

Measuring The ν_{μ} and $\bar{\nu}_{\mu}$ induced Charged-Current Coherent Pion Production Cross Sections on Carbon Using The T2K Near Detector ND280

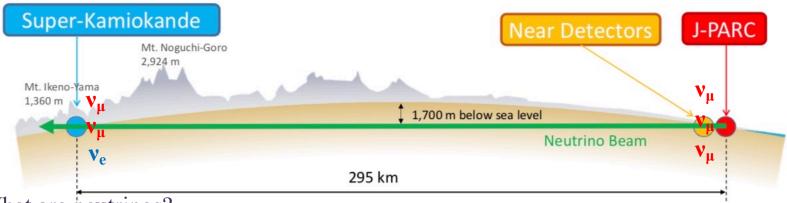
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Overview

- The T2K experiment
- Neutrino interactions
- Coherent pion production
 - A rare yet important interaction channel to study
- Analysis highlights
 - Sample selection
 - Likelihood fitter
 - Systematic uncertainties
 - Analysis validations
- Results outlook and summary

The T2K Experiment



- What are neutrinos?
 - The most abundant massive particles and they rarely interact
 - Neutrinos can also change identities while they propagate through space (neutrino oscillation)
- The Tokai-to-Kamioka (T2K) long baseline neutrino oscillation experiment
 - For more details on T2K, see <u>Patrick de Perio's talk (TS4-3)</u>
 - Utilizes the muon neutrinos and antineutrinos from the J-PARC proton accelerator facility
 - The near detector complex measures (un-oscillated) muon neutrino properties
 - The far detector Super-Kamiokande (SK) measures the the appearance of electron neutrinos (to study neutrino oscillation)
- T2K near detector complex ND280 provide rich neutrino interaction programs (this talk)
 - Better understanding of neutrino interactions

T2K Off-axis Near Detector ND280

FGD

- 2 fine grained detectors
- Carbon and Oxygen target mass
- FGD1: plastic scintillator layers
- FGD2: alternating plastic and water layers
- Particle identification for stopped particles

• TPC

- 3 time projection chambers (Argon gas)
- Momentum reconstruction (by track curvature)
- Particle identification (by dE/dx)

• P0D

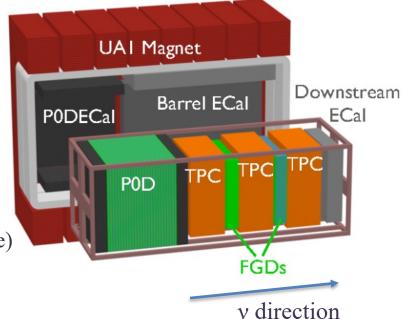
- Dedicated π^0 detector
- Provide π^0 background constraints on Oxygen for Super-K (the main background)

• ECal

- Electromagnetic Calorimeters (ECal) detectors surrounding
- Particle identification (by electromagnetic shower)

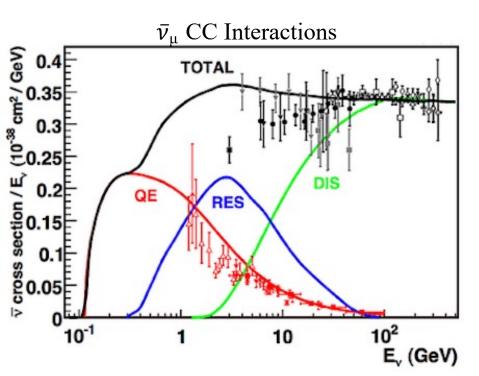
Magnet

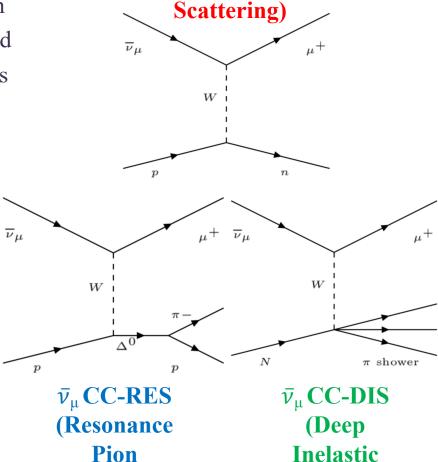
• All the detector components are surrounded a magnet (0.2 T)



