

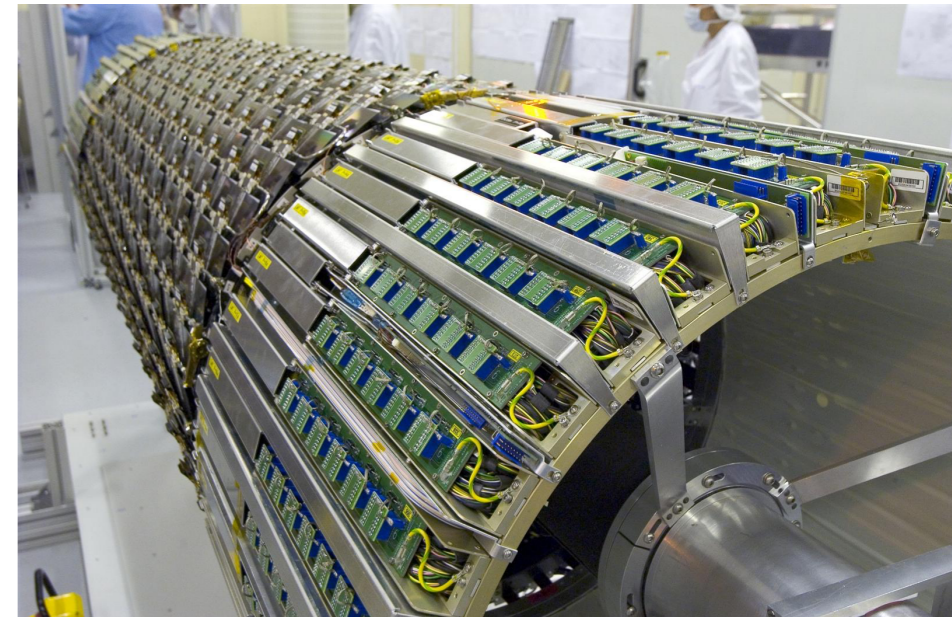
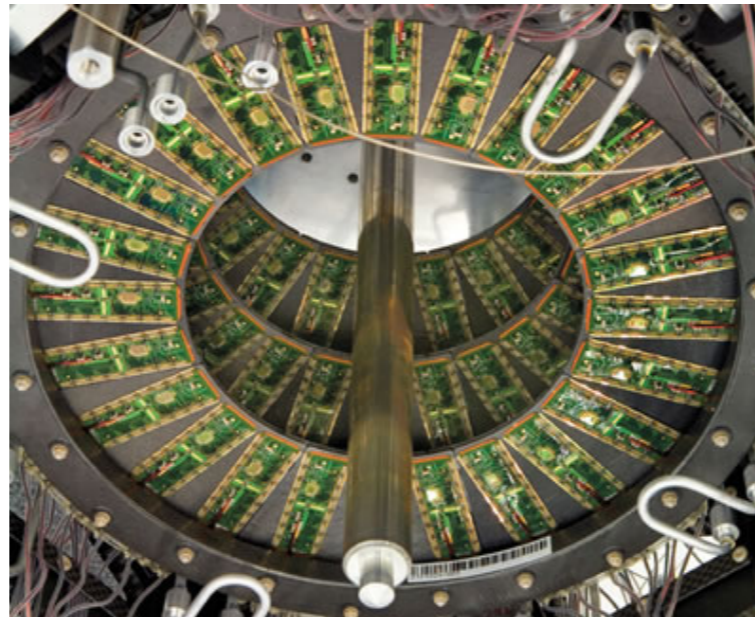


Stony Brook
University

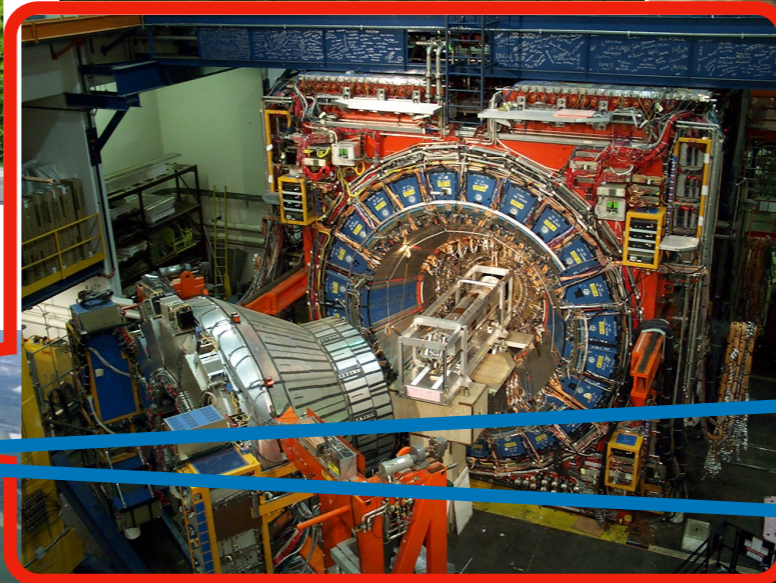


Introduction to Particle Detectors

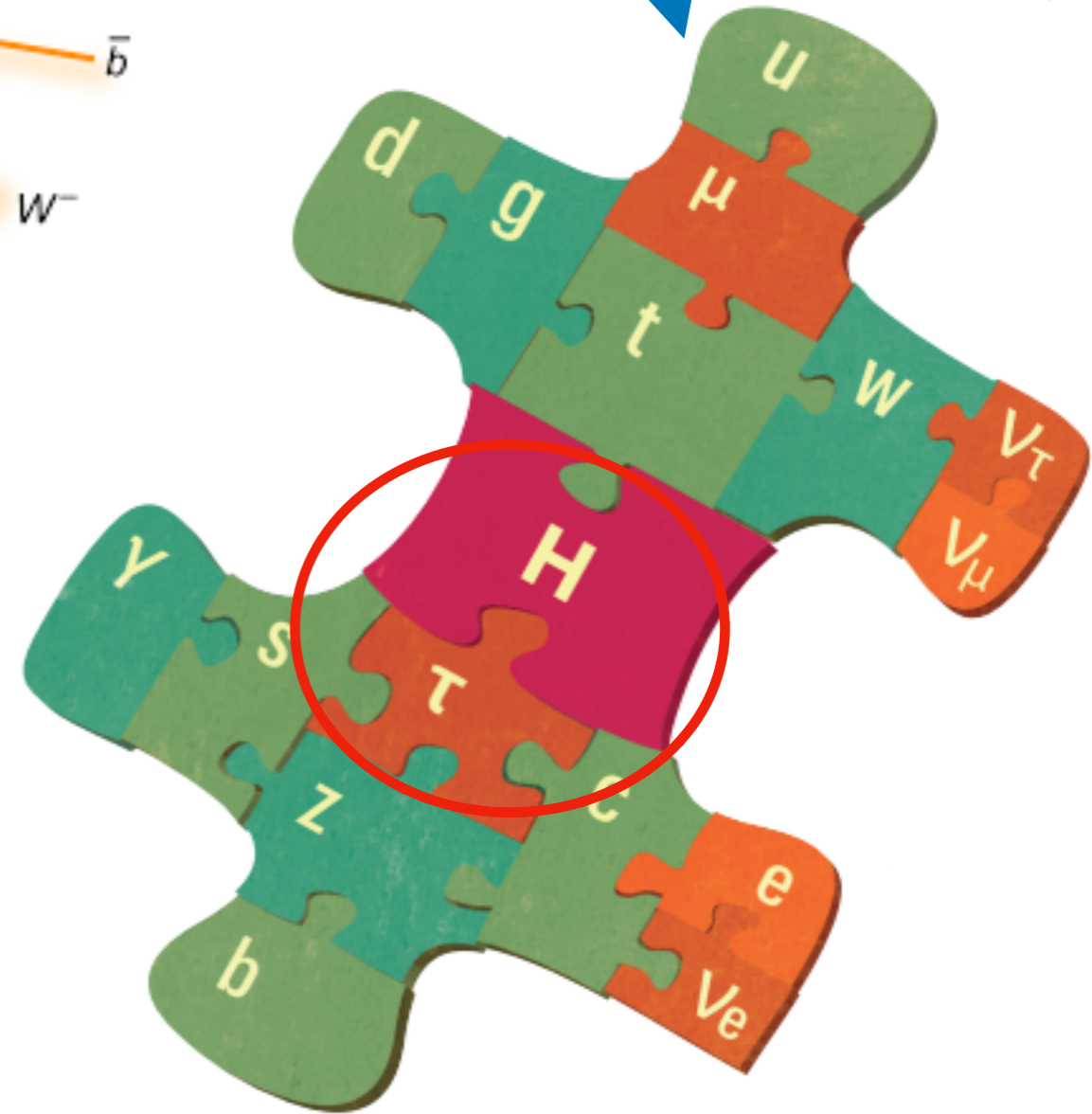
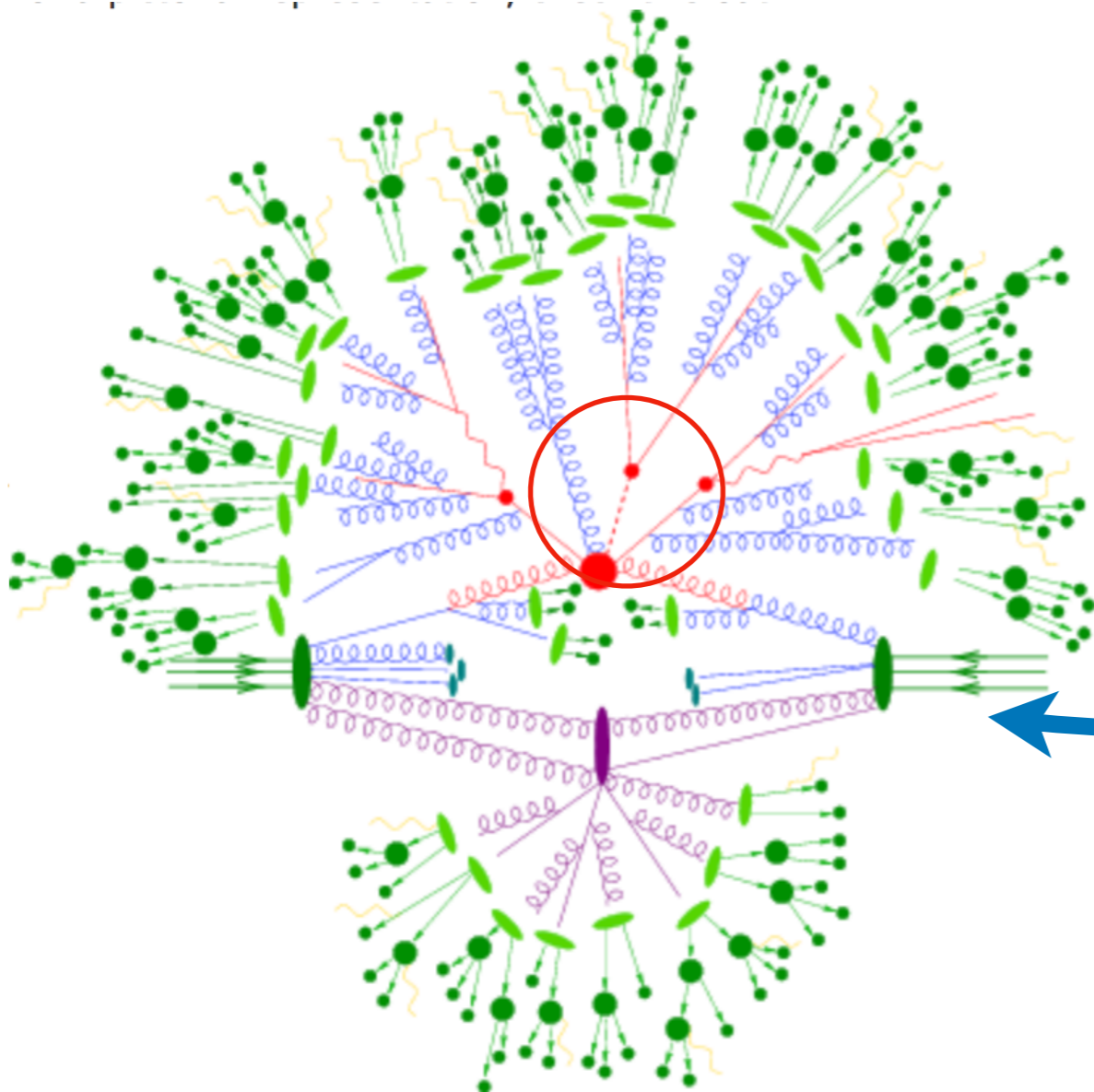
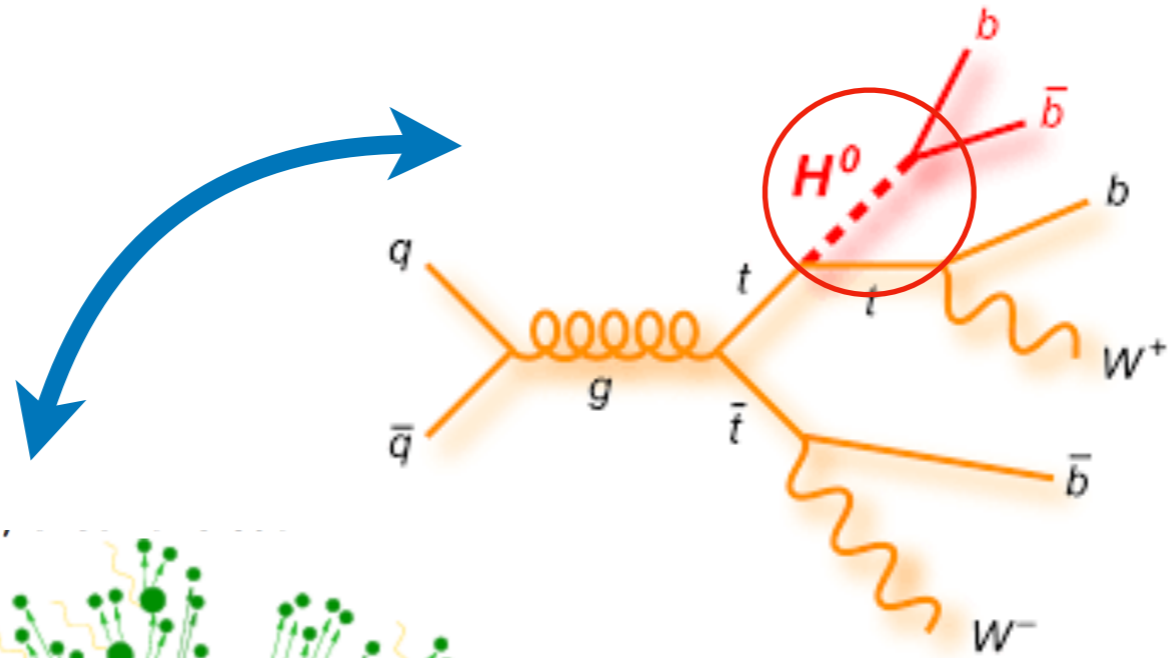
Dmitri Tsybychev
Stony Brook University



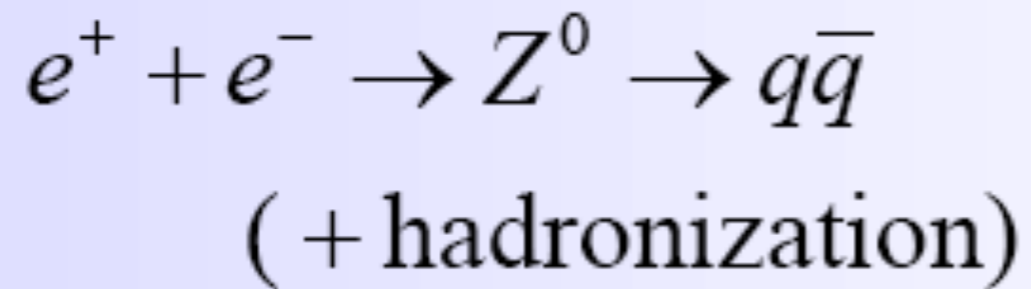
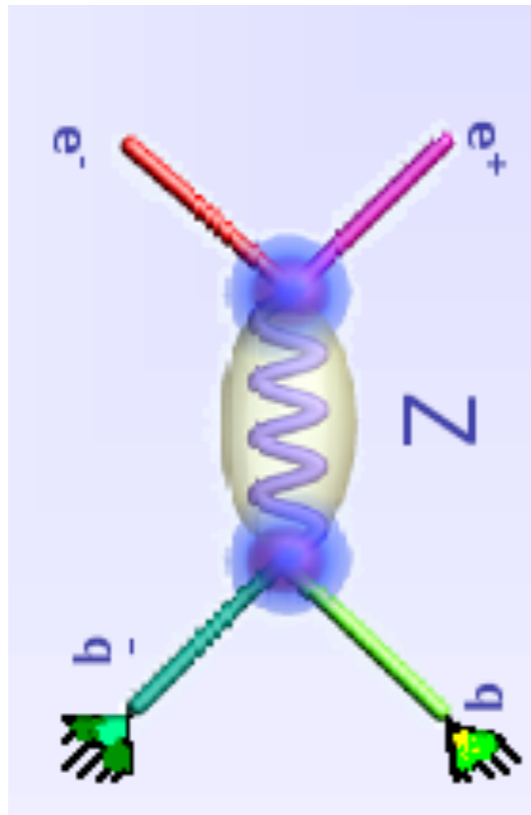
- Always wanted to be a scientist or an engineer
- Diploma, Moscow State University (1997, IHEP Protvino)
- PhD, University of Florida (2004, CDF, Fermilab)
- Postdoctoral Fellow, Stony Brook (D0, Fermilab)
- Professor, Stony Brook University (2008 - present, ATLAS, D0)
- More than 1000 publications



Discovery Process



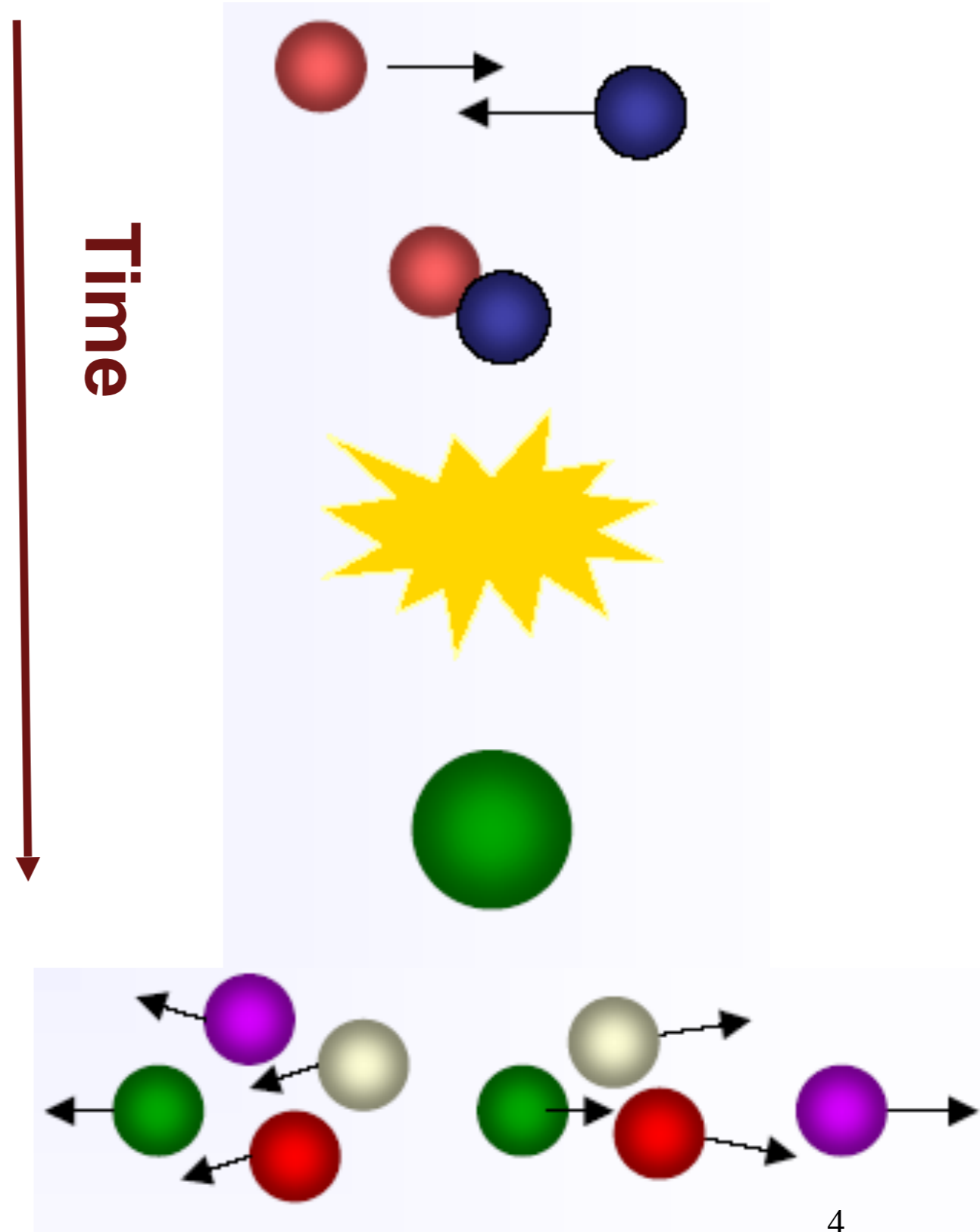
Particle Physics Experiment



Idealistic View:

Elementary Particle Reaction

- Usually cannot “see” the reaction itself
- To reconstruct the process and the particle properties, need maximum information about end-products



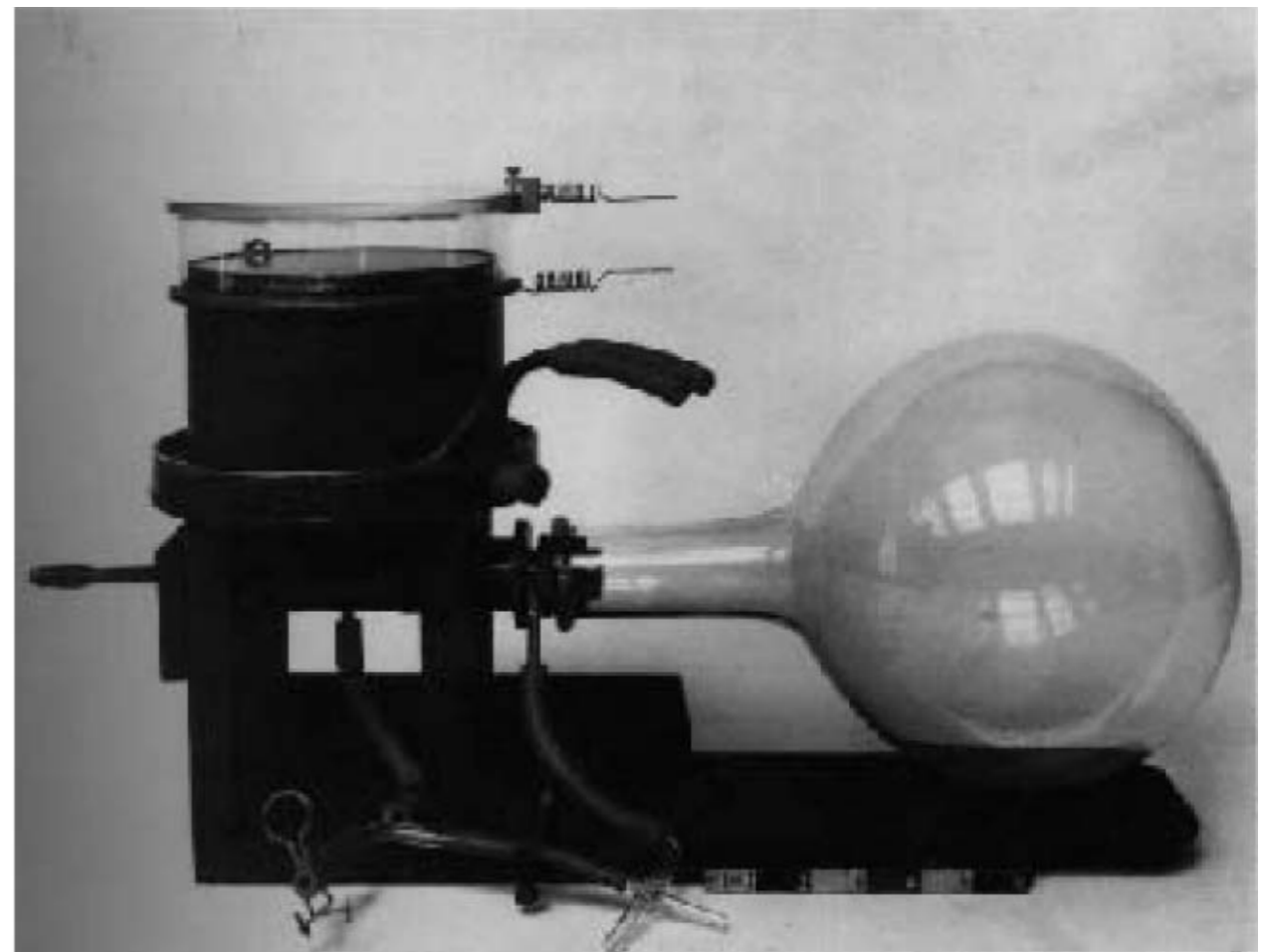
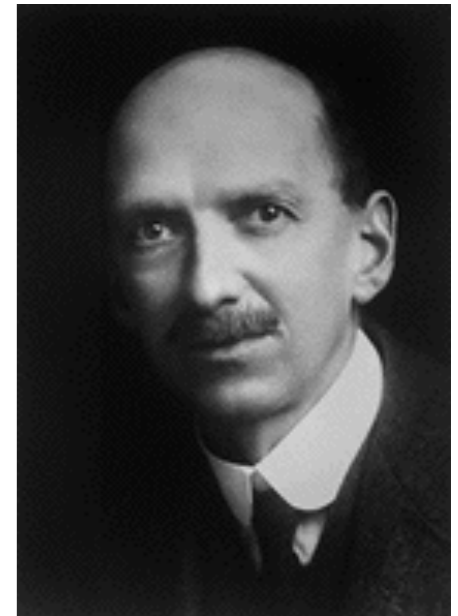
Particle Detection

