

CMS EFT efforts

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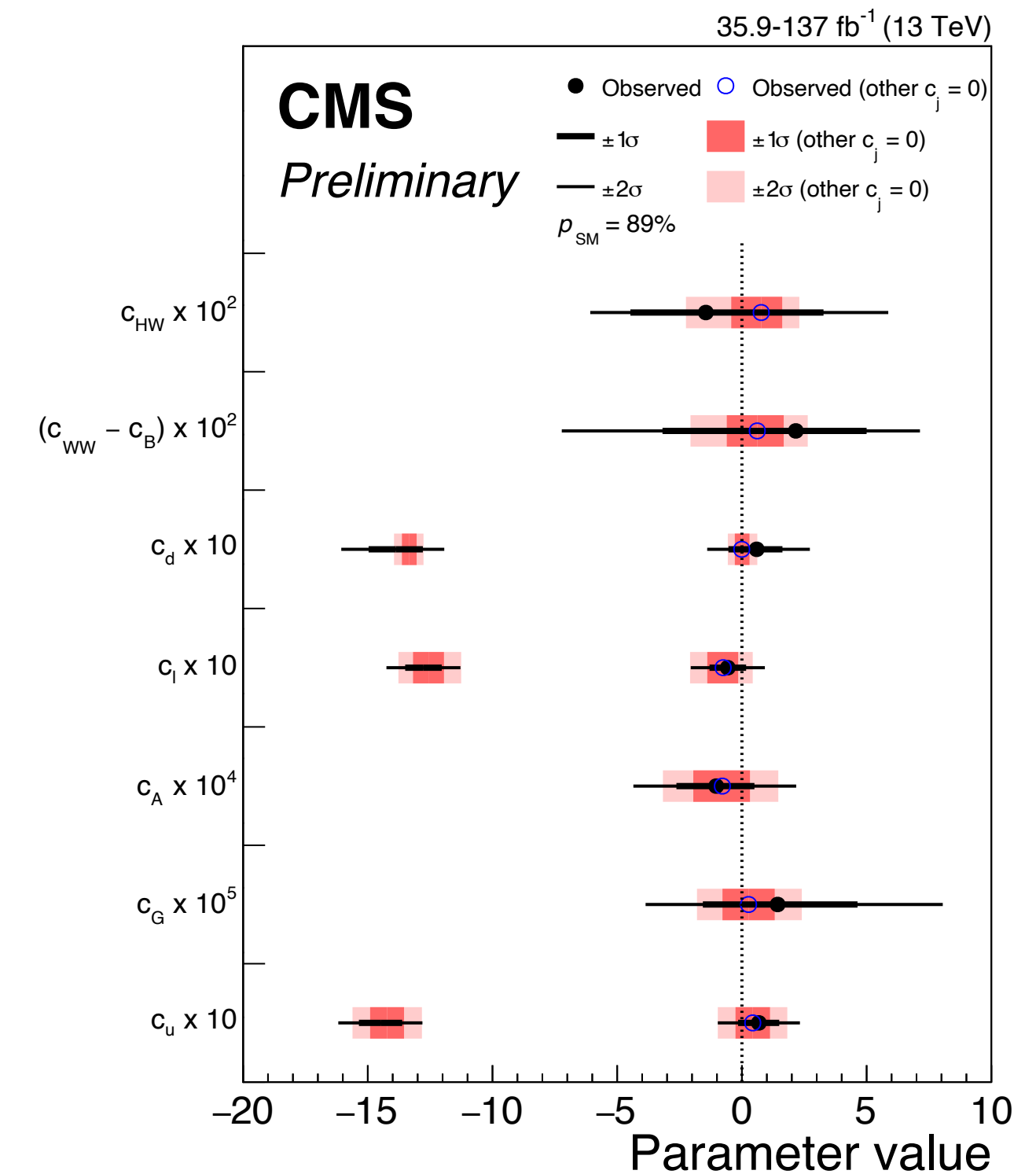