Neutrino Interactions

- Neutrino interactions are weak interactions
 - Neutral-current (NC) mediated by \mathbb{Z}^0 boson
 - Charged-current (CC) mediated by W[±] boson
- Subcategorization based on the particles produced
 - QE, RES, and DIS are the dominant channels





Production)

 $\bar{\nu}_{\mu}$ CCQE

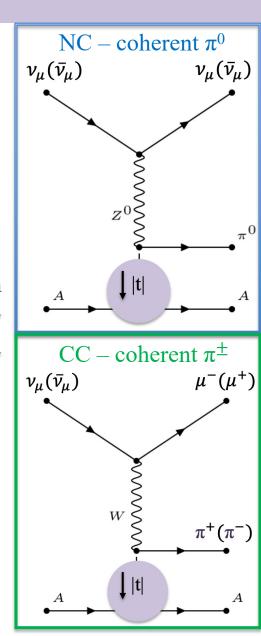
(Quasi-

Elastic

Scattering)

Coherent Pion Production

- Neutrino induced coherent pion production (COH)
 - Rare interaction channel (less than one percent)
 - A neutrino scatters off an entire nucleus
 - Produces 1 lepton and 1 pion
 - Both with small angle with respect to the neutrino direction
 - NC-coherent (NC-COH) has an outgoing π^0
 - CC-coherent (CC-COH) has an outgoing π^{\pm}
 - no fragmentation of the nucleus
 - Small four-momentum transferred squared (|t|)
 - No nucleons produced to deposit energy in the detector (vertex activity)

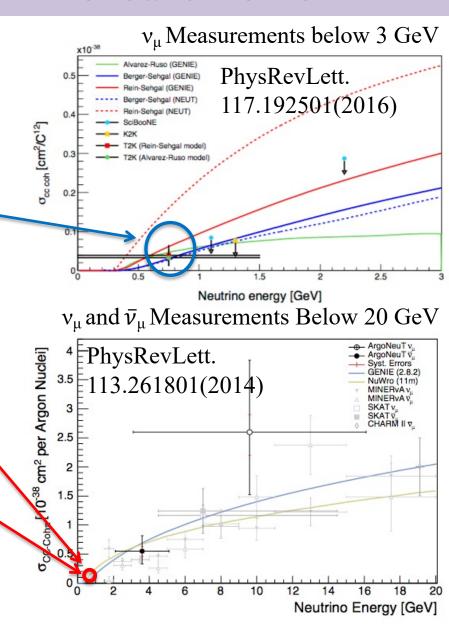


Analysis Motivation

- Why do we care about such an interaction?
 - This is not well understood theoretically interesting measurement
 - π^0 from the neutral current coherent interaction can also mimic electron neutrino appearance in the T2K oscillation analysis
 - 3% background (simulation prediction) to the electron neutrino candidates at SK
 - 30% model uncertainty on the neutral current coherent pion production
- Measurements of the coherent pion production would help to constrain the physics model used in neutrino interaction generators
 - Underlying physics model for the neutral and charged current channels is the same

