



DE LA RECHERCHE À L'INDUSTRIE

# FIRST RESULTS ON $^{235}\text{U}(n_{\text{TH}},f)$ INDEPENDENT ISOTOPIC FISSION YIELDS USING PROMPT GAMMA RAYS AT FIPPS

06/06/2023

PIERRE HERRAN

CEA / DRF / IRFU / DPHN

IRFU/DPhN :

T. MATERNA, A. LETOURNEAU, D. DORÉ, L. THULLIEZ,  
P. HERRAN, M. BALLU + Q. POIRIER

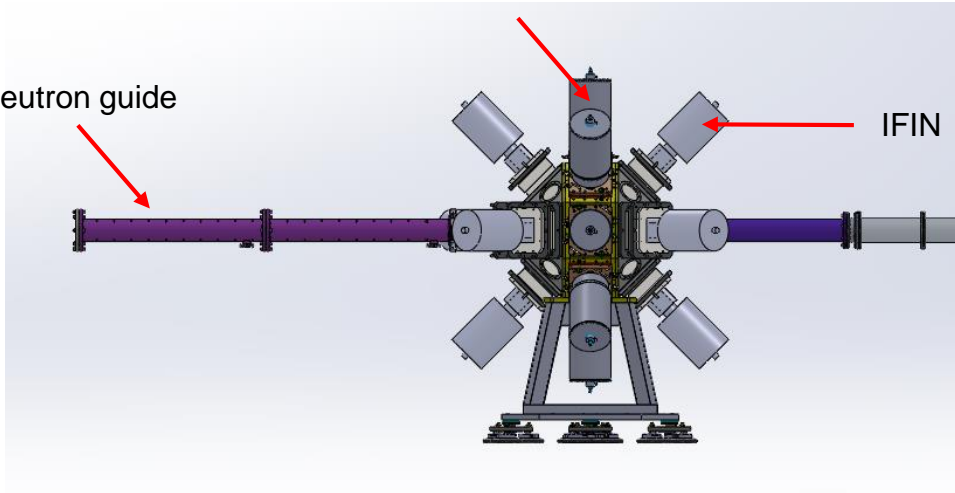
SPRC/LEPH : O. LITAIZE, A. CHEBBOUBI

ILL : C. MICHELAGNOLI, Y.H. KIM, F. KANDZIA, U. KÖSTER,  
D. REYGADAS, ...

FIPPS

Neutron guide

IFIN

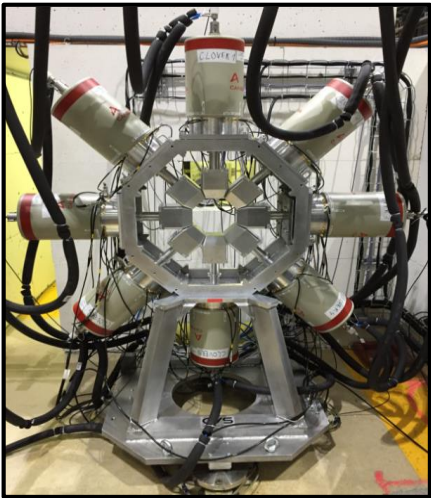


## FIPPS (Fission Product Prompt $\gamma$ -ray Spectrometer)

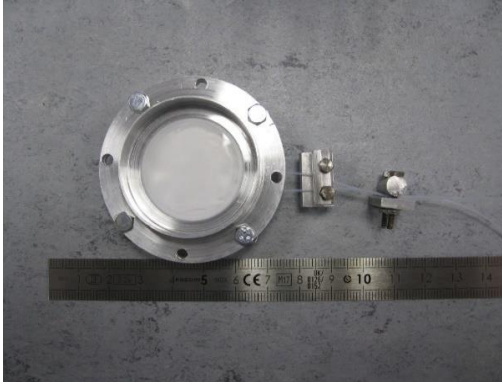
Installed at the ILL (Grenoble)

Thermal neutron guide + Collimators

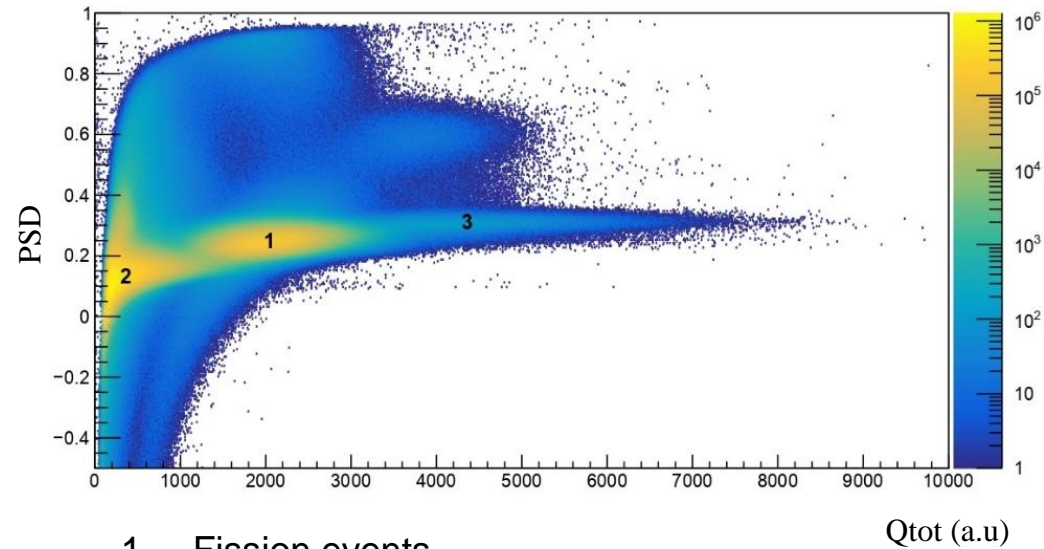
Neutron flux at target :  $10^8$  n/s/cm<sup>2</sup>



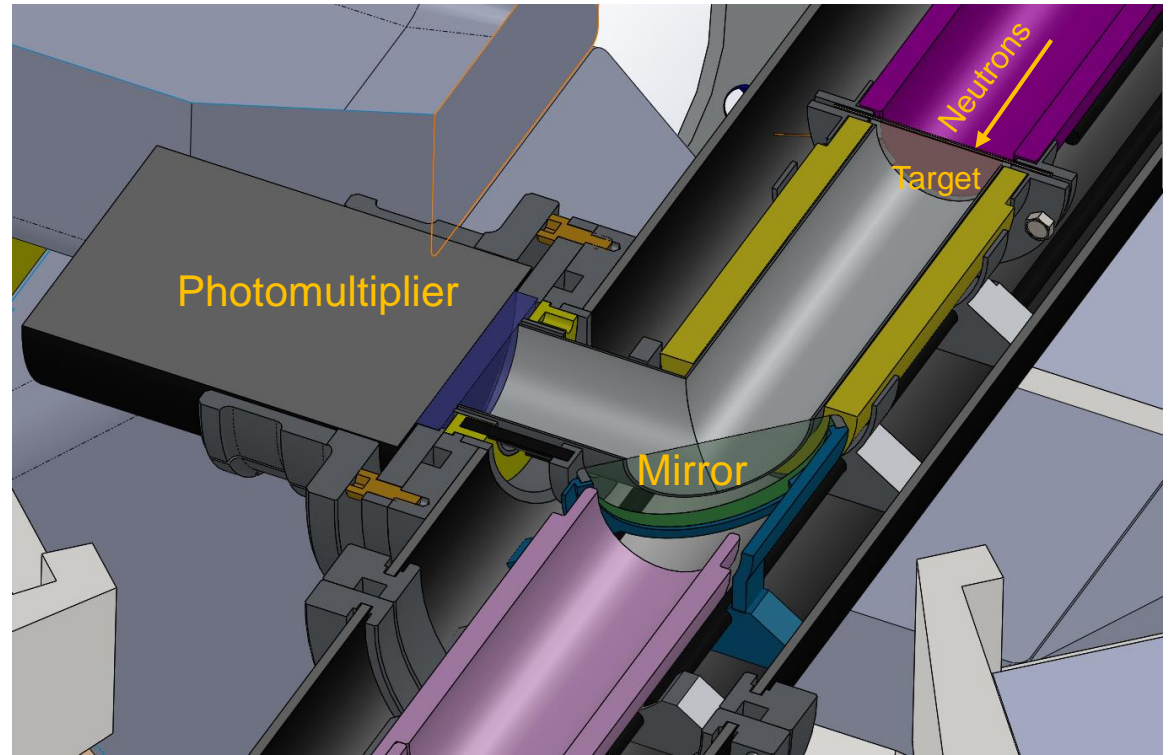
- 8 FIPPS + 8 IFIN HPGe clovers (64 crystals) with very good resolution in energy
- BGO anti Compton around IFIN clover
- Active target : U-235



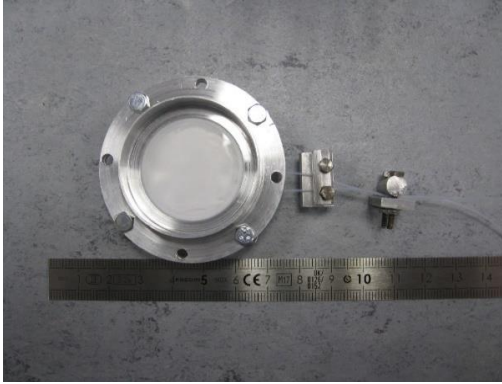
- U-235 solution diluted in a scintillator liquid (CEA/DAM)
- Saphir ( $\text{Al}_2\text{O}_3$ ) window
- Photomultiplier  $\rightarrow$  Fission tag



