Resolving a Challenging Supersymmetric Low-Scale Seesaw Scenario at the ILC

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Based on the following work:
N. Cerna, T. Faber, JJP, W. Porod (1705.06583)
N. Cerna, JJP, J. Masias, W. Porod (2102.06236)

SUSY Seesaw

We know neutrinos needs a mass, but the MSSM doesn't care.

Simplest solution: GUT-scale SUSY Seesaw.

$$\mathcal{W} = \mathcal{W}_{\mathrm{MSSM}} + Y_\nu \left(\hat{\nu}_R^c \, \hat{L} \cdot \hat{H}_u \right) + \frac{1}{2} M_R \left(\hat{\nu}_R^c \, \hat{\nu}_R^c \right)$$

Our question: what do colliders have to say about a low-scale SUSY Seesaw?

Our setup

- Set the R-sneutrino as the LSP.
- Keep μ as low as possible → Higgsino-like electroweakinos.
- Ignore squarks and gluinos.
- Objective: Explore collider bounds on sleptons.

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Possible hierarchy:

$$m^2_{\tilde{\nu}_R} < \mu < m^2_{\tilde{L}},\, m^2_{\tilde{E}}$$

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Strong constraints

(2017, 13.3 fb^{-1}):

$$\mu \gtrsim 400\,\text{GeV}$$

$$m_{\tilde{L}} \gtrsim 600\,\text{GeV}$$

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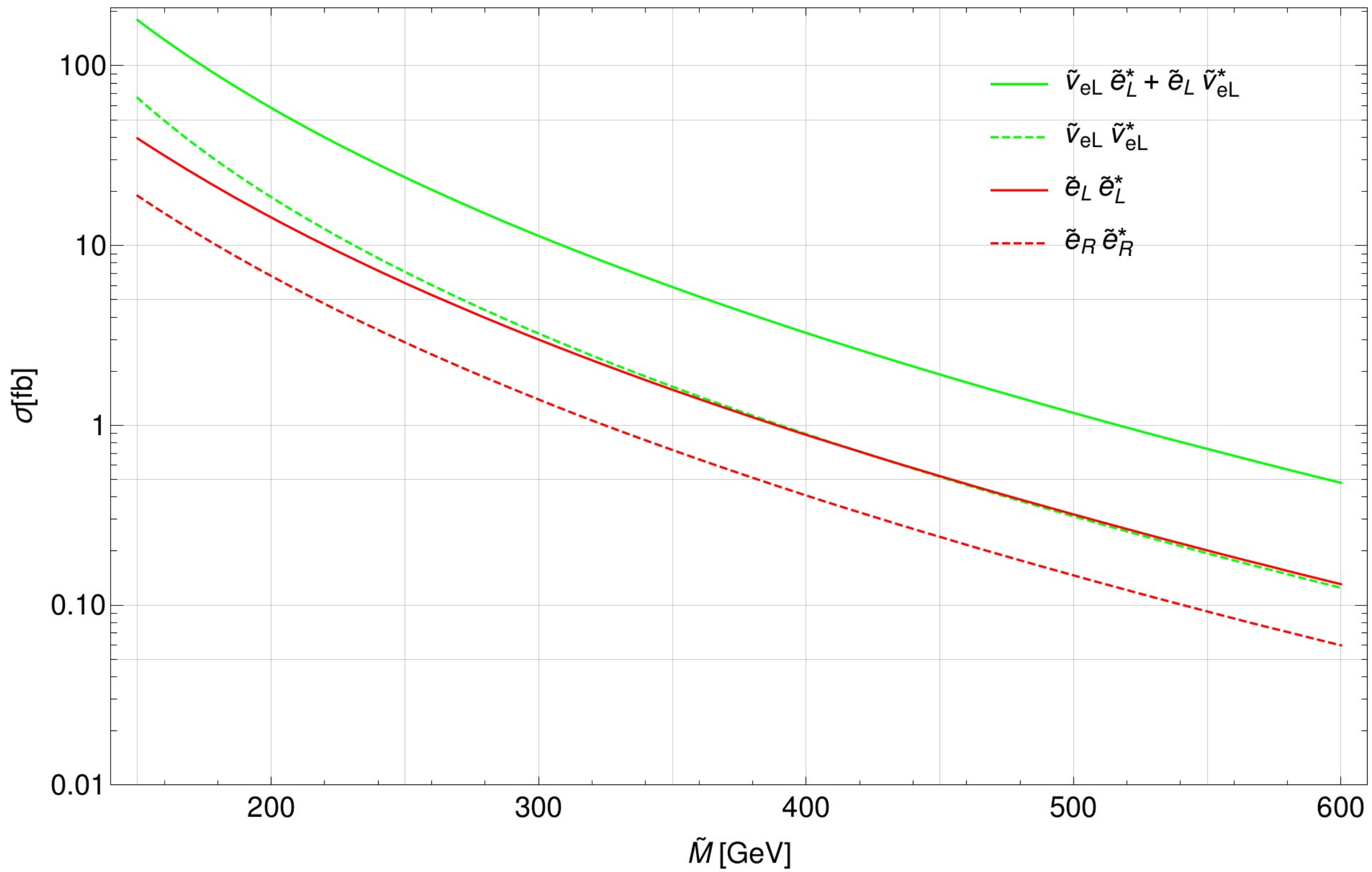
LHC Bounds
(N. Cerna)

Sleptons at the LHC

$$m^2_{\tilde{\nu}_R} < m^2_{\tilde{L}} = m^2_{\tilde{E}} < \mu$$

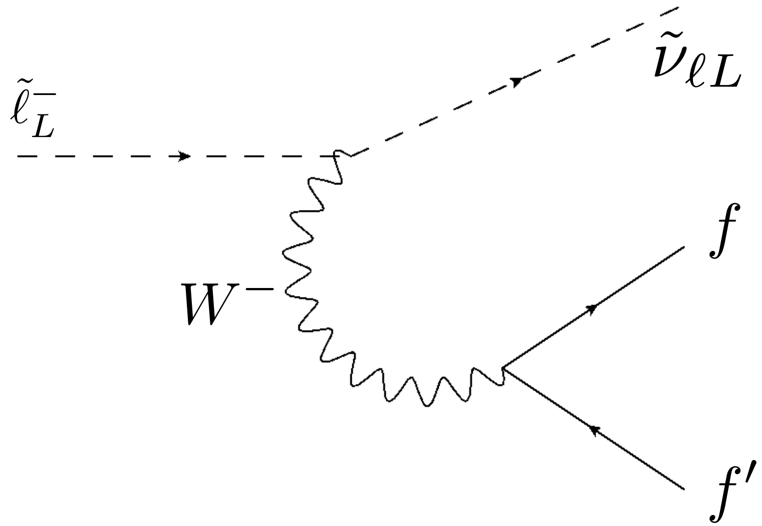
We will concentrate on slepton pair production:

Cross-section at the LHC (13 TeV), according to MadGraph.



Slepton Decay modes:

Selectrons, smuons: $$(m_{\tilde{\ell}_L} - m_{\tilde{\nu}_L})_D \approx \frac{(\sin^2\theta_W - 1)m_Z^2 \cos 2\beta}{2m_{\tilde{L}}} > 0$$



We end up with two L-sneutrinos

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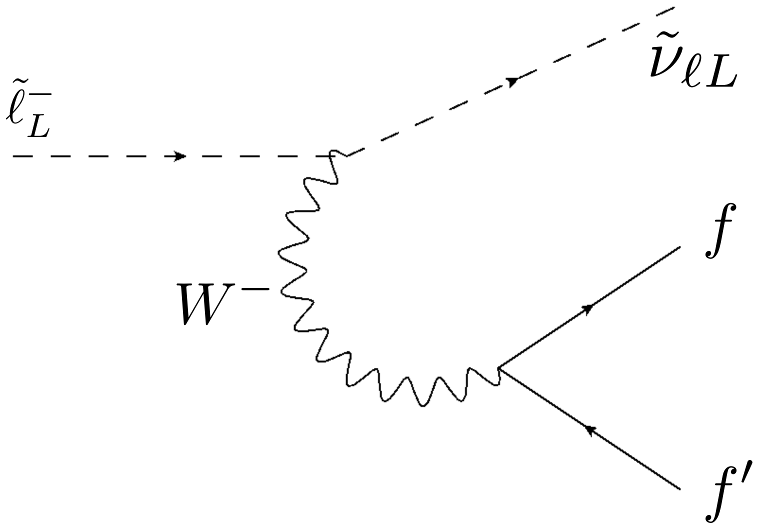

