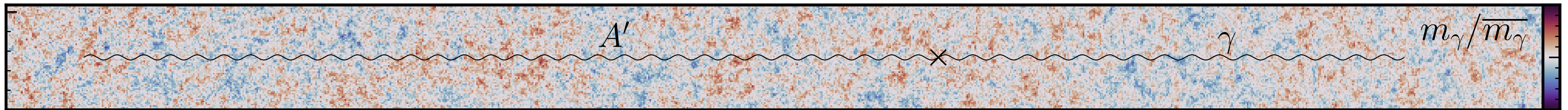


Dark photon oscillations in our inhomogeneous Universe



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NYU

Center for Cosmology
and Particle Physics

BSM PANDEMIC

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Collab



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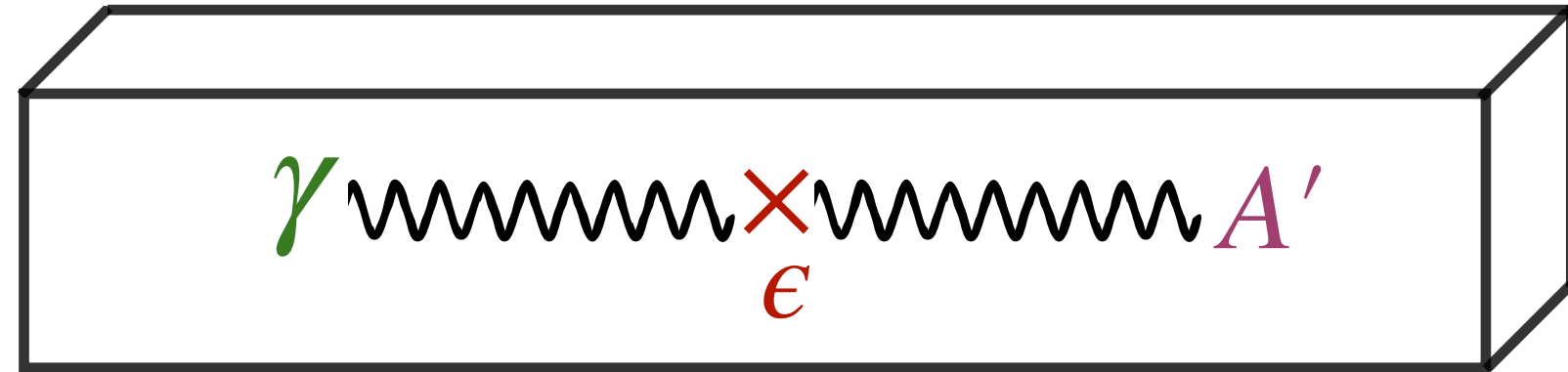


Maxim Pospelov
(Minnesota)

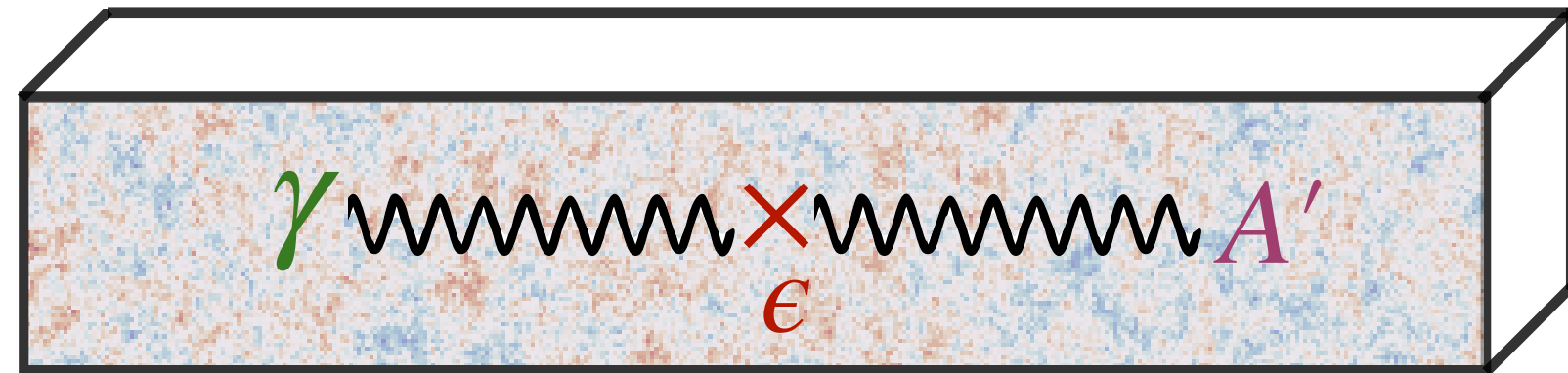
Papers

1. Caputo, Liu, SM, Ruderman, *"Dark Photon Oscillations in Our Inhomogeneous Universe,"* PRL [[arXiv:2002.05165](#)]
2. Caputo, Liu, SM, Ruderman, *"Modeling Dark Photon Oscillations in Our Inhomogeneous Universe,"* PRD [[arXiv:2004.06733](#)]
3. + Pospelov, Urbano, *"Edges and Endpoints in 21-cm Observations from Resonant Photon Production,"* [[arXiv:2009.03899](#)]

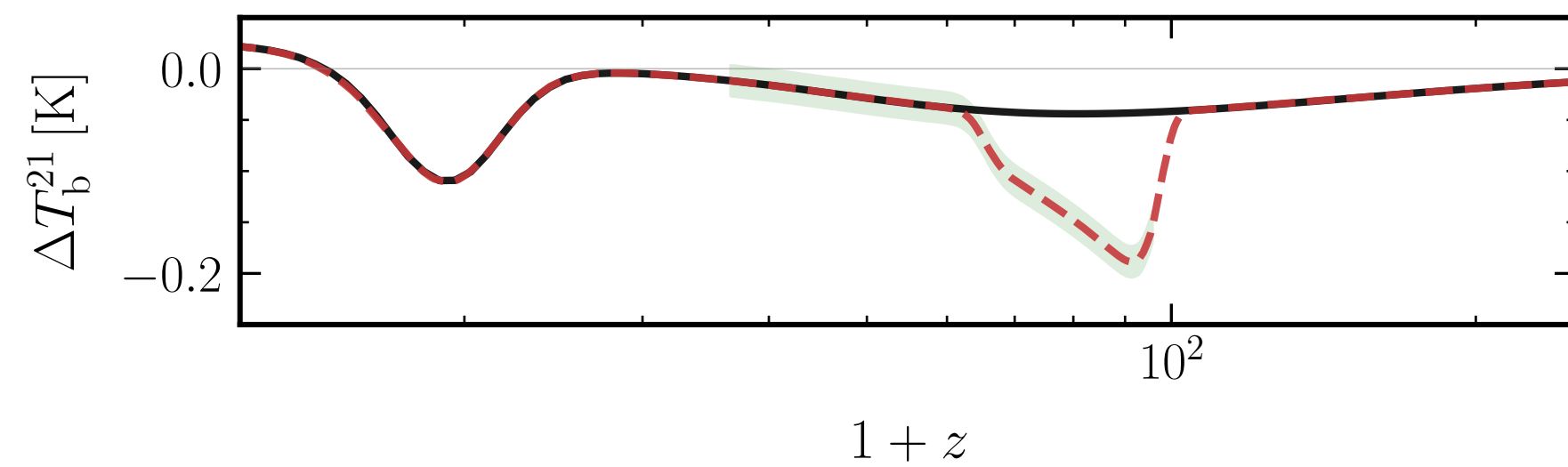
Outline



Dark photons
and resonant conversions

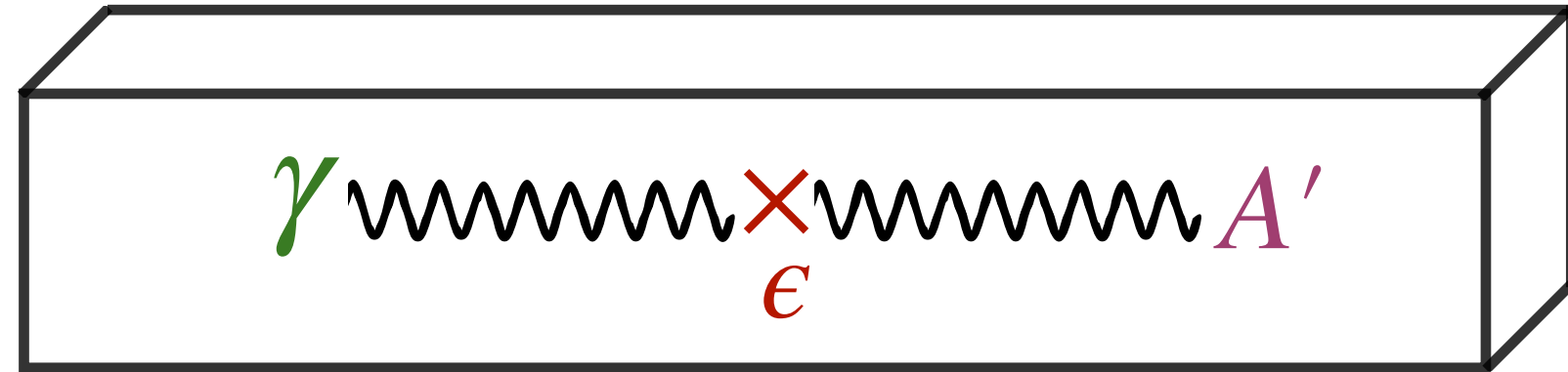


Dark photon oscillations
with inhomogeneities

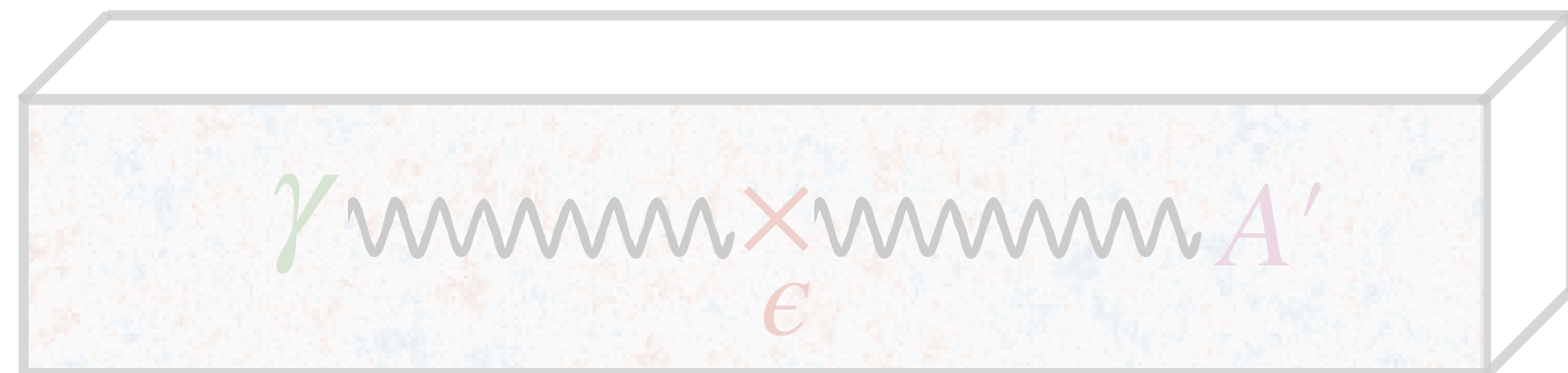


Dark photon signatures
in 21-cm

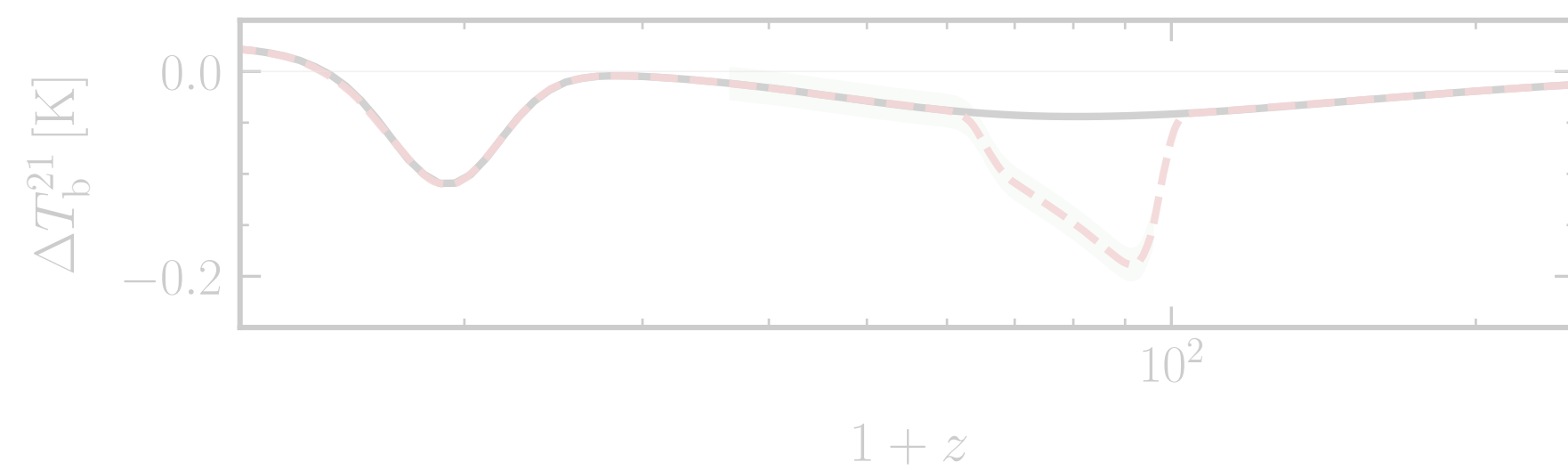
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Dark photons
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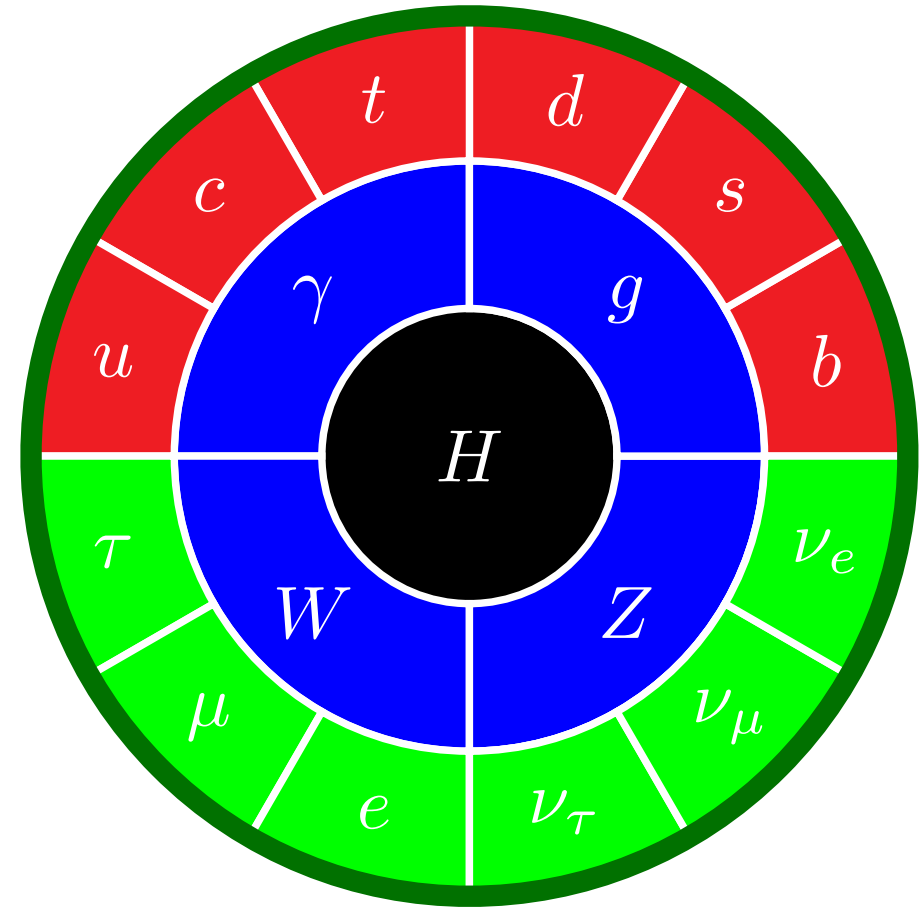
Dark photon oscillations
with inhomogeneities



Dark photon signatures
in 21-cm

Portals to the dark sector

Standard Model

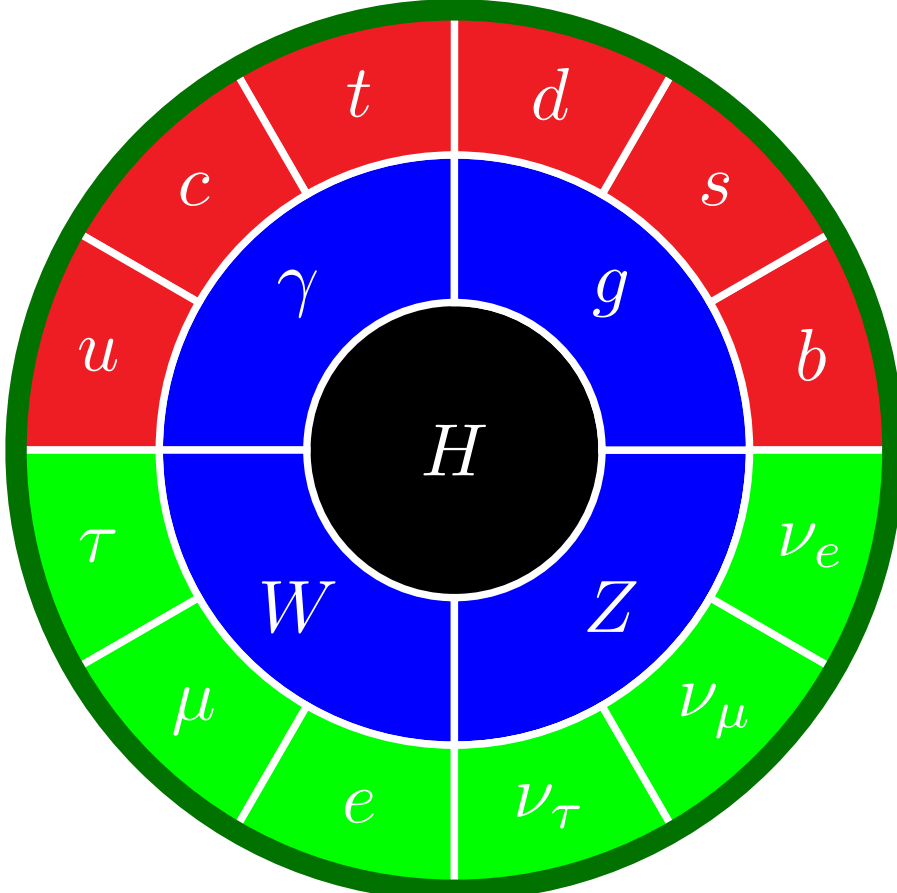


Dark Sector



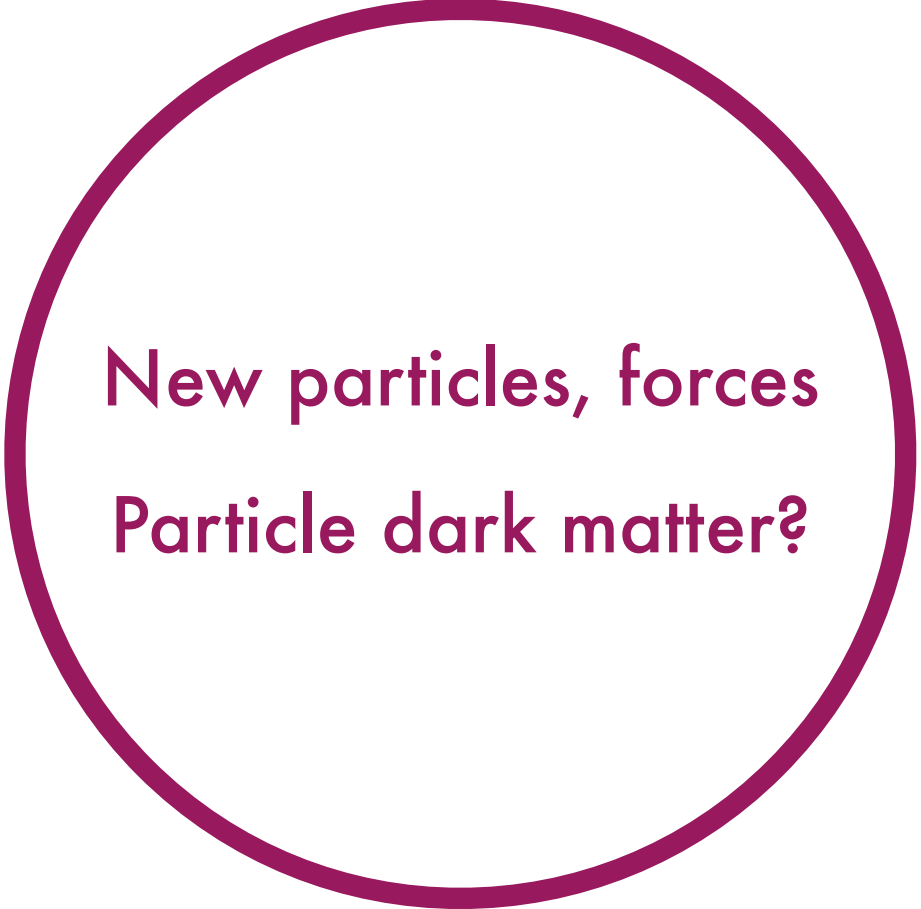
Portals to the dark sector

Standard Model



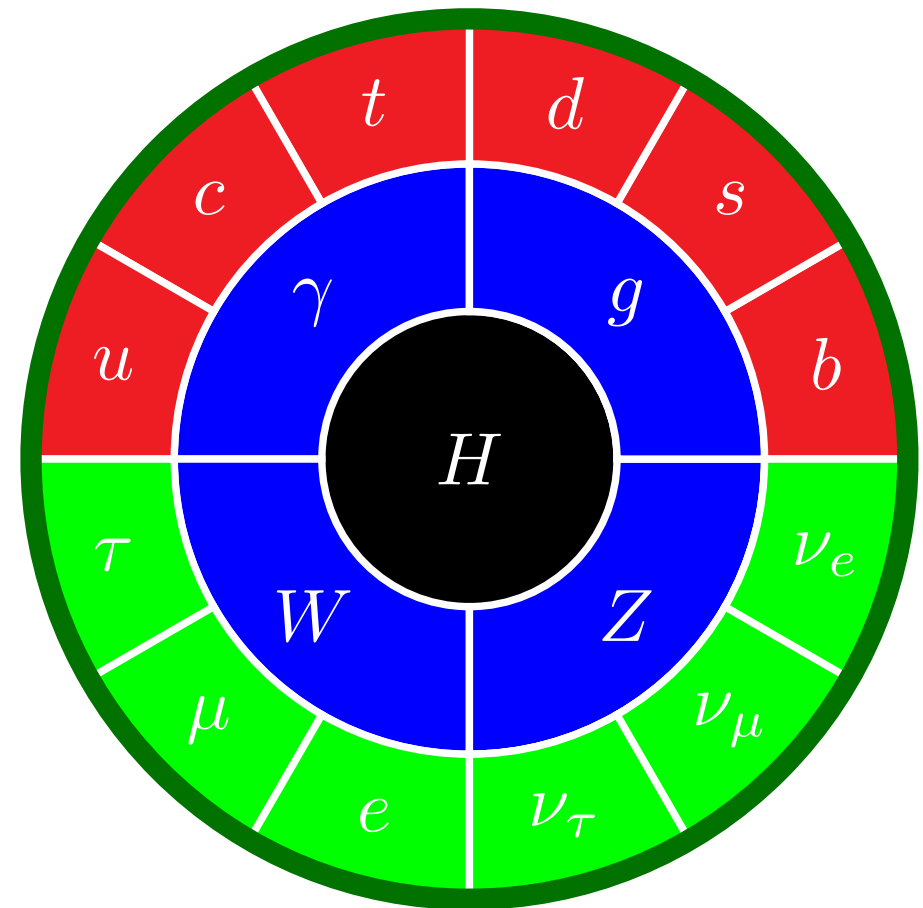
Portal

Dark Sector



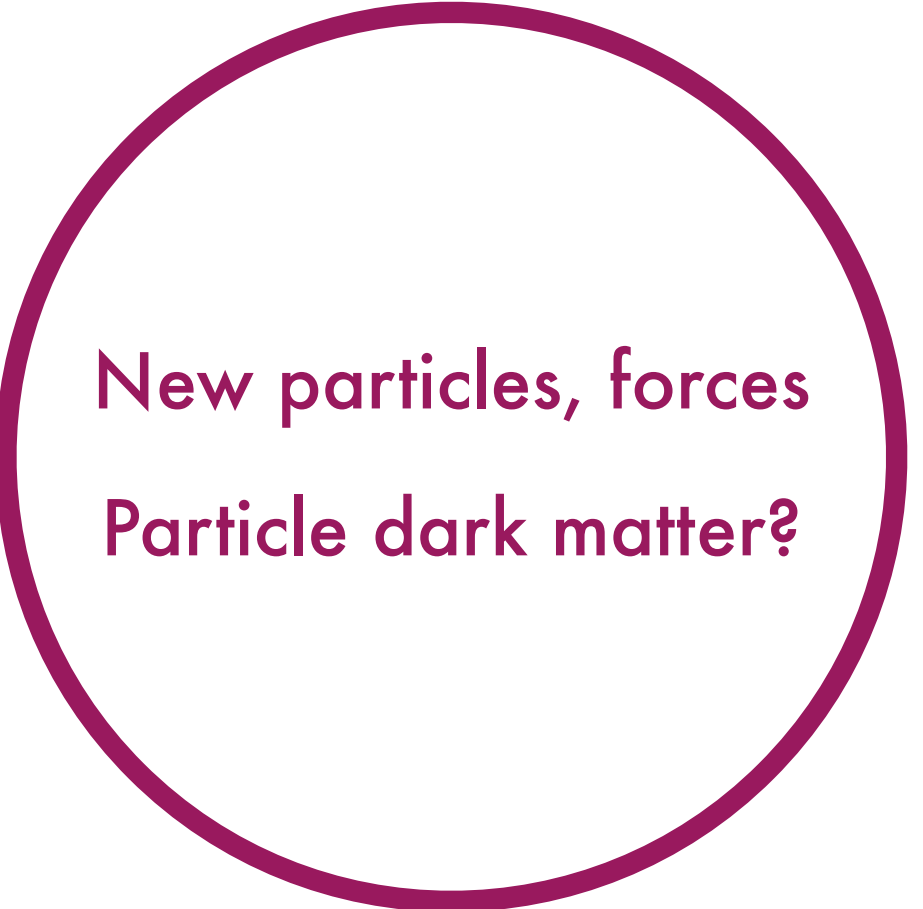
Portals to the dark sector

Standard Model



Portal

Dark Sector

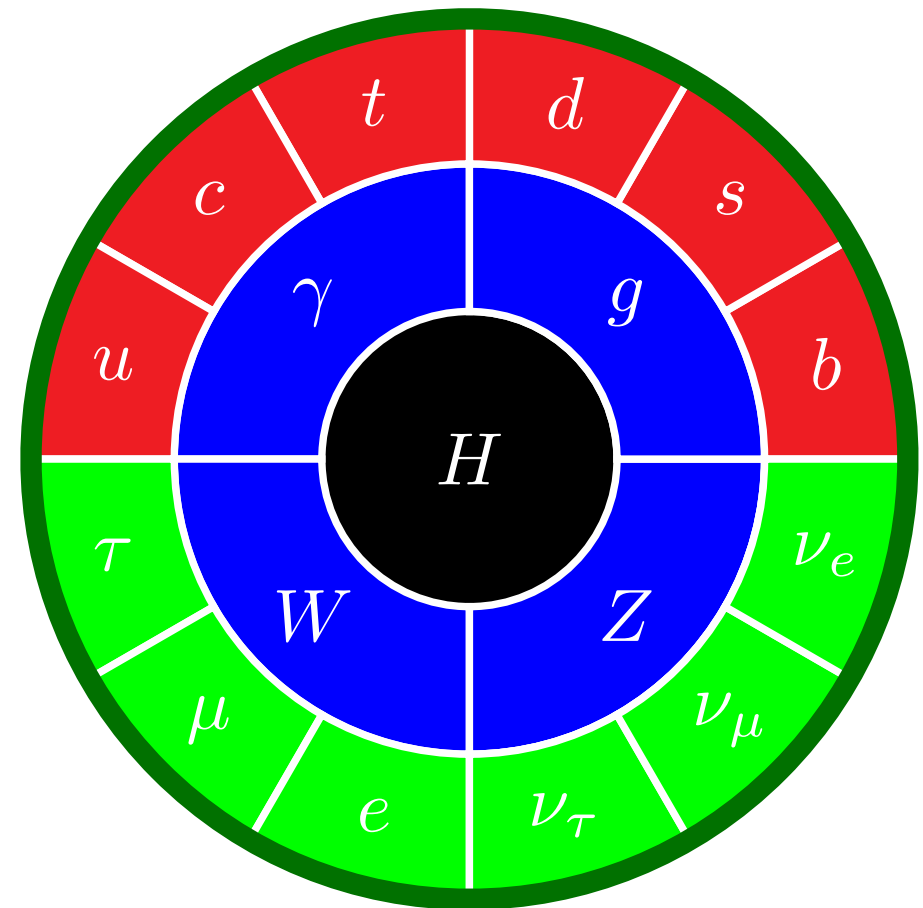


(Some) Canonical portals:

- **Scalar**
Higgs portal $\lambda H^2 S^2 + \mu H^2 S$
- **Fermion**
Neutrino portal $y(HL)N$
- **Vector**
Kinetic mixing portal $\epsilon F^{\mu\nu} F'_{\mu\nu}$

Portals to the dark sector

Standard Model



Portal

Dark Sector



(Some) Canonical portals:

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Higgs portal

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- **Fermion**
Neutrino portal

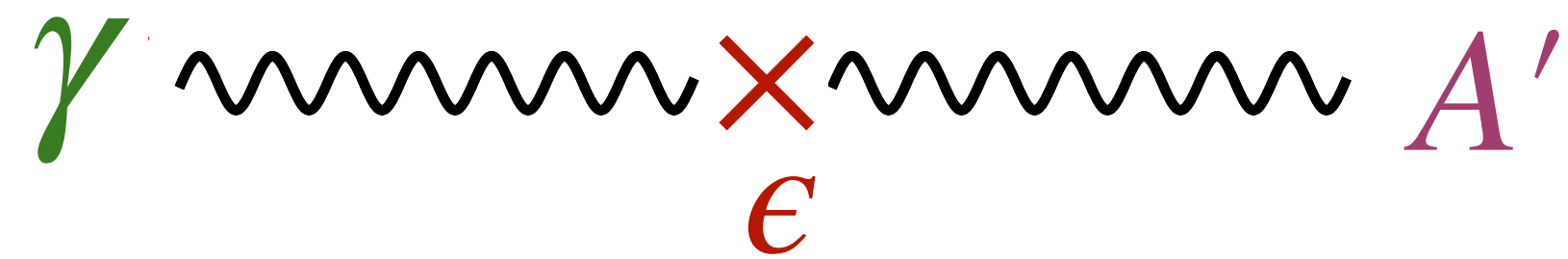
$$y(HL)N$$

- **Vector**
Kinetic mixing portal

$$\epsilon F^{\mu\nu} F'_{\mu\nu}$$

Kinetic mixing portal $U(1)'$

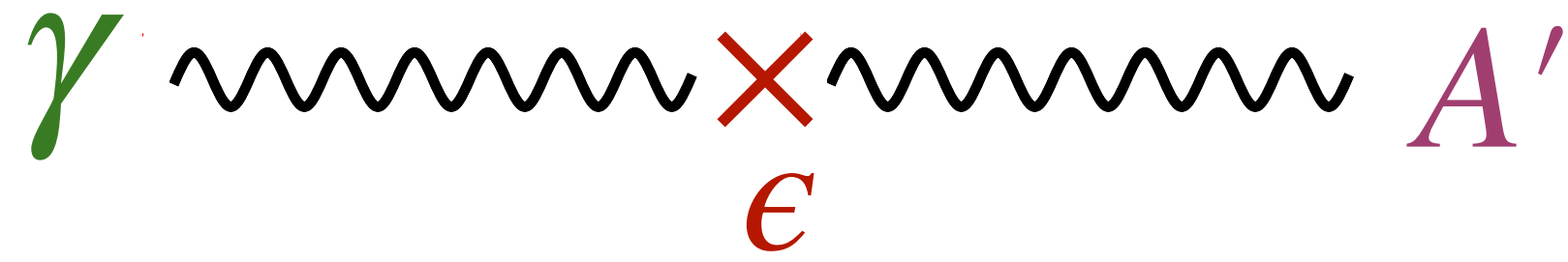
$$\Delta\mathcal{L} = -\frac{\epsilon}{2} F^{\mu\nu} F'_{\mu\nu} + \frac{m_{A'}^2}{2} A'^2$$



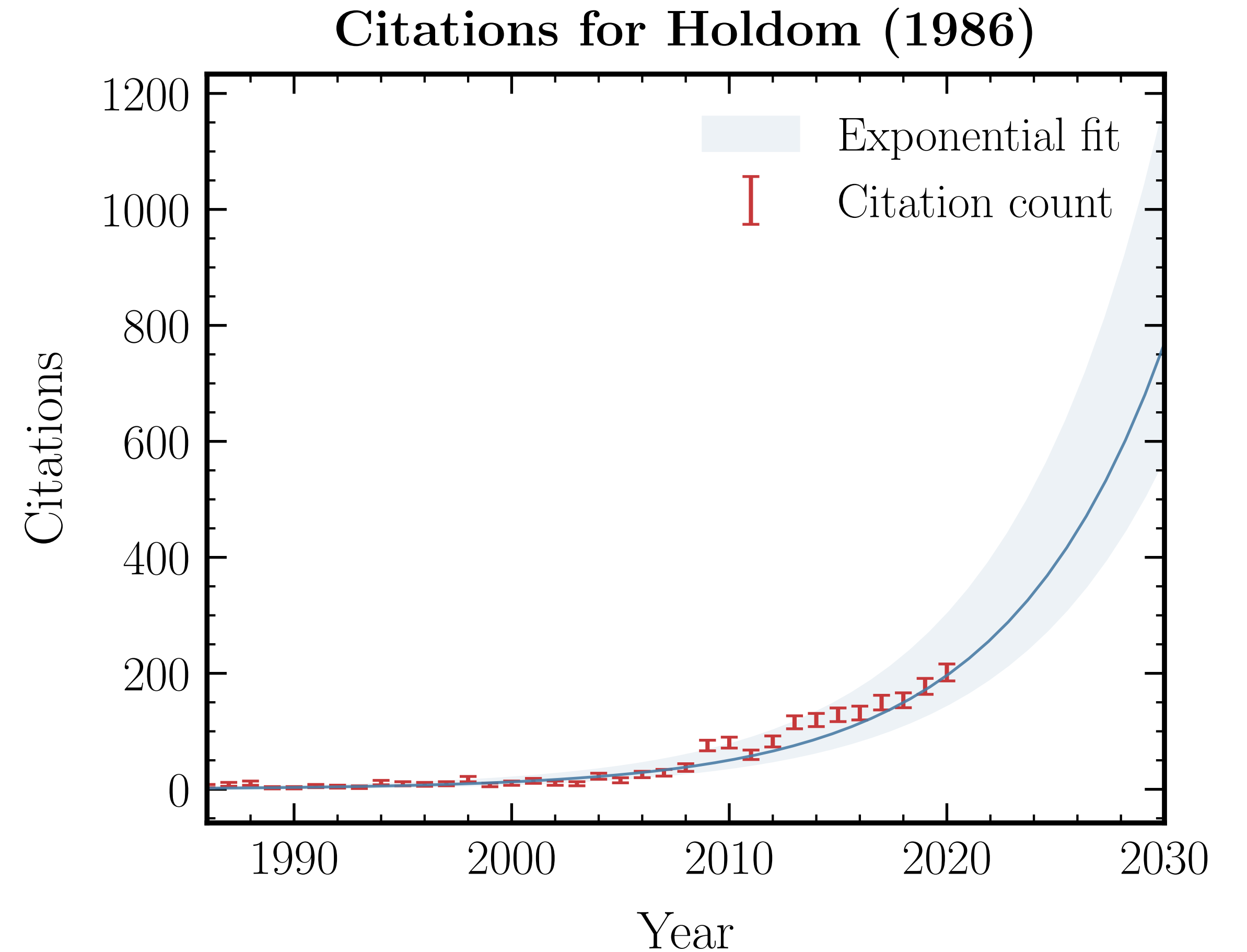
Holdom, PLB (1986)

Kinetic mixing portal $U(1)'$

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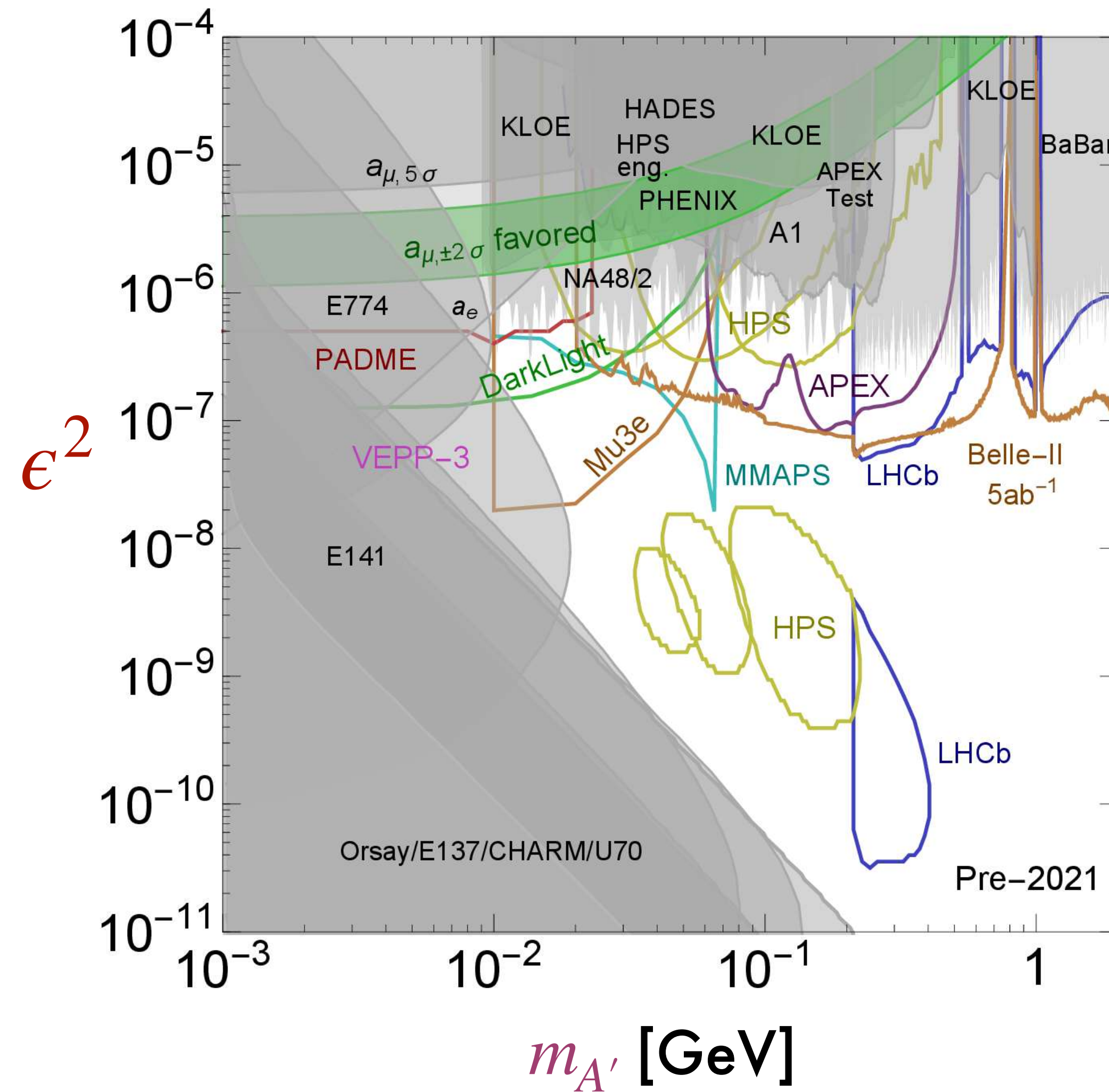


Holdom, PLB (1986)



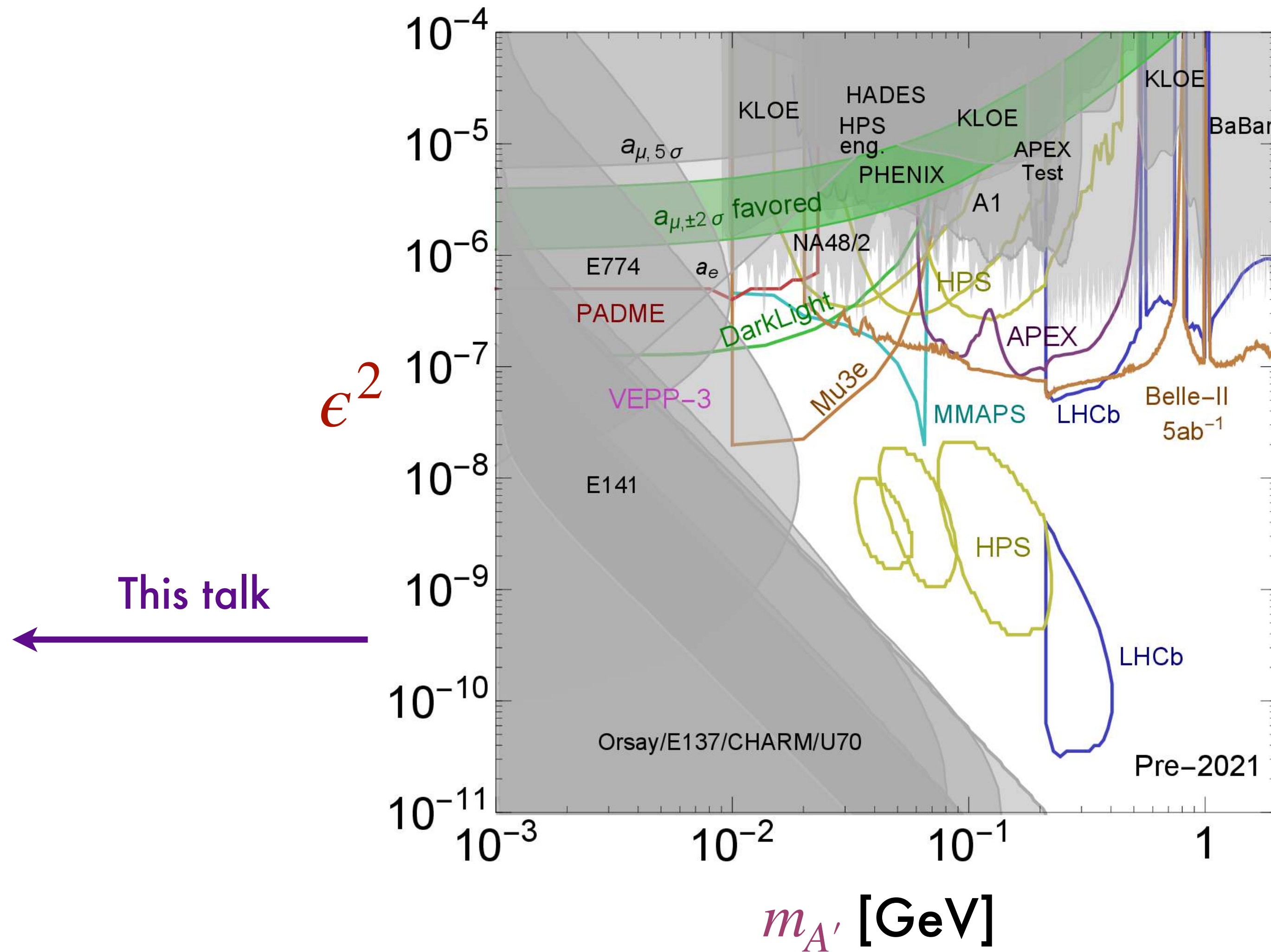
$\epsilon - m_{A'}$ plane

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$\epsilon - m_{A'}$ plane

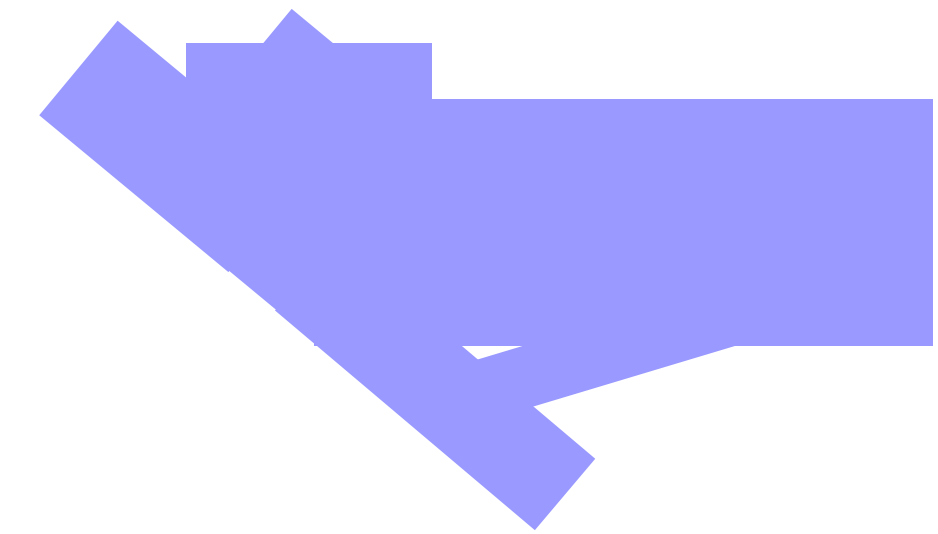
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$\epsilon - m_{A'}$ plane: “ultralight” dark photons

$$\Delta\mathcal{L} = -\frac{\epsilon}{2} F^{\mu\nu} F'_{\mu\nu} + \frac{m_{A'}^2}{2} A'^2$$

$\log_{10} \epsilon$

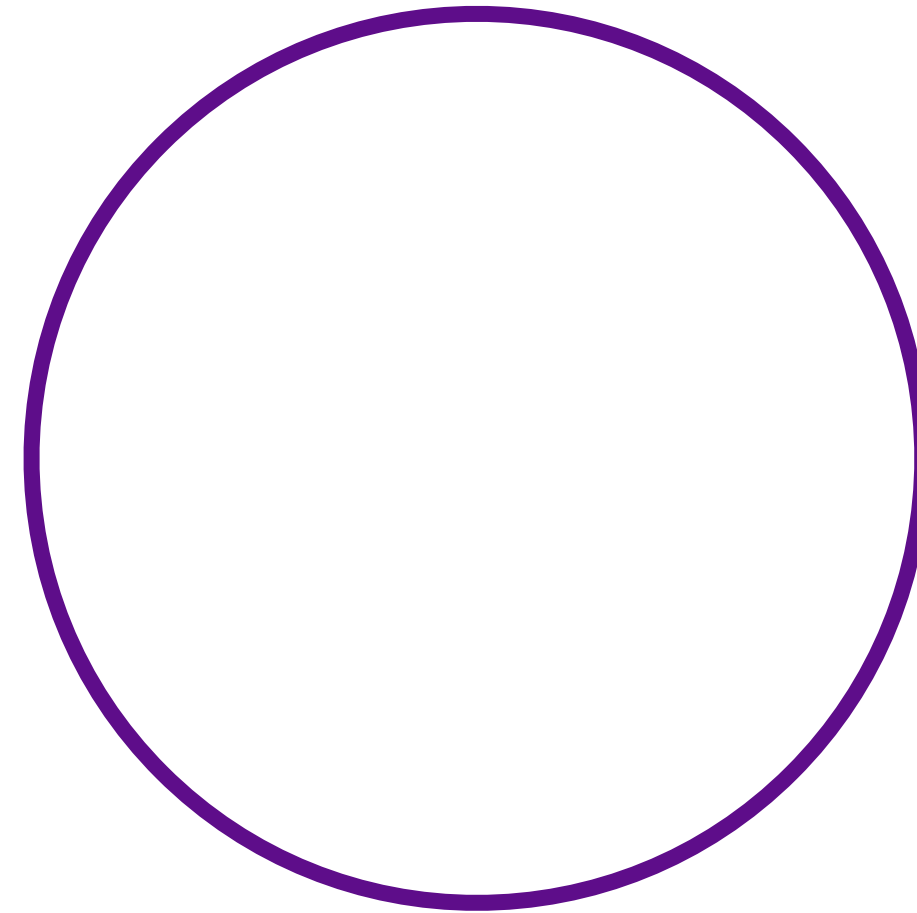
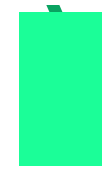


$\log_{10} m_{A'} [\text{eV}]$

$\epsilon - m_{A'}$ plane: "ultralight" dark photons

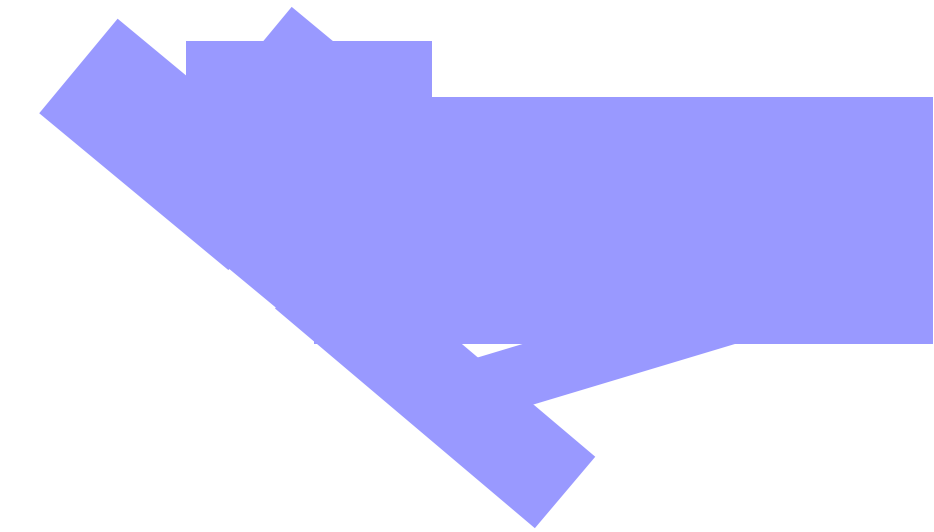
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Spectral distortions
of CMB due to $\gamma \rightarrow A'$

Mirizzi, Redondo, Sigl [0901.0014]



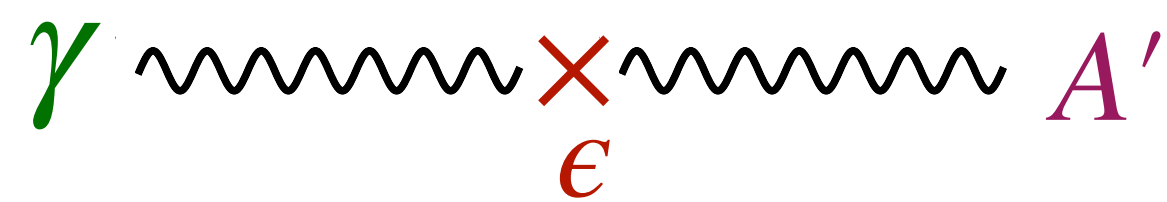
$\log_{10} m_{A'} [\text{eV}]$

Dark Sectors [1311.0029]

Vacuum and resonant (in-medium) oscillations

Oscillations in vacuum

$$\omega^2 = k^2$$



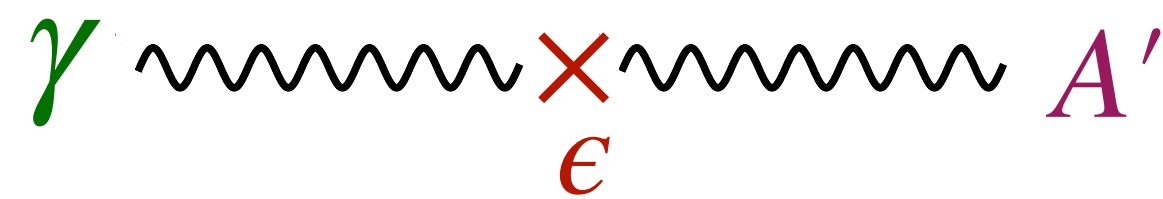
$$m_\gamma(z) = 0$$

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Vacuum and resonant (in-medium) oscillations

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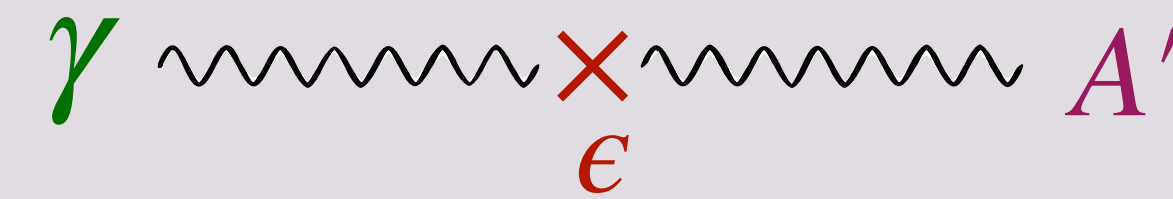


$$m_\gamma(z) = 0$$

$$P_{\gamma \rightarrow A'} \sim \epsilon^2$$

Oscillations in medium (plasma)

$$\omega^2 \approx k^2 + m_\gamma^2$$



$$m_\gamma \approx m_{A'}$$

$$m_\gamma^2(z) \approx \frac{4\pi\alpha n_e(z)}{m_e}$$

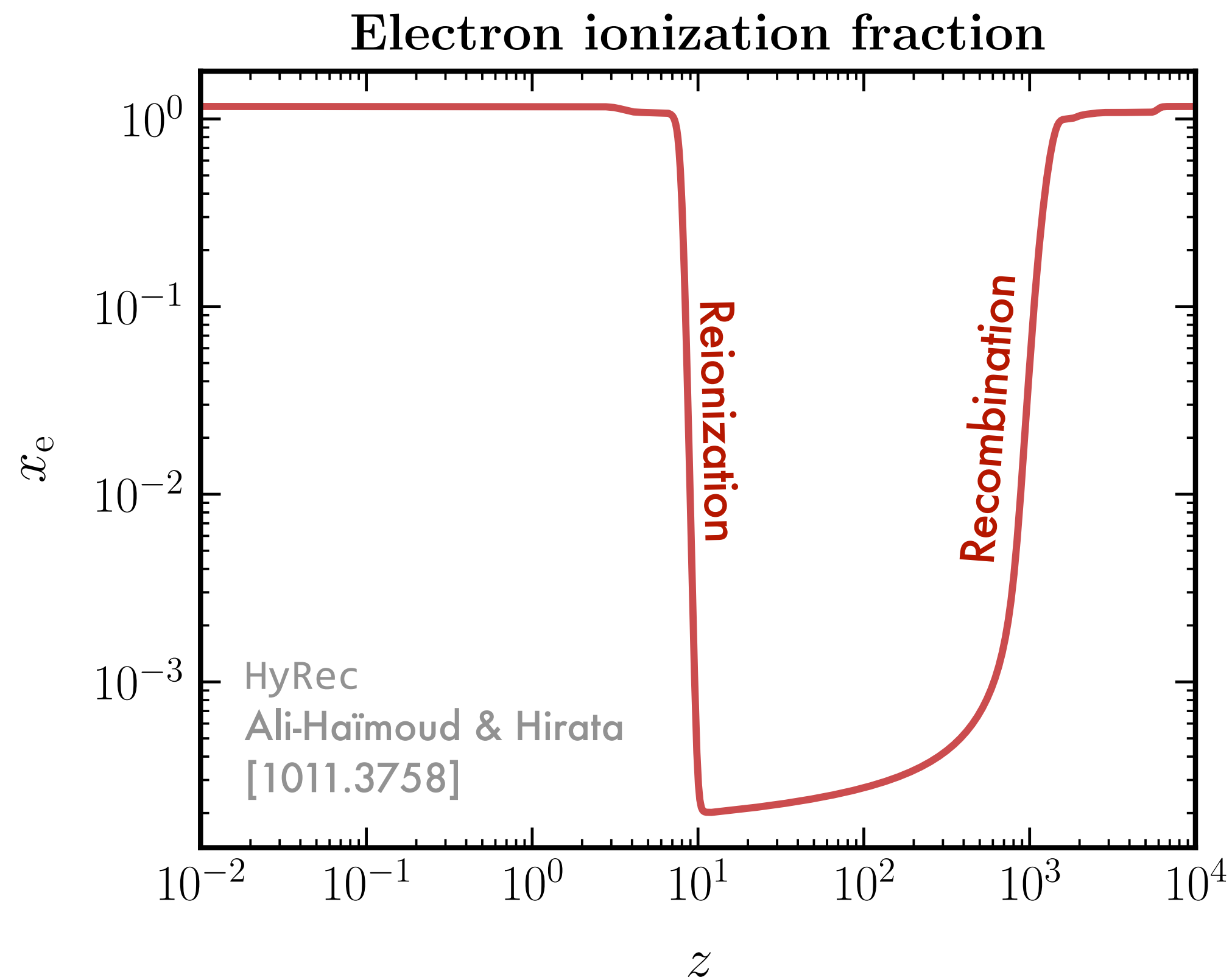
$$P_{\gamma \rightarrow A'} \gg \epsilon^2$$

Cosmological plasma mass

$$m_\gamma^2(z) \approx \frac{4\pi\alpha n_e(z)}{m_e} \approx \frac{4\pi\alpha}{m_e} x_e(z) n_H(z)$$

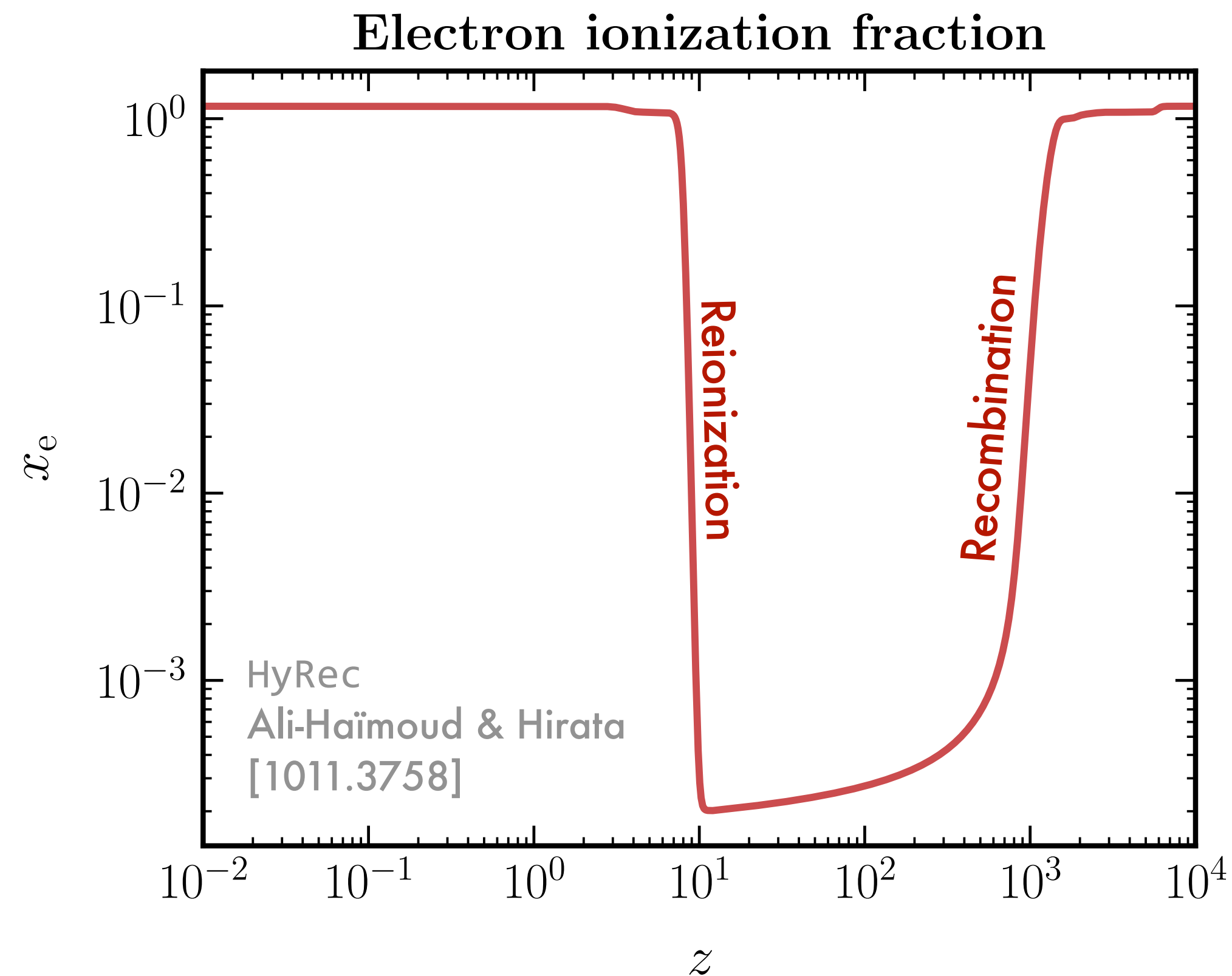
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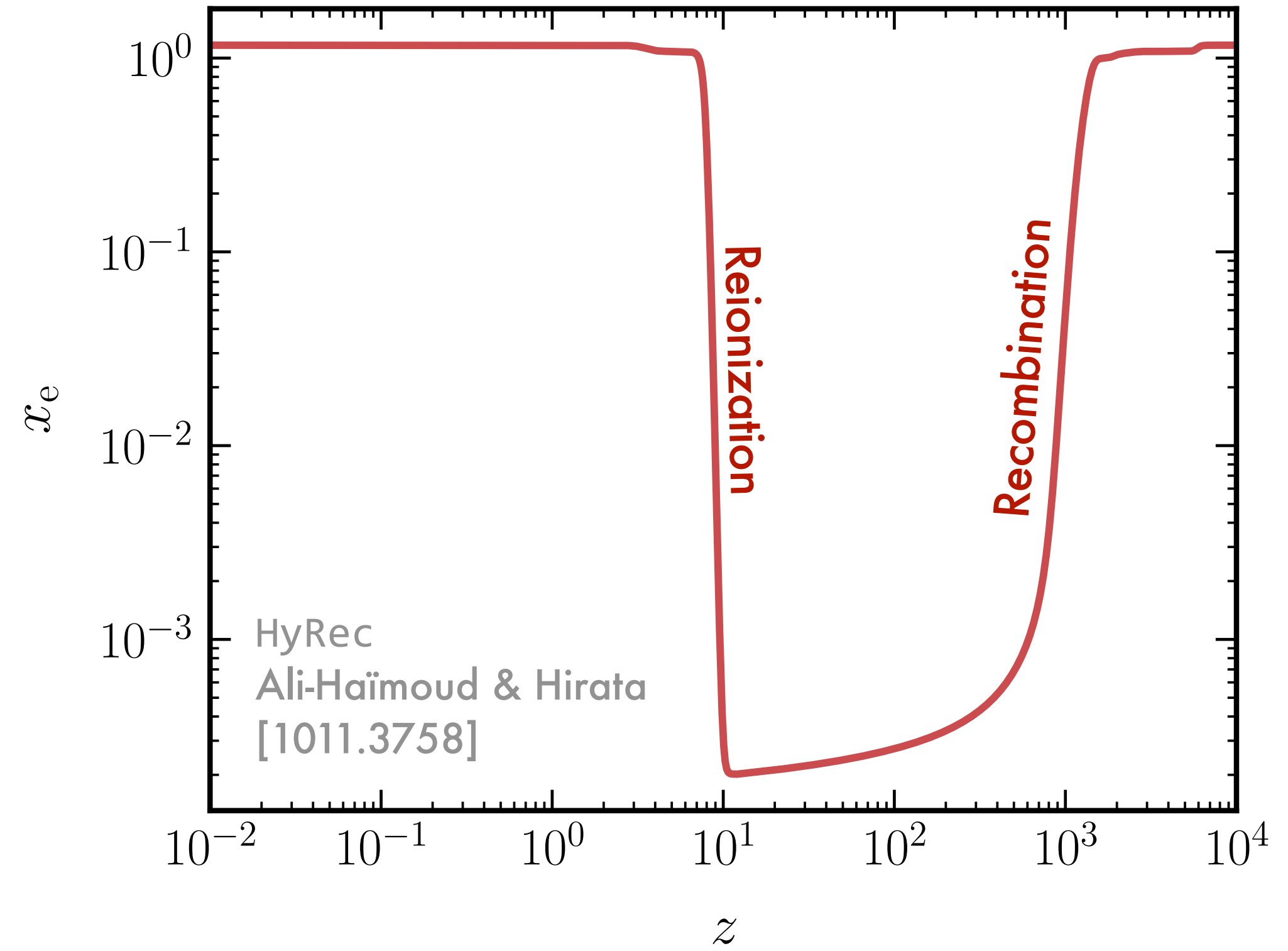


