



Optimizing single-turn coils for scientific applications beyond 100T

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High-field magnets for science

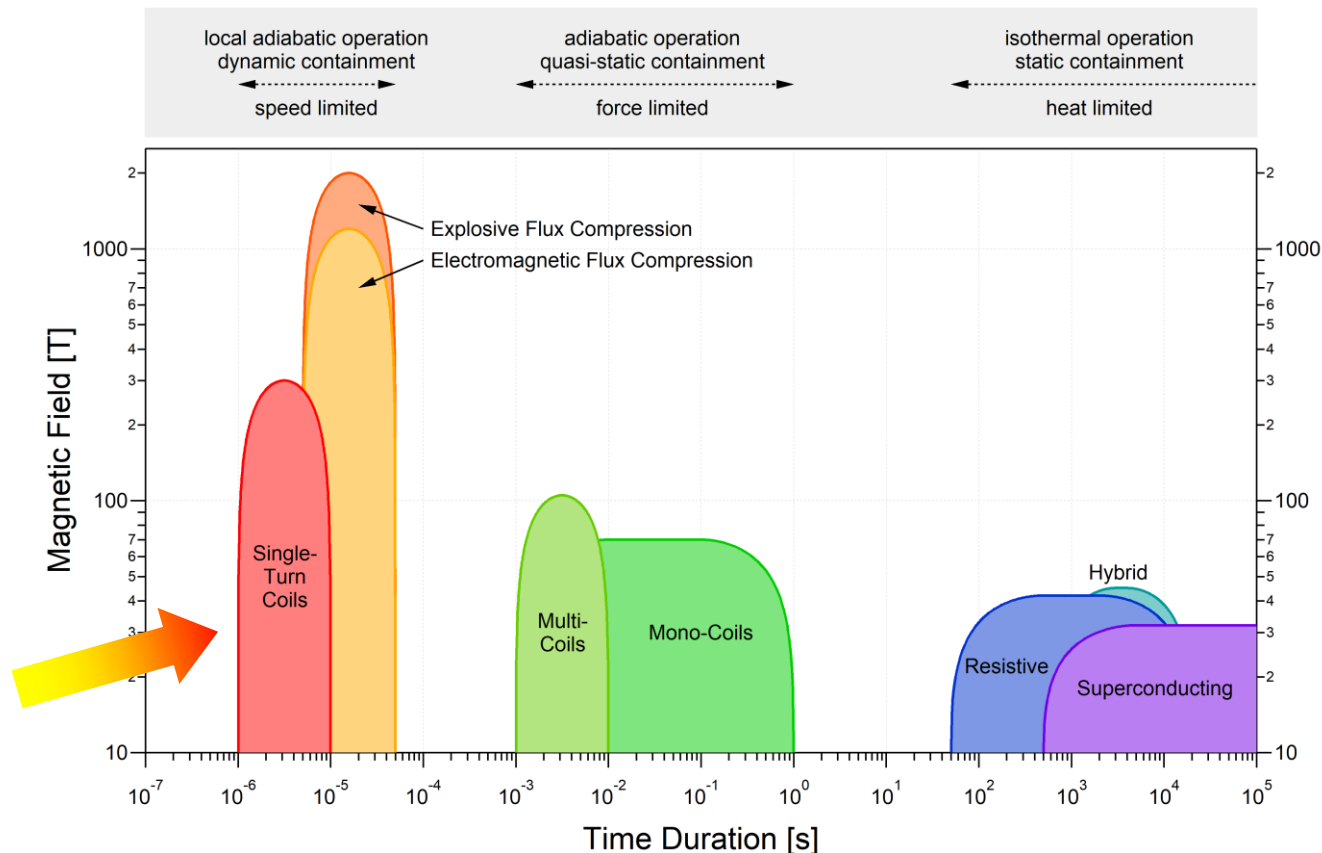
Currently, STC are the only available choice for measurements

