



fastAerosol for GEANT4

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High-level introduction slides: A. Knaian

<https://www.nklabs.com>

Aerosols



Atmospheric Cloud



Smoke Stack



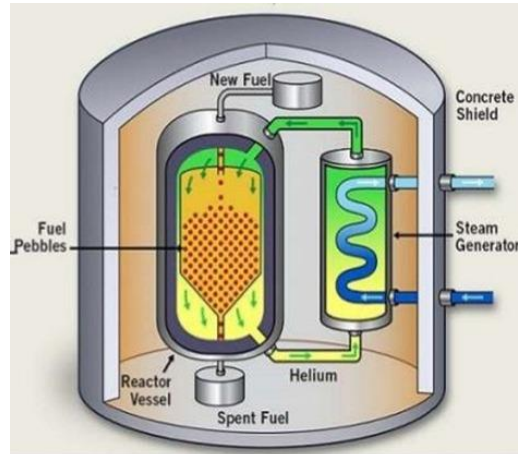
Dust storm, Texas, 1935



Carina Nebula



Droplet spray



Pebble Bed Nuclear Reactor



Bag of wooden pellets



Raindrops in the Atmosphere



Aerosols

- Overall aerosol has a size/shape
- Droplets have a size/shape distribution
- Defined number density of droplets per volume
- But --- exact positioning of each droplet -- the microstate – is unknown and for practical purposes not an experimental observable



Why did we write fastAerosol?

- Nuclear energy application
- Aerosol with billions of particles
- Using a parameterized volumes, the machine would run out of memory, or “take forever” to run.
- fastAerosol models the whole aerosol as a single GEANT4 geometry object. It is very fast, especially for small numbers of primaries relative to the number of droplets.
- Enables simulation of detectors that would not be possible to simulate otherwise, because the geometry would exceed the memory of the computer.



fastAerosol is Easy to Use!

```
cloud = new fastAerosol("cloud",
                        cloudShape,           //cloud shape
                        dropletR,            //bounding radius of droplets
                        minSpacing,         //minimum spacing between droplets
                        dropletNumDens,     //approximate number of droplets in cloud
                        sphericalUncertainty); //uncertainty in distance to droplet surface from outside using just droplet's origin as info
cloud->SetDropletsPerVoxel(4);

fastAerosolSolid* solidCloud =
    new fastAerosolSolid("cloudSV",        //its name
                        cloud,             //its shape
                        dropletShape);     //its droplets
```

2-3 lines in your DetectorConstruction::Construct() method creates your aerosol from its macro properties, and then you can start shooting primaries.

fastAerosol Methods and Results

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Slides created and presented by N. J. L. MacFadden

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25th Geant4 Collaboration Meeting, September 2020

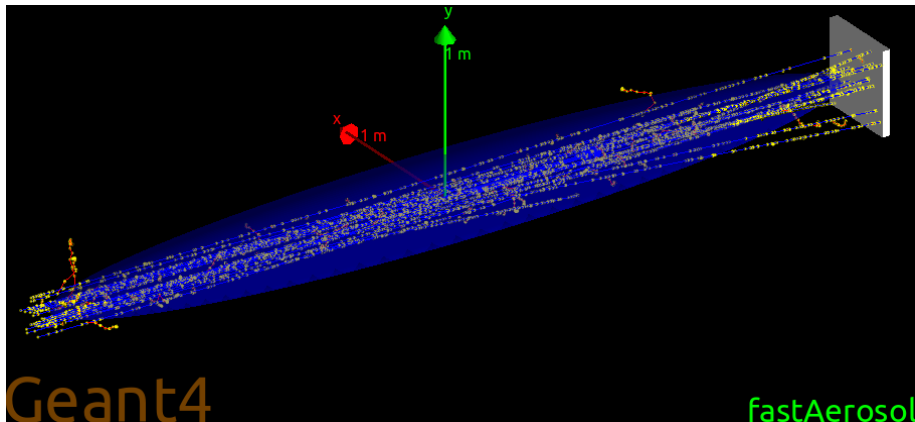
Outline

- 1 Motivation
- 2 Aerosol Generation
- 3 Distance Calculation
- 4 Results
- 5 Conclusion

Need for Granularity

fastAerosol is modelled droplet-by-droplet ('granular') - **why?**

Consider shooting protons through an aerosol:

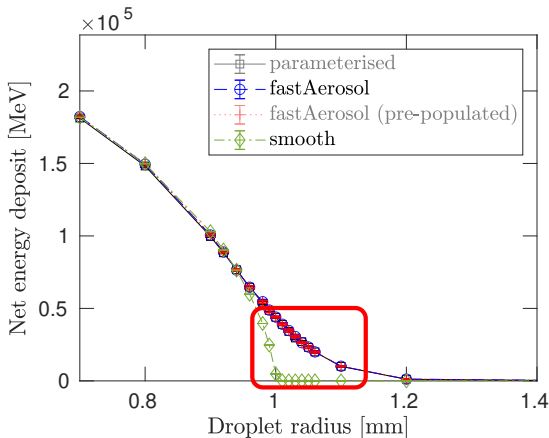


(figure from our associated preprint: arxiv 2008.01236)

