#### Quantum enhanced methods for ultralight dark matter searches



TIPP talk May 28th 2021

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#### **Outline**

search for ultralight dark matter: a quantum metrology problem

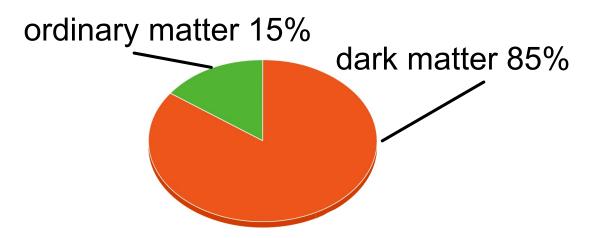
quantum squeezing is already speeding up the search for axionic dark matter

quantum technology development may dramatically accelerate an axion search



#### Particle nature of dark matter remains unknown





dark matter:

85% of the matter in the universe

detected only gravitationally

cold (gravitationally bound)

mean density: ~ 0.4 GeV/cm<sup>3</sup>

## Ultralight dark matter must be bosonic



ultralight dark matter (e.g. axions):

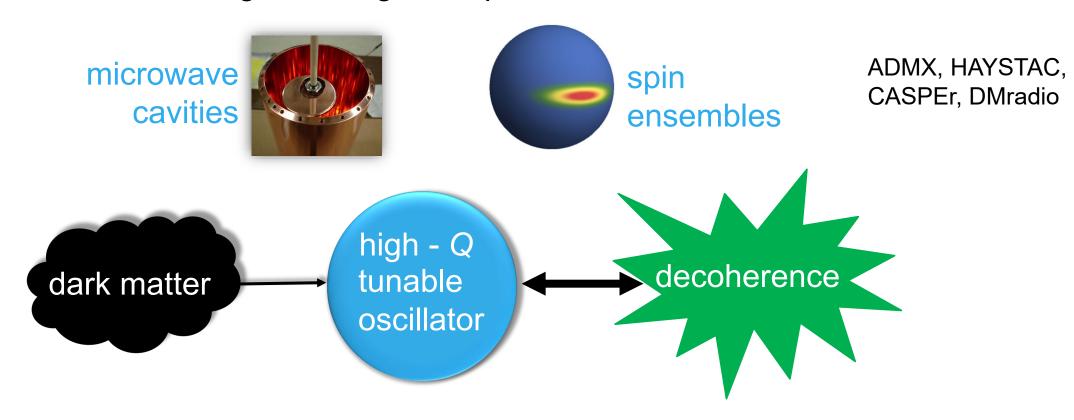
quantum degenerate Bose gas

more wave-like than particle-like

tone: feeble, persistent, unknown frequency

#### Laboratory based searches for ultralight dark matter

classical signal acting on a quantum harmonic oscillator



evolution in rotating frame

null hypothesis

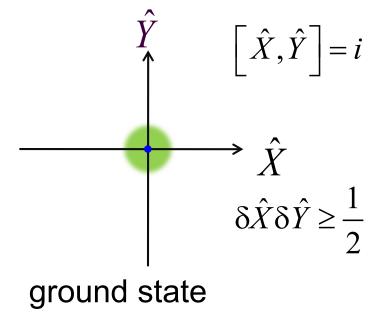
dark matter hypothesis

$$\hat{H}_{\rm r} = 0$$

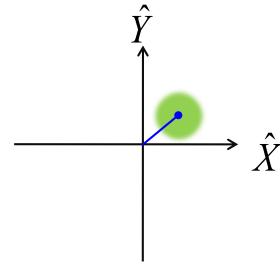
$$\hat{H}_{r} = F_{V}(t)\hat{X} + F_{V}(t)\hat{Y}$$

#### Quantum noise pollutes inference of classical force

null hypothesis



dark matter hypothesis



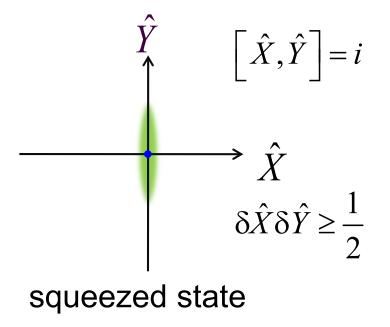
displaced ground state

"quantum limit"--- coherent state limit (CSL)
prepare in ground state, evolve, measure *X* noiselessly