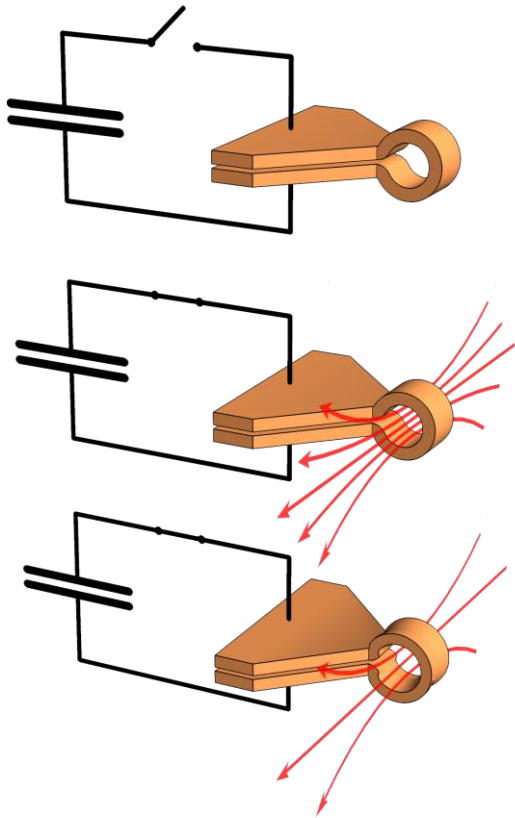
a) above 100 T

and

b) w/o sample destruction.

Coil destruction and μ s-timescales cannot be avoided.





How STCs work:

Connect a simple disposable coil to a capacitor bank.

Electrical parameters determine the rise time of the field: **impedance** and **capacitance**.

Mechanical parameters determine the coil's disintegration: **coil mass** and **magnetic force**.

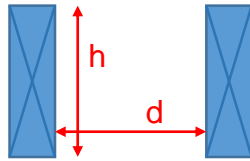
The circuit impedance can be adjusted to make the field rise faster than the coil disintegrates.

Good to know:

The outward acceleration of conductor fragments protects equipment in the bore (... at least up to 150 T).

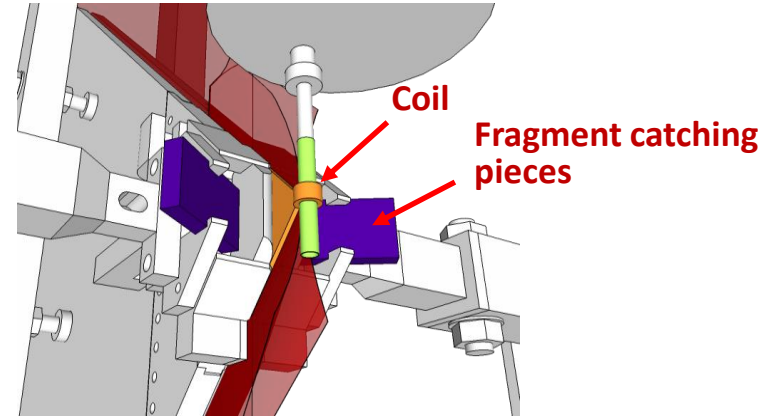
Why do we need a better understanding of the discharge dynamics of SC ?

Problem 1: STC typically feature a bore ratio of $d/h=1$, but the the value has never been systematically tested.*



* unlike the conductor thickness, which represents a compromise between peak field, destructive effects and practical issues.

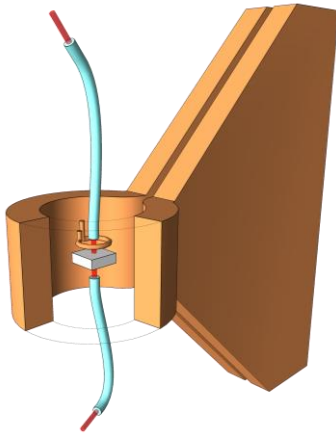
Problem 2: Existing installations can produce 200 T in 10 mm. However, applications are mostly limited to 150 T to avoid destructive effects at higher fields.



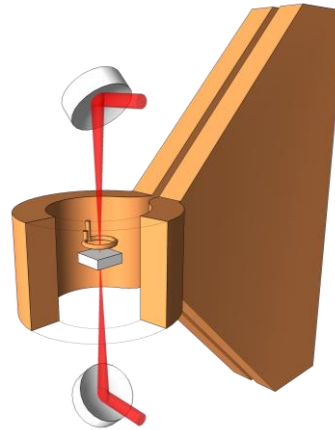
Impact traces of fragments formed in a 150 T shot.

