



Many thanks to A. Mazeliauskas, C. A. Salgado,
H. Paukkunen, K. J. Eskola and C. Andrés for discussions

Current status of nPDFs and prospects for pO and OO collisions

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Opportunities of OO and pO collisions at the LHC
8 Feb 2021

Section 1

nPDF overview

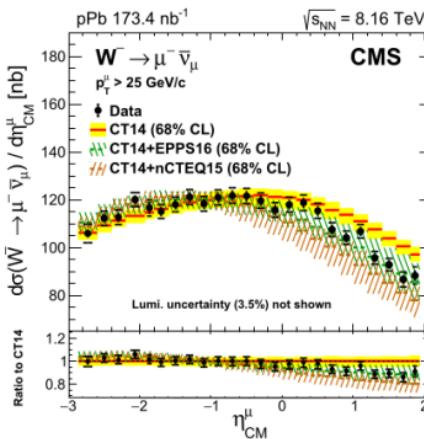
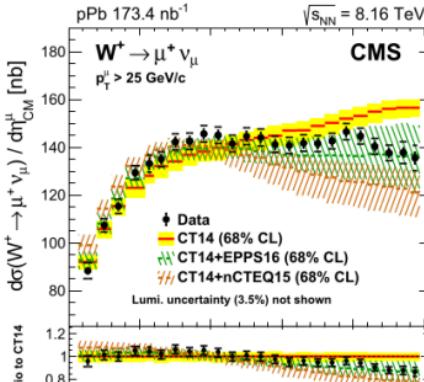
Latest nPDF global analyses

	EPPS16	nNNPDF2.0	nCTEQ15WZ	nNNPDF1.0	TuJu19	KSASG20
Order in α_s	NLO	NLO	NLO	NNLO	NNLO	NNLO
$\ell\ell$ A NC DIS	✓	✓	✓	✓	✓	✓
$\nu\bar{\nu}$ A CC DIS	✓	✓			✓	✓
pA DY	✓		✓			
$\pi\bar{\pi}$ A DY	✓					
RHIC dAu/pp π	✓		✓			
LHC pPb W, Z	✓	✓	✓			
LHC pPb jets	✓					
Q cut in DIS	1.3 GeV	1.87 GeV	2 GeV	1.87 GeV	1.87 GeV	1.3 GeV
Data points	1811	1467	828	451	2336	4525
Free parameters	20	256	19	183	16	9
Error analysis	Hessian	Monte Carlo	Hessian	Monte Carlo	Hessian	Hessian
Error tolerance $\Delta\chi^2$	52	N/A	35	N/A	50	10
Free-proton PDFs	CT14	NNPDF3.1	~CTEQ6M	NNPDF3.1	own fit	CT18
HQ treatment	GM-VFNS	GM-VFNS	GM-VFNS	GM-VFNS	GM-VFNS	GM-VFNS
Indep. flavours	6	6	5	3	4	3
Year	2016	2020	2020	2019	2019	2020
Reference	EPJC 77, 163	JHEP 09, 183	EPJC 80, 968	EPJC 79, 471	PRD 100, 096015	arXiv:2010.00555

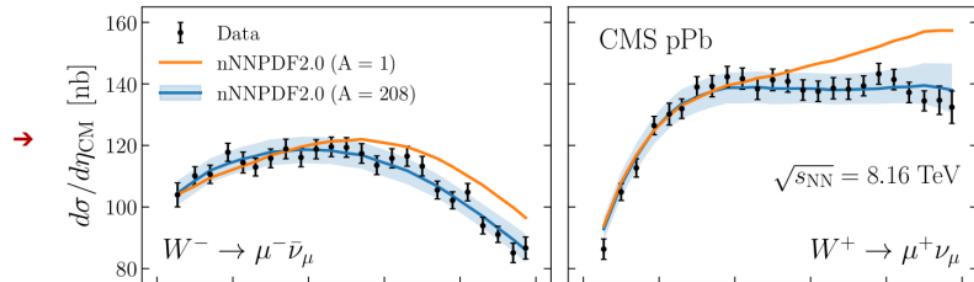
State of the art

W bosons in pPb at 8.16 TeV

[CMS, Phys.Lett.B 800 (2020) 135048]



[Abdul Khalek, Ethier, Rojo & van Weelden, JHEP 09 (2020) 183]



Potential probes of the flavour separation (and strangeness):

- $u\bar{d}$ ($u\bar{s}, c\bar{s}$) $\rightarrow W^+$
- $d\bar{u}$ ($s\bar{u}, s\bar{c}$) $\rightarrow W^-$

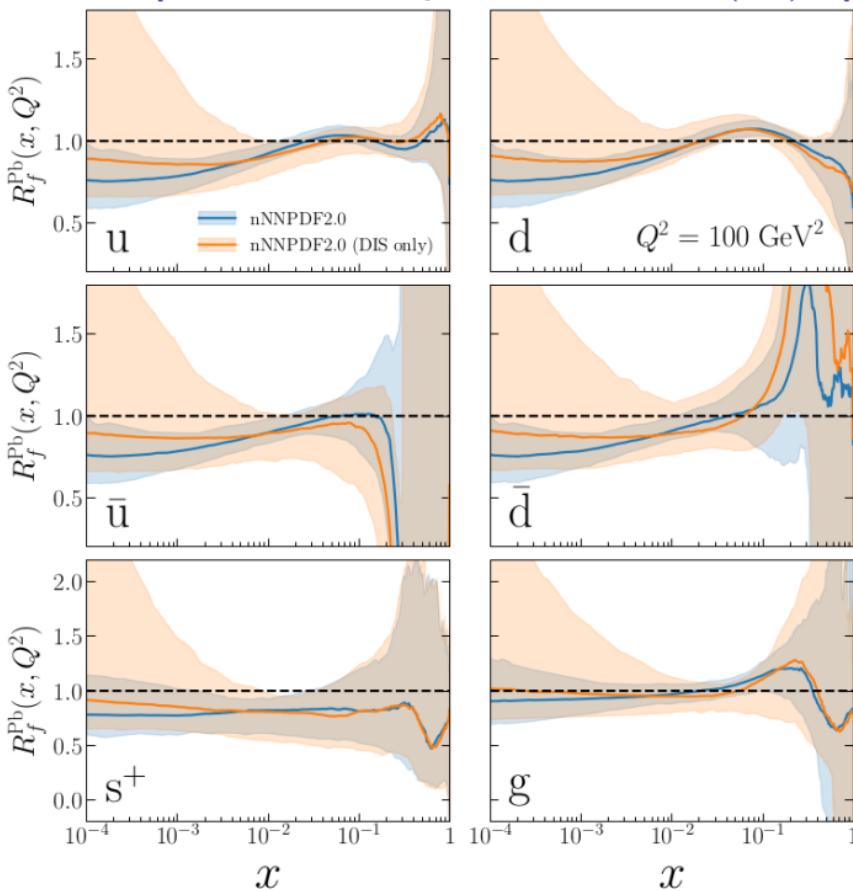
Remember: small- x , high- Q^2 quarks and gluons correlated by DGLAP evolution \rightarrow constraints for gluons

Increased statistics for W bosons in the 8.16 TeV data set

→ Included in nNNPDF2.0 and nCTEQ15WZ

W/Z bosons in pPb at 5.02 TeV and 8.16 TeV – impact in nNNPDF2.0

[Abdul Khalek, Ethier, Rojo & van Weelden, JHEP 09 (2020) 183]



Flexible neural-network parametrization
(256 free parameters)

Includes CMS and ATLAS W/Z data

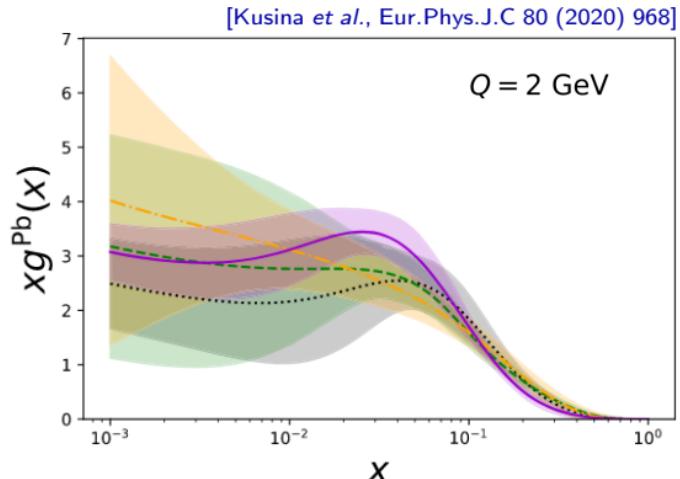
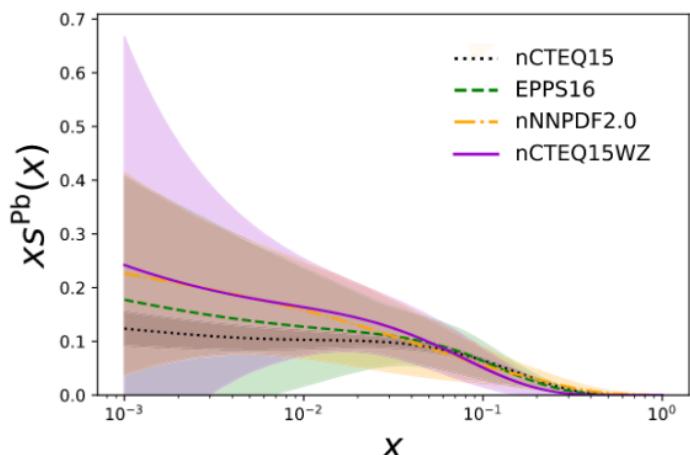
Compared to DIS-only fit:

- Preference for EMC effect both in u and d
- Enhanced shadowing for all quarks
- Some preference for gluon shadowing & antishadowing

Here:

$$R_f^A(x, Q^2) = \frac{Z f_f^{p/A}(x, Q^2) + (A-Z) f_f^n(x, Q^2)}{Z f_f^p(x, Q^2) + (A-Z) f_f^n(x, Q^2)}$$

W/Z bosons in pPb at 5.02 TeV and 8.16 TeV – impact in nCTEQ15WZ



Includes also ALICE & LHCb W/Z data

→ Most extensive EW-boson data set to date

Compared to nCTEQ15:

- Additional freedom for s needed to describe the data
 - ▶ much larger uncertainty
- Less gluon shadowing

