

Probing charged lepton number violation via $\ell\ell'WW$



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Based on Mayumi Aoki, KE, Shinya Kanemura, PRD 101 (2020) 115019 and the work in progress.

I. Introduction ($\ell\ell'WW$ operator)

- The origin of tiny neutrino masses is still unknown.

A key to solving the mystery

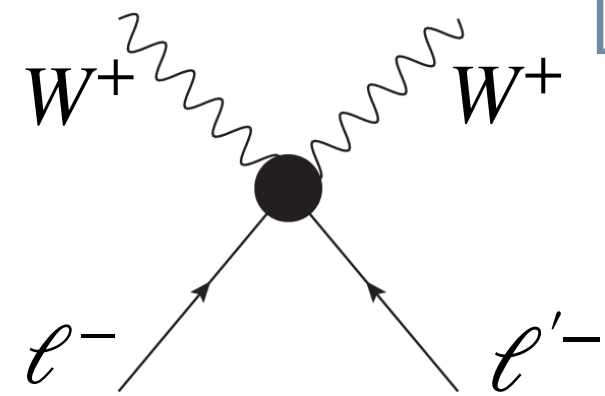
Lepton Number Violation (LNV)

LNV at high energies = LNV higher dimensional operators

[Weinberg, PRL(1979)], [Babu, Leung, NPB(2001)]

$\ell\ell'WW$ operators

[F. del Aguila, et al, JHEP 05 (2012); JHEP 06 (2012)]



$$\bar{\ell}_L^c \ell'_L W_\mu^+ W^{+\mu}, \quad \bar{\ell}_R^c \ell'_R W_\mu^+ W^{+\mu}$$

- They include only charged leptons (not ν)
- Rich phenomenology would be expected.

II. Lagrangian

- $\ell\ell'WW$ oeps. are from gauge invariant $d = 7$ or $d = 9$ LNV opes.

[F. del Aguila, et al, JHEP(2012)], [M. Gustafsson, PRL(2013)]

Left-Handed (LH)

$$\ell\ell'WW \quad \mathcal{L} = \mathcal{L}_{SM} + \frac{C_5^{\ell\ell'}}{\Lambda} (\bar{\tilde{L}}_\ell H) (\tilde{H}^\dagger L_{\ell'}) + \frac{C_7^{\ell\ell'}}{\Lambda^3} (\bar{\tilde{L}}_\ell D_\mu L_{\ell'}) (\tilde{H}^\dagger D^\mu H)$$

Weinberg ope.

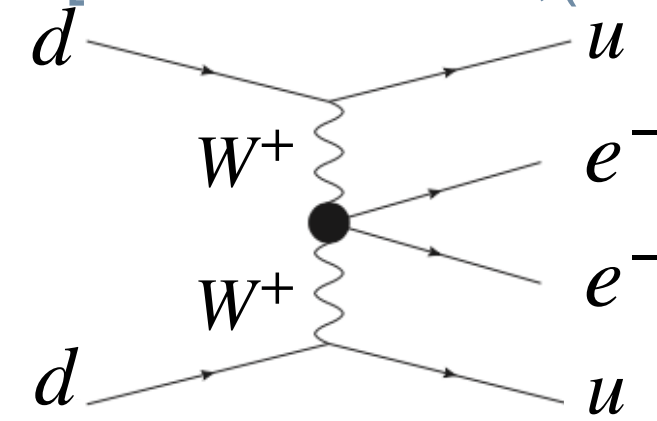
Right-Handed (RH)

$$\ell\ell'WW \quad \mathcal{L} = \mathcal{L}_{SM} + \frac{C_5^{\ell\ell'}}{\Lambda} (\bar{\tilde{L}}_\ell H) (\tilde{H}^\dagger L_{\ell'}) + \frac{C_9^{\ell\ell'}}{\Lambda^5} (\bar{\ell}_R^c \ell'_R) (\tilde{H}^\dagger D_\mu H)^2$$

- Neutrino masses are generated by Weinberg ope. at tree level.
- $d = 7, 9$ opes. contribute to ν masses at loop level (Sec.IV)

