



# Detecting the $\Delta^+$ 1232 Baryon from an Electron- Proton Inelastic Scattering

Nations' Flying Foxes Proposal presentation

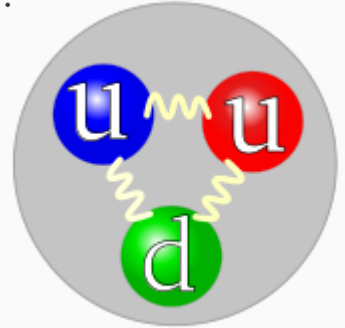
# About us

- International school of Geneva-  
Campus des Nations
- Student body of 1000, with 113  
nationalities (8 of which are  
represented in our team!)
  
- Born in 2002-2004, currently in our  
senior year of high school
- University plans ranging from physics  
and engineering to law and economics



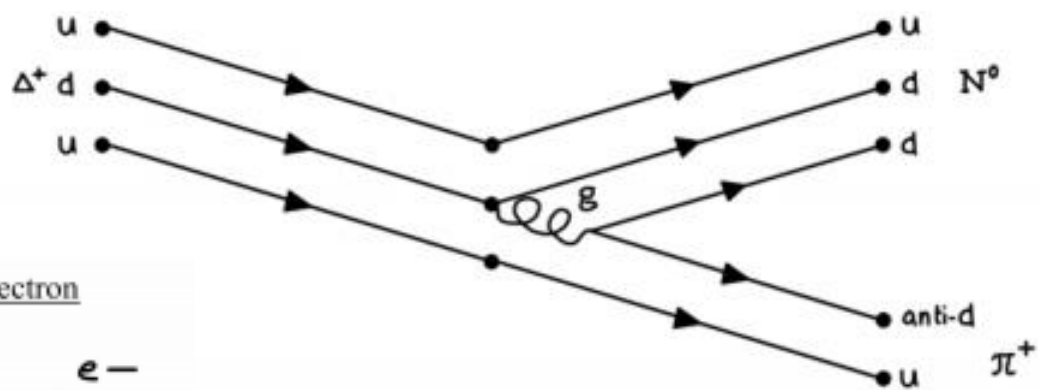
# Rationale

1. Detecting short-lived particle by studying less massive particles that come out of high-energy collisions.
2. “Peak” into a proton. What are its properties, otherwise unobservable ?