$\sqrt{s_{NN}}$ [TeV]			
Data overview			
ATLAS	Run I	W^\pm	5.02
ATLAS	Run I	Z	5.02
CMS	Run I	W^\pm	5.02
CMS	Run I	Z	5.02
CMS	Run II	W^\pm	8.16
ALICE	Run I	W^\pm	5.02
LHCb	Run I	Z	5.02

u and d valence quark modifications (in lead)

Most nuclei are close to isoscalar

→ Nearly equal amount of u and d quarks

For example, we can write

$$f_{u_V}^A = R_{u_V+d_V}^A \left(1 - \frac{A-2Z}{A} \mathcal{A}_{u_V-d_V}^A \right) \frac{A}{2} (f_{u_V}^p + f_{d_V}^p)$$

$$f_{d_V}^A = R_{u_V+d_V}^A \left(1 + \frac{A-2Z}{A} \mathcal{A}_{u_V-d_V}^A \right) \frac{A}{2} (f_{u_V}^p + f_{d_V}^p)$$

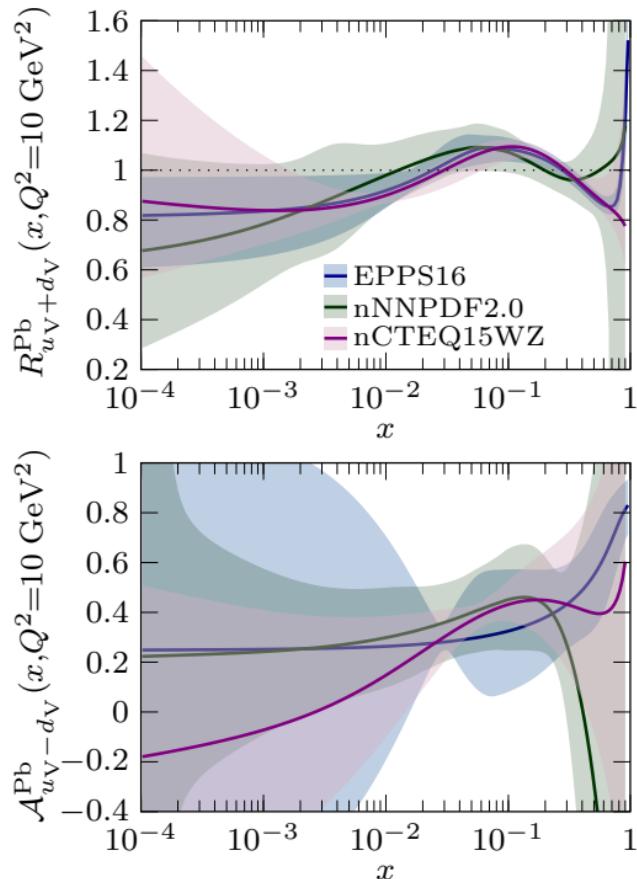
where

$$R_{u_V+d_V}^A = \frac{f_{u_V}^{p/A} + f_{d_V}^{p/A}}{f_{u_V}^p + f_{d_V}^p} \quad \mathcal{A}_{u_V-d_V}^A = \frac{f_{u_V}^{p/A} - f_{d_V}^{p/A}}{f_{u_V}^{p/A} + f_{d_V}^{p/A}}$$

and neutron excess $\frac{A-2Z}{A} \approx 0.2$ for Pb

→ Need high-precision data on non-isoscalar nuclei to constrain the asymmetry

Important for studying the physical origin of the EMC effect



u and d sea quark modifications (in lead)

Most nuclei are close to isoscalar

→ Nearly equal amount of \bar{u} and \bar{d} quarks

Here

$$f_{\bar{u}}^A = R_{\bar{u}+\bar{d}}^A \left(1 - \frac{A-2Z}{A} \mathcal{A}_{\bar{u}-\bar{d}}^A \right) \frac{A}{2} (f_{\bar{u}}^p + f_{\bar{d}}^p)$$

$$f_{\bar{d}}^A = R_{\bar{u}+\bar{d}}^A \left(1 + \frac{A-2Z}{A} \mathcal{A}_{\bar{u}-\bar{d}}^A \right) \frac{A}{2} (f_{\bar{u}}^p + f_{\bar{d}}^p)$$

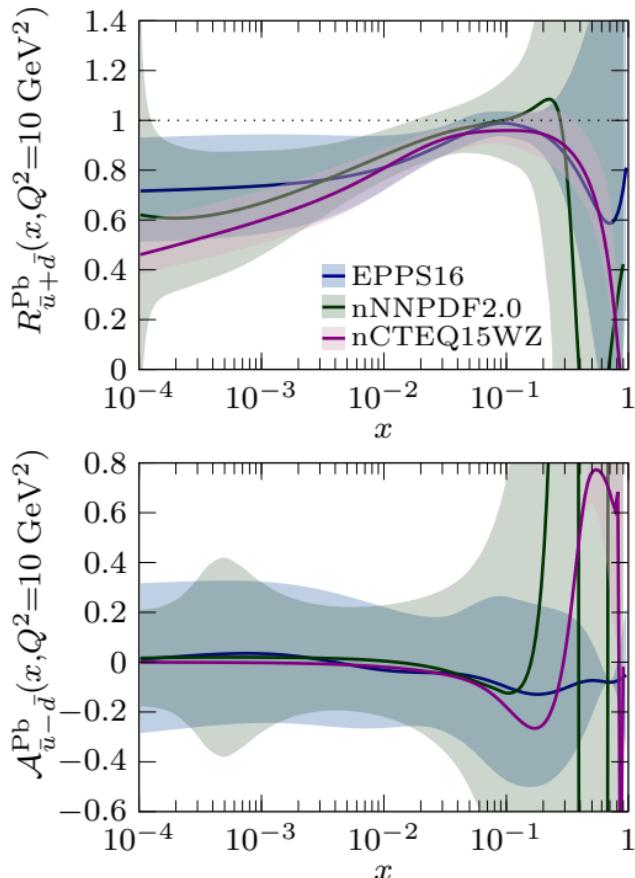
with

$$R_{\bar{u}+\bar{d}}^A = \frac{f_{\bar{u}}^{p/A} + f_{\bar{d}}^{p/A}}{f_{\bar{u}}^p + f_{\bar{d}}^p} \quad \mathcal{A}_{\bar{u}-\bar{d}}^A = \frac{f_{\bar{u}}^{p/A} - f_{\bar{d}}^{p/A}}{f_{\bar{u}}^{p/A} + f_{\bar{d}}^{p/A}}$$

Flavour asymmetry only a small correction

nNNPDF2.0 does not use fixed-target DY data

→ less constraints for valence/sea separation compared to EPPS16 & nCTEQ15WZ



Gluon and strange modifications (in lead)

The gluon and strange modifications are poorly constrained in the current nPDF releases

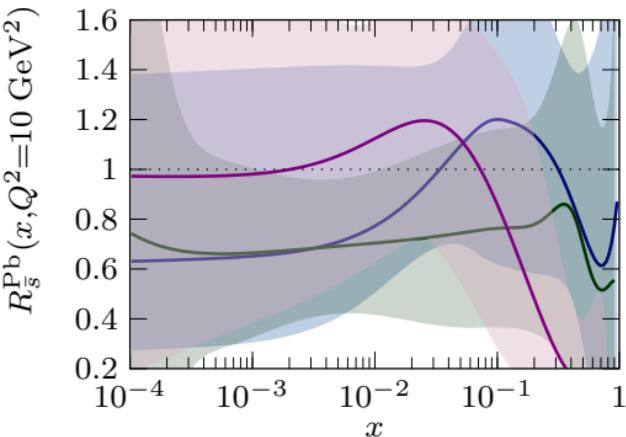
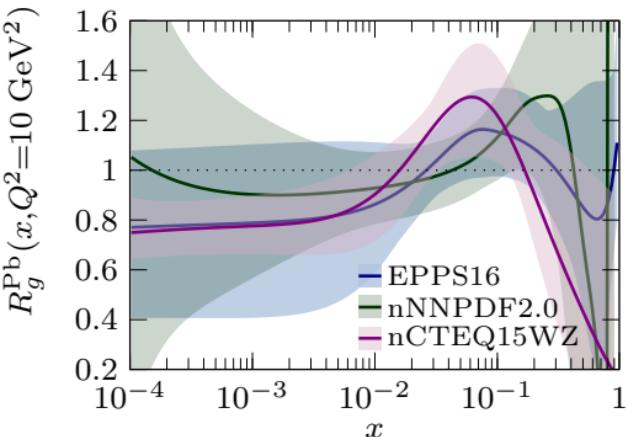
- Better gluon constraints are available from LHC pPb dijets and D-mesons, but these need to be included in the global analyses (in progress)

The existing LHC pPb W/Z data did not give strong constraints for the strangeness

- Additional data needed
- W+charm measured in pp, doable in pPb?



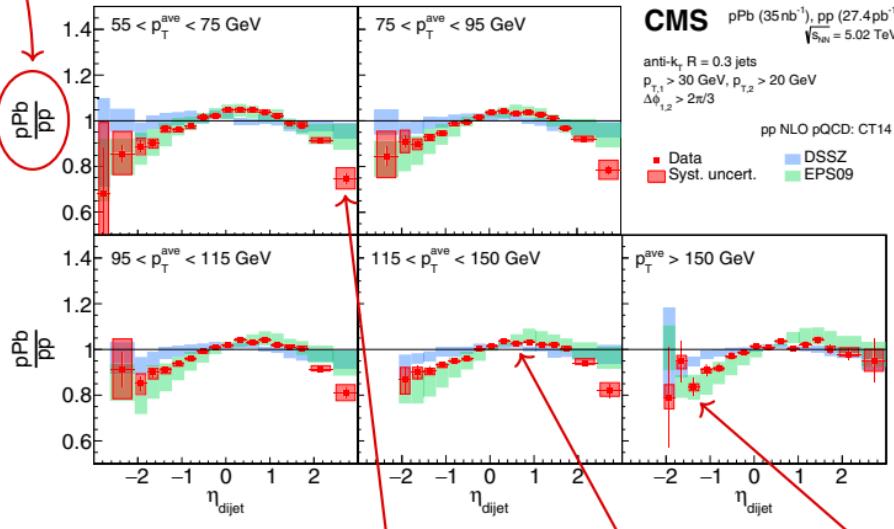
$$R_i^A(x, Q^2) = \frac{f_i^{p/A}(x, Q^2)}{\text{bound-proton PDF}} / \frac{f_i^p(x, Q^2)}{\text{free-proton PDF}}$$



