# Continuum extrapolation of $a_\mu^{I=0}$ (preliminary)

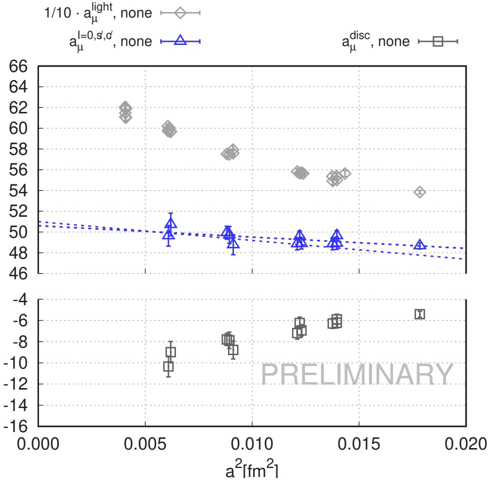
Many thanks to H. Meyer for his comment (Mainz '19)

$$a_\mu^{I=0} = \frac{1}{10} a_\mu^{\text{light}} + a_\mu^{s} + a_\mu^{\text{disc}}$$

- No two-pion contibutions to $a_\mu^{I=0}$, only three-pion ones

  $\Rightarrow$ long-distance taste-breaking effects only appear at $O(p^{10})$ in $\chi$PT
- $a_\mu^{s}$ no included so as not to dilute taste-breaking effects
- Consistently describe taste-breaking in $a_\mu^{\text{light}}$ and $a_\mu^{\text{disc}}$
- All $I=0$ points are in error band of $\frac{1}{10} a_{\mu,\text{cont}}^{\text{light}} + a_{\mu,\text{cont}}^{\text{disc}}$

  $\Rightarrow$ we do not understimate errors
- Small remaining discretization errors are well described by polynomial in $a^2$



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