



Interlude

- RADDECAY: “my simulation is taking a lot of time”
- LAM-BIAS: very helpful e.g. in e- machine shielding applications

RADDECAY detail

Input card: **RADDECAY**

From activation exercise instructions:

Preparation of the input file

- Add a **RADDECAY** card that:
 - Use defaults for residual transport (PRECISION: 100 keV for photons and electrons)
 - Switch off EMF for the prompt transport
- Define the irradiation profile:
 - 180 days of irradiation, with 10^{10} primaries per second
- Define a cooling time:
 - 12 hour after the end of irradiation

CPU time with/without killing prompt shower

- Killing the prompt shower as advertised:

```
☢ RADDECAY  Decays: Active ▼ Patch Isom:  ▼ Replicas: 3.0  
h/μ Int: ignore ▼ h/μ LPB: ignore ▼ h/μ WW: ignore ▼ e-e+ Int: ignore ▼  
e-e+ LPB: ignore ▼ e-e+ WW: ignore ▼ Low-n Bias: ignore ▼ Low-n WW: ignore ▼  
decay cut: 10.0 prompt cut: 99999.0 Coulomb corr:  ▼
```

Average CPU time/primary: 10^{-2} s

- Forgetting to kill the prompt shower:

```
☢ RADDECAY  Decays: Active ▼ Patch Isom:  ▼ Replicas: 3.0  
h/μ Int: ignore ▼ h/μ LPB: ignore ▼ h/μ WW: ignore ▼ e-e+ Int: ignore ▼  
e-e+ LPB: ignore ▼ e-e+ WW: ignore ▼ Low-n Bias: ignore ▼ Low-n WW: ignore ▼  
decay cut: 10.0 prompt cut: 0.0 Coulomb corr:  ▼
```

Average CPU time/primary: 6×10^{-2} s

Mean Free Path Biasing

Input card: **LAM-BIAS**

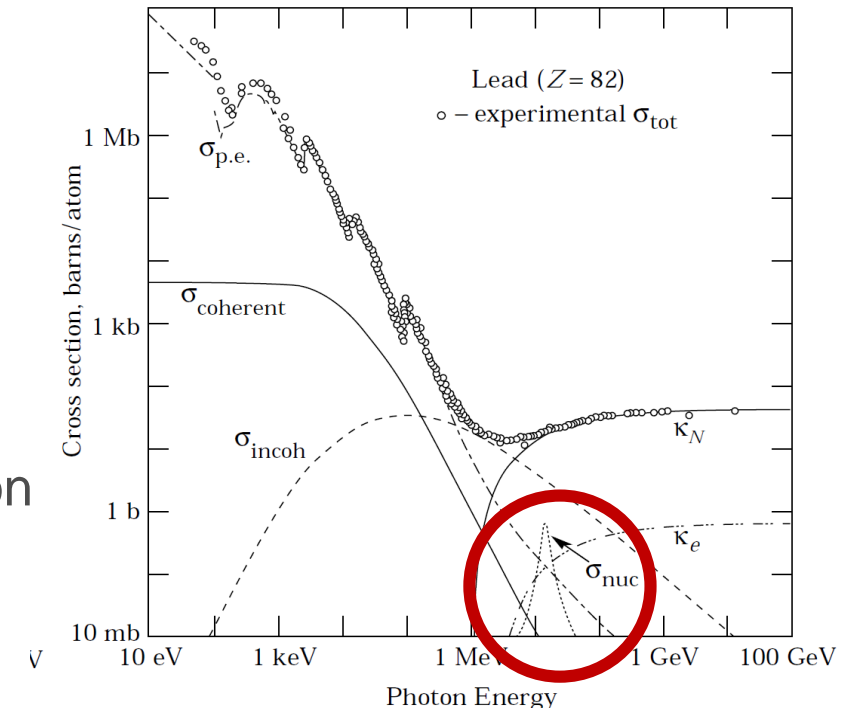
Where is mean-free-path biasing needed?