- Basically, everything interesting happens within the first $\sim 10^{-12}$ seconds after the beams collide
 - we can only see “final-state” particles
 - our physics knowledge is based on “working backwards in time” to infer what actually happened in the initial collision
 - the more precisely the final-state particles are measured, the more accurately we can determine the parameters of their parents
- In order to detect a particle it has to interact and deposit energy
 - Measure charge, momentum, energy
 - Particle ID (γ , e , μ , π , K , p)
 - Reconstruct decay vertices of short lived particles (origin of jets -charm, bottom or light quarks, τ - leptons) and identify them probabilistically

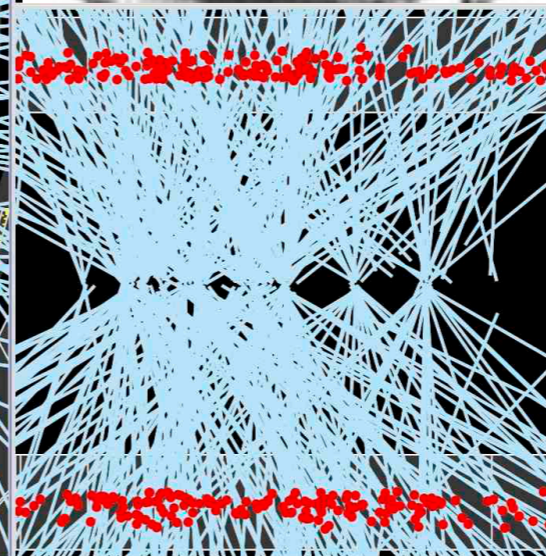
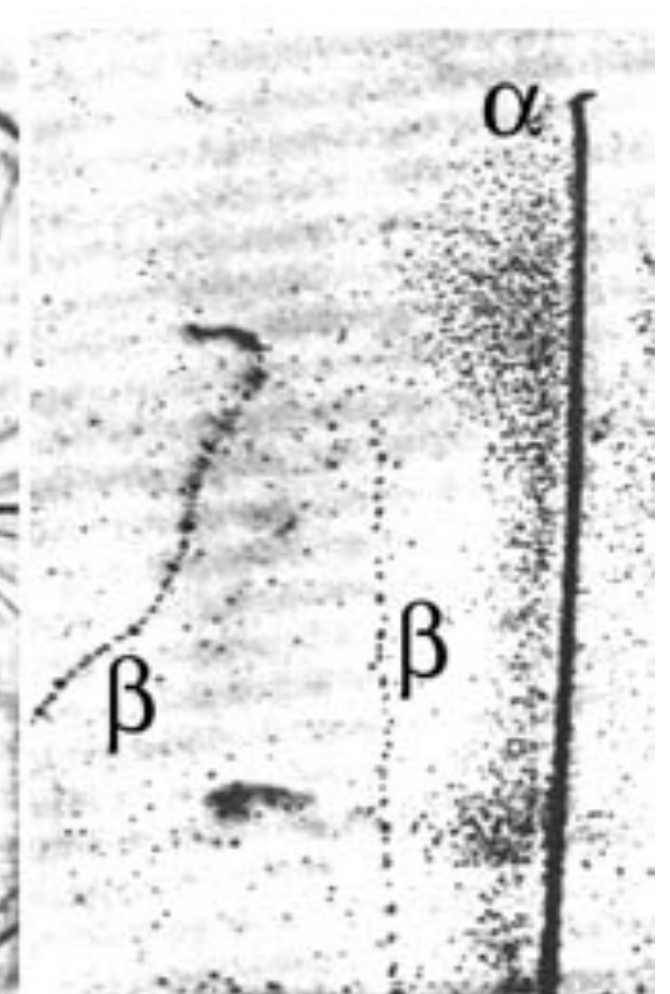
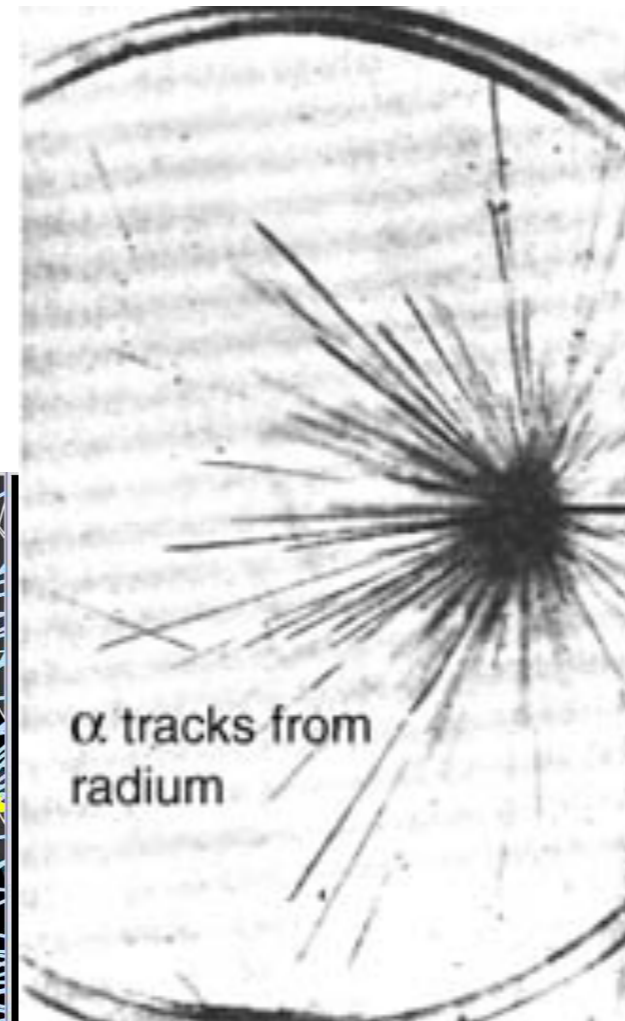
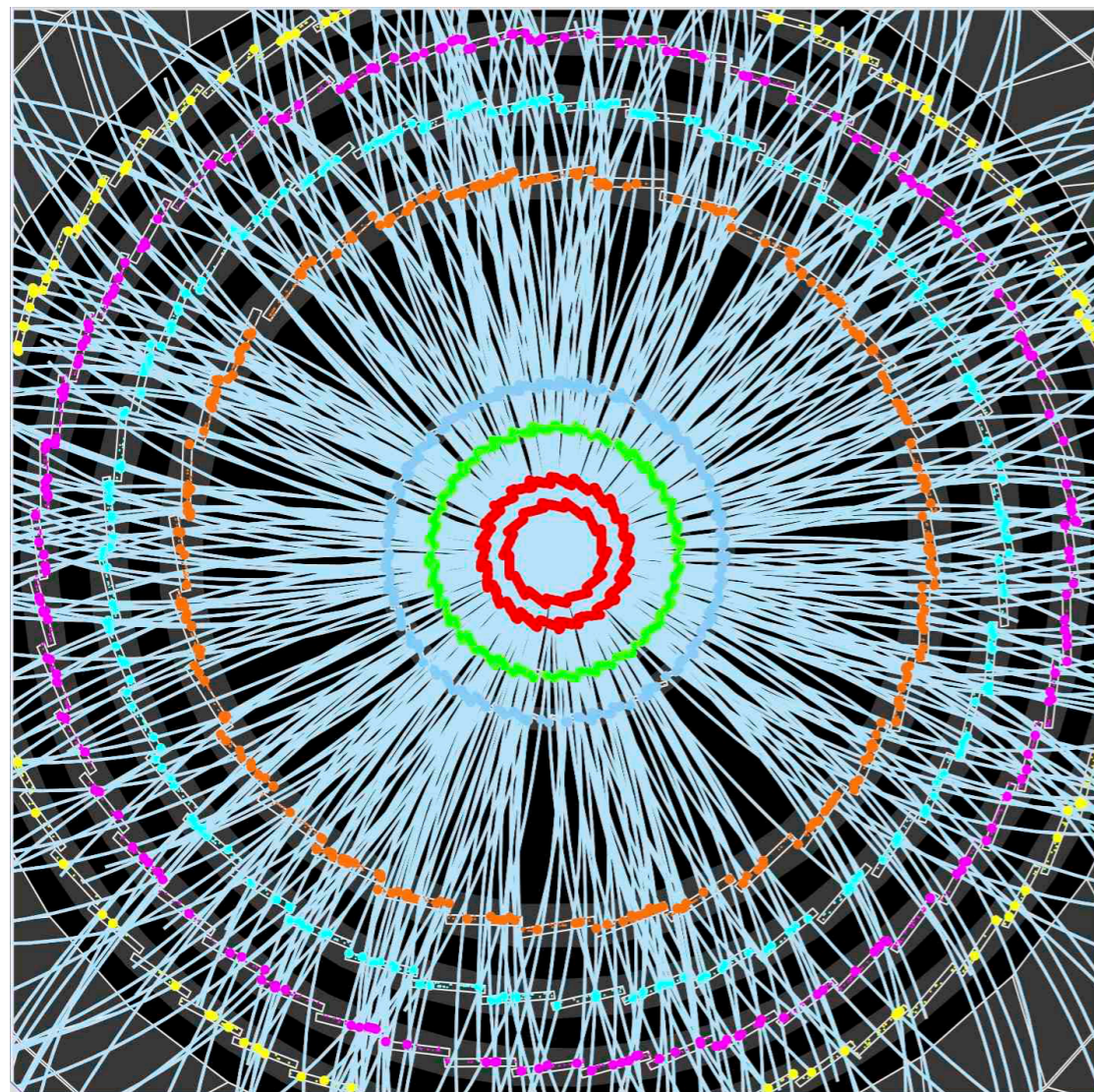
The First Particle Detector

The Cloud Chamber (C.T.R. Wilson)

- an air volume saturated with water
- lower pressure to generate a **super-saturated** air volume
- charged particles cause **condensation of vapour into small droplets**
- droplets form along particle trajectory and are observed
- photographs allow longer inspections



The First Particle Detector



Definitions and Units

Energy of a particle: $E^2 = \vec{p}^2 c^2 + m^2 c^4$

- energy, E , measured in eV (MeV, GeV)
- momentum, p , measured in eV/c
- mass, m , measured in eV/c²
- Natural units $\hbar=c=1$
 - $E^2=p^2 + m^2$

From special relativity

$$\frac{v}{c} = \beta \quad (0 \leq \beta < 1) \quad \text{and} \quad \gamma = 1/\sqrt{1 - \beta^2} \quad (1 \leq \gamma < \infty)$$

Things we want to know

A particle detector is an instrument to measure one or more properties of a particle ...

Properties of a particle:

- position and direction
- momentum
- energy
- mass
- velocity
- transition radiation
- spin, lifetime

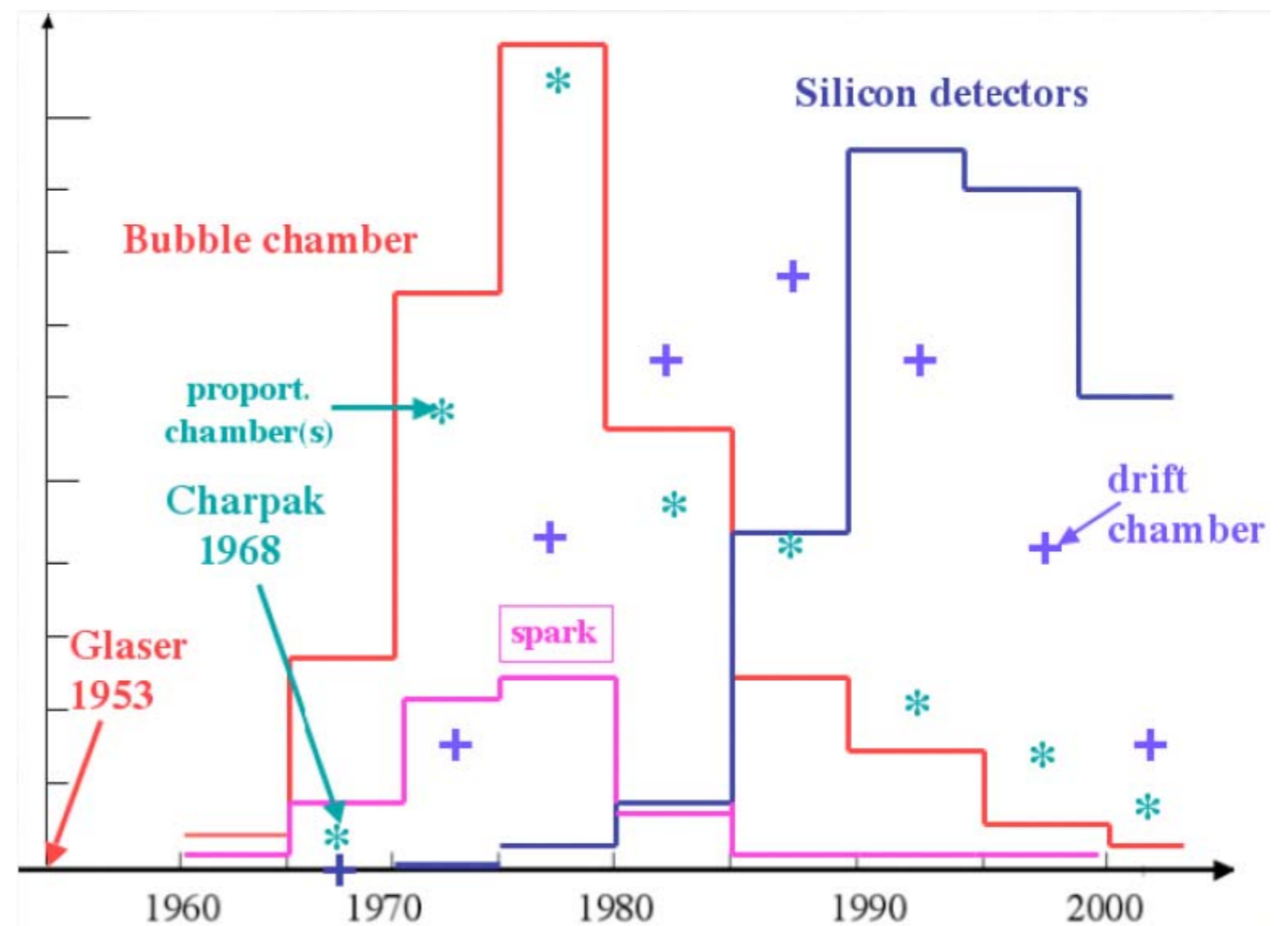
x, \vec{x}
 $|\vec{p}|$
 E
 m
 β
 γ

Type of detection principle:

position and tracking
tracking in a magnetic field
calorimetry
Spectroscopy and PID
Cherenkov radiation or time of flight
TRD

History of Detectors

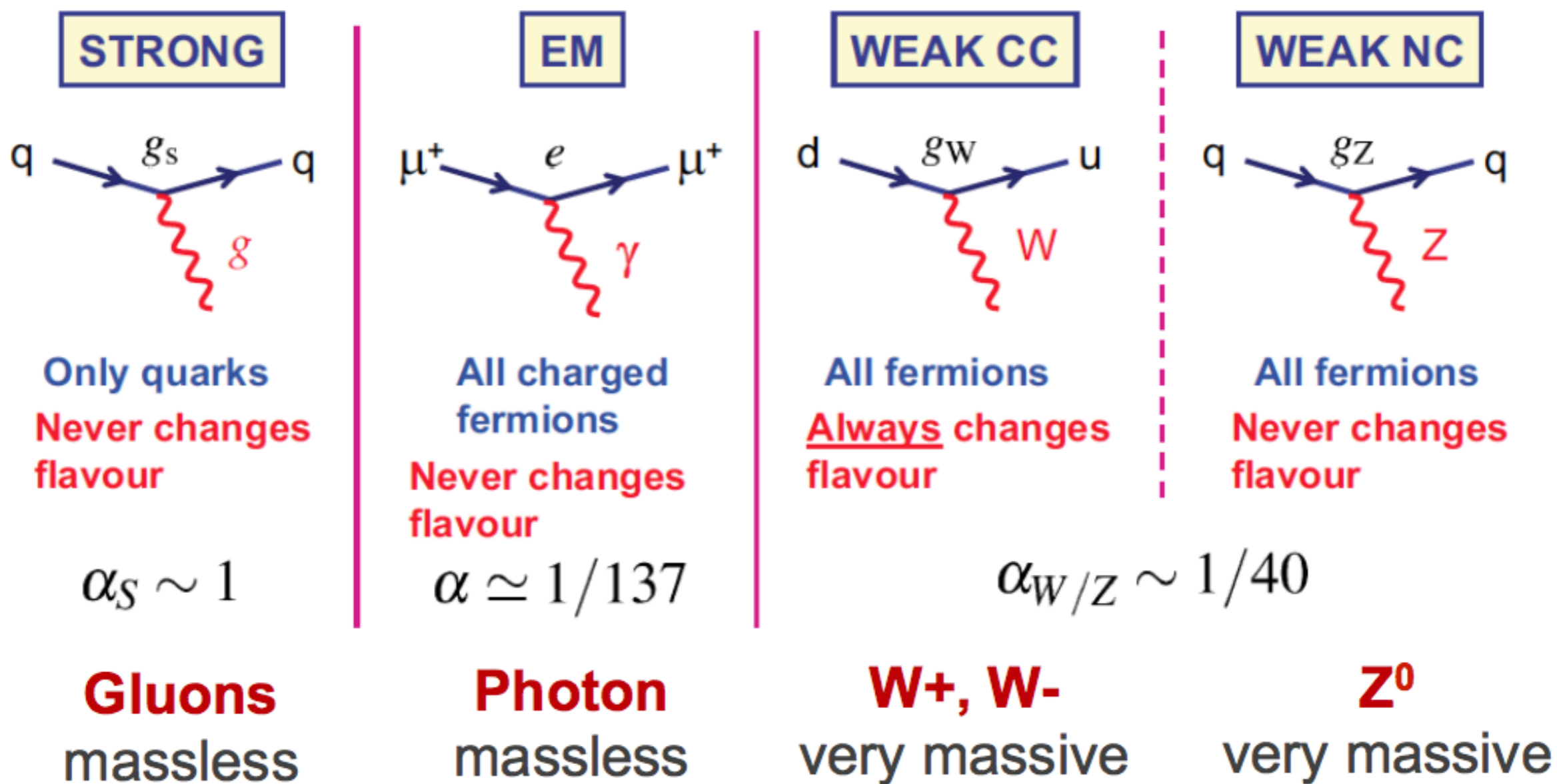
- **Cloud Chambers** dominating until the 1950s
→ now very popular in public exhibitions related to particle physics
- **Bubble Chambers** had their peak time between 1960 and 1985
→ last big bubble chamber was BEBC at CERN (Big European Bubble Chamber), now in front on the CERN Microcosm exhibition
- **Wire Chambers** (MWPCs and drift chambers) started to dominate since 1980s
- Since early 1990s solid **state detectors** are in use started as small sized vertex detectors
→ now ~200 m² silicon surface in CMS tracker



Slide credit E. Garutti, H. Graafsma

Standard Model Interactions

The interaction of gauge bosons with fermions is described by the Standard Model



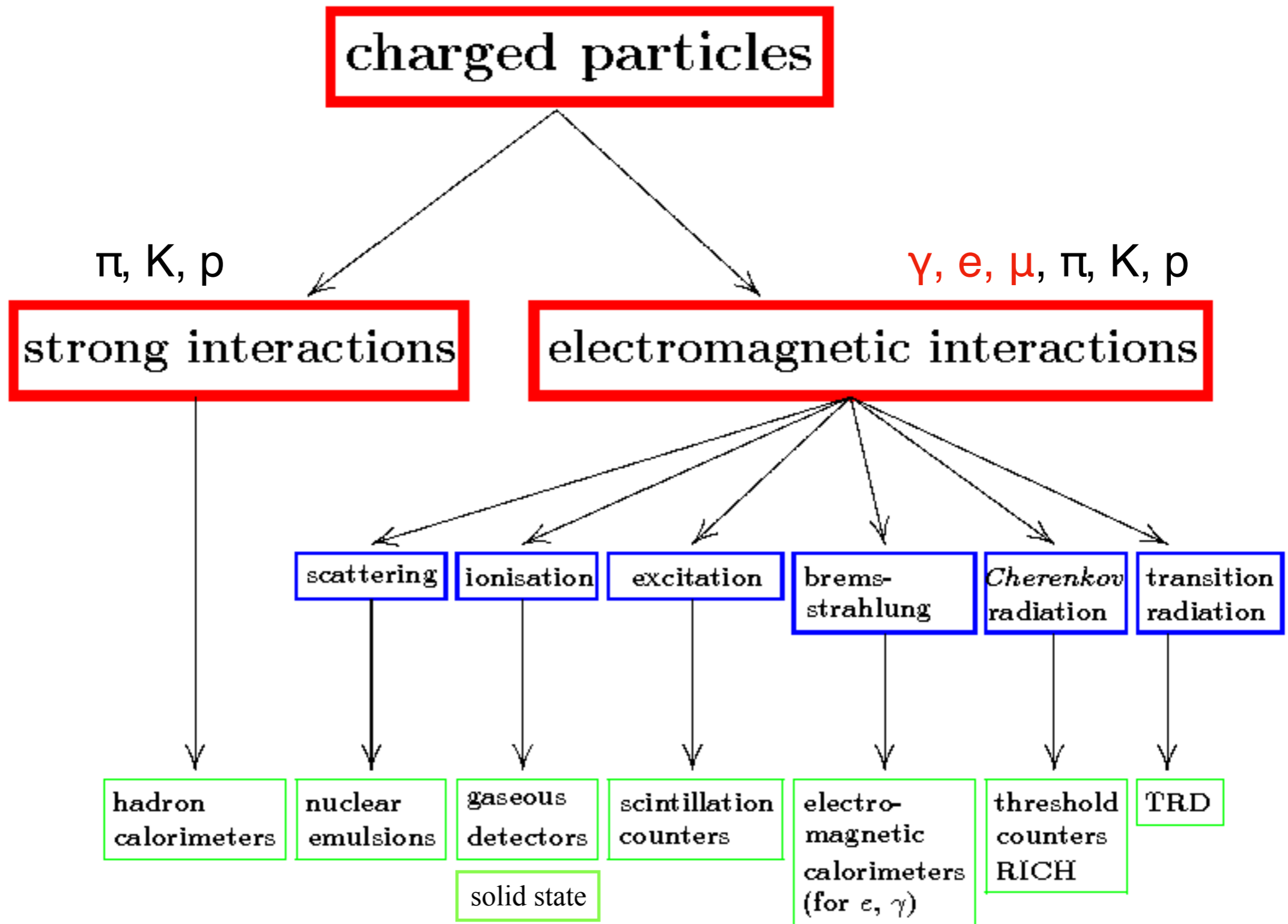
Relative strength with respect to gravity

