

One-loop corrections to the Higgs boson invisible decay in the dark doublet phase of the N2HDM

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The problem

The **Standard Model**, while very accurate, still cannot explain several experimental observations. One of these observations is the existence of **Dark Matter**.

The model

Next-to-Minimal 2 Higgs Doublet Model (**N2HDM**)

- **SM extension** with additional $SU(2)_L$ doublet and singlet.
- Two \mathbb{Z}_2 symmetries in the potential
- **Dark Doublet Phase (DDP)**: the singlet and one of the doublets have non zero VEV.

The new particles

The N2HDM features several **new scalar particles** including **two DM candidates**

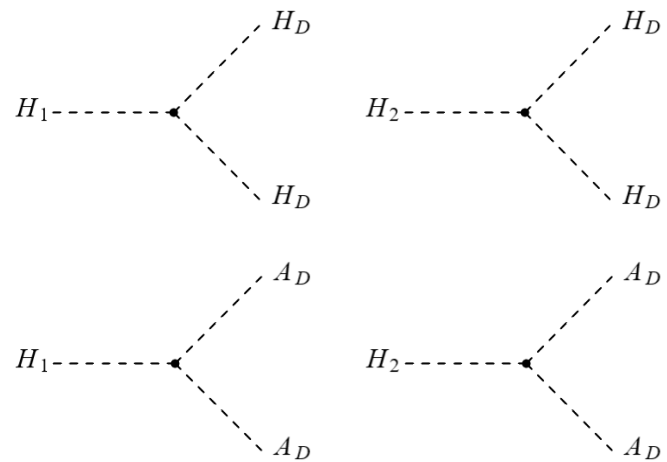
Scalar Higgses	H_1	H_2
Charged Higgses	H^+	H^-
DM Candidates	H_D	A_D

The objective

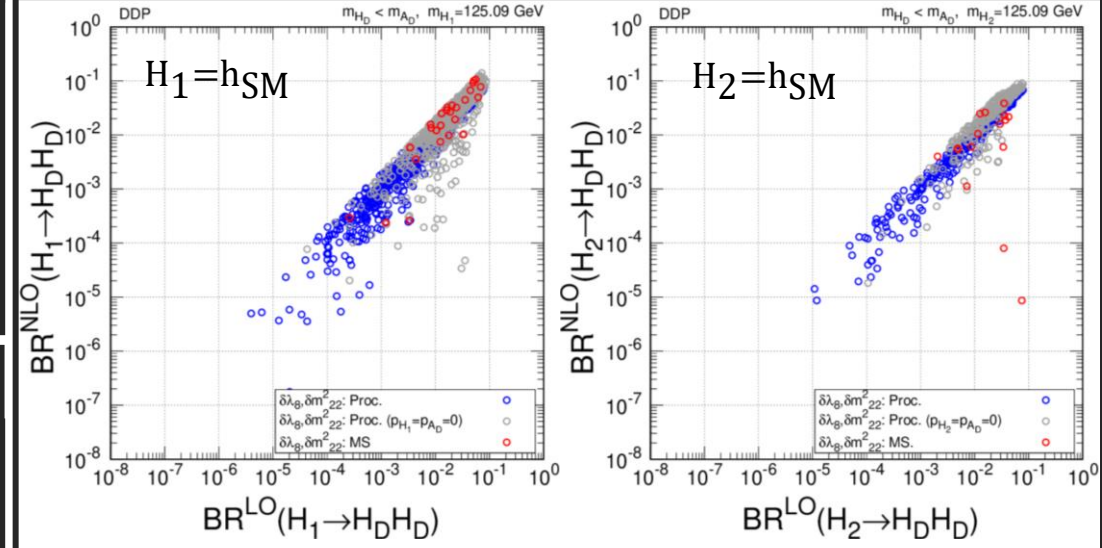
- Calculate the **radiative corrections** to the decay rates of the SM-like scalars to the DM candidates.
- **Constrain the parameter space** of the model by comparing the loop-corrected rates to the current limit on the Higgs-to-invisible decay rate.

The invisible decays

The N2HDM allows for four possible decays of the Higgs to dark matter candidates.



The results



• MS-bar • OS Proc • ZEM Proc

- Experimental measurements on properties of the Higgs boson set the upper limit for the Higgs-to-invisible branching ratio to 0.10.
- NLO corrections using the **MS-bar scheme** on the dark coupling parameters are very **numerically unstable**.
- Using a **process dependent** renormalization scheme (OS or ZEM), most points of the parameter space have branching ratios **below the limit**.