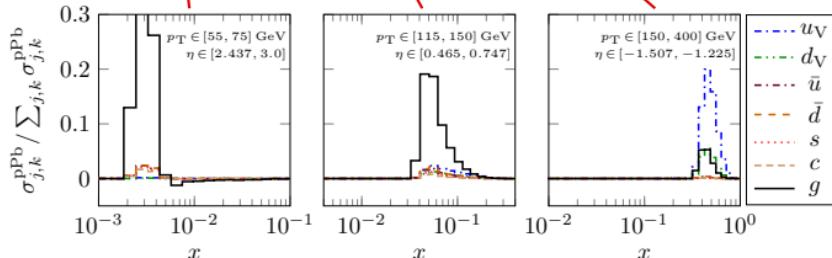
Better gluon constraints: Dijets in pPb at 5.02 TeV

$$\text{Ratio of ratios: } R_{\text{pPb}}^{\text{norm.}} = \frac{d^2\sigma^{\text{pPb}}/dp_T^{\text{ave}} d\eta_{\text{dijet}}}{d\sigma^{\text{pPb}}/dp_T^{\text{ave}}} / \frac{d^2\sigma^{\text{pp}}/dp_T^{\text{ave}} d\eta_{\text{dijet}}}{d\sigma^{\text{pp}}/dp_T^{\text{ave}}}$$

[CMS Collaboration, Phys.Rev.Lett. 121 (2018) 062002]



NLO pQCD:



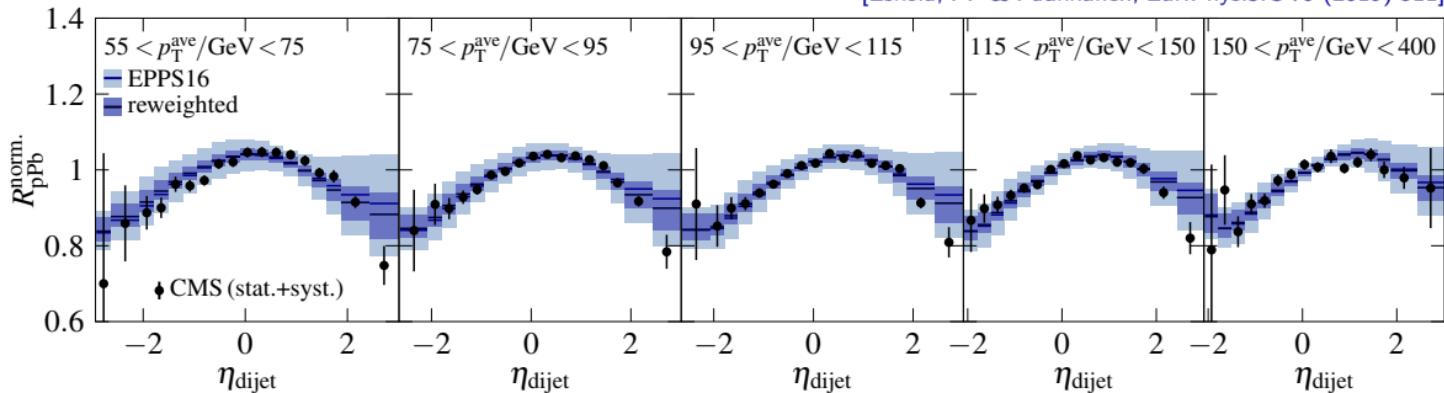
Double ratio convenient for:

- Cancellation of hadronization and luminosity uncertainties separately for pPb and pp
 - ▶ do not expect strong final-state effects
- Cancellation of free-proton PDF uncertainties in pPb/pp
 - ▶ direct access to nuclear modifications

Good resolution to gluon nuclear modifications for $10^{-3} < x < 0.5$

Dijets in pPb at 5.02 TeV – EPPS16 reweighted

[Eskola, PP & Paukkunen, Eur.Phys.J.C 79 (2019) 511]

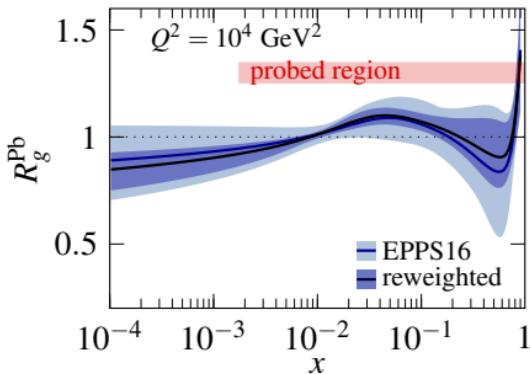


A Hessian PDF reweighting study shows that these data can put stringent constraints on the gluon modifications

- Drastic reduction in EPPS16 gluon uncertainties
- Support for mid- x antishadowing and small- x shadowing
- Probes the onset of shadowing down to $x > 10^{-3}$

Remaining questions:

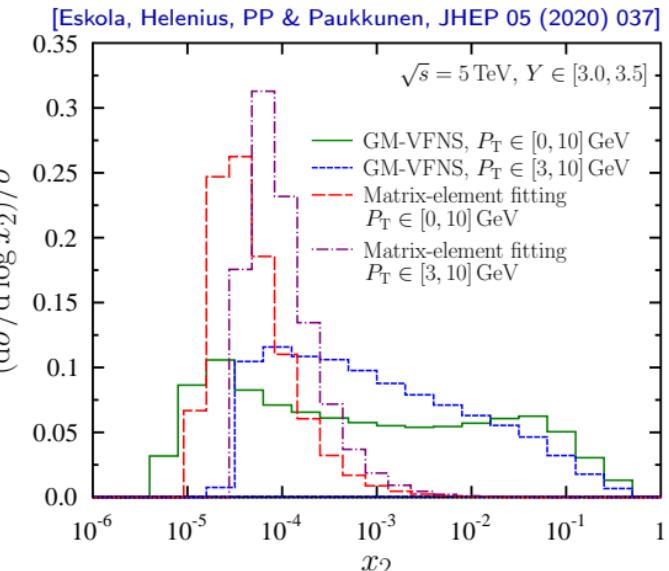
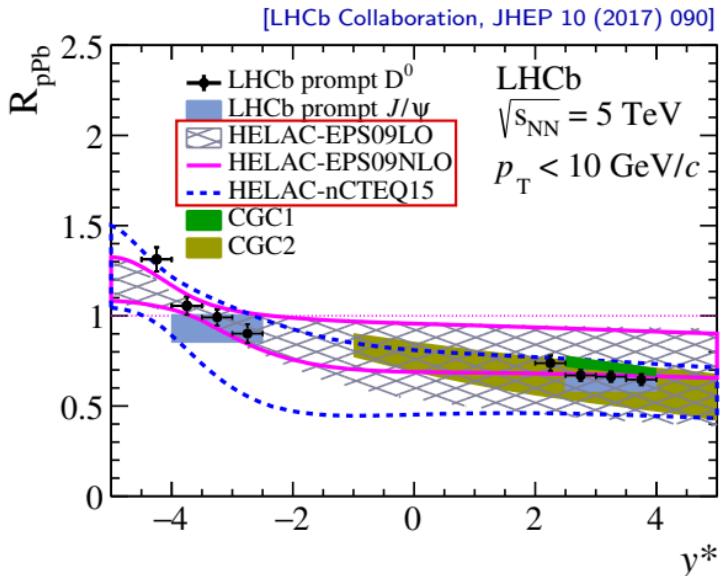
- Is there EMC suppression for gluons?
- What happens at $x < 10^{-3}$?



$$R_i^A(x, Q^2) = \frac{f_i^{p/A}(x, Q^2)}{f_i^p(x, Q^2)}$$

bound-proton PDF free-proton PDF

D-mesons in pPb at 5.02 TeV – differences in theoretical descriptions



Data can probe nPDFs down to $x \sim 10^{-5}$, but x sensitivity differs between theoretical approaches:

- The HELAC framework [Lansberg & Shao, EPJ C77 (2017) 1] uses a matrix-element fitting method with $2 \rightarrow 2$ kinematics producing a narrow distribution in x (can be used also for quarkonia)
- The SACOT- m_T scheme [Helenius & Paukkunen, JHEP 1805 (2018) 196] of GM-VFNS NLO pQCD gives a much wider x -distribution due to taking into account the gluon-to-HQ fragmentation

D-mesons in pPb at 5.02 TeV – nPDFs reweighted

R_{pPb} mostly insensitive to the differences

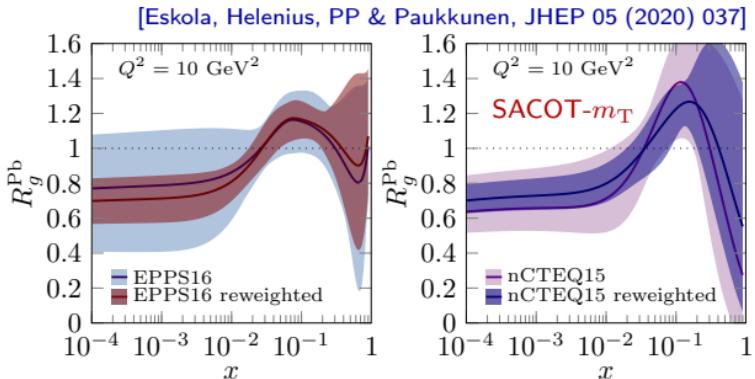
→ Reweighting with the two methods give compatible results for R_g^{Pb}

see the refs. for comparison with
POWHEG+PYTHIA, FONLL

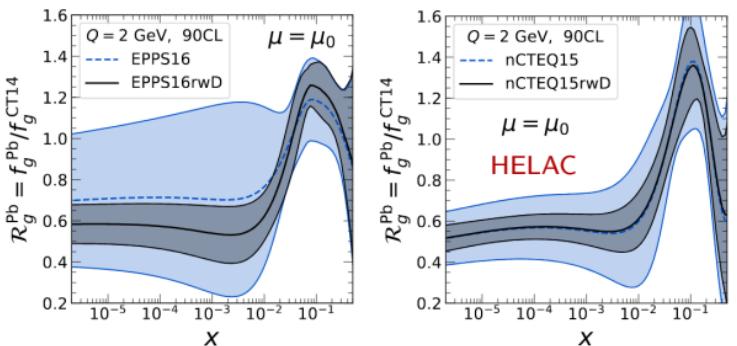
- Large reduction in small- x uncertainties, probed down to $x \sim 10^{-5}$
- EPPS16 and nCTEQ15 brought to a closer mutual agreement