10^{40}

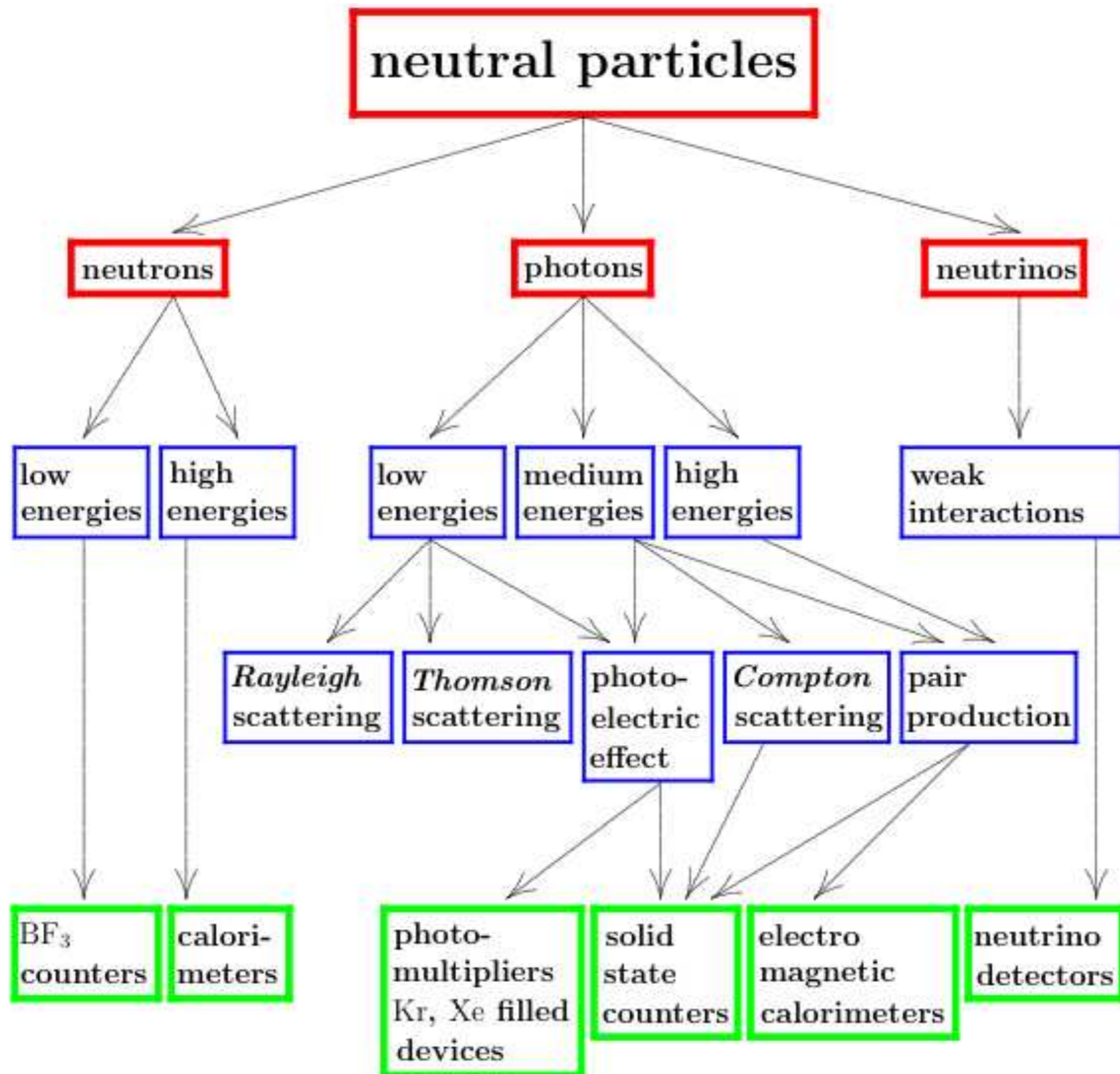
10^{38}

10^{15}

Charged Particle Interactions and Detection

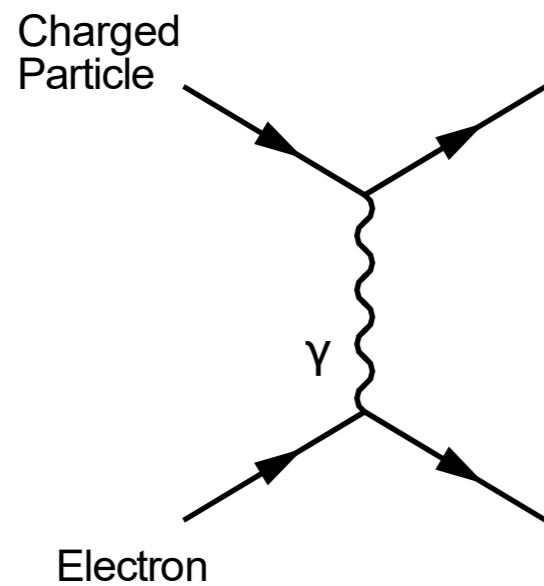


Neutral Particle Interaction and Detection

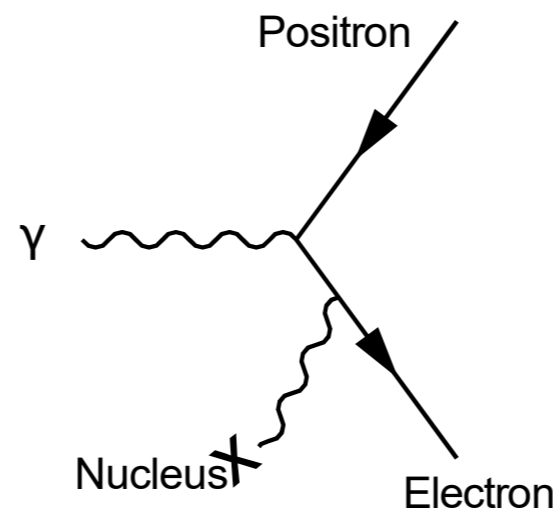


Particle Interaction with matter - examples

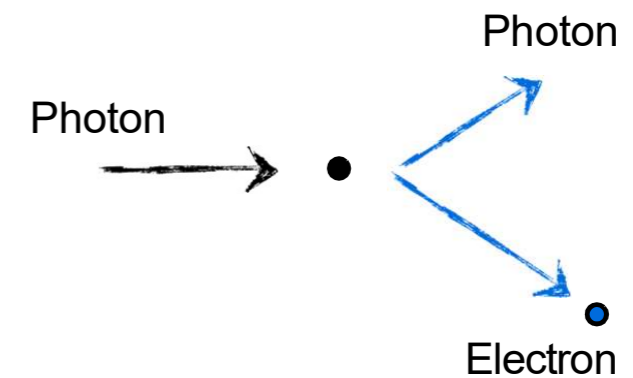
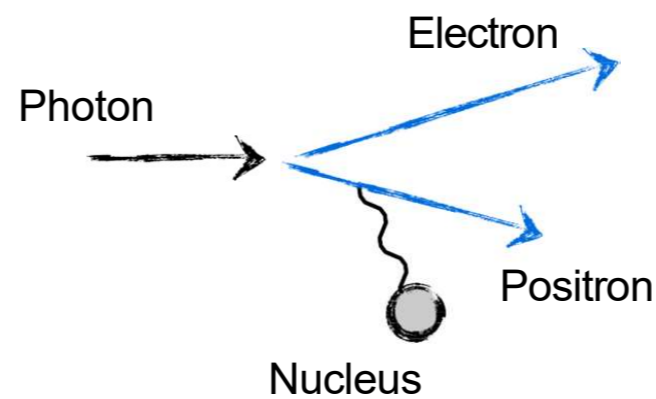
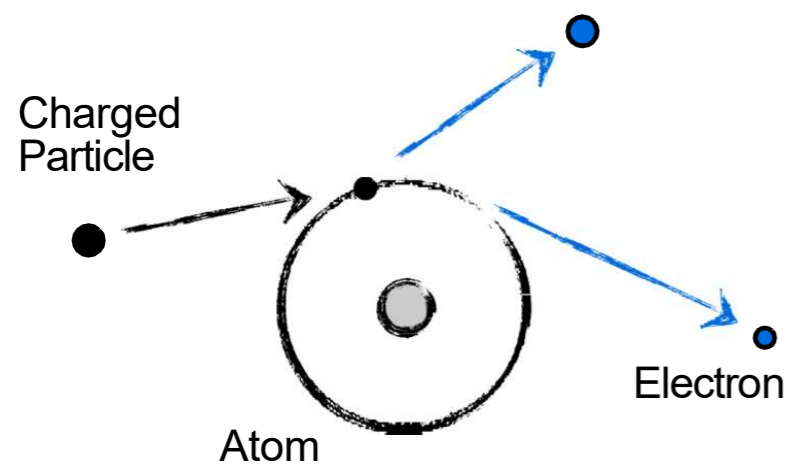
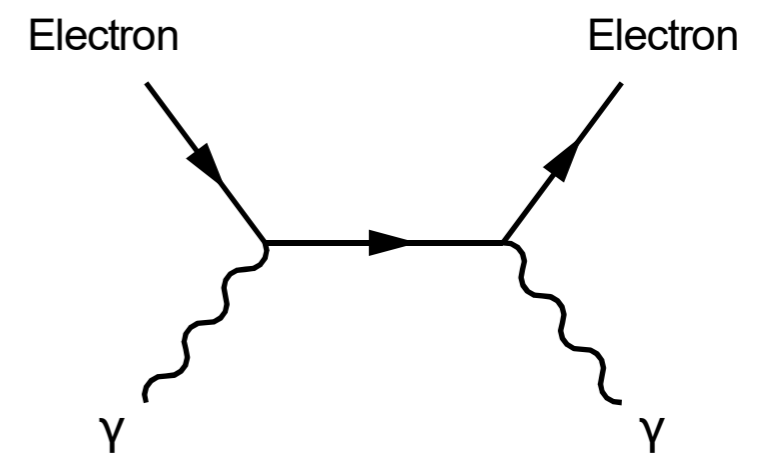
Ionization



Pair Production



Compton Scattering

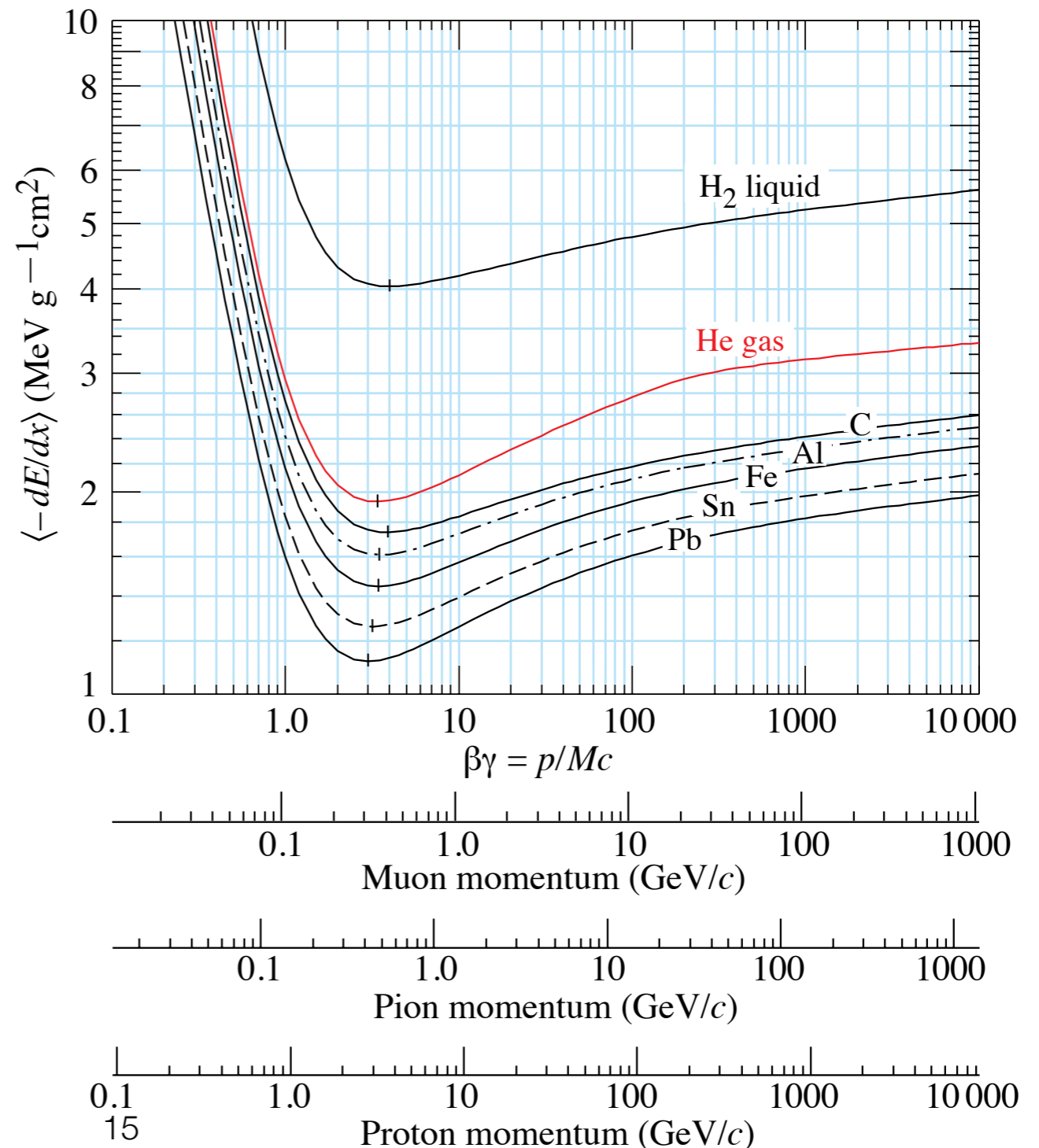


Ionization losses - Bethe-Bloch

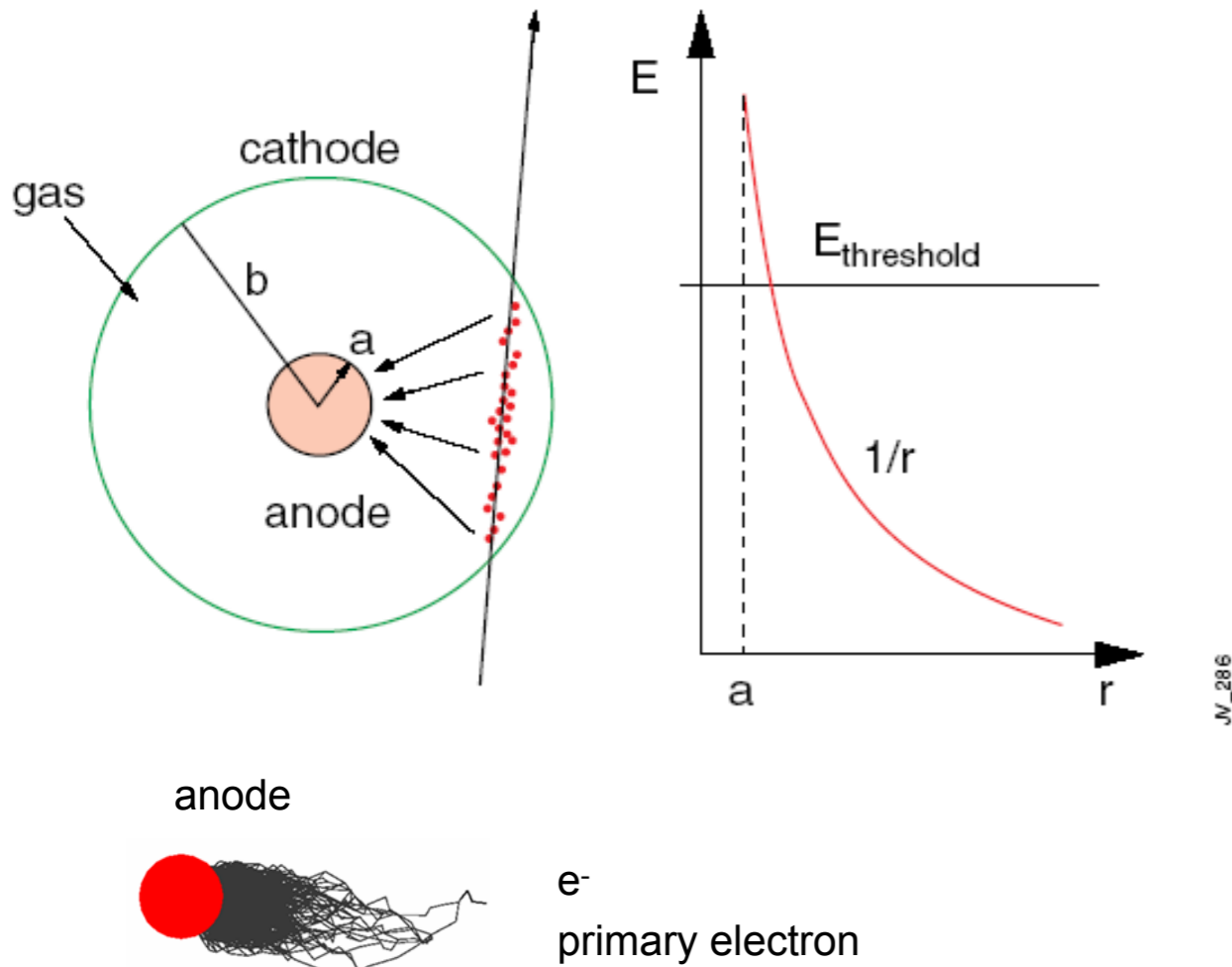
- Charged particles ionize atoms as they pass through matter

$$\frac{dE}{dx} = -4\pi N_A r_e^2 c^2 z^2 \frac{Z}{A} \frac{1}{\beta^2} \left[\frac{1}{2} \ln \frac{2m_e c^2 \gamma^2 \beta^2}{I^2} T^{\max} - \beta^2 - \frac{\delta}{2} \right] \quad [\text{MeV cm}^2/\text{g}]$$

- Rate of energy loss with distance depends on the momentum and particle type
 - For relativistic particles it is roughly constant at 2 [MeV cm²/g]
 - For low momentum it goes as 1/v²
 - Proportional to charge squared of the particle
 - Weakly depends on Z/A of the material



Single Wire Proportional Chamber

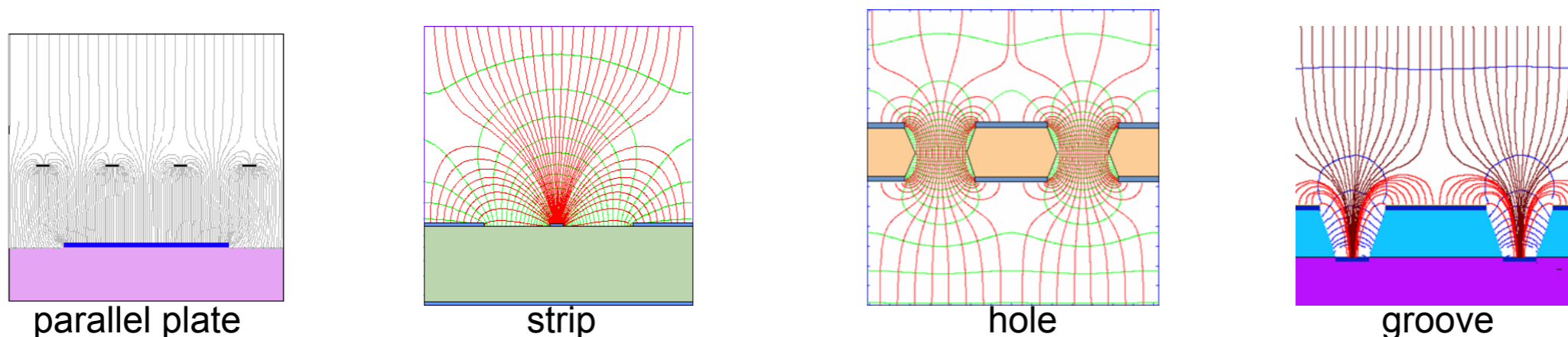


Electrons liberated by ionization drift towards the anode wire.
 Electrical field close to the wire is sufficiently high for electrons (above 10 kV/cm) to gain enough energy to ionize further → **avalanche** – exponential increase of number of electron ion pairs
 - **the proportional operation mode.**

$$E(r) = \frac{CV_0}{2\pi\epsilon_0} \cdot \frac{1}{r}$$

$$V(r) = \frac{CV_0}{2\pi\epsilon_0} \cdot \ln \frac{r}{a} \quad C - \text{capacitance/unit length}$$

Cylindrical geometry is not the only one able to generate strong electric field:

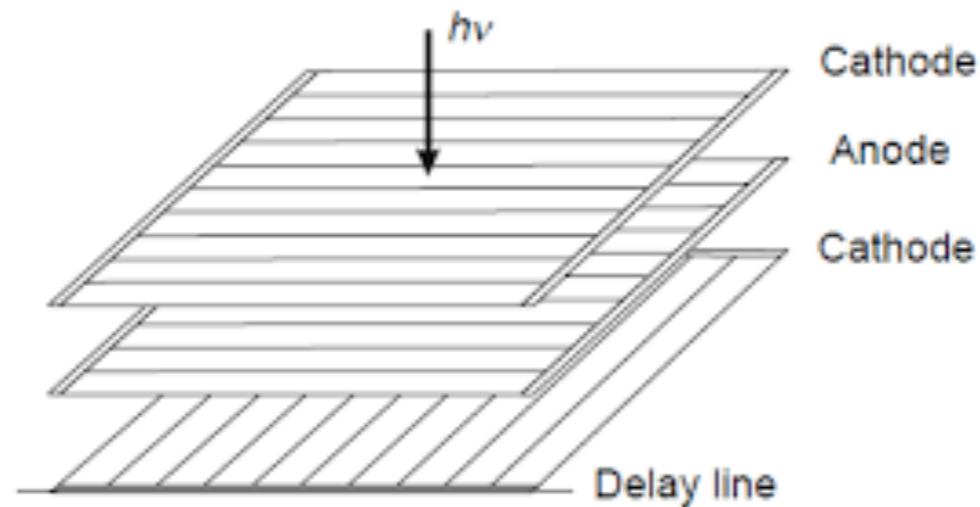
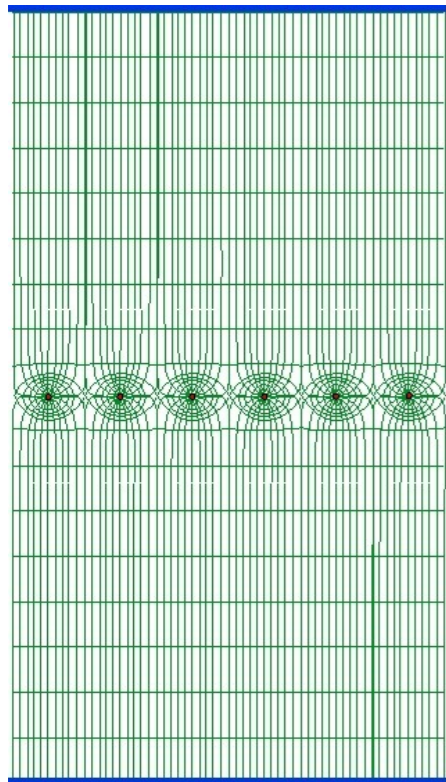


Multiwire Proportional Chamber



Simple idea to multiply SWPC cell : Nobel Prize 1992

First electronic device allowing high statistics experiments !!



