

# Massive Argon Space Telescope (MAST): concept and physical program

On the future of  $\gamma$ -ray astronomy  
in the 100 MeV–1 TeV energy range

Timur DZHATDOEV (timur1606@gmail.com)

Egor PODLESNYI

Moscow State University

Dzhatdov & Podlesnyi, APh, **112**, 1 (2019)

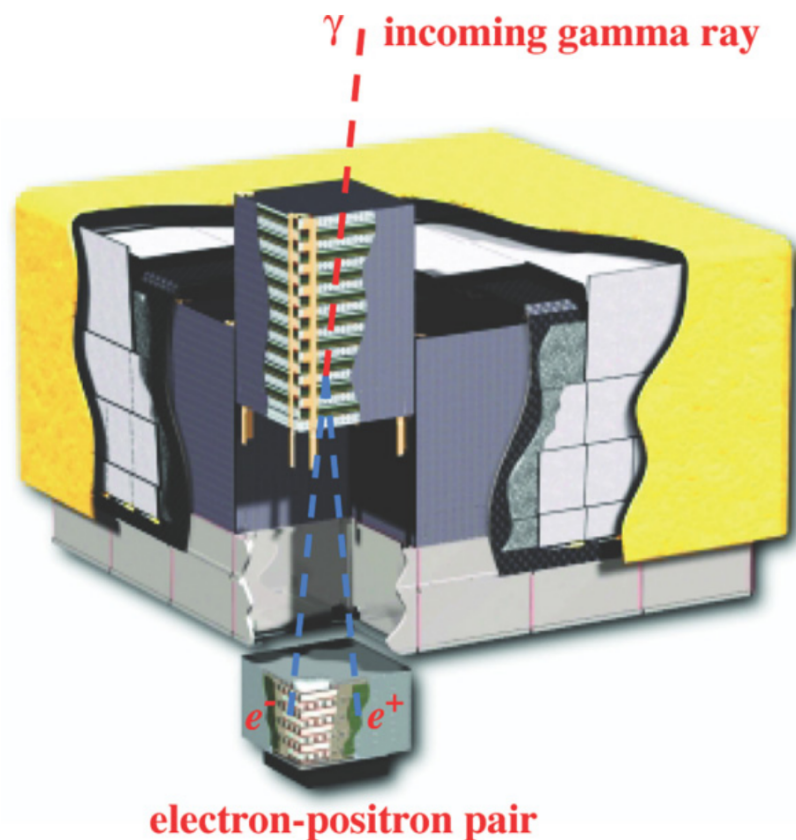
Dzhatdov et al., Phys. Rev. D, **102**, 123017 (2020)

Khalikov & Dzhatdov, MNRAS, 10.1093/mnras/stab1393 (2021)  
(astro-ph/1912.10570v2)

Podlesnyi & Dzhatdov, Res. Phys., **19**, 103579 (2020)

Dzhatdov et al., astro-ph/1810.06200

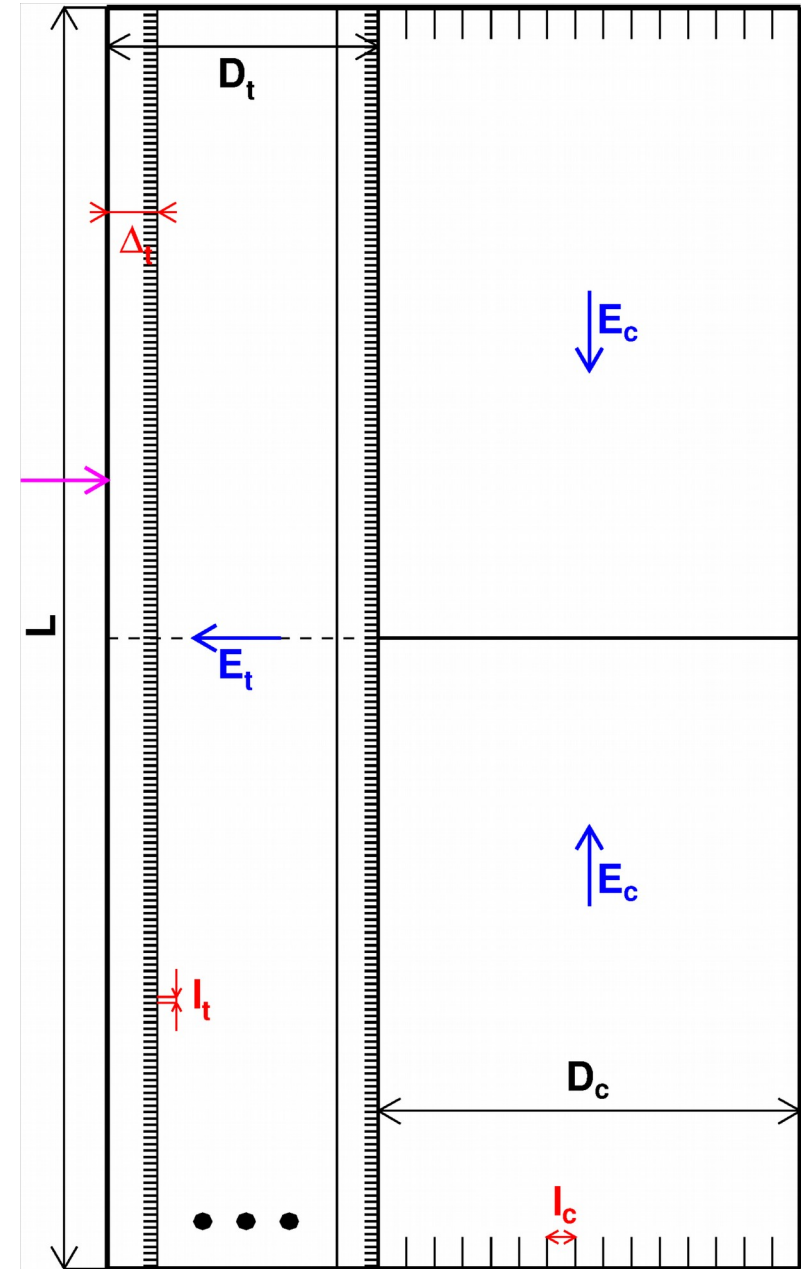
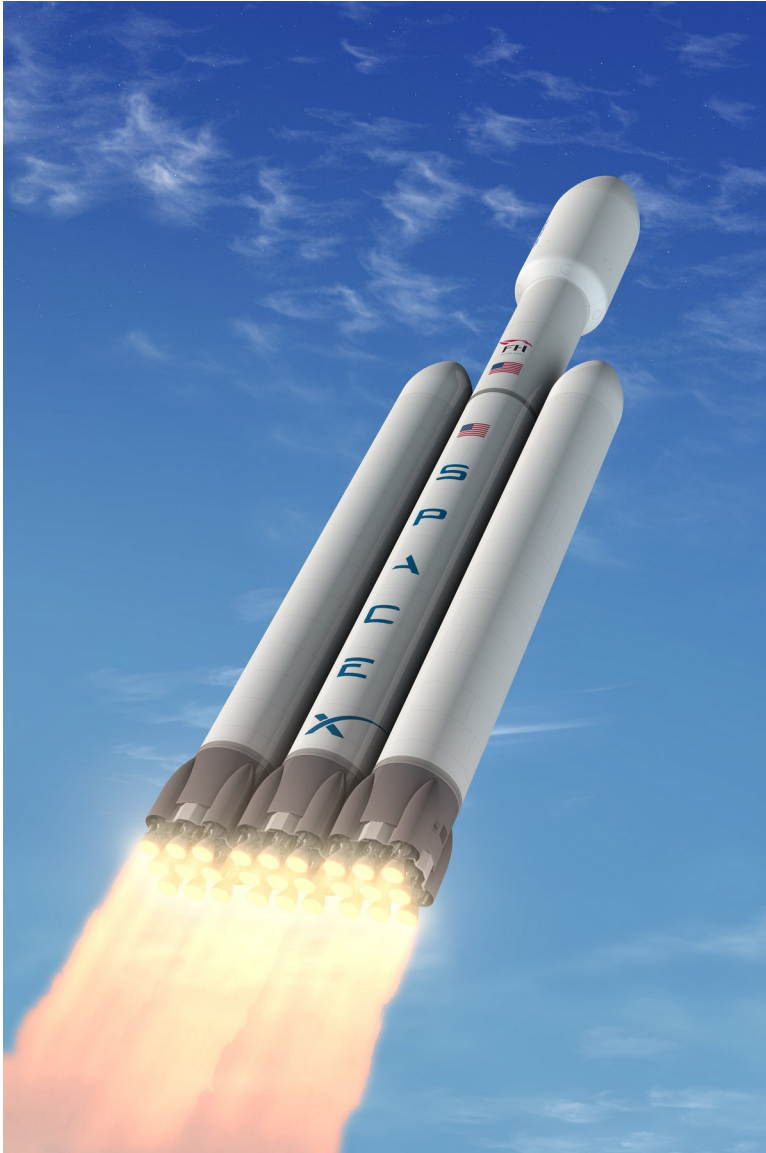
# Fermi-LAT (Atwood et al., 2009): a great success of $\gamma$ -ray astronomy!



- 1)  $\sim 5$  thousand sources (Abdollahi et al., 2020), mostly blazars
- 2) Measurement of extragalactic gamma-ray background (EGRB) up to 1 TeV (Ackermann et al., 2015)
- 3) Constraints on the extragalactic background light (EBL) (Ackermann et al., 2012; Fermi-LAT, 2018) and extragalactic magnetic field (EGMF) (Neronov & Vovk, 2010; Ackermann et al., 2018)
- 4) constraints on annihilating (Ackermann et al., 2015b) and decaying (Kalashev & Kuznetsov, 2016; Cohen et al., 2017) dark matter (DM)

- 1) Still no detection of DM decay/annihilation
- 2) Constraints on EGMF parameters are very shaky
- 3) Numerous problems in blazar models (including the models of neutrino-emitting blazars, IceCube 2018; IceCube et al., 2018)
- 4) No obvious counterpart of gravitational-wave (GW) events (in particular, GW 190521 was not detected, Podlesnyi & Dzhatdov, 2020)

The Falcon Heavy launcher: 64 t for ( $R = 185$  km); about 40 t for  $R = 565$  km. We propose a new space instrument called Massive Argon Space Telescope (MAST) based on the time projection chamber concept



# Liquid Argon (LAr) as a detector medium

I. Basic idea: electric field  $\rightarrow$  drift on the third coordinate

Two-phase time projection chamber (TPC): Dolgoshein et al. (1970)

General discussion of the TPC concept: Nygren (1974)

Liquid Argon TPC: Rubbia (1977)

II. State-of-the-art for “large” ( $>100$  t) LAr TPC: ICARUS T 600: Rubbia et al. (2011)

III. Future: DUNE 68 kt (!! ) of LAr (Acciarri et al., 2015)

IV. A few tips on the technology:

1) The LAr technique allows to construct **fully active, easily scalable, cost-effective detectors with reasonable spatial resolution**

2) Boiling point @ 1 atm.: 87.3 K (nitrogen: 77.3 K)

3) Purification: extremely effective even with commercially available hardware (electronegative impurities  $10^{-6} \rightarrow 10^{-12}$ )

V. Many methodical studies in the recent years, in particular:

recombination (R. Acciarri et al., ArgoNeuT collaboration (2013); **Cataudella et al., 2017**)

VI. Application in astroparticle physics: especially in the MeV energy range:

Bernard et al. (2013); cf. gas TPC: Hunter et al. (2014) (AdEPT);

