



# Direct W Asymmetry at the LHC

Kristin Lohwasser (Universität Freiburg)

James Ferrando, Cigdem Issever (University of Oxford)

GEFÖRDERT VOM



Bundesministerium  
für Bildung  
und Forschung

# Outline



- Technique to extract directly the  $W$  asymmetry has been successfully developed and applied at the TeVatron by A. Bodek et al.

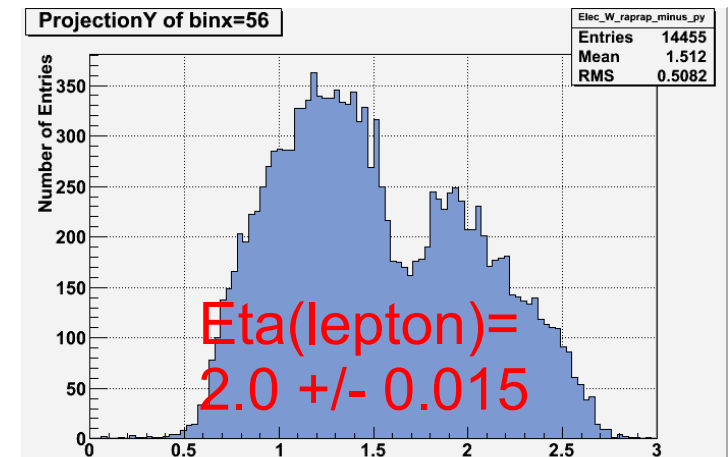
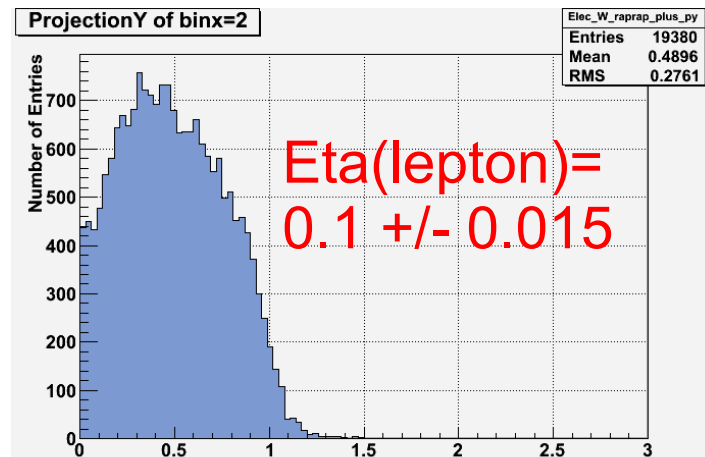
CDF Collaboration, F. Abe *et al.*, *Measurement of the lepton charge asymmetry in  $W$  boson decays produced in  $p\bar{p}$  collisions*, *Phys. Rev. Lett.* **81** (1998) 5754–5759, [[hep-ex/9809001](#)].

CDF Collaboration, D. E. Acosta *et al.*, *Measurement of the forward-backward charge asymmetry from  $W \rightarrow e\nu$  production in  $p\bar{p}$  collisions at  $\sqrt{s} = 1.96$  TeV*, *Phys. Rev.* **D71** (2005) 051104, [[hep-ex/0501023](#)].

- This talk reports on a test of its applicability of the method to the LHC:
  - Idee and Review of the method (at TeVatron and LHC)
  - Problems of the weighting procedure at the LHC
  - Modified reweighting procedure
  - Application and comparison with the lepton asymmetry
  - Outlook

# Why both with the W?

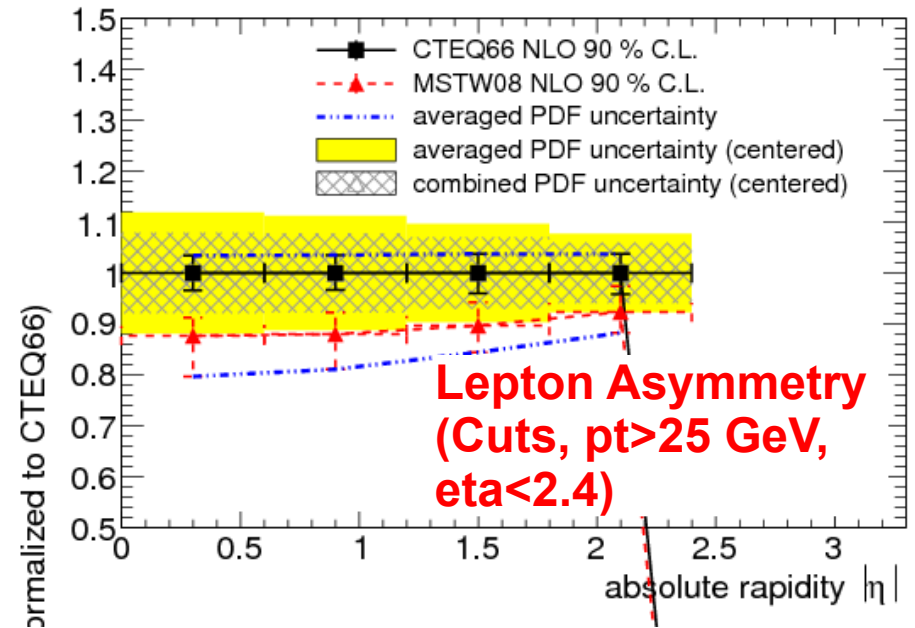
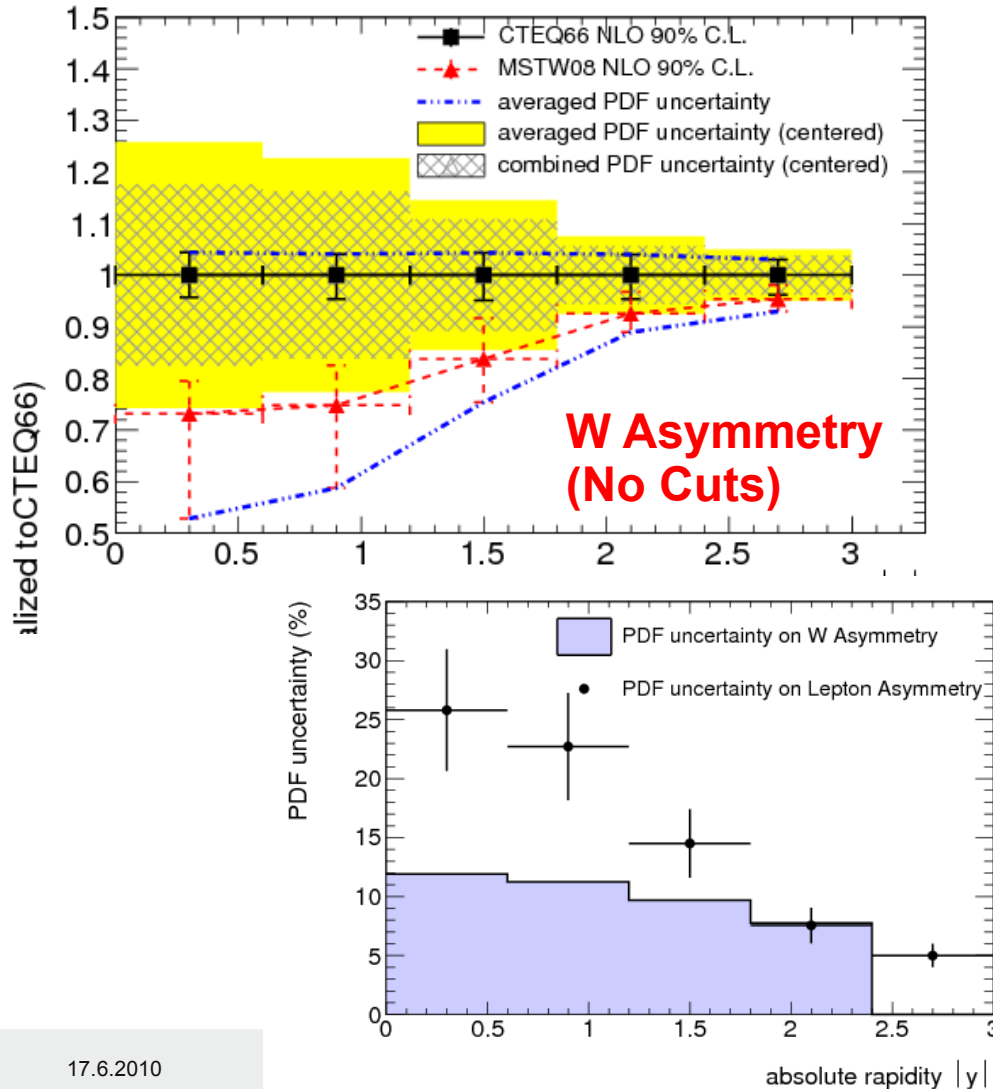
- W Asymmetry due to differences in the PDFs (mainly u and d quarks)
- W decay preserves helicity, strong correlation between W and lepton direction → therefore one can also measure a lepton asymmetry
- One value of in lepton eta samples a wide range of W rapidities
- The lepton asymmetry is a **convolution of the W asymmetry and the W decay**



