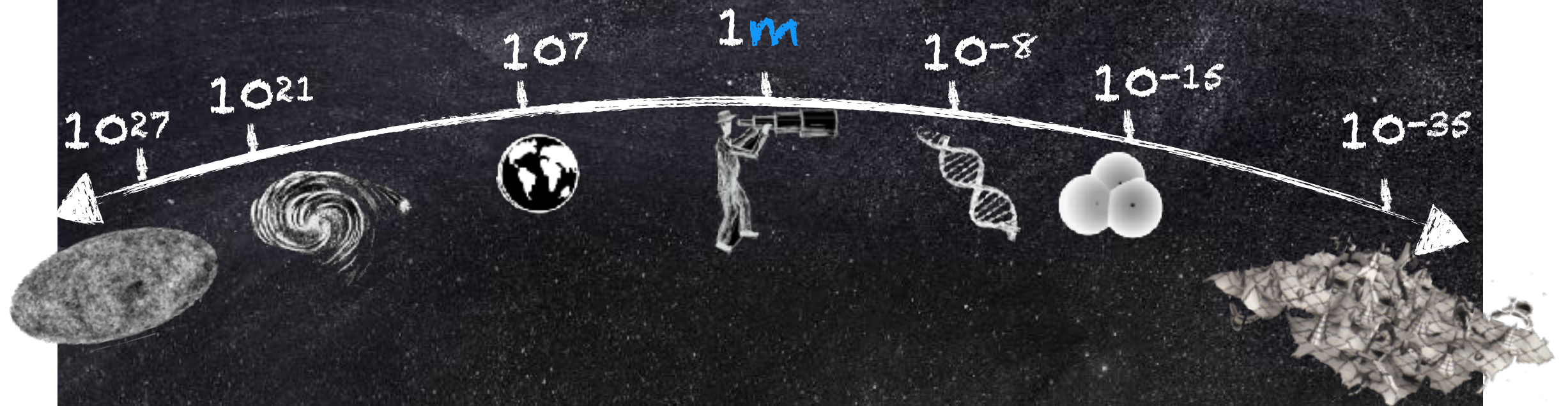


# Priorities for EFTs at Colliders



Francesco Riva  
(Geneva University)

SM  $\neq$  BSM

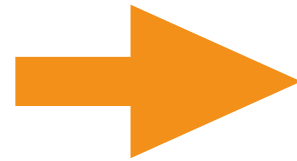
LHC Future:

SM Precision Tests  
(tailored to SM)

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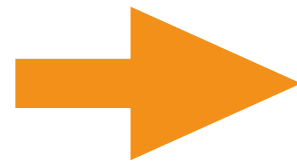


BSM Precision Searches  
(tailored to BSM)

SM  $\neq$  BSM

LHC Future:

SM Precision Tests  
(tailored to SM)



BSM Precision Searches  
(tailored to BSM)



EFT provides a catalogue  
of the most relevant targets

► Priority: optimal analyses for individual operators  
Ultimate target: global fit



SM  $\neq$  BSM

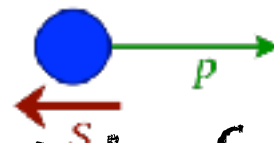
# 1. SM-BSM Non-Interference

(and what measurements resurrect it)

# Non-Interference

(2→2, high-E, tree-level)

Azatov, Contino, Machado, FR'16

For  $E \gg m_W$  states have well defined helicity  Amplitudes for 2→2 with different total  $h$  don't interfere

SM

Any BSM  
dim-6 operator

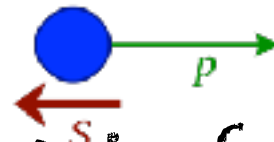
$A_4$	$ h(A_4^{\text{SM}}) $	$ h(A_4^{\text{BSM}}) $
VVVV	0	4,2
VV $\phi\phi$	0	2
VV $\psi\psi$	0	2
V $\psi\psi\phi$	0	2
$\psi\psi\psi\psi$	2,0	2,0
$\psi\psi\phi\phi$	0	0
$\phi\phi\phi\phi$	0	0

helicity

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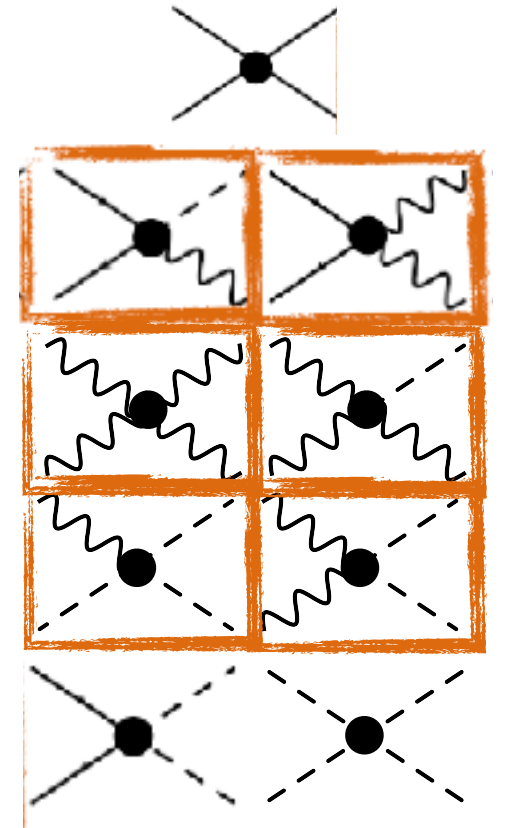
Different helicity

No-Interference

Poor reach in an  
inclusive (SM-targeted)  
measurement

$A_4$	$ h(A_4^{\text{SM}}) $	$ h(A_4^{\text{BSM}}) $
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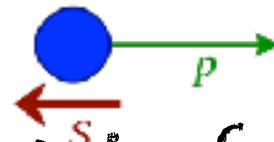
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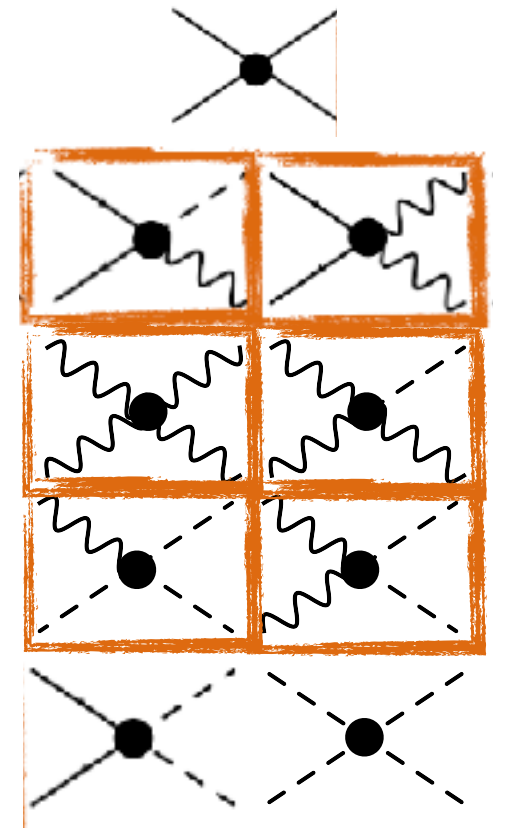
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$\psi\psi\phi\phi$	0	0
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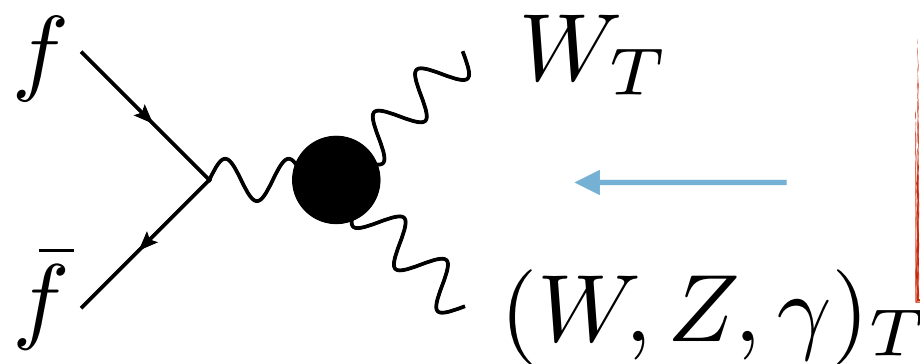
helicity





# Interference Resurrection

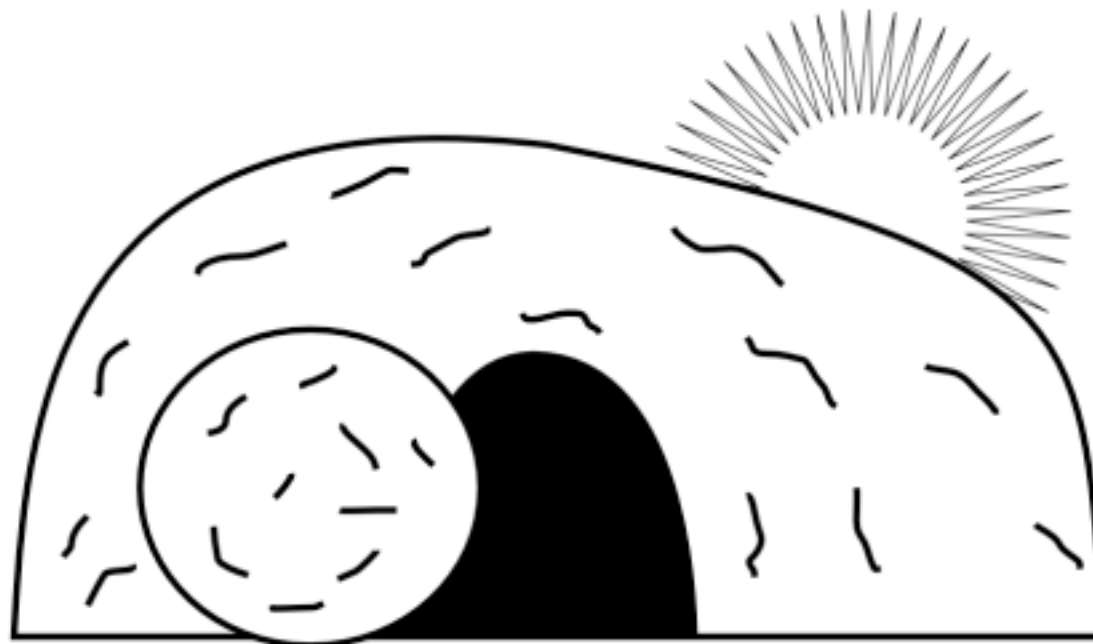
Focus on **dibosons**, with these operators that do not interfere with the SM



$$\begin{aligned} &\epsilon_{abc} W_{\mu}^{a\nu} W_{\nu\rho}^b W^{c\rho\mu} \\ &\epsilon_{abc} W_{\mu}^{a\nu} W_{\nu\rho}^b \widetilde{W}^{c\rho\mu} \end{aligned}$$

CP-even

CP-odd

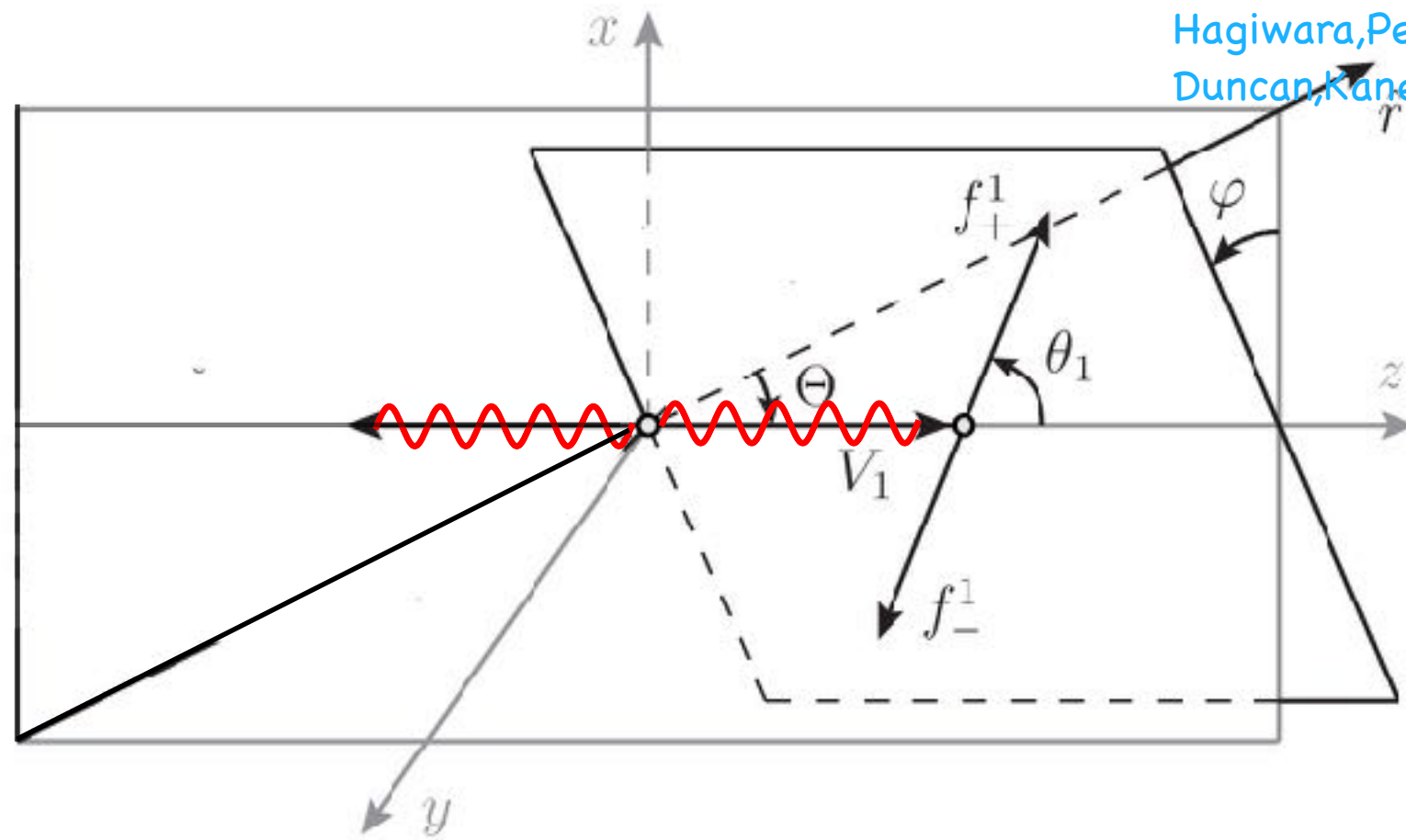


# Differential measurements WY

Panico,FR,Wulzer'17,

Hagiwara,Peccei,Zeppenfeld,Hikasa'86

Duncan,Kane,Repko'86



**Spin-1:** Helicity  $\pm\mp/\pm\pm$  in SM/BSM

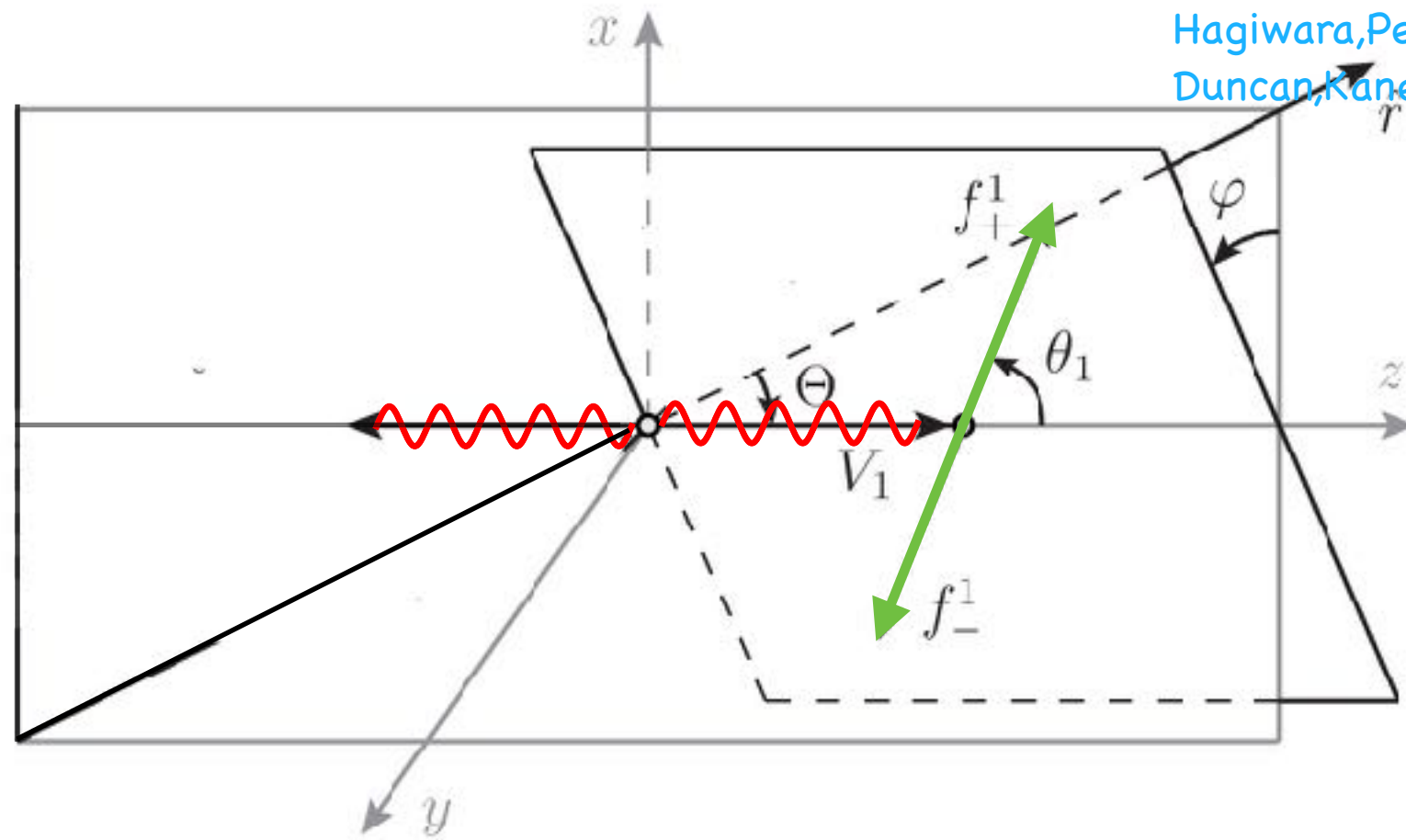
▶ Quantum mechanically **different**, **no** interference

