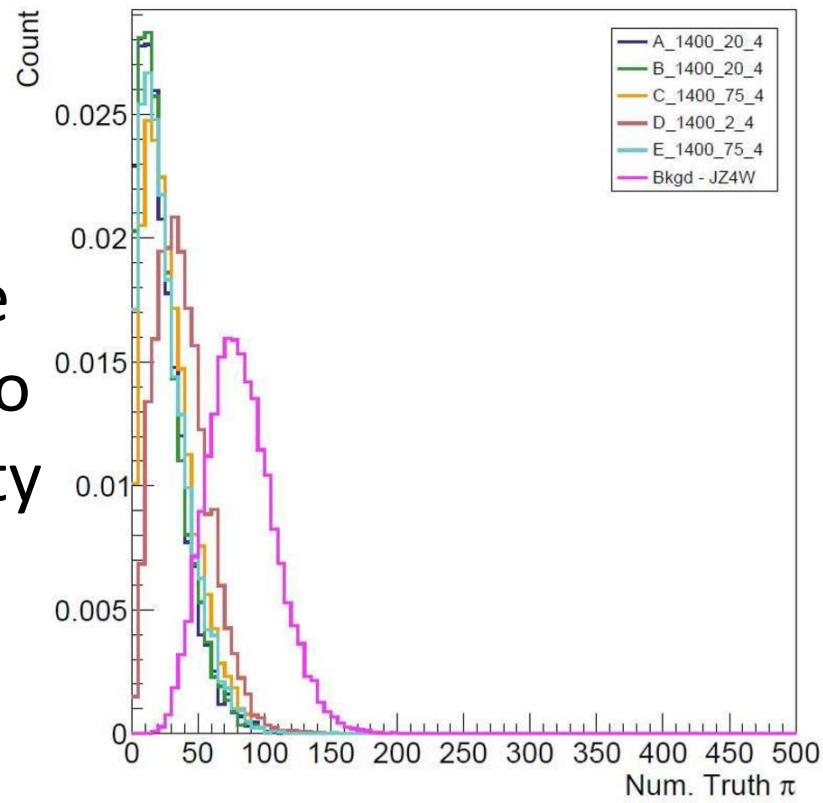
- Number of Secondary Vertices – Determined using dR matching
- Secondary Vertex dR = $\sqrt{(\Delta\varphi_{Jet-Vertex})^2 + (\Delta\theta_{Jet-Vertex})^2}$
- HT- Scalar sum of jet pT
- pT – Transverse Momentum
- Signal Region:
 - Jet multiplicity ≥ 4
 - 4 Leading jets have pT ≥ 120 GeV
 - 4 Leading Jets have $|\eta| \leq 2.5$
 - 4-Jet HT ≥ 1000 GeV

Sample Truth-level distributions

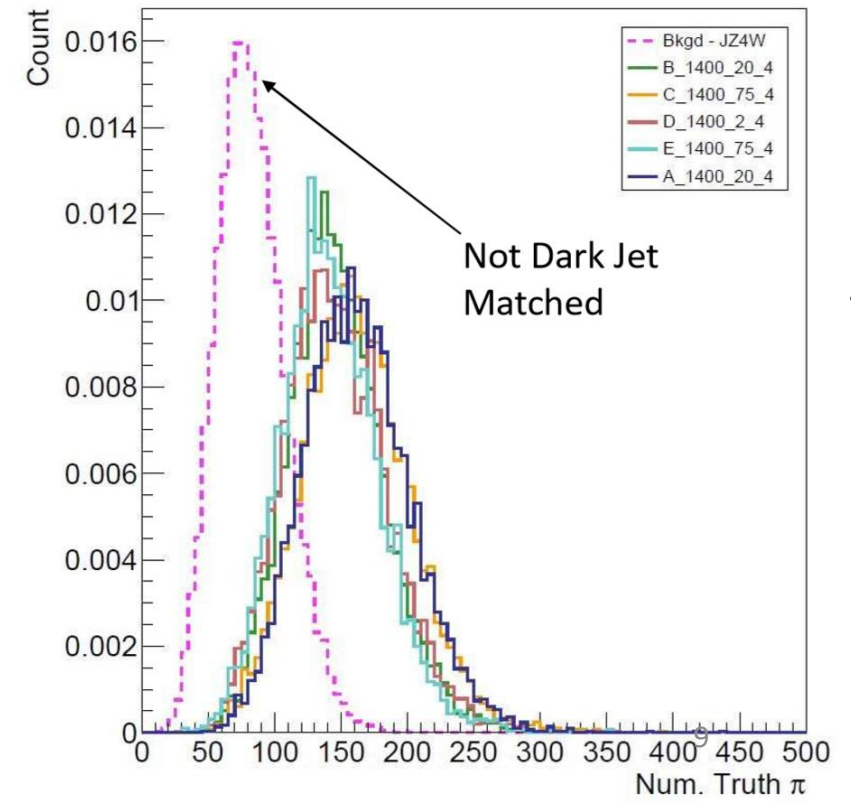
- Search for truth-level features that could be reconstructed

