Combined HERA FL measurement

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on behalf of H1 and ZEUS Collaborations

low-x Workshop Kavala, Greece 23 June 2010

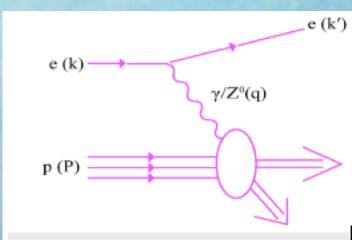
Measurement of structure functions F_2 and F_L determines the quark and gluon densities in a proton

- mandatory input for studying physics at LHC
- \checkmark F_2 and F_L at low-x provide a key to the gluonic structure of matter

$$\frac{d^2\sigma_{NC}^{ep}}{dxdQ^2} = \frac{xQ^4}{2\pi\alpha^2Y_+}\sigma_r(x, Q^2, y)$$

$$\sigma_r(x, Q^2, y) = F_2(x, Q^2) + \frac{y^2}{Y_+} F_L(x, Q^2)$$

$$Y_{+} = 1 + (1 \quad y)^{2}$$



Q2 - virtuality of exchanged photon

x - Bjorken scaling variable

y – inelasticity

s – center-of-mass energy, s=4E_eE_p

 $Q^2 = xys$

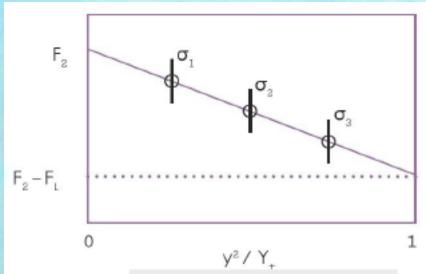
F_L determination requires the measurements at the same Q^2 and x but different y

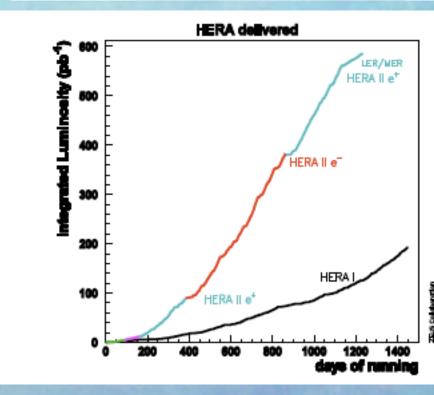
$$\sigma_r(x, Q^2, y) = F_2(x, Q^2) + \frac{y^2}{Y_+} F_L(x, Q^2) \Big|_{\mathsf{F_2}-\mathsf{F_L}}$$

$$y = \frac{Q^2}{xs}$$
 changing y requires changing s

Direct F_L measurement requires different beam energies

- Most luminosity taken with E_e = 27.5 GeV and E_p=920 GeV
- Last three month $E_p = 460 \text{ GeV}$ and $E_p = 575 \text{ GeV}$





challenge: measurement at high y

determine Q^2 and y from the scattered electron angle and energy

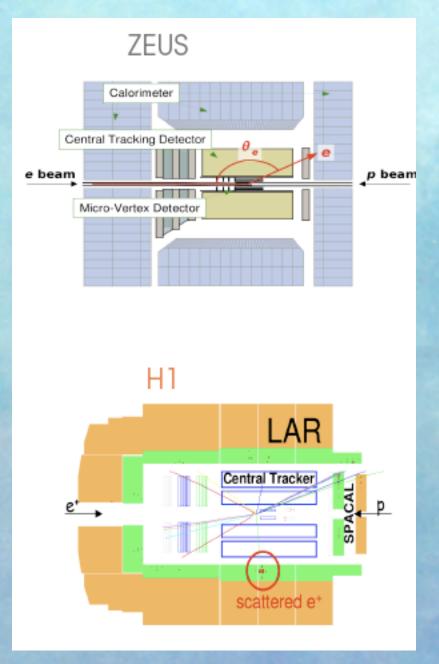
$$y = 1 - \frac{2E_e}{E_{e_{beam}}} (1 - \cos \theta_e)$$

$$Q^2 = 2E_e E_{e_{beam}} (1 - \cos \theta_e)$$

High-y

- → low energy scattered electron
- → lot of hadronic activity around scattered electron
- → large background

Main background at high y photoproduction



Combining ZEUS and H1 FL data

NC cross sections used for combination:

Н1

 $2.5 < Q^2 < 800 \text{ GeV}^2$

Eur. Phys. J. C63, 625 (2009)

Eur. Phys. J. C64, 561 (2009)

H1prelim: 09-044, 08-042

ZEUS

 $24 < Q^2 < 110 \text{ GeV}^2$

Phys. Lett. B682, 8 (2009)

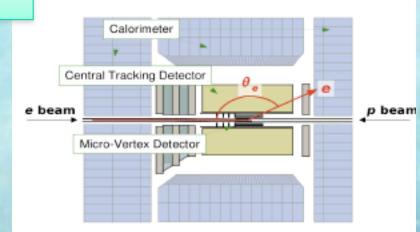
In the H1/ZEUS kinematic overlap region: comparable precision; combining data will improve precision

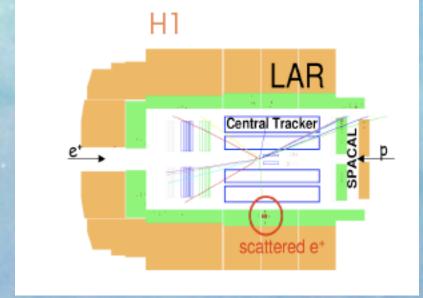
Combining ZEUS and H1 F2 data

Improved statistical precision by $\sim 1/\sqrt{2}$ Improved systematic precision H1 and ZEUS detectors and data analysis are quite different.

→ The H1 and ZEUS cross-sections have different sensitivities to similar sources of correlated systematic uncertainties

ZEUS



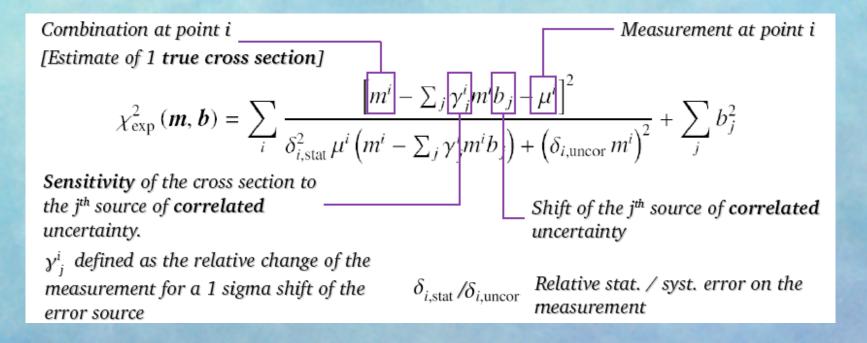


Combination Method

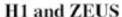
Swim H1 and ZEUS data to the same grid points:

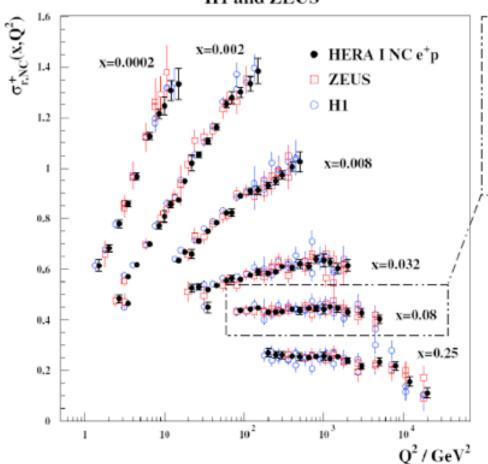
$$\sigma_{\rm H1}~(~\textbf{\textit{x}}_{\rm H1},~\textbf{\textit{Q}}^{\rm 2}_{~\rm H1})~\rightarrow~\sigma_{\rm H1}~(\textbf{\textit{x}},\textbf{\textit{Q}}^{\rm 2})~~;~~\sigma_{\rm ZEUS}~(~\textbf{\textit{x}}_{\rm ZEUS},~\textbf{\textit{Q}}^{\rm 2}_{~\rm ZEUS})~\rightarrow~\sigma_{\rm ZEUS}~(\textbf{\textit{x}},\textbf{\textit{Q}}^{\rm 2})$$

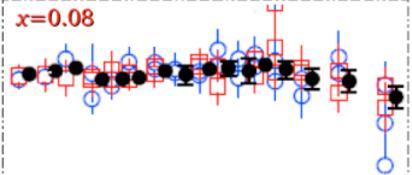
New measurements are obtained by building the χ^2 estimate:



- 1402 measurements with 110 correlated sources of uncertainty combined to 741 cross sections.
- χ^2 / dof = 636.5 / 656; No tension in Pulls; $|b_j| < 2 \Rightarrow$ H1 and ZEUS Agree!







