

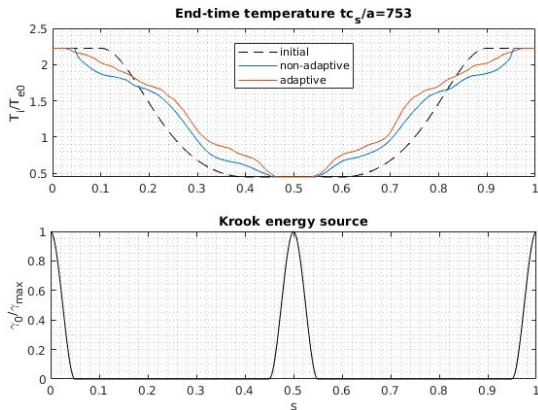
Code: **GKengine**

- Delta-f PIC
- Single species, adiabatic electrons
- Electrostatic, sheared slab
- Fields represented by B-splines

N. Ohana et al, J. Phys.:
Conference Series **775**
012010 (2016)

Strong gradient to
simulate plasma edge:

$$\kappa a = 4.00$$



Time-dependent background temperature:

$$\begin{aligned}\vec{Z} &= (\vec{R}, v_{\parallel}, \mu) \\ f(t, \vec{Z}) &= f_0(t, X, v_{\parallel}, \mu) + \delta f(t, \vec{Z}) \\ f_0(t, X, v_{\parallel}, \mu) &= \frac{n_0(X)}{[2\pi T_{i0}(t, X)]^{3/2}} \exp\left(-\frac{mv_{\parallel}^2/2 + \mu B(X)}{T_{i0}(t, X)}\right)\end{aligned}$$

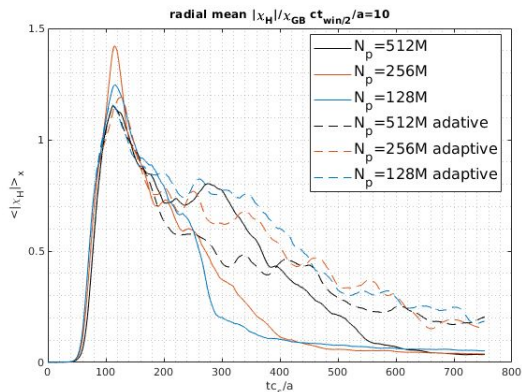
Krook source and conservative noise control:

$$\begin{aligned}f_{00} &= f_0(0, X, v_{\parallel}, \mu) \\ f &= f_{00} + \delta f + (f_0 - f_{00}) \\ \frac{d\delta f}{dt} &= -\frac{df_0}{dt} - \gamma_0(x)(f_0 - f_{00} + \delta f) - \gamma_1\delta f\end{aligned}$$

B.F. McMillan, Phys. Plasmas **15**, 052308 (2008)

Quasi-neutrality equation:

$$\begin{aligned}&\frac{en_0}{T_e}(\phi - \bar{\phi}) - \nabla_{\perp} \cdot \left(\frac{n_0}{B\Omega_i} \nabla_{\perp} \phi\right) \\ &= \frac{1}{2\pi} \int \delta f(t, \vec{x} + \vec{\rho}_L(\mu, \alpha), v_{\parallel}, \mu) J d\mu dv_{\parallel} d\mu + \\ &\frac{1}{2\pi} \int \{f_0 - f_{00}\}(x + \rho_L(\mu) \cos \alpha, v_{\parallel}, \mu) J d\mu dv_{\parallel} d\mu\end{aligned}$$



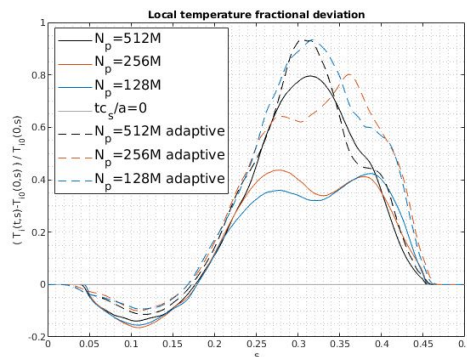
Non-adaptive case: Drop in heat flux and diffusivity due to noise, leading to negligible residual values

Background temperature relaxation equation:

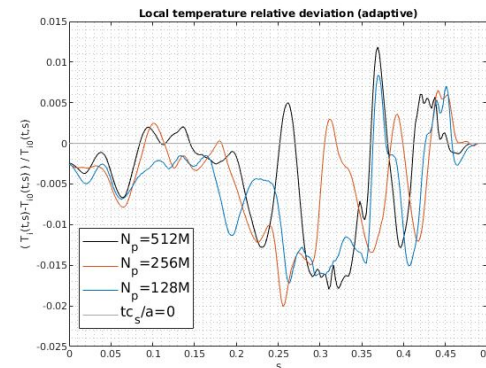
$$\frac{3}{2}n_0(x)T_{i0}(t,x) = \frac{3}{2}n_0(x)T_{i0}(0,x) + \sum_b \xi_b(t)\Lambda_b(x)$$

$$\frac{\partial}{\partial t} \left(\frac{3}{2}n_0(x)T_{i0}(t,x) \right) = \alpha_E \left\langle \int \left(\frac{mv_{\parallel}^2}{2} + \mu B \right) \delta f(t, \vec{Z}) J dv_{\parallel} d\mu \right\rangle$$