Number of Truth Pions

Not Dark Jet Matched



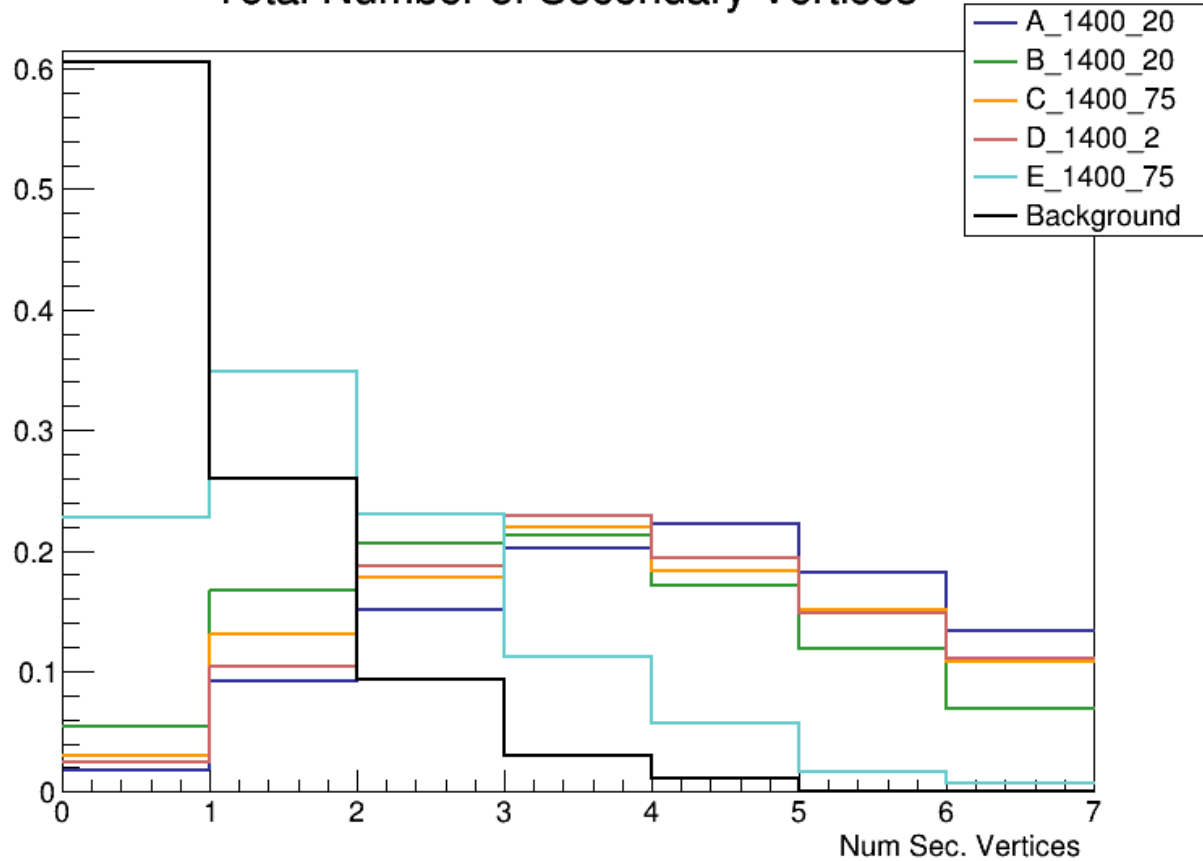
Dark Jet Matched



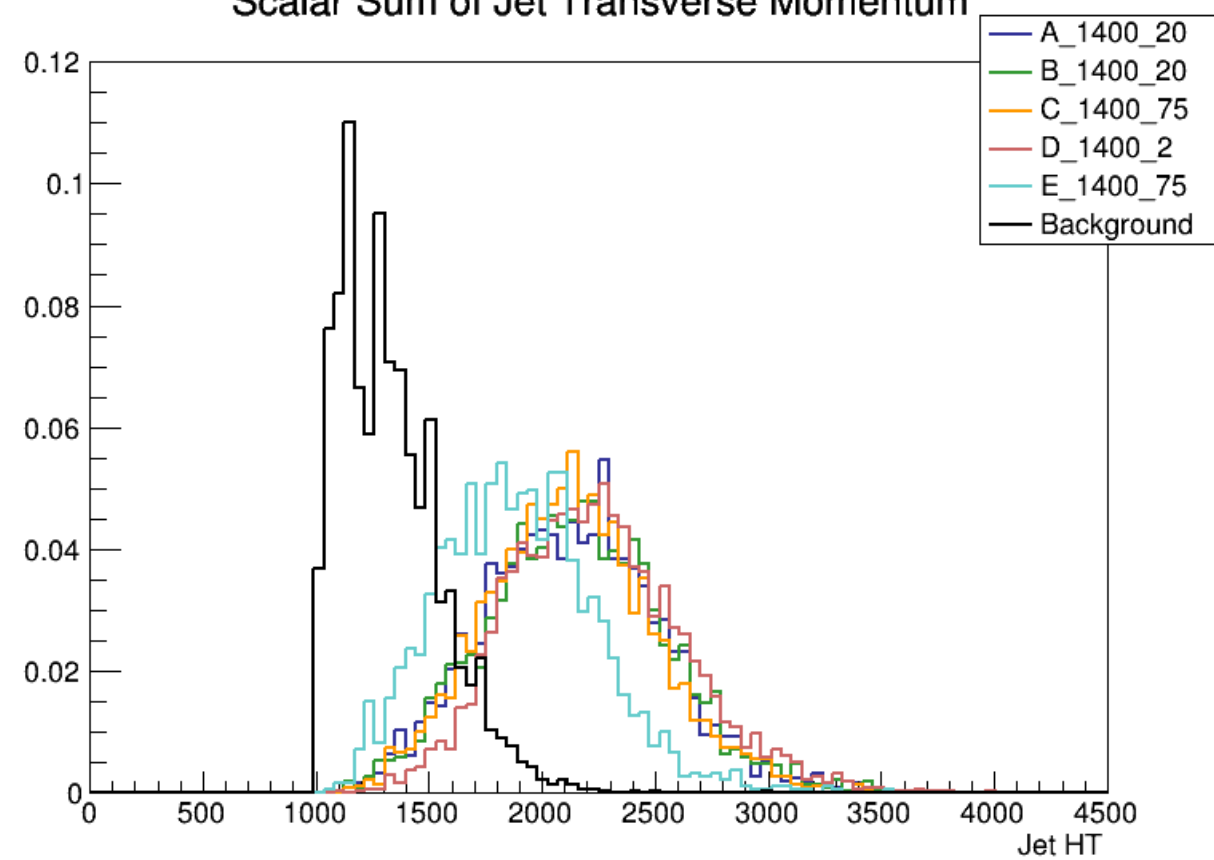
This could motivate an investigation into the track multiplicity