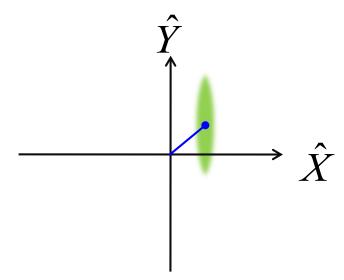


## Squeezing and noiseless measurement circumvent quantum limit <sup>7</sup>

#### null hypothesis



dark matter hypothesis



displaced squeezed state

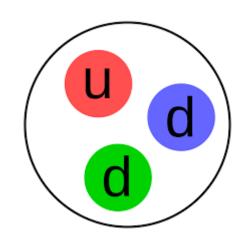
beat the quantum limit prepare in squeezed state, evolve, measure *X* noiselessly



## quantum enhanced axion search

# Hypothetical QCD axion: a light particle that is cold and dense enough to contribute to dark matter

mechanism to resolve strong-CP problem (Peccei and Quinn)
Why is CP symmetry well-preserved in QCD?
Why is the neutron so round?



axion mass range

 $2 \mu eV < m_a c^2 < 2000 \mu eV$ 

as a frequency

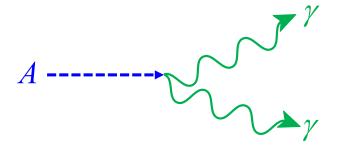
 $500 \text{ MHz*} < m_a c^2 / h < 500 \text{ GHz}$ 



<sup>\*</sup>post-inflation scenario

#### Axion field couples to electromagnetism

modified QCD Lagrangian  $\Rightarrow g_{A\gamma\gamma} A(\vec{E} \cdot \vec{B})$ 



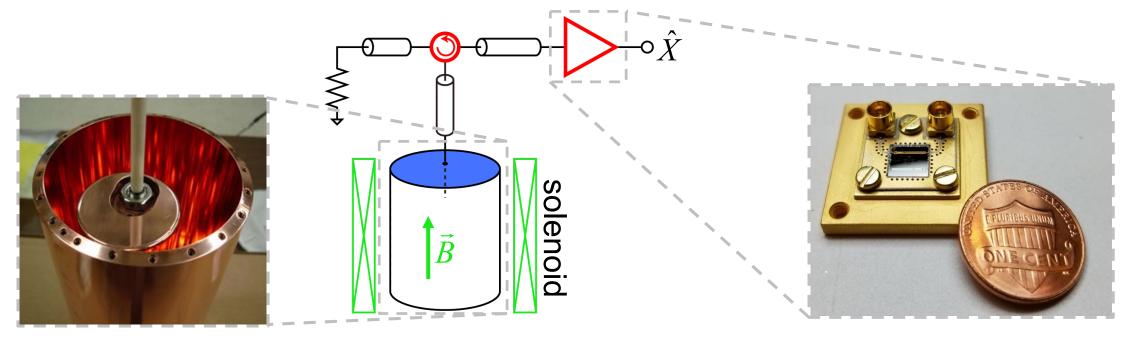
linearize coupling around static  $\vec{B}$ -field

$$A$$
  $E_A = E_{\gamma}$ 

dark matter axions create microwave photons



#### Scan cavity to search for resonant axion to photon conversion



1 L volume

$$Q = 10^4$$

 $\omega_{\rm cav} \sim 2\pi \times 5 \text{ GHz}$ 

tunable cavity

$$T \ll \frac{\hbar \omega_{\text{cav}}}{k_{B}}$$

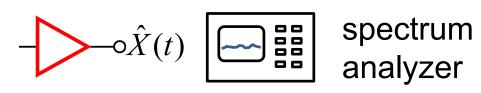
Josephson parametric amplifier (JPA)

measure  $\hat{X}$  noiselessly

haloscope (Sikivie 1983) at the quantum limit (HAYSTAC 2017)