Cu deposit after a 210 T shot with heavy destruction.

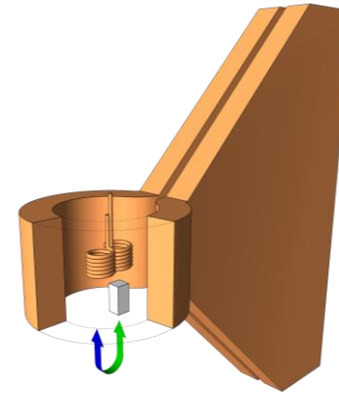
Established experimental techniques for measurements with STC (at cryogenic temperatures)



VIS-NIR spectroscopy:
fibre-based magneto-
transmission measurements
with monochromatic sources.

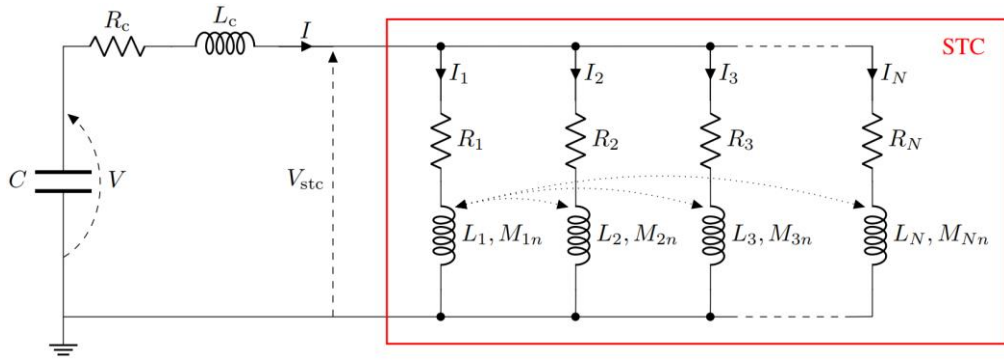


MIR spectroscopy:
free-beam optics with high-
power MIR-lasers (CO , CO_2)
and fast MCT detectors.



Magnetization:
 dM/dt with compensated pick-up
coils and background elimination by
averaging alternate measurements.

Problem 3: homogeneity requirements of magnetization measurements



Electrical coupling of filaments
(matrix equation)

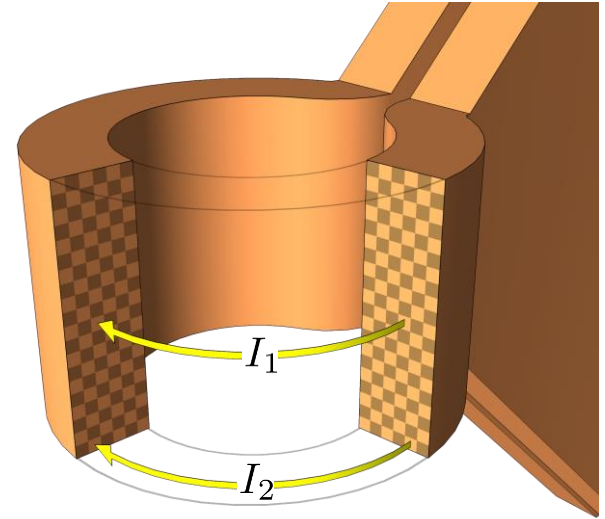
$$\mathbf{I}(t+dt) = \mathbf{I}(t) + dt \mathbf{M}^{-1}(t) \left[\mathbf{V}(t) - (\dot{\mathbf{M}}(t) + \mathbf{R}(t)) \mathbf{I}(t) \right]$$