- **Reaction yields from thin targets:**

- E.g. you want to get the neutron spectrum from a thin (~ 1 mm) ${}^7\text{Li}$ slab under p irradiation
- Nuclear inelastic scattering lengths are $O(10$ cm) \rightarrow less than 1% probability of sampling the (p,xn) events that are relevant for the above geometry
- You would have to sample **a lot** of events for a small fraction of relevant events

- **e- machine shielding:**

- The scenario:
 - e- undergo Bremsstrahlung
 - \rightarrow Generated photons can undergo (γ ,xn)
 - \rightarrow Radiation protection issue
- Photonuclear interactions have comparatively low cross section
- You'd have to sample **a lot** of events for a small fraction of relevant events



The mean-free-path biasing solution

- Artificially shorten the nuclear inelastic scattering length Λ_i , e.g. $\Lambda_i' = \Lambda_i / 100$
 - Nuclear interactions will be more frequently sampled
- This obviously distorts the physics
 - The particle's (statistical) weight is lowered accordingly

Mean Free Path Biasing

Input card: **LAM-BIAS** (see manual for more details)

- *Type*
 - <empty>
- *x mean life*
 - Doesn't apply
- *x λ inelastic*
 - Interaction length correction factor
- *Mat*
 - Material where the correction factor applies
- *Part - to Part - Step*
 - Standard FLUKA particle selection