Normally digital readout :
spatial resolution limited to

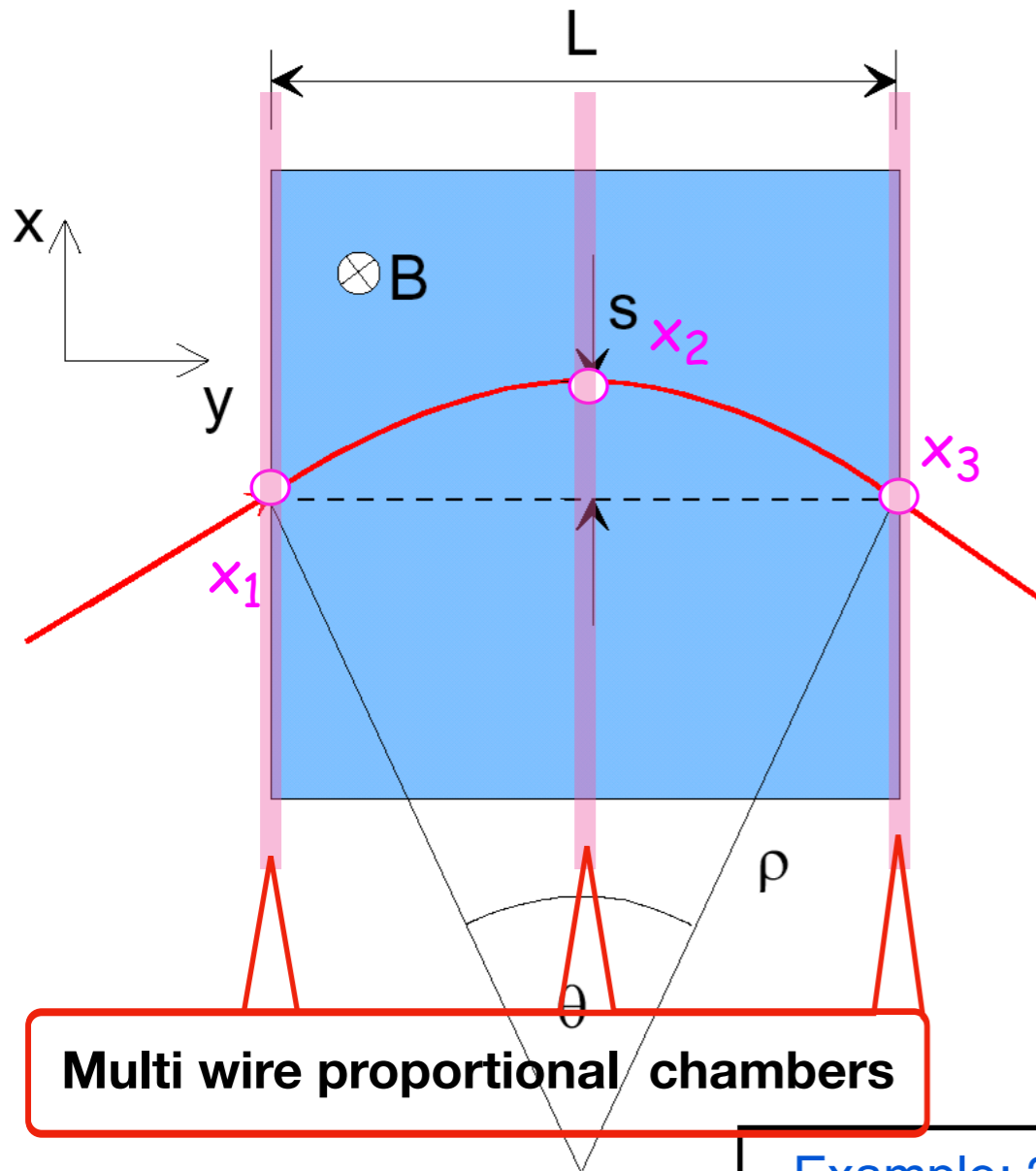
$$\sigma_x \approx \frac{d}{\sqrt{12}}$$

for $d = 1 \text{ mm}$ $\sigma_x = 300 \text{ } \mu\text{m}$



G. Charpak, F. Sauli and J.C. Santiard

Momentum Measurement in B-Fields



- Charged particles follow helix trajectory in **magnetic field B** under Lorentz force'
- The momentum (**transverse momentum p_T**) is measured from the **sagitta s**, which gives the **curvature ρ** of the track in magnetic field

$$p_T = qB\rho$$

Transverse momentum:

$$p_T [GeV] = 0.3 B [T] \rho [m]$$

$$\frac{L/2}{\rho} = \sin \frac{\theta}{2} \approx \frac{\theta}{2} \text{ (for small } \theta) \Rightarrow \theta \approx \frac{L}{\rho} = \frac{0.3BL}{p_T}$$

$$s = \rho(1 - \cos \frac{\theta}{2}) \approx \rho \left(1 - \left(1 - \frac{1}{2} \frac{\theta^2}{4} \right) \right) = \rho \frac{\theta^2}{8} \approx \frac{0.3BL^2}{8p_T}$$

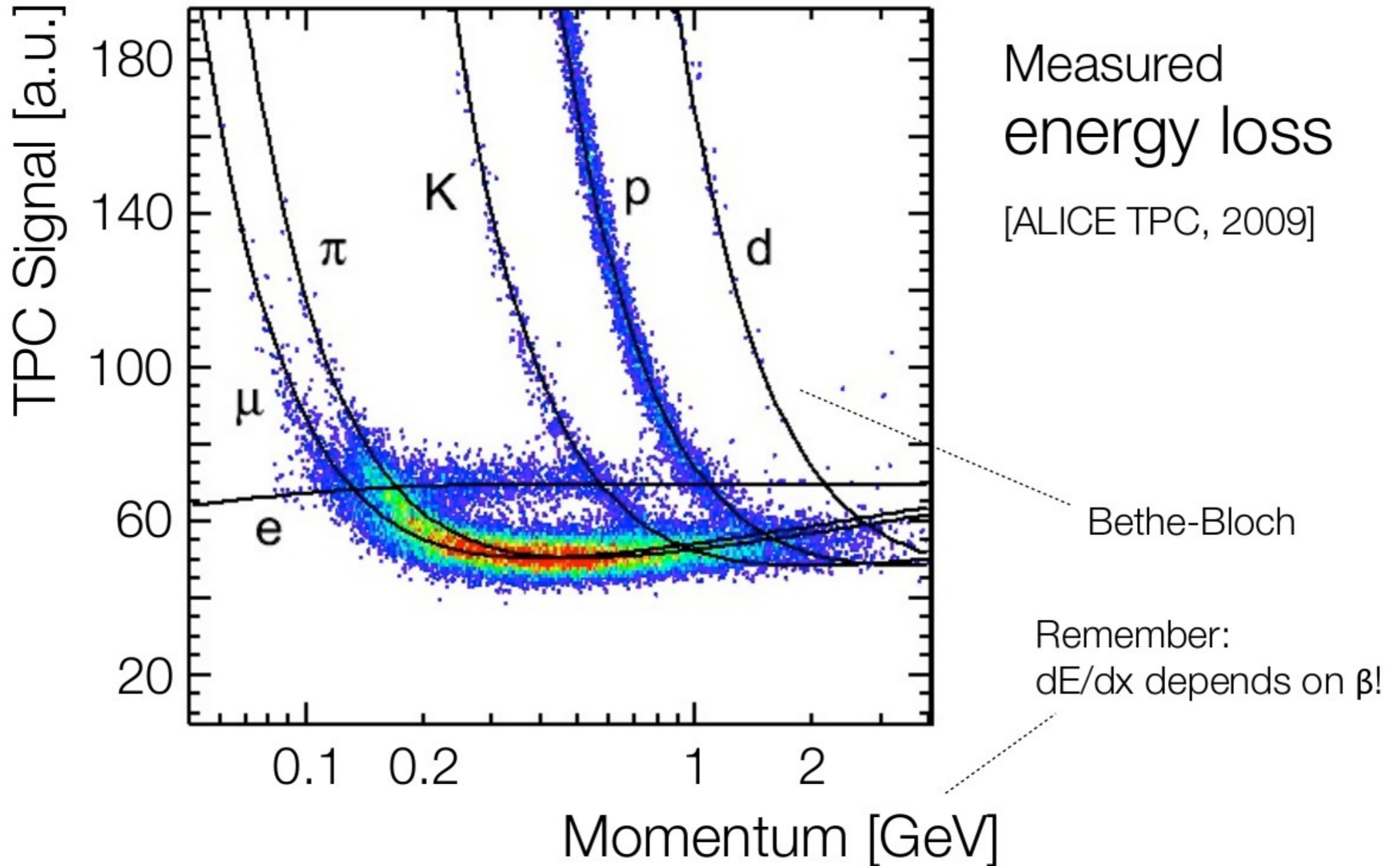
Example: 3 measurements

$$s = x_2 - (x_1 + x_3)/2 \rightarrow ds = dx_2 - dx_1/2 - dx_3/2$$

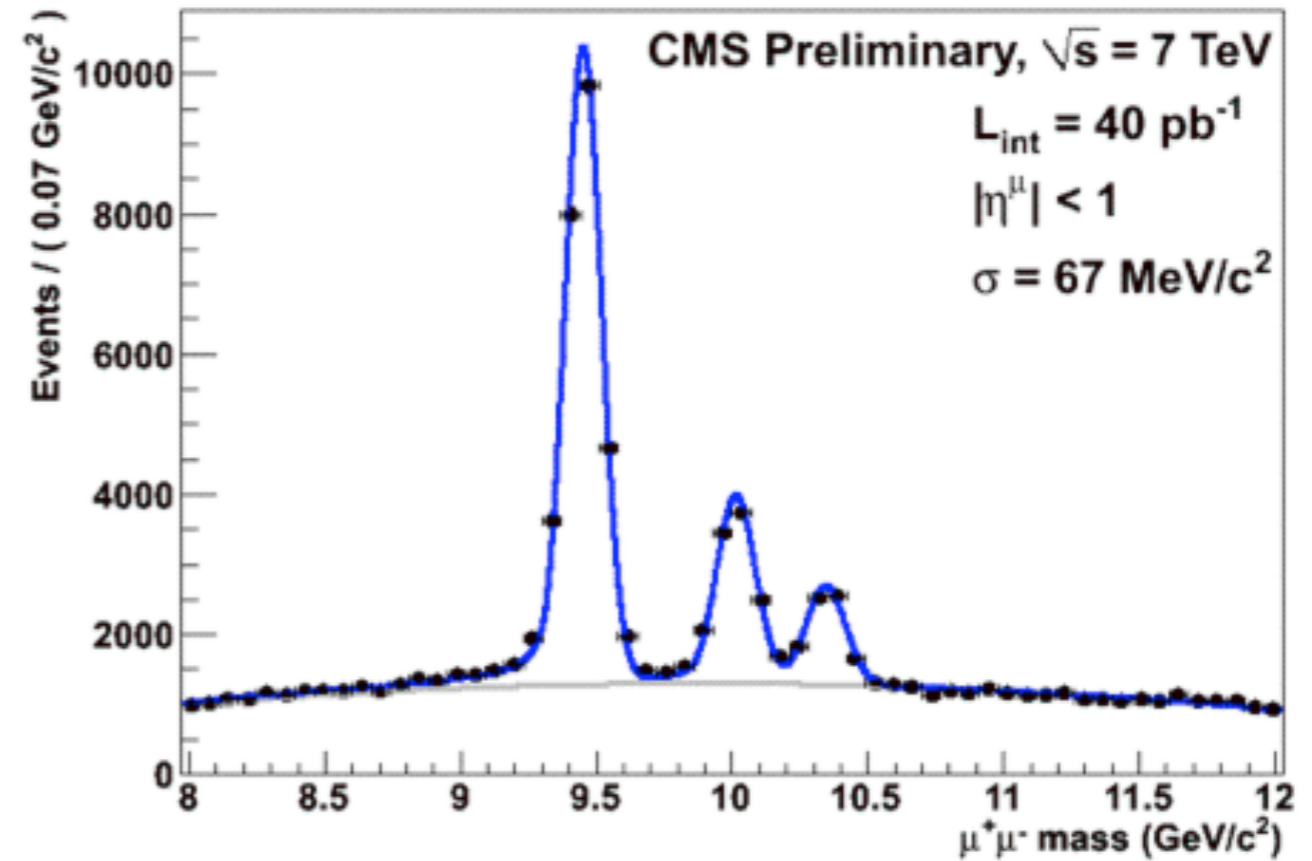
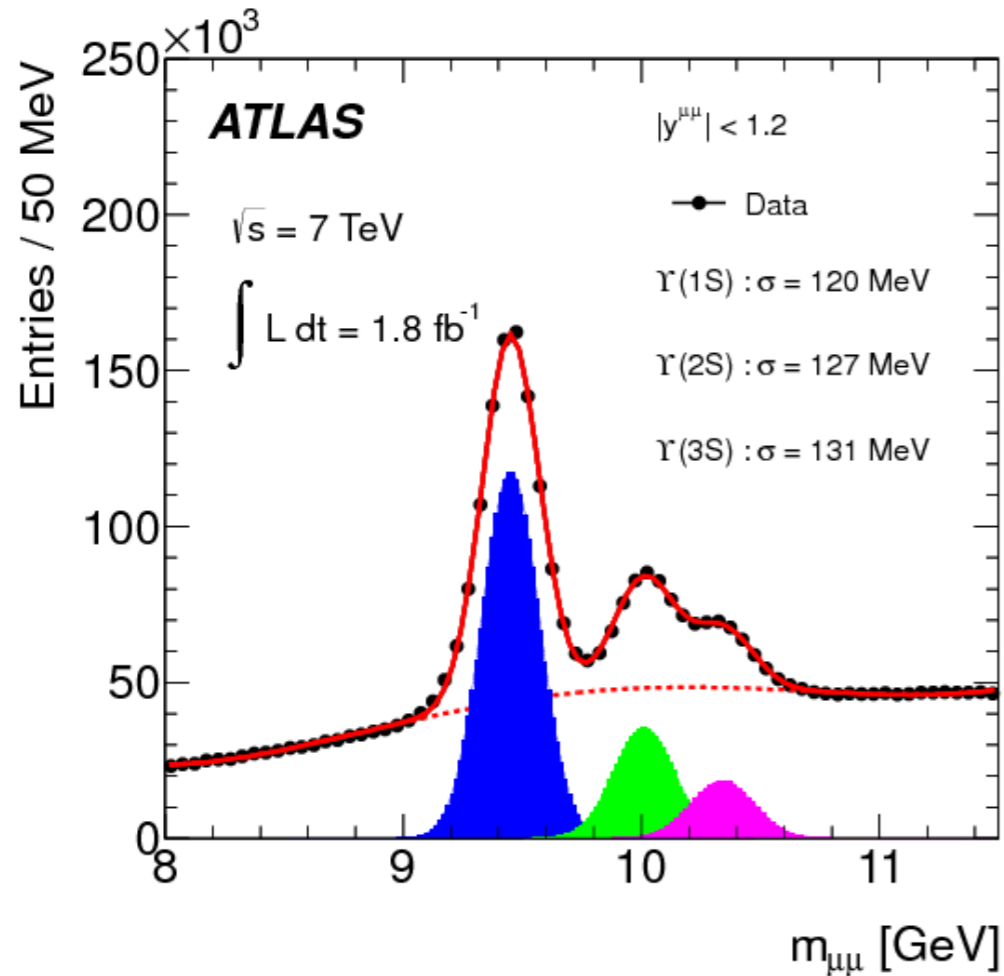
assume uncorrelated errors: $\sigma(x) \approx dx_i$

$$\sigma_s^2 = \sigma^2(x) + 2 \frac{\sigma^2(x)}{4} = \frac{3}{2} \sigma^2(x)$$

Identifying particles by dE/dx



Detector Resolution



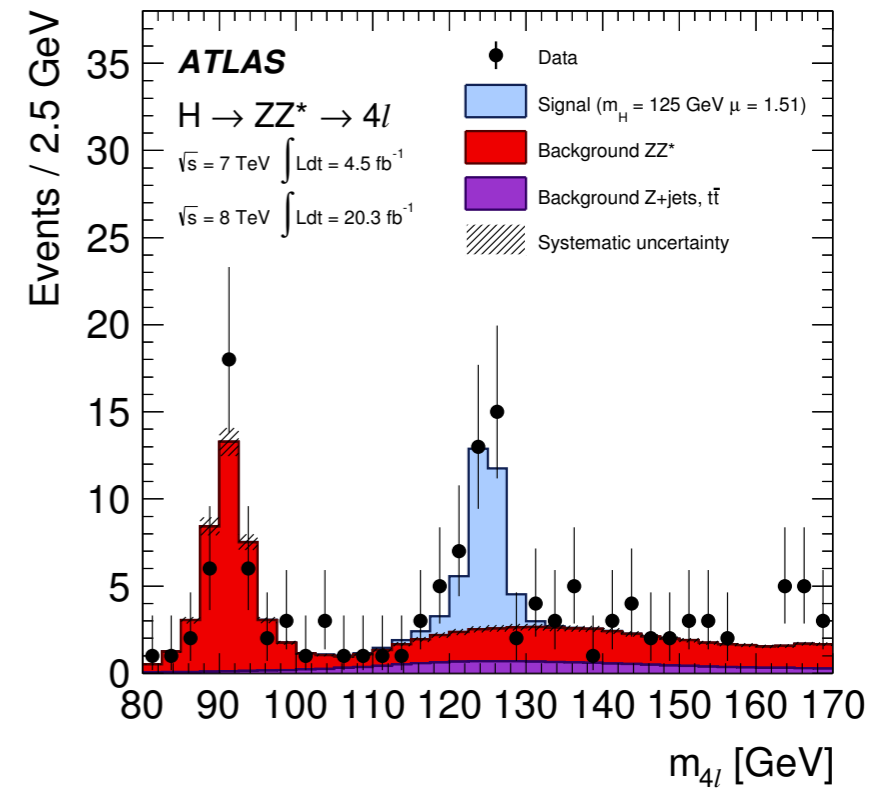
- **detector resolution** $S \sim 1/\sqrt{\sigma_m}$ detector with better resolution has larger probability to find signal or measure parameter more precisely, such as mass of unknown particle

Higgs to ZZ^* to 4 leptons

$m(l\bar{l}) = 24.6 \text{ GeV}$

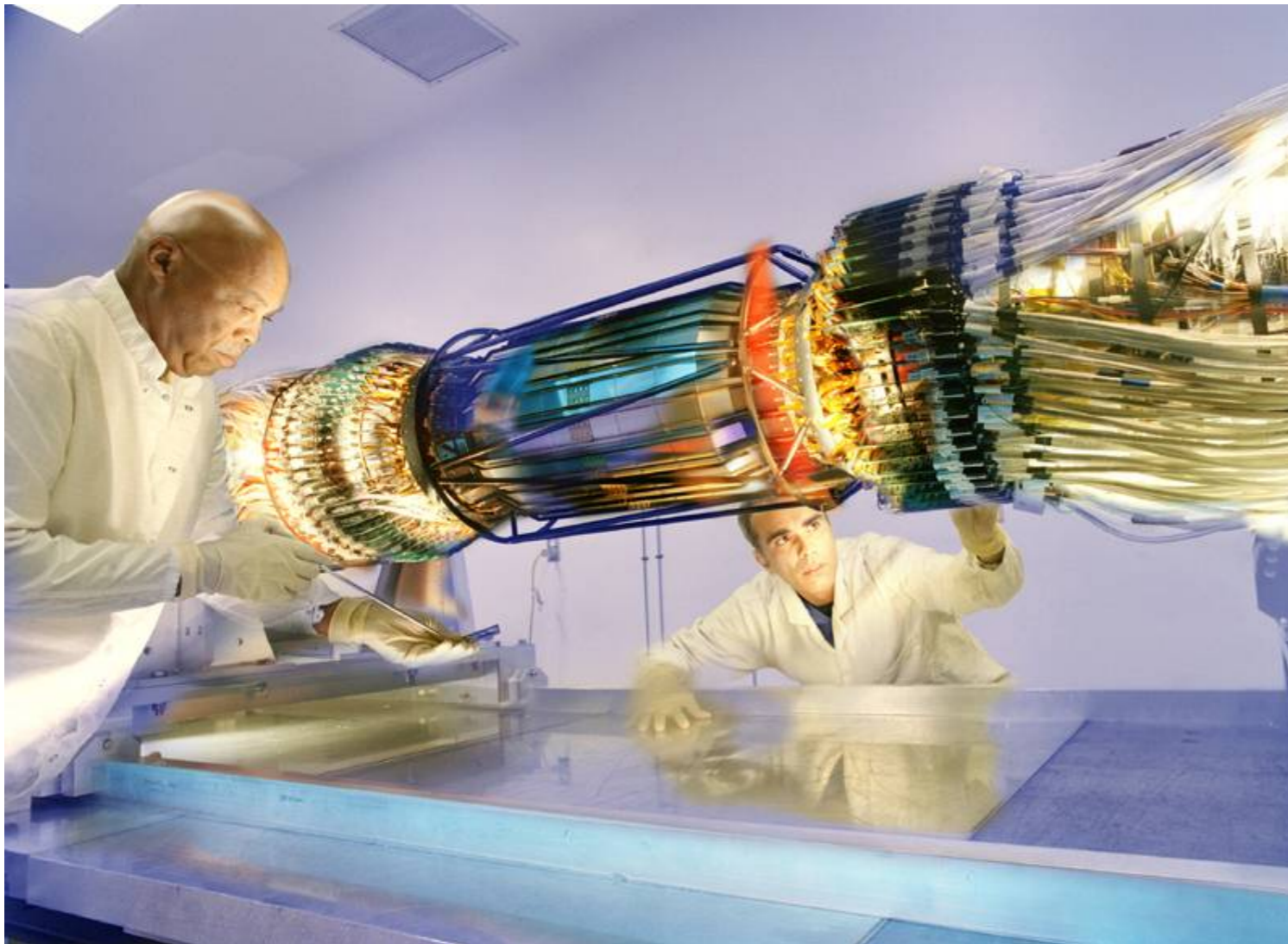
$m(l\bar{l}) = 89.7 \text{ GeV}$

Muon: blue
Cells: Tiles, EMC

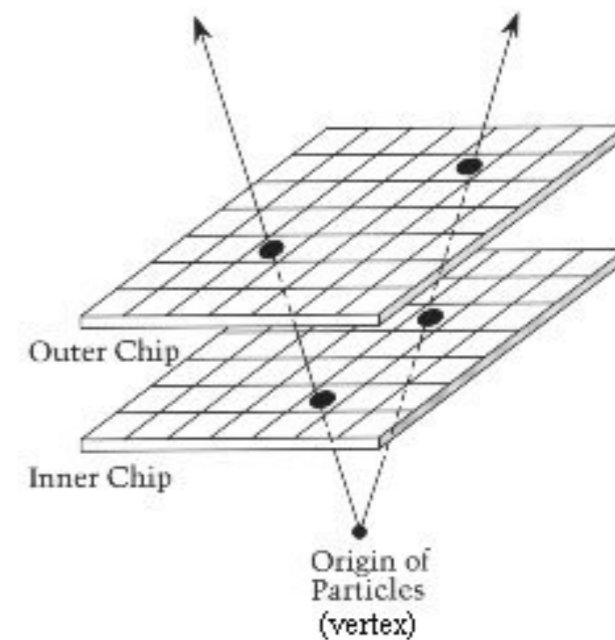


Vertex Detectors

Purpose: Ultra-high precision trackers close to interaction point to measure vertices of charged tracks



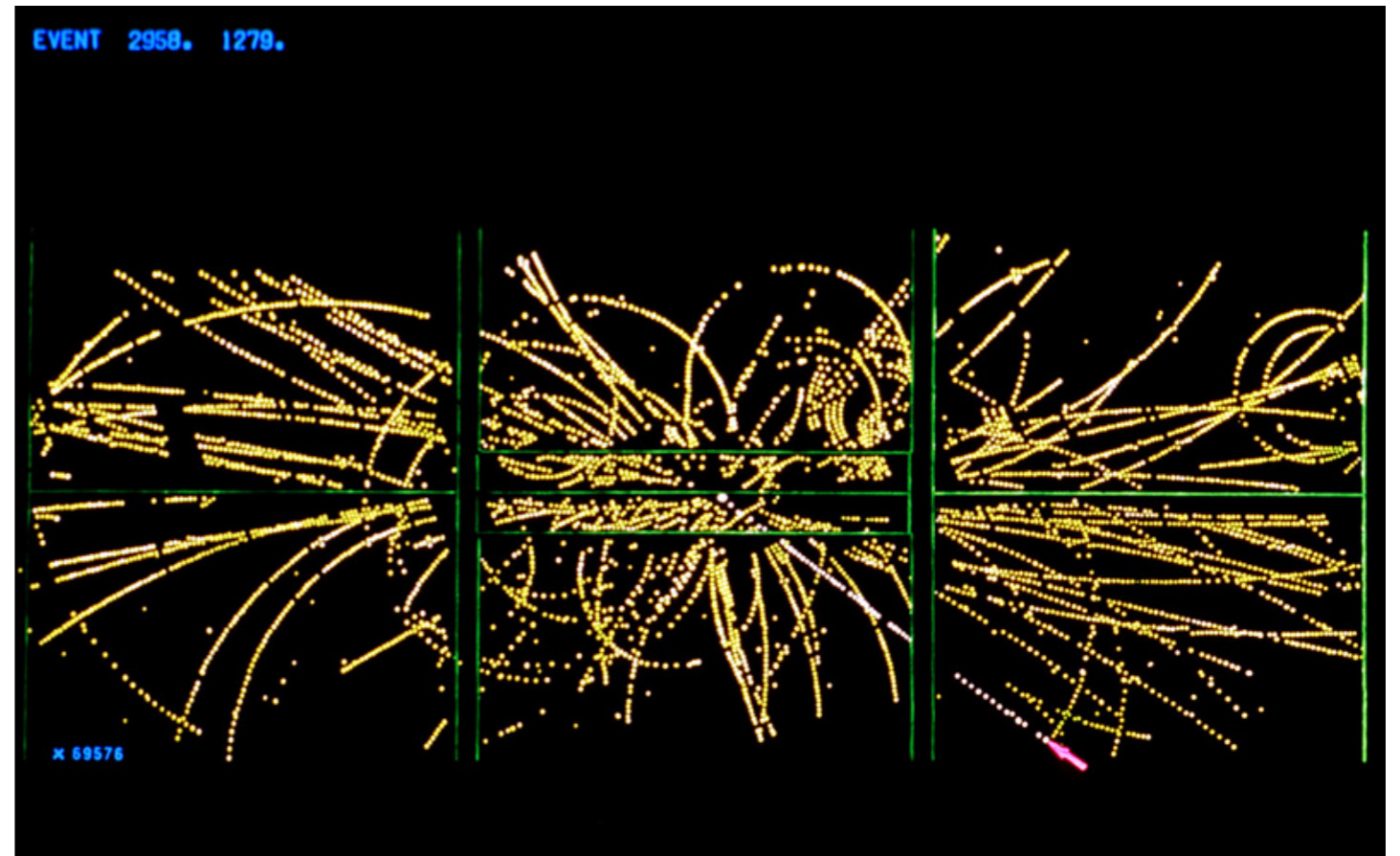
- Spatial resolution a few microns
- Low mass
- *A few layers of silicon*