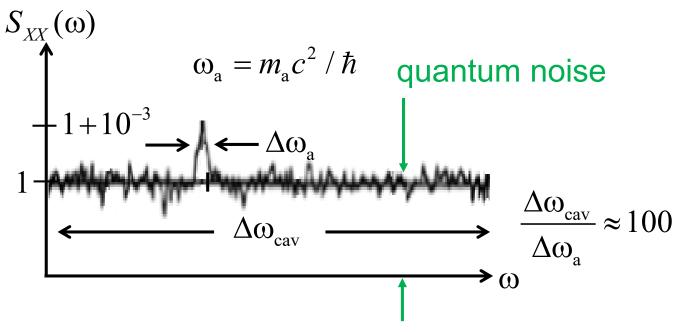


#### Average noise to resolve tiny excess axion power



10<sup>-3</sup> noise precision ⇒ 10<sup>6</sup> measurements

tune → wait and average → tune

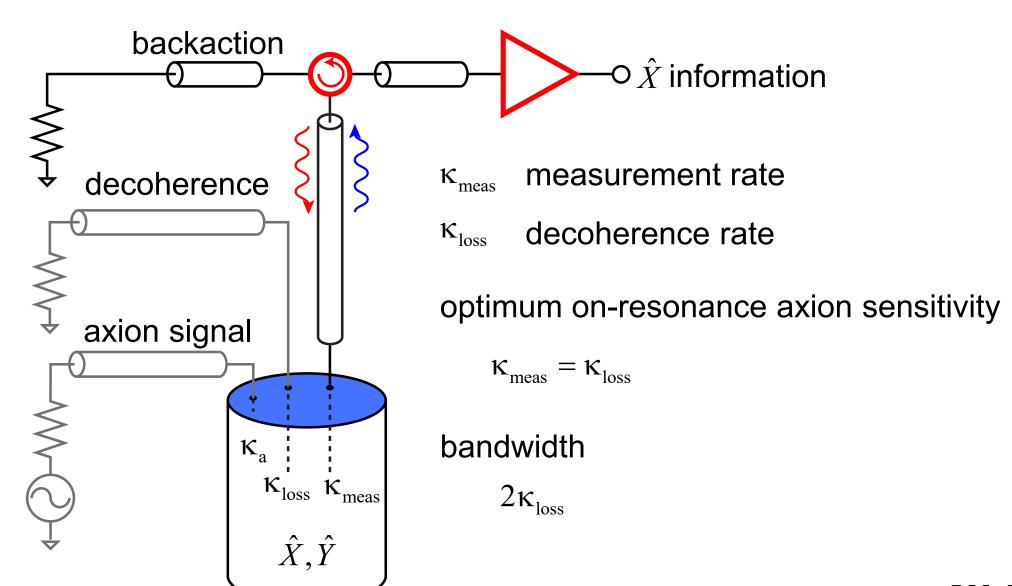


100 axion bands per cavity tuning

scan rate proportional to bandwidth

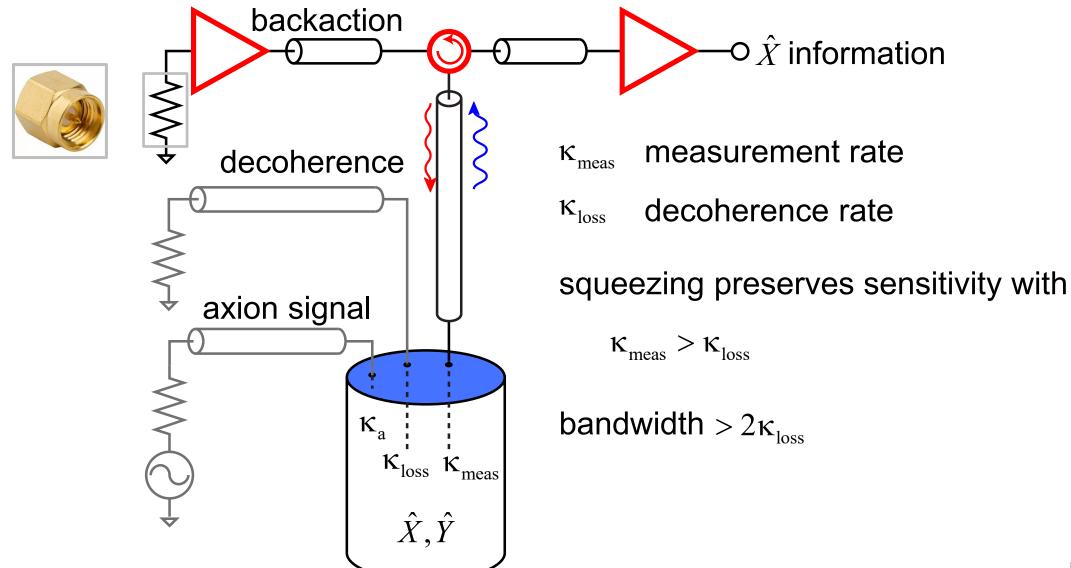


#### Measurement backaction limits haloscope bandwidth



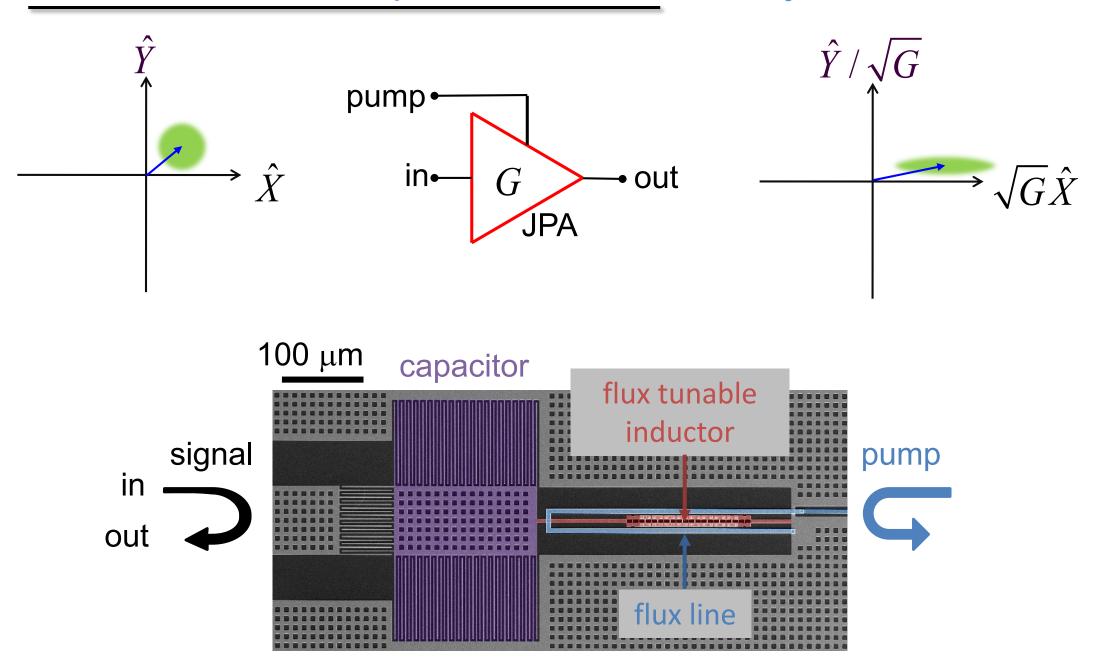