Cosmological plasma mass

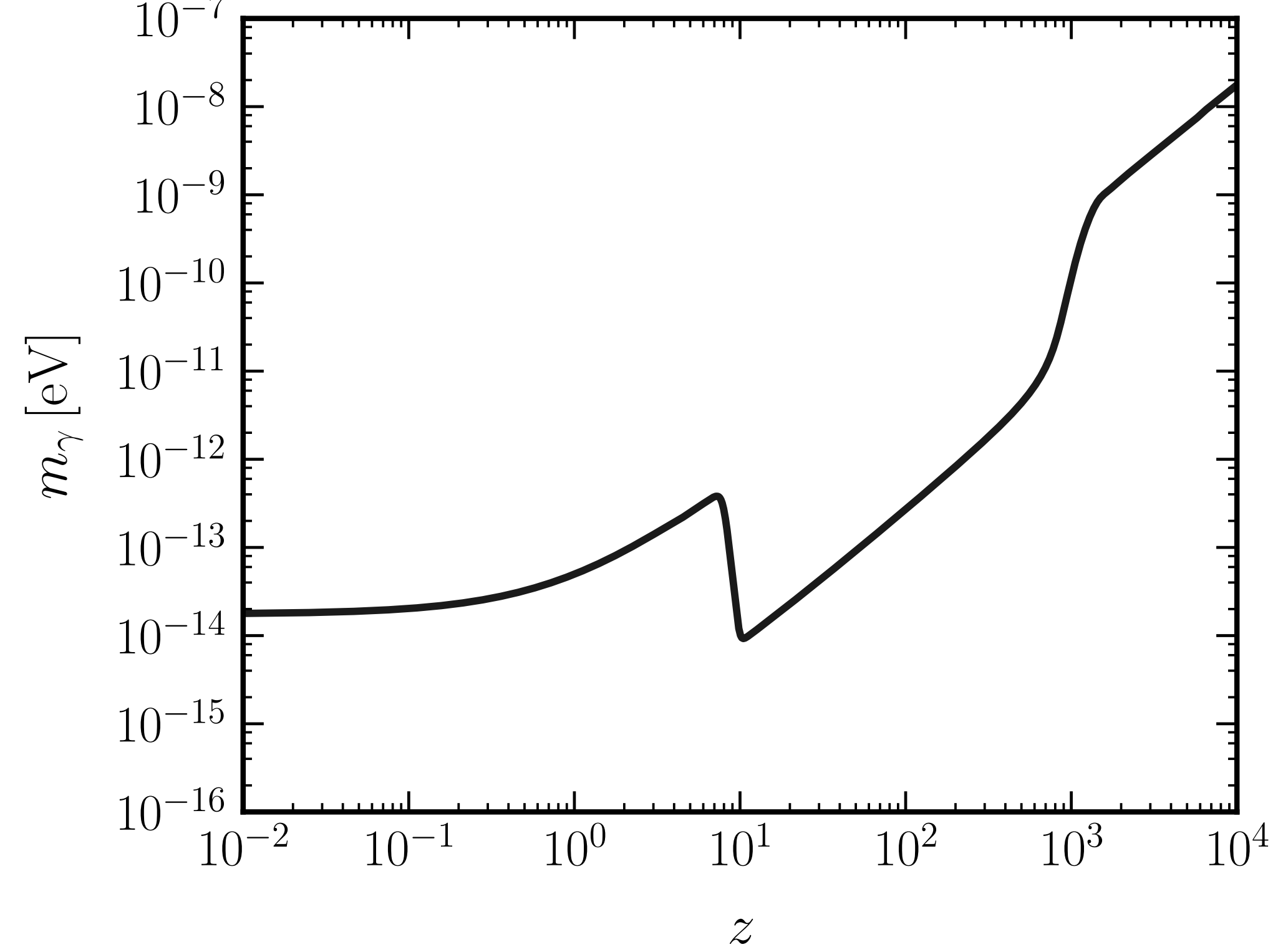
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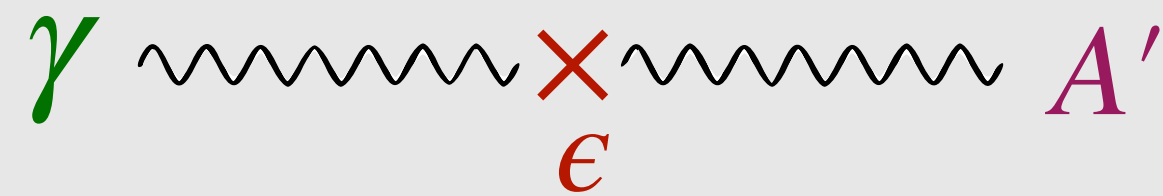
Electron ionization fraction



Plasma mass



Resonant oscillations in plasma: Landau-Zener formalism



$$m_\gamma \approx m_{A'}$$

$$m_\gamma^2(z) \approx \frac{4\pi\alpha n_e(z)}{m_e}$$

Resonant oscillations in plasma: Landau-Zener formalism

γ \times A'
 ϵ

$m_\gamma \approx m_{A'}$ $m_\gamma^2(z) \approx \frac{4\pi\alpha n_e(z)}{m_e}$

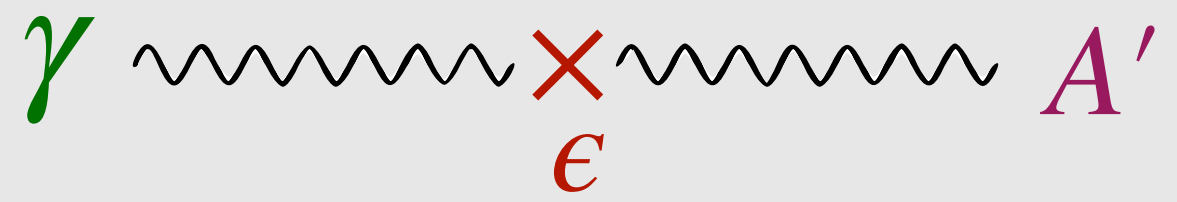
Conversion probability

$$P_{\gamma \rightarrow A'} \simeq \frac{\pi \epsilon^2 m_{A'}^2}{\omega(z_{\text{res}})} \left| \frac{d \ln m_\gamma^2(t)}{dt} \right|_{z=z_{\text{res}}}^{-1}$$

$$\omega(z_{\text{res}}) = \omega_{\text{obs}}(1 + z_{\text{res}})$$

\Rightarrow Later resonances typically dominate

Resonant oscillations in plasma: Landau-Zener formalism



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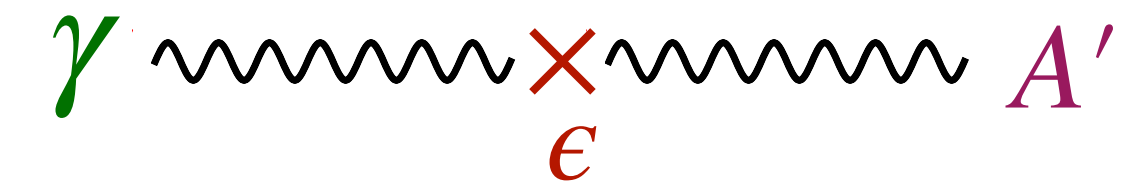
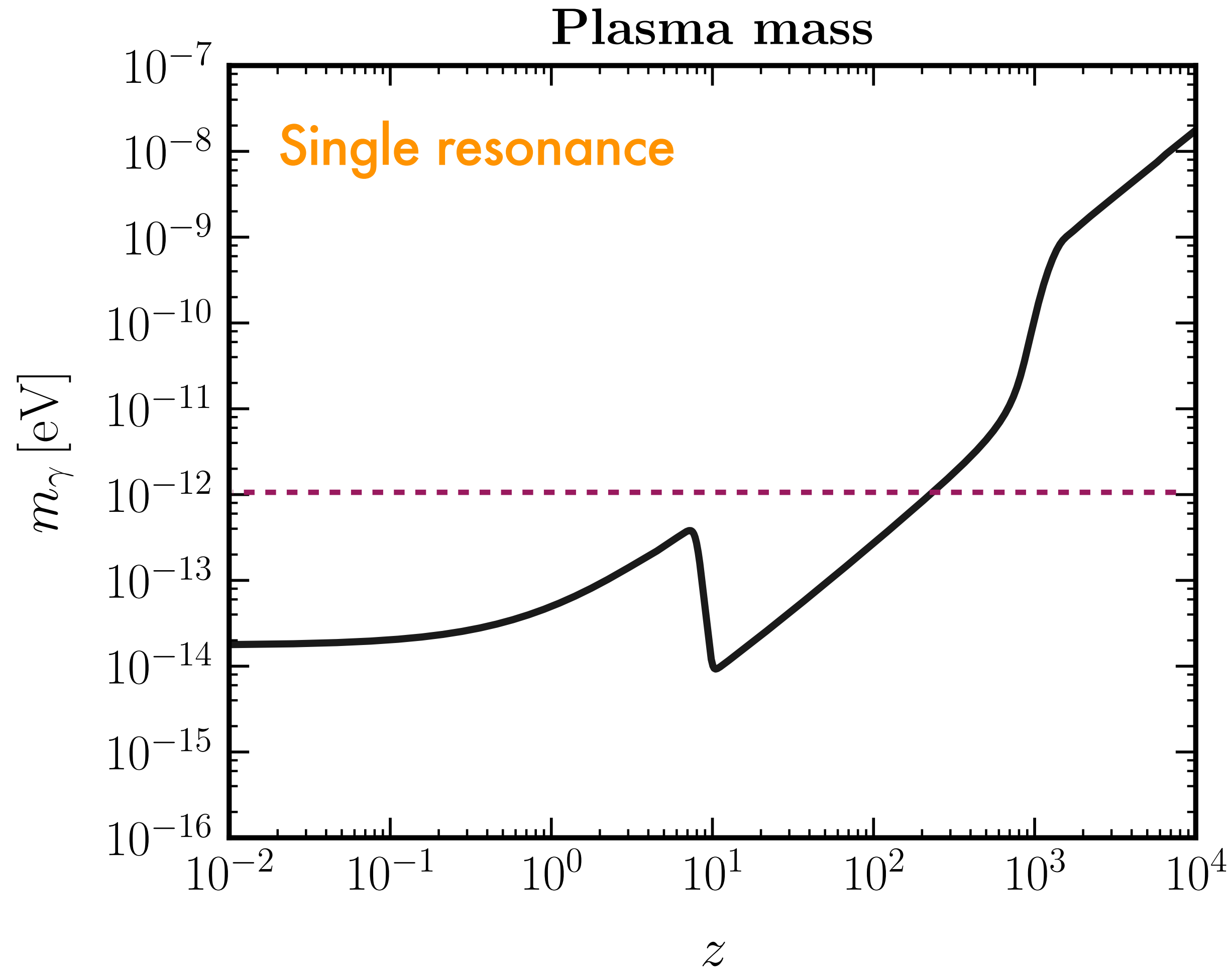
Similar formalism for neutrino oscillations (MSW effect)

Nonadiabatic Level Crossing in Resonant Neutrino Oscillations

Stephen J. Parke
Fermi National Accelerator Laboratory, Batavia, Illinois 60510
(Received 27 May 1986)

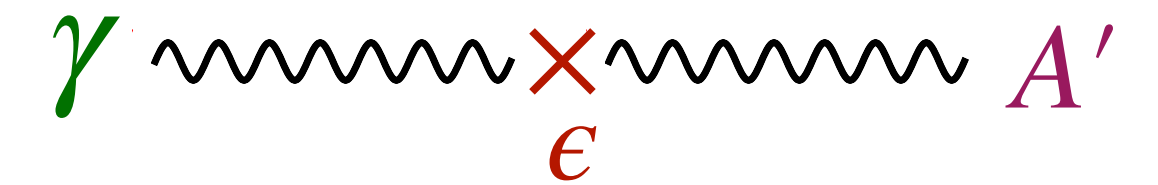
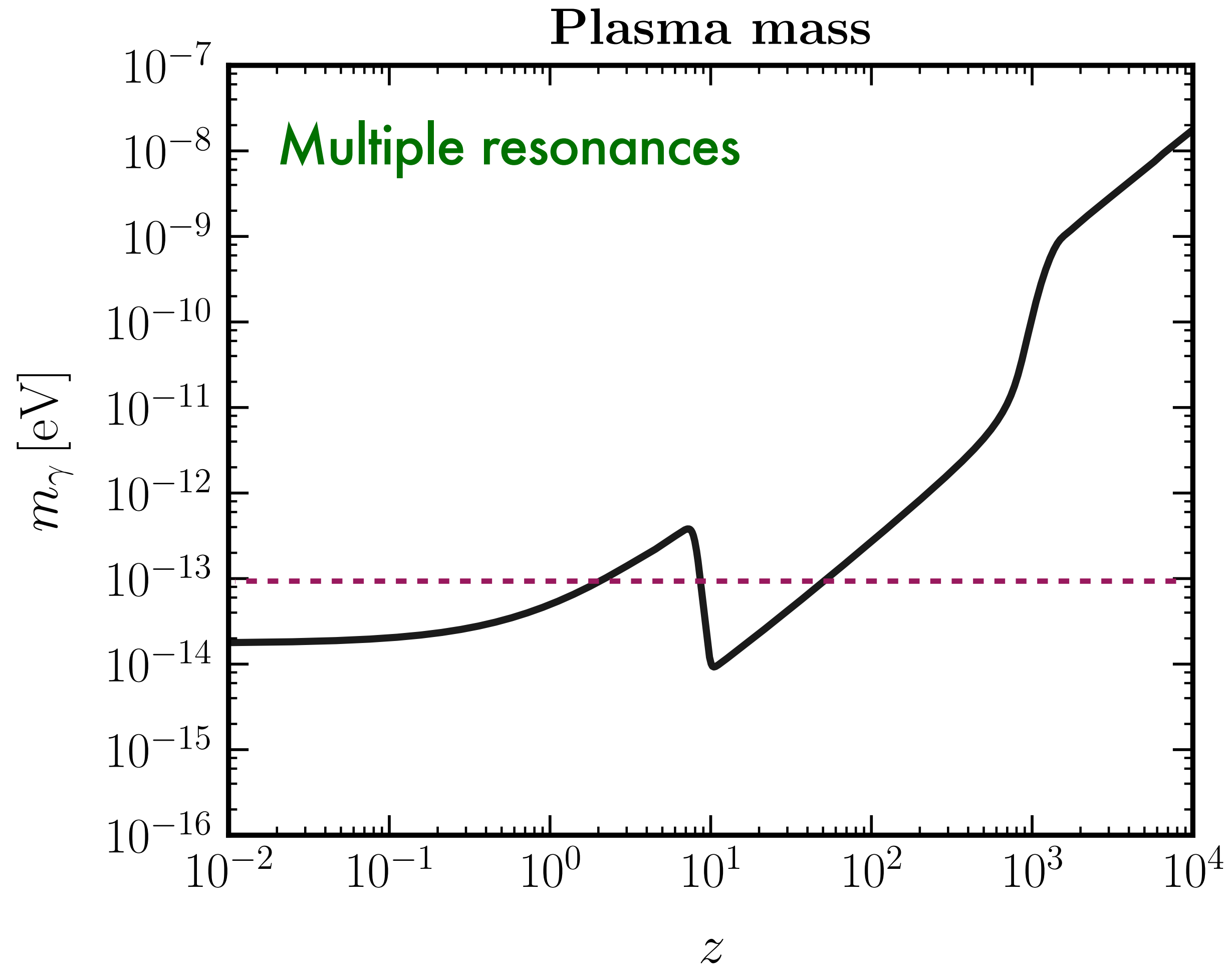
Resonant oscillations in photon plasma

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Resonant oscillations in photon plasma

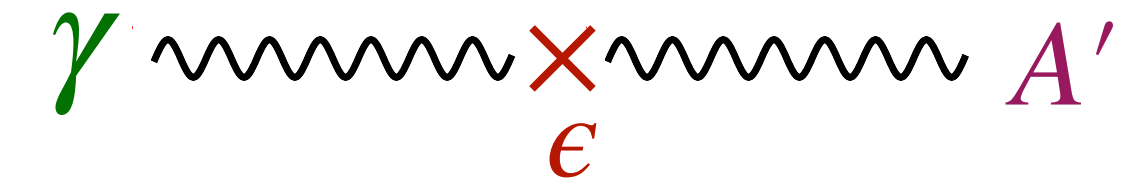
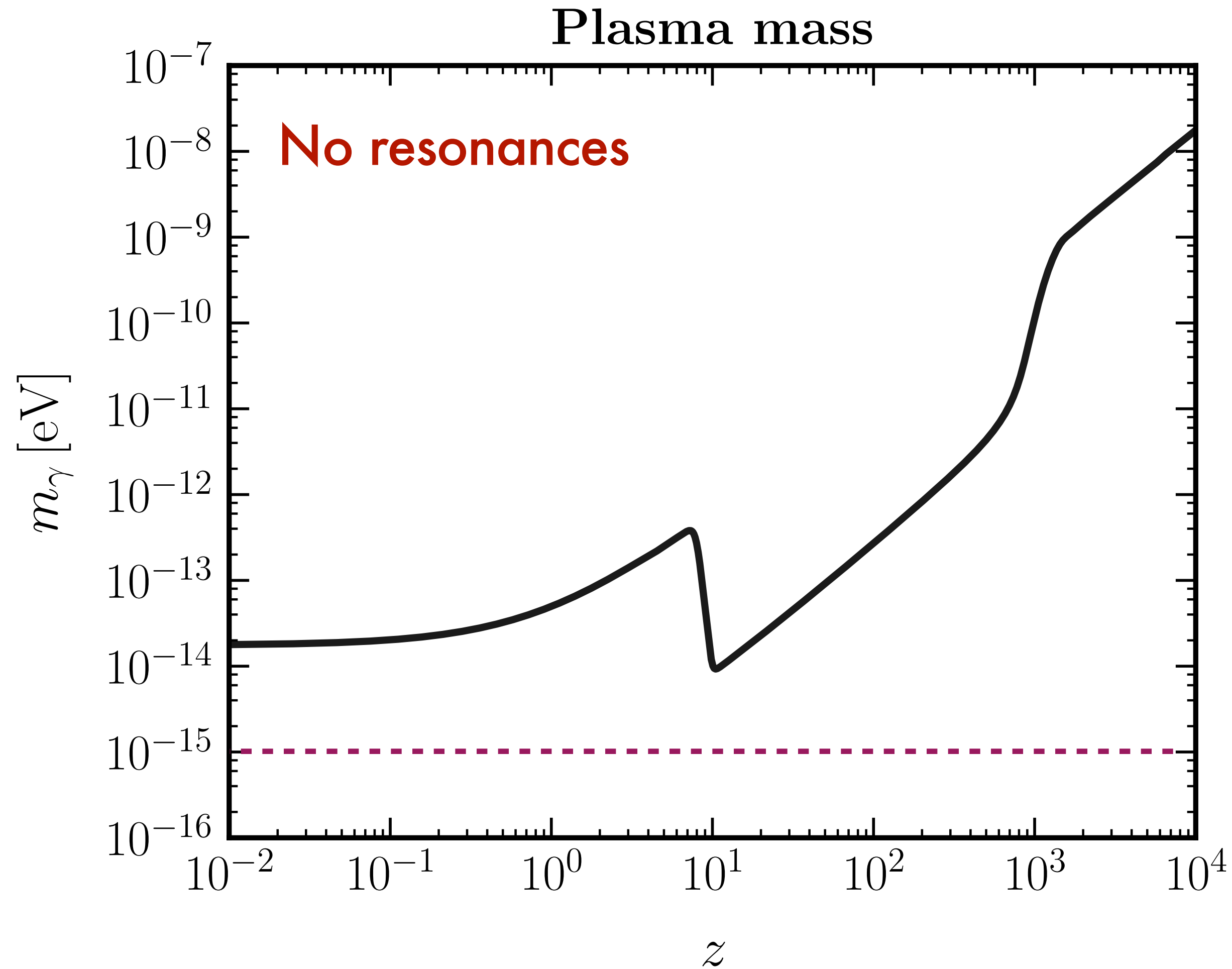
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$$m_{A'} = 10^{-13} \text{ eV}$$

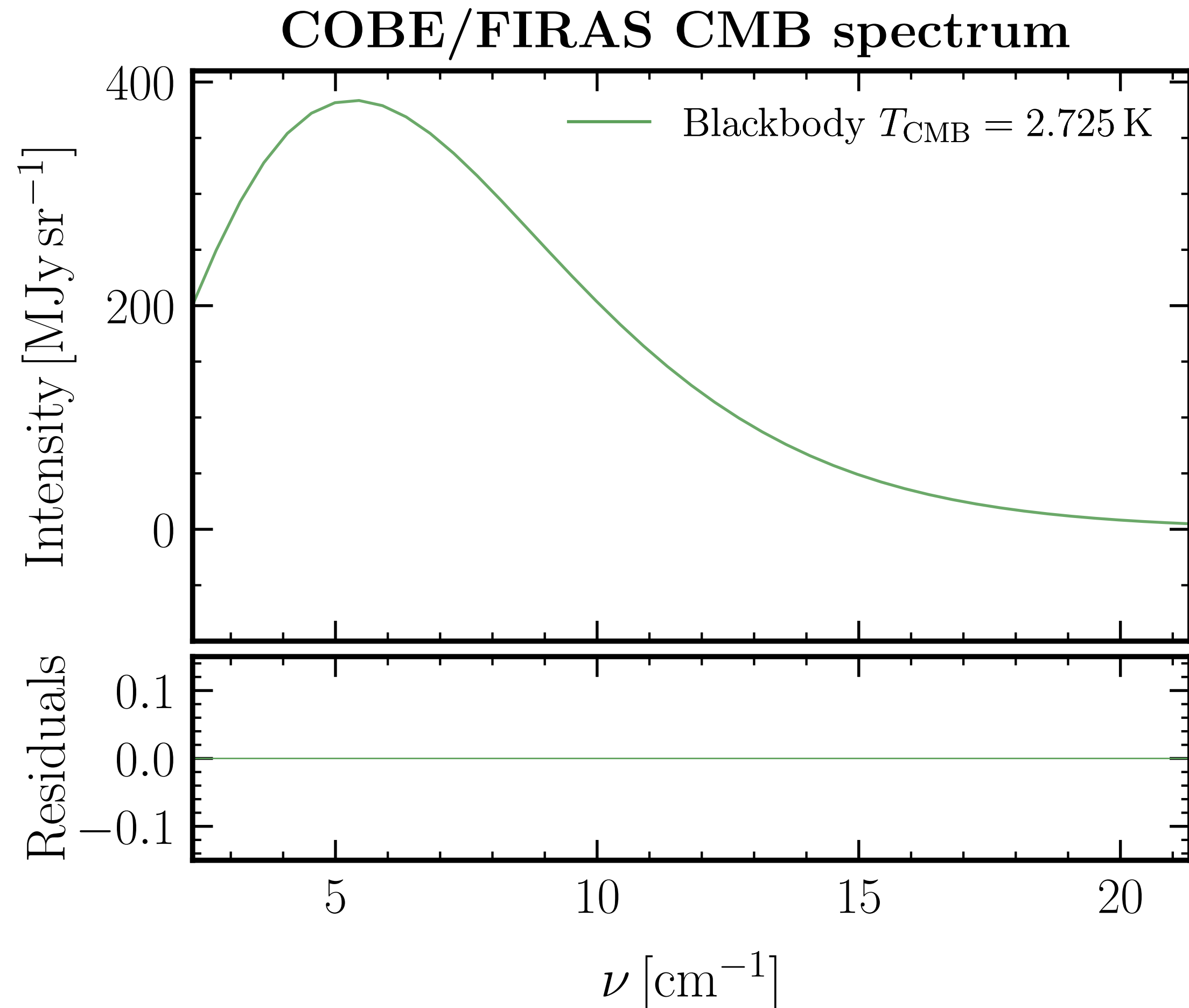
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$$m_{A'} = 10^{-15} \text{ eV}$$

CMB spectral distortions due to $\gamma \rightarrow A'$

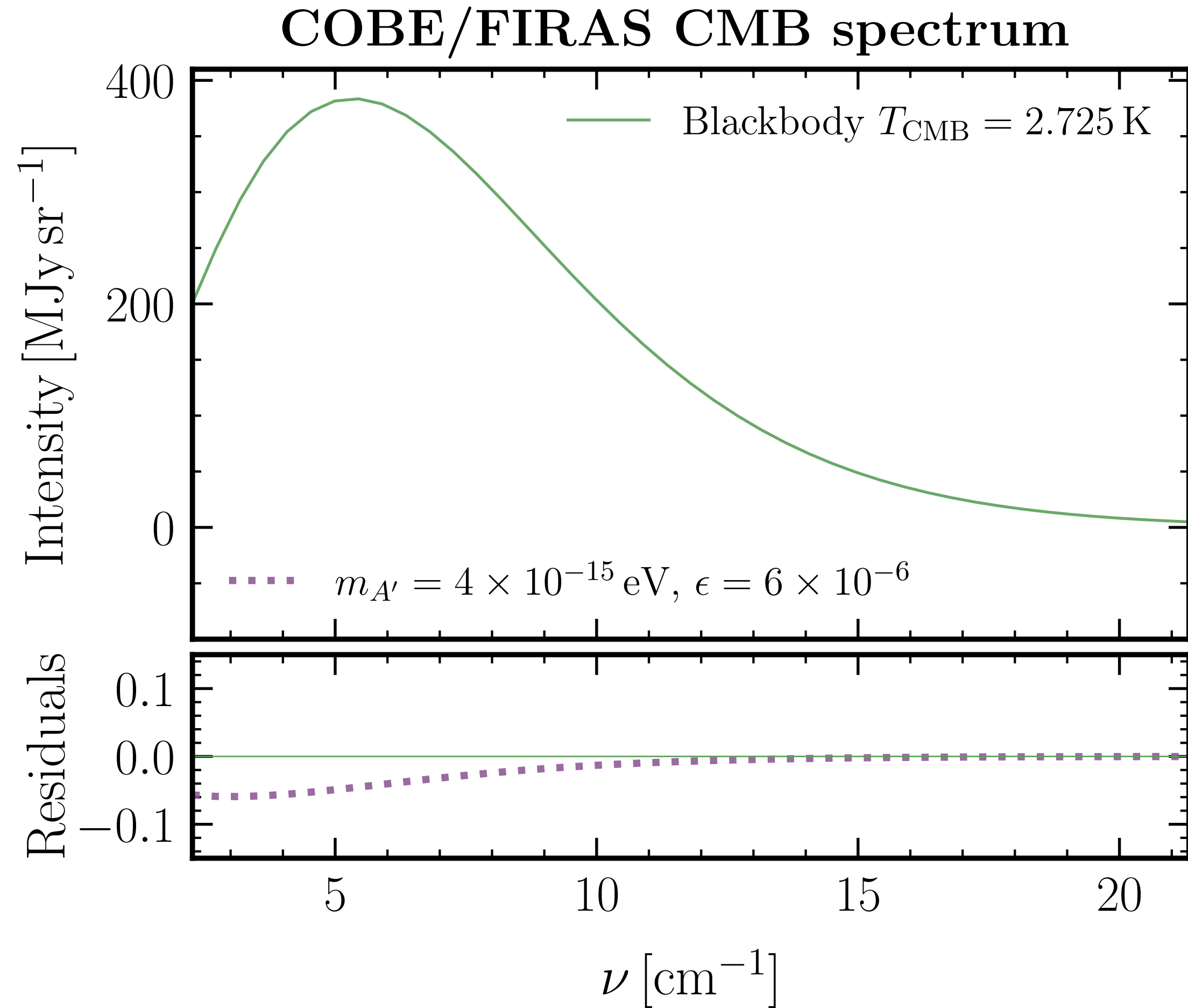


$$I_{\omega} (m_{A'}, \epsilon; T_{\text{CMB}}) = B_{\omega}$$

Blackbody spectrum

$$B_{\omega} = \frac{\omega^3}{2\pi^2} \left[\exp\left(\frac{\omega}{T_{\text{CMB}}}\right) - 1 \right]^{-1}$$

CMB spectral distortions due to $\gamma \rightarrow A'$



$$I_{\omega} (m_{A'}, \epsilon; T_{\text{CMB}}) = B_{\omega} (1 - P_{\gamma \rightarrow A'})$$

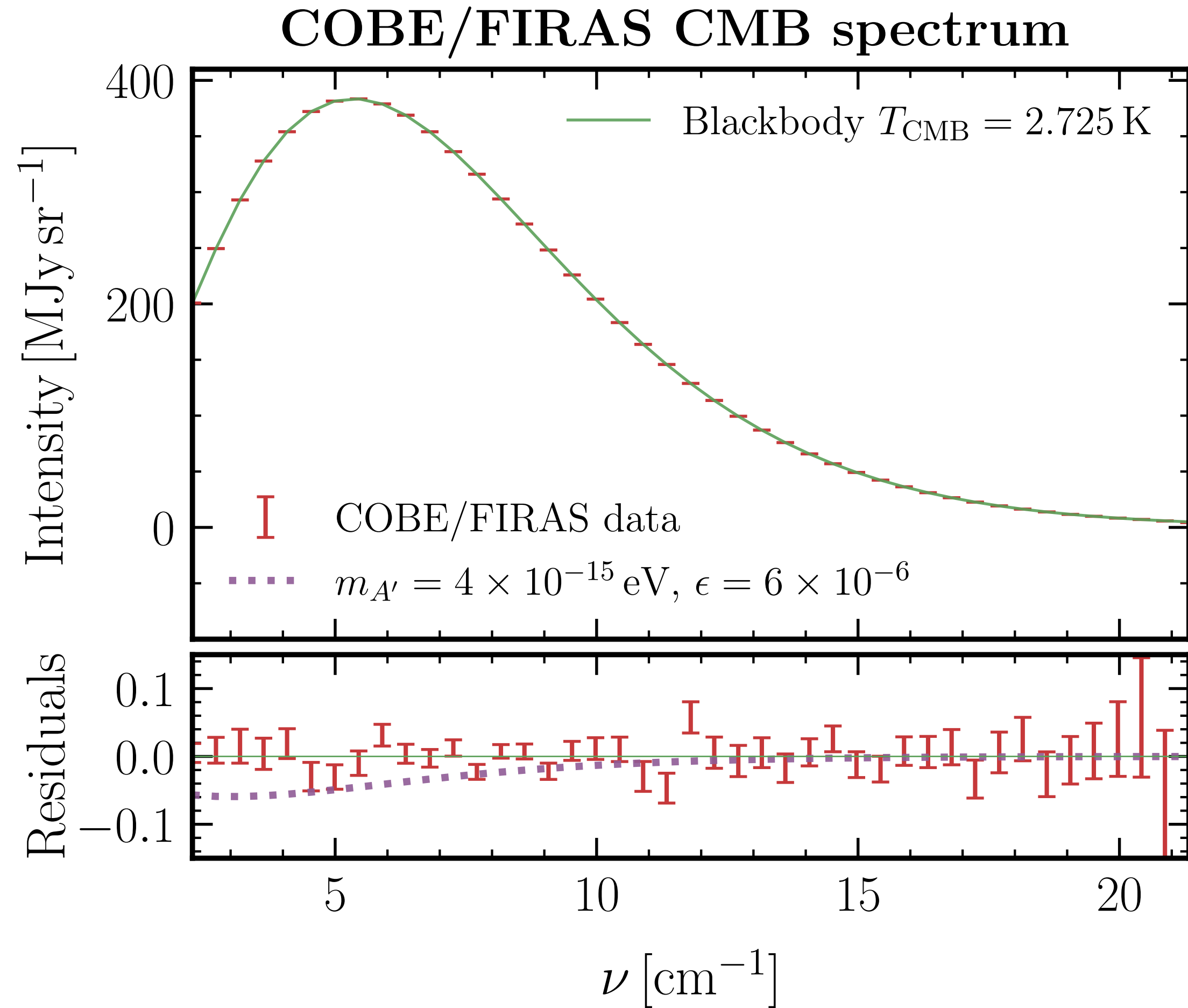
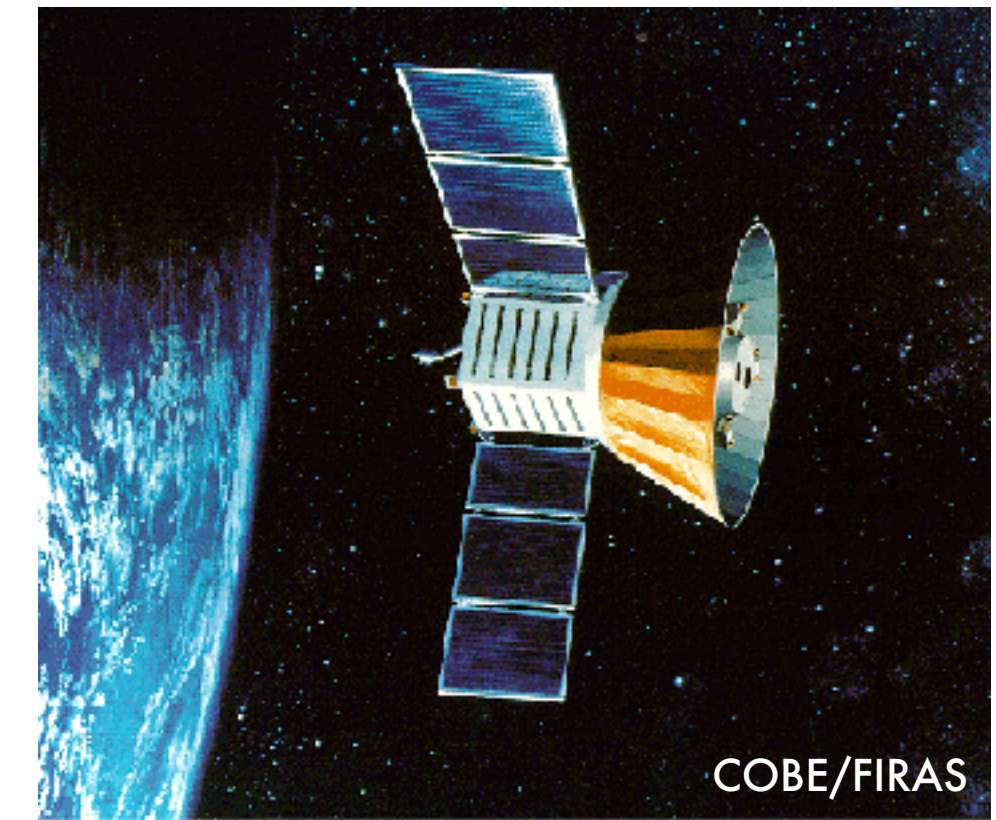
Blackbody spectrum

γ disappearance probability

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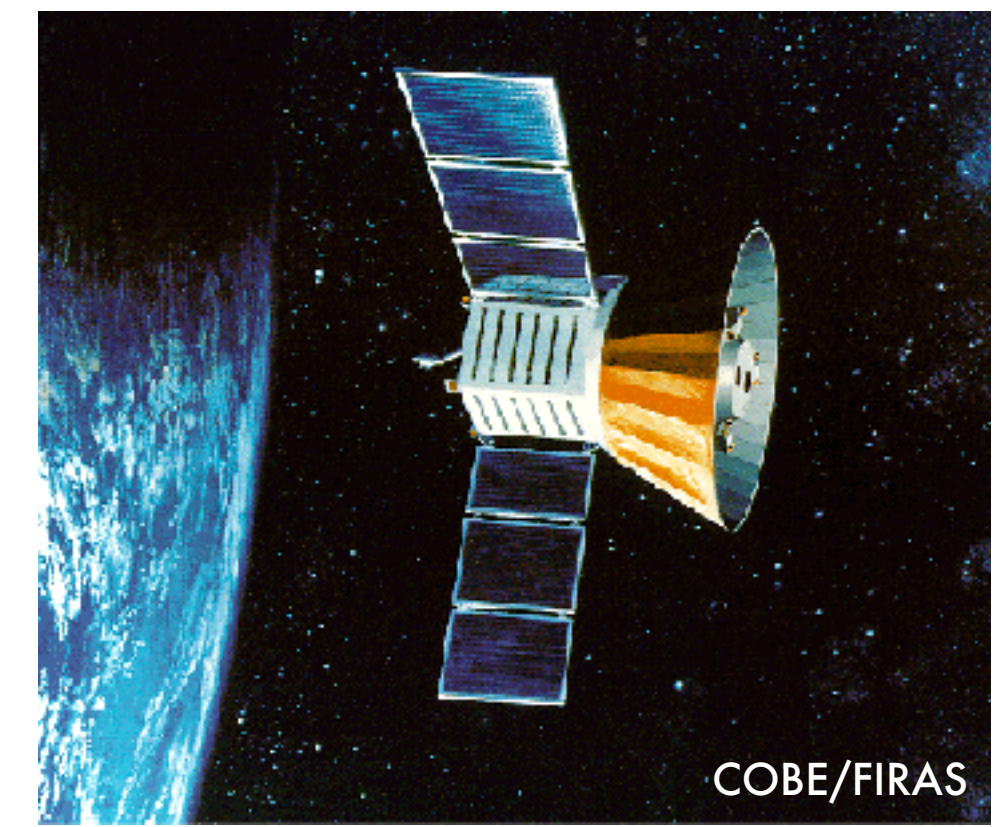
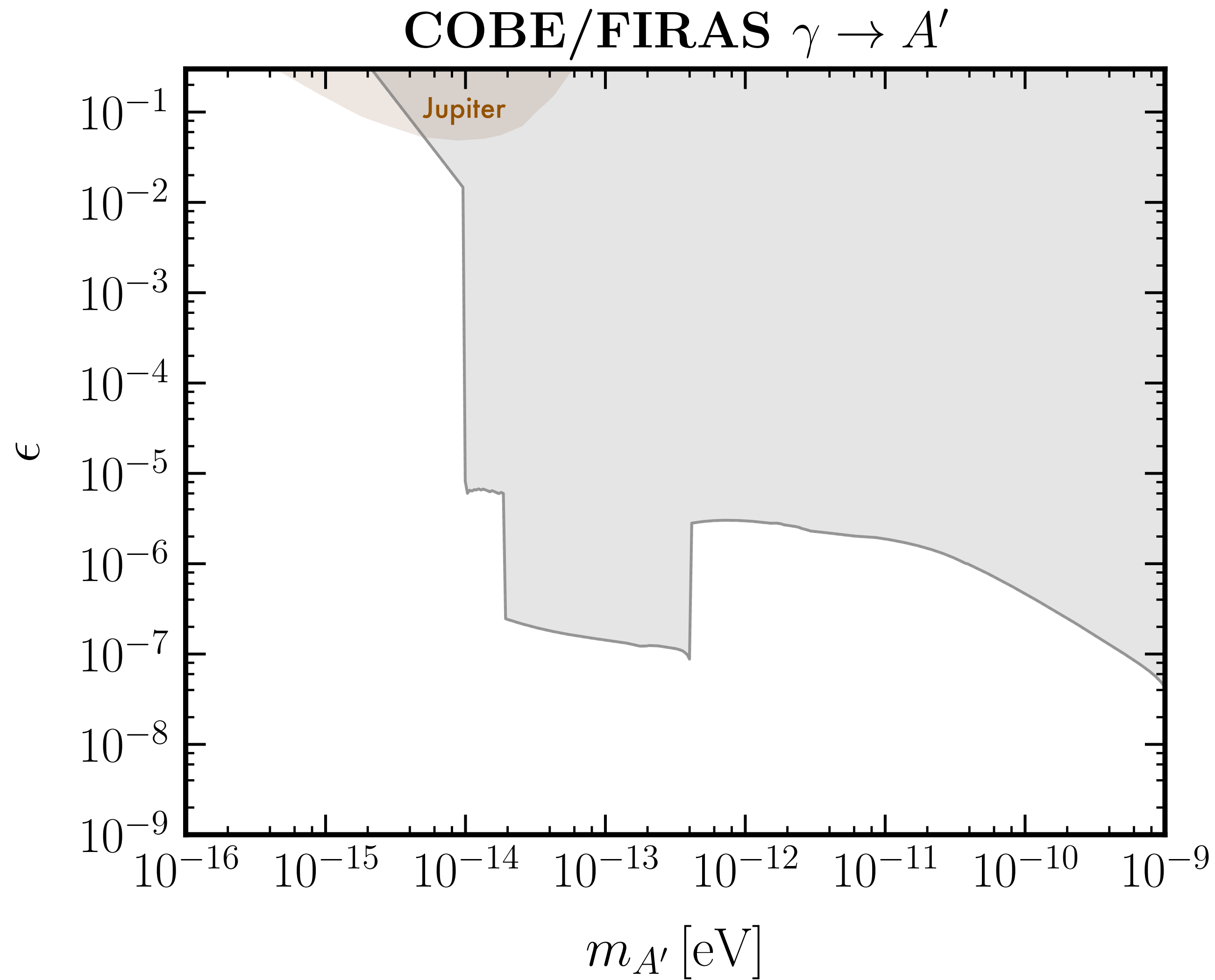
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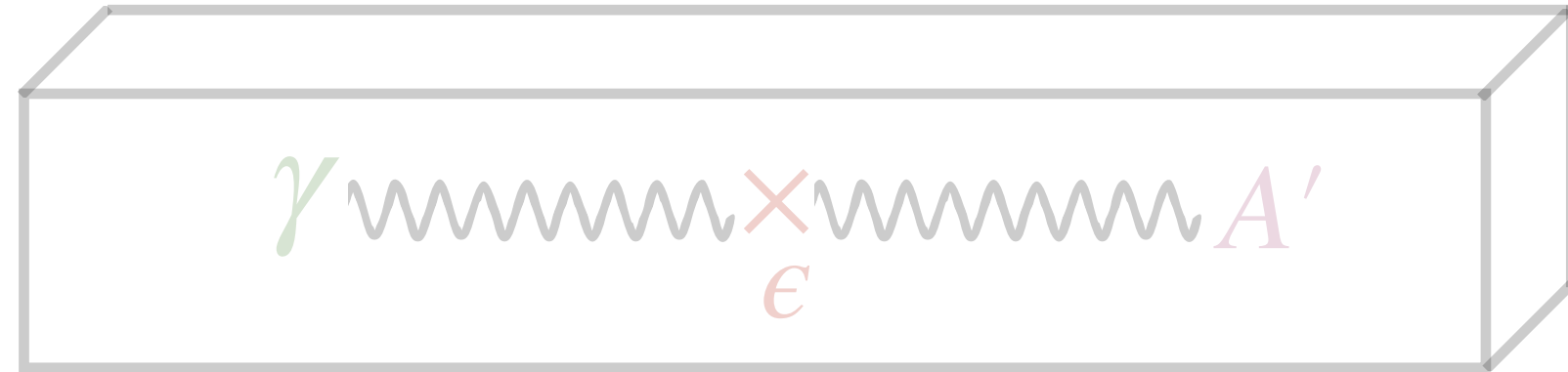
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$\epsilon - m_{A'}$ constraints from COBE/FIRAS

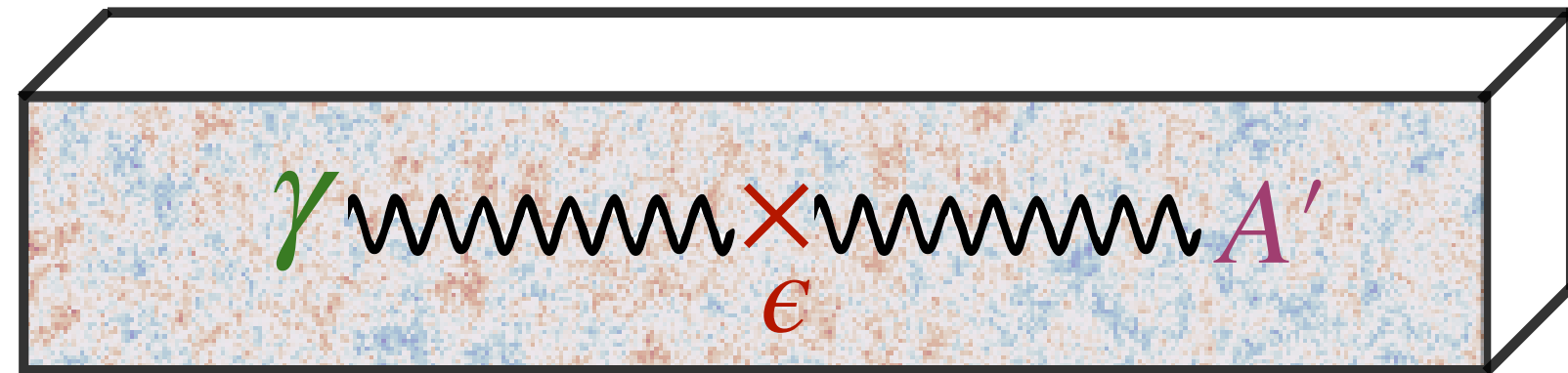


Mirizzi, Redondo, Sigl [0901.0014]

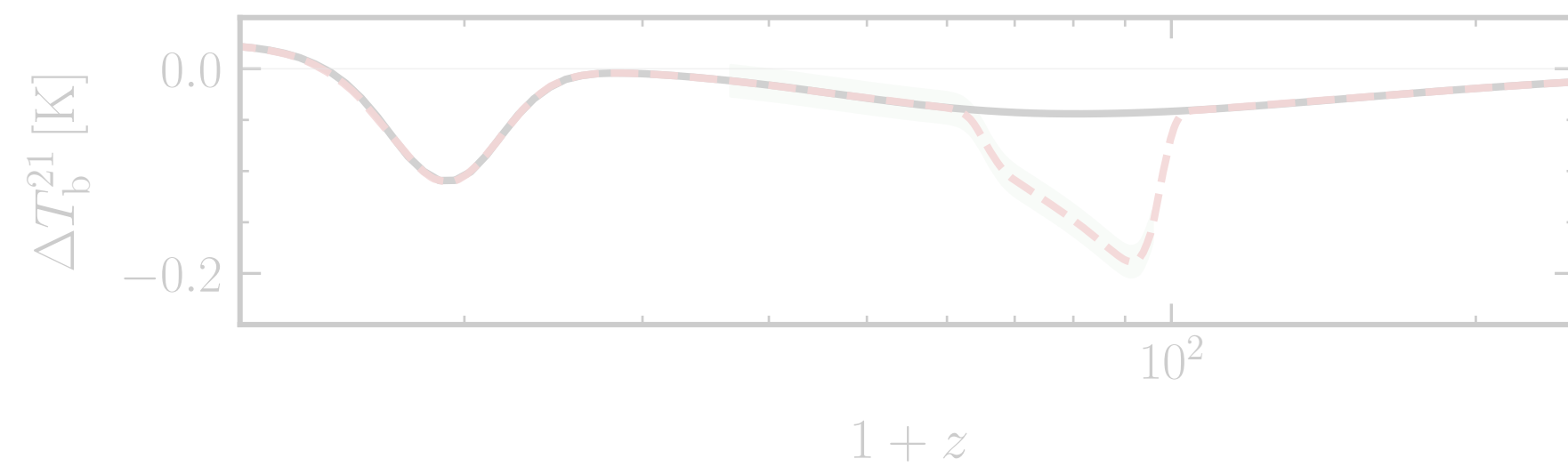
Outline



Dark photons
and resonant conversions



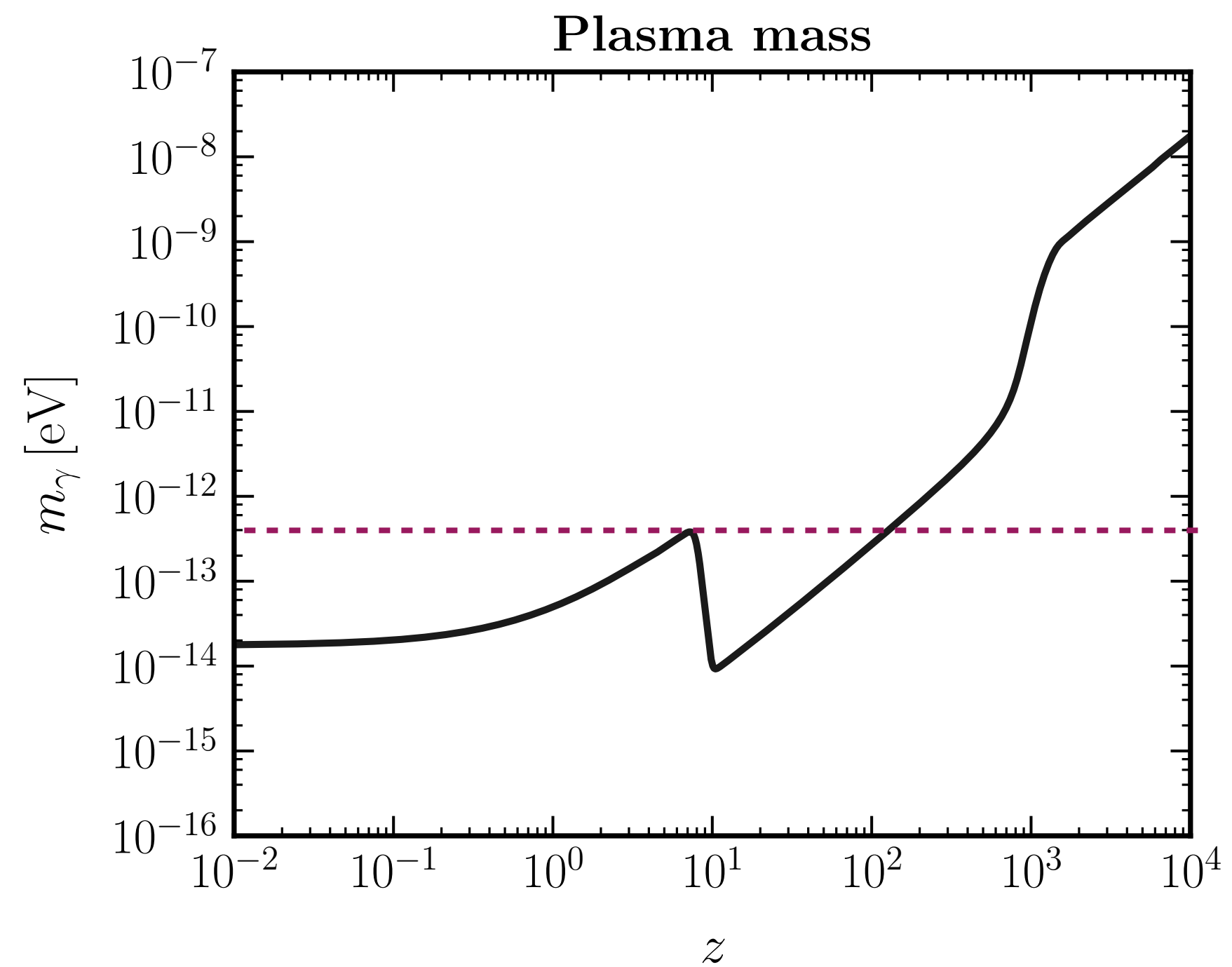
Dark photon oscillations
with inhomogeneities



Dark photon signatures
in 21-cm

The inhomogeneous photon plasma

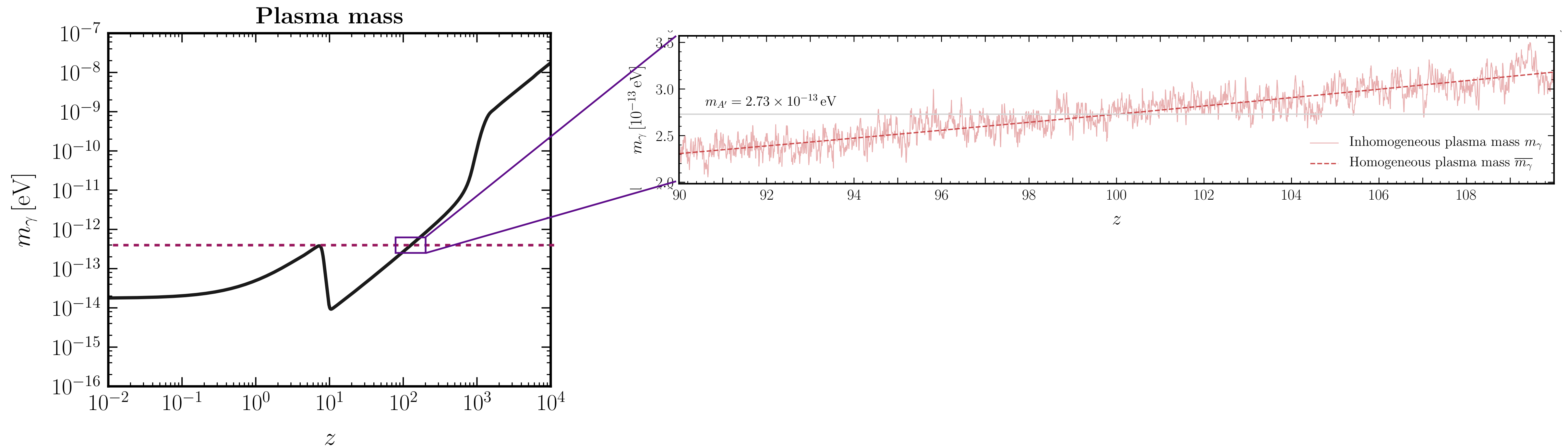
$$m_\gamma^2(z) \approx \frac{4\pi\alpha \overline{n_e(z)}}{m_e}$$



The inhomogeneous photon plasma

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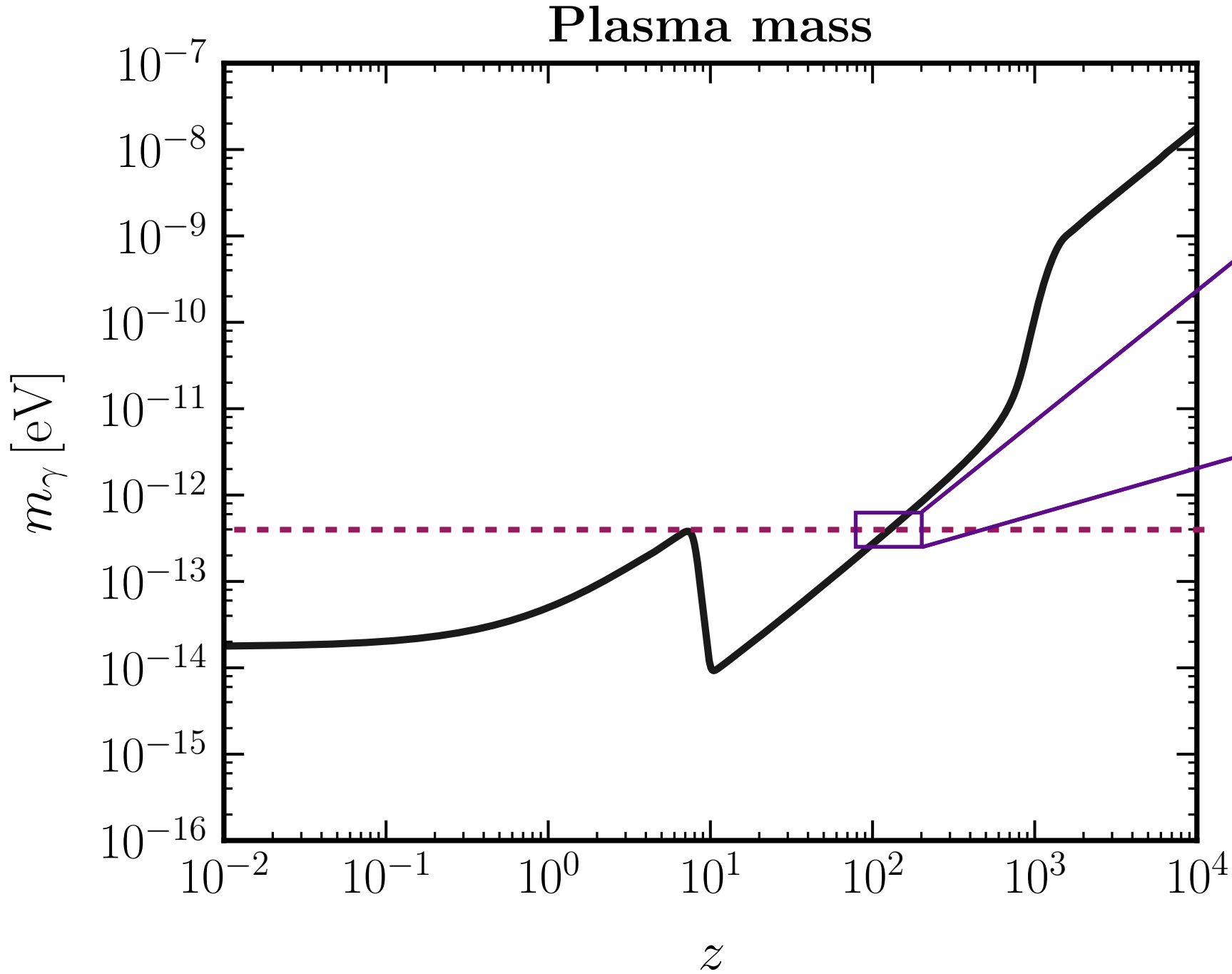
$$m_\gamma^2(\vec{x}, z) = \frac{4\pi\alpha}{m_e} n_e(\vec{x}, z) = \frac{4\pi\alpha \overline{n_e(z)}}{m_e} (1 + \delta_e(\vec{x}, z))$$



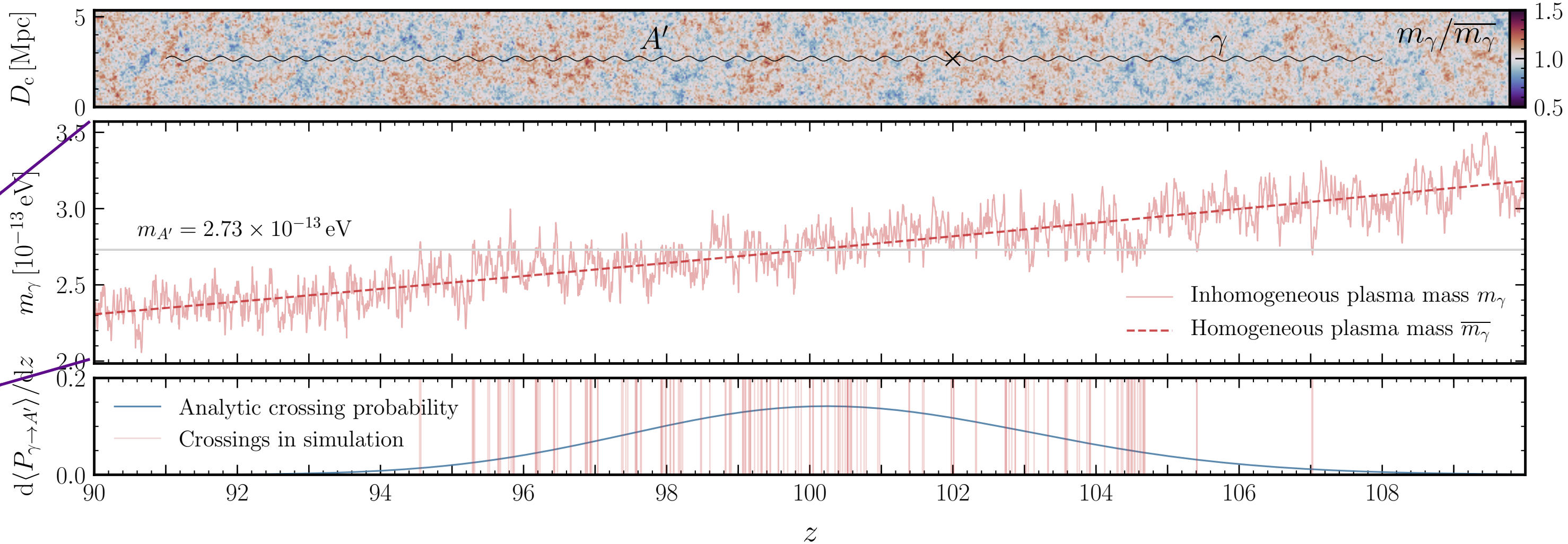
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Perturbations in the photon plasma mass



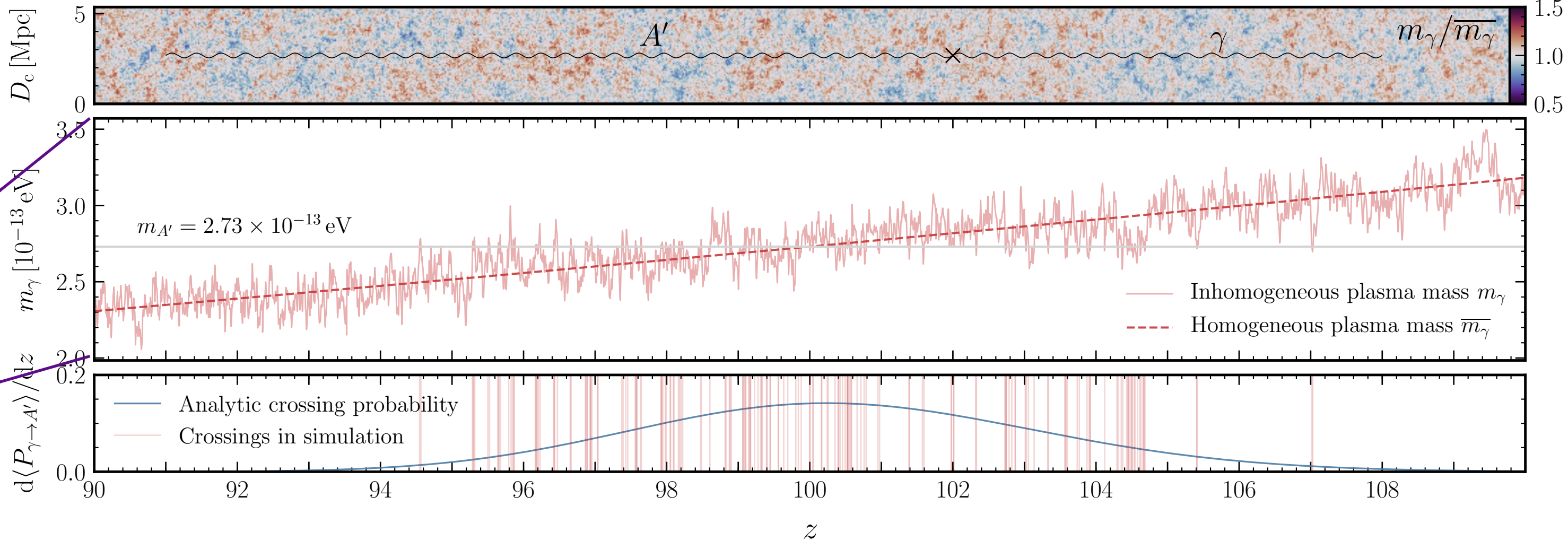
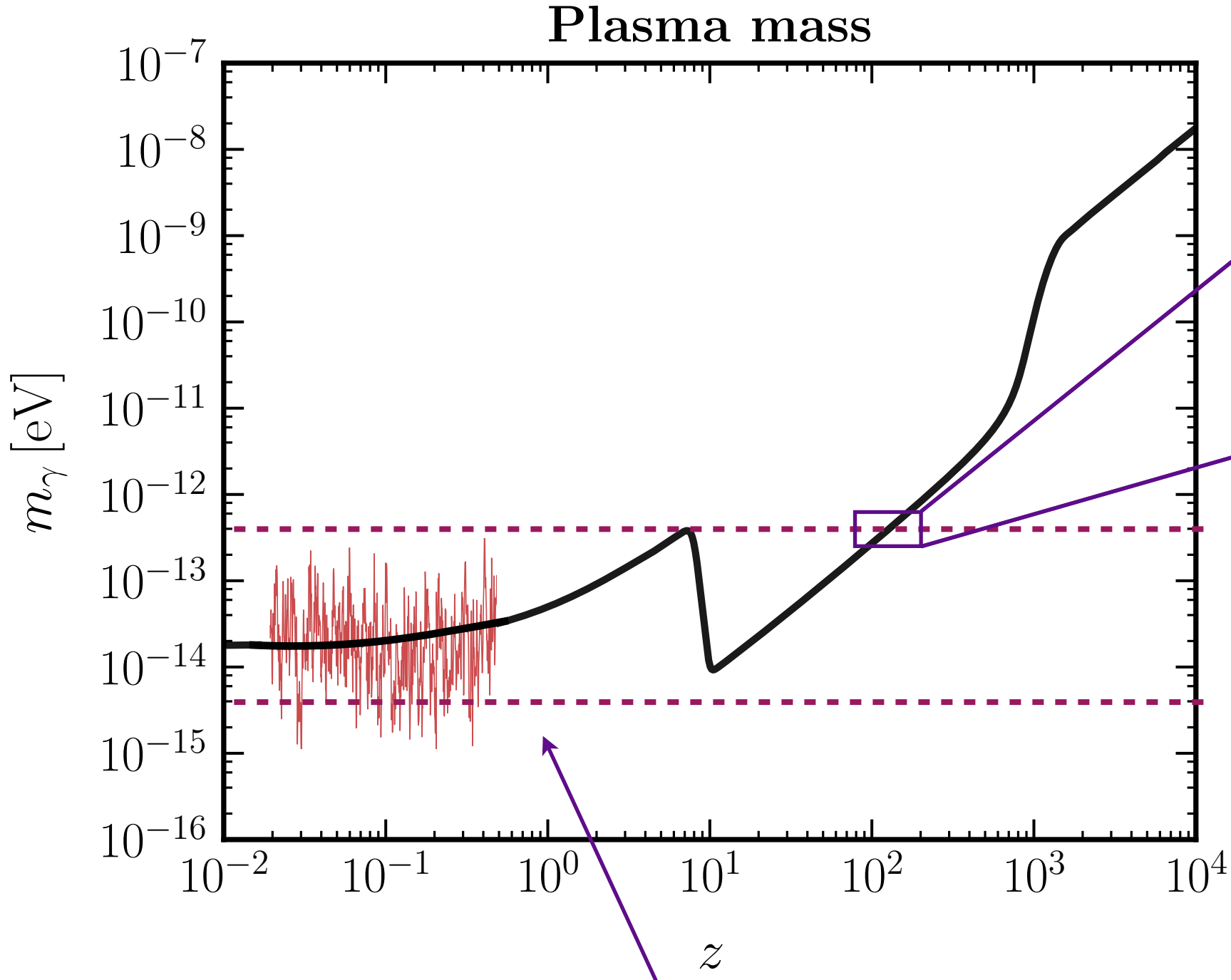
Resonant oscillations efficient over a range of z

The inhomogeneous photon plasma

$$m_\gamma^2(z) \approx \frac{4\pi\alpha \overline{n_e(z)}}{m_e}$$

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Perturbations in the photon plasma mass



Resonant oscillations efficient over a range of z

Resonant conversions for otherwise inaccessible $m_{A'}$

Computing conversion probability

Analytic approach

$$P_{\gamma \rightarrow A'} \simeq \pi \epsilon^2 m_{A'}^2 \left\langle \sum_i \frac{1}{\omega_i(z_{\text{res},i})} \left| \frac{d \ln m_\gamma^2(t)}{dt} \right|_{z=z_{\text{res},i}}^{-1} \right\rangle$$

Compute average of stochastic process

Computing conversion probability

Analytic approach

$$P_{\gamma \rightarrow A'} \simeq \pi \epsilon^2 m_{A'}^2 \left\langle \sum_i \frac{1}{\omega_i(z_{\text{res},i})} \left| \frac{d \ln m_\gamma^2(t)}{dt} \right|_{z=z_{\text{res},i}}^{-1} \right\rangle$$

Compute average of stochastic process

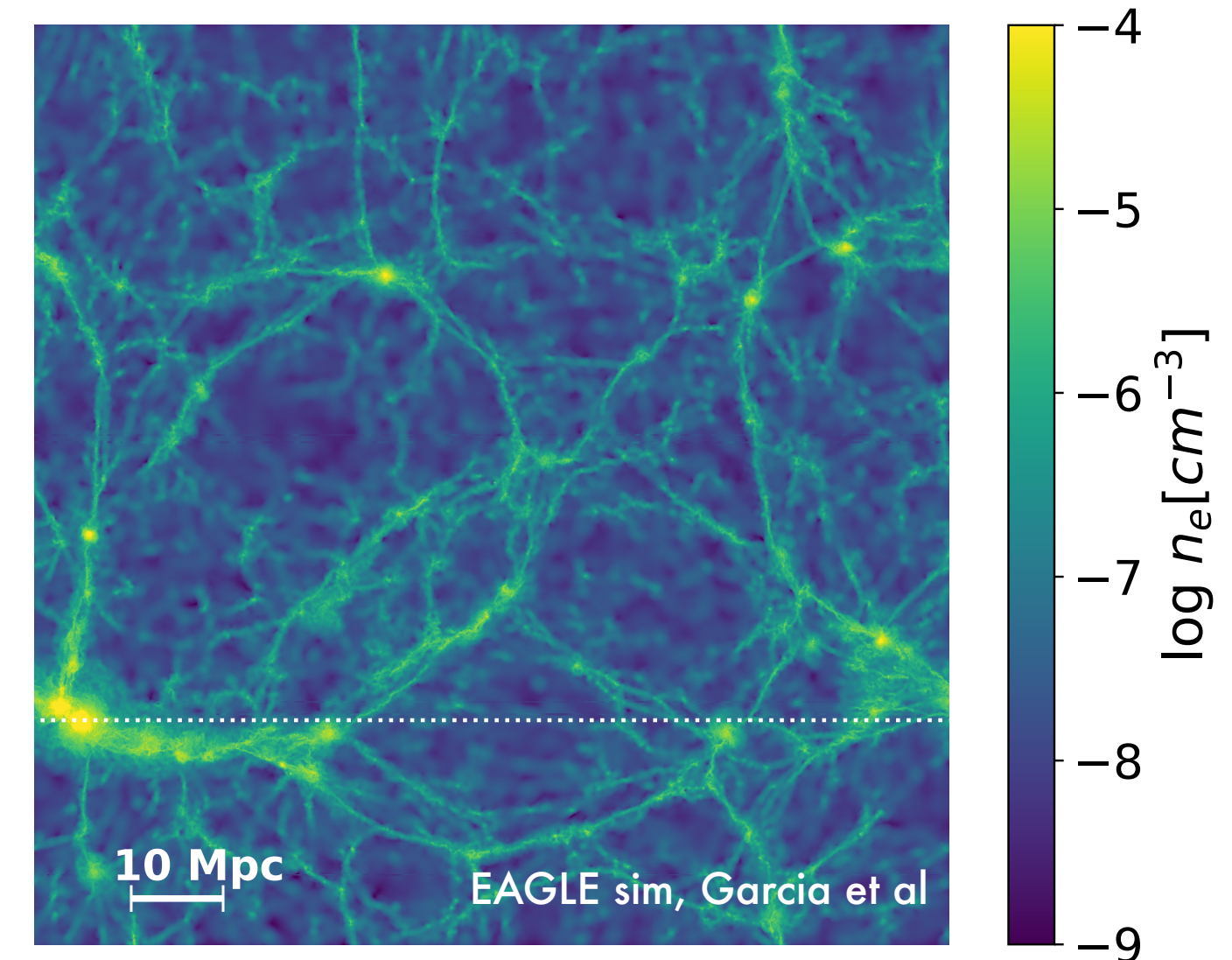
Computing conversion probability

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Compute average of stochastic process