# Differential measurements WY

Panico,FR,Wulzer'17,

Hagiwara,Peccei,Zeppenfeld,Hikasa'86

Duncan,Kane,Repko'86



**Spin-1:** Helicity  $\pm\mp/\pm\pm$  in SM/BSM

- ▶ Quantum mechanically **different**, **no** interference

**Decays into spin-1/2:** Helicity  $+1/2 -1/2$  in SM **and** in BSM

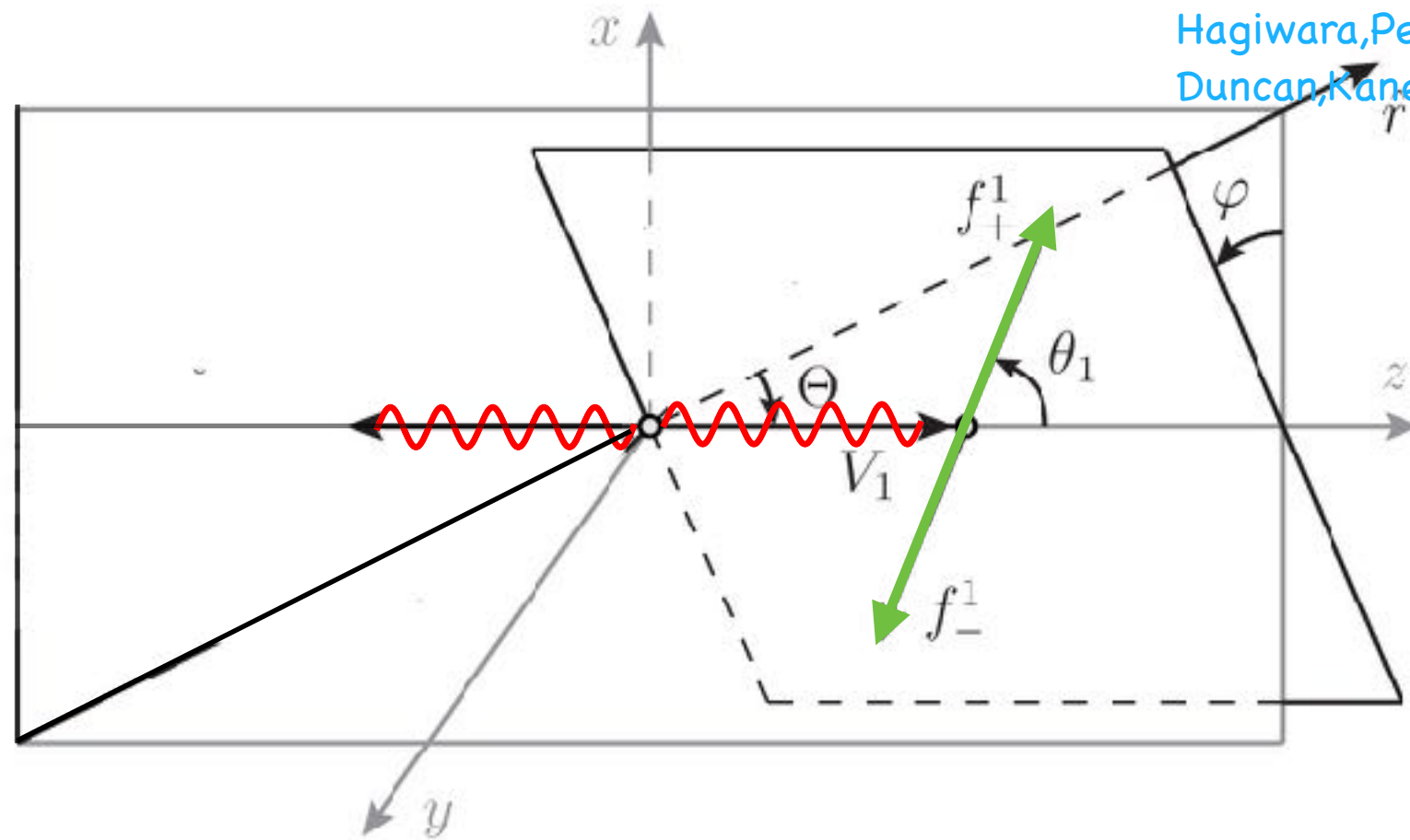
- ▶ QM **same**, interference possible

# Differential measurements WY

Panico,FR,Wulzer'17,

Hagiwara,Peccei,Zeppenfeld,Hikasa'86

Duncan,Kane,Repko'86



$$Int^{CP} = 2g^2 \sin^2 \theta \mathcal{A}_{++}^{BSM+} [\mathcal{A}_{-++}^{SM} + \mathcal{A}_{+-}^{SM}] \cos 2\varphi ,$$

$$Int^{CP} = 2ig^2 \sin^2 \theta \mathcal{A}_{++}^{BSM-} [\mathcal{A}_{-+-}^{SM} - \mathcal{A}_{+-}^{SM}] \sin 2\varphi$$

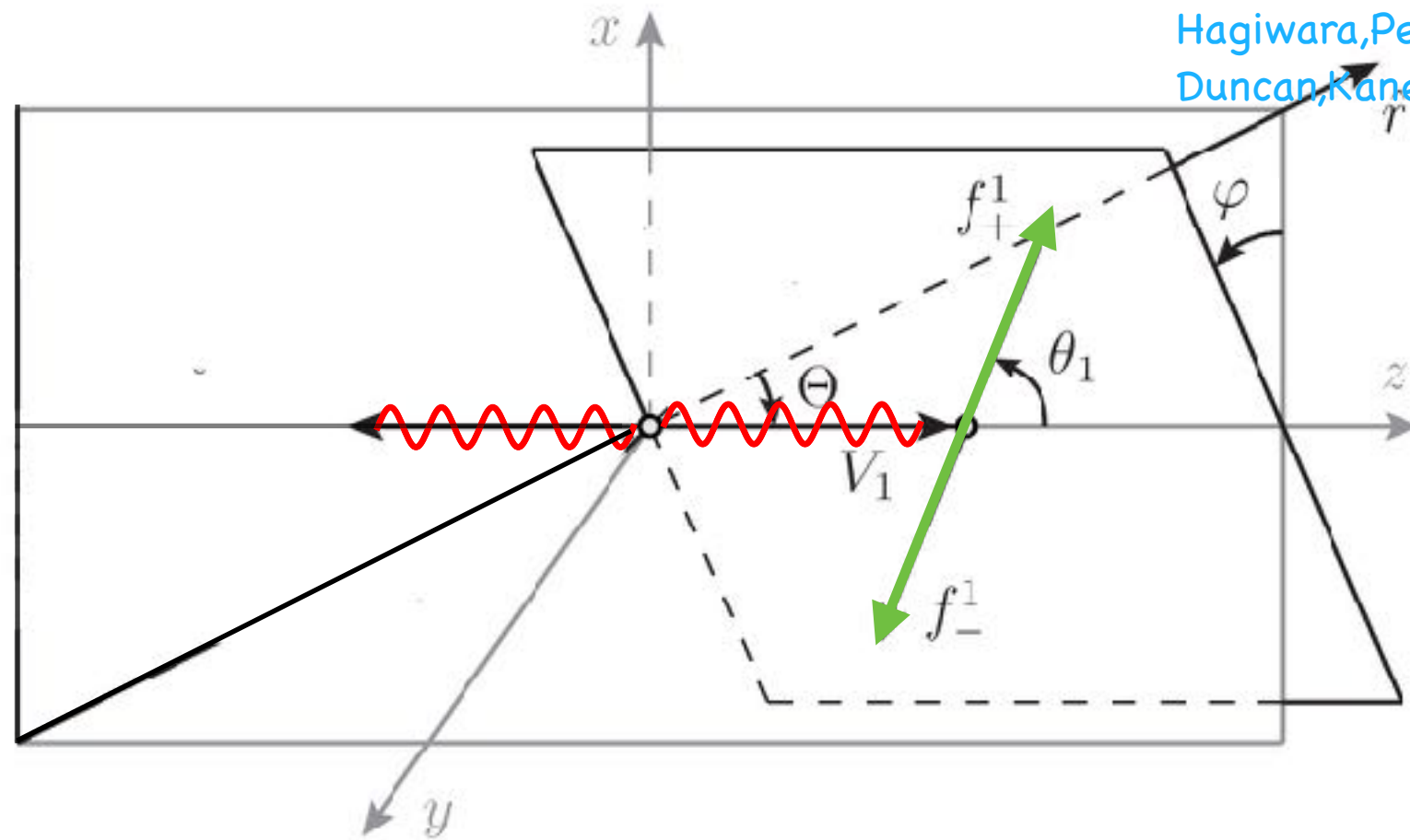


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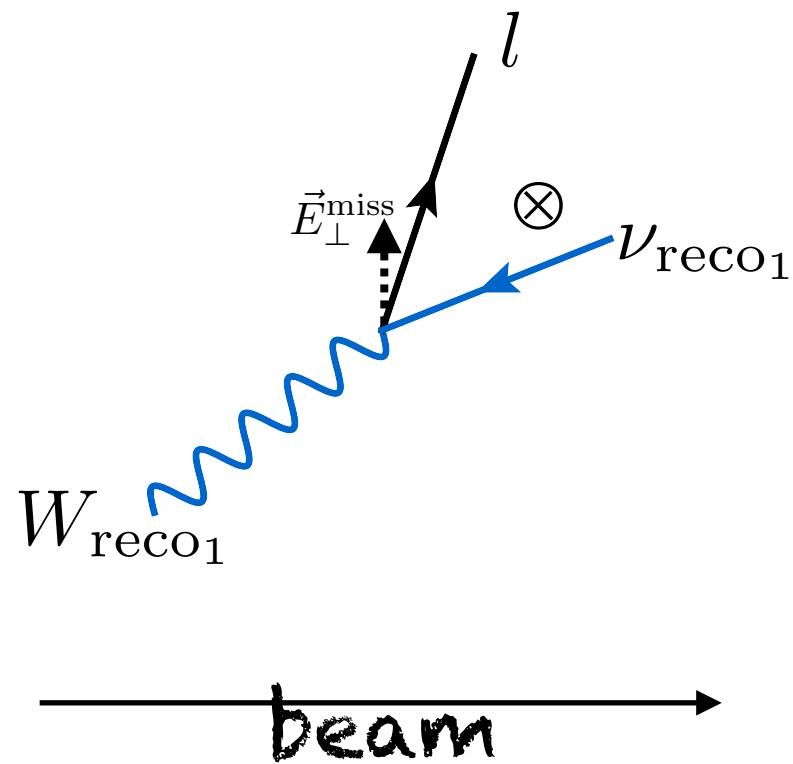
$$Int^{CP} = 2ig^2 \sin^2 \theta \mathcal{A}_{++}^{BSM-} [\mathcal{A}_{-+-}^{SM} - \mathcal{A}_{+-}^{SM}] \sin 2\varphi$$

Differential azimuthal distributions = SM-BSM interference

# Azimuthal Angle... in reality

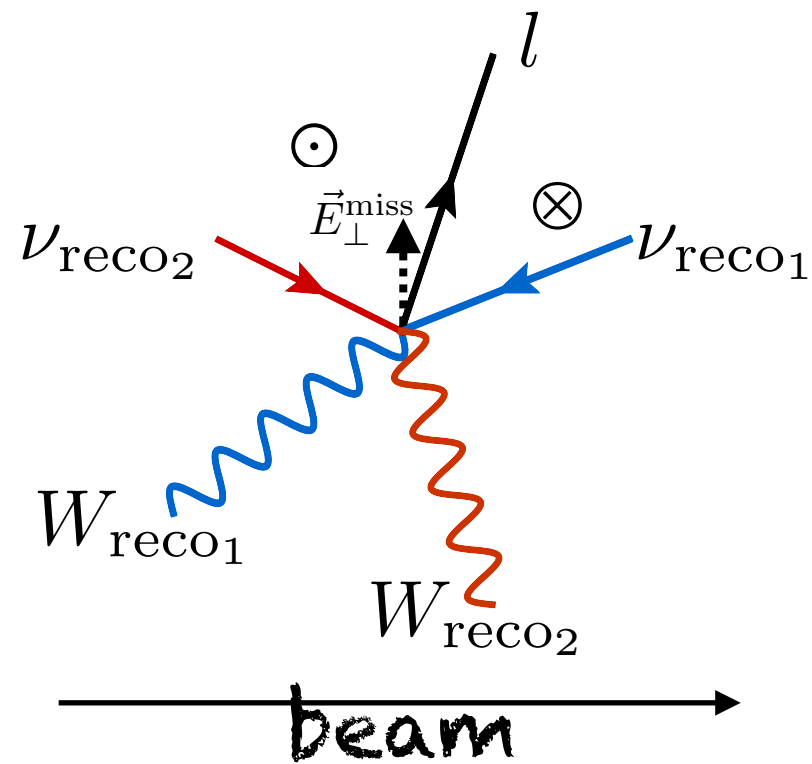
Neutrino: from missing energy + reconstruct  $W$  mass

1)



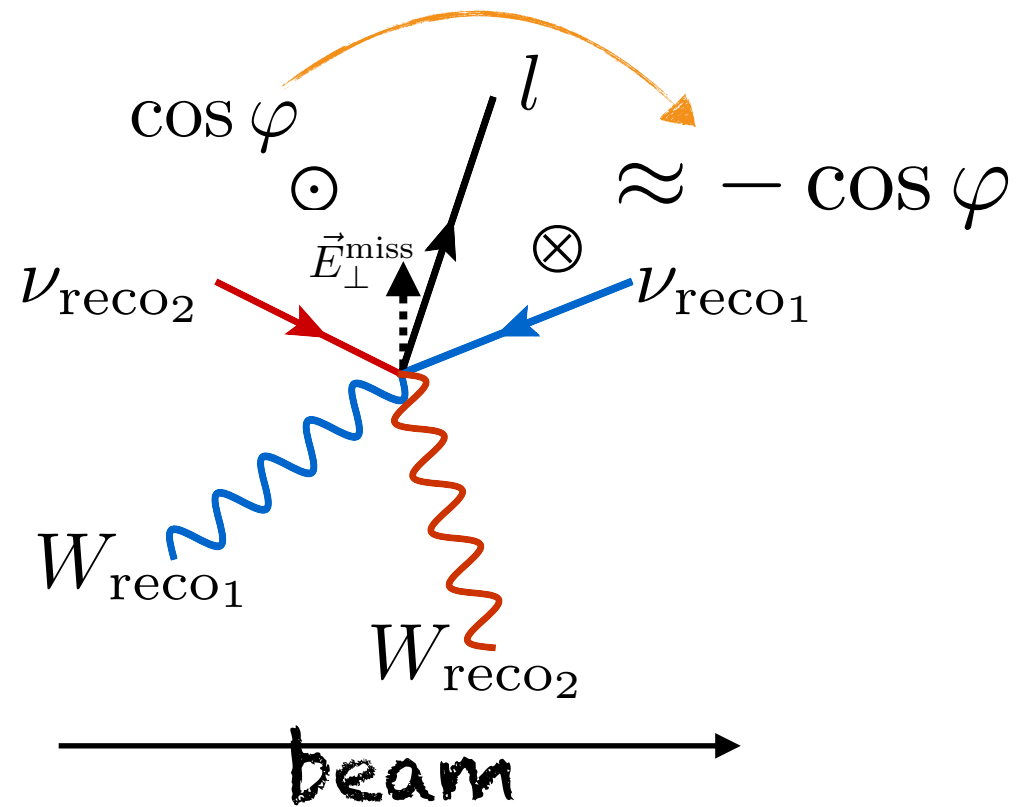
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# Azimuthal Angle... in reality

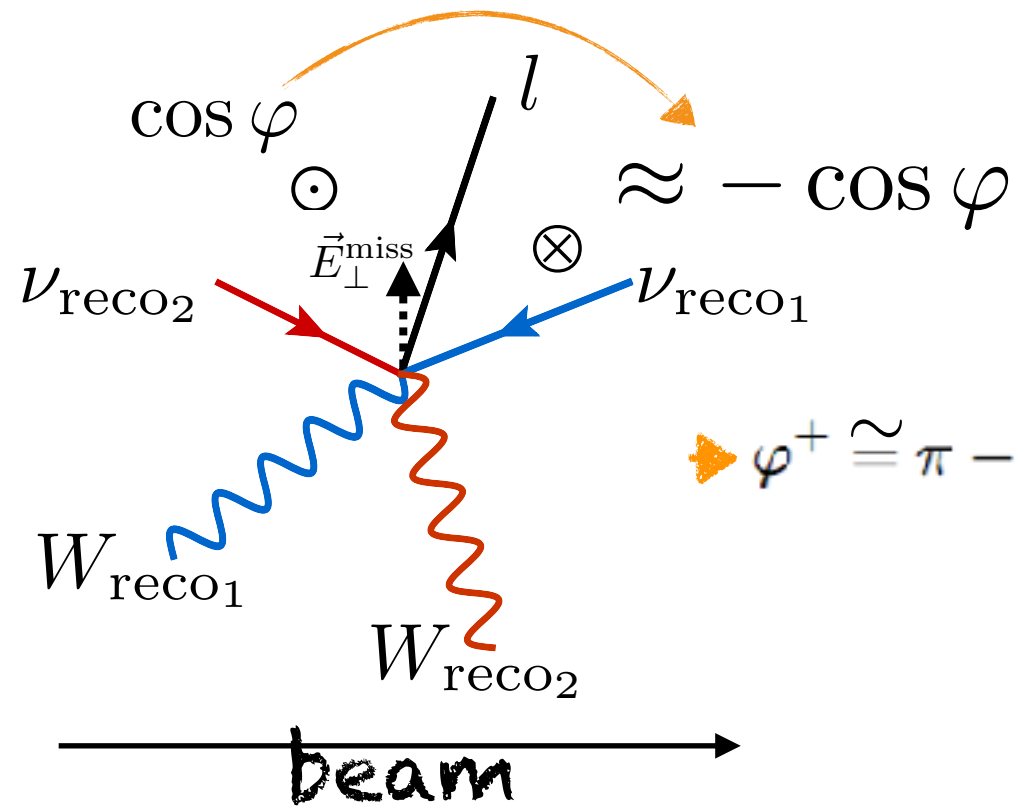
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# Azimuthal Angle... in reality

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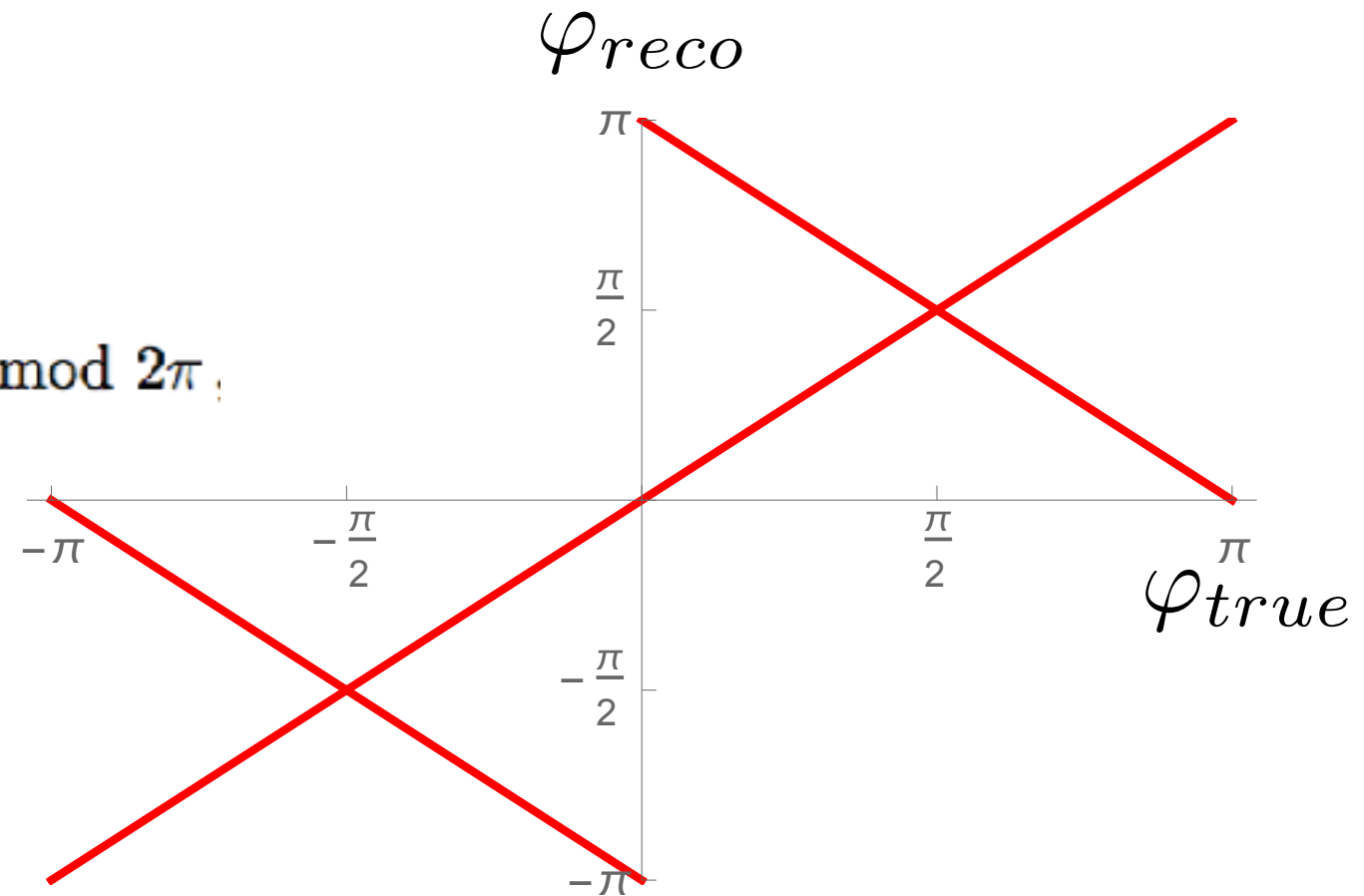
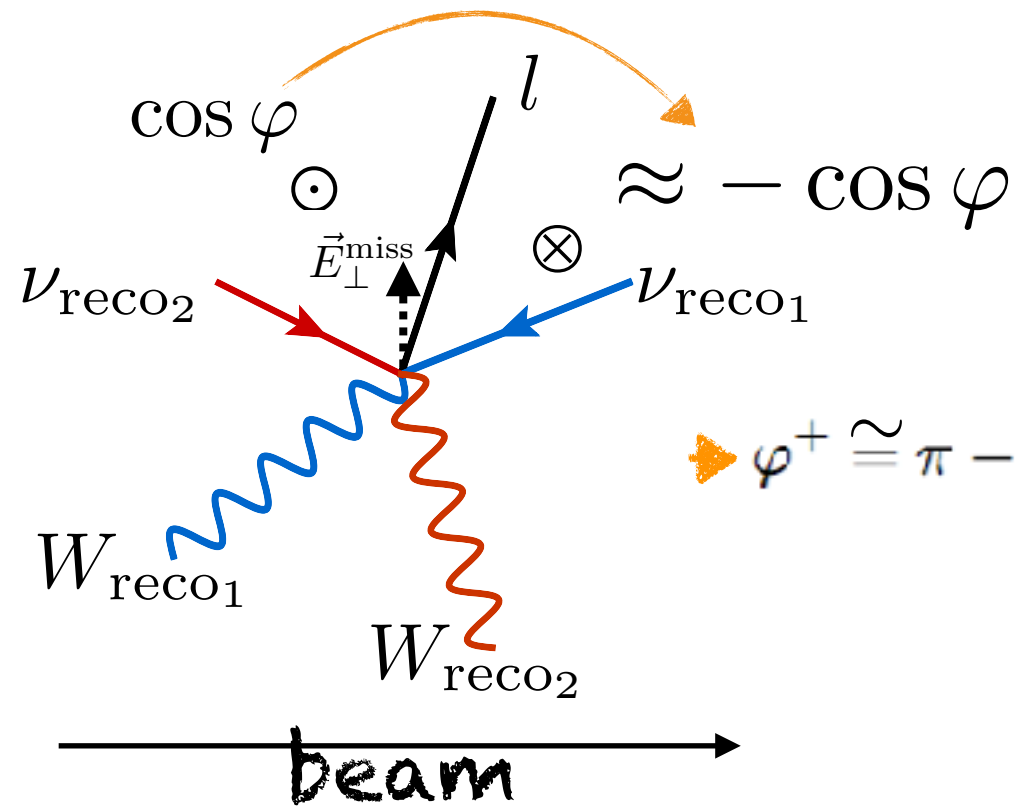