**Y - Distribution of W bosons in bins of lepton pseudo-rapidity**

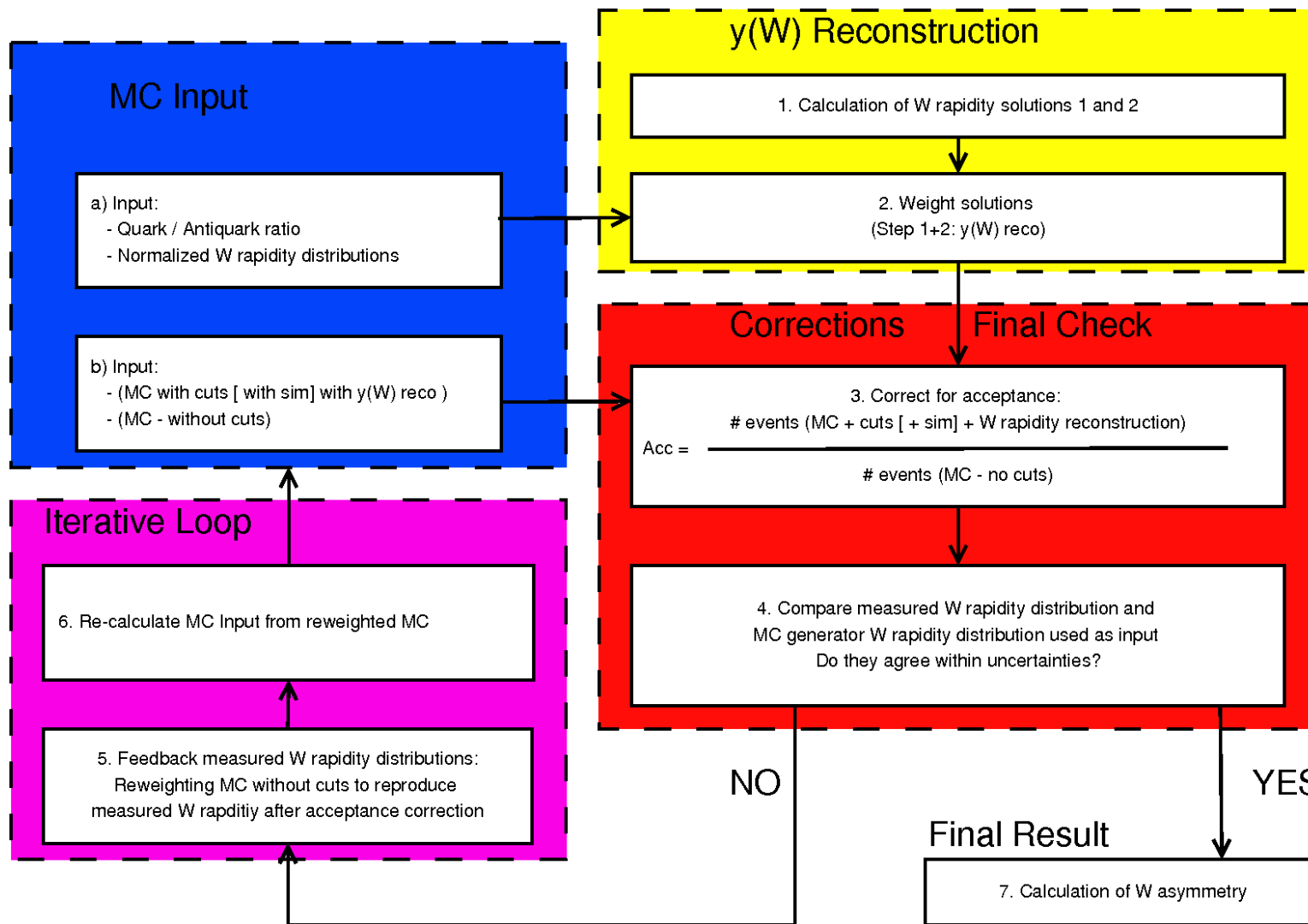
# Theoretical uncertainty

→ PDF errors on W Asymmetry *larger* than lepton asymmetry



**Direct Comparison:  
Almost a factor 2 difference**

# Flow of the method



# MC input



- In the weighting procedure, MC input is used to resolve ambiguities between the two solutions for  $y(W)$  obtained in the reconstruction step
- The MC input is for a data measurement is:  
Generator + Detector simulation + reconstruction
- **Here, only Generator level** particles are studied
- Used are **Pythia 8** with **CTEQ66** and **MSTW08** (if not specifically mentioned, it is MSTW08) with  $\sim 10$  mio events.
- For NLO tests, **Herwig++** was used (will be mentioned where applicable)