#### Squeezing yields larger bandwidth through backaction evasion



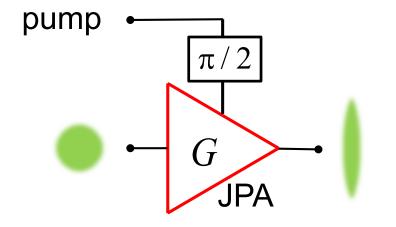


## JPAs measure one quadrature noiselessly





## JPAs prepare microwave squeezed states



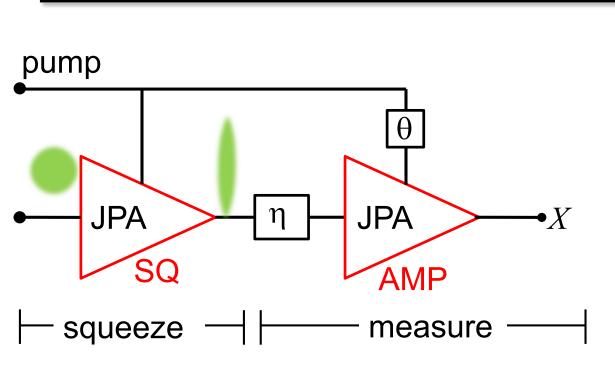
$$\delta^2 \hat{Y} = \frac{G}{2}$$

$$\delta^2 \hat{X} = \frac{1}{2G}$$

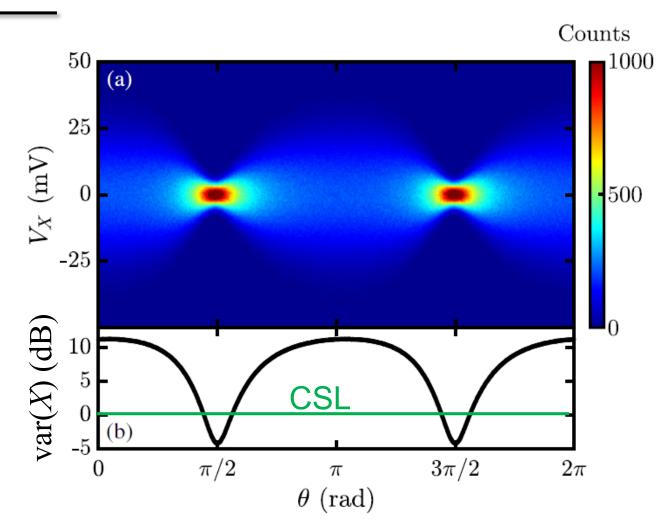
squeezed quadrature: quantum noise suppressed