$\varphi_{\text{reco}}$

$\varphi_{\text{true}}$

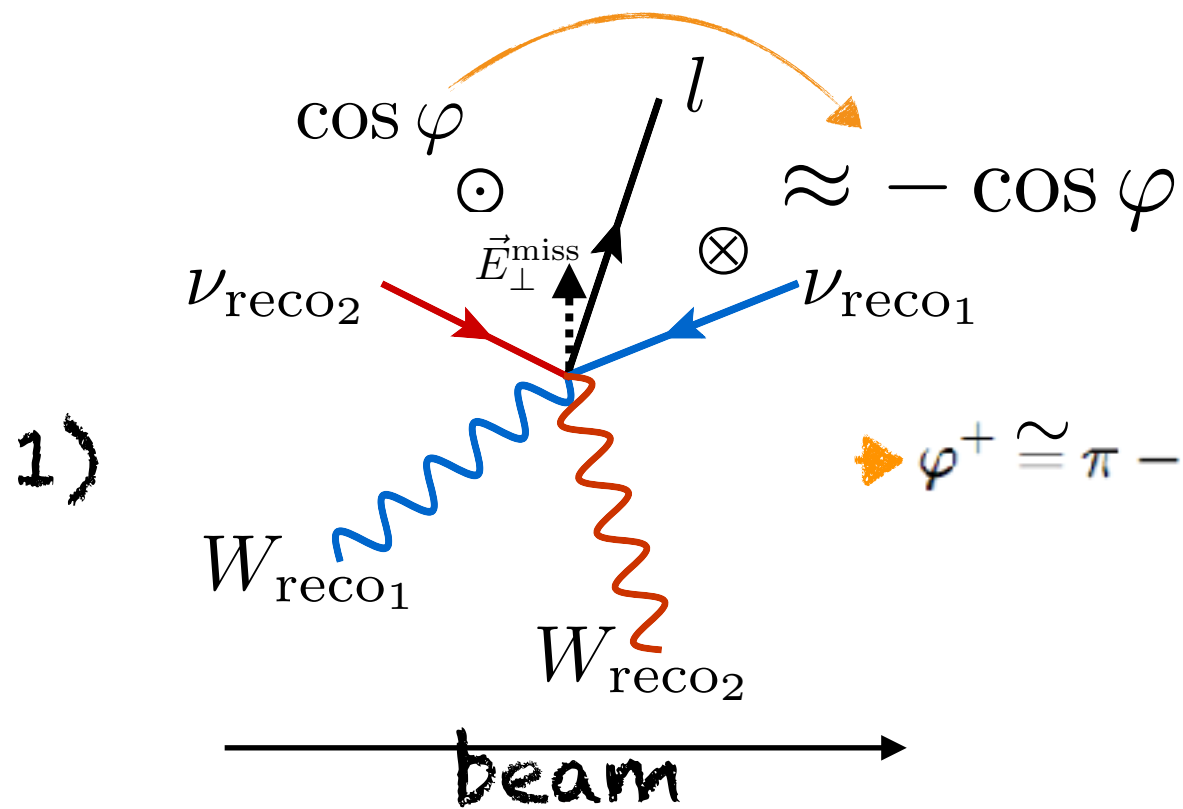
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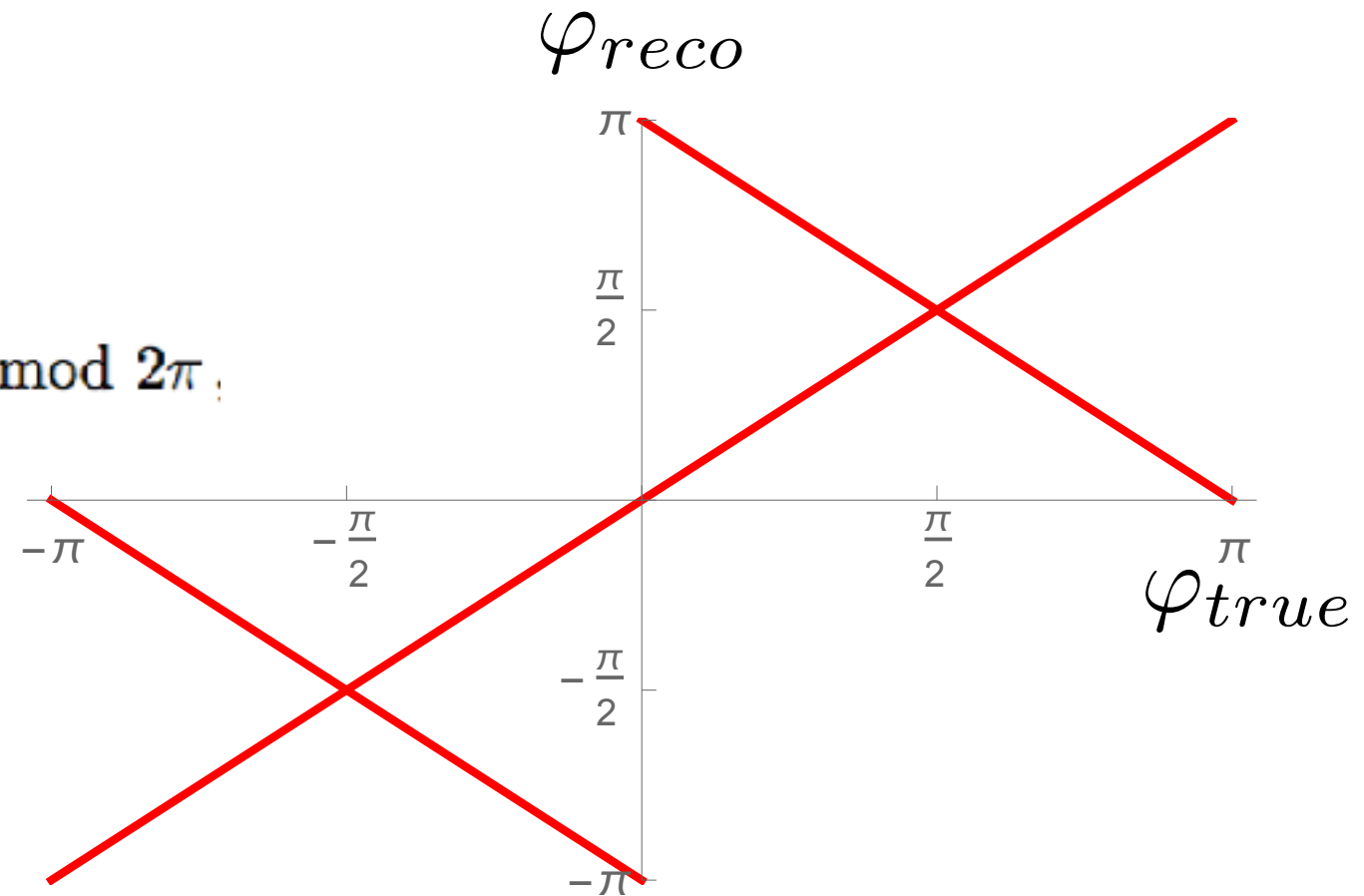


# Azimuthal Angle... in reality

Neutrino: from missing energy + reconstruct W mass



►  $\varphi^+ \approx \pi - \varphi^- \pmod{2\pi}$



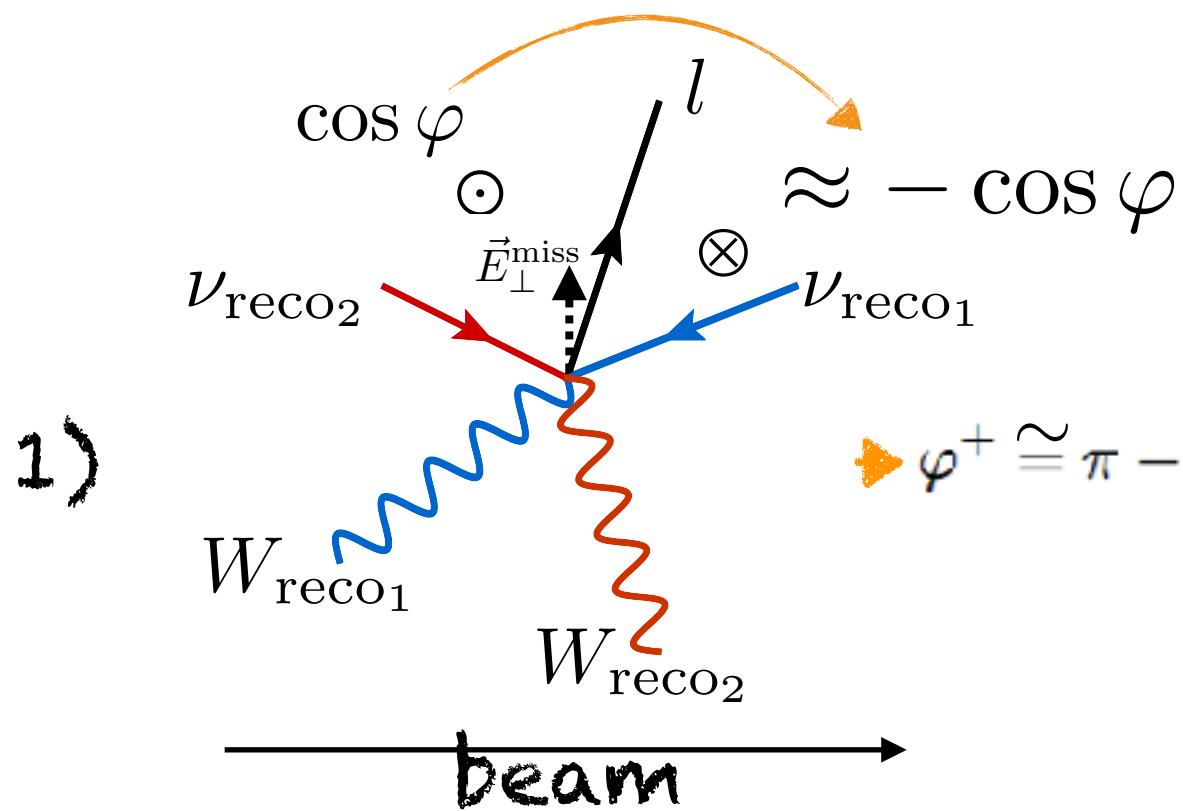
2) Some events:  $m_{\perp}^2 > m_W^2$   
(off-shell, exp.error)

reconstructed as  $m_{\text{inv}}^2 = m_W^2$

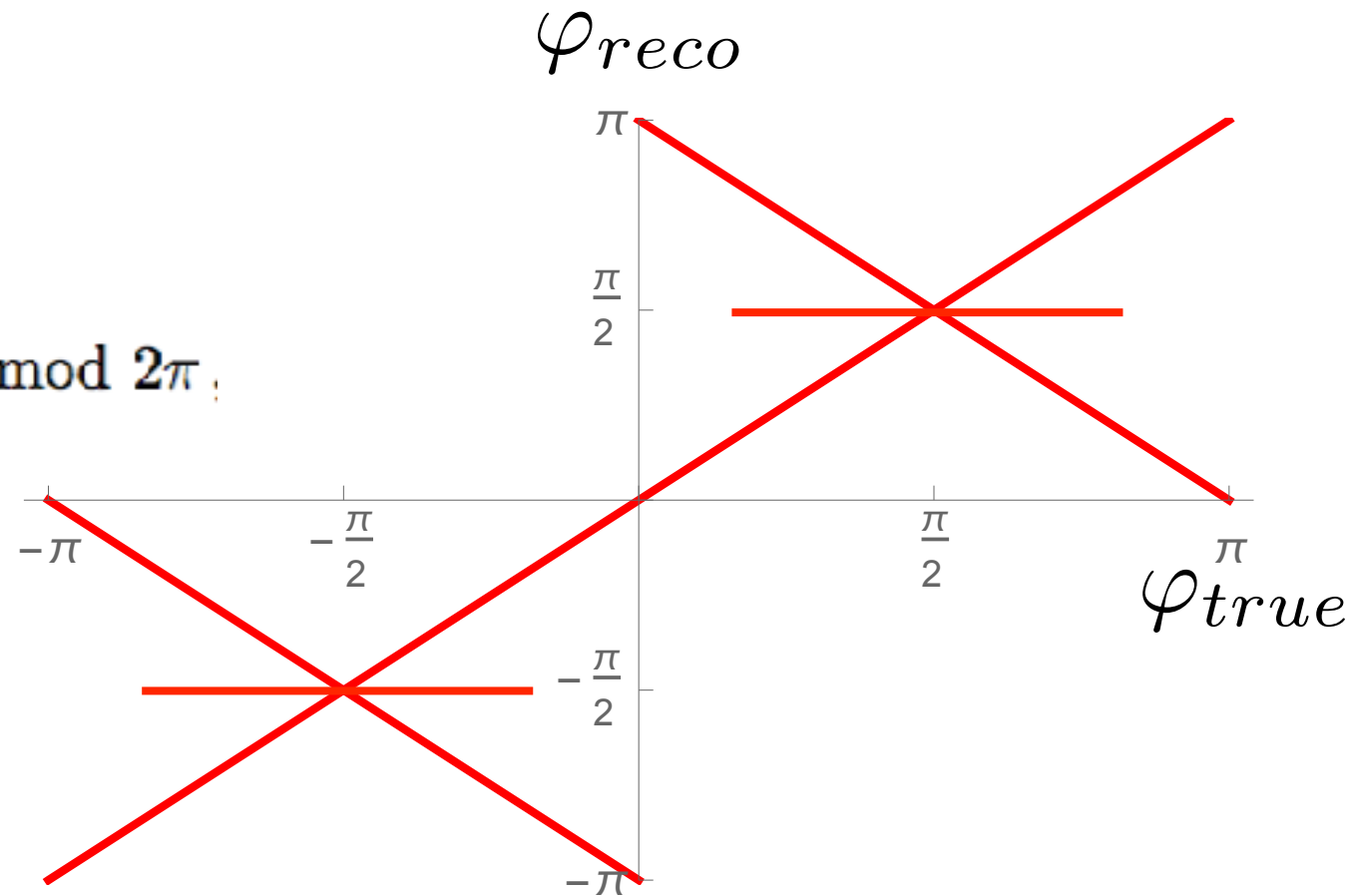
►  $\varphi = \pi/2$  or  $\varphi = -\pi/2$ .

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Neutrino: from missing energy + reconstruct W mass



$\varphi^+ \approx \pi - \varphi^- \pmod{2\pi}$



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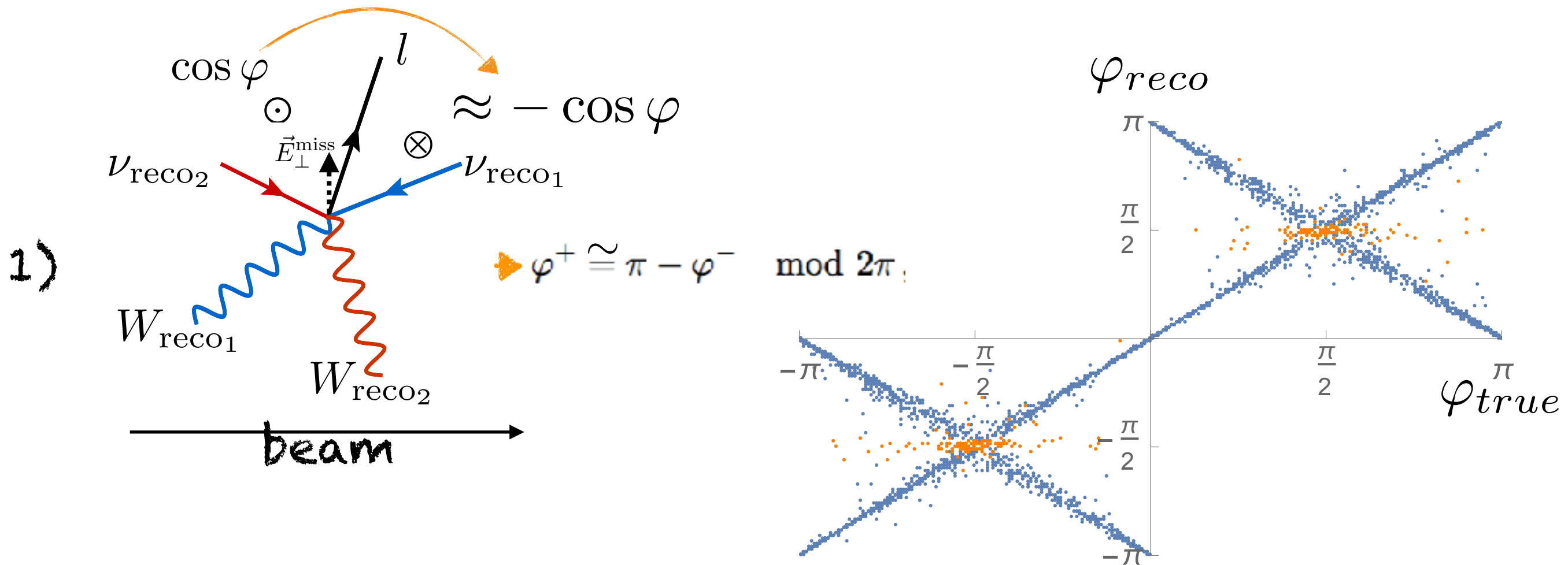
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# Azimuthal Angle... in reality