Numerical approach



Bondarenko, Pradler, Sokolenko [2002.08942]

Garcia et al [2003.10465]

Analytic formalism for inhomogeneous conversions

1. Conversion probability along line of sight

$$\frac{dP_{\gamma \rightarrow A'}}{dt} = \frac{\pi m_{A'}^2 \epsilon^2}{\omega(t)} \delta_D \left(m_\gamma^2(t) - m_{A'}^2 \right) m_\gamma^2(t)$$

Analytic formalism for inhomogeneous conversions

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3. Enforce resonance condition $m_\gamma^2 = m_{A'}^2$

$$\frac{d \langle P_{\gamma \rightarrow A'} \rangle}{dz} = \frac{\pi m_{A'}^4 \epsilon^2}{\omega(z)} \left| \frac{dt}{dz} \right| f(m_\gamma^2; z)$$

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Rice's Formula (1944)

Mathematical Analysis of Random Noise

By S. O. RICE

INTRODUCTION

THIS paper deals with the mathematical analysis of noise obtained by passing random noise through physical devices. The random noise

PDF of plasma mass fluctuations

$$m_\gamma^2(\vec{x}, z) = \overline{m_\gamma^2}(z) (1 + \delta_e(\vec{x}, z))$$

$$f(m_\gamma^2) = \frac{d\delta_e}{dm_\gamma^2} \mathcal{P}(\delta_e) = \frac{\mathcal{P}(\delta_e)}{\overline{m_\gamma^2}}$$

PDF of plasma mass fluctuations

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Electron and baryon fluctuations

$$\bar{n}_e(1 + \delta_e) = \bar{x}_e(1 + \delta_{x_e}) \bar{n}_H(1 + \delta_b)$$

$$\implies \delta_e = \delta_b + \delta_{x_e} + \delta_{x_e} \delta_b$$

$$\text{If } \delta_{x_e} \ll \delta_b \implies \delta_e \approx \delta_b$$

PDF of plasma mass fluctuations

$$m_\gamma^2(\vec{x}, z) = \overline{m_\gamma^2}(z) (1 + \delta_e(\vec{x}, z))$$

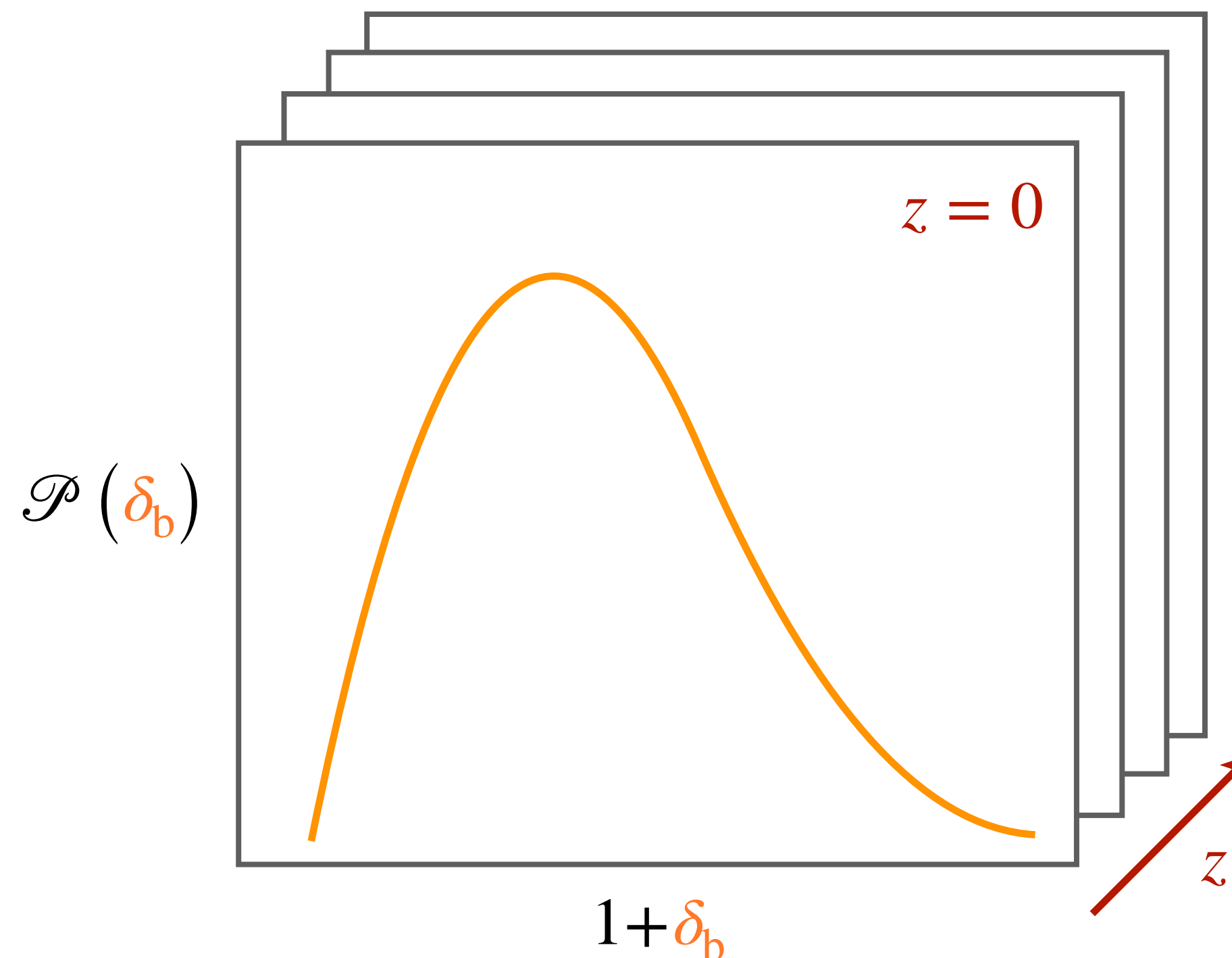
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Ingredients:

1. Functional form of PDF
2. Variance of PDF(z)

PDF of plasma mass fluctuations: Gaussian toy example

1. PDF
functional form

$$\mathcal{P}_G(\delta_b; z) = \frac{1}{\sqrt{2\pi\sigma_b^2(z)}} \exp\left(-\frac{\delta_b^2}{2\sigma_b^2(z)}\right)$$

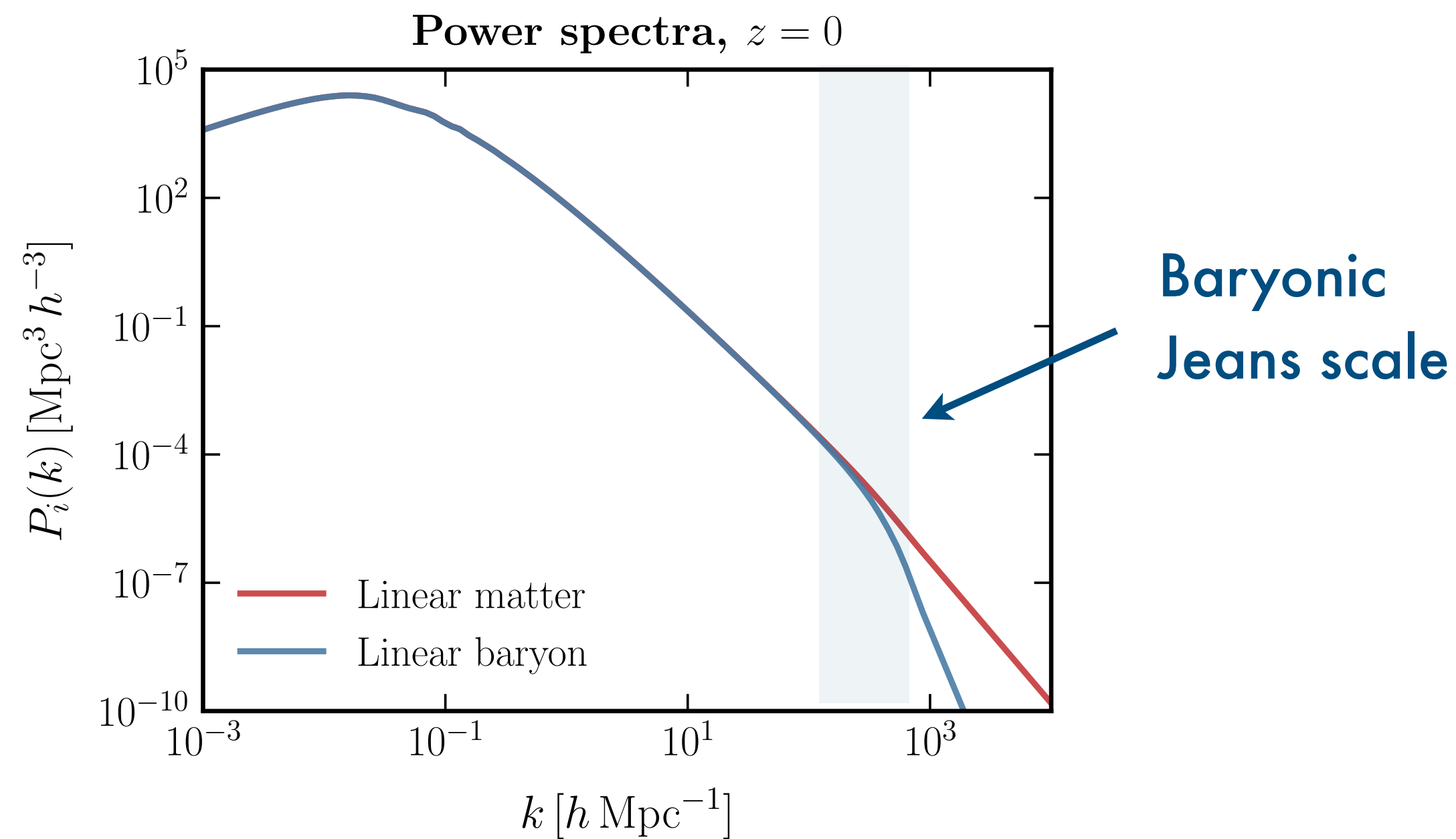
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2. PDF variance

$$\sigma_b^2(z) = \int \frac{d^3\vec{k}}{(2\pi)^3} P_{bb}(k, z)$$



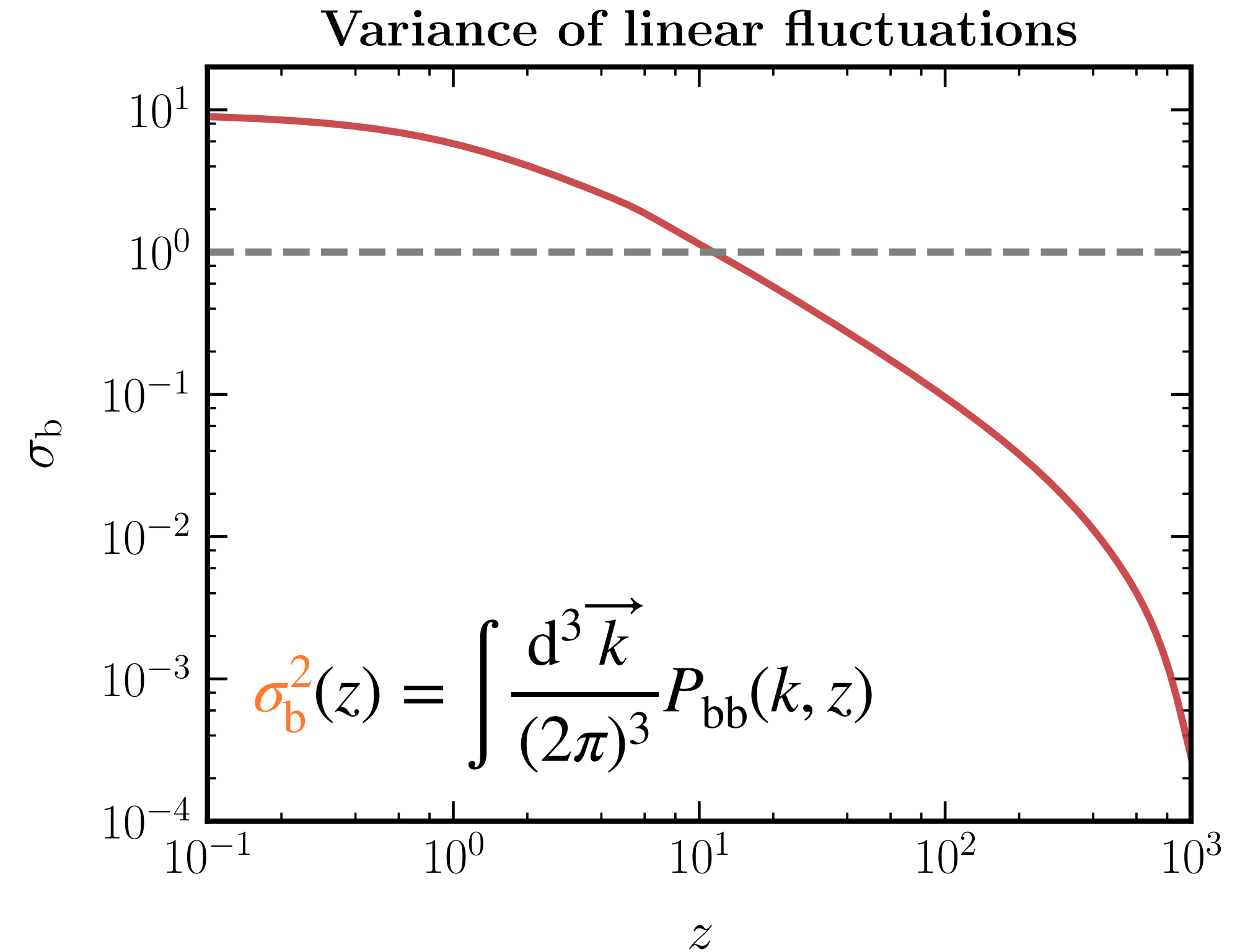
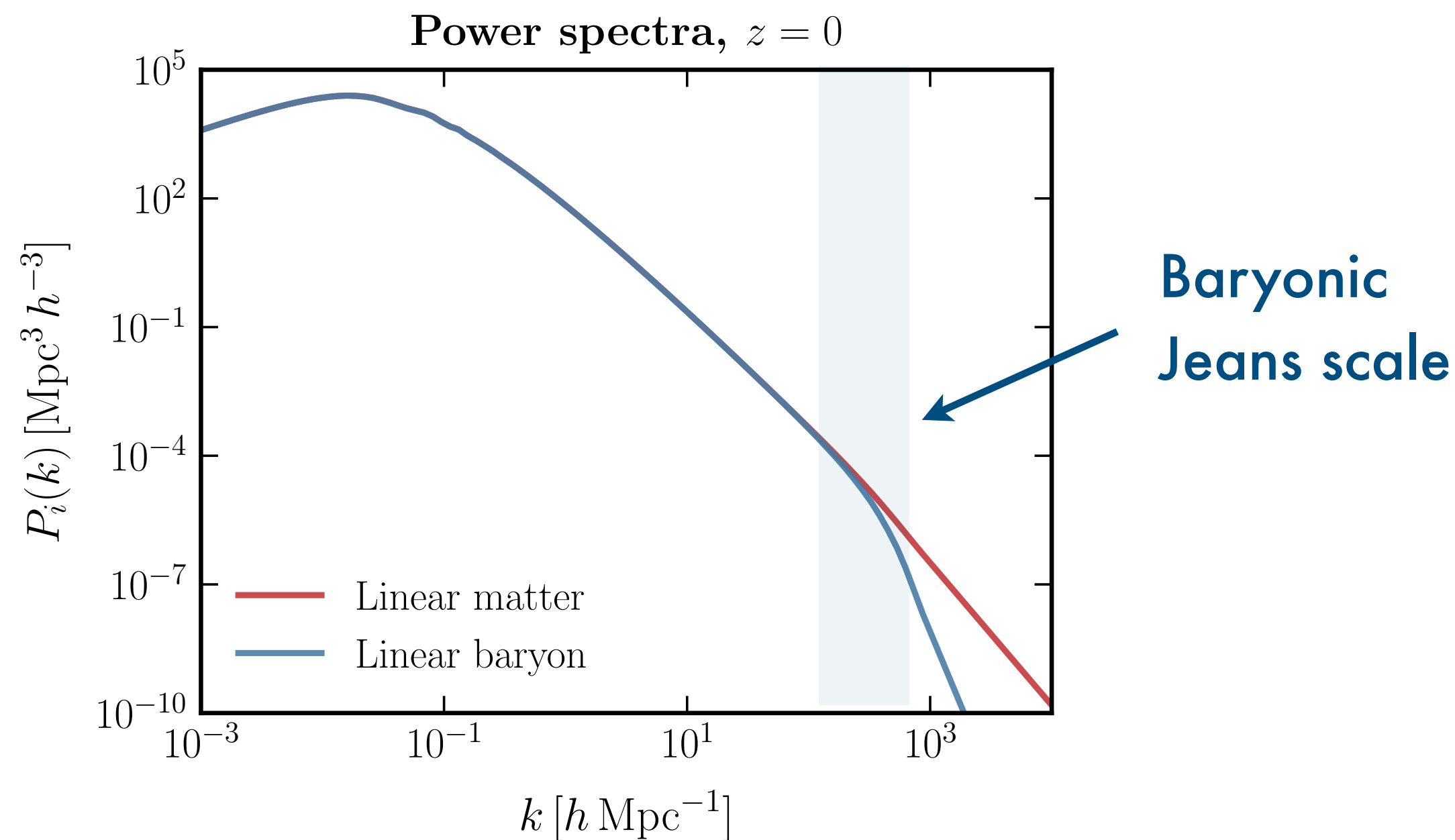
PDF of plasma mass fluctuations: Gaussian toy example

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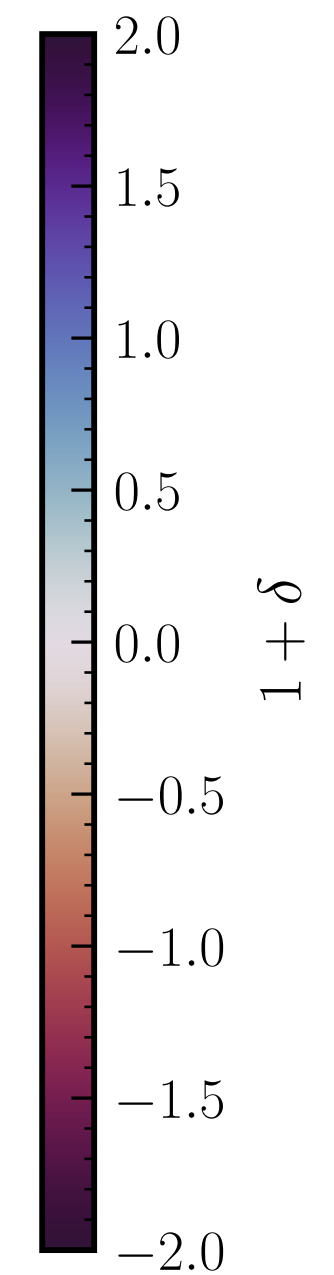
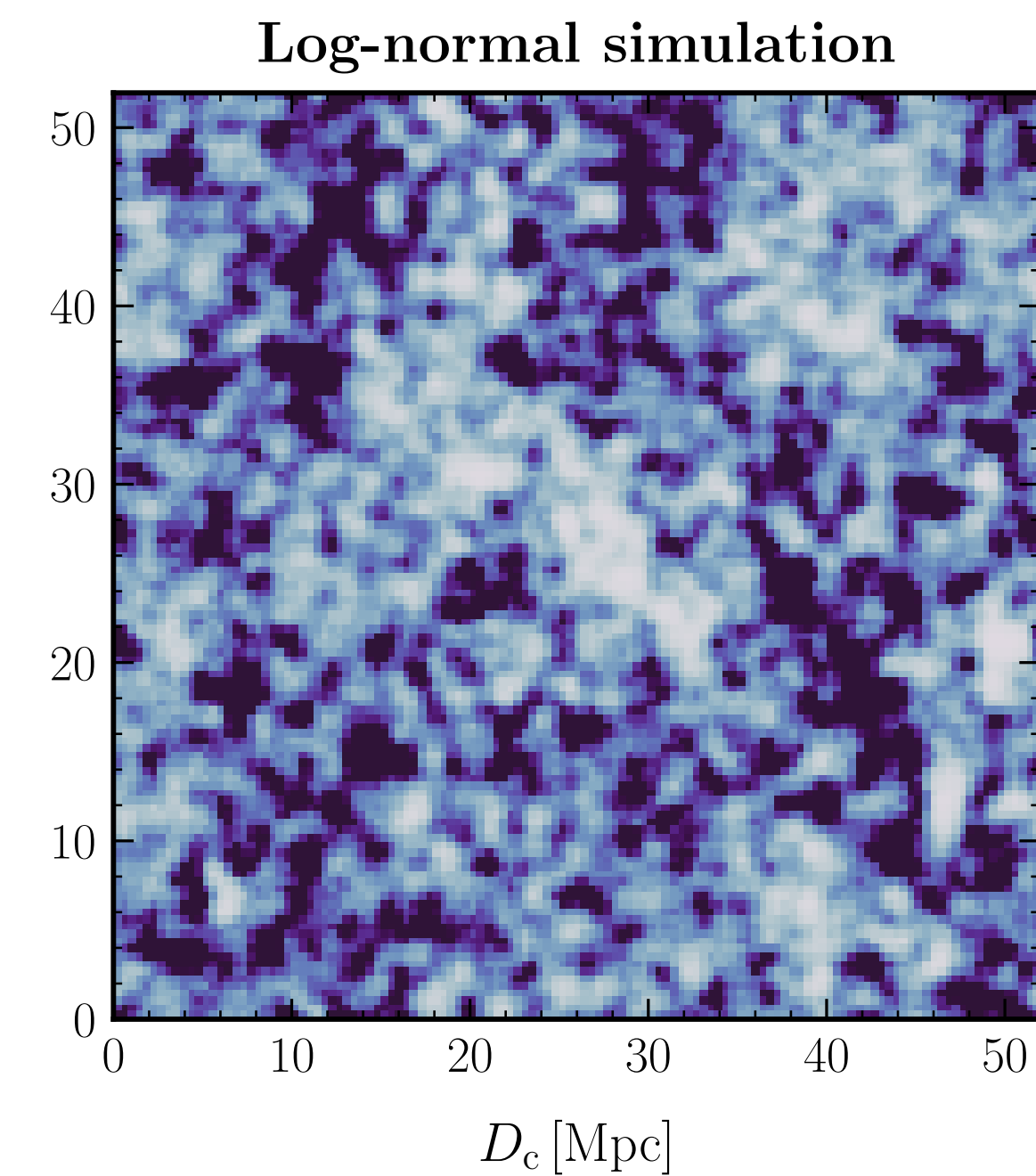
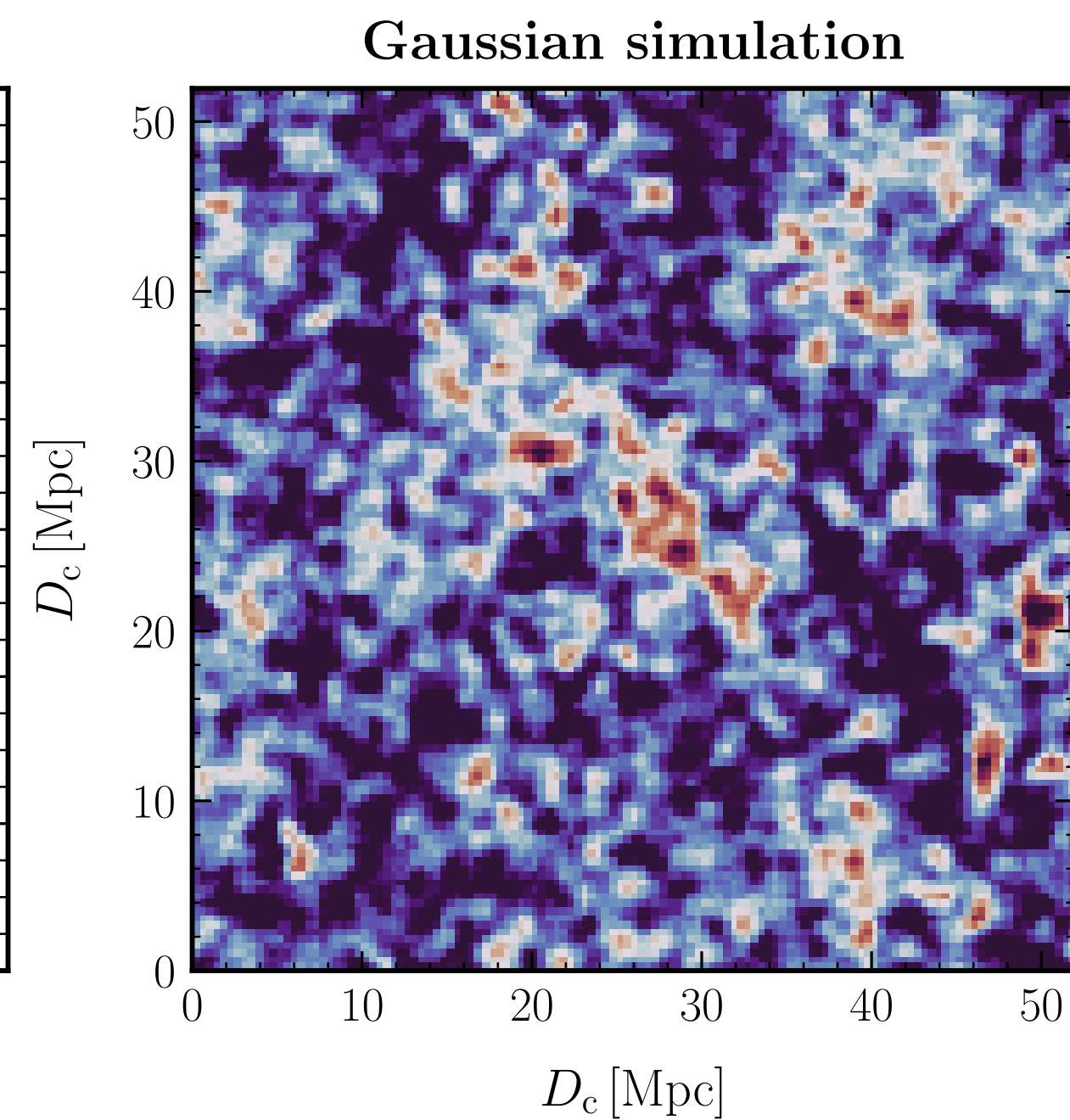
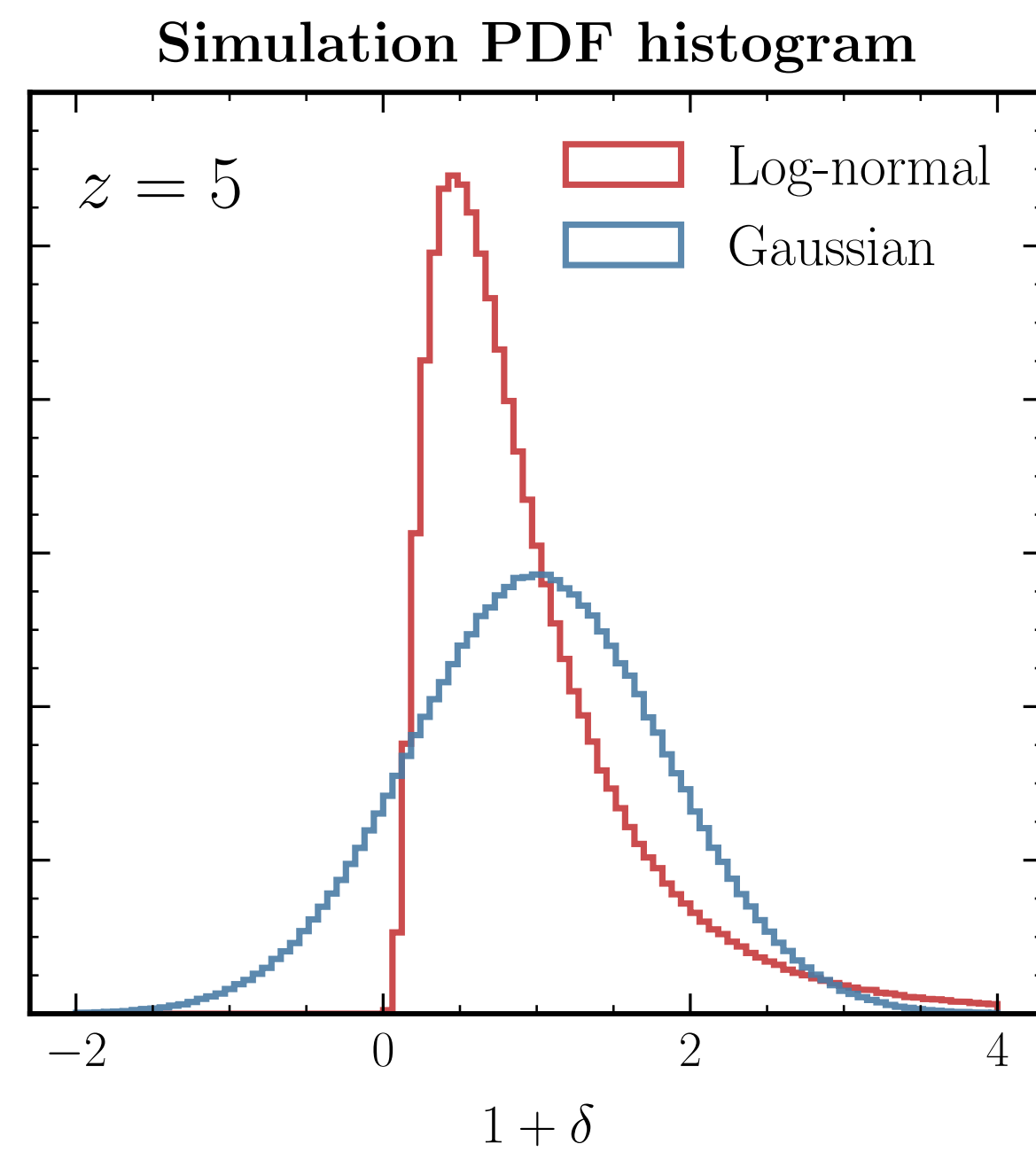
Fluctuations at late times highly non-Gaussian, non-linear

Log-normal PDF

$$\mathcal{P}_{\text{LN}}(\delta_b; z) = \frac{(1 + \delta_b)^{-1}}{\sqrt{2\pi \Sigma^2(z)}} \exp\left(-\frac{[\ln(1 + \delta_b) + \Sigma^2(z)/2]^2}{2\Sigma^2(z)}\right)$$

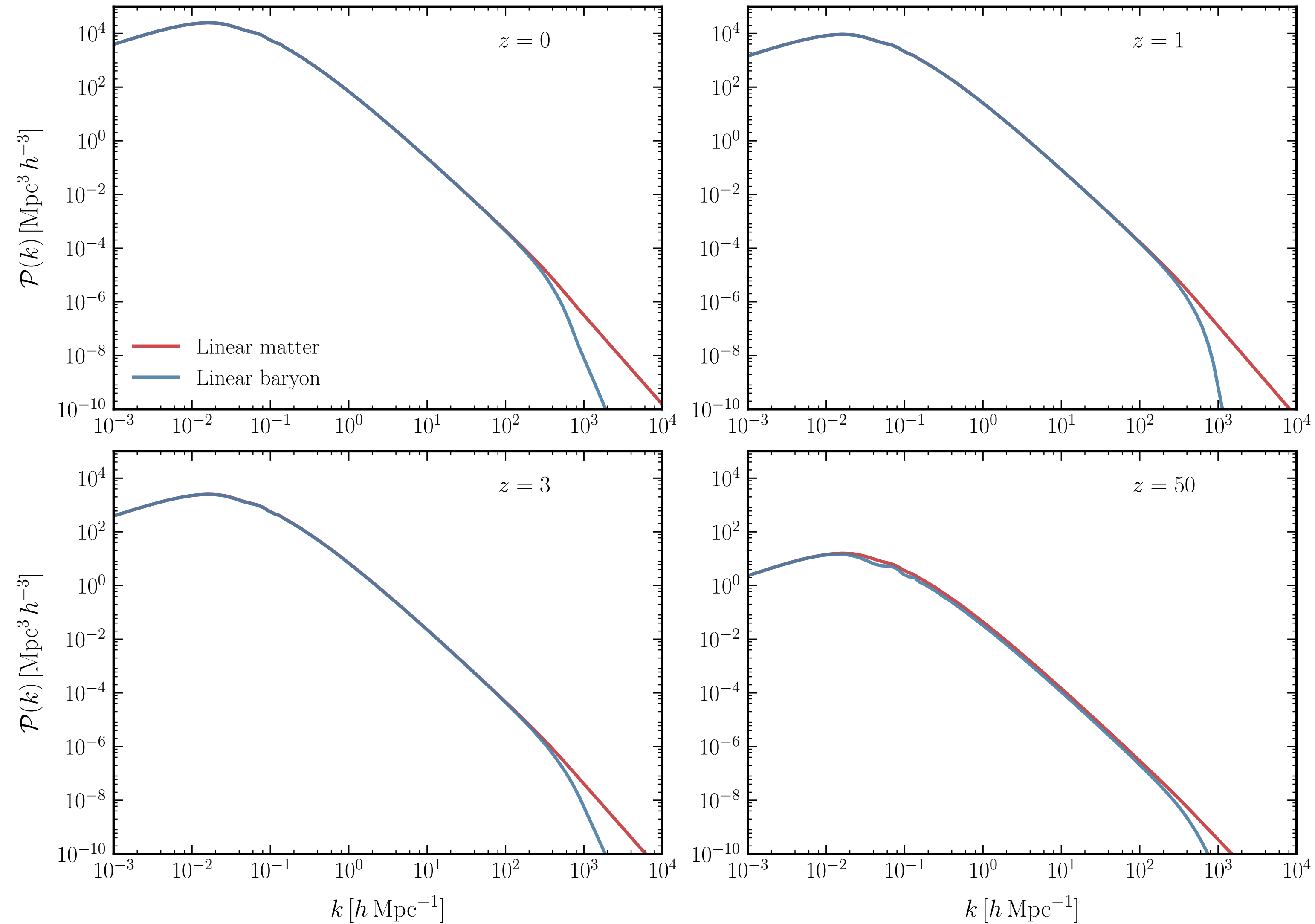
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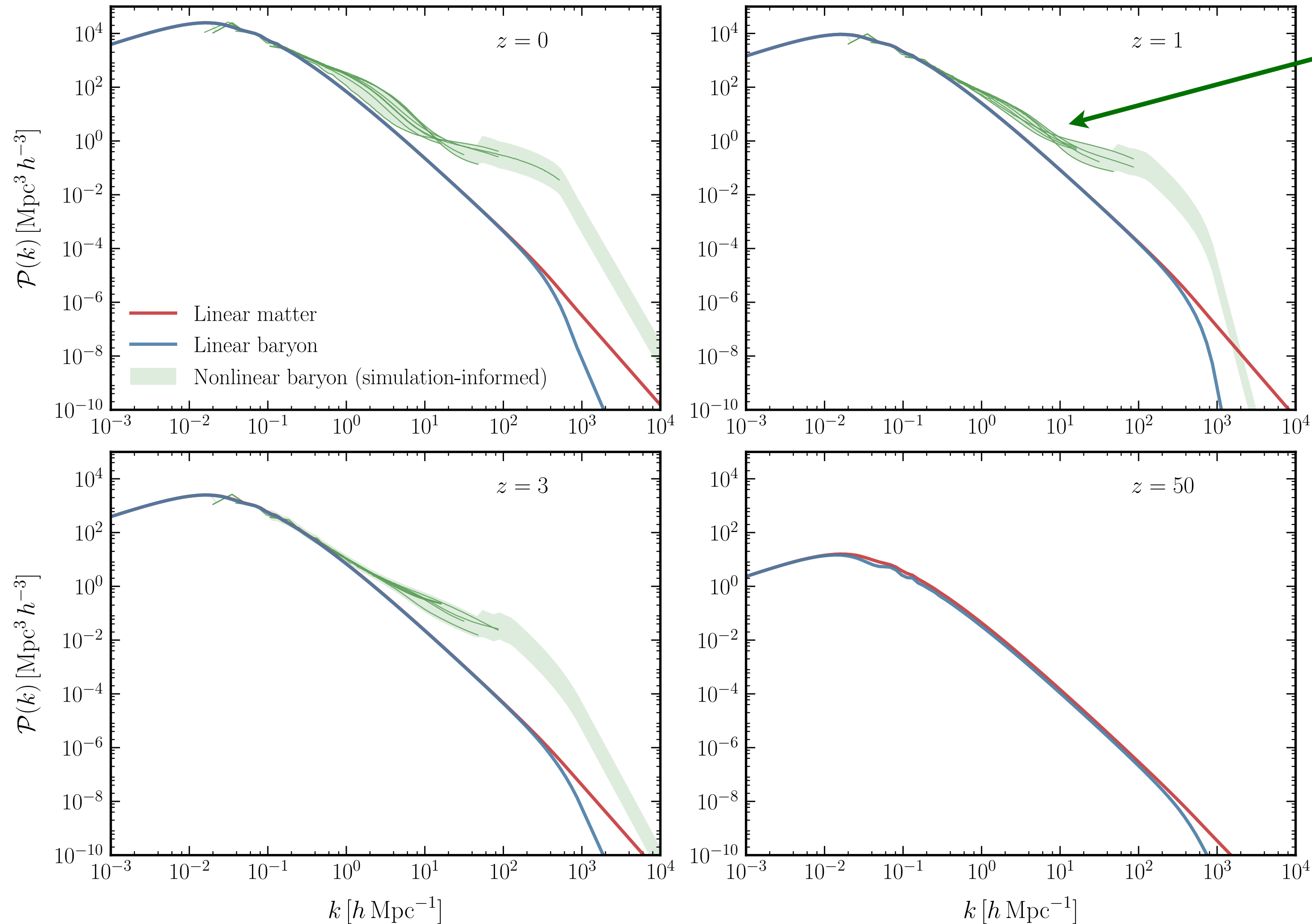
The non-linear baryonic power spectrum

Power spectra, simulation-informed baryon



The non-linear baryonic power spectrum

Power spectra, simulation-informed baryon



Non-linear baryonic power spectra from hydrodynamical simulations:

- Illustris
- IllustrisTNG
- BAHAMAS
- EAGLE

Foreman et al [1910.03597]
van Daalen et al [1906.00968]

Alternative PDF prescriptions

Log-normal PDF

Log-normal PDF with nonlinear baryon power spectrum

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“Analytic” PDF

Non-linear spherical collapse of linear matter field

Ivanov, Kaurov, Sibiryakov [1811.07913]

$$\mathcal{P}_{\text{an}}(\delta_b; z) = \frac{\hat{C}(\delta_b)}{\sqrt{2\pi\sigma_{R_j}^2(z)}} \exp\left[-\frac{F^2(\delta_b)}{2\sigma_{R_j}^2(z)}\right]$$

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Cosmic voids PDF

PDF of matter underdensities

Adermann et al [1703.04885, 1807.02938]

$$\mathcal{P}_{\text{voids}}(\delta_b; z) \sim \text{from simulations}$$

Alternative PDF prescriptions

Log-normal PDF

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"Analytic" PDF

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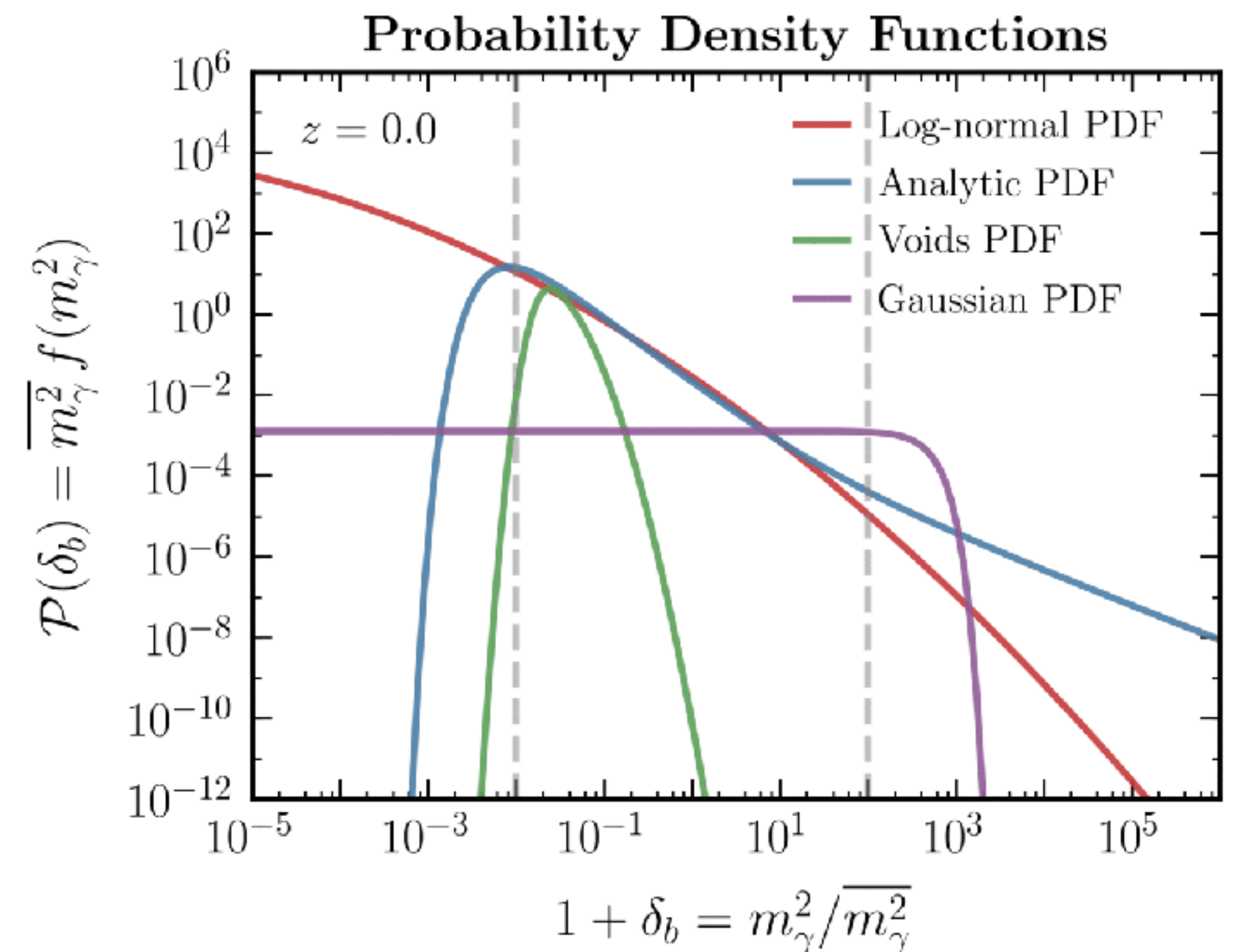
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Cosmic voids PDF

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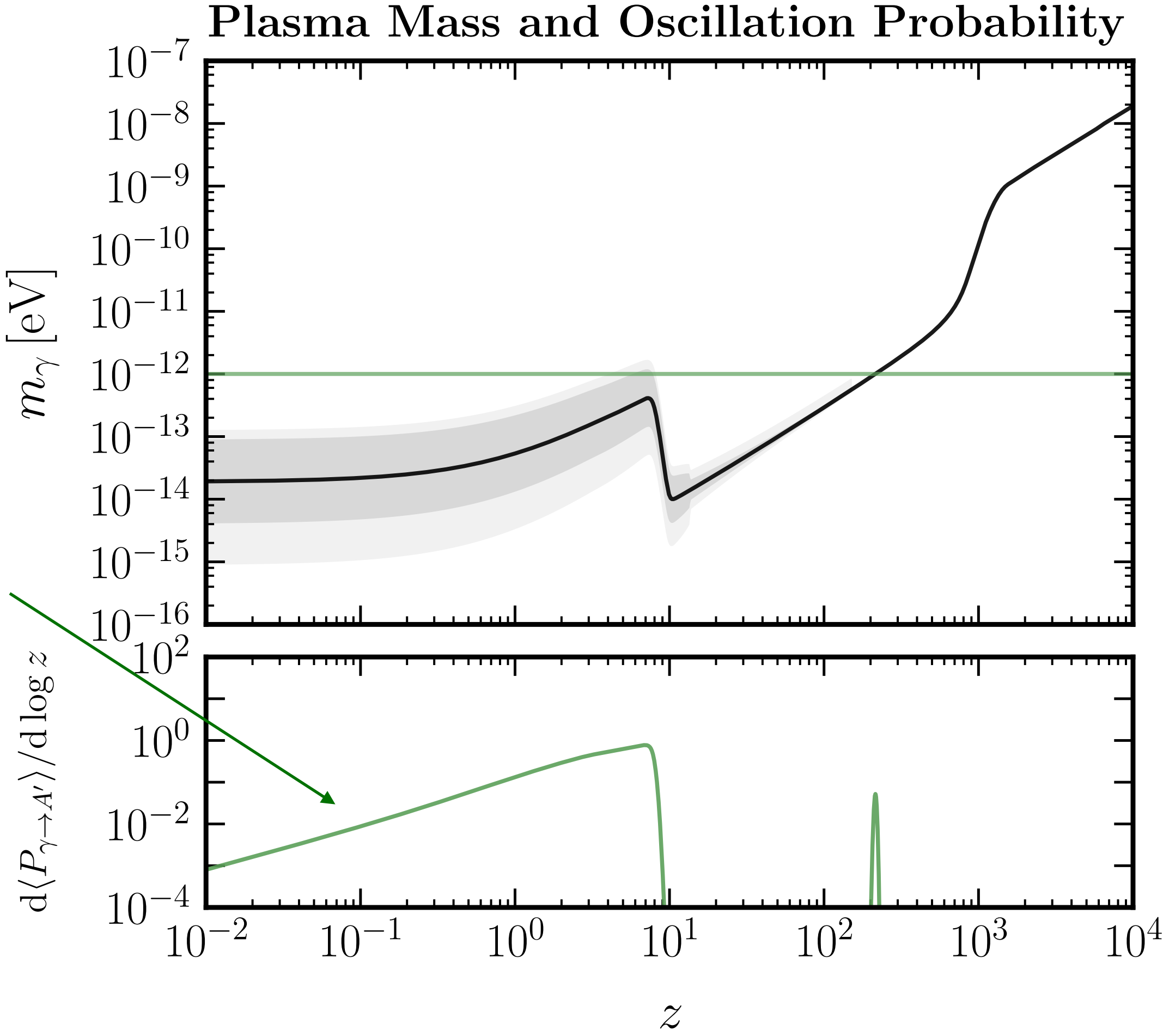
Adermann et al [1703.04885, 1807.02938]

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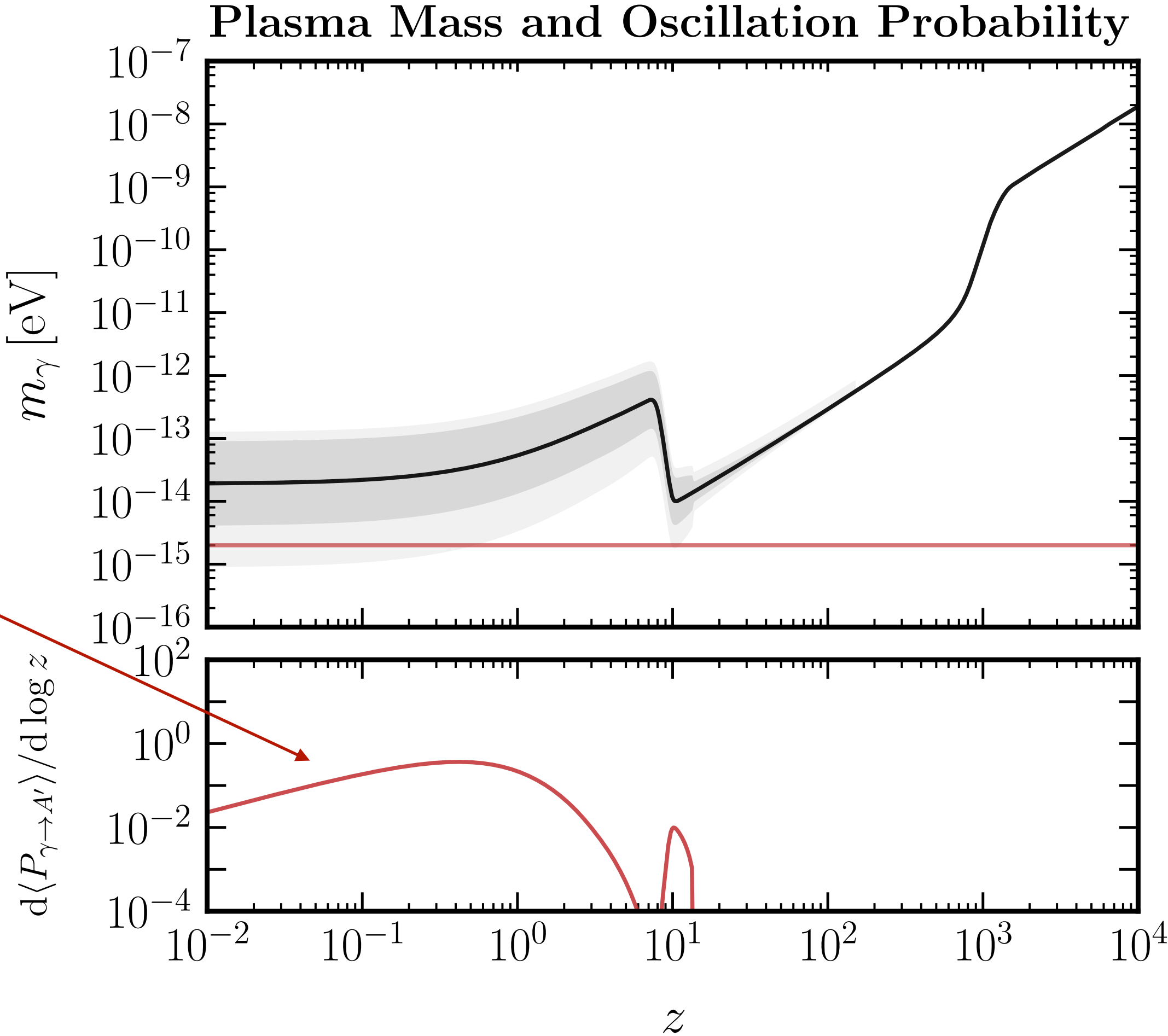
Conversion probability with inhomogeneities

Conversions in overdensities

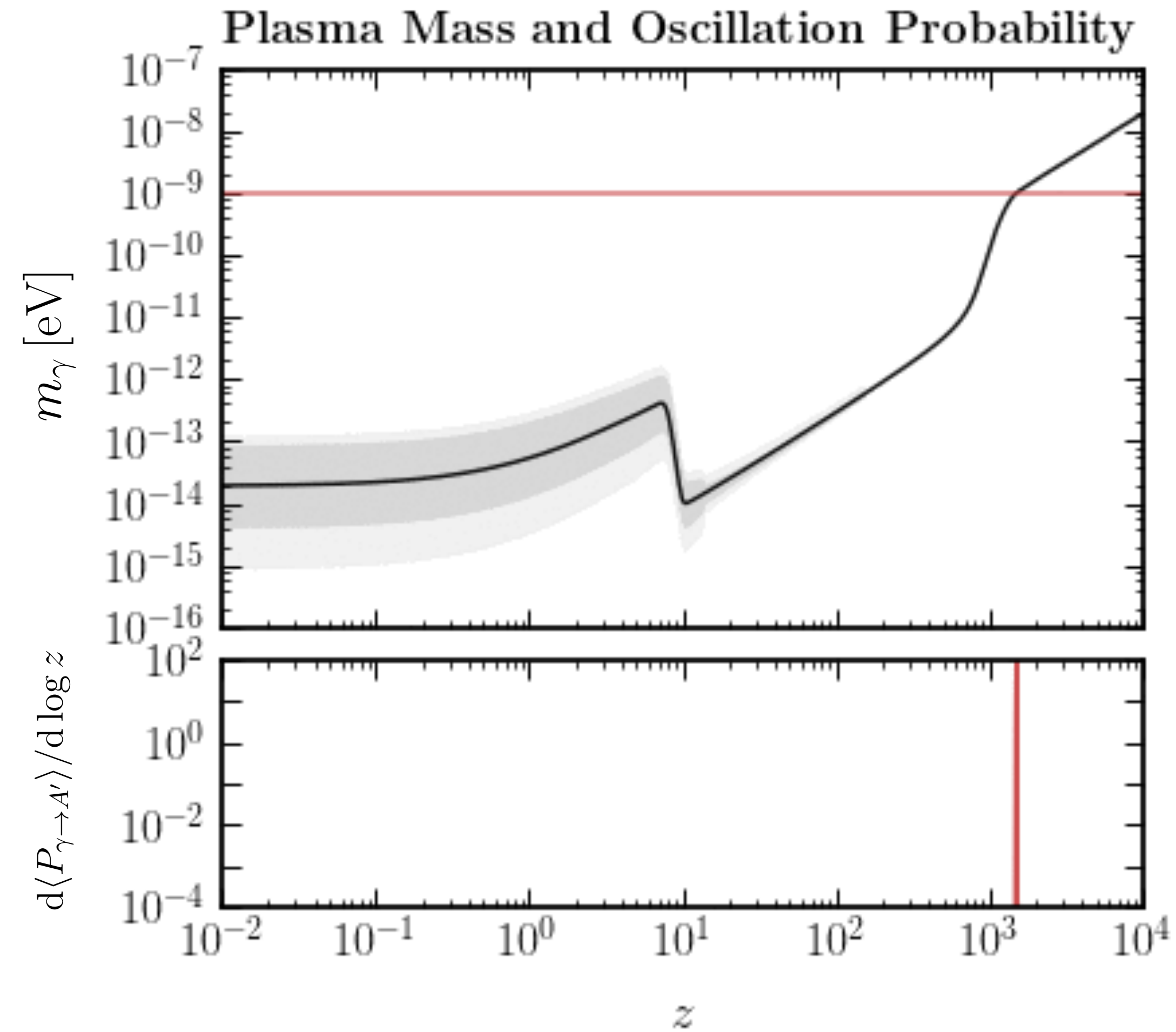


Conversion probability with inhomogeneities

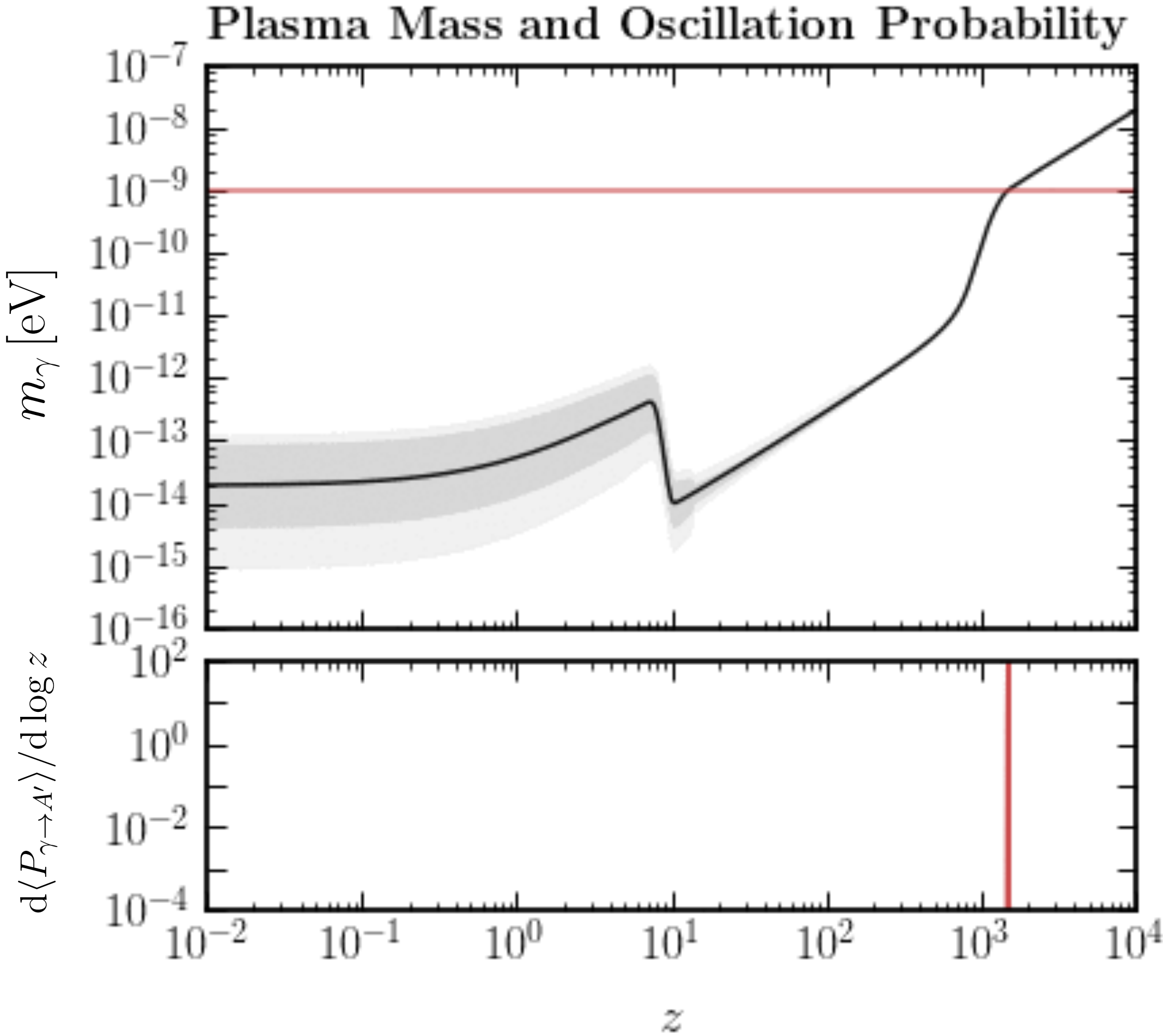
Conversions in underdensities



Conversion probability with inhomogeneities

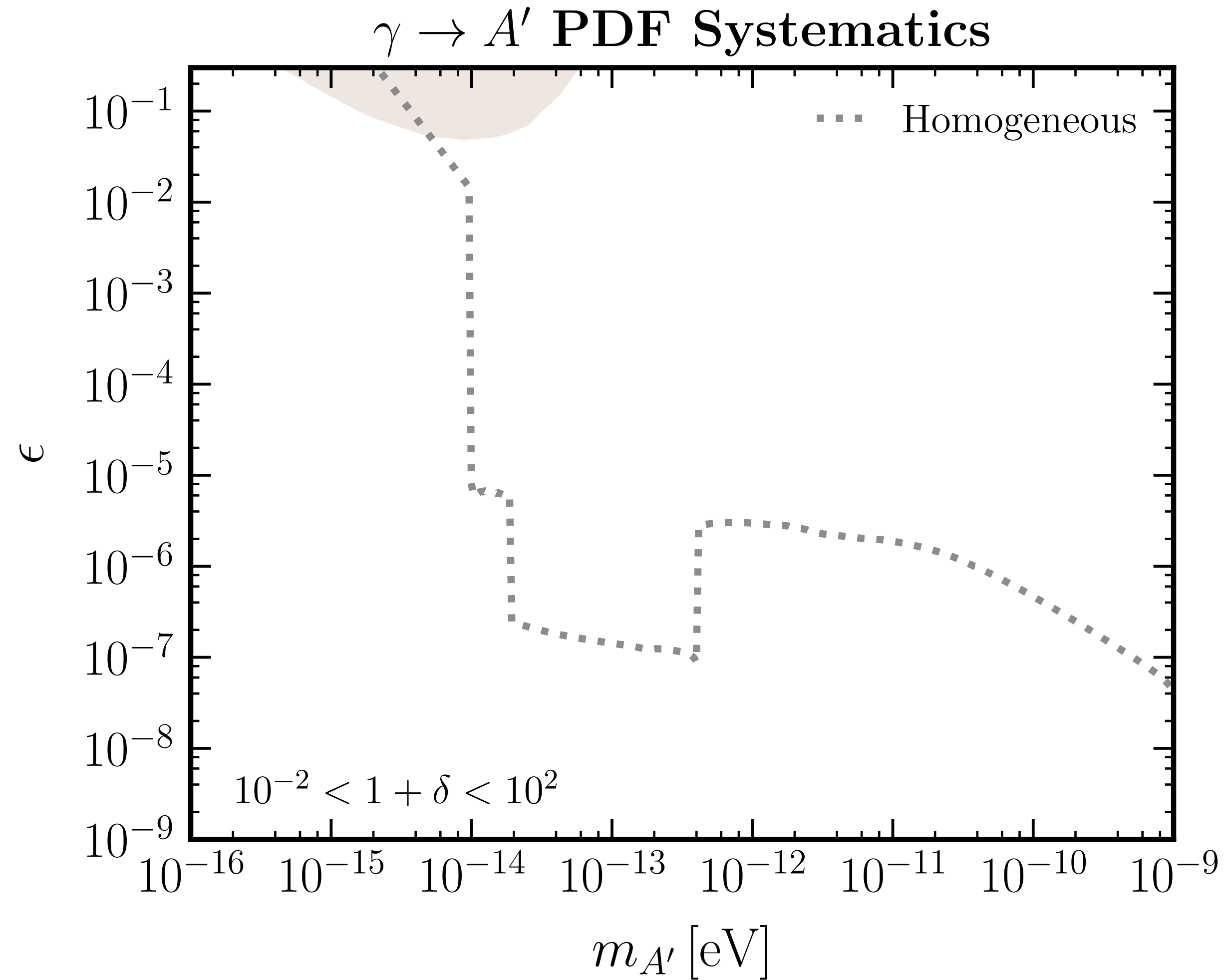


Conversion probability with inhomogeneities



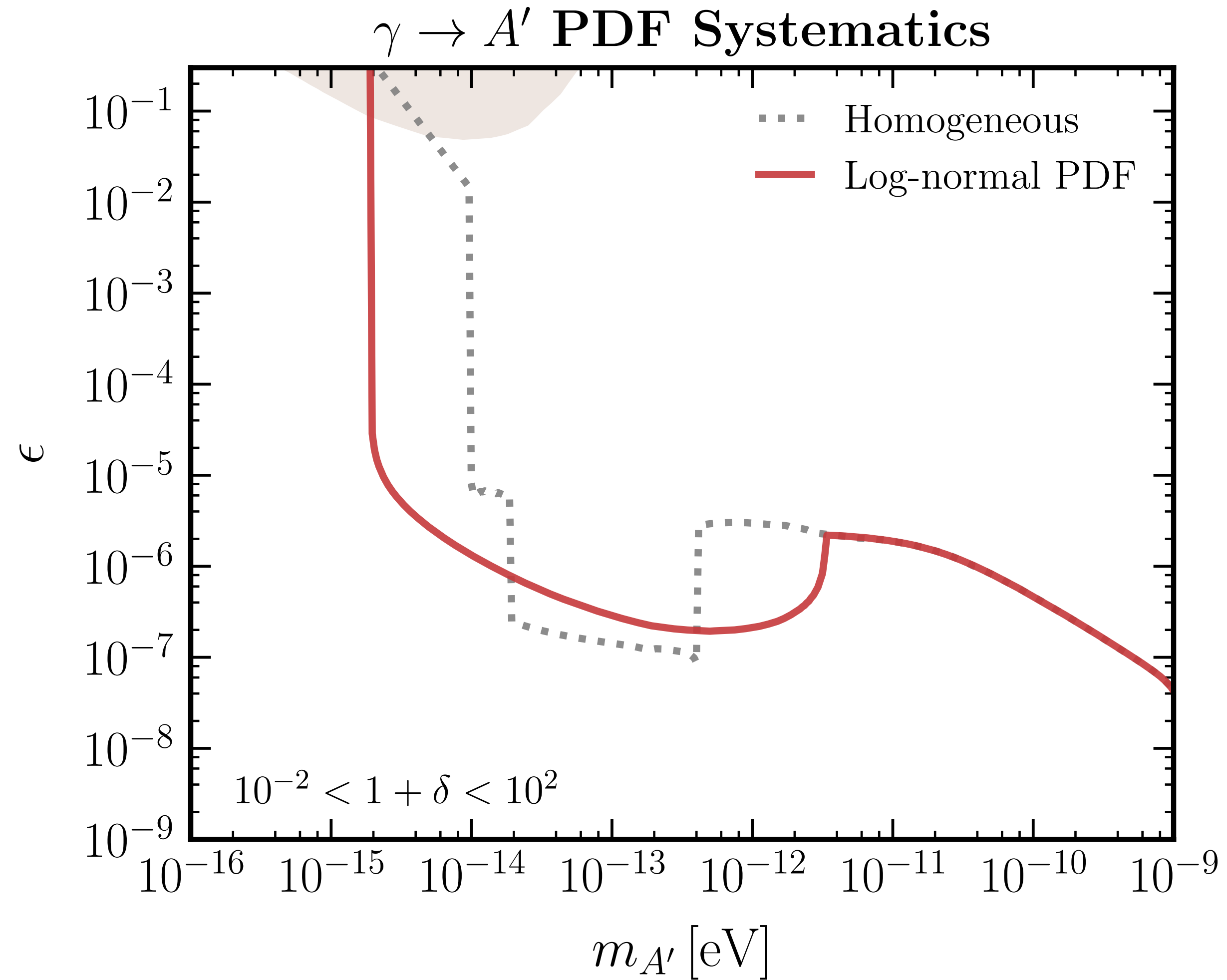
$\epsilon - m_{A'}$ constraints with inhomogeneities