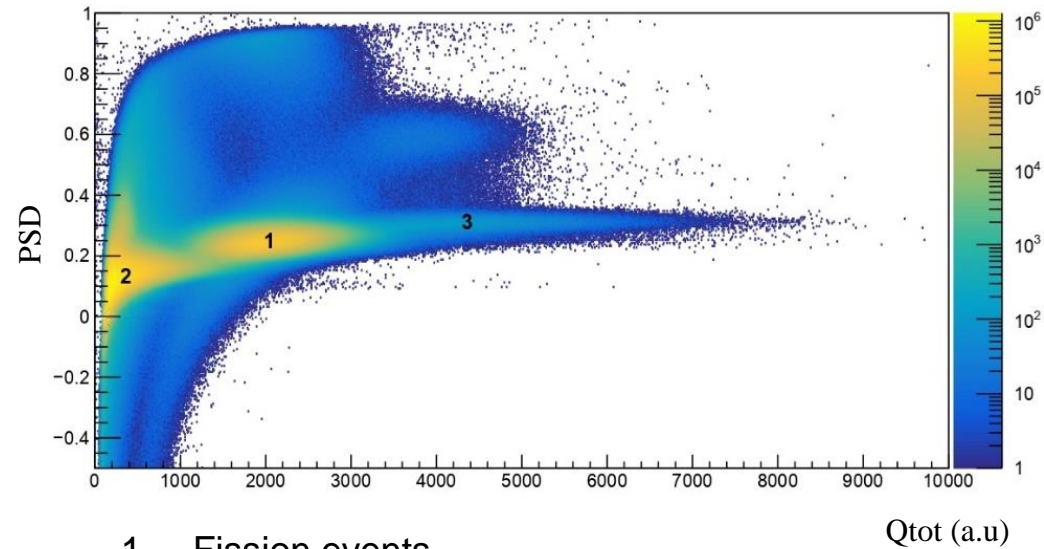
1. Fission events
2. Beta decay
3. Ternary fission



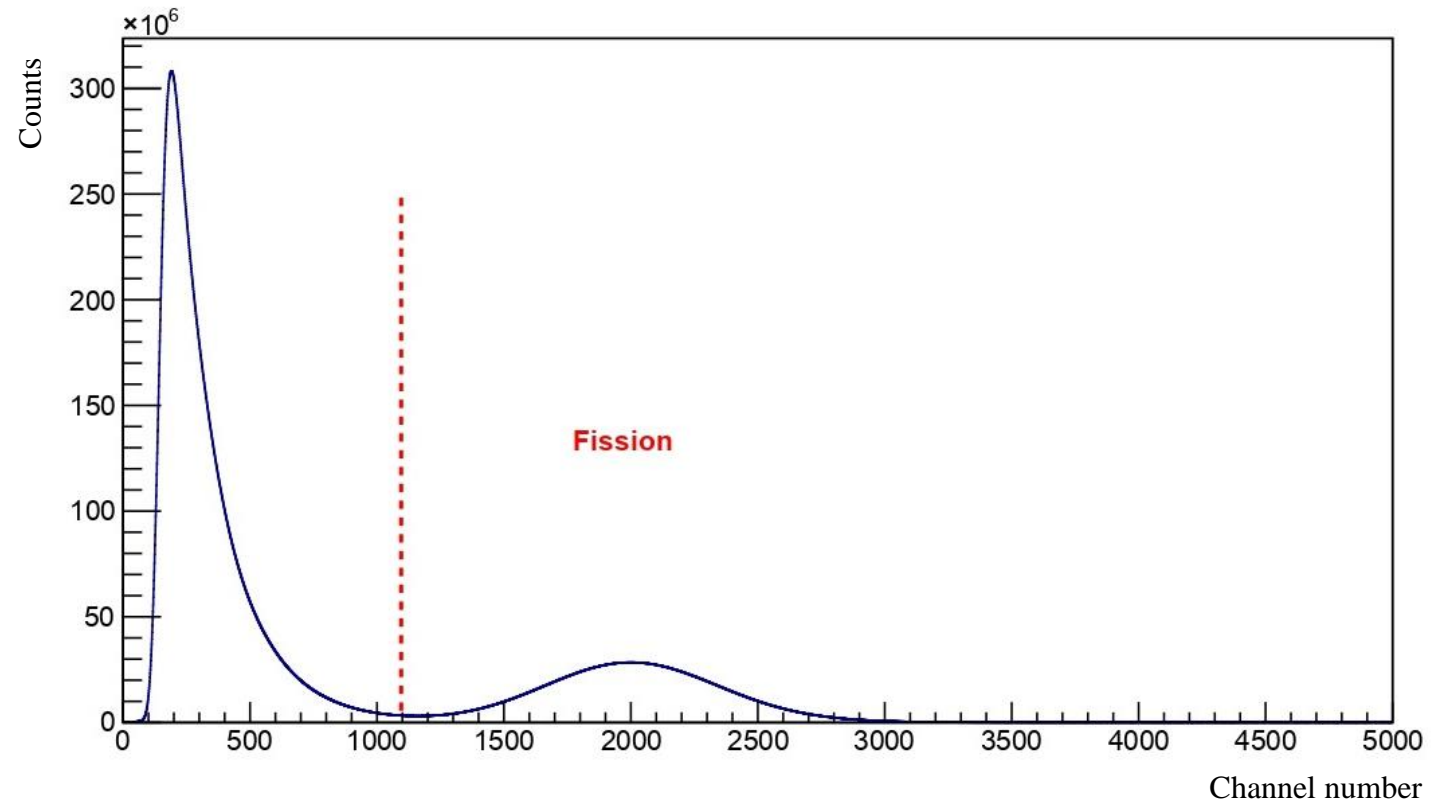
F. Kandzia et al. EPJA 2020



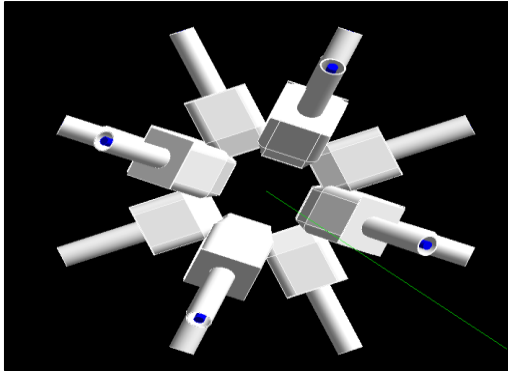
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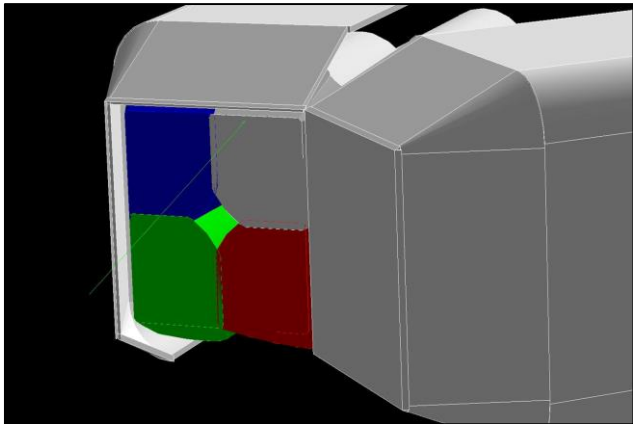
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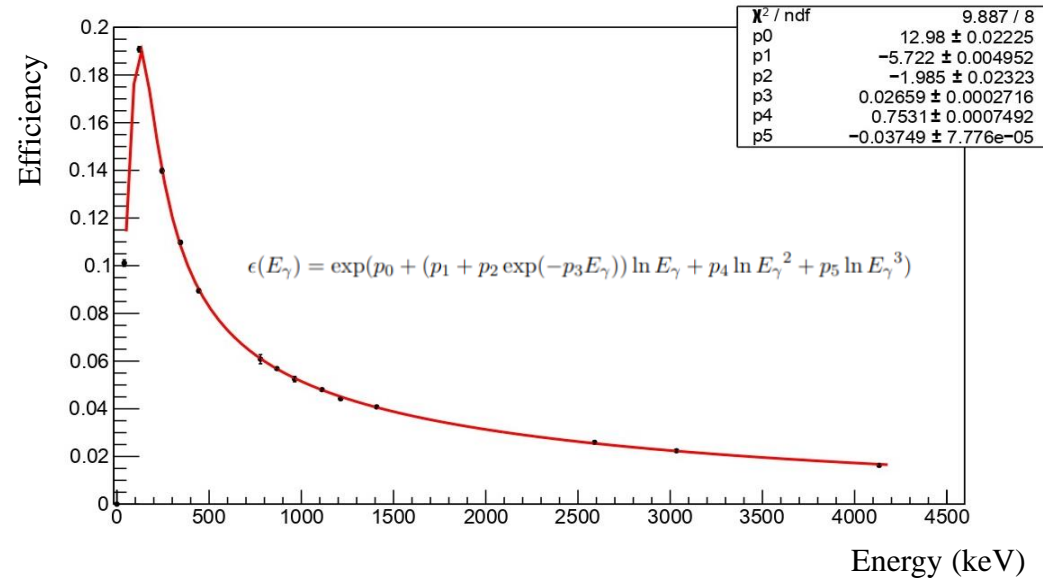
- Test of a method for measuring independent isotopic fission yields using prompt gamma-rays and search for anomalies
- Study of the fission process via the prompt gamma cascade
  - Angular momentum distribution
  - Sharing of the excitation energy
  - Comparison with the fission fragment de-excitation code FIFRELIN
- Delayed gamma-ray measurements
  - Cumulative fission yields
  - Validity of delayed gamma-ray intensities (Pandemonium effect)