Local heating
(1 simple equation per filament)

$$T(t+dt) = T(t) + dt \frac{j^2(t) \rho(t)}{D(t) C(t)}$$

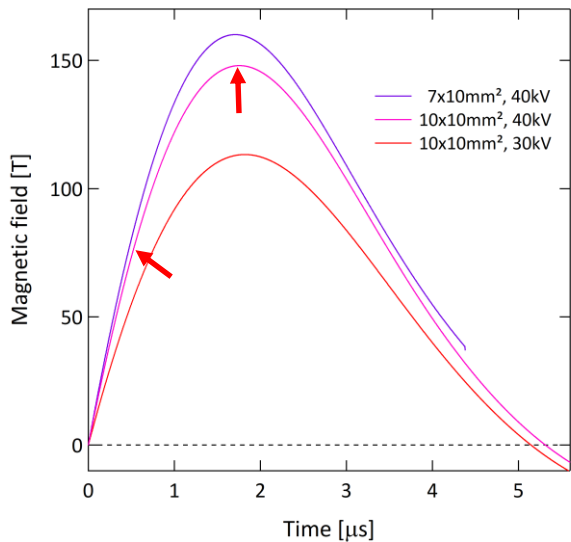
Displacement
(1 simple equation per filament disc)

$$r(t+2dt) = r(t+dt) + dt v(t) + dt^2 \frac{\Delta F}{\Delta m}$$

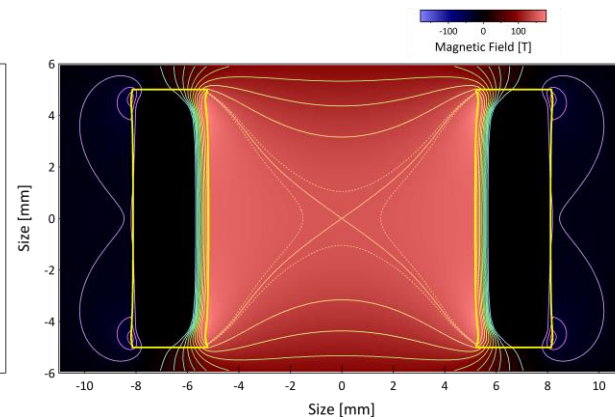
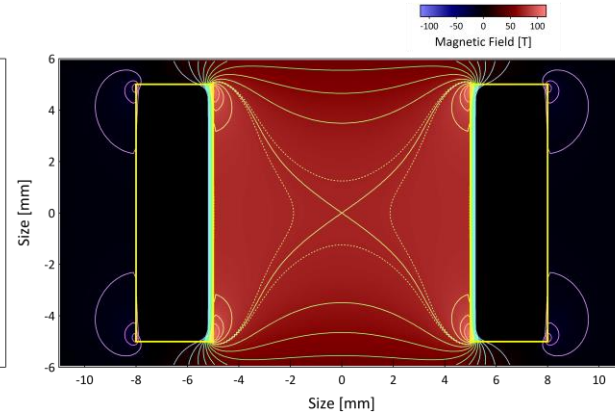
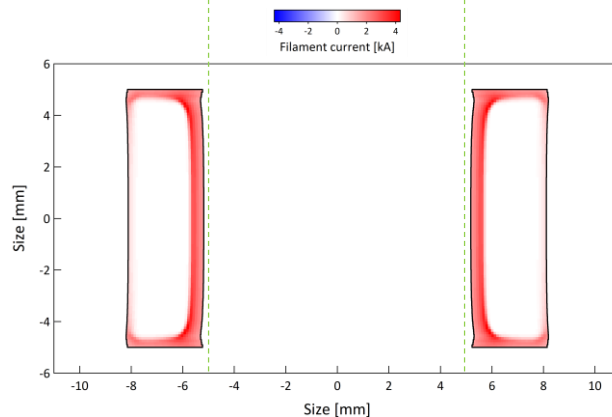
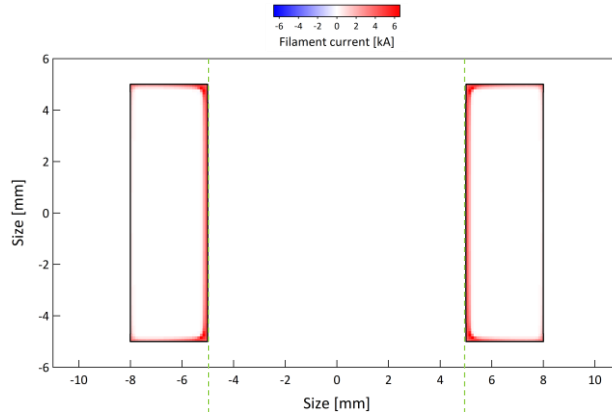