# Demonstration of squeezing and determination of loss: second JPA analyzes squeezed state created by first



phase  $\theta$  chooses measured quadrature relative to squeezed quadrature



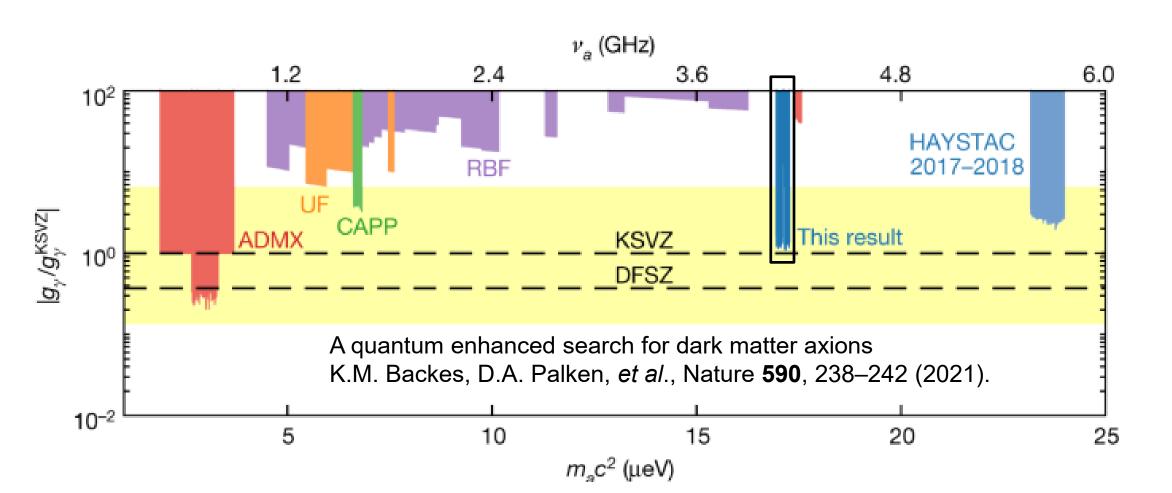
loss η: 1.63 dB





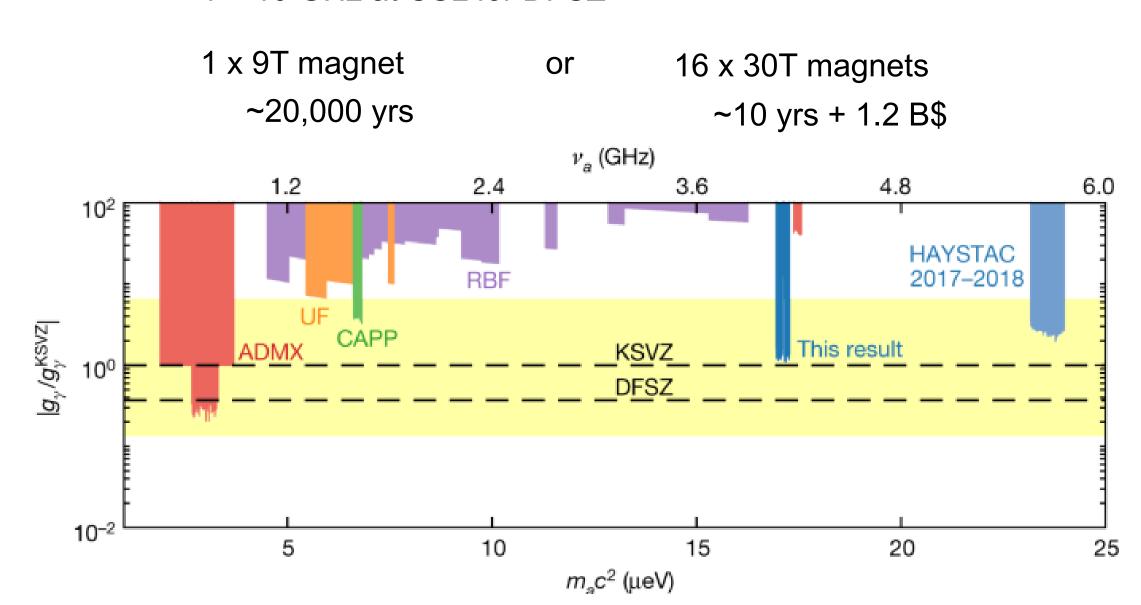
#### First quantum enhanced dark matter search