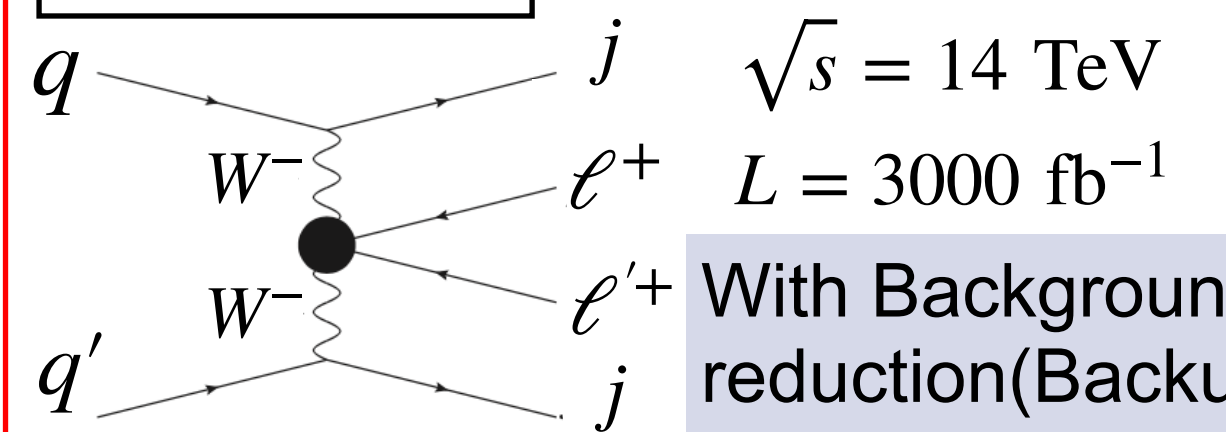
III. $\ell\ell'WW$ in $0\nu\beta\beta$ and hadron colliders

$0\nu\beta\beta$ $T_{1/2} > 10^{26}$ years
[Kamland-Zen, (2018)]



	Lower limit
LH	$\Lambda \gtrsim 8.4$ TeV
RH	$\Lambda \gtrsim 1.8$ TeV

$pp \rightarrow \ell^+ \ell'^+ jj$ at HL-LHC



	Lower limit	
	$\ell = \ell'$	$\ell \neq \ell'$
LH	$\Lambda \gtrsim 1.8$ TeV	2.3 TeV
RH	$\Lambda \gtrsim 0.71$ TeV	0.82 TeV

- $\ell\ell'WW$ opes. can be directly tested at HL-LHC.
- For (e, e) channel, current $0\nu\beta\beta$ limit is very stringent, however, HL-LHC can be useful to test other flavor channels.

IV. Loop-level analysis (Work in progress)

- The above results are tree level analysis.
- The origin of $\ell\ell'WW$ operators ($d = 7, 9$) contribute to Majorana ν masses at loop level.
- To consider the constraints from ν mass matrix data, loop level analysis is needed.
- It is the work in progress, and current status is explained in Backup

Backup slide1

A. Details of Background reduction

SM backgrounds

- $pp \rightarrow \ell^+ \ell^- jj$ with charge mis-id. ←
- $pp \rightarrow \ell^+ \ell'^+ \nu_{\ell} \nu_{\ell'} jj$

Background for only flavor diagonal channel

Kinematical cuts

Basic cuts (due to detector performance)

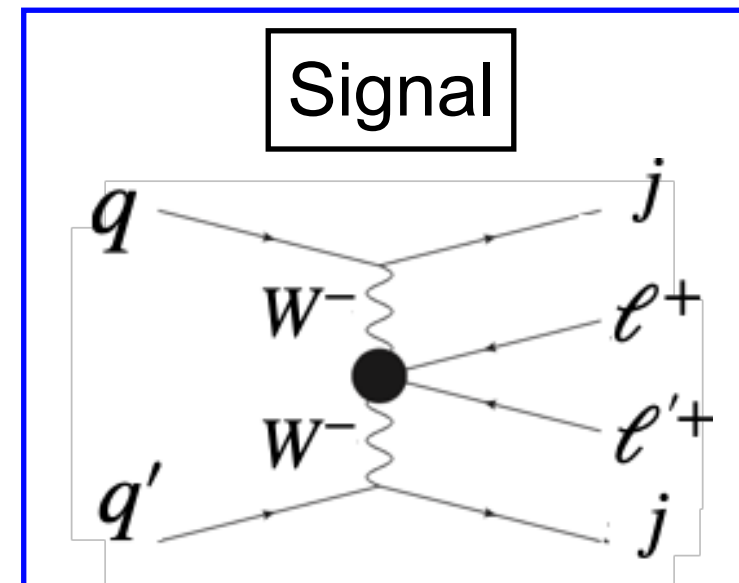
$$p_T^j > 30 \text{ GeV}, \quad |\eta_j| < 5.0, \quad p_T^{\ell} > 20 \text{ GeV}, \quad |\eta_{\ell}| < 2.5$$

