

Mapping the viable parameter space for testable leptogenesis

Yannis Georis

based on work in collaboration with M. Drewes and J. Klaric
[arXiv:2106.16226]

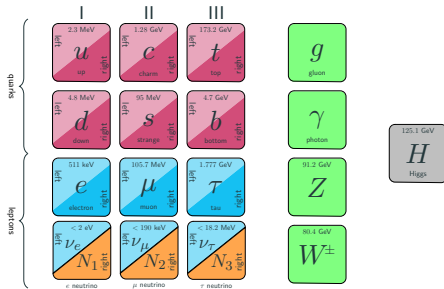
Searching for long-lived particles at the LHC and beyond:
Ninth workshop of the LLP Community
CERN, May 28, 2021



Heavy neutral lepton (HNLs)

Heavy neutrinos can solve three problems at once:

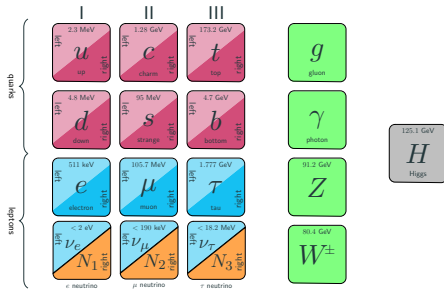
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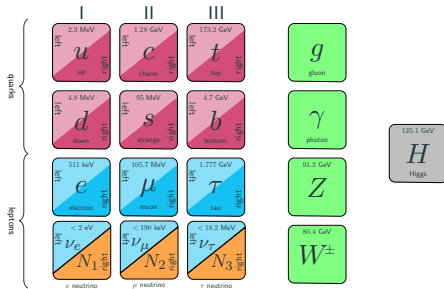
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- Overabundance of matter with respect to antimatter through **leptogenesis**. (M. Fukugita, T. Yanagida, 1986)
- Can be a **Dark Matter** candidate (Dodelson/Widrow, hep-ph/9303287, Asaka/Shaposhnikov, hep-ph/0505013)



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↳ Represented by the same set of equations !
(cfr. [B.Garbrecht 1812.02651](#))

$$i \frac{dn_{\Delta\alpha}}{dt} = -2i \frac{\mu_\alpha}{T} \int \frac{d^3k}{(2\pi)^3} \text{Tr}[\Gamma_\alpha] f_N(1-f_N) + i \int \frac{d^3k}{(2\pi)^3} \text{Tr}[\bar{\Gamma}_\alpha(\rho_N - \rho_{\bar{N}})]$$

$$i \frac{d\rho_N}{dt} = [H, \rho_N] - \frac{i}{2} \{\Gamma, \rho_N - \rho_N^{eq}\} - \frac{i}{2} \sum_\alpha \bar{\Gamma}_\alpha \left[\frac{2\mu_\alpha}{T} f_N(1-f_N) \right]$$

$$i \frac{d\rho_{\bar{N}}}{dt} = -[H^*, \rho_{\bar{N}}] - \frac{i}{2} \{\Gamma^*, \rho_{\bar{N}} - \rho_{\bar{N}}^{eq}\} + \frac{i}{2} \sum_\alpha \bar{\Gamma}_\alpha^* \left[\frac{2\mu_\alpha}{T} f_N(1-f_N) \right]$$

- Rate equations for density matrices $\rho_N, \rho_{\bar{N}}$ and chemical potential μ_α .
- Allow to cover the whole mass range 100 MeV- 70 TeV

- Seesaw mass term

$$\mathcal{L} \supset \frac{1}{2} (\bar{\nu}_L \quad \bar{\nu}_R^c) \cdot \begin{pmatrix} 0 & m_D \\ m_D^t & M_M \end{pmatrix} \cdot \begin{pmatrix} \nu_L^c \\ \nu_R \end{pmatrix}$$

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- B-L approximate symmetry allows to avoid the naive seesaw bound

$$U_i^2 \sim \frac{\sqrt{\Delta m_{atm}^2 + m_{light}^2}}{M} \lesssim 10^{-10} \frac{\text{GeV}}{M_i}$$

$n=2$ leptogenesis

Large U^2

→ large washout

→ asymmetric Yukawa coupling needed to hide BAU from the washout

Asymmetry

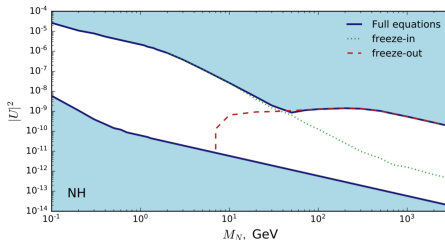
$$f \approx \frac{\min|F_a|}{\max|F_a|}$$

constrained by neutrino oscillation data

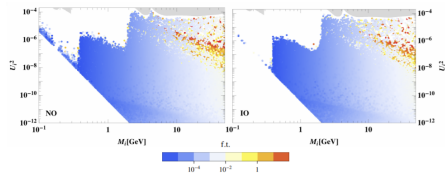
$$f > 5 \cdot 10^{-3}$$

→ high U^2 not possible.

For $n=3$, lepton number violating processes can play a significant role.



Klaric/Shaposhnikov/Timirsyasov 2008.13771



Abada/Arcadi/Domcke/Drewes/Klaric/Lucente hep-ph/1810.12463

- Consistency with ν -oscillation data
- Casas-Ibarra parametrisation

$$F = \frac{i}{v} U_\nu \sqrt{m_\nu^{diag}} R \sqrt{M_M}$$

- 3 light neutrino masses (2)
- 3 complex angles (1)
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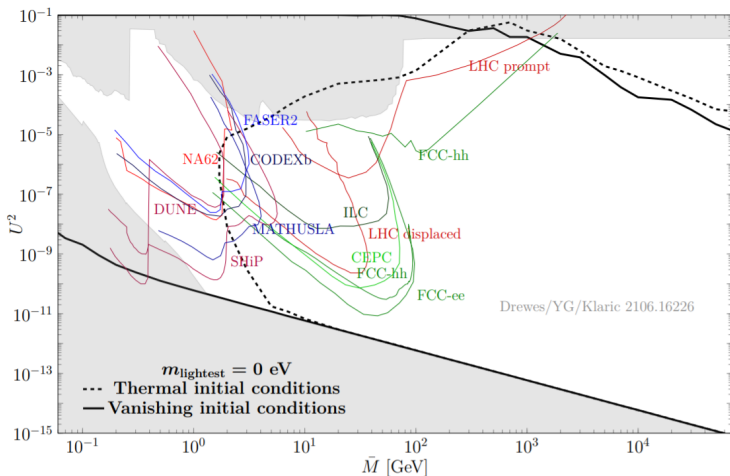
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 - 3 No large radiative corrections $(1 - \frac{m_{tree}}{m_{loop}})^2 < \frac{1}{4}$.

Results and conclusions



- Reaches theoretical constraint at low masses.
- Parameter space much larger than for the $n = 2$ scenario.
- Seesaw line reached as for $n = 2$.