FIPPS spectrometer and its 16 clovers



Zoom in on a clover with 4 crystals

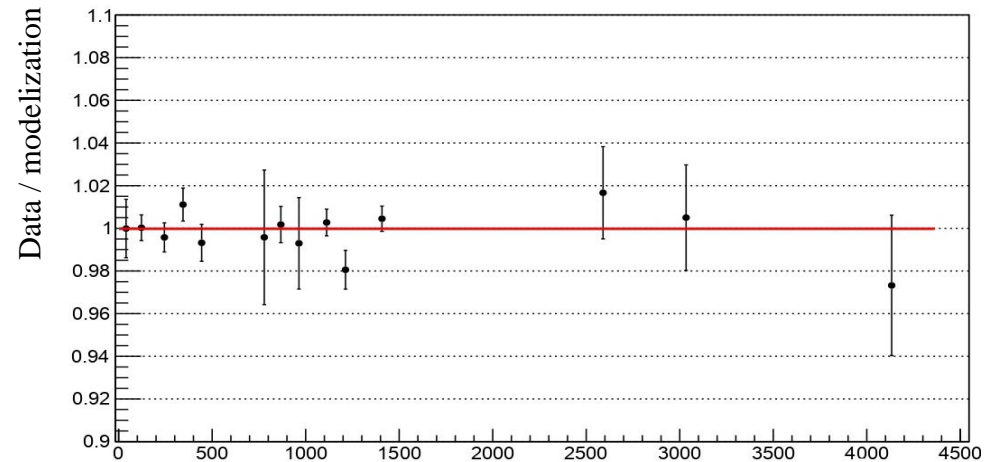


Efficiency curve of FIPPS spectrometer

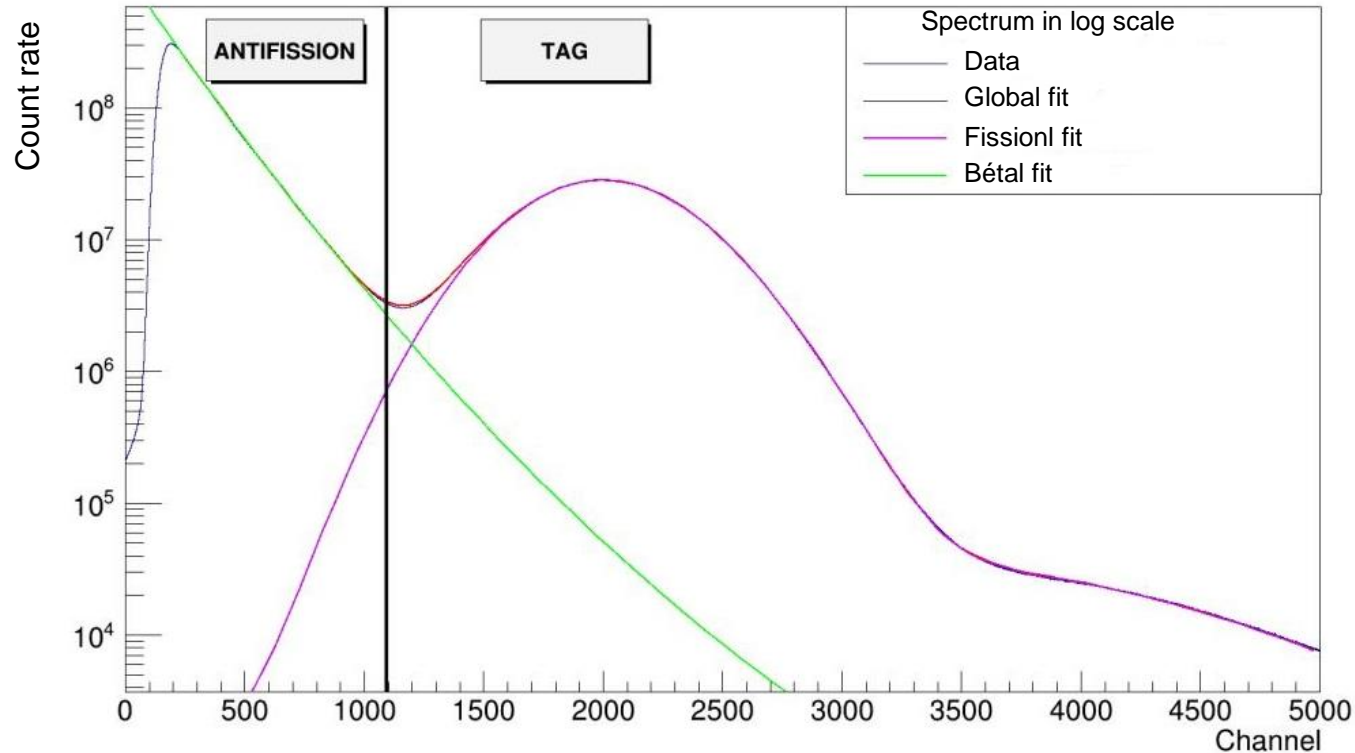
Efficiency of FIPPS with :

- Eu-152 source
- Al-27(n, $\gamma$ )Al-28

Absolute efficiency with uncertainties < 0,5%



PMT spectrum (U-235 active target)



Threshold to select  $\beta$ -decay or fission events

**2.436  $10^{10}$  fissions in 35 days**

2.2 % (events > threshold) = beta

0.3 % (events < threshold) = fission

Check with Zr-100 and Sr-94 prompt gamma

0.4 – 0.5 % (events < threshold) = fission

Number of fission validated with delayed gamma rays (back up slide)



$N_f$ : number of fission

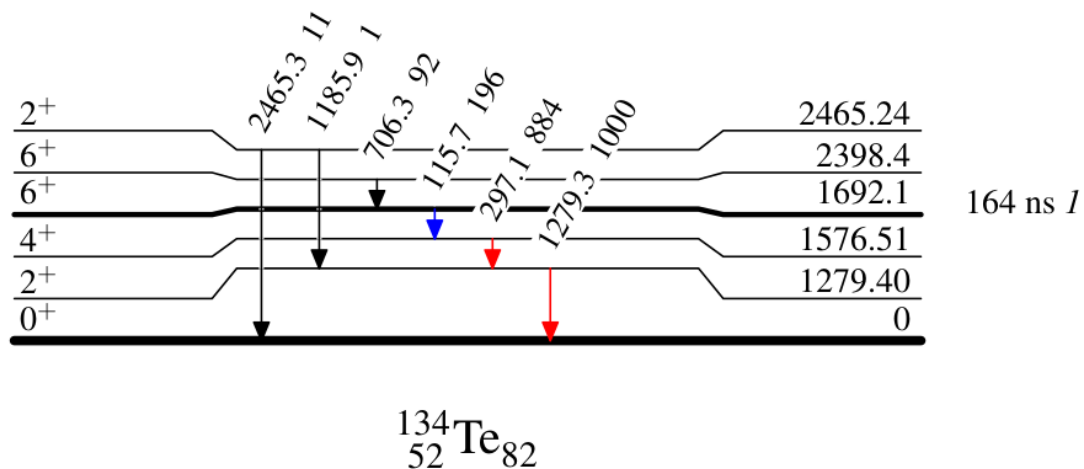
$$Y\left(\frac{A}{Z}X\right) = \frac{N(E_\gamma)}{N_f \times \varepsilon(E_\gamma)}$$

$N(E_\gamma)$ : number of gamma – rays that fall on the ground state

$\varepsilon(E_\gamma)$ : efficiency at given energy

Independent isotopic fission yield of U-235 :

- Sum of all gamma falling on the ground state
- Normalized to total number of fissions



