

# Towards an RPWELL-based DHICAL

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**Dan Shaked Renous**

Weizmann Institute of Science

# Future Lepton Collider Experiments Require

$E_{\text{Jet}}$  Resolution of  $\frac{\sigma}{E} \leq \frac{30\%}{\sqrt{E}}$

Jet energy resolution is limited by high dependence on the HCAL

- 70% of the jet energy is carried by hadrons

Intrinsic limitation of hadronic calorimeters (HCAL)

- Large fluctuations in the fraction of the EM and Hadronic component
  - Non-compensation: different response to EM and hadronic components
- Large jet-by-jet energy deposition fluctuations
- Large fluctuations in the fraction of the 'invisible energy' - deposited energy not contributing to the measured signal

Two possible solutions:

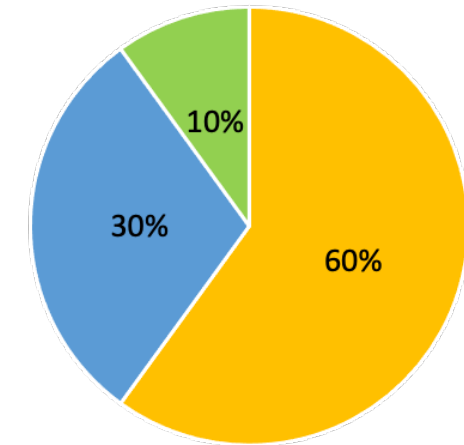
- Build compensating calorimeters  $\Rightarrow$  Dual readout
- **Reduce the dependency on the HCal  $\Rightarrow$  Particle flow calorimeters**

# Particle Flow Calorimetry

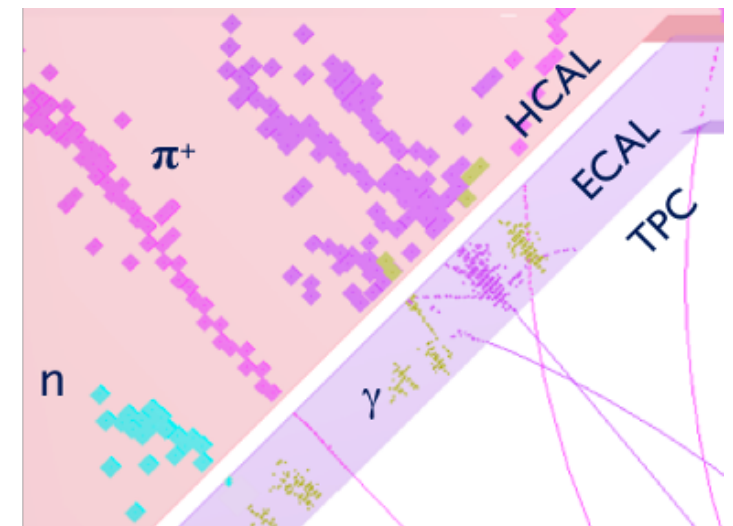
- **Traditionally: Jet-energy is measured as a whole**
  - Measured in ECAL/HCAL
  - $\sim 70\%$  of the energy is measured in HCAL with  $\frac{\sigma}{E} \approx \frac{60\%}{\sqrt{E[GeV]}}$
- **High granularity Particle Flow: Reconstruct individual particles**
  - Charged particle momentum is measured precisely in tracking system
  - Neutral hadrons (10%) energy is measured in HCAL

Perfect PFA can yield  $\sim \frac{19\%}{\sqrt{E[GeV]}}$

using HCAL with  $\frac{55\%}{\sqrt{E[GeV]}}$  energy resolution



■ Charged Hadrons ■ Photons ■ Neutral Hadrons ■



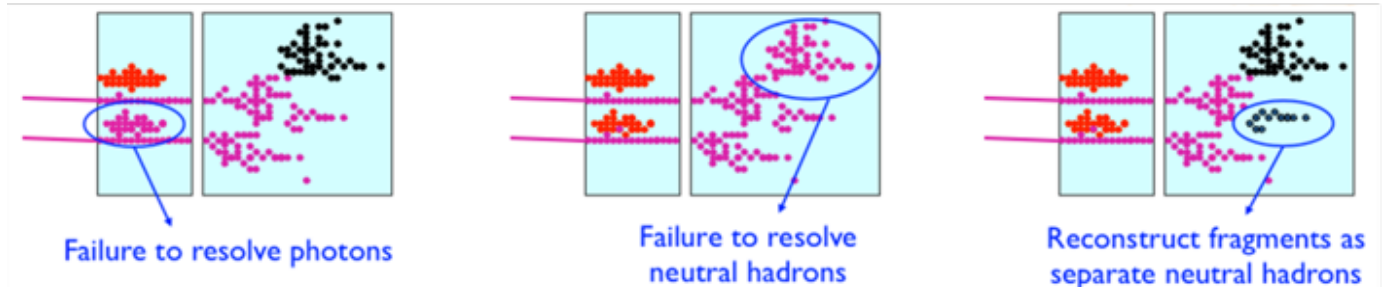
Marshall et. al. arXiv: 1308.4537

# The Largest contributions to Jet Energy Resolution

Neutral hadron energy resolution (HCAL)

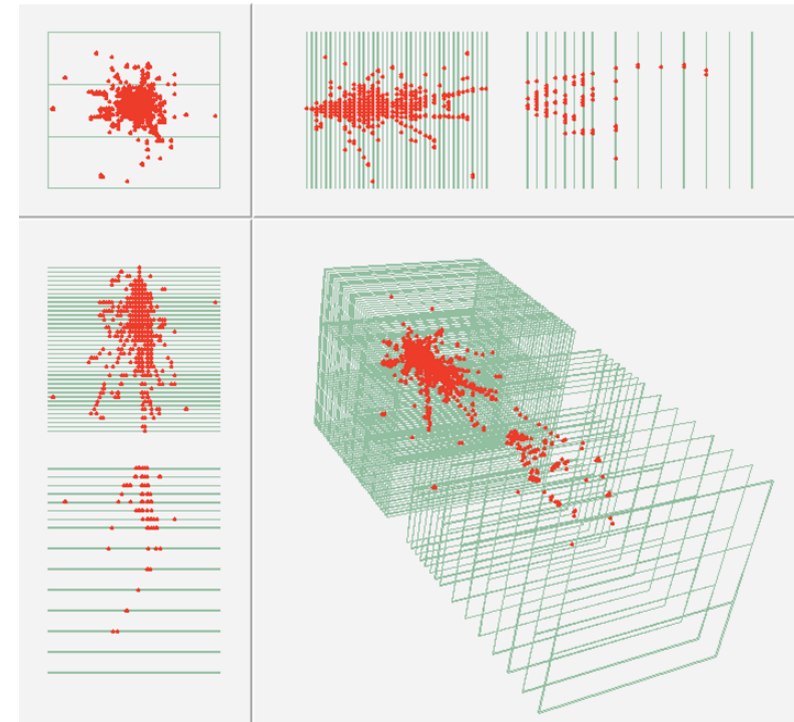
Confusion term – deposited energy can be assigned to more than particle.