STC discharge simulations based on Nakao's filamentary approach

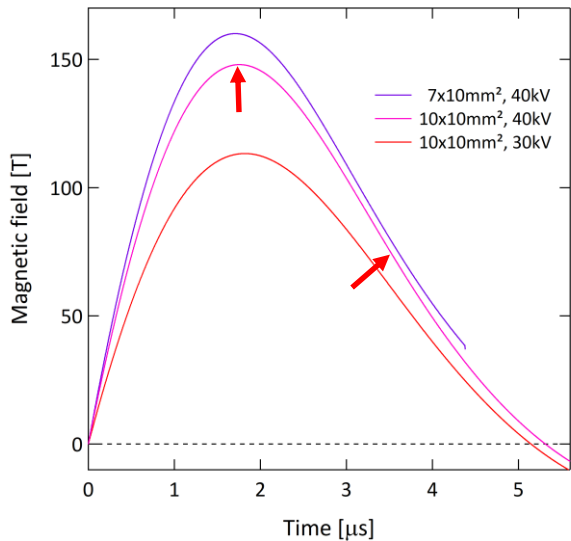
Field & current on the up-sweep and at B_{max}



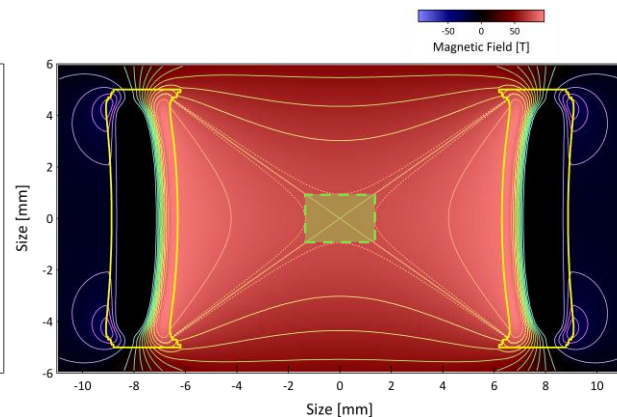
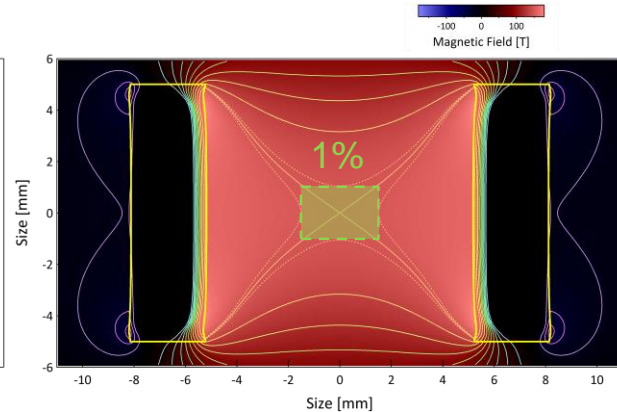
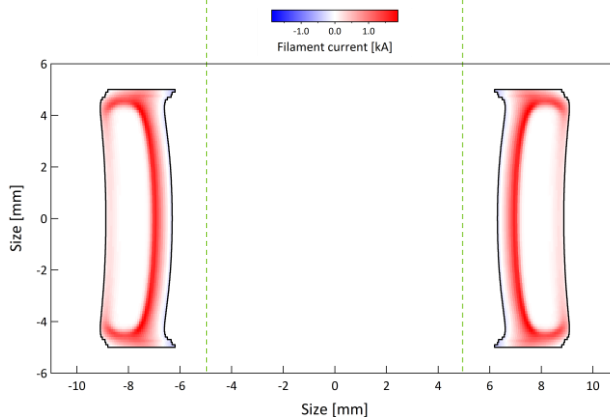
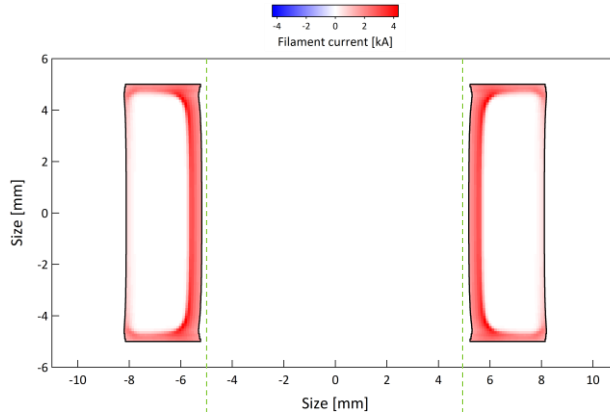
Negligible coil expansion up to peak field ; the current distribution reflects the effect of magnetic diffusion.