$N_f$ : fission number

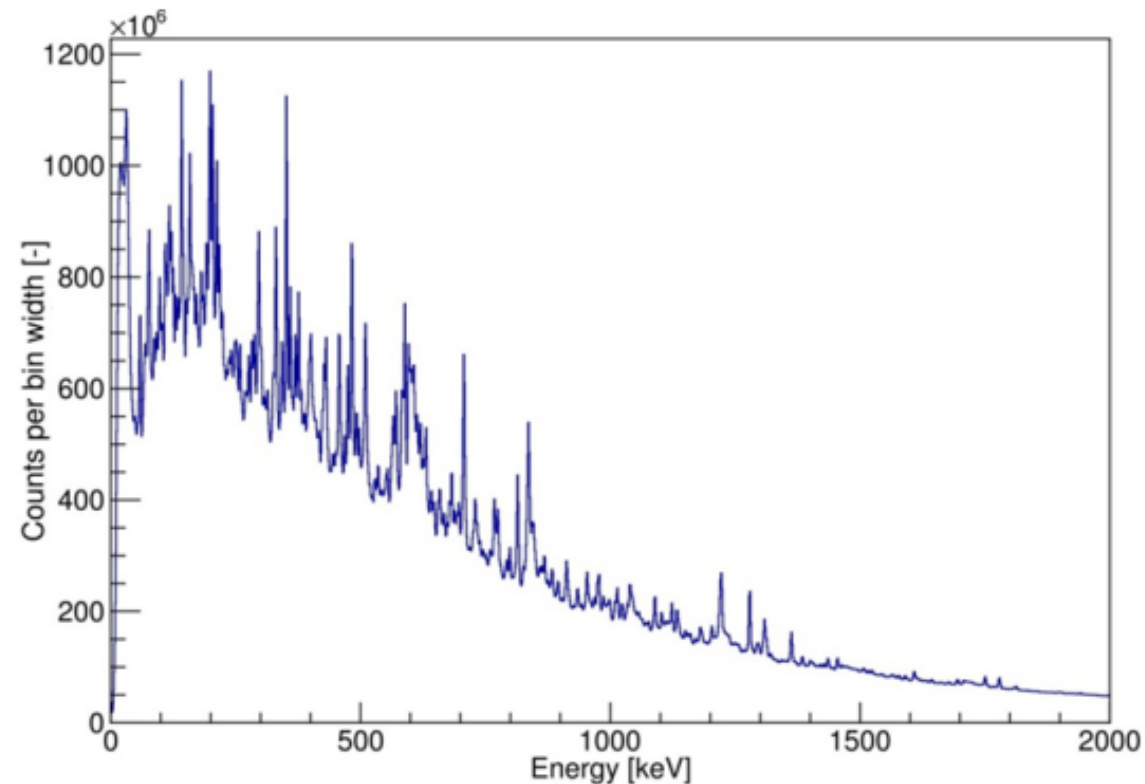
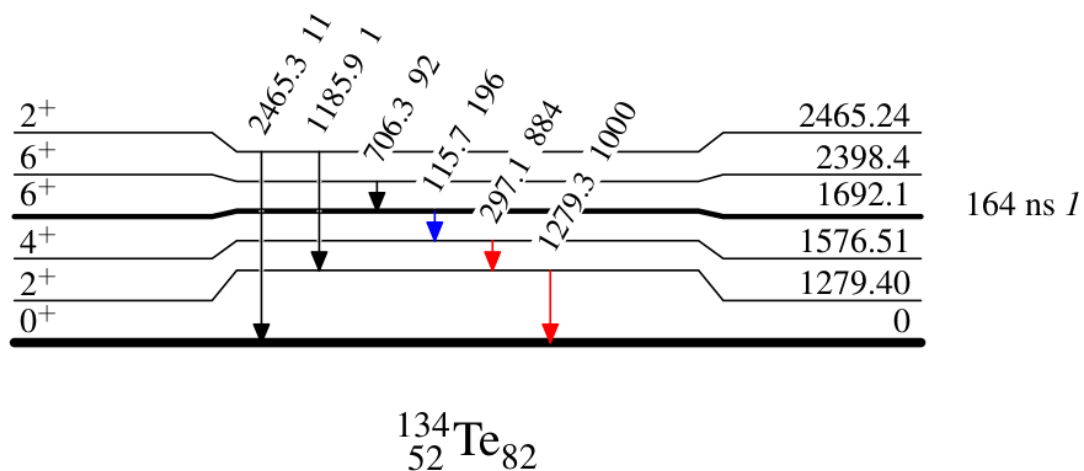
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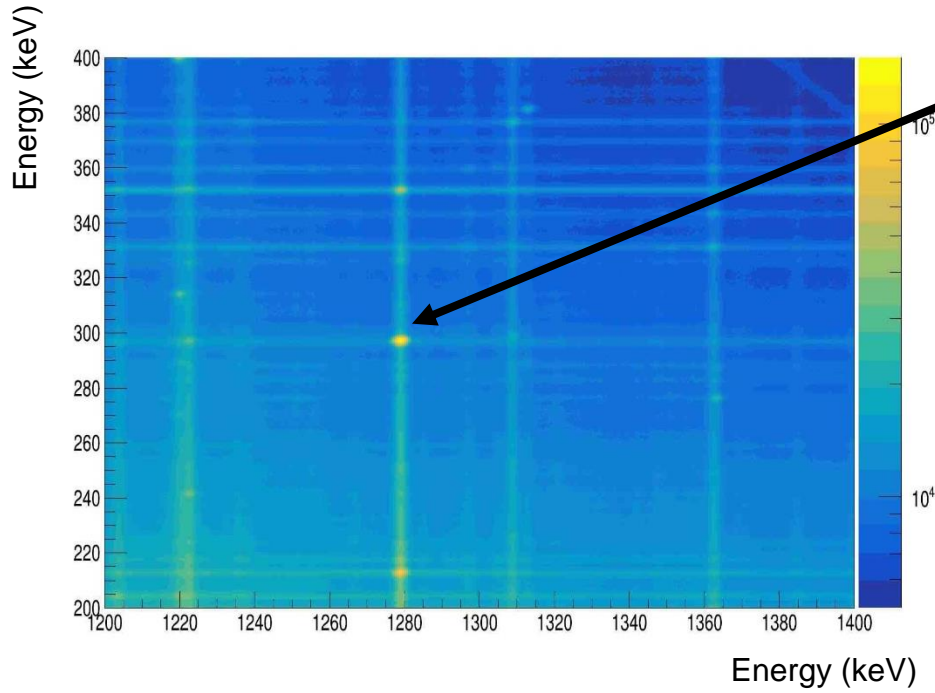


In practice, prompt-gamma-ray spectrum is too dense

→ use of prompt  $\gamma\gamma$  matrix and  $\gamma\gamma\gamma$  cube

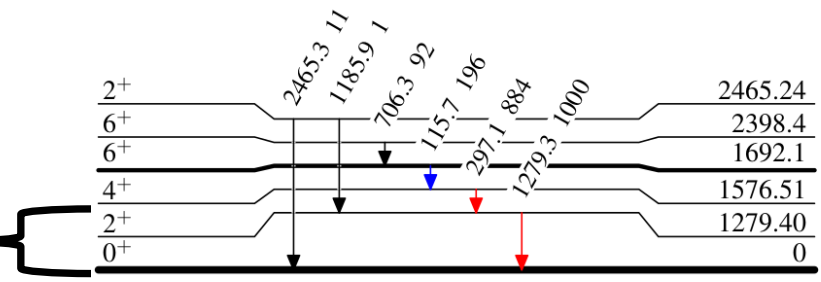
$$Y({}_Z^AX) = \frac{N(E_{\gamma 1}, E_{\gamma 2})}{N_f \times \varepsilon(E_{\gamma 1}) \times \varepsilon(E_{\gamma 2})} \times \frac{1}{R}$$

*R: intensity ratio*



(1279.3 & 297.1)

$N(E_{\gamma 1}, E_{\gamma 2})$



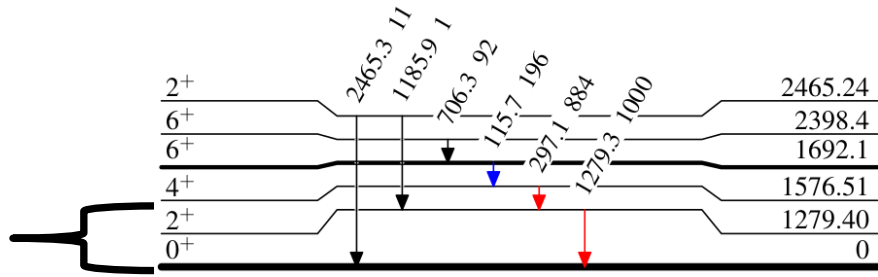
164 ns /

${}_{52}^{134}\text{Te}_{82}$

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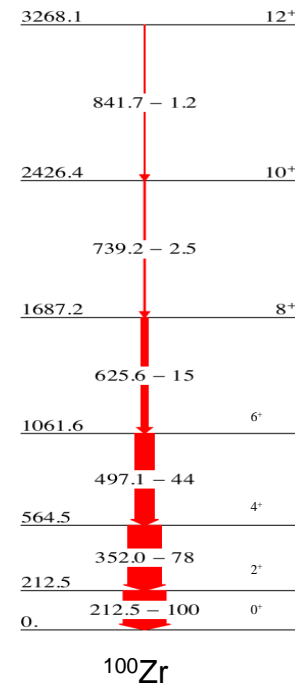
$$R = \frac{N(E_{\gamma 1})}{N(E_{\gamma 2})} \times \frac{\varepsilon(E_{\gamma 2})}{\varepsilon(E_{\gamma 1})} \quad R: \text{intensity ratio}$$

(1279.3 & 297.1)

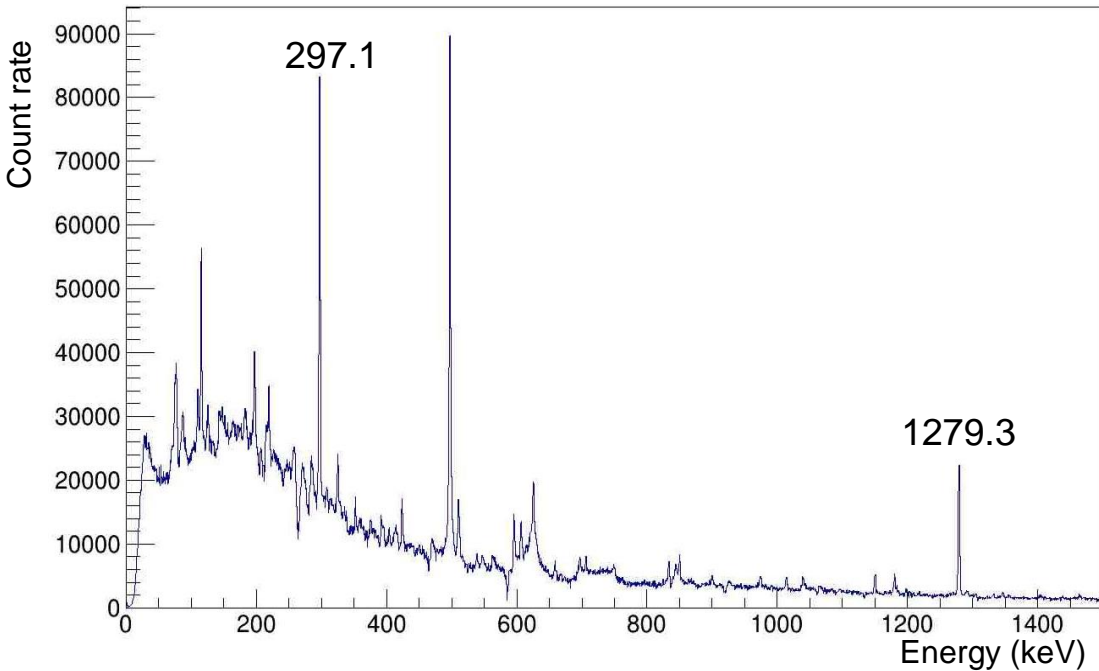


164 ns /

$^{134}_{52}\text{Te}_{82}$



$^{100}\text{Zr}$

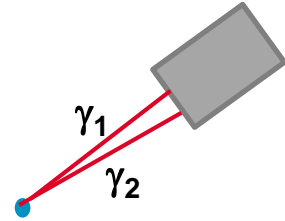


Spectrum obtained after selection on the complementary and subtraction of the background noise