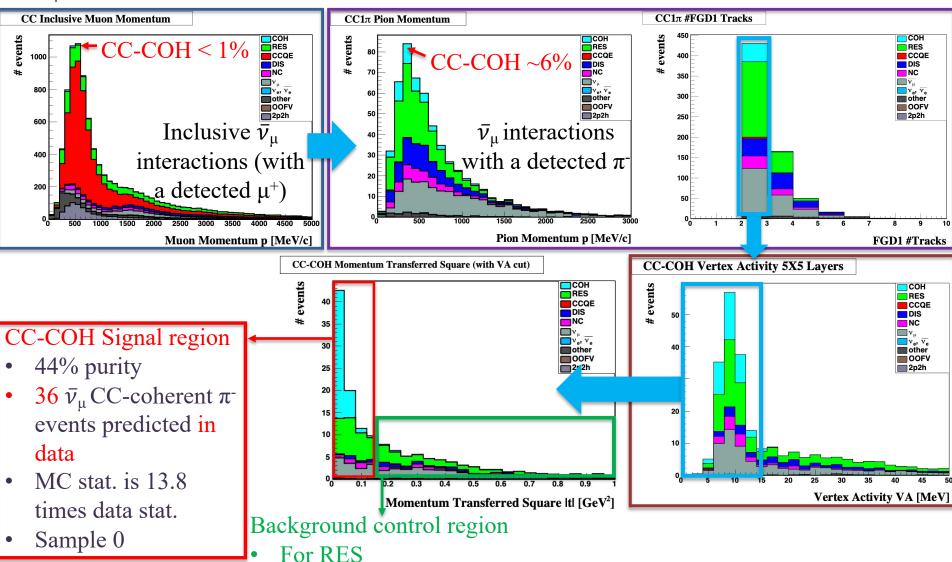
Current and New CC-COH Measurements

- v_{μ} CC-coherent π^+ on 12 C
 - Only handful of successful global measurements
 - T2K CC-coherent π⁺ on ¹²C measurements (2016)
 - New measurement #1
 - Double the statistics
 - More sophisticated systematic uncertainty treatment
- $\bar{\nu}_{\mu}$ CC-coherent π^{-} on ¹²C
 - New measurement #2
 - Using the T2K $\bar{\nu}_{\mu}$ data, the first observation of the process at sub-GeV region is possible
- Theoretical models explained in the backup slides



Coherent Pion Production Selection

 $\bar{\nu}_{\mu}$ CC-coherent π^{-} selection (T2K MC only)

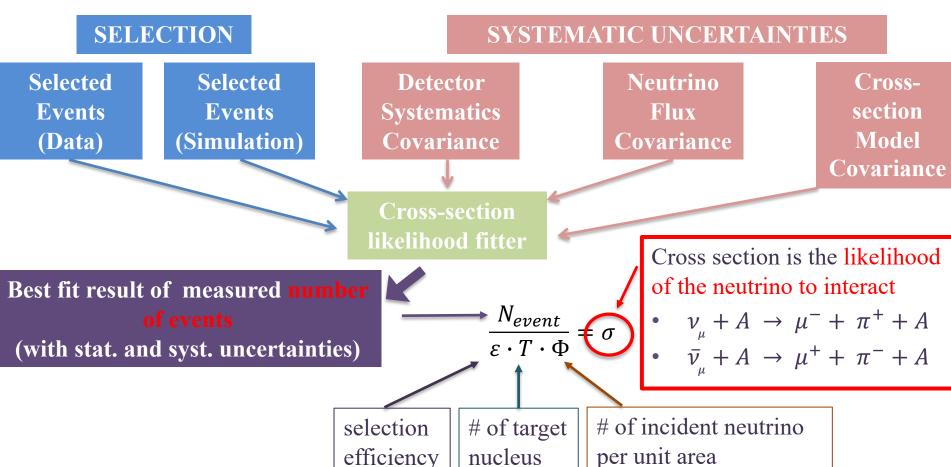


Cross-section Likelihood Fitter

Likelihood fitter

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- Finds the measured number of CC-COH events
- Adjust simulation prediction to data (best fit)
- Minimizes the chi-square: $\chi^2 = \chi^2_{stat.} + \chi^2_{syst.}$



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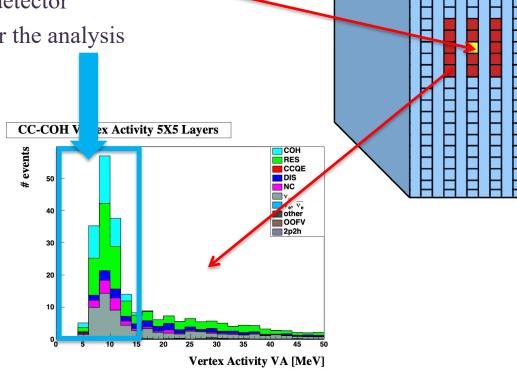
Systematic Uncertainties & Analysis Validations

- Fake data (also known as mock data or pseudo data) studies
 - Blind analysis to avoid bias to the results
 - Adjustments to the nominal MC simulation
 - Test specific aspects of the analysis framework, especially background events
 - Fake data cross section is known
 - Evaluate analysis framework performances
 - Does the fitter return the correct cross section?
- Systematic uncertainties
 - Two will be highlighted in this talk
- The "known unknown"
 - Known sources of uncertainties
 - Need to be evaluated for the analysis
- The "unknown unknown"
 - Sources of uncertainties that are not yet studied and modelled by the analysis framework