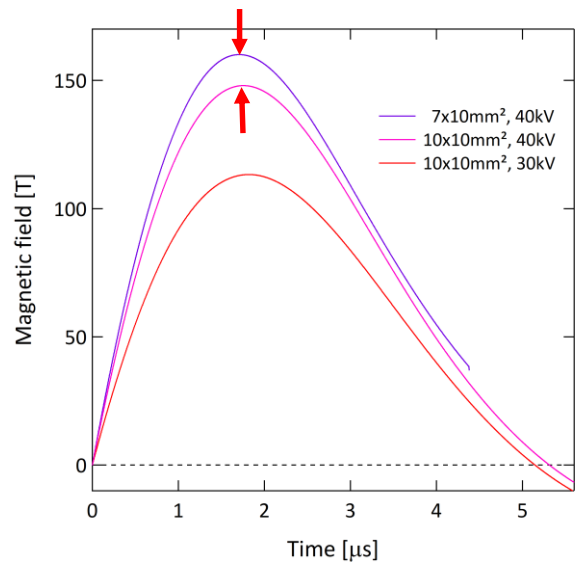
Field & current on the down-sweep and at B_{\max}



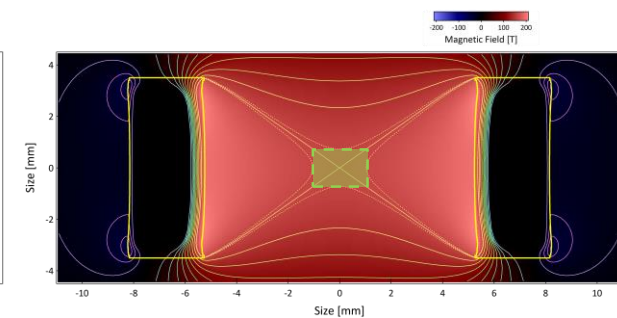
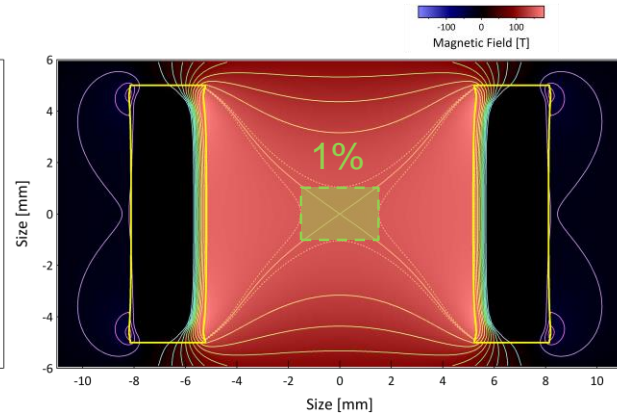
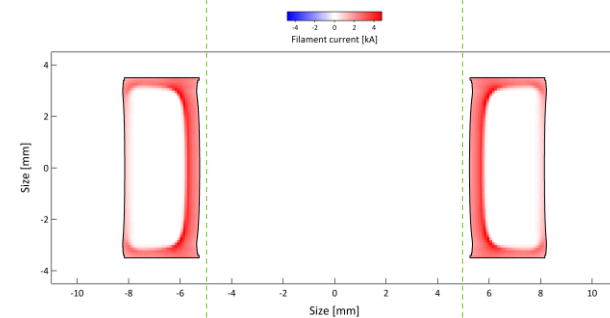
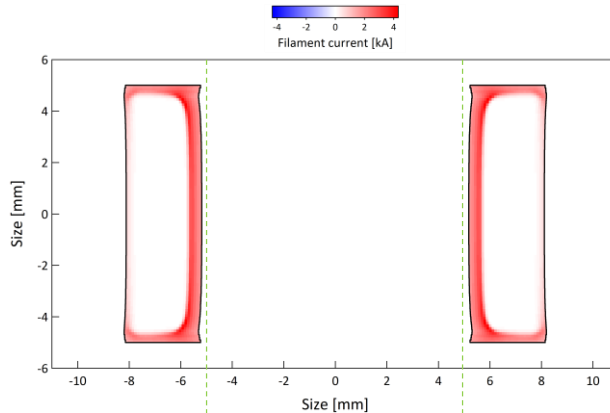
Homogeneity in 10mm coils is surprisingly good: less than 1% deviation in a 1.5mm sphere.