## Summation effects :

Efficiency of a crystal  $\sim 0.3 \%$

Efficiency of a clover  $\sim 1.3 \%$



Summation effects  $\sim 1 - \text{eff} \times (\text{multiplicity}-1)$  so  $\sim (1 - \text{eff} \times (\text{multiplicity}-1))^2$  for the coincidences of 2 gamma-rays

→ deficit of 10 - 15 % of counts in the peak

In practice, the deficit depends on the fragment is obtained from simulations :

- Geant4 simulation of the device adjusted on the calibration data with a Eu-152 source
- Simulation of fission prompt gamma cascades with the FIFRELIN code as input to the Geant4 simulation of FIPPS

## Other effects :

FIFRELIN simulation allows us to estimate correction from :

- Low-produced transitions to ground state
- Production directly at the ground state without prompt gamma emission

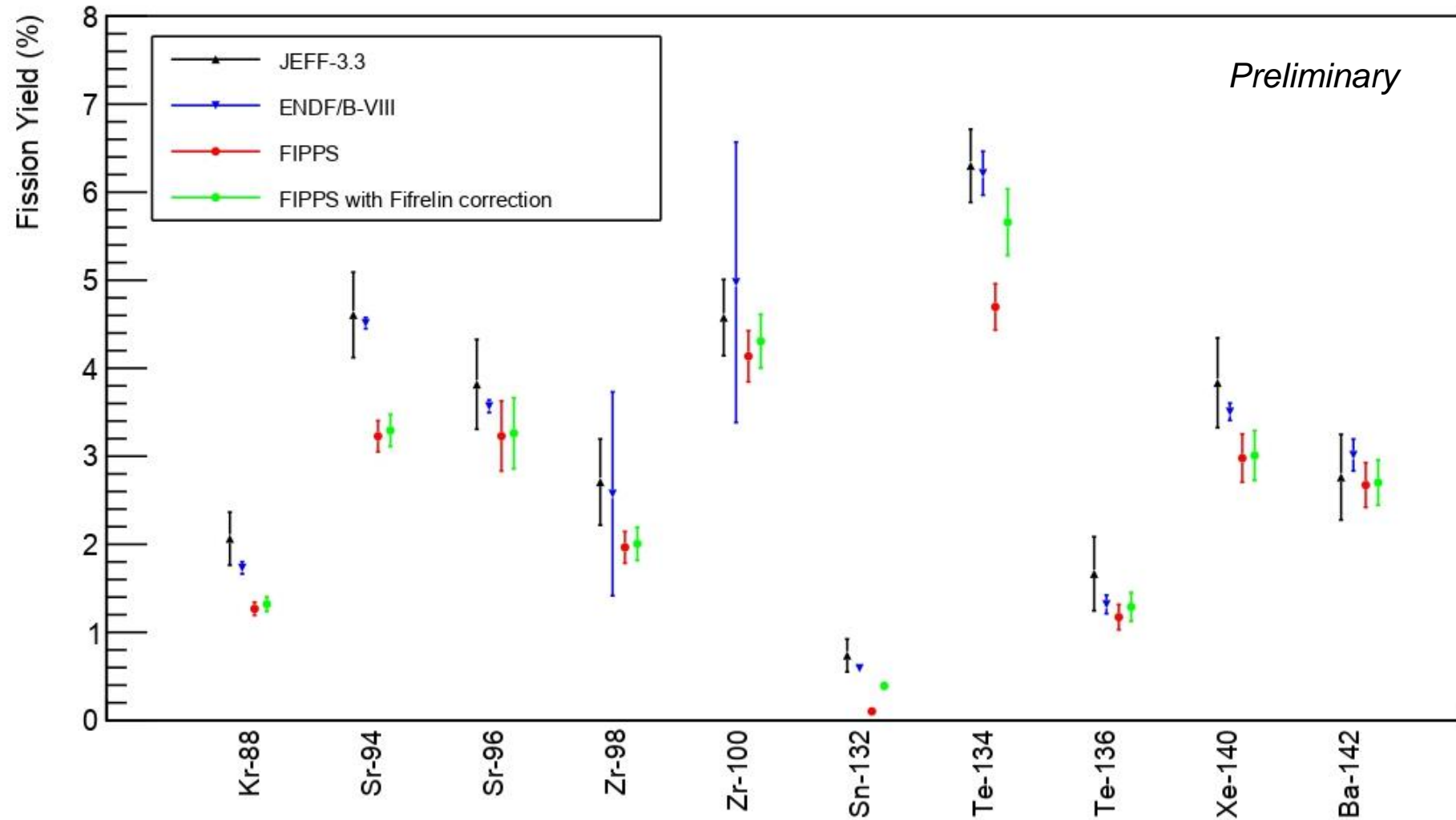
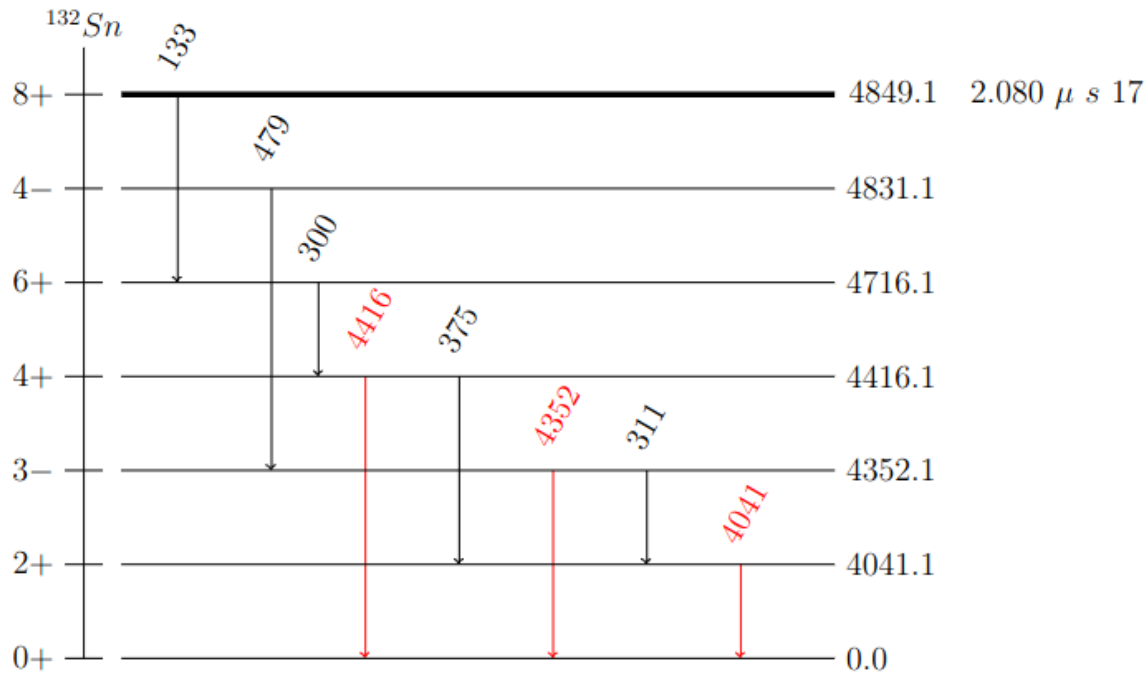


Diagram of the known levels of Sn-132 with transitions for Cm-248(sf, f)



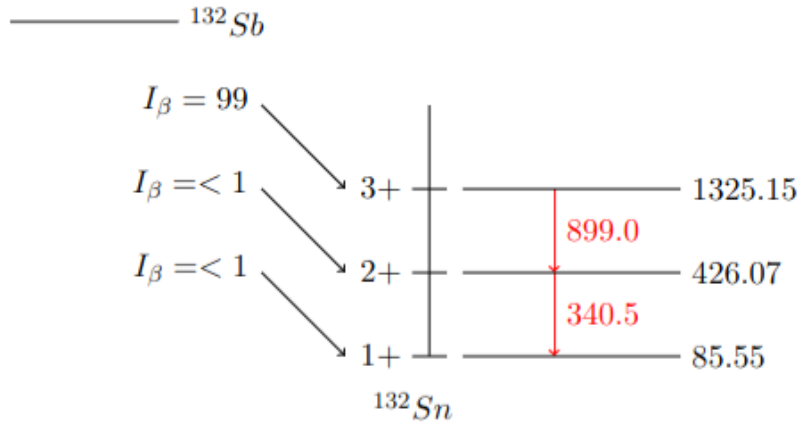
$$Y(\text{Sn-132}) = \frac{\frac{N(\gamma_1)}{\varepsilon_1} + \frac{N(\gamma_2)}{\varepsilon_2} + \frac{N(\gamma_3)}{\varepsilon_3}}{N_f} (1 + \alpha)$$