# Reconstruction



- Take the W mass to be its nominal value = 80.398 GeV
- Reconstruct electron 4-vector and pT of neutrino (Missing ET)
- Calculate Pz momentum of neutrino

$$p_z^\nu = +\frac{ap_z^e}{c} \pm \sqrt{\left(\frac{ap_z^e}{c}\right)^2 + \frac{(a^2 - b)}{c}} \quad \text{with}$$

$$a = \frac{1}{2}M_W^2 + p_x^e p_x^\nu + p_y^e p_y^\nu$$

$$b = E_e^2 (p_{x,\nu}^2 + p_{y,\nu}^2)$$

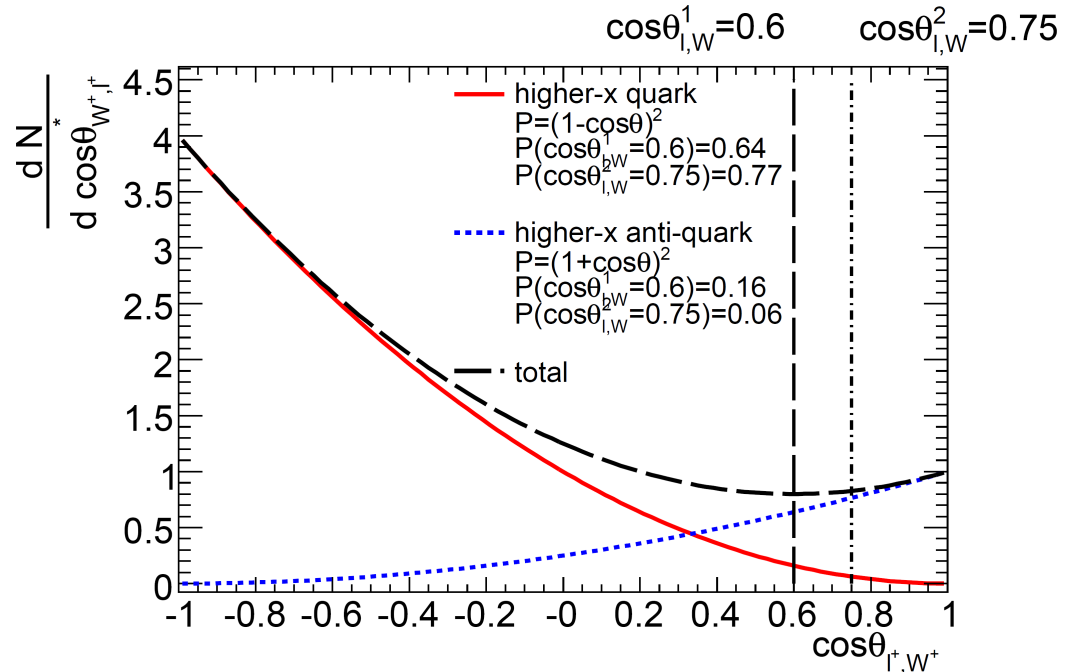
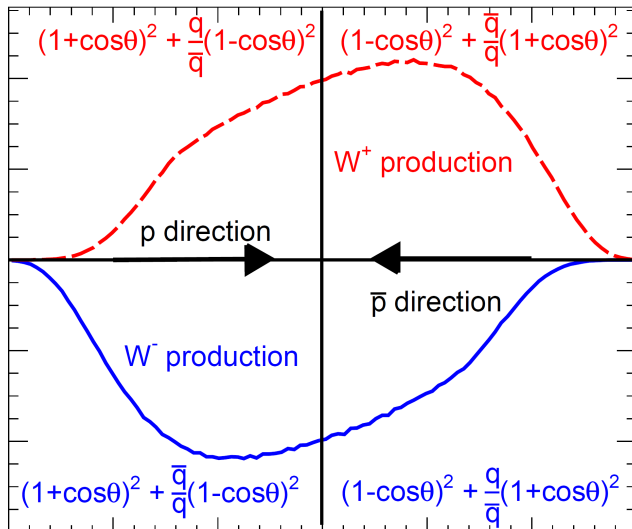
$$c = E_e^2 - p_{z,e}^2.$$

- Using the 4-momenta of electron and neutrino, reconstruct the W rapidity
- This yields a two-fold ambiguity, that is resolved by a **weighting procedure**

# Reconstruction II

- Weight the two solutions according to their probabilities using:
- Expected cross section  $d\sigma/dy(w)$
- Expected decay angle distribution  $\cos\Theta(w,l)$  and sea-valence quark ratio (here shown for TeVatron!)

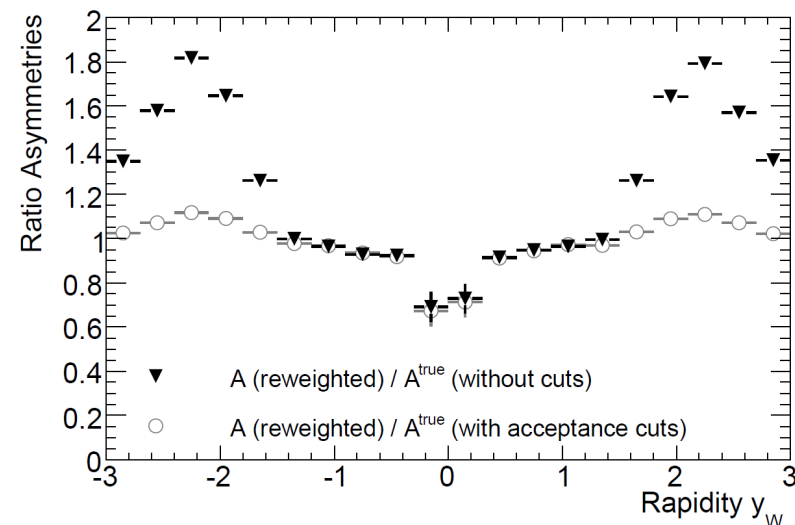
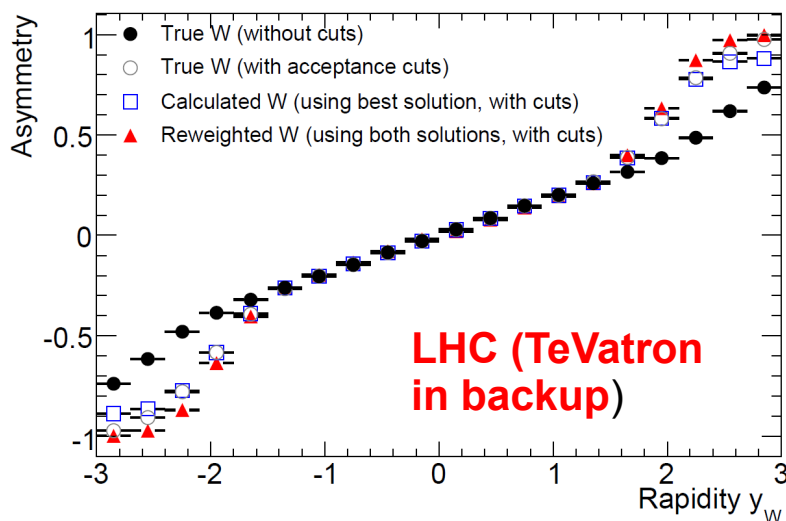
Depending on the helicity of the incoming higher-x parton (e.g. quark = -1), the  $\cos\Theta(w,l)$  follows a distribution. that can be used to weight events





# Acceptance Corrections

- Weighting works well, but is not perfect
- Even on truth particle level, an acceptance correction to go from the reweighted  $y(W)$  to the true  $y(W)$  needs to be applied
- The acceptance corrections also includes a correction for kinematic cuts
- For a data measurement this includes also simulation!