Sample Event-Level Distributions

Total Number of Secondary Vertices

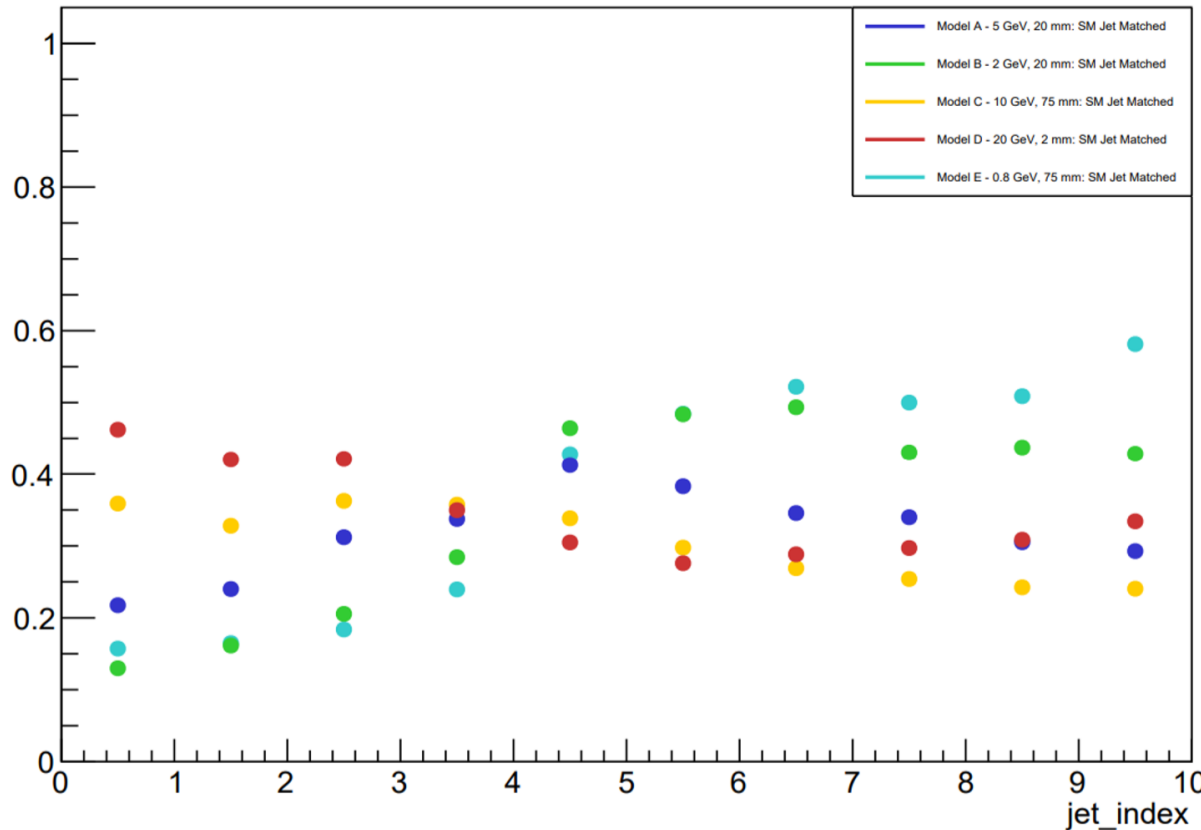


Scalar Sum of Jet Transverse Momentum

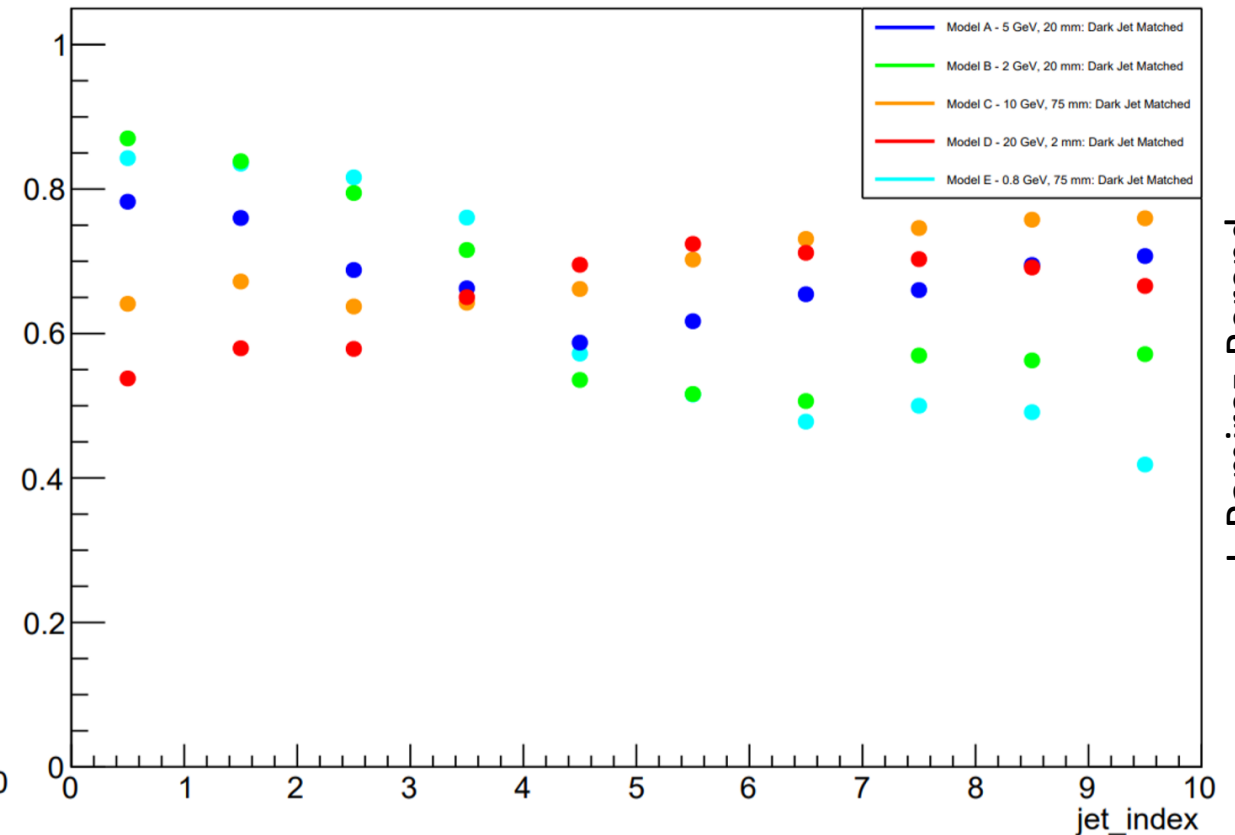


Sample Jet-Level Distributions

Fraction of Jets which are SM Matched by Index



Fraction of Jets which are Dark Matched by Index

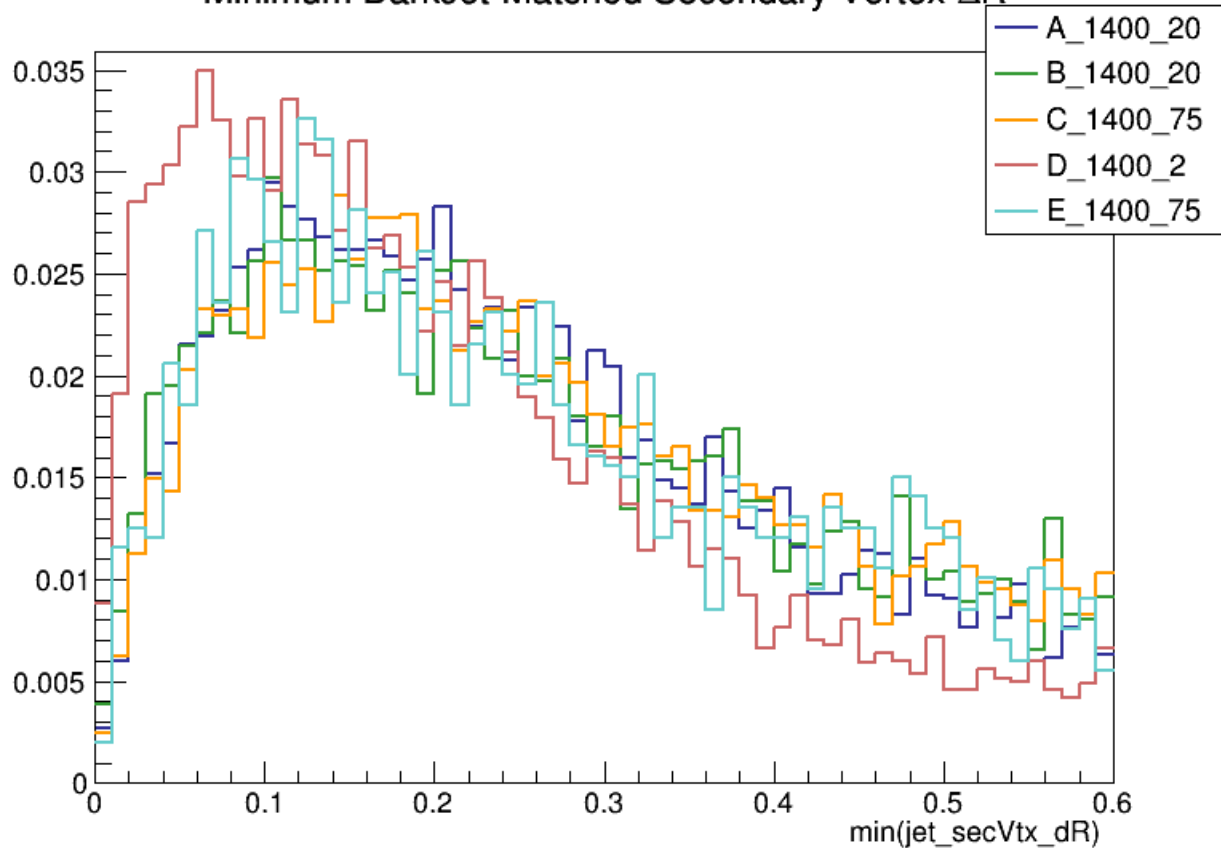


- Dark Match: Jet is matched to a truth level jet, both are matched to a dark jet
- SM Jet Match: Jet is matched to a truth jet, neither are matched to a dark jet

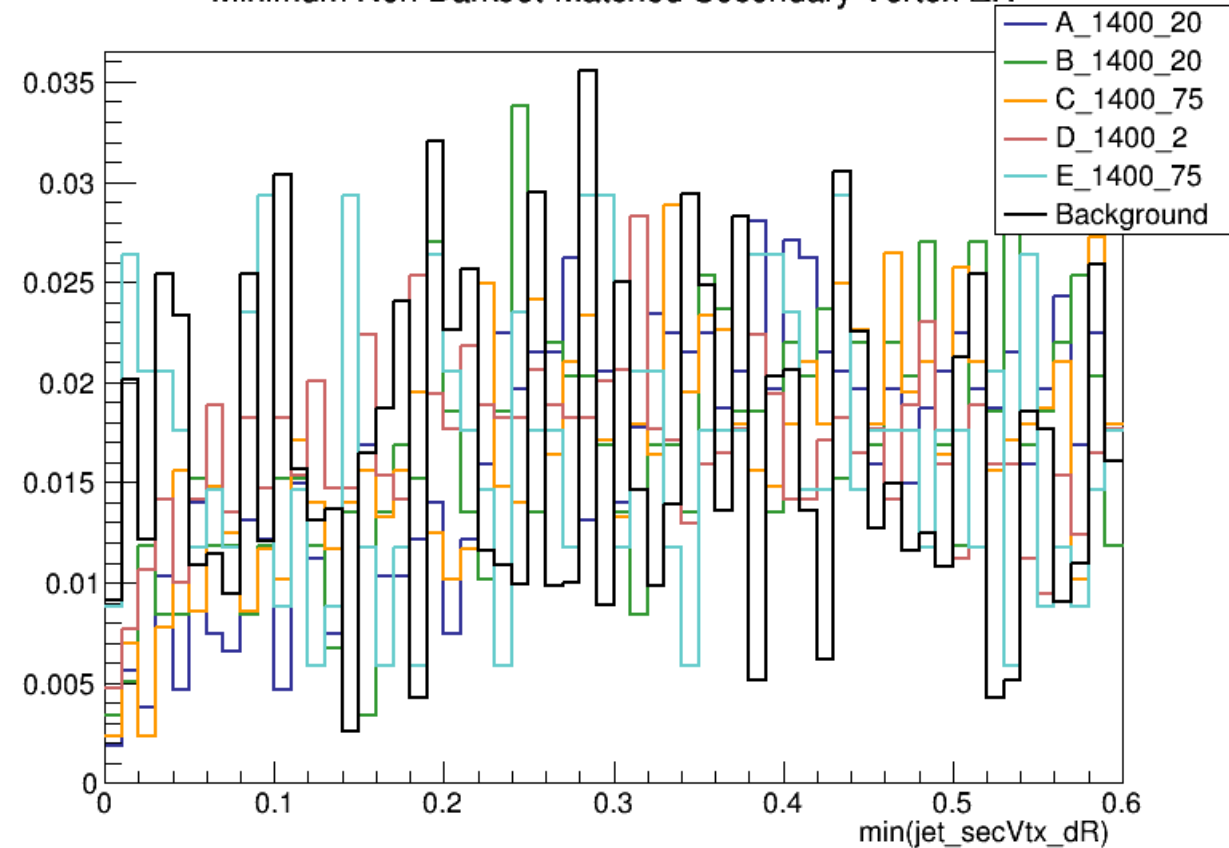
$$\text{jet_secVtx_dR} = \sqrt{(\Delta\phi)^2 + (\Delta\theta)^2}$$