Gros et al. (2018) (HARPO). **Electronics: see e.g. Baudin et al., 2018**



## Liquid Argon as a detector medium: theory (Cataudella et al. (2017))

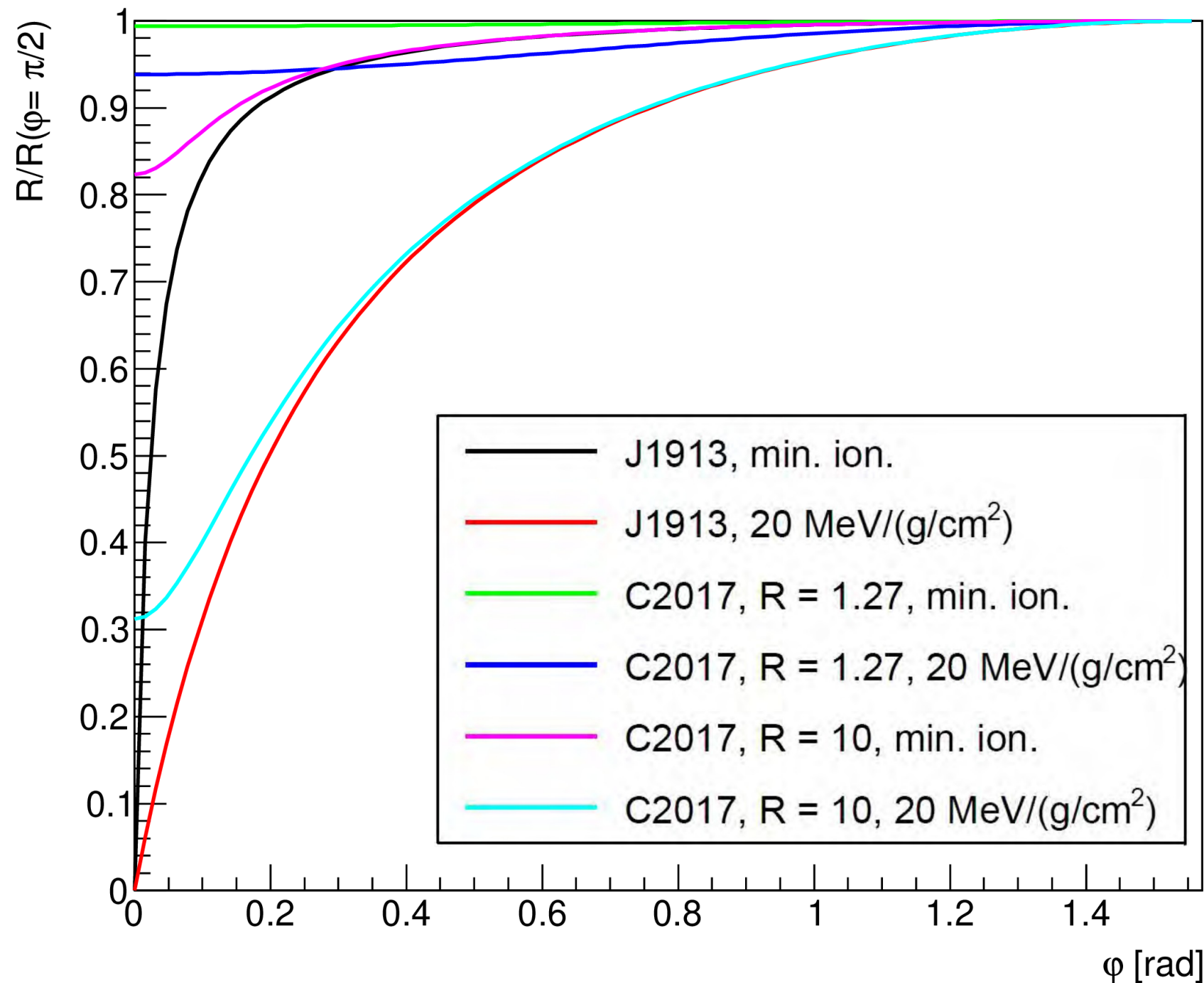
$$\frac{\partial N_+(\vec{r}, t)}{\partial t} = D_+ \nabla^2 N_+(\vec{r}, t) - \alpha N_+ N_- + \mu_+ \vec{E} \cdot \nabla N_+(\vec{r}, t)$$
$$\frac{\partial N_-(\vec{r}, t)}{\partial t} = D_- \nabla^2 N_-(\vec{r}, t) - \alpha N_+ N_- - \mu_- \vec{E} \cdot \nabla N_-(\vec{r}, t)$$

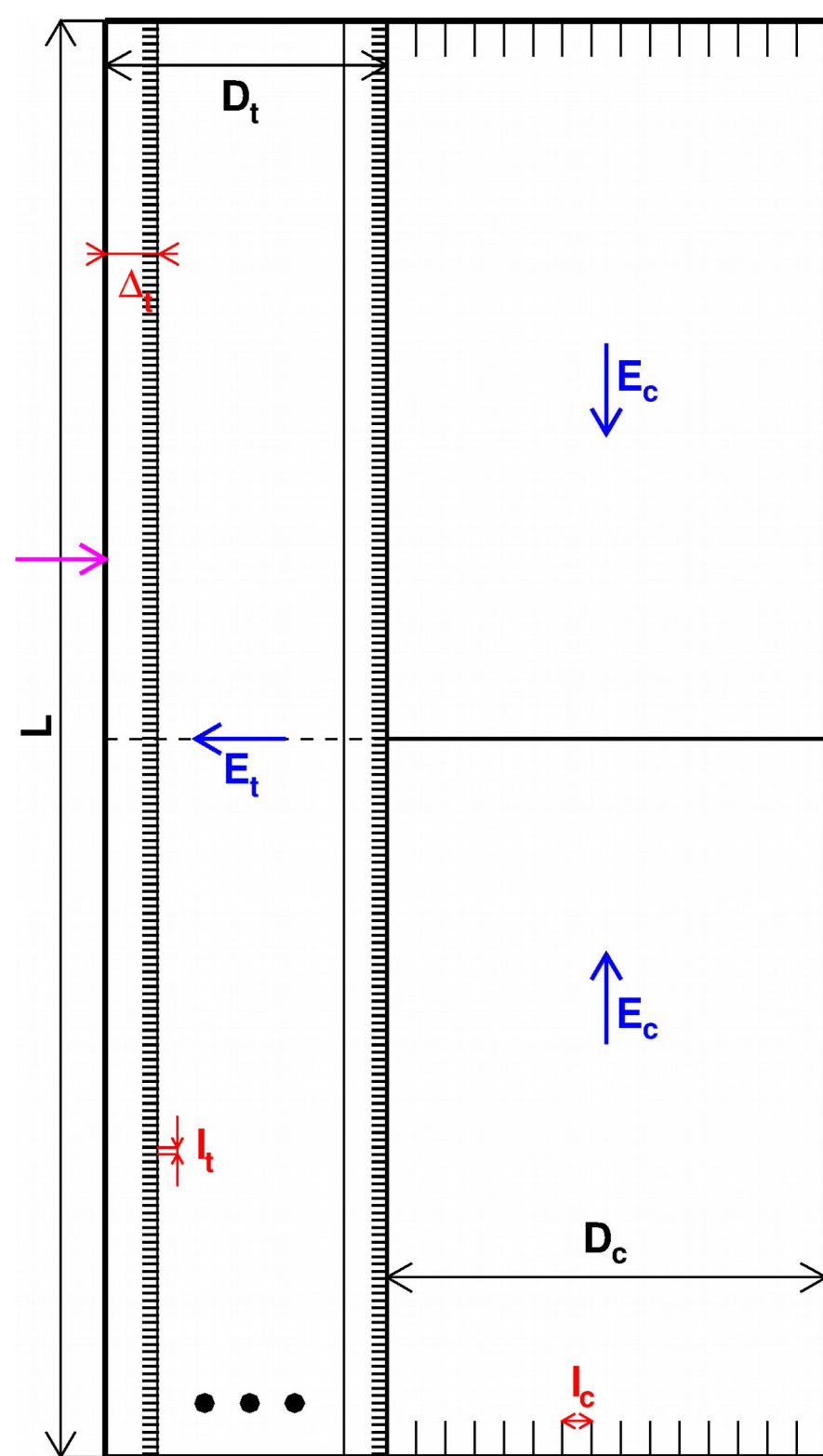
diffusion, recombination, and drift

$$N_0(\vec{r}) = N_-(\vec{r}, 0) = N_+(\vec{r}, 0) = \frac{Q_0}{(2\pi)^{3/2} R \sigma^3} e^{-\frac{1}{2\sigma^2} \left( x^2 + y^2 + \frac{z^2}{R^2} \right)}$$

the classical estimate for the charge carrier survival probability ( $\sim \sin(\varphi)$ , Jaffe) is far too pessimistic  
(1913)  $\rightarrow$  (2017)

Charge carrier survival probability vs. the angle between the track and the electric field direction  $\phi$ . Electric field  $E = 3 \text{ kV/cm}$





4m X 4m aperture; 11.4 rad. len.

$M = 36$  t (would need a Falcon Heavy!)

power: 4.4 kW (Fermi-LAT: 650 W)

## Tracker

“parallel” TPC ( $E_t \parallel \text{axis}$ );  $E_t = 3$  kV/cm

Total thickness  $D_t = 50$  cm, 50 layers,  
pitch  $l_t = 100$   $\mu\text{m}$

$\sim 6$  million channels (cf. Fermi-LAT:  
0.88 million – Thompson (2015))