Striking similarity with the results with dijets

→ Supports the validity of collinear factorization in pPb and the universality of nPDFs



[Kusina, Lansberg, Schienbein & Shao, PRL 121 (2018) 052004,
fig. from arXiv:2012.11462]

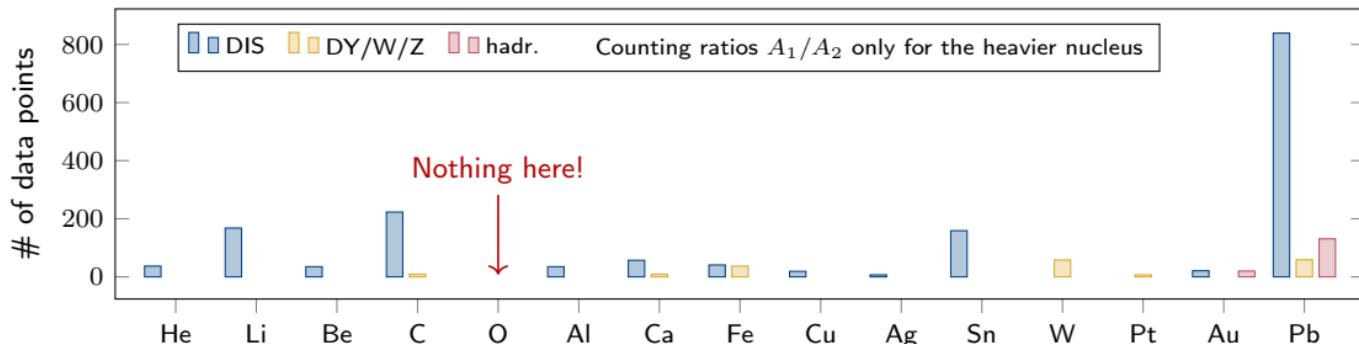


Section 2

Opportunities with lighter ions

Data availability w.r.t. A

EPPS16 + LHC pPb dijets, D-mesons & 8.16 TeV Ws + JLab CLAS NC DIS



~ 50% of the data points are for Pb!

😊 Good coverage of DIS measurements for different A

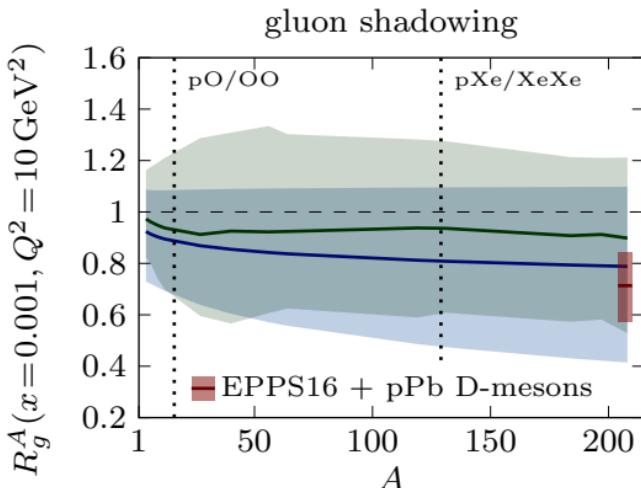
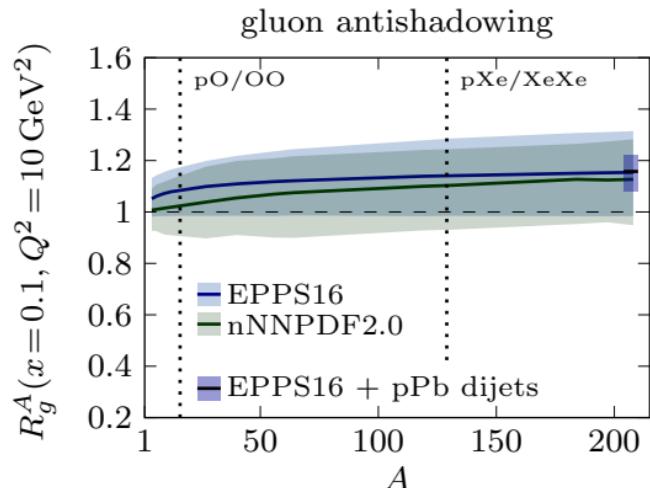
😊 DY data more scarce, but OK A coverage

😢 Hadronic observables available only for heavy nuclei!

Light-ion runs at LHC could:

- Complement other light-nuclei DY data with W and Z production (strangeness!)
- Give first direct constraints (e.g. dijets, D-mesons) on light-nuclei gluon distributions!

A -dependence of gluon modifications



Direct gluon constraints available only for heavy nuclei (most constraining: pPb dijets & D-mesons)

- Gluons and small- x quarks poorly constrained for lighter nuclei
- Significant parametrization dependence

How confidently can we interpolate the light-nuclei gluons from measurements at large A ?

- SMOG@LHCb can help for the large x
- Need for lighter-ion pA runs!

Average u and d quark modifications (in oxygen)

The average u and d valence and sea modifications

$$R_{u_V+d_V}^A = \frac{f_{u_V}^{p/A} + f_{d_V}^{p/A}}{f_{u_V}^p + f_{d_V}^p} \quad R_{\bar{u}+\bar{d}}^A = \frac{f_{\bar{u}}^{p/A} + f_{\bar{d}}^{p/A}}{f_{\bar{u}}^p + f_{\bar{d}}^p}$$

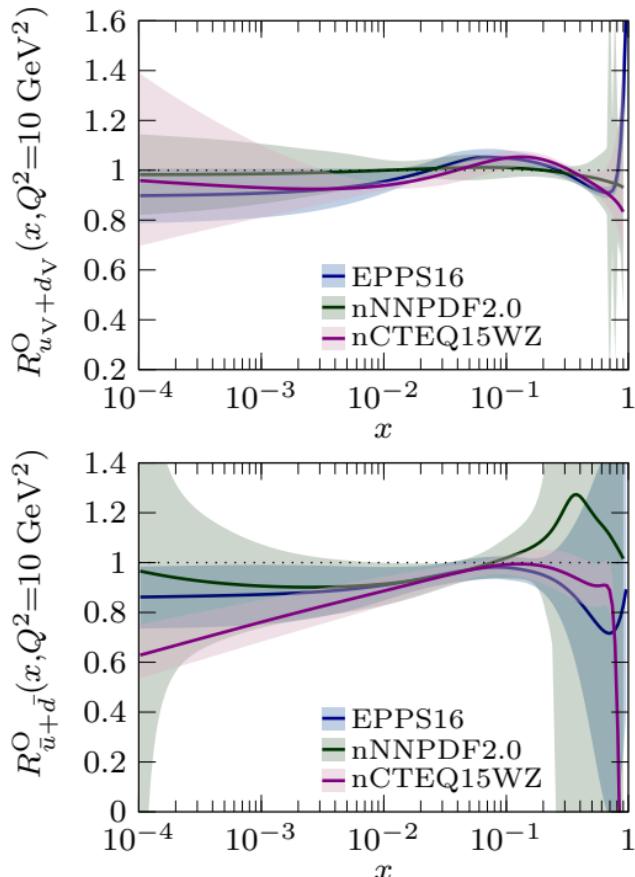
are under control (from interpolation)

Oxygen fully isoscalar

- No contribution from flavour asymmetry!
- From nPDF point of view, oxygen is “simpler” than lead

nNNPDF2.0 differs (again) from EPPS16 and nCTEQ15WZ due to not having fixed-target DY data

- Data from E772 indicate that there should be antishadowing for valence, but not for sea quarks



Gluon and strange modifications (in oxygen)

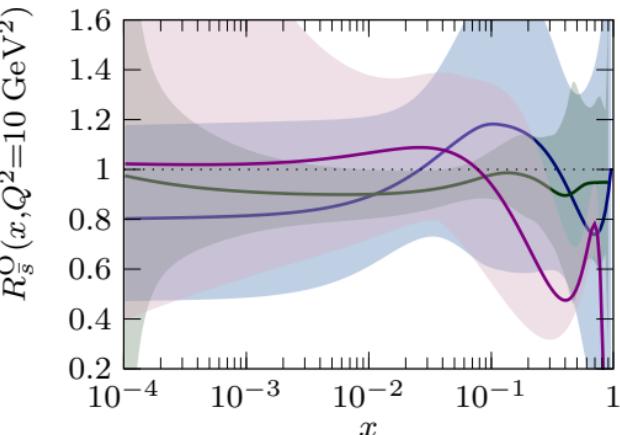
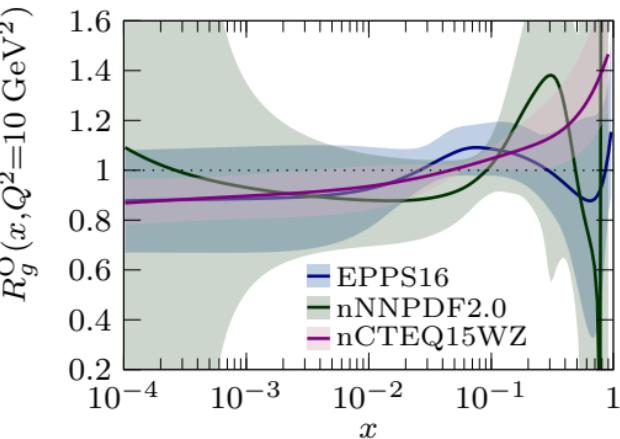
$$R_i^A(x, Q^2) = \frac{f_i^{P/A}(x, Q^2)}{\text{bound-proton PDF}} / \frac{f_i^P(x, Q^2)}{\text{free-proton PDF}}$$

No agreement for the shape of gluon modifications!