Tracking Detectors

Purpose: Measure trajectories of charged particles

- Low mass
 - Reduce multiple scattering
 - Reduce shower formation
- High precision
- Multiple 2D or 3D points
- *Drift chamber, TPC, silicon...*
- Can measure momentum in magnetic field ($p = 0.3qBR$)

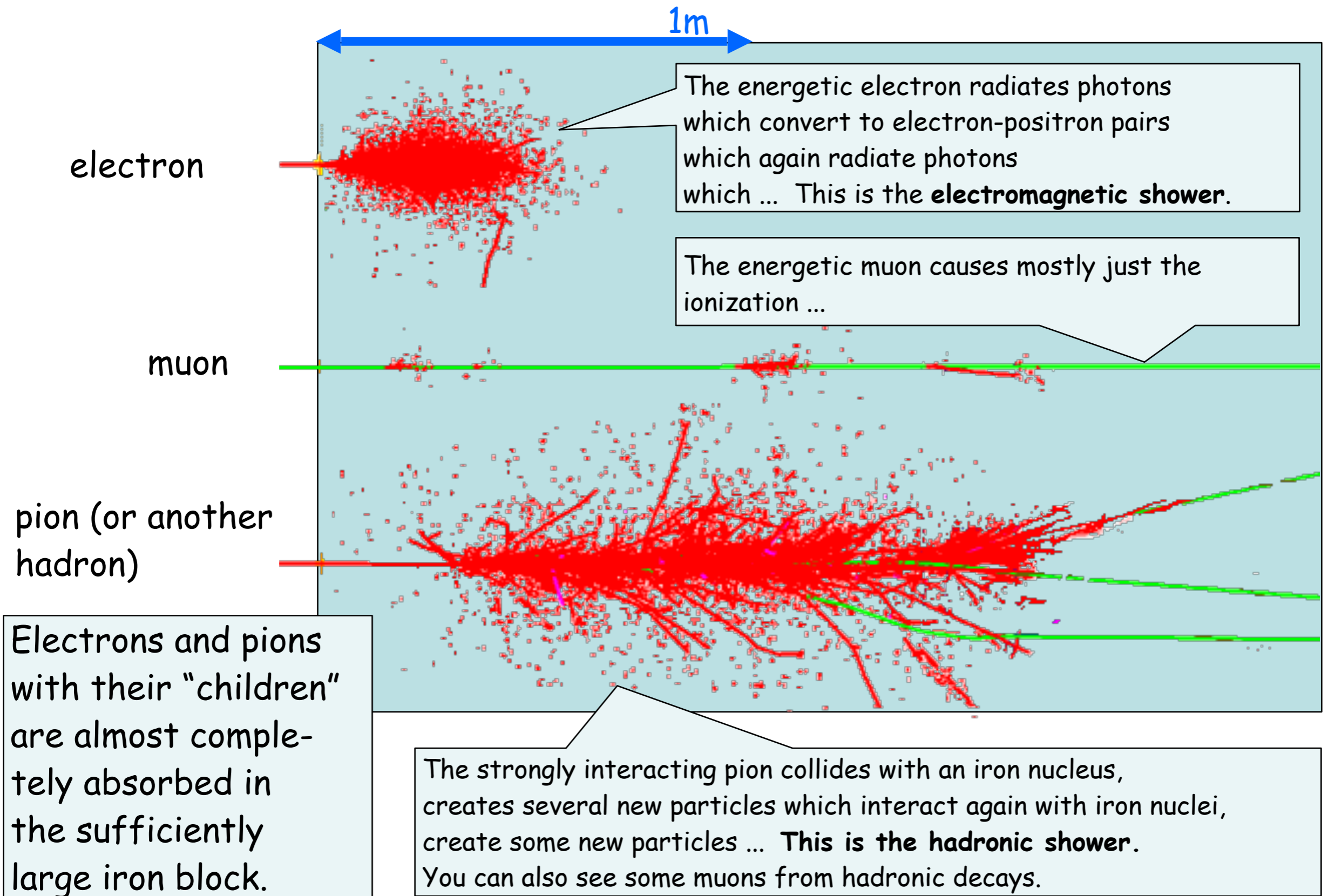


Calorimetry

General idea

- measure energy by total absorption
- also measure location
- method is destructive: particle is stopped
- quantity of detector response proportional to energy
- calorimetry works for all particles: charged and neutral
- mechanism: particle is forced to shower by the calorimeter material
- but in the end it is again ionization and excitation of the shower products which deposits the energy
- we distinguish electromagnetic and hadronic showers

look at interaction of different particles with the same high energy (here 300 GeV) in a big block of iron:

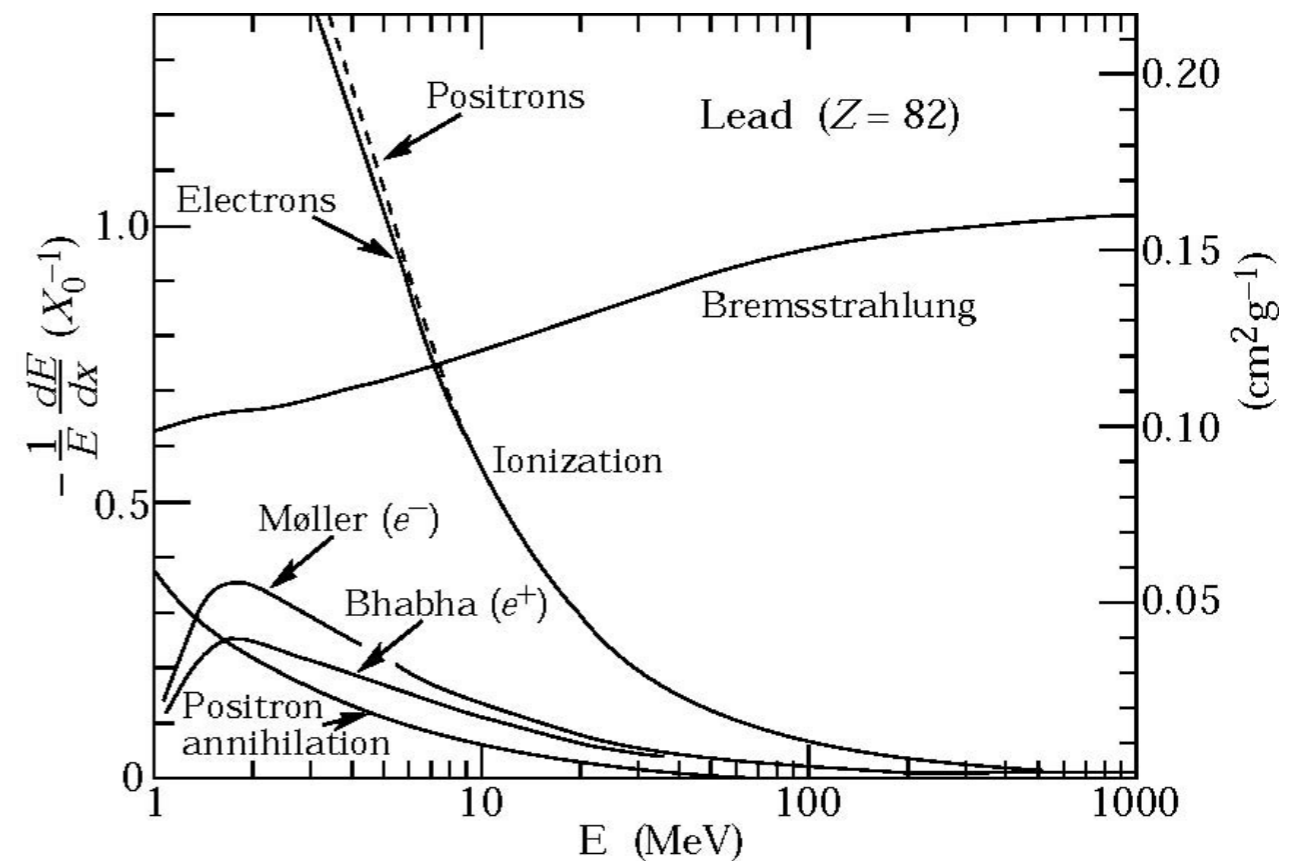


Radiation Length for electrons and photons

- Radiation Length X_0 has 2 definitions:
 - “Mean distance over which high-energy electron loses all but 1/e of its energy by Bremsstrahlung.”
 - “7/9ths of the mean free path for pair production by a high-energy photon.”

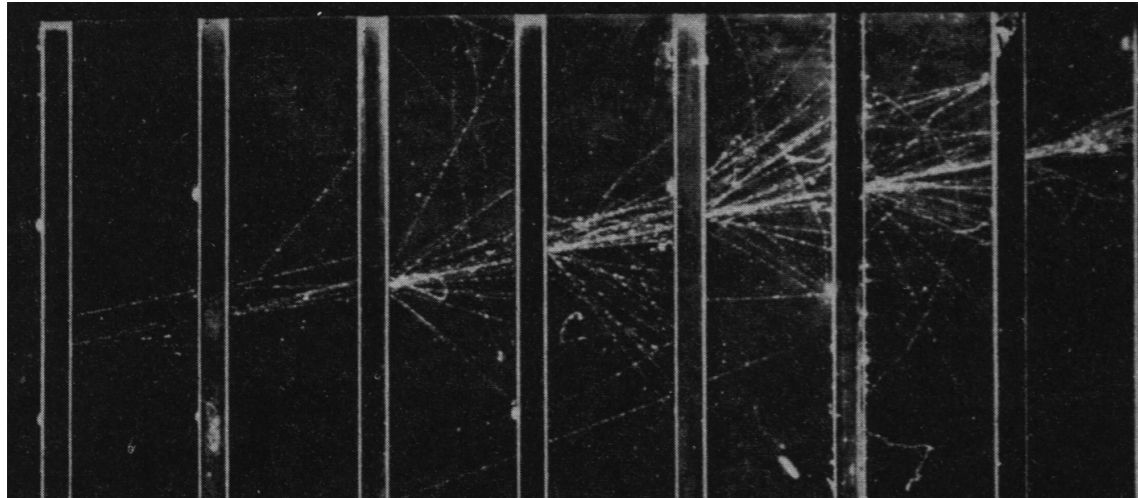
$$X_0 = \frac{716.4A}{Z(Z+1)\ln(287/\sqrt{Z})} \quad (\text{gcm}^{-2})$$

	X_0 (g cm ⁻²)	X_0 (cm)
Air	37	30,000
Silicon	22	9.4
Lead	6.4	0.56

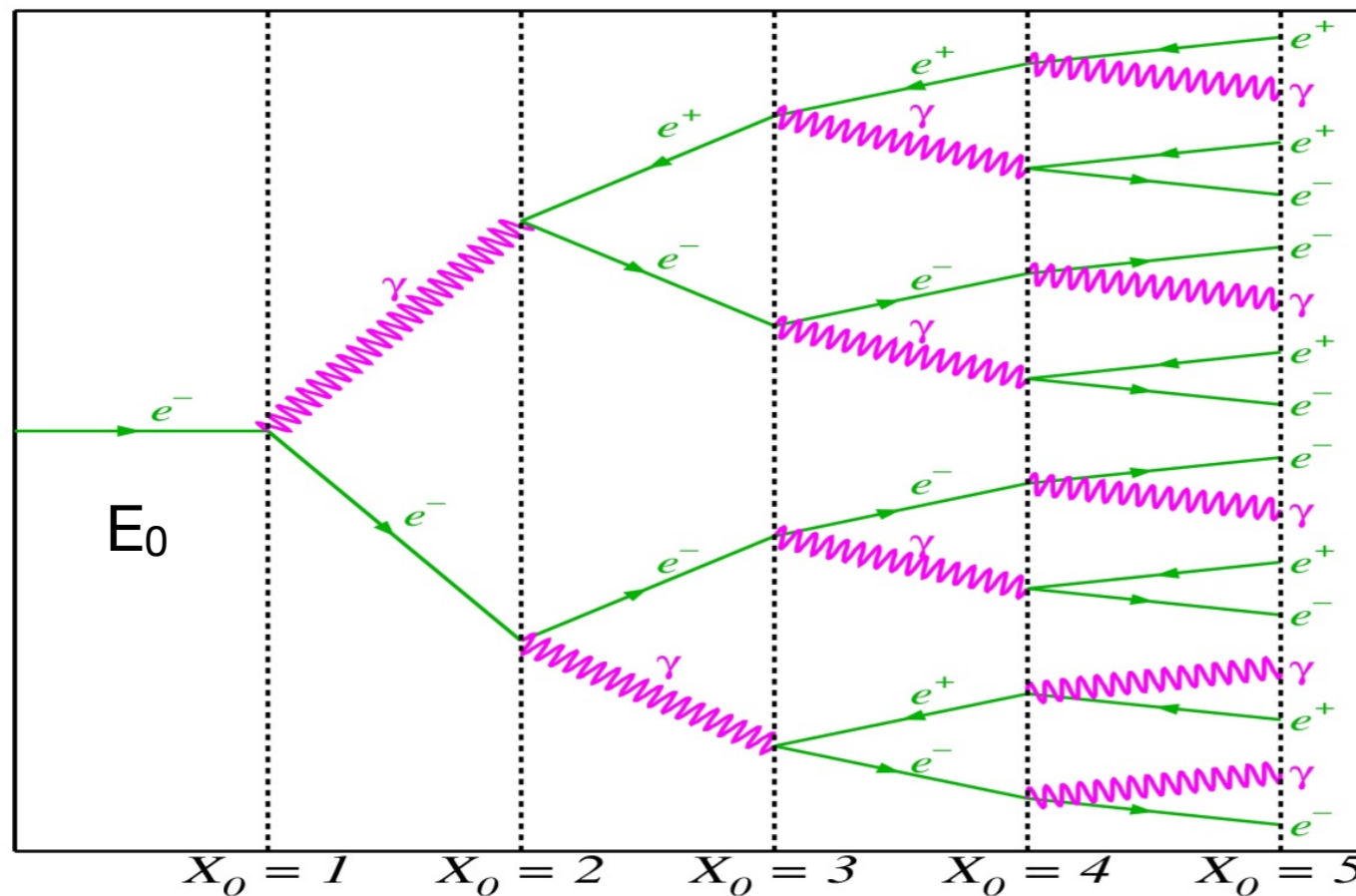


Simple Electromagnetic (EM) Shower

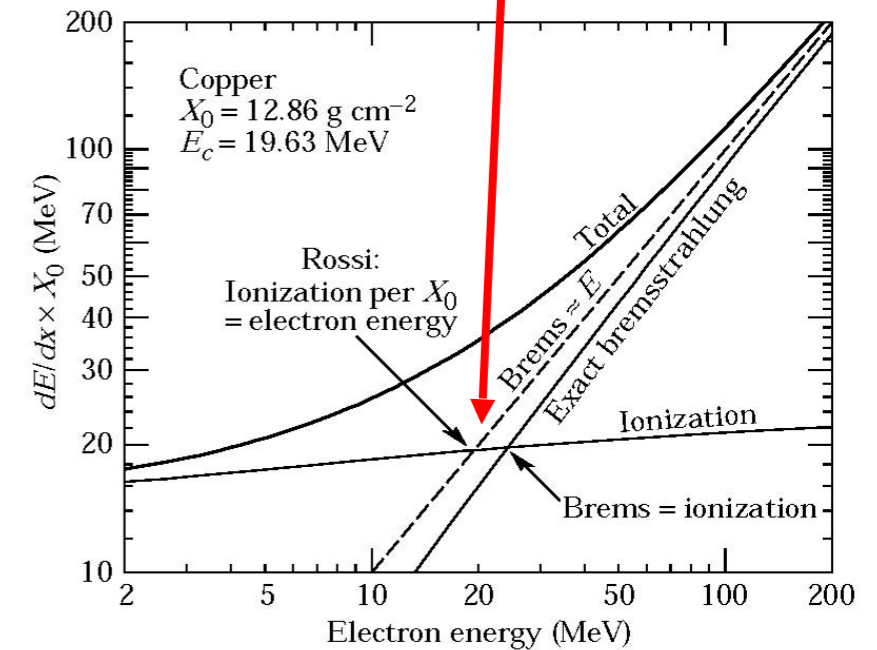
E_c Critical Energy



Electron shower in a cloud chamber with lead absorbers



$E_0/2$ $E_0/4$ $E_0/8$ $E_0/16$



- Start with electron or photon
- Depth $\sim \ln(E_0)$
- Most energy deposited as ionisation.

EM Calorimeter

Purpose: Identify and measure energy of electrons and photons

ATLAS: Liquid Argon + Lead

Need $\sim 10 X_0$

10 cm of lead

Will see some energy from muons and hadrons

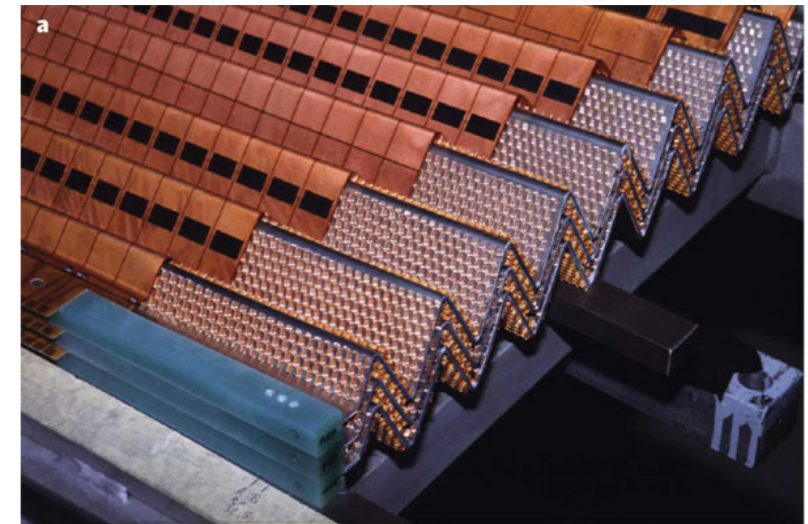
Homogenous

Crystal

Doped glass

Sampling

Absorber + scintillator/MWPC/...



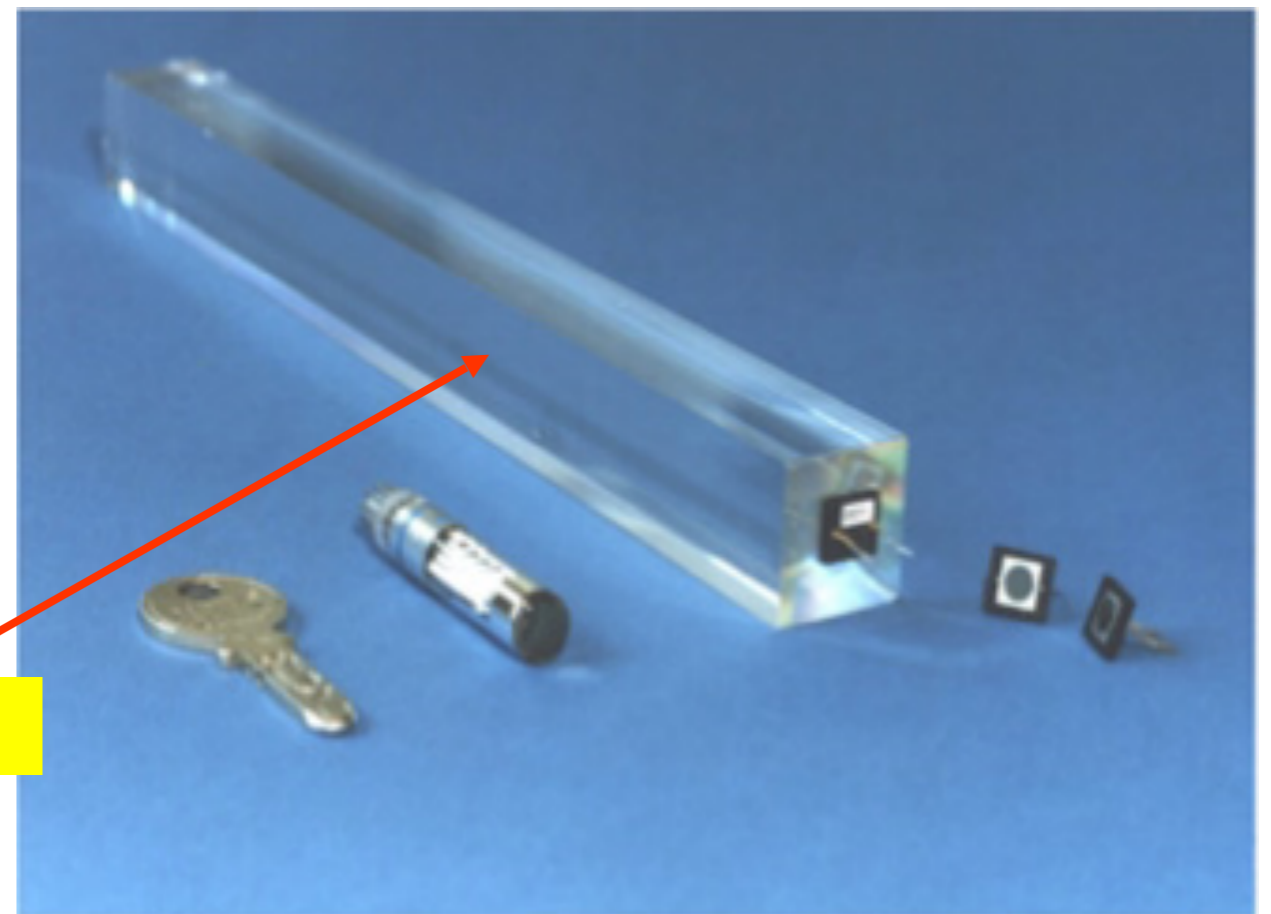
CMS: Lead-Tungstate crystal

Calorimetry - Homogeneous

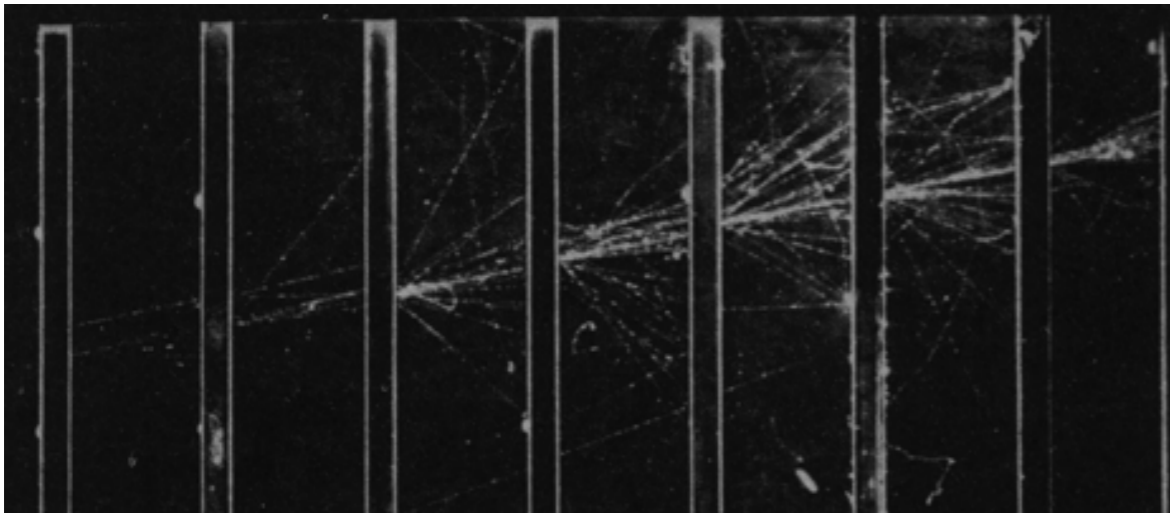
In **homogeneous** calorimeters the functions of passive particle absorption and active signal generation and readout are combined in a single material. Such materials are almost exclusively used for electromagnetic calorimeters, e.g. crystals, composite materials (like lead glass, PbWO_4) or liquid noble gases.

- Crystal, glass, liquid
- Acts as absorber and scintillator
- Light detected by photodetector
- E.g. PbWO_4
($X_0 \approx 0.9 \text{ cm}$)

95% lead



Calorimetry – Sampling



Cloud chamber with lead absorbers

- In sampling calorimeters the functions of particle absorption and active signal readout are separated. This allows optimal choice of absorber materials and a certain freedom in signal treatment.
- Heterogeneous calorimeters are mostly built as sandwich counters, sheets of heavy-material absorber (e.g. lead, iron, uranium) alternating with layers of active material (e.g. liquid or solid scintillators, or proportional counters).
- Only the fraction of the shower energy absorbed in the active material is measured.
- Hadron calorimeters, needing considerable depth and width to create and absorb the shower, are necessarily of the sampling calorimeter type (see next slide).