Neutrino: from missing energy + reconstruct W mass



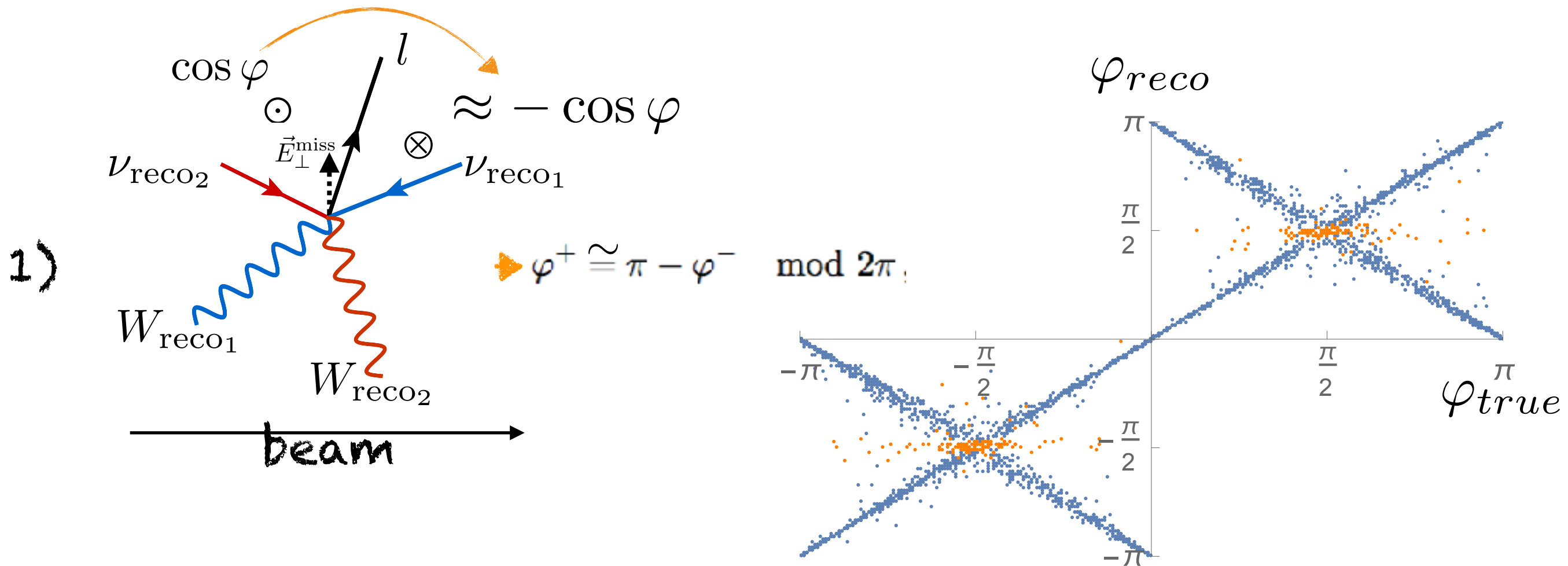
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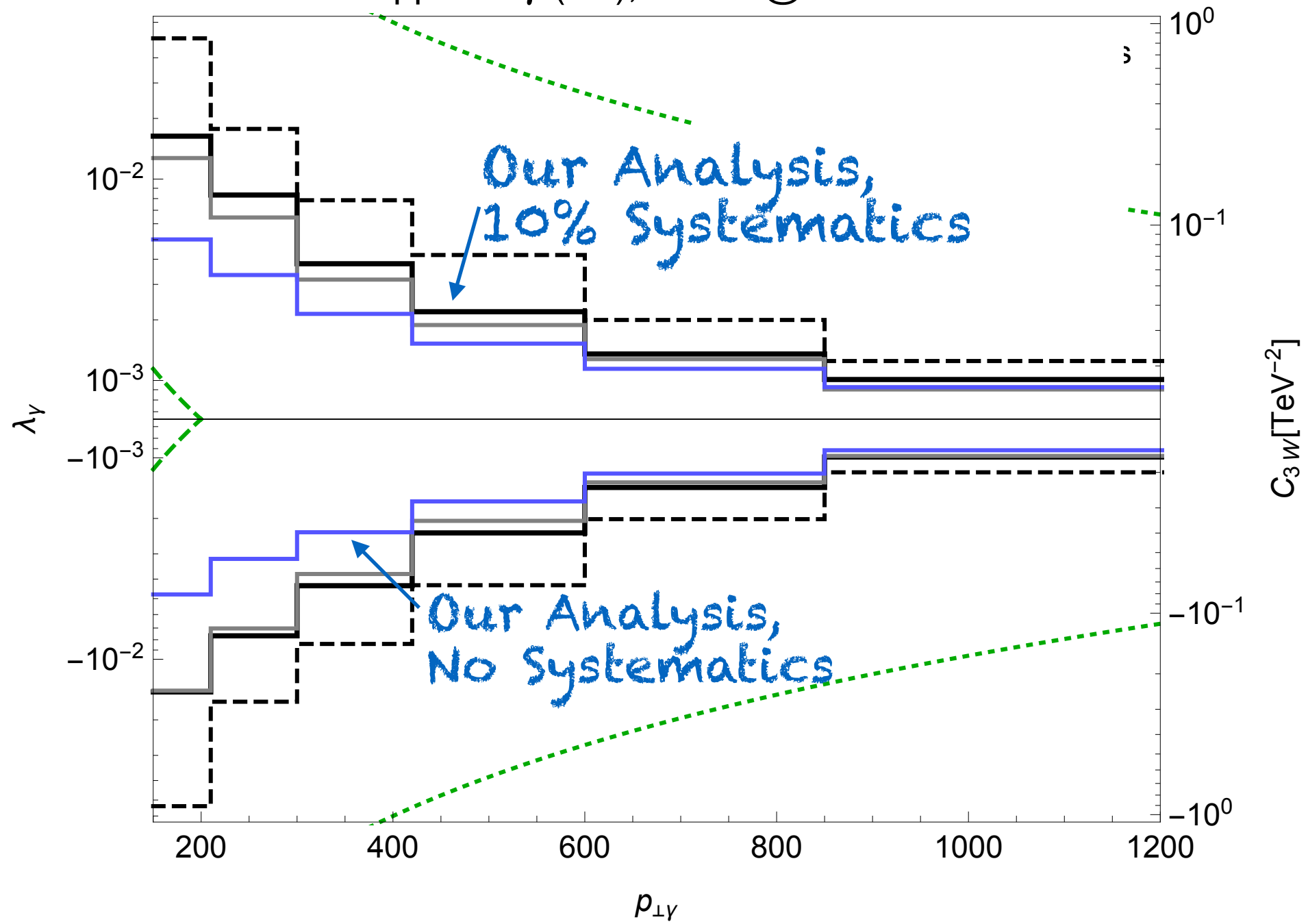
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CP-odd inaccessible!

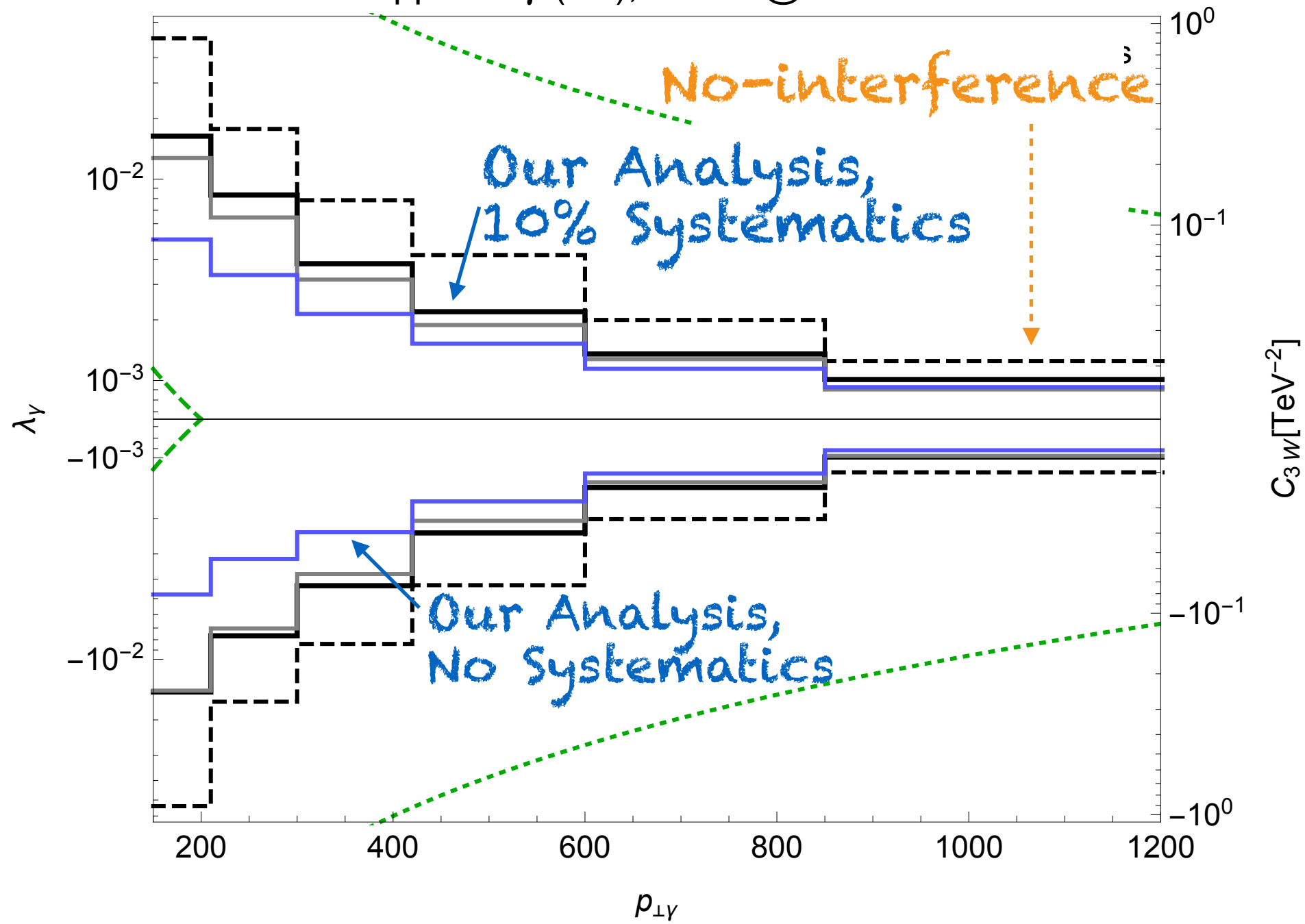
# Results

$pp \rightarrow W\gamma$  (LO),  $3\text{ab}^{-1}$  @14 TeV



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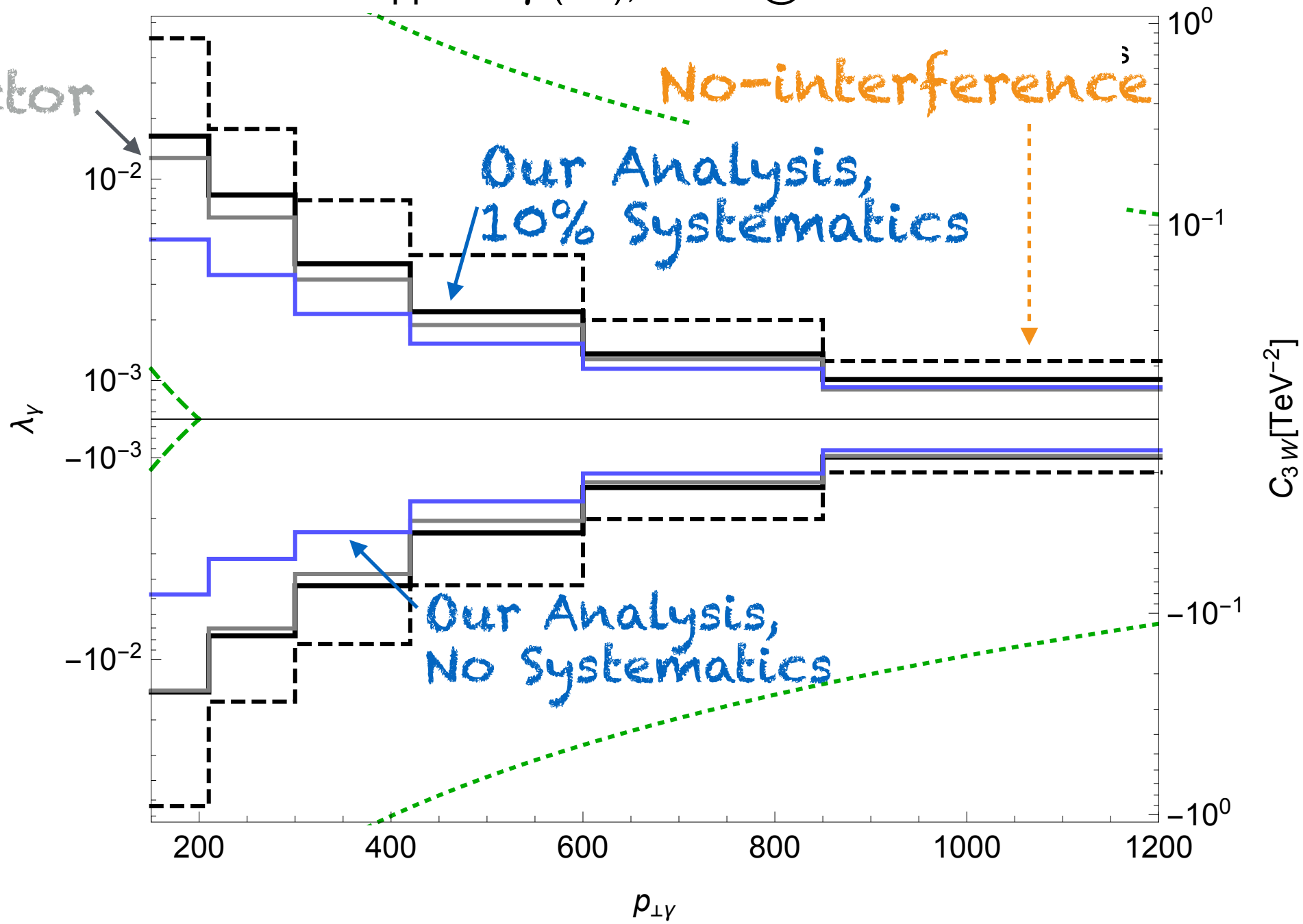
$pp \rightarrow W\gamma$  (LO),  $3\text{ab}^{-1}$  @14 TeV



# Results

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No detector effects

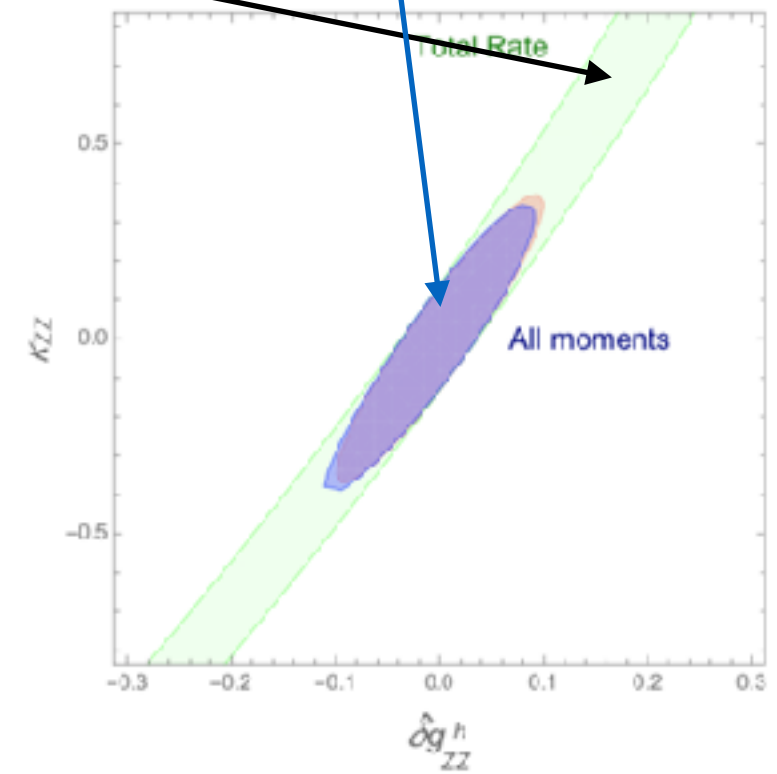
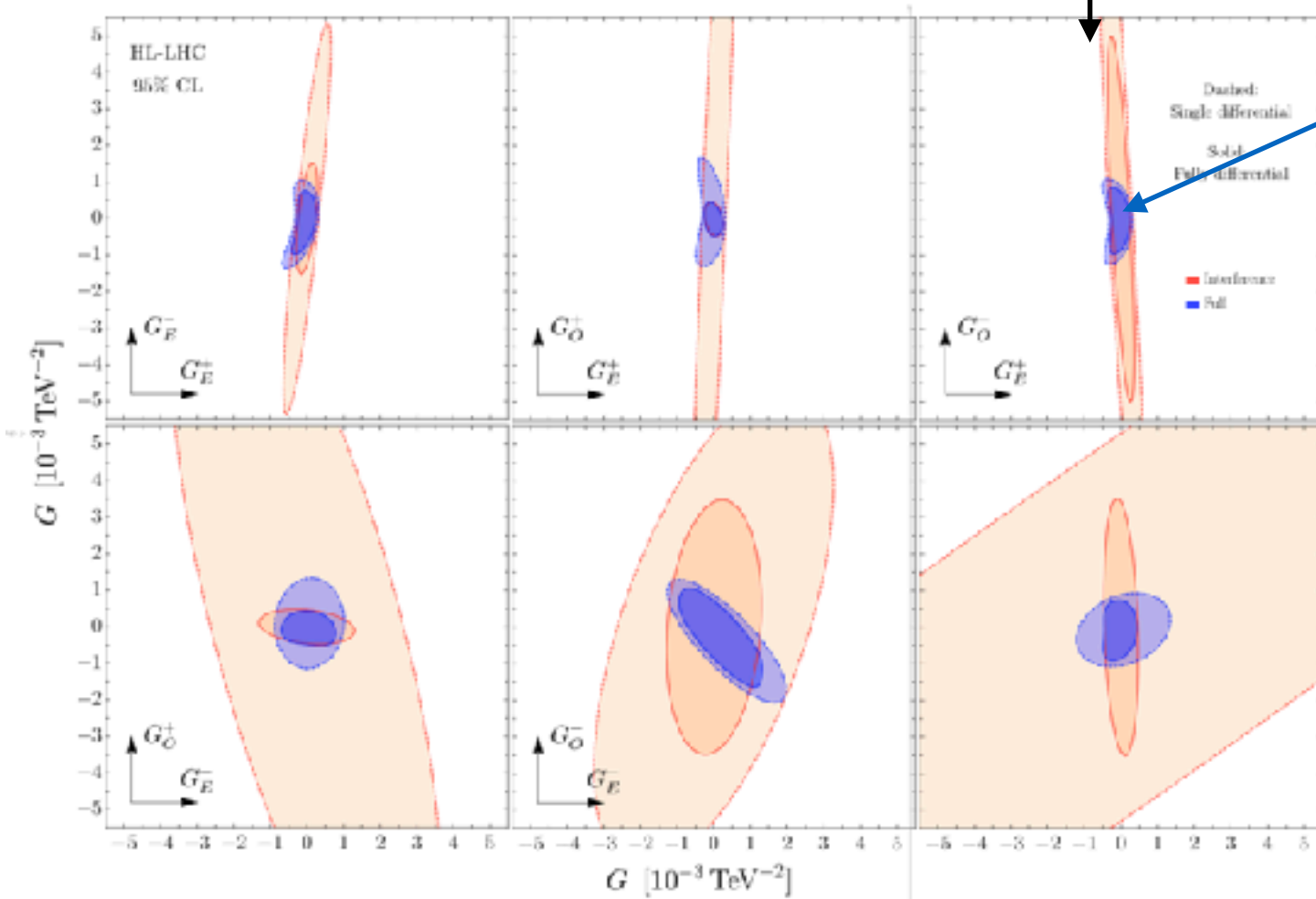


# Distributions to distinguish effects

When more BSM effects (operators) are included, distributions allow access to individual ones

Inclusive Analyses

Exclusive (BSM targeted)



Panico,Ricci,Wulzer'21

Banerjee,Gupta,Ochoa-Valeriano,  
Spannowsky,Venturini'20



SM  $\neq$  BSM

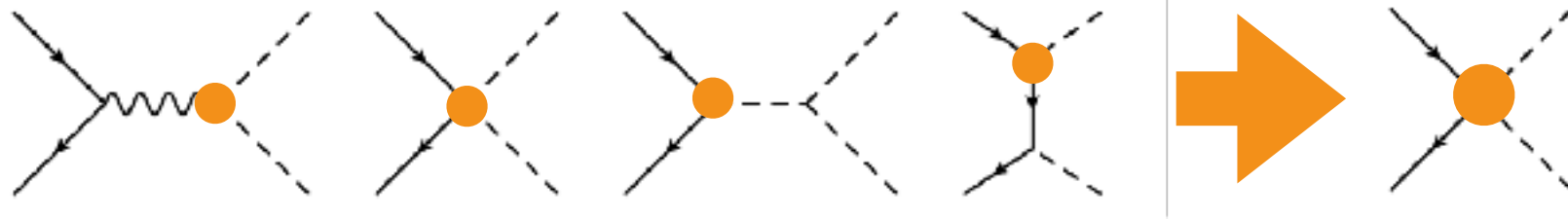
2. BSM Small in inclusive measures

(and where to look)

# Longitudinal Polarizations in Dibosons

Franceschini, Panico, Pomarol, FR, Wulzer'17

► At high-E only **one** effect survives (for given i, f states)

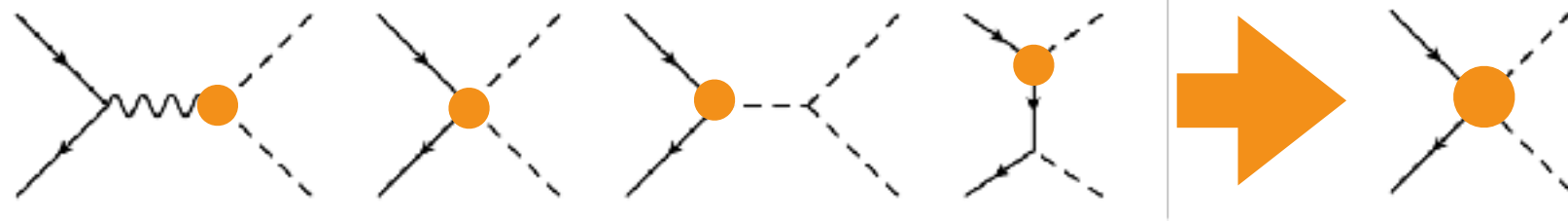


$$\frac{a^{(3)}}{\text{TeV}^2} iH^\dagger \sigma^a \overleftrightarrow{D}_\mu H \bar{Q} \sigma^a \gamma^\mu Q$$

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► **Estimate** (no syst, LO,...):

Channel	Bound without bkg.	Bound with bkg.
Wh	[-0.0024, 0.0024]	[-0.0089, 0.0078]
Zh	[-0.0074, 0.0070]	-
WW	[-0.0029, 0.0028]	[-0.011, 0.0093]
WZ	[-0.0032, 0.0031]	[-0.0057, 0.0052]

**Challenge:**

} Boosted higgs for top:h→bb fakes?