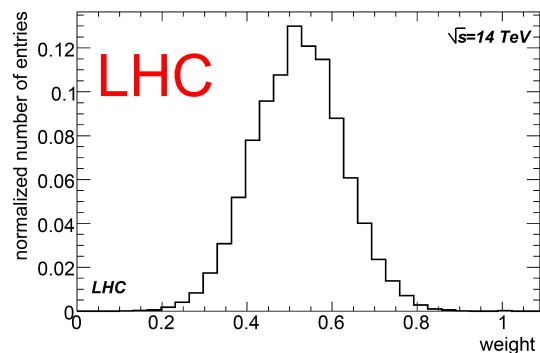
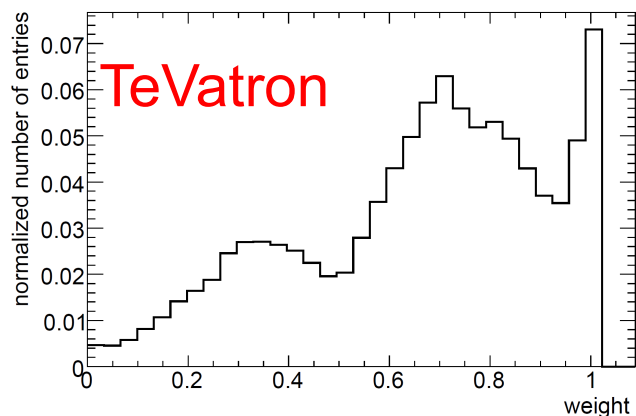
# Iterative Feedback Loop



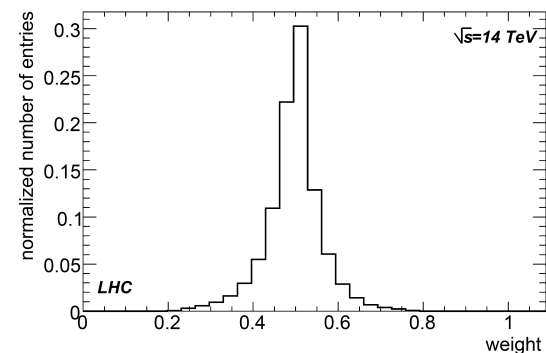
- Iterate to become independent of input
- Compare experimentally determined  $y(W)$  distributions and MC input  $y(W)$   
Input MC  $y(W)$  distributions should be the  $yW$  distributions we intended measure.  
Therefore, the MC input distributions are compared to the measured distributions after the weighting procedure and after the acceptance corrections.  
**If they disagree, the procedure needs to be iterated.**
- Reweight input MC to reproduce experimentally determined  $yW$  distributions
- Recalculation of weighting tables
- Iterate the measurement until convergence between (reweighted) MC input and measured data

# Problems at the LHC

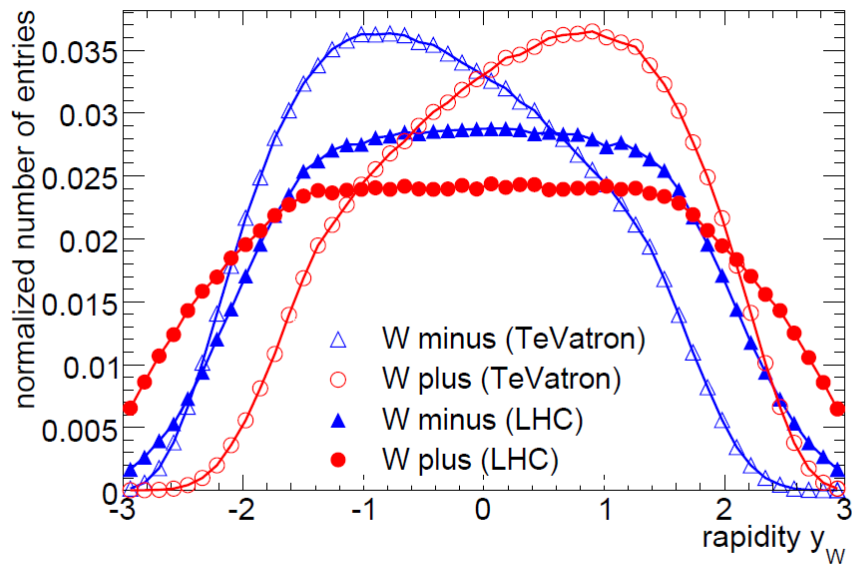
- At the LHC the weighting procedure breaks down
- The **the cross section** for W production are much flatter and expand over a much larger range of  $y(W)$  compared to the TeVatron.
- **Ratios of leading qbar versus leading q production** come closer to 1, the  $\cos\Theta$  distribution cannot help to distinguish two solutions anymore.
- The weights in the reconstruction are mostly around 0.5 while peaking at 1 at the TeVatron.



a) Weight given to the right solution for  $W^-$



b) Weight given to the right solution for  $W^+$



a) Normalised  $y_{W^\pm}$  distributions

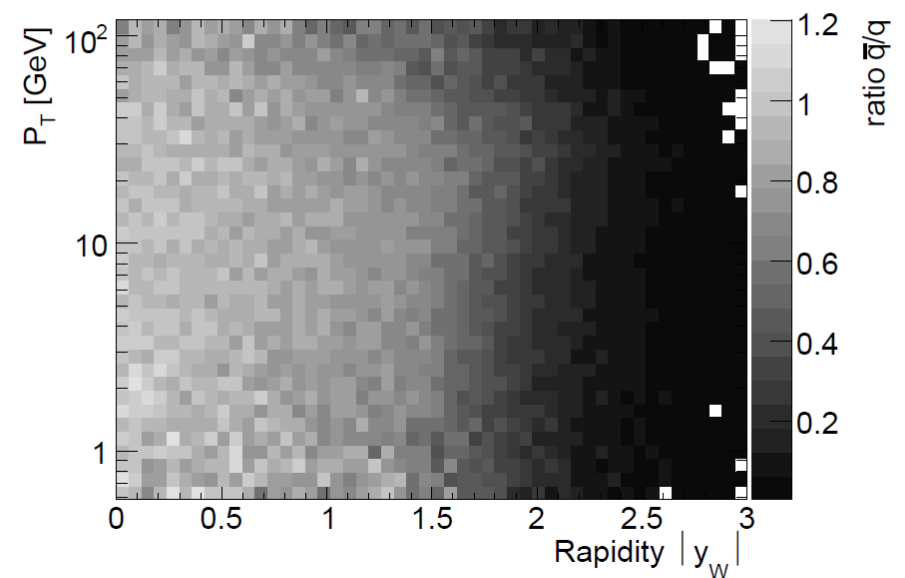
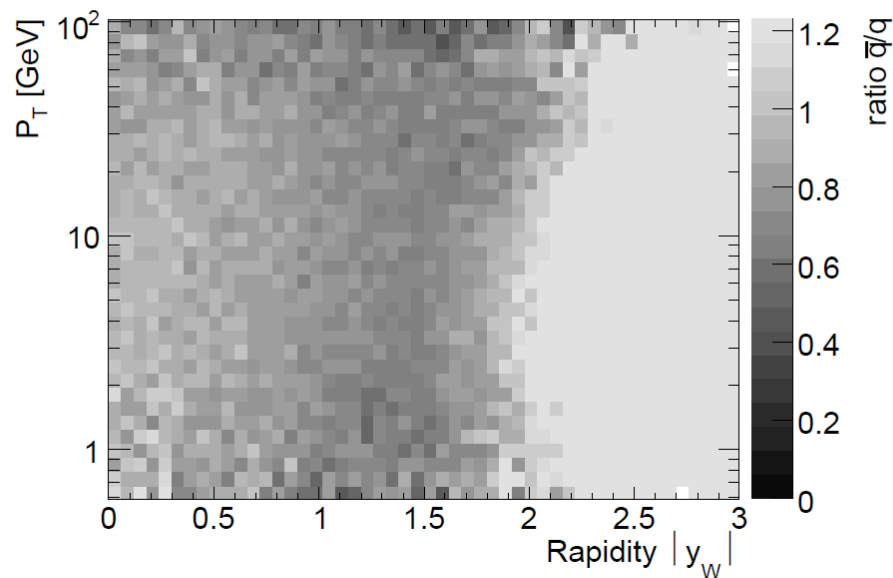