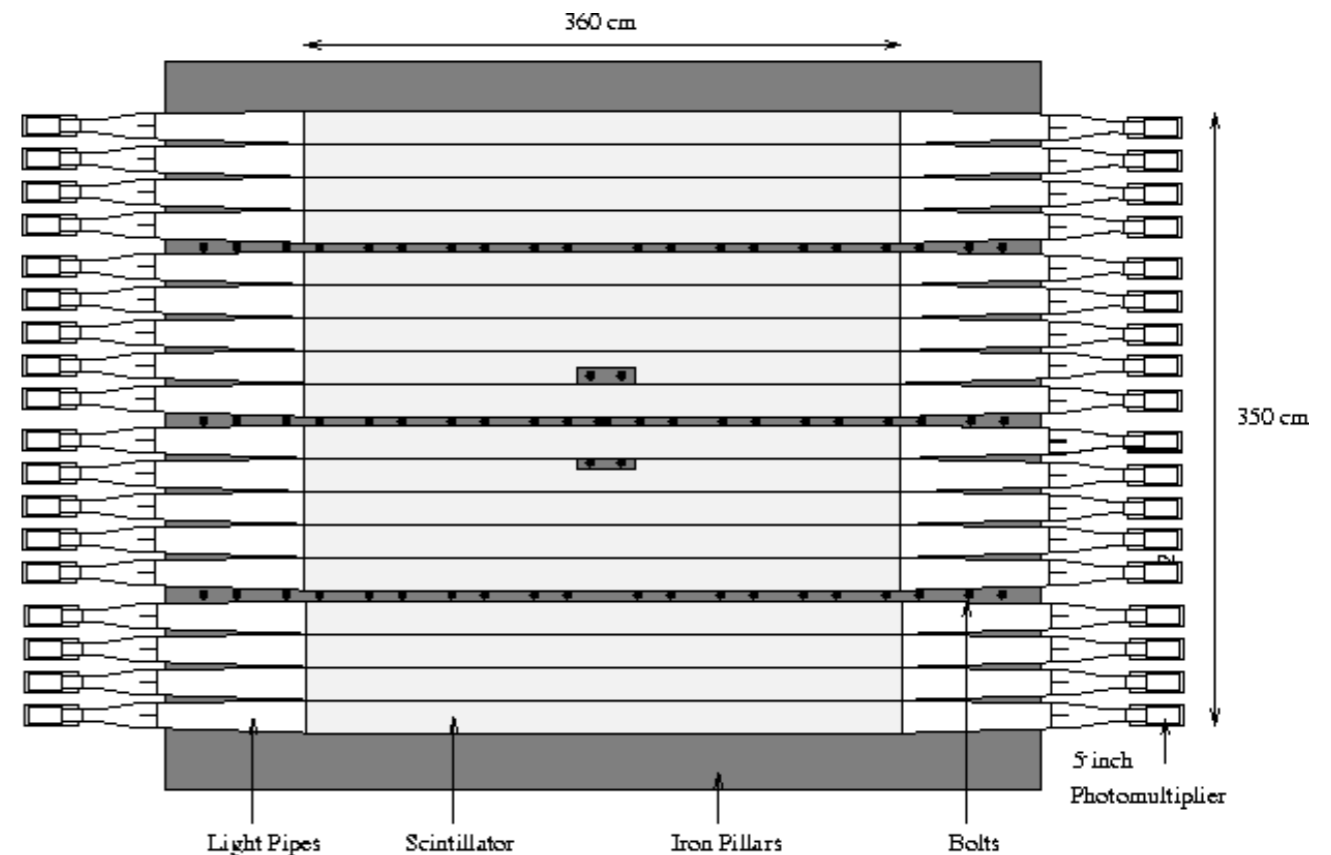
Hadronic Showers

- Nuclear interaction length \gg radiation length

$$\lambda \approx 35 \text{g.cm}^{-2} A^{1/3}$$

e.g. Lead: $X_0 = 0.56 \text{ cm}$, $\lambda = 17 \text{ cm}$

- Hadron showers wider, deeper, less well understood
- Need much larger calorimeter to contain hadron shower
 - Always sampling
 - Dense metals still good as absorbers
 - Mechanical/economic considerations often important
 - Uranium, steel, brass...

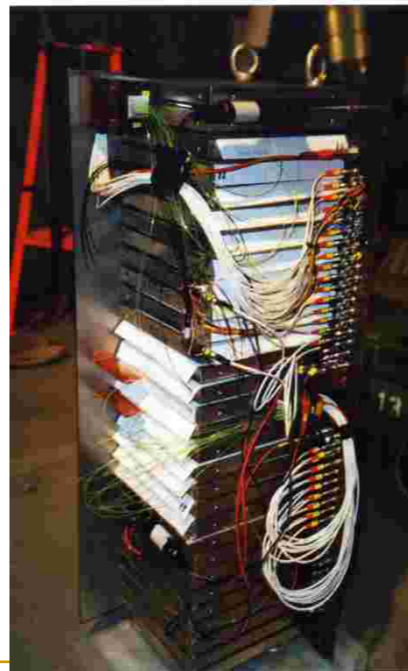


Hadronic Calorimeter from
NOMAD experiment

Hadron Calorimeter

Purpose: Identify and measure energy of all hadrons

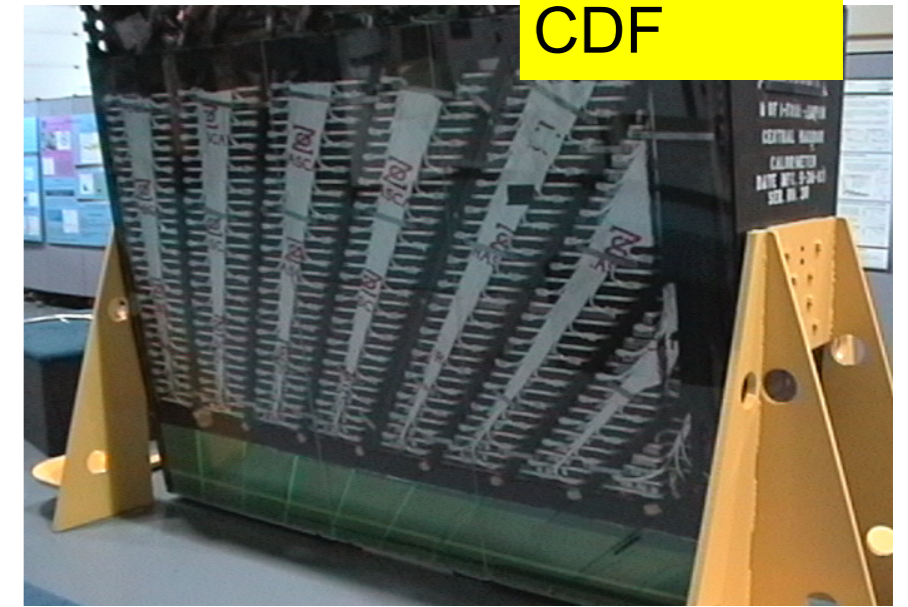
- Need $\sim 10 \lambda$
 - 2 m of lead
- Both charged and neutral
- Will see some energy from muons
- Sampling
 - *Heavy, structural metal absorber*
 - *Scintillator, MWPC detector*



Hadronic Calorimeter



Alternating layers
of steel and readout



Muon Detectors

Purpose: Identify muons

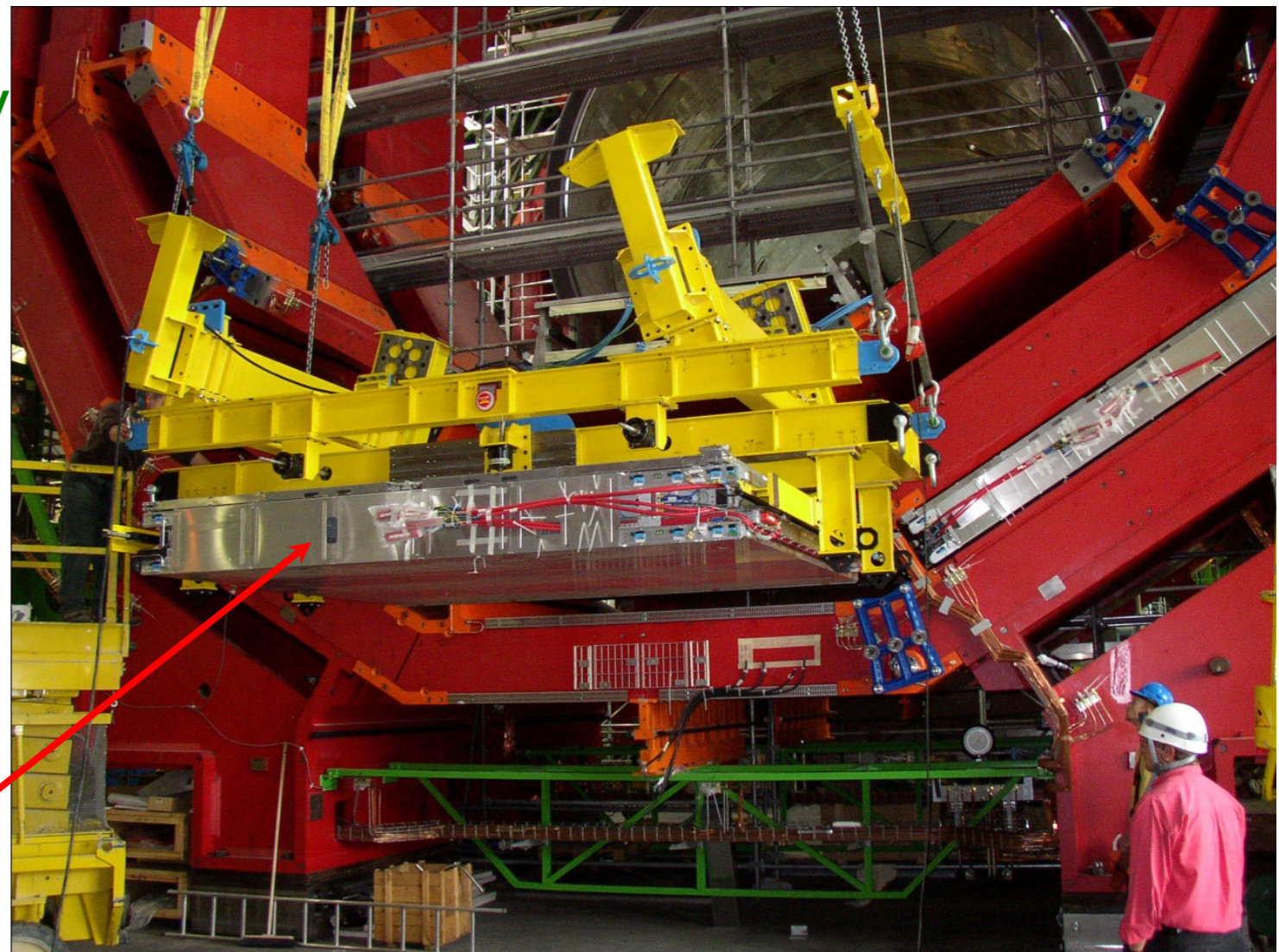
CMS

- Muons go where other particles cannot reach:
 - No nuclear interactions
 - Critical energies $\gg 100$ GeV
 - Always a MIP
 - Stable ($\tau = 2.2 \mu\text{s}$)

A shielded detector can identify muons

“shielding” is often calorimeters or the magnet iron return yoke

Scintillator, MWPC, drift chambers...



Particle ID

Purpose: Distinguish different charged “stable” particles

- Muon, pion, kaon, proton
- Measured momentum and energy: $m^2 = E^2 - p^2$
 - Difficult at high energy $E \sim p$
- Different dE/dx in tracking detectors
 - Only for low energy β^{-2} region, no good for MIPs

Measure time-of-flight, gives β

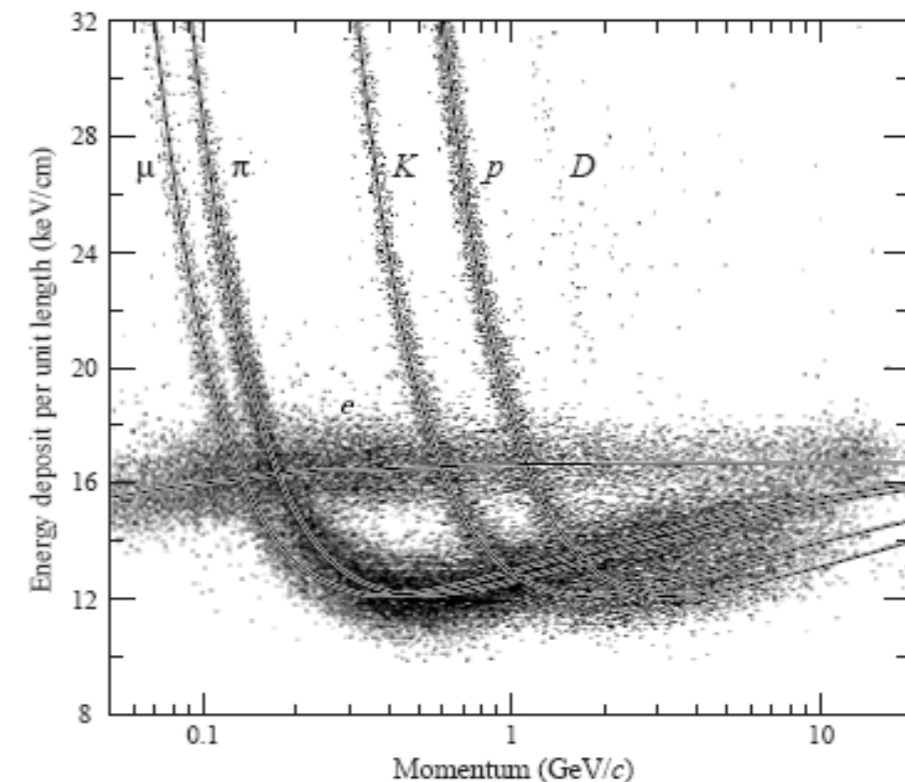
Fast scintillator

Measure β directly

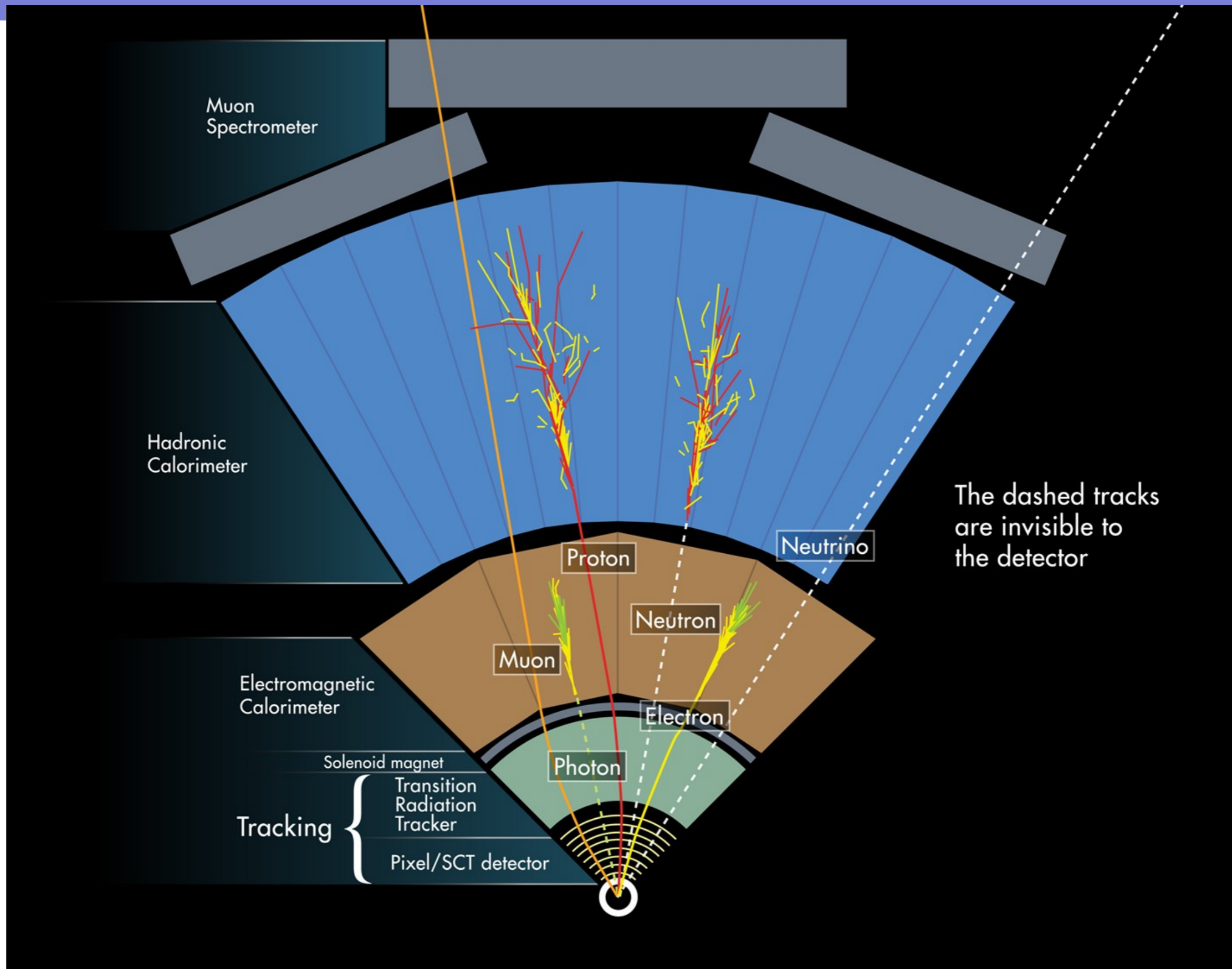
Cerenkov radiation

Measure γ directly

Transition radiation



Modern Detectors

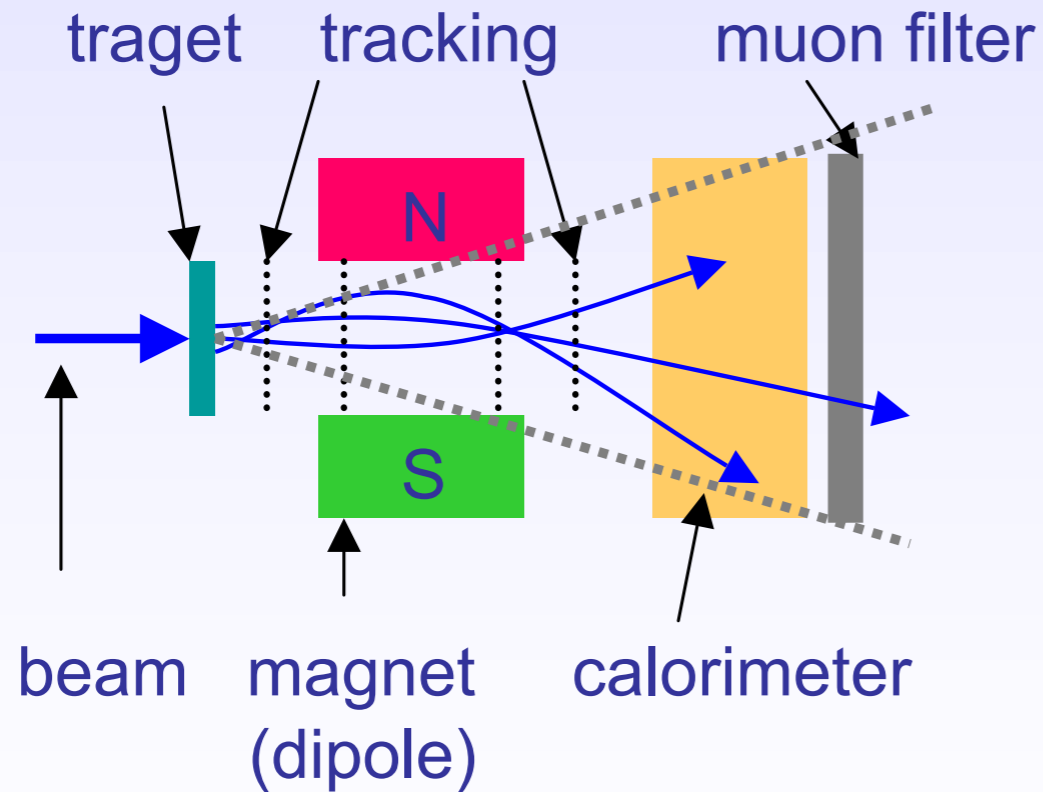


Detector Systems

Geometrical concepts

Fixed target geometry

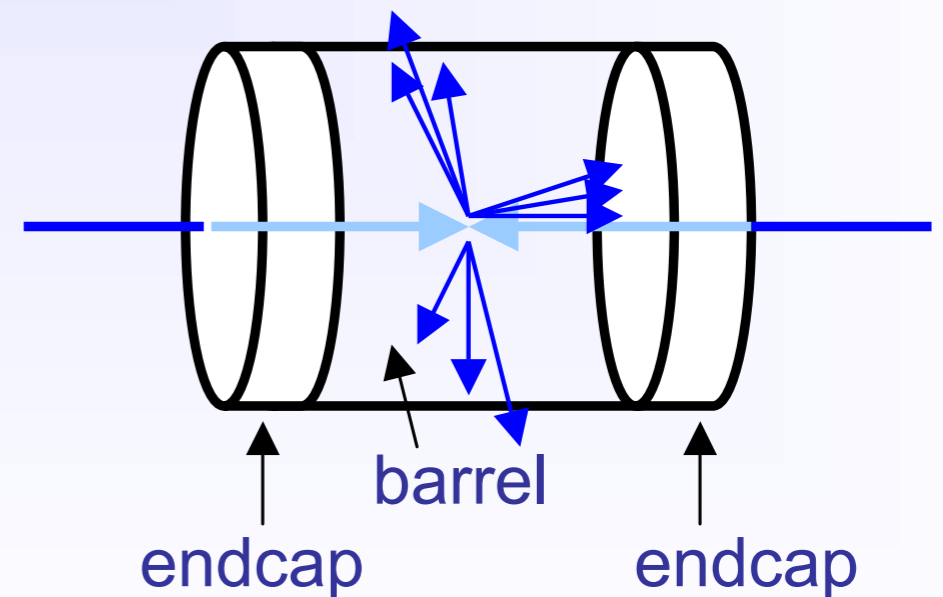
“Magnet spectrometer”