## Calorimeter

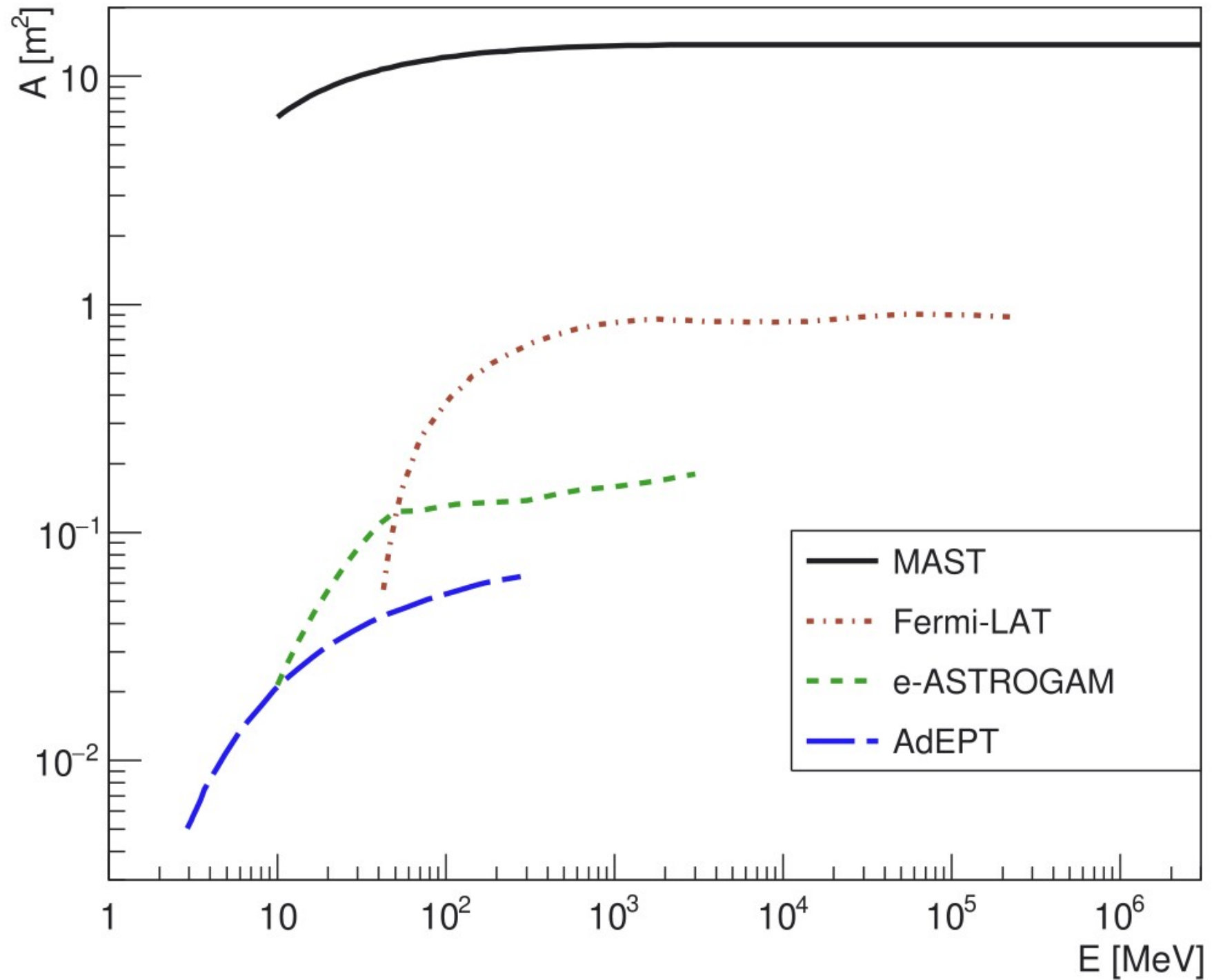
$E_c = 0.5$  kV/cm

Total thickness  $D_c = 110$  cm,  
pitch  $l_c = 1$  mm

## Anti-coincidence detector (not shown)

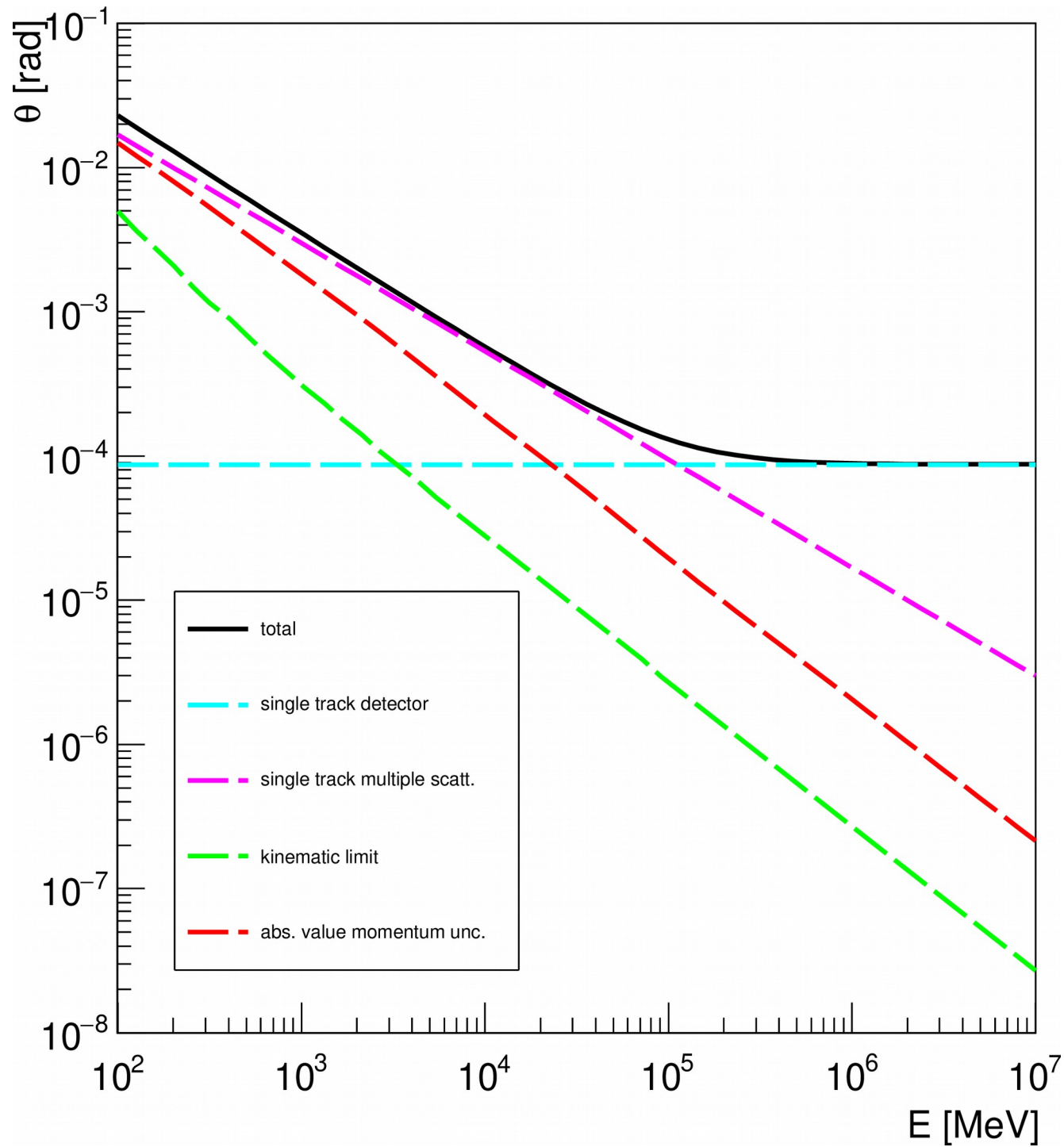
Could be similar to the Fermi-LAT one

Effective area vs. energy

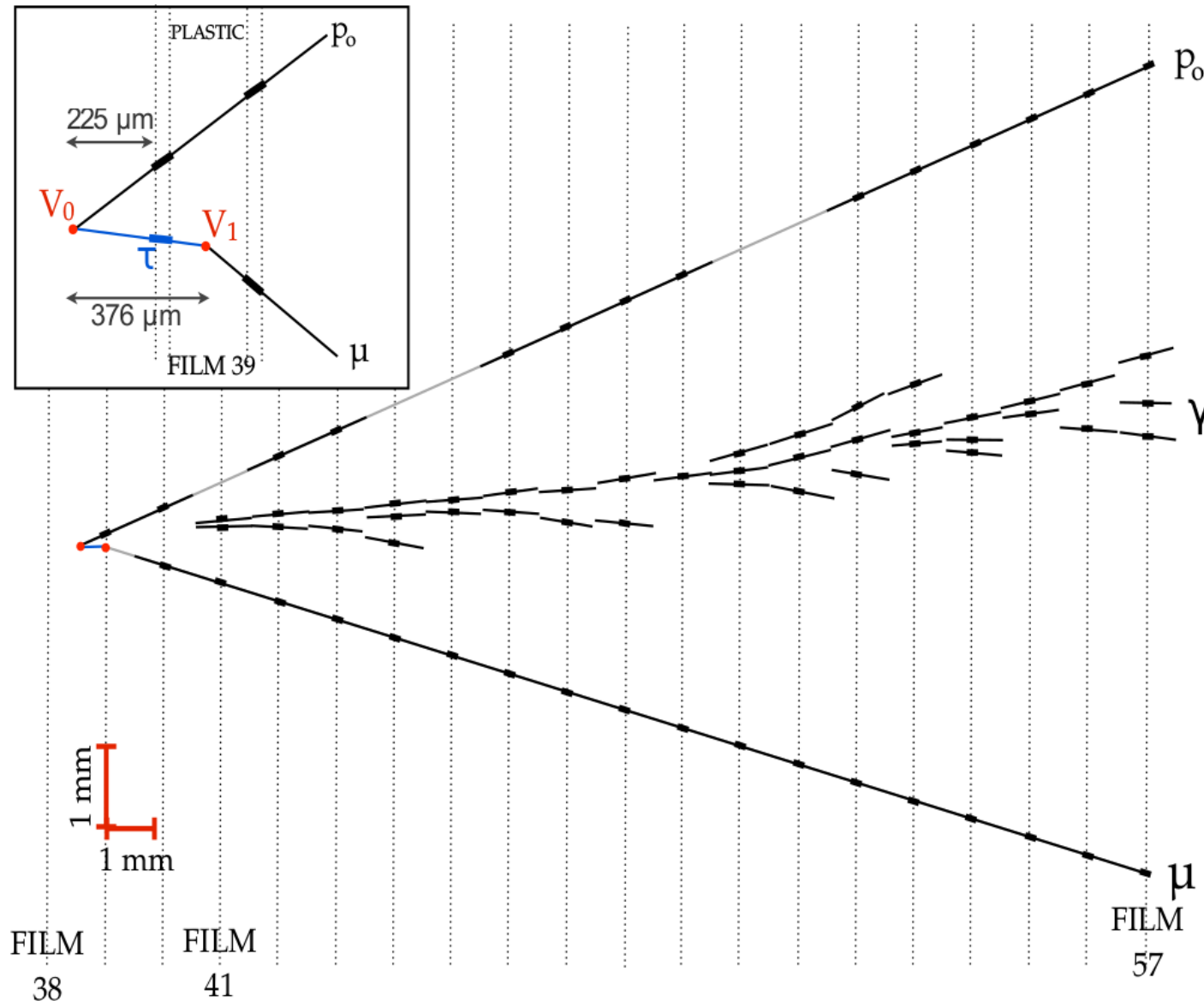




# Angular resolution vs. energy: four main components



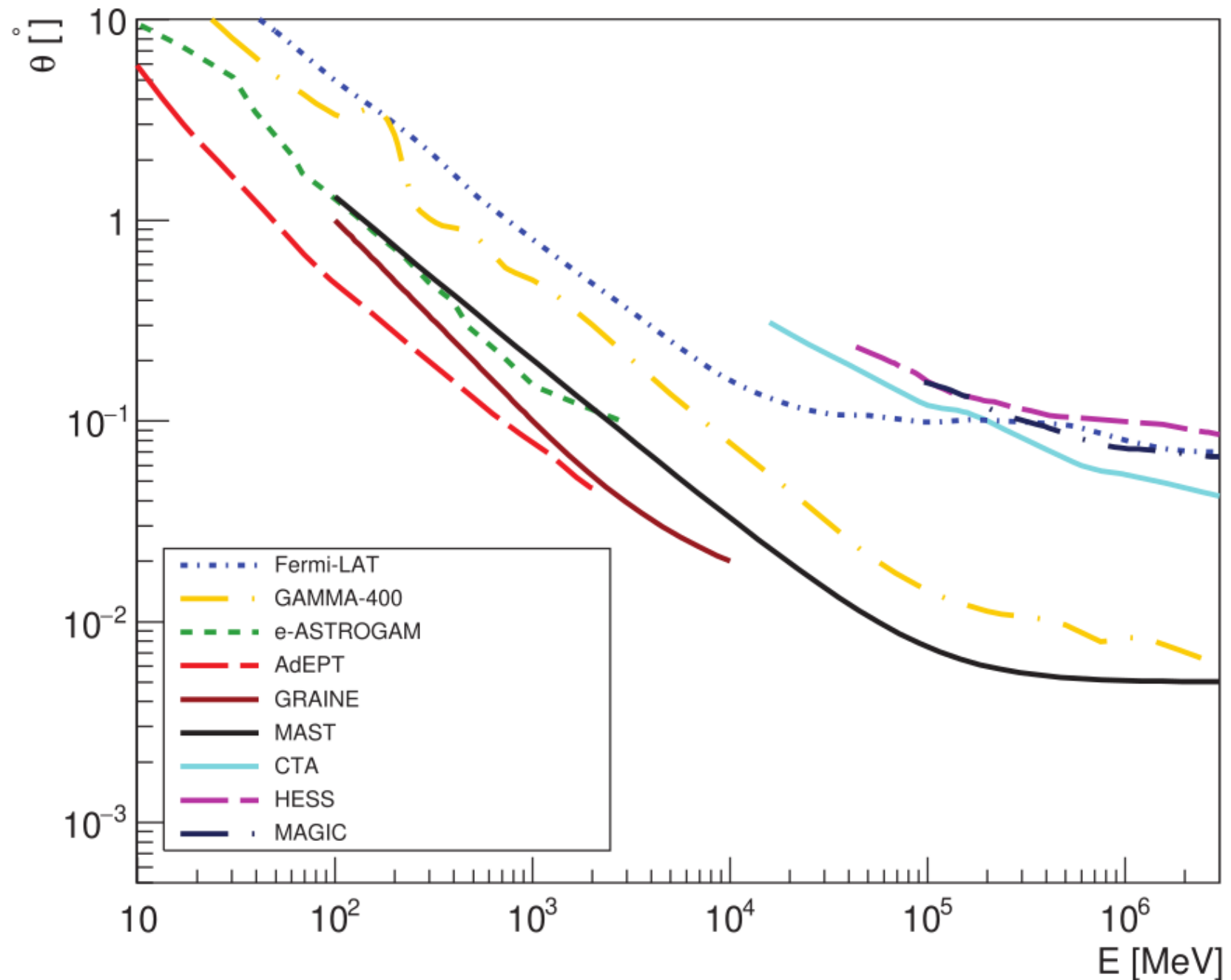
Can we measure  $p^+/p^-$ ?



