

#### **MSC Seminar**

# Electron spin resonance magnetic field sensors for the B-Train systems

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→ Introduction

→ Design

→ Results and experimental validation

→ Conclusions and future perspectives

#### **Introduction: B-Train (1/2)**



#### → Real-time magnetic field measurements:

#### Purpose:

Measure the field of the main bending magnets

of the Synchrotron accelerators

- ⇒ For the RF accelerating cavities
- ⇒ For beam intensity calculation
- ⇒ For the power converter of the main bending magnets

# Why measurement instead of simulation?

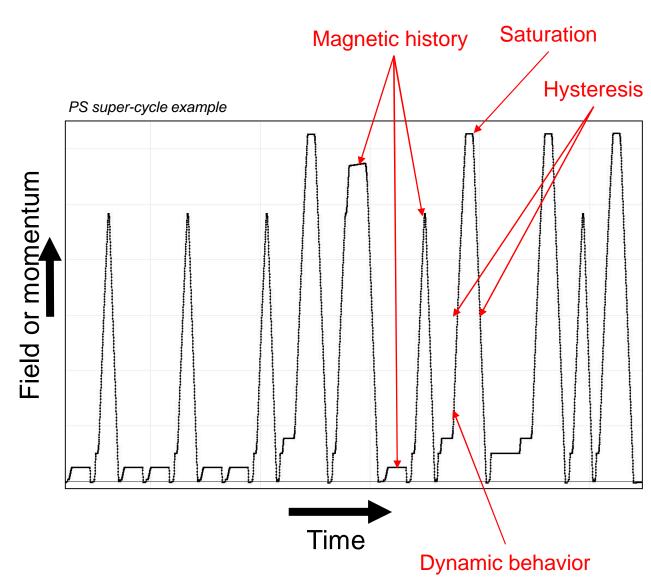
Problem to predict the combined effects

# <u>Improvement</u> on the accelerator operation:

- Increase the field reproducibility
- Reduce the cycle time

#### What is needed:

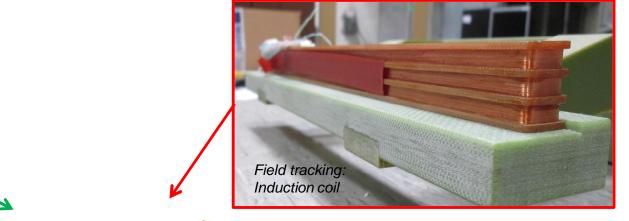
- Absolute local/integral field at 250 kHz
- Wide dynamic range from about 0 to 2 T
- A reference magnet (when available)



# **Introduction: B-Train (2/2)**

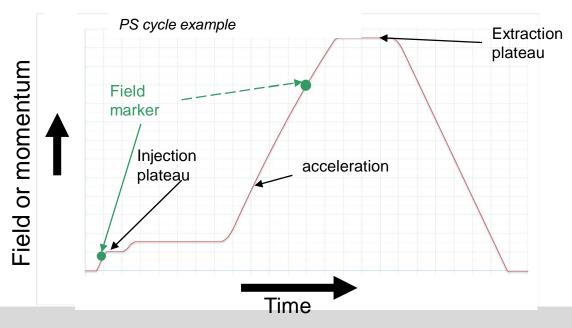






$$B(t) = B_{marker}(t_0) + \frac{1}{A_{coil}} \int_{t_0}^{t} V_{coil} dt$$
The reference field The field variation

The magnetic field B in (T) The reference field  $B_{marker}$  in (T) The starting time  $t_0$  in (s) The coil surface  $A_{coil}$  in (m<sup>2</sup>) The induced coil voltage  $V_{coil}$  in (V)

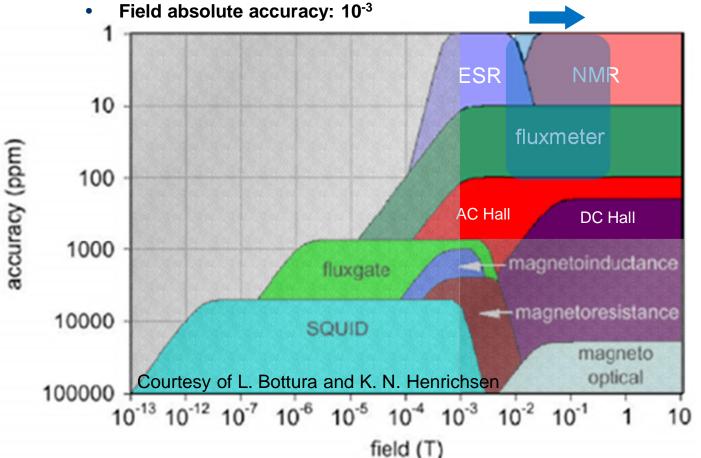


# **Introduction: Marker sensors (1/2)**



#### → Minimum requirements:

- Field range: up to 0.7 T
- Field ramp rate: up to 5 T/s
- Field gradient: up to 1.2 T/m, equivalent to an inhomogeneity G/B<sub>marker</sub> of 10 m<sup>-1</sup>
- Field reproducibility: better than 10<sup>-4</sup> at beam injection
- Reliability: only few hours of downtime per year allowed
- Required lifetime: > 20 years



#### Hall probes [1]:

- Wide dynamic range
- Low stability
- Regular calibration needed

Fluxmeter (rotating or translating):

Not real time

NMR (Nuclear Magnetic Resonance) [2]:

- Metrological reference
- Field inhomogeneity < 0.06 m<sup>-1</sup>
- Low field ramp rate <0.1 T/s</li>

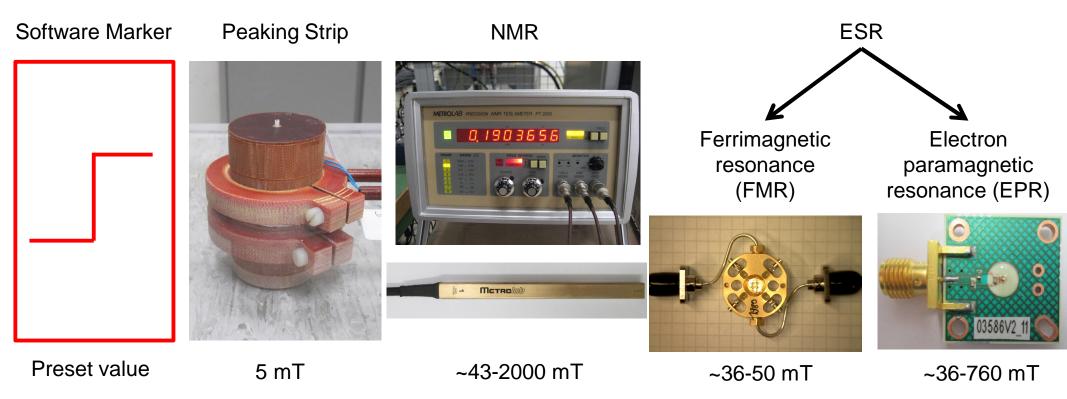
ESR (Electron Spin Resonance) [3,4]:

- High inhomogeneity field > 5 m<sup>-1</sup>
- High field ramp rate > 2.3 T/s
- Calibration and operation
- Low field measurement < 10 mT