- Can cause significant uncertainties
e.g. for jet R_{OO}
- ! No direct data constraints available
- We could expect major improvement
from a LHC pO run

Large uncertainties also for the strange quark

- nNNPDF2.0 has smaller uncertainties here likely due to including NuTeV ν Fe CC DIS data
(interpolation, again)
- Measuring EW bosons in pO/OO might be able to test these



A case study: Dijet production in pO at 9.9 TeV

Similar setup as in the CMS 5.02 TeV pPb measurement

Total integrated pO cross section of $\sim 80 \mu\text{b}$

- Grows with larger $\sqrt{s_{\text{NN}}}$, decreases with smaller A
- Compare with $\sim 330 \mu\text{b}$ in pPb at 5.02 TeV
- Sufficient to give reasonable statistics even at relatively low luminosities

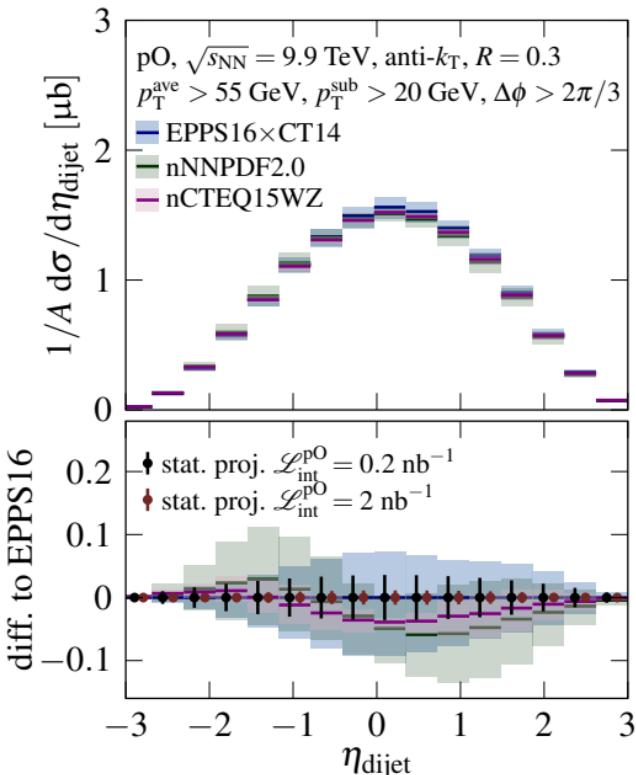
Here only single-differential

- Going multi-differential would improve locality in x and Q^2 (requires more luminosity)

Question: Systematic uncertainties?

N.B. For each nPDF, I am using the corresponding baseline free-proton PDF

- Calculations with nCTEQ15WZ do not include free-proton PDF uncertainties



*not corrected for hadronization effects
*not corrected for efficiency

Dijet production in pO at 9.9 TeV – free-proton uncertainties

Problem: absolute cross sections very sensitive to the used free-proton PDFs

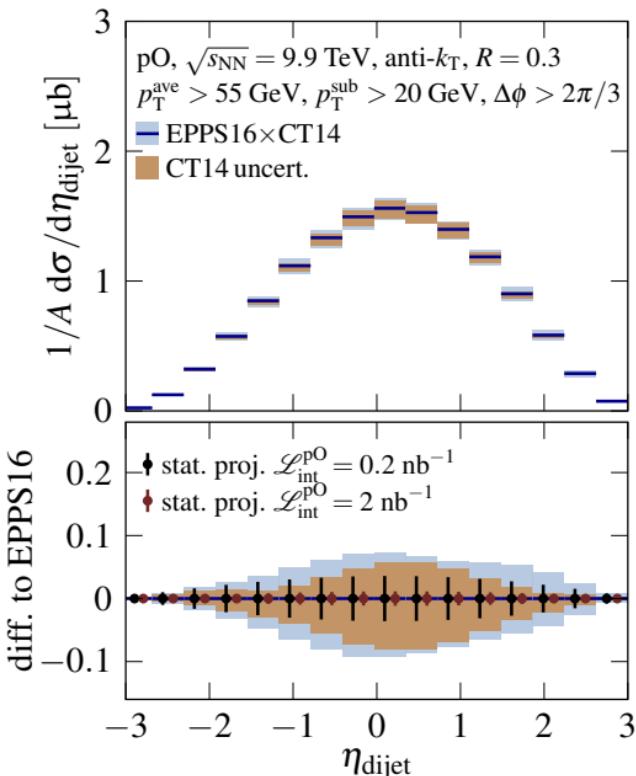
- Difficult to disentangle nuclear modifications from the free-proton d.o.f.s

N.B. In the EPPS framework, free-proton uncertainties enter both from the

- incoming proton PDFs: f_i^p
- incoming bound-nucleon PDFs: $f_i^{p/A} = R_i^A f_i^p$

Possible ways to mitigate the problem:

- Take forward-to-backward ratio (R_{FB})
- Take nuclear modification ratio ($R_{pPb}^{(\text{norm.})}$)
 - ▶ requires a pp reference measurement at the same collision energy



*not corrected for hadronization effects
*not corrected for efficiency

Dijet R_{FB} in pO at 9.9 TeV

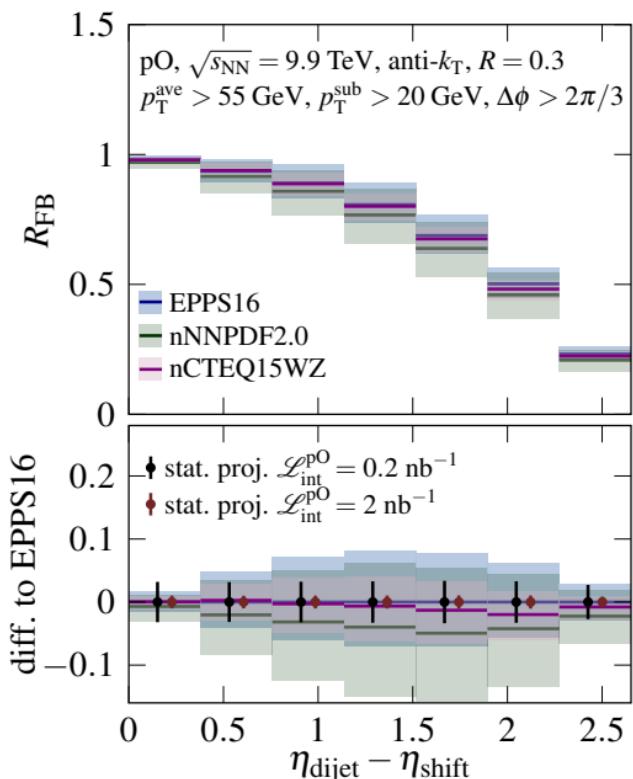
Excellent cancellation of free-proton PDFs

Luminosity (and hadronization) uncertainties also (expected to) cancel!

Already $\sim 1 \text{ nb}^{-1}$ can be expected to be enough to put new constraints on nPDFs

Problem: access only to nPDF small v.s. large x correlations – mixing different effects

- Forward shadowing and backward antishadowing pull to the same direction
- Even rather different nuclear modifications can yield similar shape for R_{FB}



Dijet $R_{\text{pO}}^{\text{norm.}}$ in pO at 9.9 TeV

Excellent cancellation of free-proton PDFs

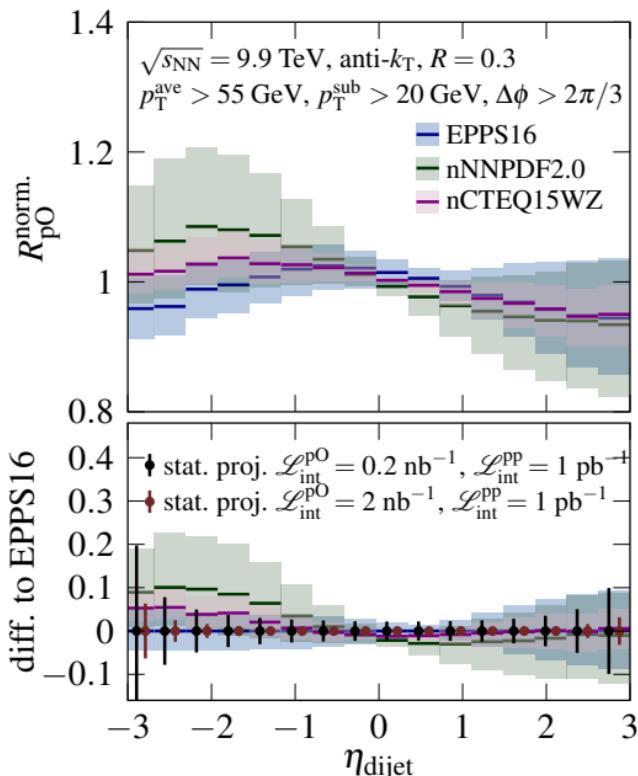
→ Direct access to nuclear modifications

Luminosity (and hadronization) uncertainties
also (expected to) cancel!

Already $\sim 1 \text{ nb}^{-1}$ can be expected to be enough to
put new constraints on nPDFs (if we have sufficient
statistics for the pp reference)

- Can resolve different nPDF parametrisations!
- We would heavily benefit from having the pp
reference!

The expected 2 nb^{-1} for LHCb should be enough
to give small- x gluon constraints also from
forward D-meson production!



EW bosons in pO and OO?

EW probes are more luminosity hungry

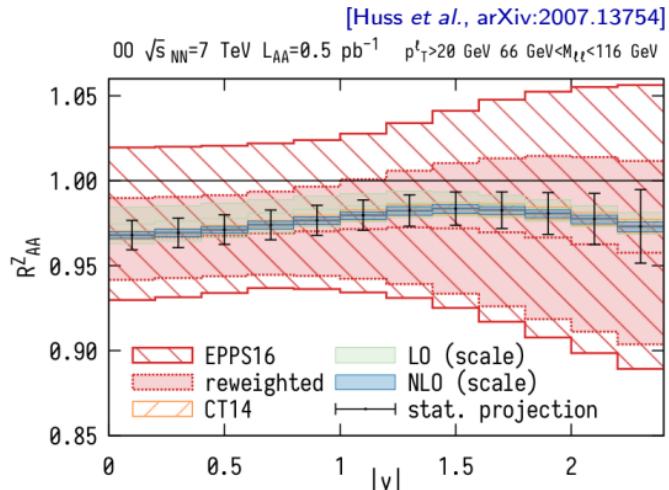
- We would need $\sim 2 \text{ pb}^{-1}$ for pO to get the same statistics as in the 8.16 TeV pPb run
- Larger cross section in OO \rightarrow less luminosity needed
 - ▶ Accurate determination of the luminosity uncertainty important

Large part of the uncertainties in these observables come from the poorly known gluons

- These we can constrain already with the hadronic observables in pO
 - (EW bosons still an important check for factorization / nPDF universality)

Since u/d flavour asymmetry does not contribute (isoscalarity), measuring W/Z bosons in pO/OO could provide unique constraints for strangeness nuclear modifications

→ Requires a further study



Summary

Where are we now with the nPDF global analyses?

- We have good understanding of the average valence and sea quark nuclear modifications, but flavour separation remains difficult to constrain
- Strong evidence from LHC (both hadronic & EW probes) for gluon shadowing & antishadowing
 - ▶ Lot of activity by different groups to include LHC data in their analyses

What can we learn from lighter-ion runs at the LHC?