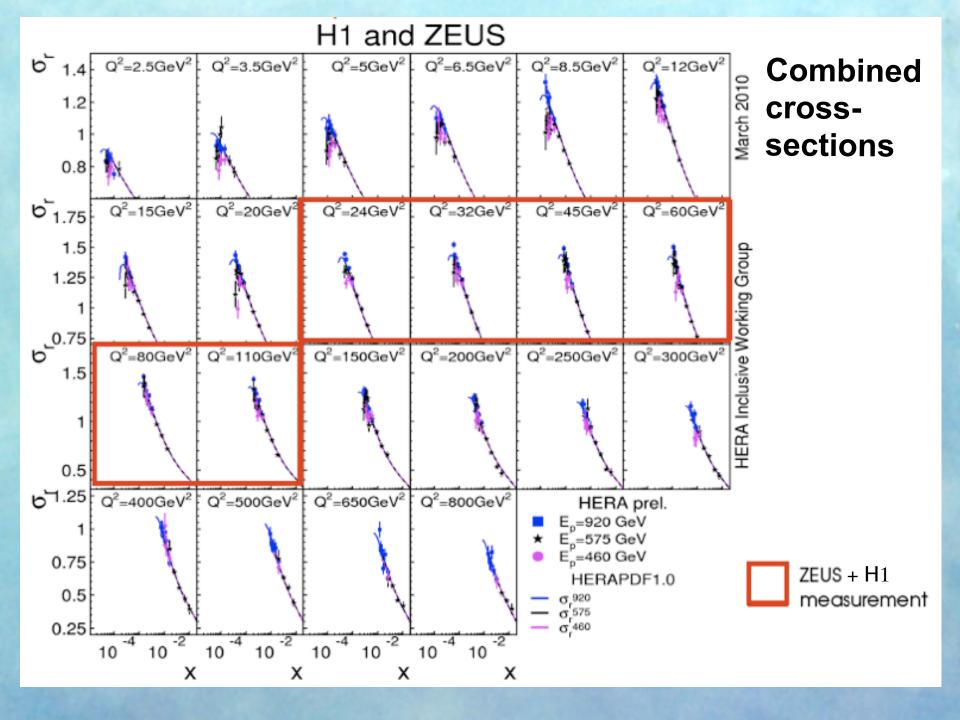
Systematic Uncertainty:

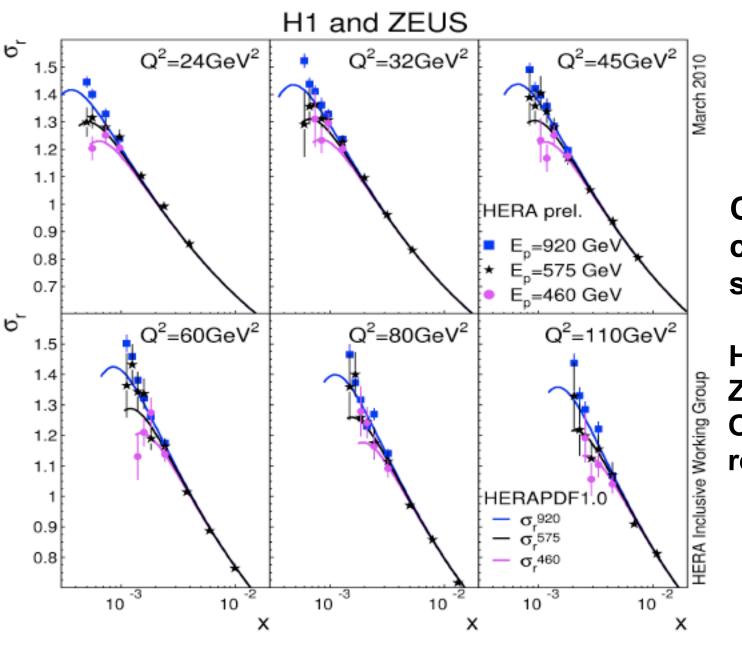
- $\delta_{\text{H1 LAR}} \rightarrow 0.45 \ \delta_{\text{H1 LAR}}$
- $\delta_{\text{ZEUS BG}} \rightarrow 0.35 \, \delta_{\text{ZEUS BG}}$