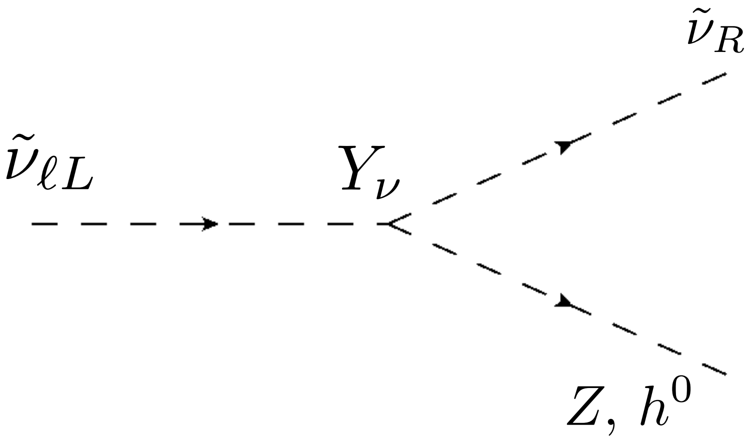

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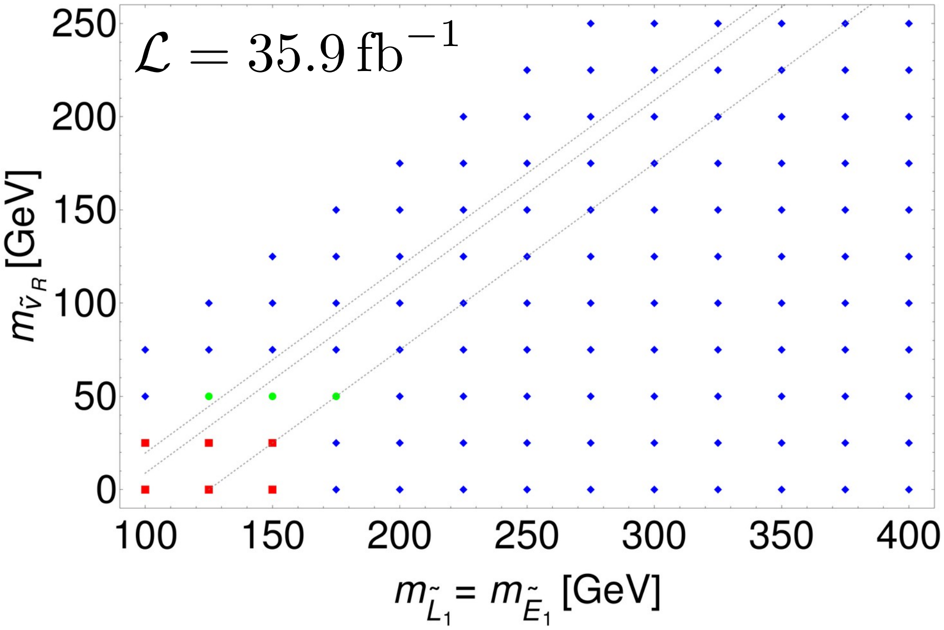
Final states have SM bosons and missing energy

Search for selectrons at LHC:



Constrained mainly by multi-lepton searches

Ruled out Allowed Ambiguous

CMS Collaboration (1709.05406)

CheckMATE (1709.05406 [hep-ph])

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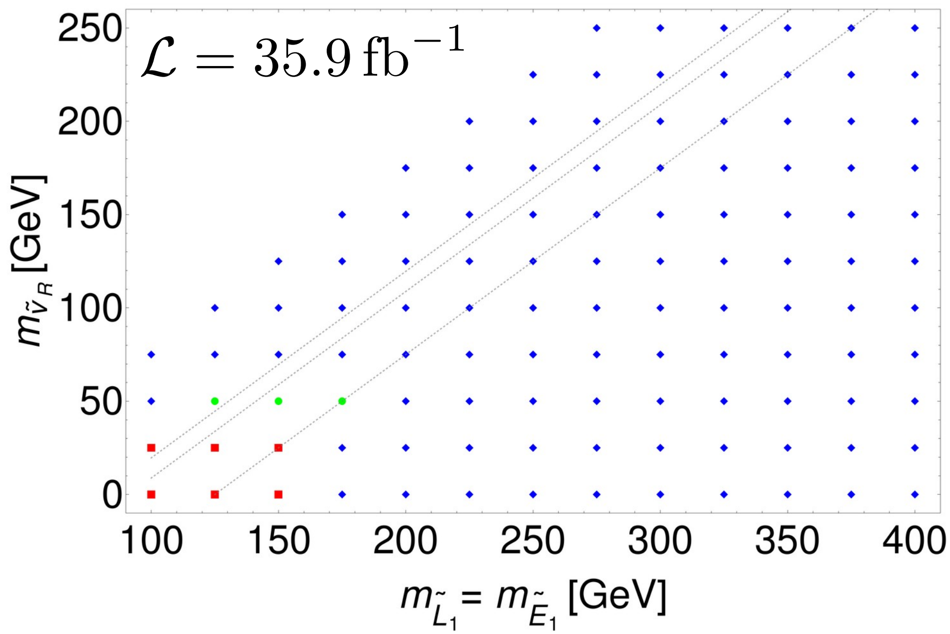

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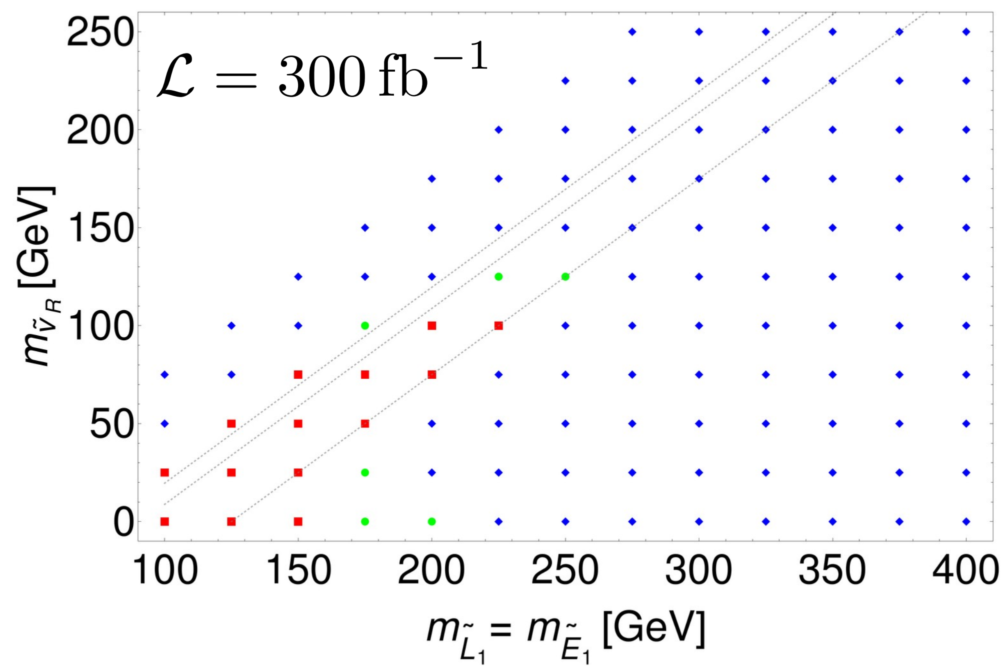


Projection at the end of LHC lifetime has a hard time extending the reach above ~175 GeV.

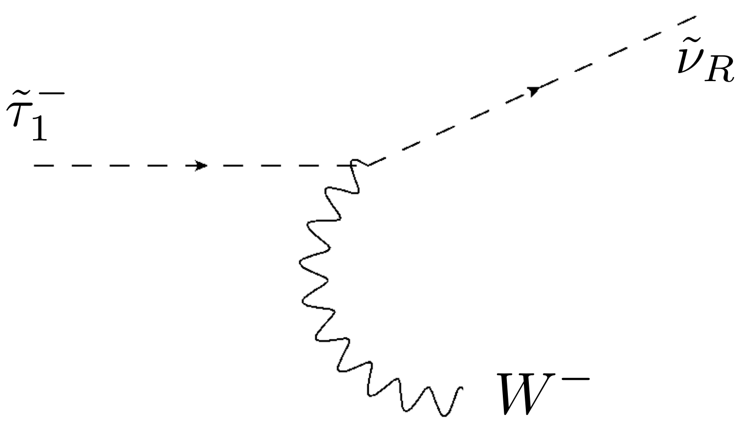
CMS Collaboration (1709.05406)

CheckMATE (1709.05406 [hep-ph])

Slepton Decay modes:

Staus:

$$(m_{\tilde{\tau}_1} - m_{\tilde{\ell}})_{LR} \sim -\frac{m_\tau\,\mu\tan\beta}{2m_{\tilde{L}}} < 0$$

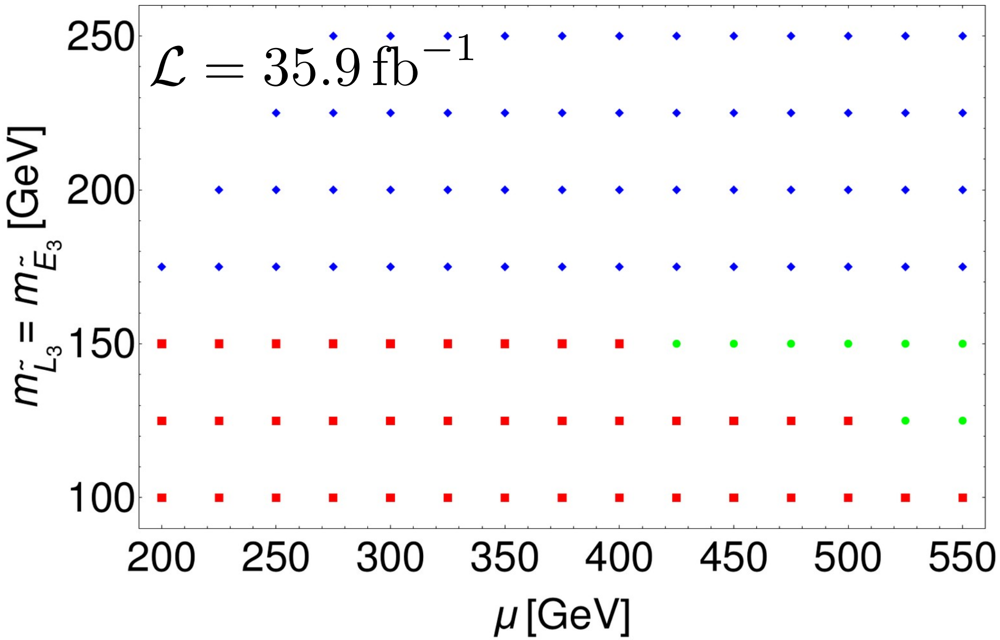


In this work, we only considered cases where L-sneutrinos would not decay into staus.