# **Introduction: Marker sensors (2/2)**

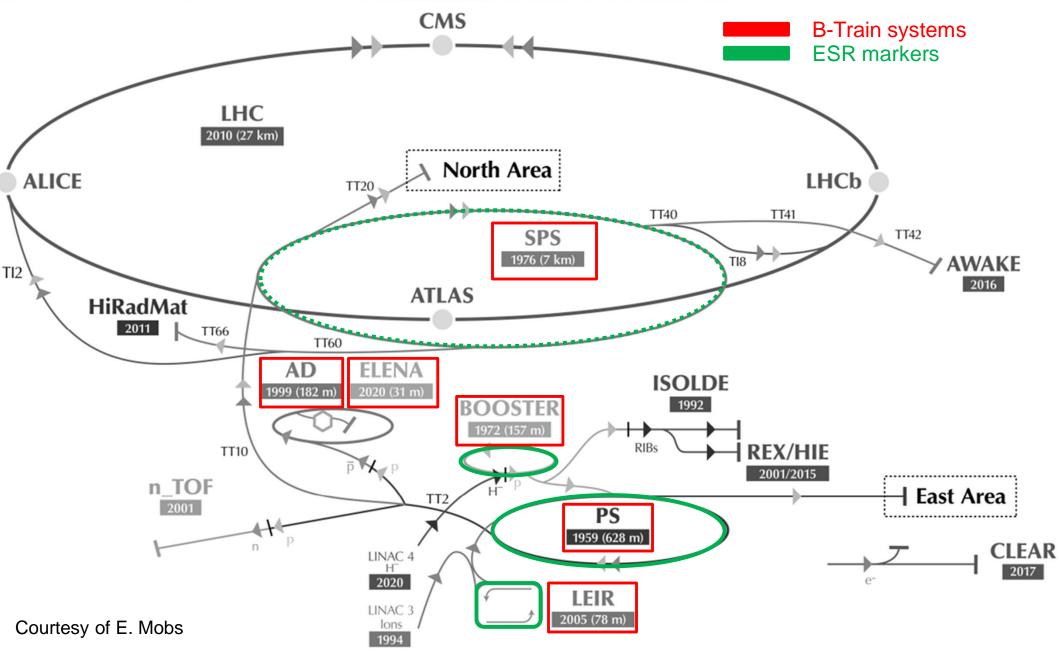


#### → Markers used in the CERN accelerators



#### **Introduction: ESR sensors at CERN**





# **Introduction: Electron Spin Resonance**

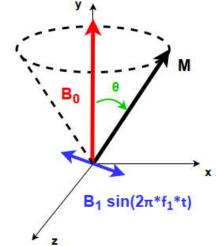


#### → Magnetic resonance:

In presence of a background magnetic field B<sub>0</sub>

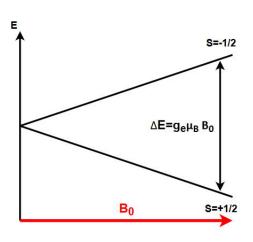
**Classical view** 

$$\frac{1}{\gamma_{\rm e}} \frac{d\mathbf{M}}{dt} = \mathbf{M} \times \mathbf{B}_0$$



**Quantum view** 

$$\Delta E = h f_0$$



- When sample is irradiated with an external microwave  $B_1 \perp B_0$
- The resonance occurs when  $f_1 = f_0$ : The Larmor frequency is given by

$$f_0 = \left(\frac{\gamma}{2\pi}\right)B_0$$

$$\frac{\gamma_{n_{(1_H)}}}{2\pi} = 42.6 \text{ MHz/T} \quad \text{(for proton)}$$

 $\frac{\gamma_e}{2\pi}$  = 28025 MHz/T (for an isolated electron)



These two gyromagnetic ratios are known within 10<sup>-7</sup> accuracy or better [5]

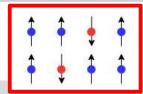
### **Introduction: Magnetic resonance material**

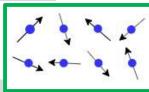


	FMR	EPR		
Magnetic property	Ferrimagnetic <sup>1</sup>	Paramagnetic <sup>2</sup>		
Material	Gallium doped Yttrium iron garnet (GaYIG)	Organic free radical α,γ-bisdiphenylene-β-phenylallyl (BDPA)		
Chemical composition	GaY <sub>3</sub> Fe <sub>5</sub> O <sub>12</sub>	$C_{39}H_5$		
Usage	Microwave applications	Standard for EPR spectrometers		
Spectrum	Single narrow linewidth			
Minimum operating field	30 mT (with Gallium doping)	< 1 μΤ		
Anisotropy	high	very low		
Signal amplitude (same detection electronic)	1500 mV	15 mV		
Commercial presentation	1 mm	1 mm		

¹:Two unequal populations of atoms with anti-parallel magnetic moments and magnetization ≠ 0

<sup>&</sup>lt;sup>2</sup>:B=0 T magnetic moment ≠ 0 but spin randomly oriented (magnetization=0)



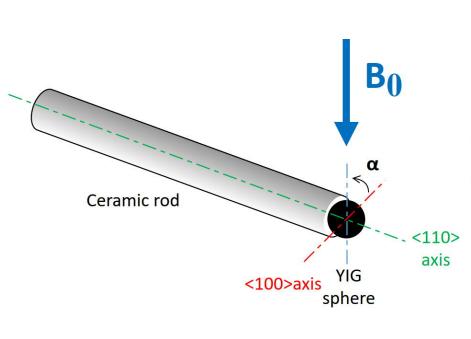


#### **Introduction: Ferrimagnetic resonance**

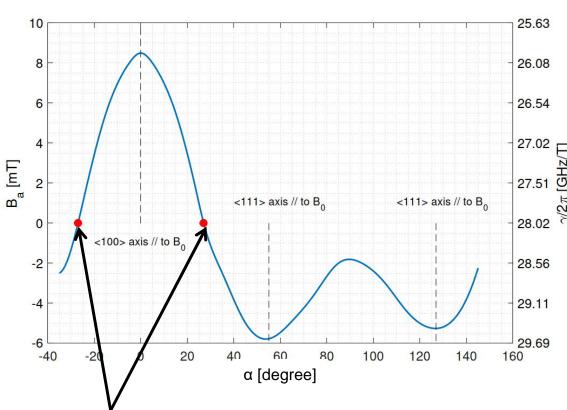


$$f_0 = \frac{\gamma_e}{2\pi} (B_0 + B_a)$$

→ B<sub>a</sub> depends on crystal <u>axis alignment</u> with respect to B<sub>0</sub> and on the <u>temperature</u>



$$B_a = B'_a(\alpha) B''_a(T)$$



 $B_a=0$  T therefore  $\gamma = \gamma_e$ , in addition **no more temperature dependency** 

=> Temperature stable axis at about  $\alpha=\pm 30^{\circ}$ 

# Introduction: Microwave structures and signal detection



#### Microwave structures

#### **Broadband devices**

- → Transmission line
- → Coupling: typically YIG filter
  - The magnetic resonance changes the coupling coefficient

#### **Narrowband devices** (Optimized for the marker field level)

- → Resonator:
  - RF source provided by external generator
- → Oscillator:
  - RF source provided by internal generator (cross-coupled transistor)