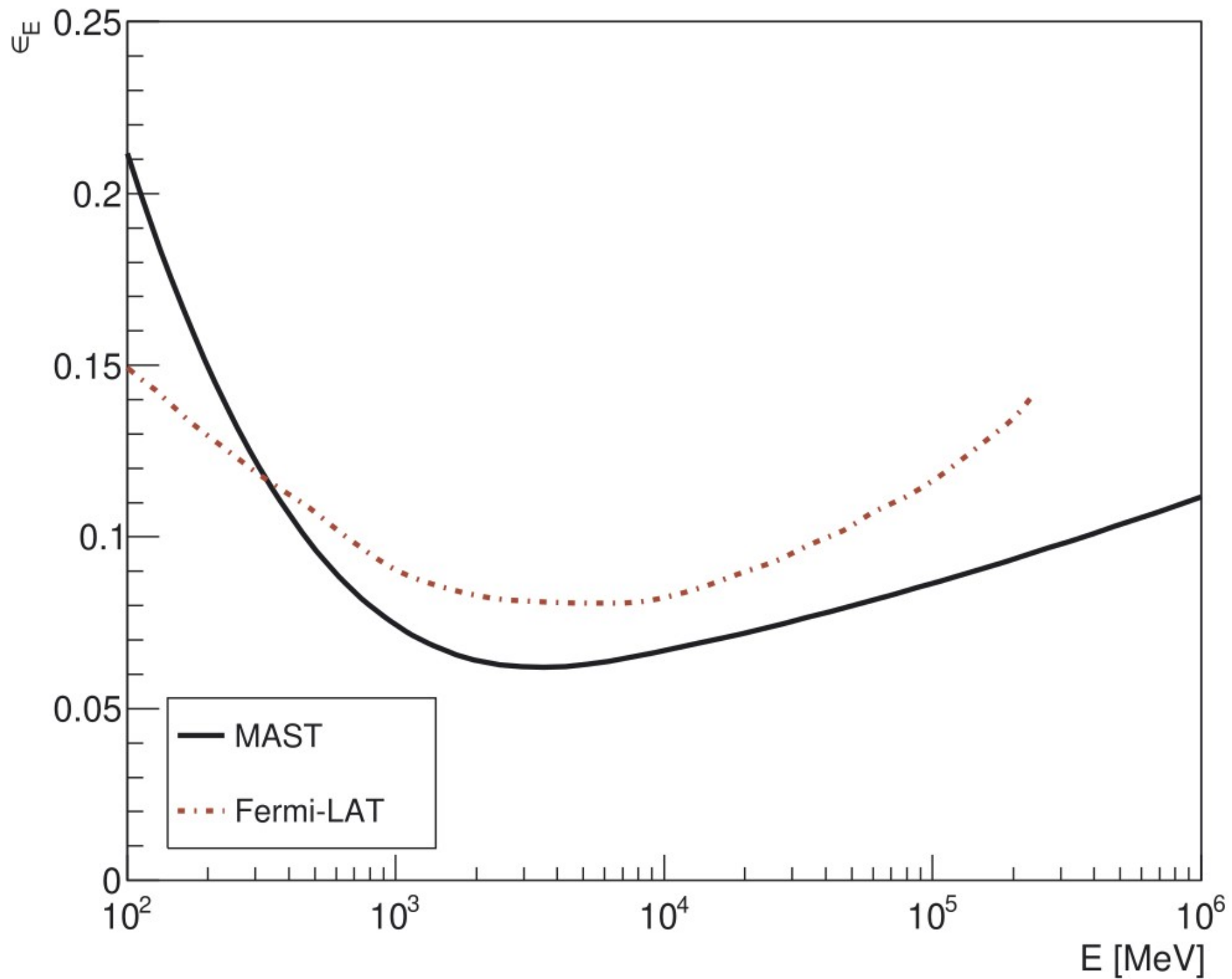
OPERA Experiment: an event display (Agafonova et al., 2014)

Electron and positron subshowers could overlap strongly!  $\rightarrow$   
We assume  $p^+/p^- = 1$ , and then account for the corresponding  
methodical uncertainty

# Angular resolution vs. energy: CTA, other IACT arrays (H.E.S.S., MAGIC); operating and projected space telescopes



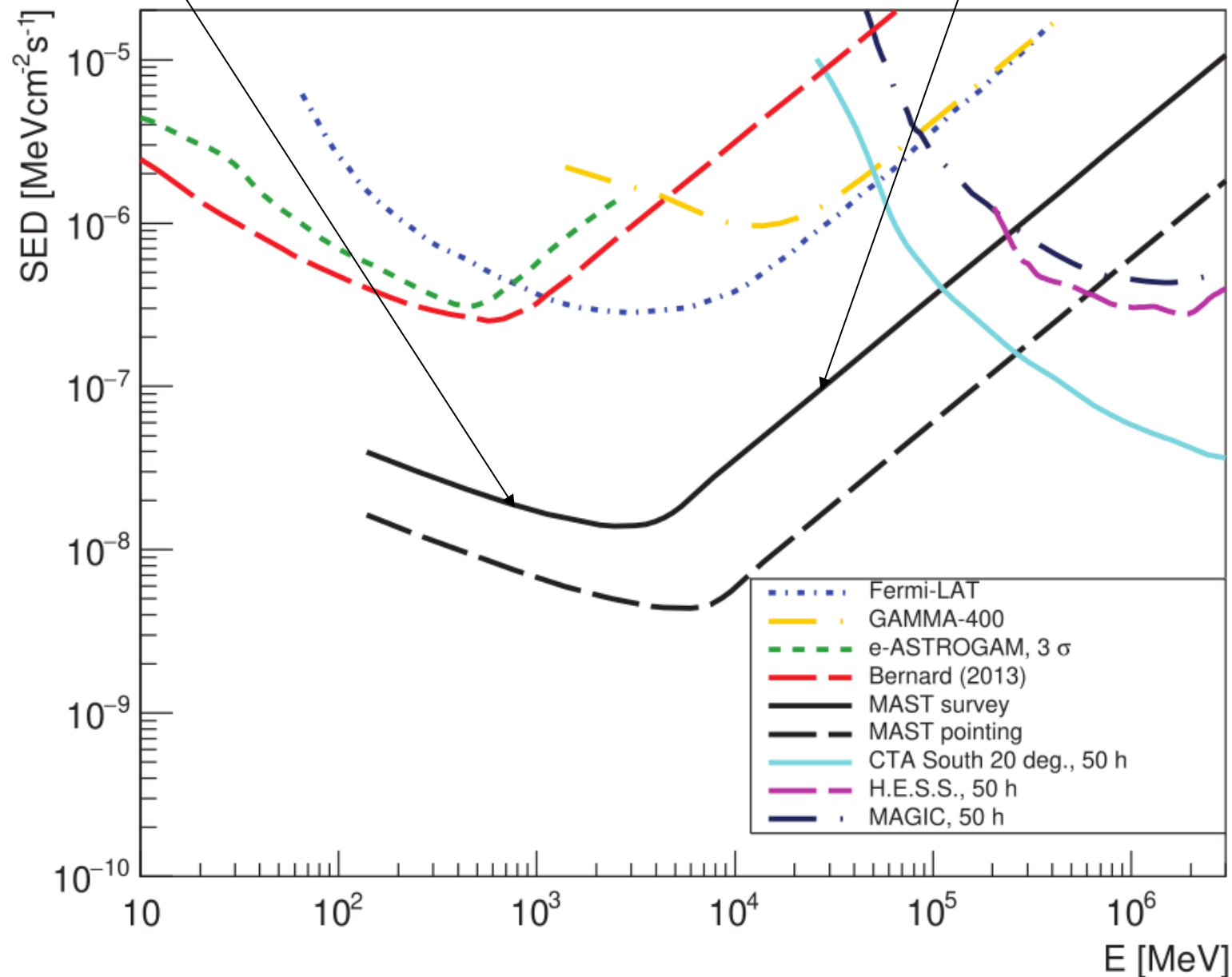
Energy resolution vs. energy



Differential sensitivity for point-like sources: angular resolution is important at low energy (Dzhatdoev & Podlesnyi, APh, **112**, 1 (2019))

background-dominated regime

statistics-dominated regime





# Anti-coincidence detector (ACD) and backgrounds

The ACD could be similar to the Fermi-LAT one (plastic scintillator, inefficiency  $\delta = 3 \times 10^{-4}$  (Moiseev et al., 2007))

Trigger condition ( $S_{\text{ACD}}=0$ )&( $E_{\text{dep}} > 30 \text{ MeV}$ )

## Expected rates

(background model according to Fermi-LAT from Atwood et al., 2009):

