

# Study of hygroscopic expansion of anode read-out boards of gaseous detectors based on FR4

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# Introduction

Readout boards of modern gaseous detectors required to be very precise:

➤ Required accuracy  $\lesssim 100\mu m$

FR4 been a standard base material of the PCBs is hygroscopic

➤ FR4 swells under humidity exposure

➤ For large-size boards as ones used in Micromegas the hygroscopic expansion can be crucial

In the work the water absorption process by specific FR4 material is experimentally studied:

➤ Specifics of diffusion in FR4 are discussed

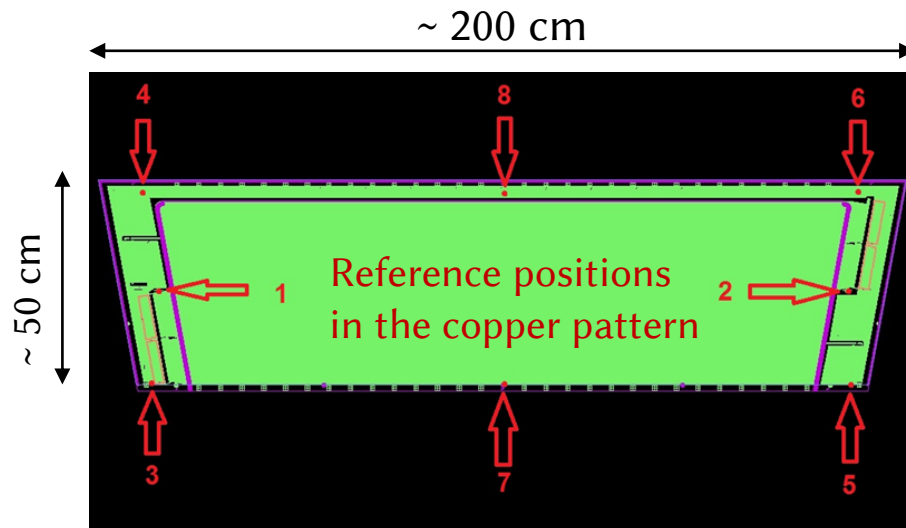
➤ Methods for measurements of expansion are considered

➤ Measurements with 2 FR4 samples are presented and discussed

# Long-term measurements with ATLAS pre-series boards

The boards brought into the laboratory from outside

- stored for ~1 month
- without T & RH control
- with T & RH monitoring



# Long-term measurements with ATLAS pre-series boards

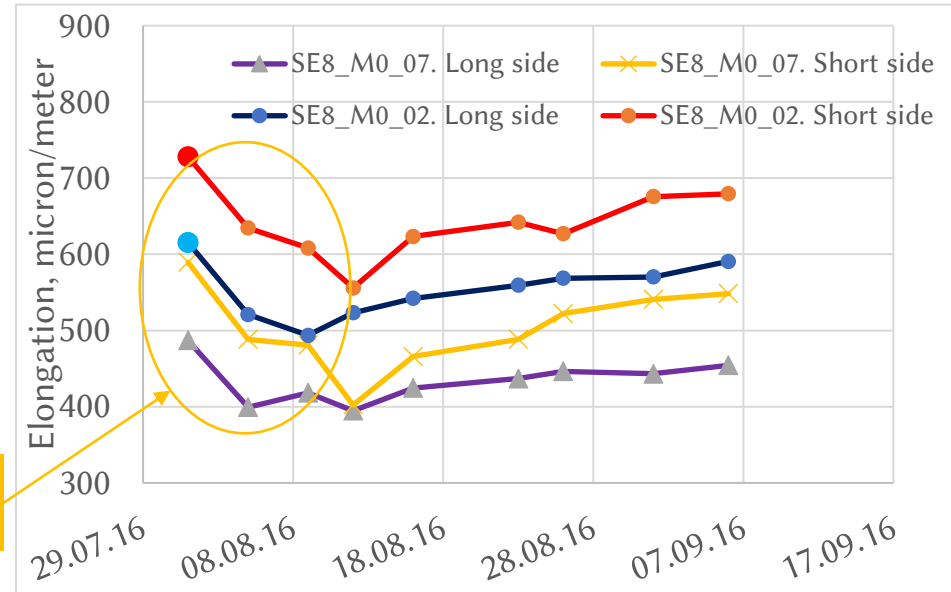
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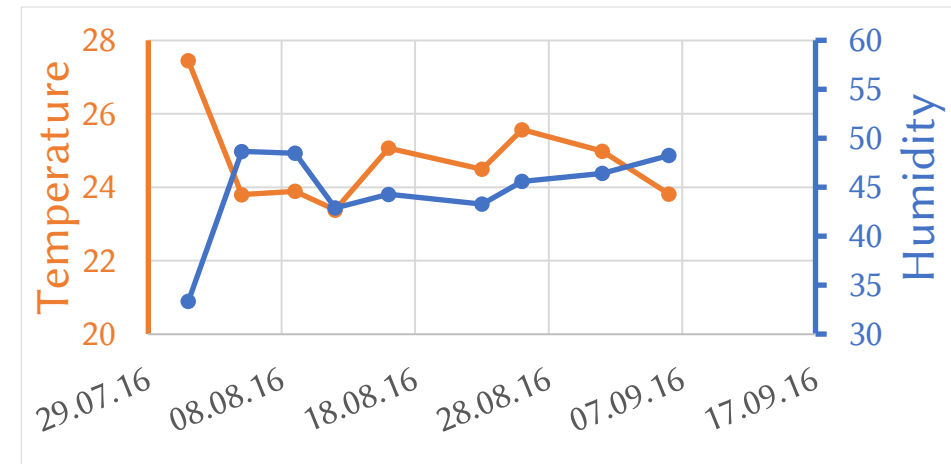
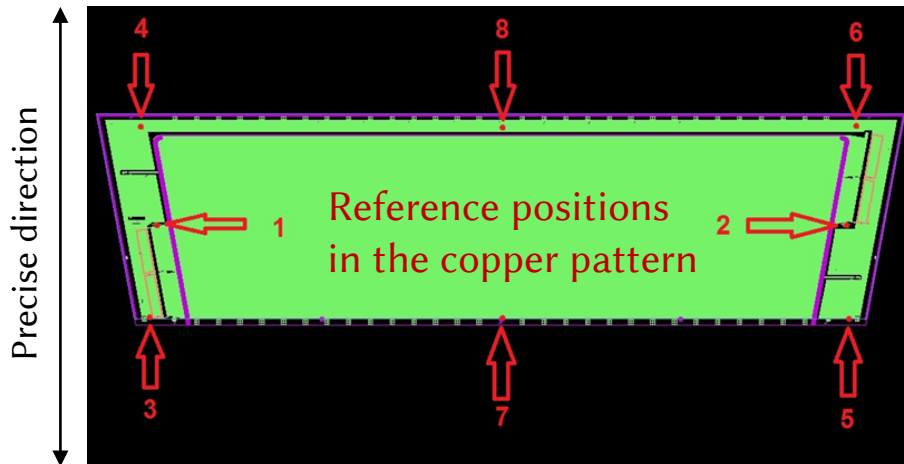
Results:

- Elongation up to 700  $\mu\text{m}/\text{m}$  from nominal values

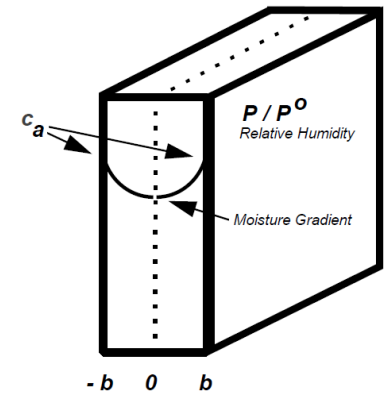
Conditioning in the laboratory atmosphere



Non-precise direction. Strips are parallel to the arrow.