Systematic Uncertainties

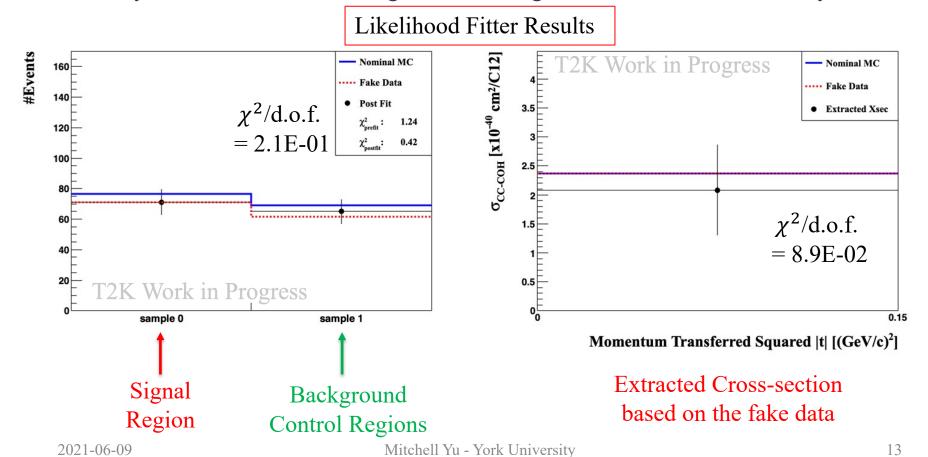
The T2K fine grained detector (FGD1)

- The "known unknown"
 - Vertex activity (VA)
 - The energy deposition by particles around the neutrino interaction vertex in detector
 - Used as a selection variable for the analysis
 - Sources of uncertainties related to vertex activity
 - Detector reconstruction in the simulation
 - Modelling of particles produced from interactions



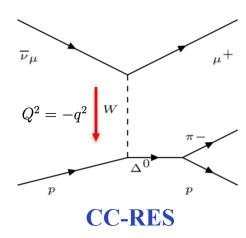
Example of $\bar{\nu}_{\mu}$ Analysis Validations

- Additional vertex activity fake data study
 - Motivated by another T2K analysis (see backup)
- Extracted cross section is very close to the fake data cross section
 - Existing systematic uncertainties covers the difference between cross sections
 - Analysis framework is robust against the change related to the vertex activity



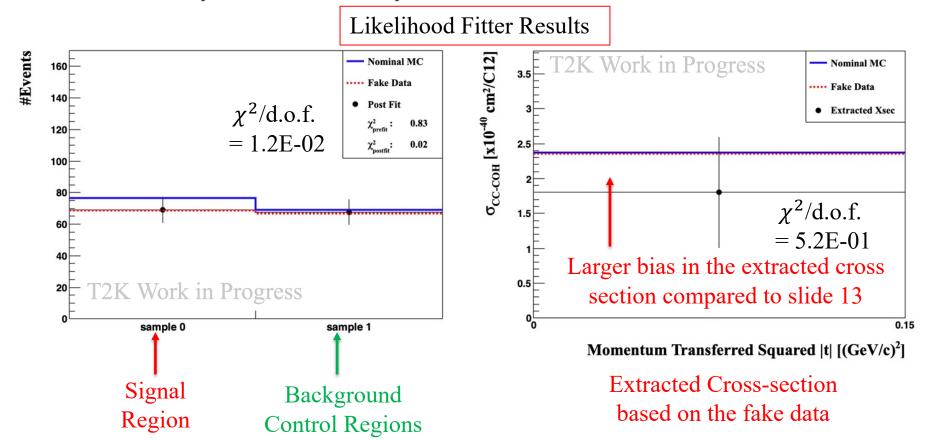
Systematic Uncertainties

- The "unknown unknown"
 - Low Q² suppression of the RES background
 - Results from other experiments (e.g. the MINERvA experiment, see backup) indicate an over prediction of RES at low Q^2 region ($Q^2 < 0.7$ GeV²) in the simulation
 - Unclear yet whether the T2K simulation over predicts
 - The analysis need to be able to handle such a change
 - Currently no uncertainty assigned