$\gamma \rightarrow A'$



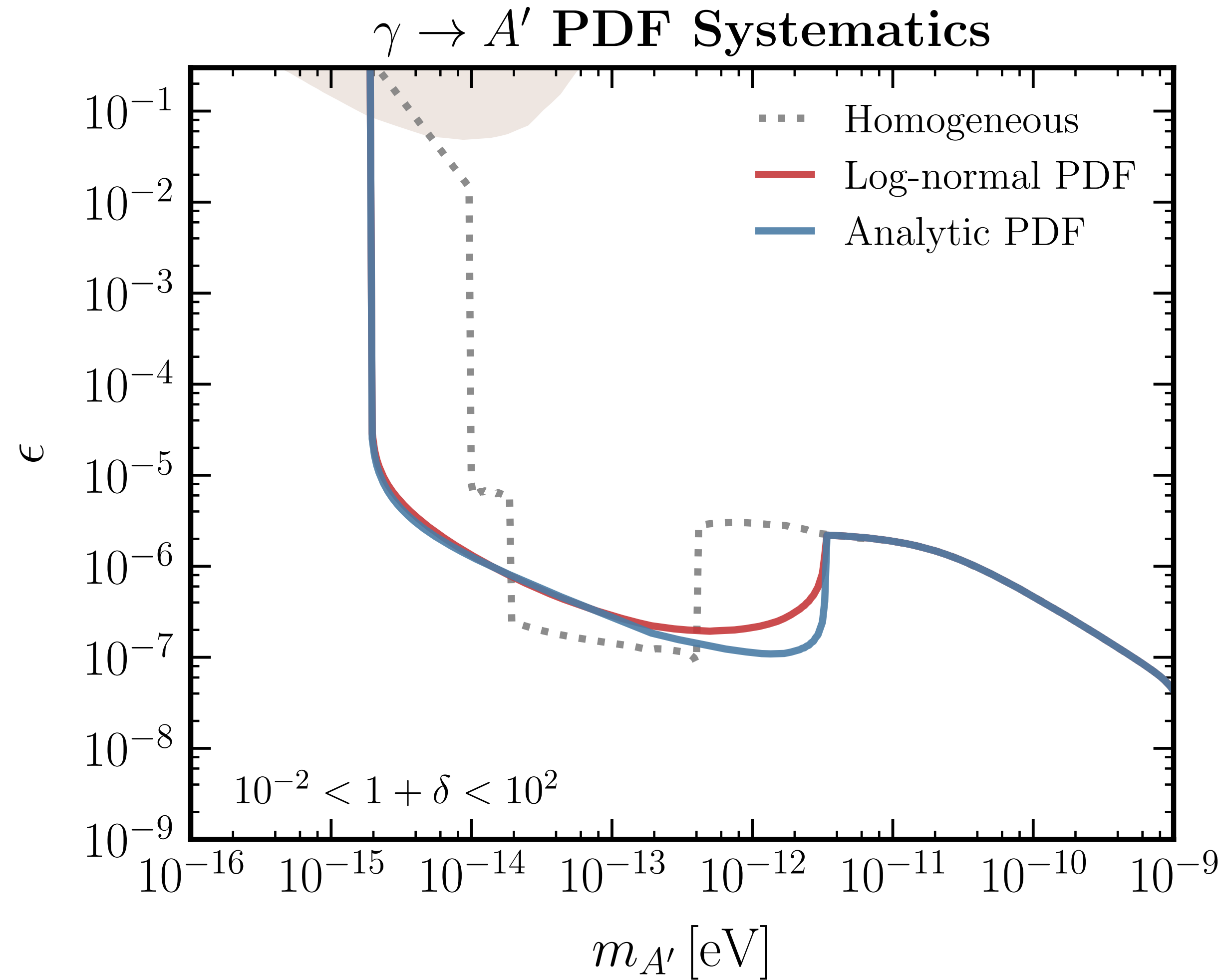
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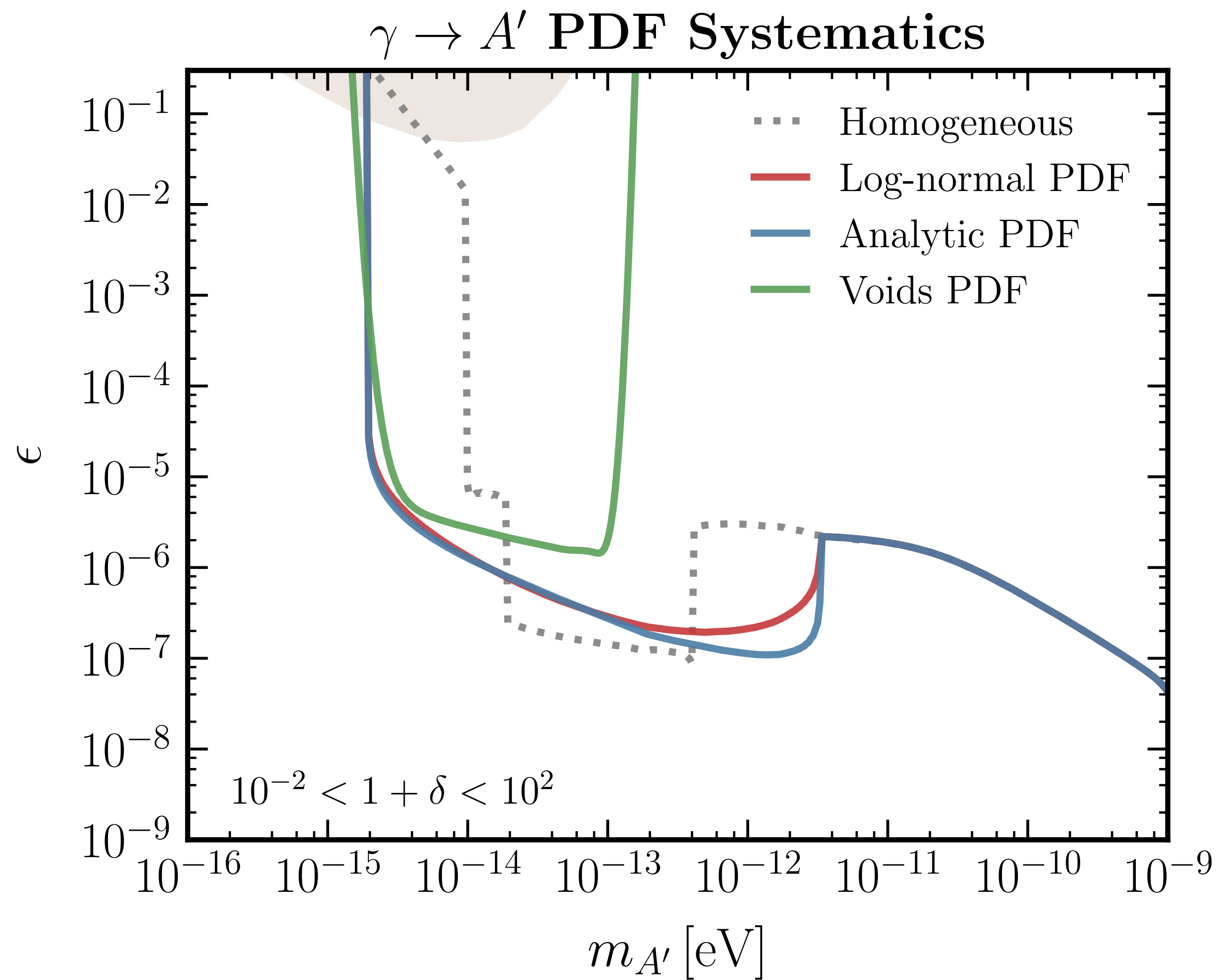
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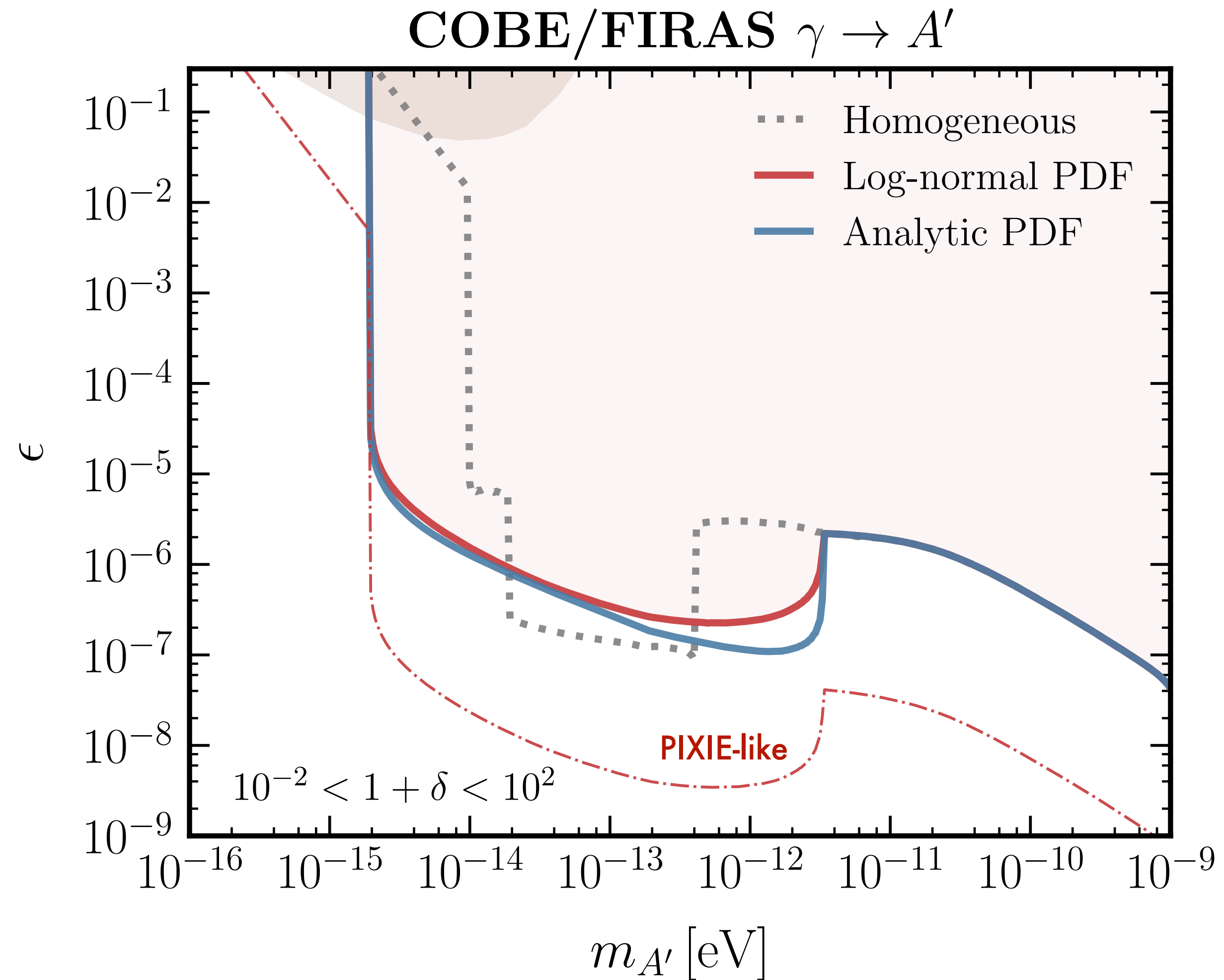
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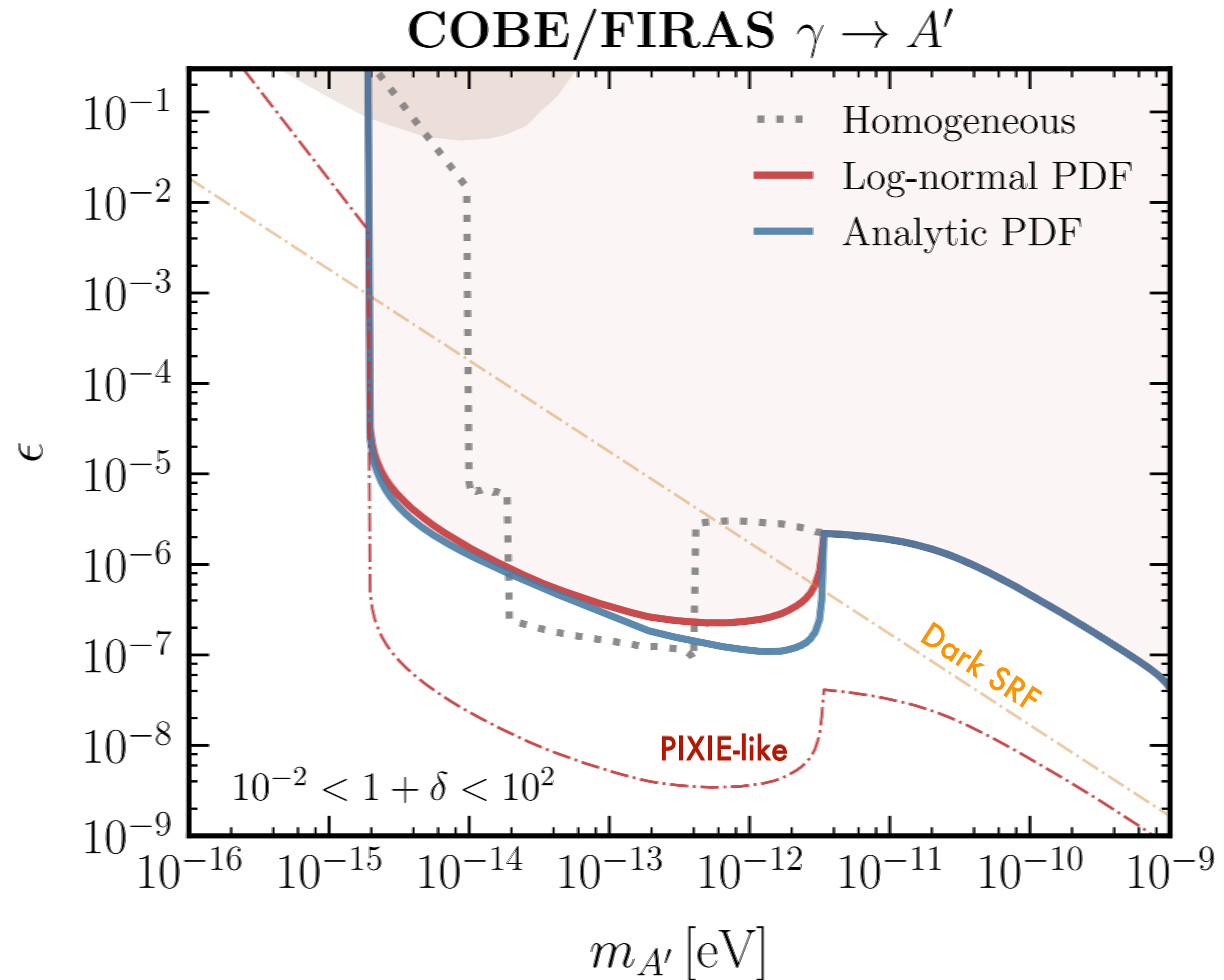
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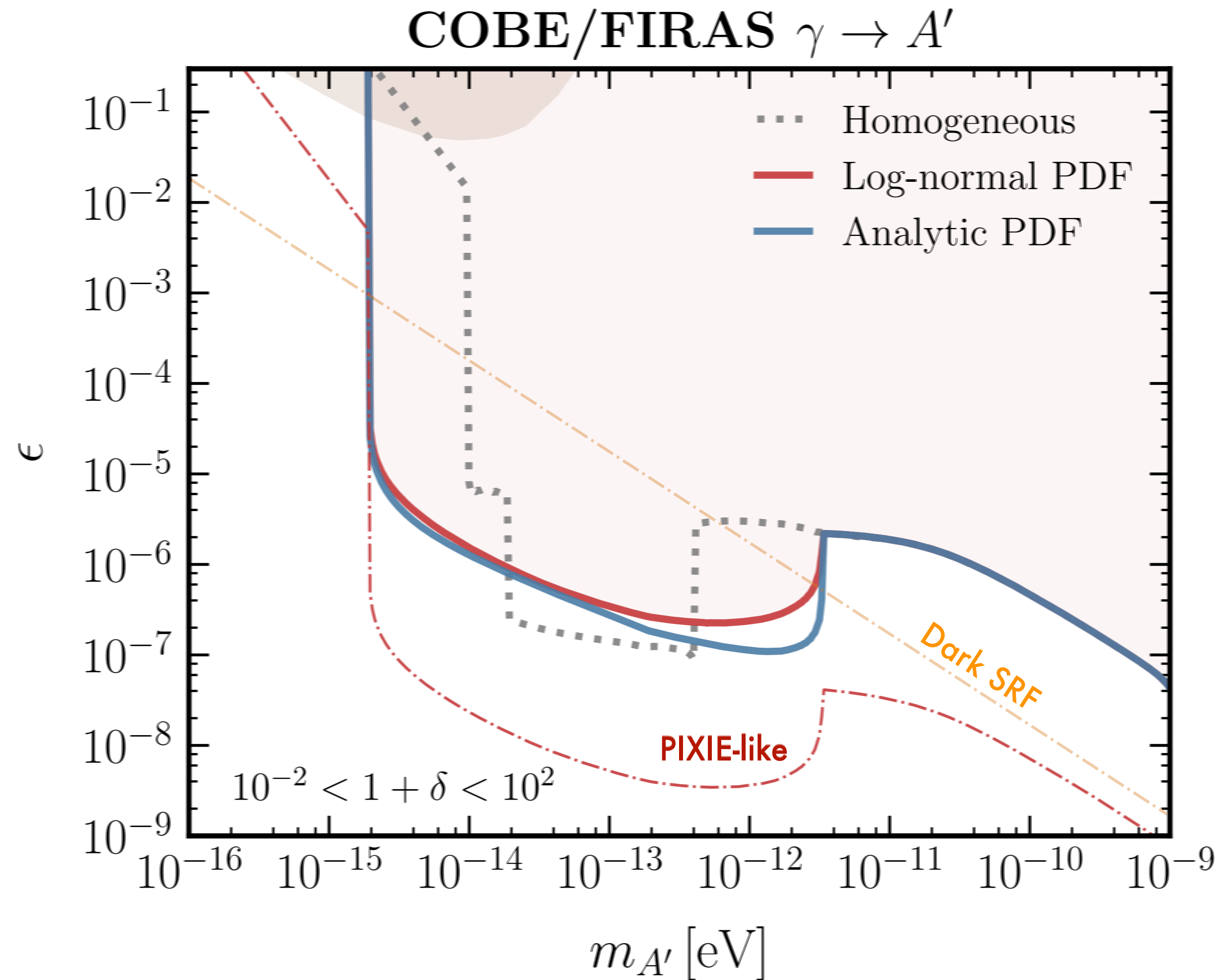
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$\epsilon - m_{A'}$ constraints with inhomogeneities

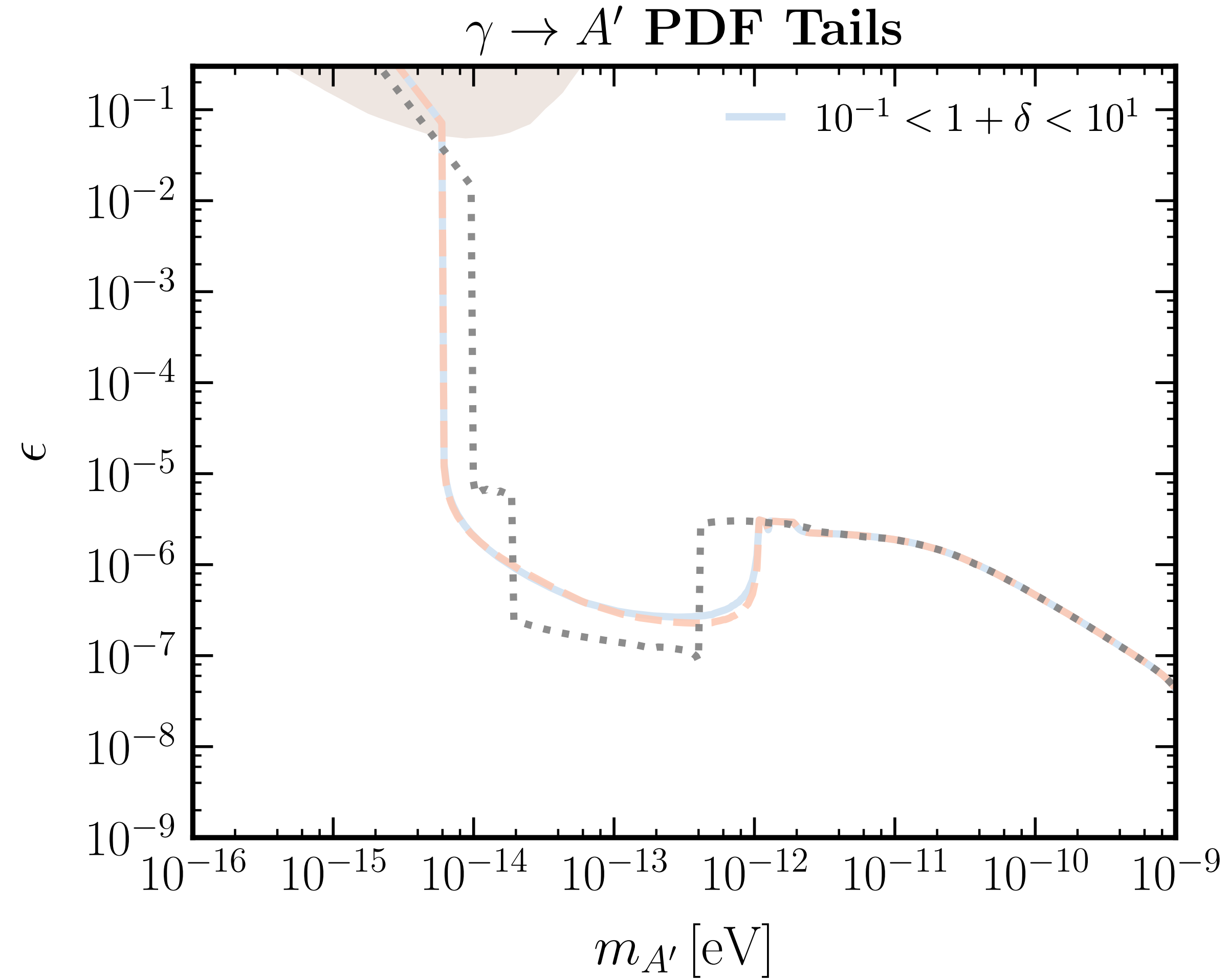
$\gamma \rightarrow A'$



Note: Additional constraints apply when A' is the DM; see papers, also Witte et al [2003.13698]

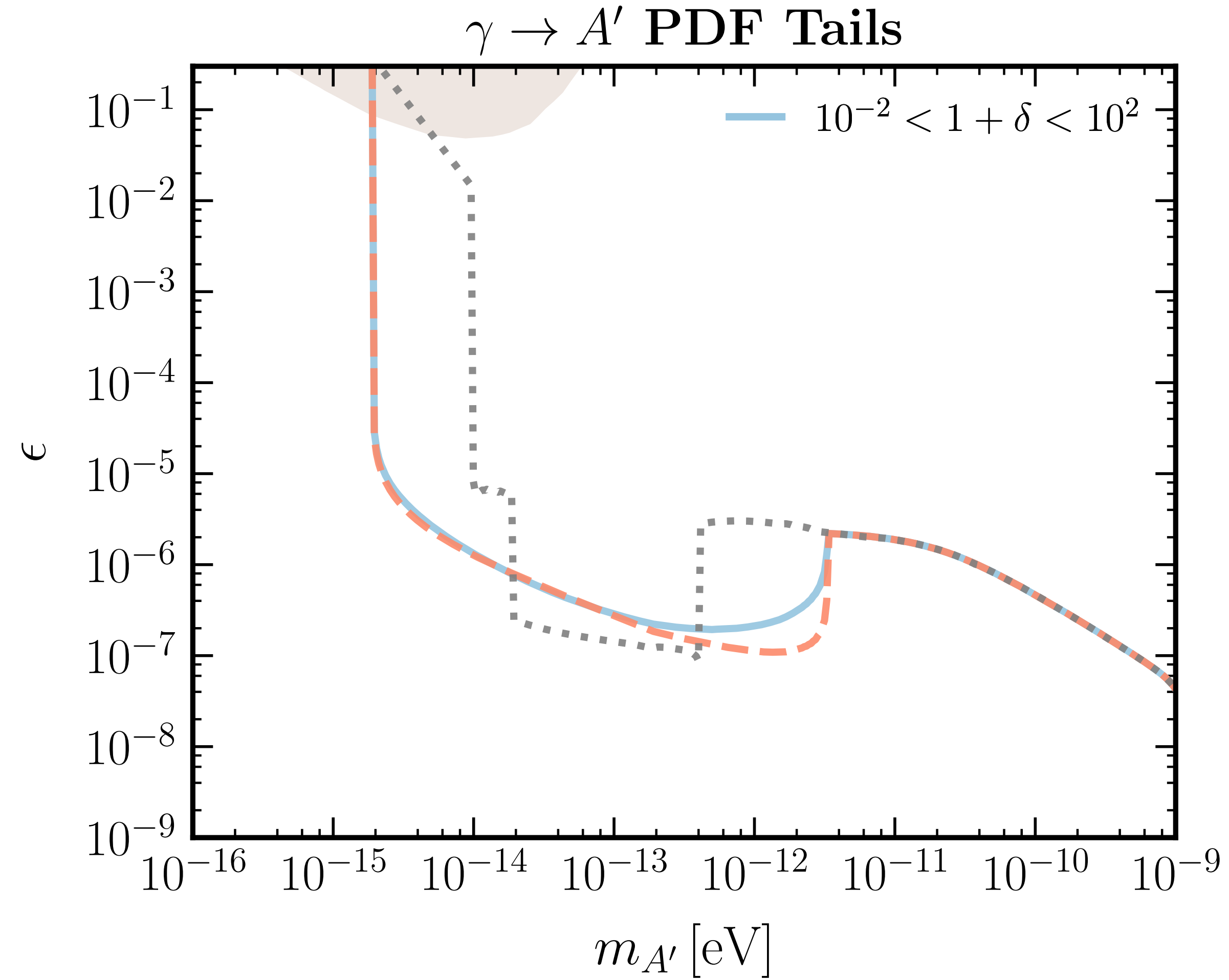
Effect of larger over/under-densities

$\gamma \rightarrow A'$



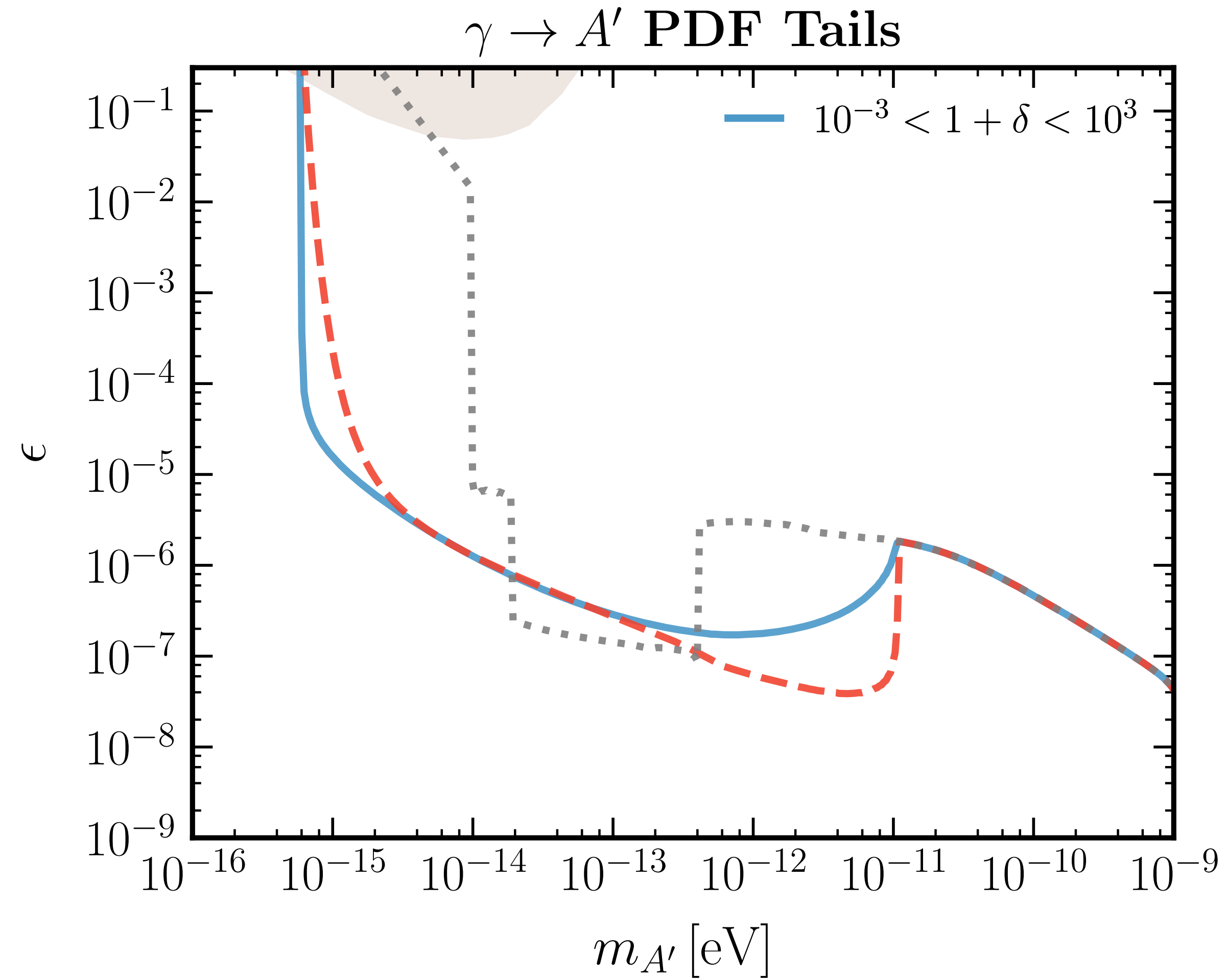
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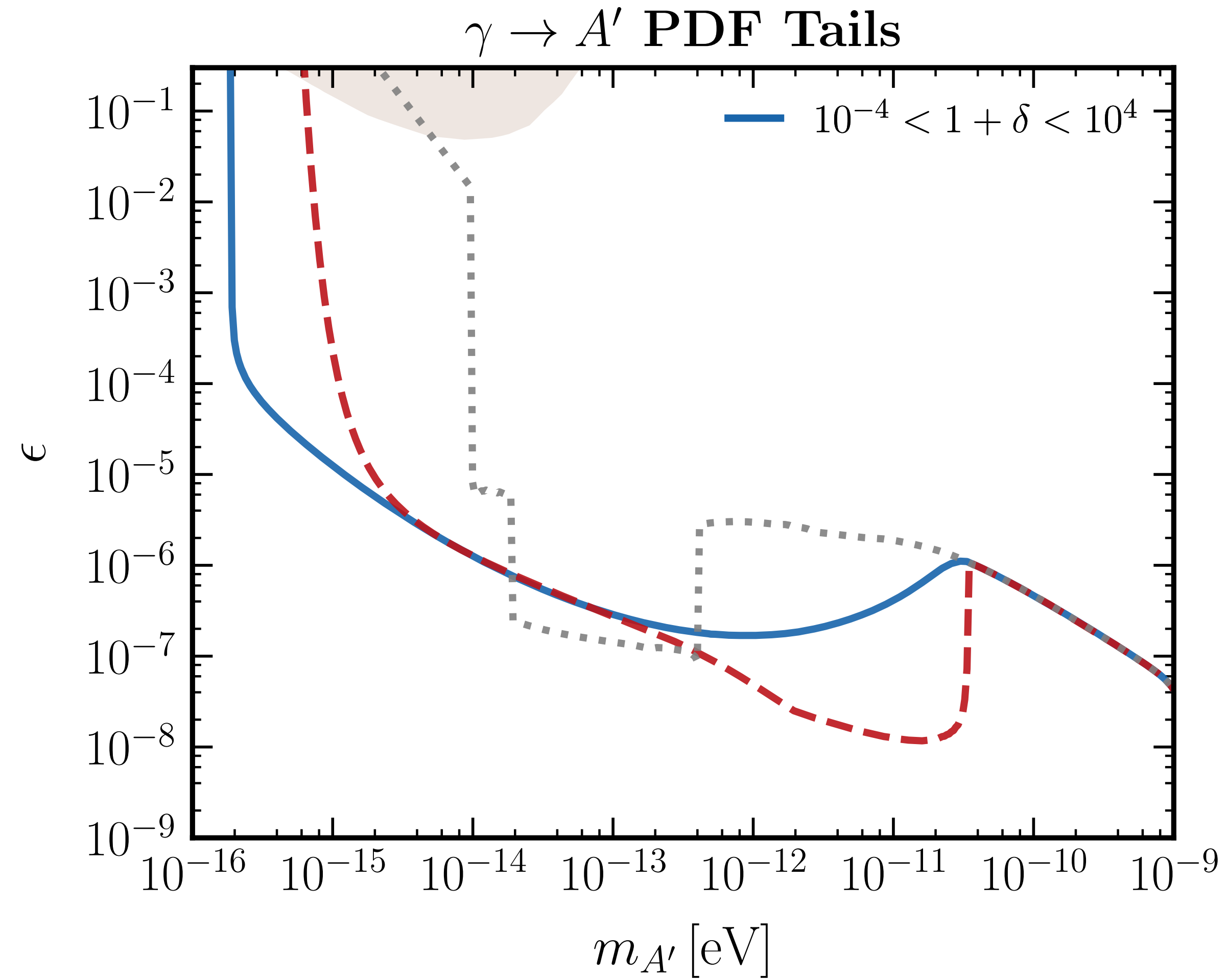
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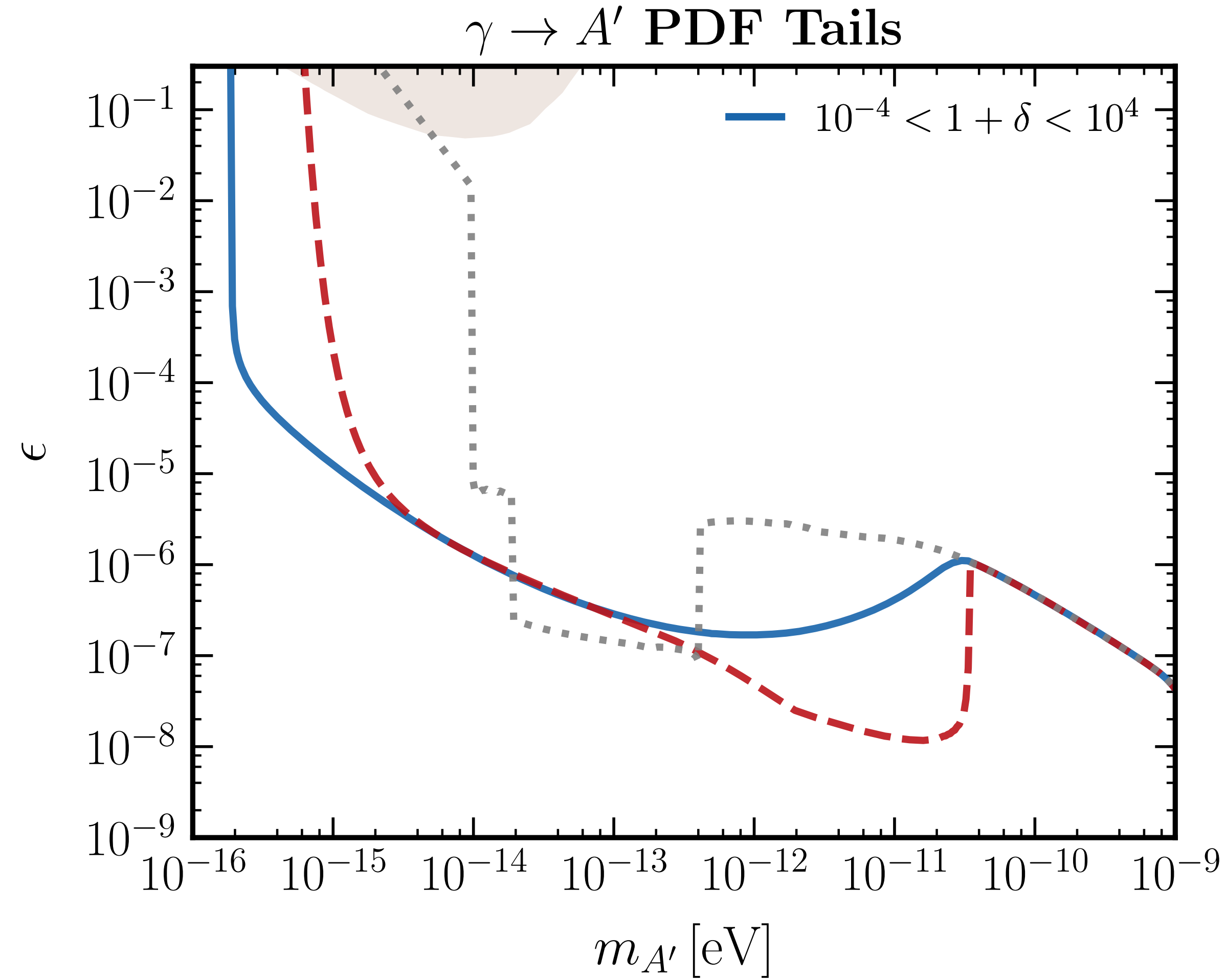
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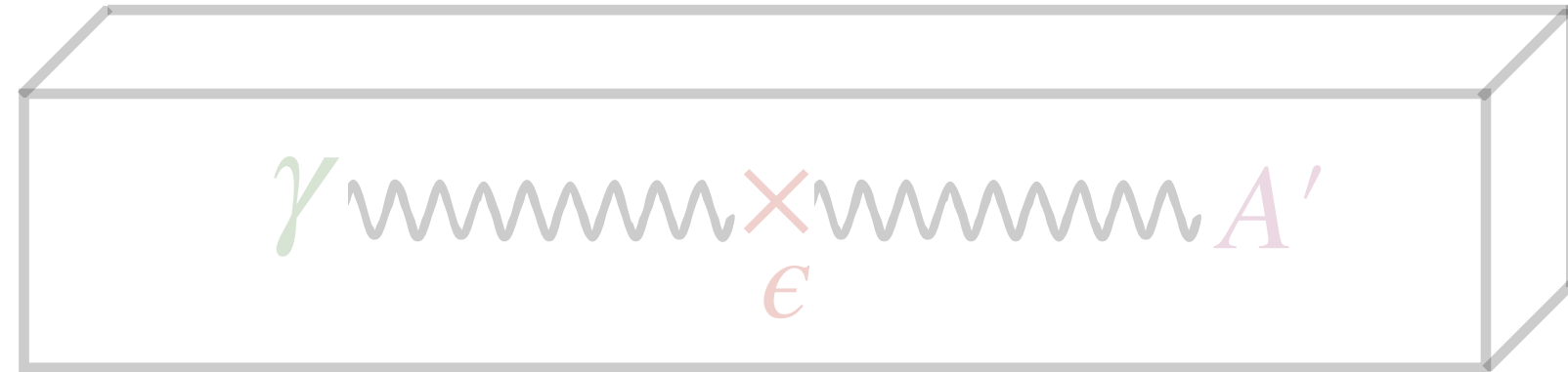
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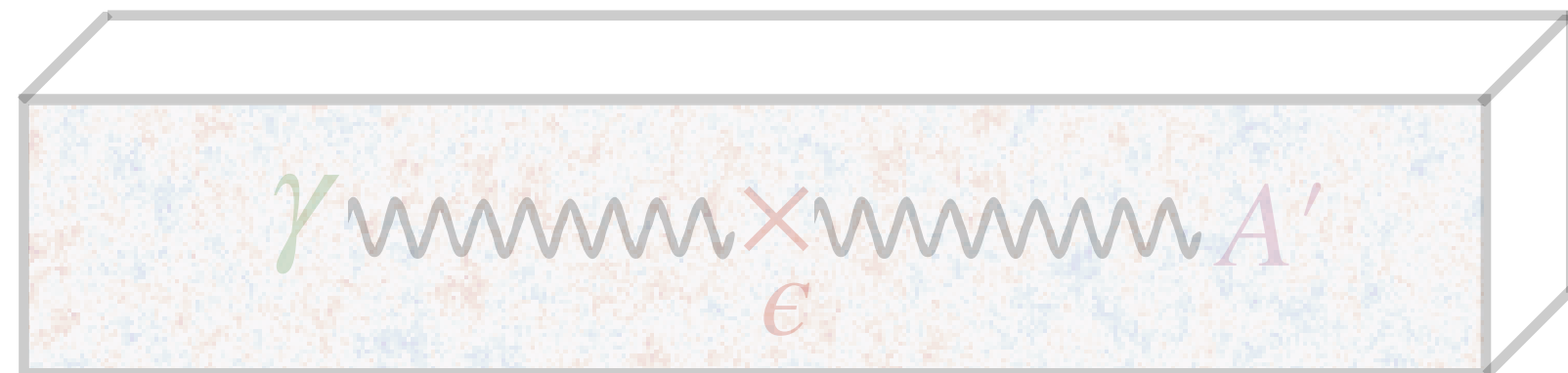


Stronger constraints are possible
with a better understanding of larger
over/under-densities

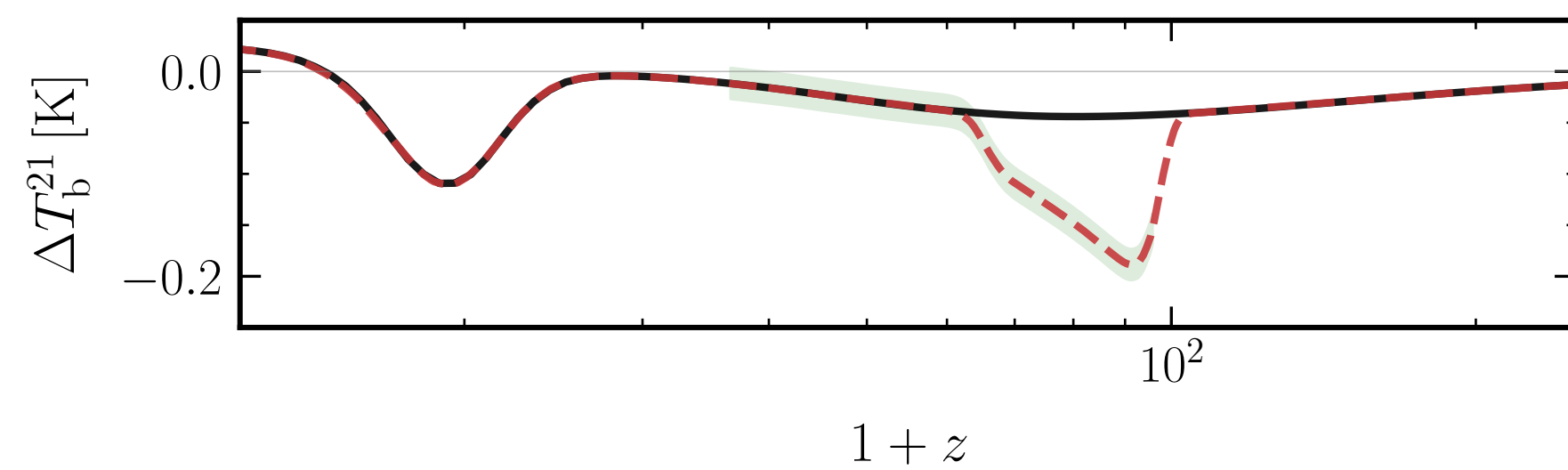
Outline



Dark photons
and resonant conversions

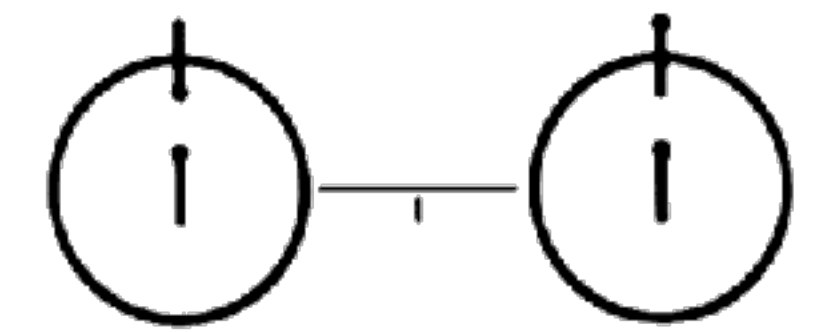


Dark photon oscillations
with inhomogeneities

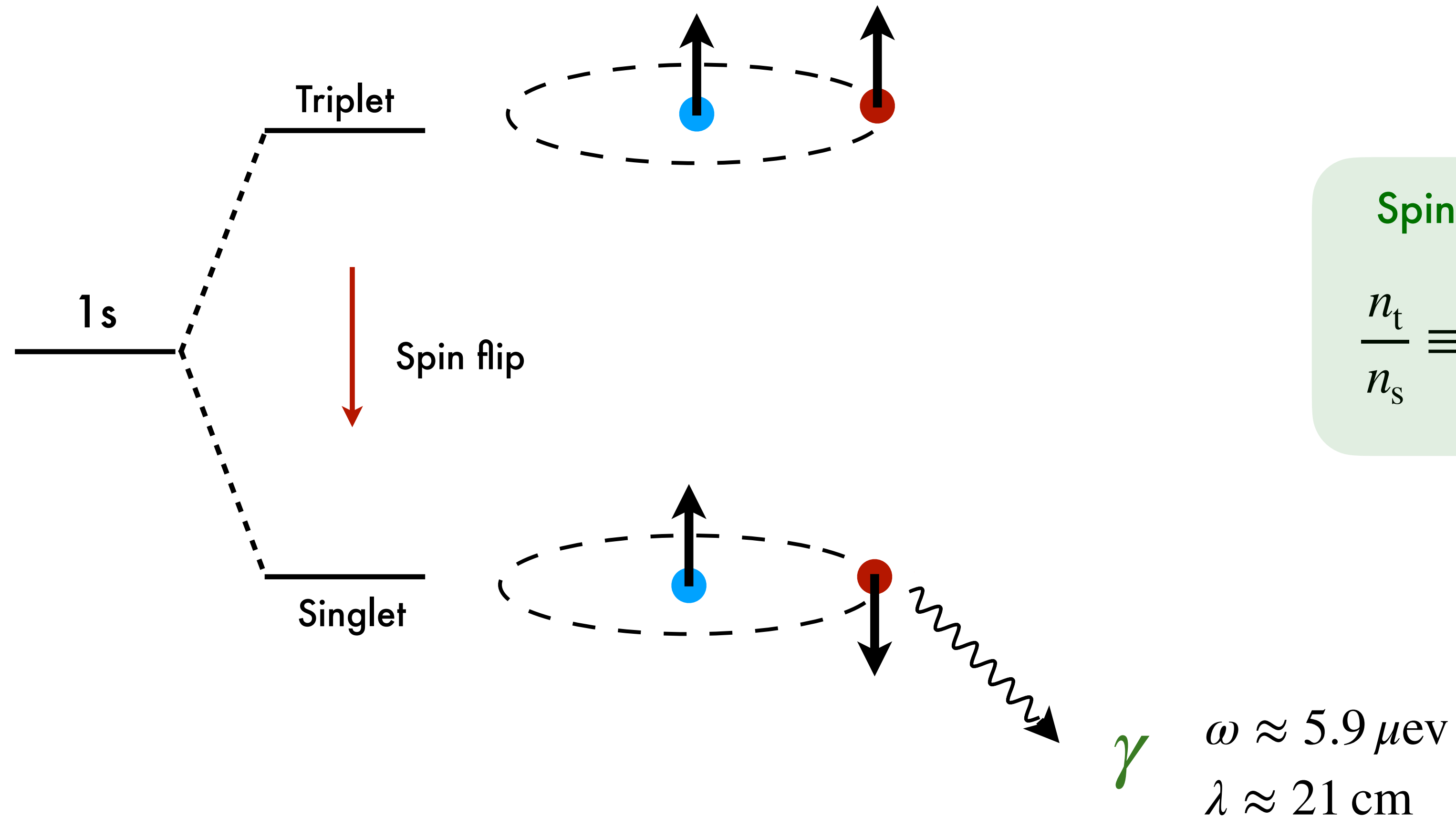


Dark photon signatures
in 21-cm

21-cm primer



Hyperfine splitting of hydrogen 1s:

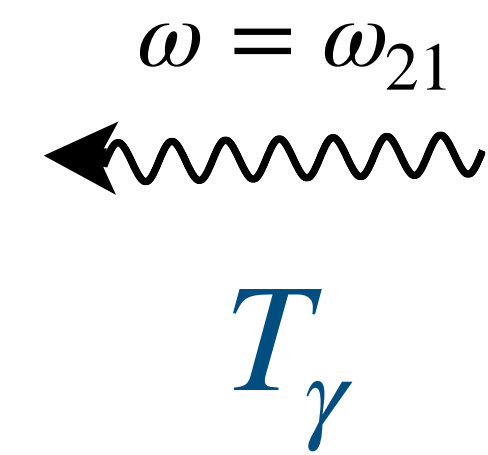
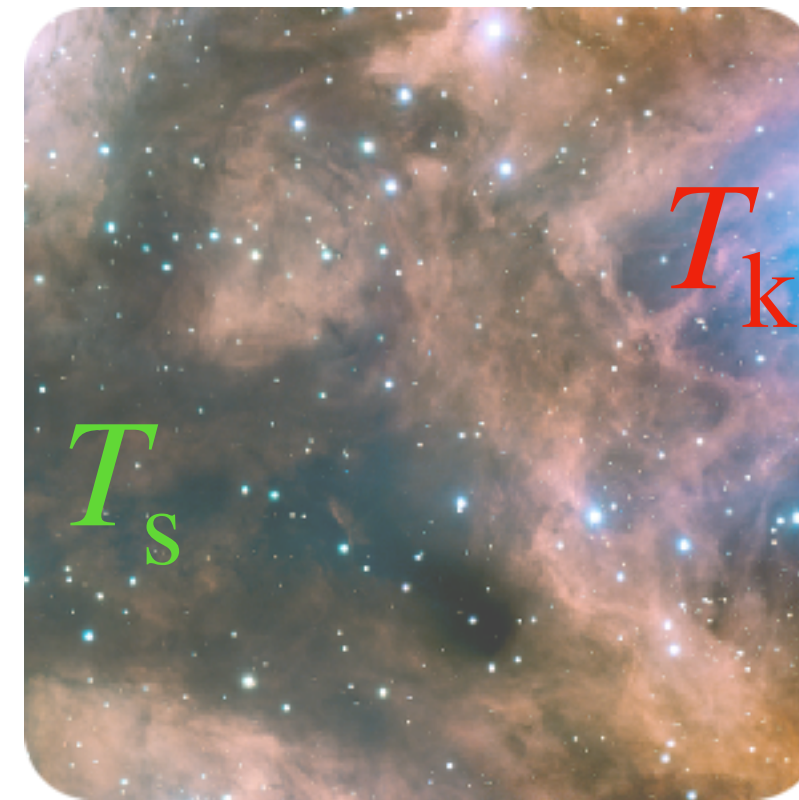


Spin temperature T_s

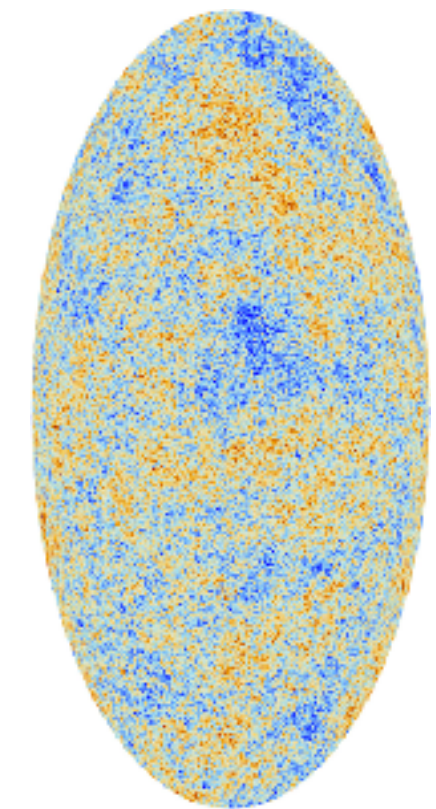
$$\frac{n_t}{n_s} \equiv 3 \exp\left(-\frac{\omega_{21}}{T_s}\right)$$

21-cm primer

Neutral hydrogen (HI)
In the intergalactic medium (IGM)



CMB
Source of 21-cm photons

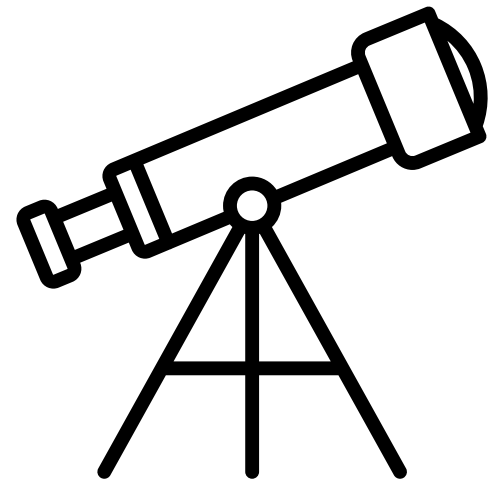


Spin temperature T_s

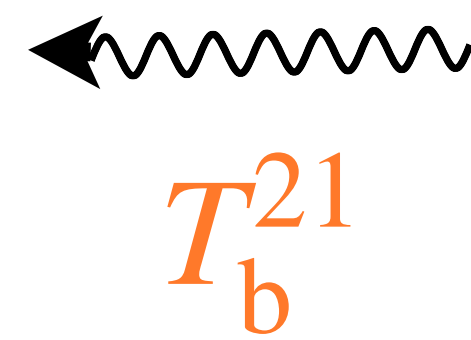
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21-cm primer

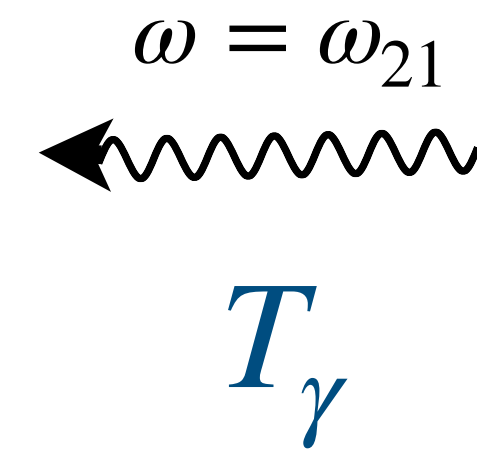
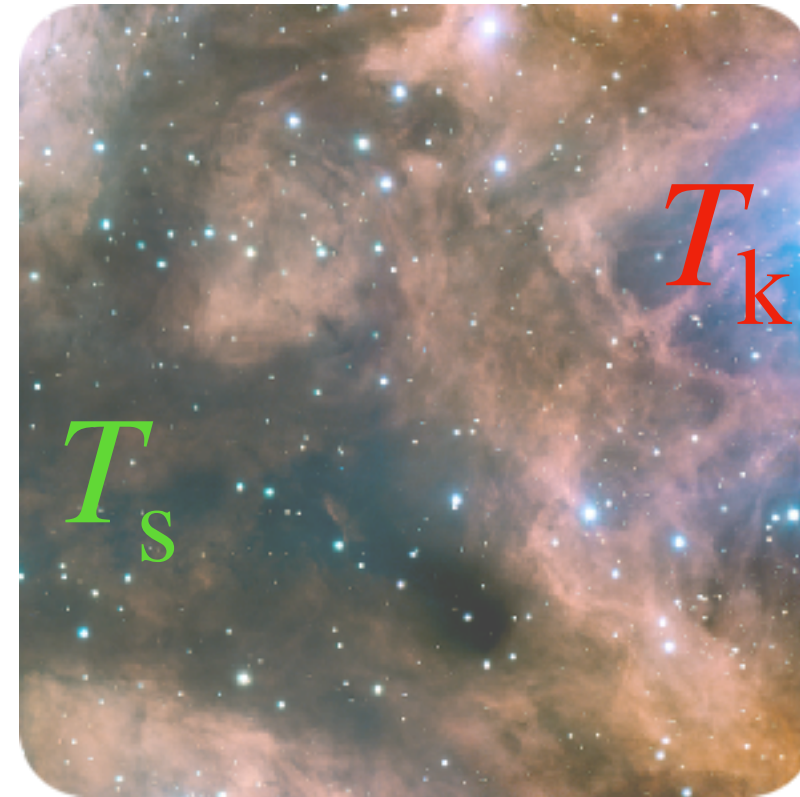
Observation



$$\omega_{\text{obs}} = \frac{\omega_{21}}{1+z}$$

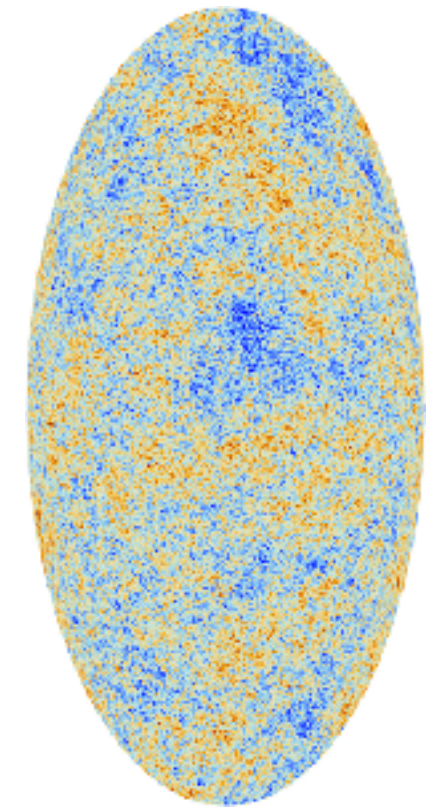


Neutral hydrogen (HI) In the intergalactic medium (IGM)



CMB

Source of 21-cm photons

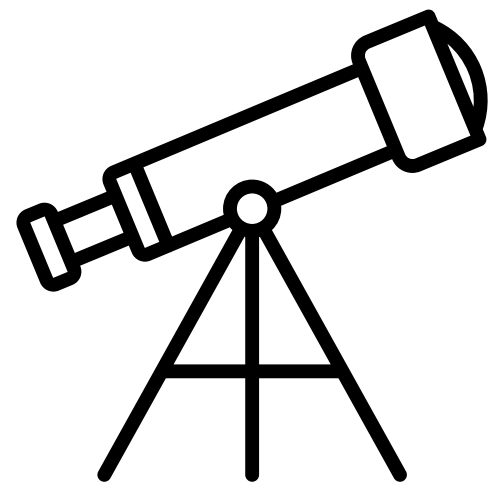


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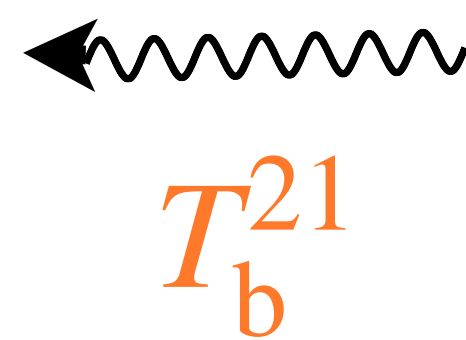
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21-cm primer

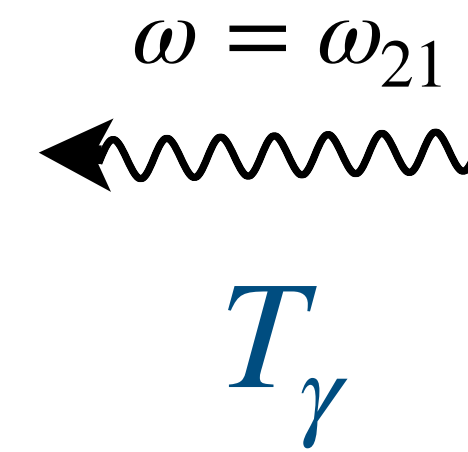
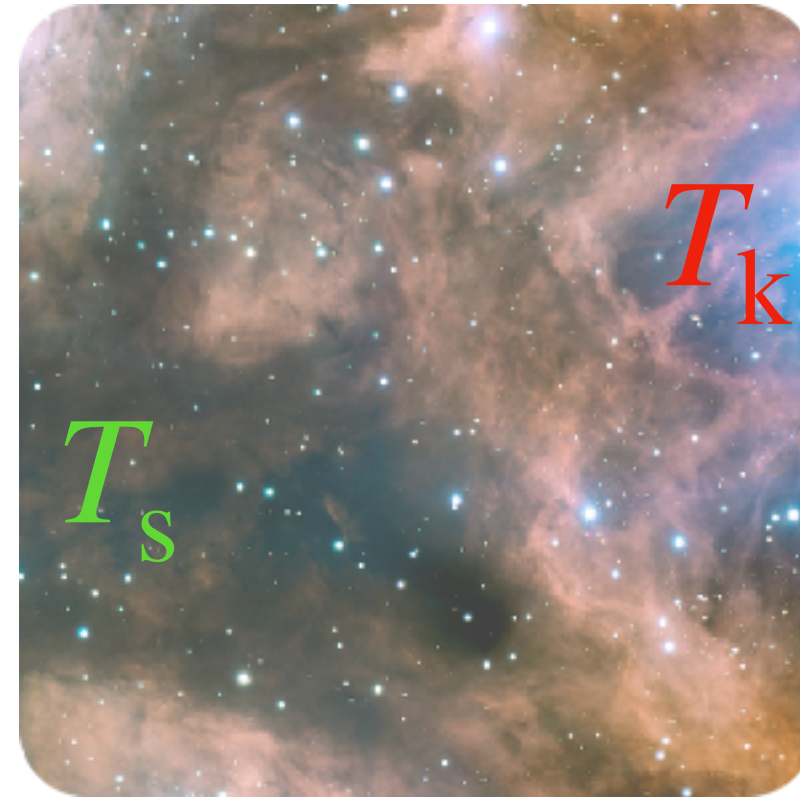
Observation



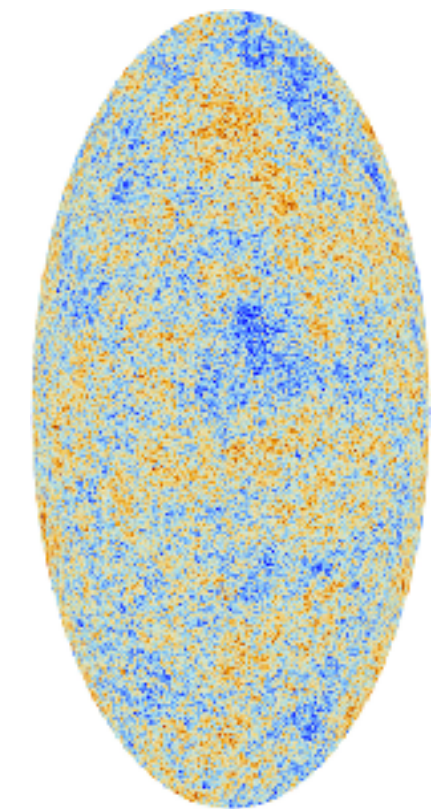
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Neutral hydrogen (HI) In the intergalactic medium (IGM)



CMB Source of 21-cm photons



Brightness temperature ΔT_b^{21}

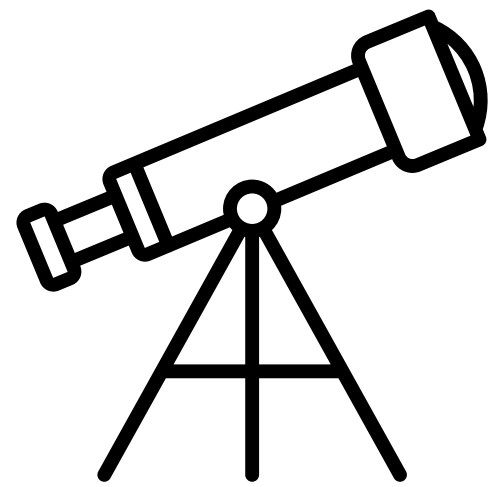
$$\Delta T_b^{21} \propto x_{\text{HI}} \left(1 - \frac{T_\gamma}{T_s} \right)$$

Spin temperature T_s

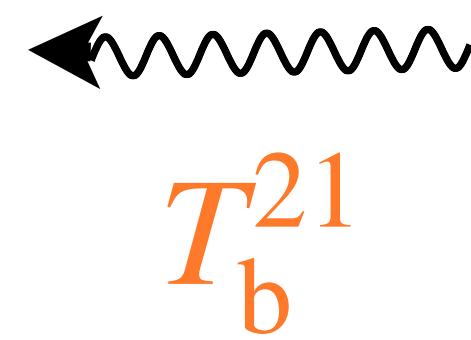
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21-cm primer

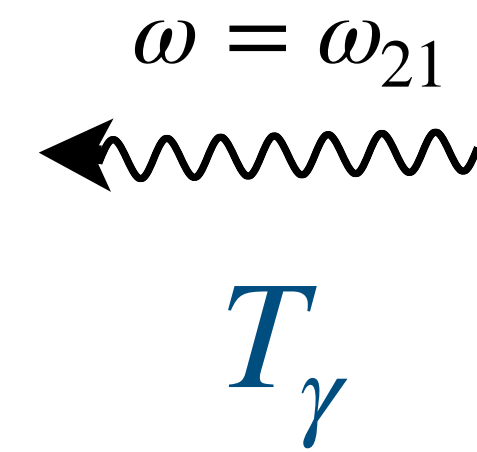
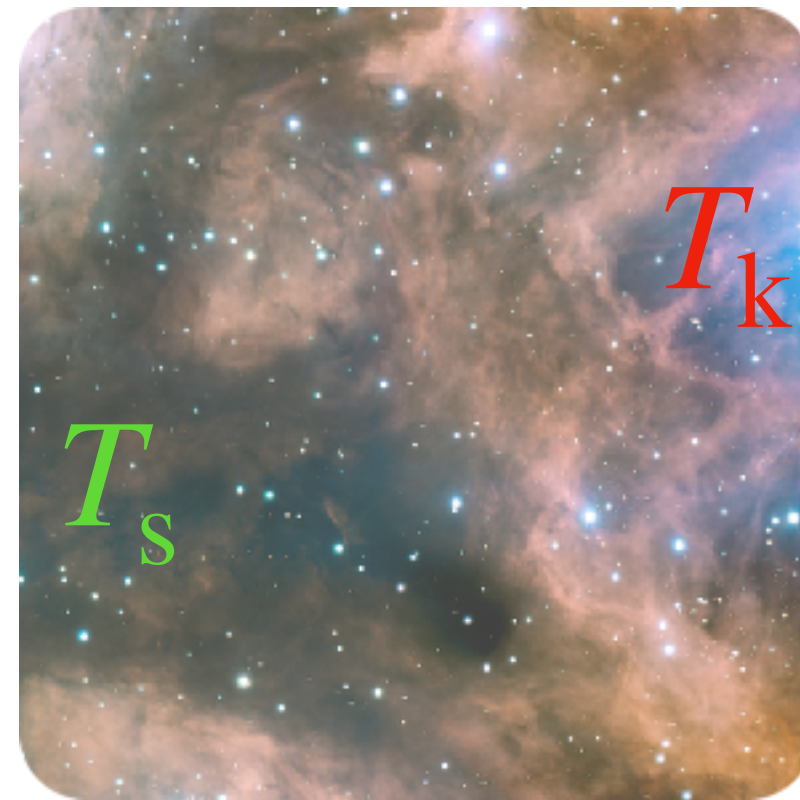
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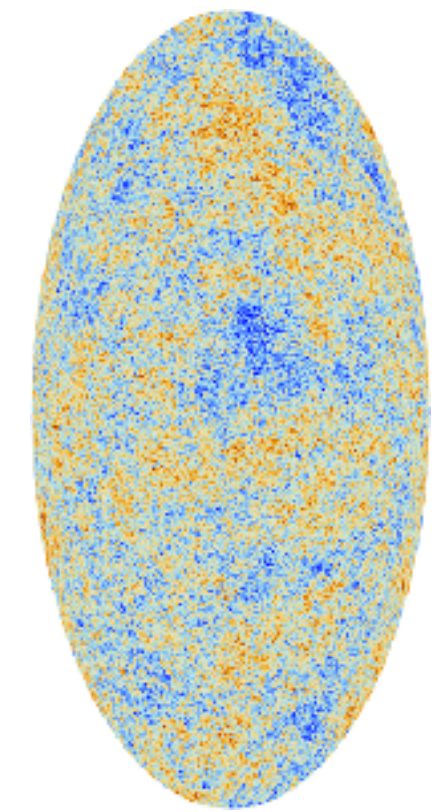
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CMB Source of 21-cm photons