# Mathematics of diffusion



$$\frac{\partial C}{\partial t} = D \frac{\partial^2 C}{\partial x^2},$$

$$C = C_a, x = b, t > 0,$$

$$C = C_0, x < b, t = 0.$$

$C$  - concentration

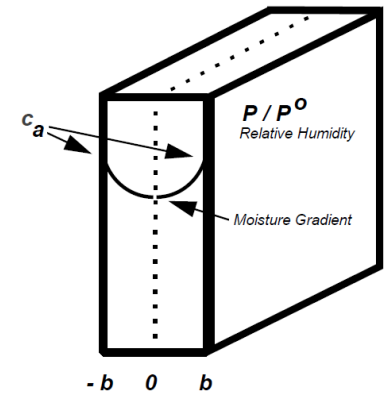
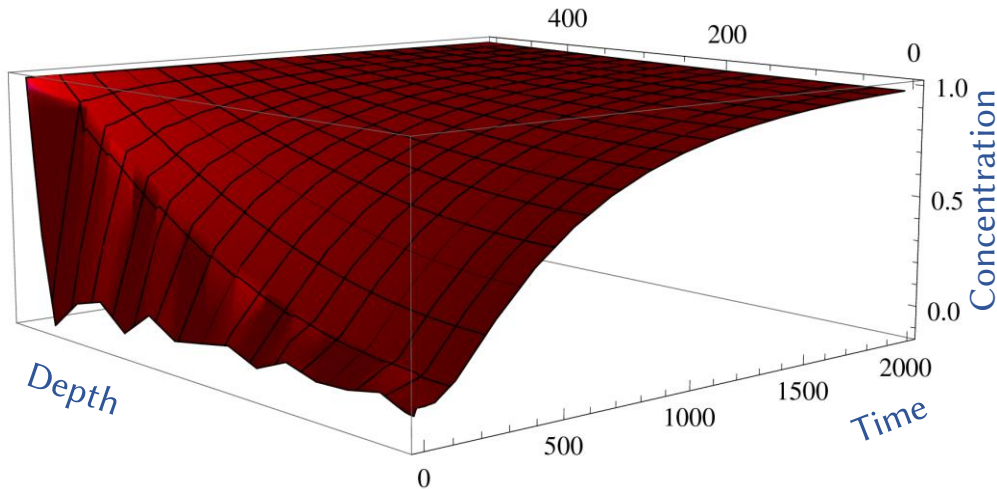
$D$  - diffusion coefficient

$2b$  - thickness

# Mathematics of diffusion

The corresponding solution of the Cauchy problem for diffusion in a plane sheet (1D case) is

$$\frac{C(x, t) - C_0}{C_a - C_0} = 1 - \frac{4}{\pi} \sum_0^{\infty} \frac{(-1)^n}{2n + 1} \exp \left\{ -\frac{D(2n + 1)^2 \pi^2 t}{4b^2} \right\} \cos \frac{(2n + 1)\pi x}{2b}.$$



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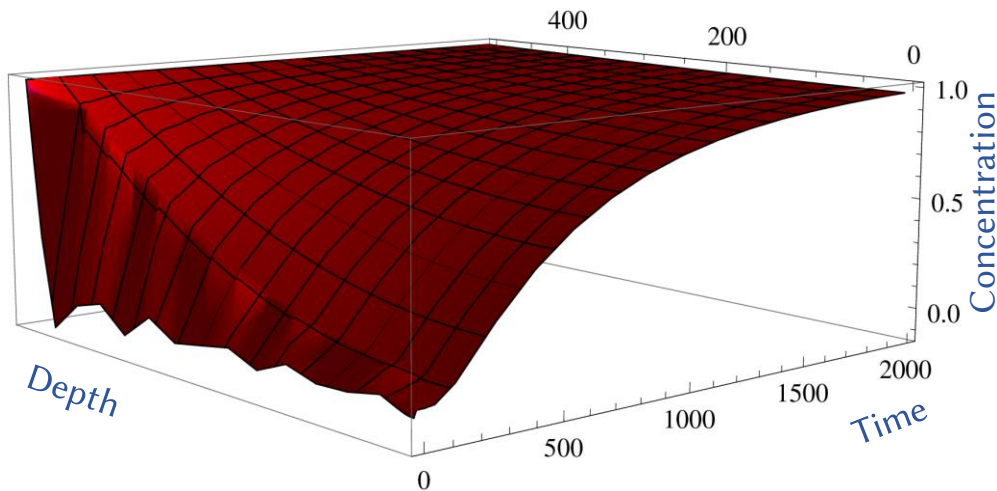
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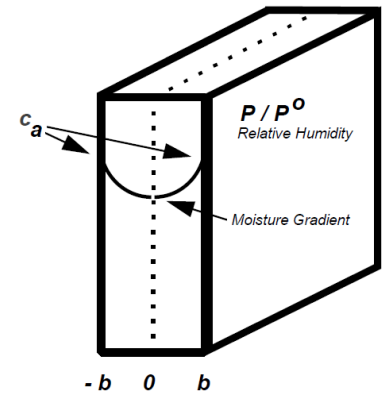
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Integrating along the depth direction one gets the function corresponding to the water mass uptake:

$$\frac{M(t)}{M_{\infty}} = 1 - \frac{8}{\pi^2} \sum_{n=0}^{\infty} \frac{1}{(2n + 1)^2} \exp \left[ -\frac{D(2n + 1)^2 \pi^2}{4b^2} t \right].$$

\* More information one can find in [1].



$$\frac{\partial C}{\partial t} = D \frac{\partial^2 C}{\partial x^2},$$

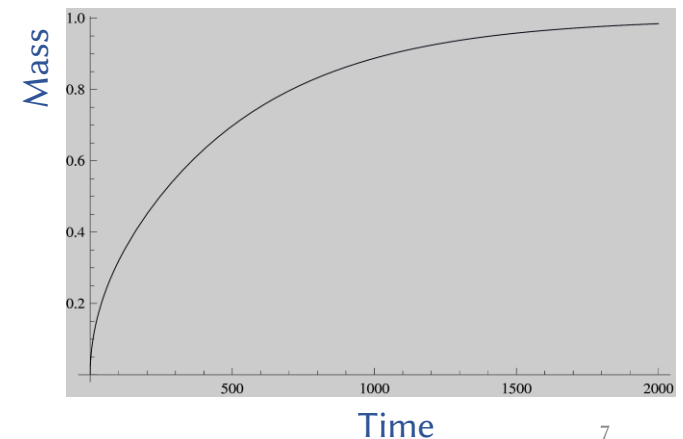
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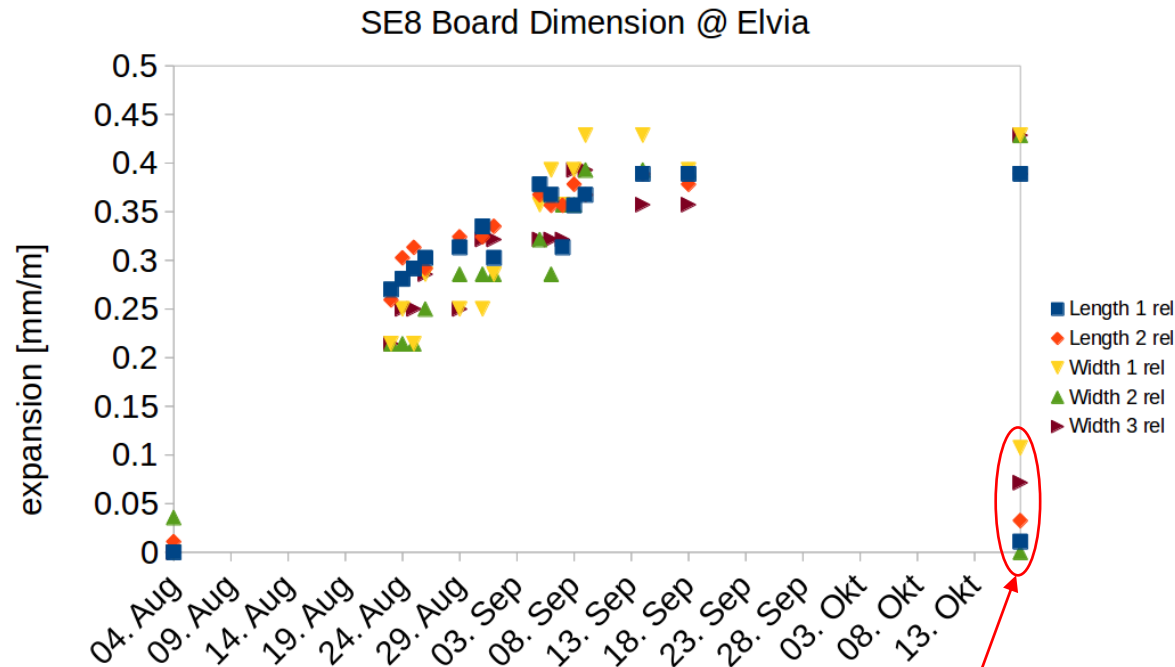
$C$  - concentration