Sample SubJet-Level Distributions

Minimum DarkJet-Matched Secondary Vertex ΔR



Minimum Non DarkJet-Matched Secondary Vertex ΔR



- Dark Match: Jet is matched to a truth level jet, both are matched to a dark jet
- SM Jet Match: Jet is matched to a truth jet, neither are matched to a dark jet

ABCD Background Estimation Method

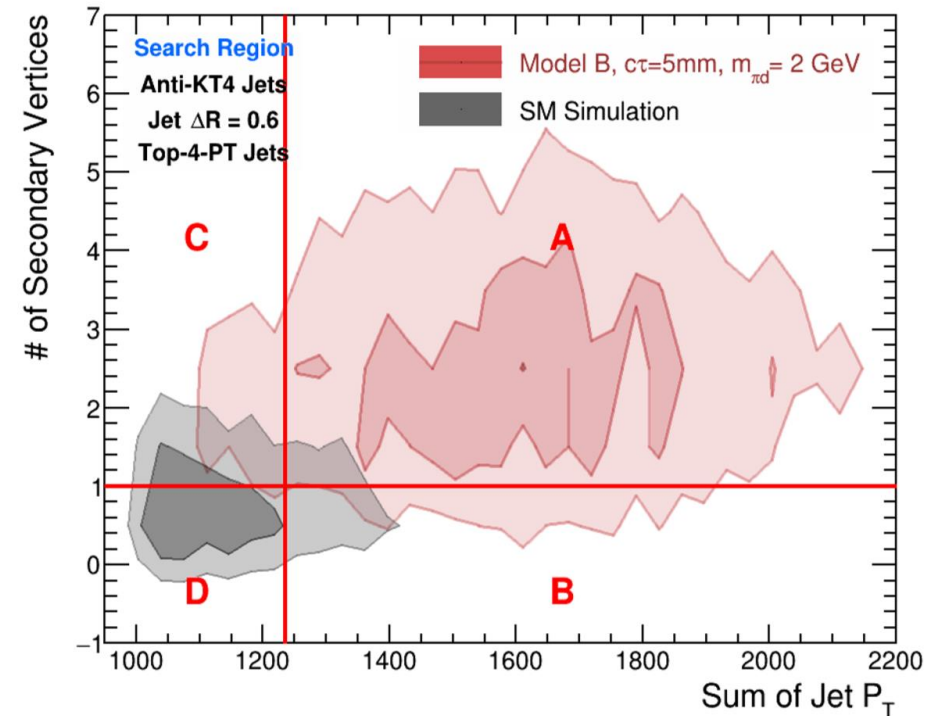
- Data-driven background estimation method
- For Un-Correlated backgrounds:

$$\frac{N_C^{bkg}}{N_D^{bkg}} = \frac{N_A^{bkg}}{N_B^{bkg}}$$

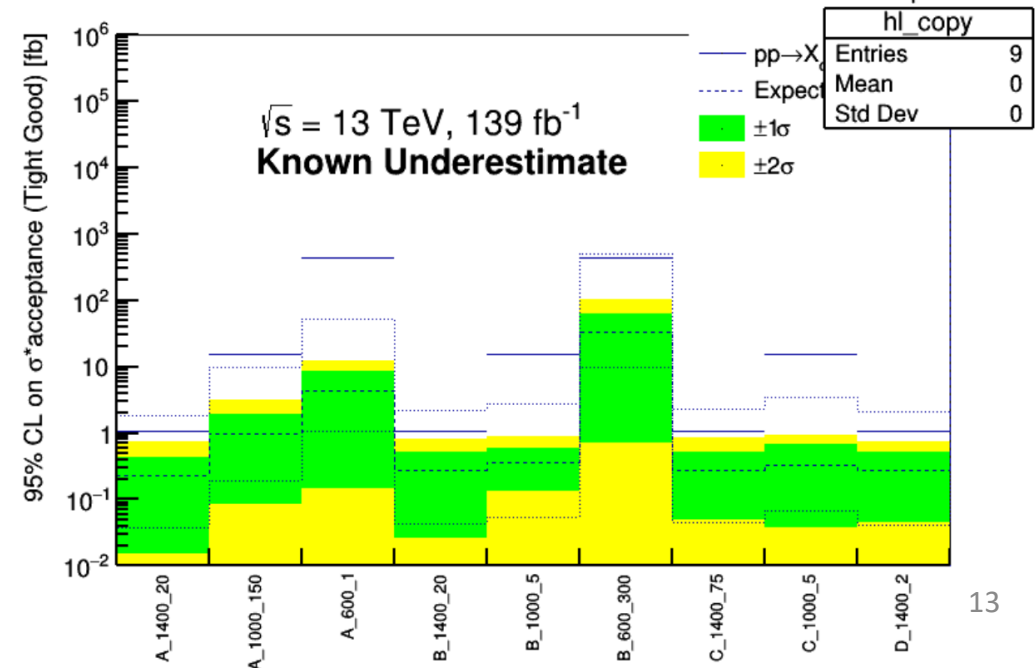
- Can solve for background estimate in region A

$$N_A^{bkg} = N_B^{bkg} \frac{N_C^{bkg}}{N_D^{bkg}}$$

ABCD Plane



D. Rocha

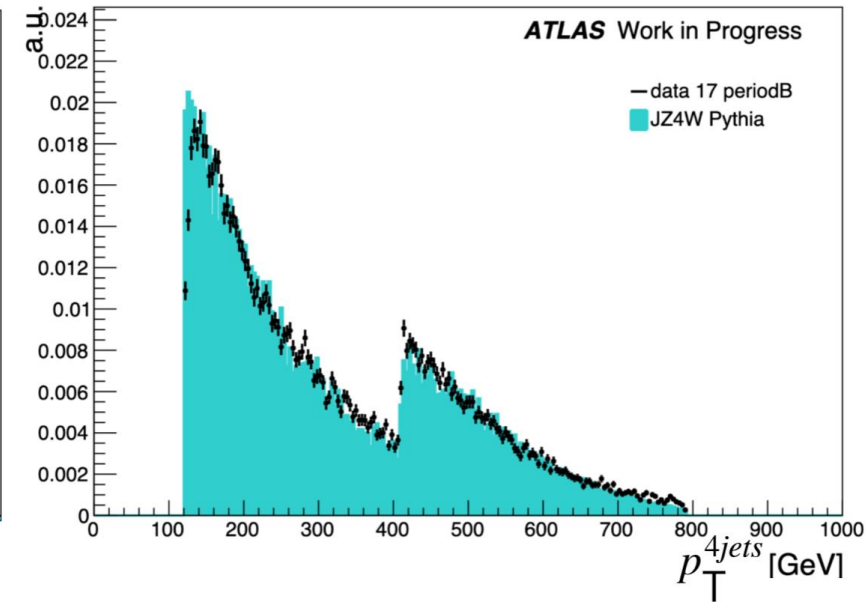
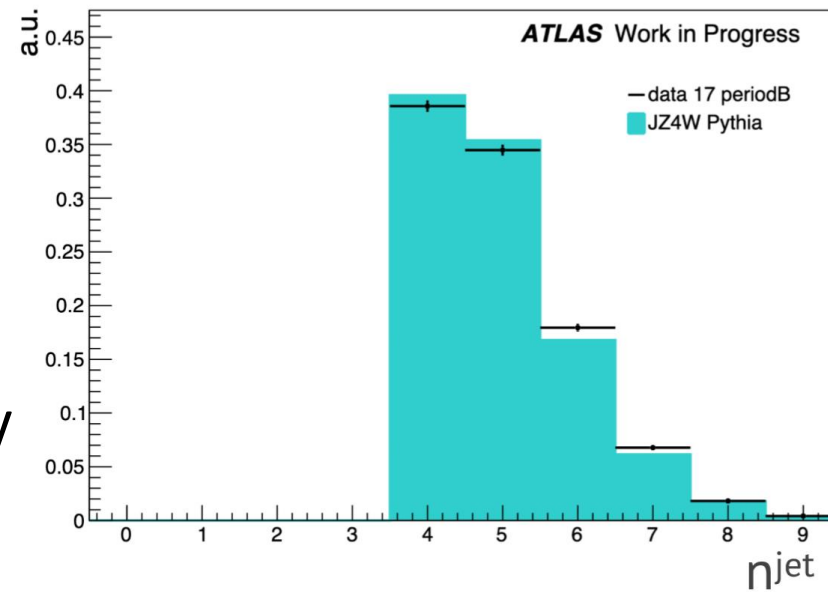