Overall Precision:

- 2% for 3<Q2<500 GeV2
- 1% for 2<Q2<100 GeV2





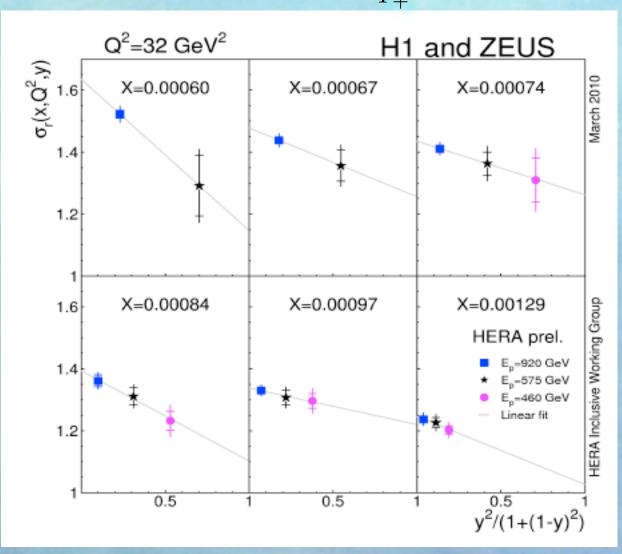


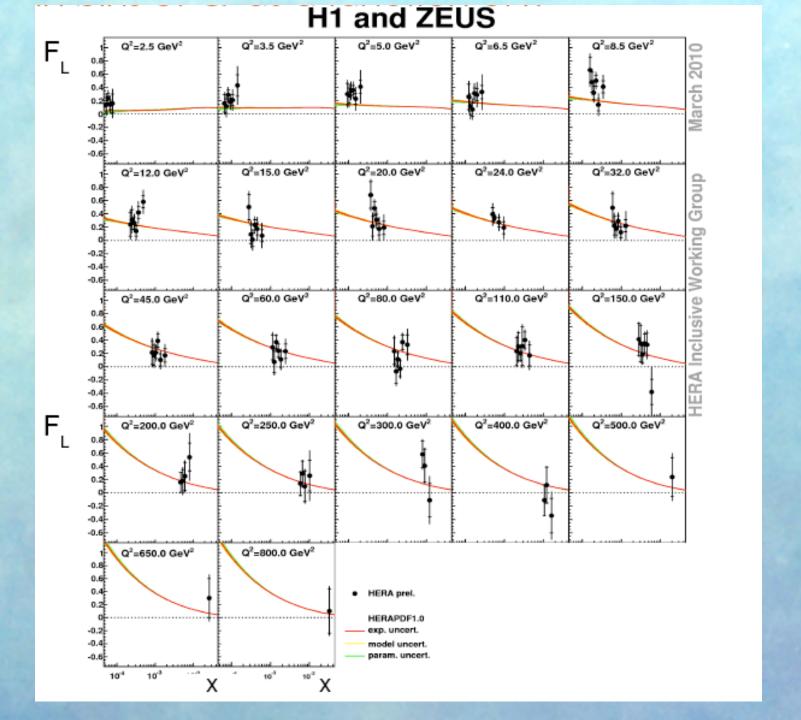
Combined cross-sections

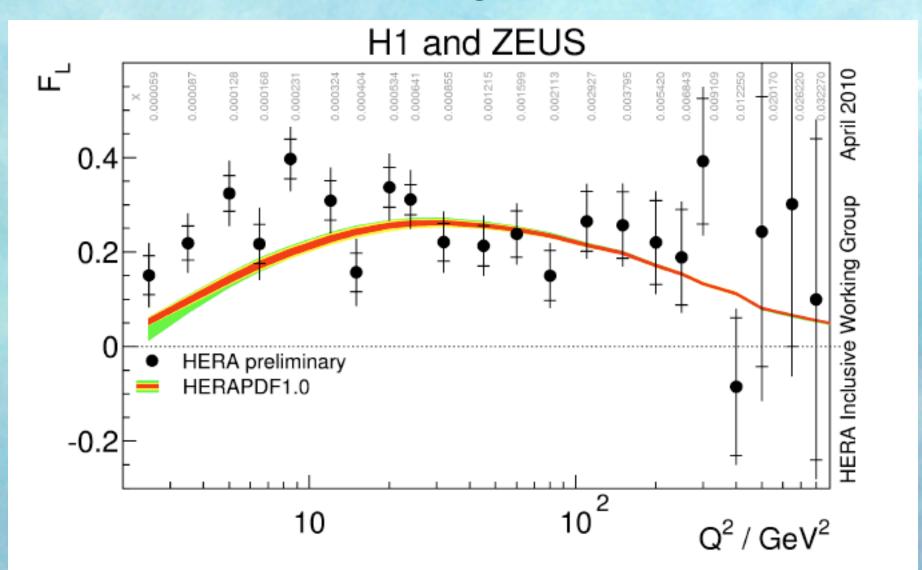
H1 and ZEUS Overlap region

Determination of FL