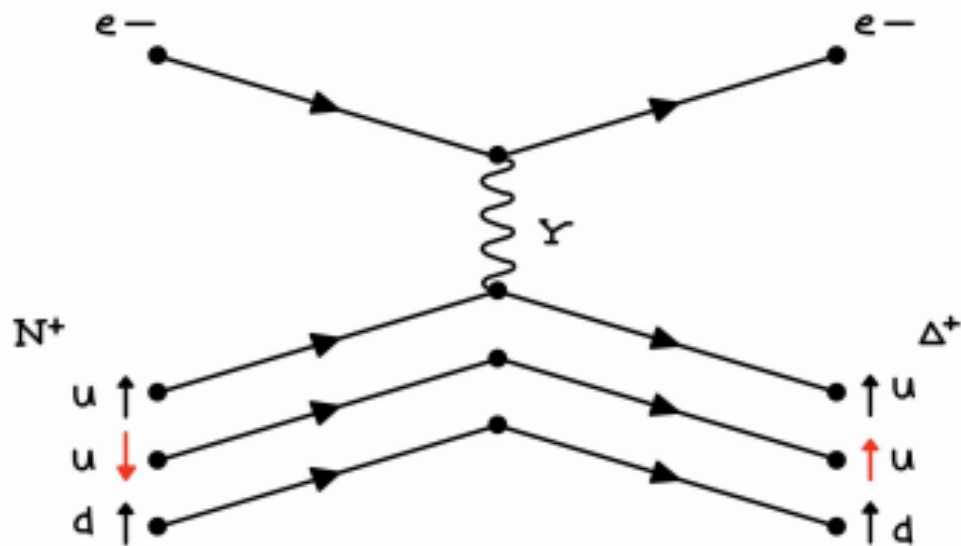




(Fig.3) Synthesis of a Neutron and a Pion Plus from a decaying Delta plus



(Fig.2) Inelastic scattering of a Proton with an Electron

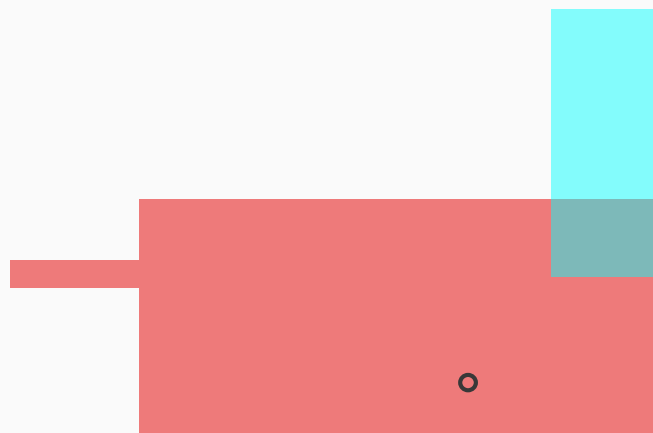


Equation 1 :  $m_0(N^+) + KE(e^- \text{ initial}) = m_0(\Delta^+) + KE(e^- \text{ final}) = m_0(N^0) + m_0(\pi^+) + KE(\pi^+) + KE(e^- \text{ final})$   
 $\Rightarrow m_0(\Delta^+) = m_0(N^+) + KE(e^- \text{ initial}) - KE(e^- \text{ final})$ ,  
 $\Rightarrow m_0(\Delta^+) = m_0(N^0) + m_0(\pi^+) + KE(\pi^+)$ , where  $m_0(\pi^+) + KE(\pi^+)$  gives the total energy of  $\pi^+$ .

Equation 2 :  $p(e^- \text{ initial}) = p(\pi^+) + p(e^- \text{ final})$

Rectangular

# Hypothesis



# Latest Update:

Energy gained by  $p^+$  during inelastic scattering =  $x - y$  GeV

, where  $x$  = initial energy of electron in GeV and  $y$  = final energy of electron in GeV

As a result,  $p^+$  gains  $m(?) - 0.938$  GeV $c^{-2}$  of mass

, where  $m(?)$  = rest mass of particle created in GeV $c^{-2}$ ,  
and 0.938 = rest mass of proton in GeV $c^{-2}$ .

KE gained by ? =  $x - y - m(?) + 0.938$  GeV

As relativistic KE of ? =  $m(?)C^2(\gamma - 1)$ , where  $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$  and  $C = 1$ ,

$$v(?) = \sqrt{1 - \frac{m^2(?)}{(x - y + 0.938)^2}} \text{ in ms}^{-1}$$

Now,

$$p(?) = \frac{KE + m(?)c^2}{c^2} \cdot v(?)$$

$$p(?) = (x - y + 0.938) \sqrt{1 - \frac{m^2(?)}{(x - y + 0.938)^2}}$$

, where  $p(?)$  = momentum of particle created in  $\text{GeV}c^{-1}$ .

Solving for  $m(?)$  gives:

$$m(?) = \sqrt{(x - y + 0.938)^2 - p^2(?)}$$



- Using the law of conservation of momentum,

$$p(?) = \frac{-\beta \sin \theta}{\sin \phi}, \quad p(?) = \frac{\alpha - \beta \cos \theta}{\cos \phi}$$

, where  $\beta$  = final momentum of the electron in  $\text{GeV}c^{-1}$ ,  $\theta$  = angle of deflected electron,  $\phi$  = angle of particle created, and  $\alpha$  = initial momentum of the electron in  $\text{GeV}c^{-1}$ .