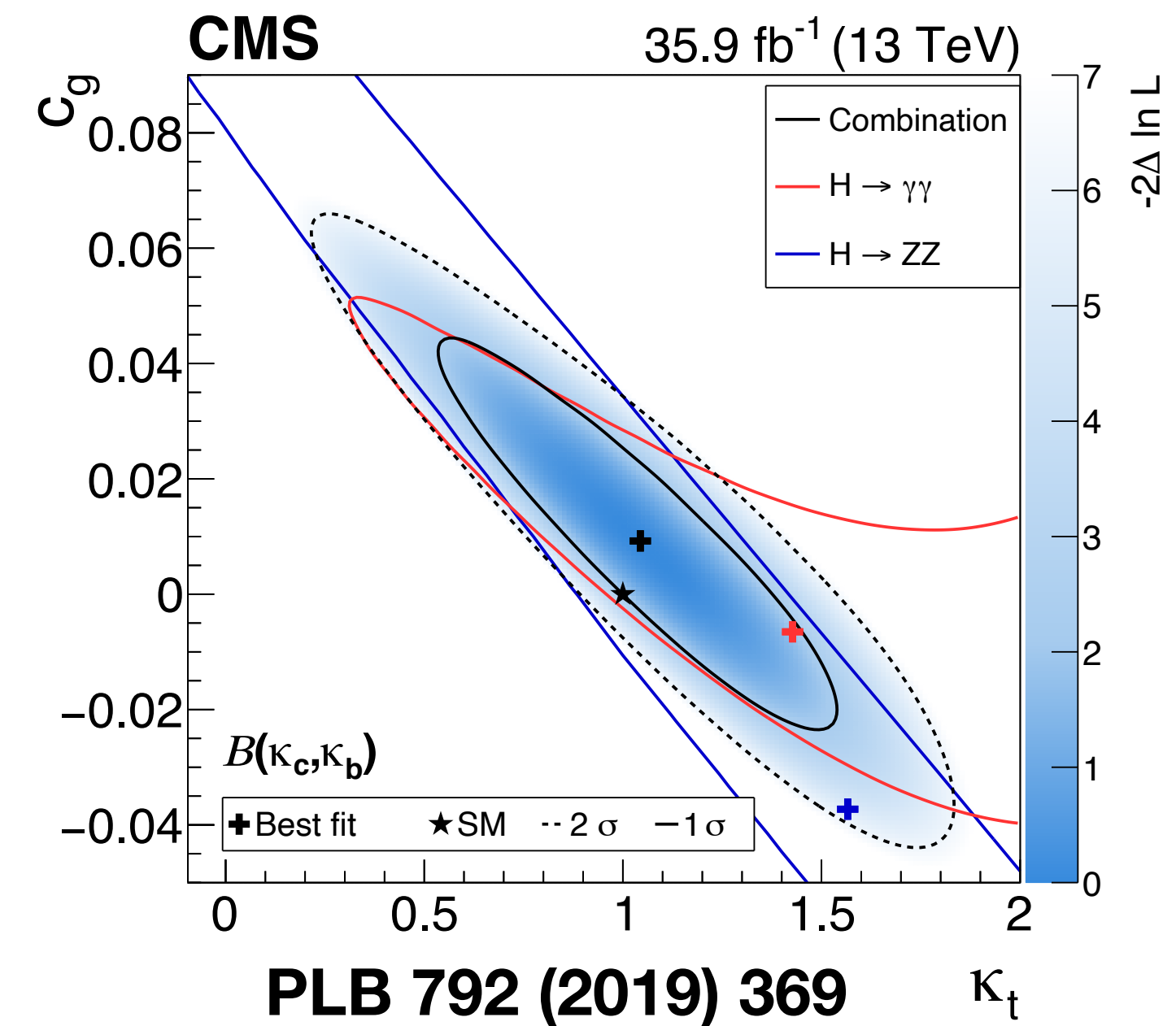
On behalf of the CMS Collaboration