} Large  $v_T$  bgnd

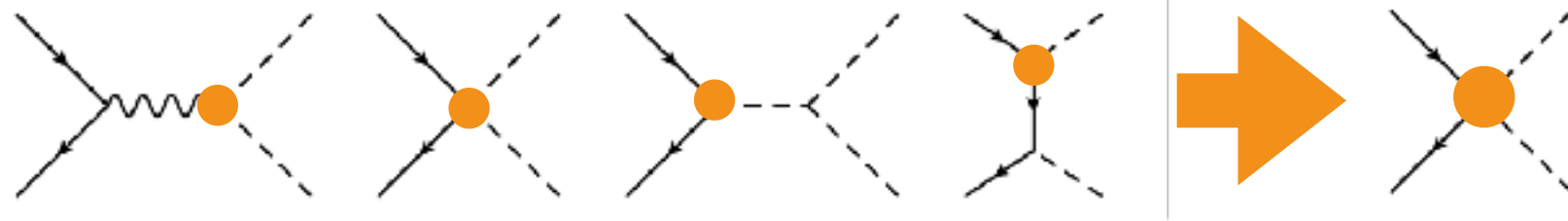
↓

(WW  $p_T > 1000 \text{ GeV}$  3/ab: 7 LL events, 70 TT events)

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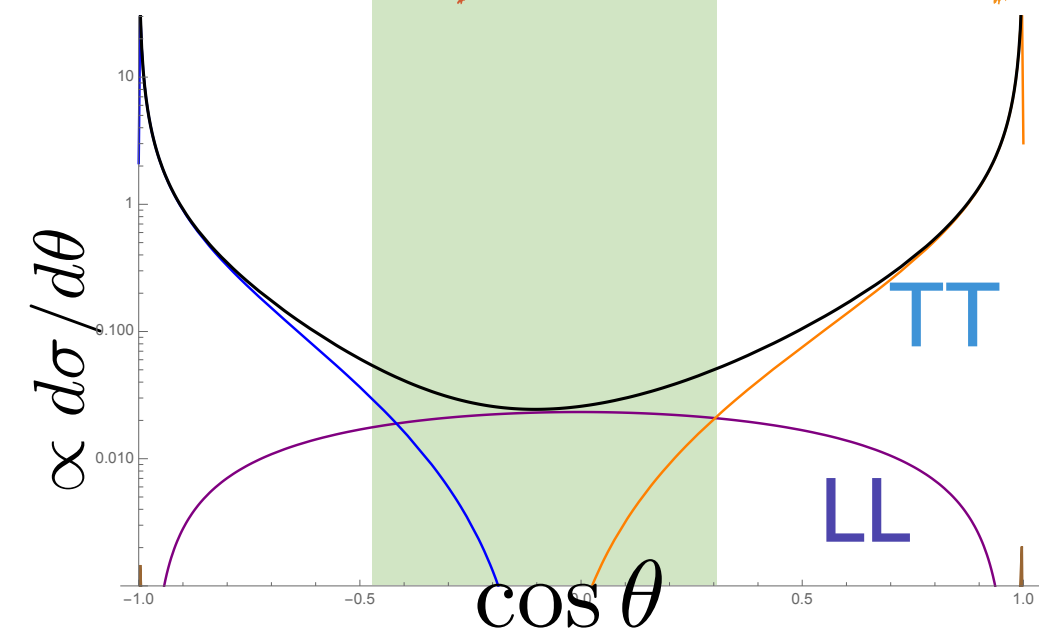
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(WW  $p_T > 1000 \text{ GeV}$  3/ab: 7 LL events, 70 TT events)

► **WZ** most promising

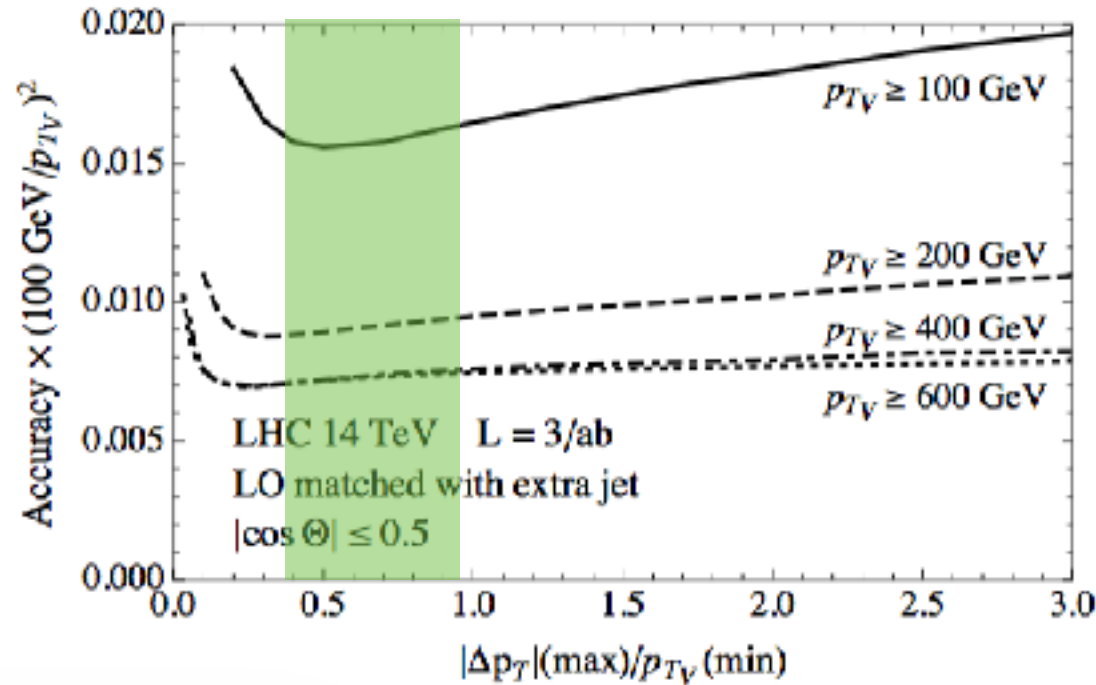
$$A^{+-}(\bar{d}u \rightarrow WZ) \propto \cos \theta - \frac{\tan \theta_W}{3} \quad \text{Baur, Han, Ohnemus'95}$$

TT has central zero at LO  
(not at NLO)

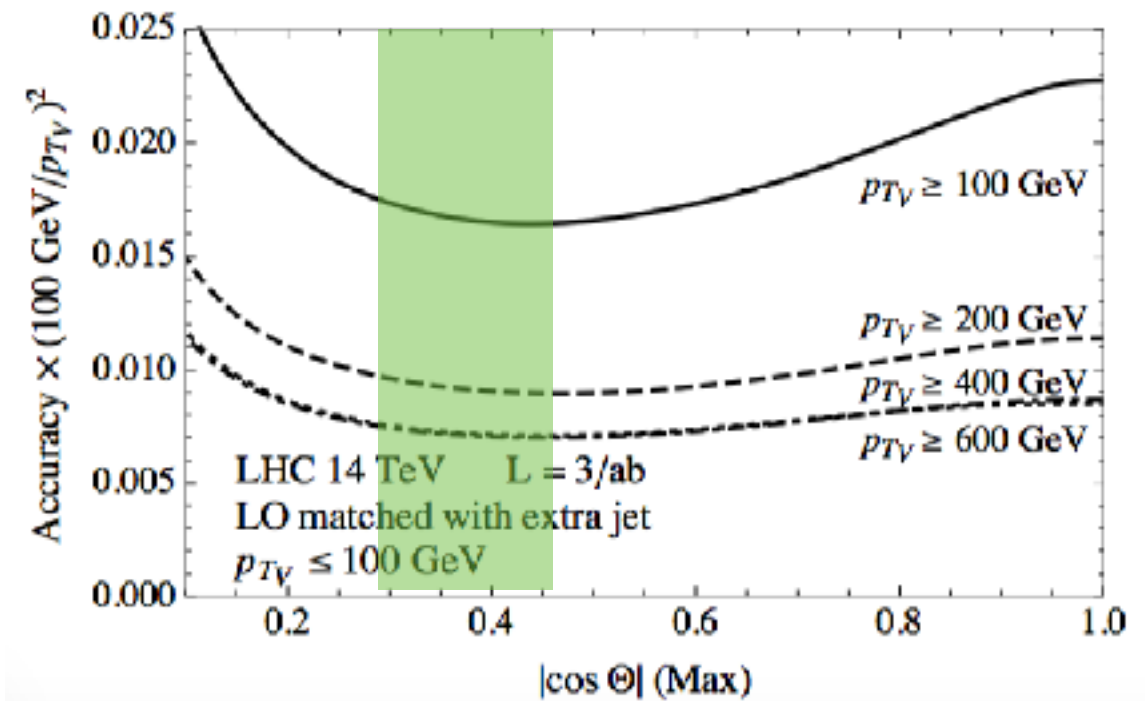


# Fully leptonic WZ

$p_T$  cut on extra radiation:  
(kinematics close to LO)

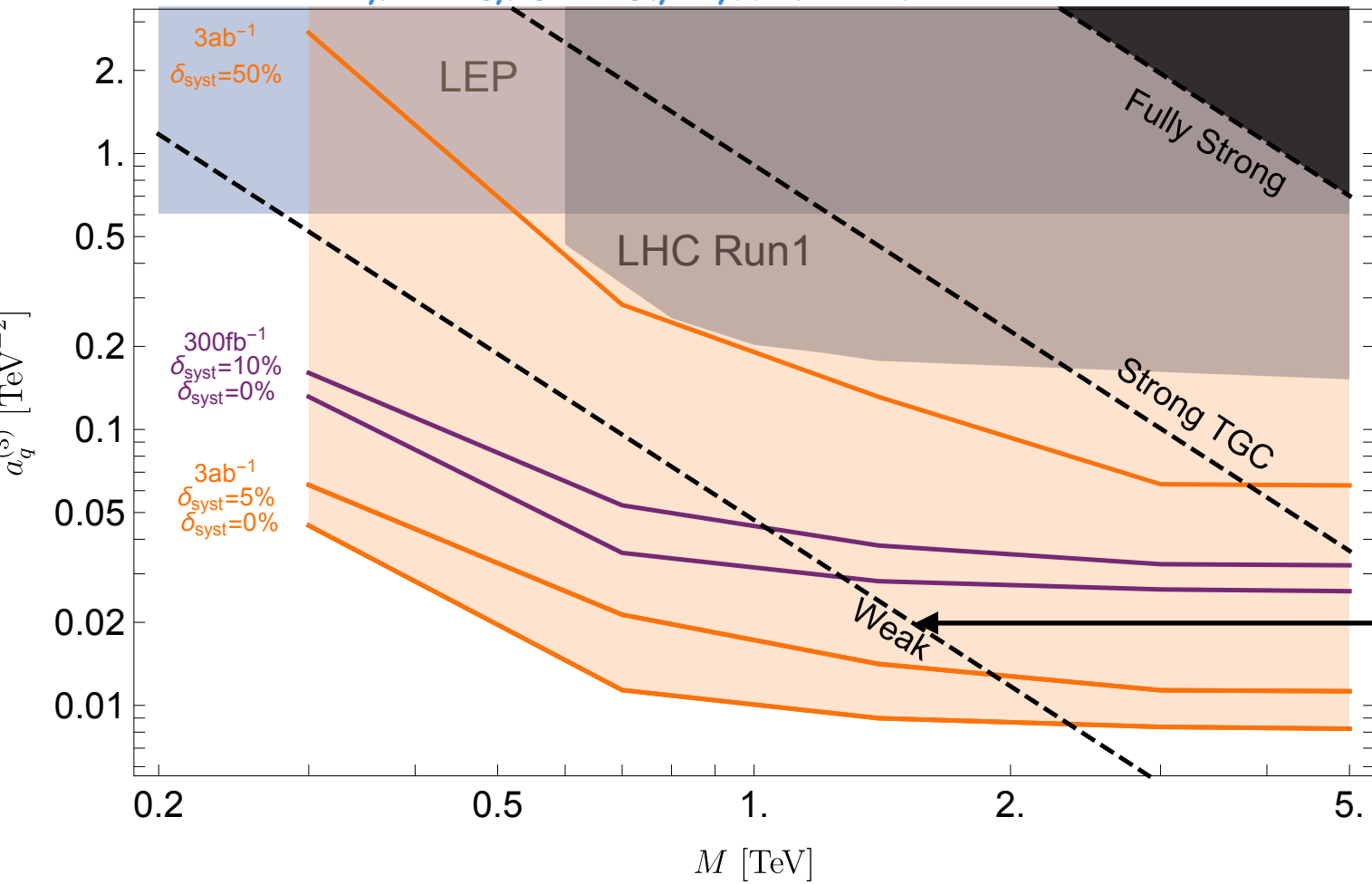


$\cos \theta$  cut close to central  
(exploit radiation-zero)