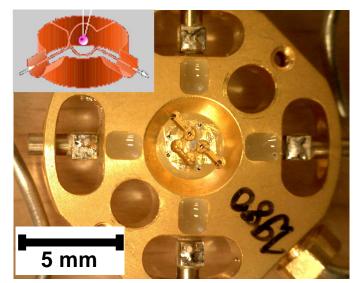
# Magnetic resonance signal detection

- Amplitude
- → Frequency
- → Phase

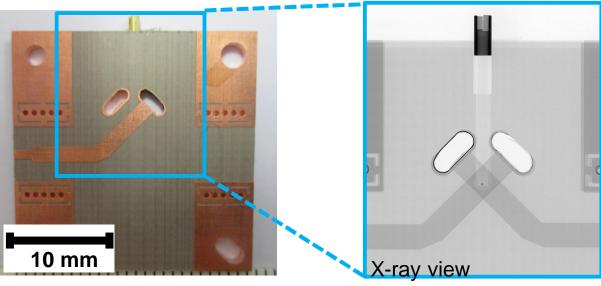
# **Design: Broadband devices**



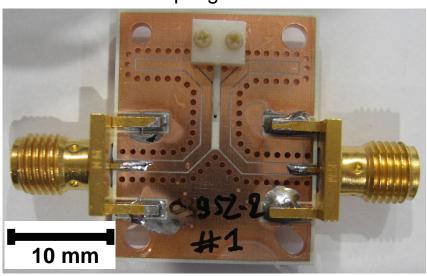
Commercial YIG filter



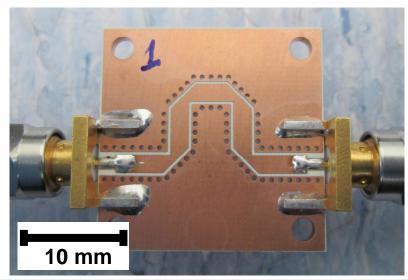
Stripline YIG filter



Coupling structure



Transmission line



# **Design: Lumped-element resonators (1/2)**

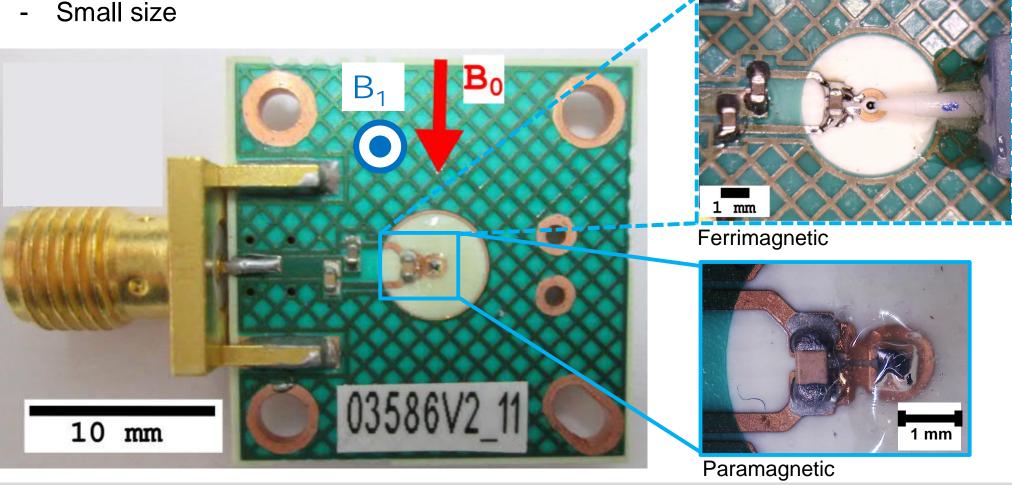


Sample types

#### $f_0=1$ GHz $B_0=36$ mT

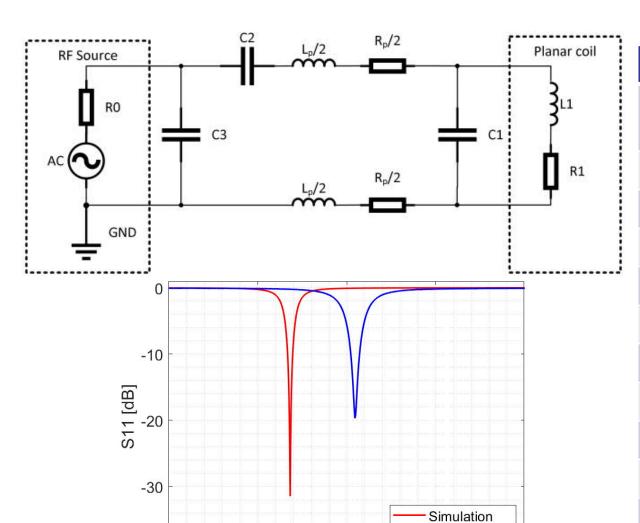
# → Main application: PS low field marker

- Suitable for RF ≤ 1 GHz
- Non-ferromagnetic elements
- Tunable if varicaps are used



# **Design: Lumped-element resonators (1/2)**





1.1

Frequency [GHz]

Elements	value		
Substrate type	Rogers RO4350 B		
Substrate size	20x20x1.5 mm <sup>3</sup>		
Tuning circuit C1	4.7 pF		
Matching circuit C2	4.7 pF		
Matching circuit C3	15 pF		
L1	1.2 nH		
R1 at 1 GHz	38 mΩ		
$L_p$	4.13 nH		
$R_p$	1.35 Ω		
f <sub>res</sub>	1.109 GHz		
S <sub>11</sub>	-19 dB		
Q-factor at -3 dB	36		

-40 <sup>-</sup> 0.9

1.3

Measurement

1.2

# **Design: Waveguide resonators (1/3)**

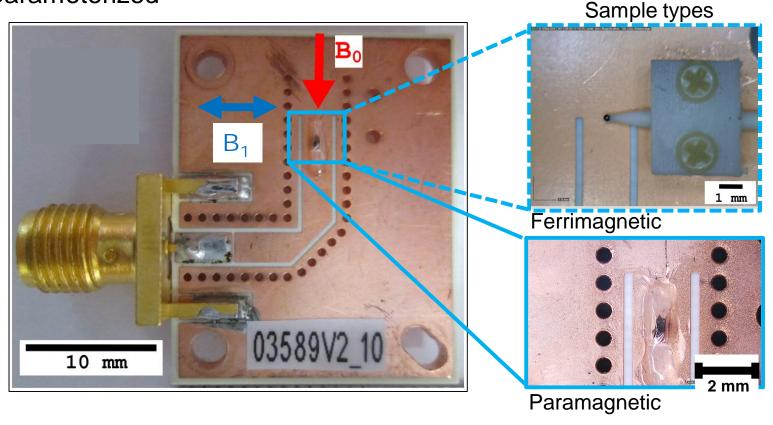


#### Grounded CoPlanar Waveguide f<sub>0</sub>=3 GHz B<sub>0</sub>=106 mT

# → Main application: <u>LEIR&PSB low field marker</u>

- Suitable for RF > 1 GHz
- Small size when using  $\lambda/4$
- Better control of the resonance frequency

Fully parameterized



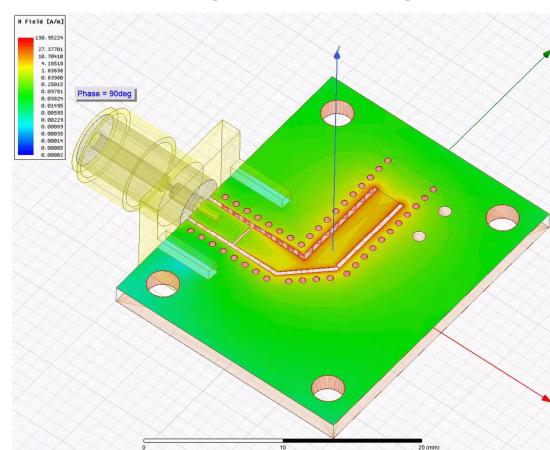
# **Design: Waveguide resonators (2/3)**