LHC EFT meeting, Dec 7th, 2020

- Current CMS EFT efforts summarized by A. Grohsjean in the 1st general meeting: [link](#)
- This talk focus on the convention/basis choices and related questions
 - TOP, EW and Higgs all have ongoing analyses, questions in common, though most examples given in Higgs

EFT parameters: general approach

- Higgs differential distributions
- Parameterization on SILH basis
- Xsec: linear and quadratic terms
- Multi-dimensional cross section extractions: STXS
- Parameterization on SILH basis
- Xsec: linear and quadratic terms



EFT parameters: general approach

- Top process xsec
 - ttlv, ttll, tllq, ttH, and tHq, leptonic final state

- Warsaw basis, LO (dim6TopEFT model)

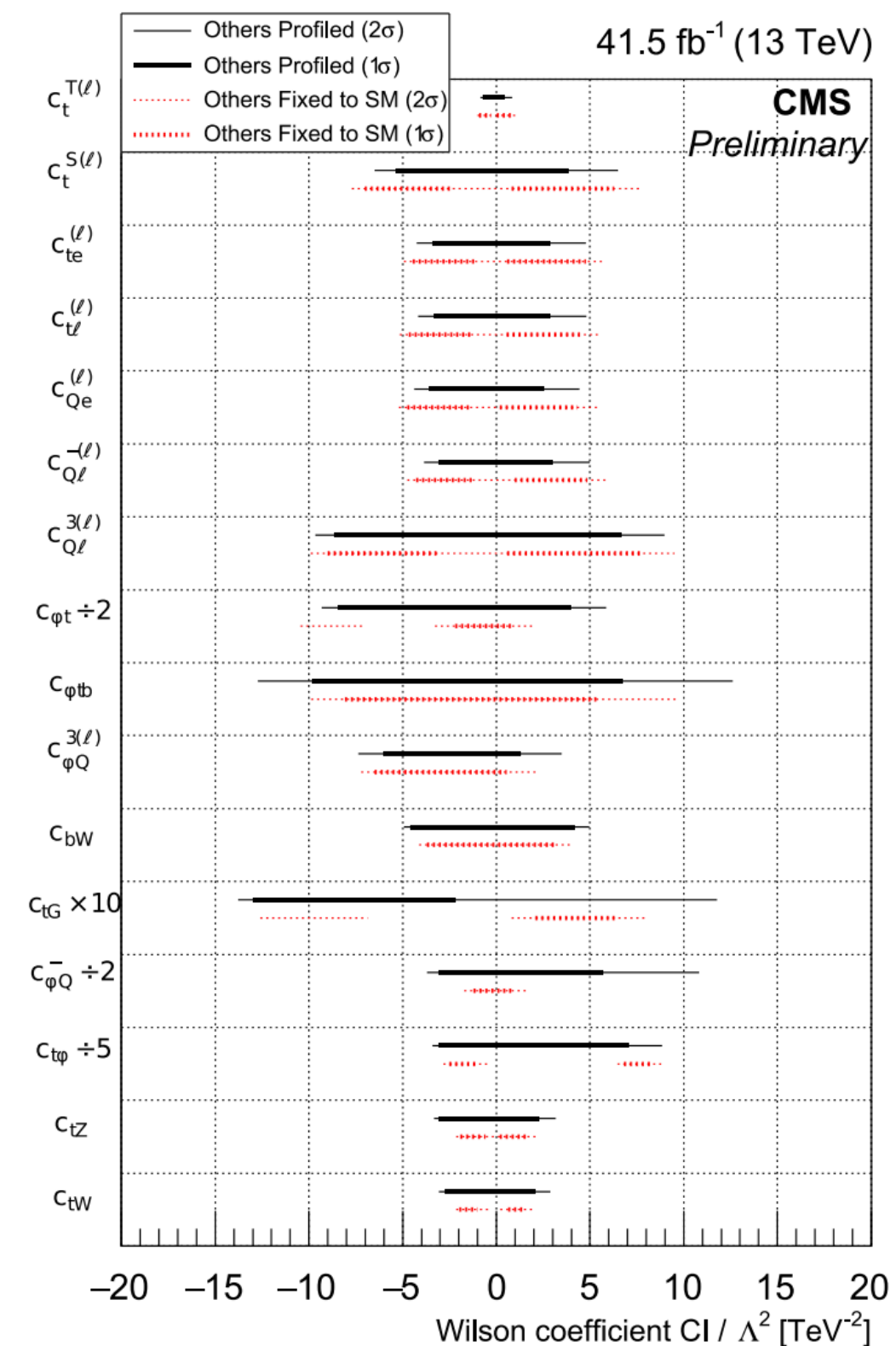
- Linear and quadratic terms

$$w_i(\vec{c}) = s_{0i} + \sum_j s_{1ij} \frac{c_j}{\Lambda^2} + \sum_j s_{2ij} \frac{c_j^2}{\Lambda^4} + \sum_{j,k} s_{3ijk} \frac{c_j c_k}{\Lambda^2 \Lambda^2}$$