G. Gonella

Data MC Validation Region comparisons

Baseline Selection:

- Search Region
- $r_{SV} < 300$ mm
- $|z_{SV}| < 300$ mm
- $410 < p_T^{\text{leadJet}} < 790$ GeV



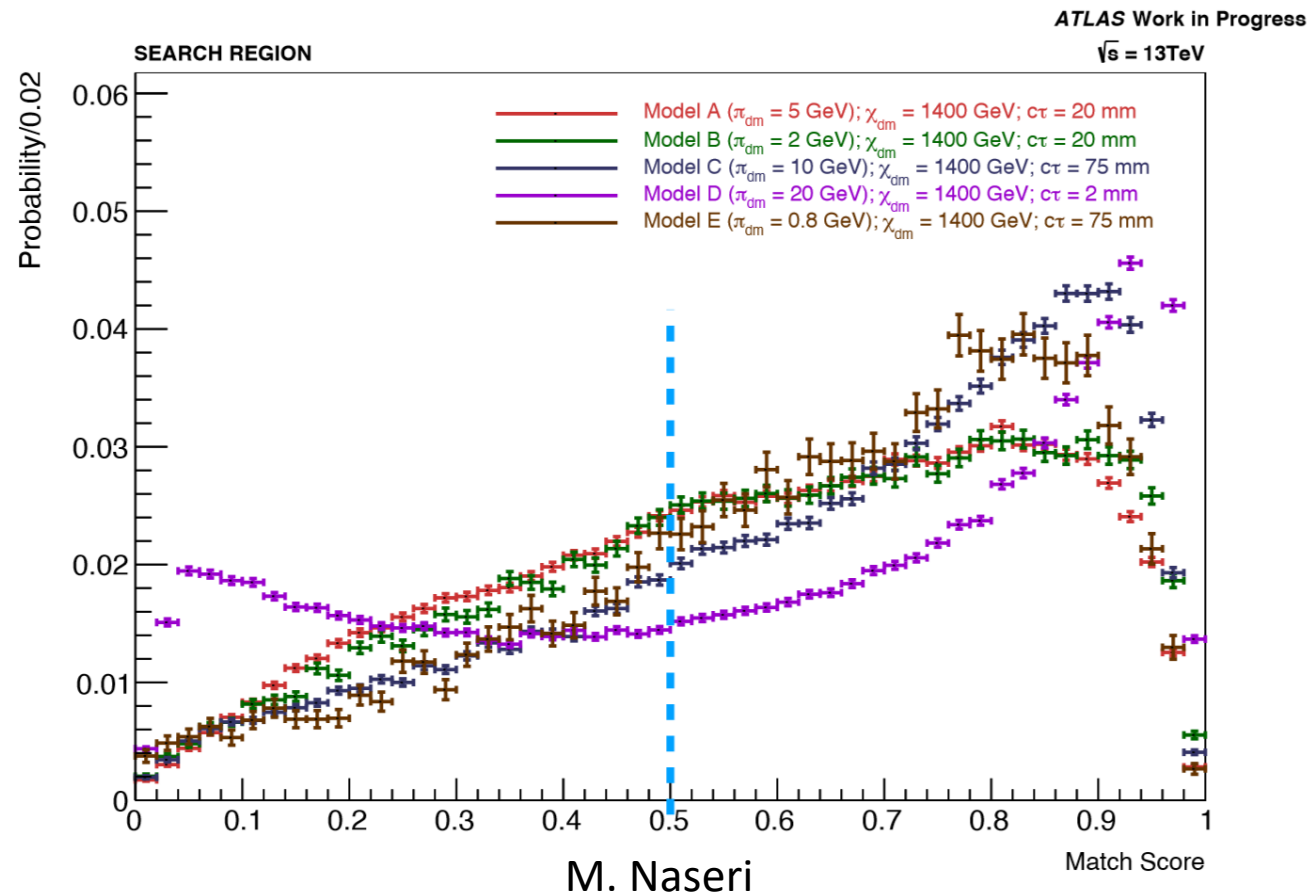
G. Gonella

Histograms normalized to unity

Only periodB data considered

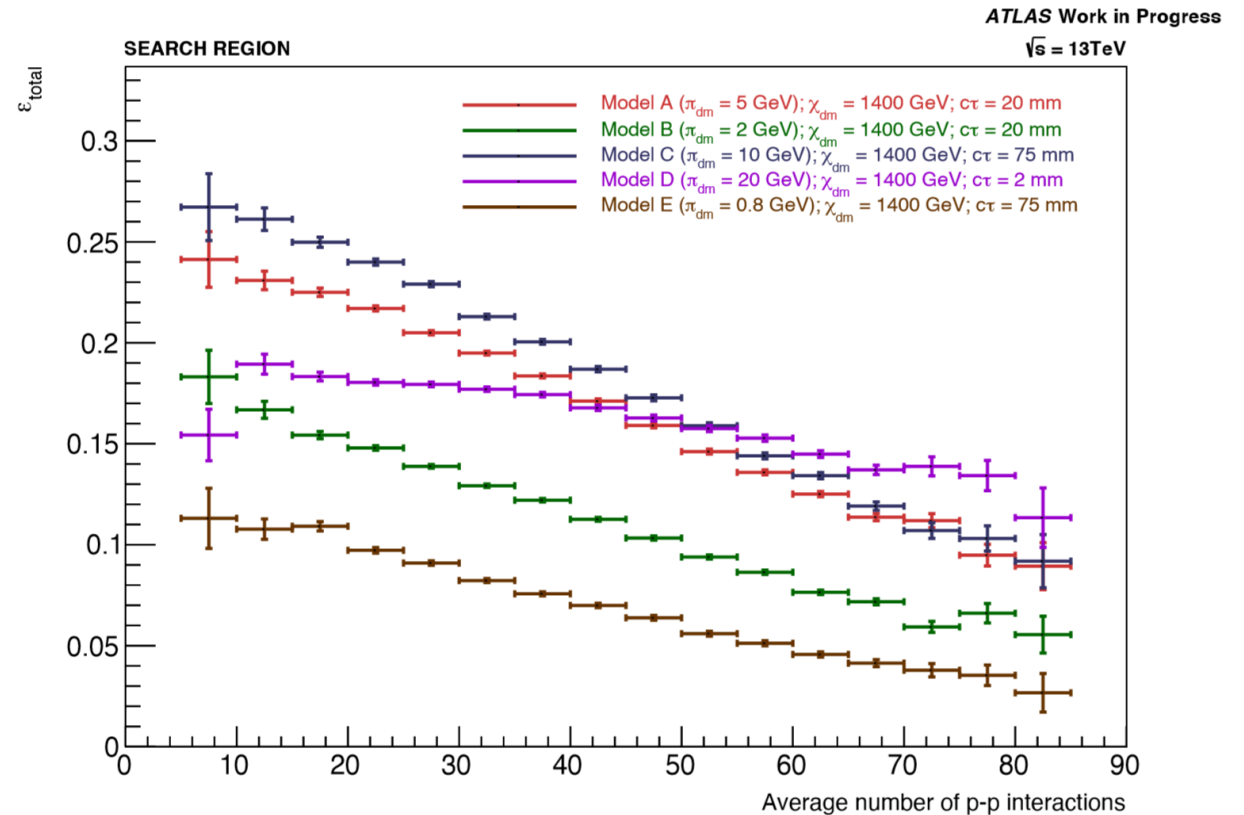
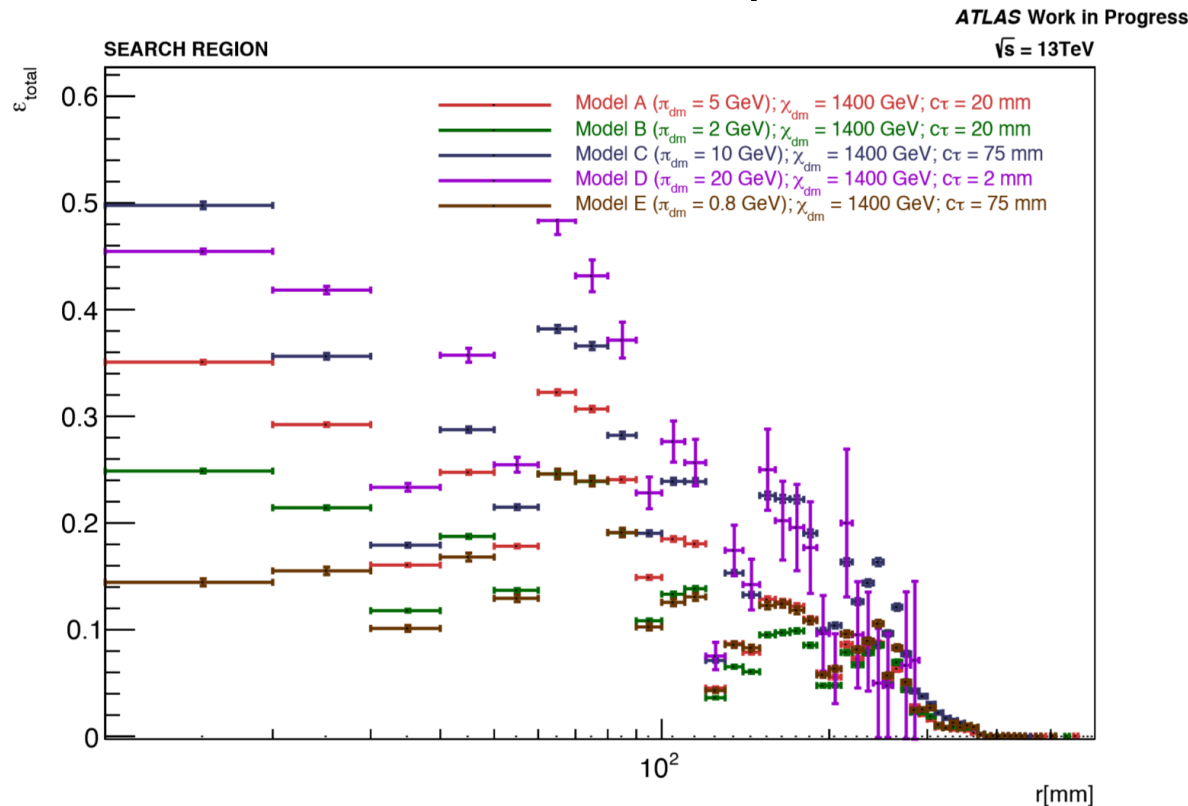
Secondary Vertex Match Score