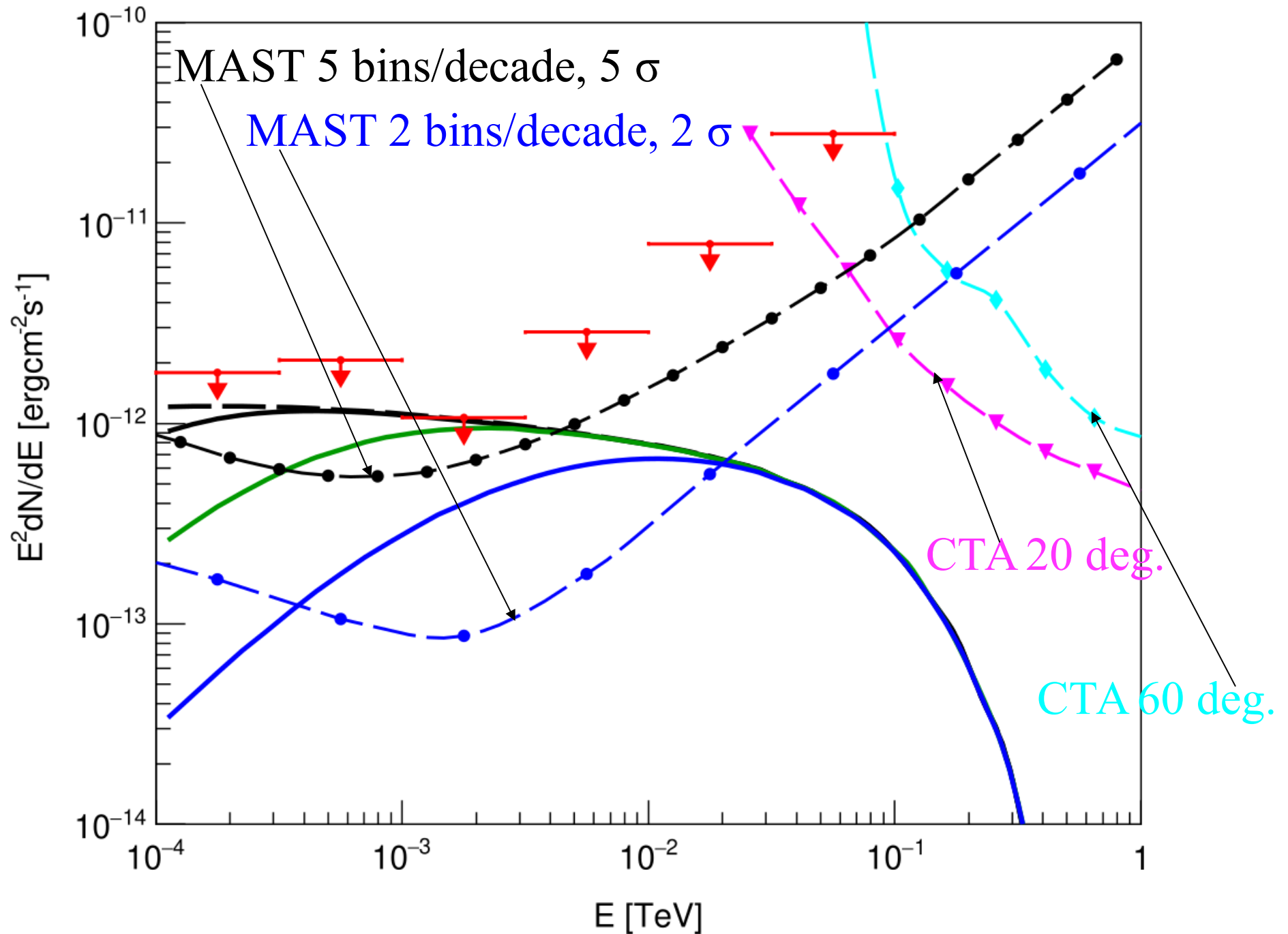
- 1) “Signal”  $\gamma$ -rays:  $\sim 20 \text{ Hz}$
- 2) Charged particles:  $\sim 30 \text{ Hz}$  (after ACD suppression)
- 3) “Background” (terrestrial)  $\gamma$ -rays:  $\sim 500 \text{ Hz}$
- 4) “Background” (terrestrial) neutrons:  $\sim 500 \text{ Hz}$

Cf.: Fermi-LAT max. downlink rate  $\sim 400 \text{ Hz}$

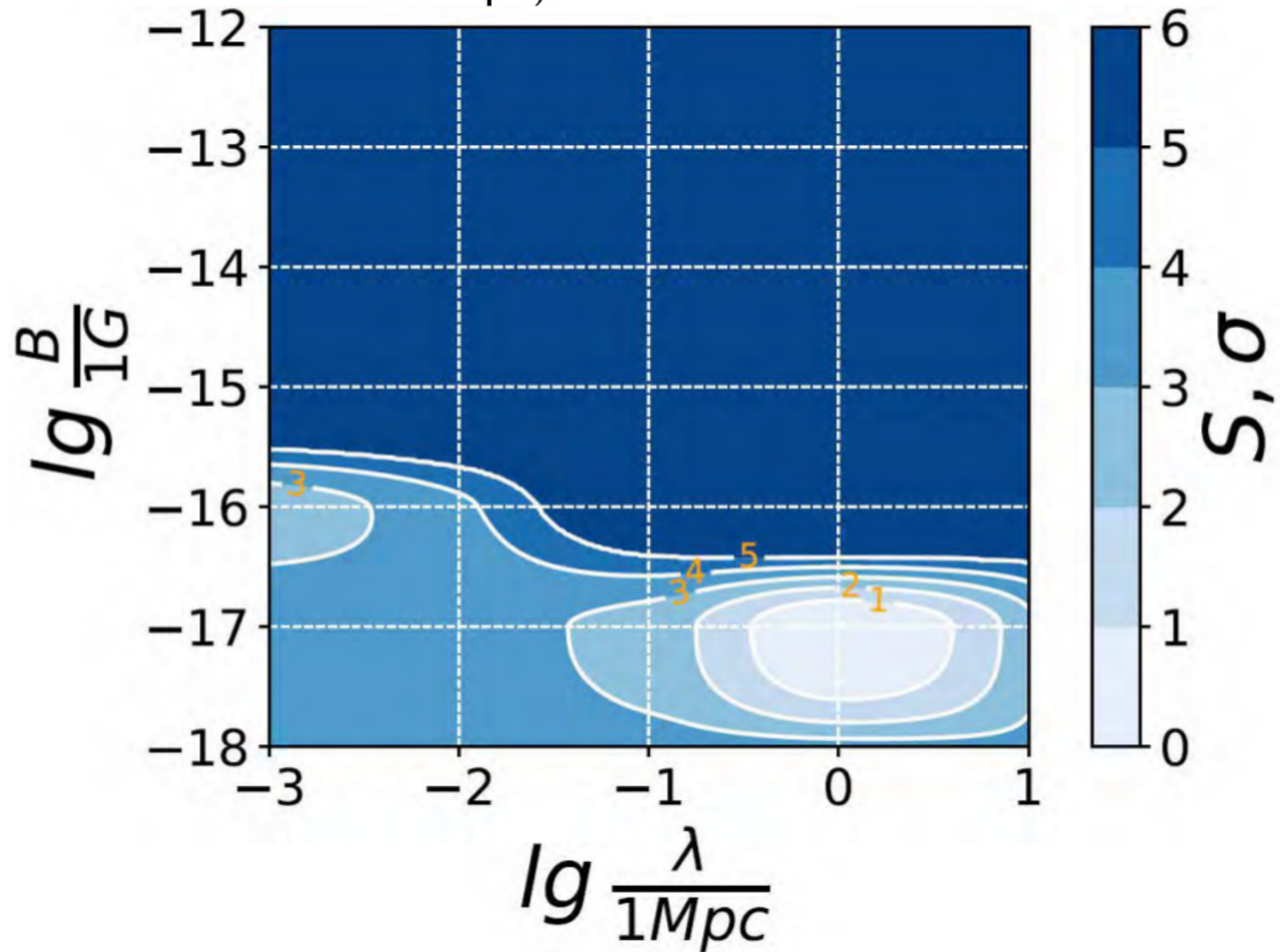
Neutral backgrounds are very dangerous!

To develop the physics case and advance  
astrophysical models together with  
experimental concepts (!?!)

Gamma-ray echo from GRB 190114C.  $B = 0.01$  aG, **0.1 aG**, **1 aG**  
(Dzhatdov et al., Phys. Rev. D, **102**, 123017 (2020))



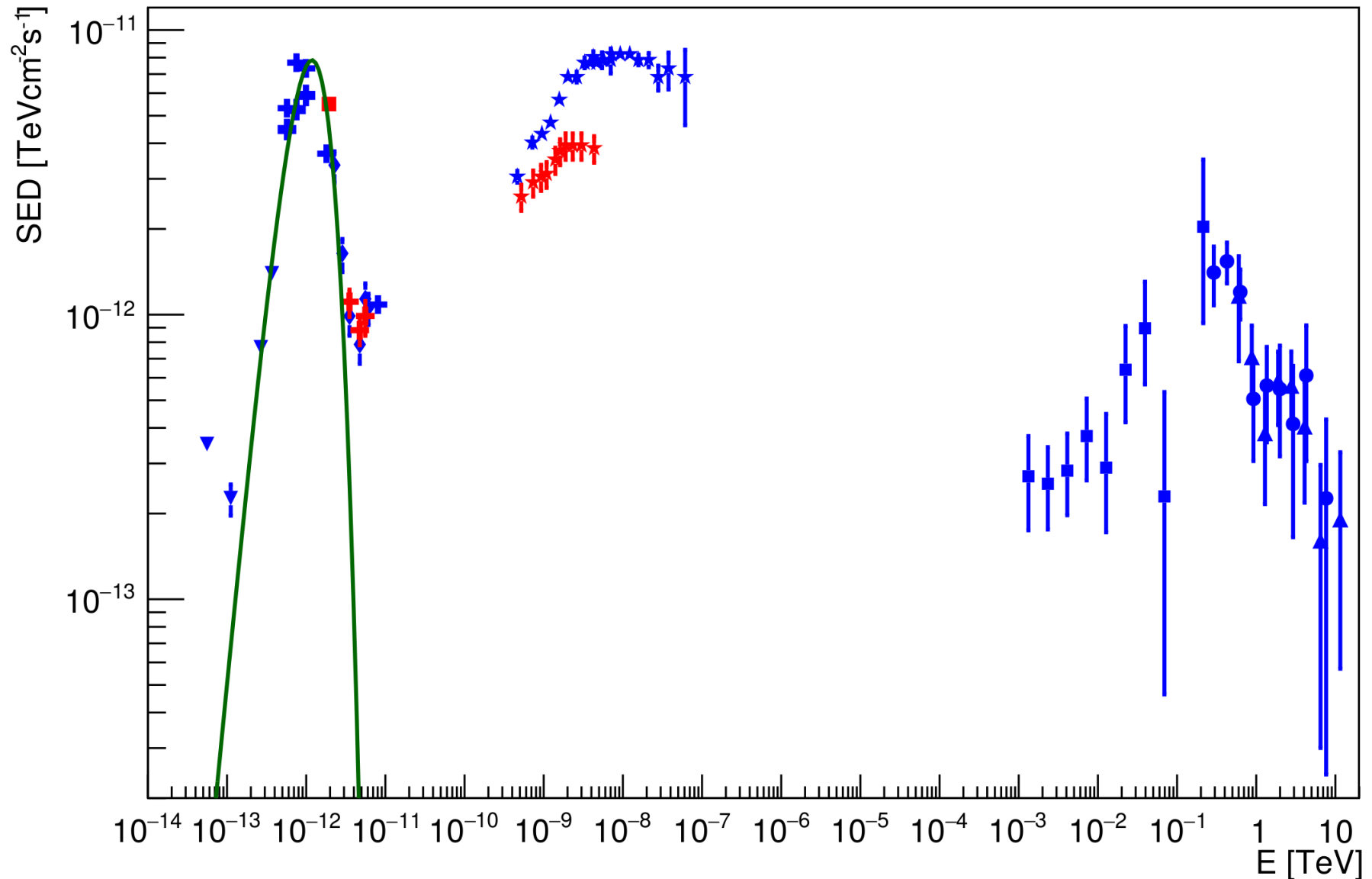
Constraints on the EGMF parameters with MAST, 3 year (survey mode), 1ES 0347-121 (spectrum+ang. distribution) (true MC: 10 aG, 1 Mpc)



Together with CTA (Korochkin et al., 2021), MAST could cover the full range of B in voids from 0 to 10-11 G!!