$D$  - diffusion coefficient

$b$  - thickness



# Long-term measurements by ELVIA at 50% RH



- Saturation reached at  $400 \mu\text{m}/\text{m}$  in  $\sim 1$  month
- Consequential heating up to  $130^\circ\text{C}$  resulting in recovering of the board

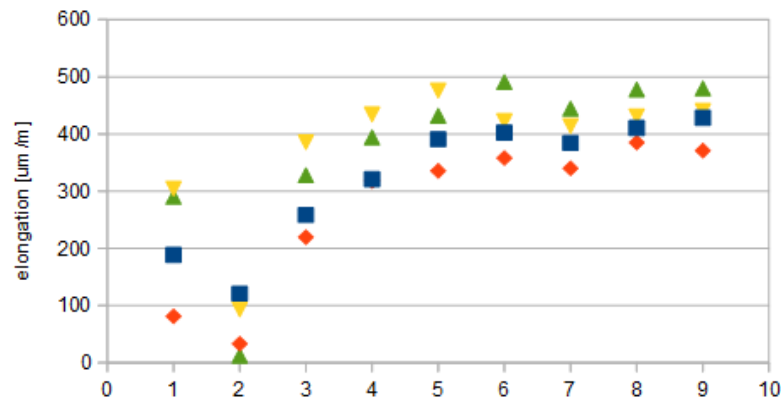
Solution adopted by ATLAS is to rescale the mask of the initial copper image

- Applied scaling factor for ELVIA boards is  $\sim 400 \mu\text{m}/\text{m}$

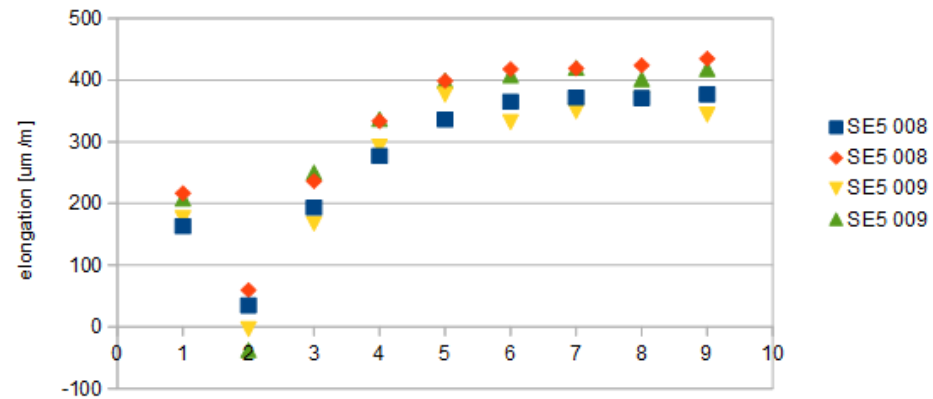


# Long-term measurements by ELTOS at 50% RH

short direction SE5



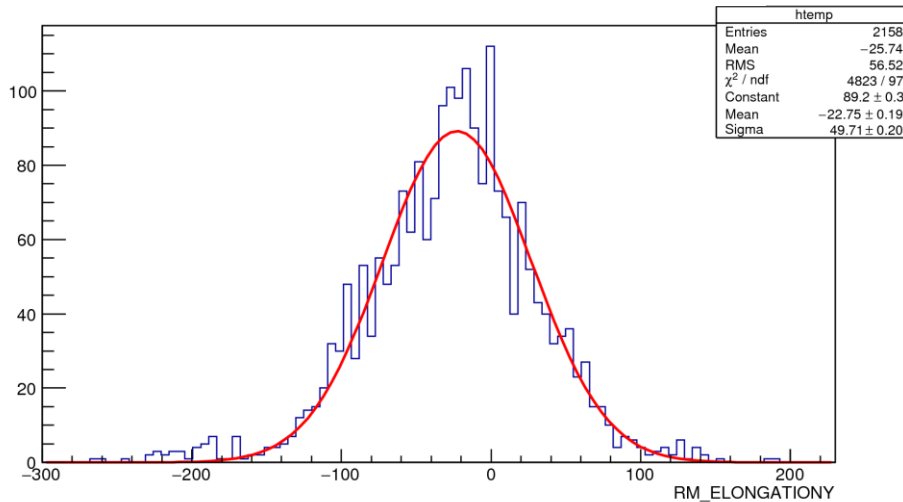
long direction SE5



- Saturation along strips was reached at  $\sim 390 \mu\text{m}/\text{m}$
- Across strips – at  $\sim 430 \mu\text{m}/\text{m}$
- Applied scaling factor for ELTOS boards is  $\sim 430 \mu\text{m}/\text{m}$  in both directions

# Statistics on series anode PCBs

Precision direction

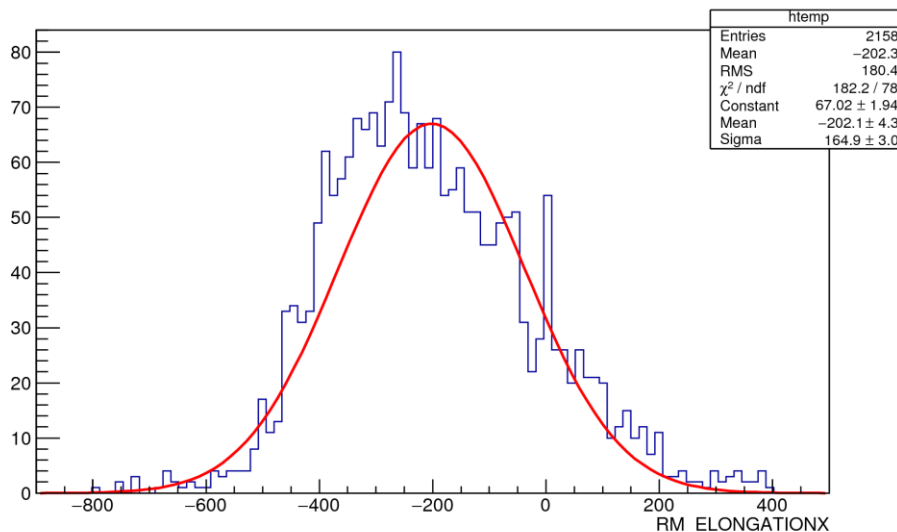


- The measurements done during QA/QC procedure at CERN using the specific optical tool

Specified tolerance

- Precise direction:  $\pm 100 \mu\text{m}$
- Non-precise direction:  $\pm 500 \mu\text{m}$

Non-precision direction



Precise direction:

- Average elongation:  $-25.74 \mu\text{m}$
- Uniformity (sigma):  $56.52 \mu\text{m}$

Non-precise direction:

- Average elongation :  $-202.3 \mu\text{m}$
- Uniformity:  $180.4 \mu\text{m}$

Rescaling worked well!