Figure 3.9: Problems of the weighting procedure at the LHC: a) The normalised  $y_{W^\pm}$  distributions are flatter at the LHC (full markers) compared to the TeVatron (open markers). The ratios  $\bar{q}/q$  used in the weighting procedure at the LHC are shown for  $W^-$  in b) and for  $W^+$  in c). For both charges, the ratio is considerable larger than 0.25, which is the maximal value of this ratio at the TeVatron.

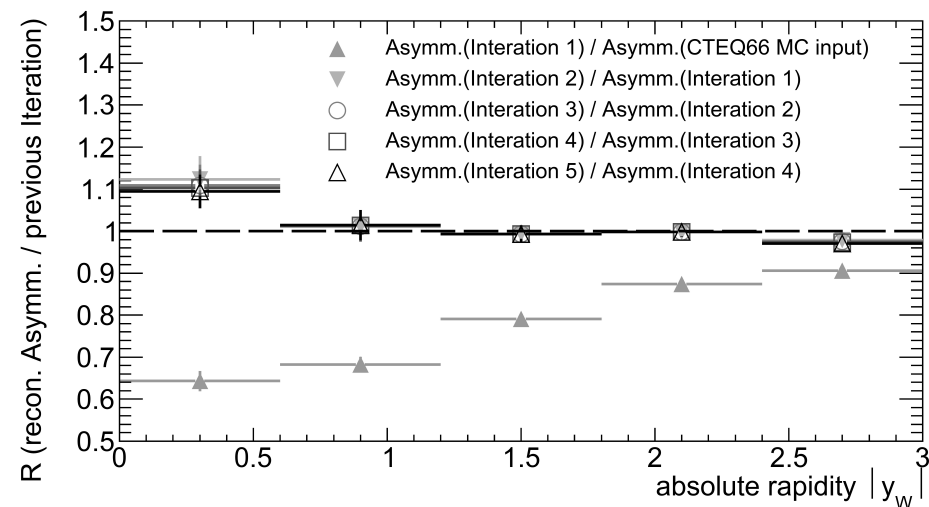
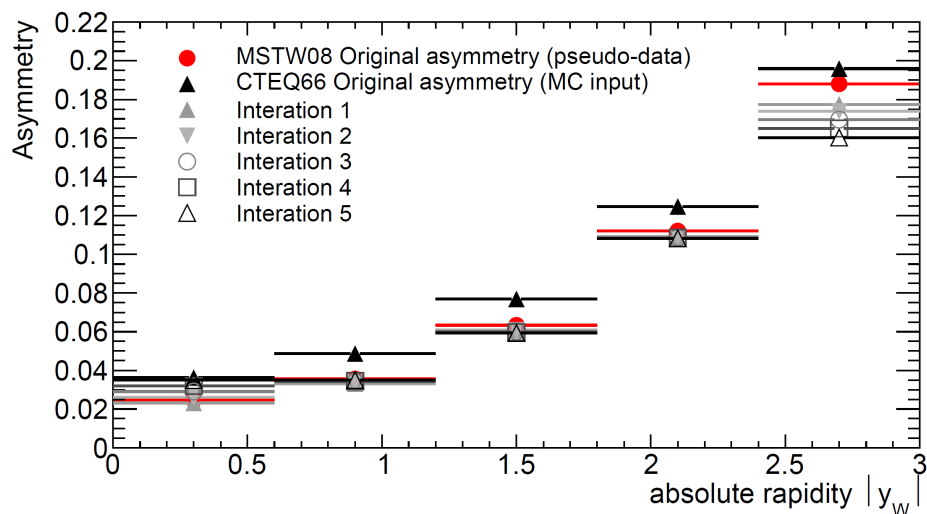
# A new scheme for the LHC



- Independent of the goodness of the weighting in the reconstruction, acceptance corrections are needed
- So the new scheme would be:
  - 1) calculate 2  $y(W)$  solutions, fill with weight 0.5 by default (**no kinematic weights**)
  - 2) apply acceptance corrections
  - 3) do iterative loop
- If the additional systematic error from the acceptance corrections is **small enough**, then the  **$W$  asymmetry is better than the lepton asymmetry** (because PDF error on  $W$  is larger than PDF error on lepton)

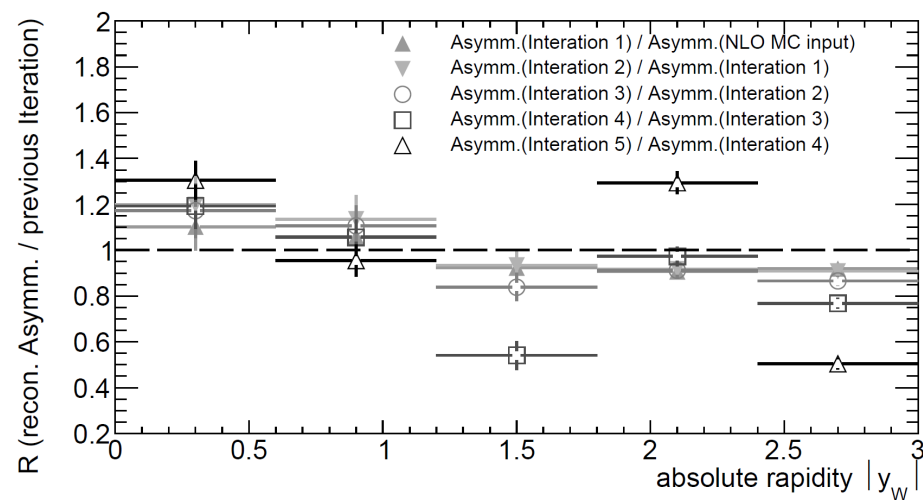
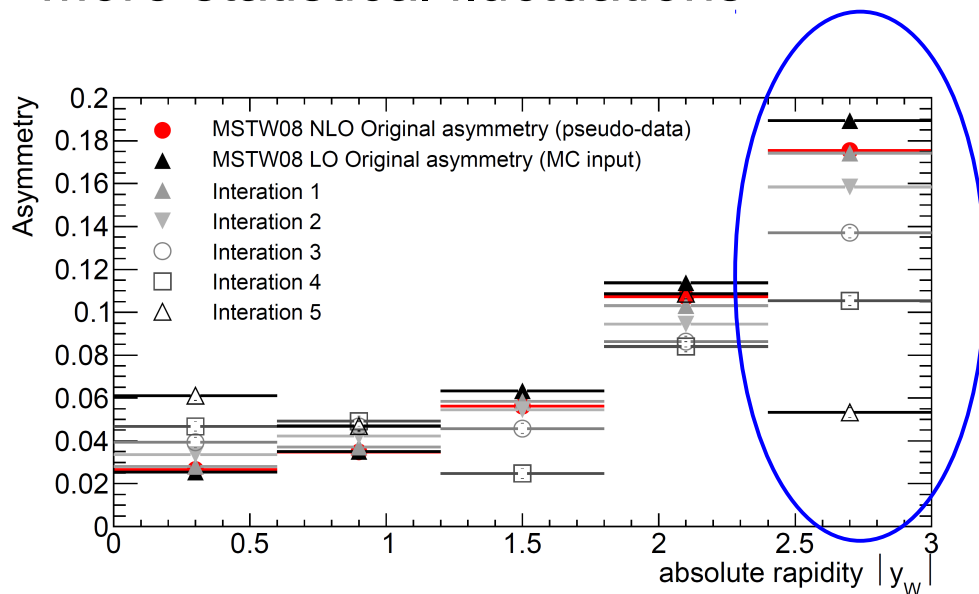
# Results (different PDFs)