- Already few nb^{-1} in pO could help us better understand gluon modifications in light nuclei
 - ▶ Important for setting the baseline for energy-loss studies in OO!
- W/Z production in pO/OO could serve as a test-bench for nuclear strangeness

Points for discussion:

- Can we expect a pp reference at the same energy as the pO run?
 - ▶ If we are expecting higher luminosity pPb and pp runs at 8.8 or 8.0 TeV, should we “tune” the pO run to that?
 - ▶ Does this impact the plans for “tuning” the OO collision energy?

Backup

What the nPDFs are?

Based on the collinear factorization of QCD:

$$d\sigma^{AB \rightarrow k+X} \stackrel{Q \gg \Lambda_{\text{QCD}}}{=} \sum_{i,j,X'} f_i^A(Q^2) \otimes d\hat{\sigma}^{ij \rightarrow k+X'}(Q^2) \otimes f_j^B(Q^2) + \mathcal{O}(1/Q^2)$$

The coefficient functions $d\hat{\sigma}^{ij \rightarrow k+X'}$ are calculable from perturbative QCD...

PDFs are *universal*, process independent, and obey the DGLAP equations

$$Q^2 \frac{\partial f_i^A}{\partial Q^2} = \sum_j P_{ij} \otimes f_j^A$$

How do we get the $f_i^{p/A}$?

... but the parton distribution functions f_i^A, f_j^B contain long-range physics and cannot be obtained by perturbative means

For a nucleus A , one can decompose

$$f_i^A(x, Q^2) = Z f_i^{p/A}(x, Q^2) + (A-Z) f_i^{n/A}(x, Q^2),$$

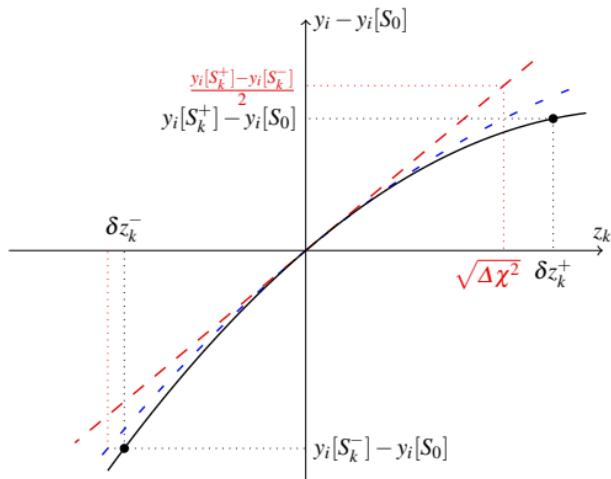
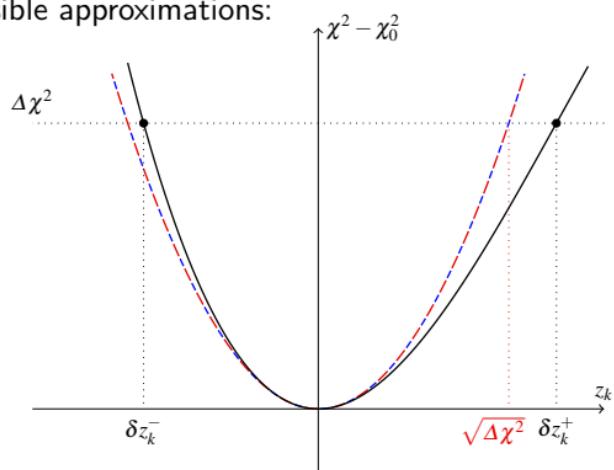
and assume $f_i^{p/A} \rightleftarrows_{\text{isospin}} f_j^{n/A}$

- Physical models: too numerous to cite here – 'Everybody's Model is Cool'
- Extract from lattice: not an easy task
- Fit to data: parametrize the x - and A -dependence – *the global analysis approach*

The Hessian reweighting is a method to study the impact of a new set of data on the PDFs without performing a full global fit

$$\chi^2_{\text{new}}(\mathbf{z}) = \chi^2_{\text{old}}(\mathbf{z}) + \sum_{ij} (y_i(\mathbf{z}) - y_i^{\text{data}}) C_{ij}^{-1} (y_j(\mathbf{z}) - y_j^{\text{data}})$$

Possible approximations:



quadratic-linear: $\chi^2_{\text{old}} \approx \chi^2_0 + \sum_k z_k^2$,

quadratic-quadratic: $\chi^2_{\text{old}} \approx \chi^2_0 + \sum_k z_k^2$,

cubic-quadratic: $\chi^2_{\text{old}} \approx \chi^2_0 + \sum_k (a_k z_k^2 + b_k z_k^3)$,

$y_i \approx y_i[S_0] + \sum_k d_{ik} z_k$

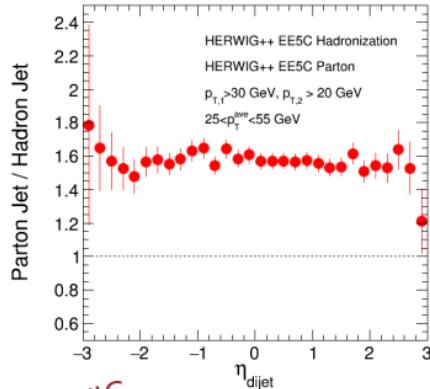
$y_i \approx y_i[S_0] + \sum_k (d_{ik} z_k + e_{ik} z_k^2)$

$y_i \approx y_i[S_0] + \sum_k (d_{ik} z_k + e_{ik} z_k^2)$

Cancellation of hadronization effects

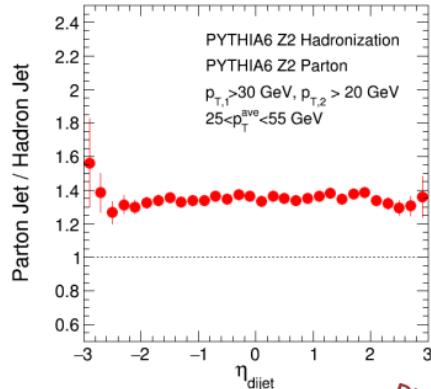
slide from: Doga Gulhan, HI Jet Workshop, July 2016

HERWIG



Cross-section ratios

PYTHIA

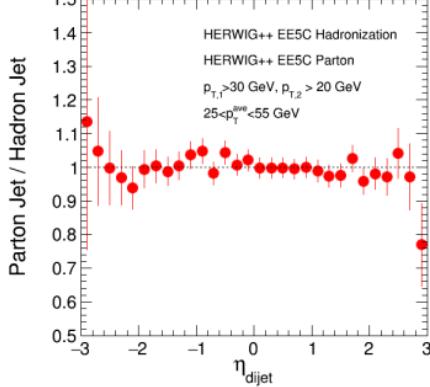


Hadronization uncertainty

Parton jets have higher cross section for $R = 0.3$ jets with same kinematic selections compared to hadron jets

