



Mode launcher impact on the beam dynamics

A. Giribono

INFN-LNF

On behalf of the WP3 XLS team





Outline

- The 2.5 cell C-band gun
- Building up the 3D gun model in ASTRA
- ASTRA-HFSS interfacing
- Beam dynamics considerations
- WP validation with ASTRA
- Conclusions and hints for next future





The 2.5 cell C-band gun

- The XLS photoinjector proposal relies on a 2.5 cell C-band gun followed by n 2 m long C-band TW structures
- The 2.5 cell gun has been chosen because it allows higher energy gain and so to double the distance between the cathode and the first TW cavity useful for the beam characterization before entering the linac.
- The gun will be powered using a mode launcher Advantages:
- Increased flexibility in positioning the input waveguide relative to the gun body → more powerfull cooling capability of the accelerating cells especially usefull for the high repetition rate operation
- Lowered pulsed heating on the gun cell surface **Disadvantages**:
- Field tails in the mode launcher region that can affect the beam quality
- Bigger pipe radius that impacts on the gun solenoid design requiring a bigger bore and the introduction of a bucking coil to zero the field at the cathode



-





The 2.5 cell C-band gun

- The XLS photoinjector proposal relies on a 2.5 cell C-band gun followed by n 2 m long C-band TW structures
- The 2.5 cell gun has been chosen because it allows higher energy gain and so to double the distance between the cathode and the first TW cavity useful for the beam characterization before entering the linac.
- The gun will be powered using a mode launcher **Advantages**:
- Increased flexibility in positioning the input waveguide relative to the gun body → more powerfull cooling capability of the accelerating cells especially usefull for the high repetition rate operation
- Lowered pulsed heating on the gun cell surface **Disadvantages**:
- Field tails in the mode launcher region that can affect the beam quality
- Bigger pipe radius that impacts on the gun solenoid design requiring a bigger bore and the introduction of a bucking coil to zero the field at the cathode

A. Giribono







Building up the 3D gun model in ASTRA

- ASTRA supports both 3D space charge tracking and 3D modeling of static and EM elements
- In particular for accelerating cavities the ASTRA manual says:

A field can be represented in complex form as:

 $V = A \cdot \exp i \left(\omega \frac{z}{c} + \alpha + \varphi \right)$ with: $A^2 = Re^2 + Im^2$ $\cos \alpha = \frac{Re}{A}; \quad \sin \alpha = \frac{Im}{A}$ $Re = E_r, B_r$ $Im = E_i, B_i$





Building up the 3D gun model in ASTRA

- ASTRA supports both 3D space charge tracking and 3D modeling of static and EM elements
- In particular for accelerating cavities the ASTRA manual says:

A field can be represented in complex form as:

$$V = A \cdot \exp i \left(\omega \frac{z}{c} + \alpha + \varphi \right)$$

with: $A^2 = Re^2 + Im^2$
 $\cos \alpha = \frac{Re}{A}; \quad \sin \alpha = \frac{Im}{A}$
 $Re = E_r, B_r$
 $Im = E_i, B_i$

An equivalent representation can be formulated by superimposing a standing wave with $\varphi = 0$ (index c1) with a second standing wave with $\varphi = \frac{\pi}{2}$ (index c2):

$$E_{c1} \cos\left(\omega \frac{z}{c}\right); \quad -B_{c1} \sin\left(\omega \frac{z}{c}\right)$$

$$\begin{split} E_{c2}\cos\left(\omega\frac{z}{c}+\frac{\pi}{2}\right); & -B_{c2}\sin\left(\omega\frac{z}{c}+\frac{\pi}{2}\right) \\ = -E_{c2}\sin\left(\omega\frac{z}{c}\right); & -B_{c2}\cos\left(\omega\frac{z}{c}\right) \end{split}$$

With the following identification both representations are identical:

$$E_{c1} = E_r; \quad B_{c1} = B_i$$

 $E_{c2} = E_i; \quad B_{c2} = -B_r$

A. Giribono





Building up the 3D gun model in ASTRA

- ASTRA supports both 3D space charge tracking and 3D modeling of static and EM elements
- In particular for accelerating cavities the ASTRA manual says:

A field can be represented in complex form as:

$$V = A \cdot \exp i \left(\omega \frac{z}{c} + \alpha + \varphi \right)$$

with: $A^2 = Re^2 + Im^2$
 $\cos \alpha = \frac{Re}{A}; \quad \sin \alpha = \frac{Im}{A}$
 $Re = E_r, B_r$
 $Im = E_i, B_i$

A. Giribono

An equivalent representation can be formulated by superimposing a standing wave with $\varphi = 0$ (index c1) with a second standing wave with $\varphi = \frac{\pi}{2}$ (index c2):

$$E_{c1} \cos\left(\omega \frac{z}{c}\right); \quad -B_{c1} \sin\left(\omega \frac{z}{c}\right)$$

$$\begin{split} &E_{c2}\cos\left(\omega\frac{z}{c}+\frac{\pi}{2}\right); \quad -B_{c2}\sin\left(\omega\frac{z}{c}+\frac{\pi}{2}\right) \\ &= -E_{c2}\sin\left(\omega\frac{z}{c}\right); \quad -B_{c2}\cos\left(\omega\frac{z}{c}\right) \end{split}$$

With the following identification both representat

 $E_{c1} = E_r; \quad B_{c1} = B_i$ $E_{c2} = E_i; \quad B_{c2} = -B_r$

I wrote a Matlab routine that reads HFSS files provided by D. Alesini and converts them to ASTRA formalism