#### → HFSS (Ansys Electronics Desktop) 3D simulation

#### Magnetic field lines distr.

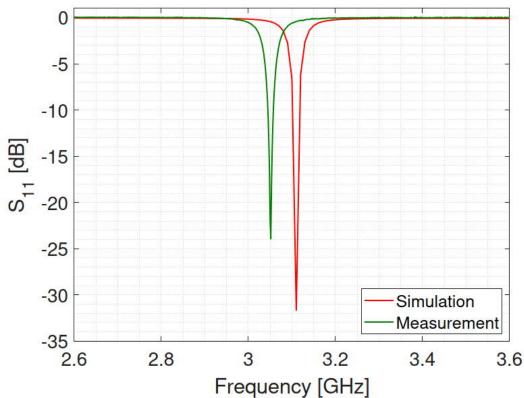
#### **Magnetic field strength**



# **Design: Waveguide resonators (3/3)**





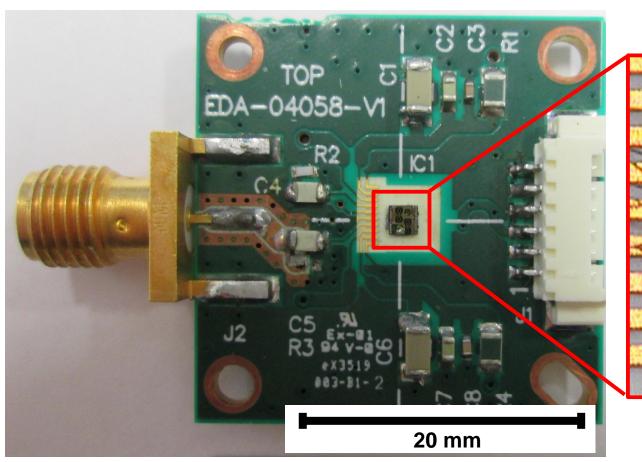


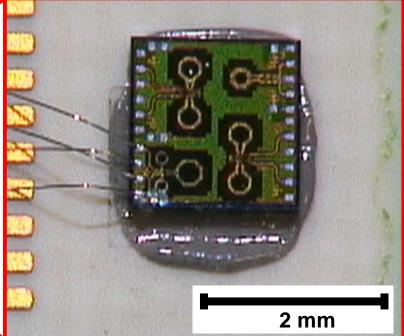
Elements	value		
Substrate type	Rogers RO4350 B		
Substrate size	25x20x1.5 mm <sup>3</sup>		
Strip width	2.1 mm		
Strip length	15.25 mm		
f <sub>res</sub>	3050 GHz		
S <sub>11</sub>	-24 dB		
Q-factor at -3 dB	70		

# **Design: Oscillators (1/5)**



# Integrated oscillators chip Designed at EPFL by Dr. G. Boero and Dr. A. V. Matheoud

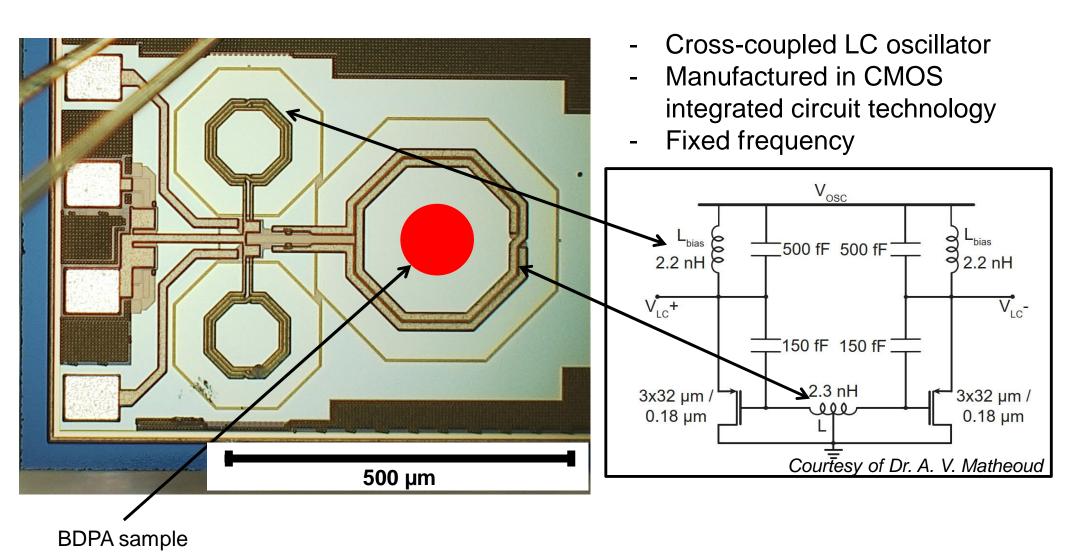




# **Design: Oscillators (2/5)**



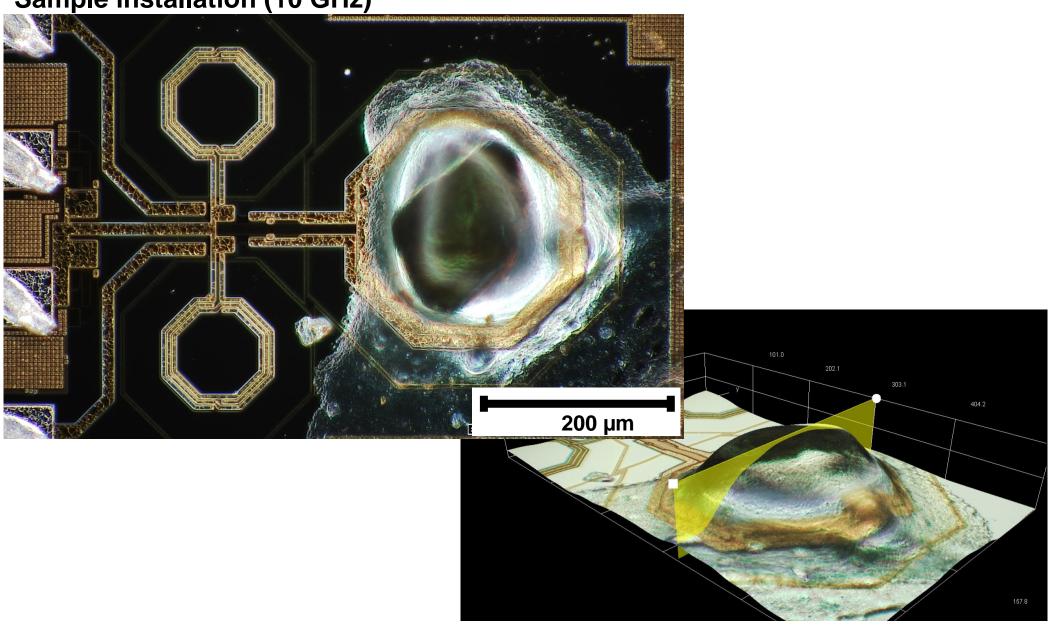
#### Used of Integrated oscillator $f_0=10$ GHz $B_0=360$ mT [6]



# **Design: Oscillators (3/5)**



Sample installation (10 GHz)