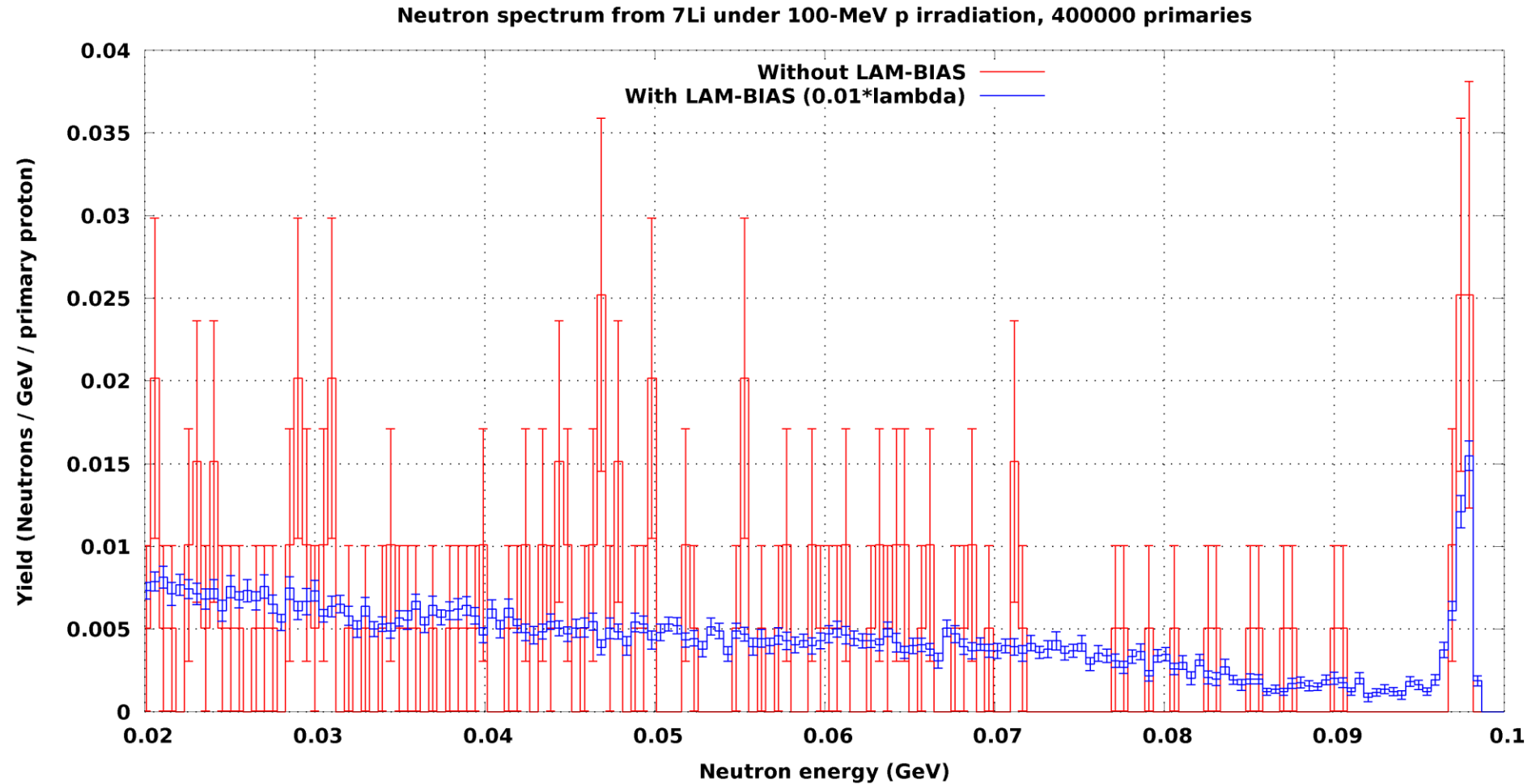
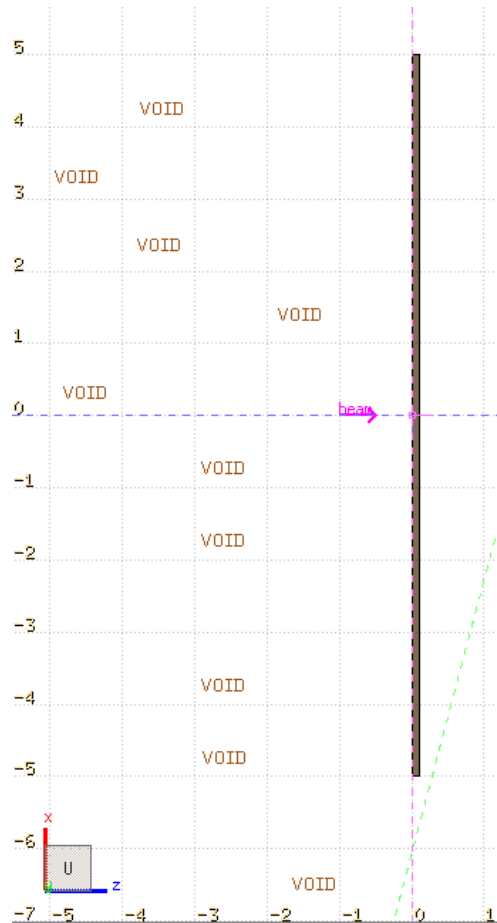
Example explanation:

Proton interaction length in *beryllium* is multiplied by a factor *correction factor=0.02* (reduced by a factor 50)



◇ **LAM-BIAS** **Type:** ▼ **x mean life:** **x λ inelastic: 0.02**
Mat: BERYLLIU ▼ **Part: PROTON** ▼ **to Part:** ▼ **Step:**

Example: n yield from 1mm 7Li under 100-MeV p



Photonuclear interactions

- Are not on by default (!). You request them via the **PHOTONUC** card:

```
PHOTONUC Type: ▼ All E: On ▼  
E>0.7GeV: off ▼ Δ resonance: off ▼ Quasi D: off ▼ Giant Dipole: off ▼  
Mat: BLCKHOLE ▼ to Mat: @LASTMAT ▼ Step: 1
```

- Since photonuclear cross sections are somewhat suppressed compared to other processes, you need to shorten the mean free path for this process (e.g. factor 50-100) with the **LAM-BIAS** card:

```
LAM-BIAS Type: ▼ × mean life: 0 × λ inelastic 0.01  
Mat: LEAD ▼ Part: PHOTON ▼ to Part: ▼ Step:
```