Marshall et. al. arXiv: 1308.4537



# (S)DHCAL: Requirements

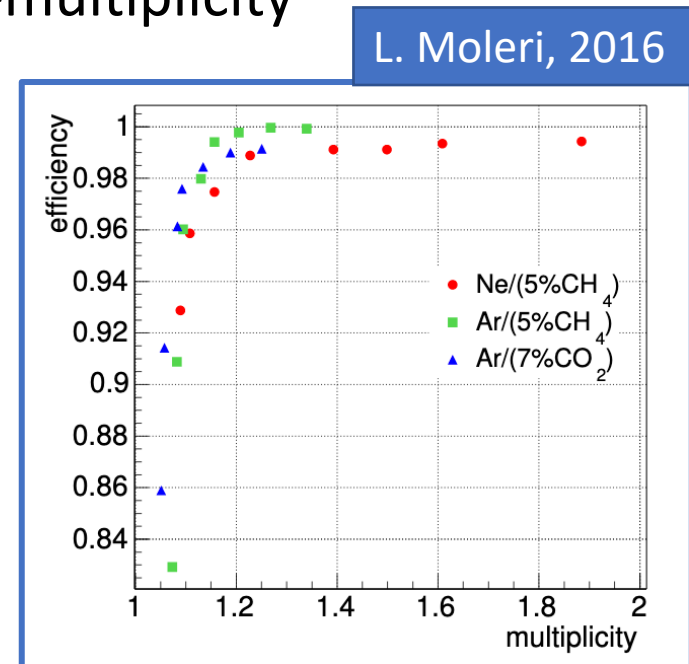
- (Semi) Digital readout
- 1 cm<sup>2</sup> granularity
- 40-50 layers of sampling element with absorbers in between
- As thin as possible
  - minimizing cost of the magnet system
- High detection efficiency
- Low pad multiplicity - one pad fire per track
- For SDHCAL: Proportional response



W-DHCAL (CLIC)

# MPGD - a Possible Technology for SDHCAL

- High granularity:
  - 1x1 cm<sup>2</sup> semi-digital readout pads
  - 1.4-cm-thick sampling elements
- Excellent response of single sampling element
  - ~98% efficiency
  - 1.3 average pad-multiplicity



# Milestones

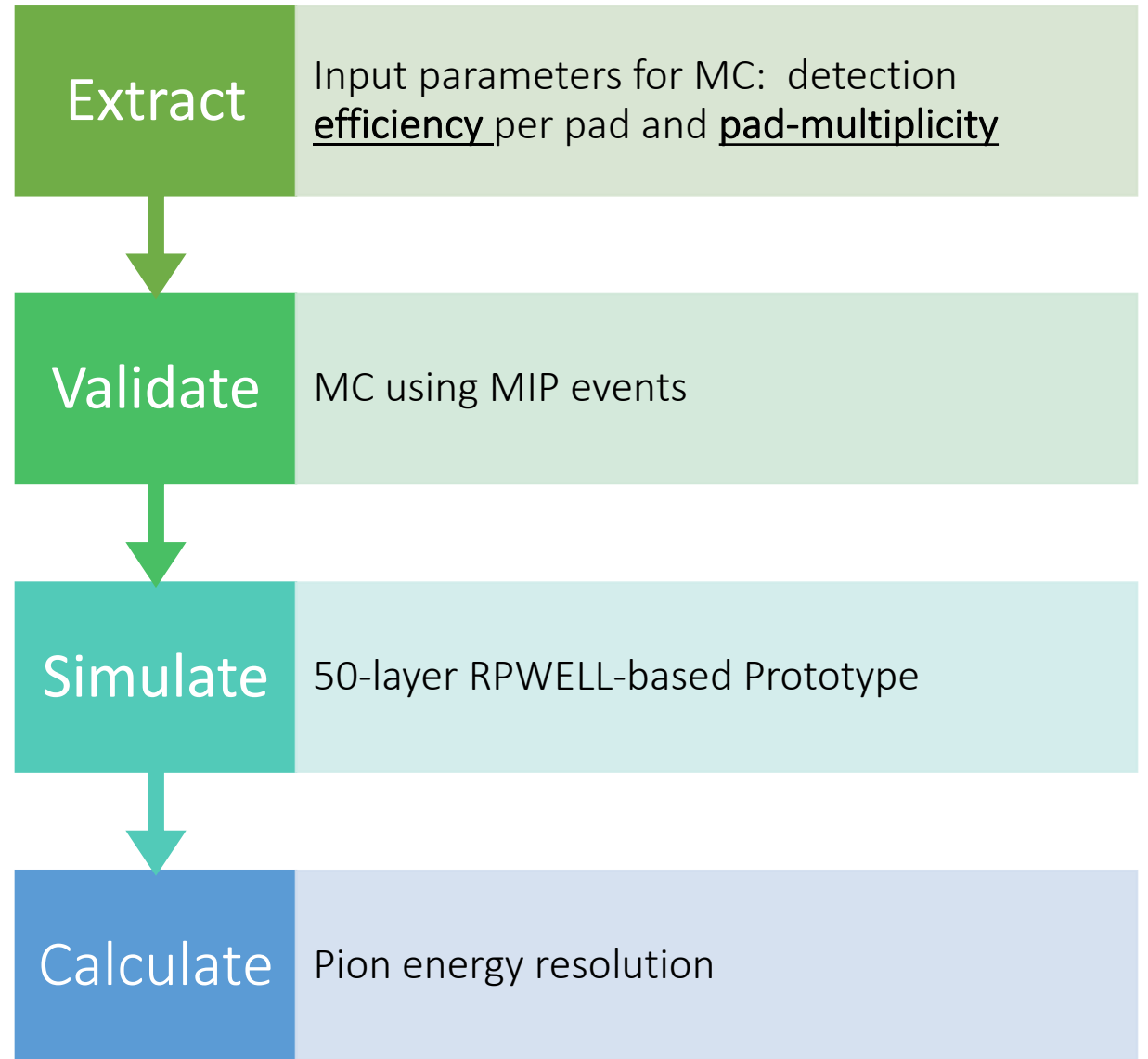
Scale-up RPWELL: 50x50 cm<sup>2</sup>

Analog readout (TB:  
Jul. '17, Apr. and Aug  
'18)

Semi-digital readout  
(TB: Aug. and Nov.  
'18)