Brightness temperature ΔT_b^{21}

$$\Delta T_b^{21} \propto x_{\text{HI}} \left(1 - \frac{T_\gamma}{T_s} \right)$$

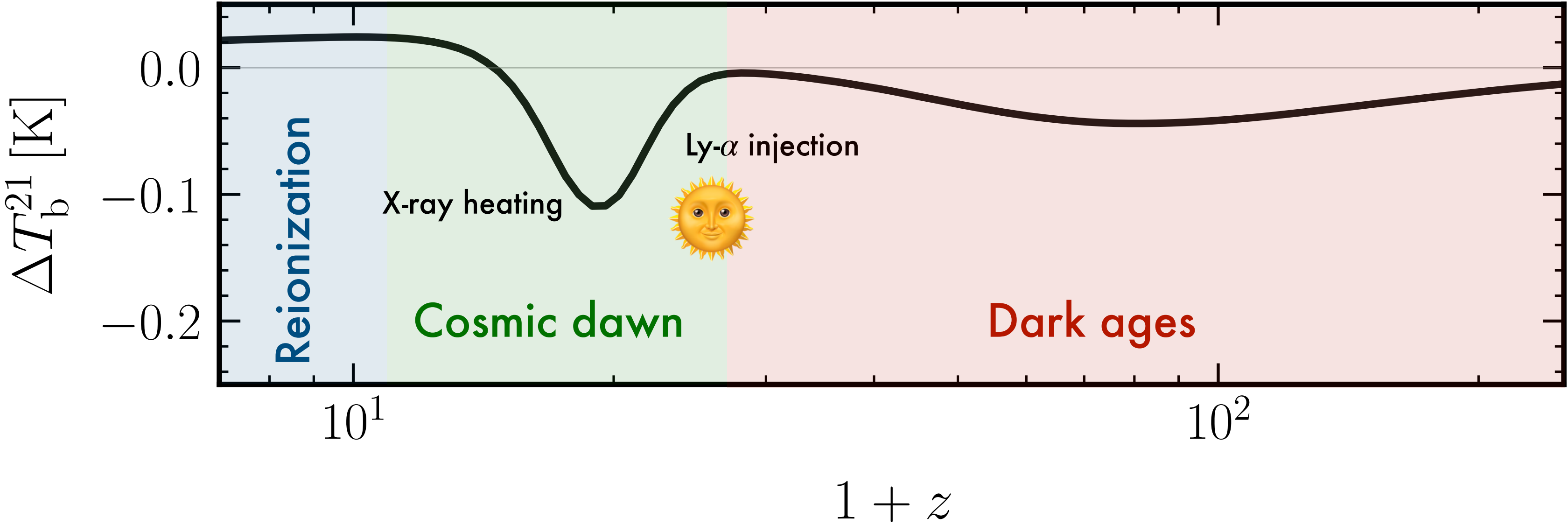
$$T_s > T_\gamma \implies \Delta T_b^{21} > 0 \text{ (emission)}$$

$$T_s < T_\gamma \implies \Delta T_b^{21} < 0 \text{ (absorption)}$$

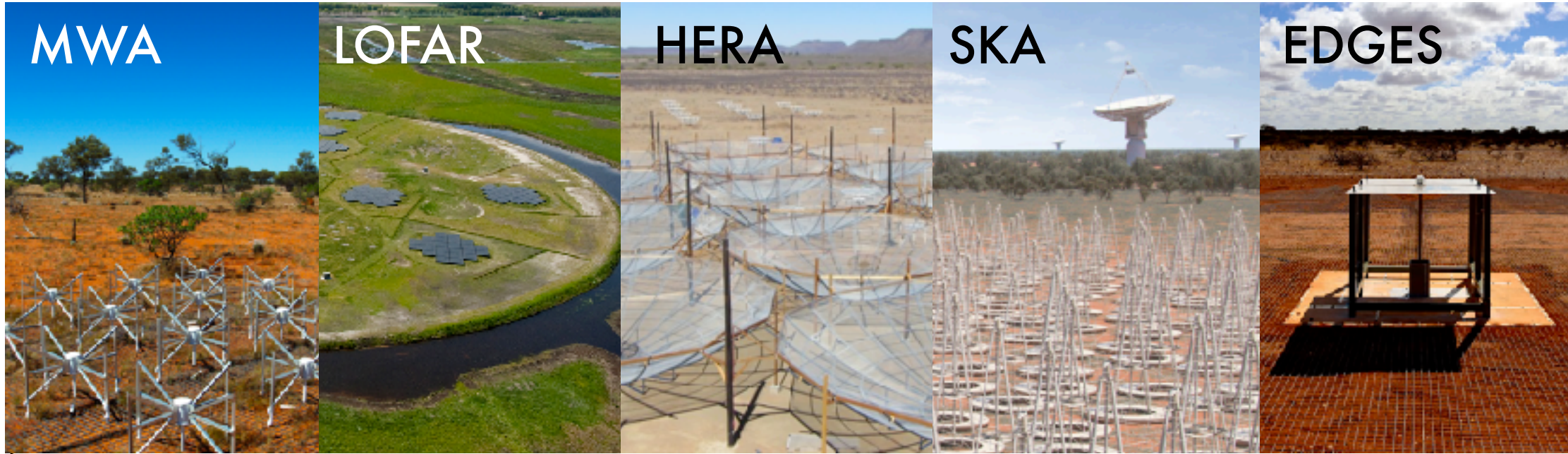
Spin temperature T_s

$$\frac{n_t}{n_s} \equiv 3 \exp \left(-\frac{\omega_{21}}{T_s} \right)$$

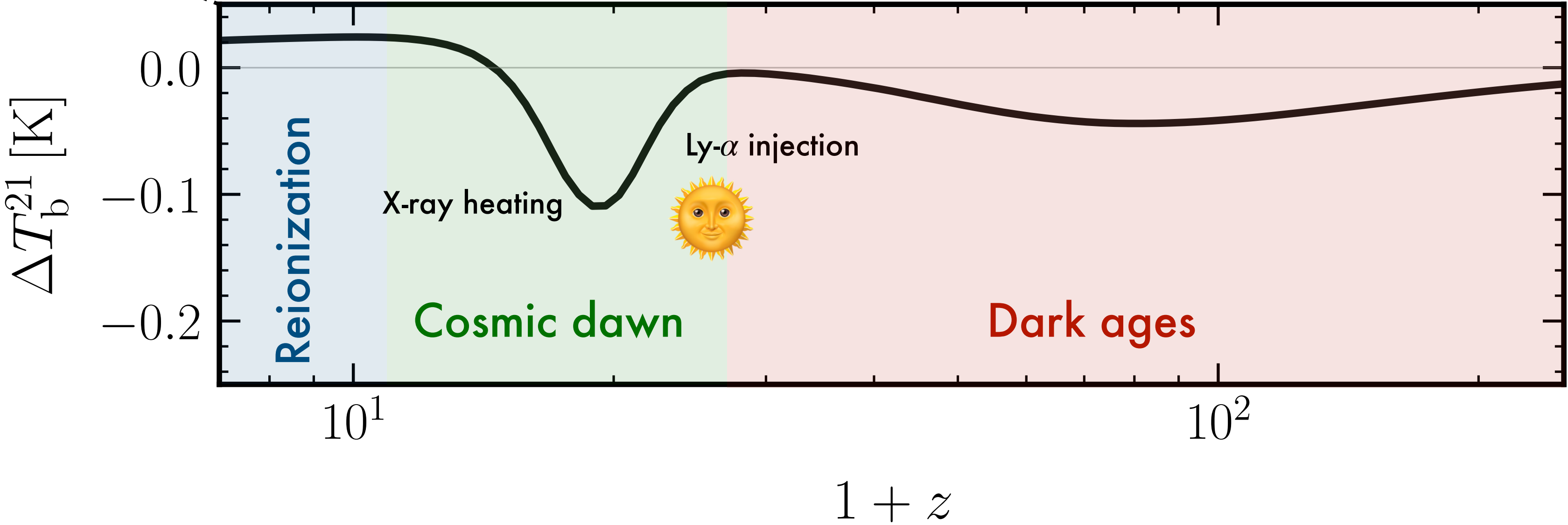
Observations of the (global) 21-cm signal



Observations of the (global) 21-cm signal

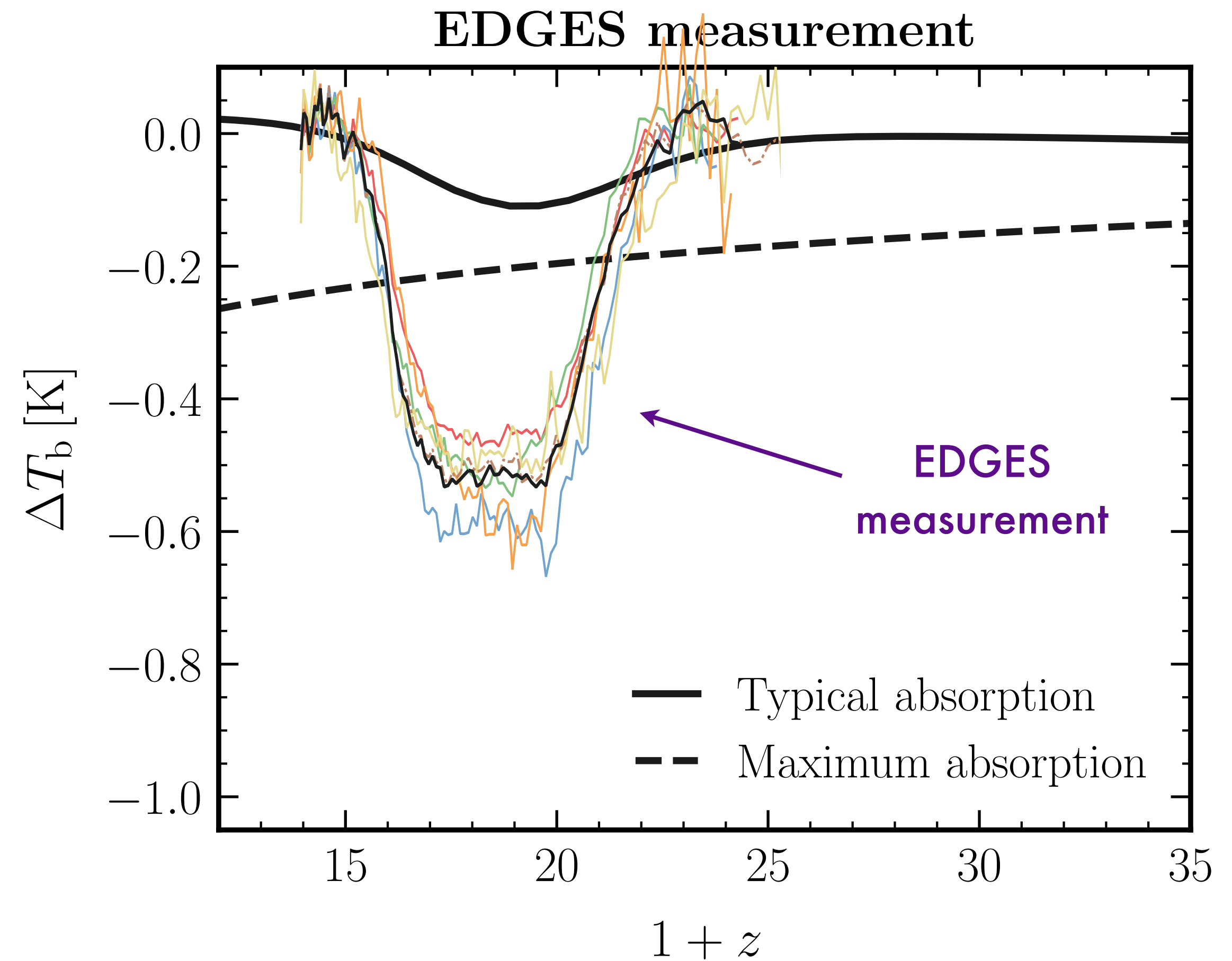


Many current/upcoming observations targeting **cosmic dawn** and **reionization**



EDGES 21-cm signal

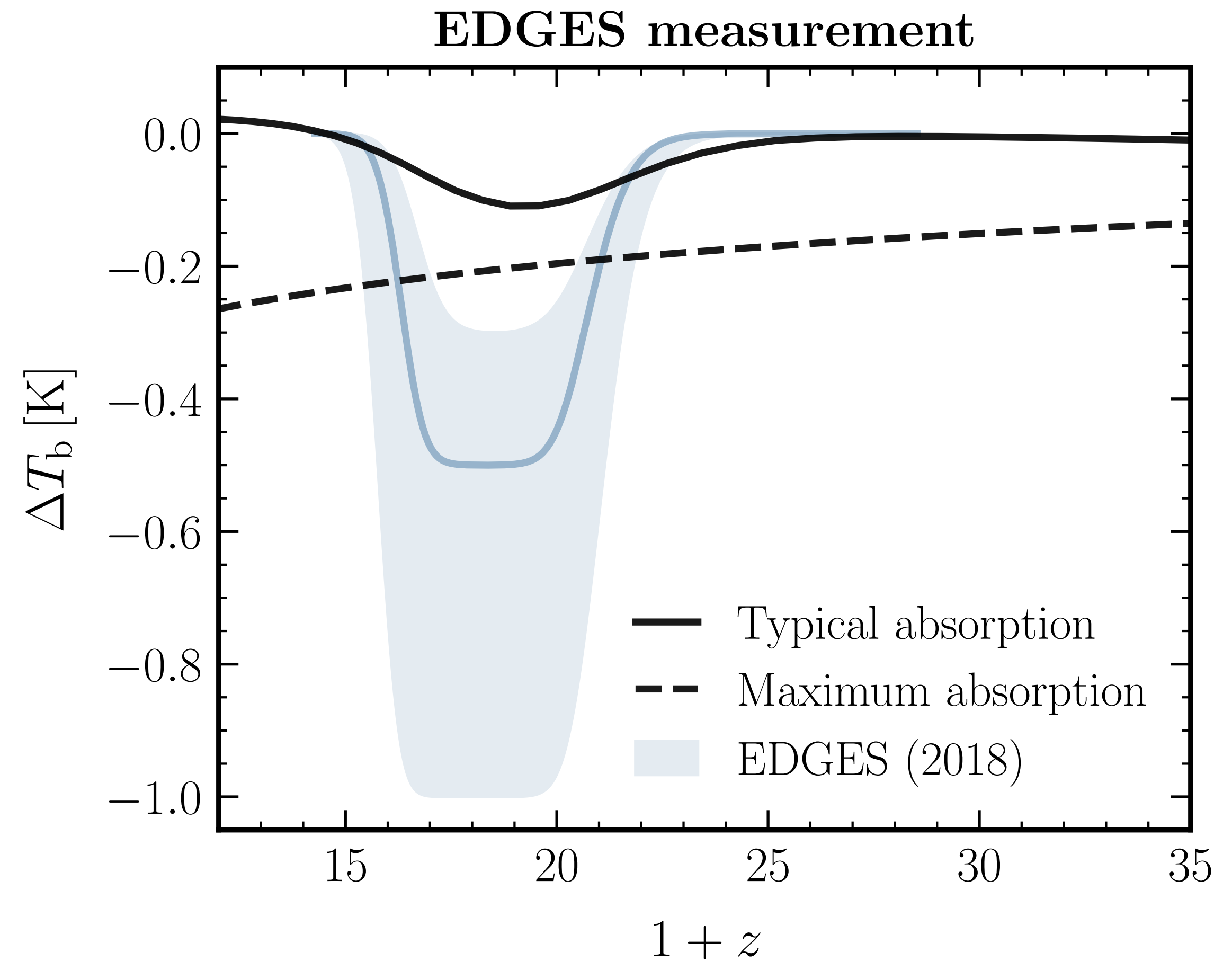
(Experiment to Detect the Global EoR Signature)



Bowman et al, Nature (2018)

EDGES 21-cm signal

(Experiment to Detect the Global EoR Signature)



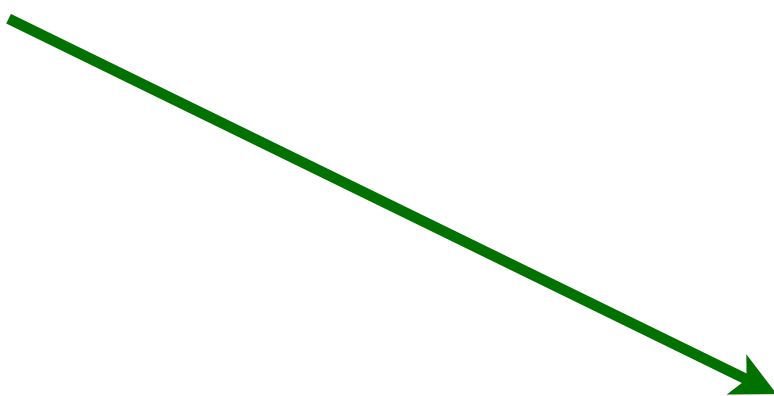
Bowman et al, Nature (2018)

Extra 21-cm absorption with new physics

$$\Delta T_b^{21} \propto 1 - \frac{T_\gamma}{T_s}$$

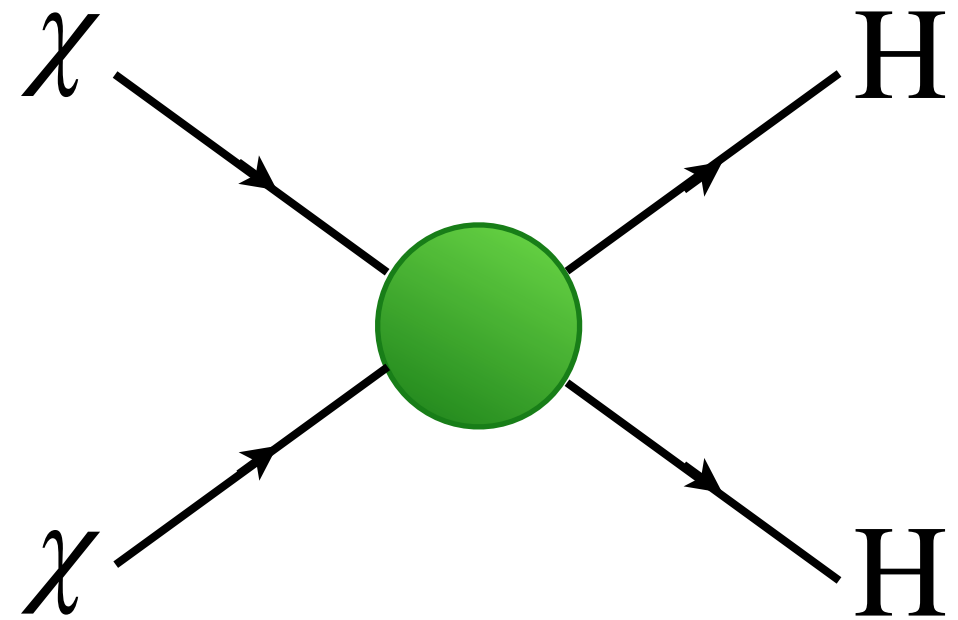
Extra 21-cm absorption with new physics

$$\Delta T_b^{21} \propto 1 - \frac{T_\gamma}{T_s}$$



Cool baryons

Muñoz & Loeb [1802.10094]
Falkowski & Petraki [1803.10096]
Barkana [1803.06698]
Barkana et al [1803.03091]
Berlin et al [1803.02804]
Liu et al [1908.06986]

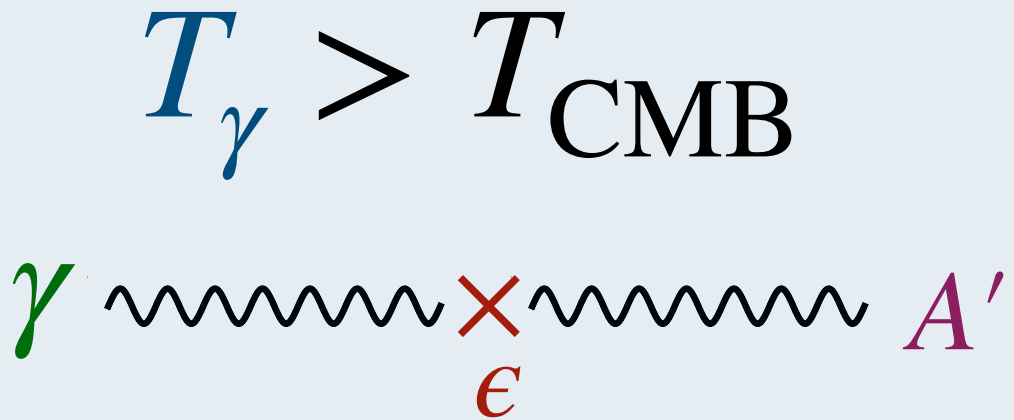


Extra 21-cm absorption with new physics

$$\Delta T_b^{21} \propto 1 - \frac{T_\gamma}{T_s}$$

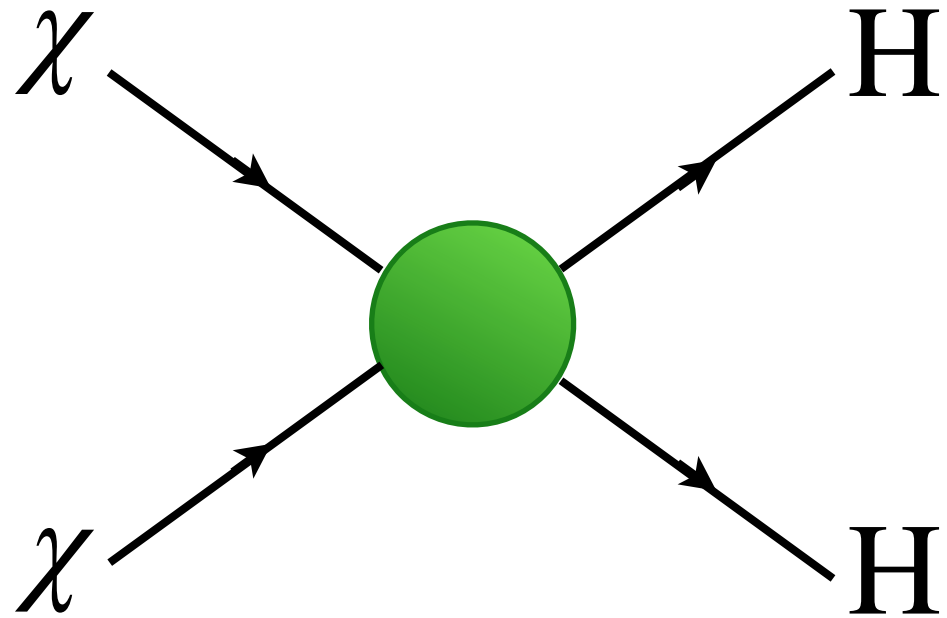
Heat photons

Pospelov et al [1803.07048]
 Moroi, Nakayama, Tang [1804.10378]
 Choi, Seong, Yun [1911.00532]



Cool baryons

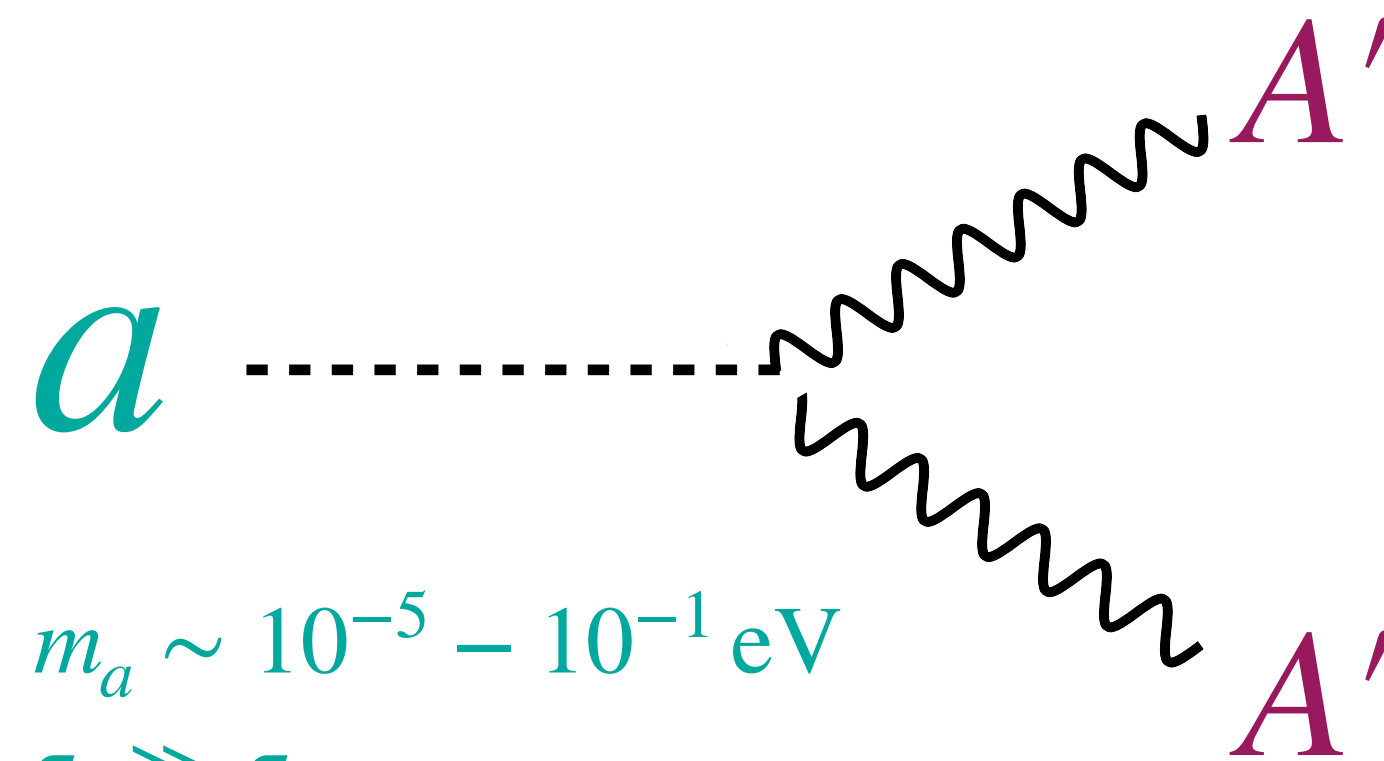
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 Barkana [1803.06698]
 Barkana et al [1803.03091]
 Berlin et al [1803.02804]
 Liu et al [1908.06986]



Heating the CMB with dark photon oscillations

Pospelov, Pradler, Ruderman, Urbano [1803.07048]

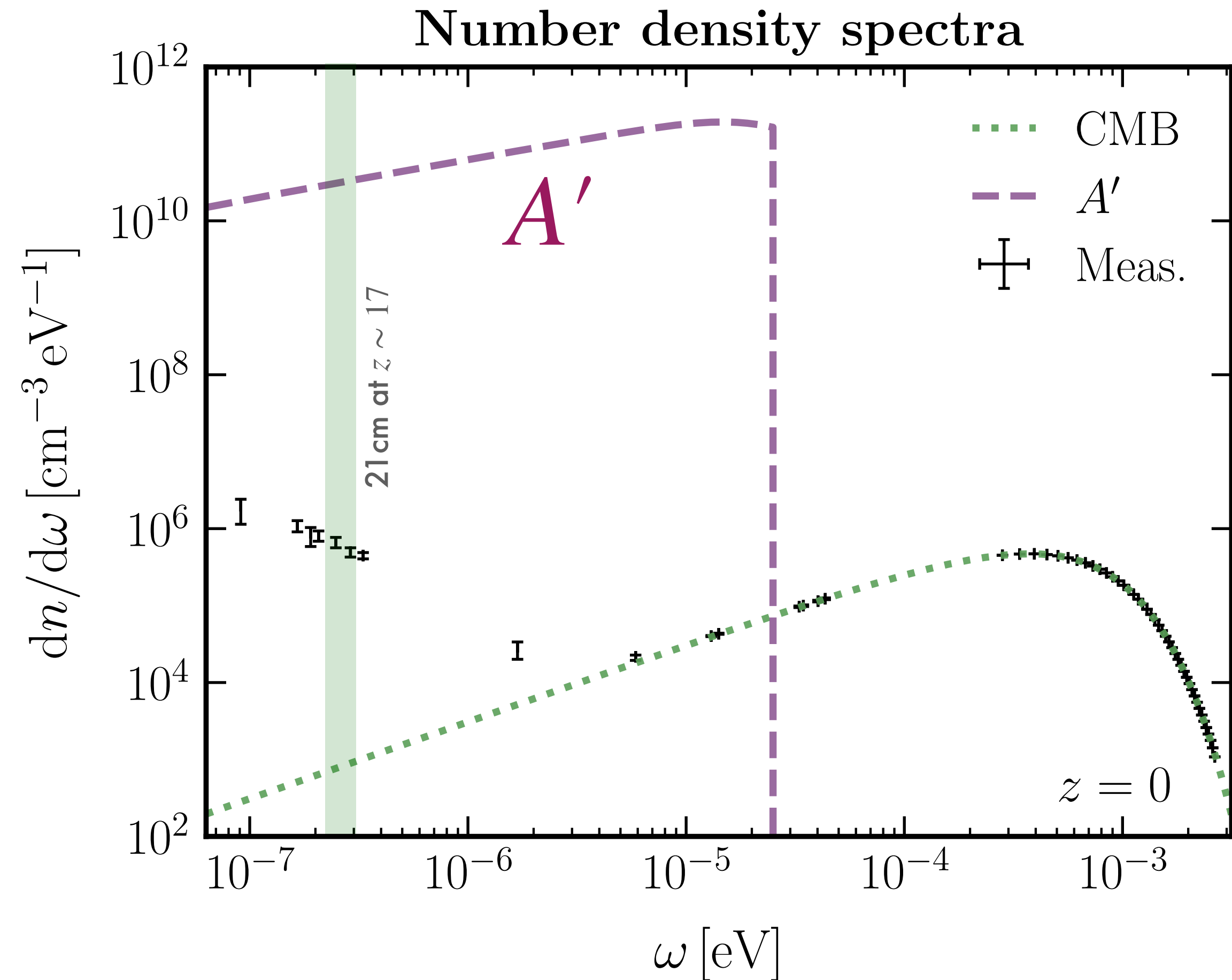
1. Decay of long-lived particle a (DM) to A'



$$m_a \sim 10^{-5} - 10^{-1} \text{ eV}$$

$$\tau_a \gg \tau_U$$

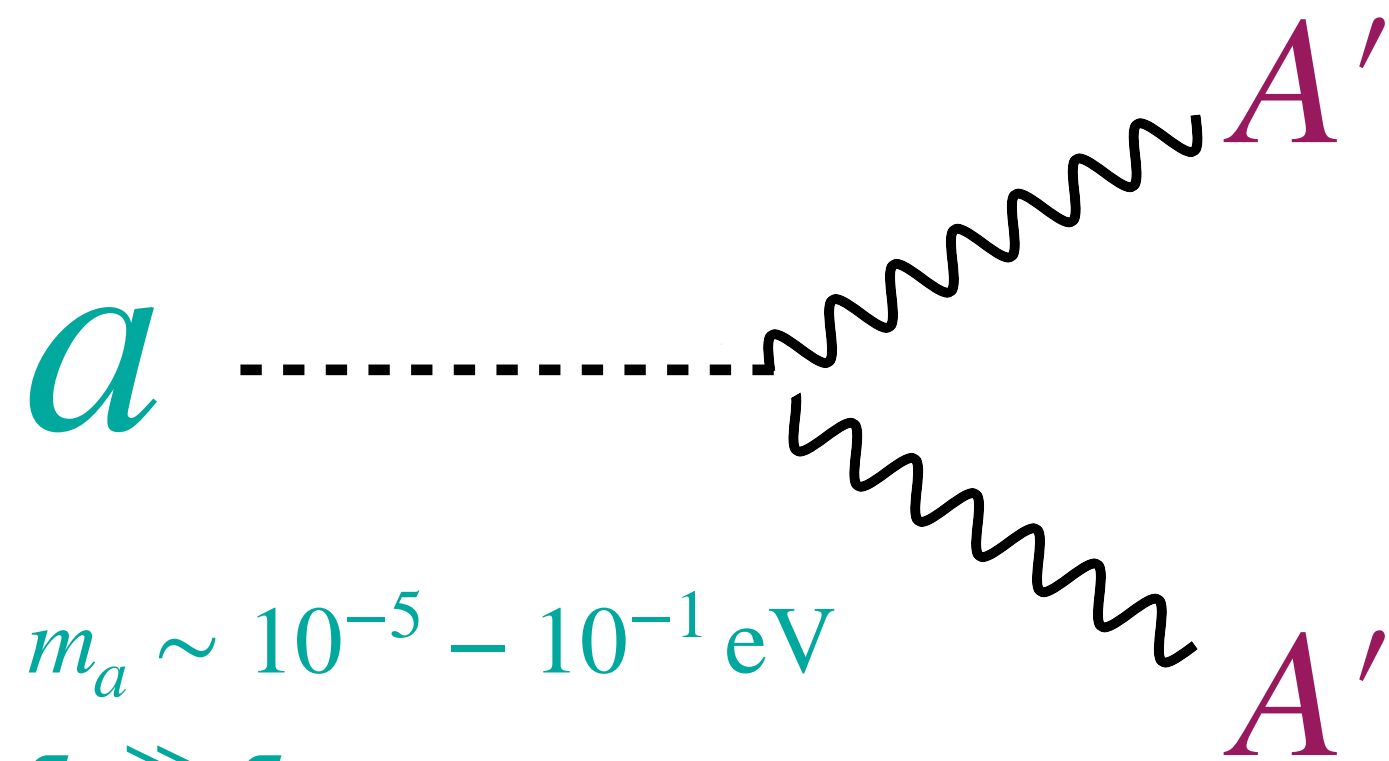
$$\Omega_a = \Omega_{\text{DM}}$$



Heating the CMB with dark photon oscillations

Pospelov, Pradler, Ruderman, Urbano [1803.07048]

1. Decay of long-lived particle a (DM) to A'

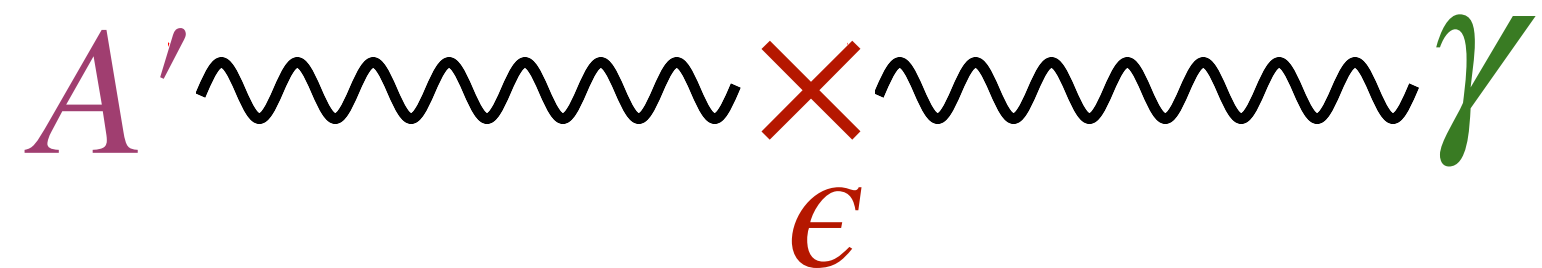


$$m_a \sim 10^{-5} - 10^{-1} \text{ eV}$$

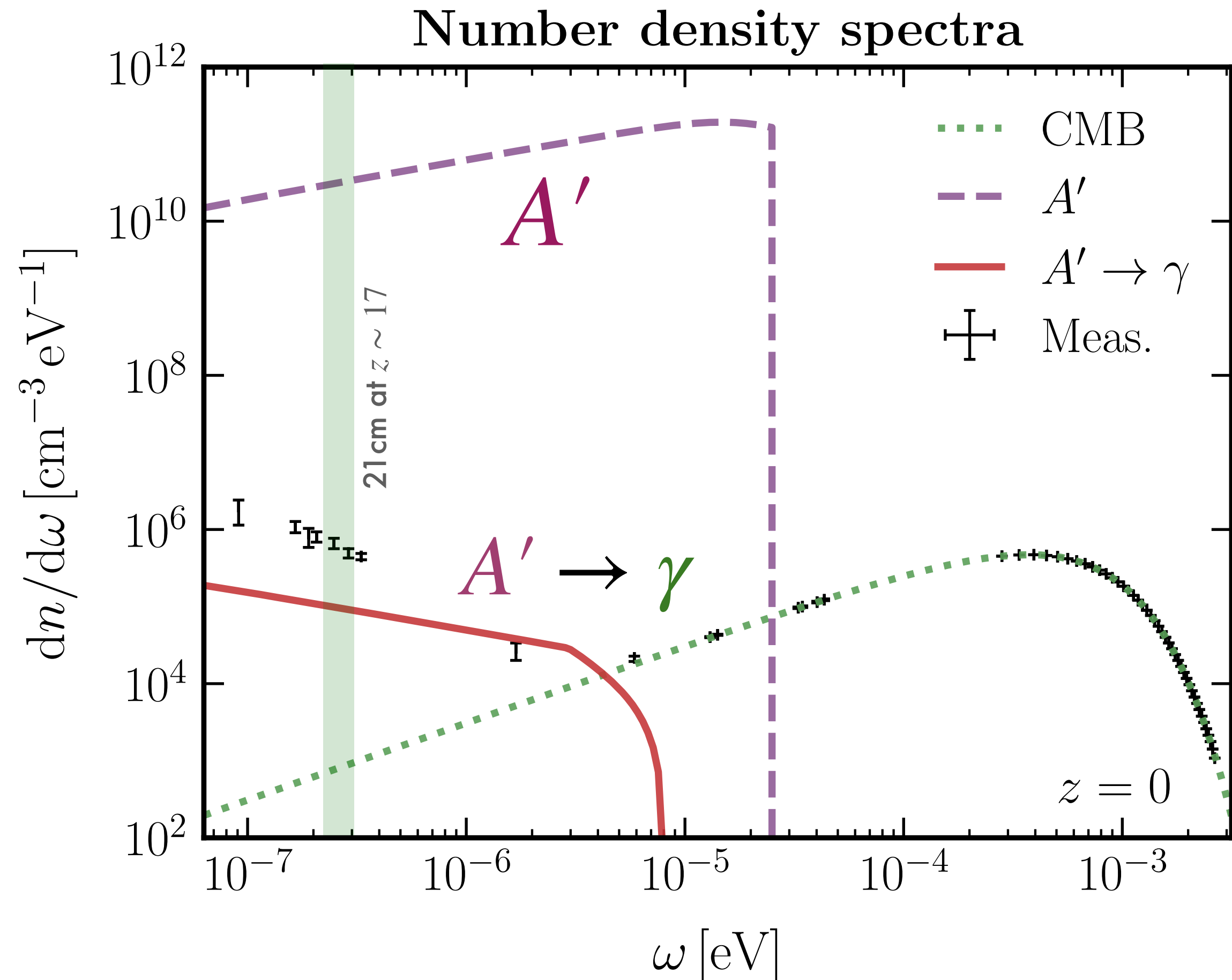
$$\tau_a \gg \tau_U$$

$$\Omega_a = \Omega_{\text{DM}}$$

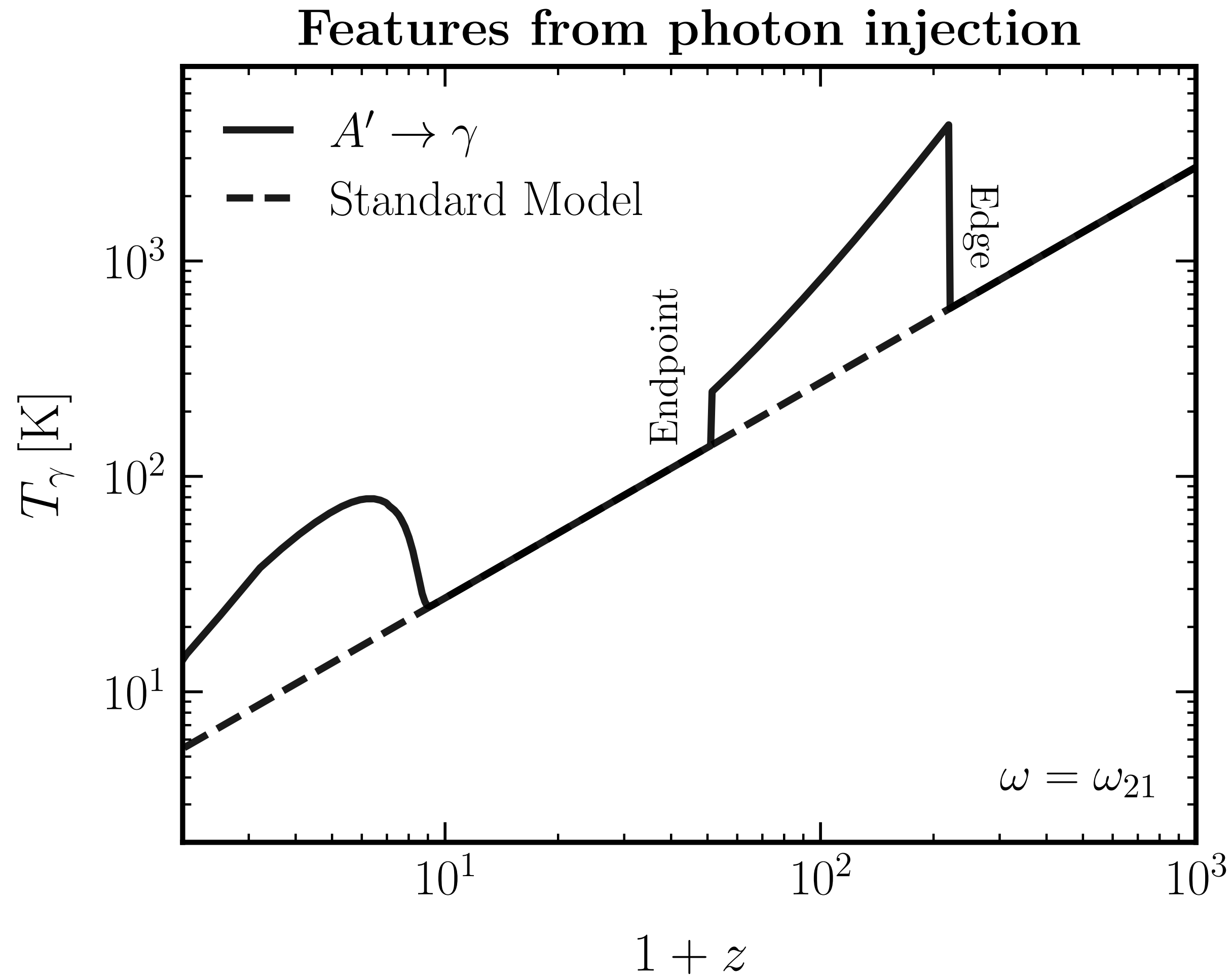
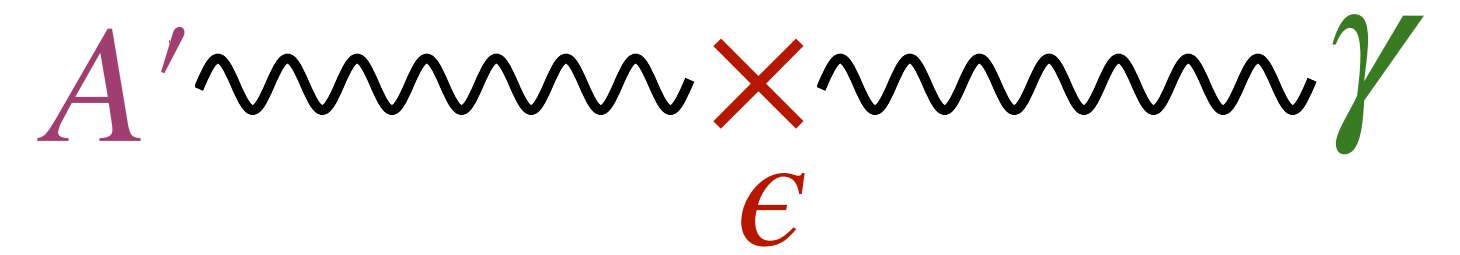
2. Resonant conversion of A' to γ



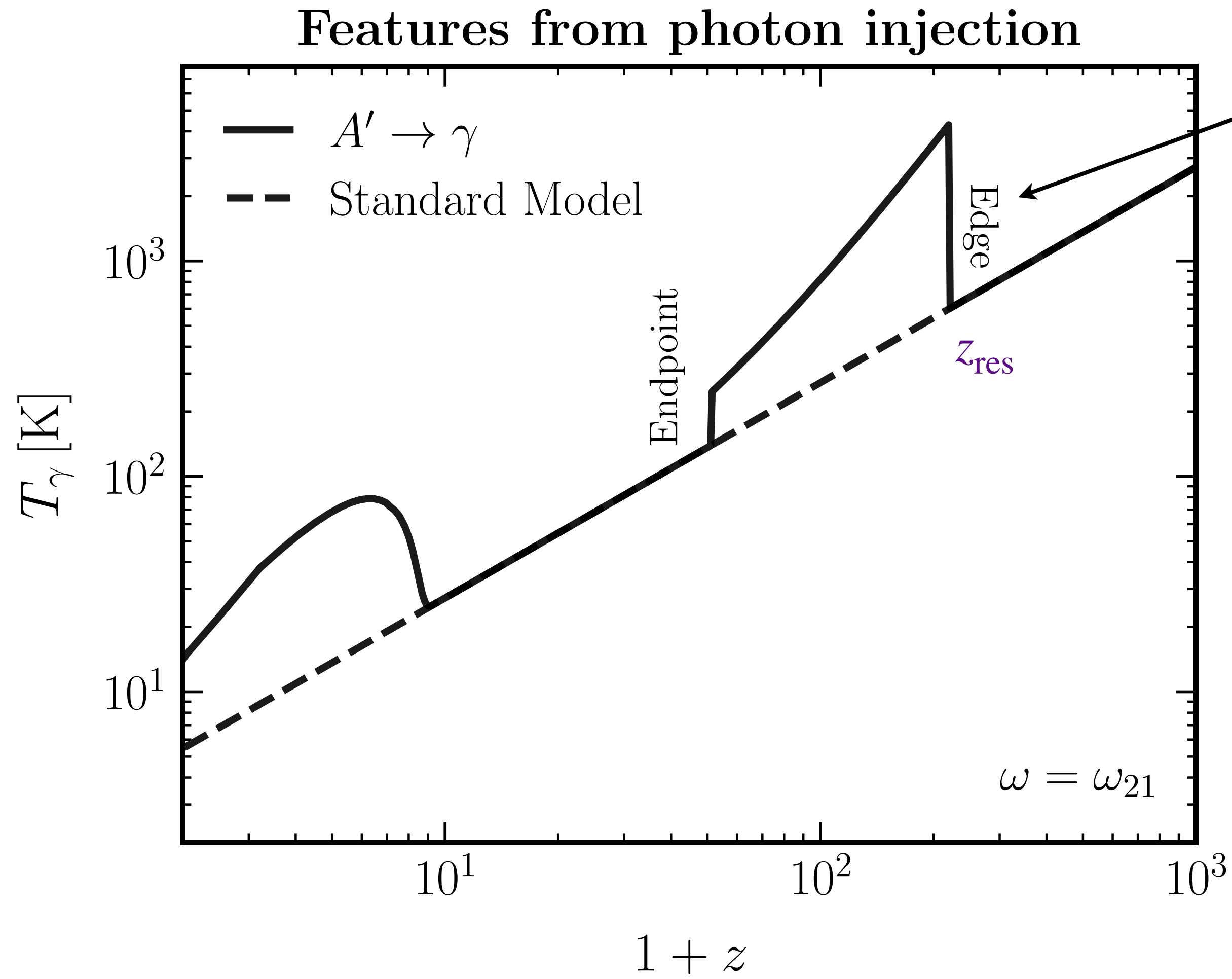
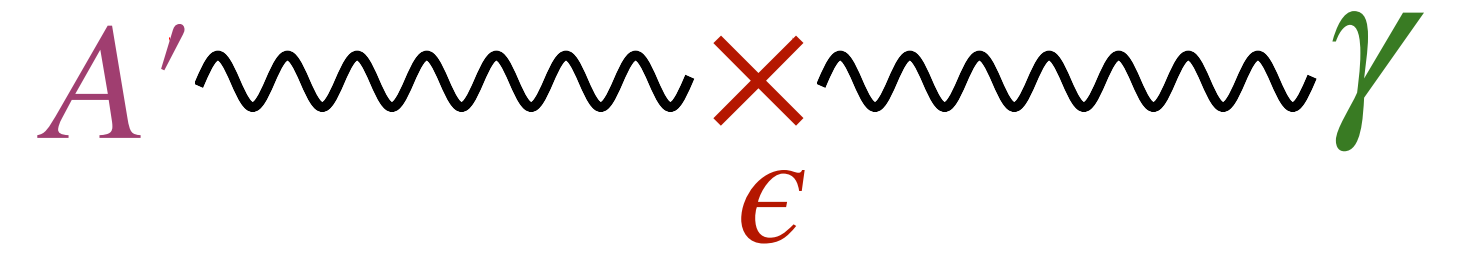
$$m_{A'} \sim 10^{-13} - 10^{-9} \text{ eV}$$



Features in 21-cm from dark photons



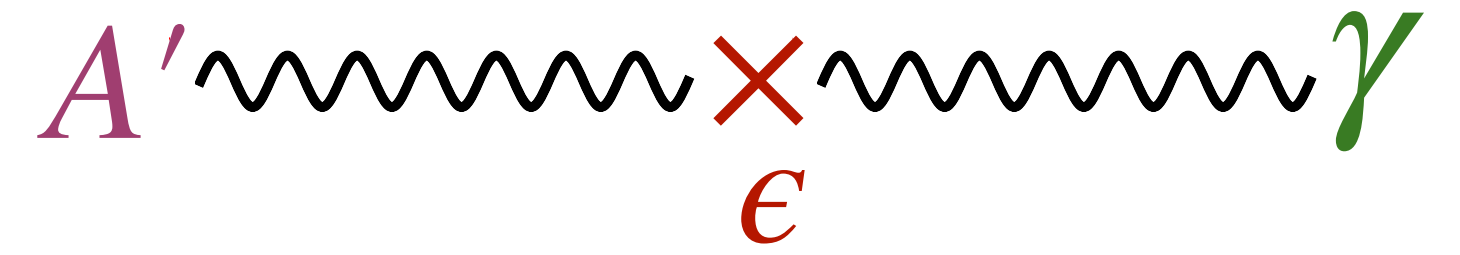
Features in 21-cm from dark photons



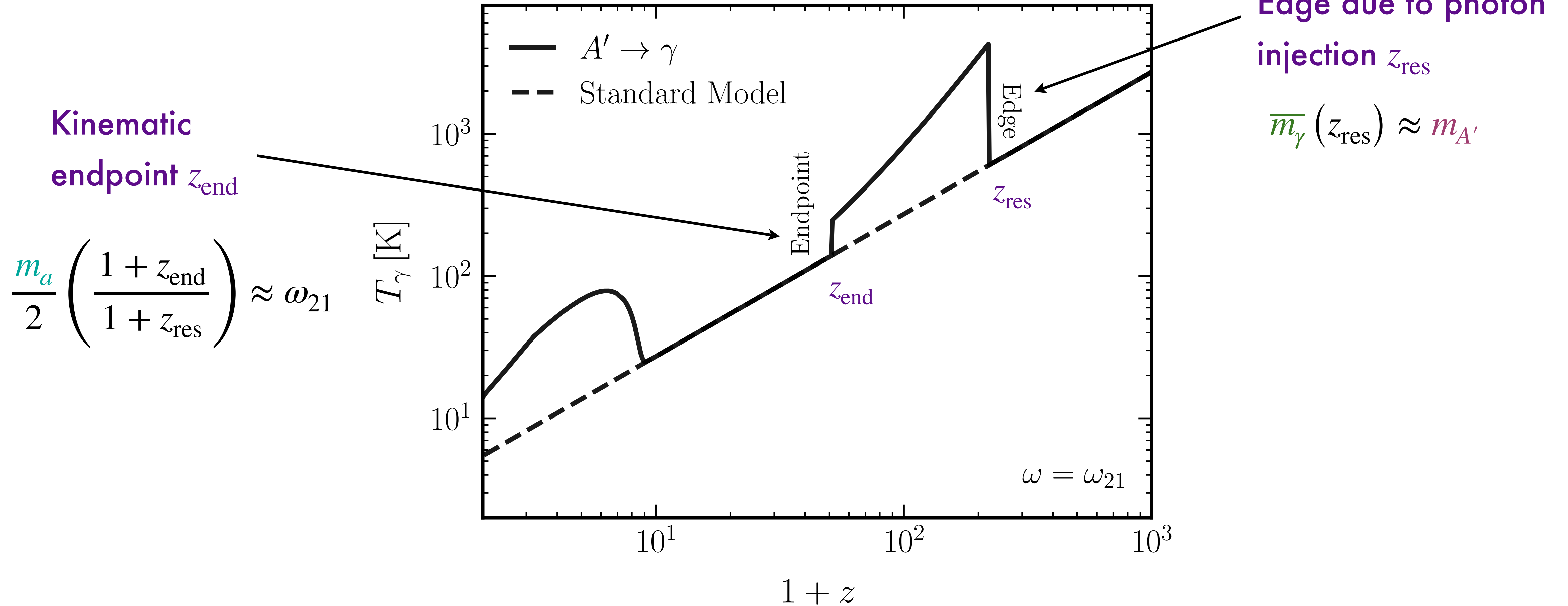
Edge due to photon injection z_{res}

$$\overline{m}_\gamma(z_{\text{res}}) \approx m_{A'}$$

Features in 21-cm from dark photons



Features from photon injection



Benchmark 1: signal during cosmic dawn

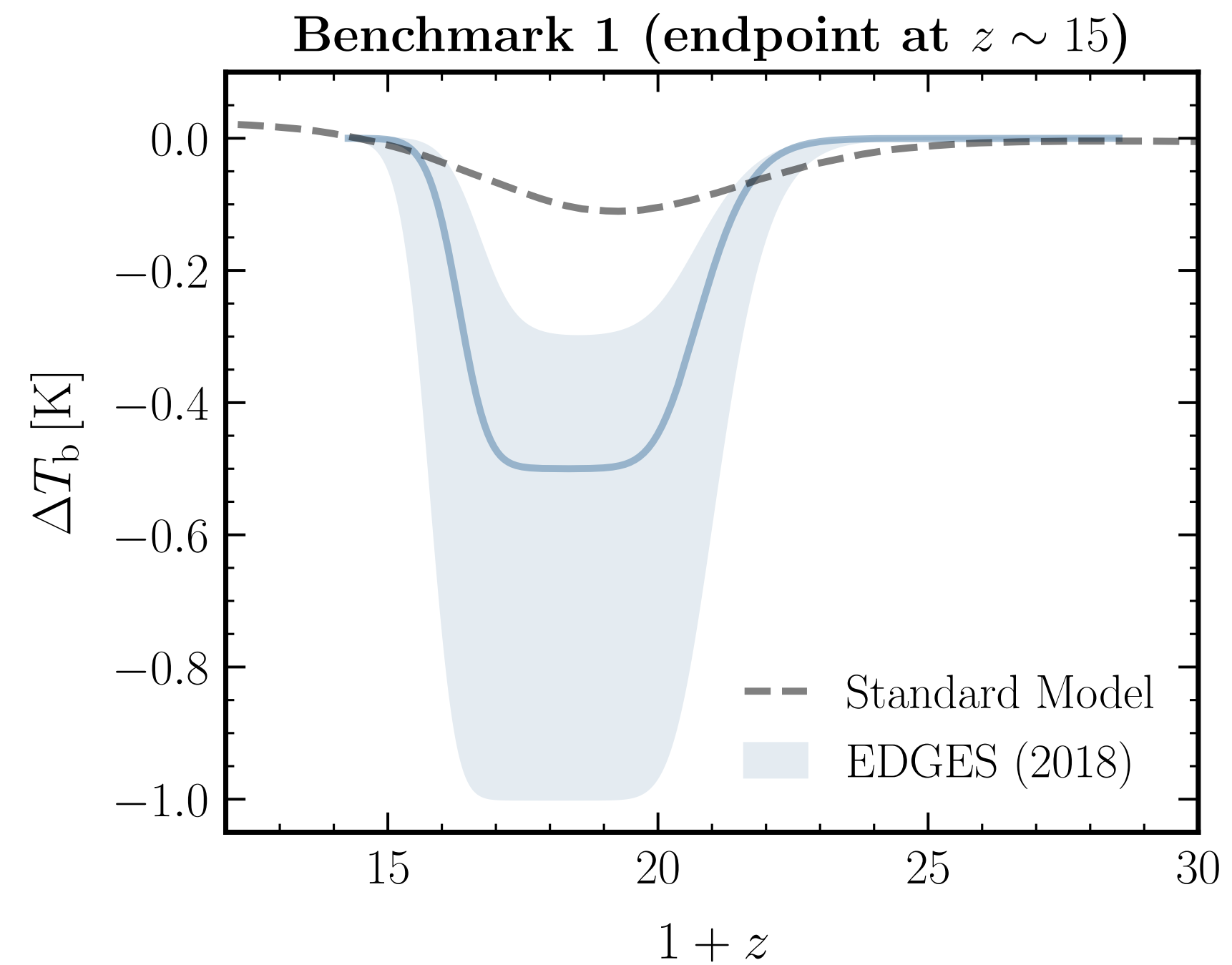
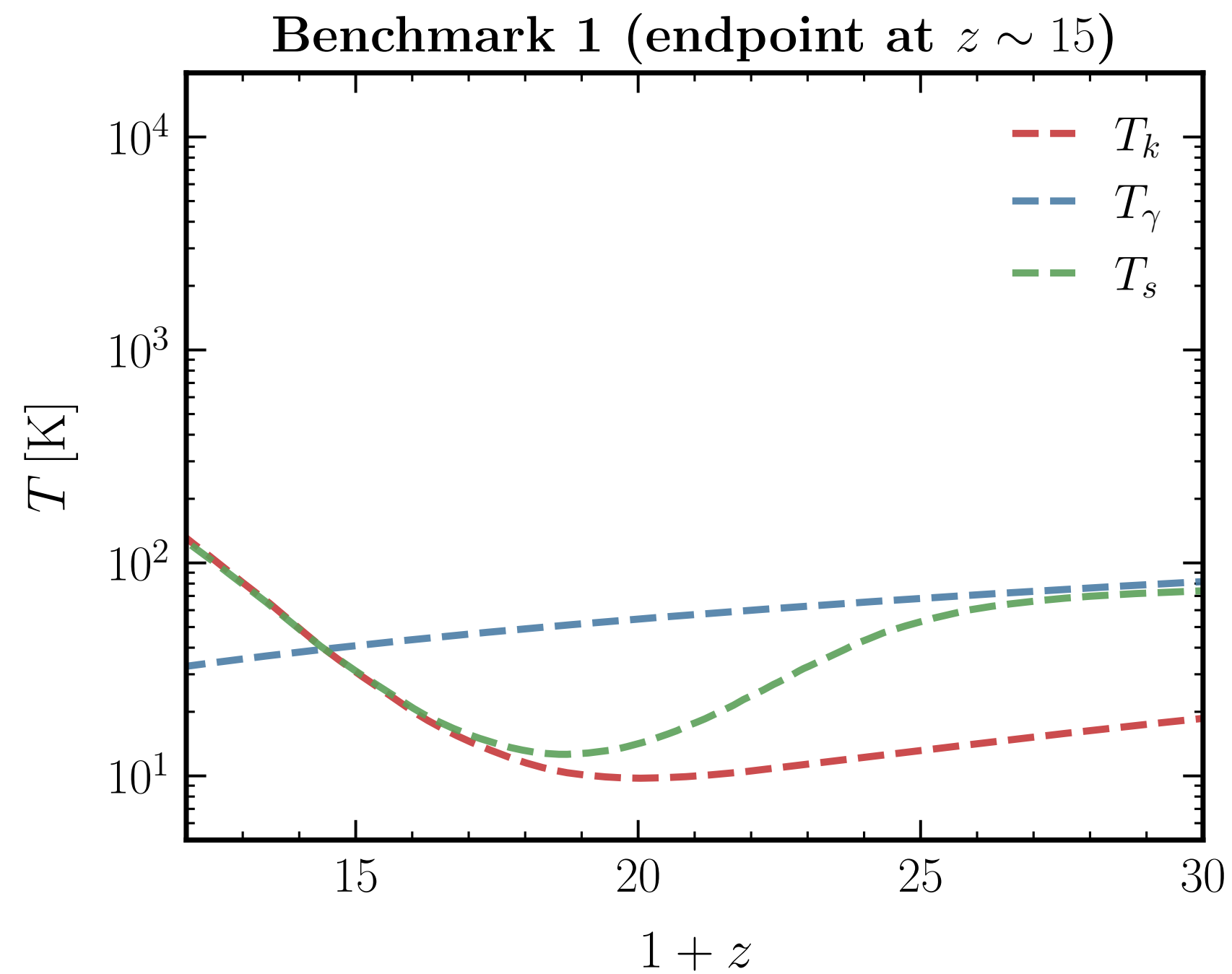
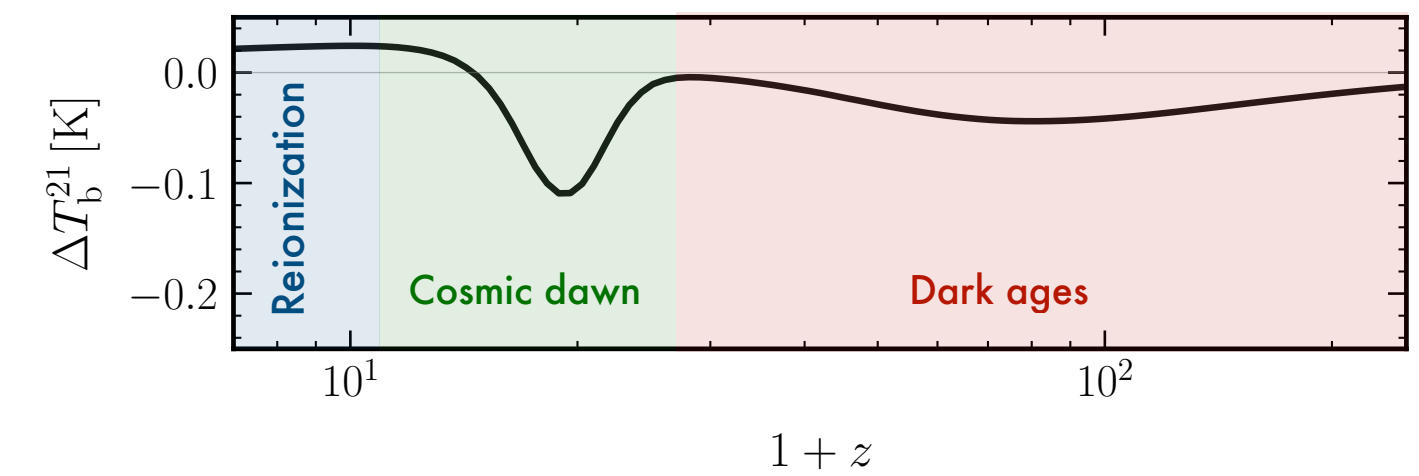
$$m_{A'} = 10^{-11} \text{ eV}$$

$$z_{\text{edge}} \simeq 660$$

$$m_a = 5 \times 10^{-4} \text{ eV}$$

$$z_{\text{end}} \simeq 15$$

$$\epsilon = 5 \times 10^{-8}$$



Benchmark 1: signal during cosmic dawn

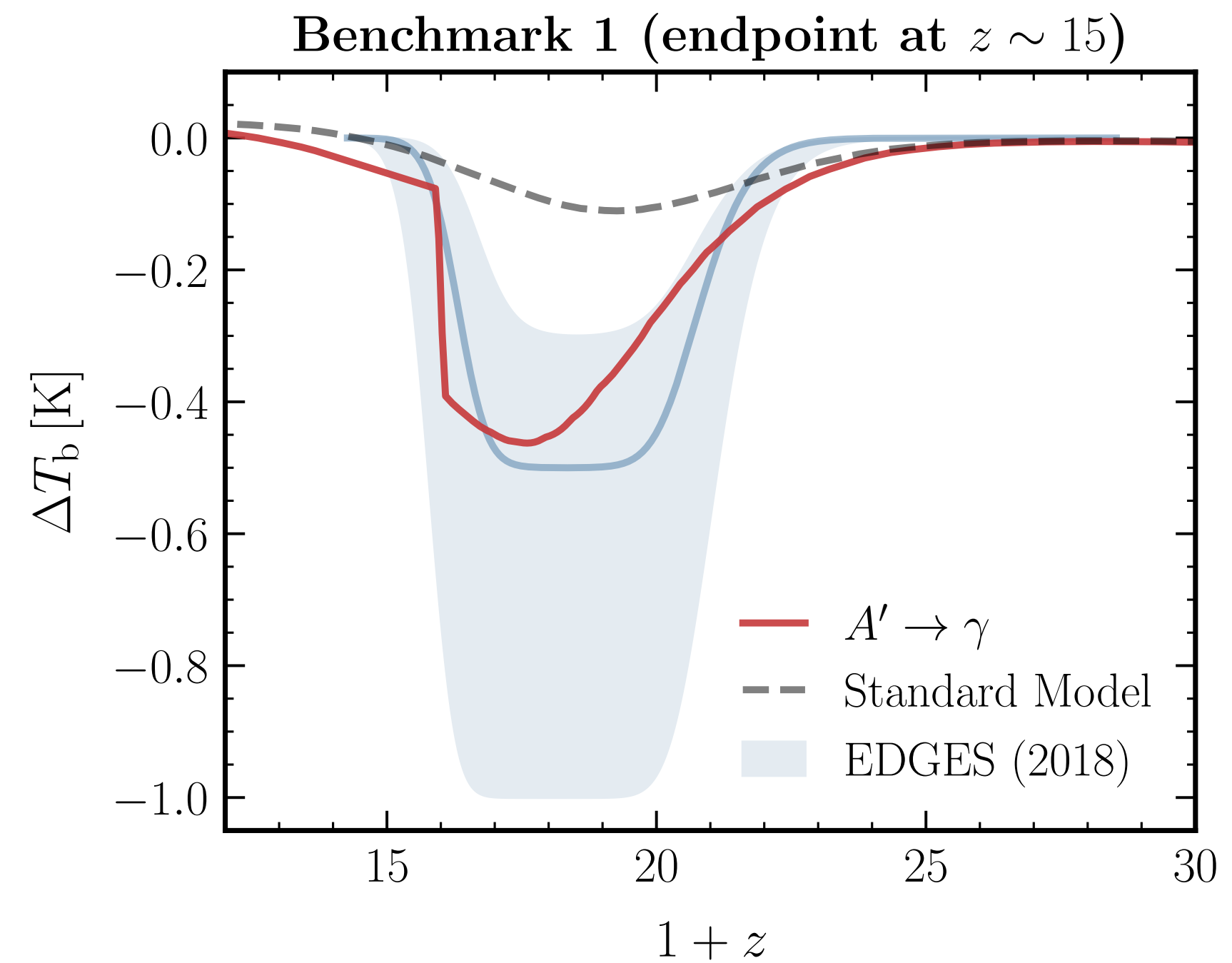
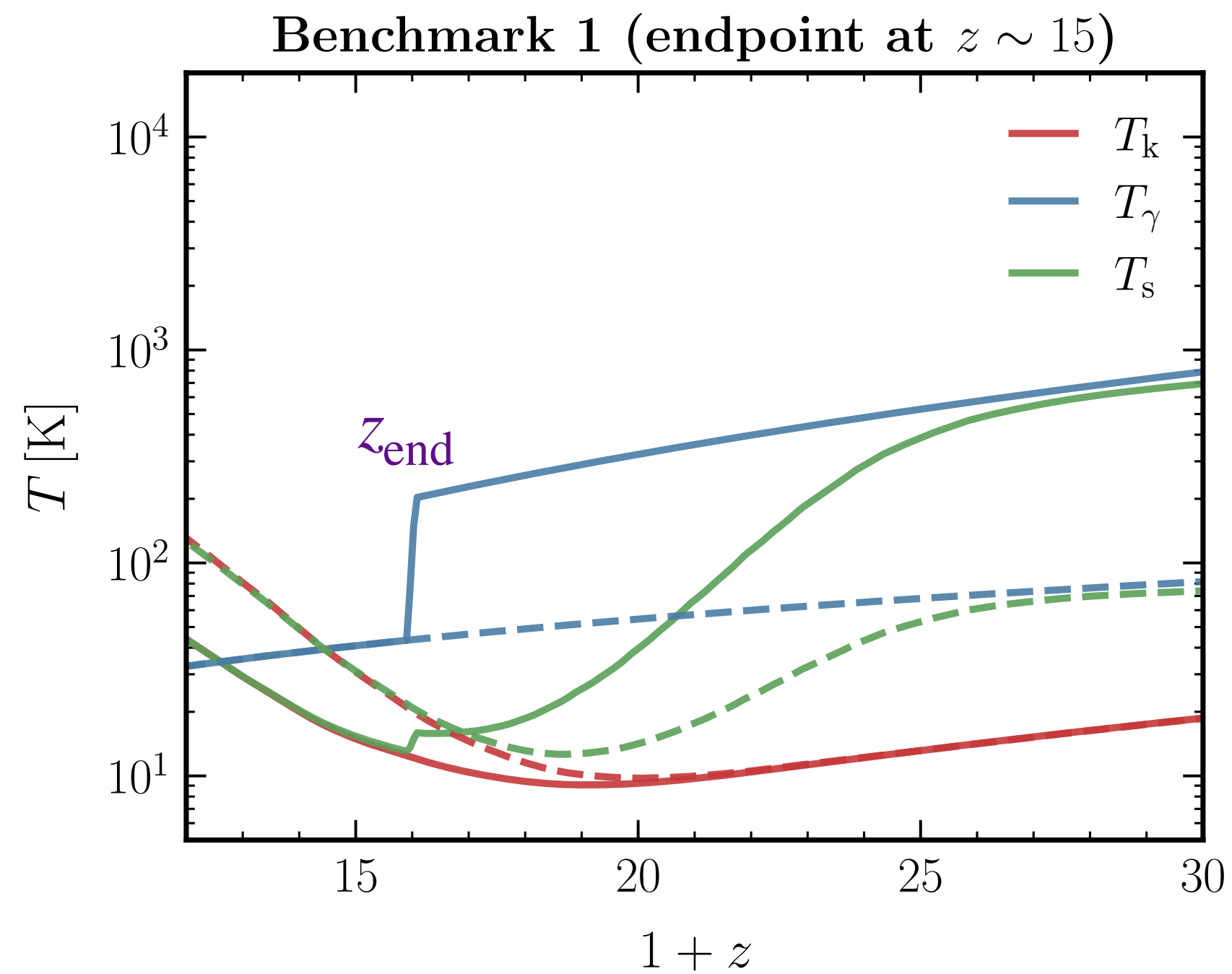
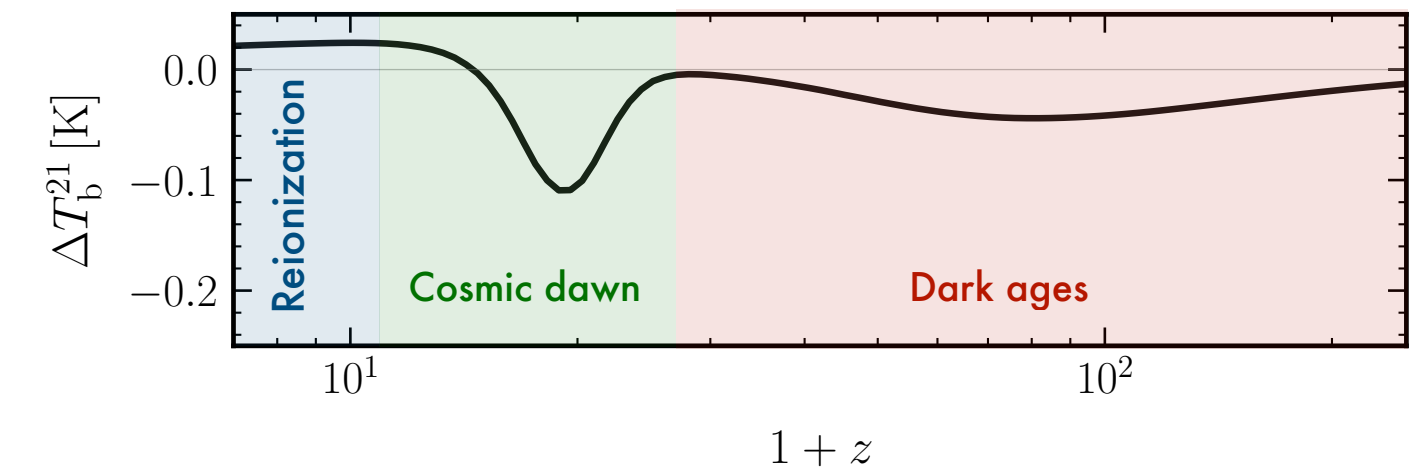
$$m_{A'} = 10^{-11} \text{ eV}$$