double the CSL scan rate



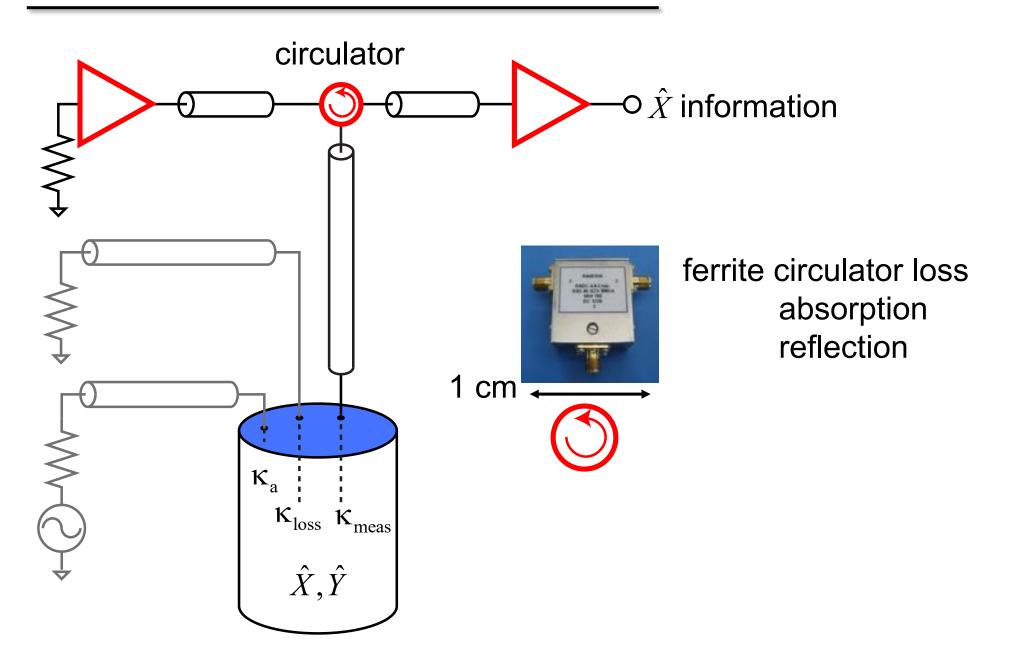
### Prohibitive resources required to scan one decade at CSL

1 – 10 GHz at CSL for DFSZ



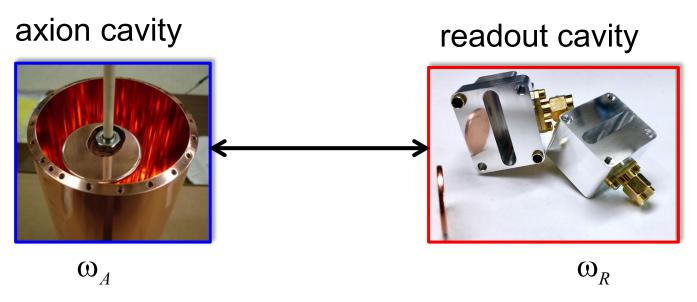
## engineering more quantum enhancement

## Squeezing diminished by circulator and cascaded signal path





#### A better approach to backaction evading measurements



no ferrite circulators no loss from reflection

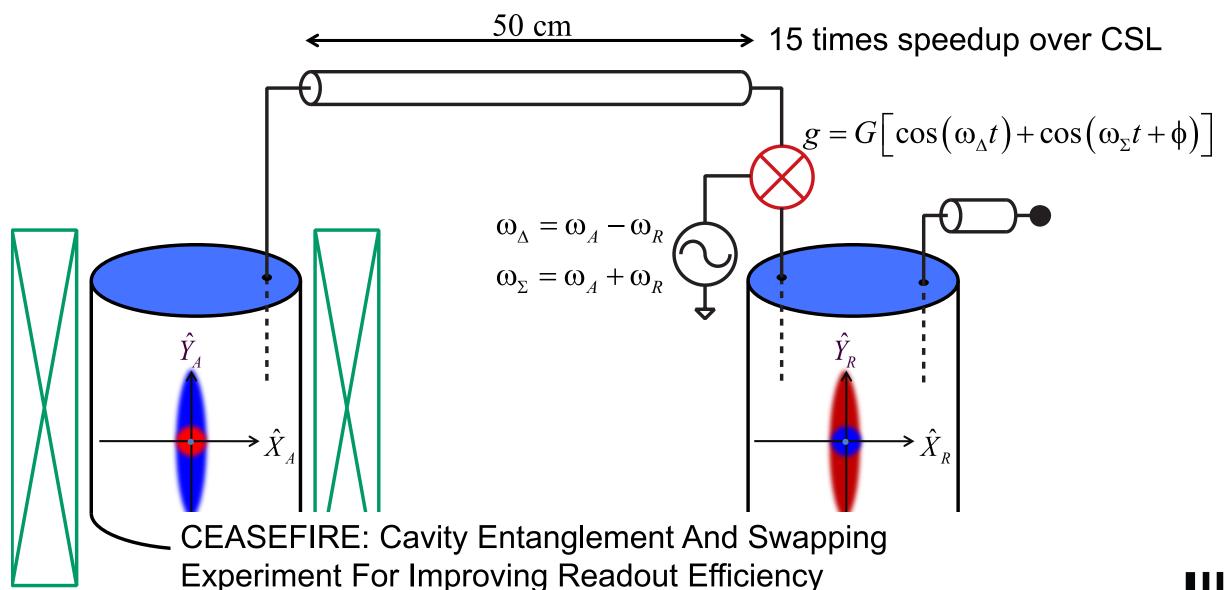
engineering QND interaction between two cavities