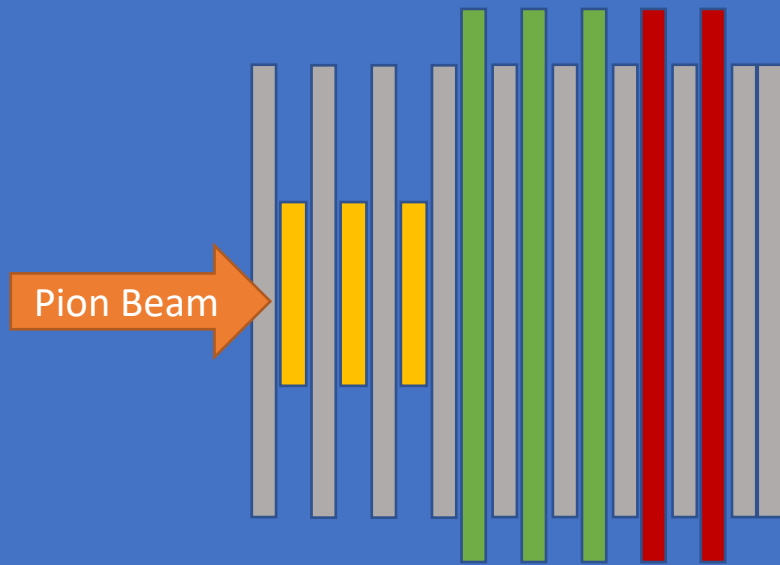
Operate mini-DHCAL of 8  
MPGD layers (TB Nov. '18)

# Current Work






# Experimental Setup






Source pion-beam (2-6 GeV/c)

Single DAQ system – based on MICROROC chip

8 layers

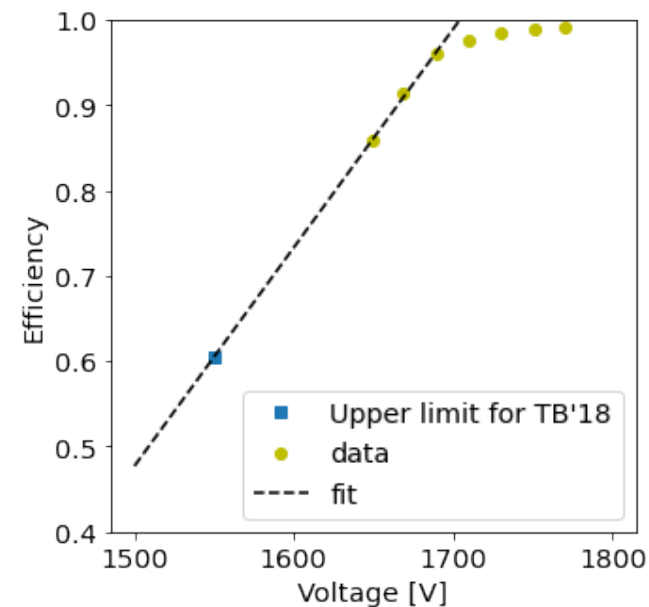
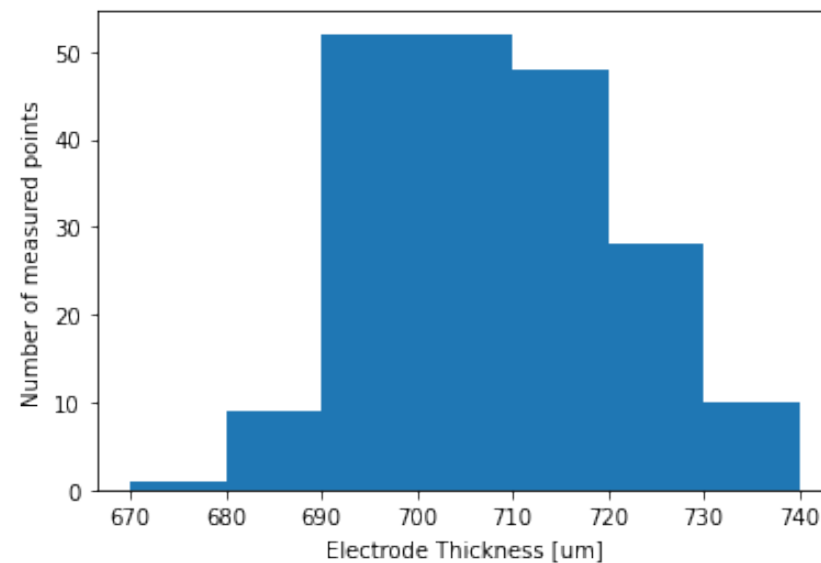
- 2 cm Steel absorbers between layers 
- $\lambda_{int} = 20$  cm: 45% chance of shower inside our setup
- $X_0 = 1.8$  cm: 99.9% chance of EM shower inside our setup

Sampling elements:

- 2+1 16x16 cm<sup>2</sup> bulk + resistive bulk  $\mu$ M 
- 3 48x48 cm<sup>2</sup> resistive bulk  $\mu$ M 
- 2 48x48 cm<sup>2</sup> RPWELL 

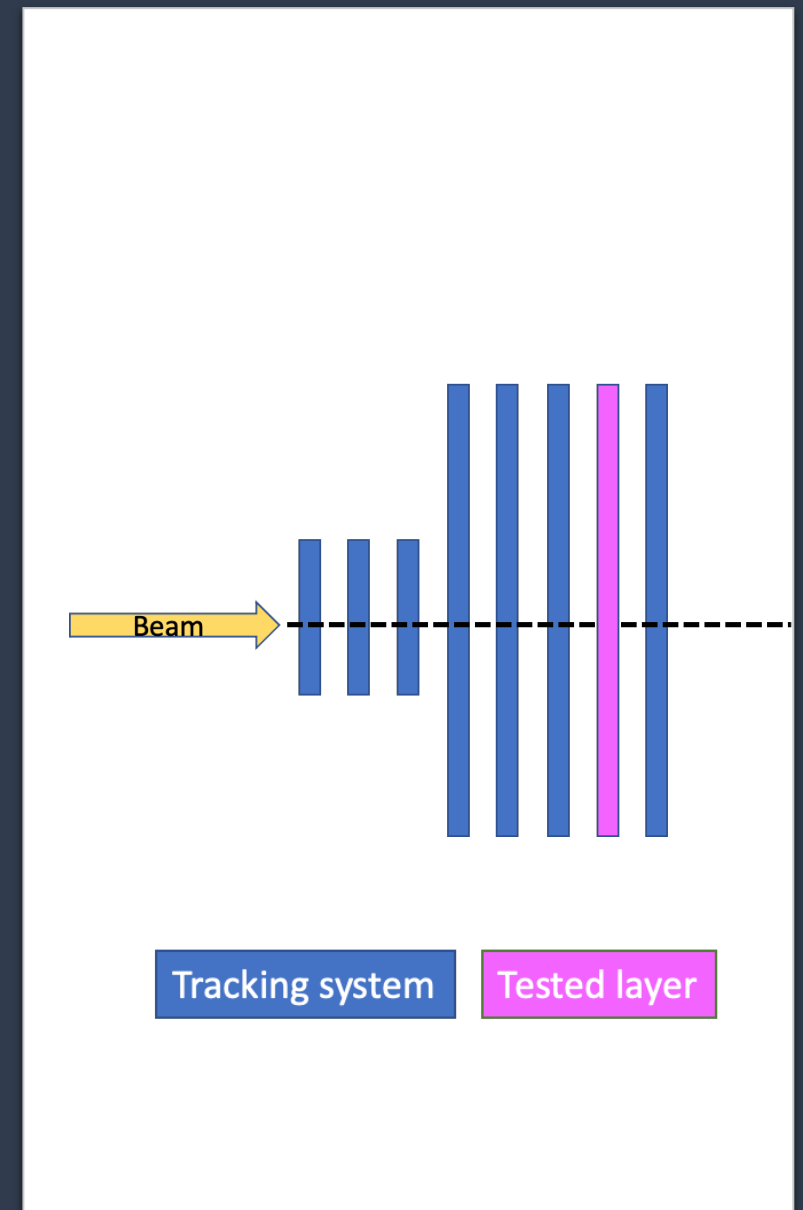
## Suboptimal Operation Conditions

- Large thickness non-uniformity
- Operated at lower voltage (1550 V)
  - Far below efficiency plateau