Example of $\bar{\nu}_{\mu}$ Analysis Validations

- Low Q² suppression of RES
 - Guidance from the MINERvA experiment results (see backup)
- A good fit does not necessarily mean an accurate extracted cross section
 - The bias in the extracted cross section indicate insufficient degree of freedom in the fitter
 - Additional systematic uncertainty needed to cover this bias



Results outlook & Summary

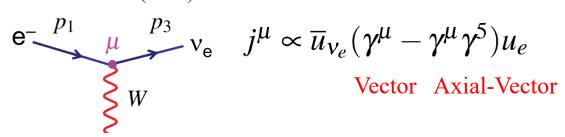
- The T2K near detectors provide opportunities to study neutrino interactions
- Coherent pion production
 - Background for the T2K oscillation analysis
 - New measurements $(v_{\mu} \text{ and } \bar{v}_{\mu})$ to be performed
 - v_{μ} CC-COH on ¹²C: improved measurement (compared to the 2016 result)
 - $\bar{\nu}_{\mu}$ CC-COH on ¹²C: first measurement at sub-GeV region
- Examples of the challenges to the analysis shown
- Status of the analysis
 - Analysis procedure finalized
 - Full data unblinding soon

Stay tuned for the results from T2K!

Back up

CVC and PCAC Hypothesis

 Weak interactions are experimentally determined to have the form of Vector – Axial-Vector (V-A)



- In pure vector, or axial-vector interactions parity is conserved
- Weak interactions do not conserve parity due to the linear combination of vector and axial-vector
 - γ^{μ} $\gamma^{\mu} \gamma^{5}$ \rightarrow $c_{v}\gamma^{\mu}$ $c_{A}\gamma^{\mu} \gamma^{5}$
 - c_v correction to the vector "weak charge"
 - c_A correction to the axial vector "weak charge"
- Conserved Vector Current (CVC) hypothesis
 - Experimentally, $c_v = 1.000$
- Partially Conserved Axial Current (PCAC) hypothesis
 - Experimentally, $c_A = 1.270 \pm 0.003 \rightarrow$ "Almost" conserved

Rein and Sehgal (1983)

• From Adler's theorem,

$$egin{aligned} rac{d^2\sigma(
u+\mathfrak{N} o\ell^-+\mathfrak{N}')}{dQ^2dW} &= rac{G_F^2W}{2\pi^2M_{\mathcal{N}}}rac{E_\ell}{E_
u(E_
u-E_\ell)}f_\pi^2\sigma(\mathfrak{N}+\pi o\mathfrak{N}') \ & x_B = rac{Q^2}{2M_{\mathcal{N}}(E_
u-E_\ell)} \quad , \quad y_B = rac{E_
u-E_\ell}{E_
u} \quad |t| = |(q-p_\pi)^2| = |(k-k'-p_\pi)^2| \end{aligned}$$

$$(d\sigma)$$
 $G_{\nu}^{2}M_{N}E_{\nu}$ $d\sigma(\pi\mathfrak{N}\to\pi\mathfrak{N})$.

$$\left(\frac{d\sigma}{dx_B dy_B d|t|} \right)_{Q^2 = 0} = \frac{G_F^2 M_{\mathcal{N}} E_{\nu}}{\pi^2} \frac{1}{2} f_{\pi}^2 \left(1 - y_B \right) \frac{d\sigma(\pi \mathfrak{N} \to \pi \mathfrak{N})}{d|t|} \Big|_{E_{\nu} y = E_{\pi}}$$

Adding nucleus dependencies

$$\frac{d\sigma(\pi\mathfrak{N}\to\pi\mathfrak{N})}{d|t|} = A^2 |F_{\mathfrak{N}}(t)|^2 \frac{d\sigma(\pi\mathcal{N}\to\pi\mathcal{N})}{d|t|} \qquad \frac{d\sigma(\pi\mathcal{N}\to\pi\mathcal{N})}{d|t|} = \frac{1}{16\pi} \left[\sigma_{\text{tot}}^{\pi\mathcal{N}}\right]^2 (1+r^2)$$
$$|F_{\mathfrak{N}}(t)|^2 = e^{-b|t|} F_{\text{abs}}, \quad \text{with } b = \frac{R_0^2}{3} A^{2/3} \qquad r = \mathbf{Re}[f_{\pi N}(0)]/\mathbf{Im}[f_{\pi N}(0)]$$