# Principles of water absorption in FR4

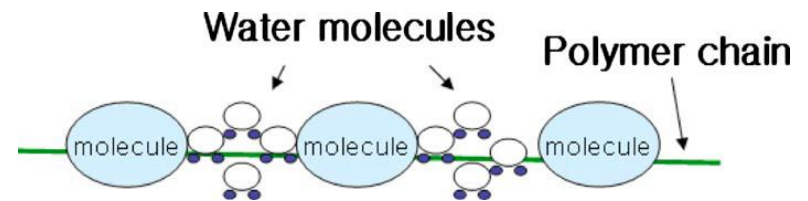
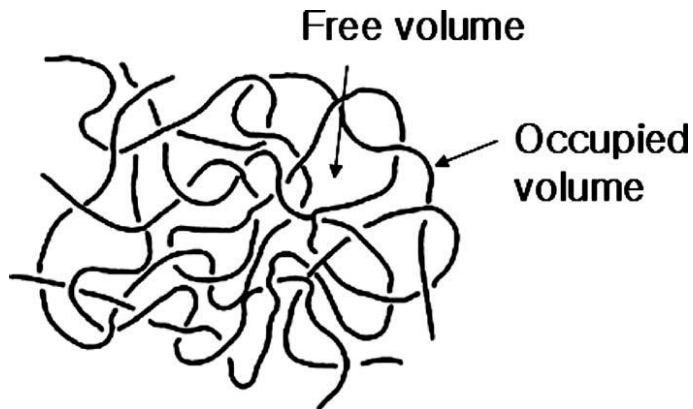
FR4 is a composite material: fiberglass grid layers filled with epoxy, pressed and cured.

Epoxy consists of polymer chains with free spaces between them.

- Fiberglass doesn't absorb water
- Epoxy can absorb water

Absorption into free volume between chains does not affect on specimen size.

Molecules of water can create hydrogen bounds with polymer that leads to swelling of the material.



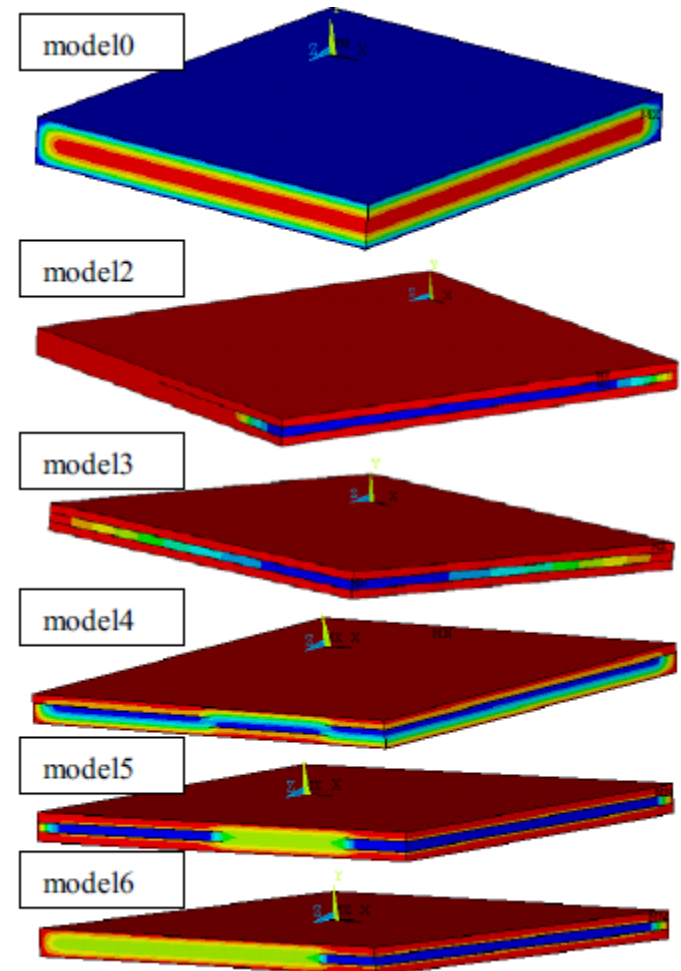
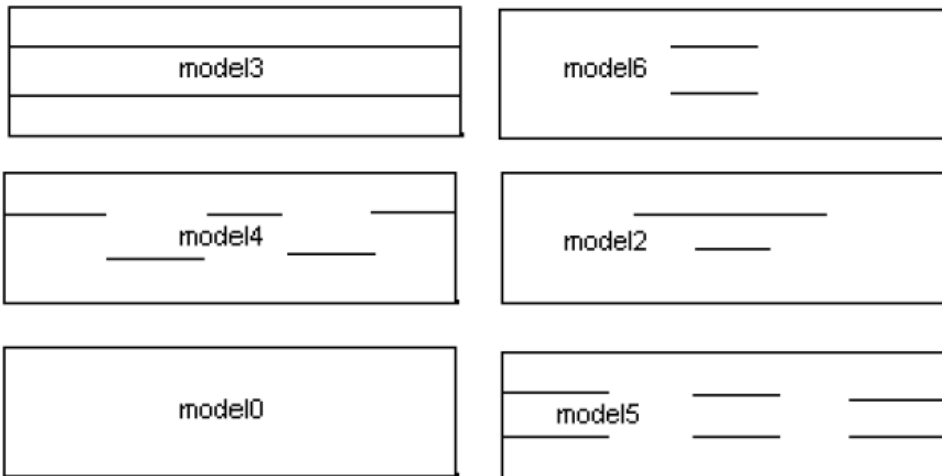
# Influence of copper layers [2]

- Copper layers act as a barrier to water
- Experimental results confirmed by modeling

Here on the pictures:

➤ Red – 0% RH

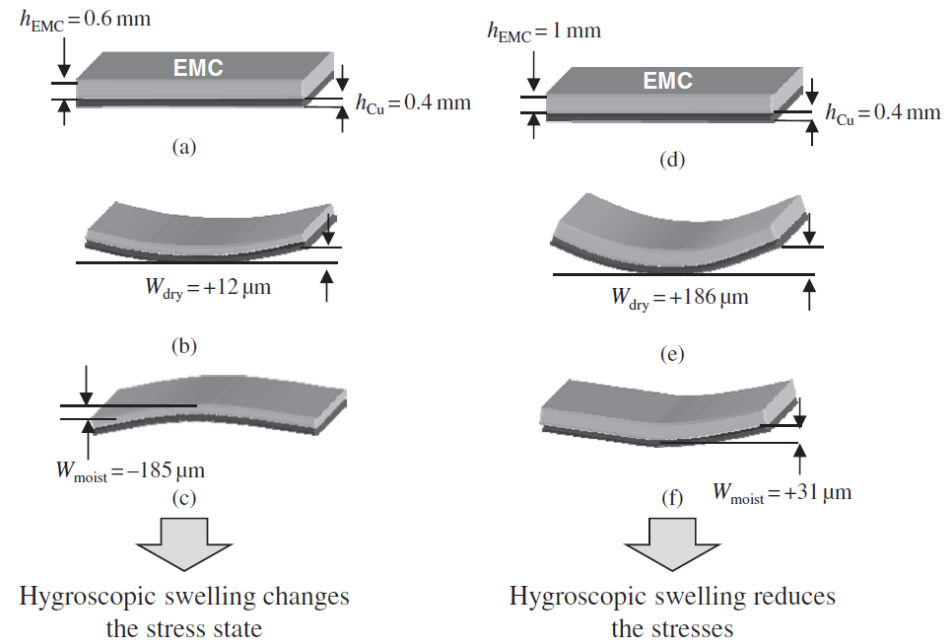
➤ Blue – 100% RH



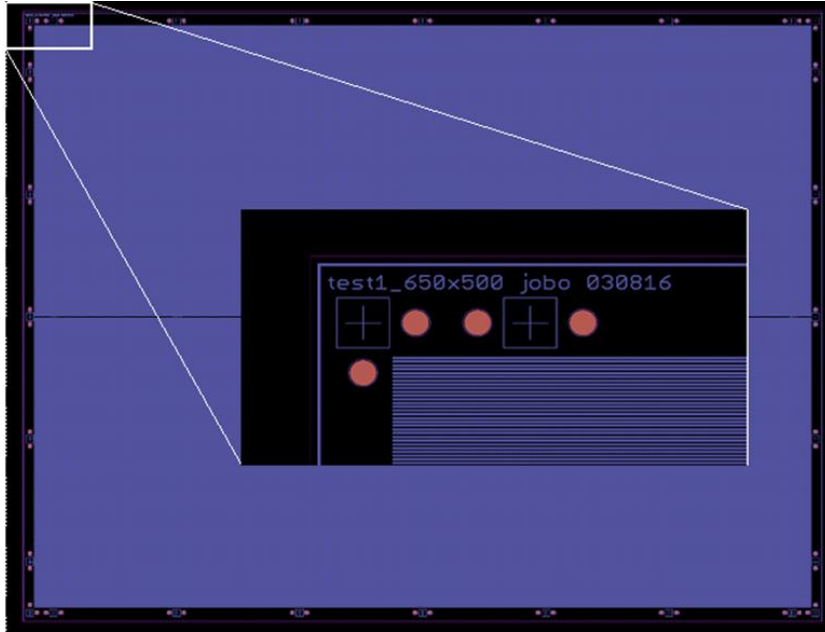
# Methods for swelling estimation

- Using micrometer [3]
- Moiré interferometry [4]
  - submicron accuracy
- Thermomechanical analysis [5]
  - only desorption process can be studied
- Warpage Measurement of Bi-material sample [5]
  - can be compared with modeling of internal stresses in a specimen

The methods can be applied only to small-size specimens.



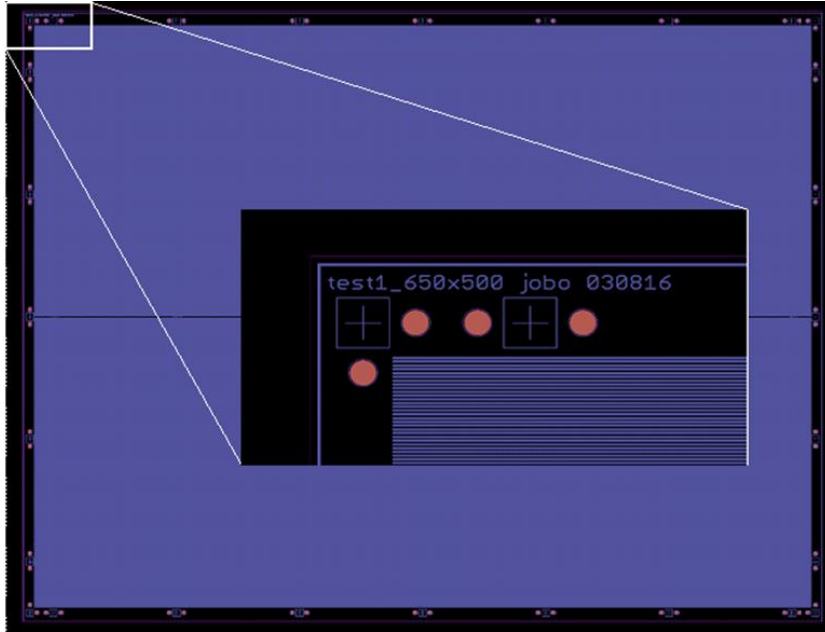
# Experimental technique



Two samples:

- 650x500x0.5 mm
- Fiberglass FR4 EM-370DDM
- Copper layers of 18  $\mu\text{m}$  thick
- 1024 copper strips on face side
- 1<sup>st</sup> sample has no copper on back side
- 2<sup>nd</sup> sample has entire layer of copper on back side
  
- Standard test by supplier showed less than 0.1% change of the mass of the dry sample
- We didn't find any reference study on the expansion of this material

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  - Preconditioned at 130°C for 24h
- Moisture conditioning done using the climatic chamber at CERN

Table 1. Initial dimensions of the samples.

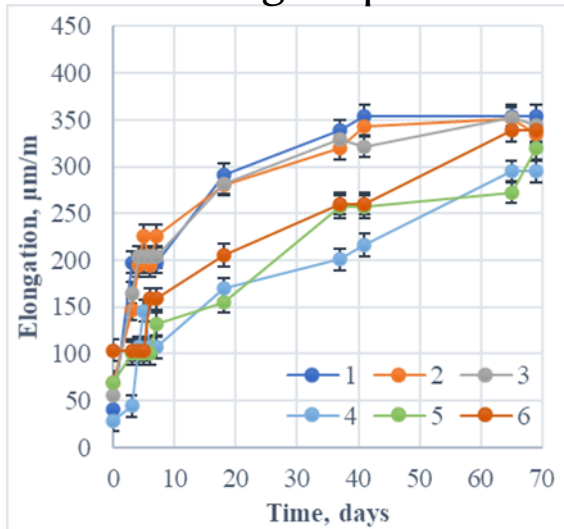
Sample	Along strips, mm			Across strips, mm		
	Top	Middle	Bottom	Left	Middle	Right
1	638.068	638.062	638.071	484.079	484.075	484.062
2	638.082	638.036	638.034	484.032	484.022	484.020

- Measurements done using precise glass ruler outside the chamber
- $\sigma_{\text{inst}} = 5 \mu\text{m}$
- Elongation expressed as
- $L = (l_t - l_0)/l_0 \cdot 10^6 \mu\text{m/m}$

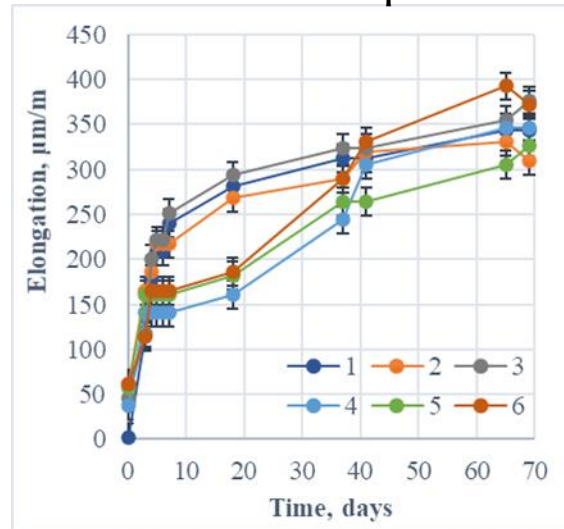
# Elongation at 50% RH and 21°C

- The samples (almost) reached saturation
  - Measurements at different positions are consistent
  - Values for the sample 2 are less consistent
- Rate is different for the two samples but **not** for different directions
  - Saturation value is approximately the **same** for both samples
  - Reached at ~350  $\mu\text{m}/\text{m}$