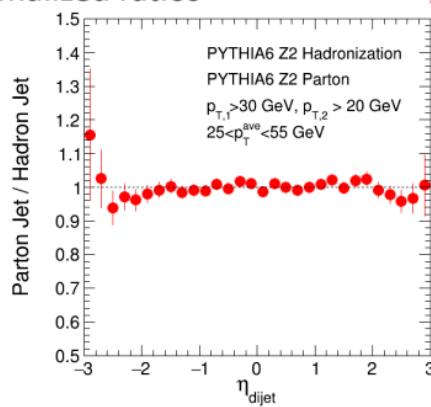
Parton jets are harder fragmenting

HERWIG

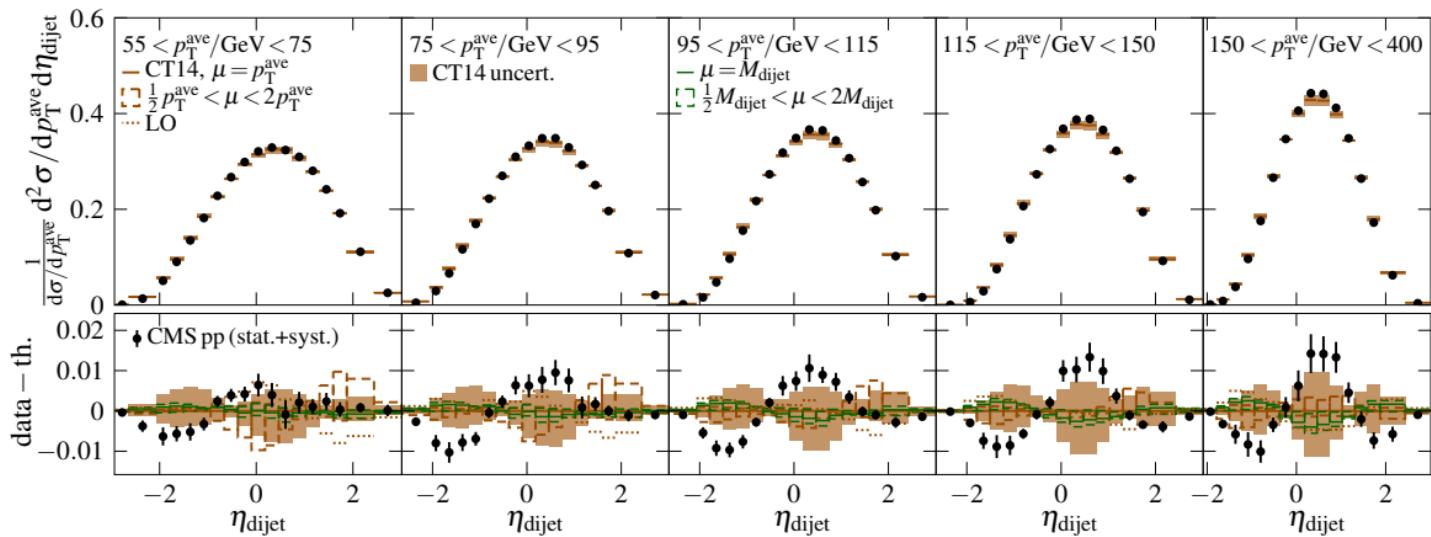


Area normalized ratios

PYTHIA



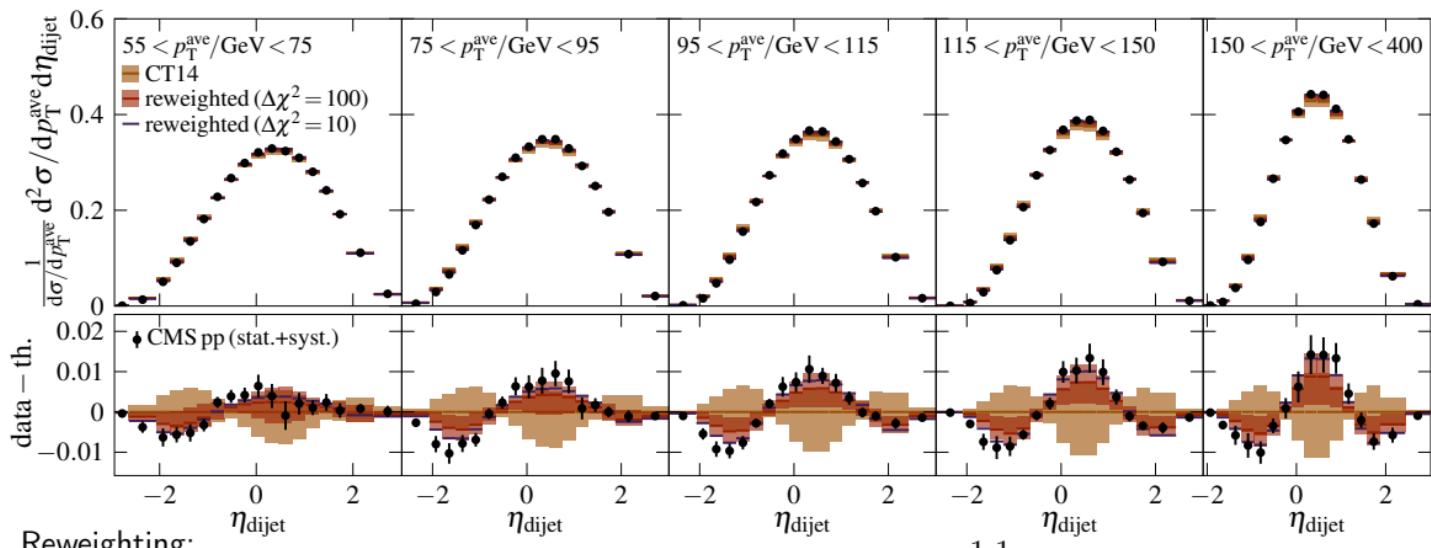
After self normalization effect of hadronization is negligible



- Predicted NLO distributions somewhat wider than the measured spectra
- High- p_T^{ave} midrapidity robust against scale variations and LO-to-NLO effects
 - can expect NNLO corrections to be small in this region
 - observed discrepancy seems to be a PDF related issue
- Refitting might be needed to improve agreement with data
 - study the impact with the reweighting method

CMS dijets at pp – CT14 reweighted

[Eskola, PP & Paukkunen, Eur.Phys.J.C 79 (2019) 511]

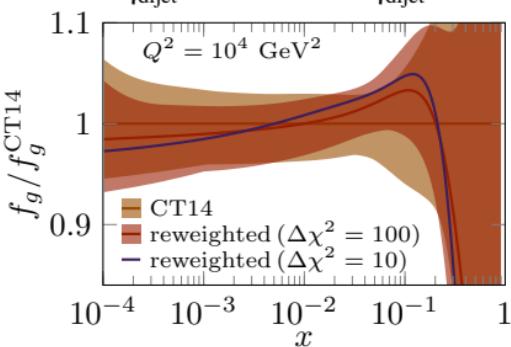


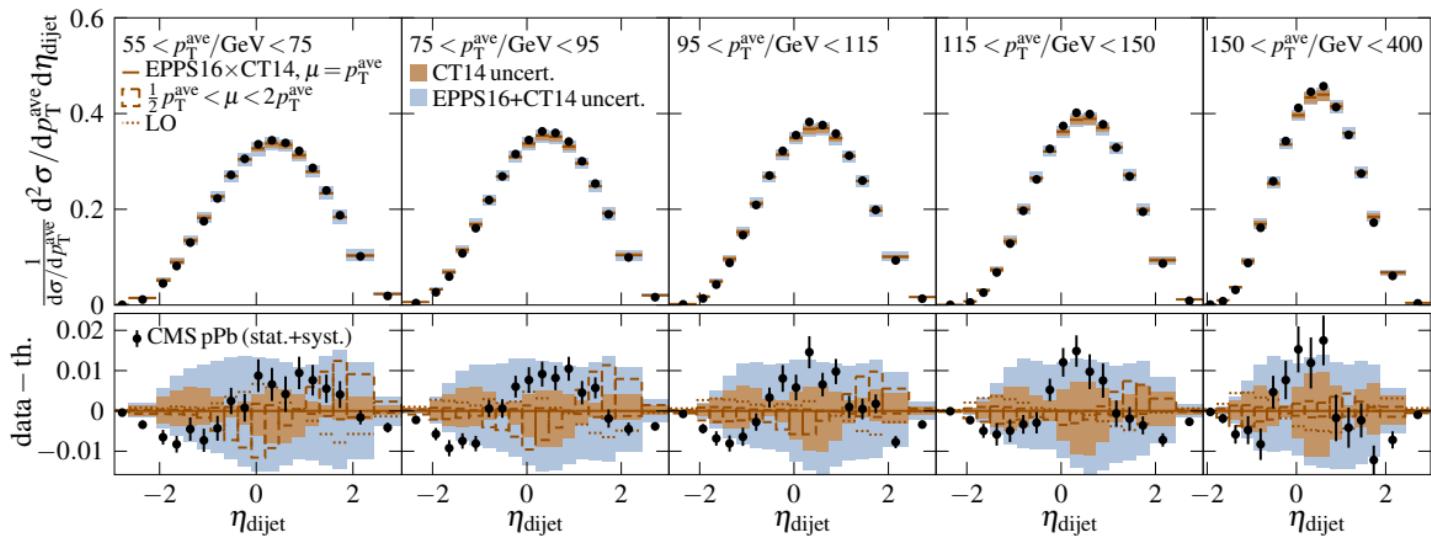
Reweighting:

- improves midrapidity description
- is not able to fully reproduce data at large rapidities even when applied with additional weight ($\Delta\chi^2 = 10$) (high- x parametrization issue? NNLO? data systematics?)

Significant gluon modifications needed especially at large x

- also valence quarks get modified

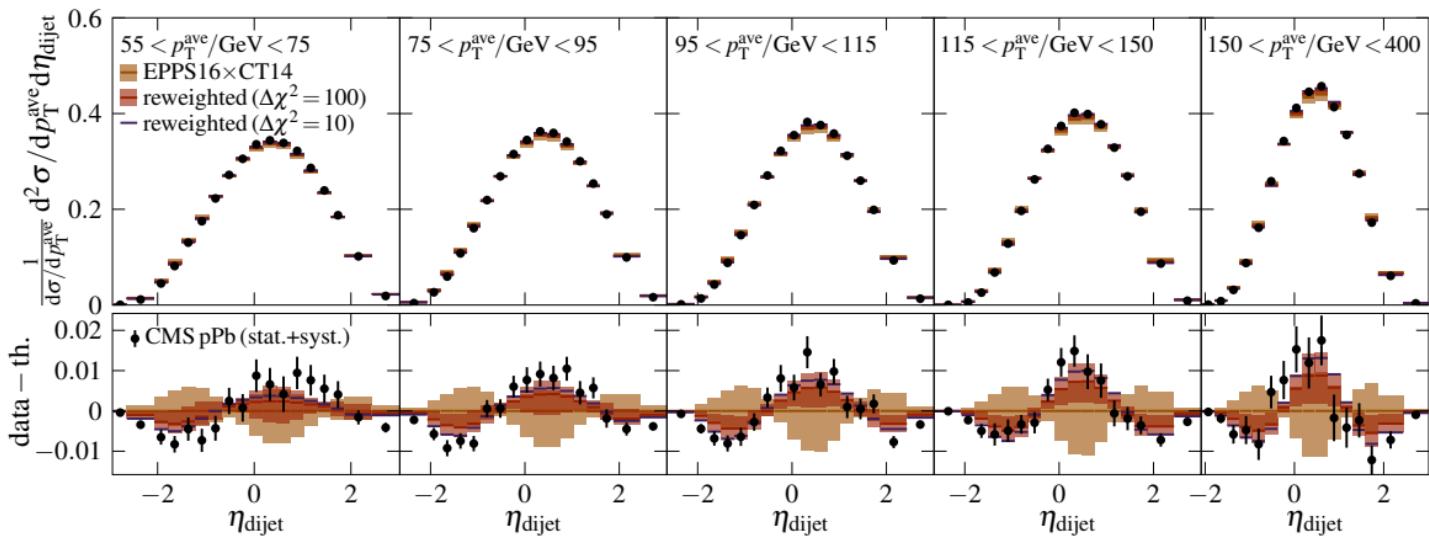




- pPb data deviates from NLO calculations *almost the same way* as the pp data
 - had we not seen the same deviations in pp, we might have interpreted this as a fault in our nuclear PDFs
- Compared to pp case we have additional suppression in data compared to theory at forward rapidities
 - implication of deeper gluon shadowing

CMS dijets at **pPb** after CT14 reweighting

[Eskola, PP & Paukkunen, Eur.Phys.J.C 79 (2019) 511]



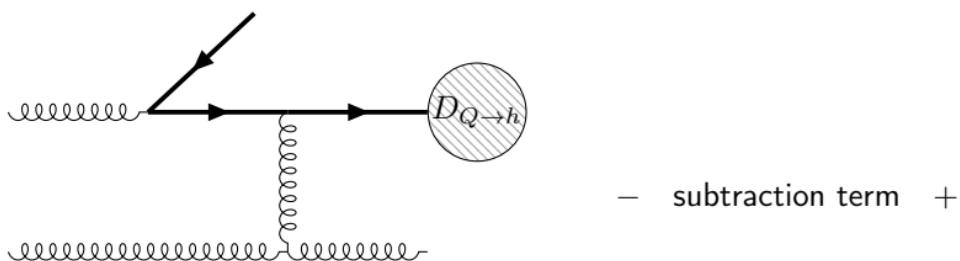
- Modifications needed in CT14 to describe pp data have large impact on pPb predictions
 - it is imperative to understand the pp baseline before making far-reaching conclusions from pPb data
- Using these data directly in nuclear PDF analysis with CT14 proton PDFs would lead to
 - ▶ overestimating nuclear effects
 - ▶ large scale-choice bias
 - Consider nuclear modification factor instead

