

# Phenomenology of Magnetic Black Holes with Electroweak-Symmetric Coronas

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- 1) [2007.03703](#) (*JHEP* 10 (2020) 210) with Yang Bai, Joshua Berger, and Nicholas Orlofsky
- 2) [2012.15430](#) (*JHEP* 04 (2021) 119) with Yang Bai



# Introduction

- Open Problems in Fundamental Physics:

- 1) Nature of Dark Matter and Dark Energy

- 2) Baryogenesis

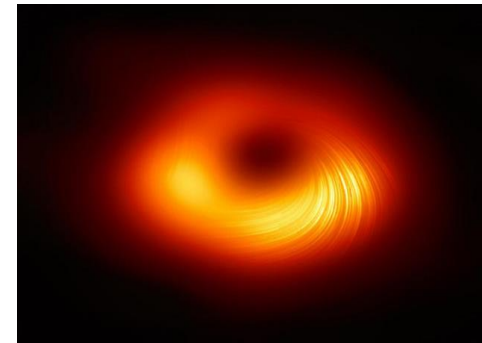
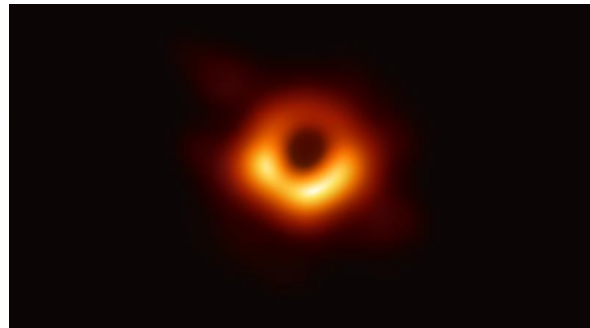
- 3) Naturalness/Hierarchy Problem

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- n) Exotic Objects or states in the SM or BSM

Magnetic BH with Electroweak-Symmetric Hair

- Observational probes for BHs:



# Hairy Black Holes

- Types of BHs:

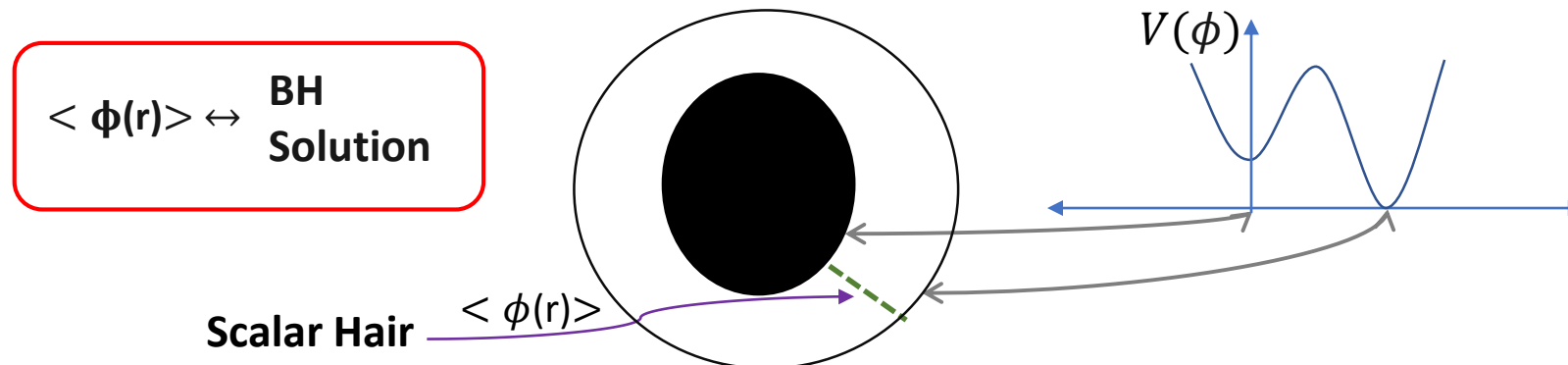
- 1) Schwarzschild BH      2) Reissner–Nordström BH      3) Kerr BH      4) Kerr-Newman BH

- No-Hair Theorem:** All BH solutions are described completely by observable quantities  $M$ ,  $Q$ ,  $a$ . Other information about matter that formed BH is inaccessible.