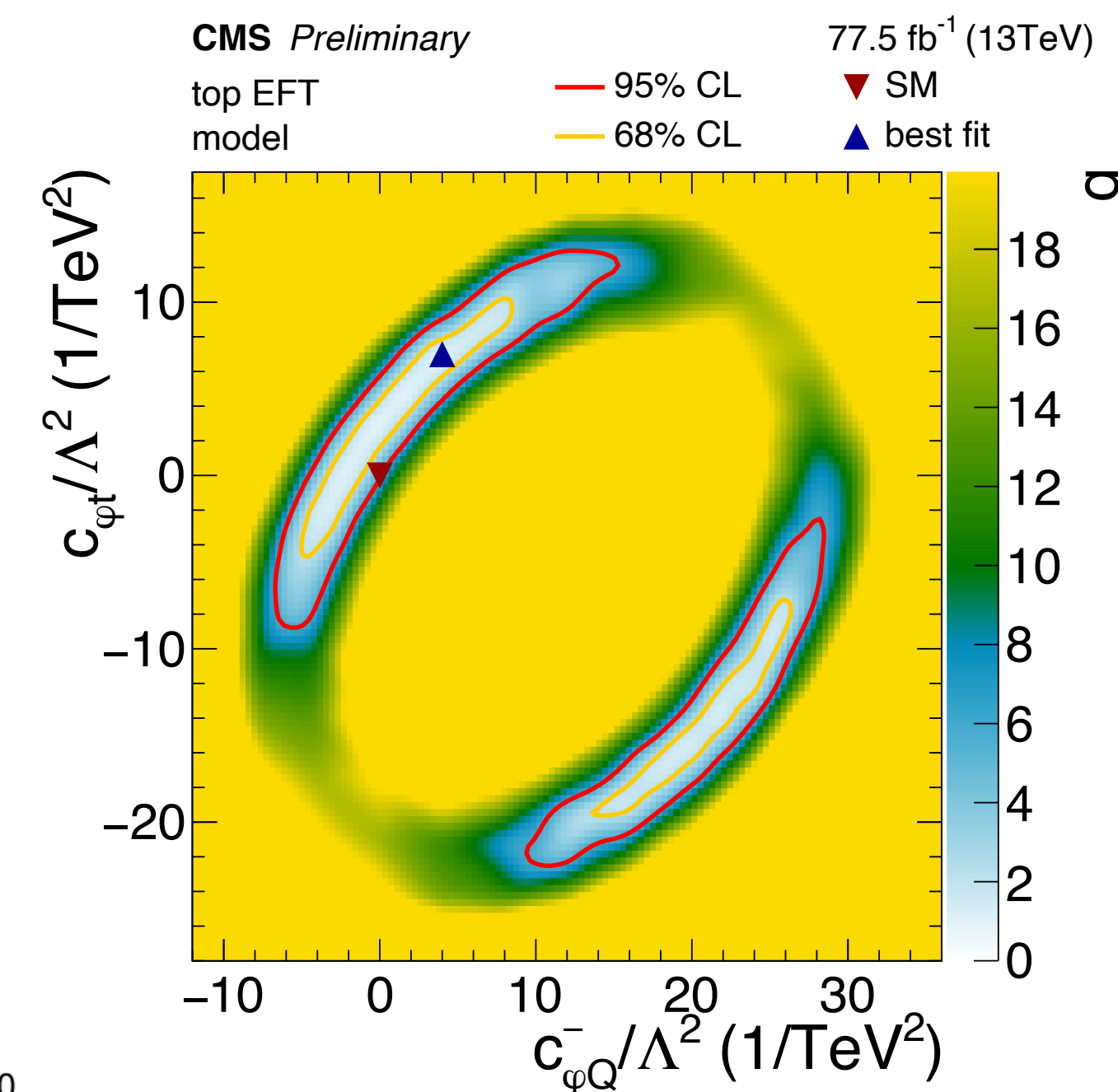
Linear Interference
Quadratic
Quadratic Interference

- Top differential measurement

- ttZ differential pt(Z) and cos(θ_Z^{*})
- Warsaw basis, LO (dim6TopEFT model)
- Linear and quadratic terms



CMS-PAS-TOP-19-001



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EFT parameters: dedicated approach

$$A(\text{HVV}) = \frac{1}{v} \left[a_1^{\text{VV}} + \frac{\kappa_1^{\text{VV}} q_{V1}^2 + \kappa_2^{\text{VV}} q_{V2}^2}{(\Lambda_1^{\text{VV}})^2} + \frac{\kappa_3^{\text{VV}} (q_{V1} + q_{V2})^2}{(\Lambda_Q^{\text{VV}})^2} \right] m_{V1}^2 \epsilon_{V1}^* \epsilon_{V2}^* \\ + \frac{1}{v} a_2^{\text{VV}} f_{\mu\nu}^{*(1)} f^{*(2),\mu\nu} + \frac{1}{v} a_3^{\text{VV}} f_{\mu\nu}^{*(1)} \tilde{f}^{*(2),\mu\nu},$$