# Results - NLO - LHC

Franceschini, Panico, Pomarol, FR, Wulzer '17

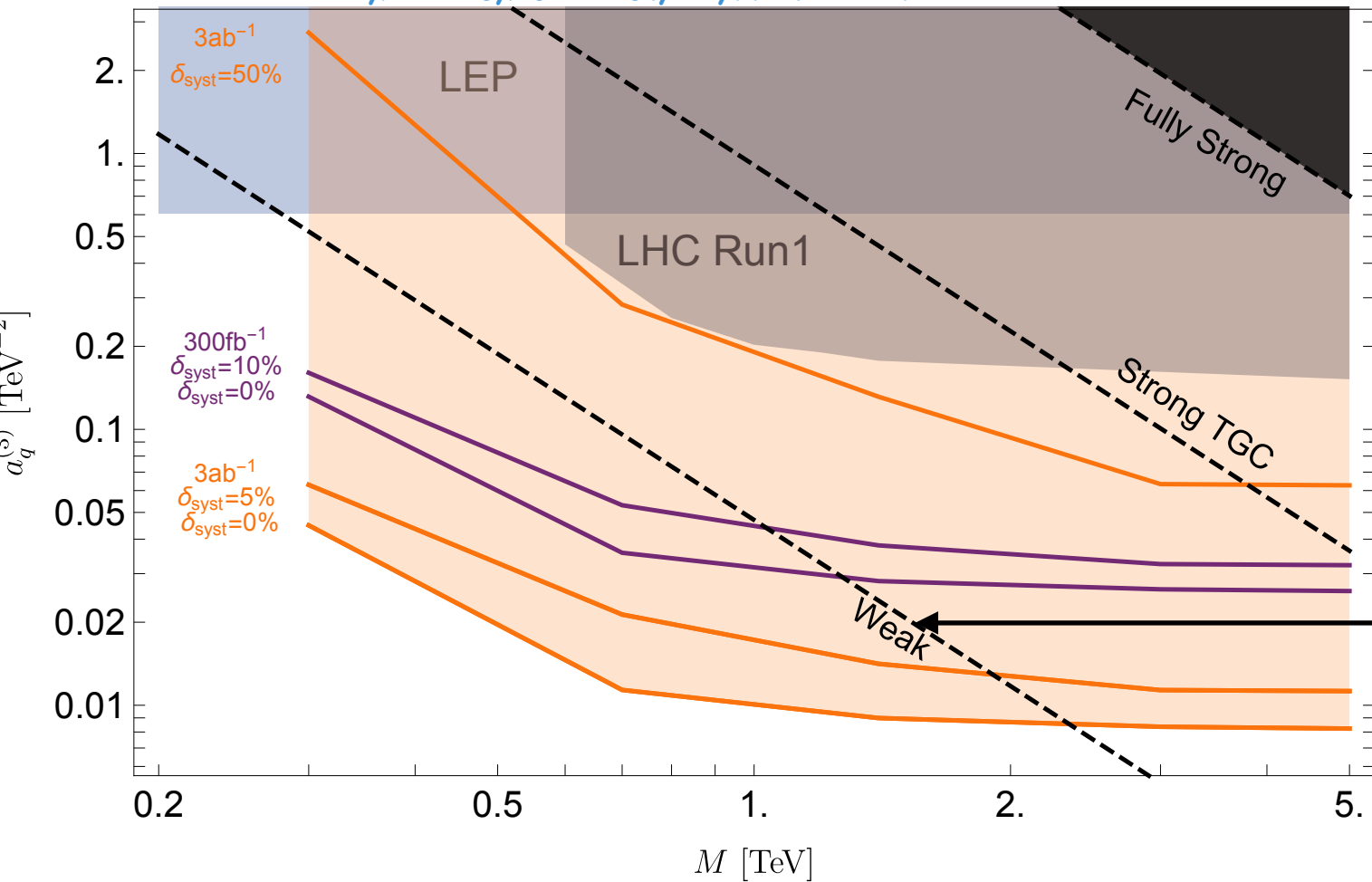


Measurements here have wider interpretation in terms of UV models



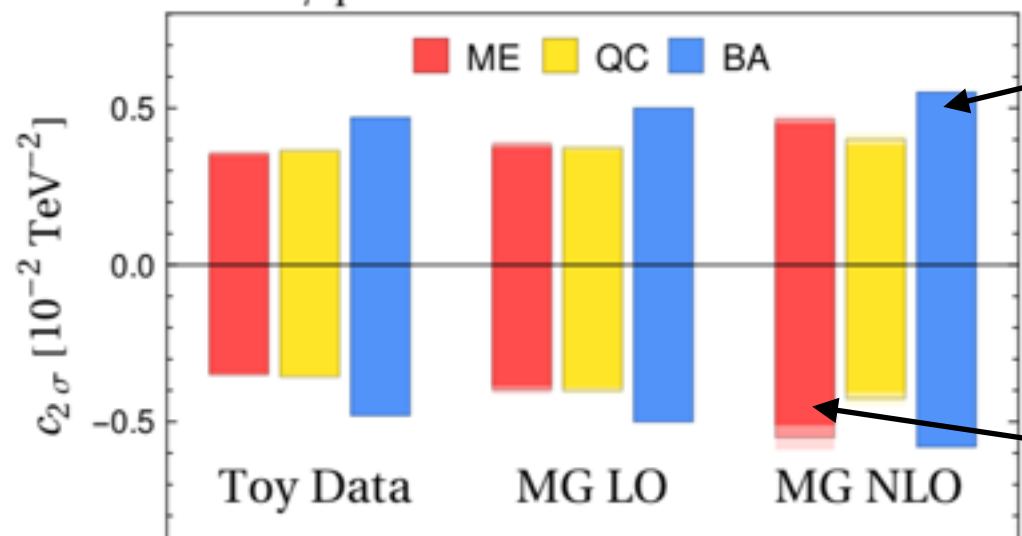
# Results - NLO - LHC

Franceschini, Panico, Pomarol, FR, Wulzer '17



Measurements here have wider interpretation in terms of UV models

$G_{\varphi q}^{(3)}$  -  $2\sigma$  Exclusion Reach



Binned Analysis

Machine Learning

Chen, Glioti, Panico, Wulzer '20

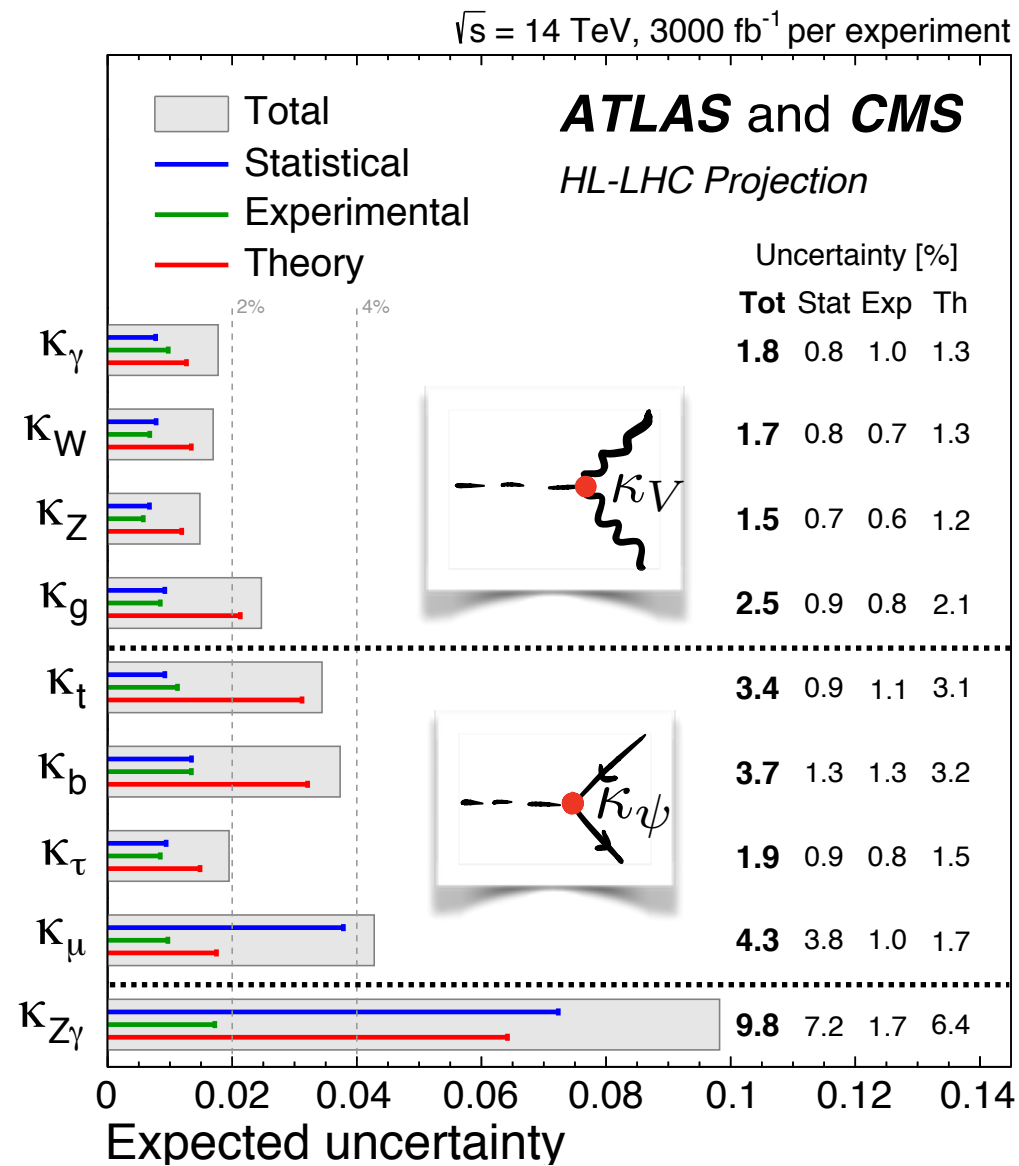
SM  $\neq$  BSM

### 3. BSM in Multibosons

(processes that are not particularly interesting in SM,  
are sensitive to BSM)

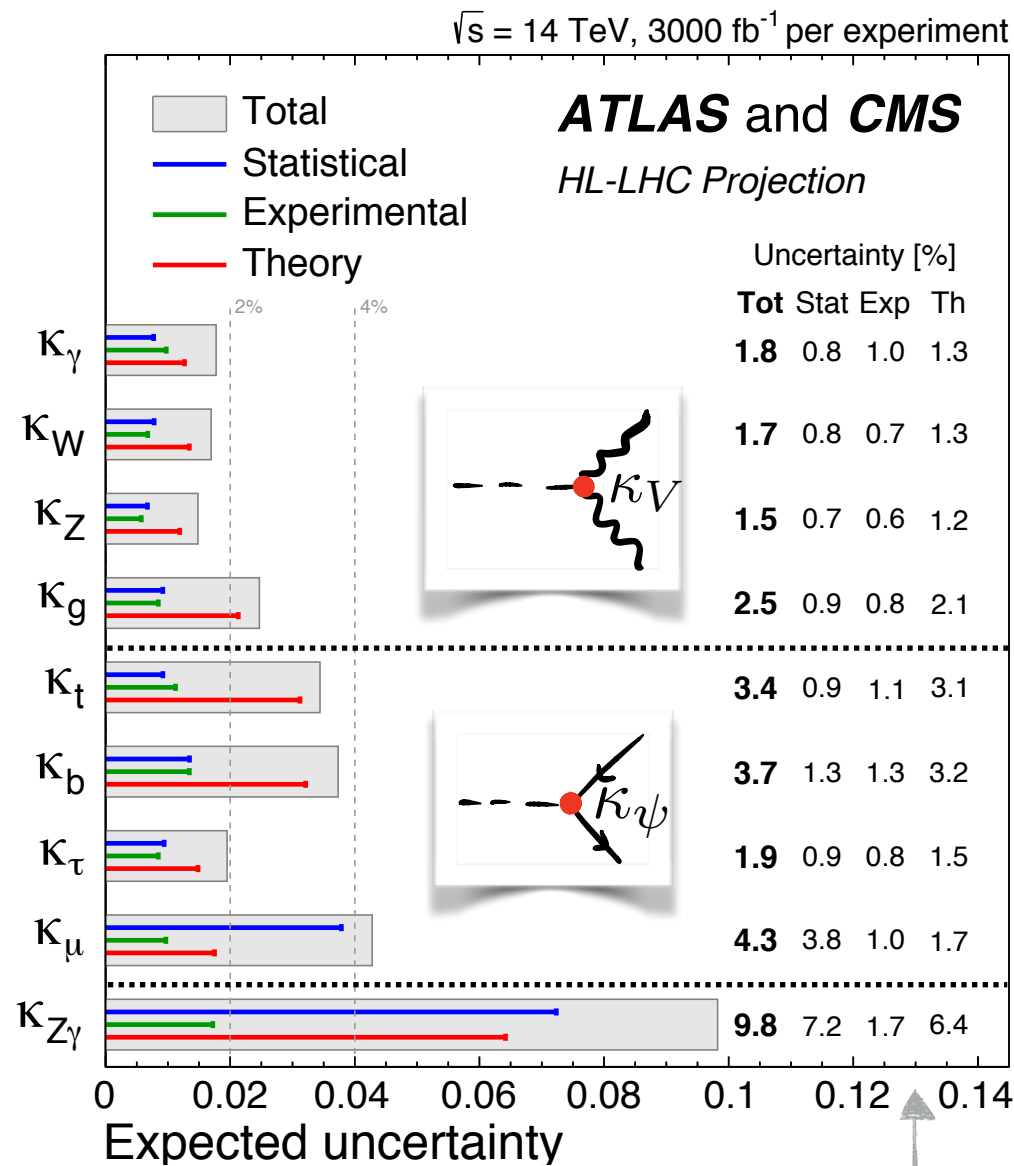
# HL-LHC Reach (3000 fb<sup>-1</sup>)

Higgs couplings (HC) are measured in processes with on-shell Higgs (E=125 GeV)

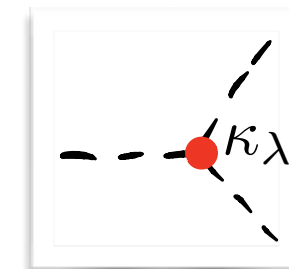


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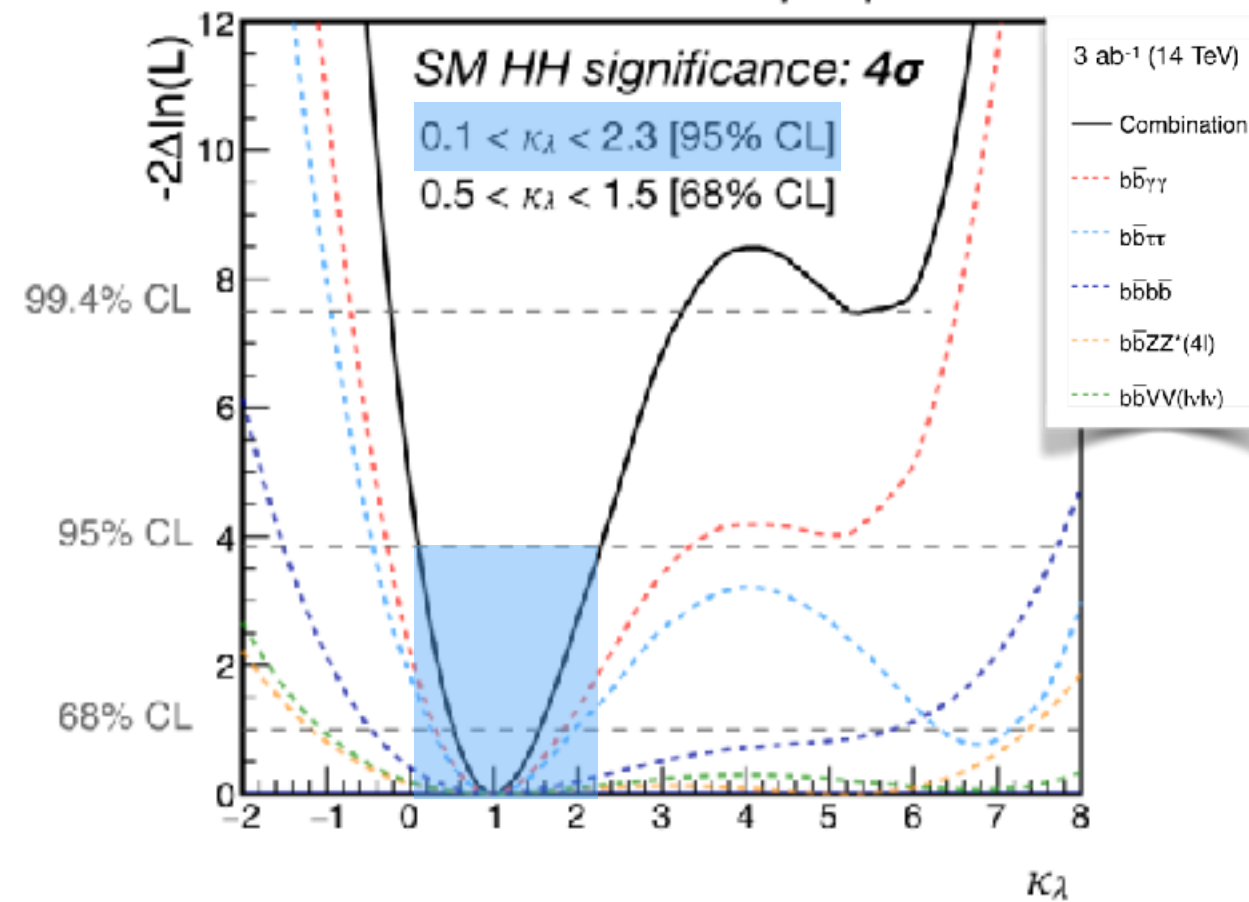


Optimistic Systematics (S2)



Combining 2 experiments

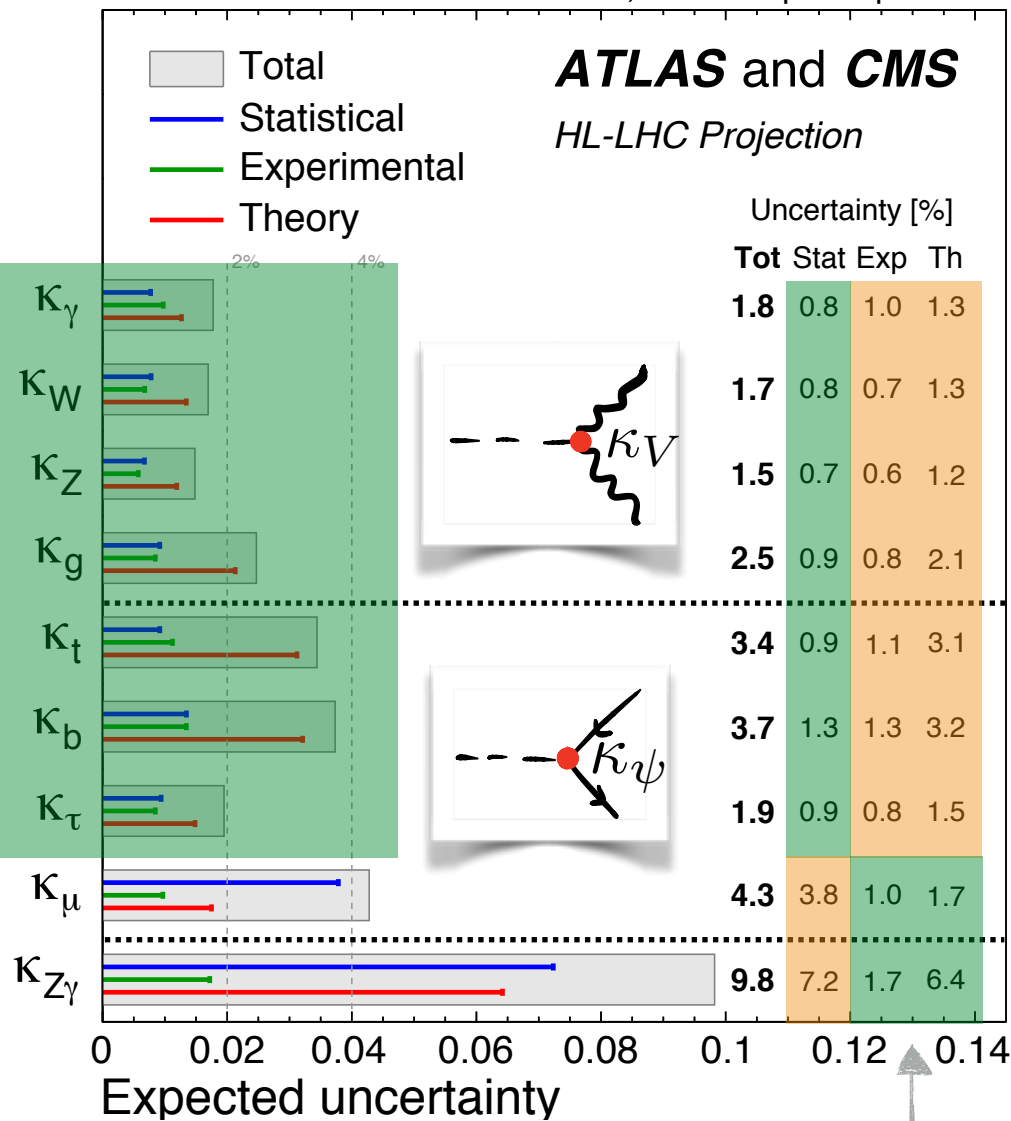
ATLAS and CMS HL-LHC prospects



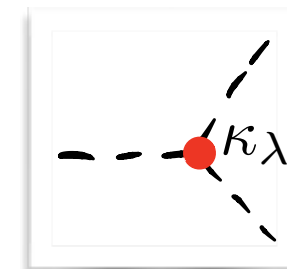
# HL-LHC Reach (3000 fb<sup>-1</sup>)

Higgs couplings (HC) are measured in processes with on-shell Higgs (E=125 GeV)

$\sqrt{s} = 14 \text{ TeV}, 3000 \text{ fb}^{-1}$  per experiment

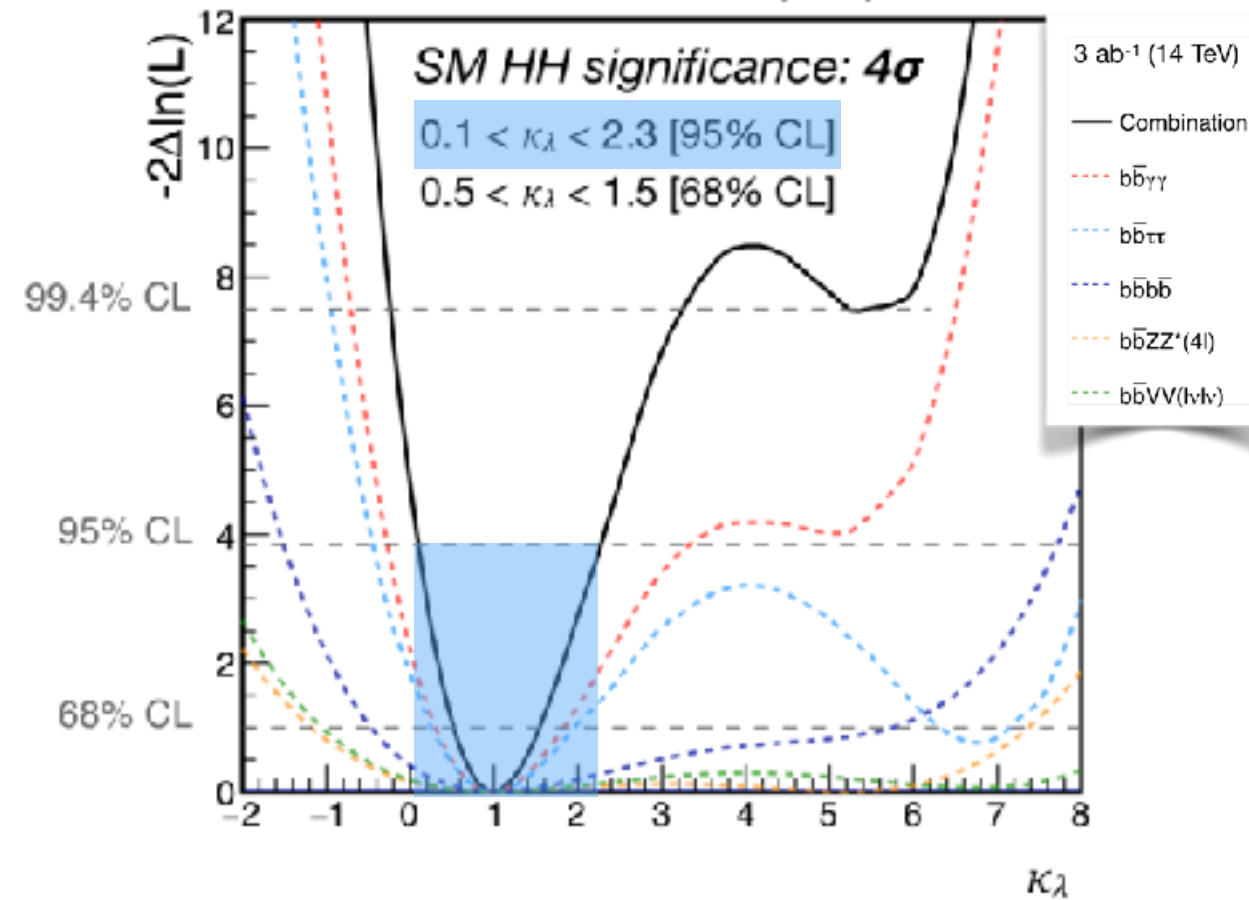


stat. < syst.