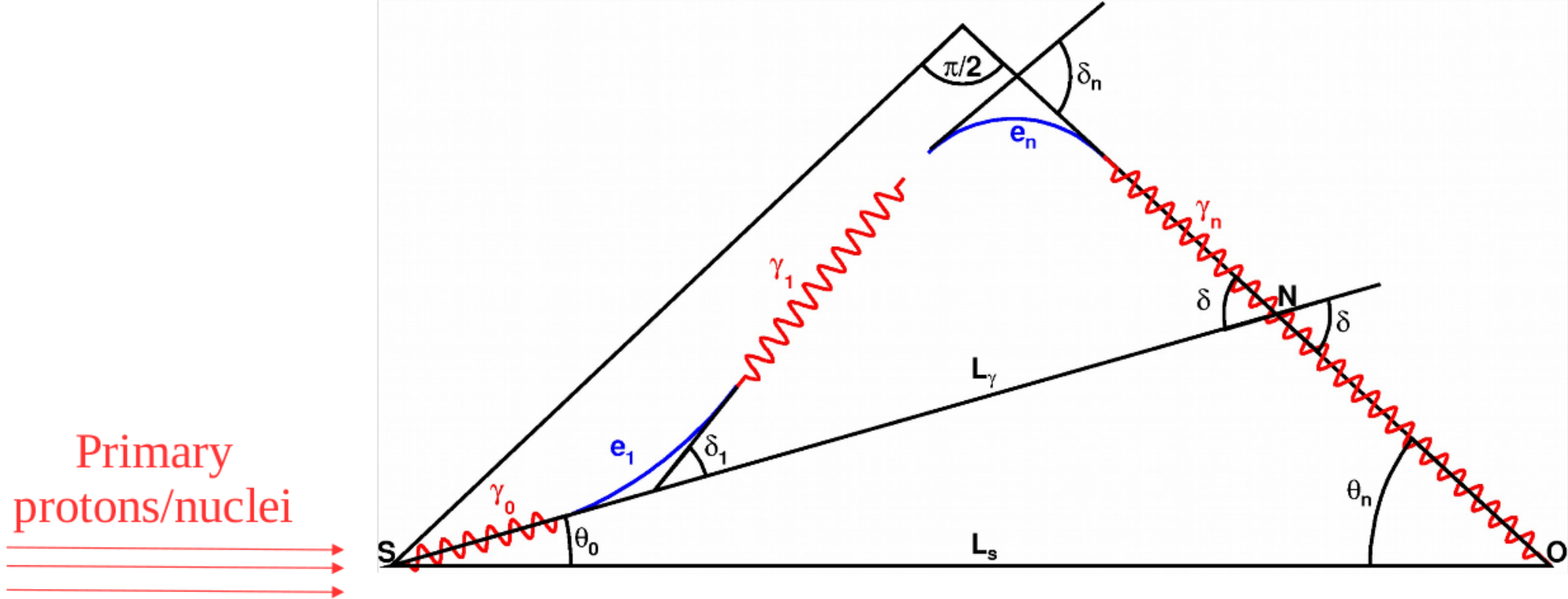
Extreme TeV blazars (Biteau et al., 2020):  
intrinsic spectral energy distribution (SED) peaked at  $E > 1$  TeV, relatively  
weak and slow variability (compared to “classical” TeV blazars).

Here we show the observed SED of 1ES0229+200





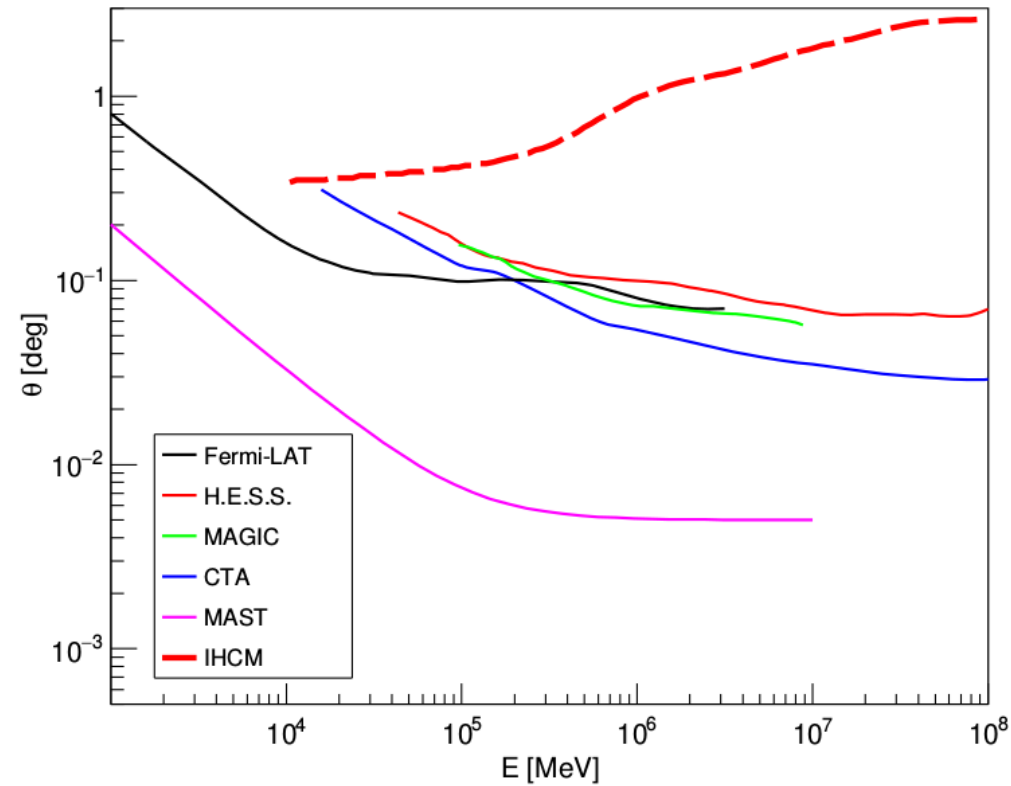
# Intergalactic hadronic cascade model (HCM)



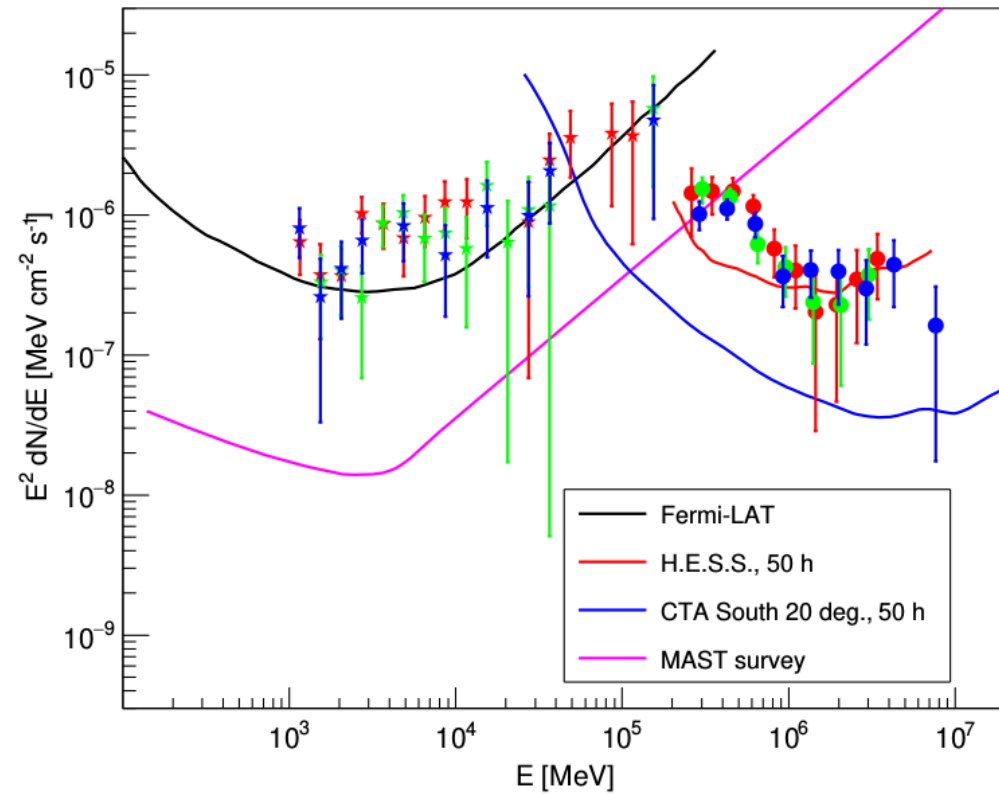
Waxman & Coppi, ApJ Lett., **464**, L75 (1996); Uryson, JETP, **86**, 213 (1998); Essey & Kusenko, APh, **33**, 81 (2010); Essey et al., Phys. Rev. Lett., **104**, 141102 (2010); Essey et al., ApJ, **731**, 51 (2011) (E11); Murase et al., ApJ, **749**, 63 (2012); Takami et al., ApJ Lett., **771**, L32 (2013); Essey & Kusenko, APh, **57**, 30 (2014); Yan et al. (2015); Zheng et al., A&A, **585**, A8 (2016); Cerruti et al., A&A, **606**, A68 (2017)

Let's assume the EGMF in clusters and filaments according to Dolag et al. (2005). Then the image of the object appears to be extended, even at the highest energies!

(Khalikov & Dzhatdov, MNRAS, 10.1093/mnras/stab1393 (2021))



**Figure 11.** Angular resolution (68 % containment angle) of various gamma-ray instruments (solid curves: black curve denotes *Fermi-LAT*, red curve — *H.E.S.S.*, green curve — *MAGIC*, blue curve — *CTA*, magenta curve — *MAST*) vs. the 68 % containment angle of the observable emission assuming the MHCM with the KD10 EBL.



**Figure 12.** SEDs of some extreme TeV blazars measured with IACTs (circles) and *Fermi-LAT* (stars) together with sensitivities of several  $\gamma$ -ray telescopes. Red symbols denote 1ES 1101-232, green symbols — 1ES 0347-121, blue symbols — 1ES 0229+200; black curve denotes the sensitivity of *Fermi-LAT*, red curve — *H.E.S.S.*, blue curve — *CTA*, magenta curve — *MAST*.

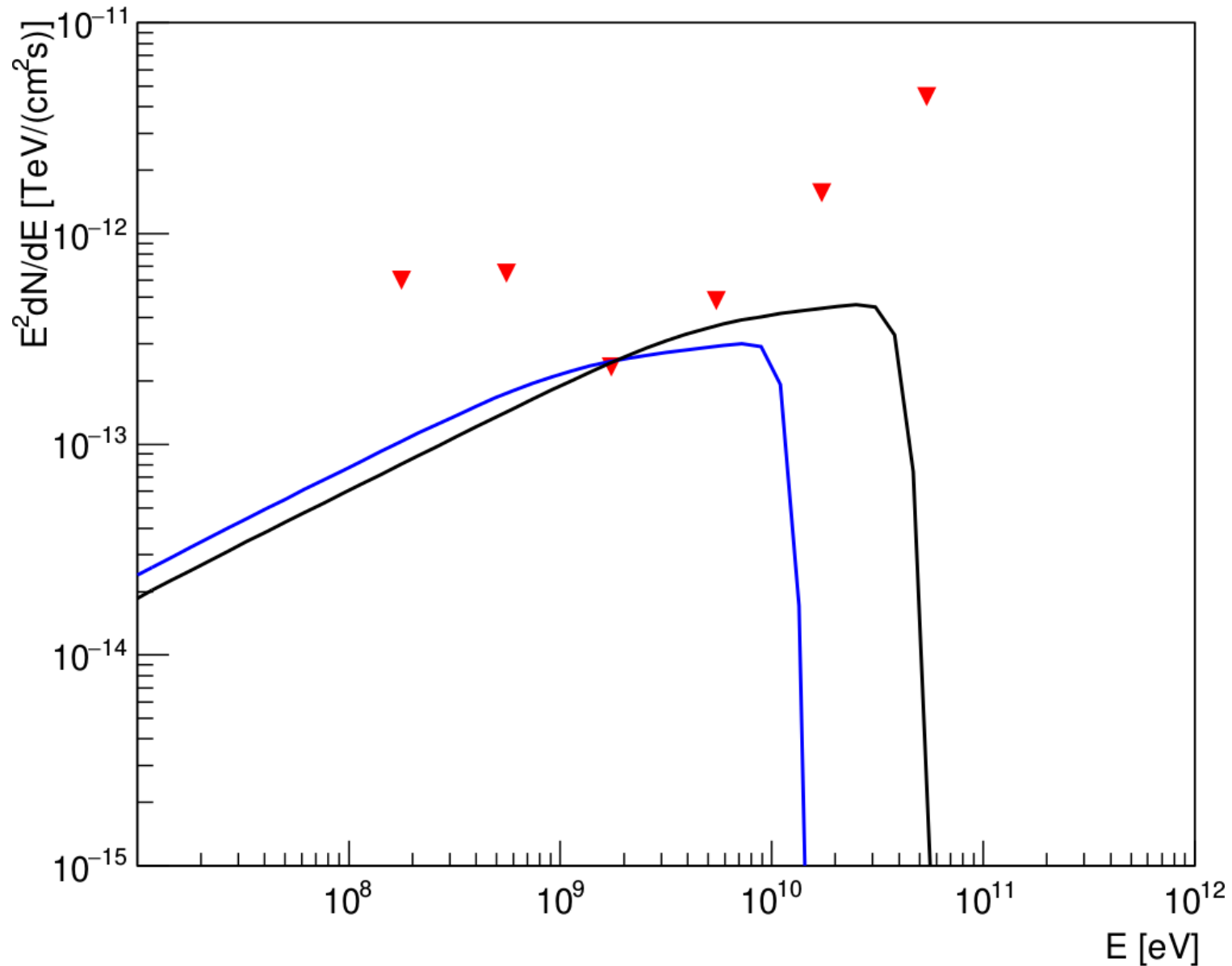
GW 190521: associated optical signal was registered