FIPPS :  $Y(\text{Sn-132}) = 0.102 \pm 0.005$

ENDF B-VIII :  $Y(\text{Sn-132}) = 0.59 \pm 0.02$

→ **Discrepancies around a factor 6**

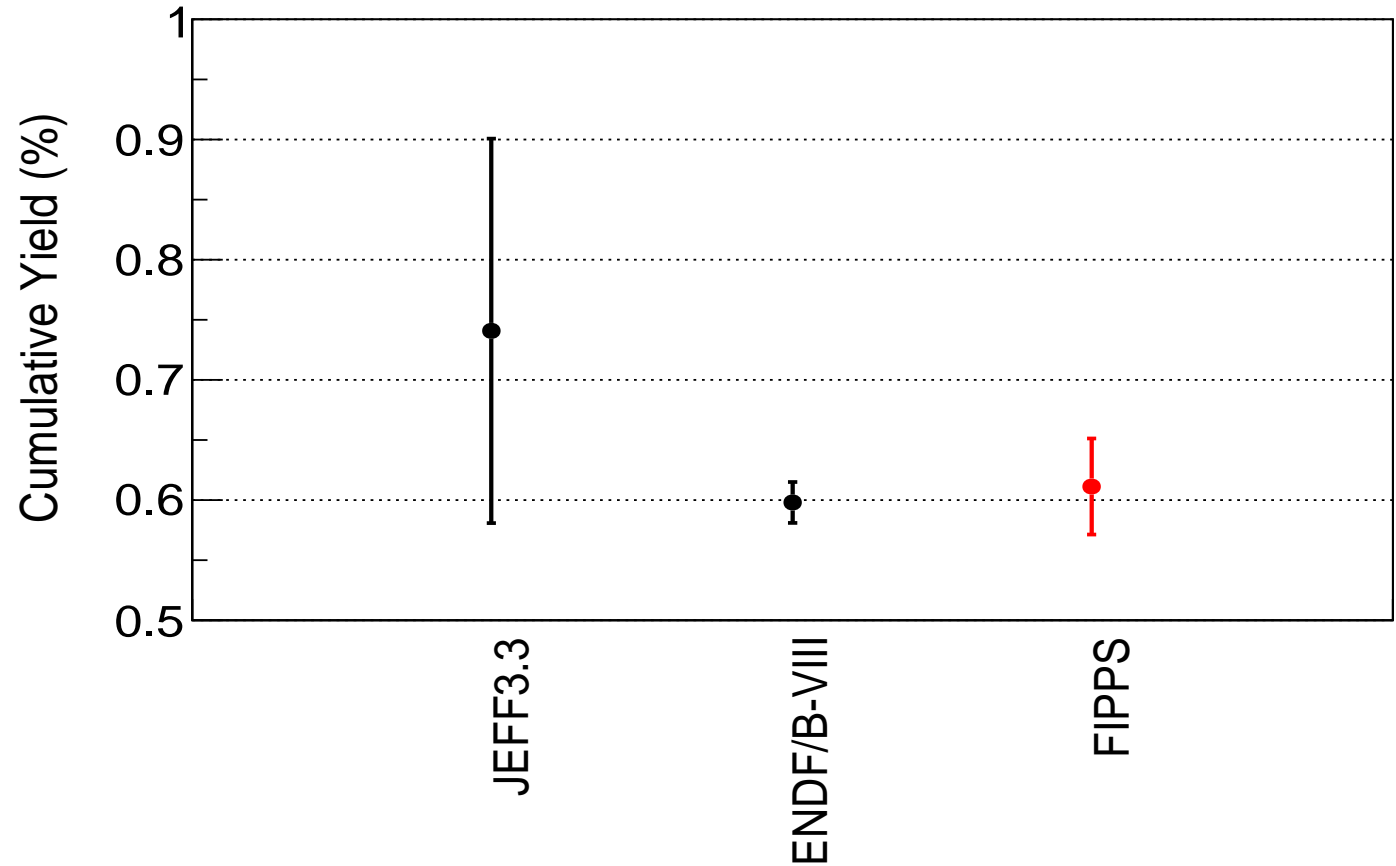
Check with delayed gamma



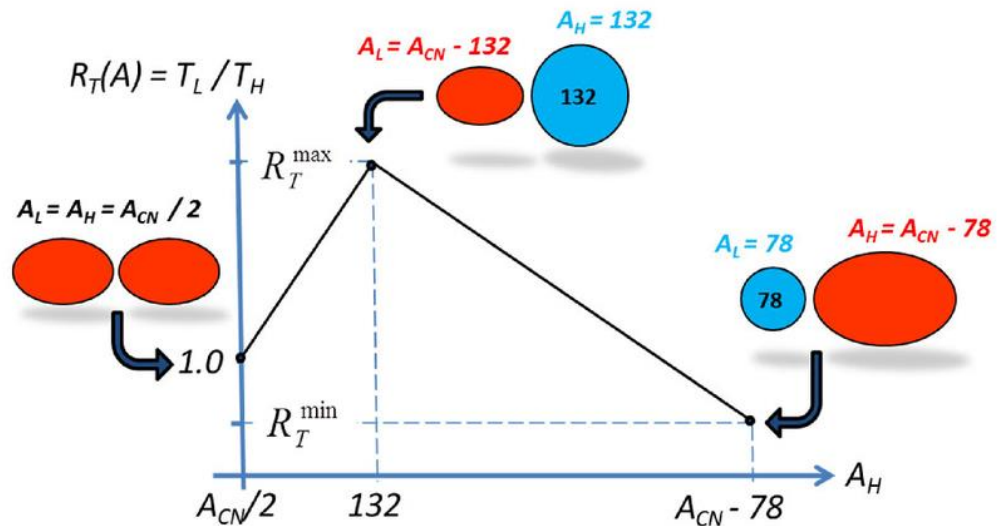
$$Y_c(\text{Sn-132}) = Y(\text{Sn-132}) + Y_c(\text{In-132}) \approx 0.999 Y(\text{Sn-132})$$

$$N_{\gamma\gamma}(899, 340.5) = N_{\text{fissions}} \cdot Y_c \cdot I_\gamma(899) \cdot \varepsilon(899, 340.5) \cdot \alpha_{\text{deadtime}}$$

→ FIPPS :  $Y_c(\text{Sn-132}) = 0.61(4) \%$  (preliminary)  
with uncertainty dominated by  $I_\gamma = 45(3)$