- HVV anomalous coupling measurements

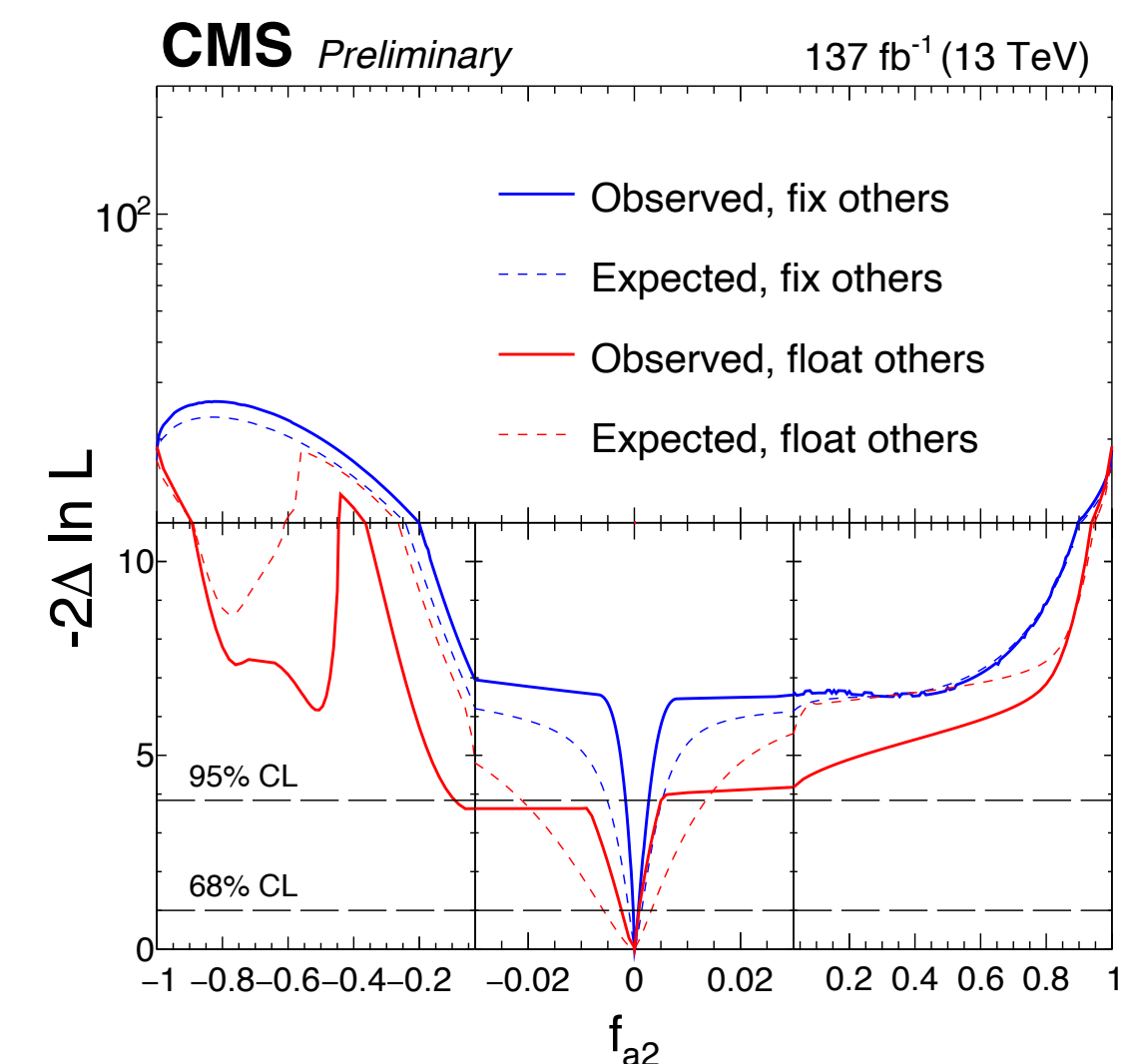
- Designed observables sensitive to each anomalous coupling