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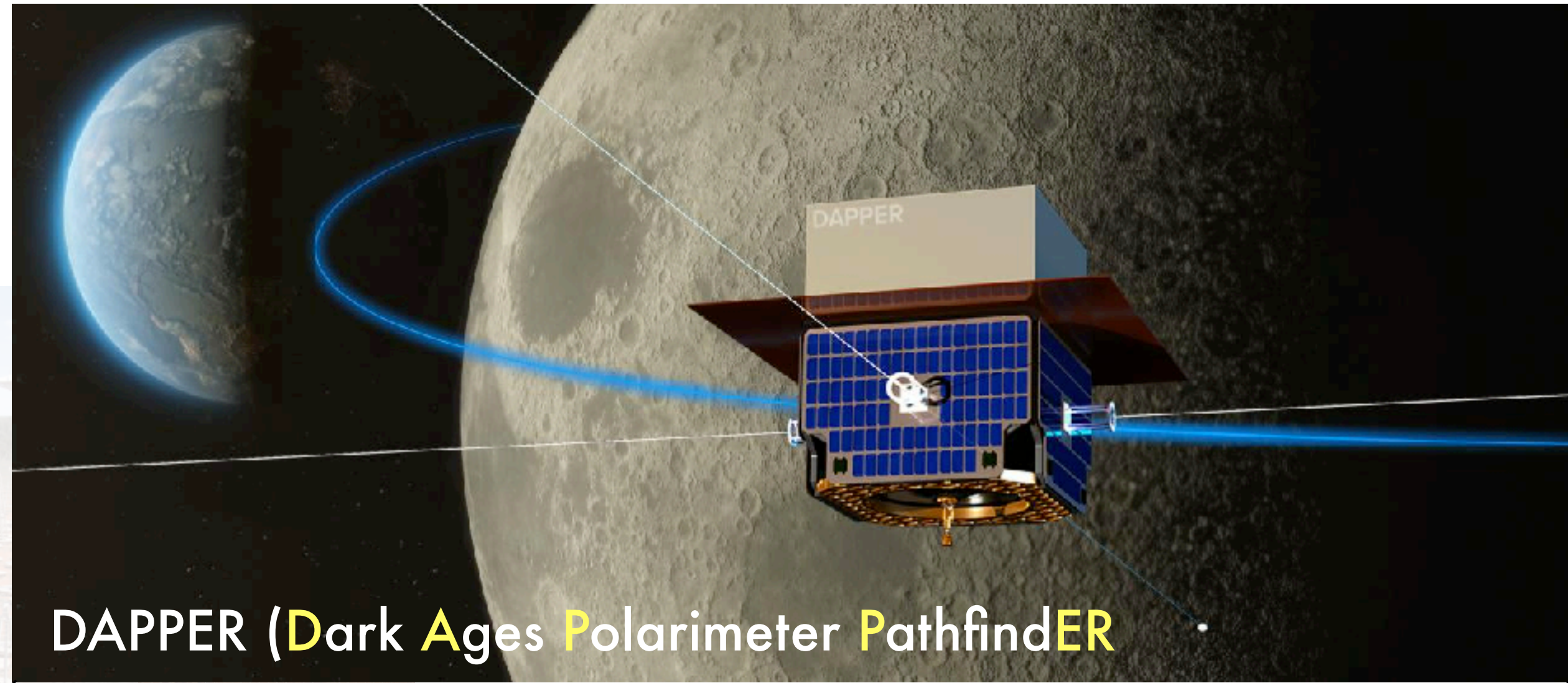
$$\epsilon = 5 \times 10^{-8}$$

$$z_{\text{edge}} \simeq 660$$

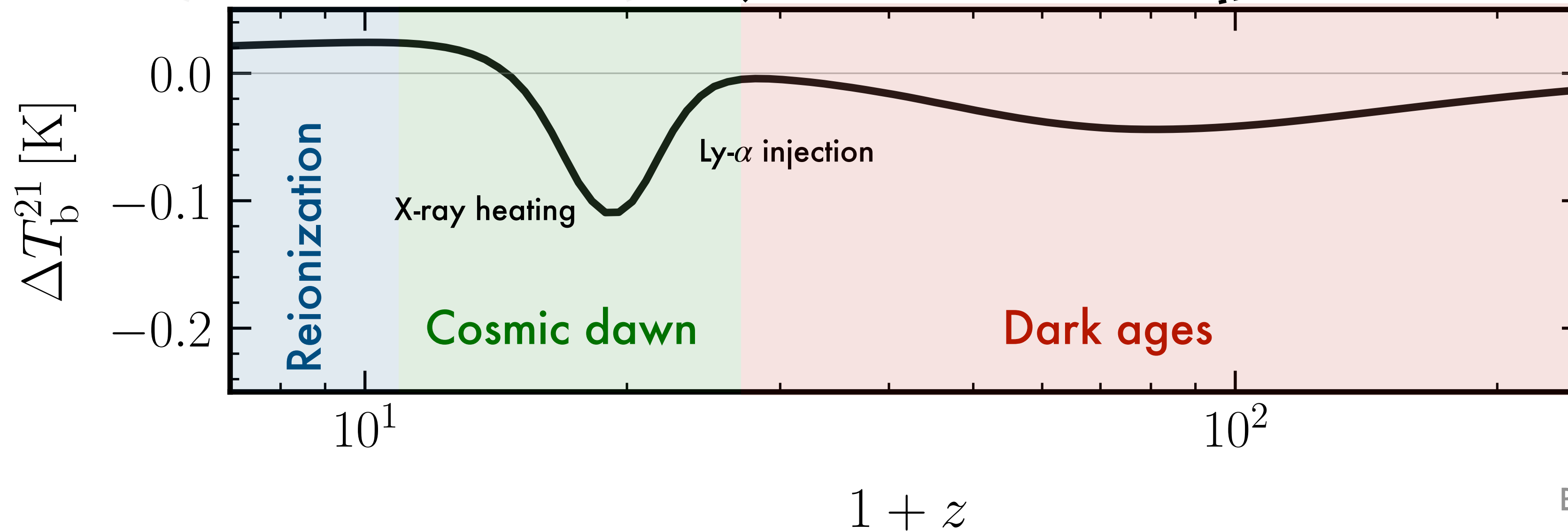
$$z_{\text{end}} \simeq 15$$



21-cm from the moon?



DAPPER (Dark Ages Polarimeter Pathfinder)



Burns et al [1902.06147]
Koopmans et al [1908.04296]

Benchmark 2: signatures during **dark ages**

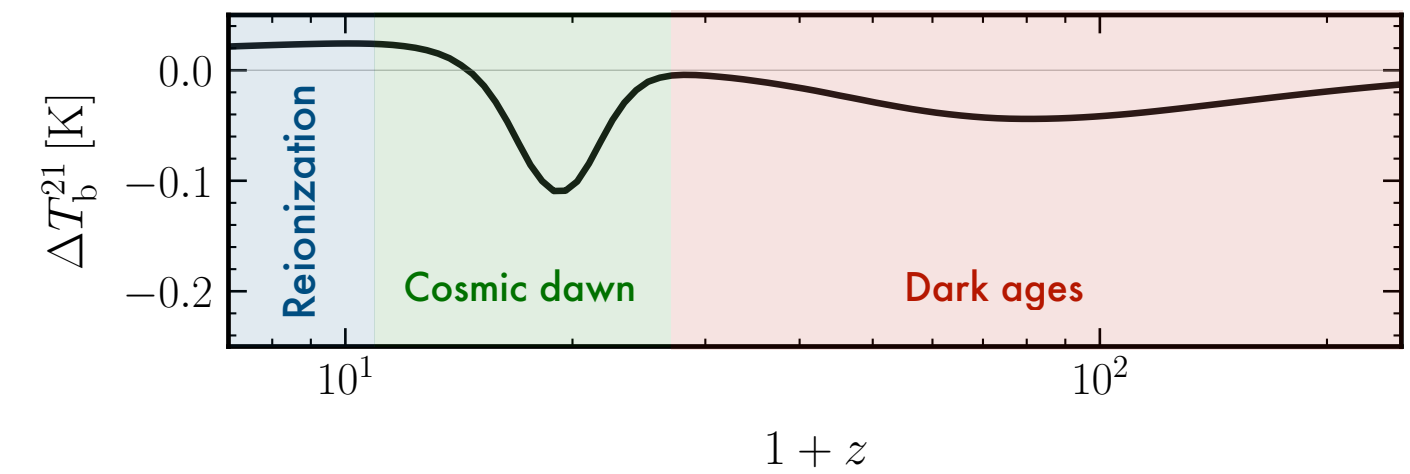
$$m_{A'} = 3 \times 10^{-13} \text{ eV}$$

$$z_{\text{edge}} \simeq 95$$

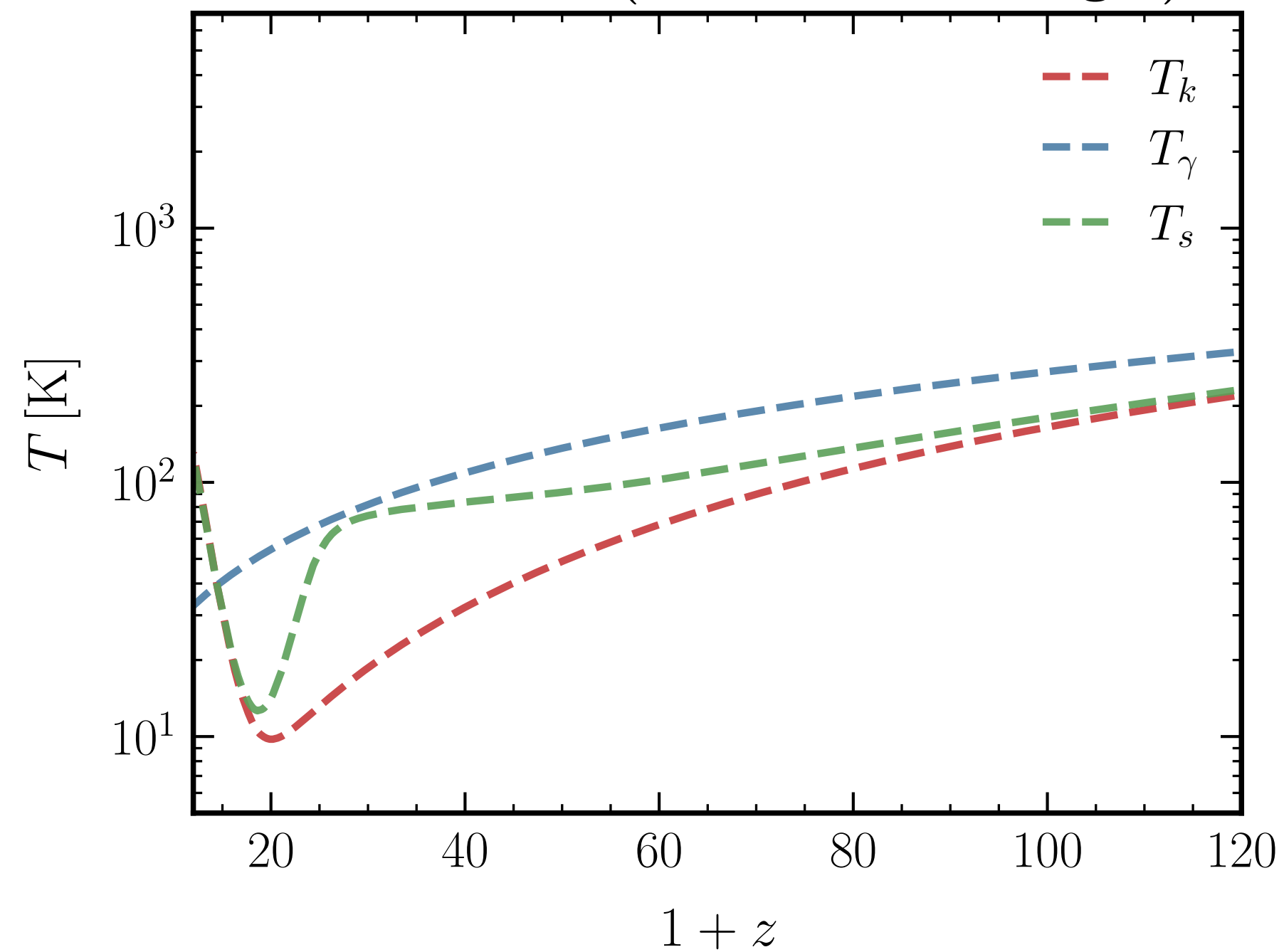
$$m_a = 2 \times 10^{-5} \text{ eV}$$

$$z_{\text{end}} \simeq 65$$

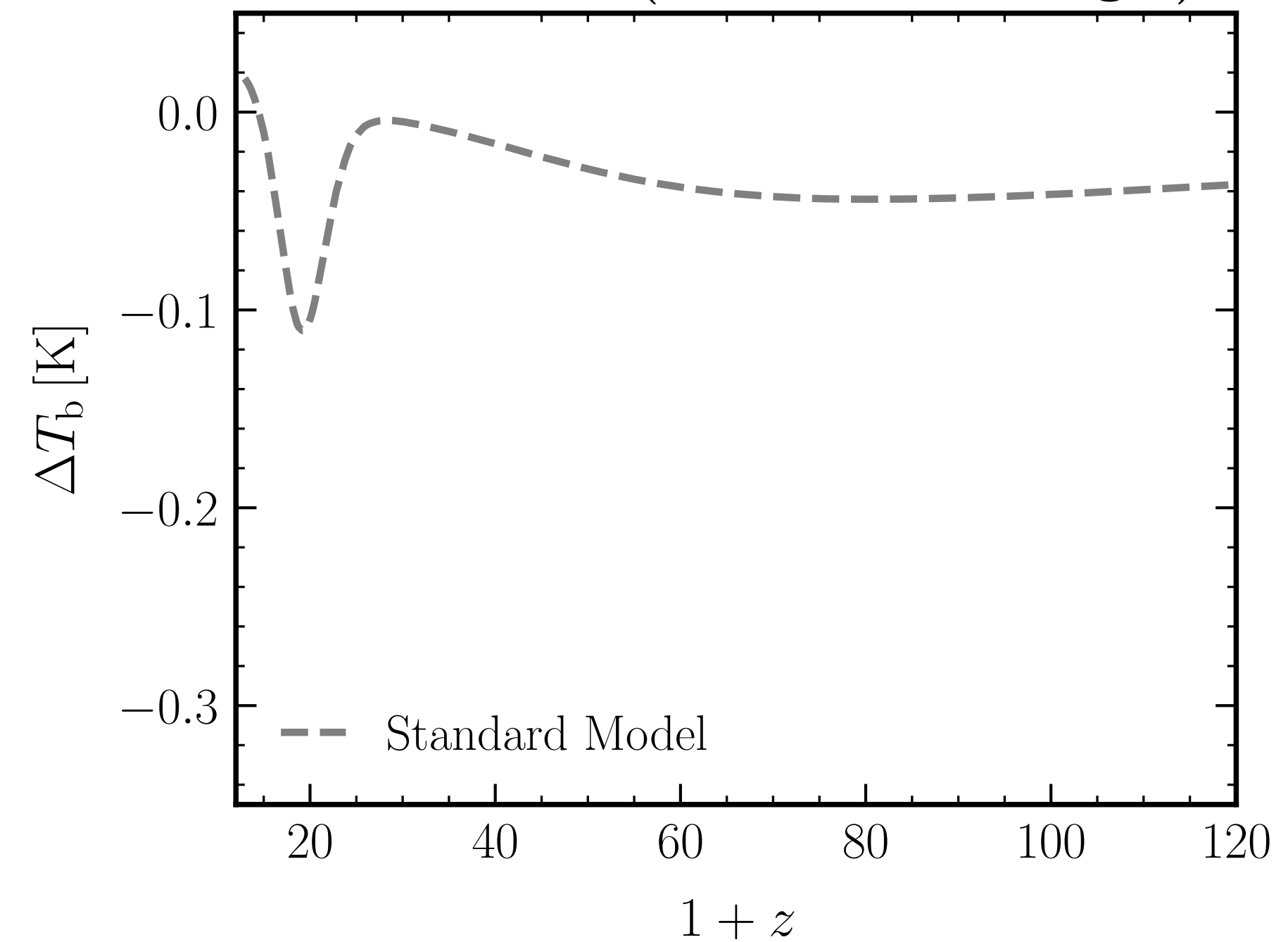
$$\epsilon = 5 \times 10^{-10}$$



Benchmark 2 (feature in dark ages)



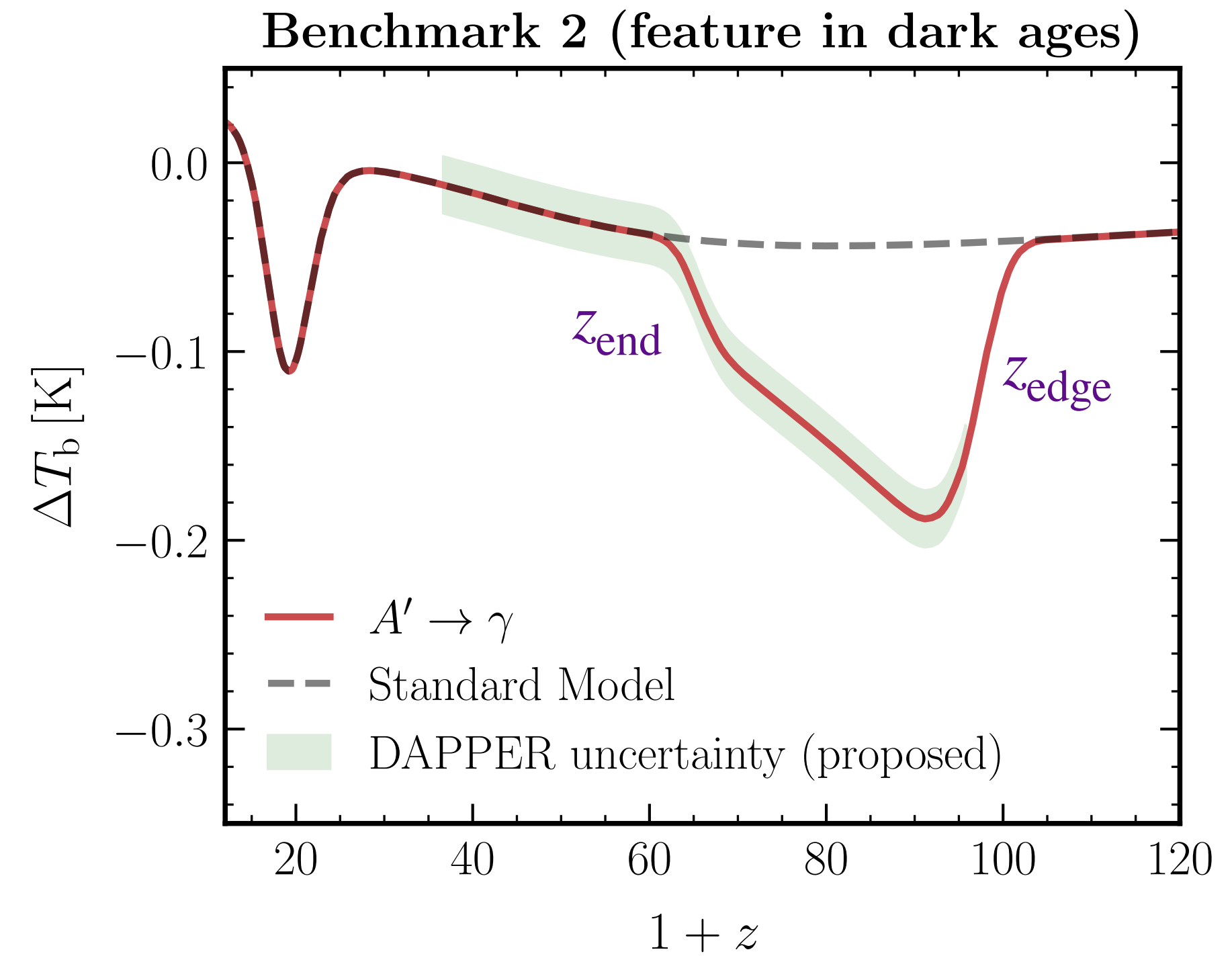
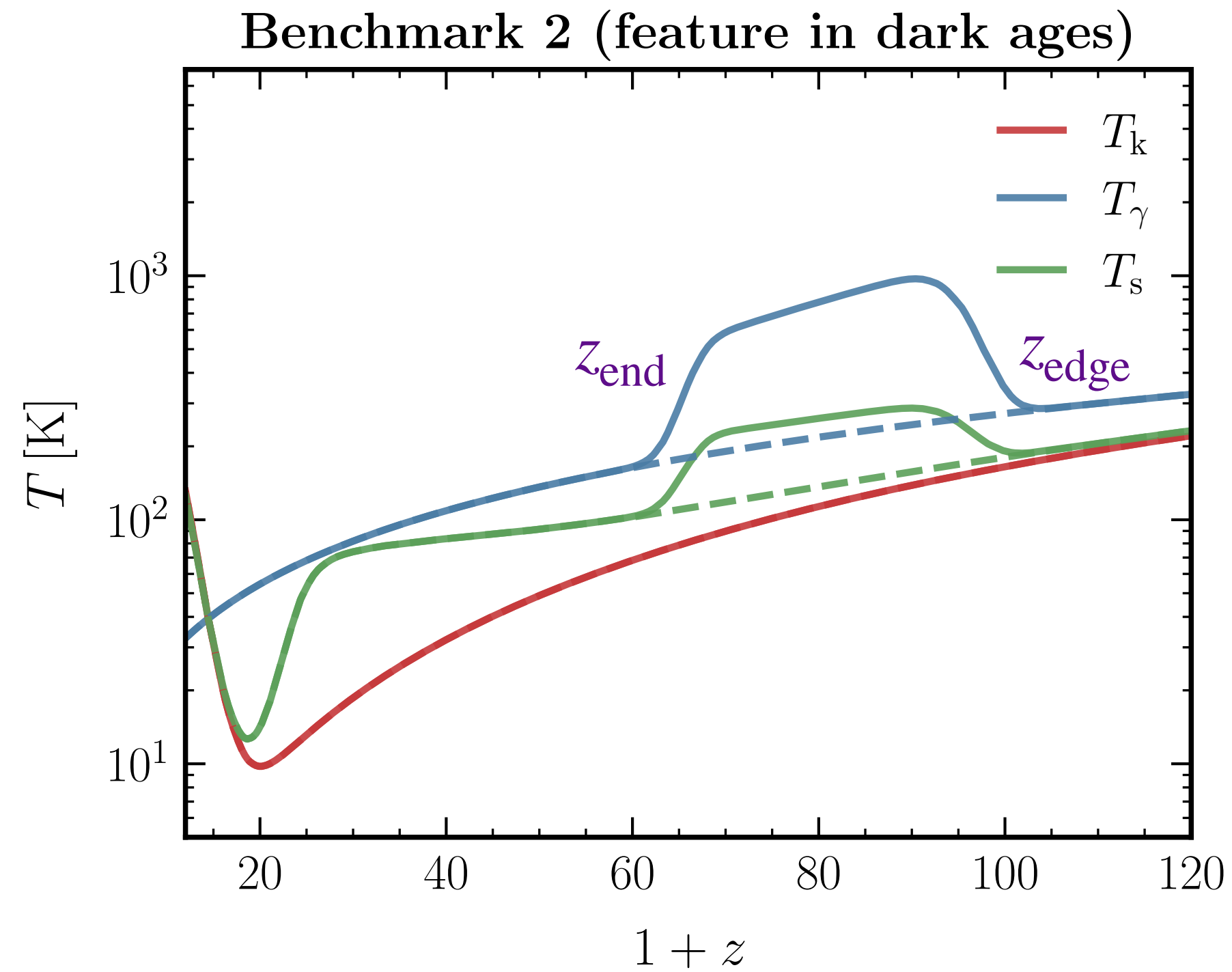
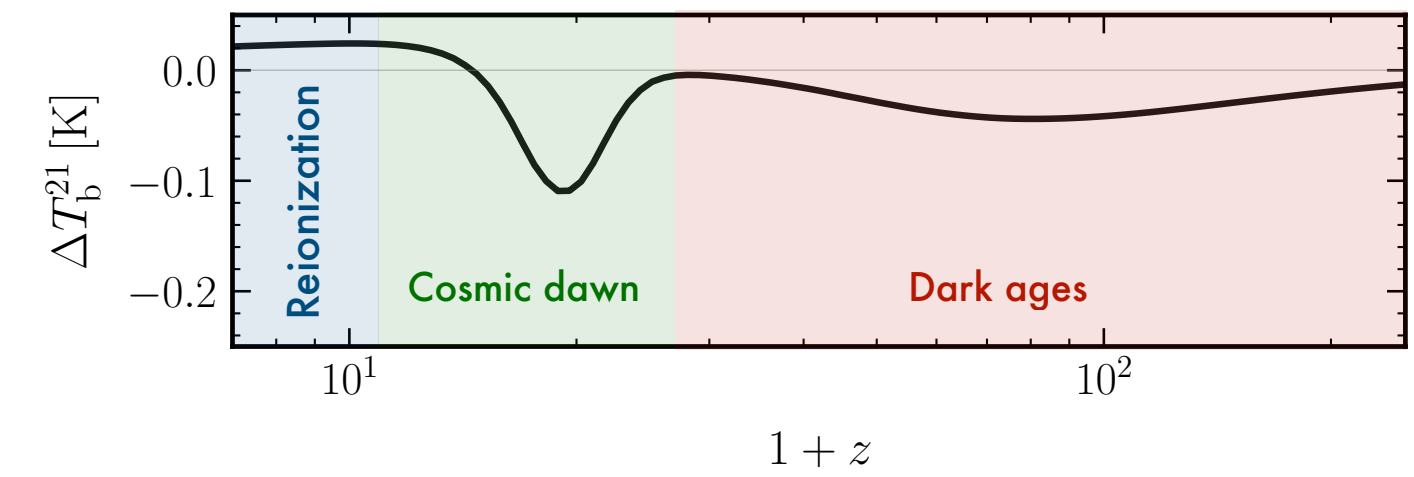
Benchmark 2 (feature in dark ages)



Benchmark 2: signatures during **dark ages**

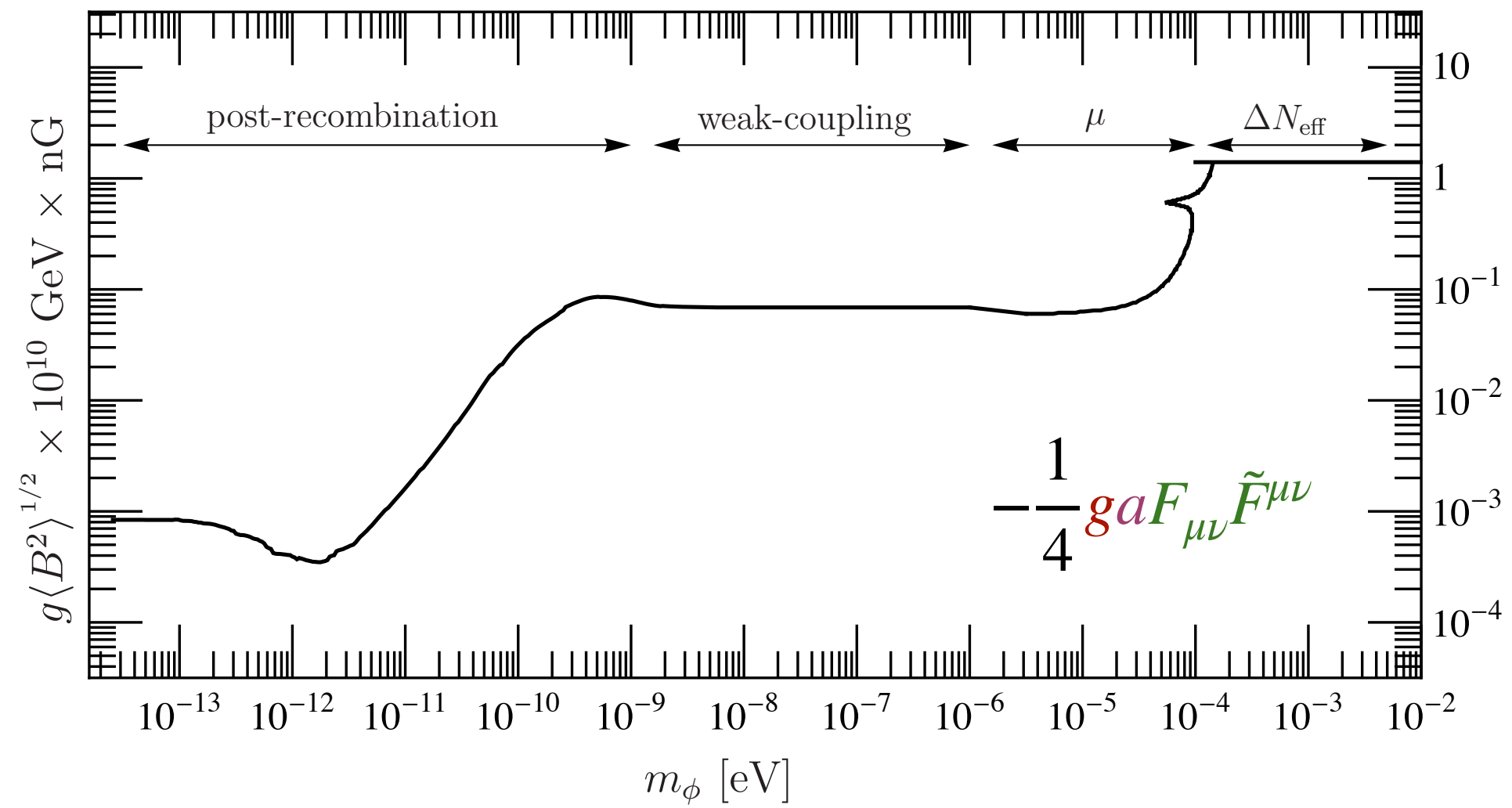
$m_{A'} = 3 \times 10^{-13} \text{ eV}$
 $m_a = 2 \times 10^{-5} \text{ eV}$
 $\epsilon = 5 \times 10^{-10}$

$z_{\text{edge}} \simeq 95$
 $z_{\text{end}} \simeq 65$



Work in progress

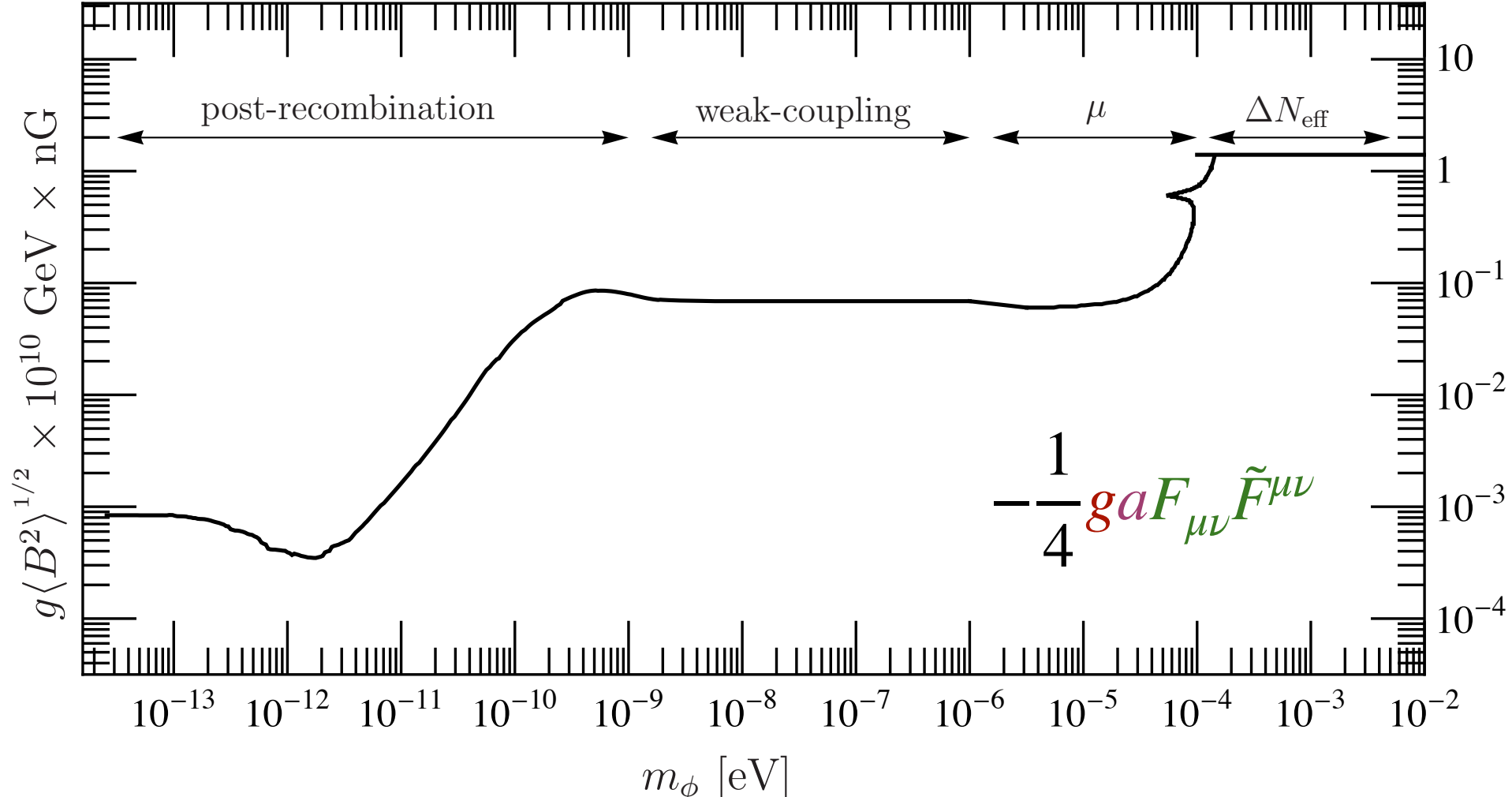
Implications for axion-like particles



Mirizzi, Redondo, Sigl [0905.4865]

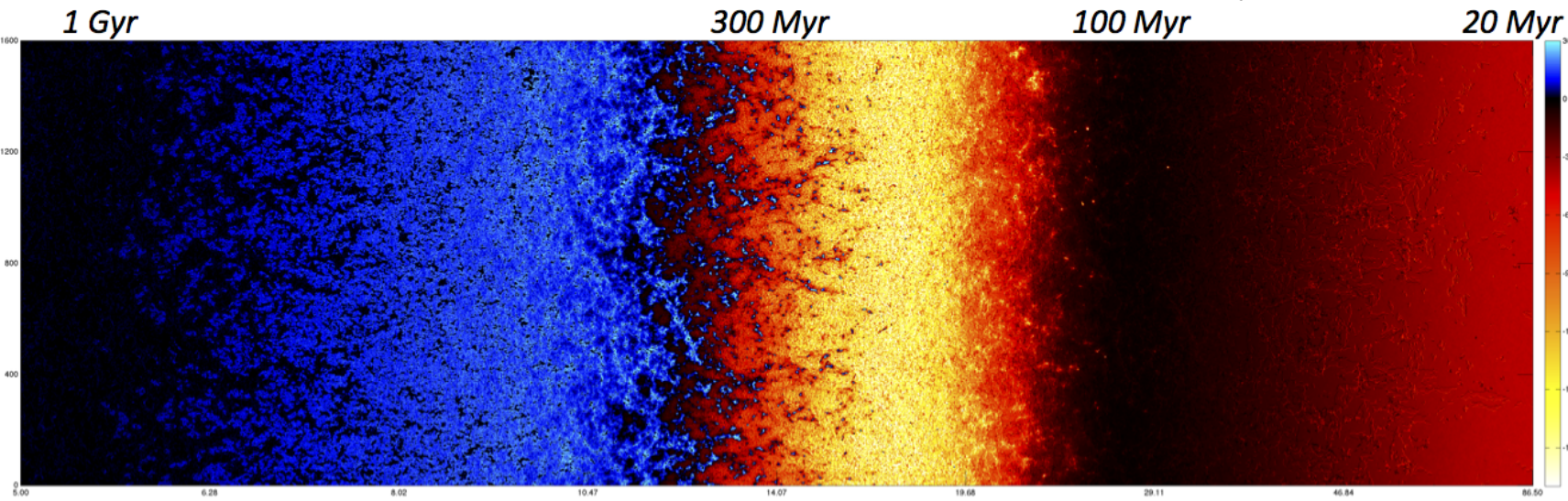
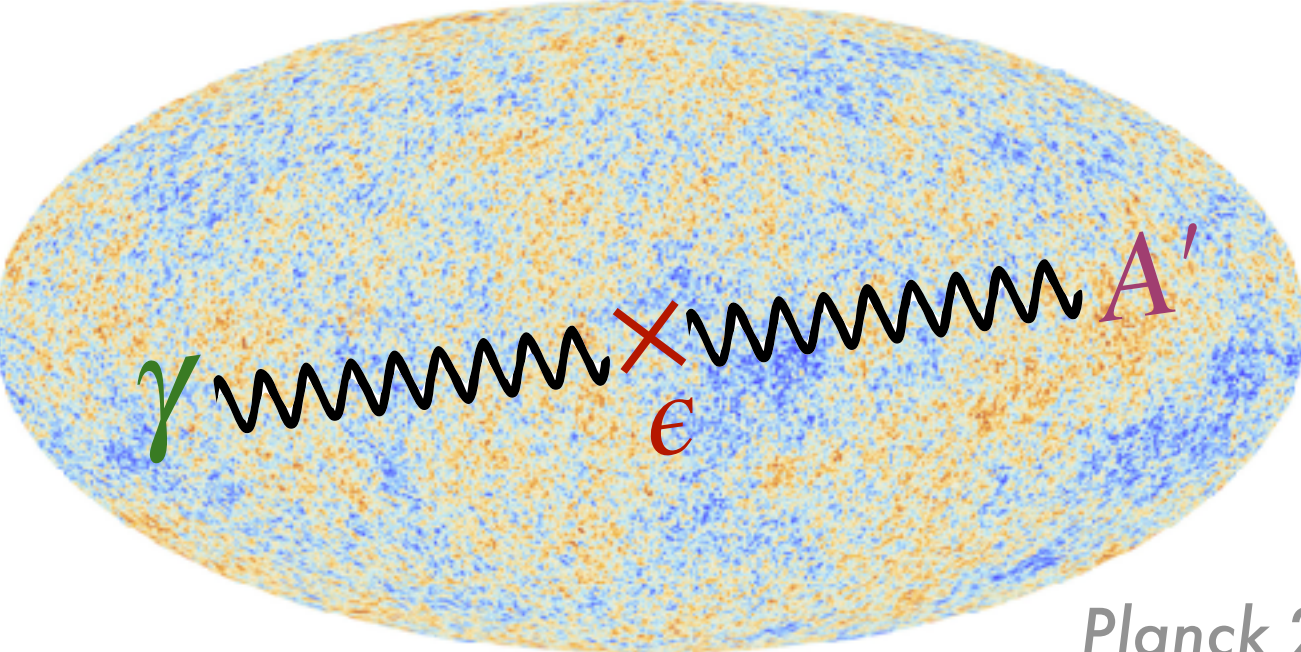
Work in progress

Implications for axion-like particles



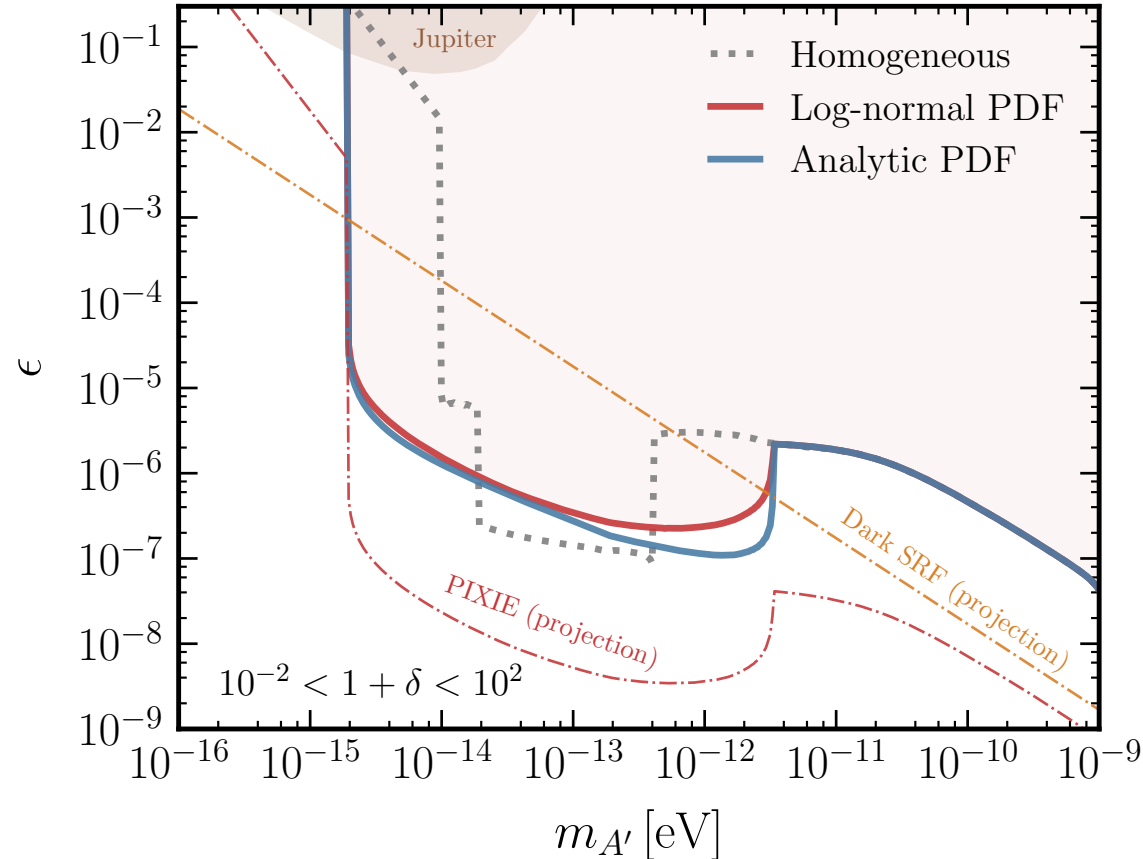
Mirizzi, Redondo, Sigl [0905.4865]

Effect on CMB and 21-cm anisotropy



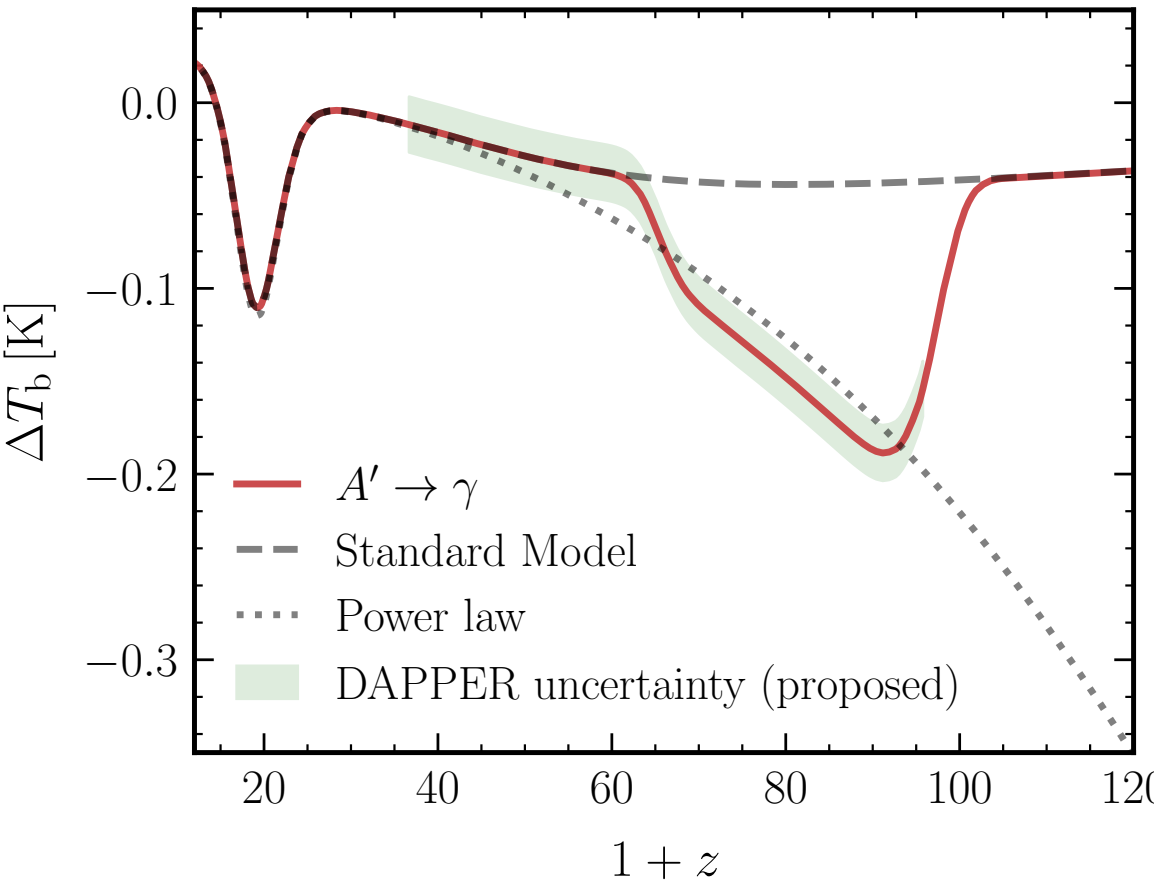
Messinger, Greig, Sobacchi [1602.07711]

Conclusions



$$\gamma \rightarrow A'$$

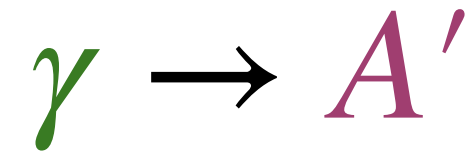
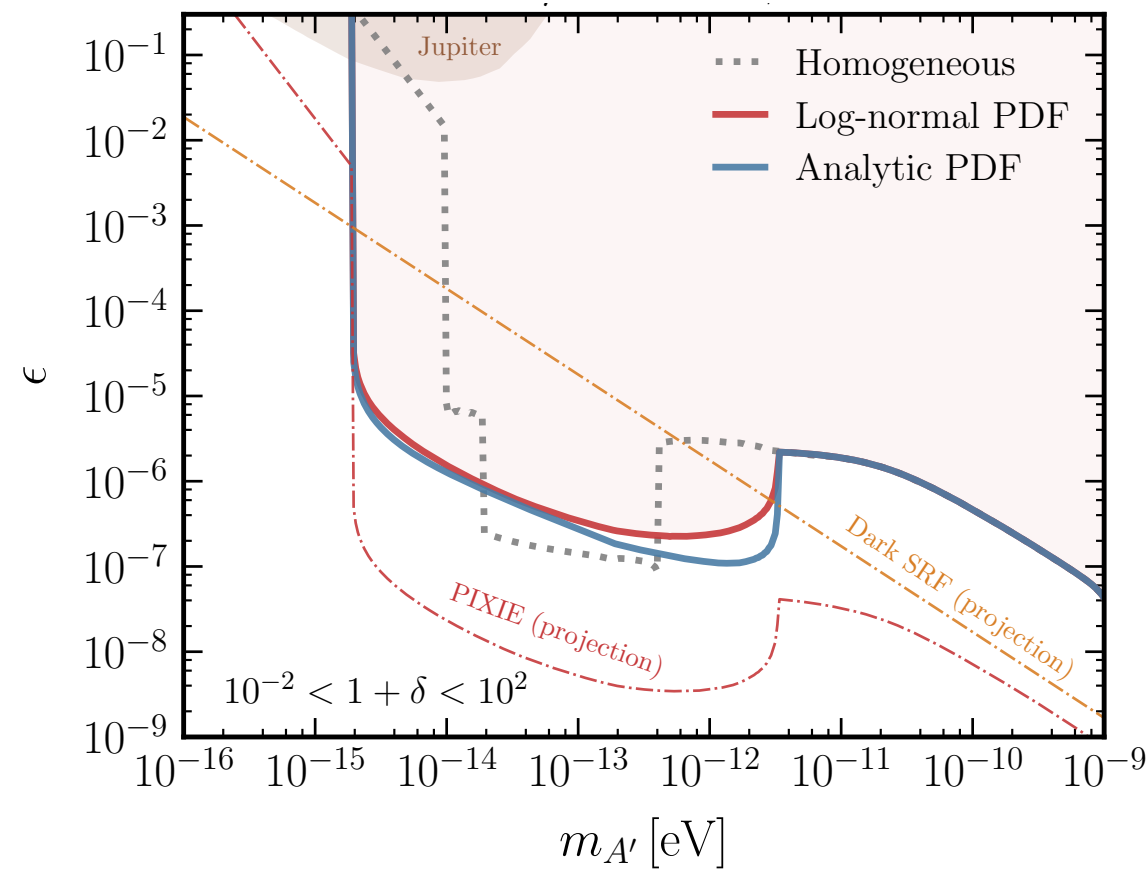
Inhomogeneities can have significant observable effects for resonant photon-to-dark photon conversions



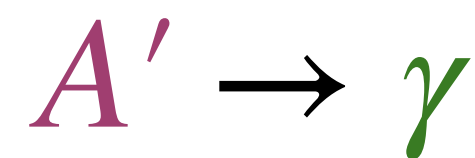
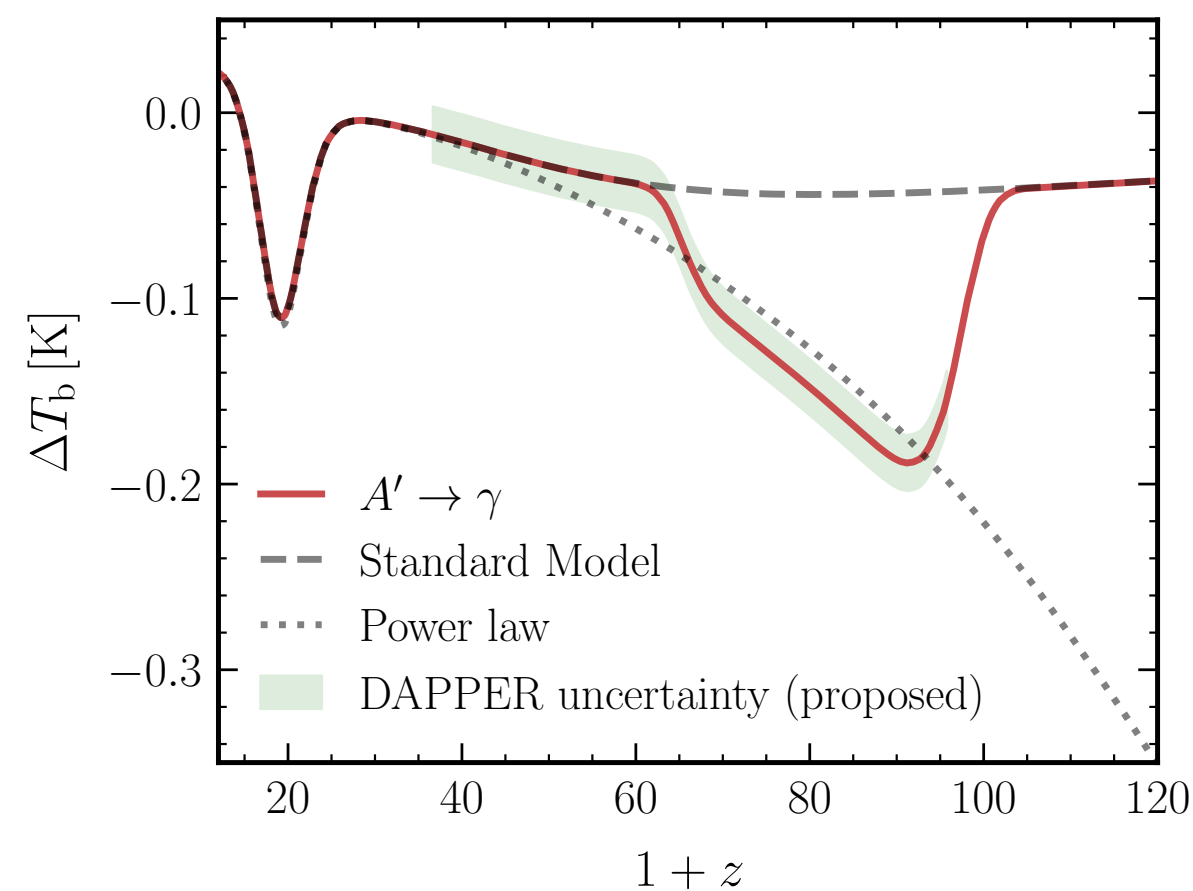
$$A' \rightarrow \gamma$$

Resonant dark photon-to-photon conversion can leave striking signatures in 21-cm observations

Conclusions



Inhomogeneities can have significant observable effects for resonant photon-to-dark photon conversions



Resonant dark photon-to-photon conversion can leave striking signatures in 21-cm observations

More information 

Papers:

- “Dark Photon Oscillations in Our Inhomogeneous Universe,” Caputo, Liu, SM, Ruderman [[2002.05165](#)]
- “Modeling Dark Photon Oscillations in Our Inhomogeneous Universe,” Caputo, Liu, SM, Ruderman [[2004.06733](#)]
- “Edges and Endpoints in 21-cm Observations from Resonant Photon Production,” + Pospelov, Urbano [[2009.03899](#)]

Codes:

- <https://github.com/smsharma/dark-photons-perturbations>
- <https://github.com/smsharma/edges-endpoints-21cm>
- <https://github.com/smsharma/twentyone-global>

Additional slides

$\epsilon - m_{A'}$ constraints on dark photon dark matter*

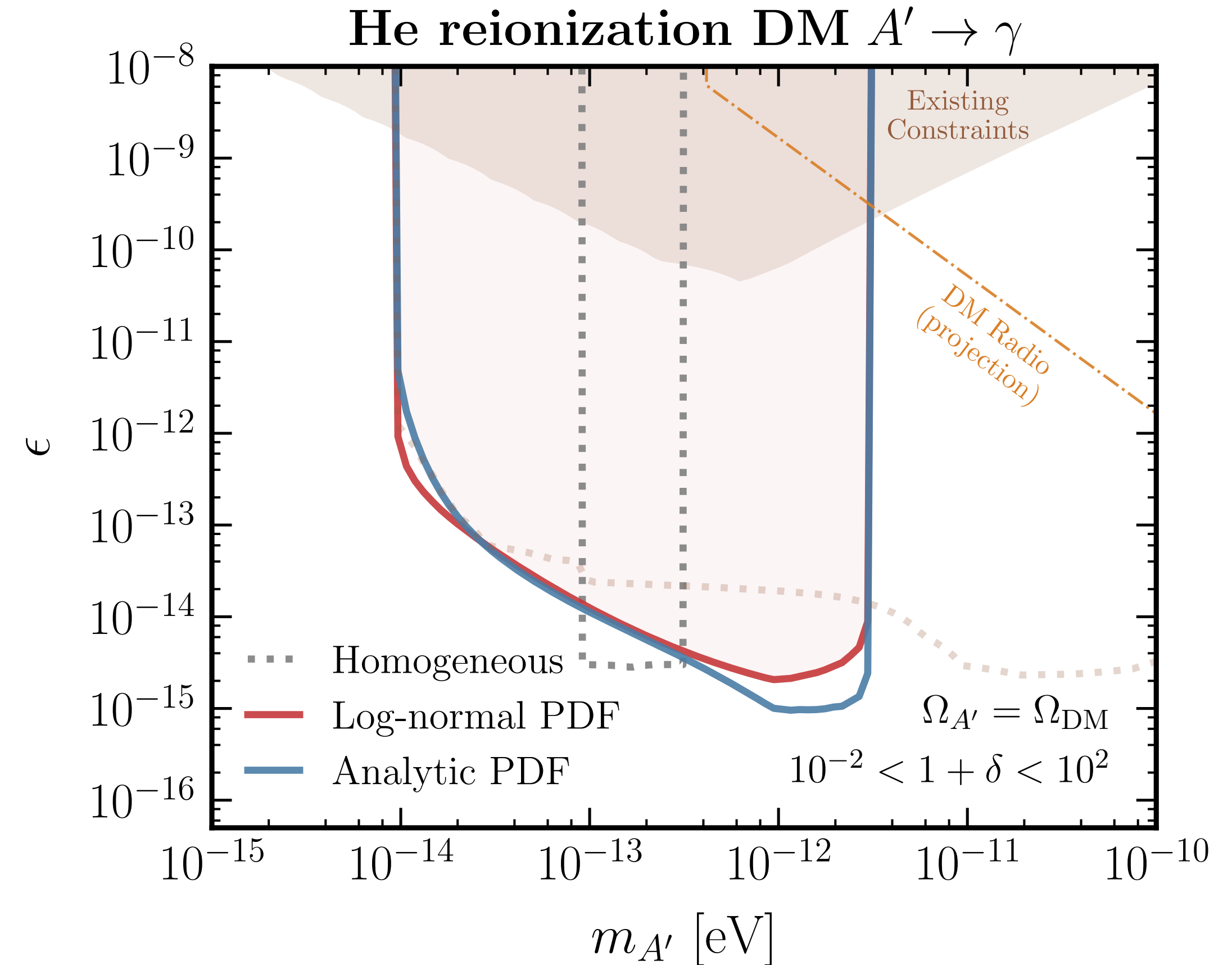
$$A' \rightarrow \gamma$$

Additional constraints apply when the A' is the dark matter

McDermott & Witte [1911.05086]

- Anomalous heating of the IGM during He II reionization is constrained to be < 1 eV
- This constrains the energy injected due to $A' \rightarrow \gamma$ during $2 \lesssim z \lesssim 6$