$$\hat{H}_I = \hbar G \hat{X}_R \hat{X}_A \qquad \frac{d}{dt} \hat{Y}_R = -G \hat{X}_A$$

monitor  $\hat{Y}_{R}$  infer  $\hat{X}_{A}$ 

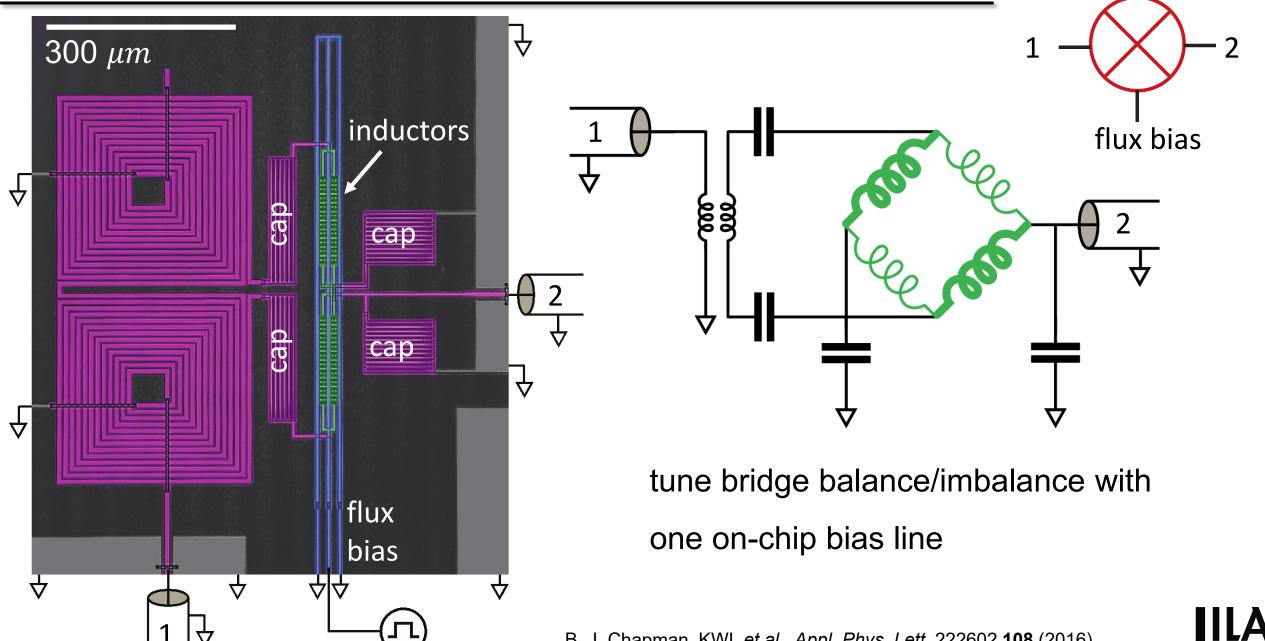
backaction deposited in unmonitored quadrature







## Tunable coupler from an inductor bridge





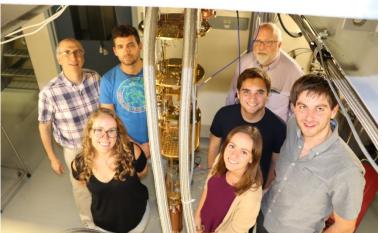
#### Conclusions

superconducting quantum technology accelerates the search for dark matter

quantum squeezing doubles search rate in HAYSTAC apparatus

greater speedup possible with circulator-less concepts

Yale, August 2018, SSR commissioning





#### **CEASEFIRE**

Kelly Wurtz
Yue (Joyce) Jiang
Ben Brubaker
Elizabeth Ruddy
Kyle Quinlan
Daniel Palken
Maxime Malnou
Konrad Lehnert



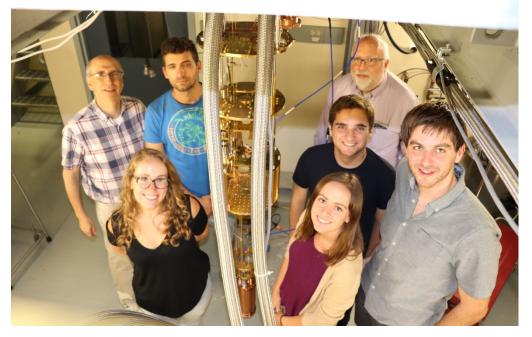
#### Conclusions

superconducting quantum technology can accelerate search for ultralight dark matter