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BACKUP

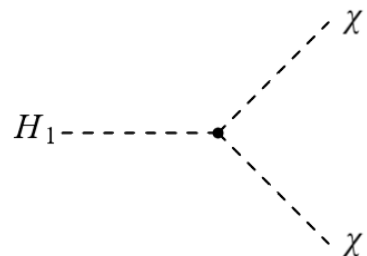
N2HDM Scalar Sector

<p>Fields</p> $\Phi_1 = \begin{pmatrix} \phi_1^\pm \\ \frac{1}{\sqrt{2}}(v_1 + \rho_1 + i\eta_1) \end{pmatrix}$ $\Phi_2 = \begin{pmatrix} \phi_2^\pm \\ \frac{1}{\sqrt{2}}(v_2 + \rho_2 + i\eta_2) \end{pmatrix}$ $\Phi_S = v_S + \rho_S$	<p>Potential</p> $m_{11}^2 \Phi_1 ^2 + m_{22}^2 \Phi_2 ^2 - m_{12}^2 (\Phi_1^\dagger \Phi_2 + h.c.) + \frac{\lambda_1}{2} \Phi_1 ^4 + \frac{\lambda_2}{2} \Phi_2 ^2 + \lambda_3 \Phi_1 ^2 \Phi_2 ^2 + \lambda_4 \Phi_1^\dagger \Phi_2 \Phi_2^\dagger \Phi_1 + \frac{\lambda_5}{2} \left((\Phi_1^\dagger \Phi_2)^2 + h.c. \right)$ $+ \frac{m_S^2}{2} \Phi_S^2 + \frac{\lambda_6}{8} \Phi_S^4 + \frac{\lambda_7}{2} \Phi_1 ^2 \Phi_S^2 + \frac{\lambda_8}{2} \Phi_2 ^2 \Phi_S^2$
	<p>Symmetries</p> $\mathbb{Z}_2^{(1)}: \quad \Phi_1 \rightarrow \Phi_1, \quad \Phi_2 \rightarrow -\Phi_2, \quad \Phi_S \rightarrow \Phi_S$ $\mathbb{Z}_2^{(2)}: \quad \Phi_1 \rightarrow \Phi_1, \quad \Phi_2 \rightarrow \Phi_2, \quad \Phi_S \rightarrow -\Phi_S$

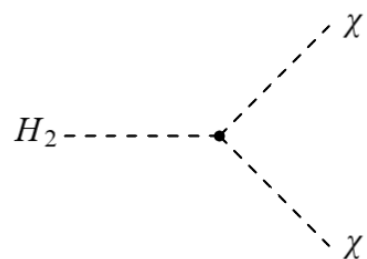
Dark Doublet Phase

<p>Vacuum configuration</p> $v_1 = v_{SM} \quad v_2 = 0 \quad v_S \neq 0$	<p>Mass eigenstates</p> $H_1 = \cos \alpha \rho_1 - \sin \alpha \rho_S$ $H_2 = \sin \alpha \rho_1 + \cos \alpha \rho_S$ $H_D = \rho_2$ $A_D = \eta_2$ $H^\pm = \phi_2^\pm \quad m_{H_1} \leq m_{H_2}$	<p>Mass basis reparameterization</p> $\{m_{H_1}^2, m_{H_2}^2, m_{H_D}^2, m_{A_D}^2, m_{H^\pm}^2, v_{SM}, v_S, \alpha, m_{22}^2, \lambda_2, \lambda_8\}$
<p>Minimum conditions</p> $m_{11}^2 = -\frac{1}{2}(v_{SM}\lambda_1 + v_S\lambda_7)$ $m_S^2 = -\frac{1}{2}(v_{SM}\lambda_7 + v_S\lambda_6)$ $m_{12}^2 = 0$	<p>Goldstone bosons</p> $G^0 = \eta_1 \quad G^\pm = \phi_1^\pm$	<p>SM Higgs-like decays to DM candidates</p>

Process renormalization



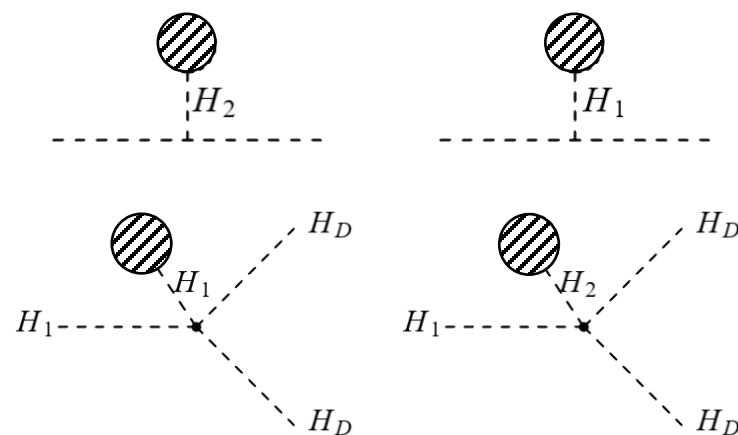
$$\lambda_{H_1\chi\chi} = \frac{\cos \alpha}{v} (\lambda_8 v_S^2 + 2m_{22}^2 - 2m_\chi^2) - \sin \alpha \lambda_8 v_S$$



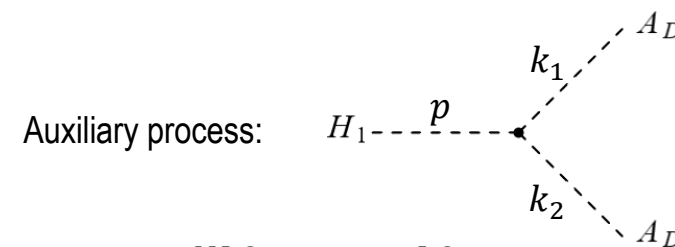
$$\lambda_{H_2\chi\chi} = -\frac{\sin \alpha}{v} (\lambda_8 v_S^2 + 2m_{22}^2 - 2m_\chi^2) - \cos \alpha \lambda_8 v_S$$

Parameters	Renormalization scheme
$m_{H_1}^2, m_{H_2}^2, m_{H_D}^2, m_{A_D}^2$	On-Shell
H_1, H_2, H_D, A_D	On-Shell
v_{SM}, v_S	Alternative tadpole
α	On-Shell + pinch technique
m_{22}^2, λ_8	MS-bar
	On-Shell Process dependent (OS Proc)
	Zero External Momenta Process dependent (ZEM Proc)

Alternative tadpole scheme



Process dependent scheme



$$\Gamma_{H_1 A_D A_D}^{NLO} = \Gamma_{H_1 A_D A_D}^{LO}$$

Momentum	OS Proc	ZEM Proc
p^2	$m_{H_1}^2$	0
k_1^2, k_2^2	$m_{A_D}^2$	0