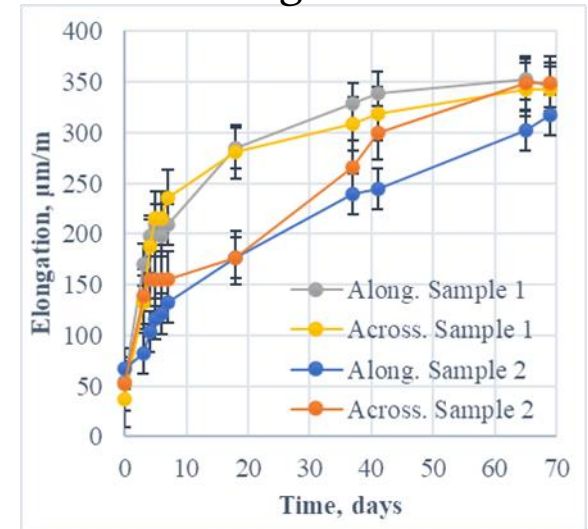
Along strips



Across strips

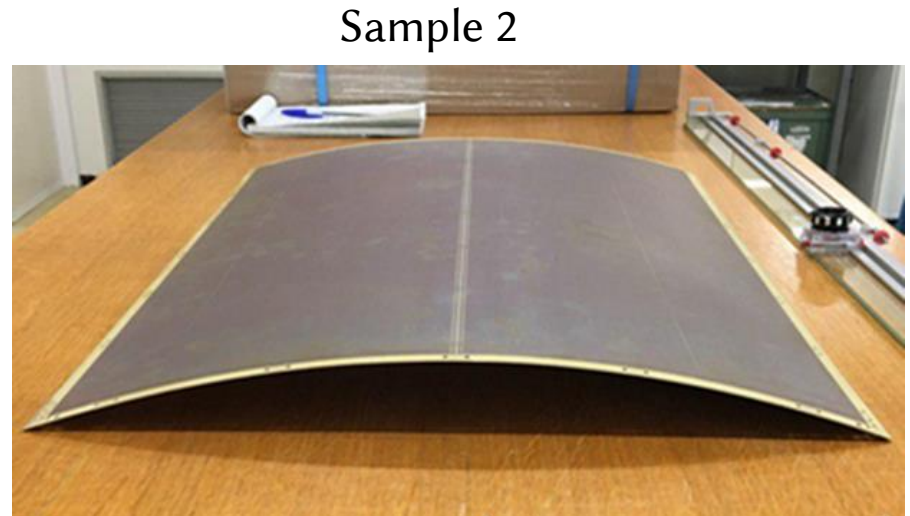
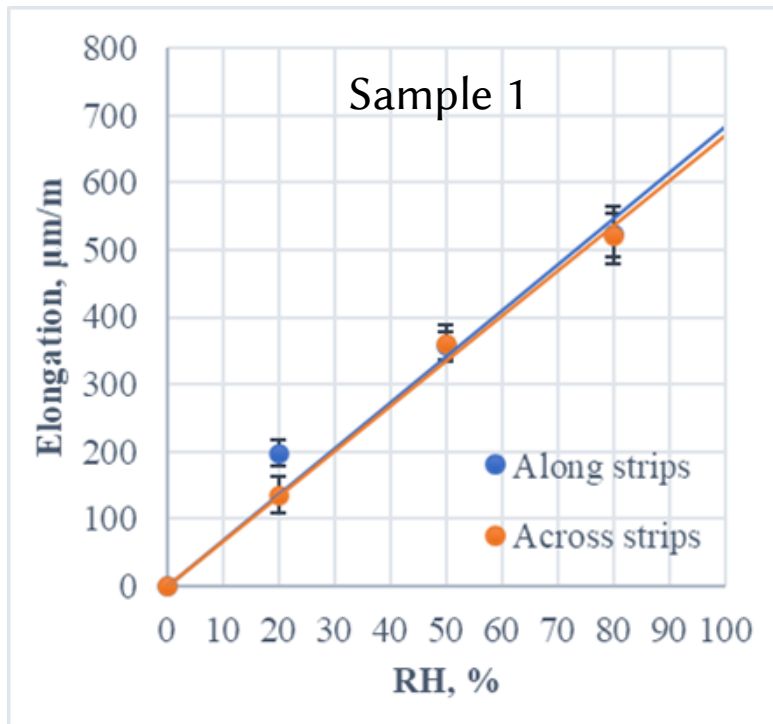


Average values





# Coefficient of linear expansion



The measurements done only for sample 1

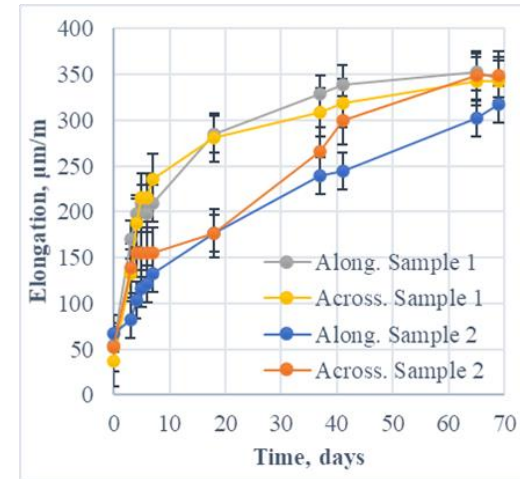
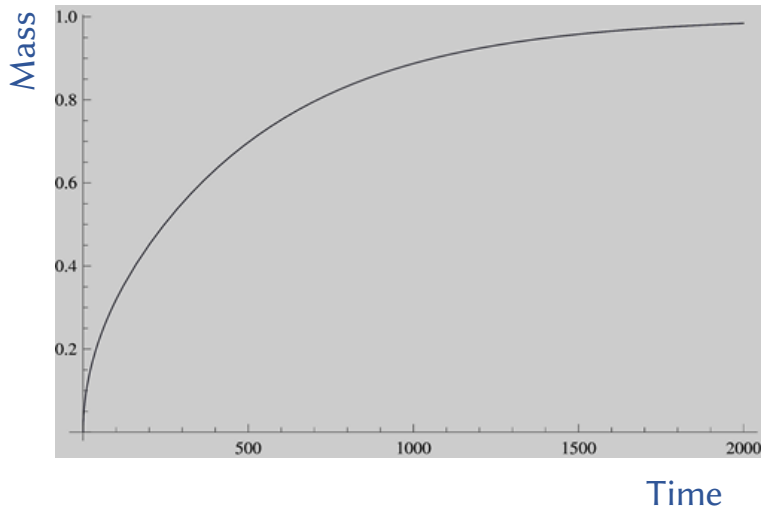
➤  $\beta_{\parallel} = (7.1 \pm 0.3) \mu\text{m/m}/\%$

➤  $\beta_{\perp} = (6.9 \pm 0.4) \mu\text{m/m}/\%$

$\langle \beta \rangle = (7.0 \pm 0.2) \mu\text{m/m}/\%$

- Large board bended affected by moisture
- Shape recovered after drying the board