- Reconstruction of MSTW08 Asymmetry „data“ (8 mio. events) using CTEQ66 MC input (75 mio. events)
- It works and converges after the first iteration
- But there is some enhancement of statistical fluctuations



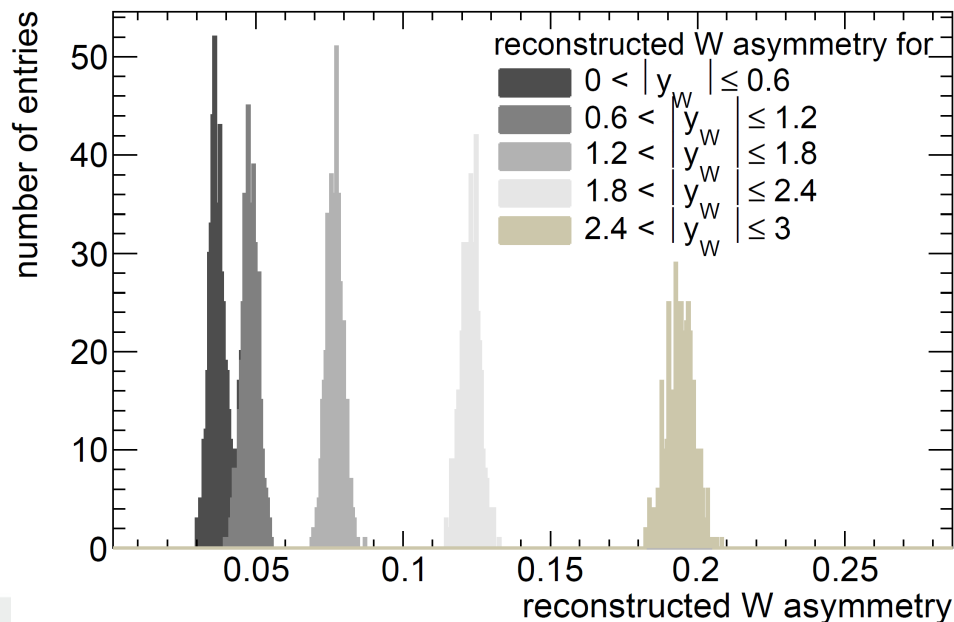
# Results (different orders)

- Reconstruction of Herwig ++ MSTW08 Asymmetry NLO „data“ (1 mio. events) using Pythia MSTW08 MC LO input (8 mio. events)
- It works and converges after the first iteration
- More statistical fluctuations



# Statistical errors

- Use same method as Bodek et al.: MC toy experiments
- High Stat MC input sample (CTEQ66)
- $N \sim 450$  statistically independent input 'data' sample (of various lumis)
- Use RMS spread of reconstructed asymmetries for statistical error

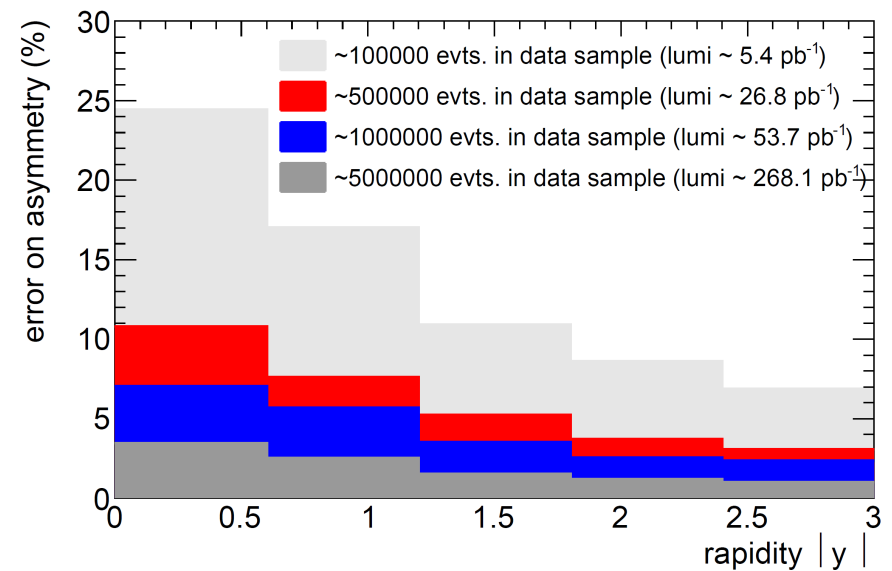
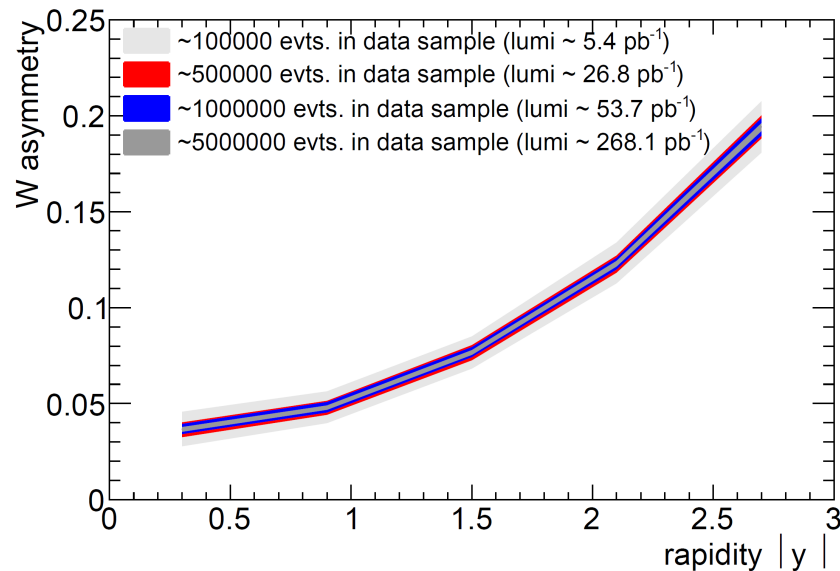