- General EFT mass-eigenstate basis

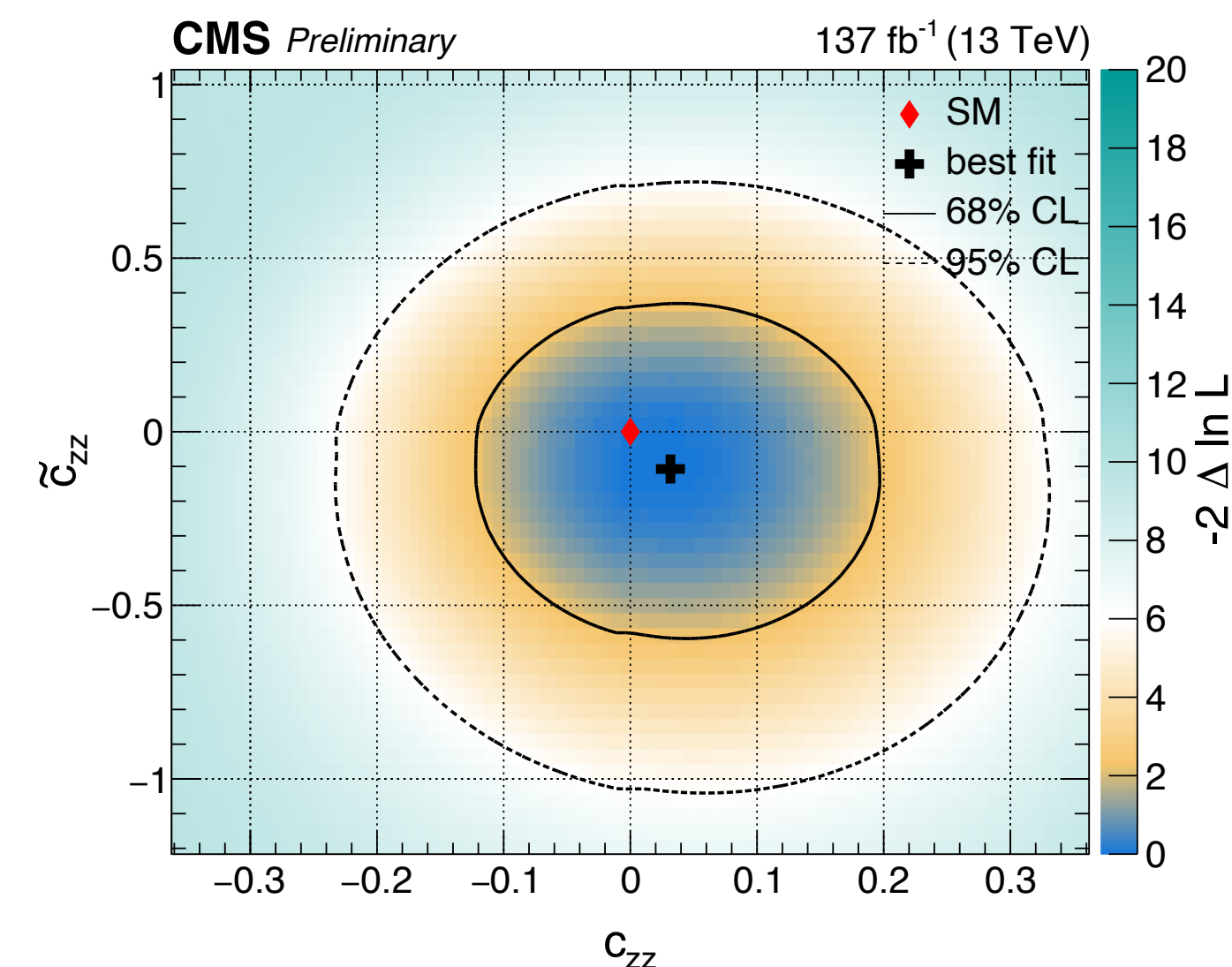
- SMEFT with SU(2)xU(1) symmetry -> map to Higgs parameterization

- Linear + quadratic terms

$$\delta c_z = \frac{1}{2} a_1 - 1, \\ c_{z\Box} = \frac{m_Z^2 s_w^2}{e^2} \frac{\kappa_1}{(\Lambda_1)^2}, \\ c_{zz} = -\frac{2s_w^2 c_w^2}{e^2} a_2, \\ \tilde{c}_{zz} = -\frac{2s_w^2 c_w^2}{e^2} a_3.$$