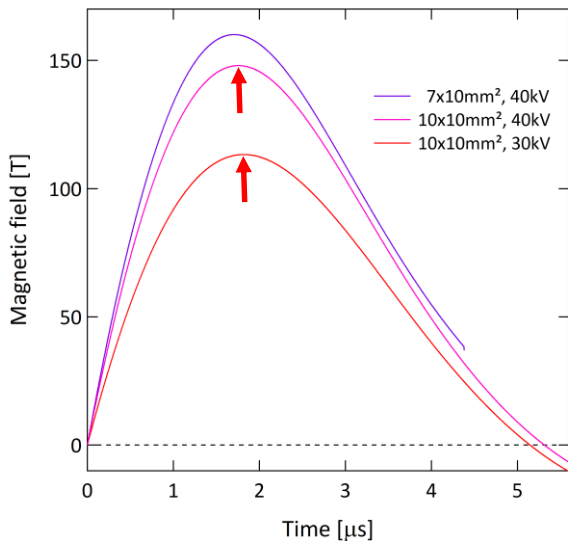
Field & current at B_{max} in coils with 7 and 10 mm width



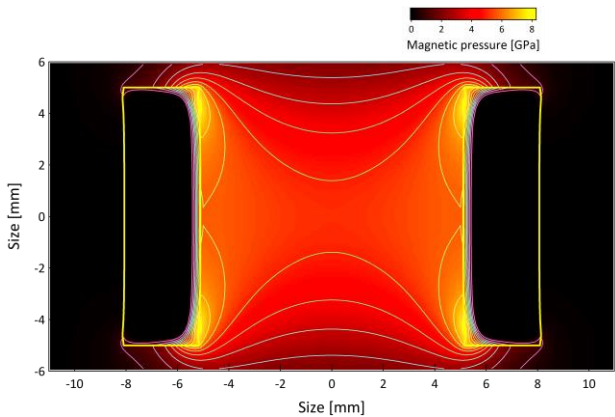
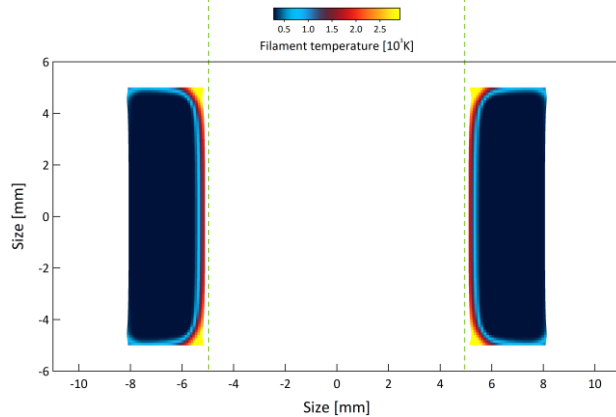
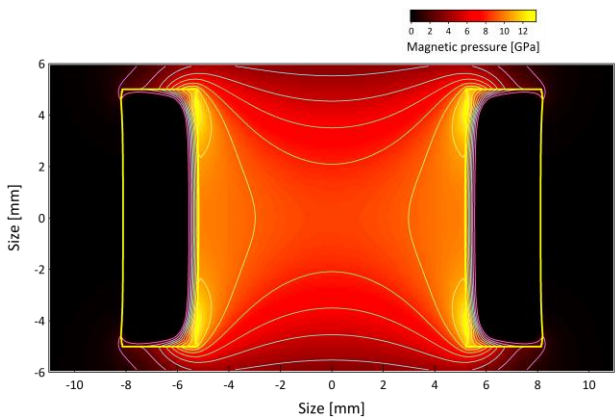
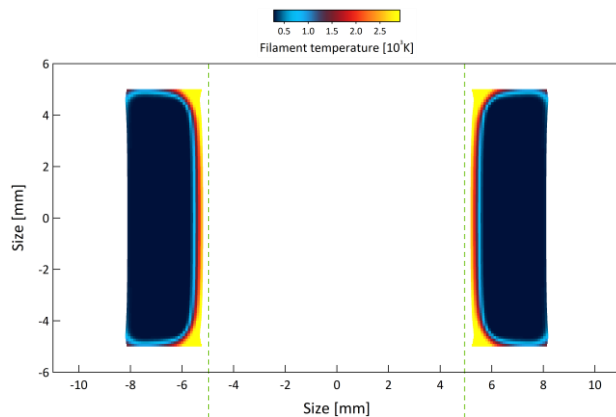
Flat coils may give several % more field with tolerable effect on homogeneity.