S. Brunner et al, Phys. Plasmas. **6**, 4505 (1999)



Adaptive cases give converged larger final temperature change



Temperature relative deviation remains low for adaptive cases

Fourier decomposition on the B-spline coefficients of the RHS of the quasi-neutrality equation allows for SNR diagnostics

Physical modes satisfy: $\Delta m \in |nq(s) - m|$

$$\text{noise} = \frac{\sum^{N_s} \sum_{(m,n) \in \mathcal{F}_2} |b_i^{(m,n)}|^2}{\sum^{N_s} \sum_{(m,n) \in \mathcal{F}_2}}$$

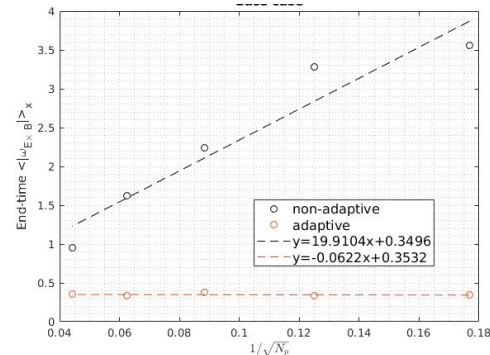
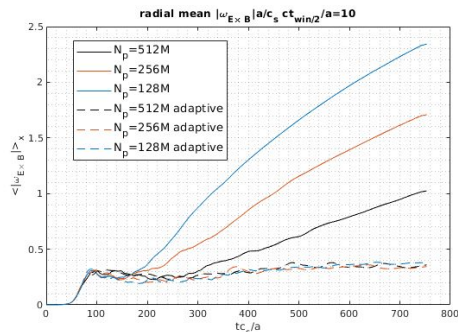
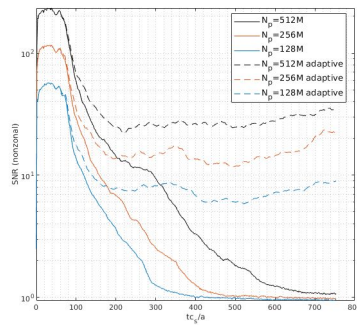
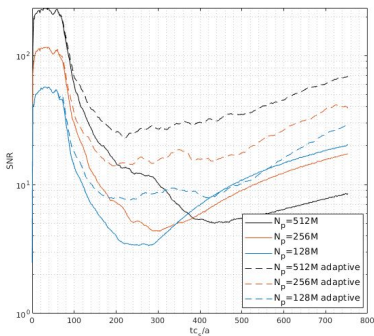
$$\text{signal} = \frac{\sum^{N_s} \sum_{(m,n) \in \mathcal{F}} |b_i^{(m,n)}|^2}{\sum^{N_s} \sum_{(m,n) \in \mathcal{F}}}$$

B. F. McMillan et al, Comp Phys Comm. **181**, 715 (2010)

SNR with and without the zonal mode, which noise accumulates, under adaptive scheme:

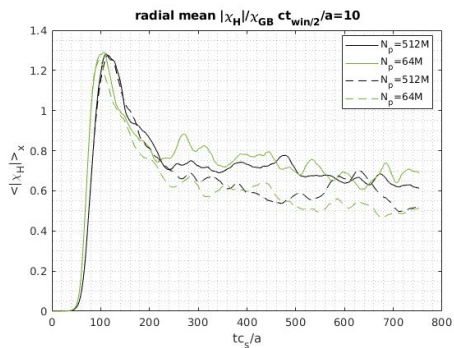
$$\omega_{E \times B} \sim -\frac{d^2 \phi}{dx^2} \times \hat{b}$$

Noise leads to increased shearing rate, which in turn suppresses turbulence:

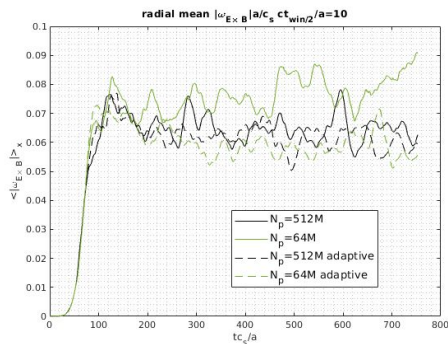


To better simulate conditions at plasma edge with high fluxes, disabling the flux-surface-averaged potential in the electron adiabatic response reduces shearing rate, and thus increases turbulence levels:

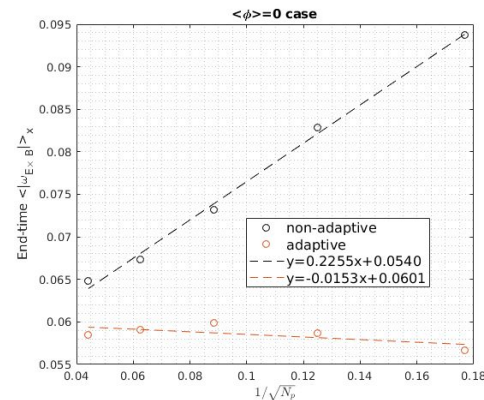
Heat diffusivity:



Shearing rate:



Simulations are less sensitive to marker numbers in general, but shearing rate increases when marker number decreases



D. R. Hatch et al, J. Plasma Physics. **80**, 531 (2014)