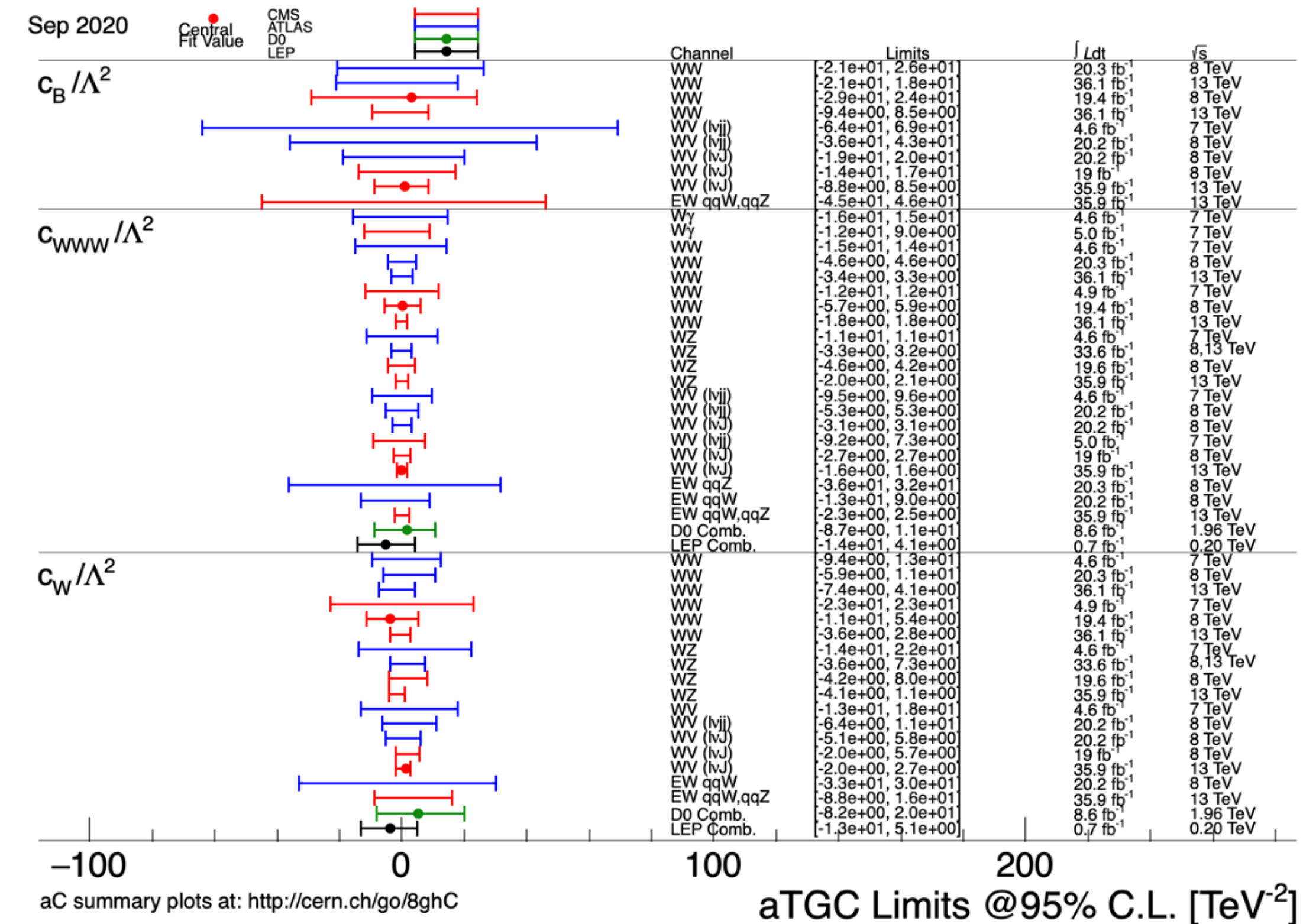


CMS-PAS-HIG-19-009



EFT parameters: dedicated approach

- Anomalous triple and quartic gauge couplings
 - Dedicated final states, sensitive to different aTGC and aQGC
 - Conversion to EFT, HISZ basis



Choice of model /basis

- Current choices of models/basis are quite diverse
 - transparent expressions of analysis observables
 - aTGC/aQGC in HISZ, anomalous HVV and Hff couplings map to Higgs parameterization
 - Availability of the tools
 - Direct comparison to previous results
- For grand combination across LHC, easier to use the same language
 - given the correct tool, most analyses could be related in different bases
 - HIG STXS combination plans to move to Warsaw basis: public tool "EFT2Obs" by A.Gilbert and CMS HIG Combination experts
 - Dedicated AC: mass eigenstates to perform analysis and report results, map to any basis rotation in combination
 - Top: SMEFT Warsaw basis
 - EW: mainly in HISZ, for combination could be rotated