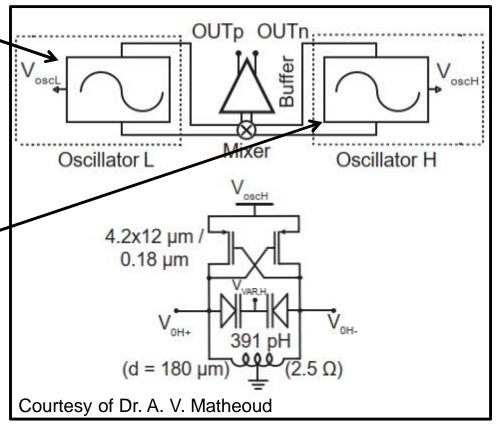
# **Design: Oscillators (4/5)**



#### Used of Integrated oscillator $f_0=20$ GHz $B_0=710$ mT [7]

**BDPA** sample **500 μm** 

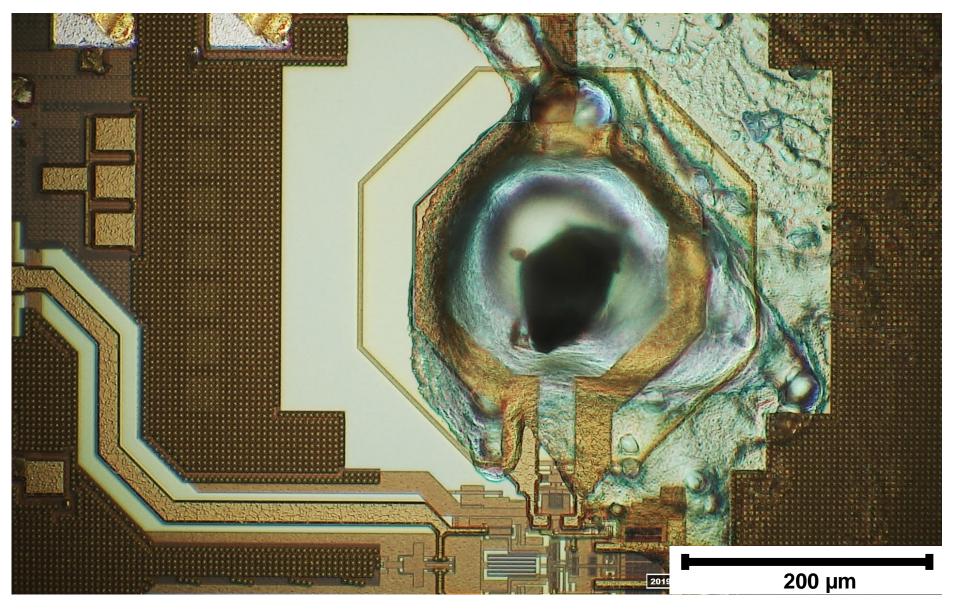
- Cross-coupled LC oscillator structure
  - Variable frequency with varicap
- Output freq. 18.5-20.2 GHz



# **Design: Oscillators (5/5)**



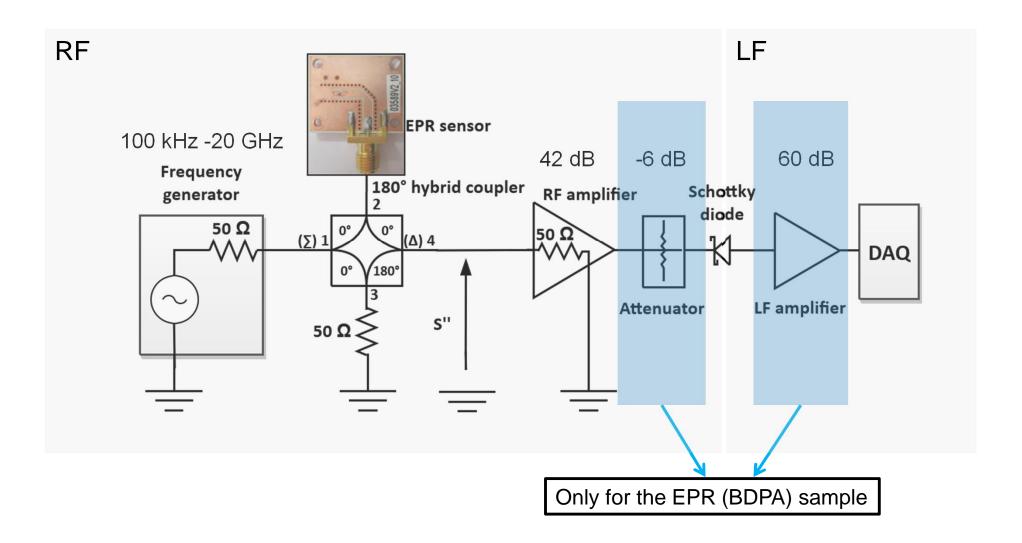
#### Sample installation (20 GHz)



# **Design: Amplitude detection (1/2)**



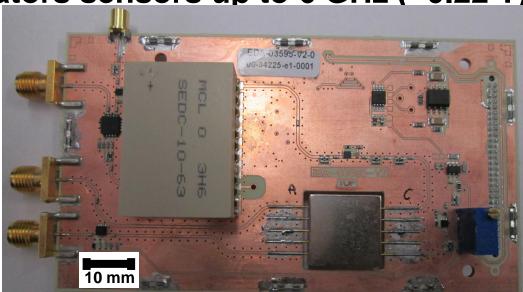
#### → Resonators



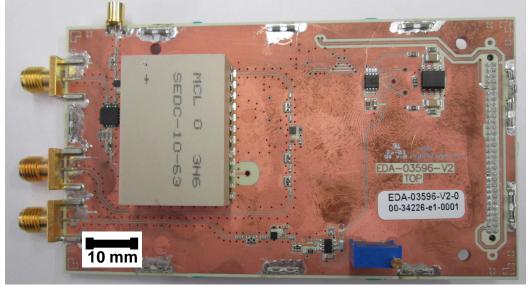
# **Design: Amplitude detection (2/2)**



→ For resonators sensors up to 6 GHz (~0.22 T)

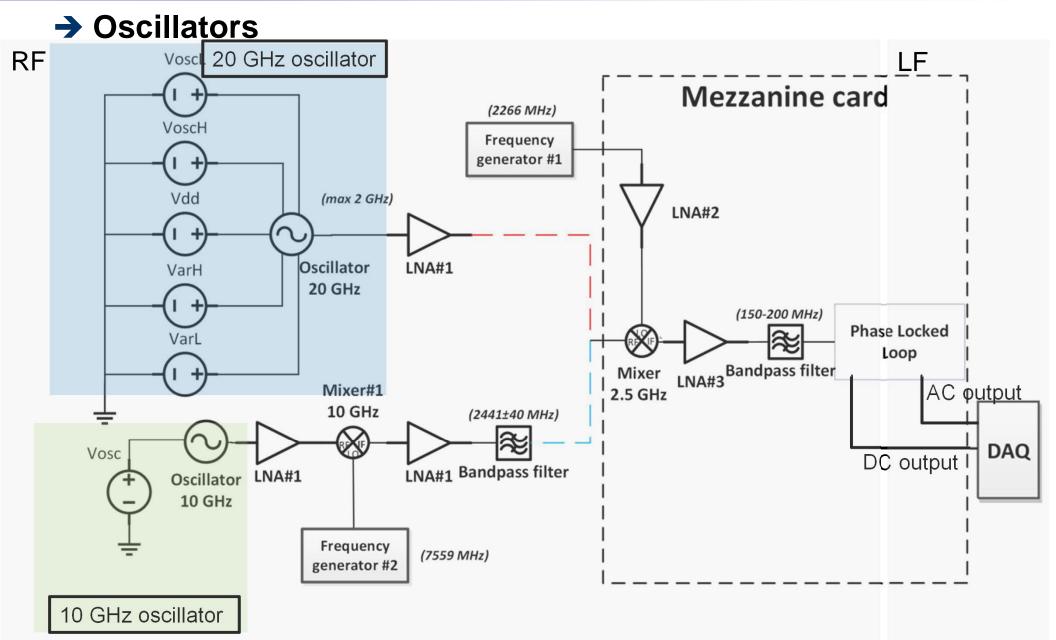


→ For coupling structure sensors up to 6 GHz (~0.22 T)