quantum squeezing doubles search rate in demonstration

squeezed state receiver now operating in HAYSTAC apparatus

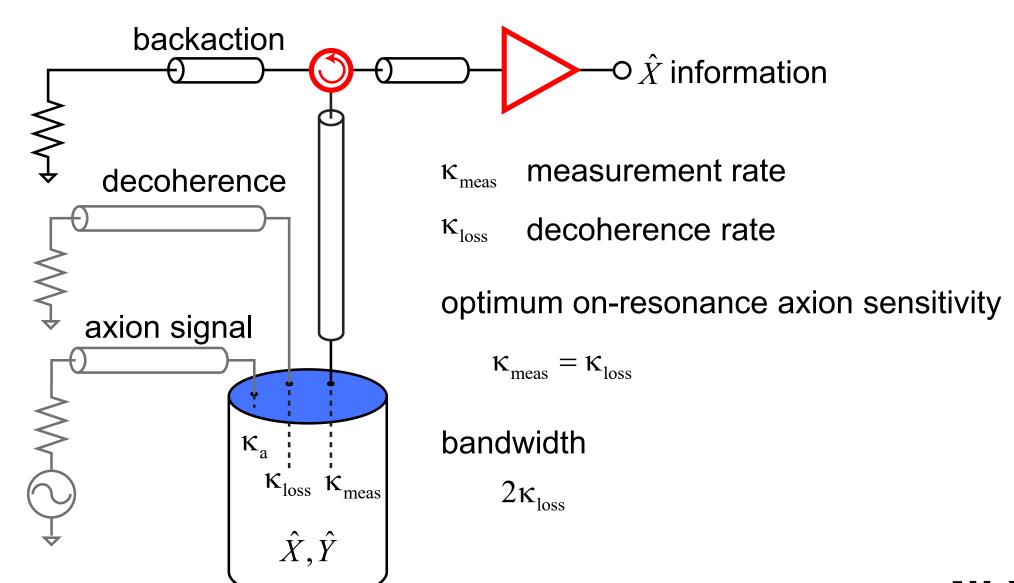
greater speedup possible with circulator-less concepts



Yale, August 2018. SSR commissioning

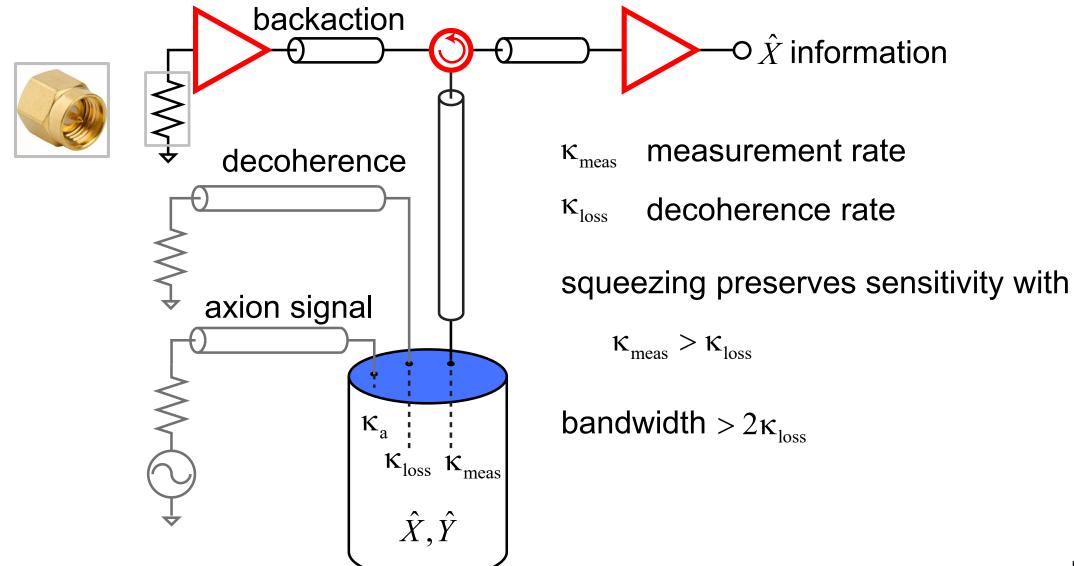


#### Measurement backaction limits haloscope bandwidth





## Squeezing yields larger bandwidth through backaction evasion





#### Questions? (you might ask)

Don't you lose half your signal measuring one quadrature? (yes, but also half the noise power: arxiv:1809.06470: App. C)

Should you count photons instead? (maybe, more so at higher frequencies: arXiv:1607.02529)

Is it possible to measure both axion quadratures noiselessly? (in principle, yes! arXiv:1607.02529)

What would become possible if the cavity were more coherent than the signal?