# Characterization of expansion rate. Partial diffusion coefficient.



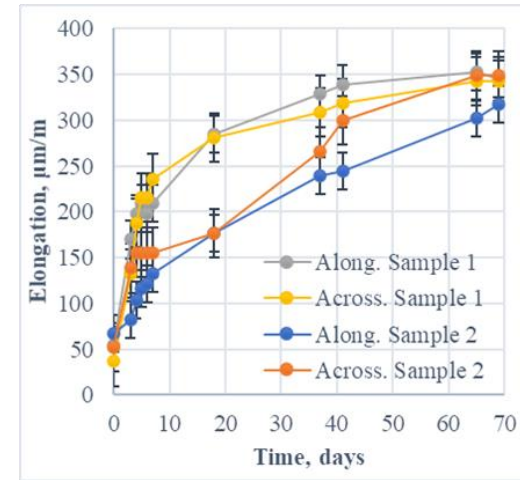
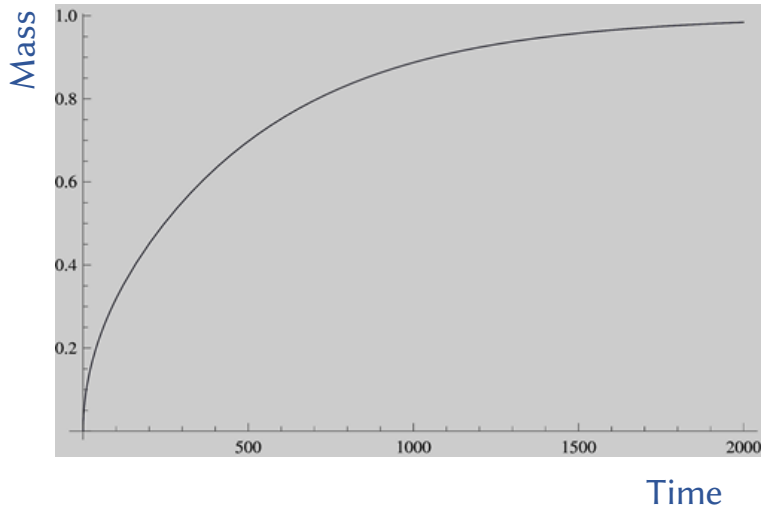
$$\frac{L(t)}{L_{\infty}} = 1 - \frac{8}{\pi^2} \sum_{n=0}^{\infty} \frac{1}{(2n+1)^2} \exp\left[-\frac{D'(2n+1)^2\pi^2}{4b^2}t\right]$$

For  $L(t)/L_{\infty} < 0.55$ :

$$\frac{L(t)}{L_{\infty}} = \frac{4}{2b} \sqrt{\frac{D'}{\pi}} \sqrt{t},$$

where  $D'$  is **partial** diffusion coefficient

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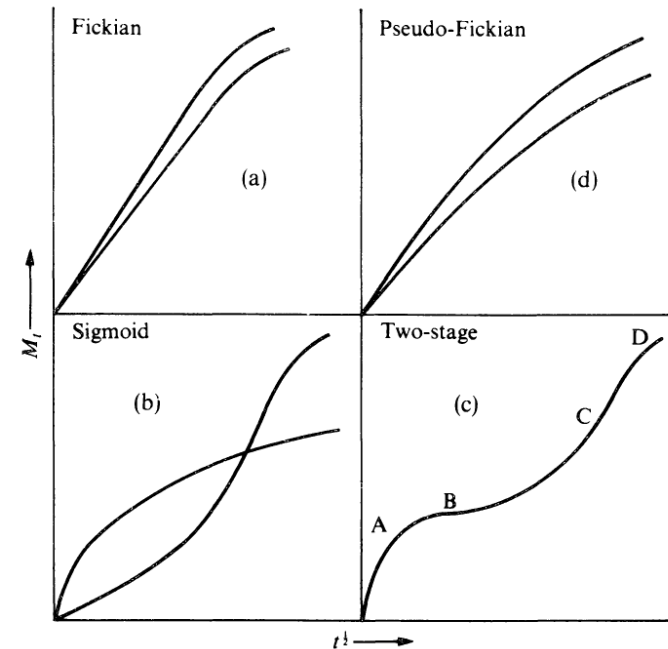


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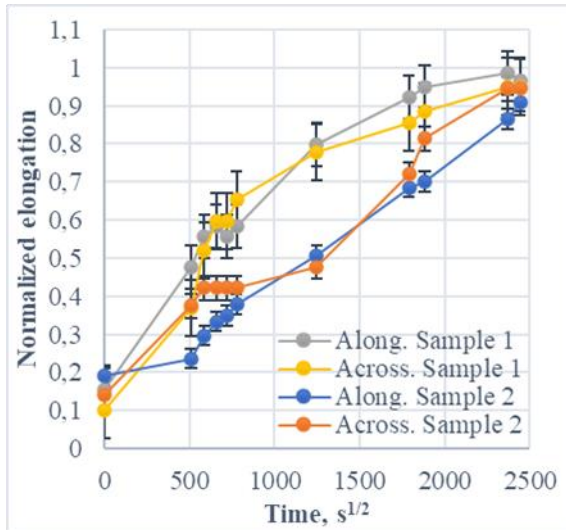
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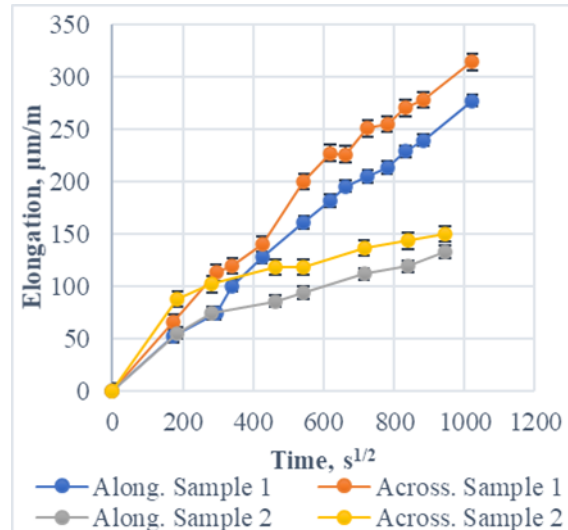


# Partial diffusion coefficient

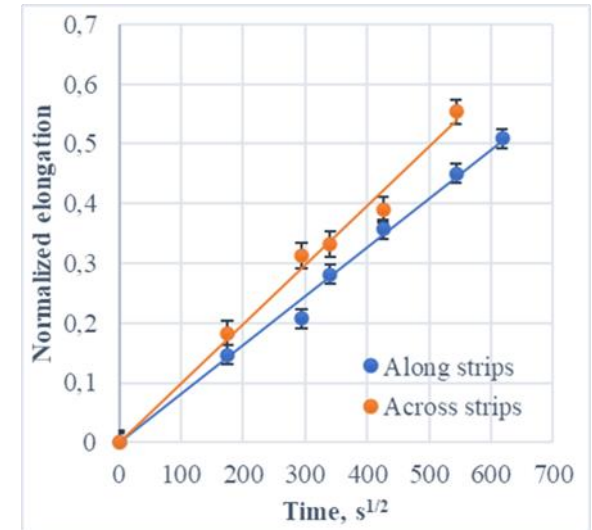
$L(t^{1/2})$  coordinates



$L(t^{1/2})$  coordinates. Remeasured



1<sup>st</sup> sample. Linear fit



- Difference between the samples is obvious in  $L(t^{1/2})$  coordinates
- During the first two days the samples expand simultaneously

At 21°C and 50% RH the partial diffusion coefficients for the sample w/o full copper layer measured to be

- $D'_{\parallel} = (3.4 \pm 0.2) \times 10^{-2} \mu\text{m}^2/\text{s}$
- $D'_{\perp} = (4.7 \pm 0.5) \times 10^{-2} \mu\text{m}^2/\text{s}$

# Conclusion

- Rates of elongation of both samples differ from each other as well as in directions along and across strips of each sample.
  - This difference is accounted for the different copper pattern of the samples.
- The equilibrium elongation in both directions of both samples is consistent within the measurement errors.
- The linear swelling coefficient for the sample w/o full copper layer is
  - $\beta = (7.0 \pm 0.2) \mu\text{m}/\text{m}/\%$ .
- The swelling of the sample w/o full copper layer is described by the solution of the Fick's equation for an infinite sheet. Partial diffusion coefficients at 21°C/50% RH along and across the copper strips is
  - $D'_{\parallel} = (3.4 \pm 0.2) \times 10^{-2} \mu\text{m}^2/\text{s}$
  - $D'_{\perp} = (4.7 \pm 0.5) \times 10^{-2} \mu\text{m}^2/\text{s}$
- For the sample with copper layer on back side, the elongation curves cannot be described by the solution of the Fick's equation.