# **Design: Frequency detection (1/2)**

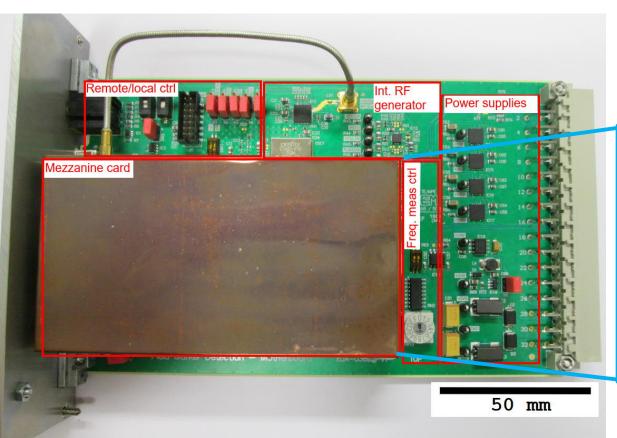


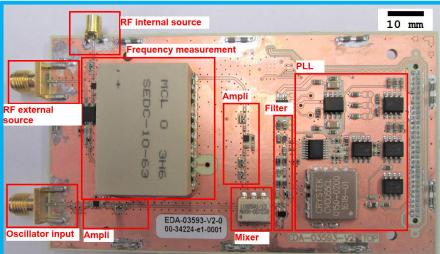


# **Design: Frequency detection (2/2)**



#### → Electronic board with PLL mezzanine card

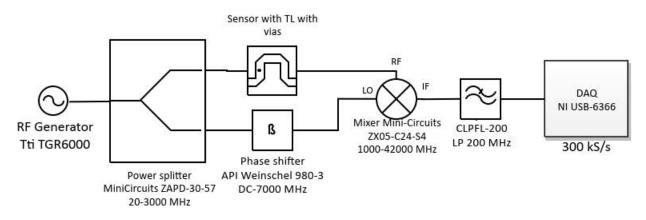


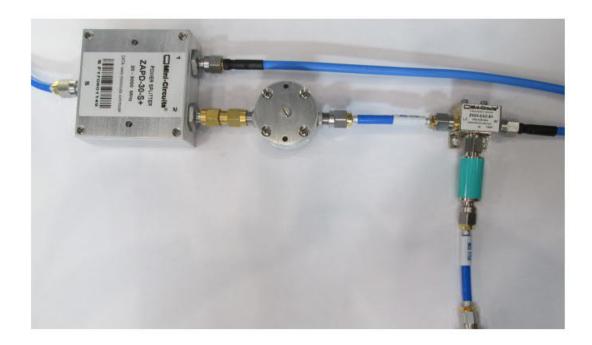


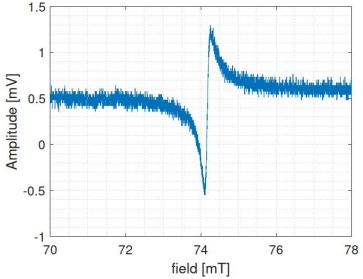
# **Design: Phase detection**



#### → Phase detection used with transmission line





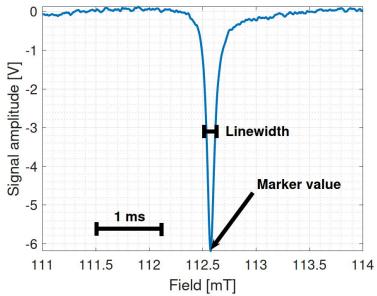


# **Design: Evaluation criteria**

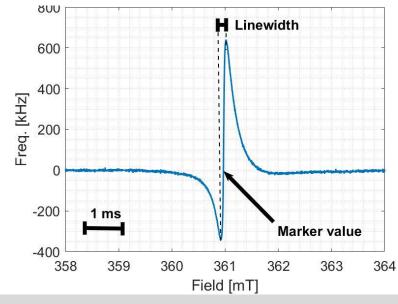


# $\rightarrow$ Typical ESR signal in marker mode (sweep $B_0$ , fixed $f_1$ )

# Amplitude detection



# Frequency detection



#### Figure-of-merit:

- 1. The signal-to-noise ratio
- 2. The shape distortion
- 3. The marker value
- The linewidth
- 5. The resolution

#### Signal affected by

- Gyromagnetic ratio
   (absolute calibration)
- Temperature
- Ramp rate
- Field direction
- Gradient

# **Design: Calibration benches**



#### → Characterization steps



The temperature stable axis



- Effective gyromagnetic ratio
- The resolution
- Temperature dependency
- Ramp rate dependency
- Field direction dependency



- Gradient sensitivity

Static B<sub>0</sub> field

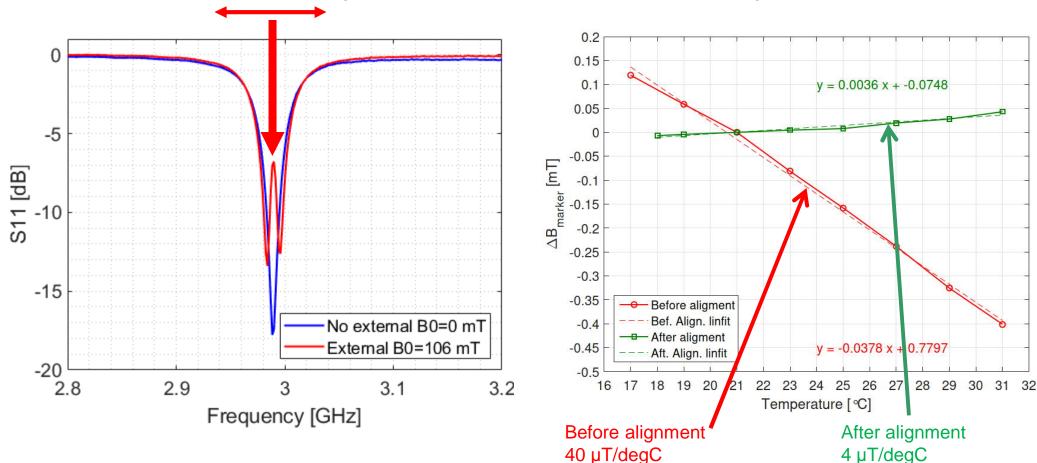
Time-transient B<sub>0</sub> field

# Results: FMR sensors (1/2)



#### $\rightarrow$ Temperature stable axis alignment (fixed $B_0$ , sweep $f_1$ )

Resonance peak position changes with temperature when sphere is not aligned

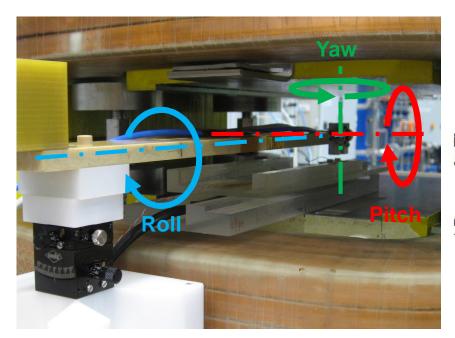


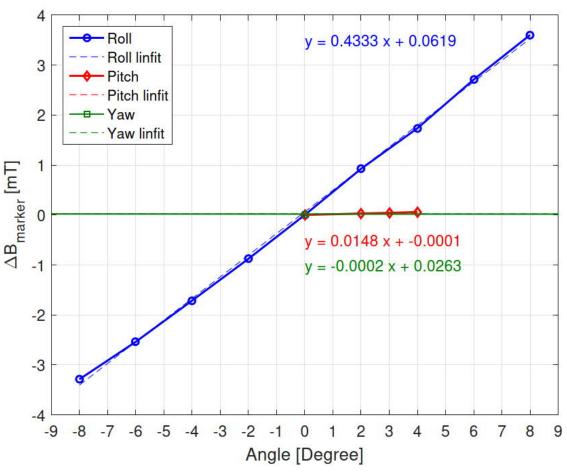
=> Temperature sensitivity is improved by an order of magnitude