LHCb

Collider Geometry

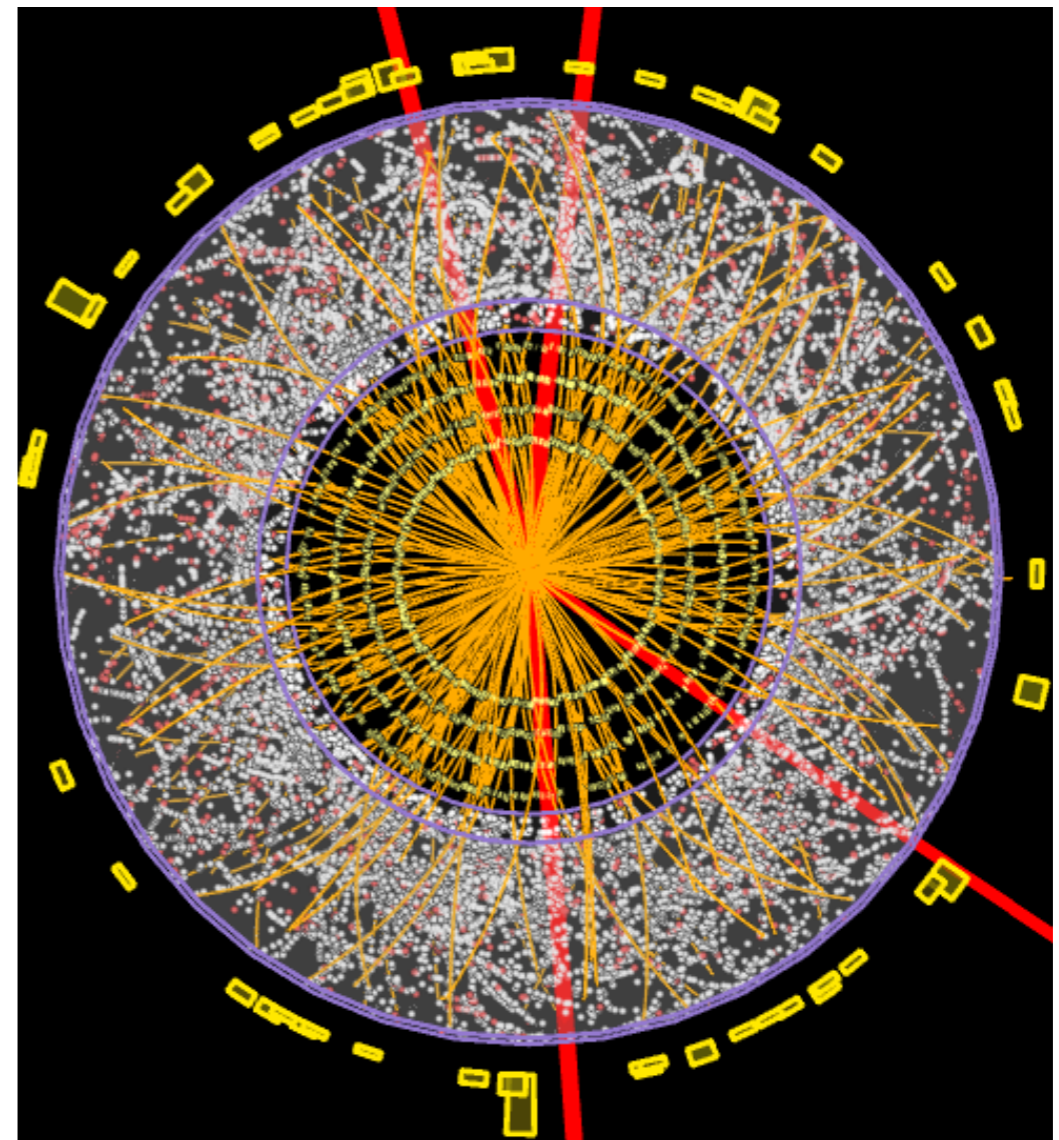
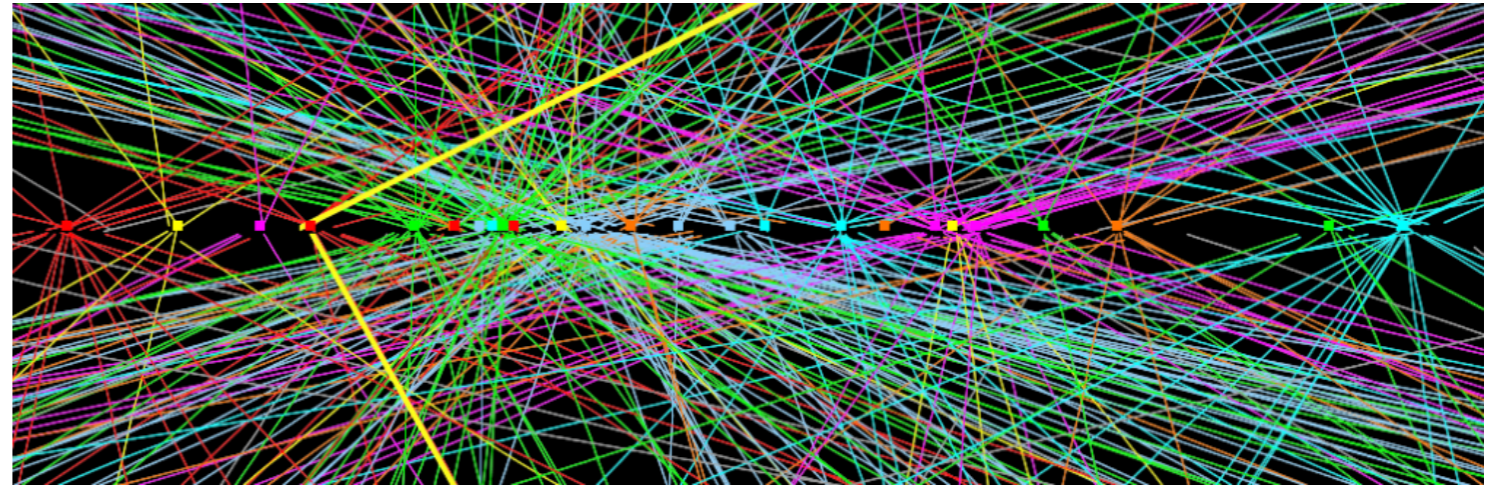
“ 4π multi purpose detector”



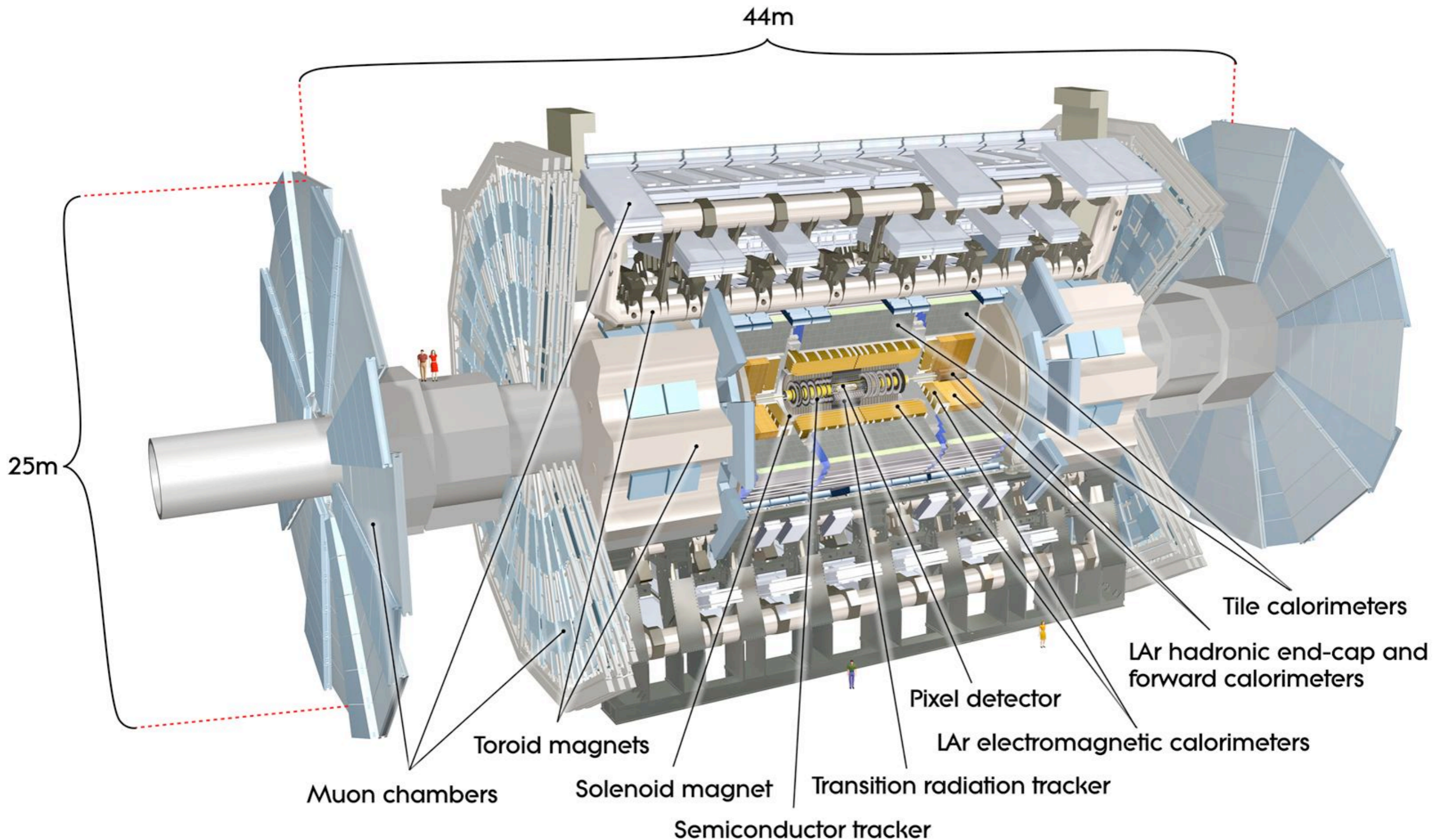
ALICE, ATLAS, CMS
LEP Experiments
Tevatron Experiments

Requirements and Constraints

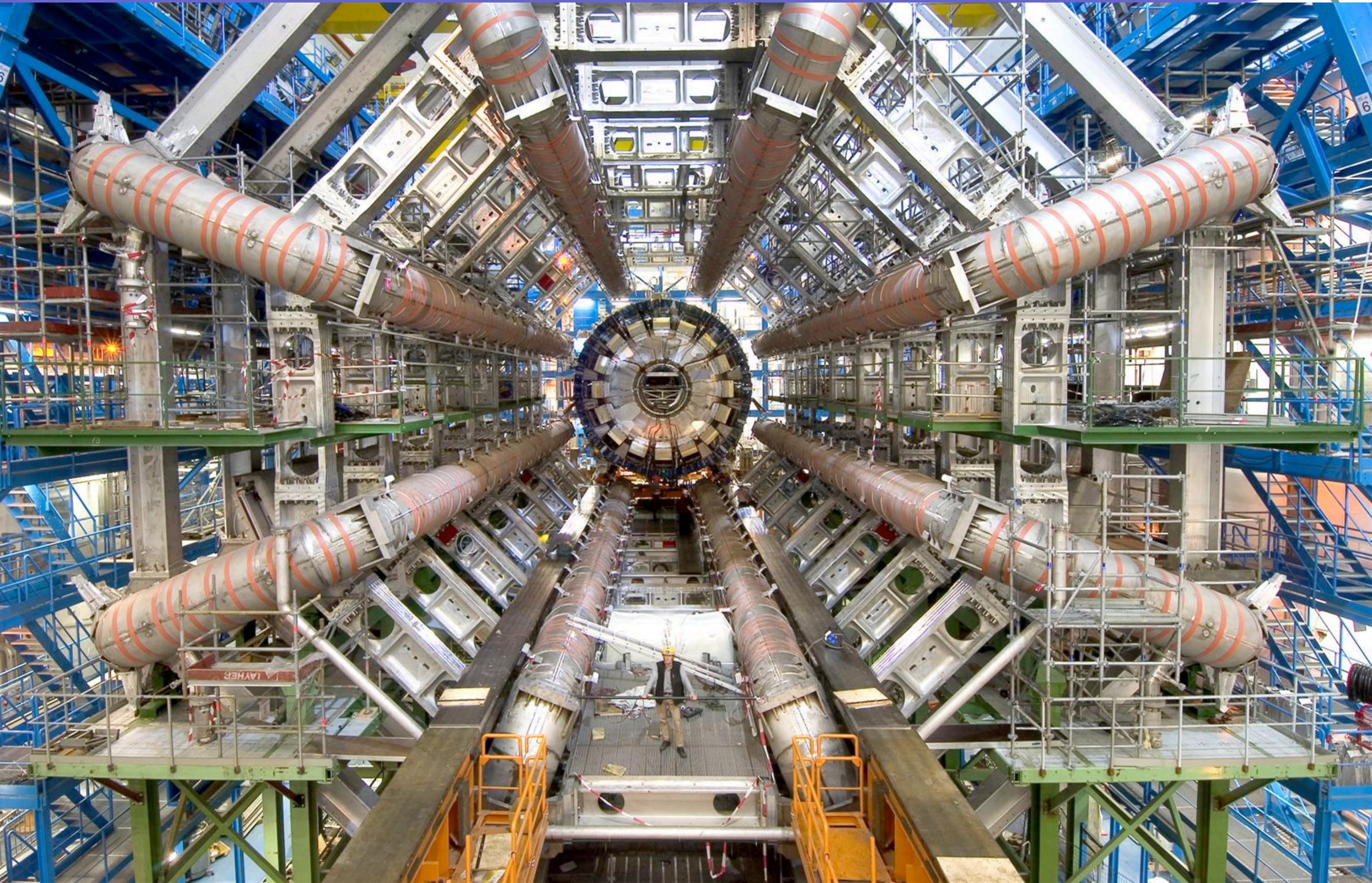
- Physics!
- Accelerator constraints
 - Fast readout
 - High frequency collision rate
 - Fine segmentation
 - High particle multiplicity in hadron colliders
 - Several interaction per bunch crossing
 - Radiation tolerance, long life time
 - High flux, damage to detectors electronics
 - Closest point to collision
 - Beam pipe size
 - Overall design
 - Magnetic field
 - Other detector systems
 - minimize material, particle distortions



ATLAS Detector



Couple Hundred Megapixel Camera



Литература

Акимов, Юрий Константинович.

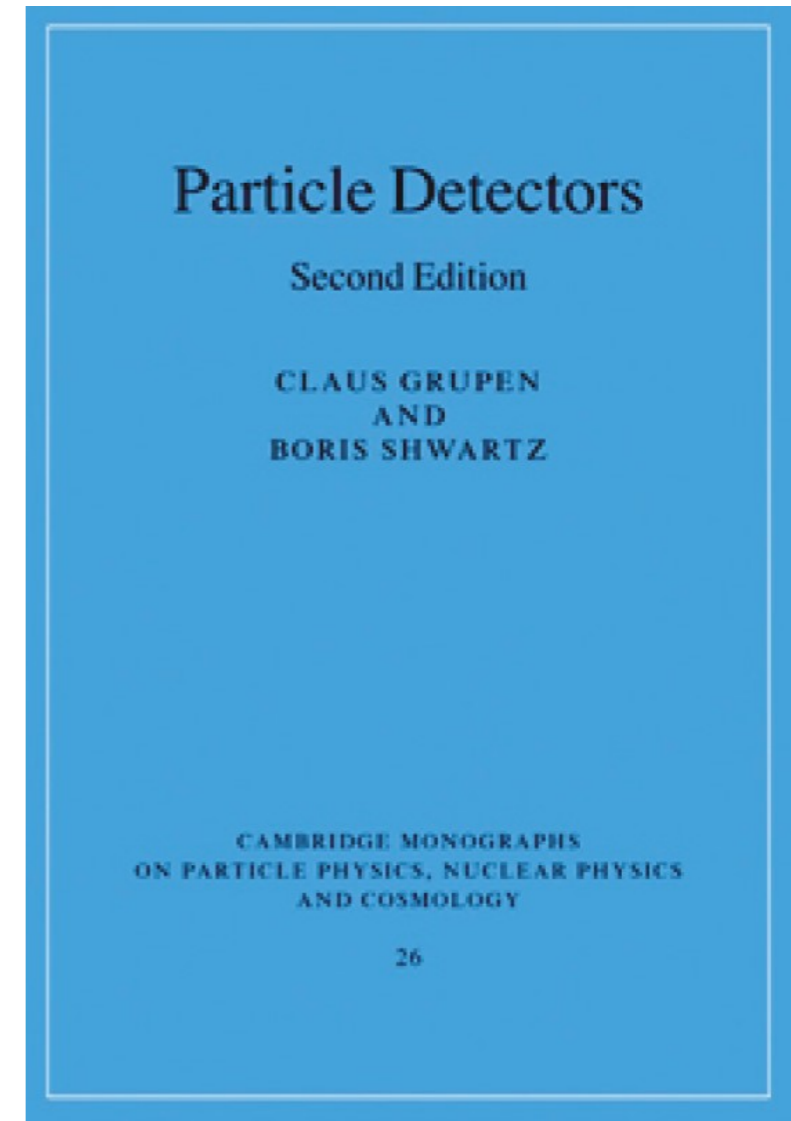
Полупроводниковые детекторы ядерных излучений / Ю. К. Акимов. - Дубна : ОИЯИ, 2009. - 277 с. : ил. ; 22 см. - (Объединенный институт ядерных исследований ; 2008-122). - Посвящ. 60-летию Лаб. ядер. проблем ОИЯИ. - Библиогр.: с. 253-277. - ISBN 978-5-9530-0213-4

Акимов, Юрий Константинович.

Газовые детекторы ядерных излучений / Ю. К. Акимов. - Дубна : ОИЯИ, 2011. - 243 с. : ил. ; 22 см. - (Объединенный институт ядерных исследований ; 2010-118). - Библиогр.: с. 219-243. - ISBN 978-5-9530-0272-1 : Посвящ. 55-летию Объед. ин-та ядер. исслед.

Акимов, Юрий Константинович.

Фотонные методы регистрации излучений / Ю. К. Акимов ; Объед. ин-т ядер. исслед. - Изд. 2-е, испр. и доп. - Дубна : ОИЯИ, 2014. - 323 с. : ил. - Библиогр.: с. 281-323. - ISBN 978-5-9530-0380-3



PARTICLE DETECTORS

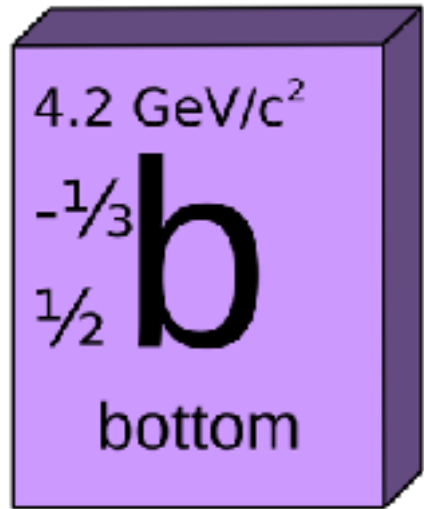
Second Edition

CLAUS GRUPEN
University of Siegen

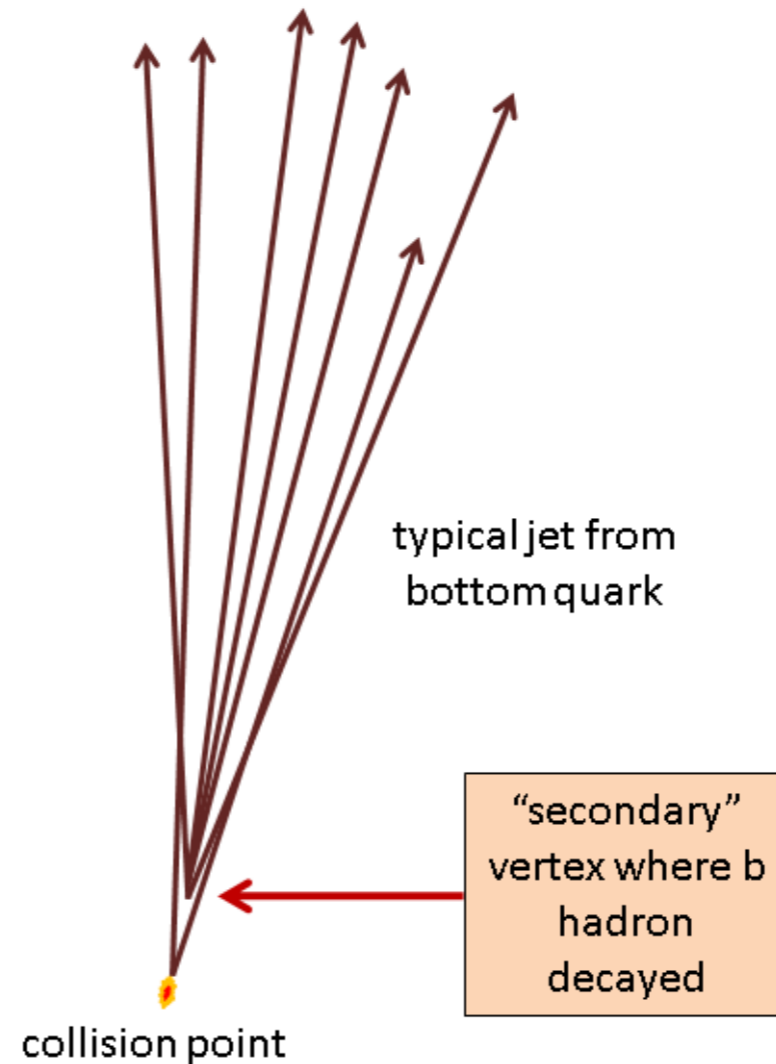
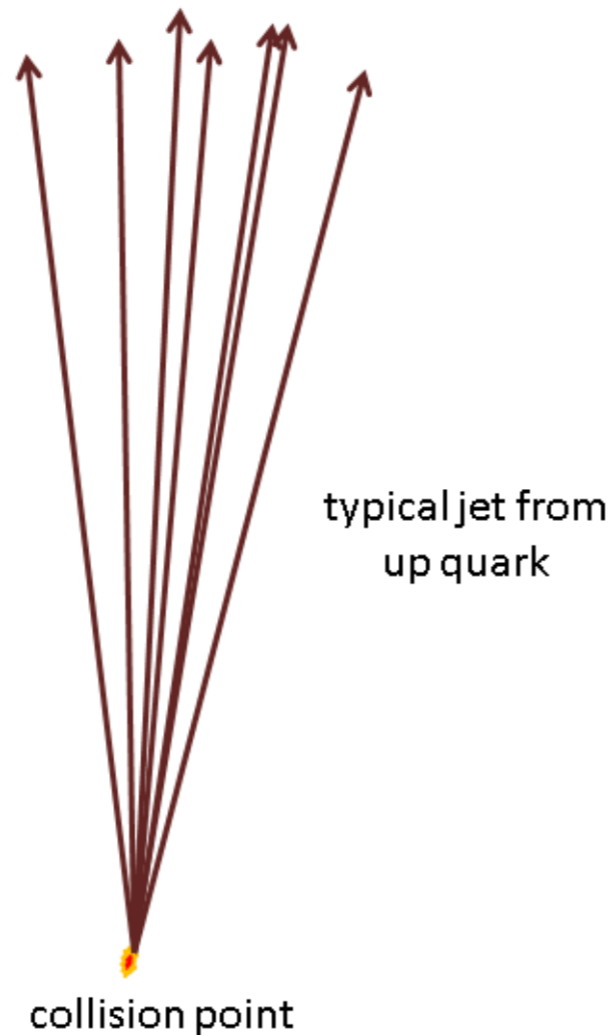
BORIS SHWARTZ
Budker Institute of Nuclear Physics, Novosibirsk

Backup

How to identify b-jets

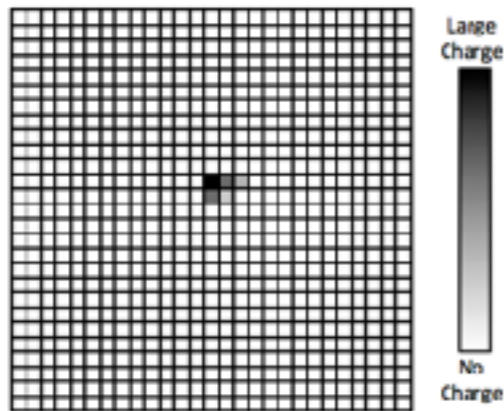


- b-quark fragments into a jet including a b-hadron
- The b-hadron flies $O(10^{-12}\text{s})$ before decaying
- $L = c\tau\beta\gamma = c\tau\frac{p}{m} \approx 5 \text{ mm}$ (for $p \sim 30 \text{ GeV}$)