The μ parameter plays an important role in determining the physical mass.

Search for staus at LHC:

$$m^2_{\tilde{\nu}_R} = 0$$



Multi-lepton searches still most sensitive.

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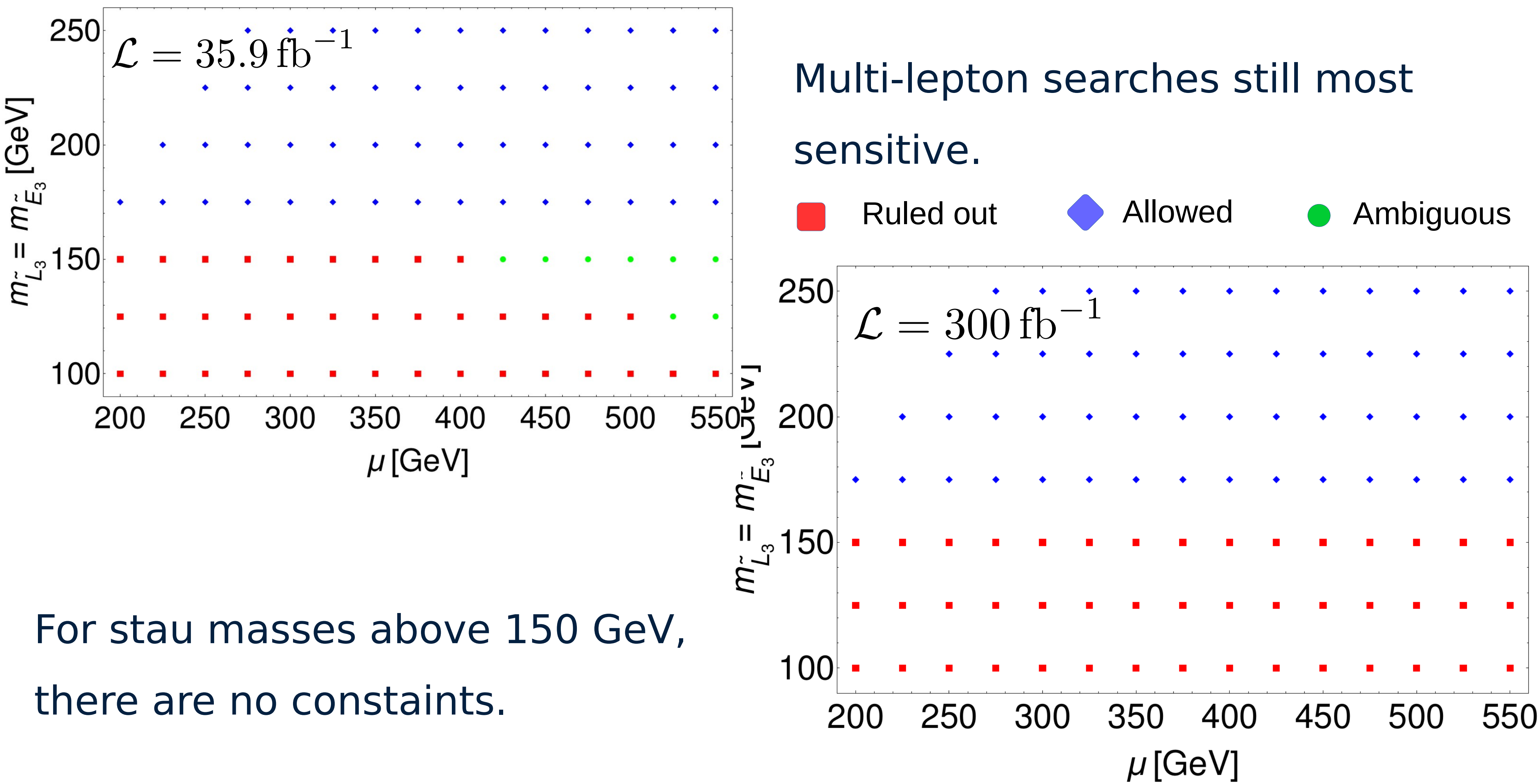


For stau masses above 150 GeV, there are no constaints.

CMS Collaboration (1709.05406)

CheckMATE (1709.05406 [hep-ph])

Prospects at the ILC (J. Masias)

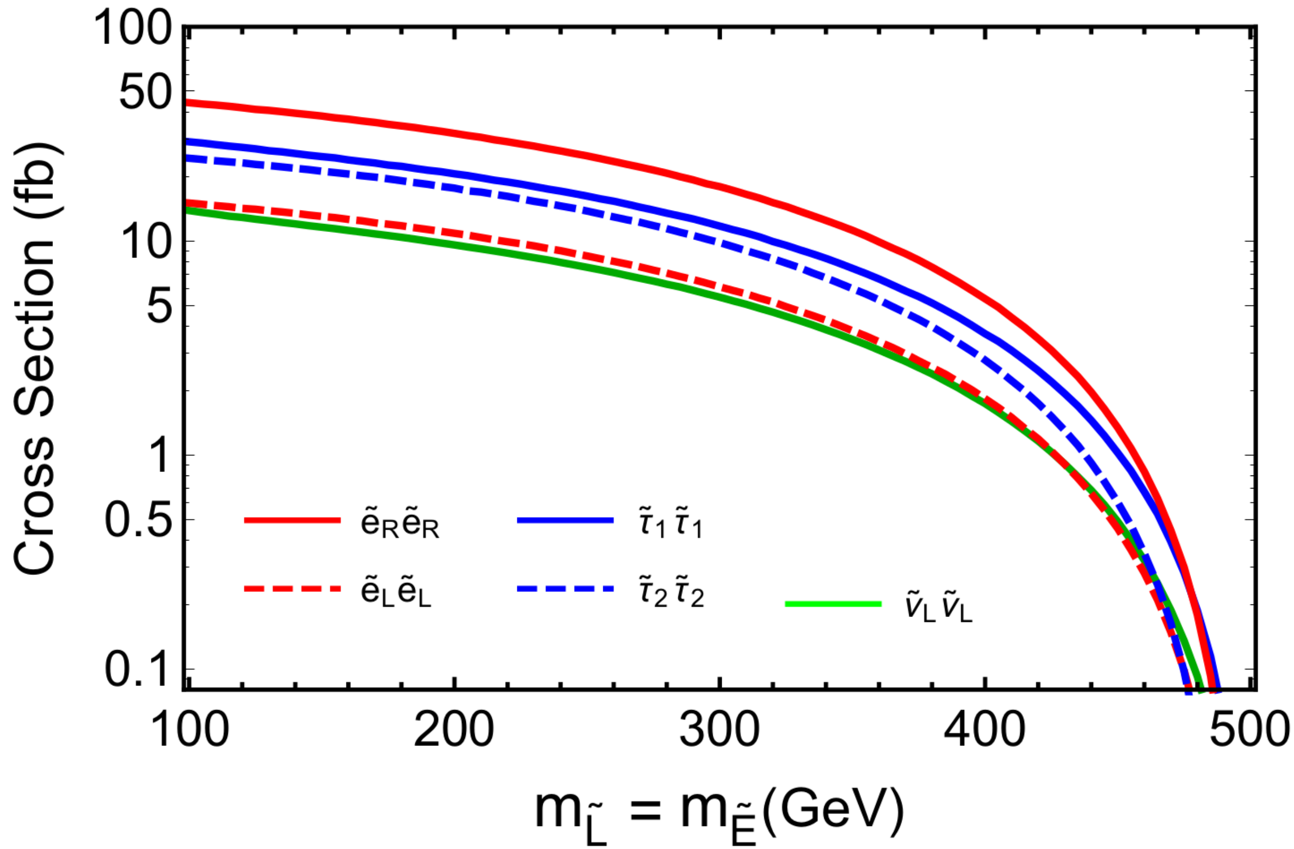
Sleptons at the ILC

We will start producing slepton pairs:

Cross-section at the ILC (1 TeV), according to WHIZARD.

Type **B** polarization.