Hence equating the expressions for  $p(?)$  gives

$$\phi = \arctan\left(\frac{-\beta \sin \theta}{\alpha - \beta \cos \theta}\right)$$

And hence

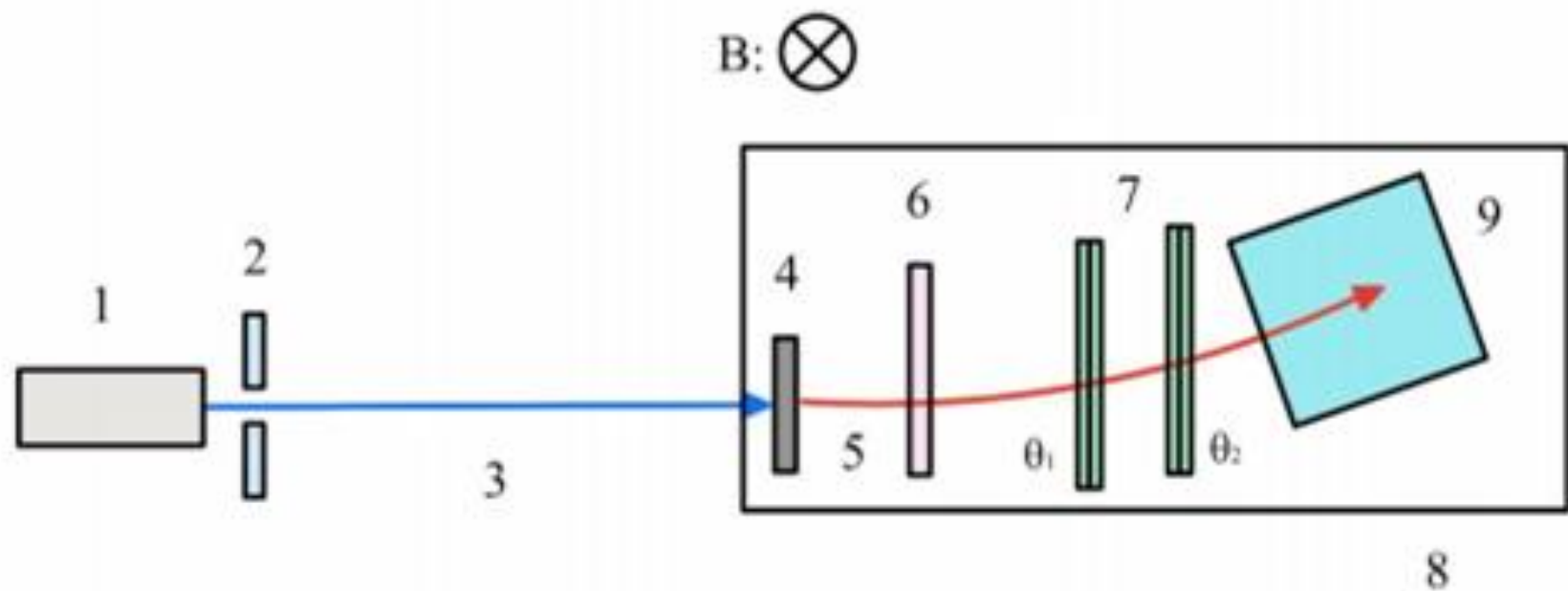
$$p(?) = \frac{-\beta \sin \theta}{\sin \left[ \arctan\left(\frac{-\beta \sin \theta}{\alpha - \beta \cos \theta}\right) \right]}$$

Finally,

$$m(?) = \sqrt{(x - y + 0.938)^2 - \left[ \frac{-\beta \sin \theta}{\sin \left[ \arctan \left( \frac{-\beta \sin \theta}{\alpha - \beta \cos \theta} \right) \right]} \right]^2}$$