Exceptions :- Einstein-Yang-Mills-Higgs(EYMH), ...

- Hairy BHs:** Consider scalar field  $\phi(x)$  which has a potential with two minimas.

(Lee, Nair, E. Weinberg' 91  
(hep-th:9112008))



# Electroweak Monopoles?

- Lagrangian:

$$\mathcal{L}_{\text{EW}} = -\frac{1}{4} W_{\mu\nu}^a W^{a\mu\nu} - \frac{1}{4} Y_{\mu\nu} Y^{\mu\nu} + |D_\mu H|^2 - V(H) \quad V(H) = \frac{\lambda}{2} \left( H^\dagger H - \frac{v^2}{2} \right)^2$$

- Ansatz: Spherically symmetric ansatz in hedgehog gauge (Cho & Maison '96 (hep-ph:9601028))

$$H = \frac{v}{\sqrt{2}} \rho(r) \begin{pmatrix} \sin\left(\frac{\theta}{2}\right) e^{-i\phi} \\ -\cos\left(\frac{\theta}{2}\right) \end{pmatrix} \quad W_i^a = \epsilon^{aij} \frac{r^j}{r^2} \left( \frac{1-f(r)}{g} \right) \quad Y_i = -\frac{1}{g_Y} (1 - \cos\theta) \partial_i \phi$$

$\downarrow \quad SU(2)_L \times U(1)_Y \rightarrow U(1)_{EM} \quad \downarrow$

$B_i = \frac{2e_M}{4\pi r^2} \hat{r}^i$

$A_i = -\frac{1}{e} (1 - \cos(\theta)) \partial_i \phi$

- Mass: (Lee & E. Weinberg '94 (hep-th:9406021))

$$M = \int_0^\infty dr 4\pi r^2 \left( \frac{\rho'^2 v^2}{2} + \frac{f'^2}{g^2 r^2} + \frac{v^2 f^2 \rho^2}{4r^2} + \frac{(1-f^2)^2}{2g^2 r^4} + \frac{\lambda}{8} v^4 (\rho^2 - 1)^2 + \frac{1}{2g_Y^2 r^4} \right)$$