Heavy-flavour production mass schemes

FFNS

In *fixed flavour number scheme*, valid at small p_T , heavy quarks are produced only at the matrix element level

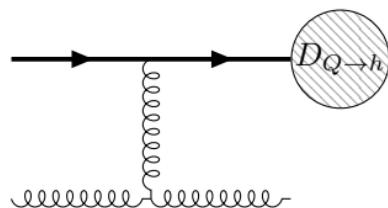
Contains $\log(p_T/m)$ and m/p_T terms



ZM-VFNS

In *zero-mass variable flavour number scheme*, valid at large p_T , heavy quarks are treated as massless particles produced also in ISR/FSR

Resums $\log(p_T/m)$ but ignores m/p_T terms



GM-VFNS

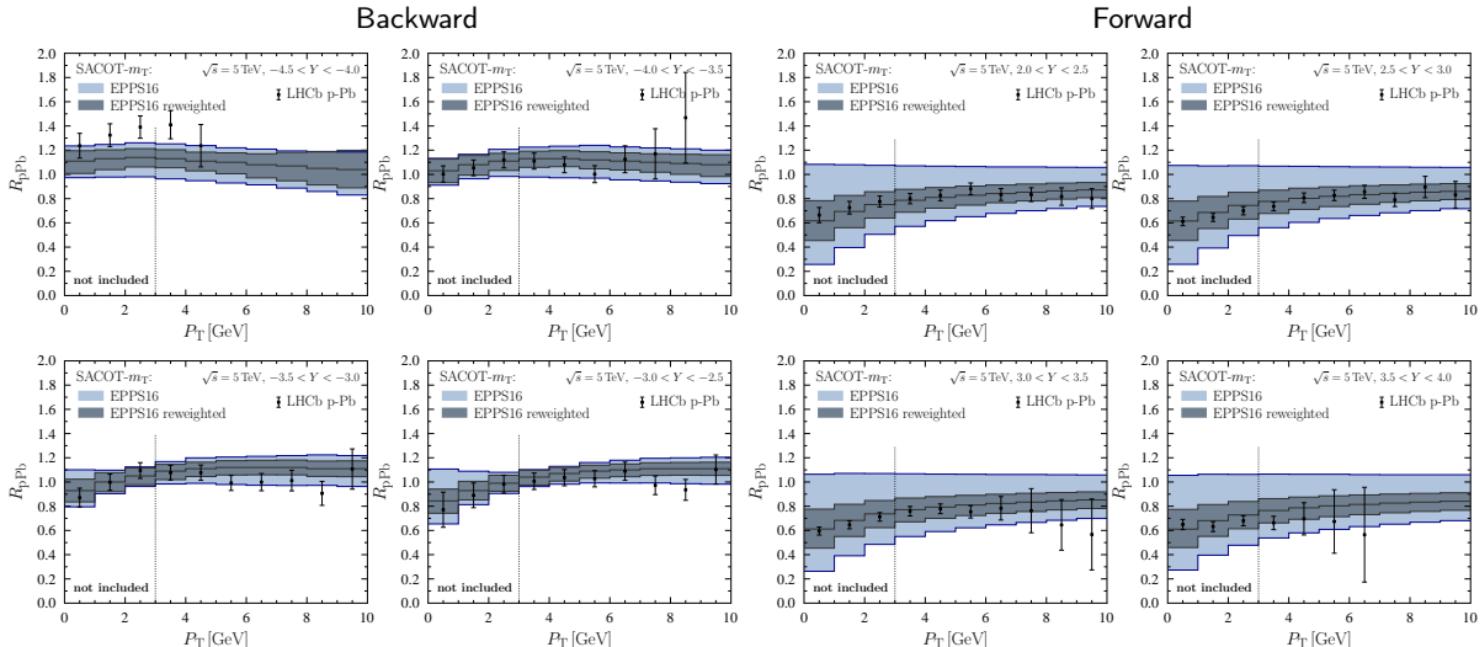
A *general-mass variable flavour number scheme* combines the two by supplementing subtraction terms to prevent double counting of the resummed splittings, valid at all p_T

Resums $\log(p_T/m)$ and includes m/p_T terms in the FFNS matrix elements

Important: includes also **gluon-to-HF fragmentation** – large contribution to the cross section!

EPPS16 reweighted LHCb D-meson R_{pPb}

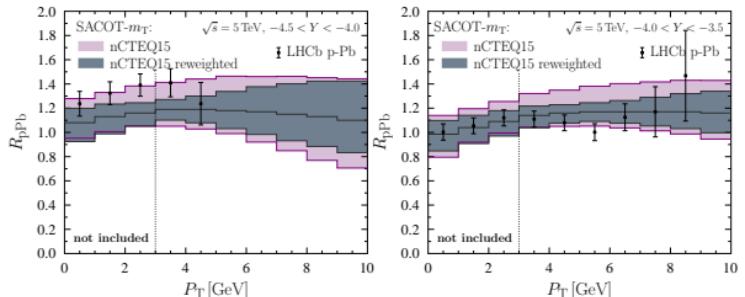
[Eskola, Helenius, PP & Paukkunen, JHEP 05 (2020) 037]



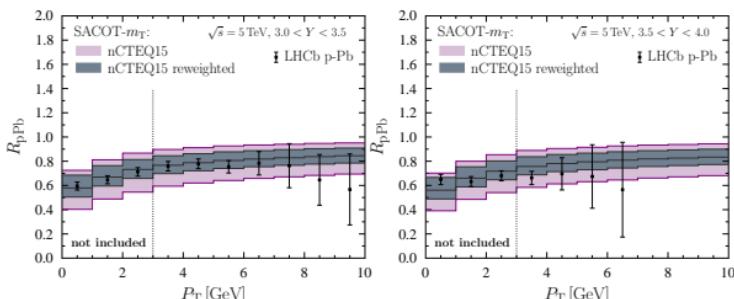
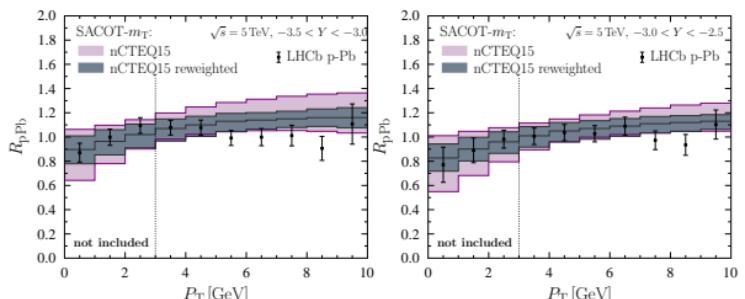
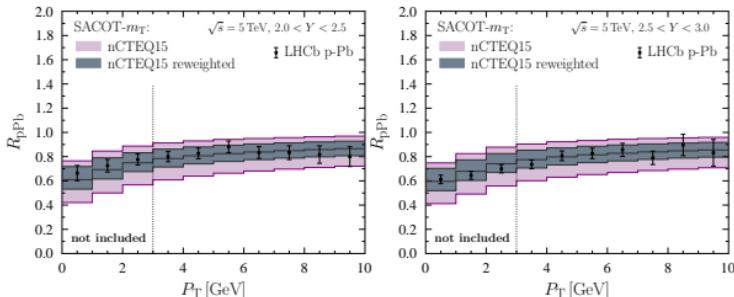
- Data well reproduced with the reweighted results
- Significant reduction in EPPS16 uncertainties especially in forward bins
- Good agreement with data below cut – no physics beyond collinear factorization needed

nCTEQ15 reweighted LHCb D-meson R_{pPb} [Eskola, Helenius, PP & Paukkunen, JHEP 05 (2020) 037]

Backward

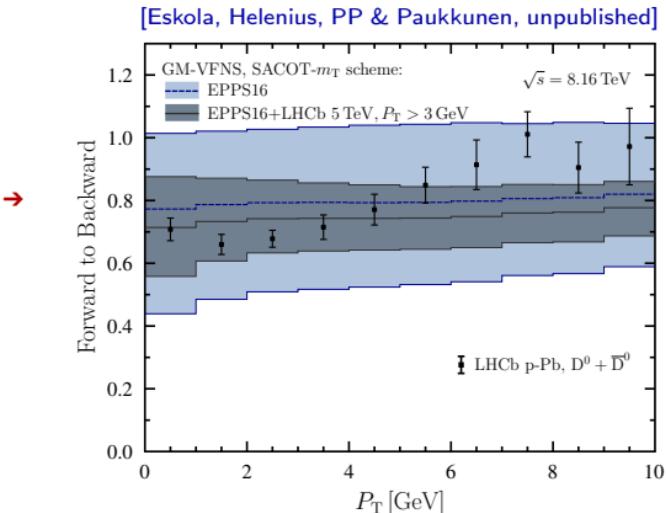
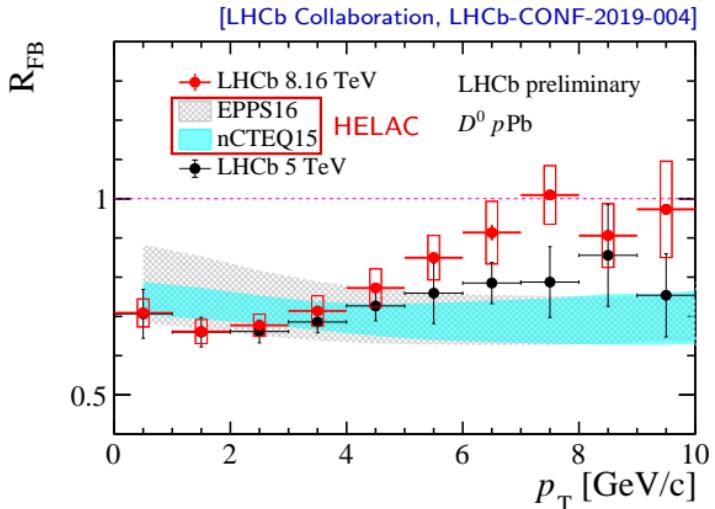


Forward



- Uncertainties smaller to begin with in the forward direction (less flexible small- x parametrization) while larger in backward – almost identical results
- Data well reproduced

D-mesons at 8.16 TeV – do we have tension?



QM2019 LHCb summary talk:

"Tension between data and nPDFs predictions. Additional effects required."

→ *Theoretical description matters, HELAC predicts much smaller nPDF uncertainties for R_{FB} than SACOT- m_T !*

The slope of the 8.16 TeV data still differs from that in nPDF predictions and in 5.02 TeV data

→ How can we explain the difference?