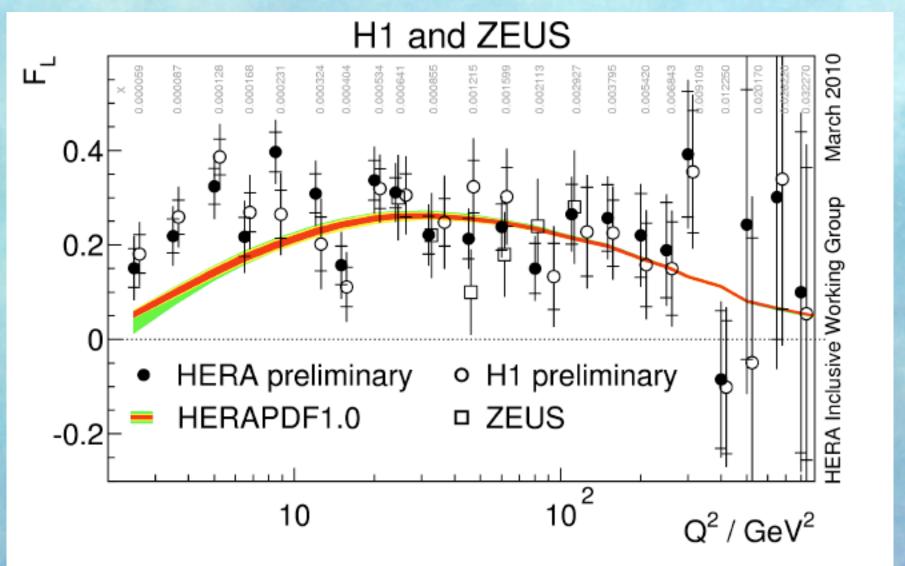
$$\sigma_r(x, Q^2, y) = F_2(x, Q^2) + \frac{y^2}{Y_+} F_L(x, Q^2)$$

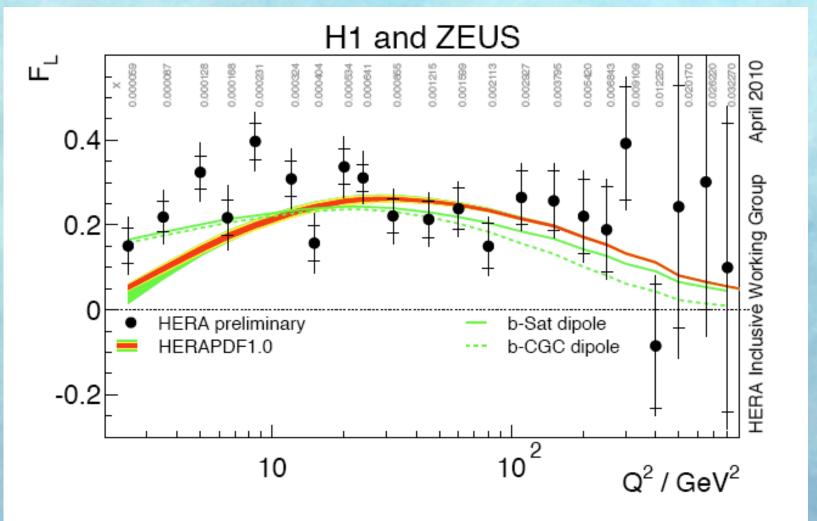






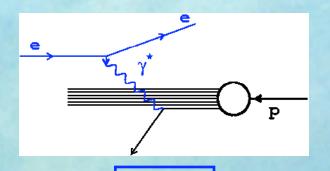
Averaged F_L Comparison of H1 and ZEUS measurements