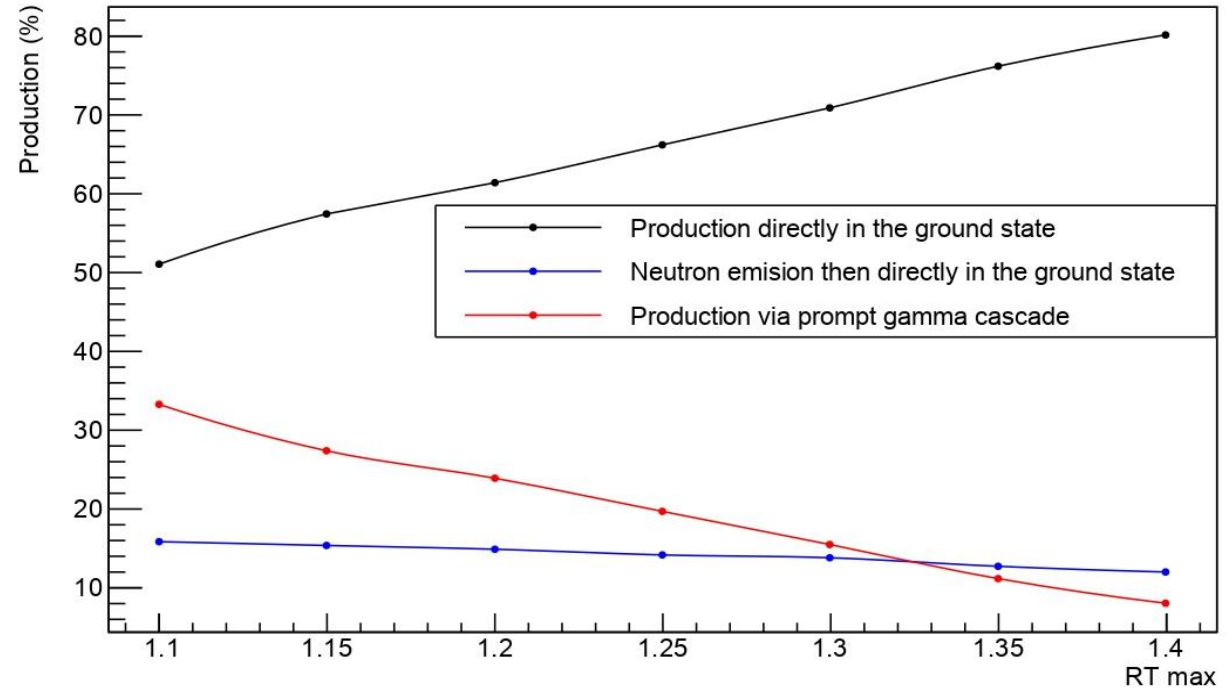






$R_T(A)$  : temperature ratio between light and heavy fragments

Optimized for neutron multiplicity



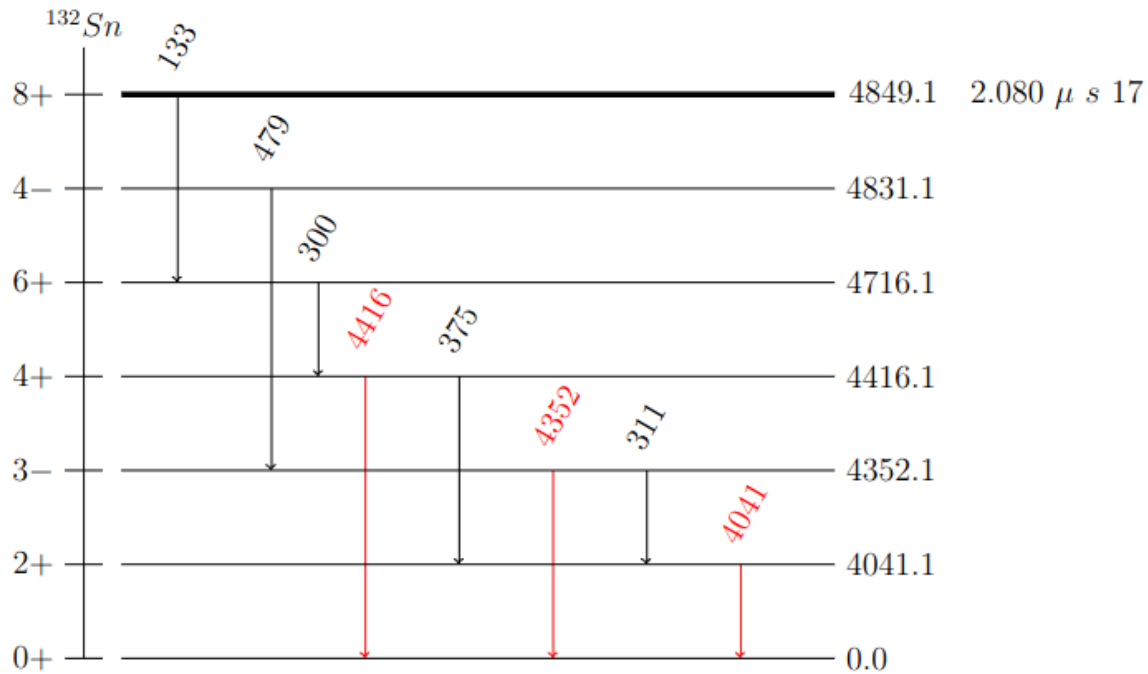
Evolution of the production mechanism of Sn-132 fragment as a function of the FIFRELIN RT factor

Interpretation according to FIFRELIN:

- 66% directly produced in the ground state
- 14% directly in the ground state after neutron emission

→ 80% total without gamma rays

Diagram of the known levels of Sn-132 with transitions for Cm-248(sf, f)



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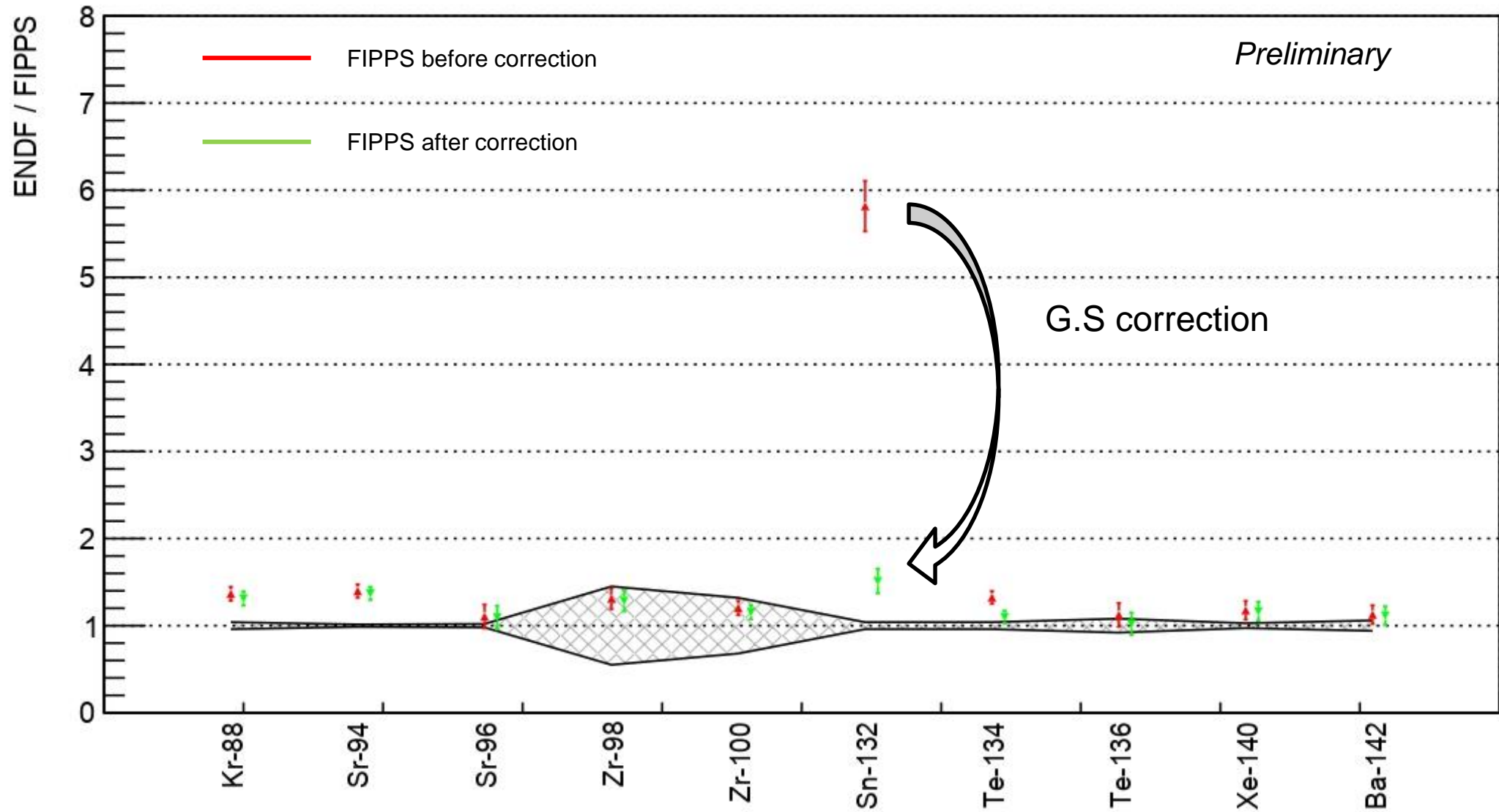
ENDF B-VIII :  $Y(\text{Sn-132}) = 0.59 \pm 0.02$

→ Discrepancies around a factor 6

Production directly in the ground state

FIPPS after correction :  $Y(\text{Sn-132}) = 0.52 \pm 0.04$

# Comparison on independant isotopic fission yields with ENDF B-VIII



Test of an alternative method for measuring independent isotopic fission yields of  $^{235}\text{U}(n_{\text{th}},f)$  using prompt gamma-rays, which takes advantage of an active target

Limits :

- All the gamma-rays of the cascade are not necessarily known
- Direct production to the ground state (after fission or neutron emission) obtained from simulation (FIFRELIN)

Advantages :

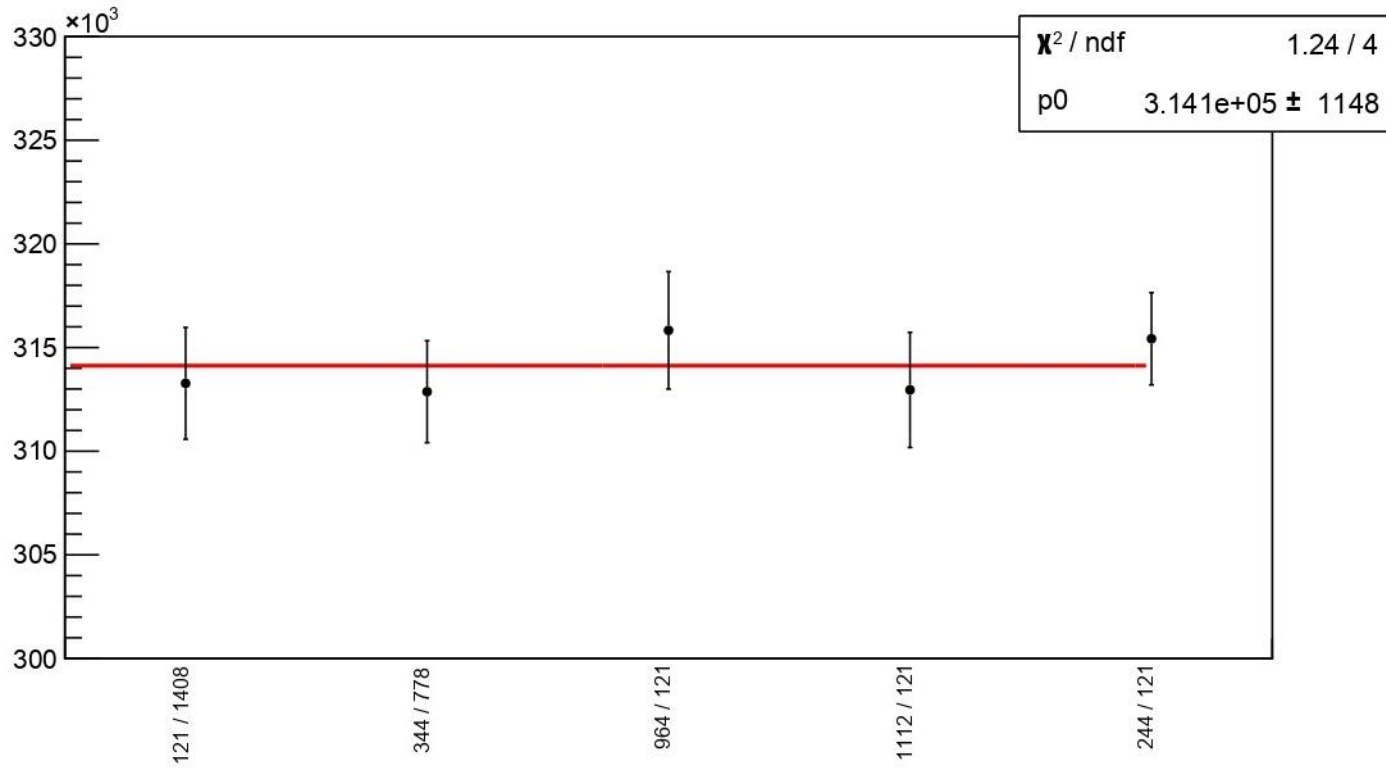
- Access to fragments that are difficult to measure at Lohengrin (heavy fragments)
- Indirect but absolute measurement (no normalization)
- Applicable to other actinides if validated for U-235 (validation per fragment)
- Search for anomalies