$(e^-_R\, e^+_L)$



Sleptons at the ILC

Cutflow, 500 fb^{-1} integrated luminosity

Scenario	SE	ST
No cuts	14713	14745
$p_{\text{miss}} > 50$ GeV	12941	12997
Exactly four jets with $p > 20$ GeV	4740	3770
Exactly two reconstructed SM bosons	869	1092
$p_{\text{lepton}} < 25$ GeV	862	1084
$\lvert\cos(\theta_{\text{miss}})\rvert < 0.99$	758	922
Efficiency (%)	5.2	6.3

SE: $m_{\tilde{E}_1} = m_{\tilde{L}_1}$

ST: $m_{\tilde{E}_3} = m_{\tilde{L}_3}$

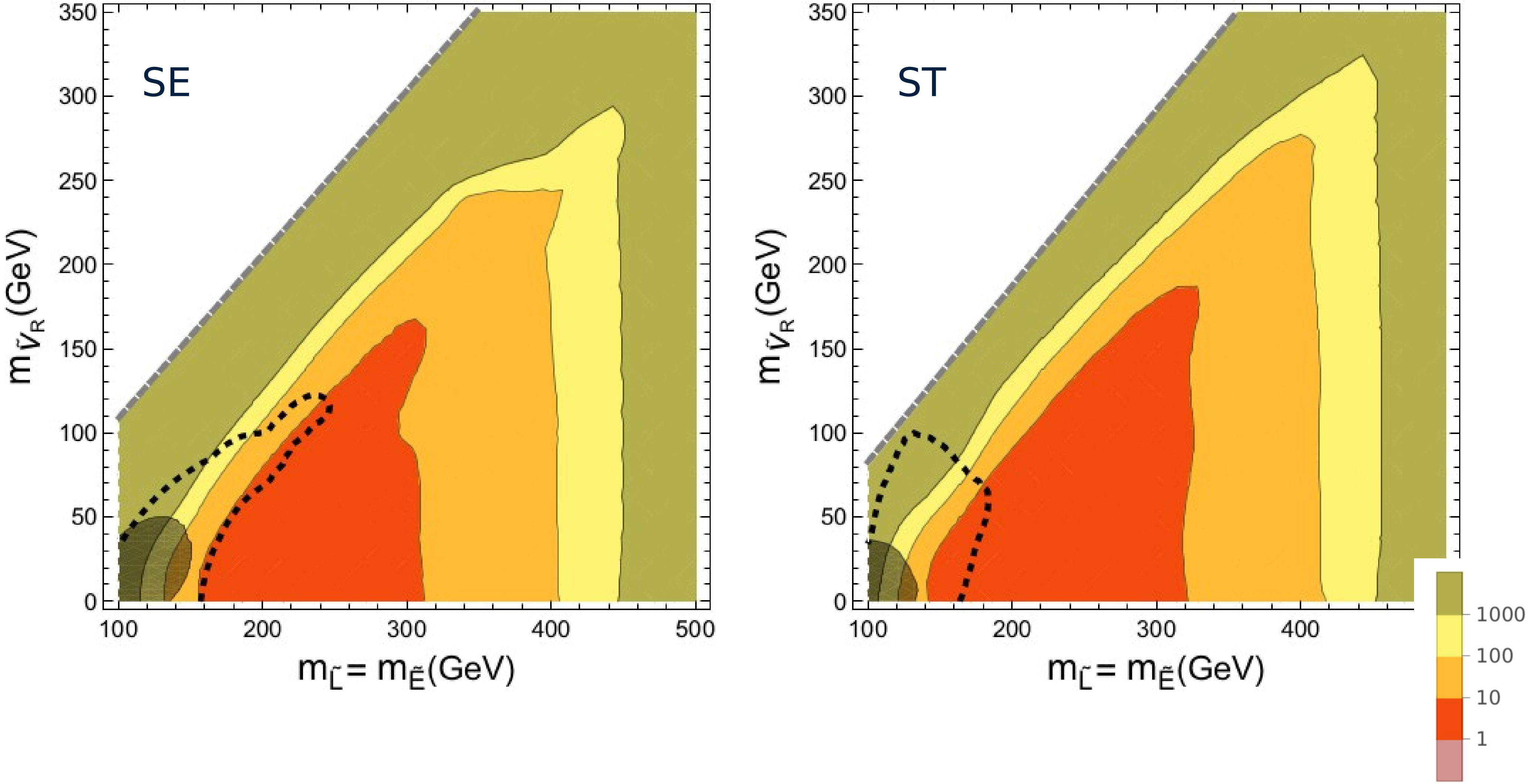
All background: 417 events

Efficiency: 0.08%

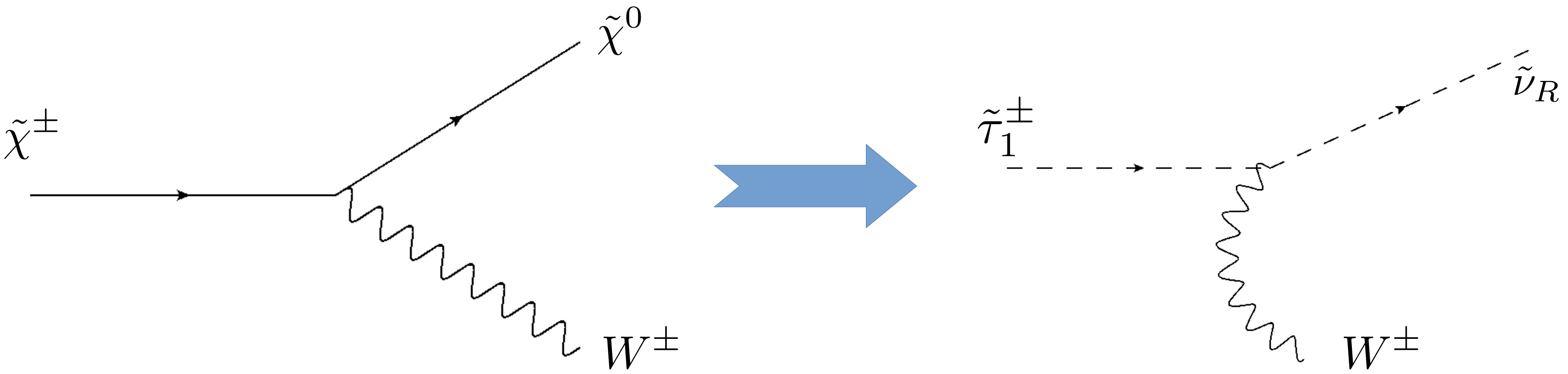
Main sources: $t\,\bar{t},\ Z\,W^+W^-,\ 2\nu\,W^+W^-$

Suehara, List (0906.5508 [hep-ph])

Required luminosity (fb^{-1}) at ILC to get 5σ



Slepton Mass Reconstruction: Endpoint Method



Reconstruct W boson and measure its energy.

Min / max values of W boson energy: **endpoints**, E_{B-}, E_{B+}

Suehara, List (0906.5508 [hep-ph])

Slepton Mass Reconstruction: Endpoint Method

$$m_{\tilde{\ell}} = \frac{2E_{\rm beam}}{E_{B+} + E_{B-}} E'_B$$

W boson energy in slepton rest frame

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$$E'_B = \frac{1}{\sqrt{2}} \sqrt{(E_{B+} E_{B-} + m_B^2) \pm \sqrt{(E_{B+}^2 - m_B^2)(E_{B-}^2 - m_B^2)}}$$

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Need two datasets, for example, decays into *W* and *Z* bosons.

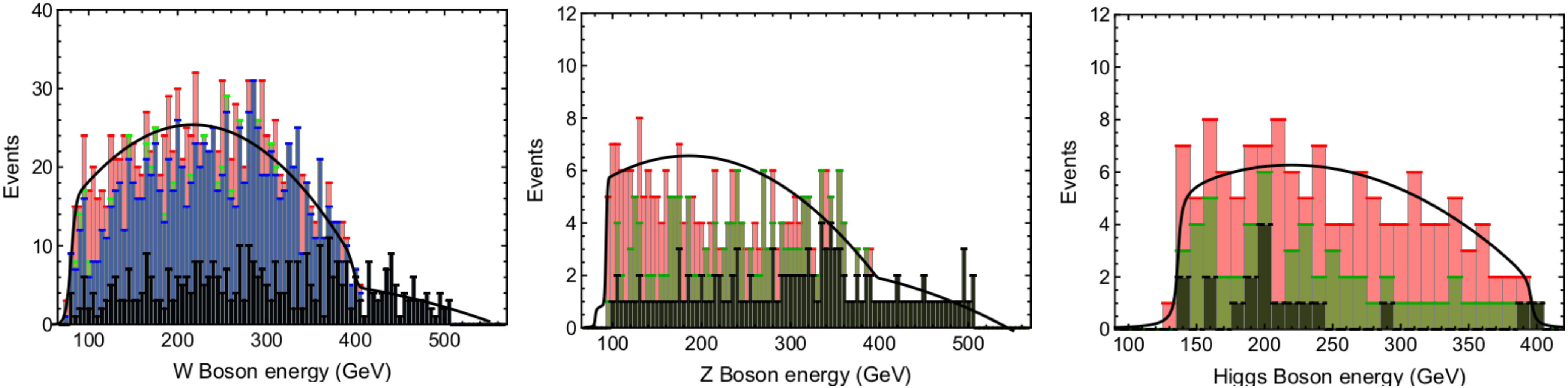
Require that both datasets reproduce same LSP mass:

$$m_{\tilde{\nu}_R} = \sqrt{m_{\tilde{\ell}}^2 + m_B^2 - 2E'_B m_{\tilde{\ell}}}$$