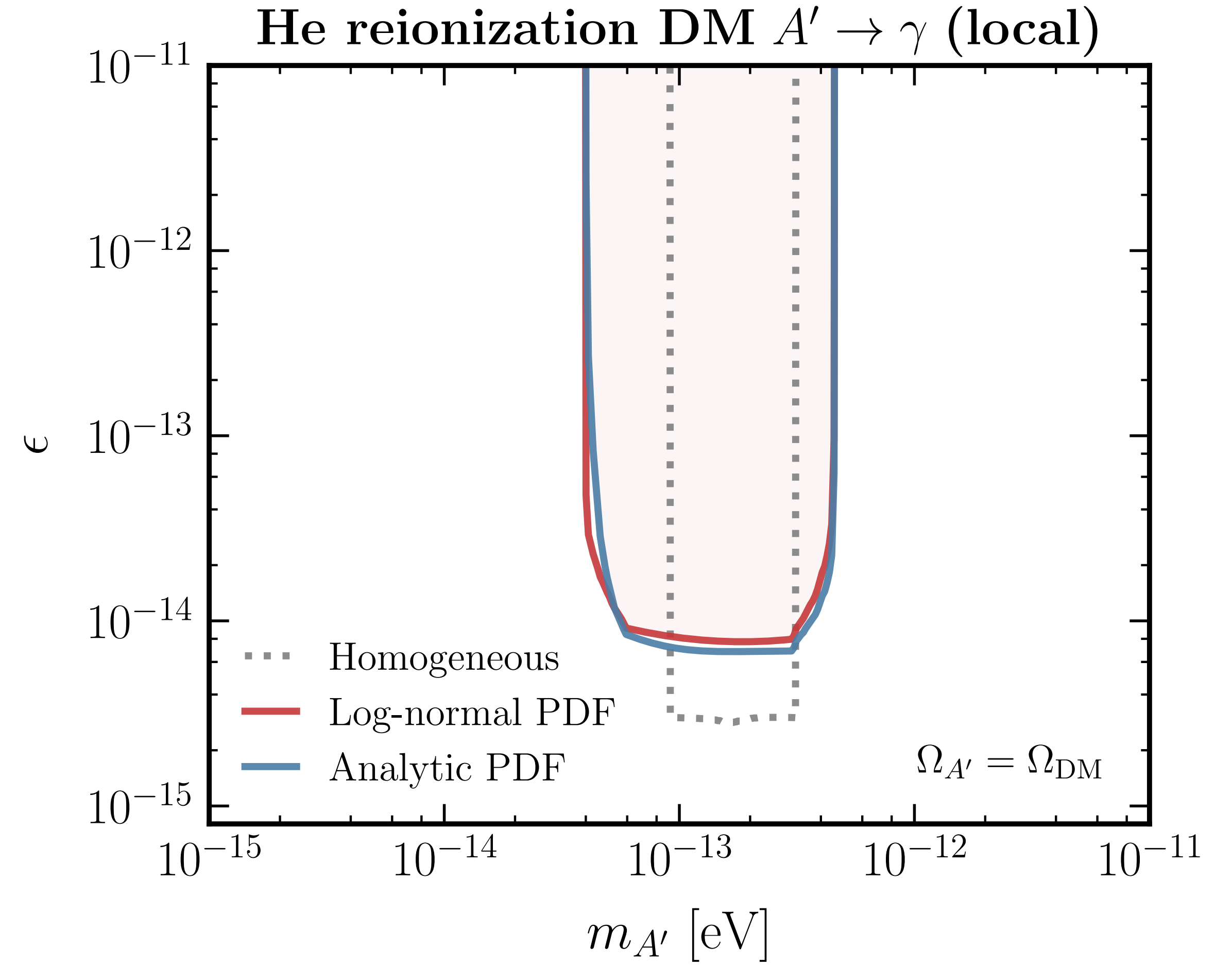
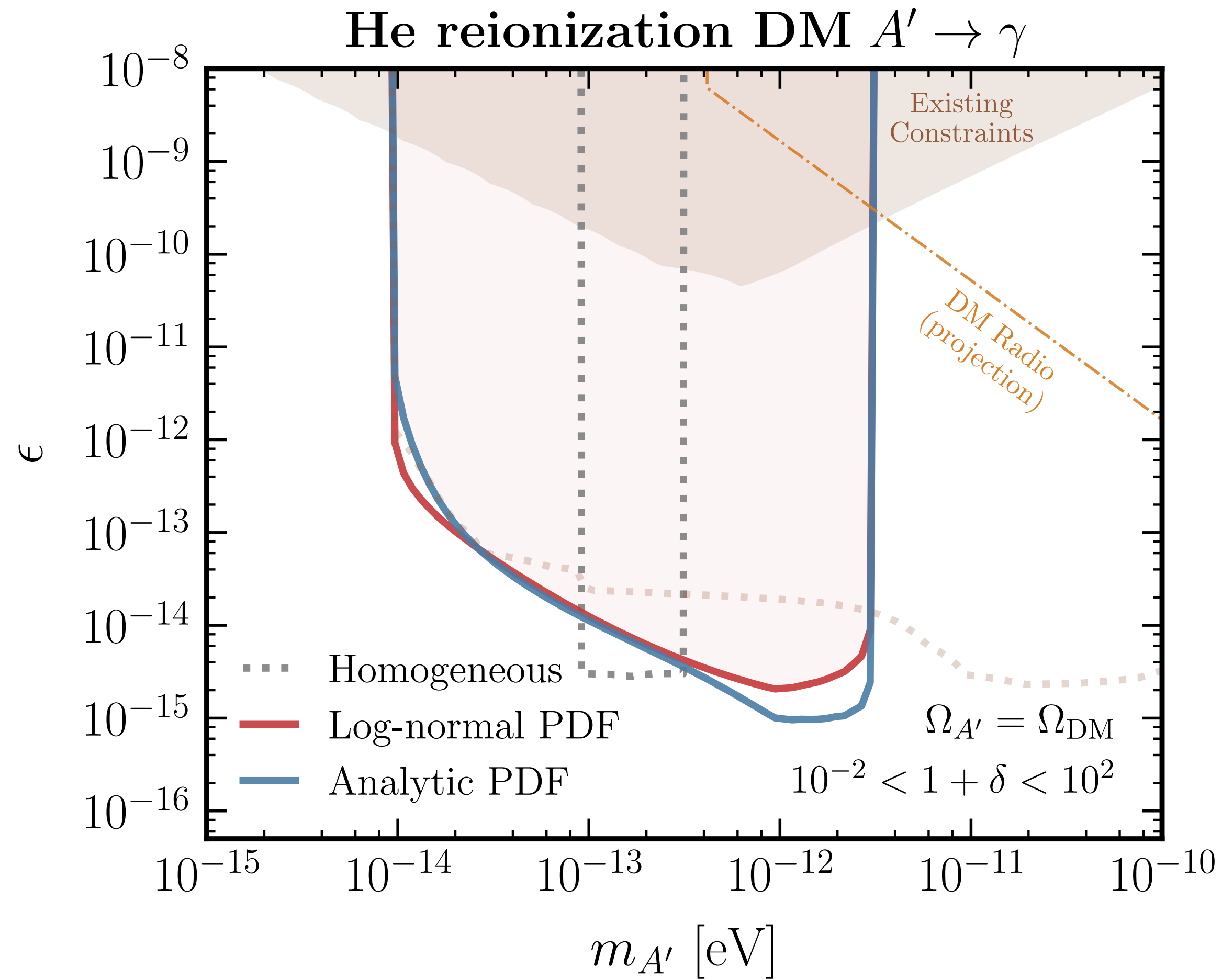
See also Witte et al [2003.13698]



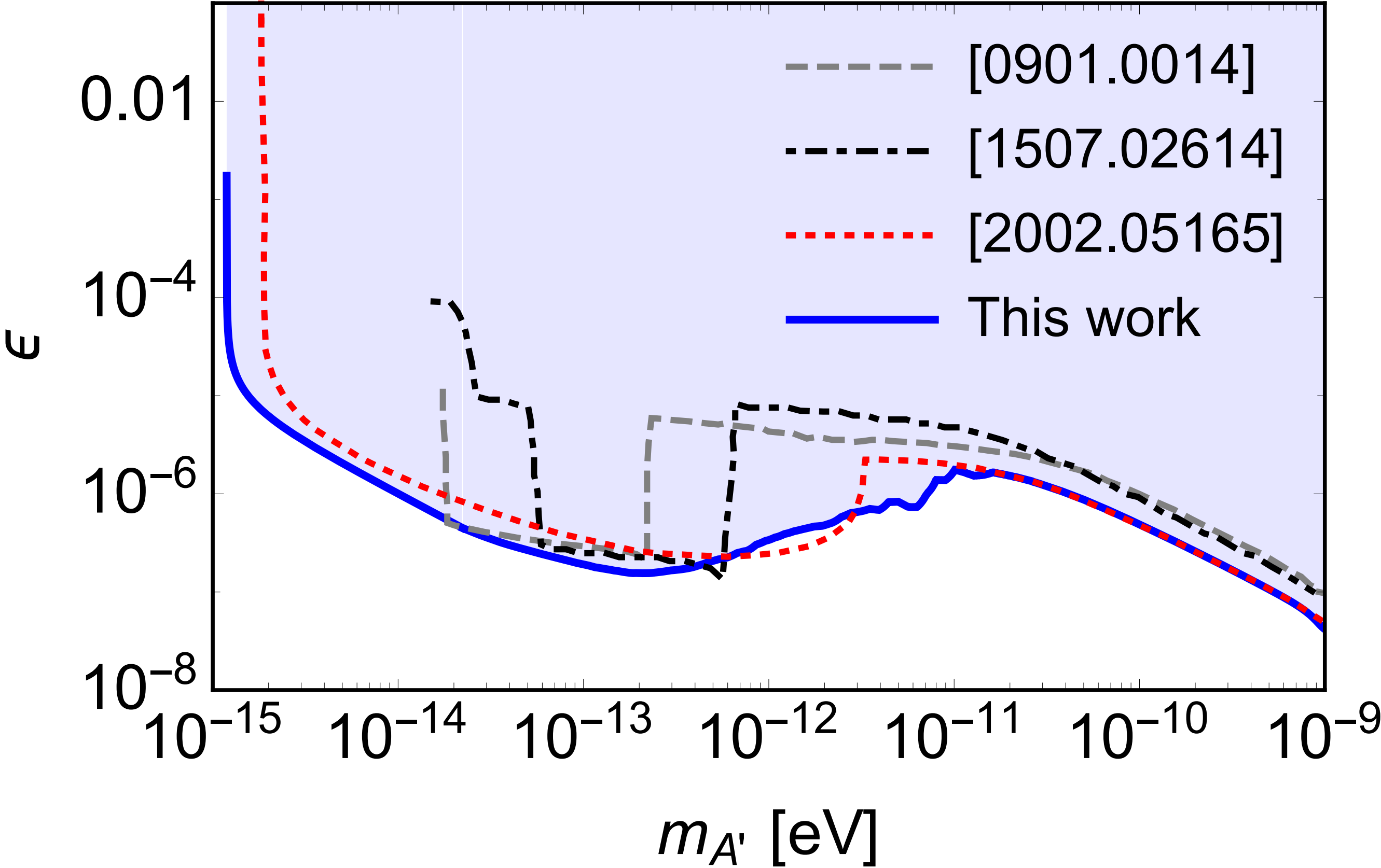
$$\frac{d \langle E_{A' \rightarrow \gamma} \rangle_{\text{local}}}{dz} = \pi m_{A'}^3 \epsilon^2 \frac{\bar{\rho}_{A'}}{b \bar{n}_b} \left| \frac{dt}{dz} \right| f(m_\gamma^2 = m_{A'}^2; t) *$$

* Assumes energy is uniformly distributed among baryons

Local heating prescription for A' DM $\rightarrow \gamma$



Comparison with numerical approach



Bondarenko, Pradler, Sokolenko [2002.08942]
Garcia et al [2003.10465]

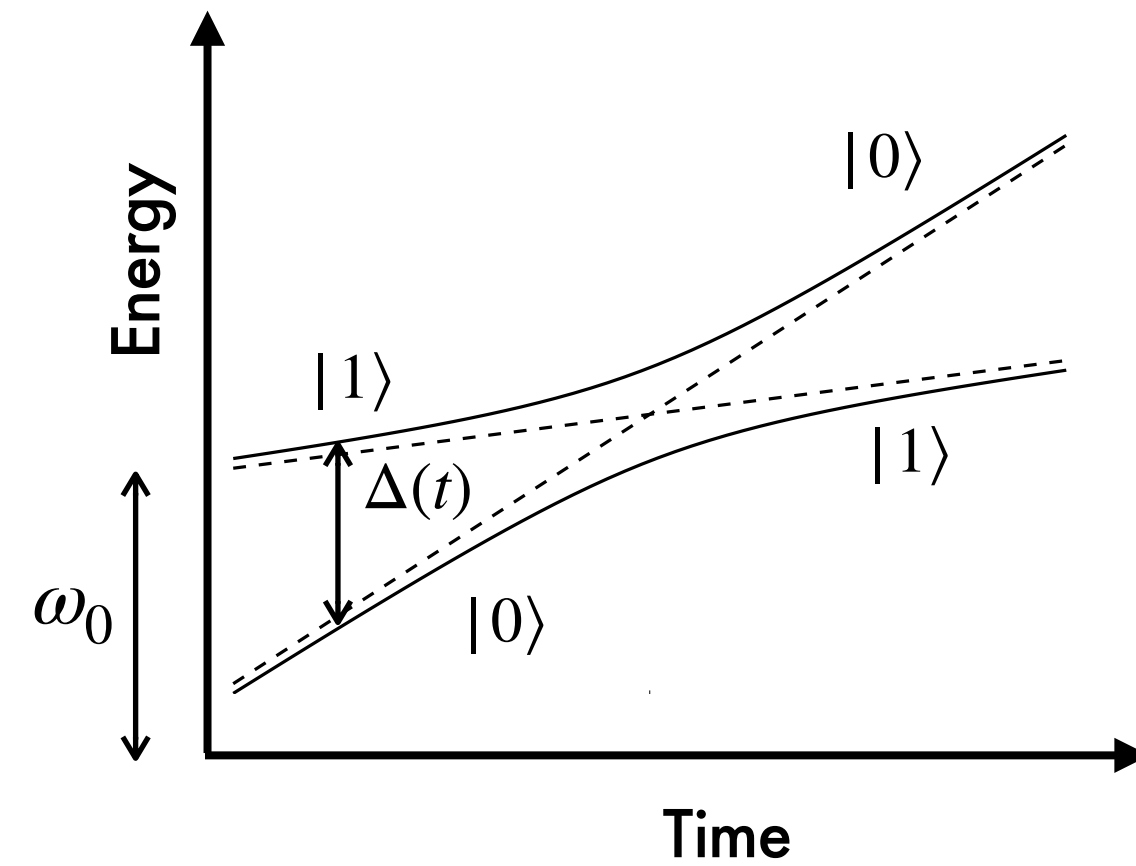
Resonant oscillations in plasma: Landau-Zener formalism

Non-adiabatic level crossings for two-level quantum system

$$H = \begin{pmatrix} 0 & \Omega^\dagger e^{+i\omega t} \\ \Omega e^{-i\omega t} & \omega_0 \end{pmatrix}$$

$$\Delta = \omega - \omega_0$$

$$P_0 \approx e^{-2\pi\Omega^2/\dot{\Delta}}$$



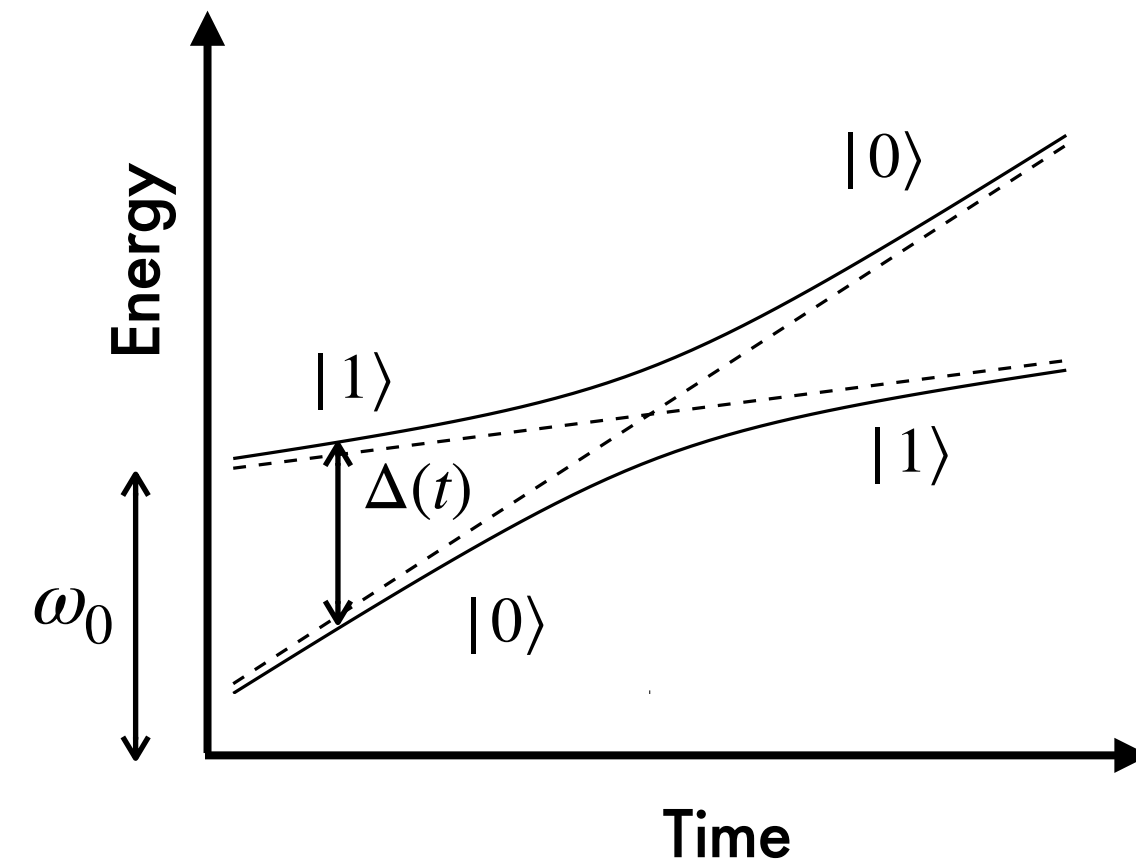
Resonant oscillations in plasma: Landau-Zener formalism

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Similar formalism for neutrino oscillations (MSW effect)

Nonadiabatic Level Crossing in Resonant Neutrino Oscillations

Stephen J. Parke

Fermi National Accelerator Laboratory, Batavia, Illinois 60510

(Received 27 May 1986)

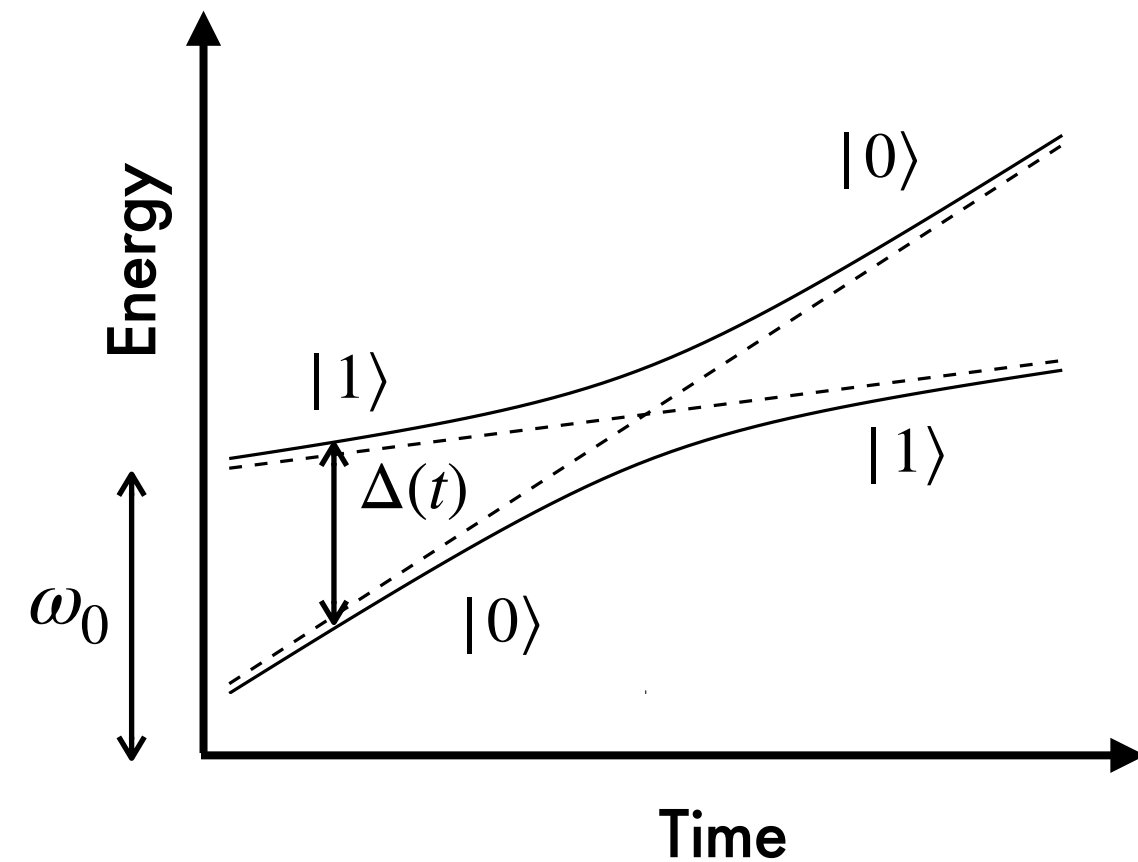
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Similar formalism for neutrino oscillations (MSW effect)

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(Received 27 May 1986)

$$\gamma \text{ --- } \epsilon \text{ --- } A'$$

$m_\gamma \approx m_{A'}$ $m_\gamma^2(z) \approx \frac{4\pi\alpha n_e(z)}{m_e}$

$$P_{\gamma \rightarrow A'} \simeq \frac{\pi\epsilon^2 m_{A'}^2}{\omega(z_{\text{res}})} \left| \frac{d \ln m_\gamma^2(t)}{dt} \right|_{z=z_{\text{res}}}^{-1}$$

$$\omega(z_{\text{res}}) = \omega_{\text{obs}}(1 + z_{\text{res}})$$

⇒ Later resonances typically dominate

$P_{\gamma \rightarrow A'}$ in an inhomogeneous plasma

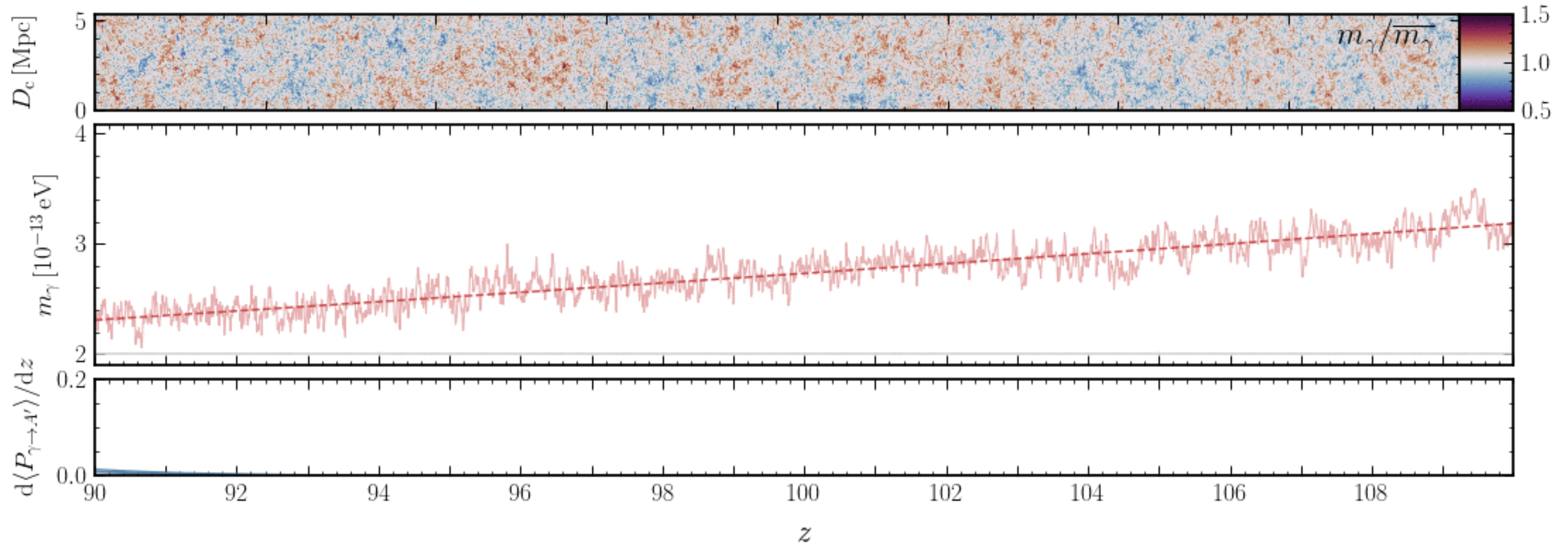
Conversion along a line of sight

$$P_{\gamma \rightarrow A'} \simeq \pi \epsilon^2 m_{A'}^2 \sum_i \frac{1}{\omega_i(z_{\text{res},i})} \left| \frac{d \ln m_\gamma^2(t)}{dt} \right|_{z=z_{\text{res},i}}^{-1}$$

Averaged conversion probability

$$P_{\gamma \rightarrow A'} \simeq \pi \epsilon^2 m_{A'}^2 \left\langle \sum_i \frac{1}{\omega_i(z_{\text{res},i})} \left| \frac{d \ln m_\gamma^2(t)}{dt} \right|_{z=z_{\text{res},i}}^{-1} \right\rangle$$

Perturbations in the Photon Plasma Mass



$P_{\gamma \rightarrow A'}$ in an inhomogeneous plasma

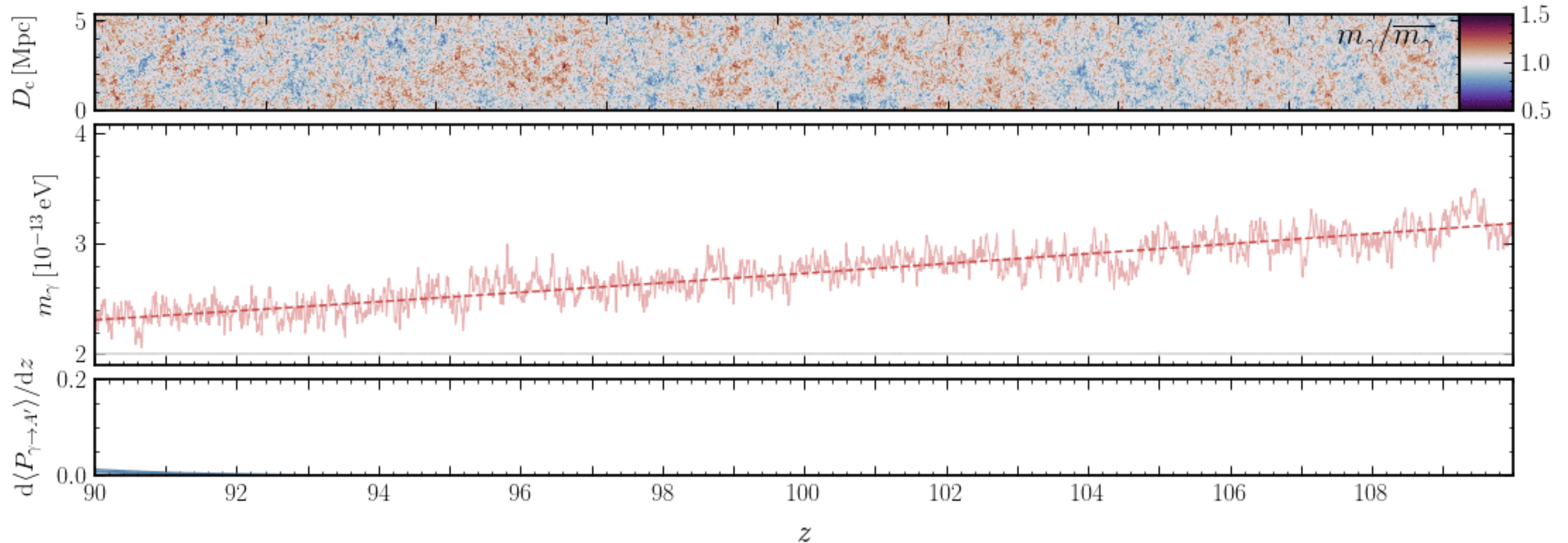
Conversion along a line of sight

$$P_{\gamma \rightarrow A'} \simeq \pi \epsilon^2 m_{A'}^2 \sum_i \frac{1}{\omega_i(z_{\text{res},i})} \left| \frac{d \ln m_\gamma^2(t)}{dt} \right|_{z=z_{\text{res},i}}^{-1}$$

Averaged conversion probability

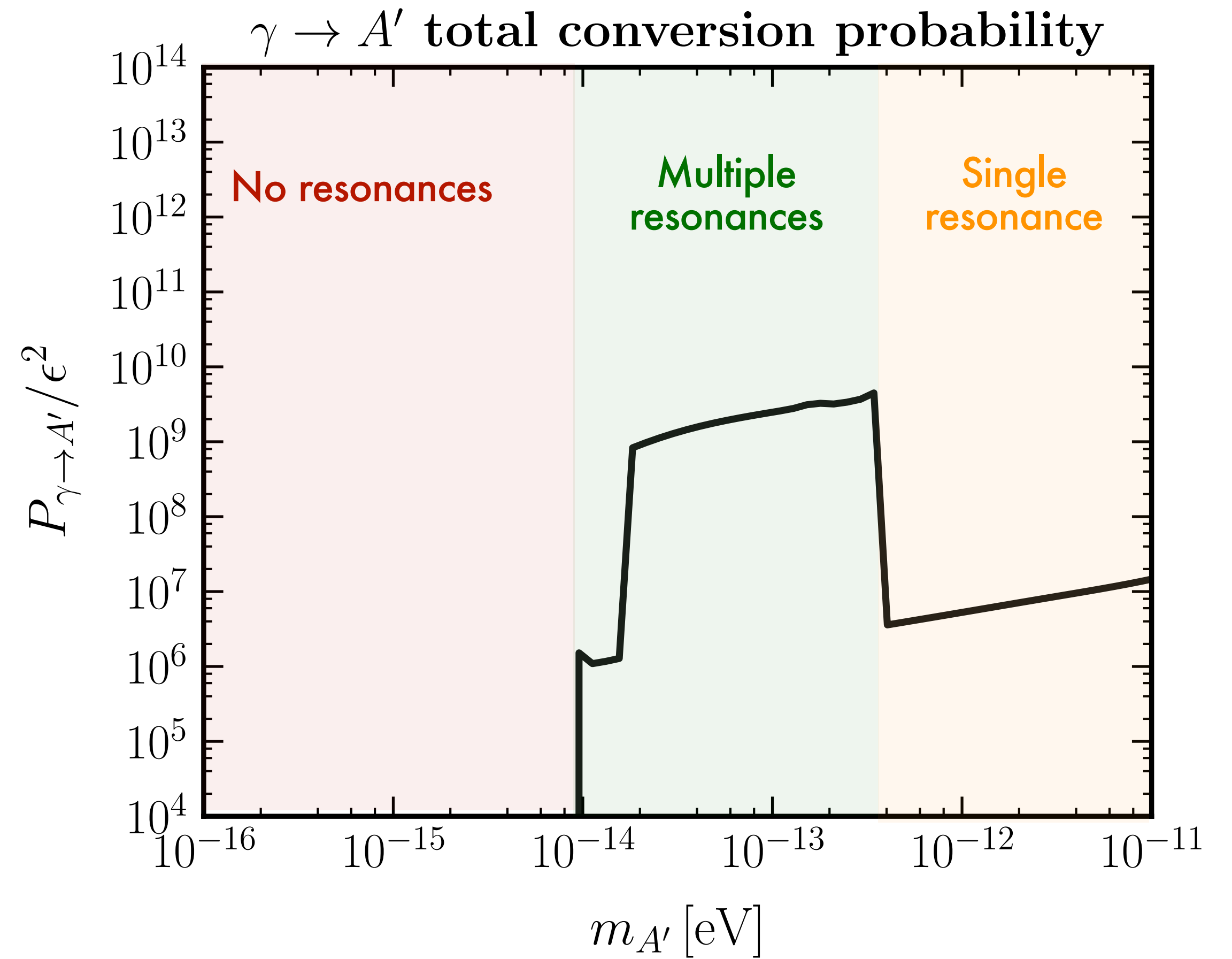
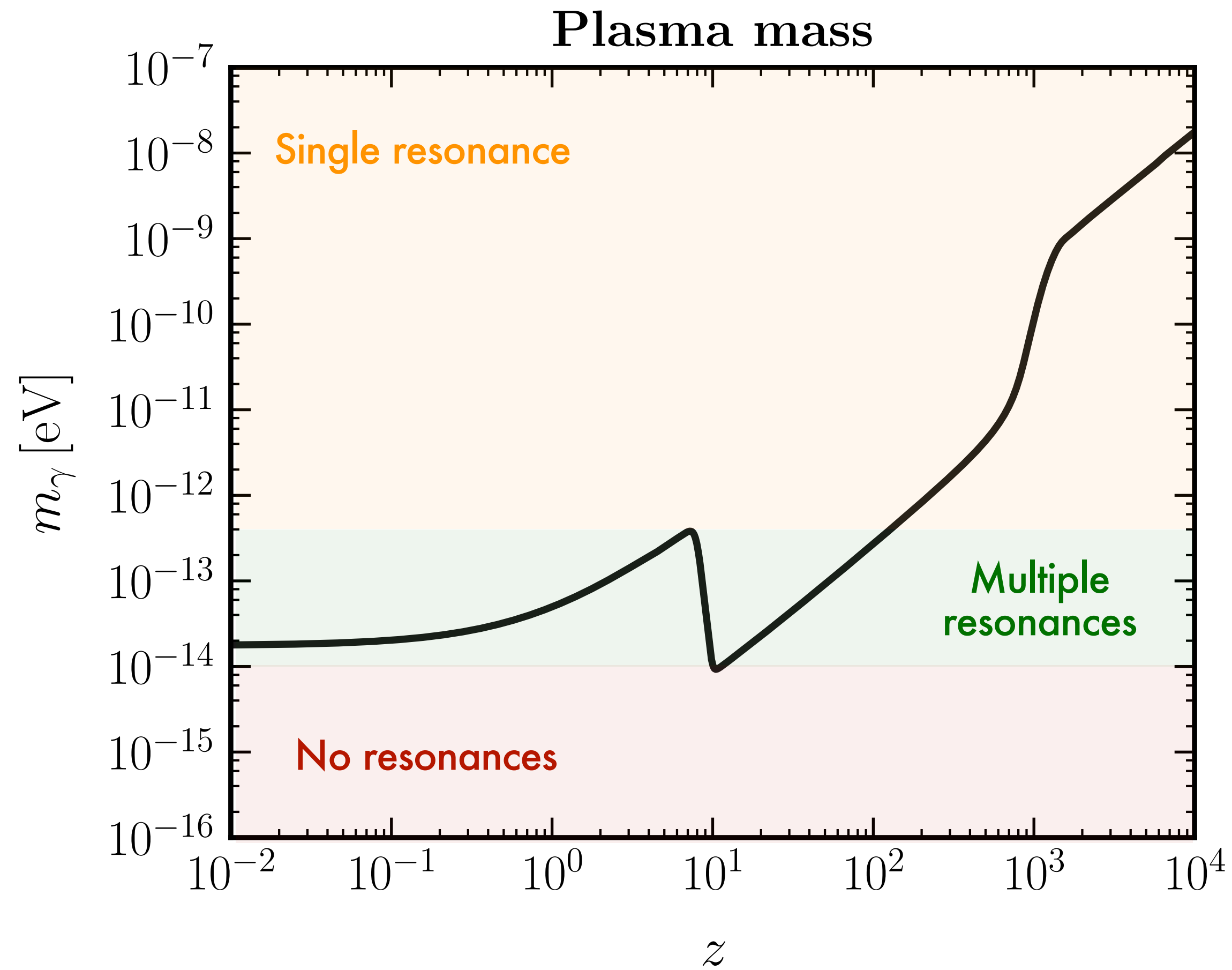
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Perturbations in the Photon Plasma Mass

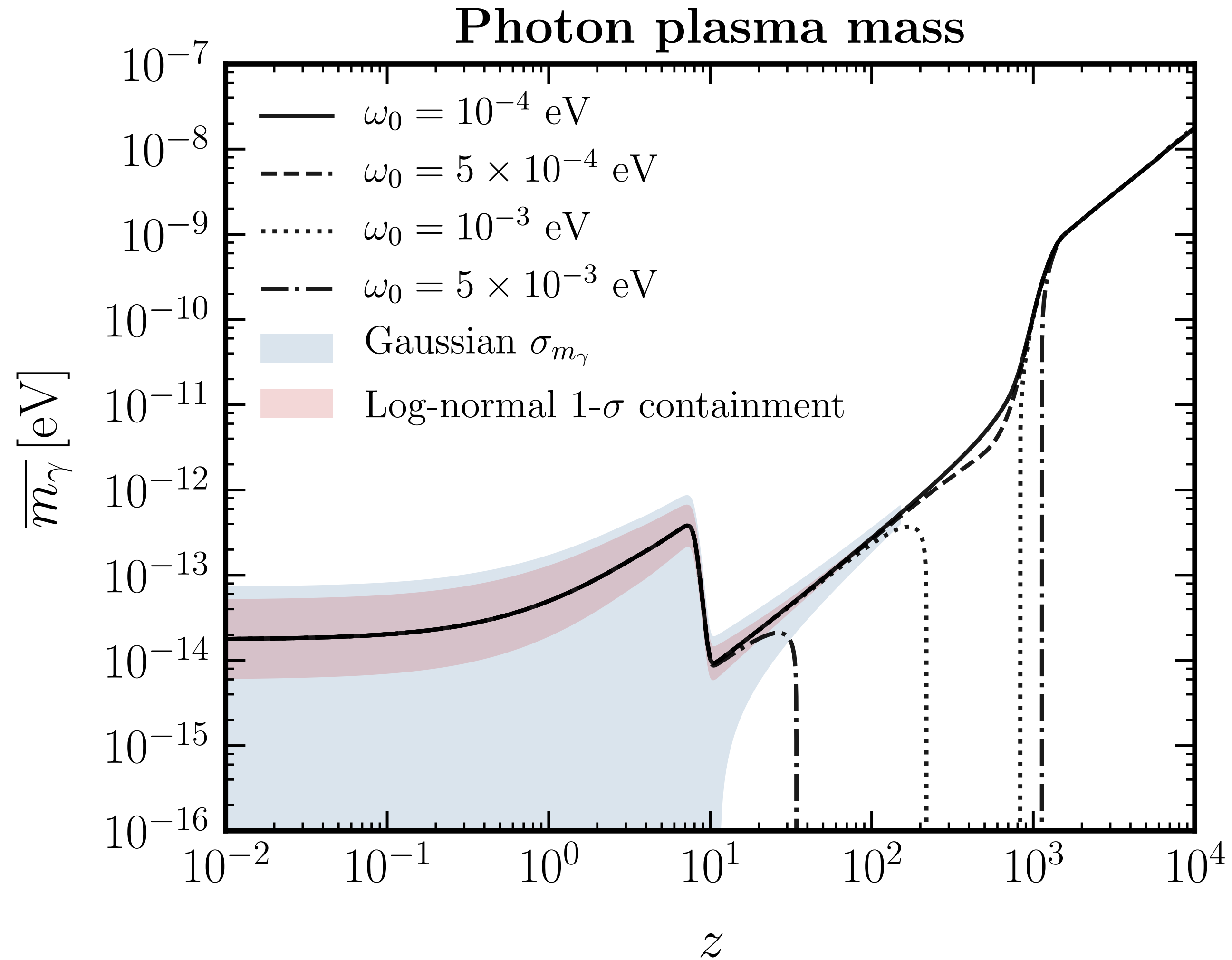


Resonant oscillations in photon plasma

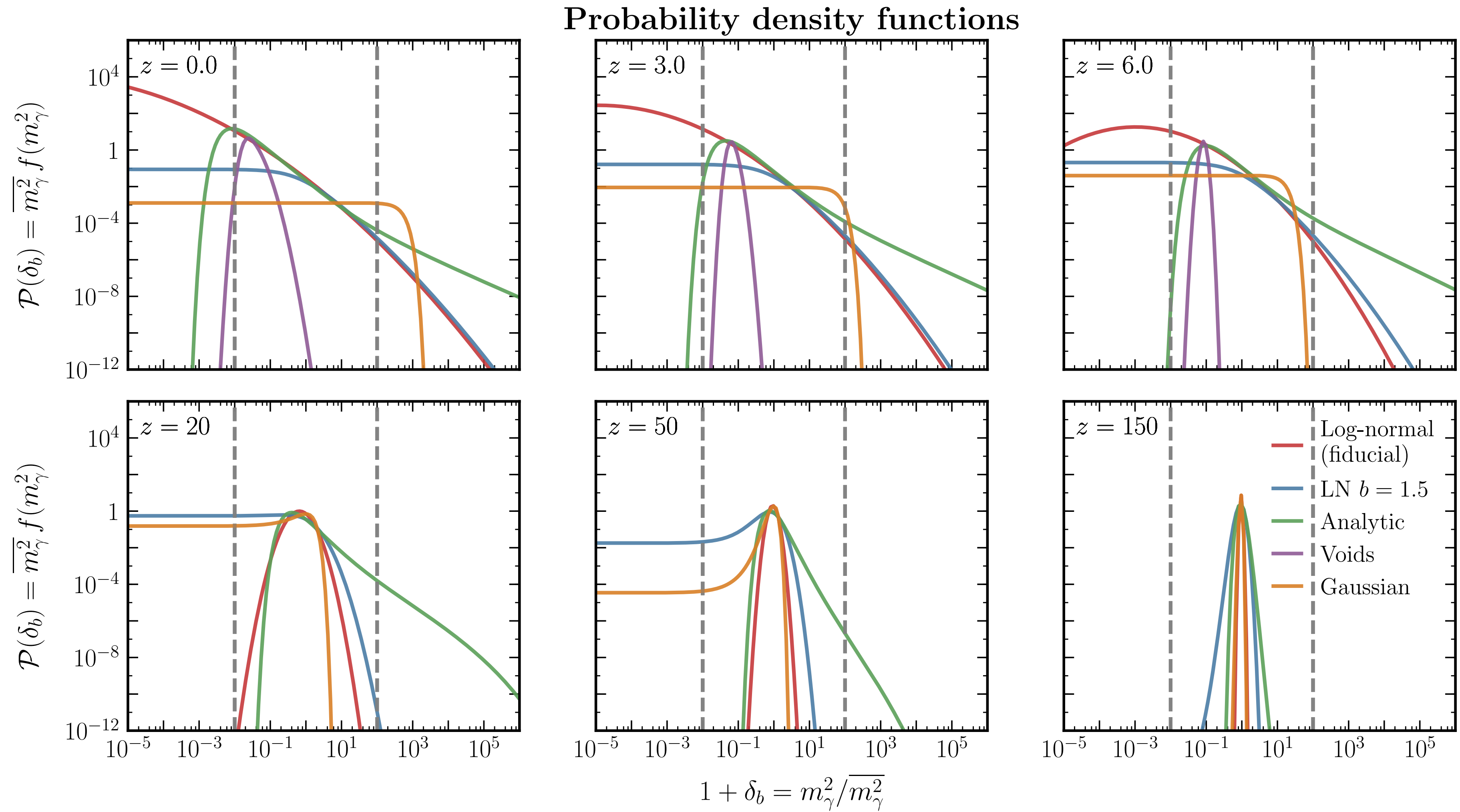
$$P_{\gamma \rightarrow A'} \simeq \frac{\pi \epsilon^2 m_{A'}^2}{\omega(z_{\text{res}})} \left| \frac{d \ln m_\gamma^2(t)}{dt} \right|_{z=z_{\text{res}}}^{-1}$$



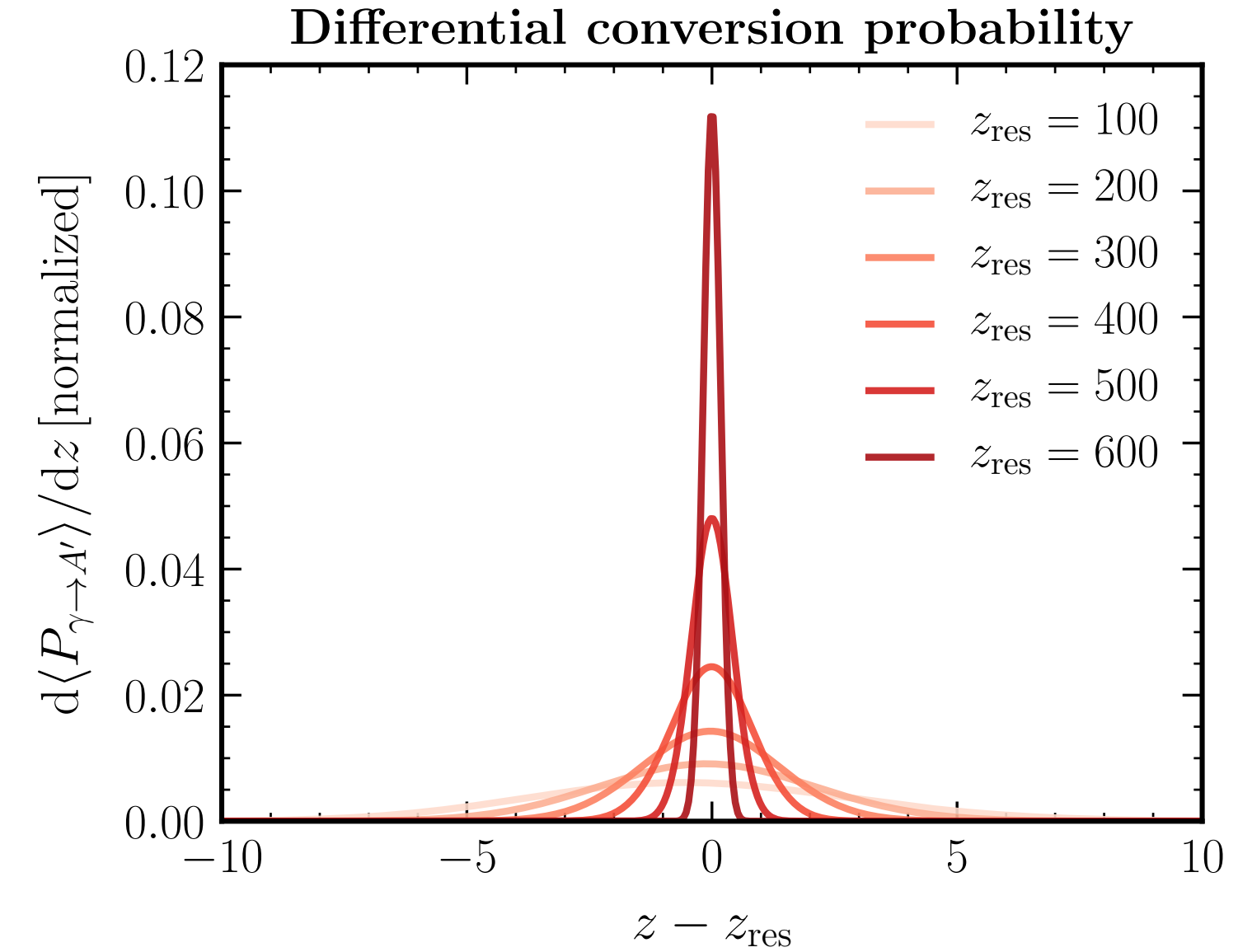
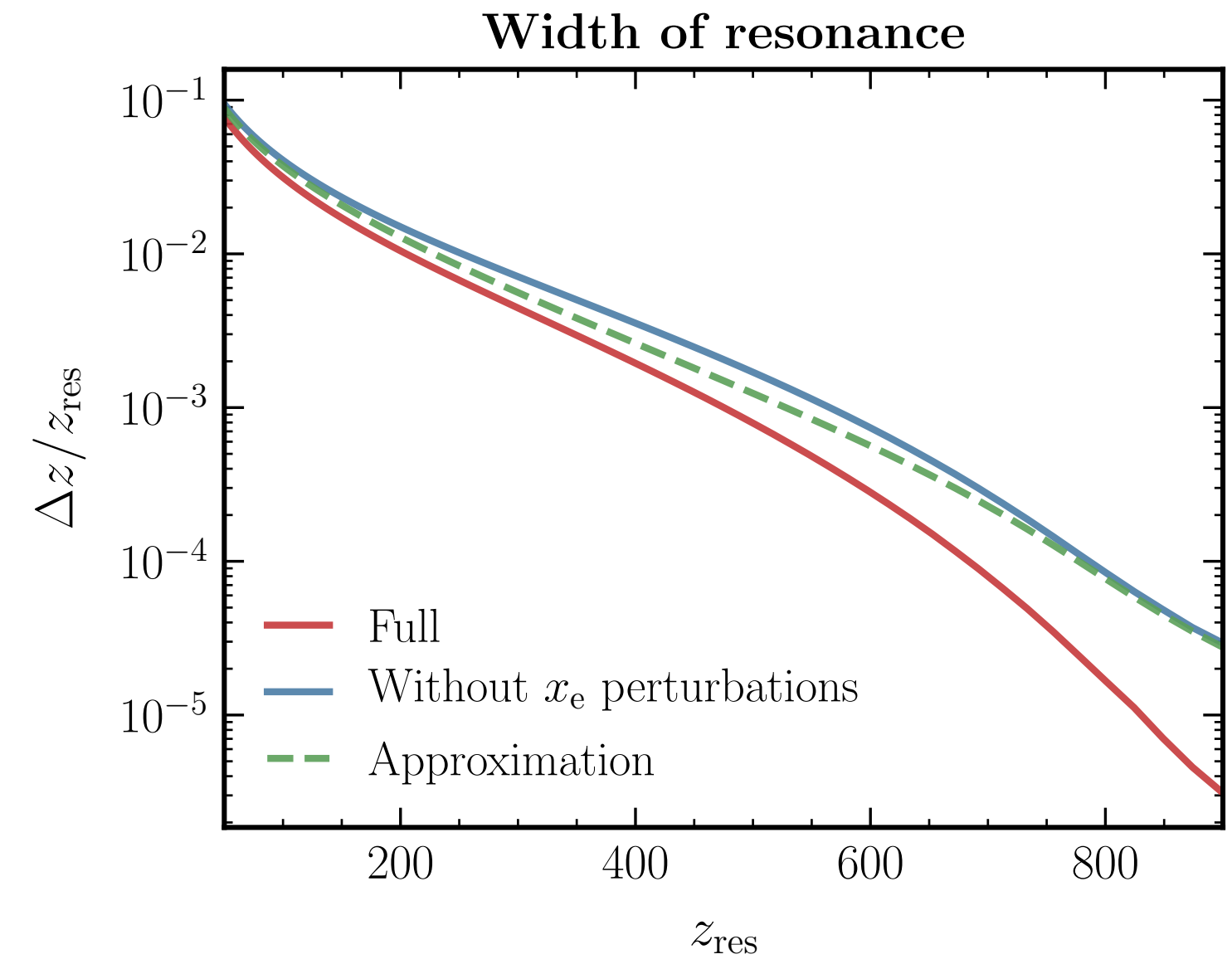
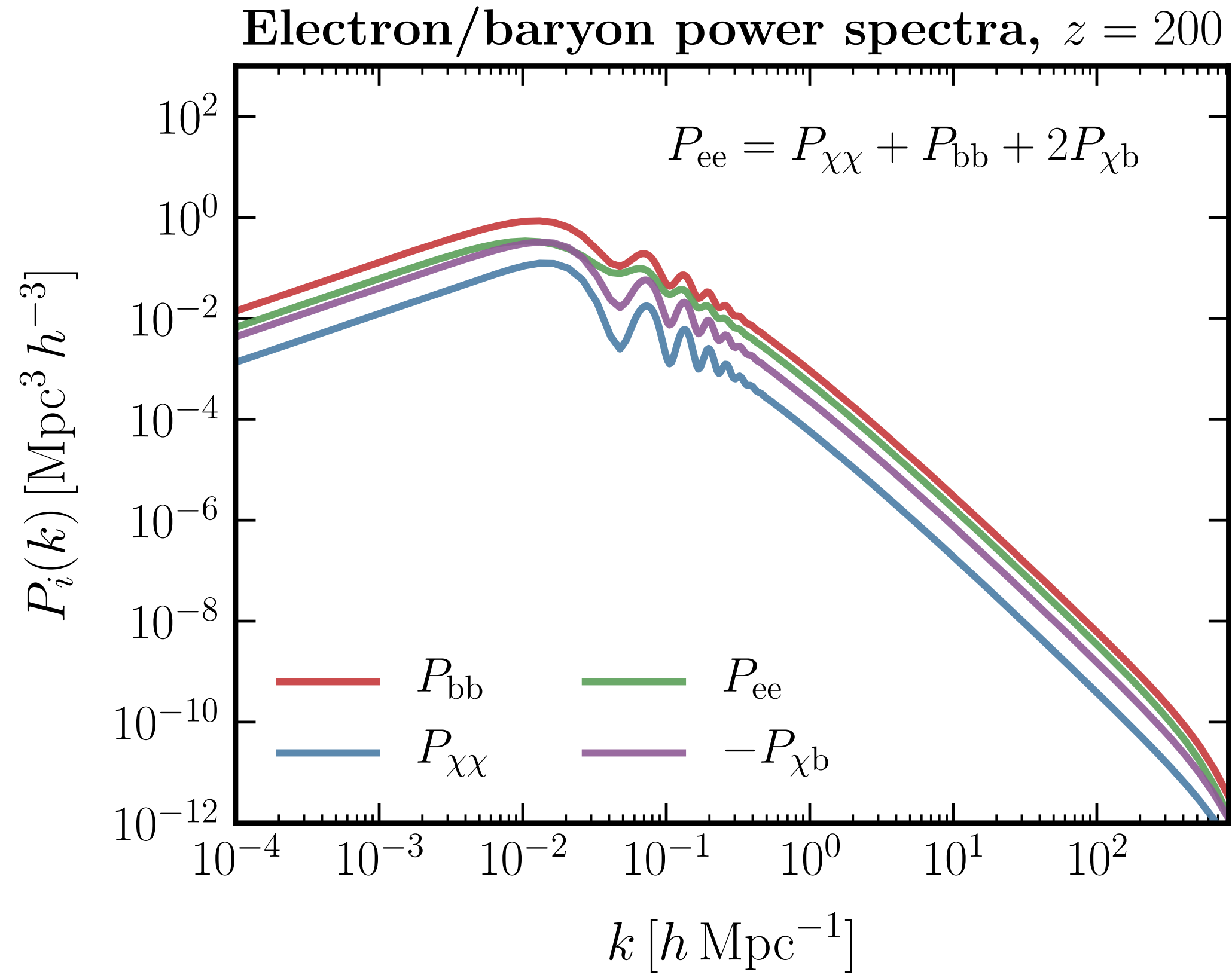
Photon plasma mass variance



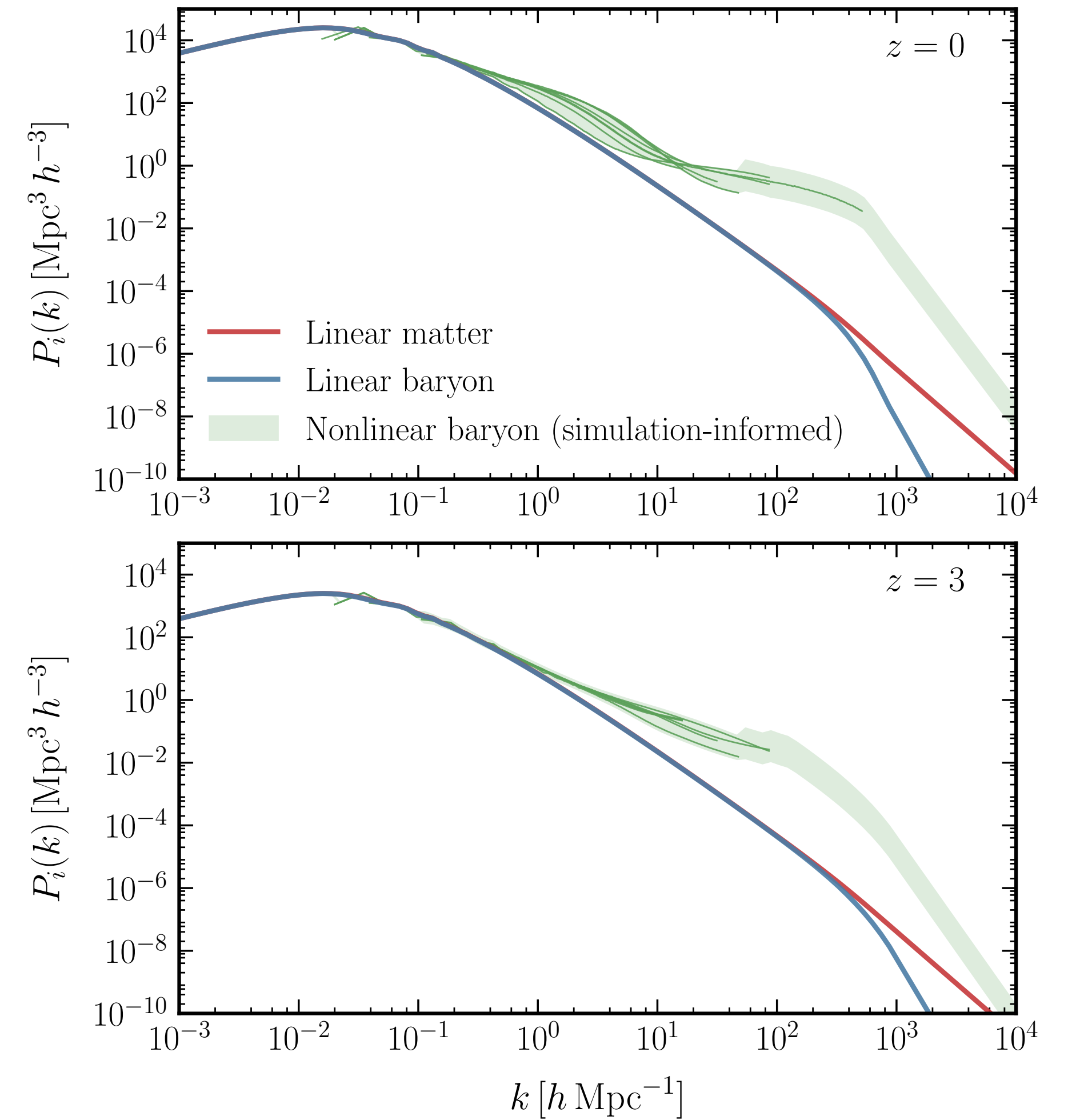
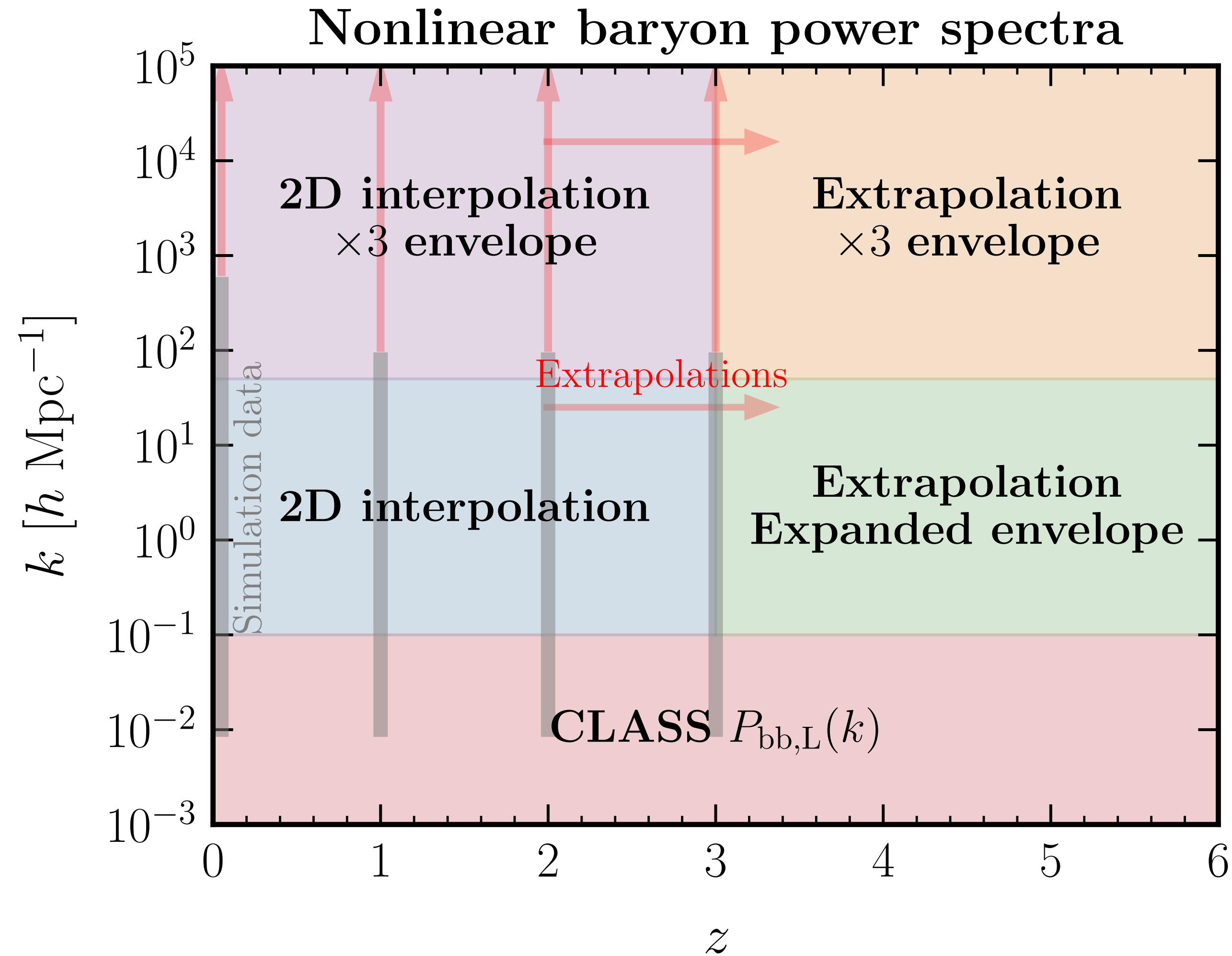
PDF snapshots



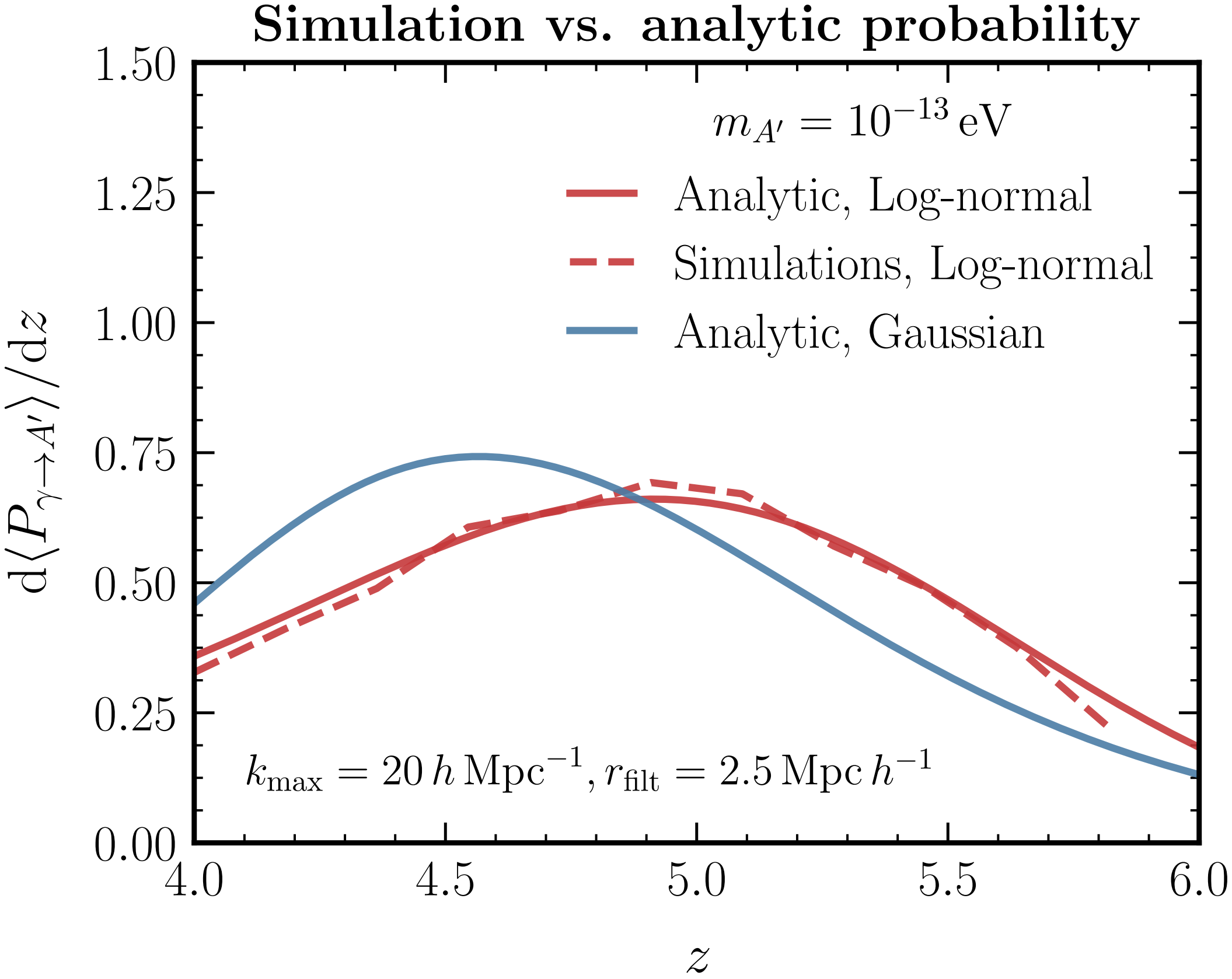
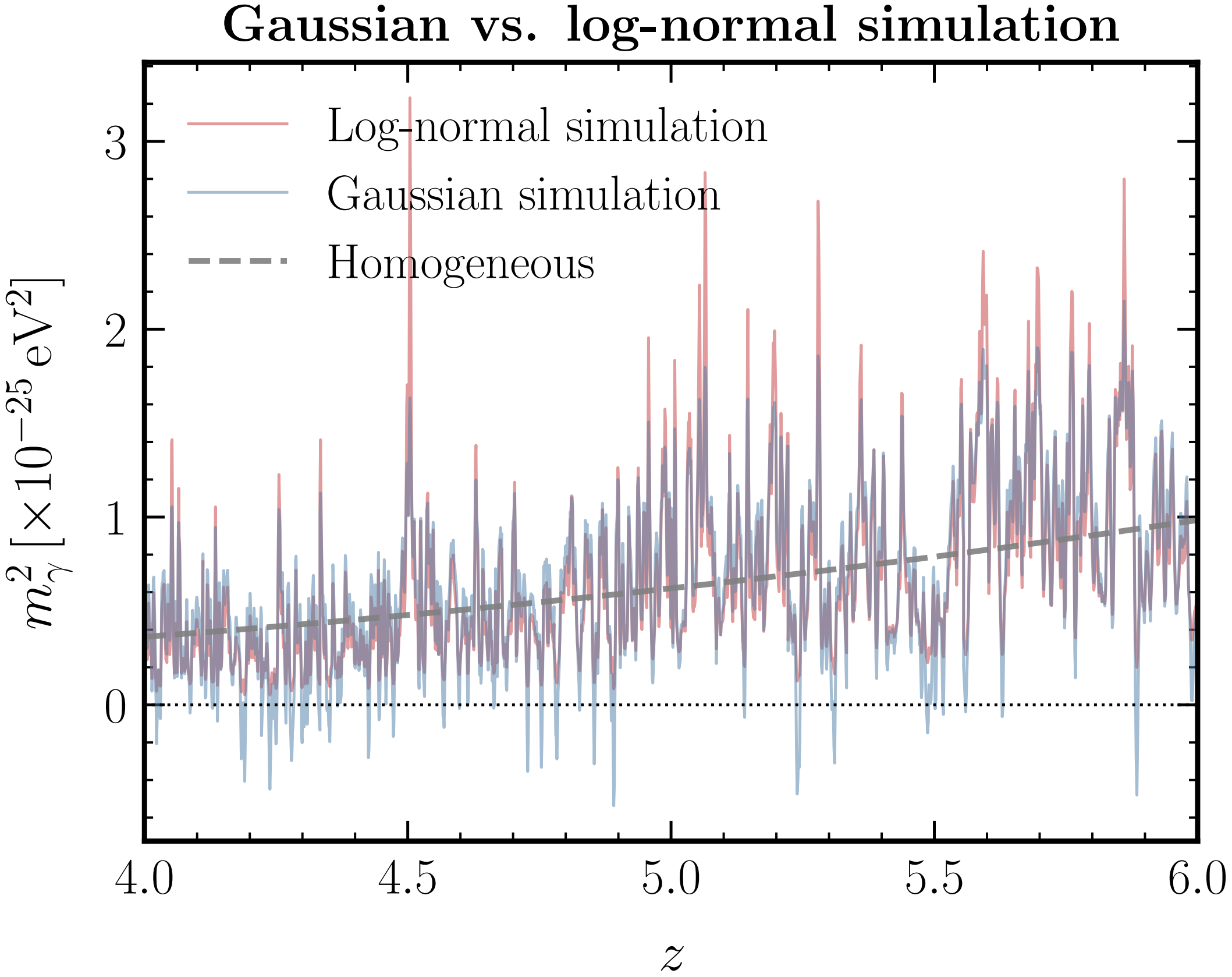
Baryon/electron fluctuations