VBF cuts

$$m_{jj} > 500 \text{ GeV}, \quad |\Delta\eta_{jj}| > 2.5$$

Other cuts

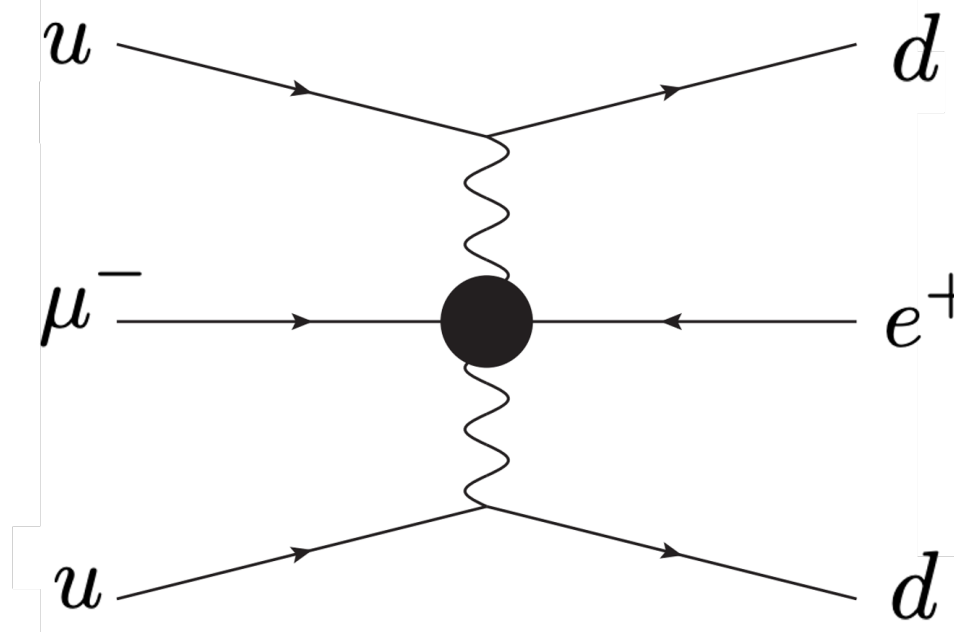
$$p_T^{\ell} > 500 \text{ GeV}, \quad \cancel{p}_T < 20 \text{ GeV}$$



$C/\Lambda = 1 \text{ TeV}^{-1}$	Basic cut	+ VBF cut	+ \cancel{p}_T cut	+ p_T^{ℓ} cut
Signal (pb)	4.69	4.5	4.5	2.9
eff.	-	96 %	100 %	64 %
$\mu^+ \mu^- jj$ (pb)	117	4.1	4.1	5.3×10^{-5}
eff.	-	3.5%	100%	$1.3 \times 10^{-3} \%$
$\mu^+ \mu^+ \nu_{\mu} \nu_{\mu} jj$ (pb)	3.71×10^{-3}	1.40×10^{-3}	6.5×10^{-5}	6×10^{-9}
eff.	-	38 %	4.6 %	0.01 %

※ C/Λ is coefficient of $d = 5$ $\ell\ell'WW$ ope.