Suehara, List (0906.5508 [hep-ph])

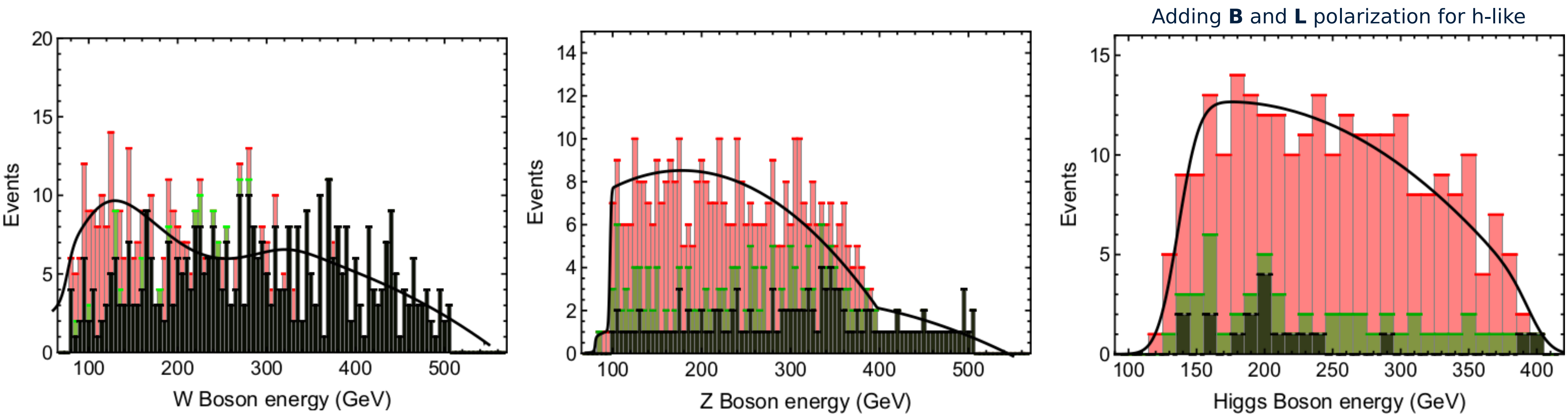
Slepton Mass Reconstruction: Light Staus with 500 fb^{-1}

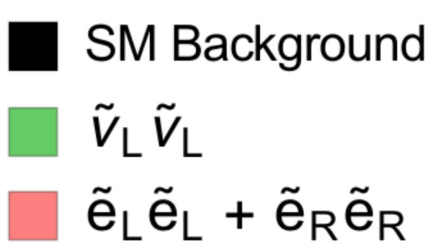
Adding **B** and **L** polarization for h-like



Scenario	ST	Theory
$m_{\tilde{\tau}_1}$ (GeV)	296.91 ± 10.69	294.47
$m_{\tilde{\nu}_L}$ (GeV)	293.32 ± 3.61	293.37
$m_{\tilde{\nu}_R}$ (GeV)	101.14 ± 1.36	101.98

Slepton Mass Reconstruction: Light Selectrons with 500 fb^{-1}





Scenario	SE	Theory
$m_{\tilde{\nu}_L}$ (GeV)	293.63 ± 3.12	293.37
$m_{\tilde{\nu}_R}$ (GeV)	100.52 ± 1.65	101.98

Conclusions

- The LHC is not really sensitive to SUSY models where $m^2_{\tilde{\nu}_R} < m^2_{\tilde{L}} = m^2_{\tilde{E}} < \mu$, single slepton families constrained to be heavier than ~ 150 GeV.
- A 1 TeV run of the ILC can probe a much larger part of the parameter space, most of it leading to a discovery with less than 1000 fb^{-1}.
- Endpoint method can reconstruct masses with 500 fb^{-1}, as long as sleptons decay into on-shell SM bosons.

Thanks!

Backup

Neutrino Sector

After diagonalizing the neutrino mass matrix:

3 active ν_L ⟷ 3 light ν_l

3 sterile ν_R ⟷ 3 heavy ν_h

$$U = \begin{pmatrix} U_{a\ell} & U_{ah} \\ U_{s\ell} & U_{sh} \end{pmatrix}$$

Using a Casas-Ibarra parametrization, we can reconstruct the Yukawa matrices:

$$Y_\nu = -i\frac{\sqrt{2}}{v_u} U^*_{\mathrm{PMNS}} H^* m_\ell^{1/2} \left(m_\ell R^\dagger + R^T M_h\right) M_h^{-1/2} \bar{H}$$

$$H \sim I \qquad \bar{H} \sim I$$

Complex orthogonal matrix

Casas, Ibarra (hep-ph/0103065)

Donini, Hernandez, Lopez-Pavon, Maltoni, Schwetz (1205.5230 [hep-ph])

Neutrino Sector

Yukawa couplings can be enhanced by taking a large γ_{56}.

$$(Y_\nu)_{a5} = \pm (Z_a^{\rm NH})^* \sqrt{\frac{2 m_3 M_5}{v_u^2}} \cosh \gamma_{56}\, e^{\mp i \rho_{56}}$$

$$(Y_\nu)_{a6} = -i (Z_a^{\rm NH})^* \sqrt{\frac{2 m_3 M_6}{v_u^2}} \cosh \gamma_{56}\, e^{\mp i \rho_{56}}$$

With this, the mass matrix gets a structure similar to the inverse seesaw.

Neutrino Sector

For definiteness, we set:

$$M_5 = M_6$$

(So we do not exceed $0\nu\beta\beta$)

$$M_{5,6} = 20 \text{ GeV}$$

(So they do not contribute much to R-sneutrino masses)

$$\gamma_{56} = 8$$

(So we do not exceed LFV)

Neutrino sector is **fixed**.

Sneutrino Sector

We need to add new soft SUSY breaking terms:

$$\mathcal{V}^{soft} = \mathcal{V}^{soft}_{\mathrm{MSSM}} + (m^2_{\tilde{\nu}_R})_{ij}\tilde{\nu}^*_{R,i}\tilde{\nu}_{R,j} + \frac{1}{2}(B_{\tilde{\nu}})_{ij}\tilde{\nu}_{R,i}\tilde{\nu}_{R,j}$$
$$+(T_\nu)_{ij}\,\tilde{L}_i \cdot H_u\,\tilde{\nu}_{R,j}$$

Additional simplifications:

T_ν Assumed proportional to Y_ν, so negligible

$B_{\tilde{\nu}}$ New source of LNV, taken equal to zero for this work

Sneutrino Sector

Sneutrino mass matrix:

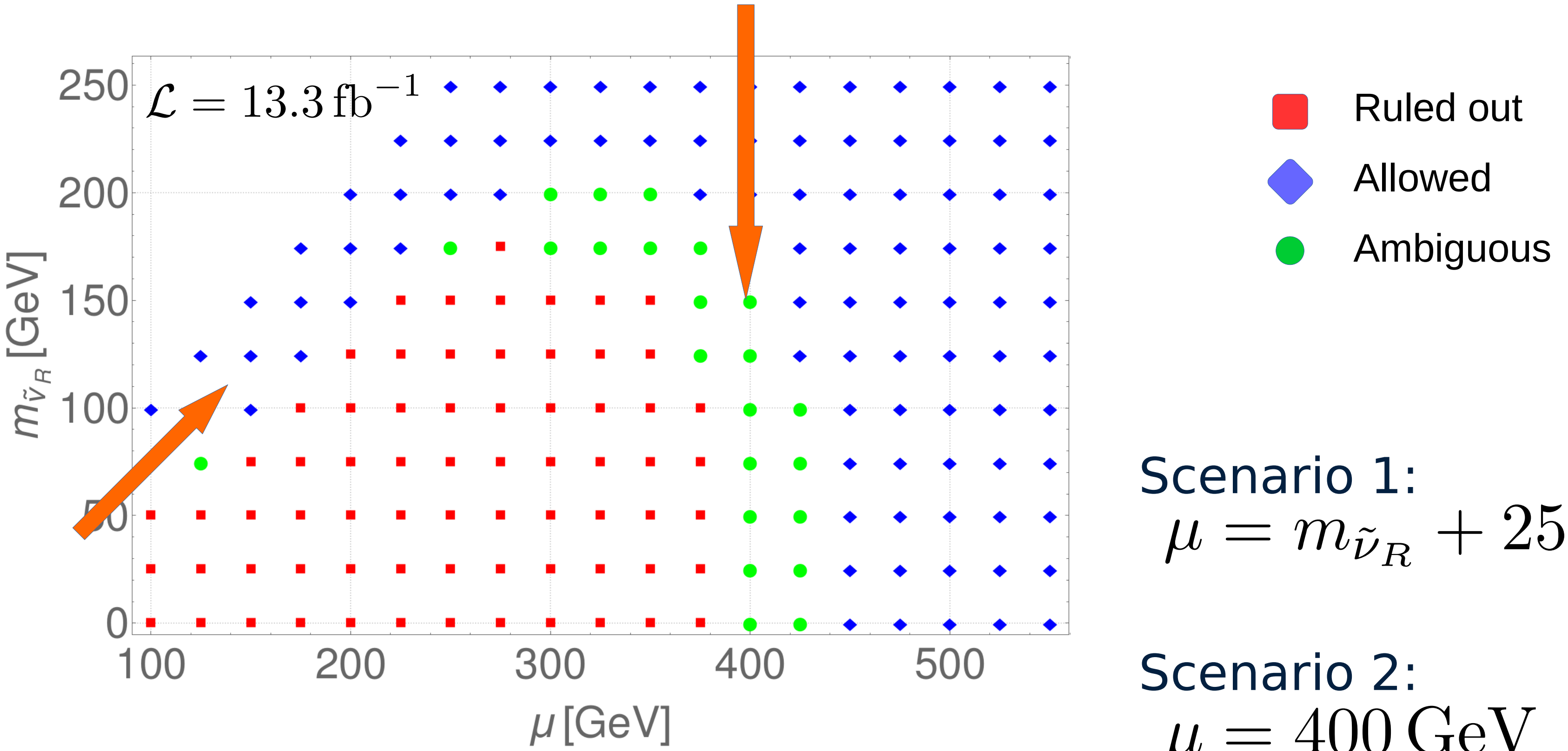
$$M^2_{\tilde{\nu}} = \begin{pmatrix} m^2_{\tilde{L}} + \frac{1}{2} m^2_Z \cos 2\beta & 0 \\ 0 & m^2_{\tilde{\nu}_R} + M_R^\dagger M_R \end{pmatrix}$$