# Extracting Detection Efficiency and Pad Multiplicity from Data

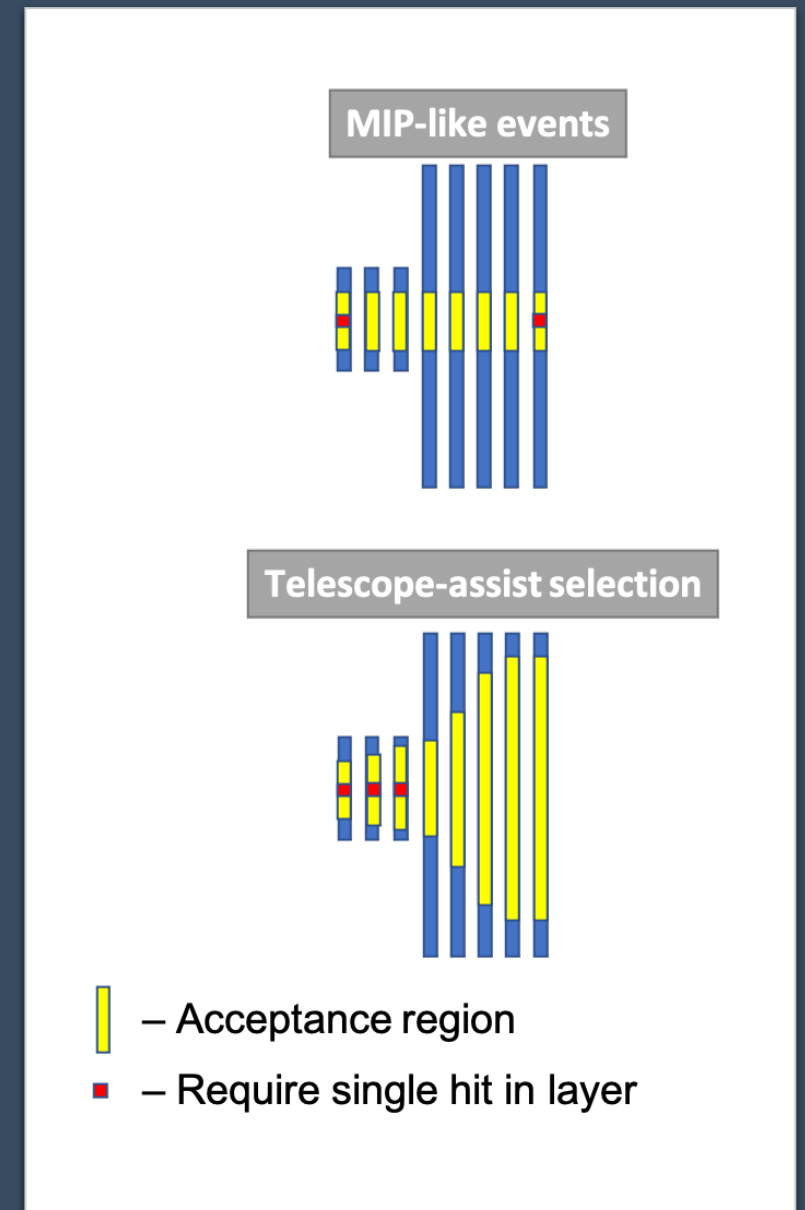
- Select only MIP-like events
  - **Reconstruct** tracks using Hough transform
  - **Identify** hit-clusters along track
  - Demand 7 out of 8 layers to have **up to two hits** in a cluster.
- Testing detection efficiency with respect to all other layers
- *Pad-multiplicity* distribution filled by size of cluster in the **tested layer**



# MC Validation Process

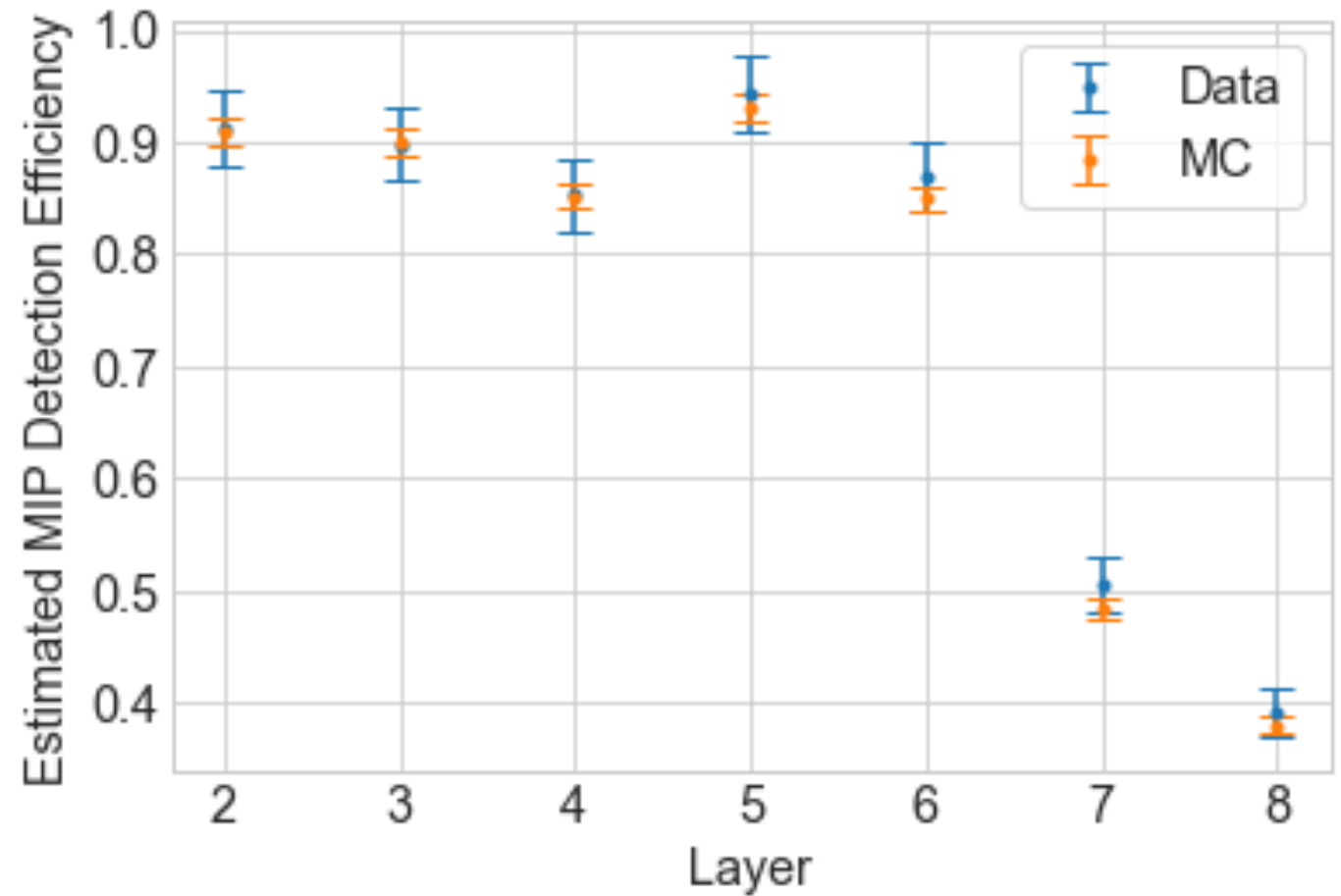
Comparing the following outputs:

- Estimated MIP detection efficiency
  - Using same method on data and MC.
- Number of hits per event for different cuts of events:
  - **MIP-like events:** events with single hit in the first and last chamber and up to 3 hits per chamber
  - **Telescope-assist selection:** a widening acceptance region while requiring a single hit in each of the first chambers

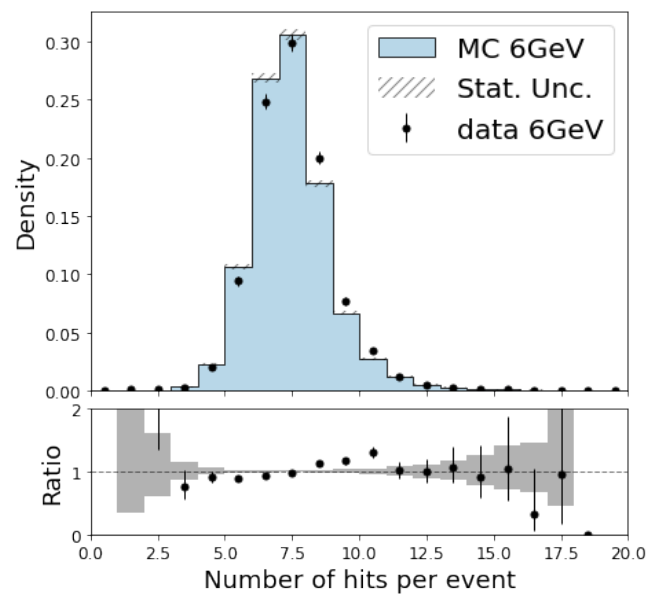
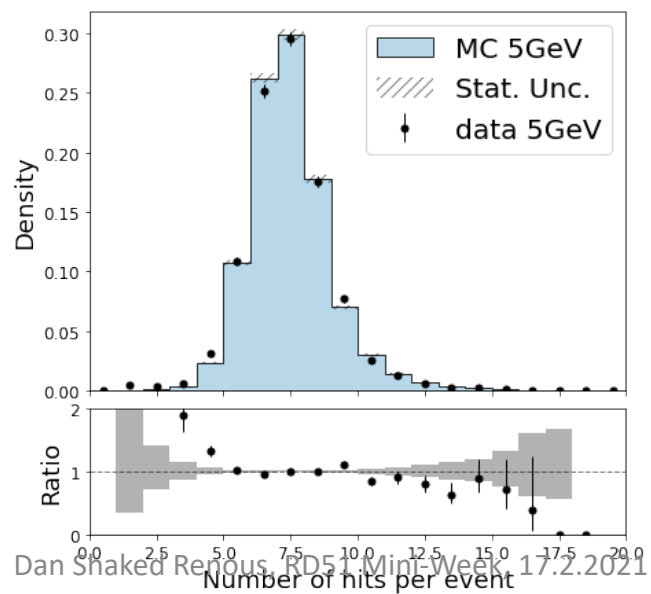
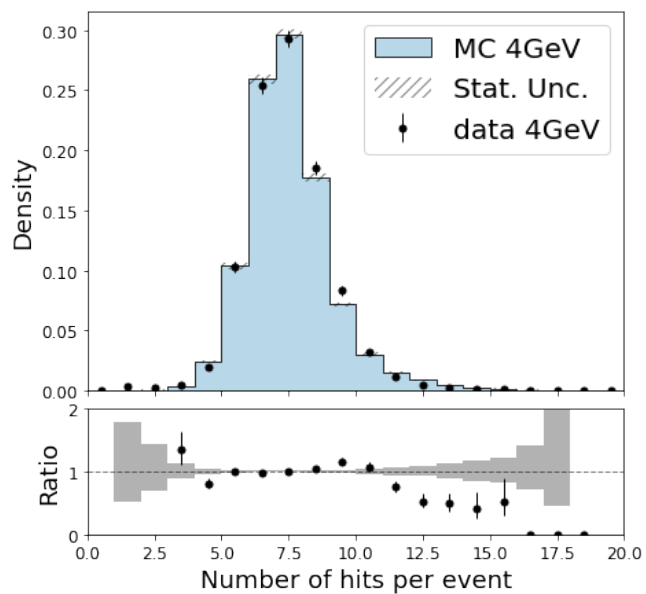
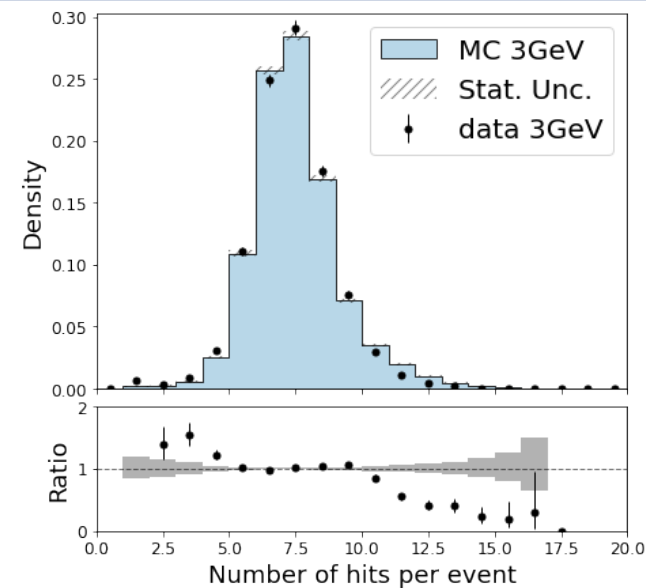
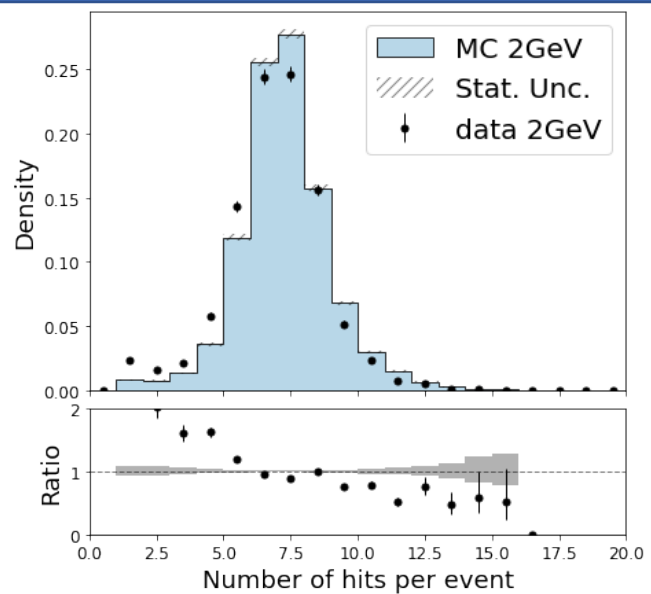
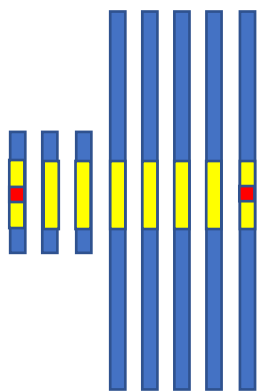