Cross-checking with Kim's analytical formulas and numerical method



A. Giribono







ASTRA-HFSS interfacing

- First, we worked with a 3D map version of the gun without any mode launcher and we used it as reference for other cases
 - We worked on the field maps in order to control numerical effects that corrupt beam dynamics simulation results
 - We identified to numerical effect sources:
 - map discontinuities rising from HFSS resolution routine \rightarrow step size, tetrahedra edge
 - map numerical noise \rightarrow HFSS functions that help in suppressing the noise
- Then we proceeded with the 3D map of a gun with cylindrical waveguide → indeed introducing 3D maps we have anymore
 pure cylindrical beam dynamics and so we need to separate physical from numerical noise beam dynamics effects.
- Finally we studied the case of the gun with the mode launcher as it comes from EM and mechanical drawings

| | tetrahedra edge size ∆ [mm] | (x,y) step size ε [mm] | z step size [mm] | Smooth Function |
|------------------------|-----------------------------------|---------------------------|---------------------|--------------------|
| 2D | | ASTRA routine | 0.9773 | |
| 3D w/o ML | 0.5 - 1.0 - 2.0 | 0.5 | 1 | ON - OFF |
| 3D with cylindrical ML | 1.0 – 2.0 | 0.5 | 1 | ON - OFF |
| 3D with ML | 1.0 | 0.5 | 1 | ON |

A. Giribono

XLS Injector Meeting 02/10/2020



ASTRA-HFSS interfacing – Suppressing the noise



A. Giribono

Funded by the

European Union





Beam dynamics simulations – Gun w/o mode launcher

 In order to distinguish physical by fictitious contribution to the beam quality we studied the case of a <u>cylindrical symmetric</u> <u>gun without mode launcher described by a 3D field map</u>



- The simulation is very sensitive to field map numerical noise. Indeed there is any physical explanation for the observed emittance increase, while acting on the tetrahedra edge size Δ in HFSS helps in reducing artificial asymmetry
- The case Δ = 1.0 mm is chosen as reference for further studies





Beam dynamics simulations – Gun with mode launcher

• A cylindrical symmetric gun with coaxial mode launcher is described by a 3D field map





WP validation with ASTRA

- The studies related to the mode launcher started from a WP optimised with TStep → J. Scifo worked on the ASTRA input files to reproduce it with ASTRA
- The main difference between ASTRA and TStep regards the photo-emission process treatment *: ASTRA implements the photo-emission process from the cathode when a Fermi-Dirac beam distribution impinges on the cathode and it is the only code that explicitly foresees the treatment of the Schottky effect

The photo-emission process determines the beam intrinsic emittance at the cathode, a key parameter that represents the lowest emittance value one can get at the FEL injection

FERMI-DIRAC distribution

The particles emerging from the cathode at room temperature have an intrinsic velocity spread and so an intrinsic emittance described as:

$$\varepsilon_{x,y}^{\text{intrinsic}} = \sigma_{x,y} \sqrt{\frac{E_{\text{phot}} - \Phi_{\text{eff}}}{3m_0c^2}}$$

 $\sigma_{x,y}$ is the rms laser beam size, Φ_{eff} is the eff

where $\sigma_{x,y}$ is the rms laser beam size, $\Phi e_{\rm ff}$ is the effective work function and $E_{\rm phot}$ is the photon energy.

* XLS Deliverable D6.1 3

A. Giribono

ISOTROPIC distribution

The beam distribution emerges from the cathode with isotropic emission angles into a half sphere over the cathode according to with the intrinsic emittance being:

$$\varepsilon_{x,y}^{\text{intrinsic}} = \sigma_{x,y} \sqrt{\frac{2E_{\text{kin}}}{3m_0c^2}}$$

where $\sigma_{x,y}$ is the rms laser beam size and E_{kin} represents the beam kinetic energy.

Courtesy of

J. Scifo







WP validation with ASTRA



| Parameters before BC1 | Sim. results | Target | units |
|-----------------------|-----------------|--------|-------|
| Q | 75 | | рС |
| Rep. rate | 1000 | | Hz |
| Е | 126 | 125 | MeV |
| σ_E/E | 0.11 | 0.5 | % |
| $\epsilon_{n,rms}$ | 0.12 | 0.15 | μm |

Courtesy of J. Scifo



XLS Injector Meeting 02/10/2020





Conclusions

- The mode launcher for the C-band gun presents "field tails" whose effect on the beam dynamics has been studied
- Further beam dynamics study are ongoing to evaluate the effect of non cylindrically symmetric waveguide for the mode launcher (2 or 4 ports).
- The WP proposed in Glasgow meeting (June2020) has been validated with ASTRA and a more accurate treatment for the photo-emission has been introduced and discussed.





The C-band photoinjector proposal

- We propose a **C-band** photoinjector relying on a **2.5 cell gun** followed by *n* 2 m long TW structures
- The C-band technology could represent a good compromise between the S and X-band ones

 \checkmark it still allows for exploring a wide range in terms of beam charge and length

✓ it allows for a more compact beamline compared to S-band solution

✓ it enables high repetition rate operation with higher field compered to S-band solution
 → up to 160 MV/m peak field on cathode in the gun
 →15 MV/m average field in TW sections

• The 2.5 cell gun allows to at least double the space for beam characterization after the gun \rightarrow 150 cm drift from WP8