**Example outcome of toy MC  
for  $N(\text{data}) = 1$  mio. events**



# Statistical errors II

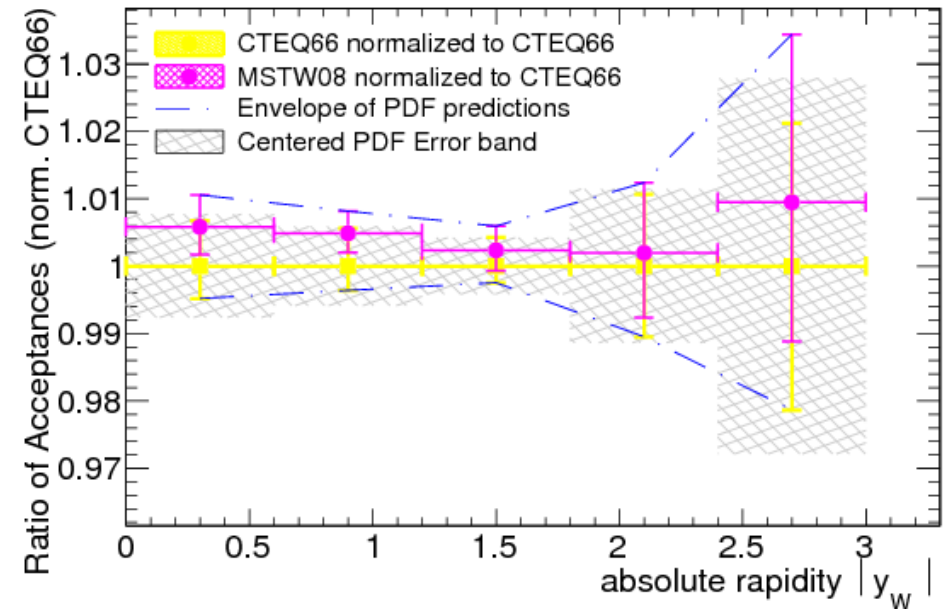
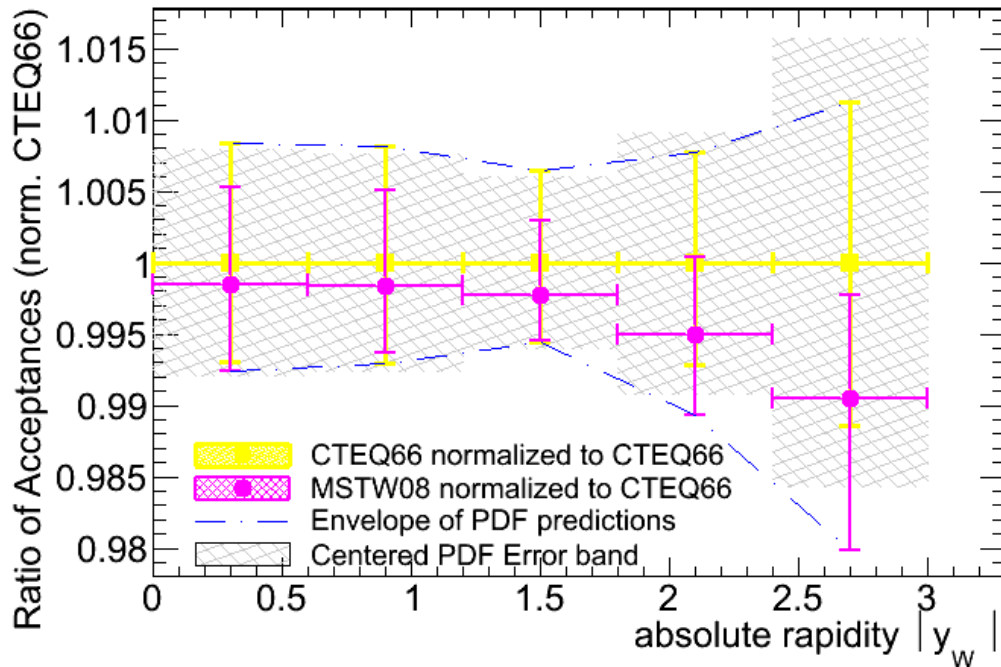
- Investigate as function of integrated luminosity
- The statistical error on the reconstructed asymmetry is larger than the statistical (poissonian) error on the asymmetry



**Note:** This error includes all problems from reconstruction procedure itself  
It is a factor of ~ 1.0-1.5 larger than pure statistical errors (N events)

# Acceptance corrections

→ PDF errors on acceptance corrections



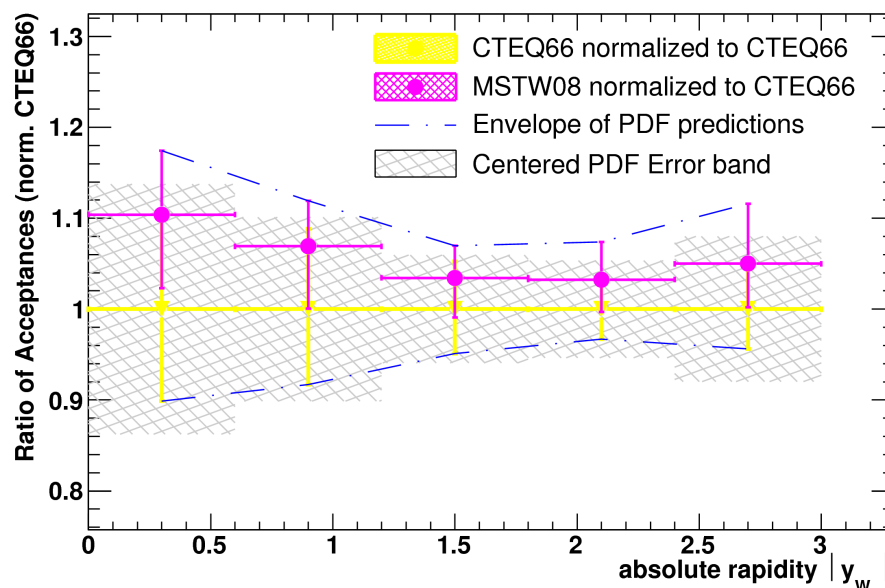
**Plus:** maximal 2% error on acceptance