Temperature & pressure at B_{max} for 30 and 40 kV



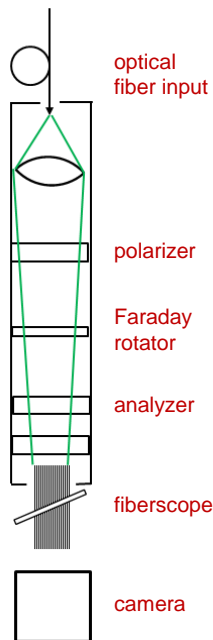
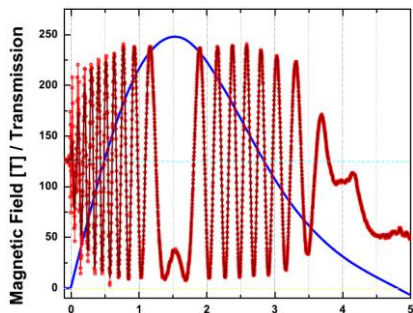
Overheating gives rise to explosive sublimation when magnetic pressure is released > destruction in the bore.



Future projects

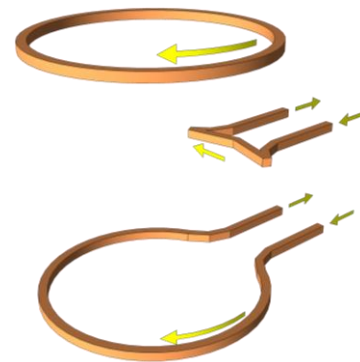
(towards a 200 T standard for scientific applications)

Project 1: Faraday rotation imaging of field homogeneity



Project 2: improve simulations (structured coils, material properties, mechanics ...)

Project 3: Quasi-3d feed-gap simulation using polygonal filaments



$$\mathbf{A}(\mathbf{r}) = \frac{\mu_0 I}{4\pi} \sum_{n=1}^N \mathbf{e}_{n,n+1} \ln \left[\frac{|\mathbf{r} - \mathbf{r}_n| + |\mathbf{r} - \mathbf{r}_{n+1}| + |\mathbf{r}_{n+1} - \mathbf{r}_n|}{|\mathbf{r} - \mathbf{r}_n| + |\mathbf{r} - \mathbf{r}_{n+1}| - |\mathbf{r}_{n+1} - \mathbf{r}_n|} \right]$$

sum over all segments \rightarrow $\sum_{n=1}^N$
 direction of segment \rightarrow $\mathbf{e}_{n,n+1}$
 distance from segment end points \rightarrow $|\mathbf{r} - \mathbf{r}_n|$, $|\mathbf{r} - \mathbf{r}_{n+1}|$, $|\mathbf{r}_{n+1} - \mathbf{r}_n|$
 segment length \rightarrow $|\mathbf{r}_{n+1} - \mathbf{r}_n|$