Negligible LR mixing. For simplicity, soft masses are taken diagonal and degenerate.

On sneutrino sector, the only **variables** are the universal $m^2_{\tilde{L}}$, $m^2_{\tilde{\nu}_R}$

$$m^2_{\tilde{\nu}_R} < \mu < m^2_{\tilde{L}} = m^2_{\tilde{E}}$$

Chargino production: $pp \to \tilde{\chi}^+\tilde{\chi}^- \to \ell^+\ell^-\tilde{\nu}_R\tilde{\nu}_R^*$



Scenario 1:
$\mu = m_{\tilde{\nu}_R} + 25\,\mathrm{GeV}$

Scenario 2:
$\mu = 400\,\mathrm{GeV}$

ATLAS Collaboration (ATLAS-CONF-2016-096)

CheckMATE (1611.09856 [hep-ph])

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Scenario 1

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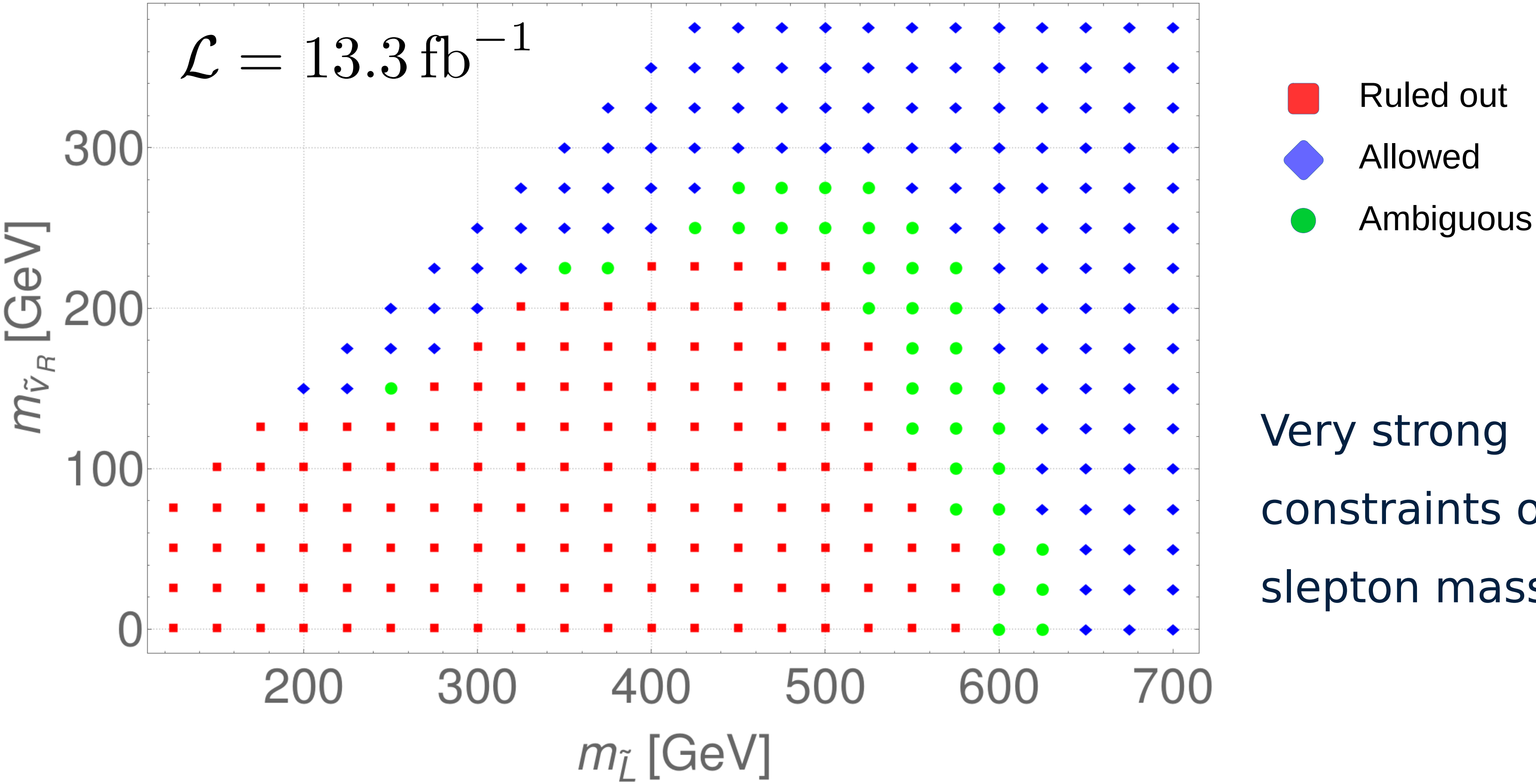
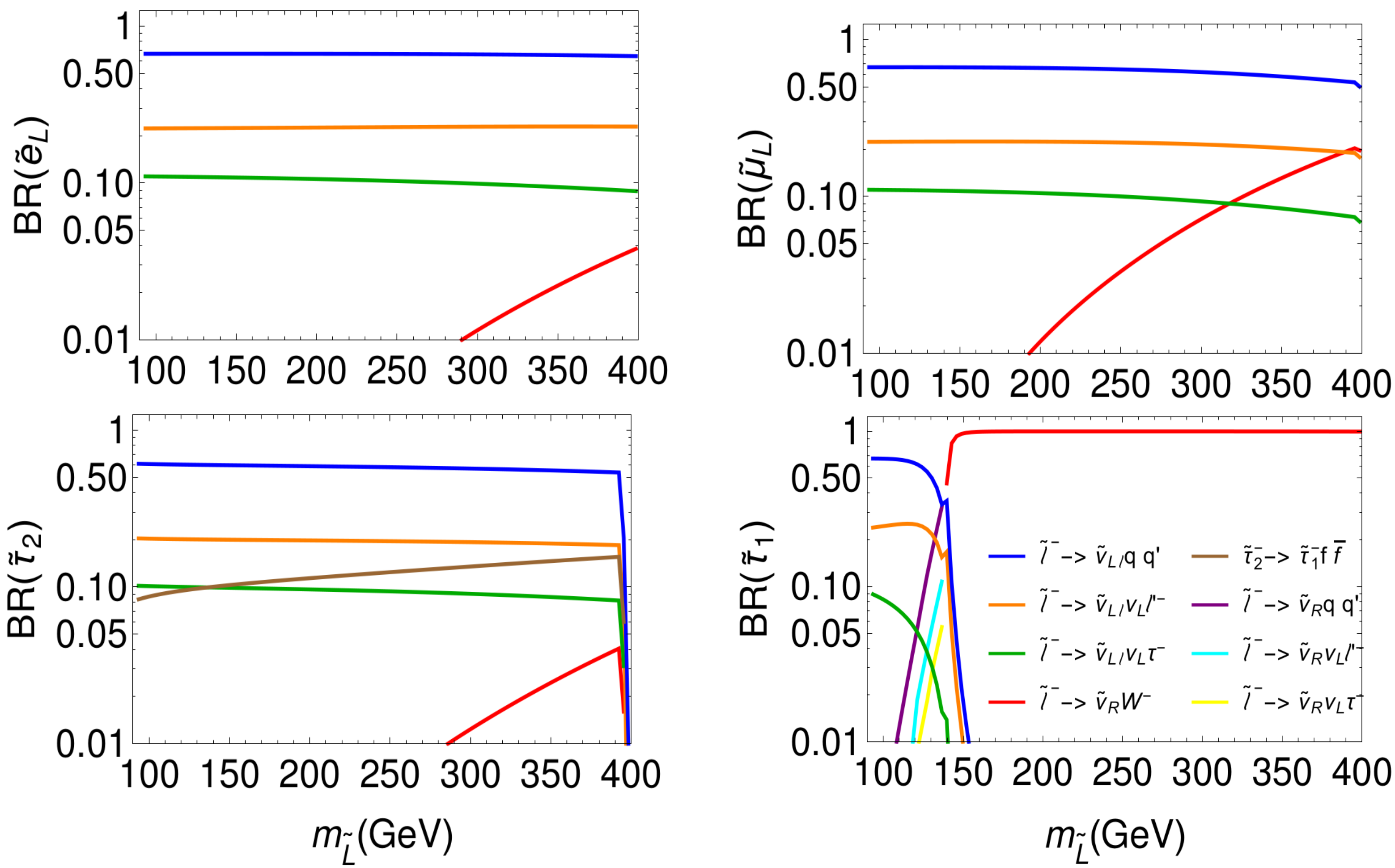


Very strong constraints on slepton mass!