• Rein-Sehgal triple differential coherent cross section

$$\frac{\mathrm{d}\sigma^{\mathrm{NC}}}{\mathrm{d}x\,\mathrm{d}y\,\mathrm{d}|t|} = \frac{G_F^2\,M_{\mathcal{N}}\,E_{\nu}}{4\,\pi^2}\,f_{\pi^0}^2\,(1-y_B)\,\left(\frac{m_A^2}{m_A^2+Q^2}\right)^2\,A^2\,F_{abs}\,e^{-b|t|}\,\frac{1}{16\pi}\left[\sigma_{tot}^{\pi^0N}(Ey)\right]^2(1+r^2)$$

- For charged-current cross section:
 - Substitute pion decay constant: $f_{\pi^+}^2 = 2 f_{\pi^0}^2$

Rein and Sehgal (2007)

Following the original RS formulization

$$\frac{\mathrm{d}\sigma^{\mathrm{NC}}}{\mathrm{d}x\,\mathrm{d}y\,\mathrm{d}|t|} = \frac{G_F^2\,M_{\mathcal{N}}\,E_{\nu}}{4\,\pi^2}\,f_{\pi^0}^2\,(1-y_B)\,\left(\frac{m_A^2}{m_A^2+Q^2}\right)^2\,A^2\,F_{abs}\,e^{-b|t|}\,\frac{1}{16\pi}\left[\sigma_{tot}^{\pi^0N}(Ey)\right]^2(1+r^2)$$

- For CC-COH, deficit was found in forward going muon direction
 - Outgoing lepton mass is not assumed to be zero anymore
 - Correction factor was added

$$\mathcal{C} = \left(1 - rac{1}{2}rac{Q_{\min}^2}{Q^2 + m_{\pi^+}^2}
ight)^2 + rac{1}{4}y_Brac{Q_{\min}^2(Q^2 - Q_{\min}^2)}{(Q^2 + m_{\pi}^2)^2} + Q_{\min}^2 = m_{
m lep}^2y_B/(1 - y_B).$$

• The modified RS cross section:

$$\frac{\mathrm{d}\sigma^{CC}}{\mathrm{d}x_B\,\mathrm{d}y_B\,\mathrm{d}|t|} = \frac{\mathrm{d}\sigma^{NC}}{\mathrm{d}x_B\,\mathrm{d}y_B\,\mathrm{d}|t|} \times 2\mathcal{C}\theta(Q^2 - Q_{\min}^2)\theta(y_B - y_{\mathrm{B,\,min}})\theta(y_{\mathrm{B,\,max}} - y_B)$$

• A reduced valid phase space is defined:

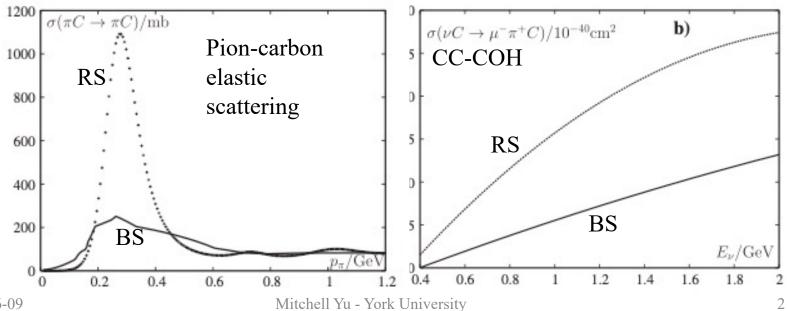
$$y_{
m B,\;min}=m_\pi/E$$
 $y_{
m B,\;max}=1-m_{
m lep}/E$

Berger and Sehgal (2009)