B. $\ell\ell'WW$ in $\mu^- - e^+$ conversion

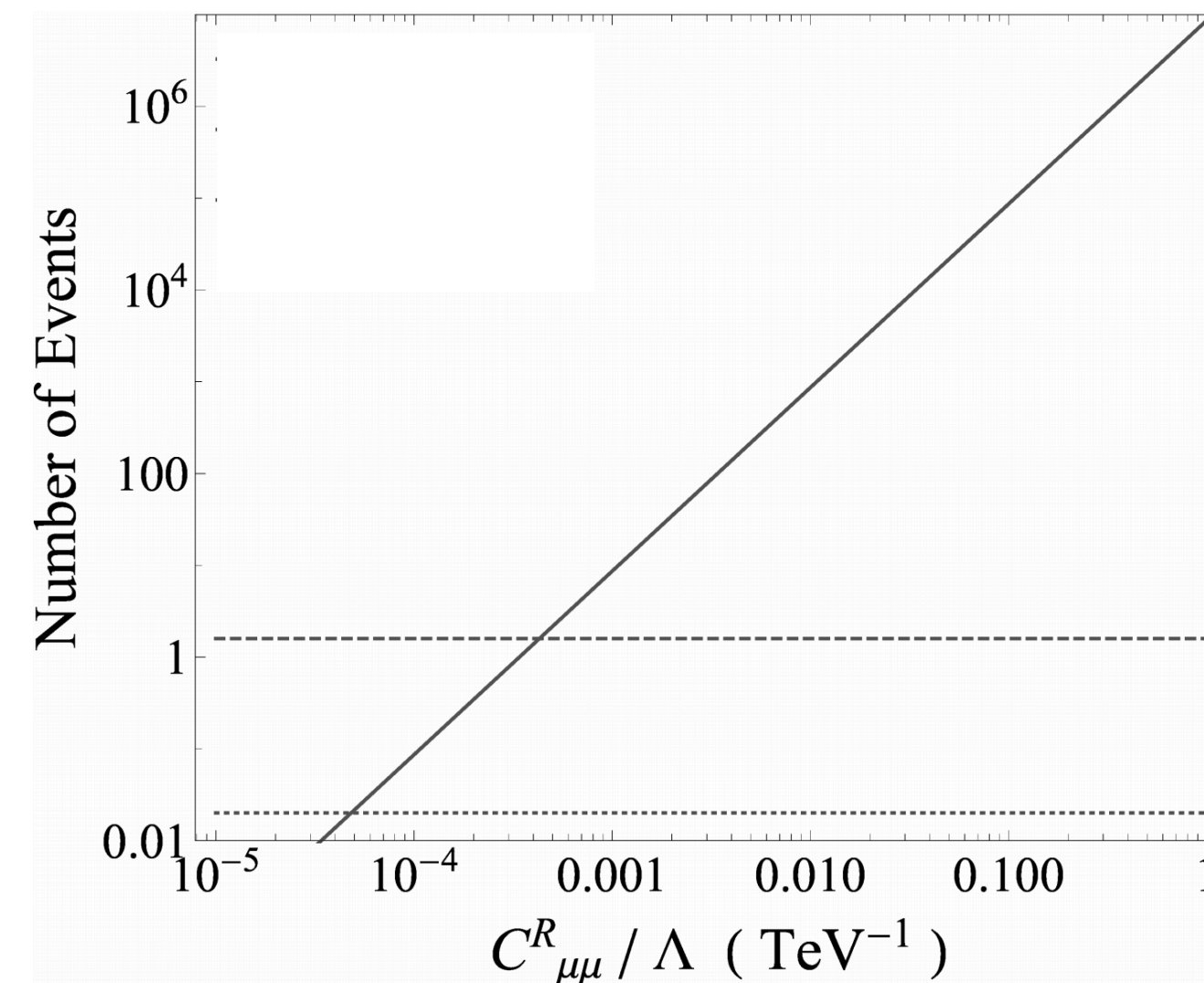


	Lower limit
LH	$\Lambda \gtrsim 3.3 \times 10^{-4} \text{ TeV}$
RH	$\Lambda \gtrsim 4.1 \times 10^{-3} \text{ TeV}$

Too weak limit

$$\frac{\Gamma(\mu^- + \text{Ti} \rightarrow e^+ + \text{Ca})}{\Gamma(\mu^- + \text{Ti} \rightarrow \nu_{\mu} + \text{Sc})} < 1.7 \times 10^{-12}$$

[SINDRUM-II, (1998)]



We assume that the charge mis-id rate $r = 1 \%$

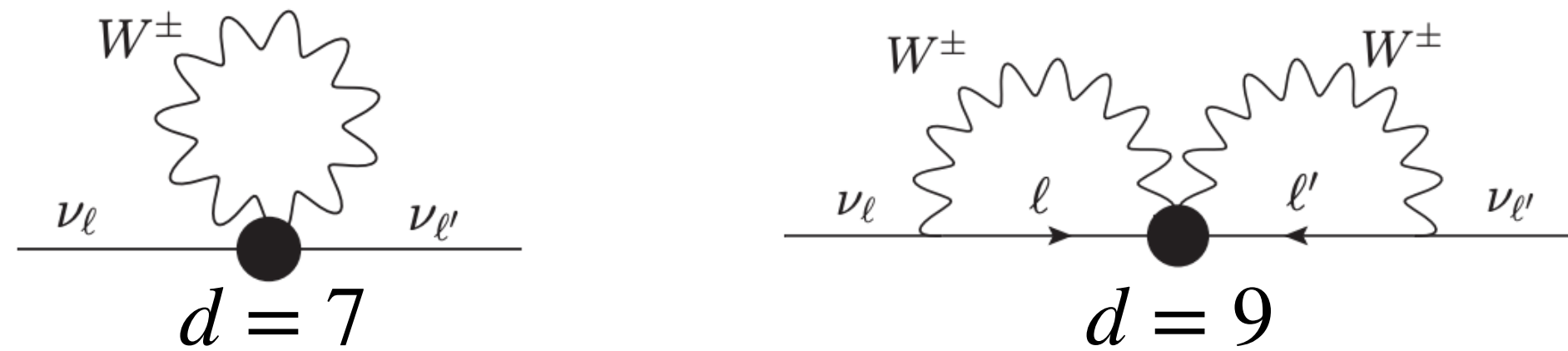
- $\mu^+ \mu^+ jj$ (signal)
- - - $\mu^+ \mu^- jj \times r$
- $\mu^+ \mu^+ \nu_{\mu} \nu_{\mu} jj$