Need for Granularity (pt. 2)

fastAerosol is modelled droplet-by-droplet ('granular') - **why?**

Ignoring granularity leads to different transport for some droplet radii:



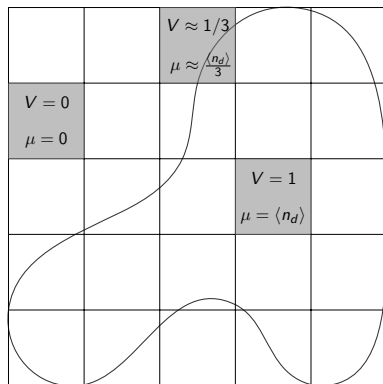
(figure from our associated preprint: [arxiv 2008.01236](https://arxiv.org/abs/2008.01236))

Aerosol Generation

“Aerosol” = 3D grid of voxels containing droplets in some bulk shape

Preparation for aerosol with average droplet number density $\langle n_d \rangle$:

- voxelize bounding box with pitch $p_{\text{grid}} = \left(\frac{N_{\text{droplets/voxel}}}{\langle n_d \rangle} \right)^{1/3}$,
- assign expected droplet count per volume as $\mu = \langle n_d \rangle V$,¹
- assign each voxel a unique seed $s_{\text{vox}} = \text{index}_{\text{vox}} + s_{\text{global}} N_{\text{voxels}}$.



Voxels are then populated **on-demand** by:

- selecting N_{vox} from Poisson dist. with mean μ and seed s_{vox} and then
- placing N_{vox} uniformly in voxel (retrying placement if droplet overlap)

¹for non-uniform droplet distributions, multiply μ by distribution function $f: \mathbb{R}^3 \rightarrow \mathbb{R}$

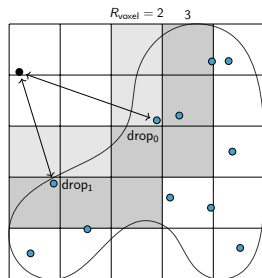
Distance Calculation

Distance functions in fastAerosol operate by

- finding the relevant droplet for the query and then
- delegating the distance calculation to this droplet.

To find the relevant droplet for distance to the inside of the aerosol:

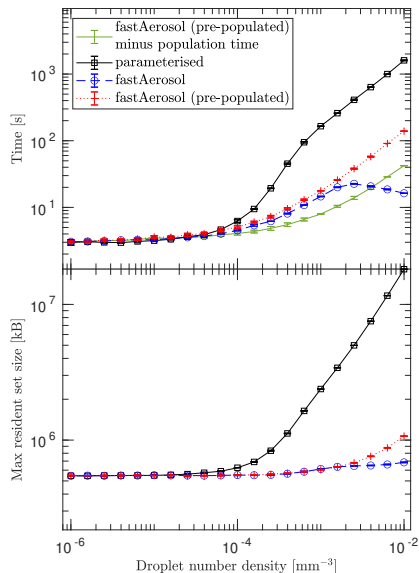
- find distance to bulk in units of grid pitch
 $R_{\text{voxel}} = \lfloor R_{\text{bulk}} / p_{\text{grid}} \rfloor$,
- collect (in \mathcal{C}) all droplets found in voxelized spheres¹ with radius $R_{\text{voxel}} \leq R \leq \lceil \frac{1}{4} + \frac{R_0}{p_{\text{grid}}} \rceil$ for R_0 the closest found droplet center,² and then
- return min distance among \mathcal{C} .



¹generated by modified mid-point algorithm defined by (Roget, Sitaraman '13)

²non-spherical droplets introduce factor and $\sigma = r_{\text{out}} - r_{\text{in}}$ to upper R limit

fastAerosol is Efficient for Dense Aerosols



(figure from our associated preprint: [arxiv 2008.01236](https://arxiv.org/abs/2008.01236))

Conclusion

fastAerosol

- allows speedups in dense granular aerosols
- only depends on macroscopic properties, simplifying implementation:

```
fastAerosol* aerosol =  
    new fastAerosol("aerosol", bulkShape, boundingR,  
                   minSpacing, avgDropNumDens, sigma,  
                   positionDistribution);
```

```
fastAerosolSolid* solidAerosol =  
    new fastAerosolSolid("aerosolSV", aerosol,  
                         dropletShape,  
                         rotationDistribution);
```

- allows complicated aerosols with
 - any shape bulk/droplet,
 - any droplet number density distributions, and
 - any droplet rotation distributions.