ATLAS Collaboration (ATLAS-CONF-2016-096)

CheckMATE (1611.09856 [hep-ph])

Branching Ratios $m_{\tilde{\nu}_R} < m_{\tilde{\ell}} < \mu$



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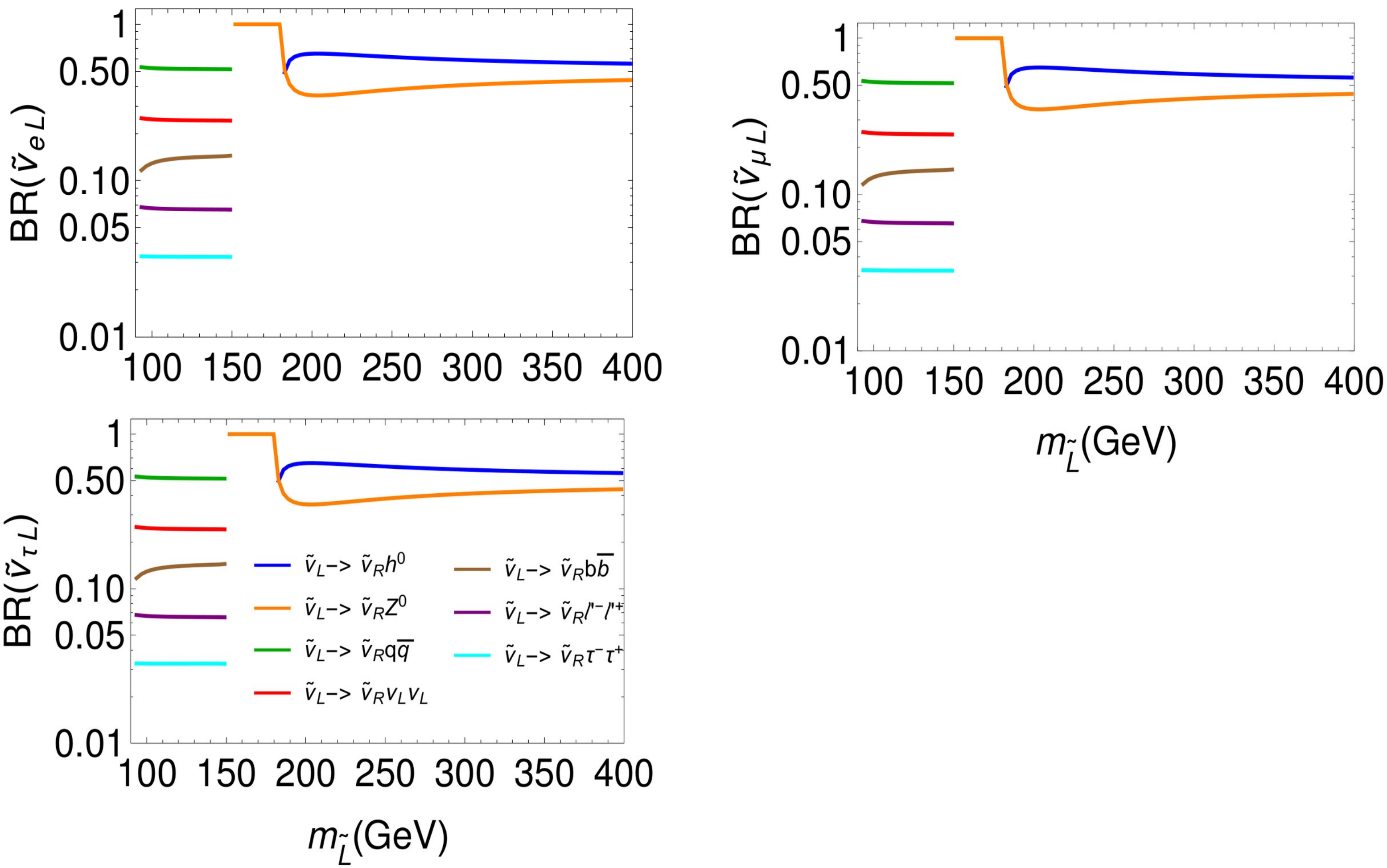

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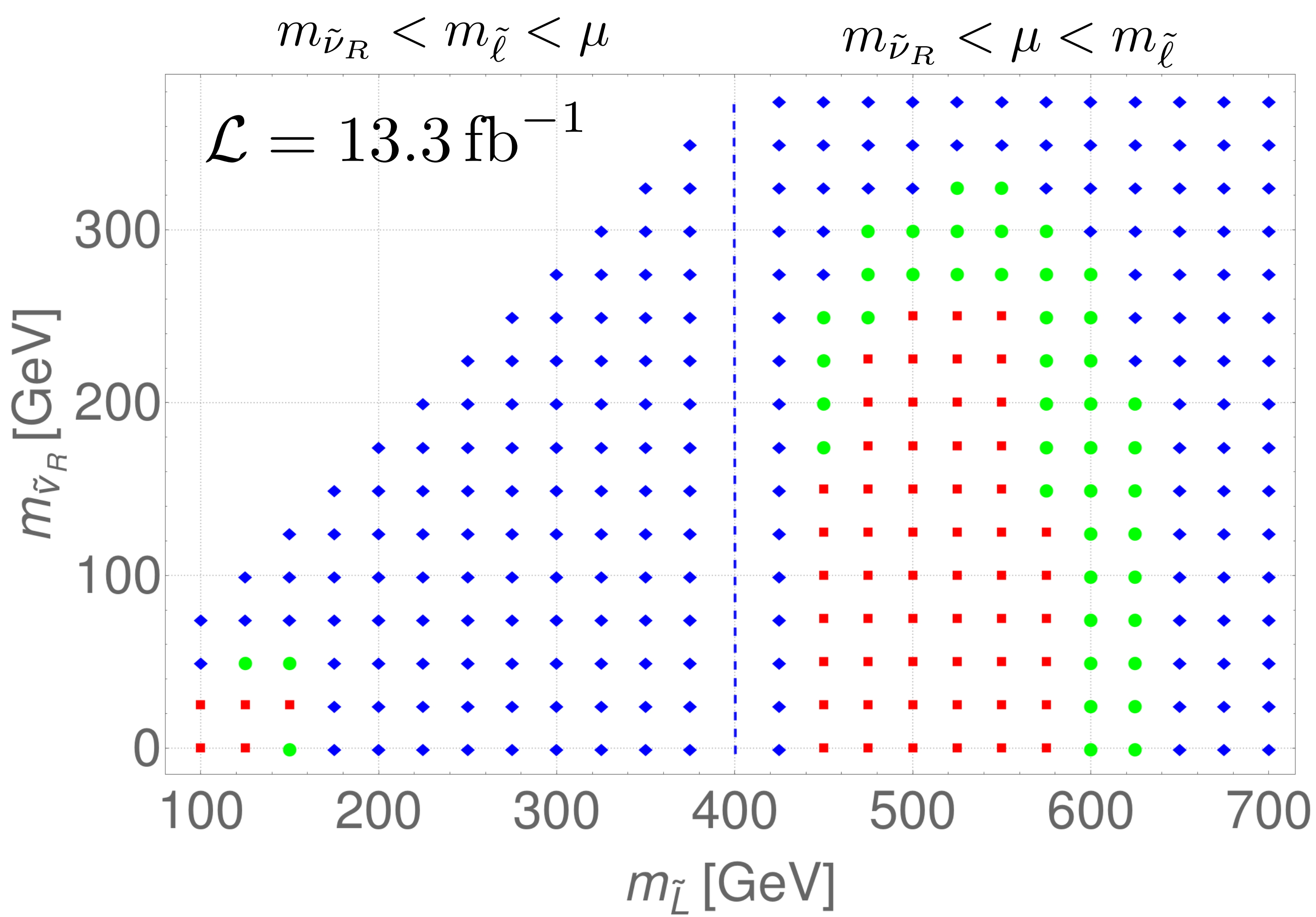
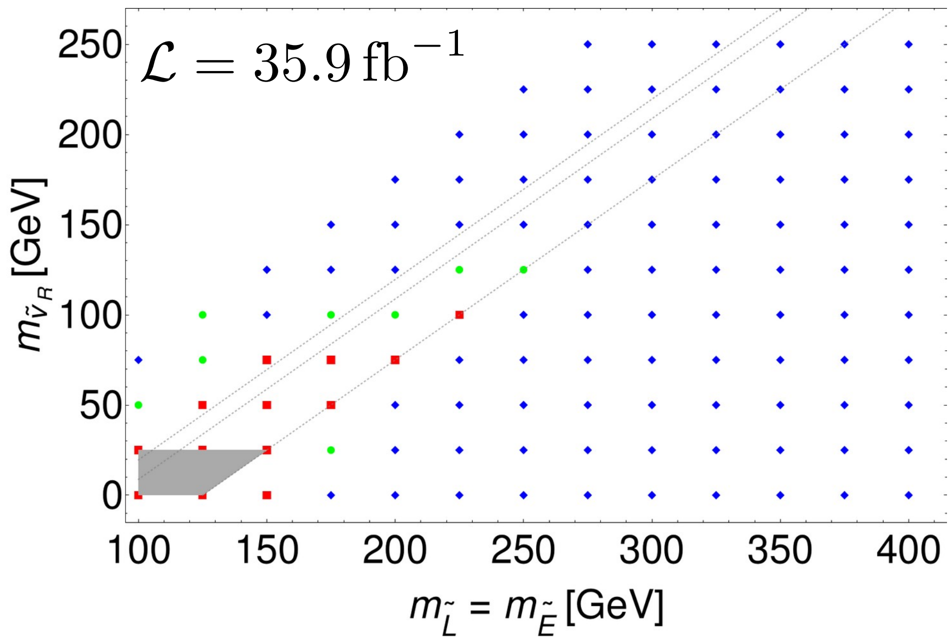