Backup slide2

C. Loop-level analysis (Work in progress)

- $d = 7$ (9) operators contribute Majorana ν masses at one- (two-) loop level.

$$(\bar{L}_\ell D_\mu L_{\ell'}) (\tilde{H}^\dagger D^\mu H) \rightarrow \bar{\nu}_{\ell L}^c \nu_{\ell' L} W^{+\mu} W_\mu^+$$



$$M_\nu^{1(2)\text{-loop}} = \frac{v^2}{\Lambda} C_5^{\ell\ell'} + \delta \left(\frac{v^2}{\Lambda} C_5^{\ell\ell'} \right) + \left(\text{Contributions from } d = 7 \text{ (9) LNV opes.} \right)$$

tree level:
Weinberg ope.

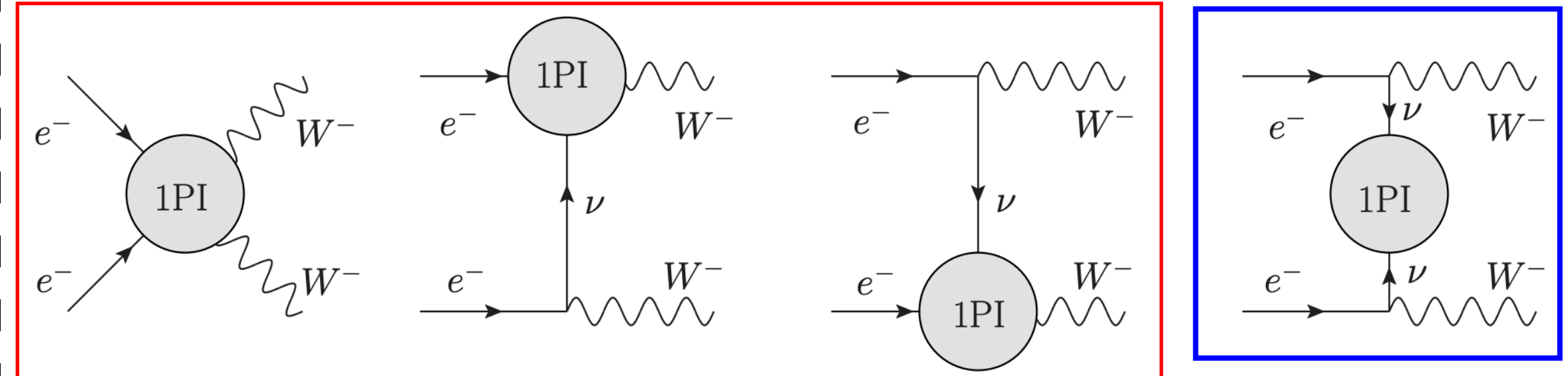
1-loop (2-loop) level

- The counter term $\delta \left(\frac{v^2}{\Lambda} C_5^{\ell\ell'} \right)$ can be determined by on-shell condition to neutrino two point function.

Neutrino mass matrix data

Q. How does the counter terms $\delta \left(\frac{v^2}{\Lambda} C_5^{\ell\ell'} \right)$ determined by neutrino mass matrix data change the results in the tree level analyses (in my presentation) ?

To answer the question, we must to be decide other counter terms.



At loop level,
the counter terms of $d \geq 7$ LNV opes. contribute.

$$\delta \left(\frac{v^2}{\Lambda} C_5^{\ell\ell'} \right)$$

- In general, it is **not possible** to determine all of counter terms of other LNV opes with **physical renormalization condition**.

EFT is NOT renormalizable theory

- Is it possible to determine these counter terms under an appropriate assumption about new physics ? (e.g. flavor symmetries)

← Now, we are investigating.