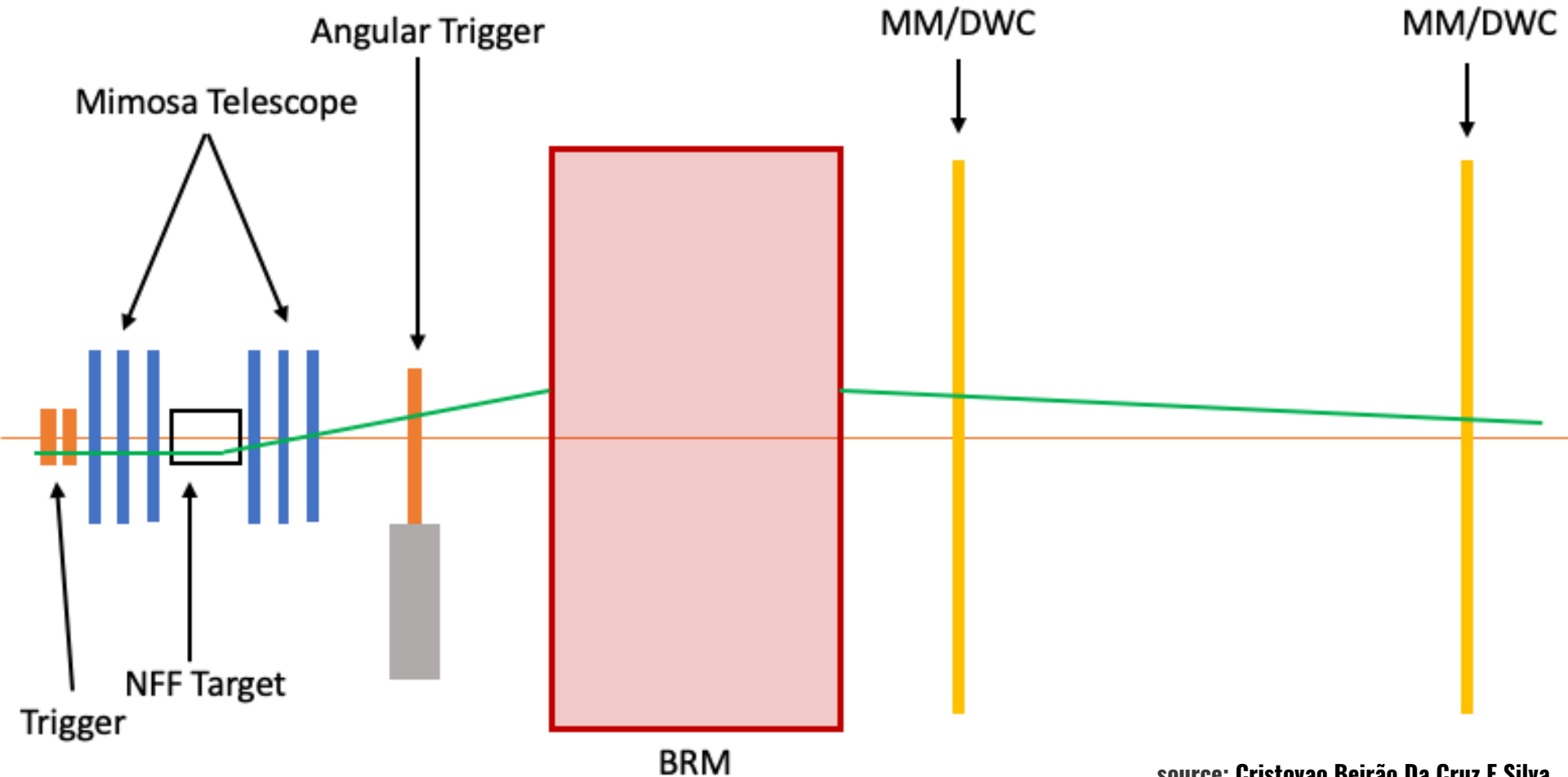
So, measuring  $x$ ,  $y$ ,  $\alpha$ ,  $\beta$ , and  $\theta$  of the electron gives us the rest mass of the particle created.

If  $m(?) = 1.232 \text{ GeV}c^{-2}$ , we have found  $\Delta^+$  1232 baryon!



- 1: Electron beam shaft
- 2: Collimator
- 3: Electron beam trajectory
- 4: Lead panel (proton source)
- 5: Pi-plus projected trajectory

- 6: Scintillator (trigger mechanism)
- 7: Two pairs of MicroMegas detectors
- 8: PCMAG
- 9: Lead crystal calorimeter



source: Cristovao Beirão Da Cruz E Silva