# Acknowledgments

We would like to express gratitude to Rui De Oliveira and CERN PCB Production Workshop for the production of the samples and the valuable discussions, and the CERN Bond Lab for the usage of the climatic chamber and the working space in the clean room of the lab.

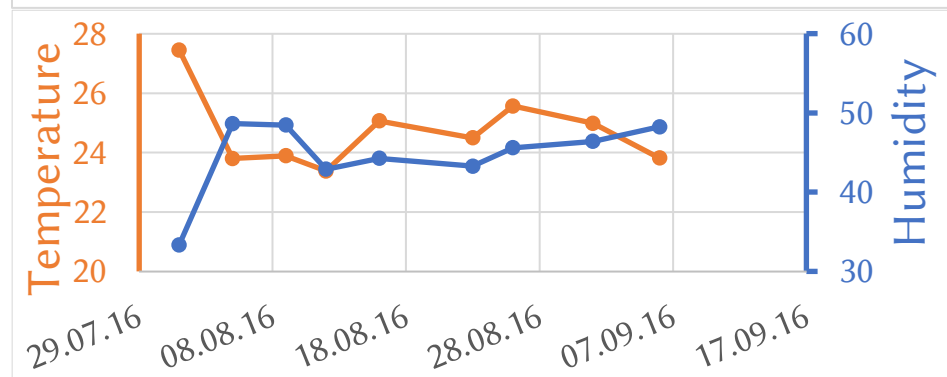
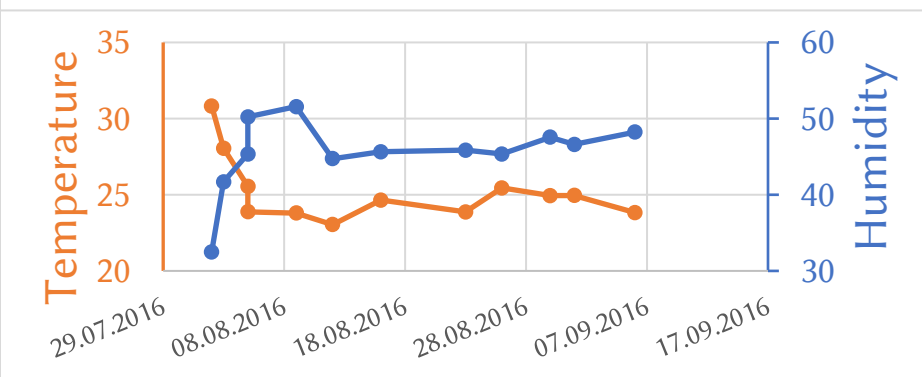
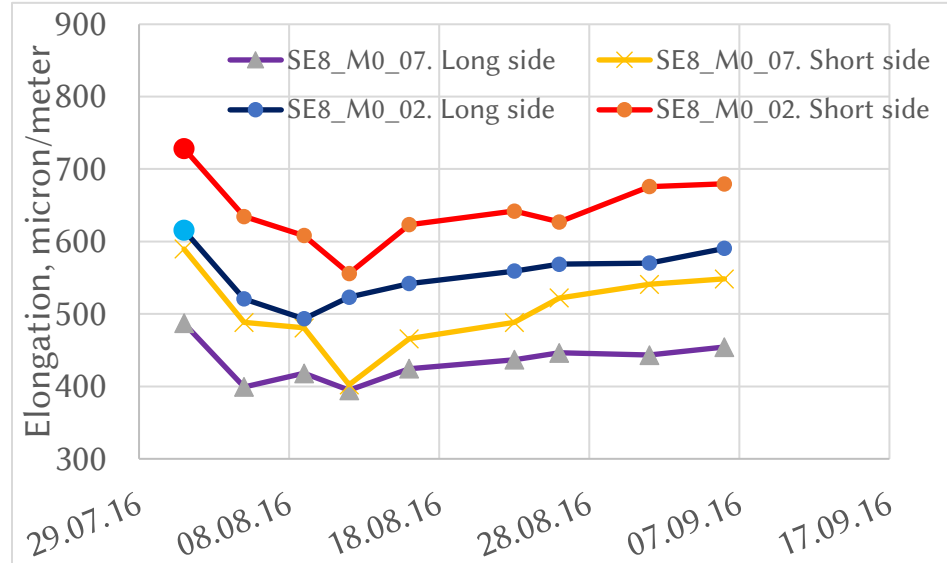
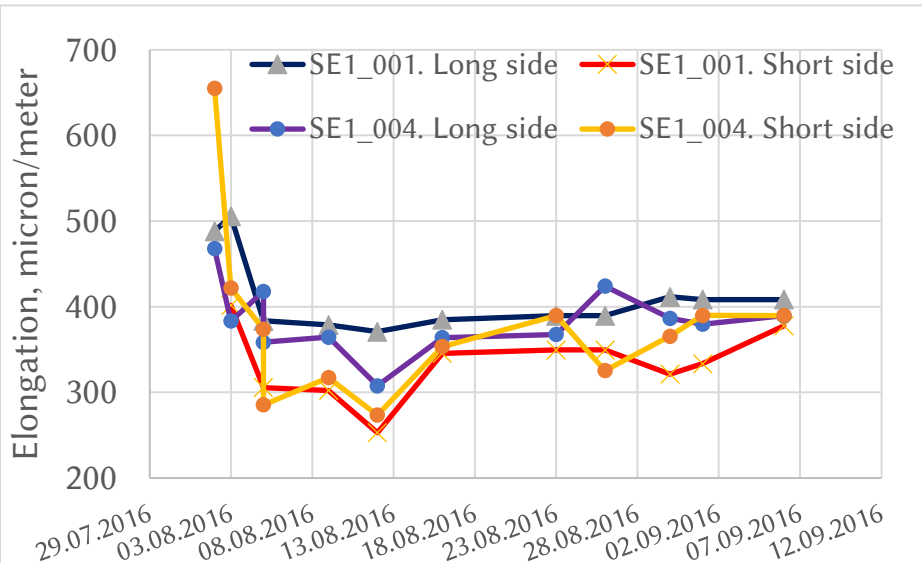
# References

1. J. Crank, *The Mathematics of Diffusion*, Oxford, U.K: Oxford Univ.Press, 1975.
2. K. Weide-Zaage, W. Horaud and H. Frémont, *Moisture diffusion in Printed Circuit Boards: Measurements and Finite-Element-Simulations*, *Microelectronics Reliability*, Vol. 45, Issues 9–11 (2005), p. 1662-1667.
3. Adamson, M.J., *Thermal expansion and swelling of cured epoxy resin used in graphite/epoxy composite materials*, *J Mater Sci* 15, 1736–1745 (1980).
4. Yoon, J., Kim, I. and Lee, S., *Measurement and Characterization of the Moisture-Induced Properties of ACF Package*, *ASME. J. Electron. Packag.* 2009, 131(2): 021012.
5. Shirangi M.H. and Michel B. *Mechanism of Moisture Diffusion, Hygroscopic Swelling, and Adhesion Degradation in Epoxy Molding Compounds*, In: Fan X., Suhir E. (eds) *Moisture Sensitivity of Plastic Packages of IC Devices, Micro- and Opto-Electronic Materials, Structures, and Systems*, Springer, Boston, MA, 2010.

# Back-up

# Long-term measurements with pre-series boards

boards kept in the room with neither t nor RH control





# Dimensional Inspection

absolute width & length

- six rasmasks per board

boards too large: 0.4mm/m  
→ large problems with precision, edges & holes

distortions

- registration of strip position in center + rasmasks
- nine contact CCDs on granite table
- surveyors resting on pairs of precision spheres  $O(30\mu\text{m})$ , glued onto table
- fast measurement and analysis with custom GUI with direct interface to QC form (Pavia, Tokyo)
- flexible configuration