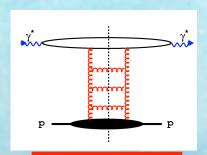


b-Sat dipole with DGLAP evolution b-CGC dipole with CGC evolution

Gluon Density in the PDF and Dipole scheme



$$F_2(x,Q^2) = x \sum_q e_q^2 q(x,Q^2)$$



PDF

$$q(x,\mu^2) = q_0(x) + \frac{\alpha_s}{\pi} \int_x^1 \frac{\mathrm{d}\xi}{\xi} q_0(\xi) \left\{ P_{qq} \left(\frac{x}{\xi} \right) \ln \mu / \kappa + \dots \right\}$$

Dipole

$$q(x,Q) = \int_{0}^{Q} \frac{dk}{k} \Phi_{DIS}(Q,k) x g(xk)$$

 $\Phi_{DIS} \propto r^2 (\Psi_T^2 + \Psi_L^2)$ $\Psi_{T,L}$ transv. and longit. wave functions

F₂ is only weakly sensitive to GD F_L is strongly sensitive to GD

➤ F_L measures GD

 $F_L = 0$ in LO, $F_L \neq 0$ in NLO and NNLO F_L and F₂ are both equally sensitive to Gluon D.

➤ F₂ and F_L measures GD

Gluon Density in the PDF scheme corresponds to the high virtuality part of the GD in the Dipole scheme

Sea quark + Gluon Density in PDF scheme ≡ Gluon Density in Dipole scheme

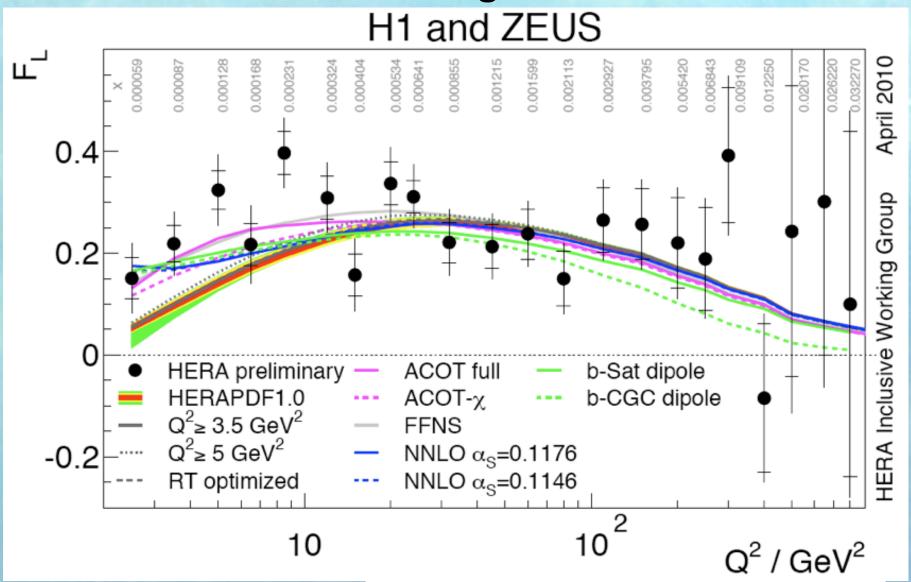
Advantage of the PDF scheme: quarks and gluon densities treated in a similar way

precise predictions for LHC and Tevatron

Advantage of the Dipole scheme: more complete treatment of Gluon Density

bridge to the gluon high density physics at RHIC, bridge to the gluonic structure of matter at EIC, LHeC +

Precise knowledge of F₂ and F_L is necessary for LHC physics (Higgs and Supersymmetry) and for the future investigations of saturation and gluonic structure phenomena



ACOT= Aivazis-Collins-Olness-Tung - CTEQ scheme RT = Roberts-Thorne - MSTW scheme

Conclusions

Combined NC cross sections are determined from the H1 and ZEUS measurements for 2.5 GeV² < Q² < 800 GeV²

- precision substantially improved
- **>** joint F_L is extracted

Good F_L description, in the PDF scheme, is sensitive to the choice of the gluon density/charm scheme at NLO and/or NNLO corrections (see talk by Voica Radescu)

equally good F_L description is obtained in LO Dipole approach

Backup slides