Combining 2 experiments

ATLAS and CMS HL-LHC prospects



Optimistic Systematics (S2)

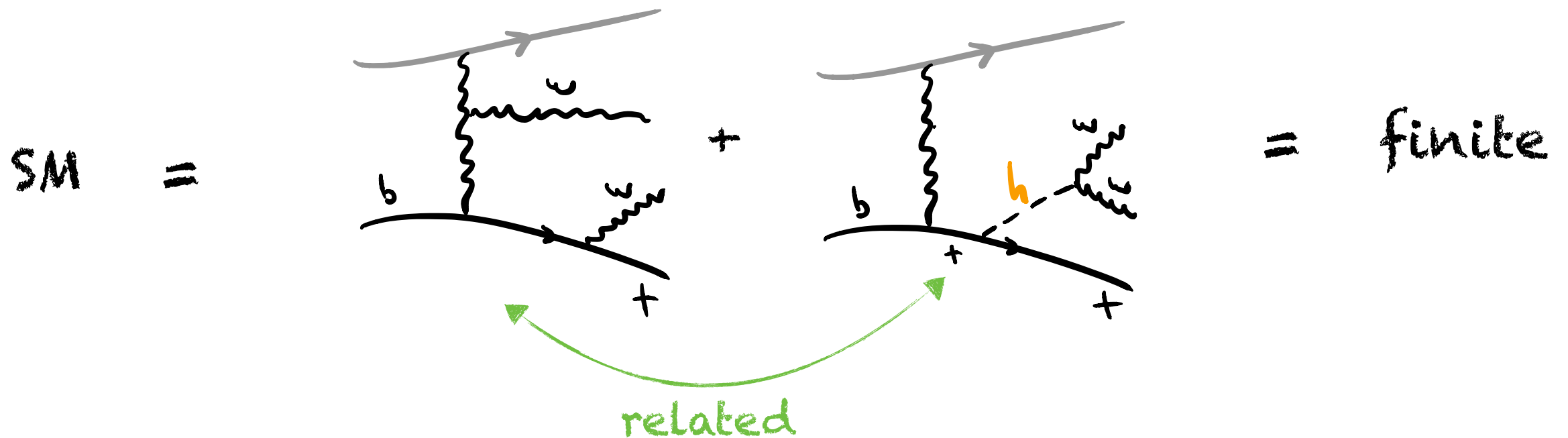
# Higgs Couplings... without a Higgs (HWH)

Henning, Lombardo, Riembau, FR - PRL'19

It would be nice if Higgs Couplings would also deform distributions!

Any modifications of Higgs couplings induces  $E^2$  growth in some process with longitudinal W,Z bosons!

One way of seeing this:





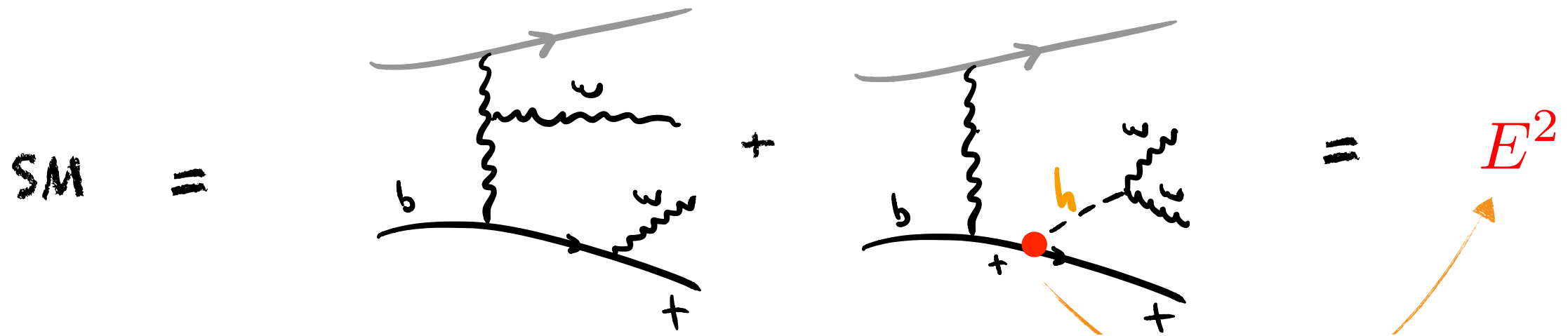
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One way of seeing this:



modification of top-yukawa  
compromises gauge cancellations in the SM  
►  $E^2$ -growth

# Top Yukawa... without a Higgs

Another way of understanding E-growth:

$$\text{modified Top-Yukawa } \kappa_t \iff \frac{|H|^2 Q \tilde{H} t_R}{\Lambda^2}$$

# Top Yukawa... without a Higgs

Another way of understanding E-growth:

modified Top-Yukawa  $K_t$



$$\frac{|H|^2}{\Lambda^2} Q \tilde{H} t_R$$

$$H = \begin{pmatrix} \phi^+ \\ h + i\phi^0 \end{pmatrix}$$

Goldstones =  $W_L, Z_L$

$$|H|^2 = \frac{1}{2} (v^2 + 2hv + h^2 + 2\phi^+\phi^- + (\phi^0)^2)$$

# Top Yukawa... without a Higgs

Another way of understanding E-growth:

modified Top-Yukawa  $\kappa_t$

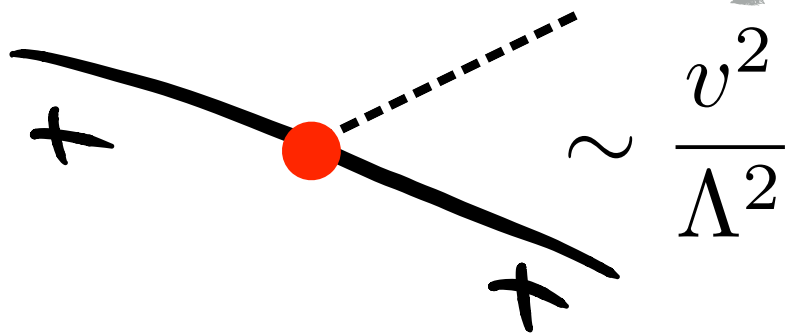


$$\frac{|H|^2}{\Lambda^2} Q \tilde{H} t_R$$

$$H = \begin{pmatrix} \phi^+ \\ h + i\phi^0 \end{pmatrix}$$

Goldstones =  $W_L, Z_L$

$$|H|^2 = \frac{1}{2} (v^2 + 2hv + h^2 + 2\phi^+\phi^- + (\phi^0)^2)$$



# Top Yukawa... without a Higgs

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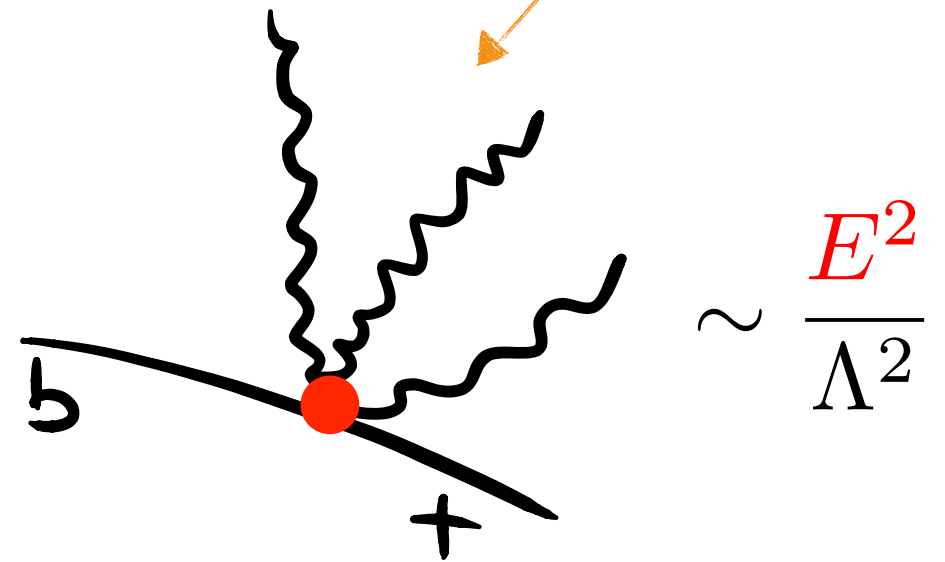
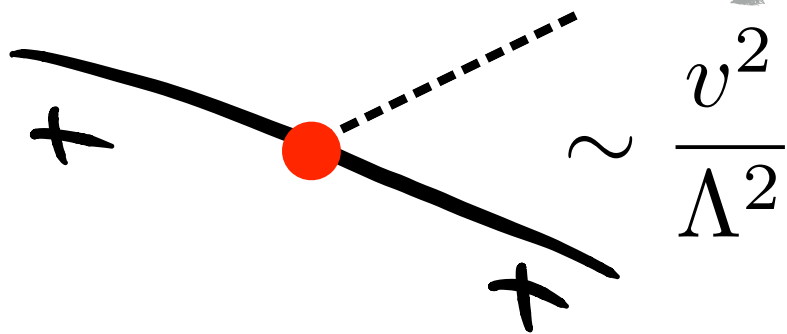


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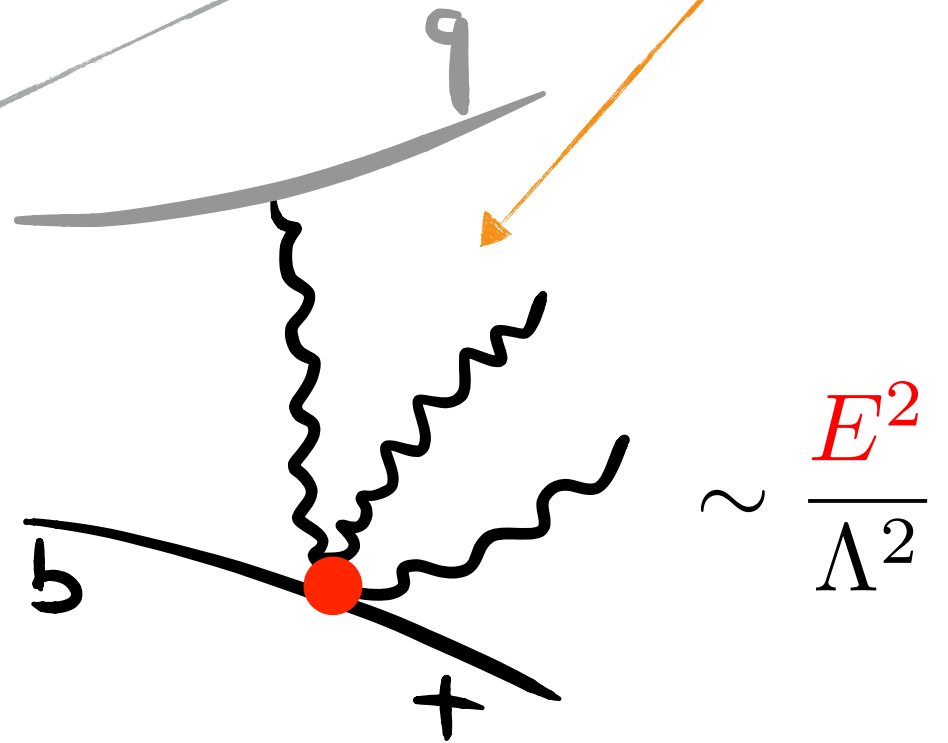
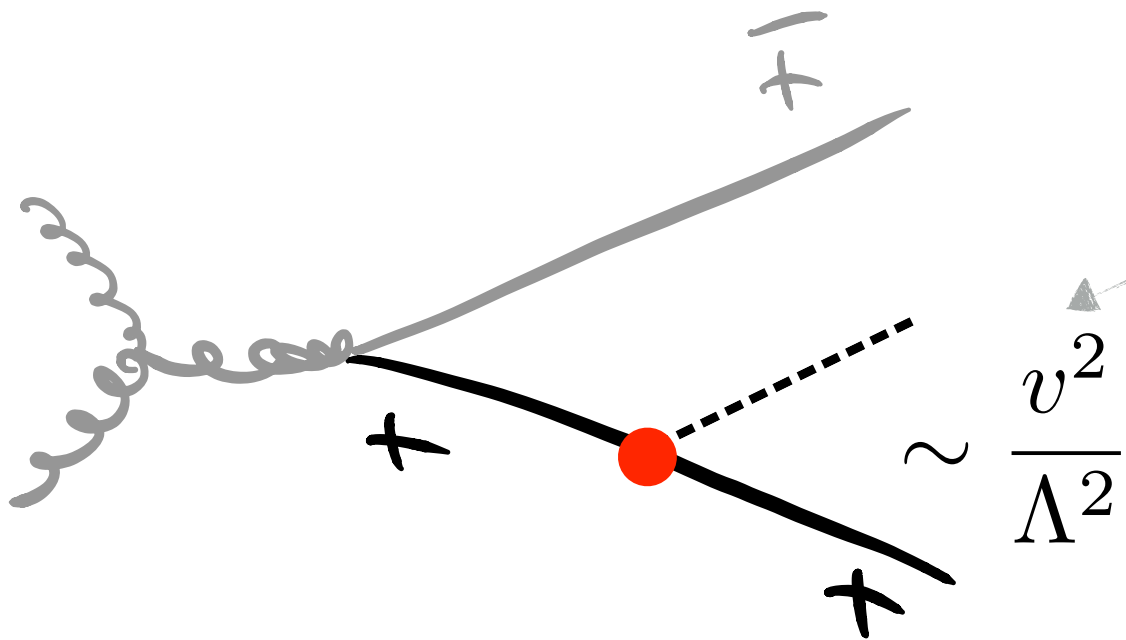


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statistics  
signal





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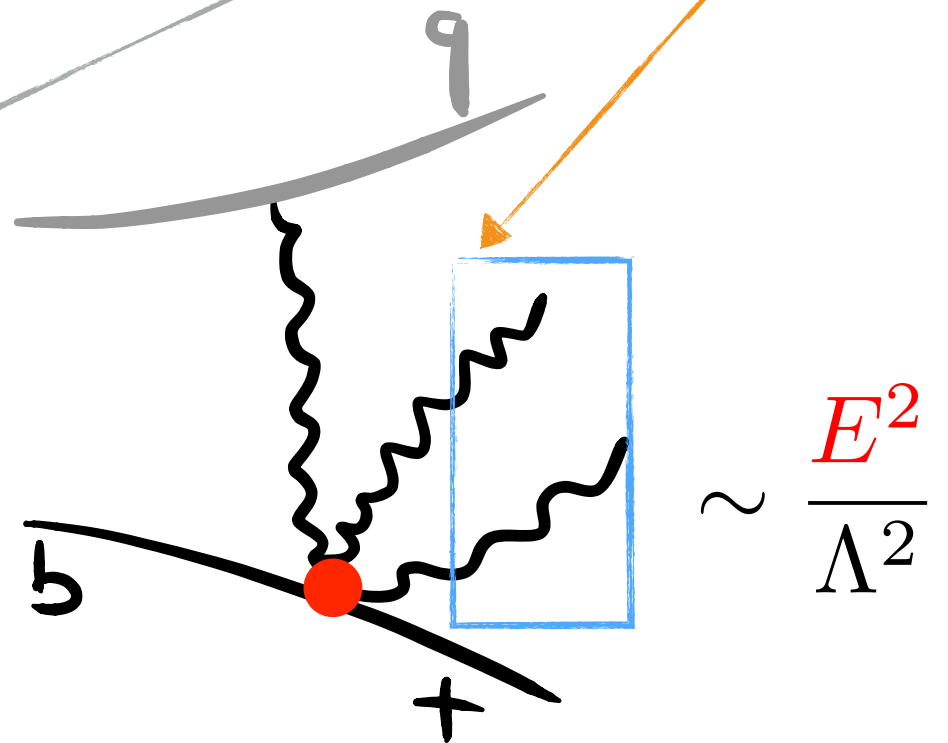
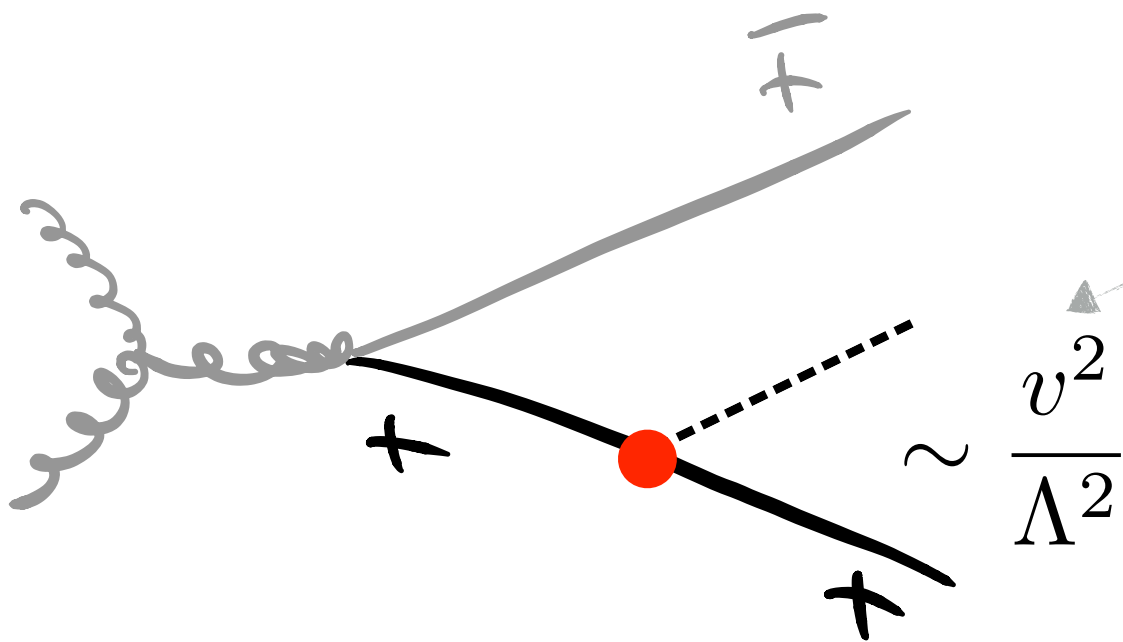


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Many final states ( $WW, WZ, ZZ$ )

statistics  
signal



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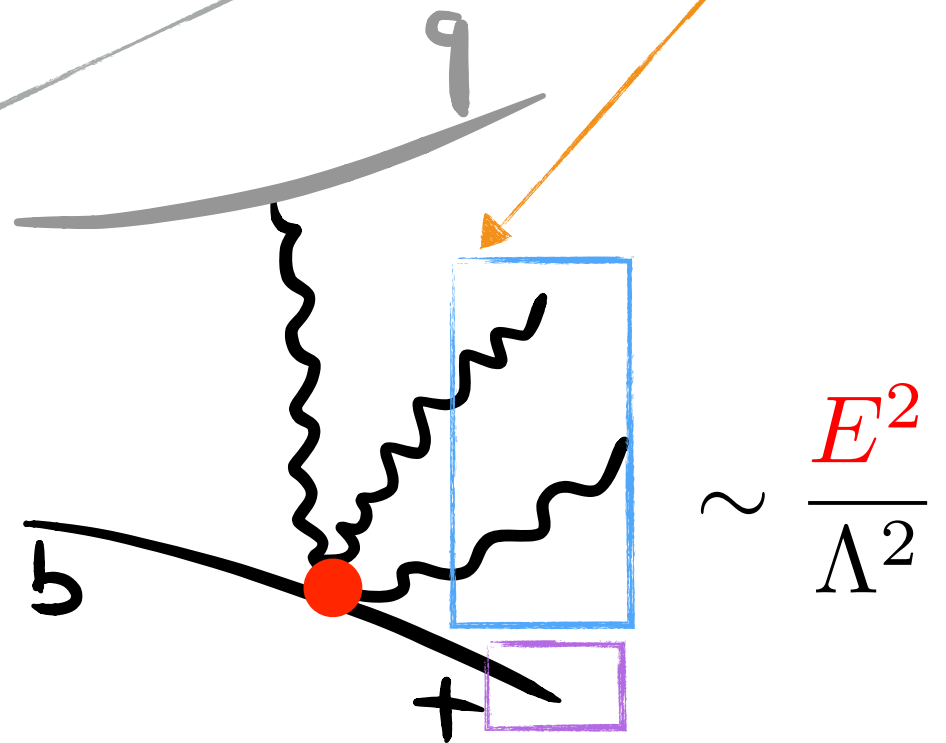
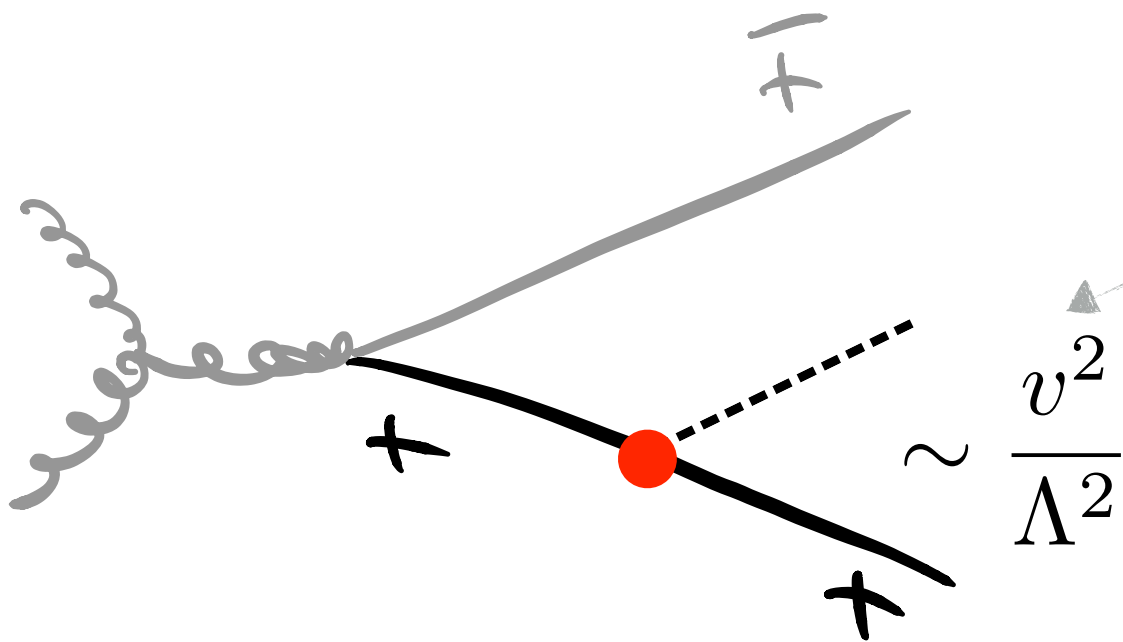