**Minus:** maximal 3.5% error

**This is true for all  $p_T$  bins !!!**

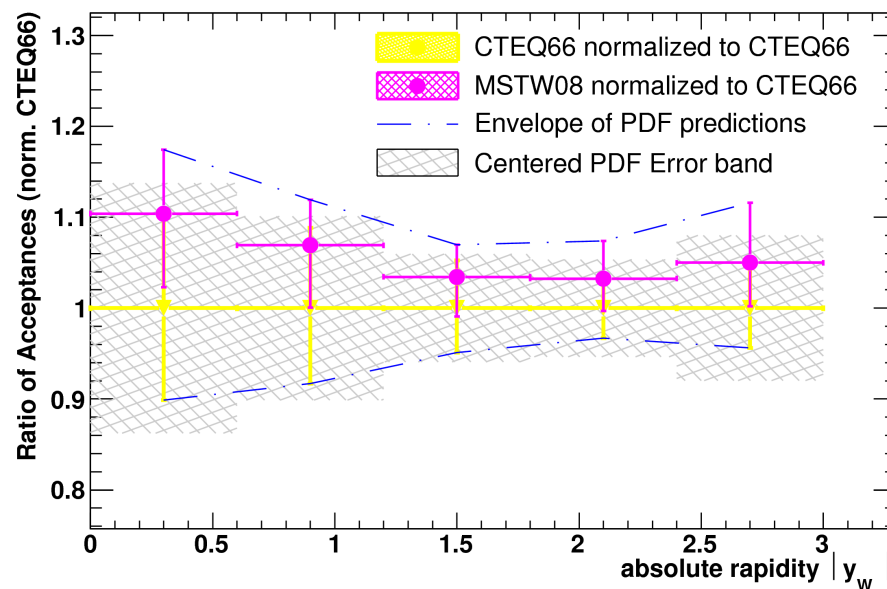
# Error due to Acceptance

- Calculate the Acceptance correction for each PDF error set
- Apply acceptance correction to **CTEQ66 central value** of  $y_w$  reconstructed
- Deviation of thus reconstructed asymmetries from **CTEQ66 central value nominal asymmetry (wo cuts)** is the PDF error due to acceptance.
- This procedure fully deals with correlations between the + and - errors



# Error due to Acceptance

- Calculate the Acceptance correction for each PDF error set
- Apply acceptance correction to **CTEQ66 central value** of  $y_w$  reconstructed
- Deviation of thus reconstructed asymmetries from **CTEQ66 central value nominal asymmetry (wo cuts)** is the PDF error due to acceptance.
- This procedure fully deals with correlations between the + and - errors



# Experimental error



- Calculate experimental error by conducting 500 pseudoexperiments, where the momenta of electron and neutron are smeared with 1% (5%) Gaussian resolution
- Calculated  $W$  asymmetry and compare to original asymmetry
- Were needed (because there are unphysical solutions), scale the neutrino  $p_T$  down (in very small steps)
- Use pull and spread as experimental error

$y_W$ or $\eta_l$	$\sigma_{\text{stat}}(W)$	$\sigma_{\text{acc}}(W)$	$\sigma_{\text{det}}(W)$	$\sigma_{\text{th}}^{\text{meas}}(W)$	$\sigma_{\text{tot}}^{\text{meas}}(W)$	$\sigma_{\text{stat}}(l)$	$\sigma_{\text{det}}(l)$	$\sigma_{\text{tot}}^{\text{meas}}(l)$
0 - 0.6	3.47	10.1	9.61	10.7	14.4	1.49	4.04	4.3
0.6 - 1.2	2.52	8.31	6.51	8.68	10.9	1.24	2.64	2.92
1.2 - 1.8	1.54	4.9	0.699	5.13	5.18	0.921	1.46	1.73
1.8 - 2.4	1.19	3.3	1.77	3.51	3.93	0.695	0.925	1.16
2.4 - 3	1.02	4.38	3.96	4.5	5.99	-	-	-

# Total errors



→ Errors in comparison:

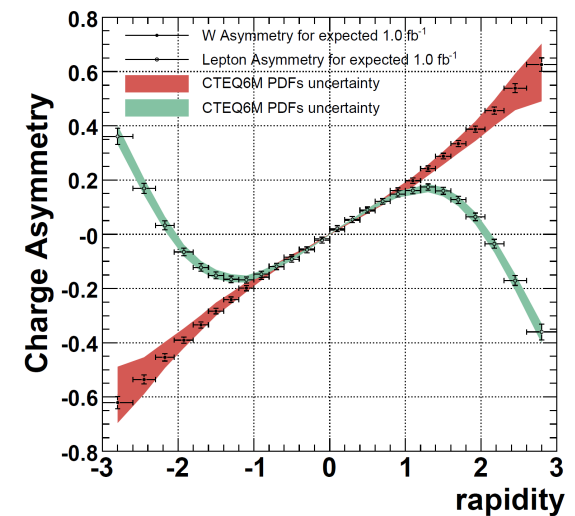
$y_W$ or $\eta_l$	$\sigma_{\text{stat}}(W)$	$\sigma_{\text{acc}}(W)$	$\sigma_{\text{det}}(W)$	$\sigma_{\text{th}}^{\text{meas}}(W)$	$\sigma_{\text{tot}}^{\text{meas}}(W)$	$\sigma_{\text{stat}}(l)$	$\sigma_{\text{det}}(l)$	$\sigma_{\text{tot}}^{\text{meas}}(l)$
0 - 0.6	3.47	10.1	9.61	10.7	14.4	1.49	4.04	4.3
0.6 - 1.2	2.52	8.31	6.51	8.68	10.9	1.24	2.64	2.92
1.2 - 1.8	1.54	4.9	0.699	5.13	5.18	0.921	1.46	1.73
1.8 - 2.4	1.19	3.3	1.77	3.51	3.93	0.695	0.925	1.16
2.4 - 3	1.02	4.38	3.96	4.5	5.99	-	-	-

→ Comparison to PDF uncertainties:

$y_W$ or $\eta_l$	$\sigma_{\text{PDF}}(W)$	$\mathcal{R}(W)$ $\sigma_{\text{PDF}}/\sigma_{\text{th}}^{\text{meas}}$	$\mathcal{R}(W)$ $\sigma_{\text{PDF}}/\sigma_{\text{tot}}^{\text{meas}}$	$\sigma_{\text{PDF}}(l)$	$\mathcal{R}(l)$ $\sigma_{\text{PDF}}/\sigma_{\text{th}}^{\text{meas}}$	$\mathcal{R}(l)$ $\sigma_{\text{PDF}}/\sigma_{\text{tot}}^{\text{meas}}$	$\mathcal{R}(W/l)$ $\sigma_{\text{PDF}}/\sigma_{\text{th}}^{\text{meas}}$	$\mathcal{R}(W/l)$ $\sigma_{\text{PDF}}/\sigma_{\text{tot}}^{\text{meas}}$
0 - 0.6	24.5	2.29	1.7	11.9	8	2.77	0.287	0.616
0.6 - 1.2	20.7	2.39	1.91	11.2	9.07	3.85	0.263	0.496
1.2 - 1.8	15.1	2.95	2.92	9.69	10.5	5.6	0.281	0.521
1.8 - 2.4	11.7	3.32	2.97	7.75	11.1	6.7	0.298	0.443
2.4 - 3	8.39	1.87	1.4	-	-	-	-	-

# Conclusions

- W asymmetry reconstruction is less suited for LHC conditions
- Proposed modification of the scheme and proved that it works
- Error on reconstructed W asymmetry is smaller than the current PDF uncertainty, therefore measurement could constrain PDFs
- However, **error on lepton asymmetry even much smaller** compared to PDF error, so that a measurement of the **lepton asymmetry seems more favourable** (if there are no other strong reasons, why one would prefer the W asymmetry)
- Method has however a clear advantage at the TeVatron





# Acceptance Corrections at the TeVatron

- Weighting works well, but is not perfect
- Even on truth particle level, an acceptance correction to go from the reweighted  $y(W)$  to the true  $y(W)$  needs to be applied
- The acceptance corrections also includes a correction for kinematic cuts
- For a data measurement this includes also simulation!