**Divergent.**  
**No Finite Energy Electroweak Monopoles in SM**

**Magnetic BH with Electroweak Hair**

Hide Singularity behind event horizon of BH

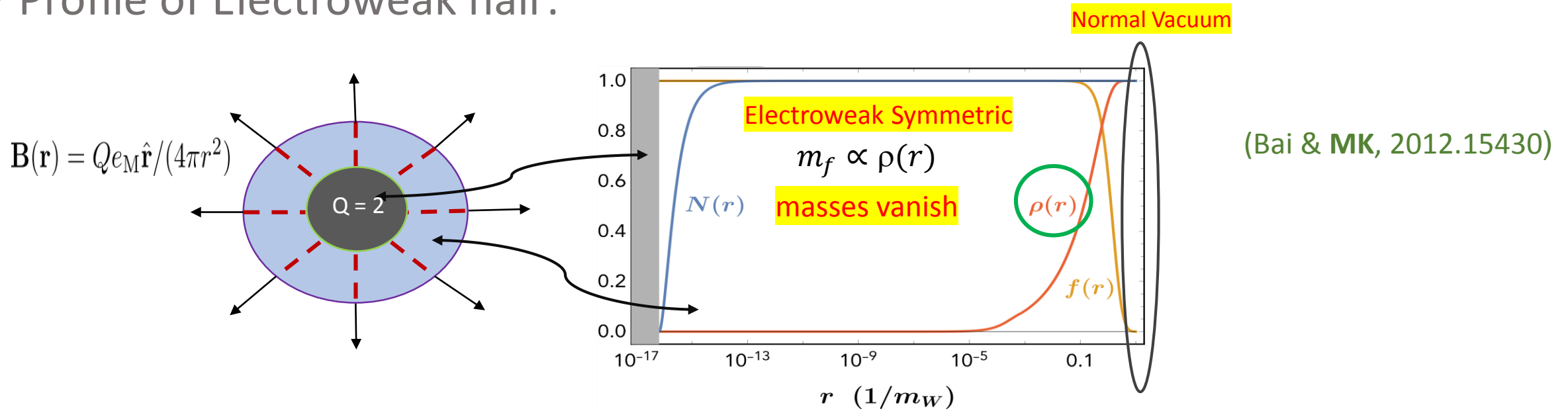
# Hairy Magnetic Black Holes

- Action:

$$S = \int d^4x \sqrt{-g} \left[ -\frac{1}{16\pi G} R + \mathcal{L}_{EW} \right]$$

$$g_{\mu\nu} = \text{diag}(P^2(r)N(r), N(r)^{-1}, r^2, r^2 \sin^2(\theta))$$

- Profile of Electroweak hair:



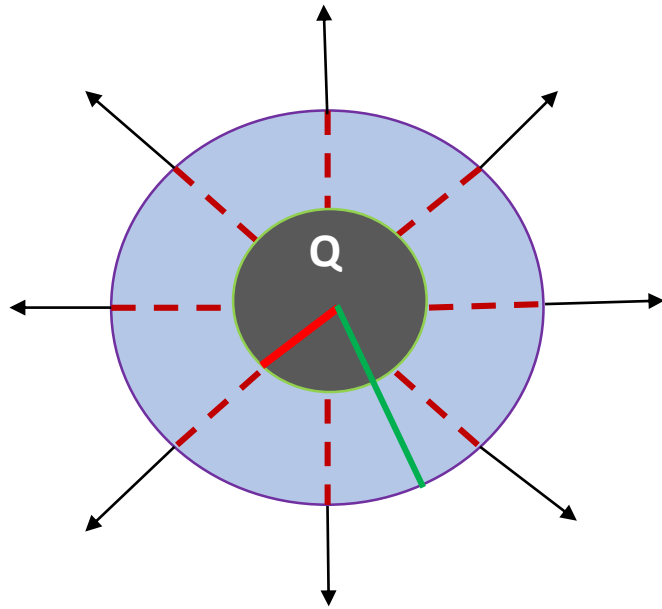
Extremal Hairy magnetic BH

$$r_H = r_H^{\min} = \frac{\sqrt{4\pi G}}{g_Y}$$

$$M \approx \cos(\theta_w) \frac{\sqrt{4\pi} M_{\text{Pl}}}{e} < M_{\text{eMBH}}^{\text{RN}}$$

# Higher charged Hairy Magnetic Black Holes

- Mass and Radius:



$$r_H = \frac{\sqrt{\pi}|Q| \cos(\theta_W)}{e M_{pl}}$$

$$R_{EW} = \frac{\sqrt{|Q|/2}}{m_h}$$

$$M_{ext} = \frac{\sqrt{\pi}|Q|M_{pl}\cos(\theta_W)}{e}$$

Determined by condition that  
 $eB(R_{EW}) = m_h^2$

$$r_H(Q_{max}) = R_{EW}(Q_{max})$$

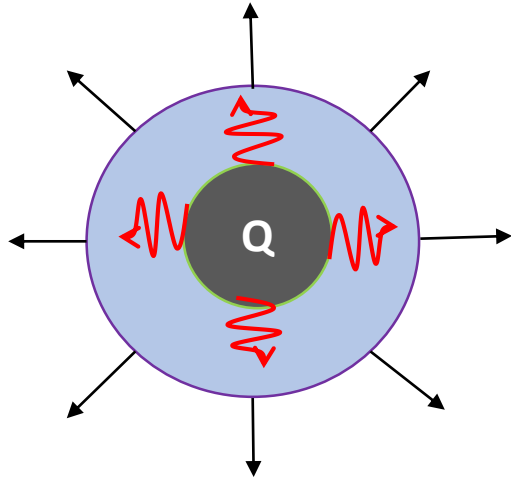
$$2 < Q < Q_{max} \cong 10^{32}$$

$$0.1 \text{ mg} < M < 10^{28} \text{ gm}$$

For  $Q > Q_{max}$  electroweak symmetric region does not exist, so no hairy magnetic BHs

# 2-D Hawking Radiation

- 2-D massless modes: Landau levels in presence of magnetic fields



$$E^2 - p_3^2 = m^2 + eB(1 - 2s) = \cancel{m^2} = 0$$

for  $s=1/2$  fermions in EW symmetric region

Degeneracy of lowest landau level:  $N = Qq_Y$   
 Two-dimensional(time + radial) massless modes

- Hawking Radiation: (Maldacena, 2004.06084)

$T > m_e$	$T < m_e$
$P_2 = \frac{\pi g_*}{24} T^2$ $\tau_2 = 10^{-25} s \left( \frac{M}{100 g} \right)^2$ <p><math>g_* = 2Q</math> for electrons</p>	$P_4 \approx \frac{\pi^2 g_*}{120} (4\pi R_{EW}^2) T^4$ <p><math>g_* = 2</math> for photon and <math>\frac{21}{4}</math> for neutrinos</p>

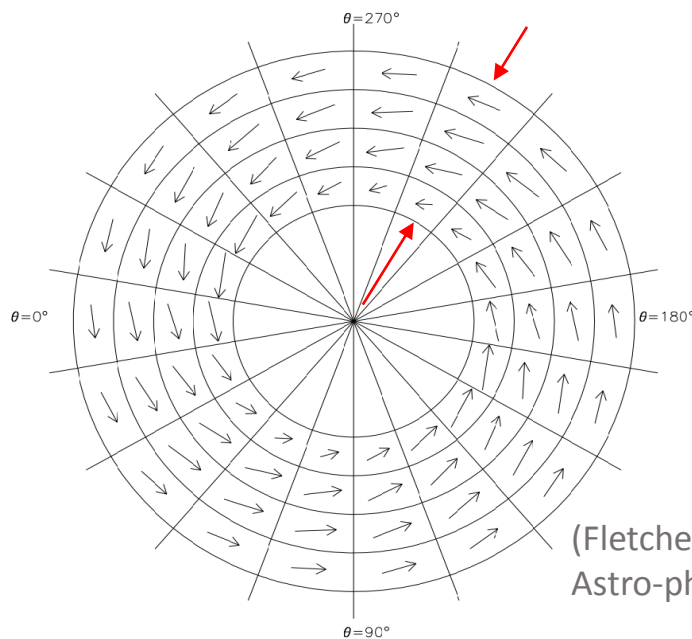
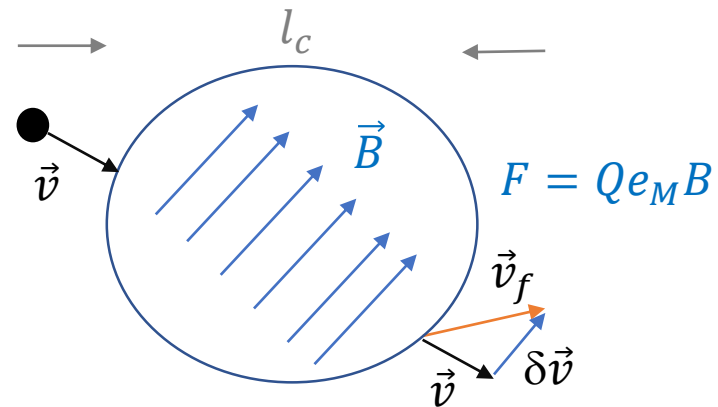
For phenomenological purpose BHs can be taken to be extremal.