(Graham et al., 2020),  $L \sim 10^{45}$  erg/s.

Fermi-LAT upper limits (Podlesnyi & Dzhatdov, Res. Phys., **19**, 103579 (2020))

$R = 10^{14}$  cm,  $L_{45} = L/(10^{45} \text{ erg/s}) = 1.5$

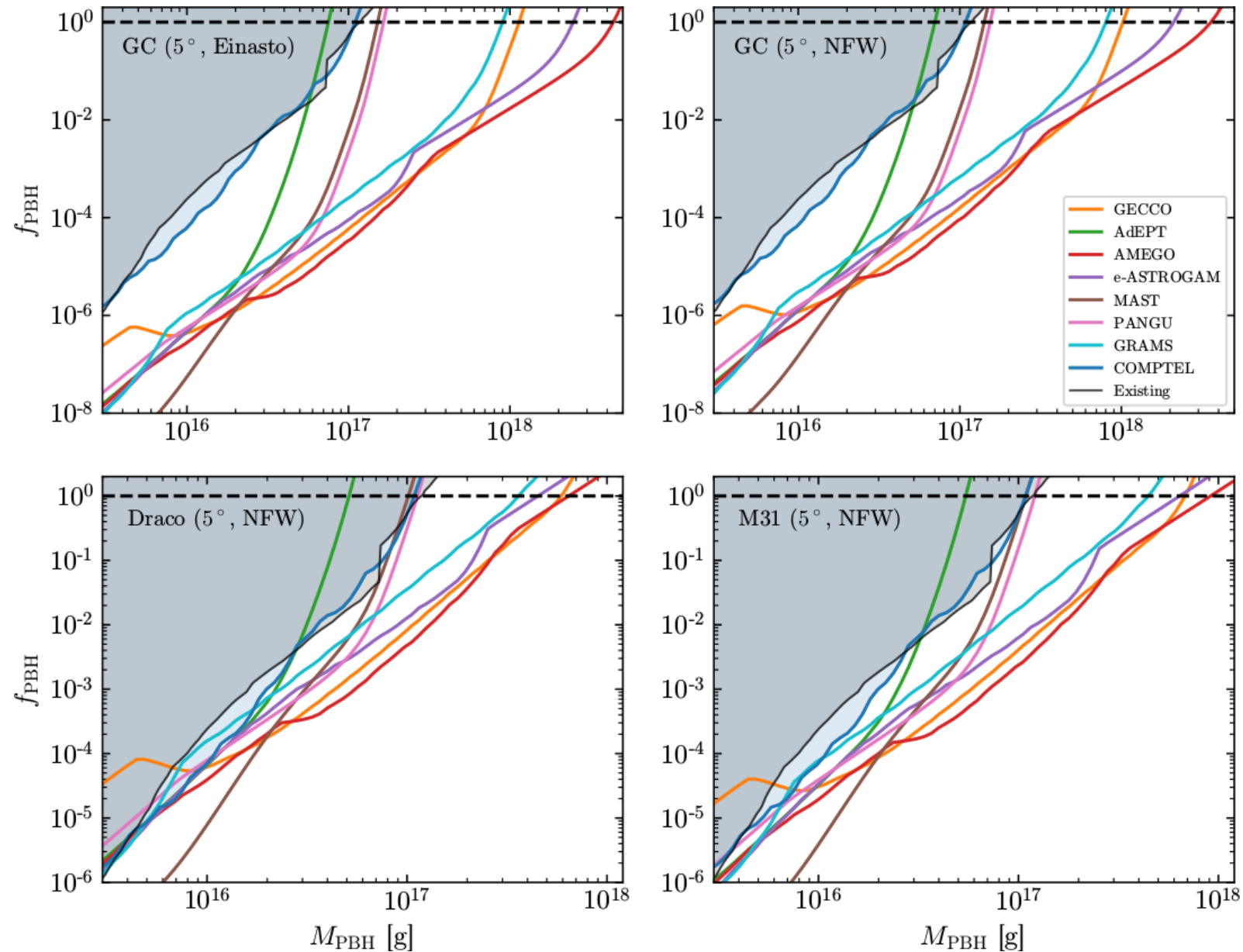
$R = 10^{15}$  cm,  $L_{45} = 2.3$



# Hawking Radiation from Asteroid-Mass Primordial Black Holes

(Coogan et al., Phys. Rev. Lett., 126, 171101 (2021))

let's assume that black holes constitute a fraction  $f_{\text{PBH}}$  of the cosmological DM



# Conclusions

The MAST concept allows for:

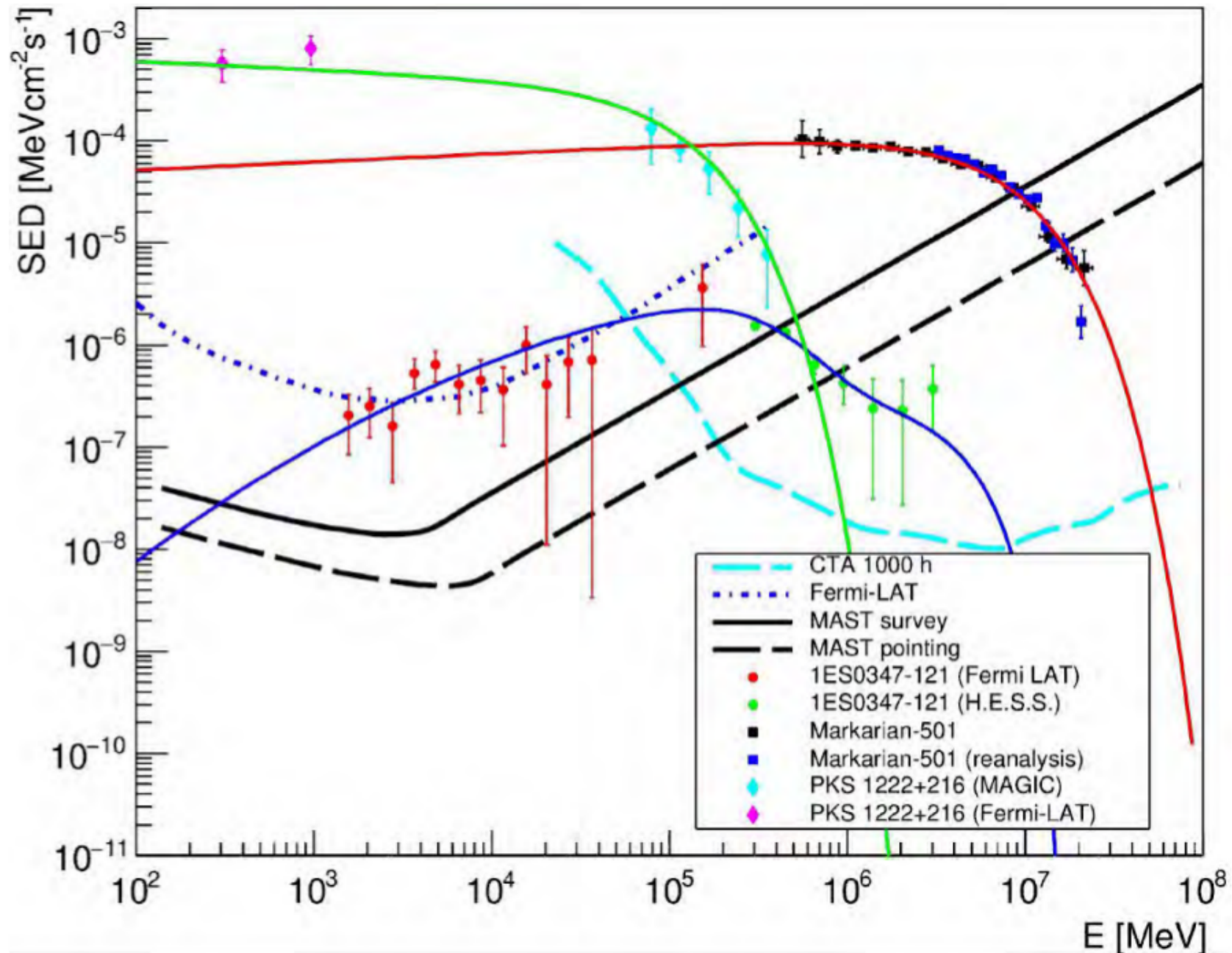
- 1) a very large ( $>10 \text{ m}^2$ ) effective area at  $E > 300 \text{ MeV}$
- 2) excellent angular resolution, 3–10 times better than the Fermi-LAT one depending on the energy
- 3) very good sensitivity
- 4) reasonable energy resolution ( $\approx 20\%$  at  $100 \text{ MeV}$  and 6–10% for the  $10 \text{ GeV} - 1 \text{ TeV}$  energy range)
- 5) Such a telescope would be instrumental in a broad range of long-standing astrophysical problems, including blazar studies, GW transient counterpart search, EBL and EGMF measurement, dark matter searches, etc.
- 6) Probably it is possible to reduce the mass of the instrument significantly by replacing the LAr calorimeter with a high-Z (e.g. Tungsten) calorimeter.

The reported study was funded by RFBR, Russia, project number 20-32-70169.