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Many final states ( $WW, WZ, ZZ$ )  
Boosted top

statistics  
signal



# Top Yukawa... without a Higgs

$$pp \rightarrow VVjt$$

# Top Yukawa... without a Higgs

$$pp \rightarrow VVjt$$

SM signal classified by #leptons:

Process	0l	1l	$l^\pm l^\mp$	$l^\pm l^\pm$	3l(4l)
$W^\pm W^\mp$	3449/567	1724/283	216/35	-	-
$W^\pm W^\pm$	2850/398	1425/199	-	178/25	-
$W^\pm Z$	3860/632	965/158	273/45	-	68/11
$ZZ$	2484/364	-	351/49	-	(12/2)

$p_T^t > 250$  GeV /  $p_T^t > 500$  GeV

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↖ >2L: Small Background

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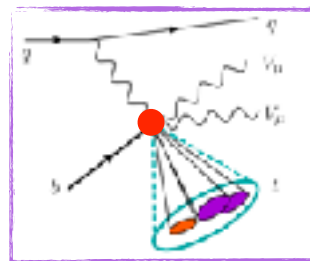
SM signal classified by #Leptons:

↖ >2L: Small Background

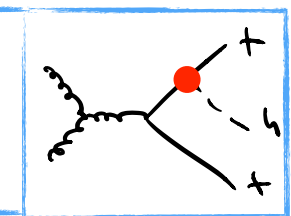
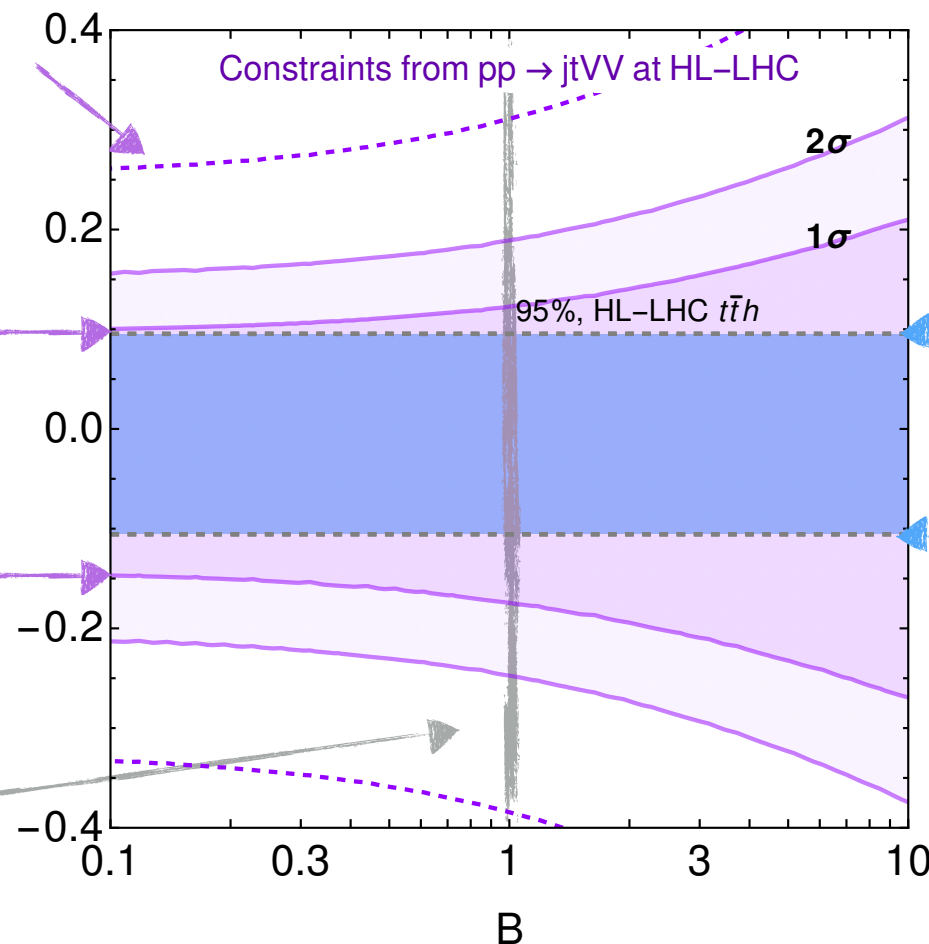
Process	0l	1l	$l^\pm l^\mp$	$l^\pm l^\pm$	3l(4l)
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$W^\pm W^\pm$	2850/398	1425/199	-	178/25	-
$W^\pm Z$	3860/632	965/158	273/45	-	68/11
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$p_T^t > 250 \text{ GeV} / p_T^t > 500 \text{ GeV}$

only channels with >2 leptons (small B)



$\delta y_t$



▶ Competitive with standard!



# Top Yukawa... improvements

...work in progress...

Same amplitude enters in many channels...

Legs	Order	Diagram	Channels	Xsec[fb]	QCD bgnd	L/T
1 → 4	QCD		$tW^\pm W^\pm W^\mp$	0.7	/	0.03
			$tW^\pm ZZ$	0.4	/	0.03
	EW		$tbW^\pm W^\pm$	3.5	/	0.10
			$tbW^\pm W^\mp$	3.5	/	0.20
			$tbW^\pm Z$	3.8	/	0.11
			$tbZZ$	0.02	0	0.09
2 → 3	QCD <sup>2</sup>		$ttZWW$	0.083	/	0.03
			$ttZZZ$	0.008	/	0.04
			$tbWWW$	19	/	0.04
			$tbWZZ$	3.8	/	0.07
	EW <sup>2</sup>		$ttZ$	0.1	/	0.29
			$ttW^\pm$	0.3	/	0.32
			$tbZ$	0.2	/	0.31
			$tbW^\pm(SS)$	0.9	2	0.29
			$tbW^\pm(OS)$	19	/	0.45
	EW * QCD		$tbW^\pm W^\mp$	75	467	0.15
			$tbW^\pm W^\pm$	75	458	0.13
			$tbW^\pm Z$	26	215	0.15
			$tbZZ$	4	0	0.07
			$tW^\pm W^\mp W^\pm$	0.7	/	0.03
			$tW^\pm ZZ$	0.4	/	0.03
$tW^\pm W^\mp$			9	7.15	0.09	
$tW^\pm W^\pm$			8	6.44	0.10	
		$tW^\pm Z$	9	75.4	0.07	
		$tZZ$	5	2.64	0.07	

signal in longitudinal polarizations

t-channel gluon

so far

Further improvements: more channels  
background estimate  
differential distributions (into larger  $E^2$ )

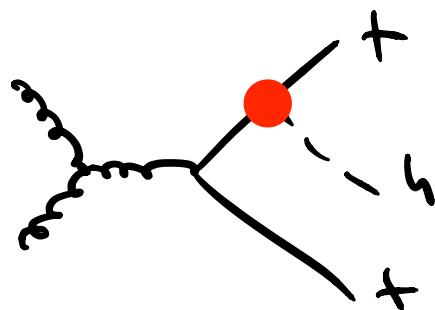
# HwH Program

$\sim \text{const}$

$\sim E^2$

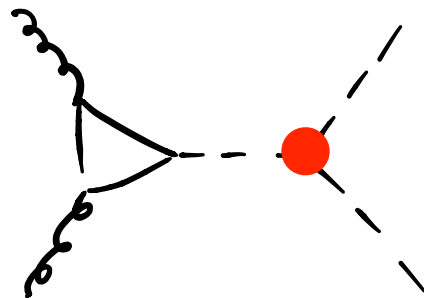
$\kappa_t$

$$|H|^2 Q \tilde{H} t_R$$



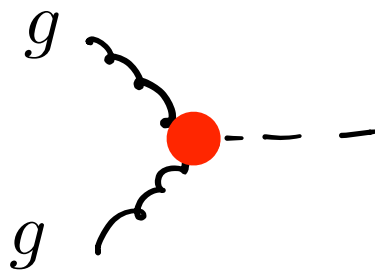
$\kappa_\lambda$

$$|H|^6$$



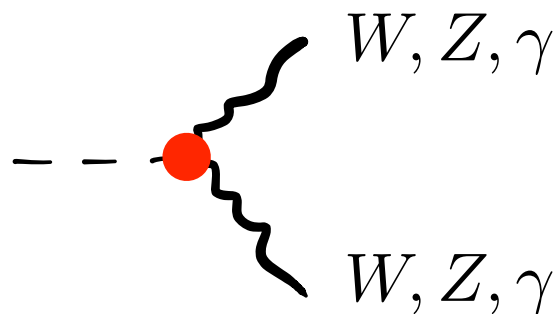
$\kappa_G$

$$|H|^2 G_{\mu\nu}^a G^{a\mu\nu}$$



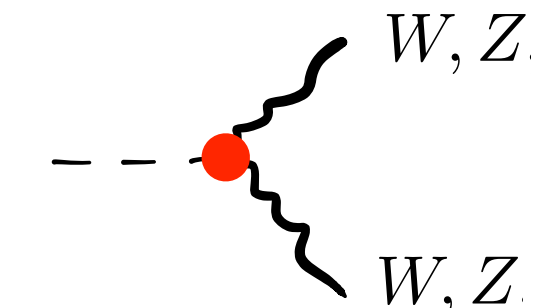
$\kappa_\gamma$

$$|H|^2 B_{\mu\nu} B^{\mu\nu}$$



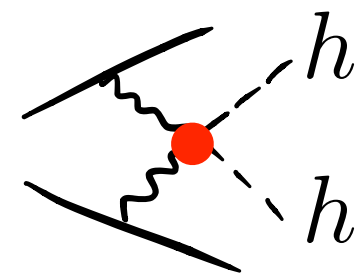
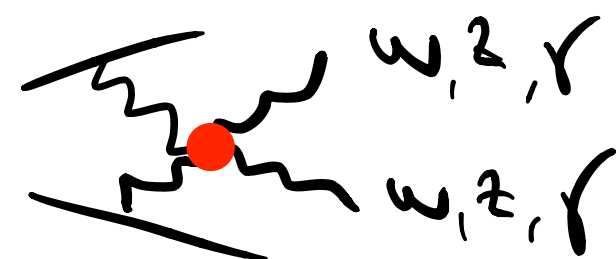
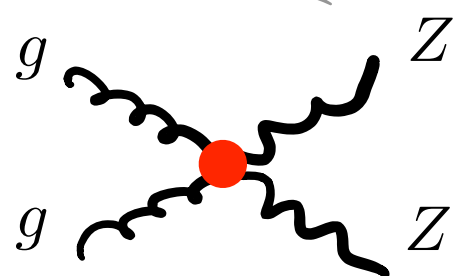
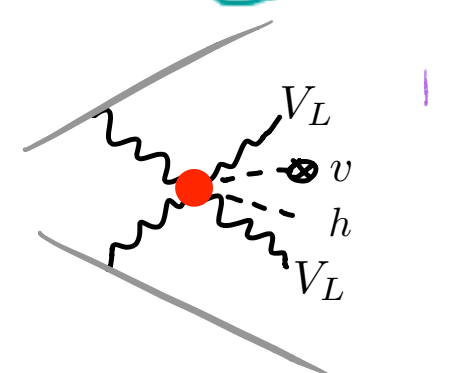
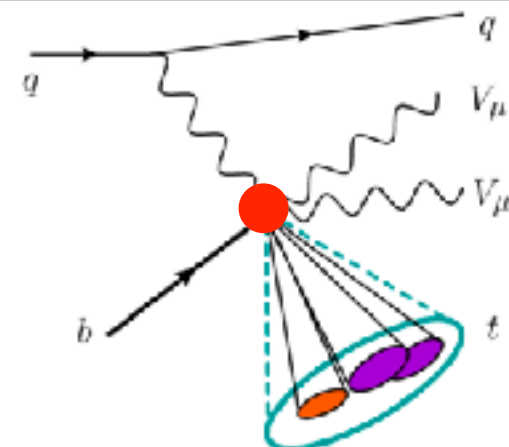
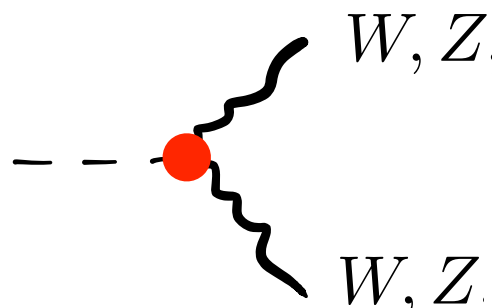
$\kappa_{Z\gamma}$

$$|H|^2 W_{\mu\nu}^a W^{a\mu\nu}$$



$\kappa_V$

$$|H|^2 \partial_\mu H^\dagger \partial^\mu H$$



# More Top and Higgs at High-Energy

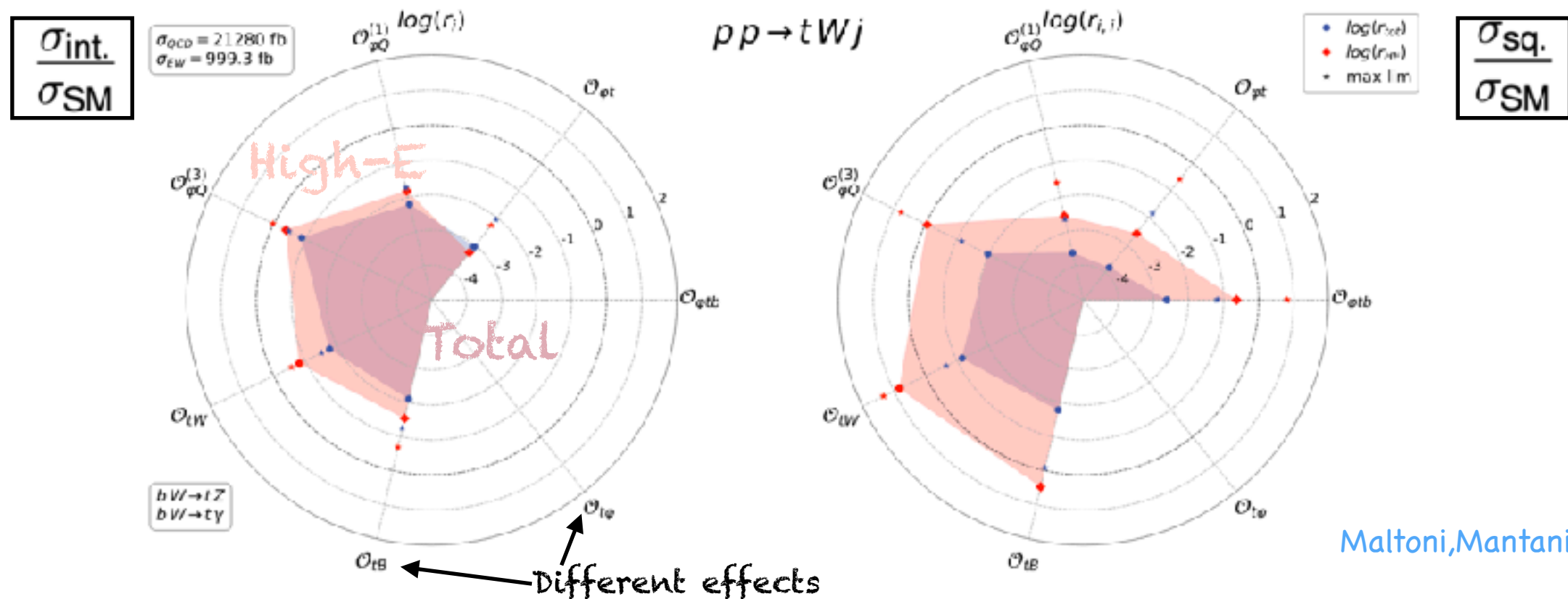
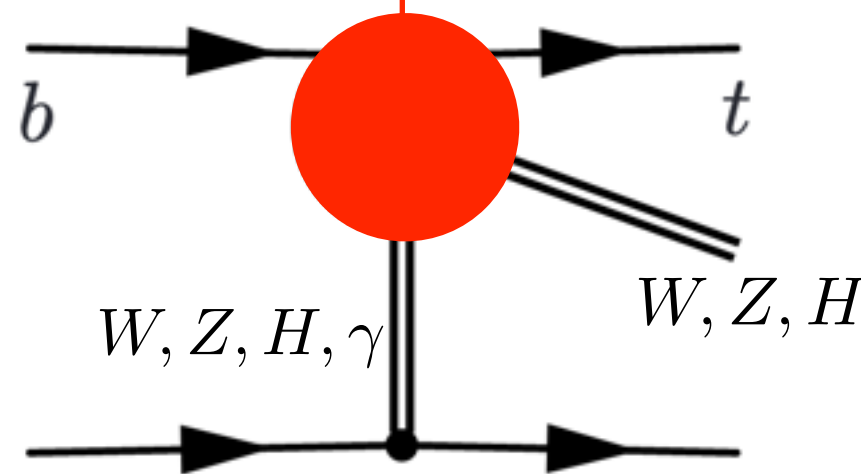
Top-Higgs: well motivated by naturalness

Other Top-Higgs effects grow in single-top

Dror,Farina,Salvioni,Serra'16

Degrande,Maltoni,Mimasu,Vryonidou,Zhang'18

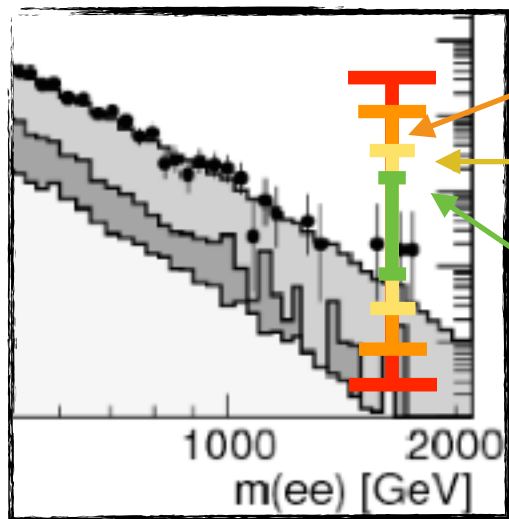
$$i(H^\dagger D_\mu H)(\bar{t}\gamma^\mu t)$$



Maltoni,Mantani,Mimasu'19

# Message

- ▶ More luminosity  $\rightarrow$  access to new observables:
  - ▶ high-energy tails
  - ▶ multidifferential distributions
  - ▶ multiboson processes
- ▶ Important to tailor analysis to BSM effects in form of EFT operators
- ▶ Many opportunities for improvement (contrary to HC):



Precise SM theoretical predictions

LHC Experimental control of systematics

BSM understanding