# Parker Limit

- Magnetic BHs get accelerated and extract energy from large coherent magnetic fields present in galaxies

$$\Delta E \times F_* \times (\pi \ell_c^2) \times (4\pi \text{ sr}) \times t_{\text{reg}} \lesssim \frac{B^2}{2} \frac{4\pi \ell_c^3}{3}$$

$$\Delta E \simeq \frac{B^2 h_Q^2 \ell_c^2}{2Mv^2}$$



(Fletcher et al.  
Astro-ph/0310258)

For M31(Andromeda) galaxy:  $l_c = 10 \text{ kpc}, t_{\text{reg}} = 10 \text{ Gyr}$

$$f_* < 6 \times 10^{-3}$$

(Bai, Berger, MK, Orlofsky; 2007.03703)

(Turner, Parker, Bogdan'1982)



# Limits from Sun and Earth

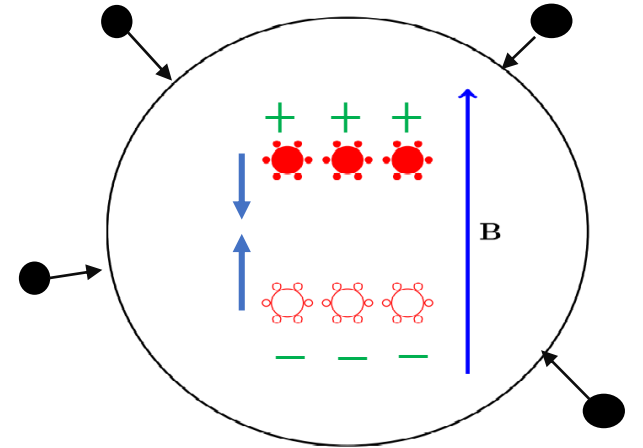
1. MBHs with  $Q > 30$  (sun) and 1900 (earth) can be stopped.
2. For  $N > N_*^{crit}$  the Coulomb attractive force dominates the repulsive force
3. Annihilation produce neutrino flux

$$I_\nu = \frac{N_\nu \Gamma_A}{4\pi d^2}$$

$$N_\nu = \eta_\nu \frac{M_{BH}}{T_{BH}}$$

4. Earth Heat

$$P_A \simeq (2.4 \times 10^{15} \text{ W}) f_* < 4.7 \times 10^{13} \text{ W}$$



(Bai, Berger, **MK**, Orlofsky; 2007.03703)