### Results: FMR sensors (2/2)



#### → Field direction effect





=> Relevant influence on the roll angle by 430 μT/deg

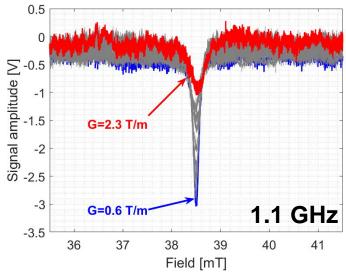
FMR sensors are insensitive to field ramp rates up to 5 T/s and gradients up to 12 T/m

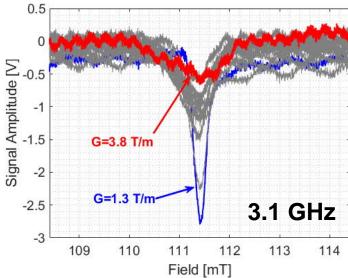
#### Results: EPR sensors (1/4)



#### Gradient effect

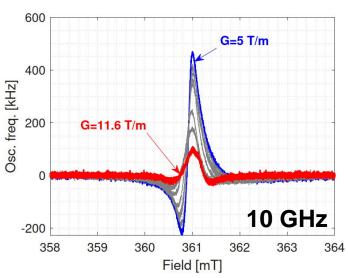
#### Resonators

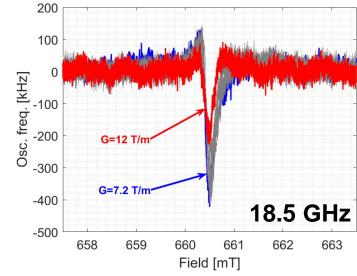




=> Able to measure gradient up to 2 T/m

#### Oscillators

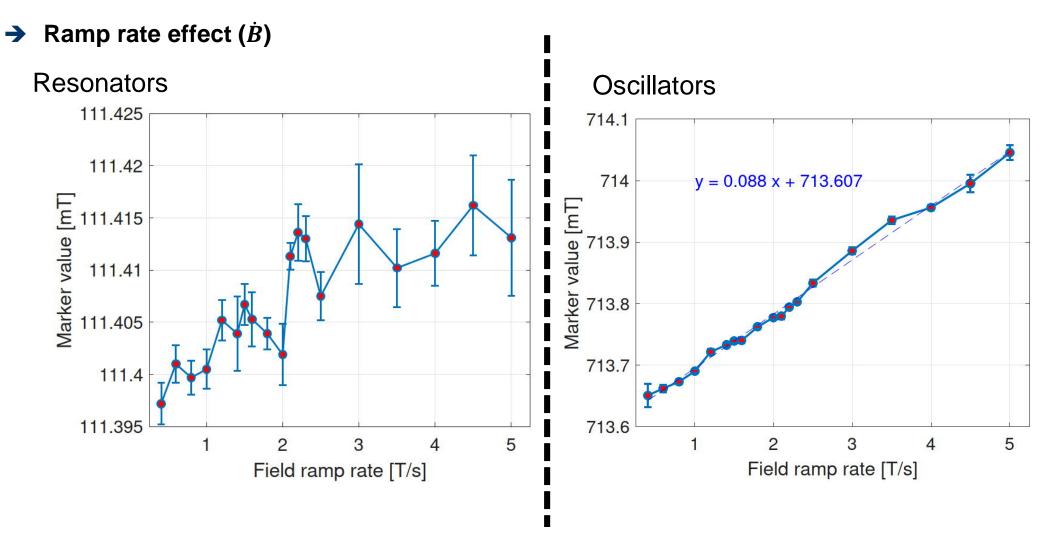




=> Able to measure gradient up to 12 T/m

# Results: EPR sensors (2/4)





Relevant marker value variation function of by field ramp rate with the 20 GHz oscillator => Electromotive forces on the varicaps and power supplies voltage

### **Results: performance summary**



						/ 1
	FMR 1 GHz	FMR 3 GHz	EPR 1 GHz	EPR 3 GHz	EPR 10 GHz	EPR 20 GHz
Parameters	Resonator	Resonator	Resonator	Resonator	Oscillator	Oscillator
Sample material	GaYIG	GaYIG	BDPA	BDPA	BDPA	BDPA
Operating frequency (MHz)	1109	3050	1078.9	3123	10111.37	20000 a
$B_{\rm m}$ (mT)	35.9	106.3	38.52	111.41	361.01	713.65
$B_{\rm m}$ tuning range (mT)	<b>*</b> :		-	174	·*1	660-720
Linewidth ( $\mu$ T)	320	370	94	85	97	121
Effective $\gamma$ (GHz/T)	28.29	28.69	$28.01 \pm 0.01$	$28.03 \pm 0.01$	$28.01 \pm 0.01$	28.02 a
Sample volume ( $\mu$ m <sup>3</sup> )	$14.1 \times 10^3$	$14.3 \times 10^3$	$63 \times 10^{6}$	$160 \times 10^{6}$	$1.2 \times 10^{6}$	$0.07 \times 10^{6}$
$\dot{B}$ sensitivity ( $\mu T/(T/s)$ )	<3	<3	4	4	<3	90
Gradient sensitivity ( $\mu$ T/(T/m))	-56	-	160	480	39	<10
Maximum gradient (T/m)	1.2	1.5	1.2	1.5	12	12
Maximum field inhomogeneity						
$(m^{-1})$	31	13	31	13	25	17
Temperature sensitivity ( $\mu$ T/°C)	3.6	2.2	4.8	7	Η	-
Field direction sensitivity $\psi$ ( $\mu$ T/°)	433	368	<1	<1	<1	<1
Resonator sensor sensitivity (V/T)	4256	2286	47450	90800	-	- N=
Resonator noise floor $(V/Hz^{1/2})$	$3.2 \times 10^{-6}$	$3 \times 10^{-6}$	$0.26 \times 10^{-3}$	$0.2 \times 10^{-3}$	-	-
Oscillator sensor sensitivity (Hz/T)	<b></b> 3	2.77		.=	$31.7 \times 10^9$	$17.2 \times 10^9$
Oscillator noise floor (Hz/Hz <sup>1/2</sup> )	=1	1-	-	97	3	35
Resolution (nT/Hz <sup>1/2</sup> )	0.7	1.3	5.5	2.2	0.095	2
Bandwidth (kHz)	150	150	100	100	160	160
Integrated resolution ( $\mu T_{RMS}$ )	0.3	0.5	1.7	0.70	0.04	0.8
SNR (-)	1620	750	40	100	270	30

<sup>&</sup>lt;sup>a</sup> The 20 GHz oscillator has no direct frequency output. As a consequence, the oscillation frequency and the effective  $\gamma$  cannot be measured. The reported oscillation frequency is computed measuring the magnetic field with an NMR magnetometer and an induction coil and assuming an effective  $\gamma = \gamma_{BDPA} = 28.02 \text{ GHz/T}$ .