Analysis in different base

Whatever basis chosen, analysis will be sensitive to the same physics, just in different combinations of operator

AC	Higgs	Warsaw basis
$-\frac{2s_w^2 c_w^2}{e^2} a_2$		$c_{zz} = \frac{g^4 c_{WW} + 4g^2 g'^2 c_{WB} + g'^4 c_{BB}}{(g^2 + g'^2)^2}$,
		$c_{z\gamma} = \frac{g^2 c_{WW} - 2(g^2 - g'^2) c_{WB} - g'^2 c_{BB}}{g^2 + g'^2}$,
		$c_{\gamma\gamma} = c_{WW} + c_{BB} - 4c_{WB}$,
		$c_{w\Box} = \frac{2}{g^2 - g'^2} [g'^2 c_{WB} - c_T + \delta v]$,
		$c_{z\Box} = -\frac{2}{g^2} [c_T - \delta v]$,
		$c_{\gamma\Box} = \frac{2}{g^2 - g'^2} [(g^2 + g'^2) c_{WB} - 2c_T + 2\delta v]$.

HVV Rosetta, arXiv:1508.05895

AC	Warsaw basis
g_4^{ZZ}	$= -2 \frac{v^2}{\Lambda^2} \left(s_w^2 w_{\phi\tilde{B}} + c_w^2 w_{\phi\tilde{W}} + s_w c_w w_{\phi B\tilde{W}} \right)$,
$g_4^{\gamma\gamma}$	$= -2 \frac{v^2}{\Lambda^2} \left(c_w^2 w_{\phi\tilde{B}} + s_w^2 w_{\phi\tilde{W}} - s_w c_w w_{\phi B\tilde{W}} \right)$,
$g_4^{Z\gamma}$	$= -2 \frac{v^2}{\Lambda^2} \left(s_w c_w (w_{\phi\tilde{W}} - w_{\phi\tilde{B}}) + \frac{1}{2} (s_w^2 - c_w^2) w_{\phi B\tilde{W}} \right)$,
g_4^{gg}	$= -2 \frac{v^2}{\Lambda^2} w_{\phi\tilde{G}}$.

HVV CP-odd JHUGenLexicon, arXiv:2002.09888

Questions

- Linear or linear+quadratic terms

$$w_i(\vec{c}) = s_{0i} + \underbrace{\sum_j s_{1ij} \frac{c_j}{\Lambda^2}}_{\text{Linear Interference}} + \underbrace{\sum_j s_{2ij} \frac{c_j^2}{\Lambda^4}}_{\text{Quadratic}} + \underbrace{\sum_{j,k} s_{3ijk} \frac{c_j}{\Lambda^2} \frac{c_k}{\Lambda^2}}_{\text{Quadratic Interference}}$$

- Most CMS analyses consider linear+quadratic terms
 - positive definite
 - sensitive to operators (e.g CP-odd) does not enter linear terms
 - allow to access EFT validity
- Aware of possible issues
 - D8 operators neglected in both cases
 - dependence on quadratic terms indicates poor sensitive to EFT effects
- Pros usually outweighs cons in experimental analyses

Questions

- Operator double insertion
- VBF/ZH/WH, $H \rightarrow ZZ/WW$

$$w_i(\vec{c}) = \left(s_{0i} + \underbrace{\sum_j s_{1ij} \frac{c_j}{\Lambda^2} + \sum_j s_{2ij} \frac{c_j^2}{\Lambda^4} + \sum_{j,k} s_{3ijk} \frac{c_j c_k}{\Lambda^2 \Lambda^2}}_{\text{Production}} \right) \times \left(s_{0i} + \underbrace{\sum_j s'_{1ij} \frac{c_j}{\Lambda^2} + \sum_j s'_{2ij} \frac{c_j^2}{\Lambda^4} + \sum_{j,k} s'_{3ijk} \frac{c_j c_k}{\Lambda^2 \Lambda^2}}_{\text{Decay}} \right)$$

- Up to $1/\Lambda^8$
- What to include in this case? Currently keep all for positive definite

Questions

- CP-odd operators
 - no strict reason why CP-odd should be prohibited
 - so far not many analyses extracting CP-odd WC
 - overall $x_{\text{sec}}=0$ in linear term
 - observables could be designed to be sensitive to the linear term
 - dedicated measurements in combination with general ones

Summary

- As more EFT analyses ongoing, some common questions come up
 - EFT expansions to be used
 - double insertion operators
 - CP-odd operators
- For a grand combination, analyses explore expressing results in different bases