Match Score: ratio of sum pT of the representative truth vertex position to the sum pT of tracks in reco vertex



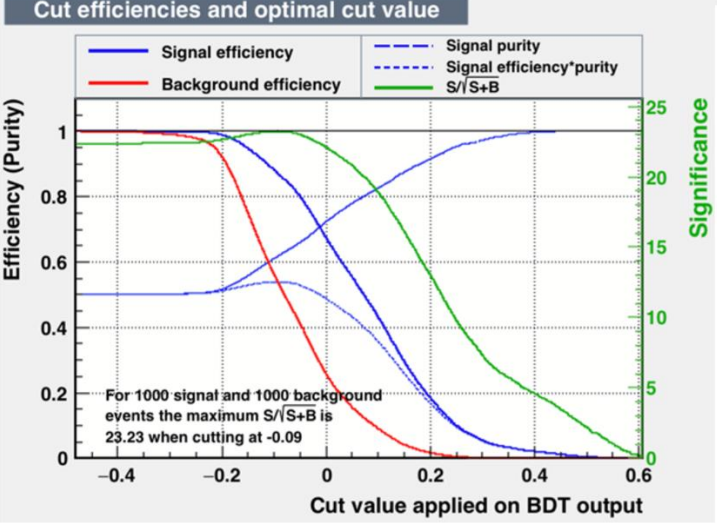
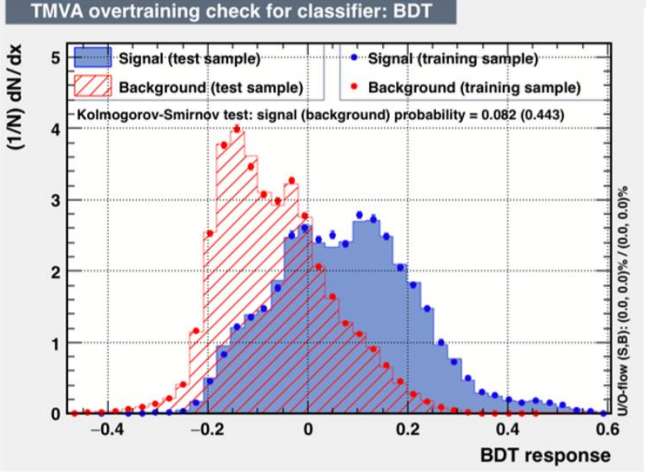
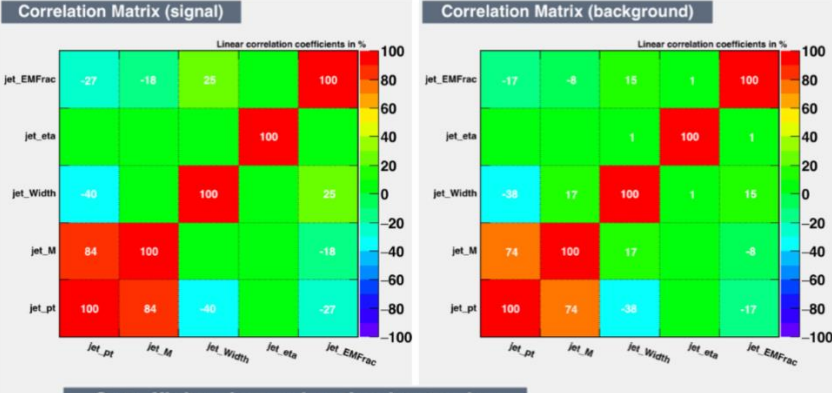
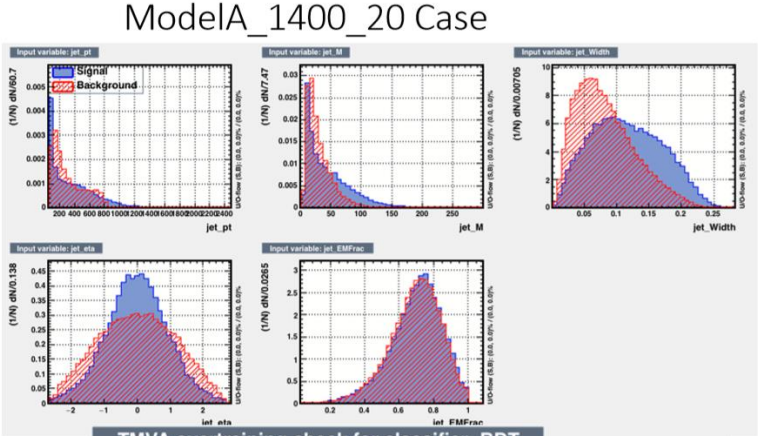
Secondary Vertex Reconstruction Efficiency

Efficiency: The ratio of Long Lived Particle (LLP) decays with at minimum one matched reconstructed vertex (with a match score > 0.5) to the number of reconstructible LLP decays



Boosted Decision Tree Applications?