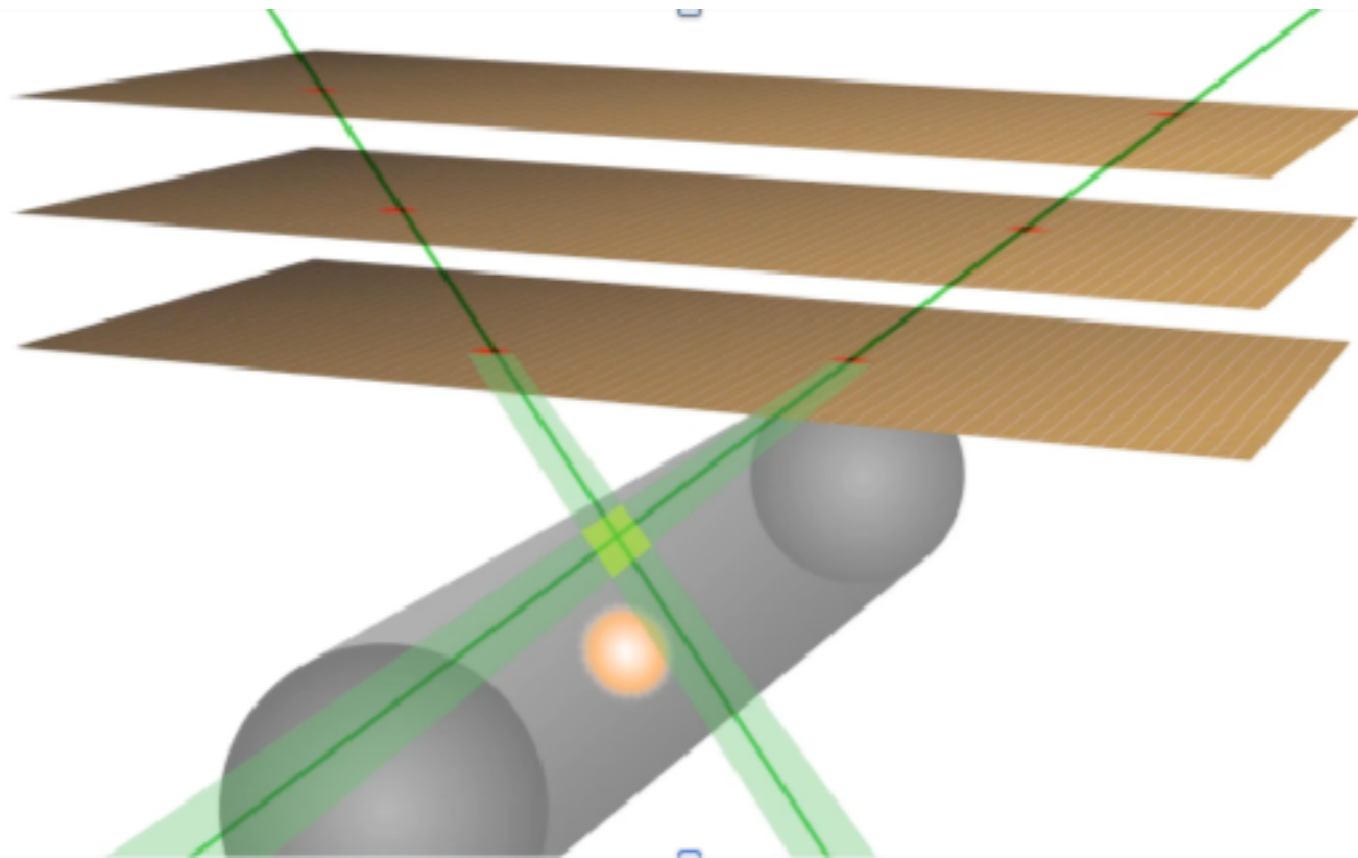


Basic b-jet signature

Pixel Detector

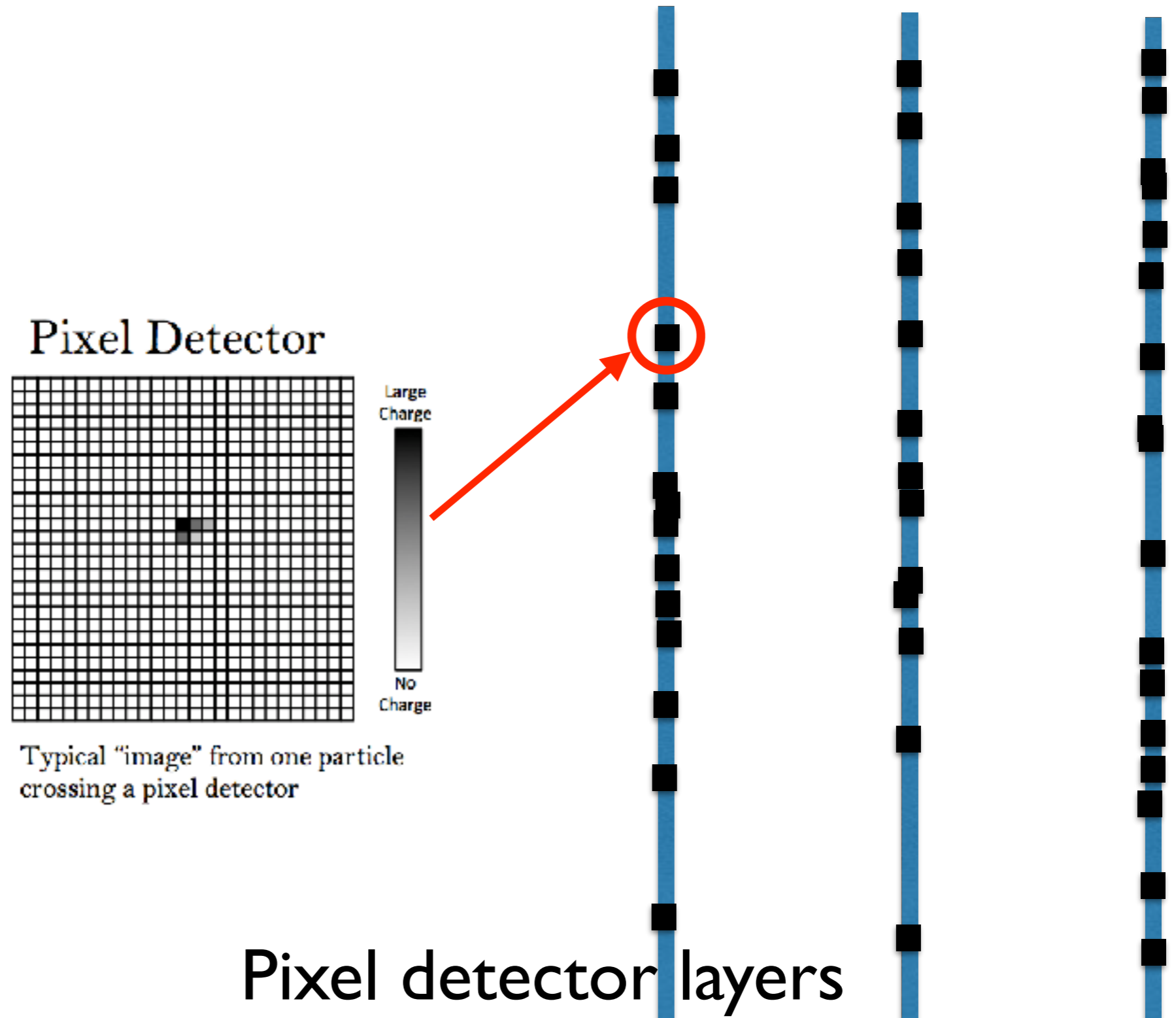


Typical "image" from one particle crossing a pixel detector

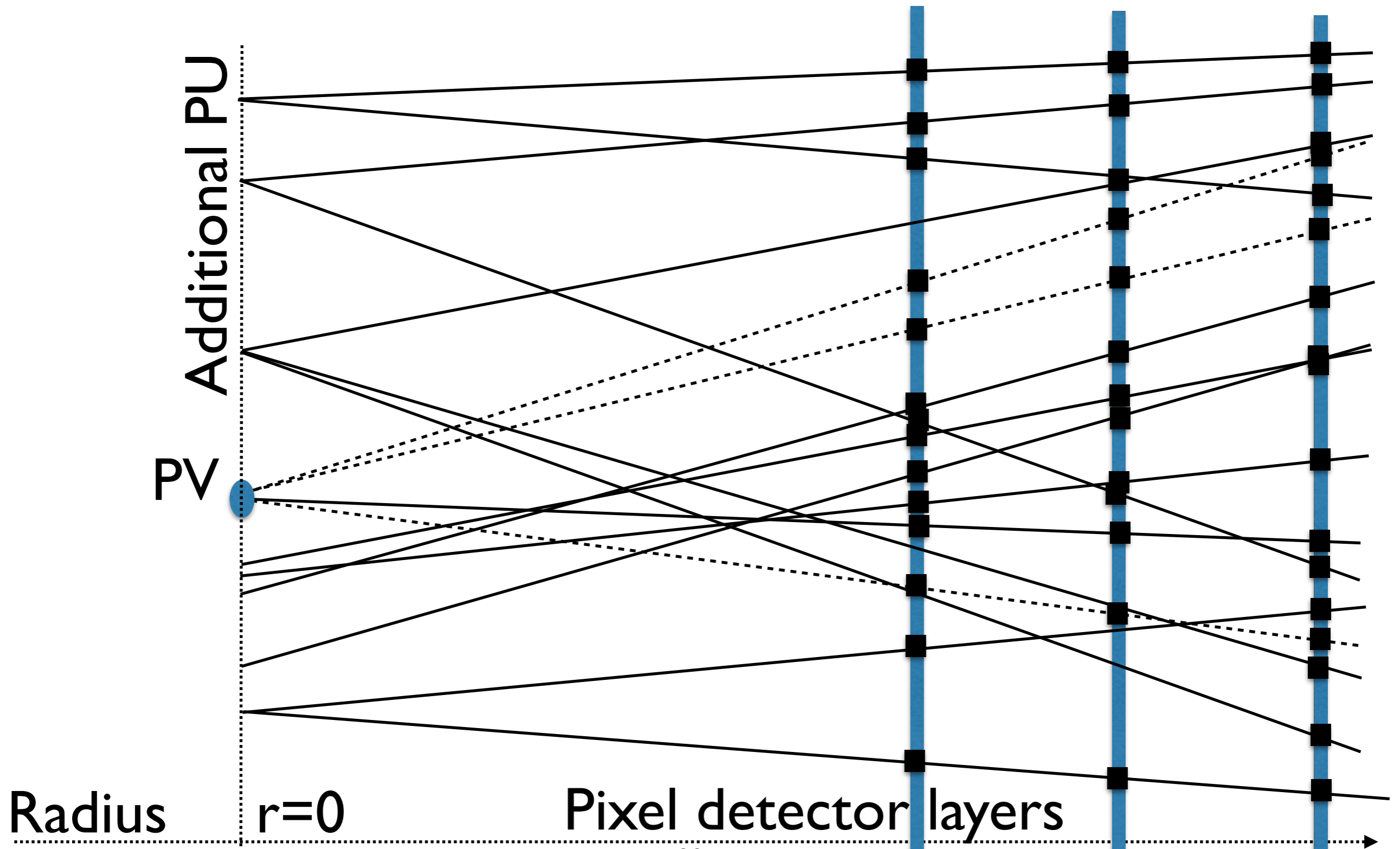


- Reconstruct clusters in pixel detector
- Reconstruct particle trajectories
- Check if tracks are compatible with originating from the primary interaction vertex
- Need to properly take extrapolation errors into account

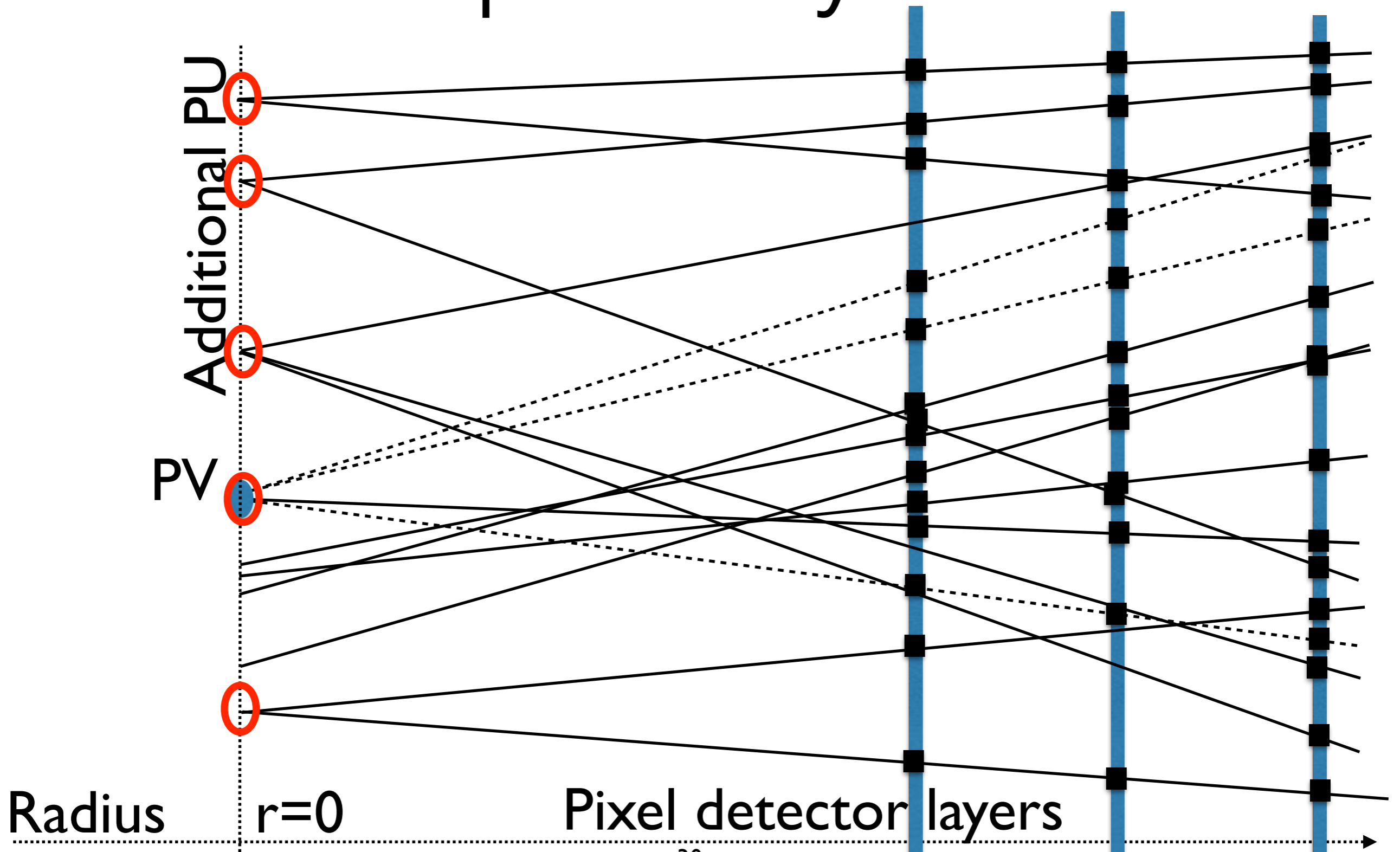
Start from clusters...



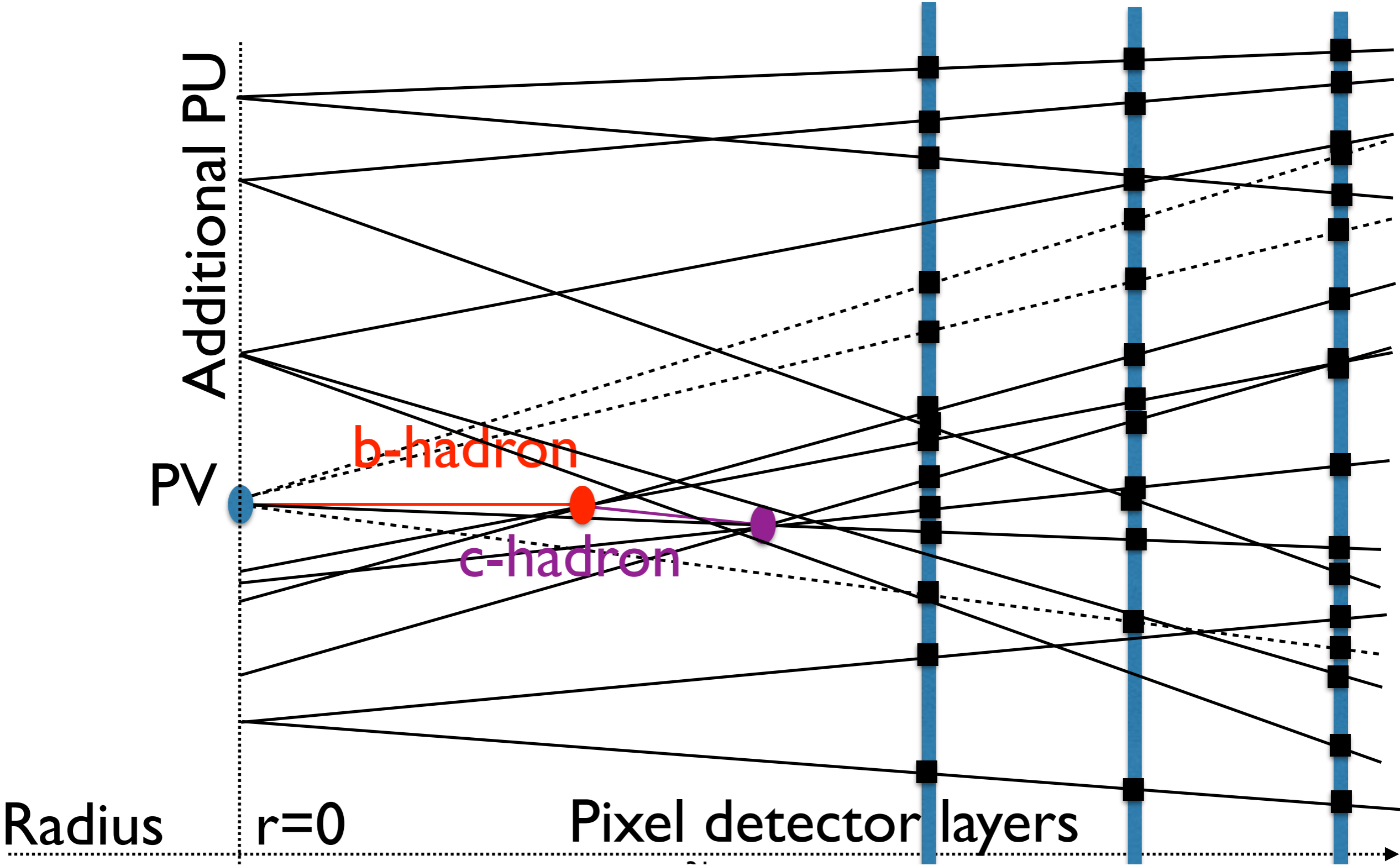
Then reconstruct tracks...



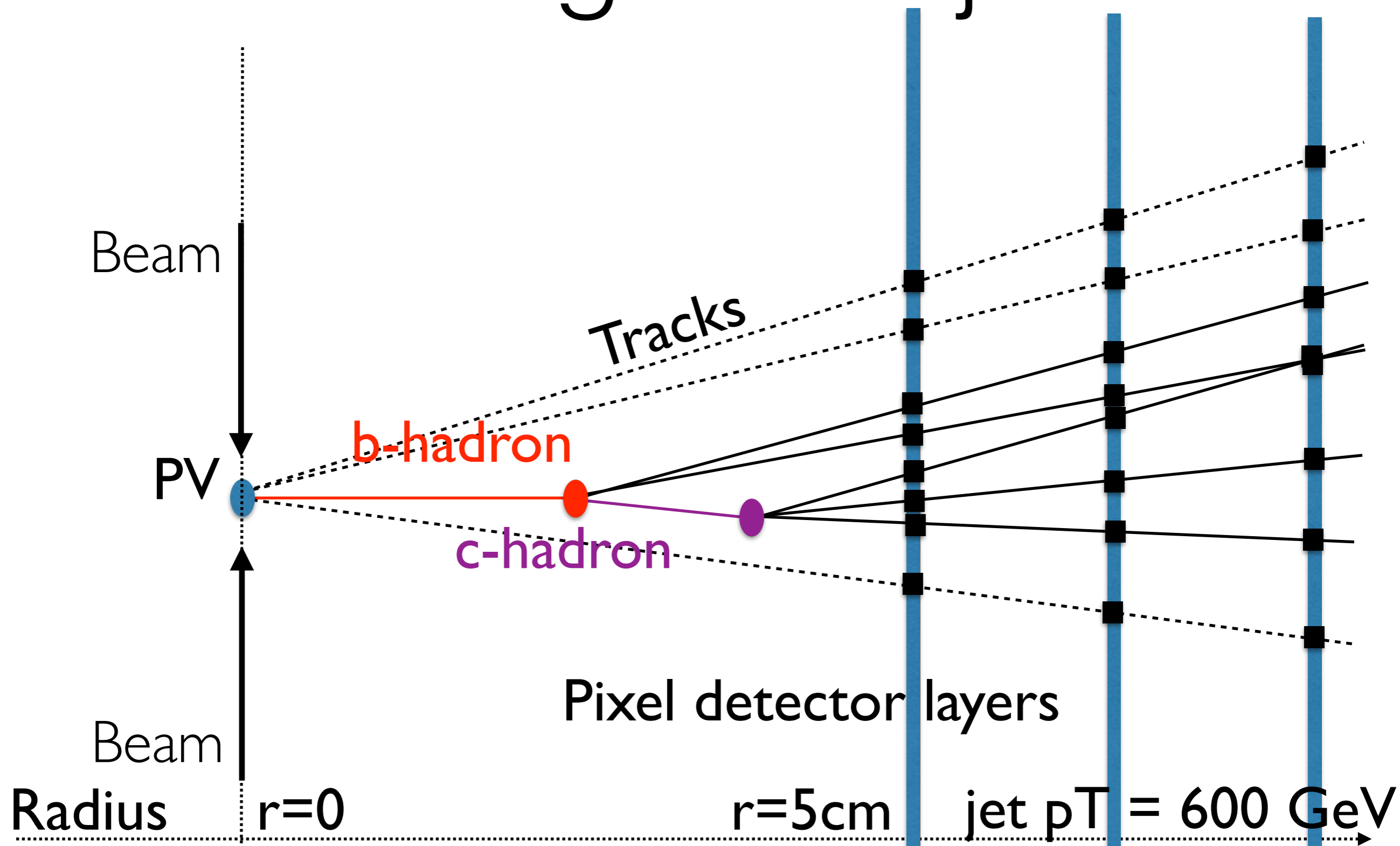
... and primary vertices



Finally identify secondary and tertiary vertices..

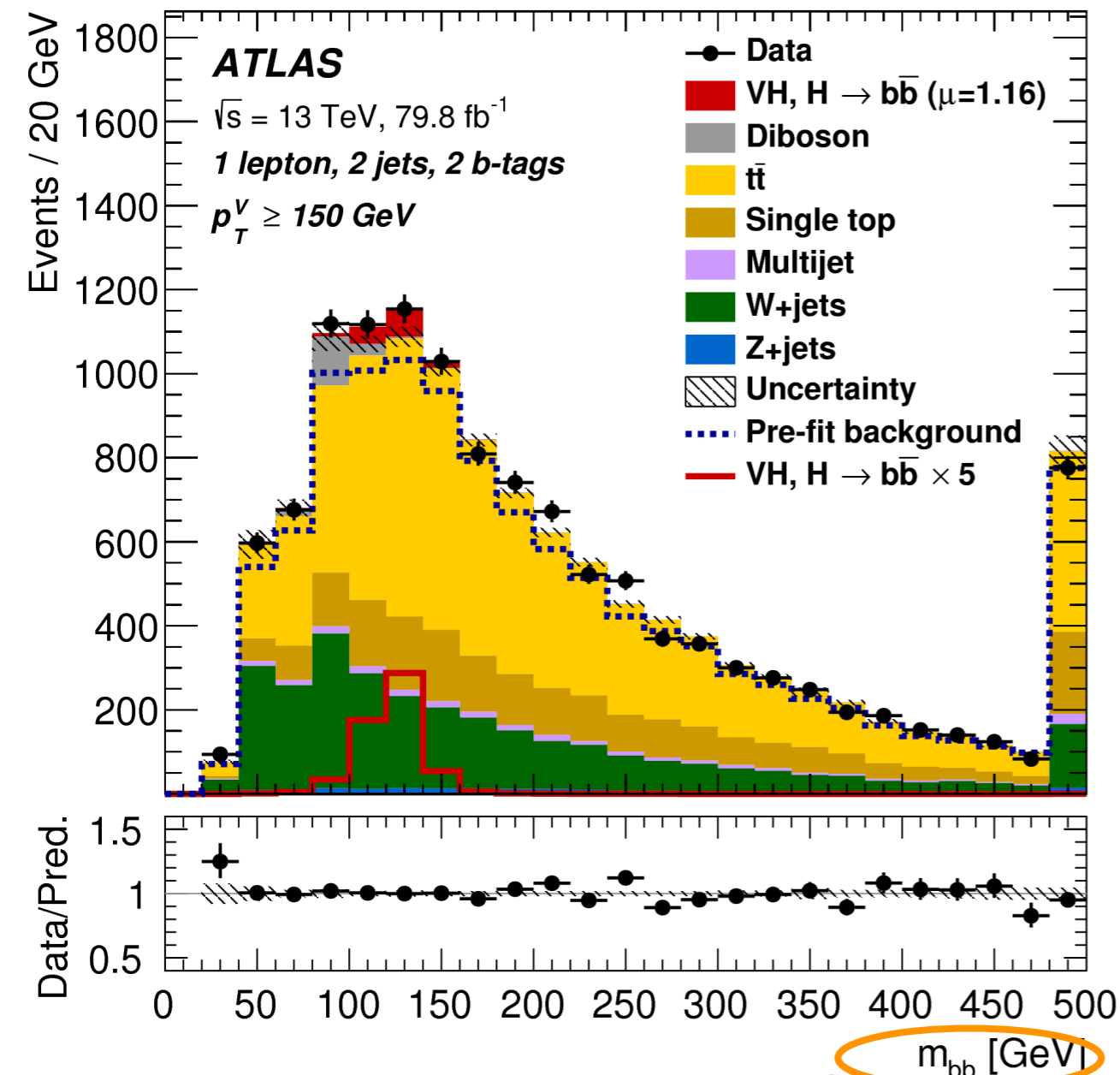


Isolating the b-jet...



Looking for a peak...

- After applying b-tagging to the two jets, backgrounds without b-jets nearly removed
- Use statistical techniques (maximum likelihood fit) to extract number of signal events
- Precisely predicting the background to subtract is the biggest challenge!



$$m_{b\bar{b}} = (p_b + p_{\bar{b}})^\mu (p_b + p_{\bar{b}})_\mu$$

- ATLAS observation of $H \rightarrow b\bar{b}$!