Low performance

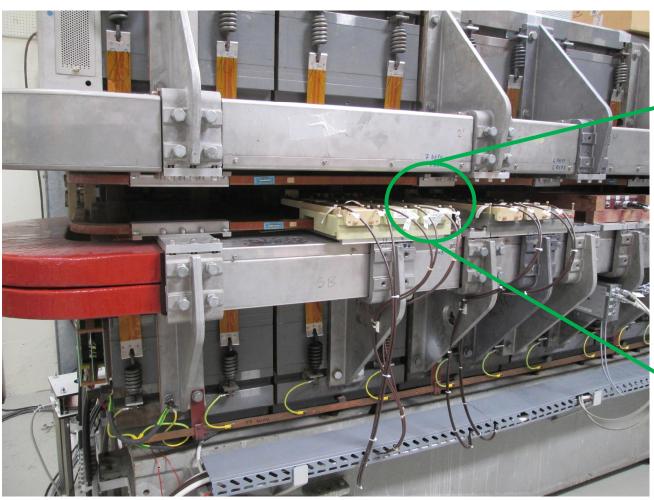
Medium performance

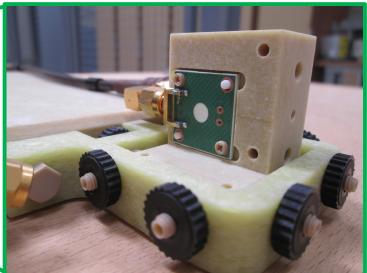
high performance

### **Experimental validation: FMR sensor in PS**



FMR sensor at 36 mT (1 GHz) is installed in the focusing and defocusing sides of the PS reference magnet MU101

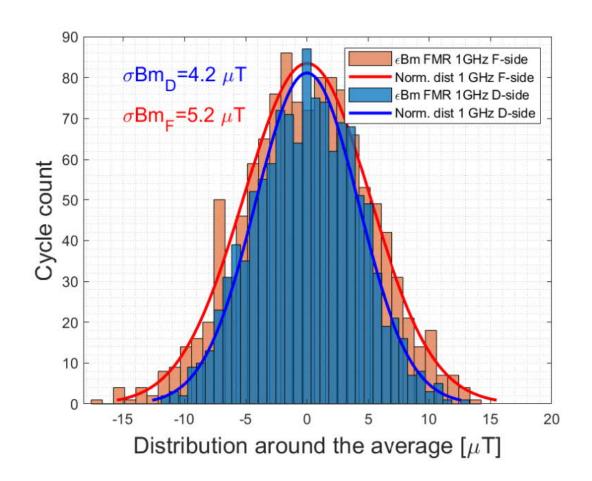




### **Experimental validation: FMR sensor in PS**



#### FMR sensor at 36 mT (1 GHz)

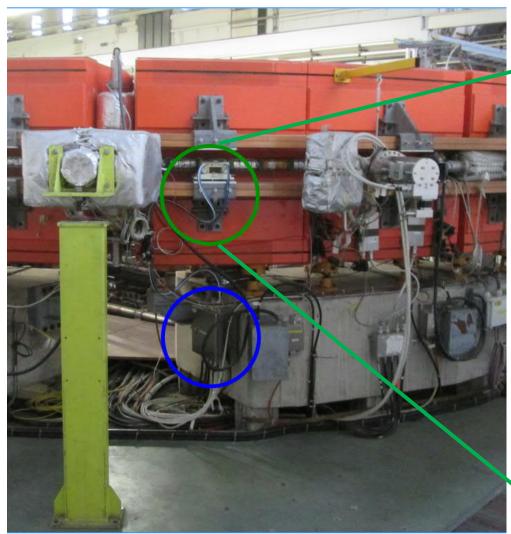


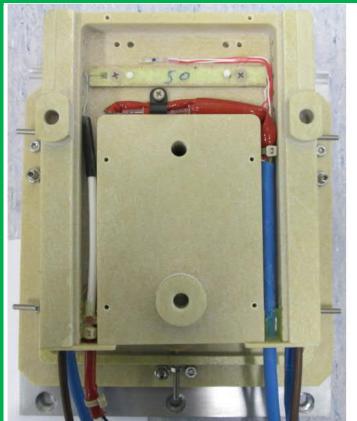
=> Reproducibility by about 5 μT corresponding to 5 x 10<sup>-5</sup> at injection, that is, within the PS operation requirement

# Experimental validation: LEIR B-Train system (1/2)



The FMR sensor at 106 mT (3 GHz) is used in the fringe field of the main bending magnet

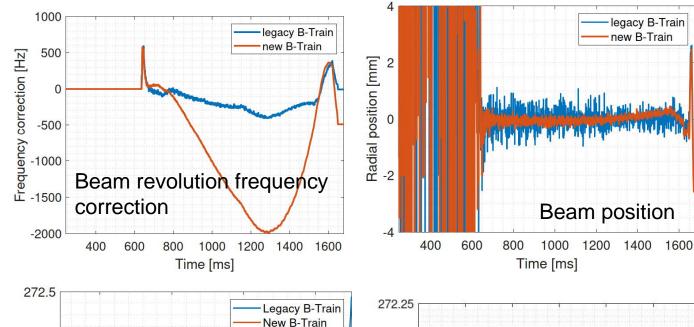






# **Experimental validation: LEIR B-Train system (2/2)**





#### **New B-train measurement:**

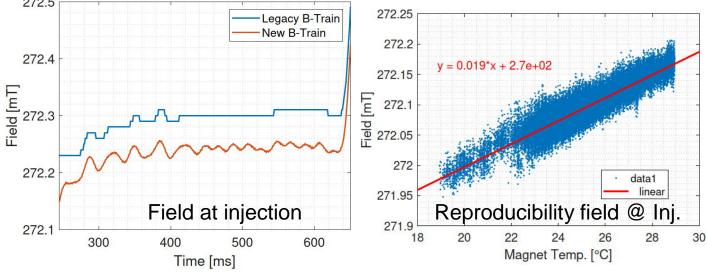
legacy B-Train

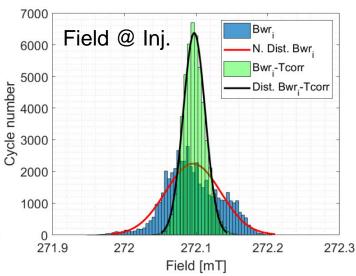
new B-Train

- $\Rightarrow$  Resolution from 10 to 0.2  $\mu$ T
- ⇒ Radial position stability from 0.6 to 0.1 mm RMS
- $\Rightarrow$  Max field error 1.5 mT (0.2%)

#### Impact of new marker:

⇒ Cycle-to-cycle reproducibility from several 100  $\mu T$  down to 38 μT (1.4 x 10<sup>-4</sup>)





# **Conclusions and future perspectives**



- → The proposed ESR sensors have a reproducibility better than 1.4 x 10<sup>-4</sup>. They operate in a field range up to 0.7 T, in a field gradient up to 12 T/m and with ramp rate up to 5 T/s.
- → FMR sensors were implemented and validated on two B-Train systems.
- → The parametric model of the waveguide resonator allows easy adaptation to different field marker levels.

- → Extended versions of the EPFL's oscillator architecture could be used to measure fields above 1 T.
- → The implementation of a modulation coil on the marker sensor with an adapted detection electronics, would allow operation in static background field.



# Thank you for your attention

**Questions?** 

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