- Can be used for Run 3 sensitivity study
- BDT and/or other ML methods can help discriminate between signal and background
- Construct event-level variables from jet/subject information



K. Graham

CMS Emerging Jets Search Results

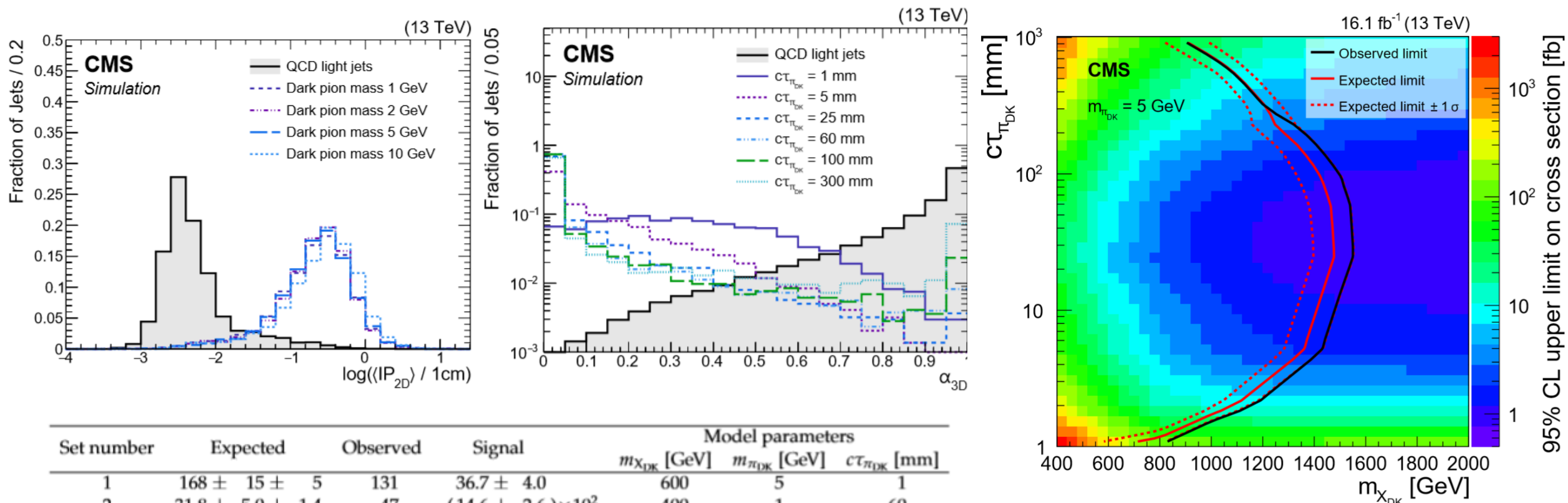


Figure 10: Upper limits at 95% CL on the signal cross section and signal exclusion contours derived from theoretical cross sections for models with dark pion mass $m_{\pi_{DK}}$ of 5 GeV in the $m_{X_{DK}} - c\tau_{\pi_{DK}}$ plane. The solid red contour is the expected upper limit, with its one standard-deviation region enclosed in red dashed lines. The solid black contour is the observed upper limit. The region to the left of the observed contour is excluded.

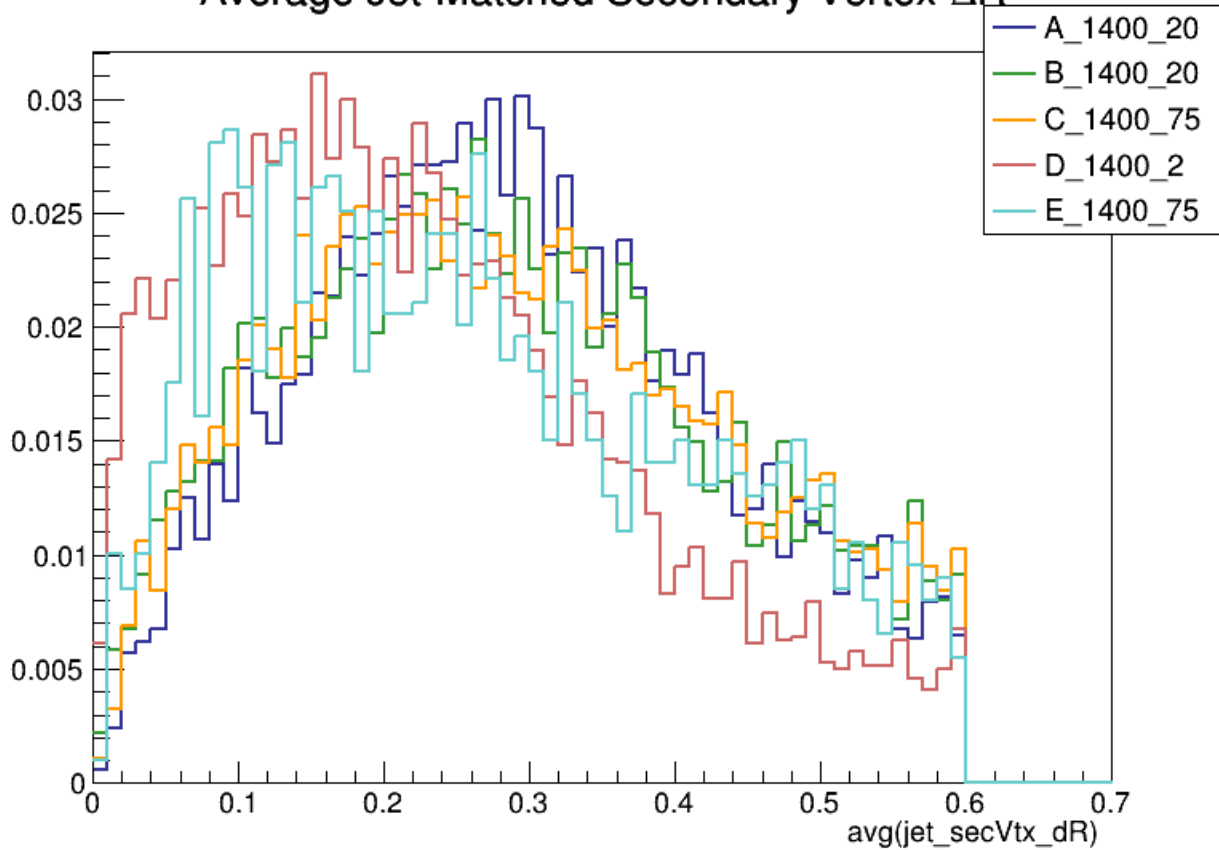
Future Goals

- Carry out detailed Monte-Carlo study towards Run 3 data and a broader range of models
- Continue developing Machine Learning tools
- Look into pileup effects
- Sensitivity vs luminosity