If electroweakinos are heavy, we have weak constraint!

ATLAS Collaboration (ATLAS-CONF-2016-096)

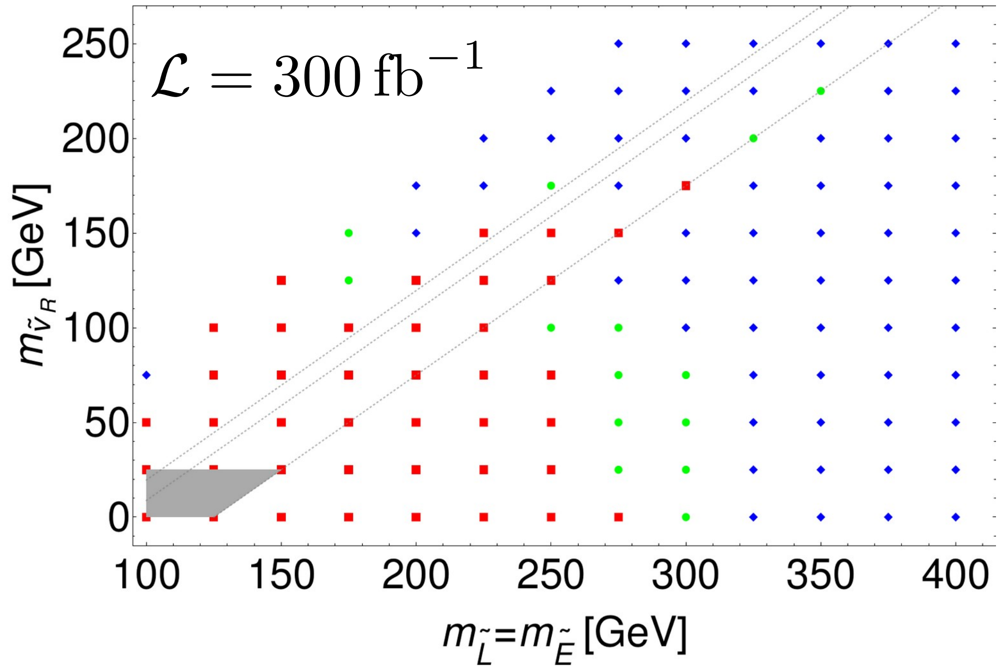
CheckMATE (1611.09856 [hep-ph])

Degenerate scenario at LHC:



Constrained mainly by multi-lepton searches

Ruled out Allowed Ambiguous



Projection at the end of LHC lifetime has a hard time extending the reach above 250 GeV.

CMS Collaboration (1709.05406)

CheckMATE (1709.05406 [hep-ph])

Getting the endpoints

1. Group all events into W-like, Z-like, and h-like datasets:

$$\chi^2_W(m_1, m_2) = \frac{(m_1 - m_W)^2 + (m_2 - m_W)^2}{\sigma^2}$$

$$\chi^2_Z(m_1, m_2) = \frac{(m_1 - m_Z)^2 + (m_2 - m_Z)^2}{\sigma^2}$$

$$\chi^2_h(m_1, m_2) = \frac{(m_1 - m_h)^2 + (m_2 - m_h)^2}{\sigma^2}$$

Getting the endpoints

2. Generate a SM distribution from MC events, by fitting parameters:

Voigt function

$$f_{SM}(E;\, E_{\mathrm{SM}-},\, a_{0-2},\, \sigma_{\mathrm{SM}},\, \Gamma_{\mathrm{SM}}) = \int_{E_{\mathrm{SM}-}}^{\infty} (a_2 E'^2 + a_1 E' + a_0)\, V(E' - E, \sigma_{\mathrm{SM}}, \Gamma_{\mathrm{SM}})\, dE'$$

3. Generate 100 samples of SM background using SM distribution. Implement statistical errors by modifying number of events in each bin using a Poisson distribution.

Getting the endpoints

4. For each SM sample, fit the sum of SUSY and SM spectra:

$$f(E;\, E_{B-},\, E_{B+},\, b_{0-2}, \sigma_1, \Gamma_1)$$

$$= f_{SM}(E;\, E_{\mathrm{SM}-}, a_{0-2}, \sigma_{\mathrm{SM}}, \Gamma_{\mathrm{SM}})$$

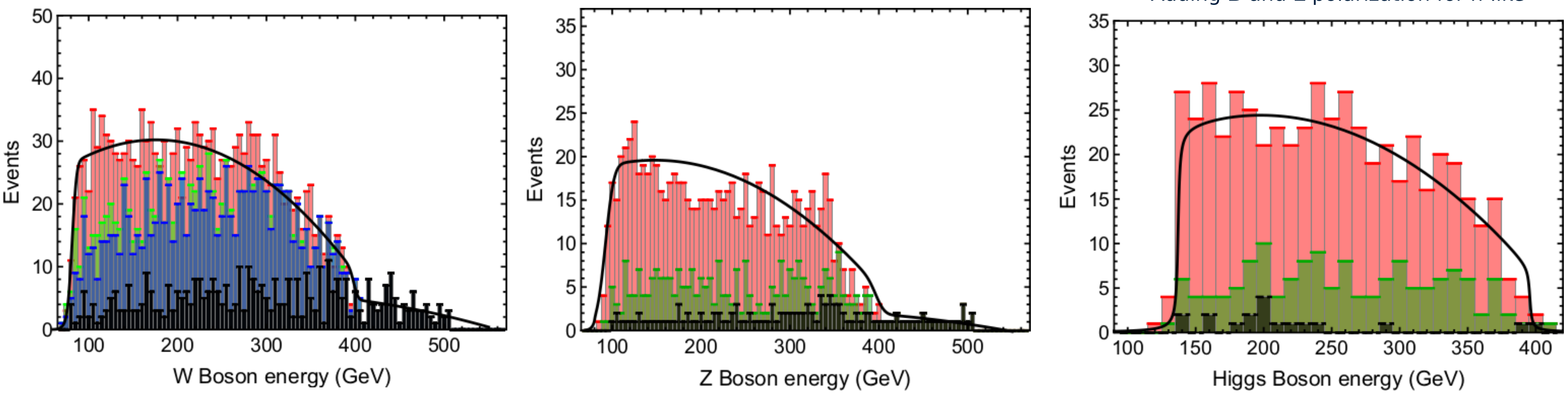
$$+ \int_{E_{B-}}^{E_{B+}} (b_2 E'^2 + b_1 E' + b_0) V(E' - E, \sigma_1, \Gamma_1) dE'$$

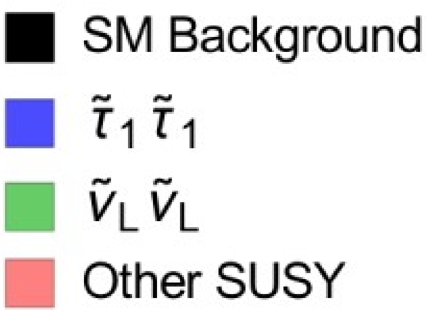
5. Get endpoints from fit. Use 100 samples to get average and standard deviation.

6. For h-like events, background is negligible. Divide into subsets.

Slepton Mass Reconstruction: Degenerate Soft Masses with 500 fb^{-1}

Adding **B** and **L** polarization for h-like





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$m_{\tilde{\nu}_R}$ (GeV)	100.05 ± 0.67	101.98