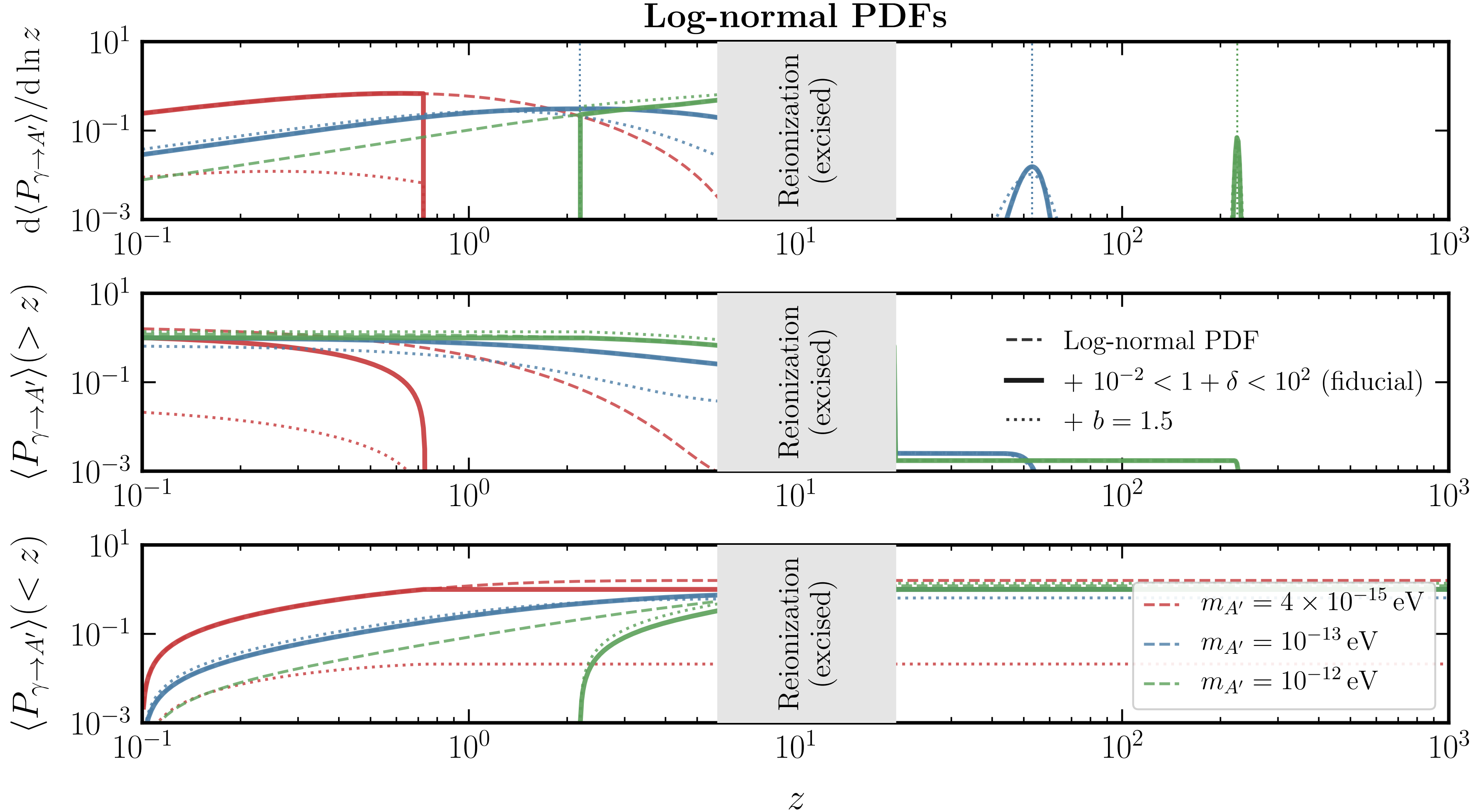
Simulation-inferred baryon power spectra



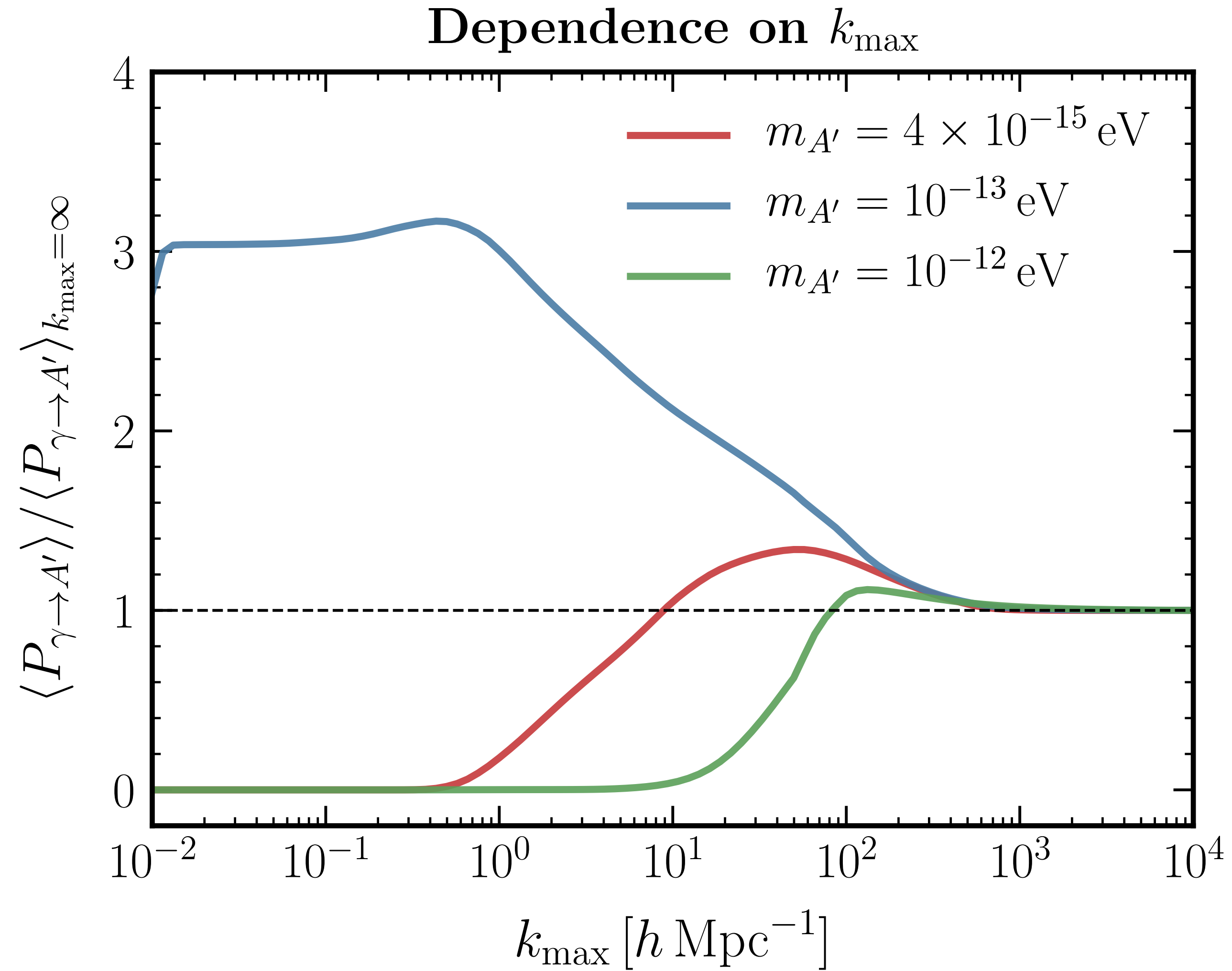
Simulation vs analytics comparison



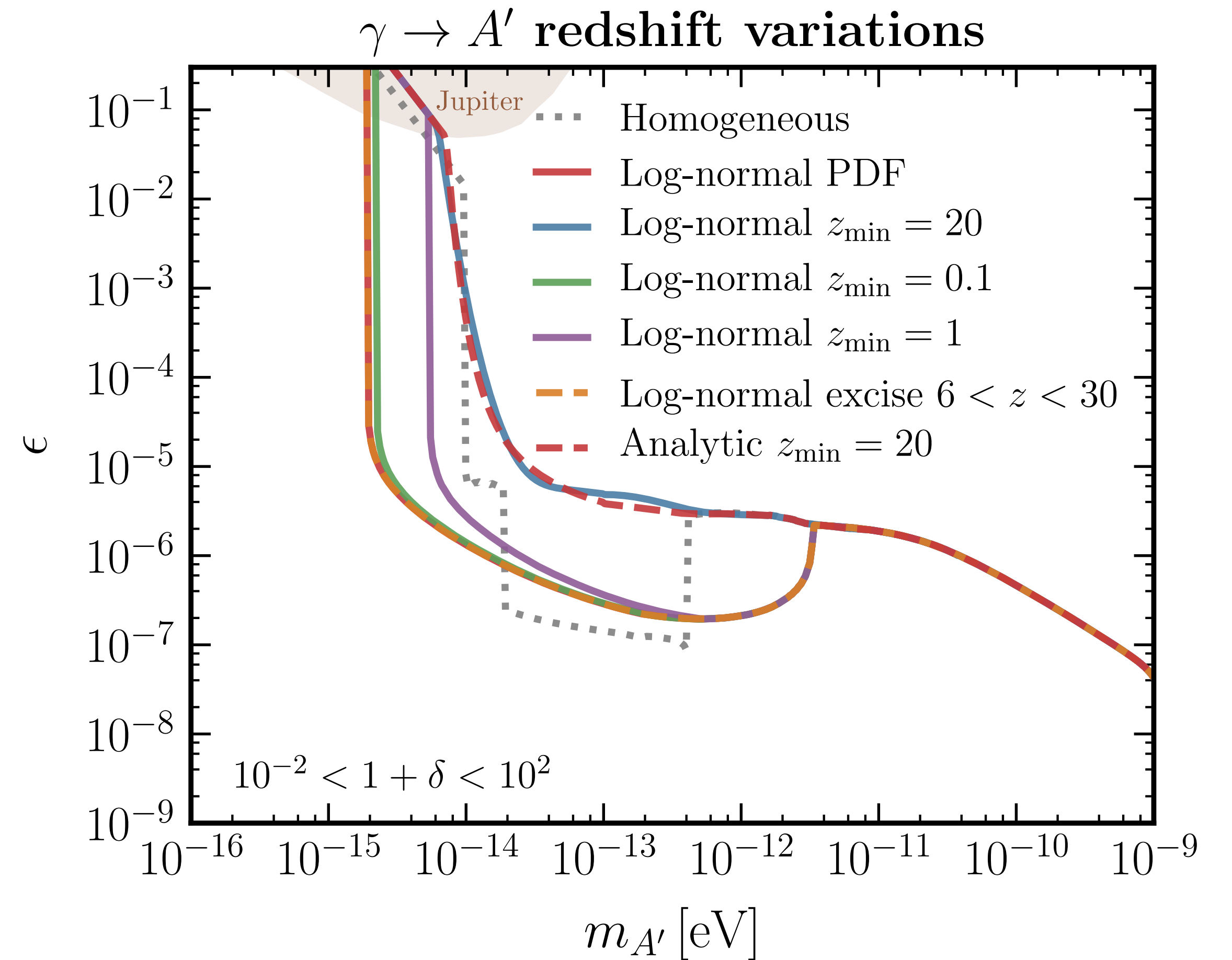
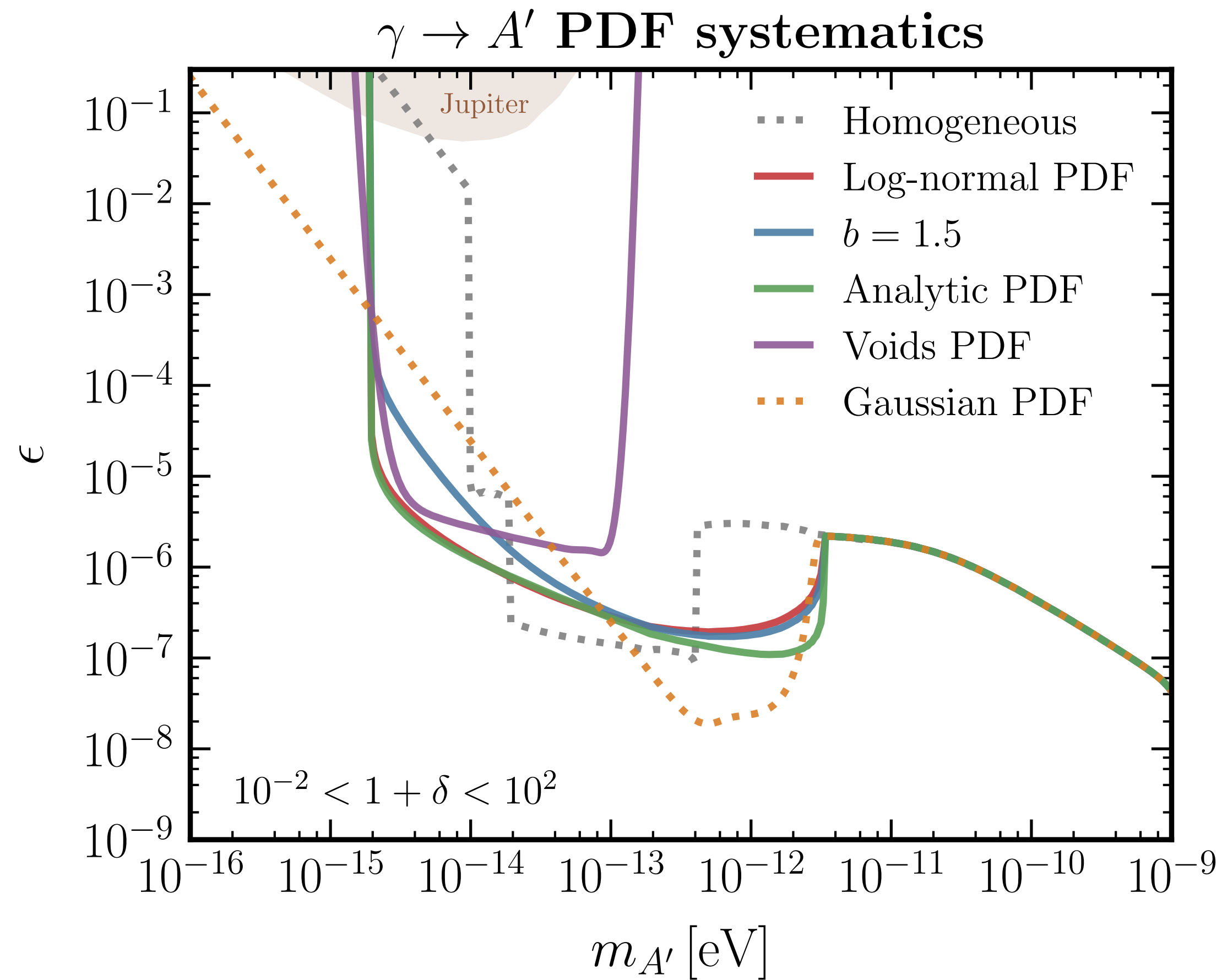
Conversion probabilities



Dependence of total probability on k_{\max}



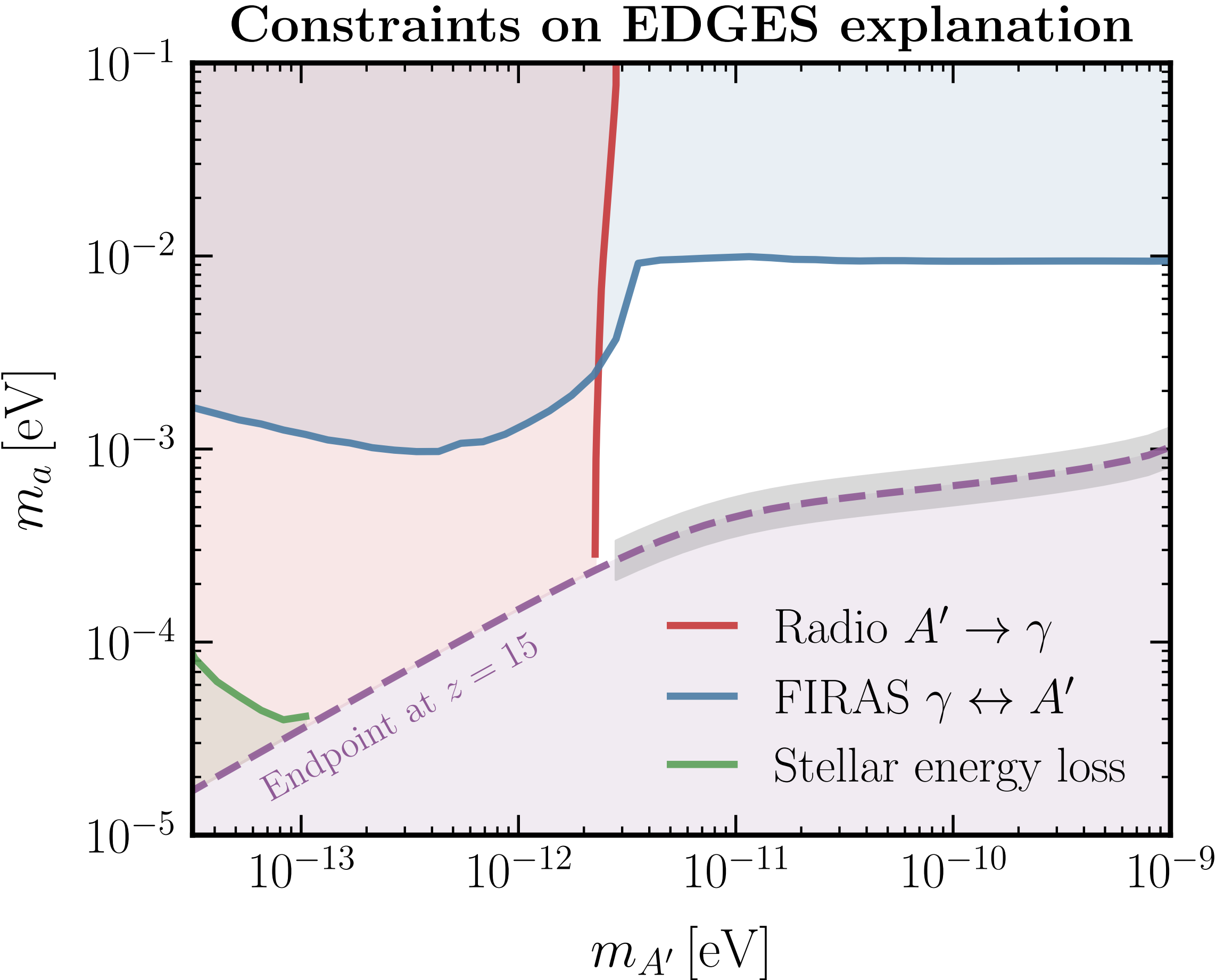
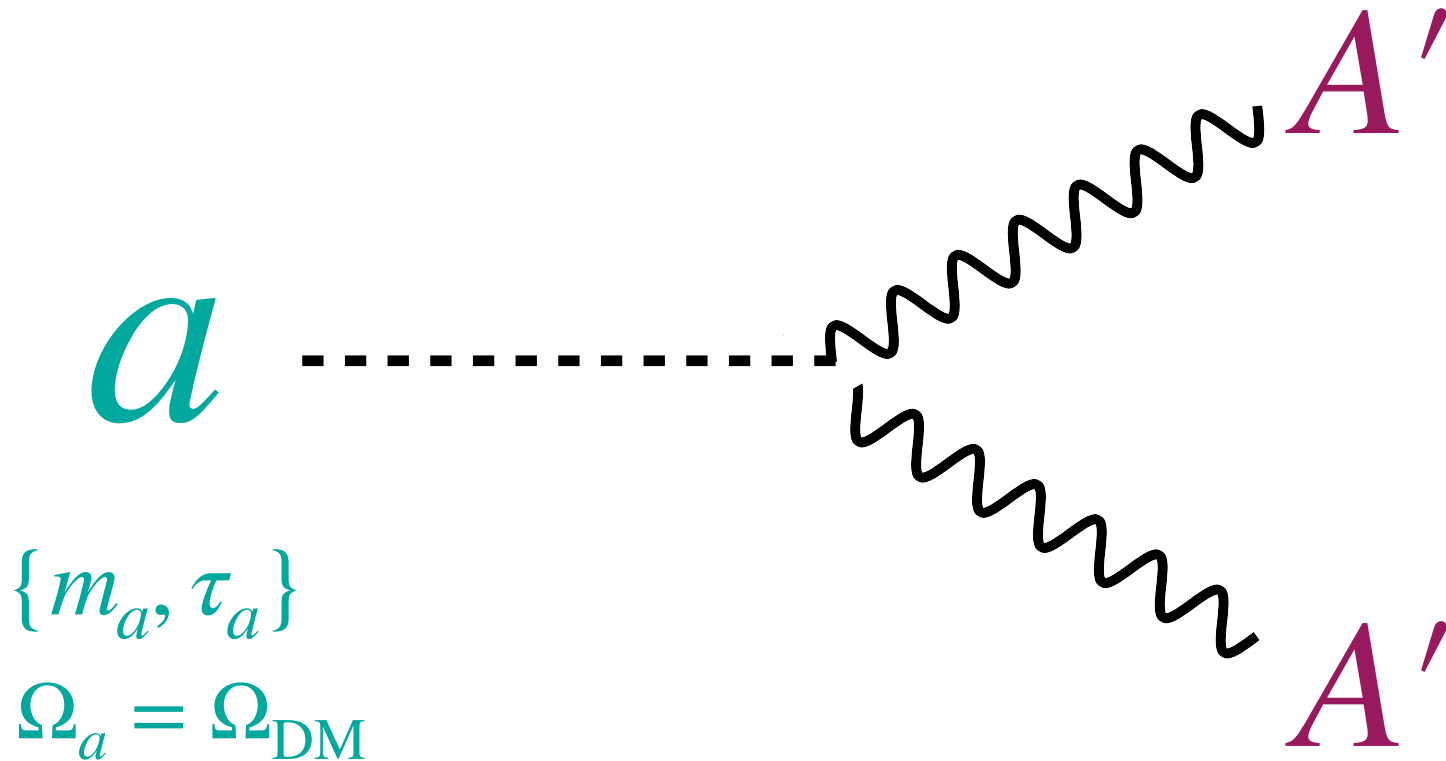
Redshift and PDF systematics



Constraints on EDGES explanation of model

Pospelov, Pradler, Ruderman, Urbano [1803.07048]

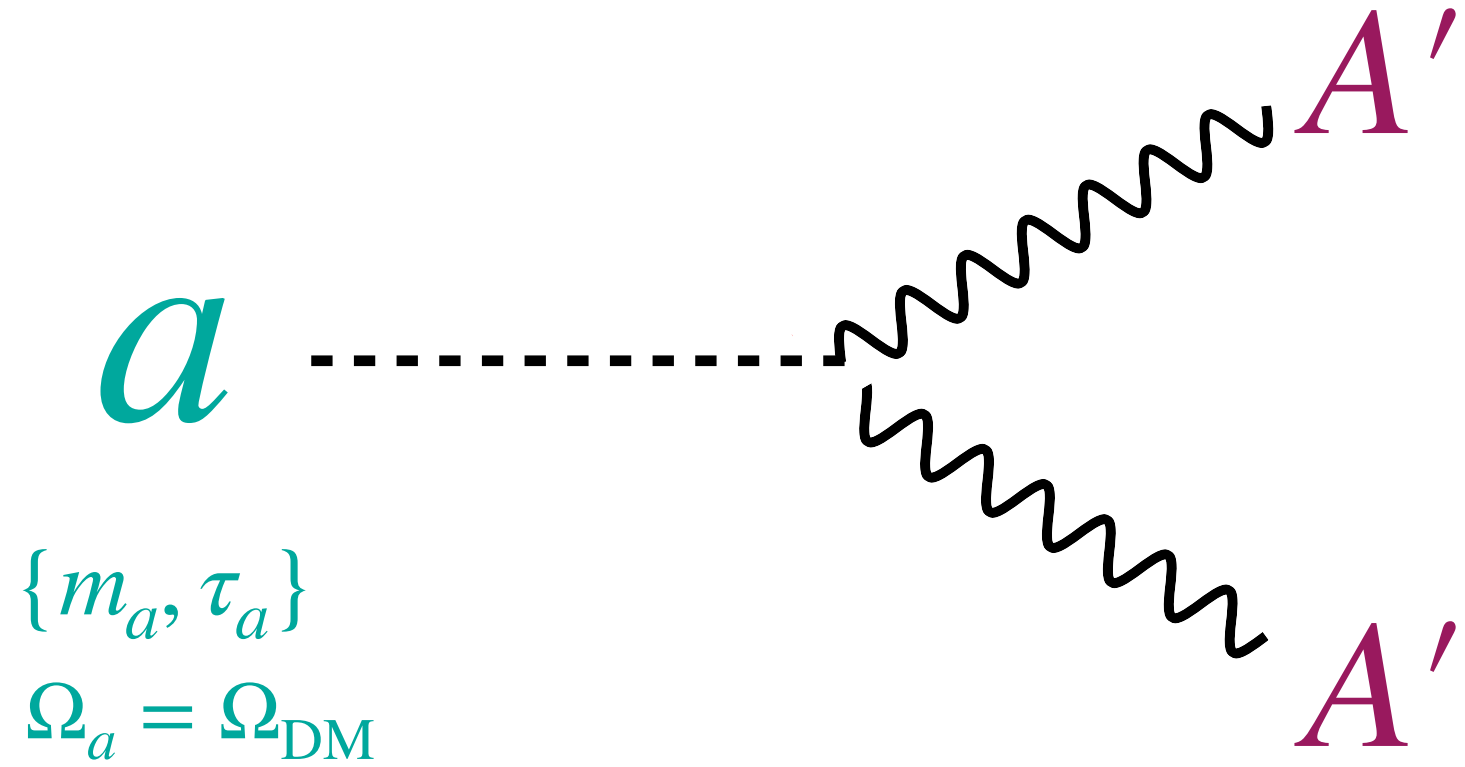
1. Decay of long-lived particle a (DM) to A'



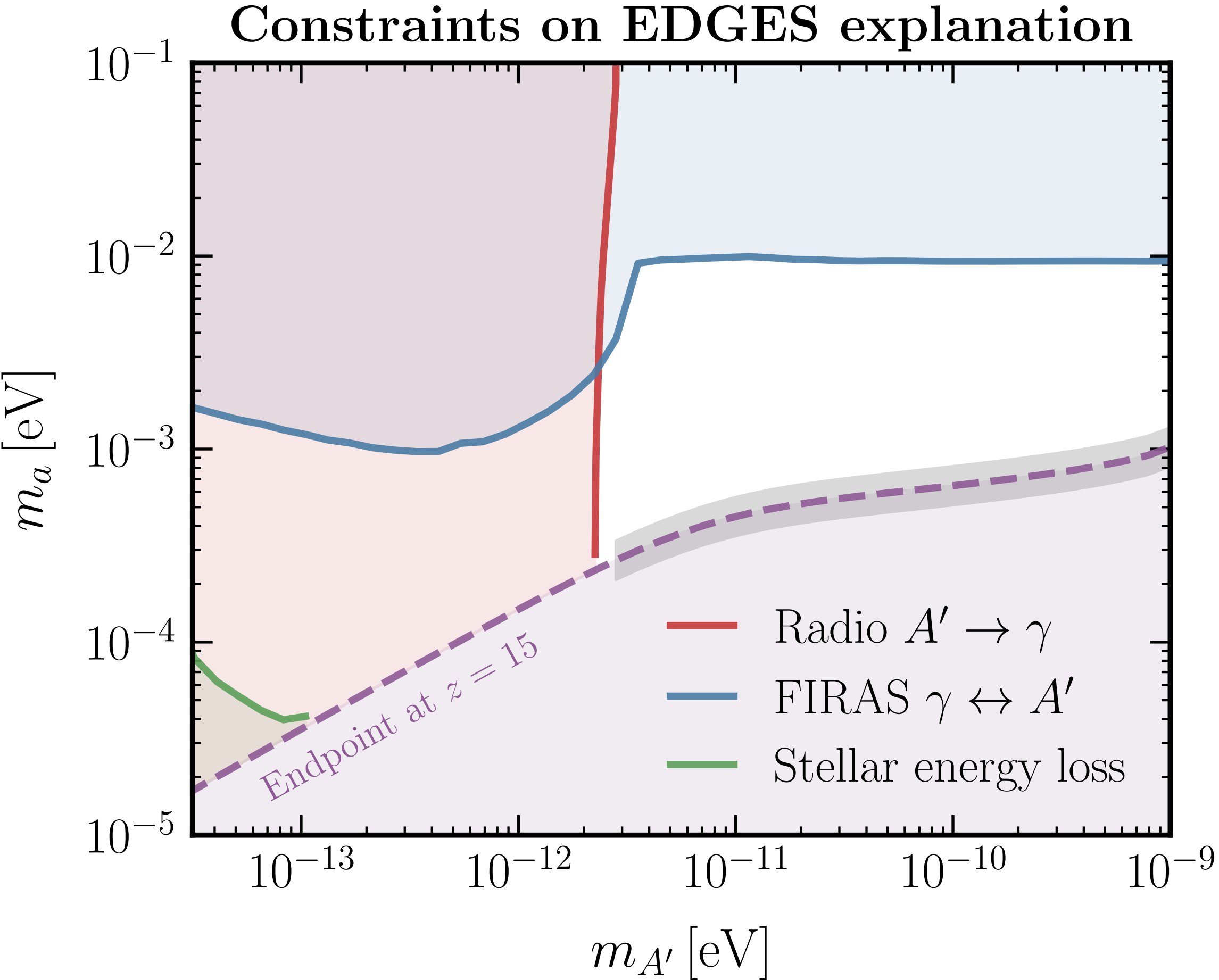
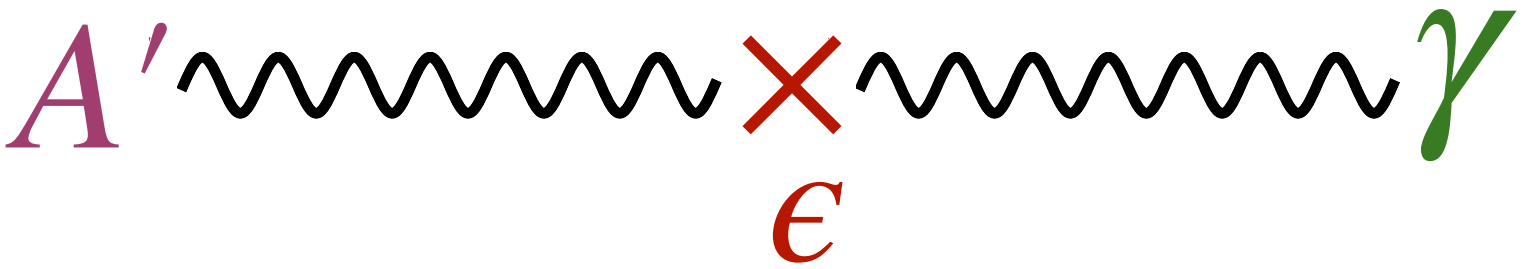
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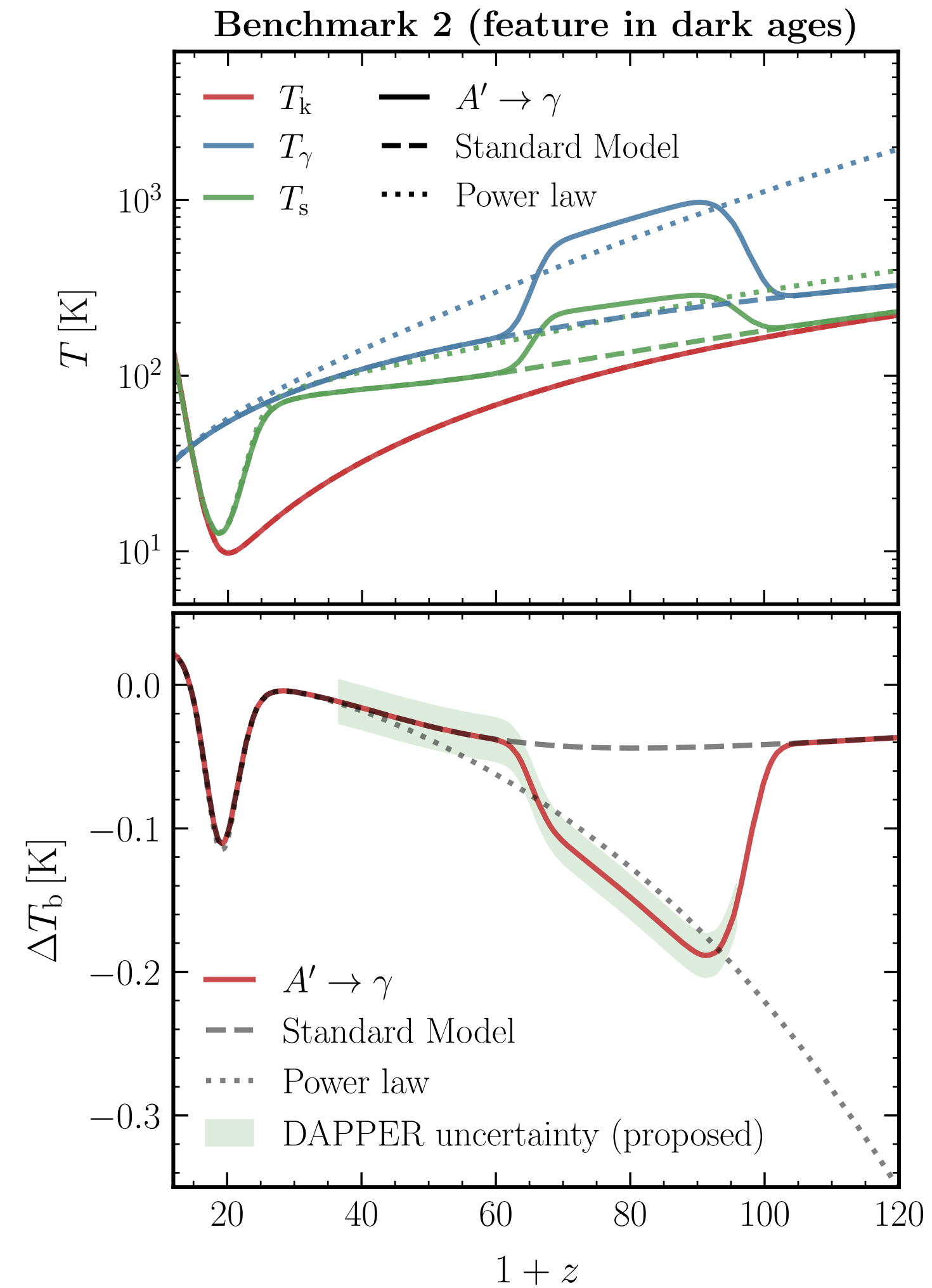
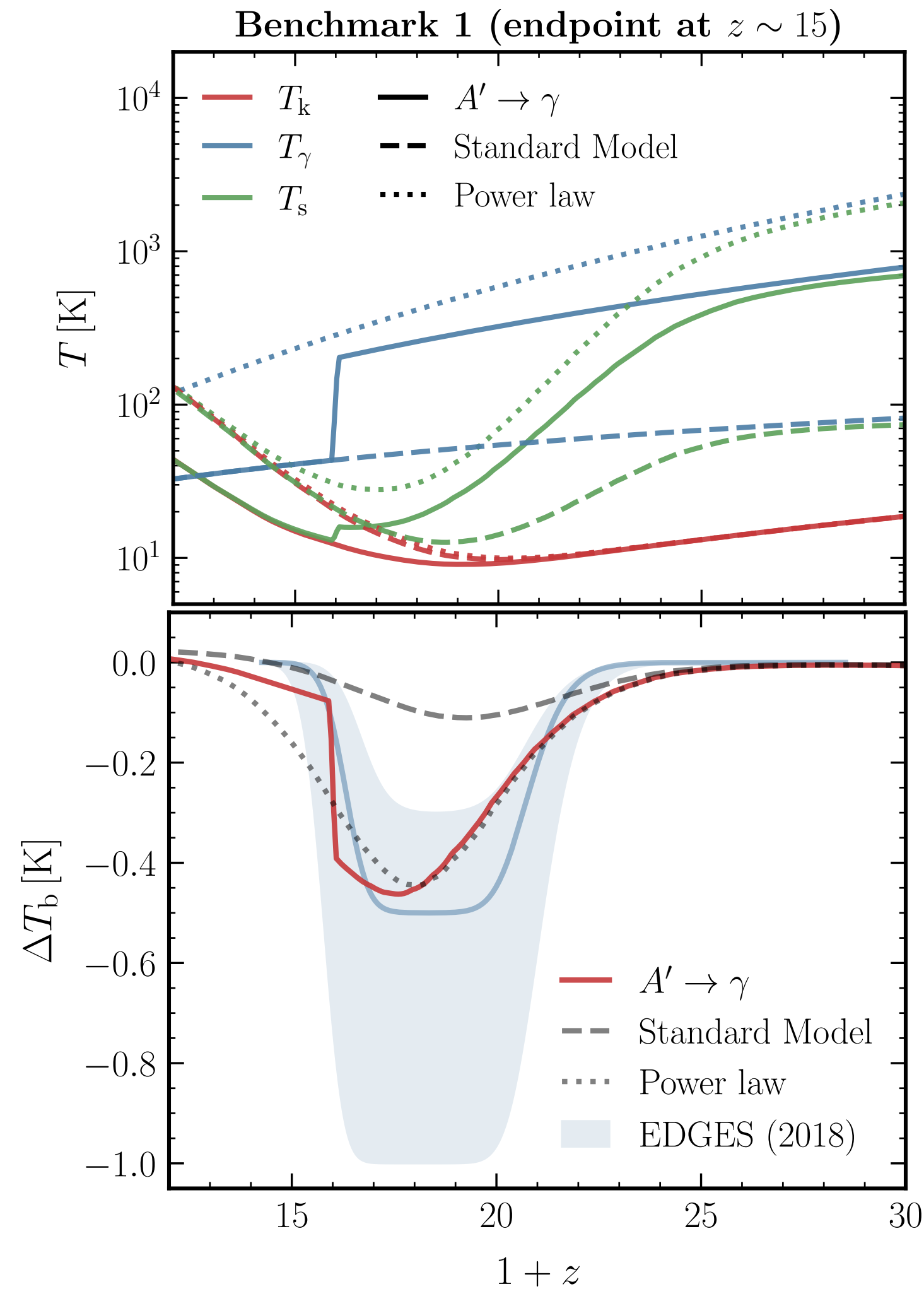


2. Resonant conversion of A' to γ



Power-law injection of CMB photons

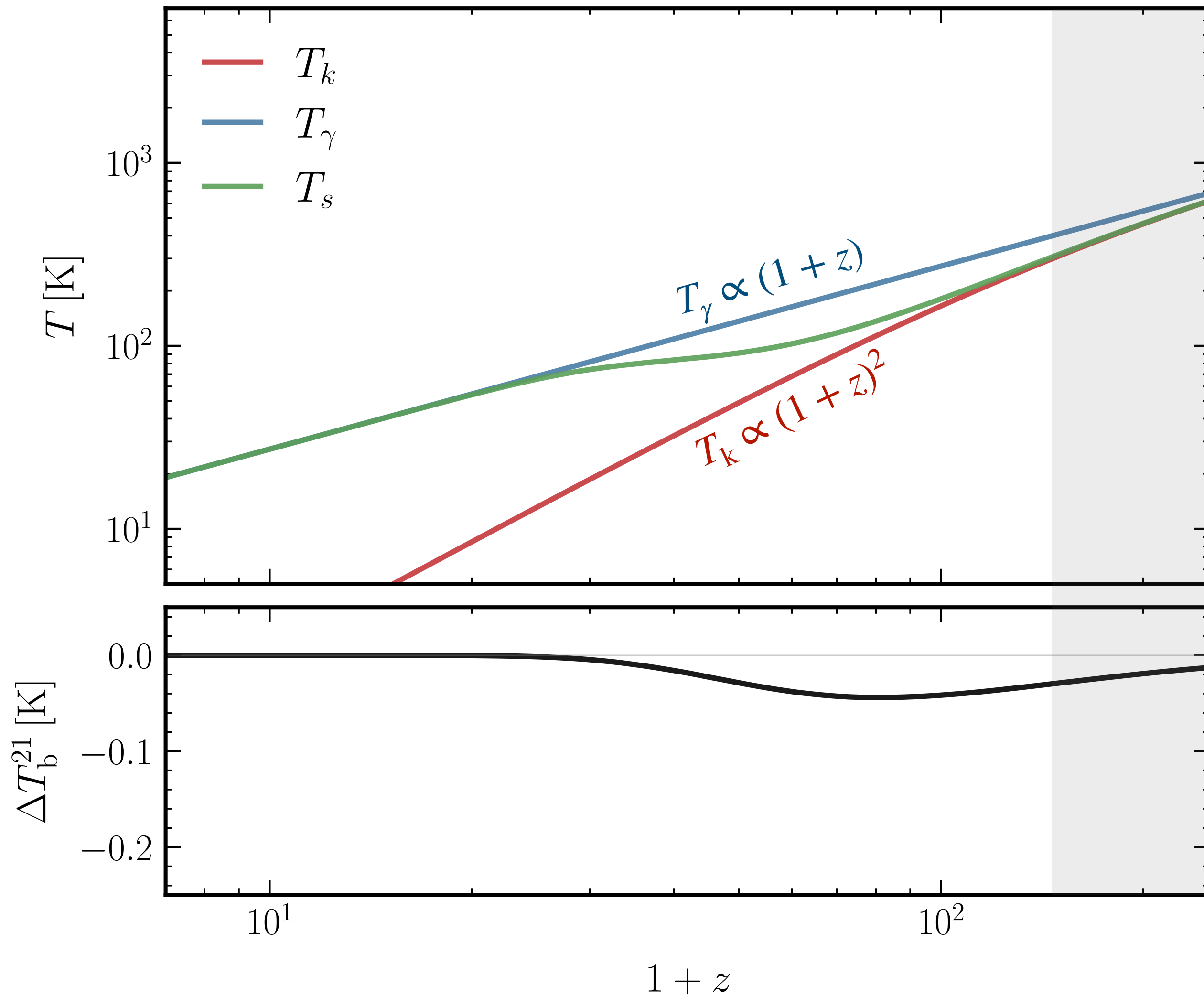
$$T_{\gamma}^{21} = T_{\text{CMB}}(1+z) \left[1 + f_r A_r \left(\frac{\nu_{21}/(1+z)}{78\text{MHz}} \right)^{\beta} \right]$$



21-cm temperature evolution

$$\Delta T_b^{21} \propto x_{\text{HI}} \left(1 - \frac{T_\gamma}{T_s} \right)$$

21-cm temperature evolution (no astrol sources)

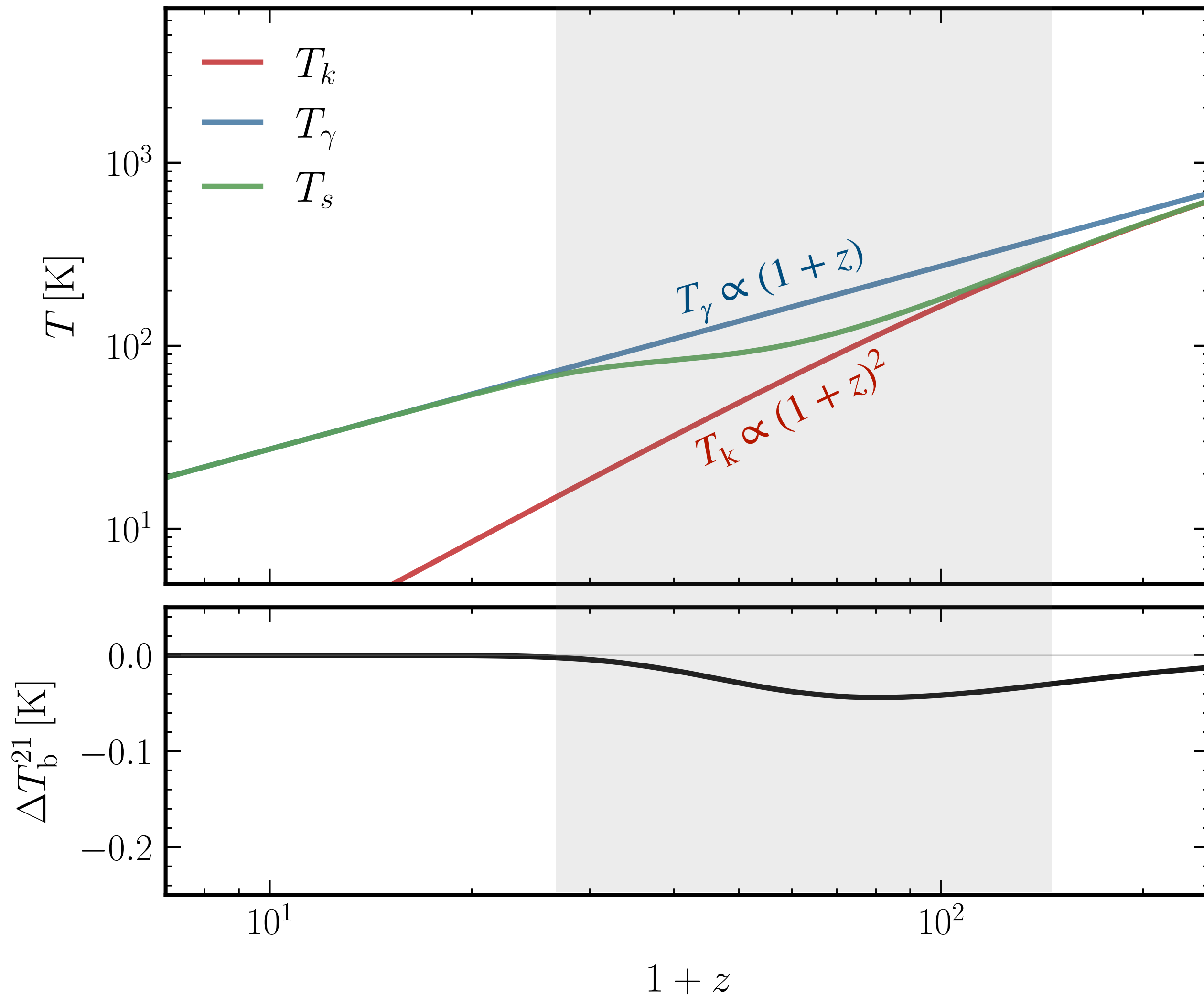


- Collisional coupling $T_k \approx T_s$
- Compton scattering effective, $T_k \approx T_\gamma$
- $\Delta T_b^{21} \approx 0$
- Gas adiabatically cools as $(1+z)^{-2}$
- $T_s < T_\gamma \implies \Delta T_b^{21} < 0$ (absorption)
- Collisional coupling becomes ineffective
- $\Delta T_b^{21} \approx 0$

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21-cm temperature evolution (no astrol sources)

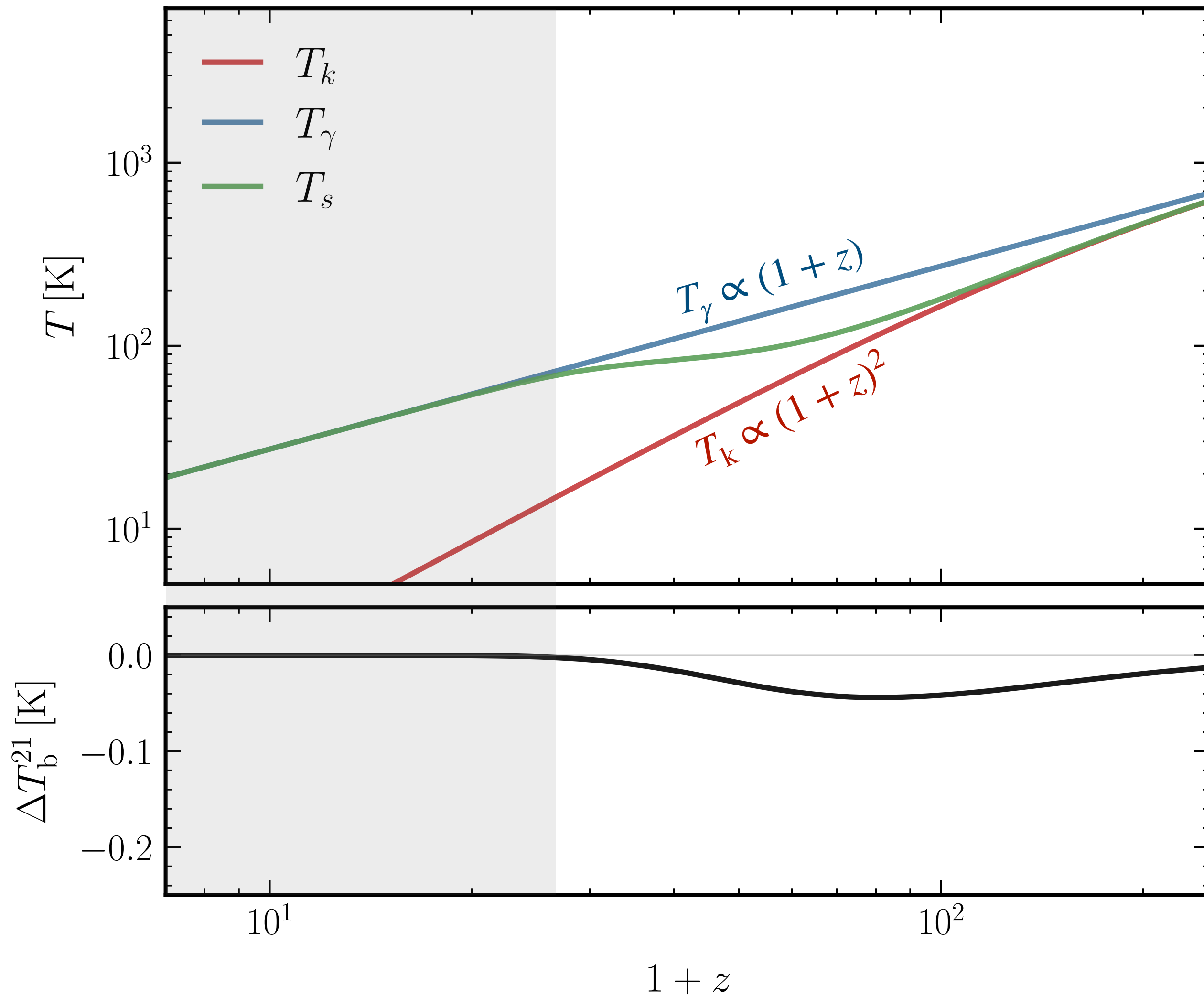


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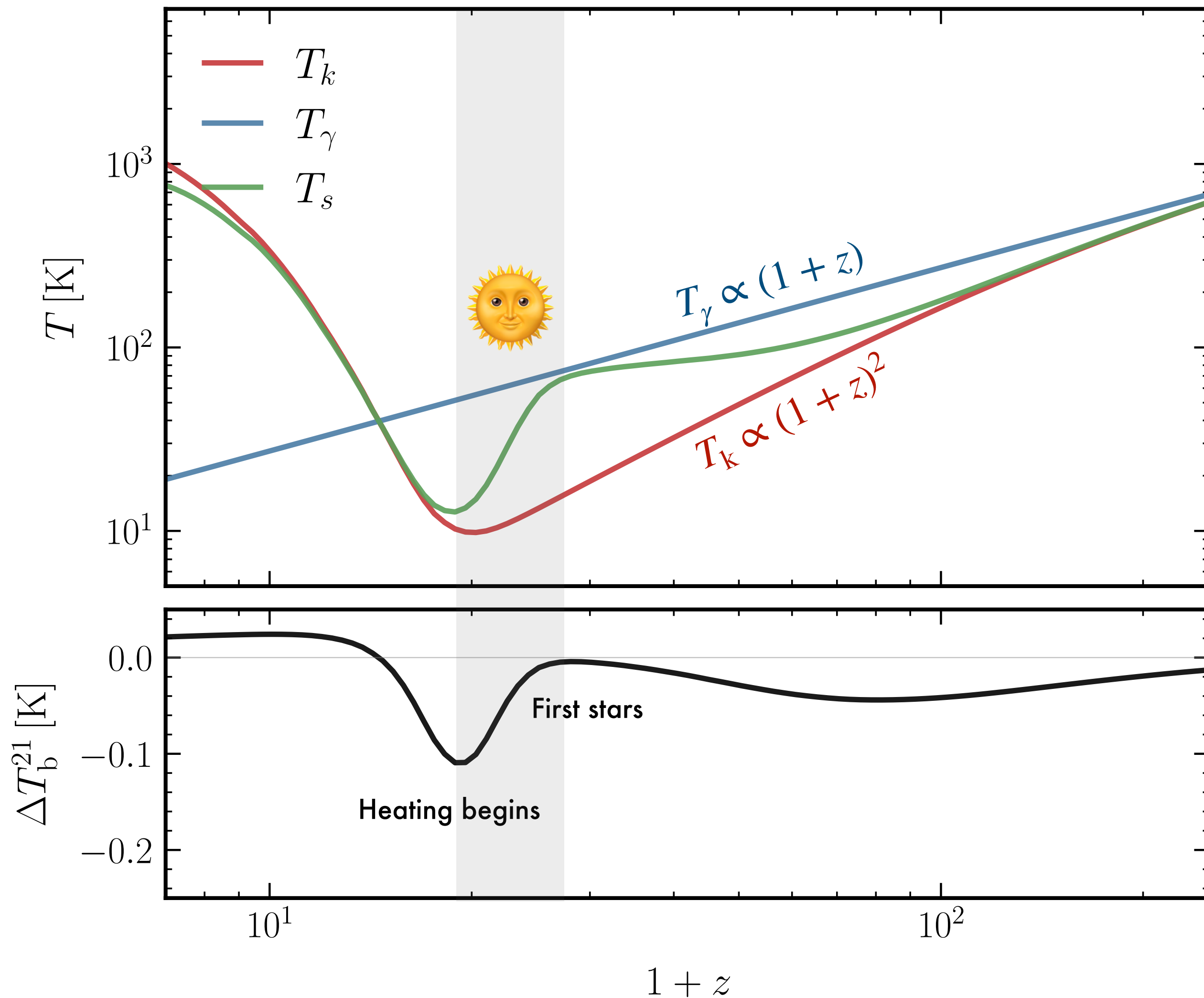


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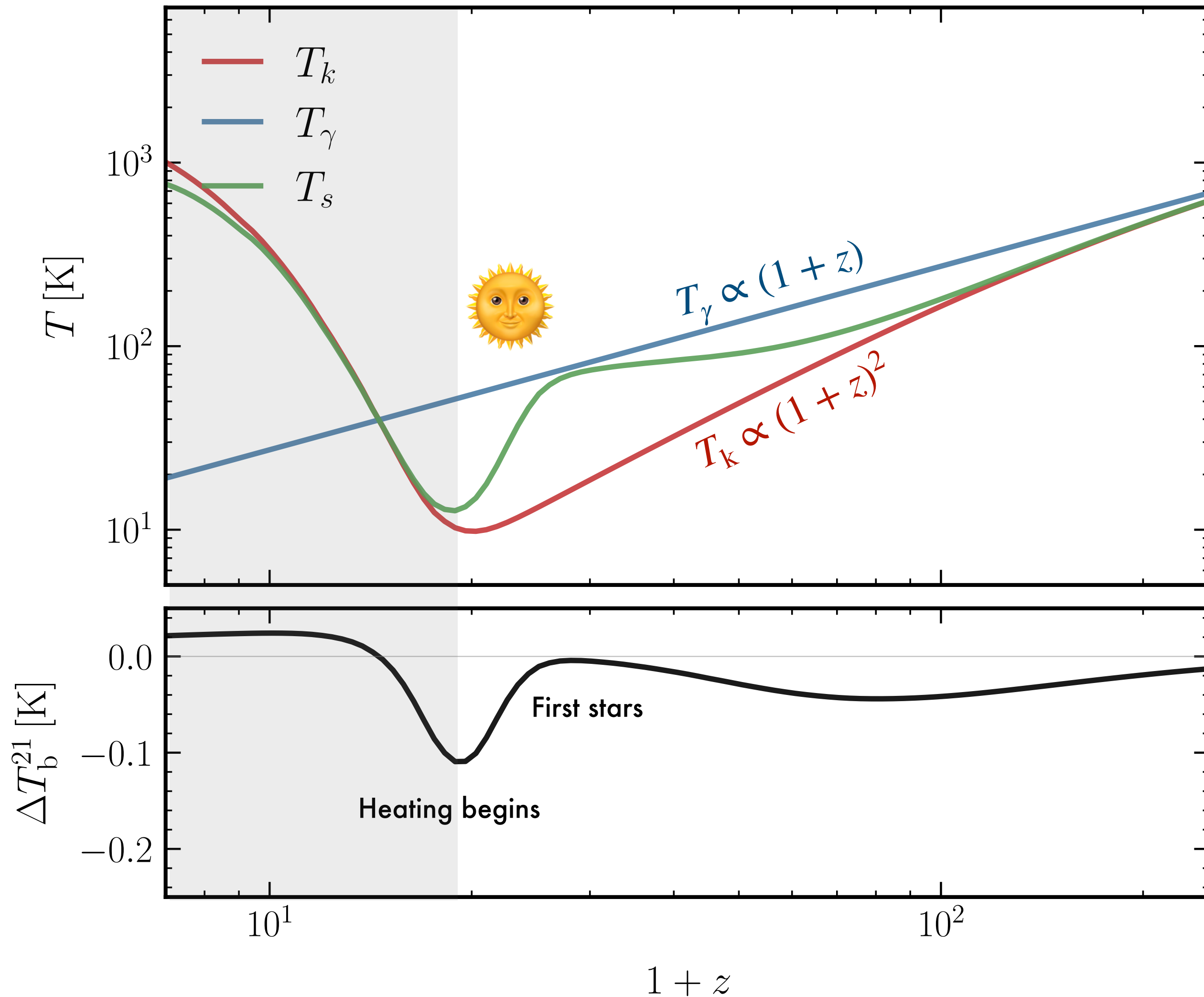


- First stars produce Ly- α photons, couples T_s to T_k
- $\Delta T_b^{21} < 0$ (absorption feature)
- X-ray sources (e.g. quasars) heat the gas
- $T_s > T_\gamma$
- $\Delta T_b^{21} > 0$ (emission feature)

21-cm temperature evolution

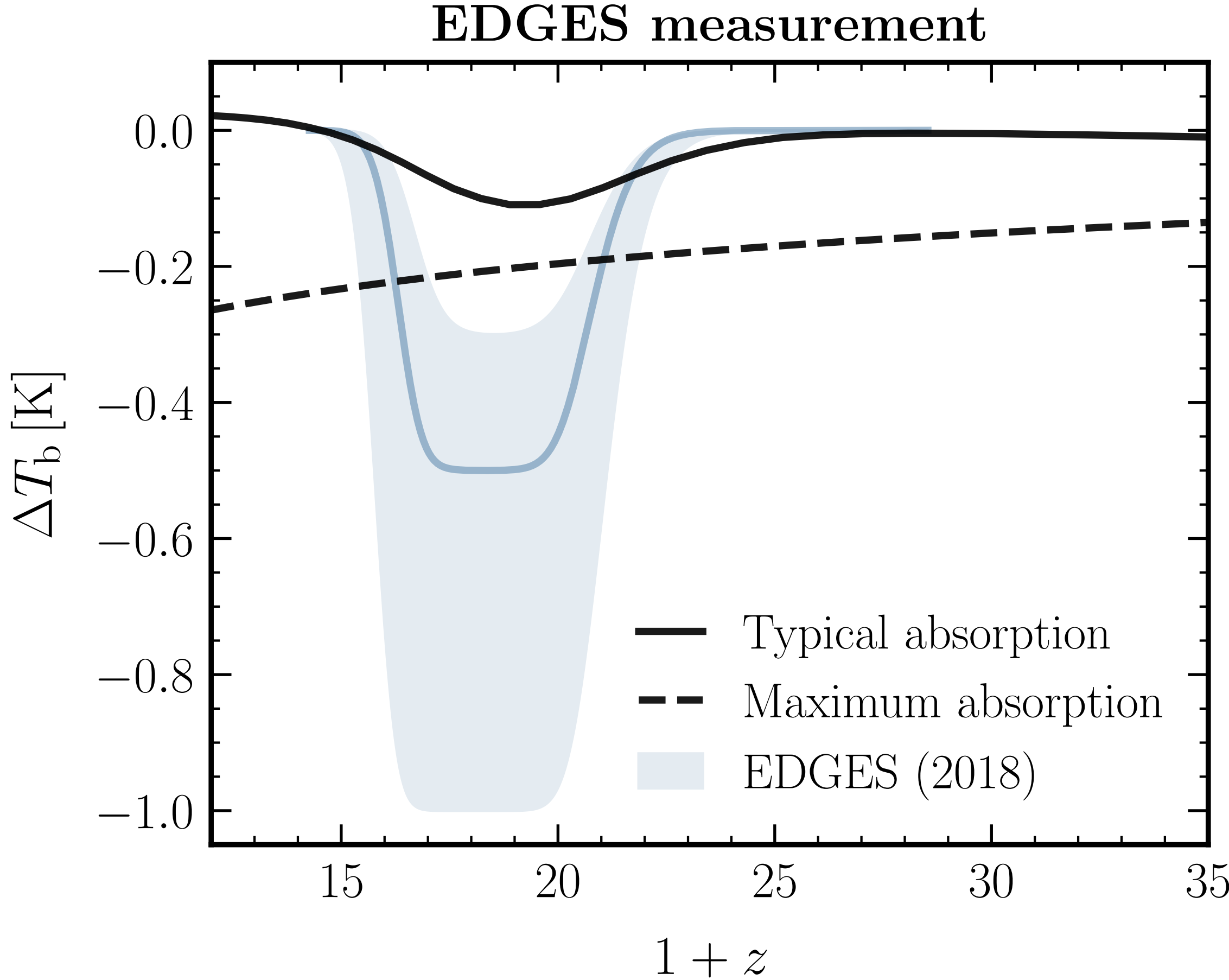
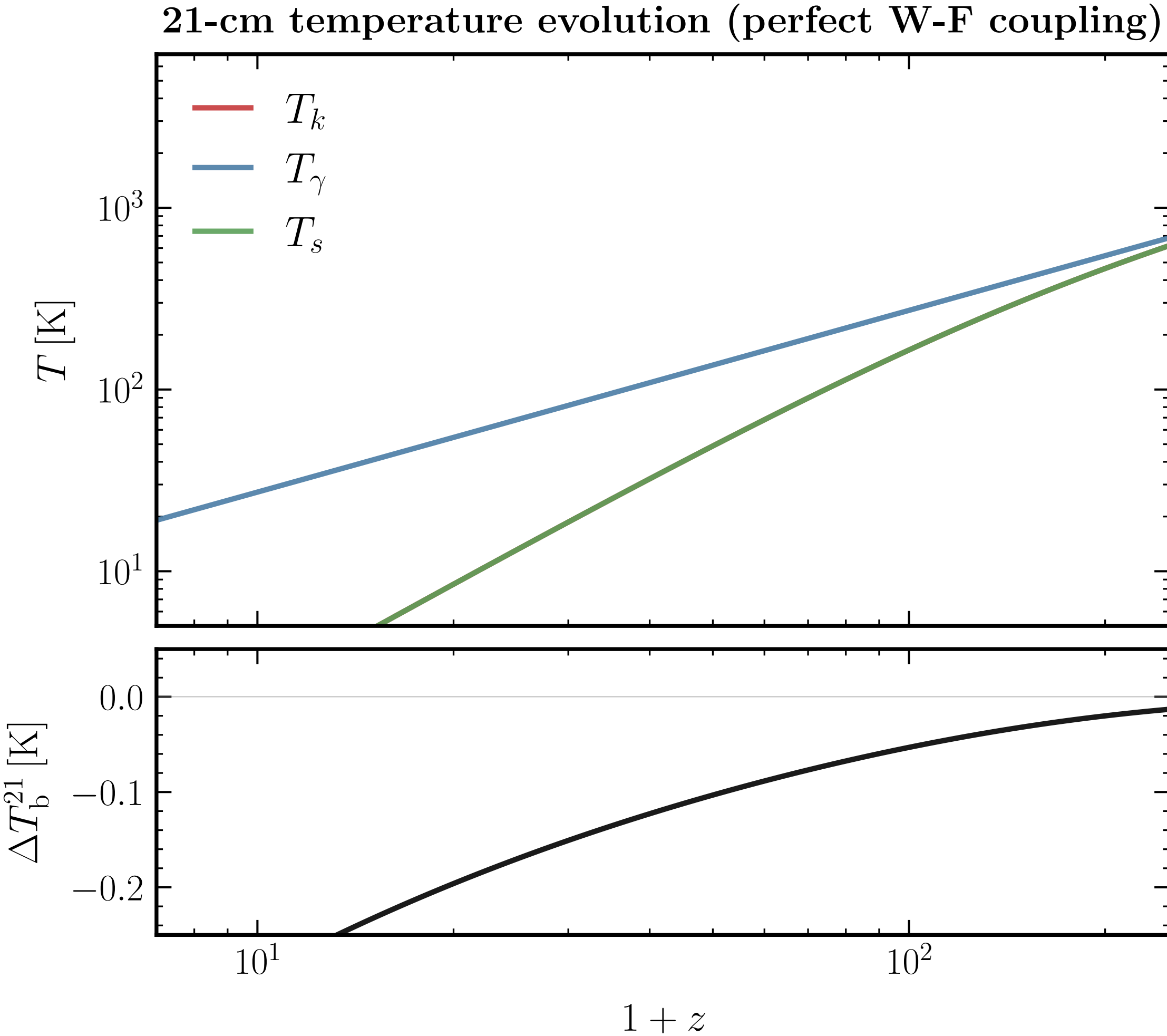
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21-cm temperature evolution



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21-cm temperature evolution under perfect W-F coupling



21-cm public code

<https://github.com/smsharma/twentyone-global>

- Lightweight code to model global 21-cm signal
- Simple models of astrophysical (UV/X-ray) emission
- Easy to add extra sources of photons

smsharma Updated readme 4485578 on Sep 9 14 commits

File	Description	Time
data	Basic repo structure and code	3 months ago
notebooks	Updated to arXiv version	2 months ago
twentyone	Merge branch 'master' of https://github.com/smsharma/twentyone-...	2 months ago
.gitignore	Basic repo structure and code	3 months ago
LICENSE	Initial commit	3 months ago
README.md	Updated readme	2 months ago
environment.yml	Updated to arXiv version	2 months ago

README.md

twentyone-global

Simplified framework for modeling the global 21-cm absorption signal, with a focus on studying the implications of non-standard 21-cm CMB temperature evolution. For details about the modeling, see [2009.03899](https://arxiv.org/abs/2009.03899).

License MIT arXiv 2009.03899

21-cm absorption temperature

21-cm CMB temperature

$$T_{\gamma}^{21} = T_{\text{CMB}}(1+z) \left[1 + f_r A_r \left(\frac{\nu_{21}}{78 \text{ MHz}} \right)^{\beta} \right]$$