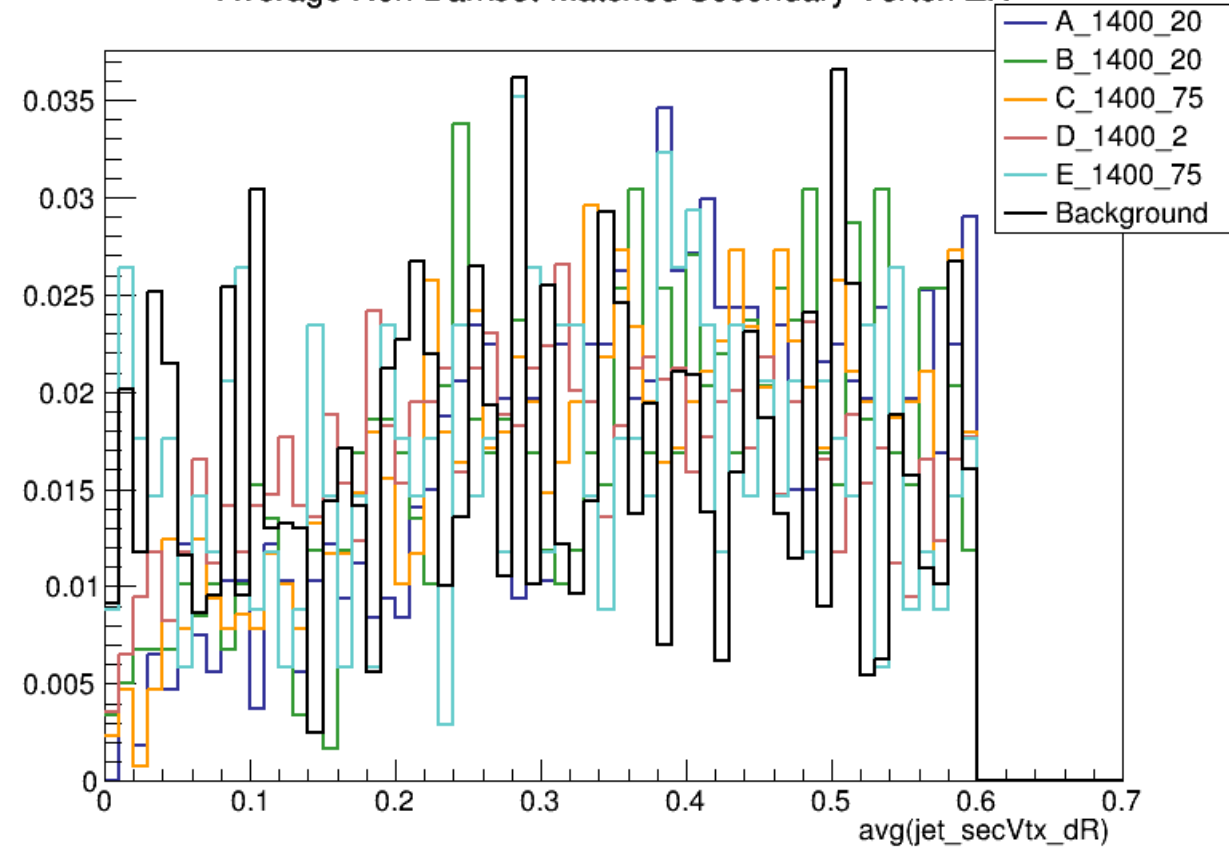
Extra Content

Sample SubJet-Level Distributions

Average Jet-Matched Secondary Vertex ΔR

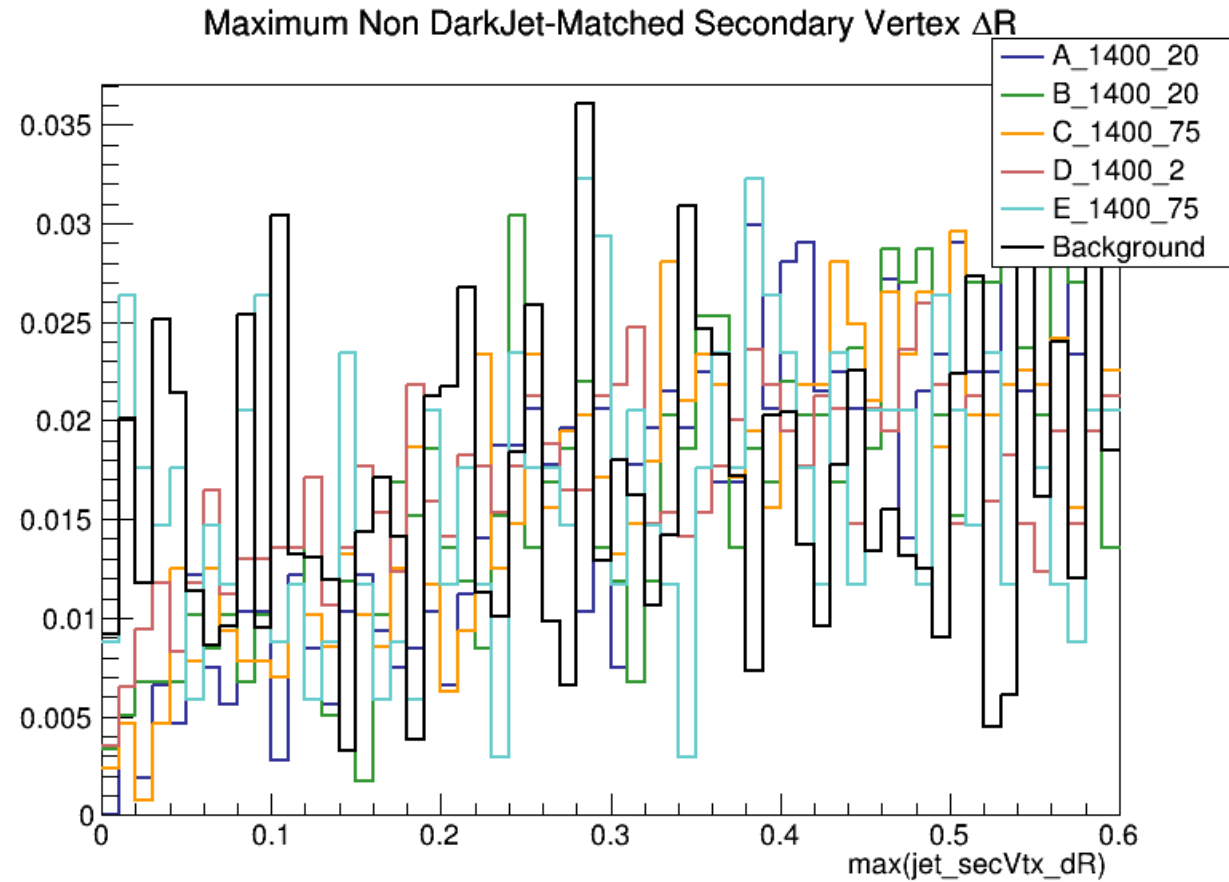
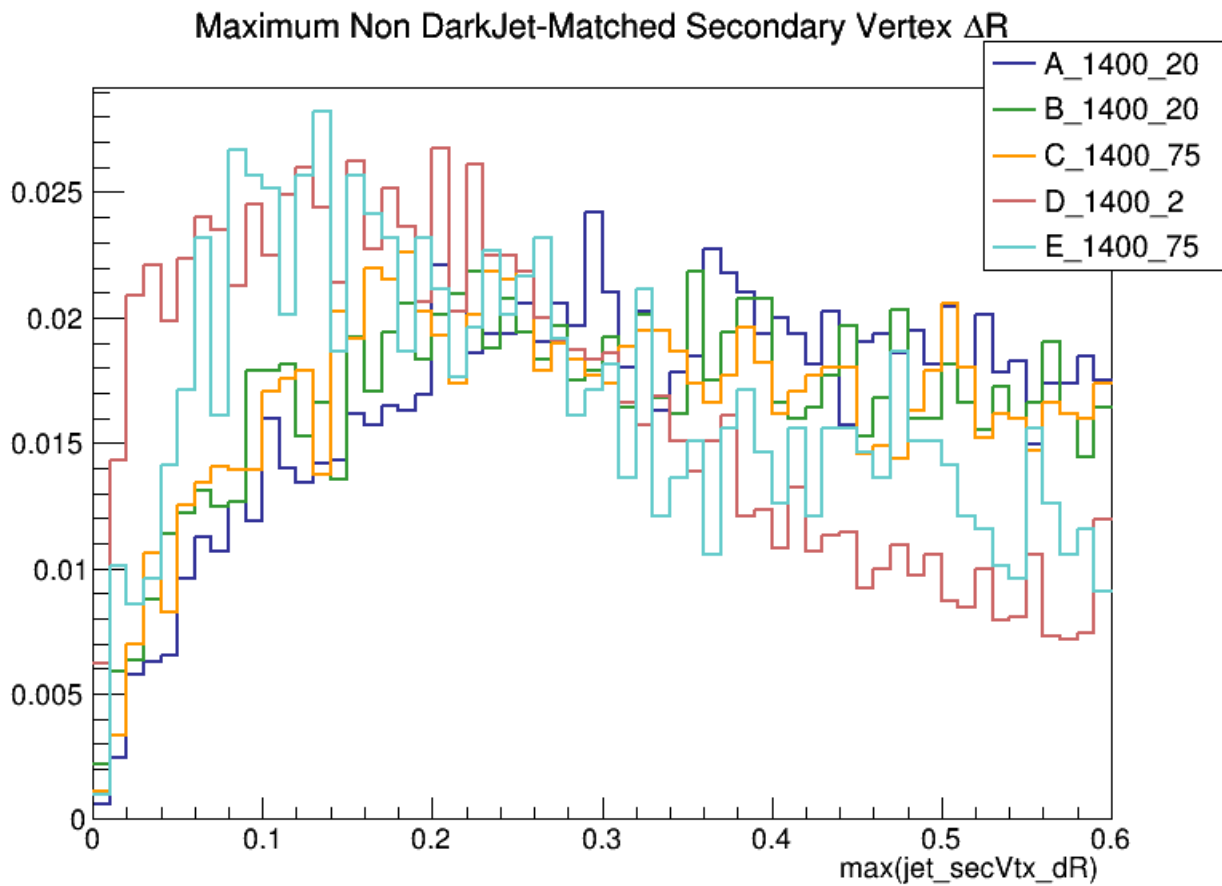


Average Non DarkJet-Matched Secondary Vertex ΔR



$$\text{jet_secVtx_dR} = \sqrt{(\Delta\phi)^2 + (\Delta\theta)^2}$$

Sample SubJet-Level Distributions



$$\text{jet_secVtx_dR} = \sqrt{(\Delta\phi)^2 + (\Delta\theta)^2}$$