# Efficiency Estimation

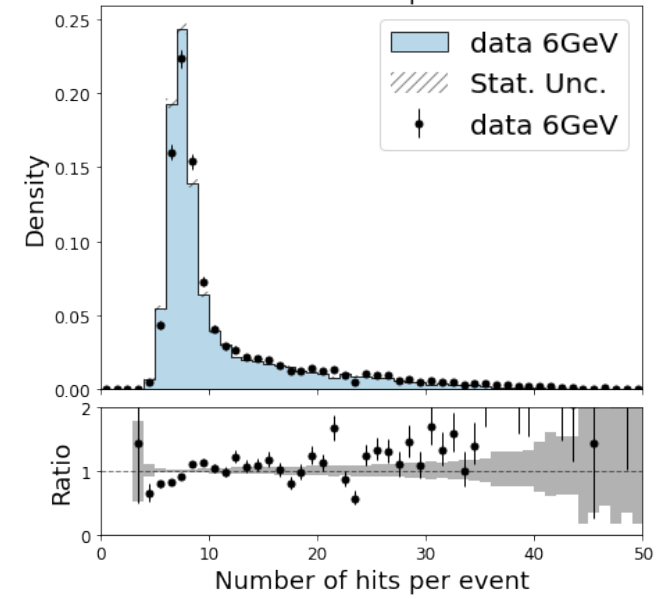
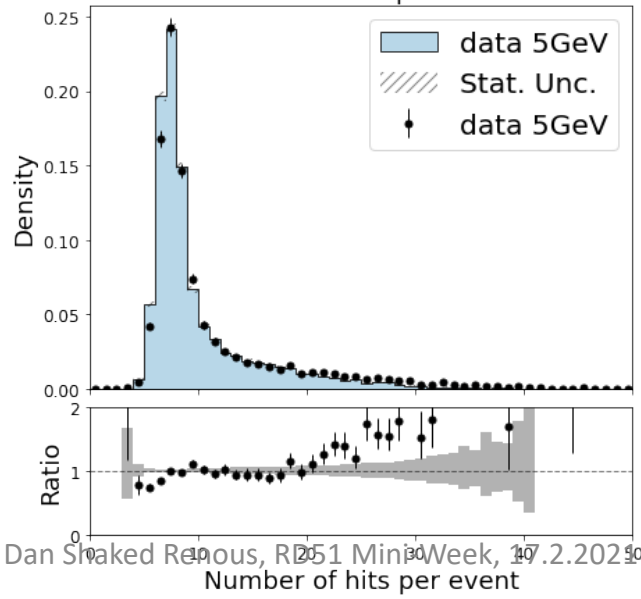
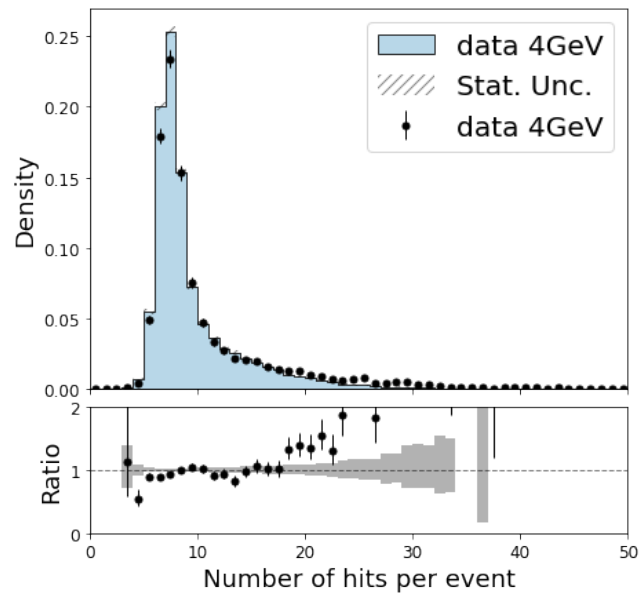
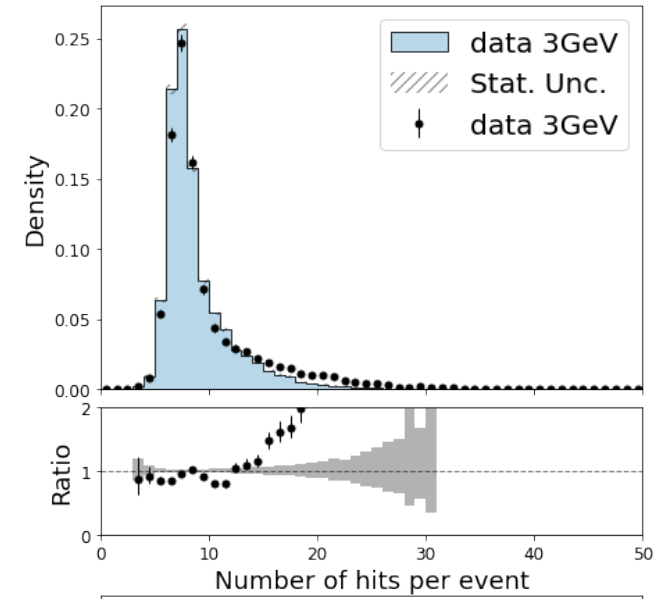
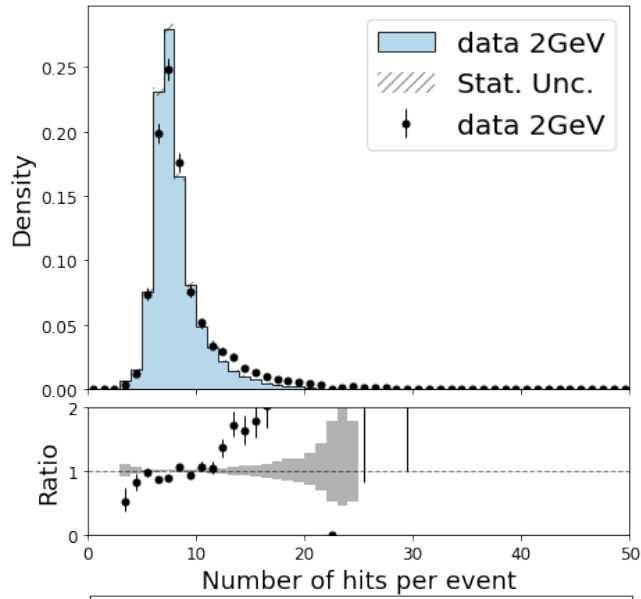
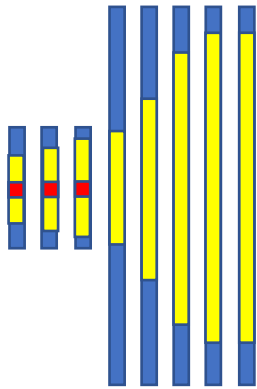
- Data suffers from high statistical uncertainties
- Agreement between data and MC