A difference of a factor of 6 was observed in the yields of Sn132

→ This can be interpreted thanks to FIFRELIN simulation



**THANK YOU FOR YOUR ATTENTION**



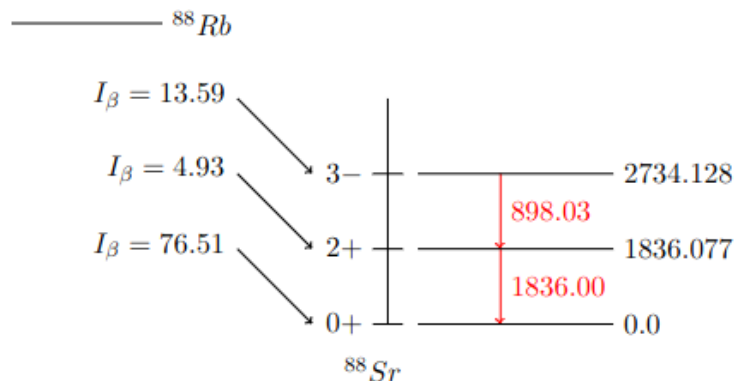
$$\epsilon(E_\gamma) = \frac{N_m(E_\gamma)}{I_\gamma \times A \Delta t} \times \tau$$

$$A = \frac{1}{T} \frac{I_{12}}{I_1 I_2} \frac{\alpha_{\gamma_1 \gamma_2}^s}{\alpha_{\gamma_1}^s \alpha_{\gamma_2}^s} \frac{N-1}{N} \frac{n_m(E_1) n_m(E_2)}{n_m^v(E_1, E_2)}$$

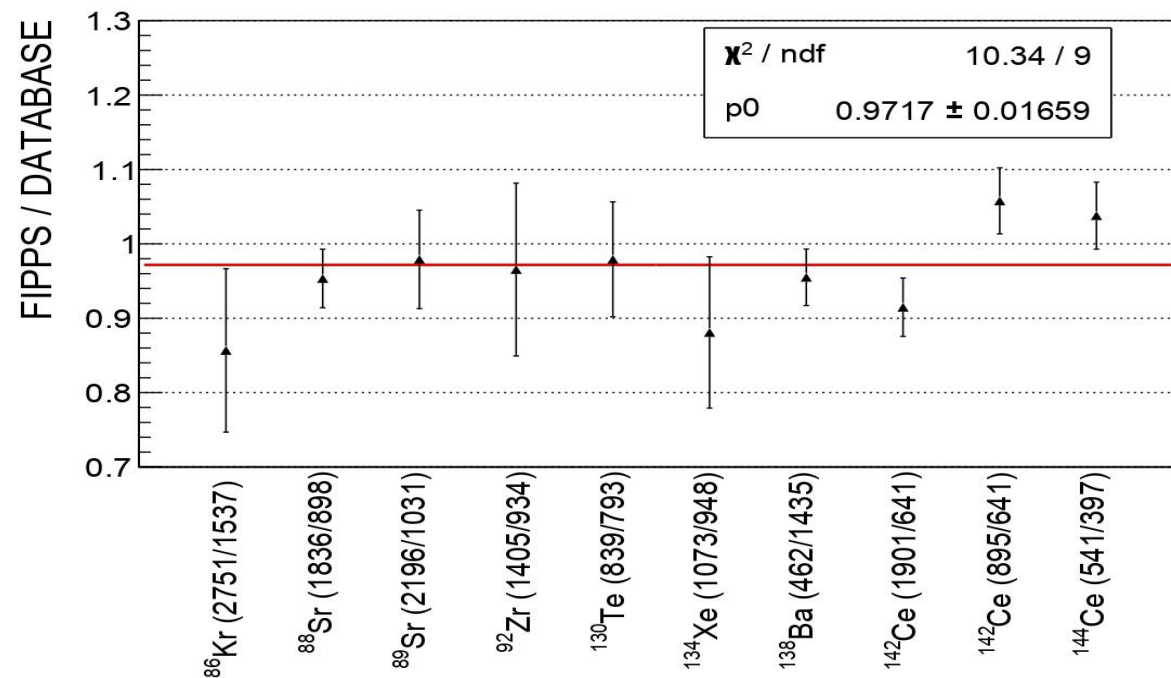
Cross-check of the number of fissions with the delayed gamma-rays of a set of fission products

Selection of the fission products :

- Simulation of the delayed gamma cascades of U-235 fission using
  - Geant-4 module RadioactiveDecay
  - FISPACT to correct cumulative yields
- Criterion of peak "cleanliness" and signal / background noise



Number of measured gamma-gamma coincidences / number of expected coincidences



Fission product daughter and used gamma-ray energies

Monte Carlo code FIFRELIN

- ❖ **Fission models**  
(nuclear charge, excitation energy partitioning, spin distribution,...)
- ❖ **Nuclear structure models**  
(level density, gamma strength functions, neutron transmission,...)
- ❖ **Deexcitation models**  
(Weisskopf, Hauser-Feshbach,...)
- ❖ **Experimental database**  
(RIPL,...)

Observables

- Post-neutron yields,  
kinetic energies
- Prompt neutrons  
and gamma-ray  
spectra and  
multiplicities
- Gamma-ray  
cascades in fission  
fragments

Useful data for applications

- Residual power
- Reactor gamma heat
- Neutron fluence

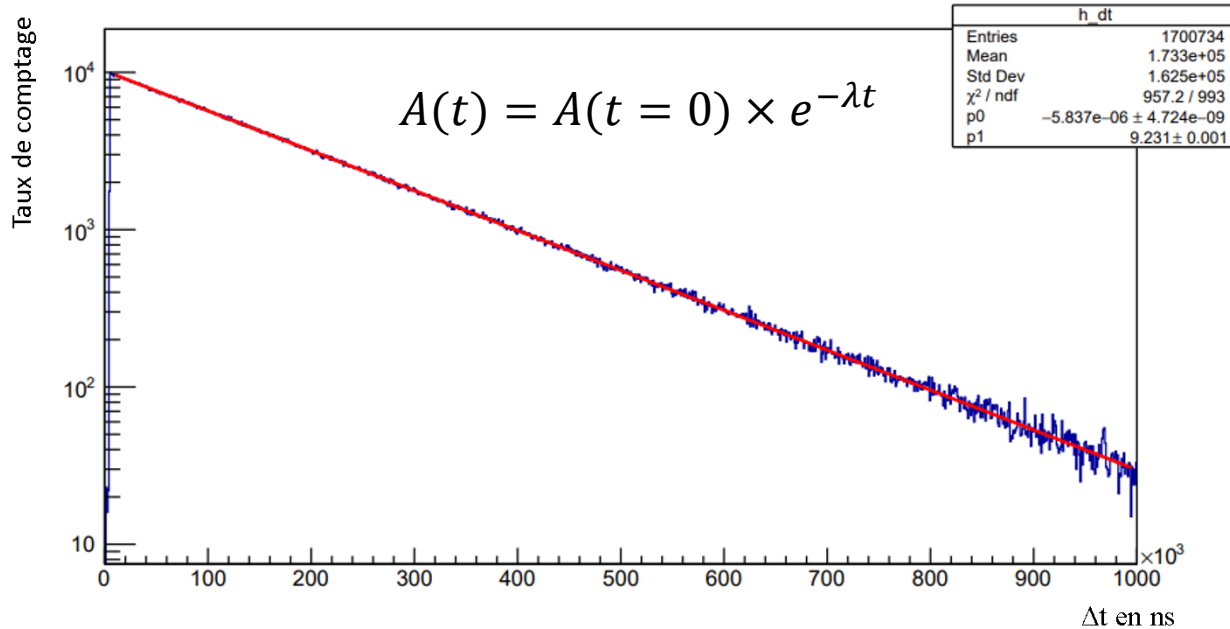


data

O. Litaize et O. Sérot, PRC 82, 054616 (2010)



Différence de temps entre 2 évènements consécutifs



$1/\lambda$  = espérance = temps moyen (en seconde) entre 2 évènements ->  $\lambda$  = taux de comptage  
->  $-\lambda$  = pente de la droite en log/lin

Par ailleurs :  
 $A(t=0) = \lambda * N_{tot}$

où  $N_{tot}$  = nombre total d'évènements  
et  $N_{tot} = T_{acq} * \lambda$

-> deux possibilités pour calculer  $N_{tot}$

Si « *Entries* » : nombres d'évènements enregistrés par le système d'acquisition

$\tau$  : Facteur correctif à appliquer est simplement en 1<sup>ère</sup> approche :

$$\tau = \frac{N_{tot}}{Entries} = 1,030 \pm 0,004$$