# Final Plot

1. MACRO: Magnetic monopole search

$$F_* < 1.6 \times 10^{-16} \text{ cm}^{-2} \text{ s}^{-1} \text{ sr}^{-1}$$

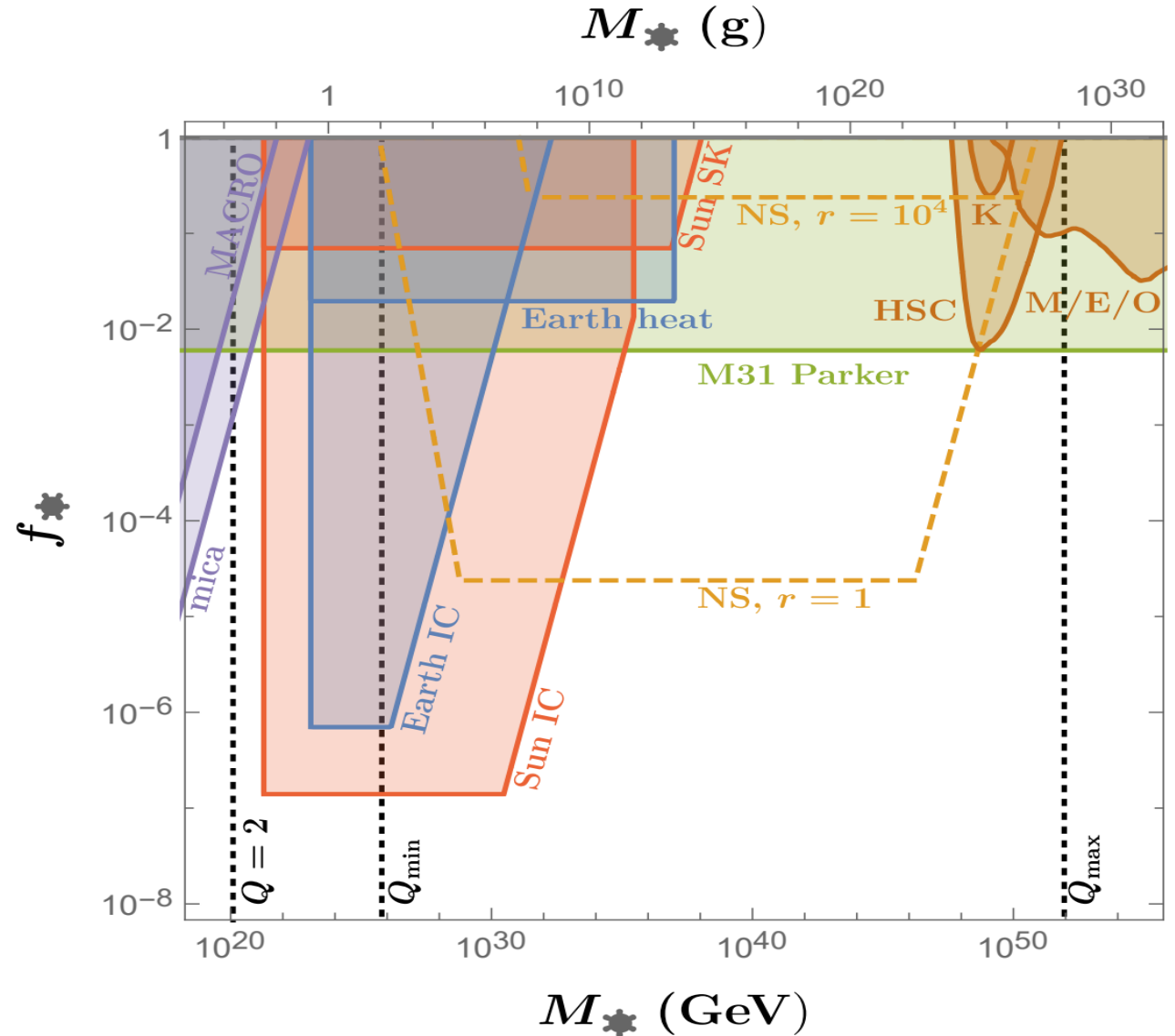
2. Mica: Track of monopoles in ancient mica

$$F_* < 10^{-17} \text{ cm}^{-2} \text{ s}^{-1} \text{ sr}^{-1}$$

3. HSC, MACHO/EROS/OGLE, Kepler(K)

4. Neutron Star:

Here  $r$  is ratio of total luminosity going to photon luminosity. With  $r=1$  (proton superconductor) and  $r=10^4$  (pion superconductor).



(Bai, Berger, **MK**, Orlofsky; 2007.03703)

# Summary

1. New types of Black Holes (Hairy Magnetic BHs) exist in **SM + GR**, which have **Electroweak Symmetric Vacuum** around them where the elementary particles are massless.
2. This BHs hawking radiate efficiently via a new type of **2-D hawking radiation**.
3. Annihilation of such BHs produce **neutrinos and heat** which can be probed using current observations. Also see [\(Ghosh, Thalapillil, Ullah 2009.03363\)](#) and [\(Diamond, Kaplan 2103.01850\)](#) for other interesting constraints.