- The original and modified RS does not describe experimental measurements in the sub-GeV to few-GeV region
- 2 further modification was added by Berger and Sehgal
- Approximation of the kinematic term 1-y_B is replaced by the complete derived term

$$1 - y_B + \frac{y_B^2}{4} \left(1 - \left| \frac{Q^2}{(E_{\nu} - E_{\ell})^2} + 1 \right| \right)$$

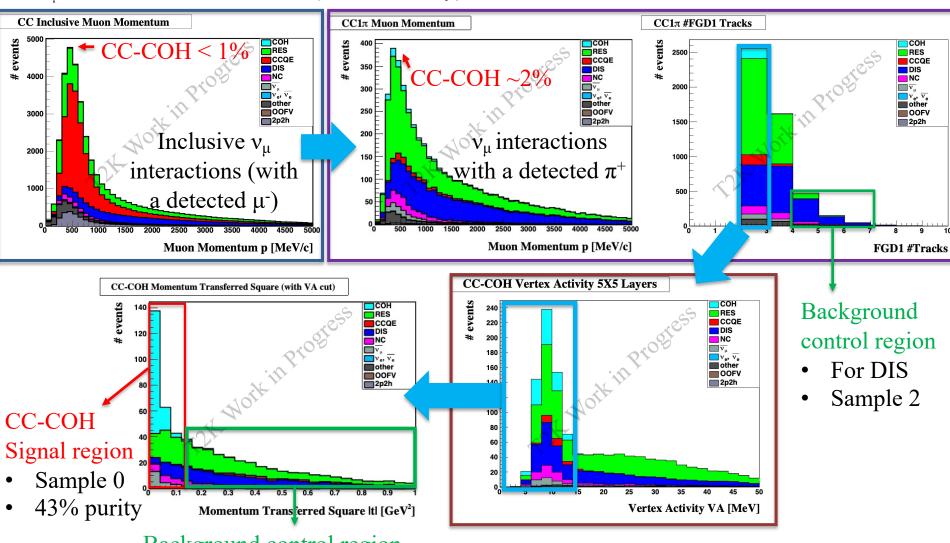
- BS used external pion-carbon scattering data to constrain the pion-nucleus cross section
 - RS tries to model the nuclear processes for the pion-nucleus elastic differential cross section used inside the model



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Coherent Pion Production Selection

 v_{μ} CC-coherent π^+ selection (T2K MC only)



Background control region

- For RES and DIS
- Sample 1

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Motivation for the Additional VA Study

- Study performed at the T2K on-axis near detector (INGRID)
 - A sample of CC interactions with 0 π produced, and 2 tracks in the detector is selected
 - Difference seen in the data and MC comparison in vertex activity
 - Could be explained by additional {0-100MeV} of energy deposition added to 25% of background events with a neutron target

MINERvA Low Q² Suppression

- Phys. Rev. D 100, 072005 (2019)
- Indication of MC overprediction of CC- 1π events at low Q² region

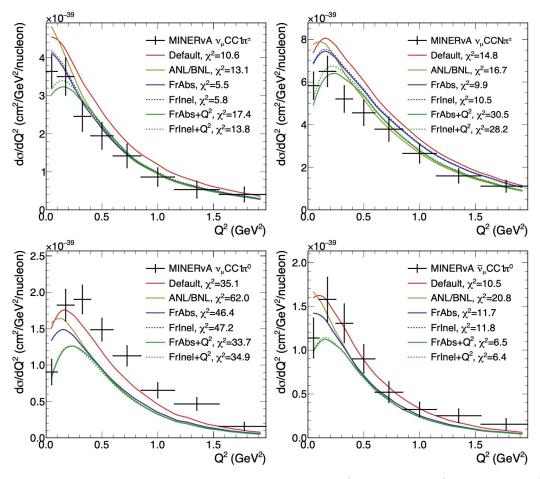


FIG. 11. Comparisons of the nominal and tuned models to MINERvA ν_{μ} CC1 π^{\pm} (left top), ν_{μ} CCN π^{\pm} (right top), ν_{μ} CC1 π^{0} (left bottom) and $\bar{\nu}_{\mu}$ CC1 π^{0} (right bottom) distributions in Q^{2} . The χ^{2} is computed using the full covariance matrices. The distributions were not explicitly used in the tuning procedure.