# MIP-like Events



# Telescope-assist Selection

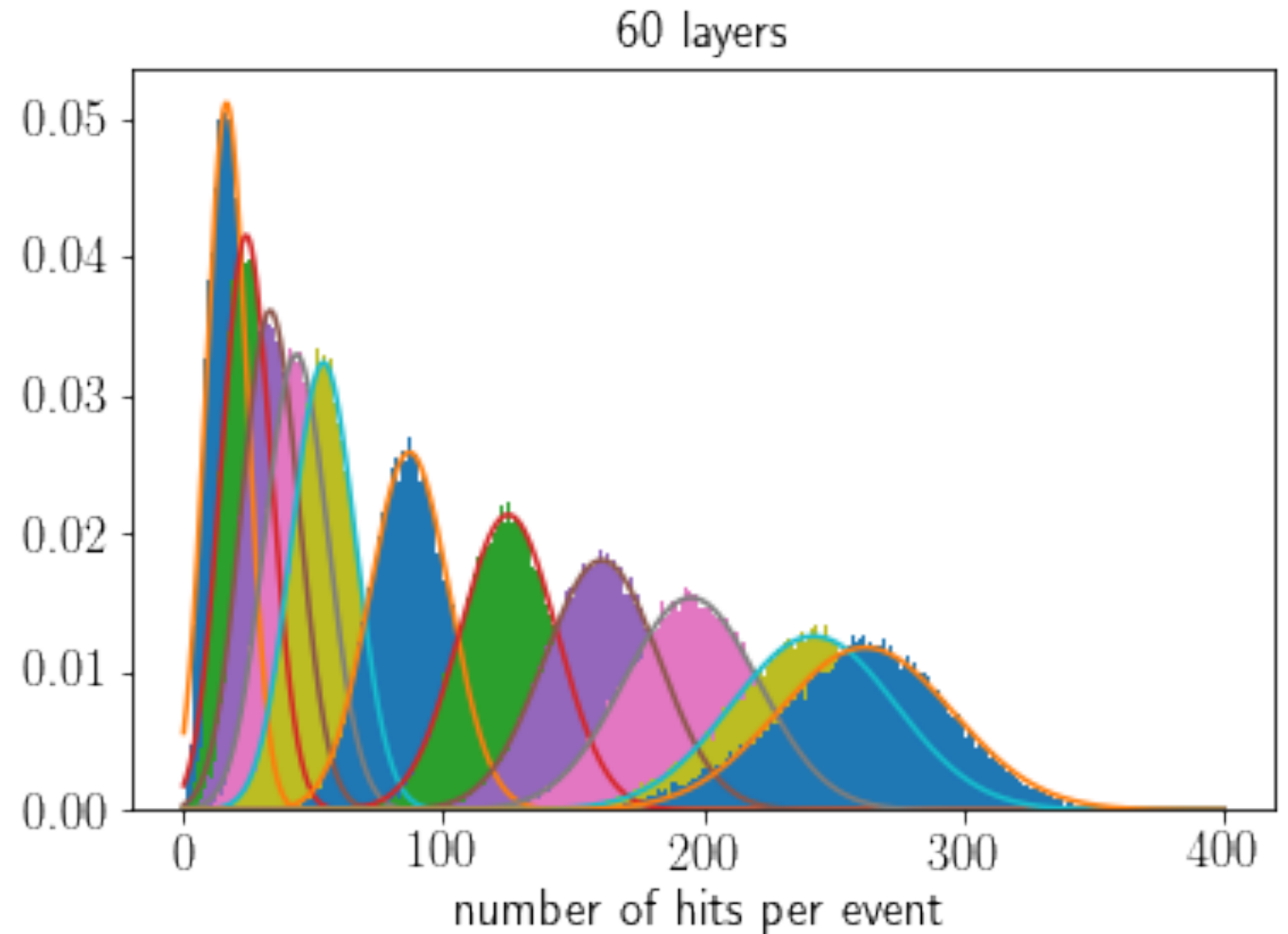


# Simulation: RPWELL-based DHCAL with 50-layers



# 50 Layers

- Pions beam energy values: 2, 3, 4, 5, 6, 10, 15, 20, 25, 30, 32, and 36 GeV
- Best RPWELL (TB Jul. '15)
  - 98% MIP detection efficiency
  - 1.37 average pad multiplicity



# Energy resolution: Estimation

- Extract calorimeter's response:

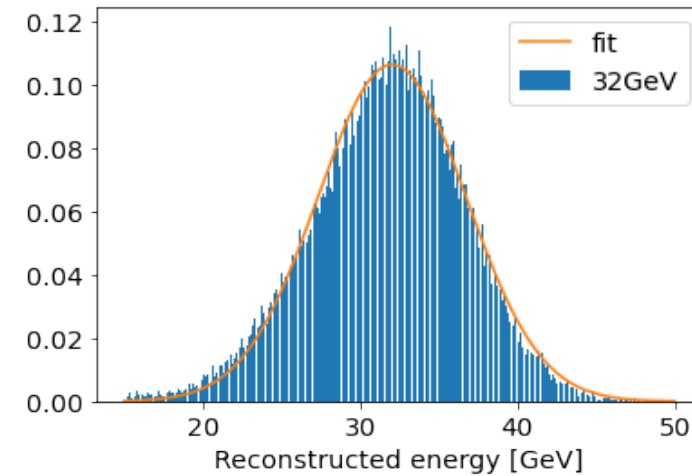
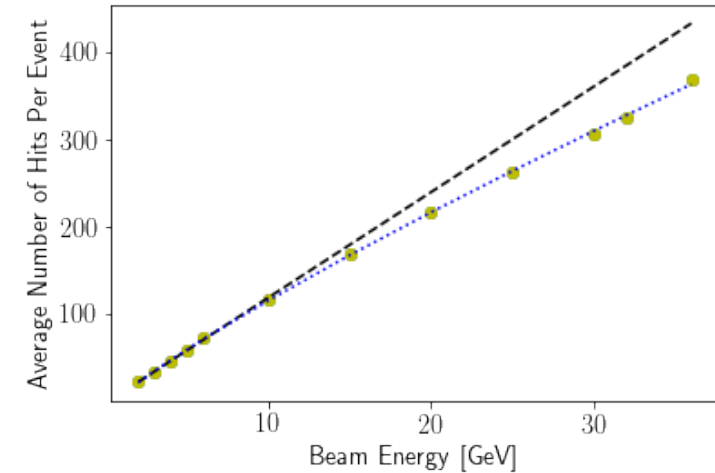
$$\langle N_{hits} \rangle = a \cdot E_{beam}^b - c$$