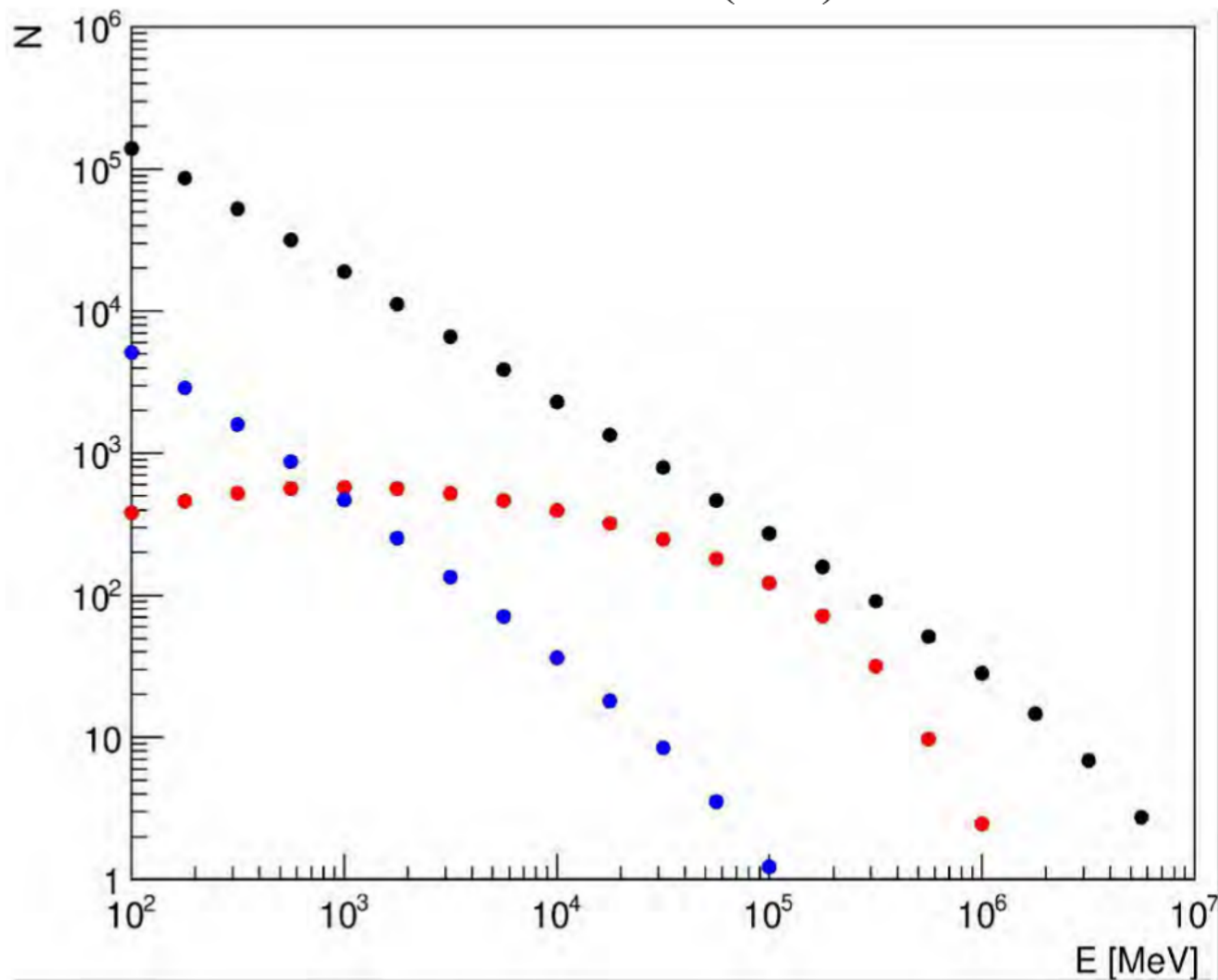


Additional slides

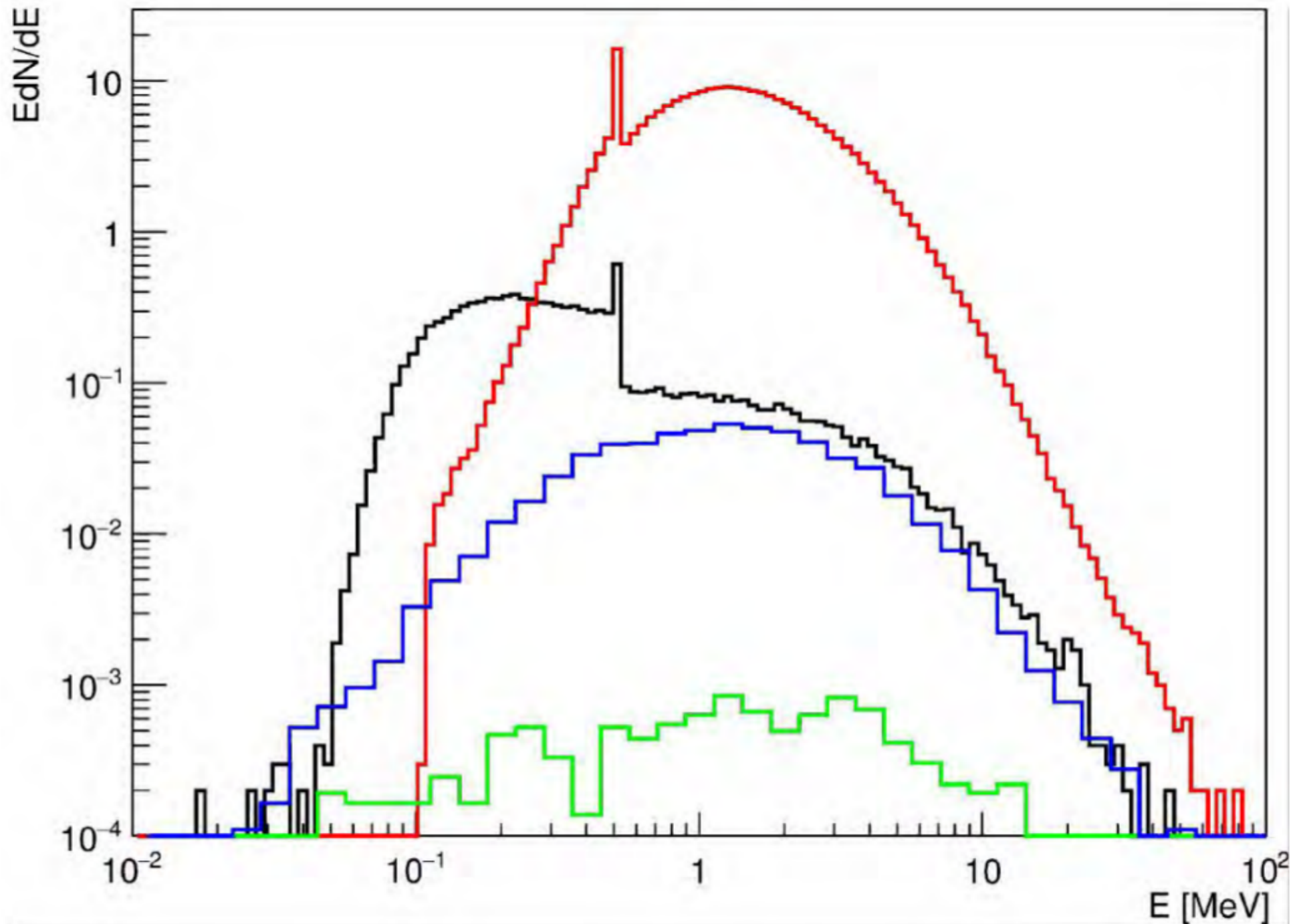
Prospects for AGN observation: 1ES 0347-121 (10 years, survey mode), Mkn 501 (6.5 month flare, survey mode), PKS 1222+216 (2.5 h flare, pointing mode)

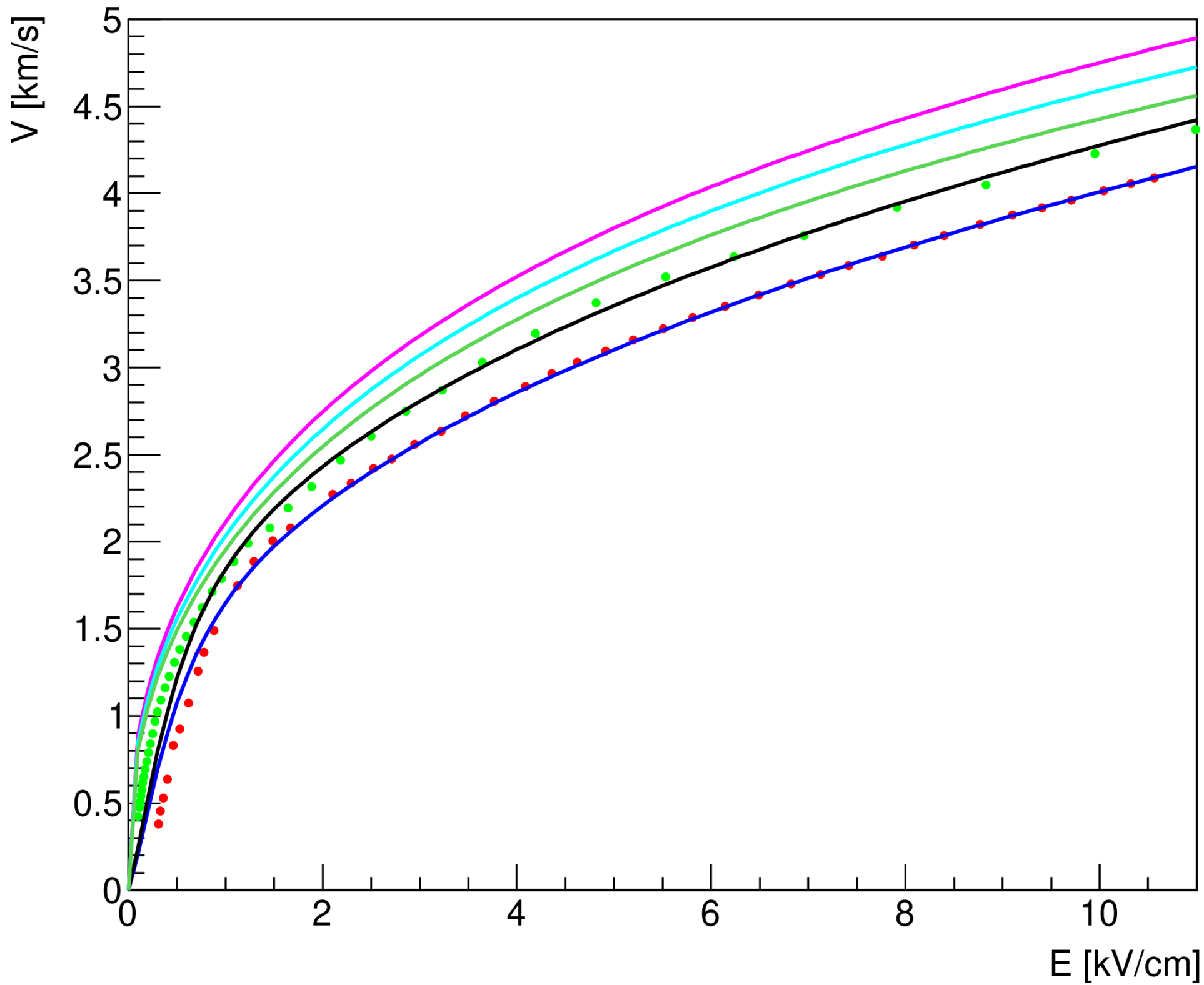


Event number histograms: Mkn 501 (black), 1ES 0347-121 (red),  
PKS 1222+216 (blue)



The flux of “backsplash” (“reverse current”) for Argon ( $\gamma$ -rays: black;  $e^+e^-$ : green) and Tungsten ( $\gamma$ -rays: red;  $e^+e^-$ : blue)





$$\sigma_{\theta 1} = \frac{2\sigma_d}{x} \sqrt{\frac{3}{N+3}}$$

Finite detector resolution →  
angular uncertainty

$$\sigma_{\theta 2} = \frac{(2\sigma_d)^{1/4} l_t^{1/8}}{X_0^{3/8}} \left( \frac{p_0}{p} \right)^{3/4}$$

Multiple scattering →  
angular uncertainty

$$\sigma_d = \sqrt{\frac{l_t^2}{12} + \frac{K_D \Delta_t}{v_d}}$$

Effective spatial resolution  
of the detector