- Reconstructed energy using the inverse response function:

$$E_{rec} = \sqrt{\frac{b}{a} (N_{hits} + c)}$$

- Fit  $\frac{\sigma_{rec}}{\langle E_{rec} \rangle}$  as a function of  $E_{beam}$ :

$$\frac{\sigma}{E} = \frac{S}{\sqrt{E}} \oplus C$$



# $\pi$ Energy Resolution

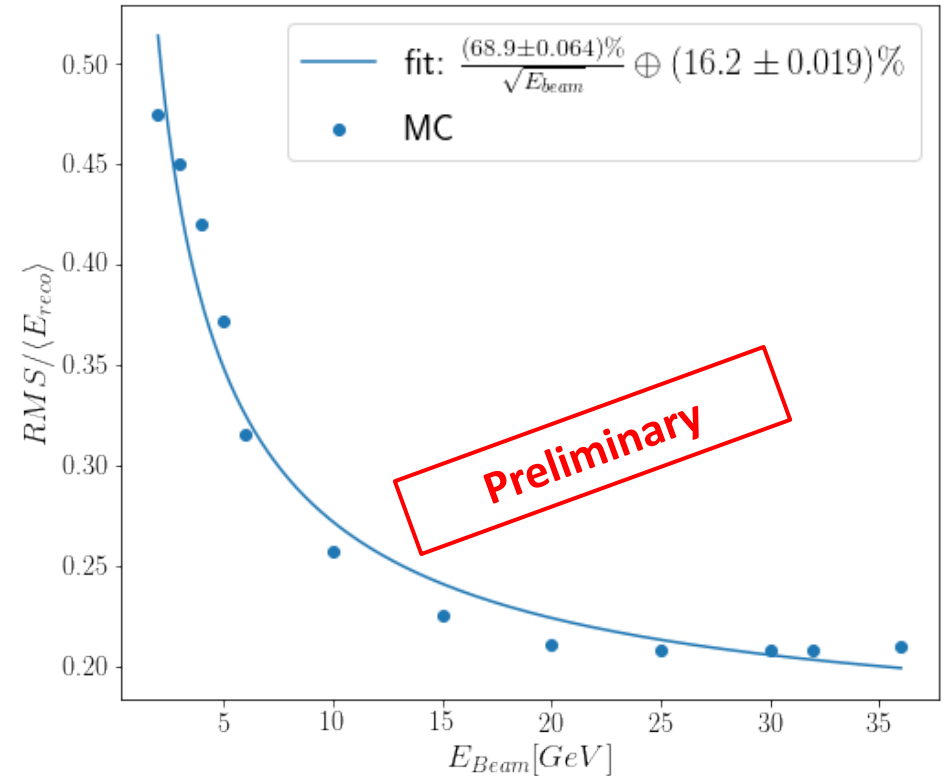
$$\frac{\sigma}{E} = \frac{68.9\%}{\sqrt{E_{beam}}} \oplus 16.2\%$$

Reference results: CALICE Fe-DHCAL

$$\frac{(51.5 \pm 1.5)\%}{\sqrt{E_{beam}}} \oplus (10.6 \pm 10.5)\%$$

Difference could be due to:

- Software compensation based on energy-density



# The next steps:

- Build new prototypes
  - New electrodes with uniformity  $<5\%$  are available
  - Improved construction techniques
- Hadron energy reconstruction using ML-tools
- Reduce confusion in energy deposits assignment to hadrons



Thank you!

Questions?

# Back up slides

# Energy Resolution: Parametrization

- **Stochastic term**

- Poisson-like statistics
- Intrinsic particle fluctuations, sampling, quantum fluctuations

- **Noise term**

- Internal (e.g. electronics) and external (e.g. pile-up) noise

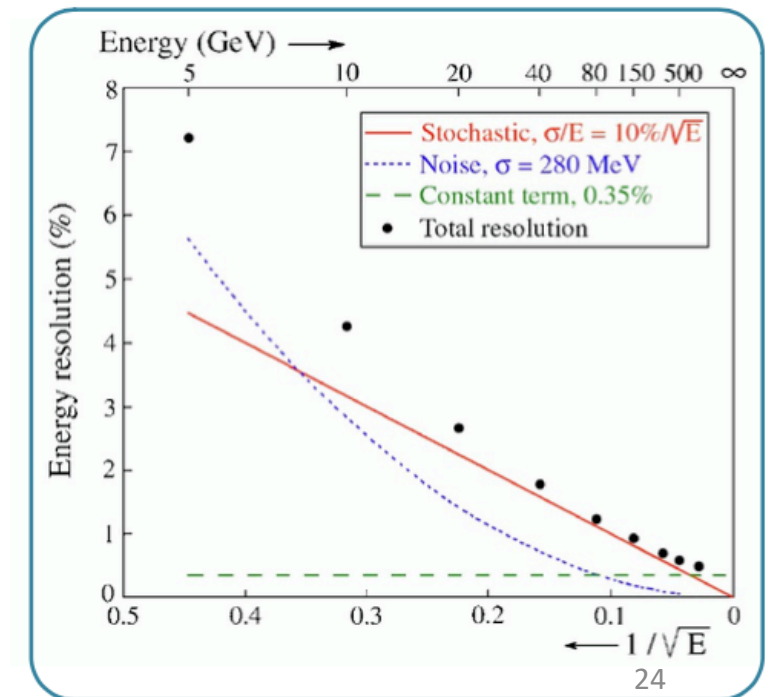
- **Constant term**

- Leakage
- Imperfections in construction, non-uniformity

$$\frac{\sigma(E)}{E} = \frac{\overset{\text{Stochastic}}{S}}{\sqrt{E}} \oplus \frac{\underset{\text{Noise}}{N}}{E} \oplus \overset{\text{Constant}}{C}$$

$\oplus$  = quadratic sum

Energy resolution in EM ATLAS barrel calorimeter



# Essential Input Of Simulation

